

# Effect of Band-pass mismatch

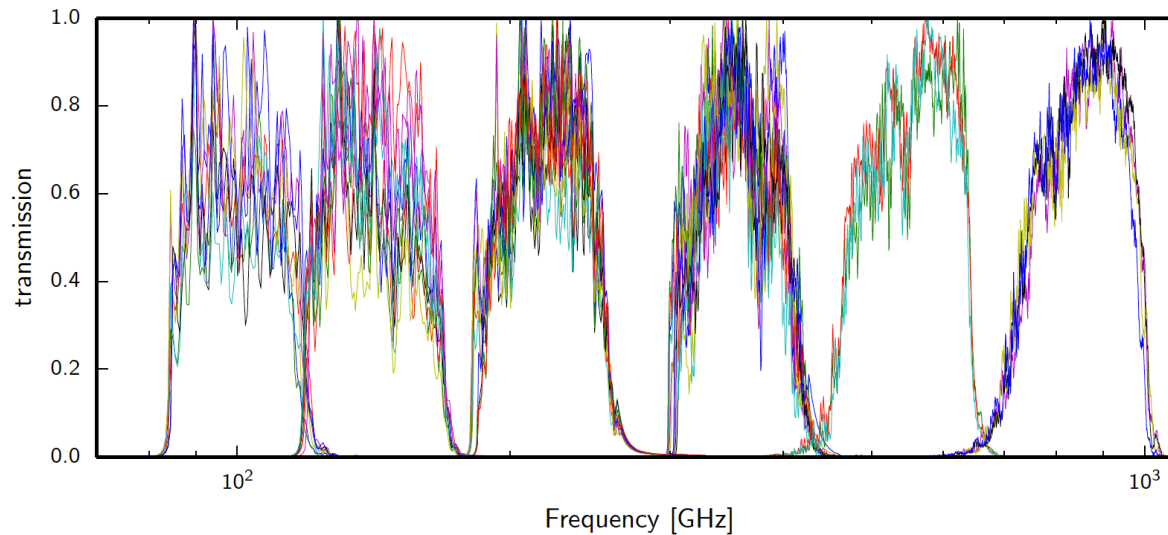
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# Detector Band passes

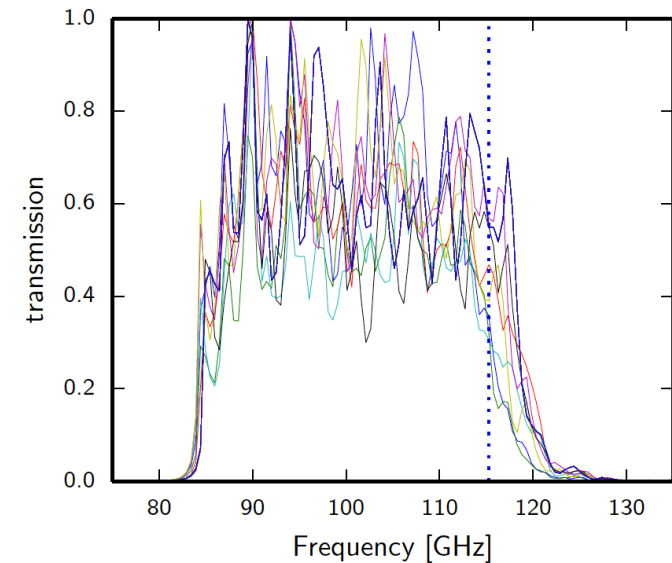
Differences in filter shapes from detector to detector might be present

Example: Filters of Planck HFI



lead to different relative calibration between CMB and other components with different spectra

CO transition line 1- $\rightarrow$  0 falls at the edge of the 100 Hz filters so the CO components has very different amplitude from detector to detector



# Calibration mismatch

Foreground relative calibration:

$$T_{sky} = T_{cmb} + \left( \frac{\int g_i(\nu) \left( \frac{\nu}{\nu_0} \right)^\beta \frac{B(\nu, T_d)}{B(\nu_0, T_d)} d\nu}{\int g_i(\nu) \left( \frac{\partial B(\nu, T)}{\partial T} \right)_{|T_0} d\nu} \right) \left( \frac{\partial B(\nu_0, T)}{\partial T} \right)_{|T_0} T_{dust}$$

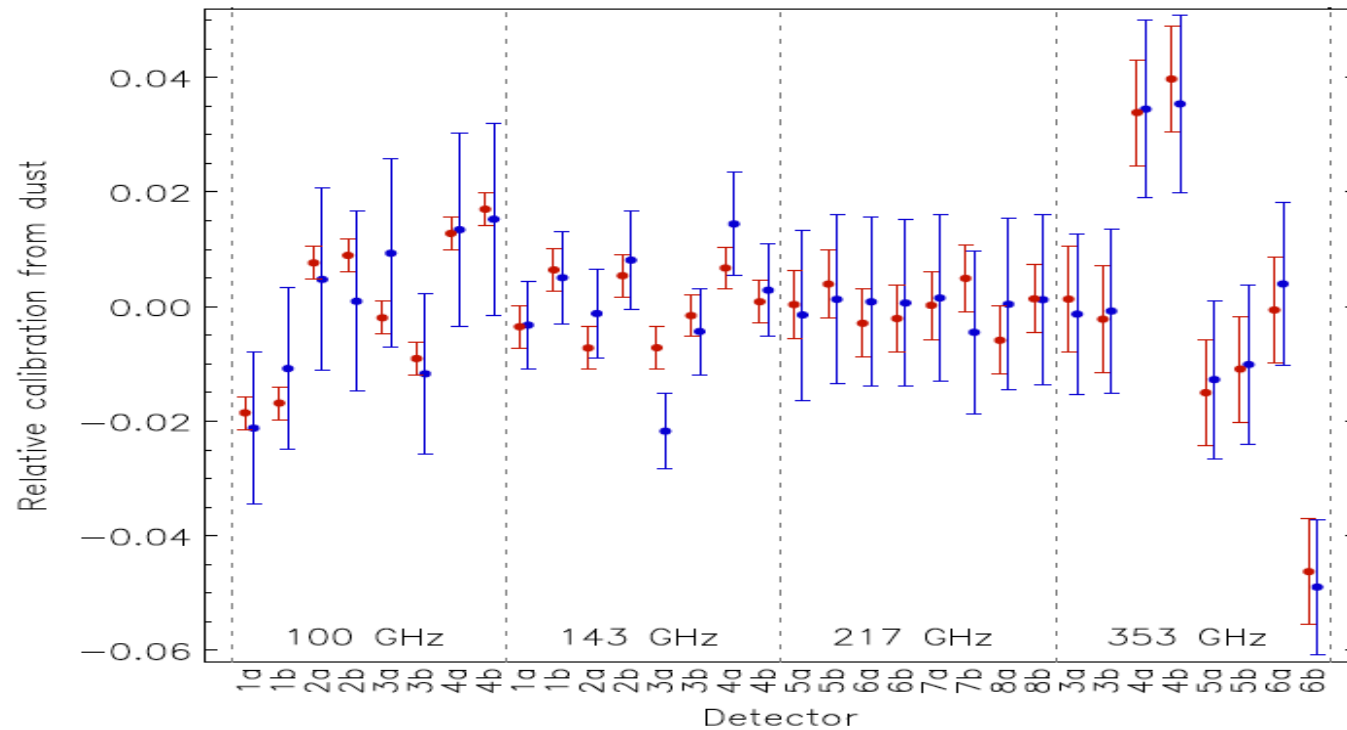
Effect captured by a single number per detector and per component.



Lead to intensity to polarization leakage of foreground components

Maximum effect when a and b detectors, with polar oriented at 90 deg., have band mismatch. Difference cancels CMB intensity by not dust.

# Relative calibration dust-CMB for Planck



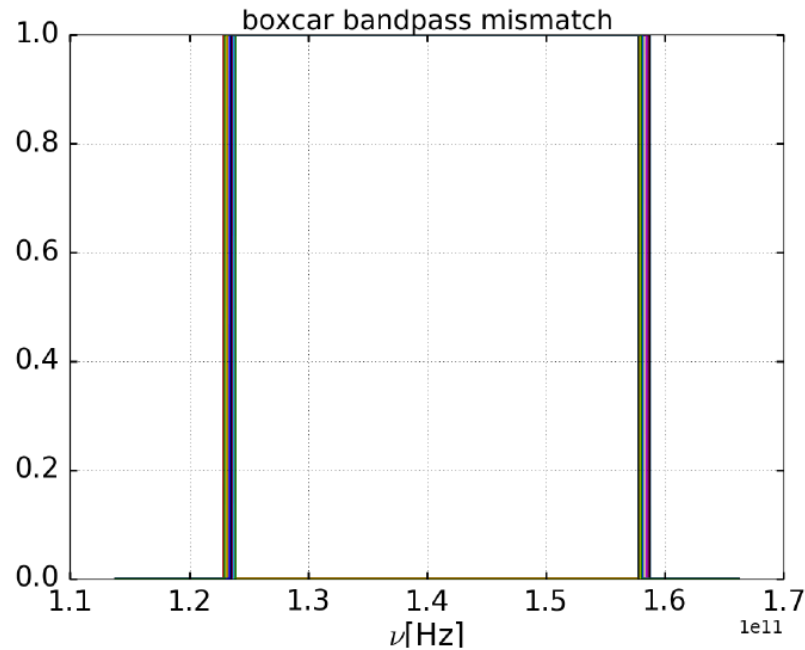
- Processing of Planck HFI polarization required in-flight estimation of those parameters
- Corrected in Planck at the map-making level
- Might be a severe problem for future mission given the required precision.

Accuracy of ground filter measurements with FTS required such that parameters can be fixed and not re-estimated from flight data.

# Filter simulations

We assume two kind of errors:

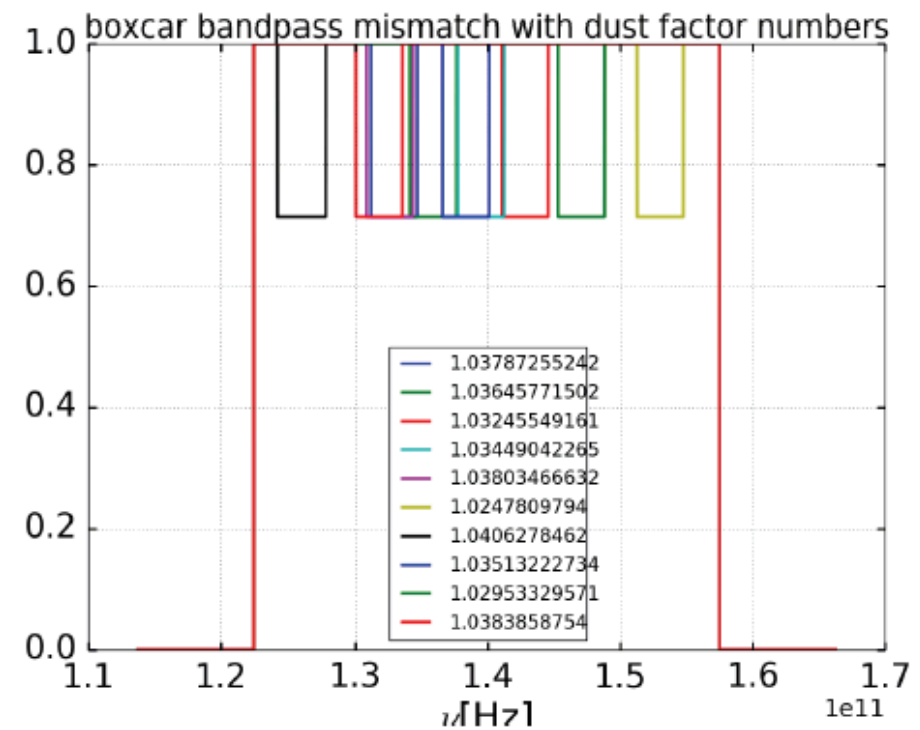
Planck-like errors



Recal. numbers  
for 10 detectors:

1.04785827  
1.03624392  
1.04635293  
1.04052752  
1.05881043  
1.04705189  
1.05527226  
1.04787831  
1.05176195  
1.05254128

Typical measurement errors:



Lead to relative calibration errors of about  
half a percent from detector to detector

# Data simulations

Very simple TOI simulations in order to isolate the effect of intensity to polar leakage

- include only CMB and dust intensity
- no polarization
- no noise
- same pixellisation between input and output maps
- band-pass integration at the TOI level

Simulations at 150 GHz using two configurations: Core+ and LiteBird

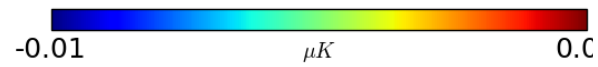
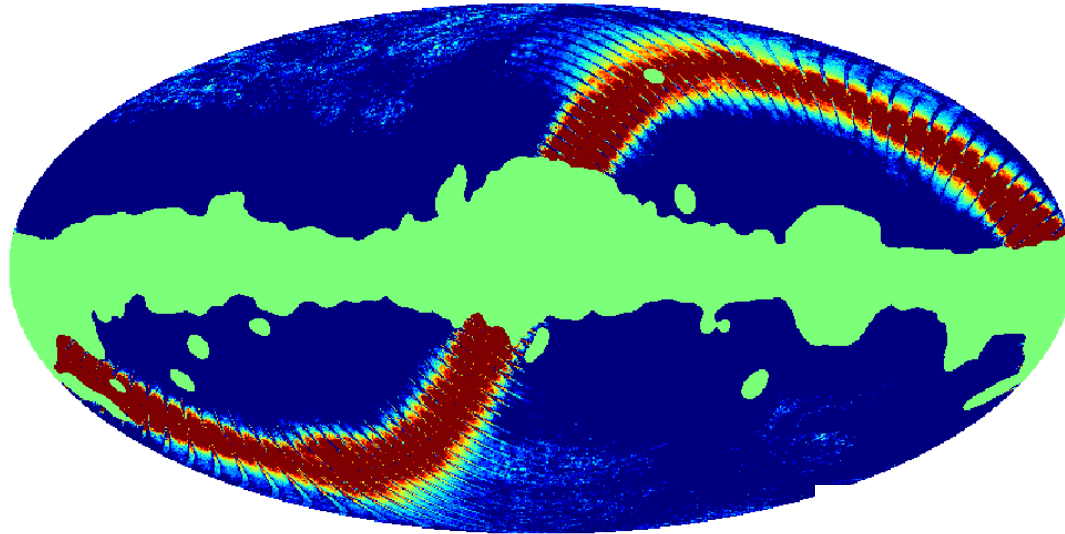
Map-making: solve for I, Q, U with simple linear projection

$$\mathbf{m} = \begin{pmatrix} I \\ Q \\ U \end{pmatrix} \qquad m = [A^T A]^{-1} A^T d$$

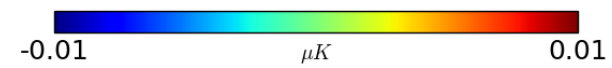
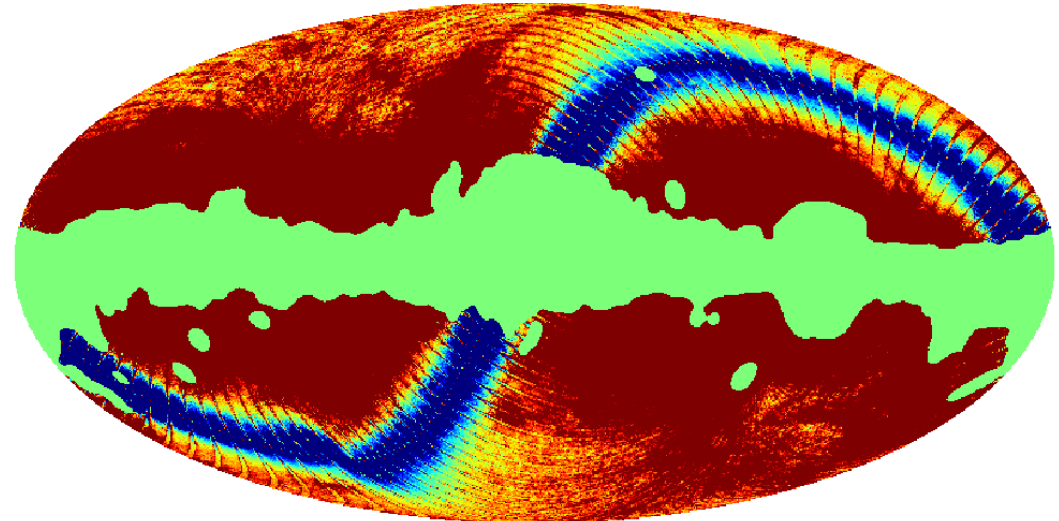
We have checked that in absence of band mismatch we get 0 polarization

# Result for Core+

mask Q map



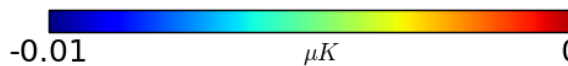
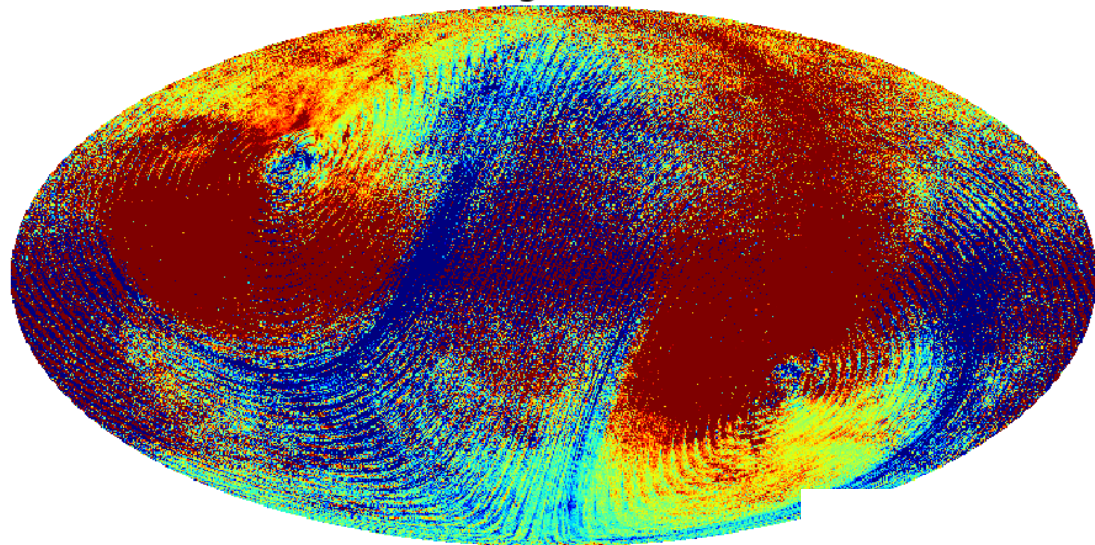
mask U map





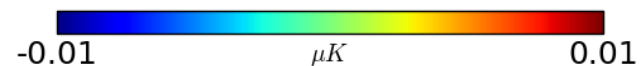
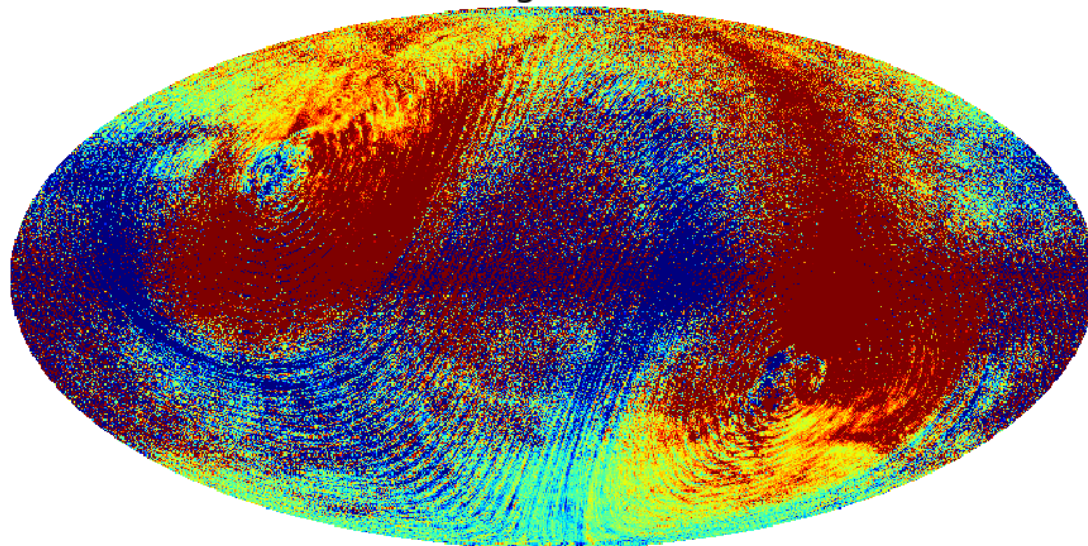
# Results for LiteBird

Q leakage 140 GHz



We use LiteBird scanning strategy with 50 detectors and 6 month observations

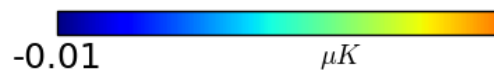
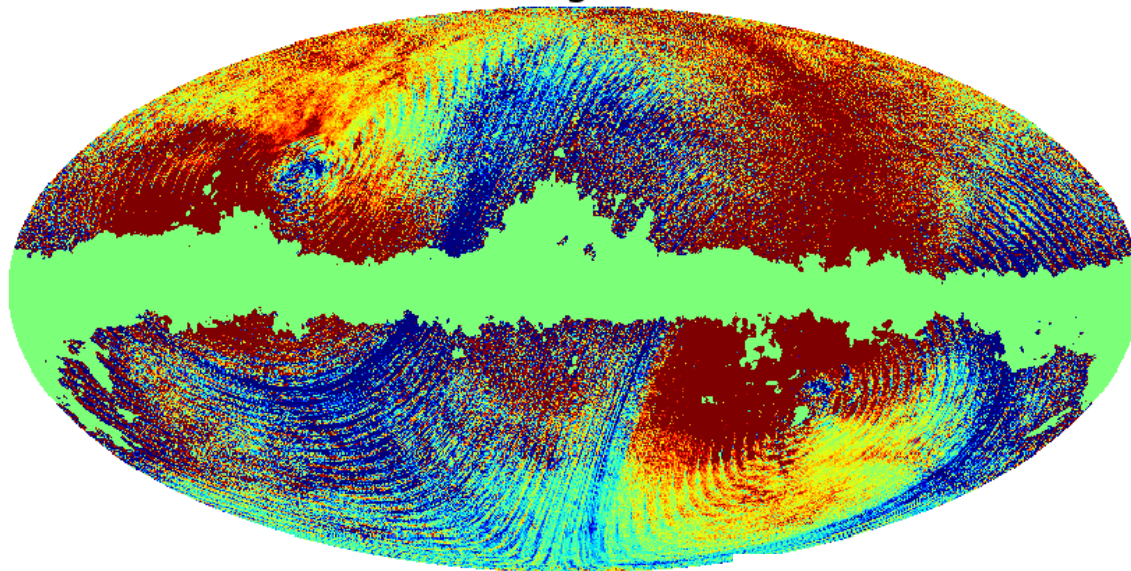
U leakage 140 GHz





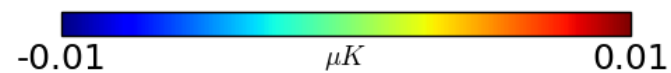
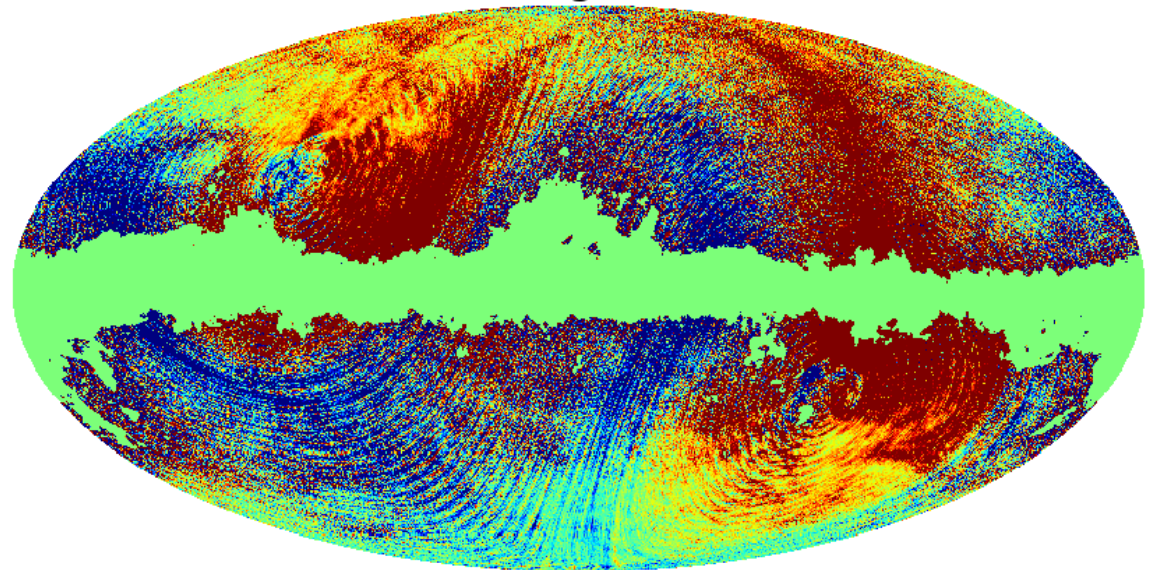
# Results for LiteBird

Q leakage mask



After masking 20% of the sky

U leakage mask



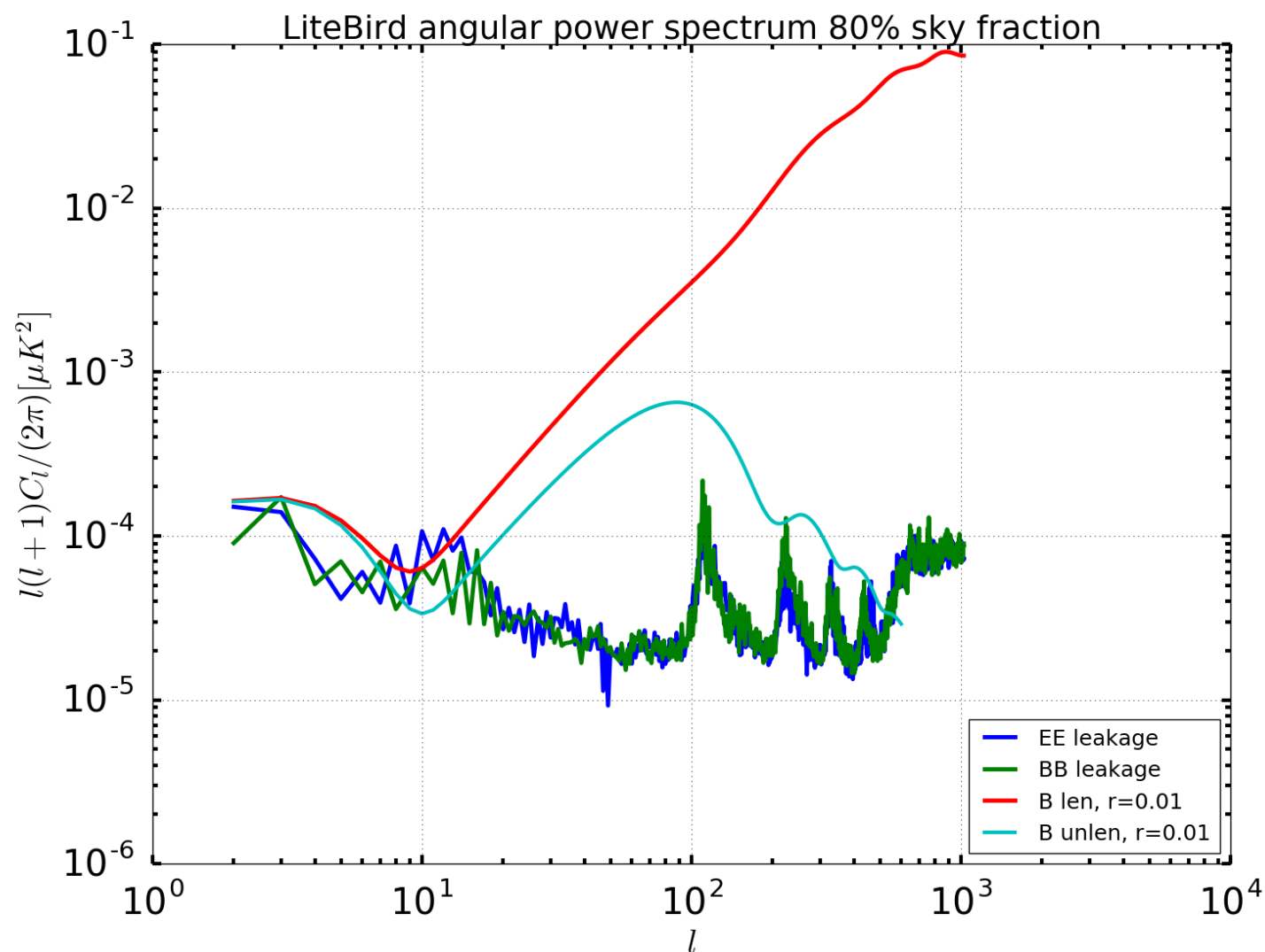
# Leakage power spectrum

LiteBird scanning strategy angles

0.1 rpm

No HWP

50 detectors



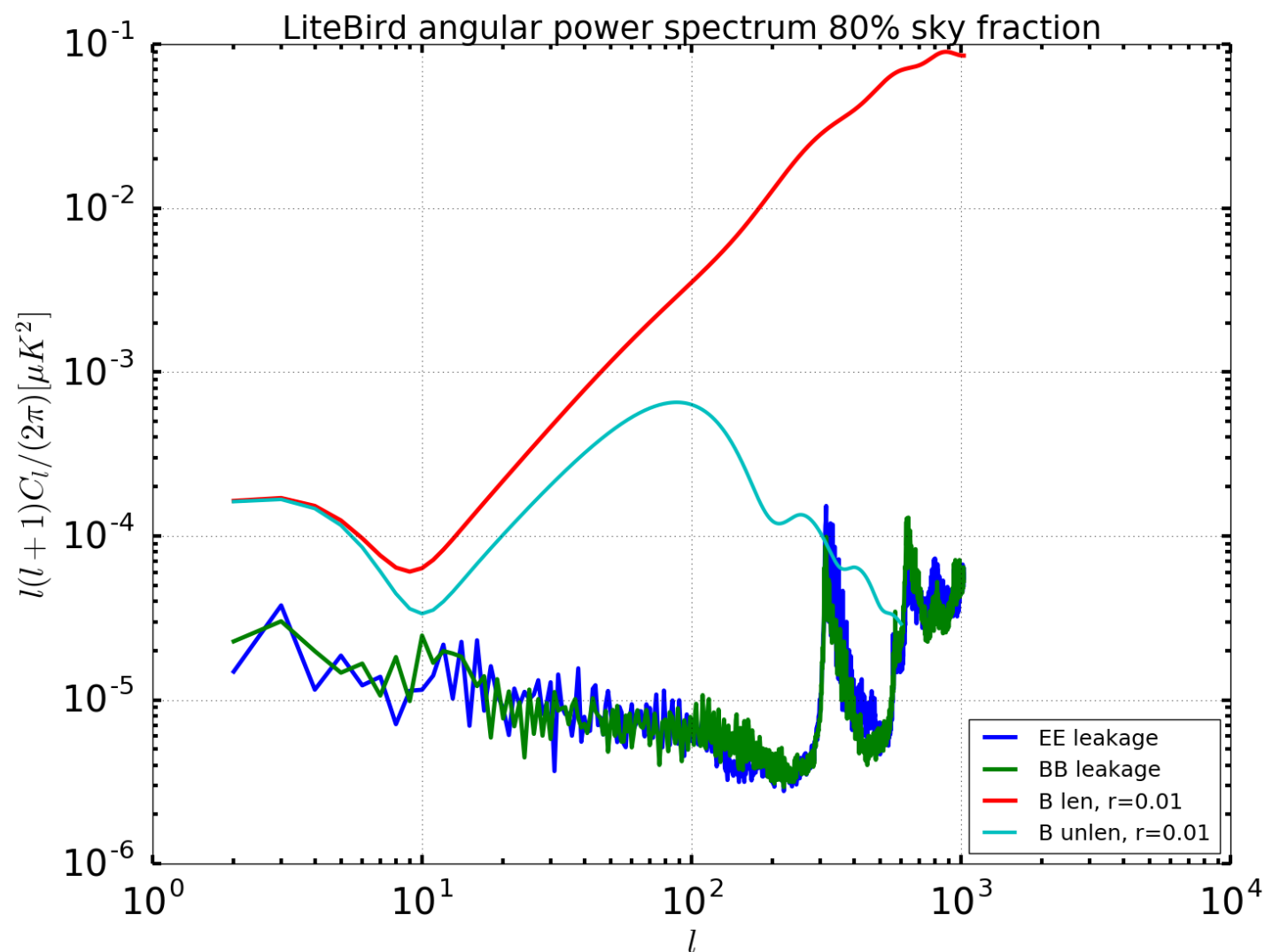
# Leakage power spectrum

LiteBird scanning strategy angles

0.3 rpm

No HWP

50 detectors



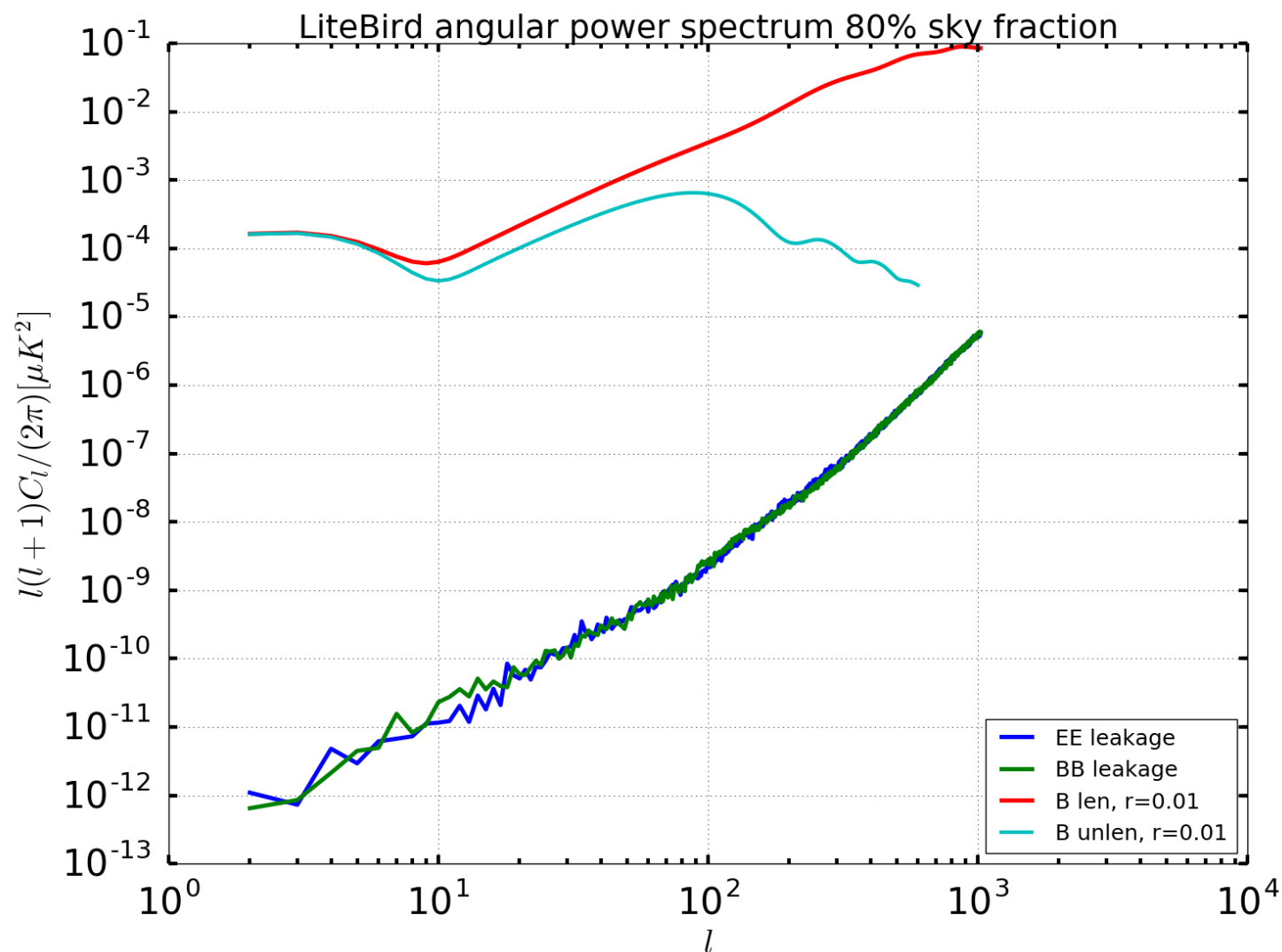
# Leakage power spectrum

LiteBird scanning strategy angles

0.1 rpm

HWP

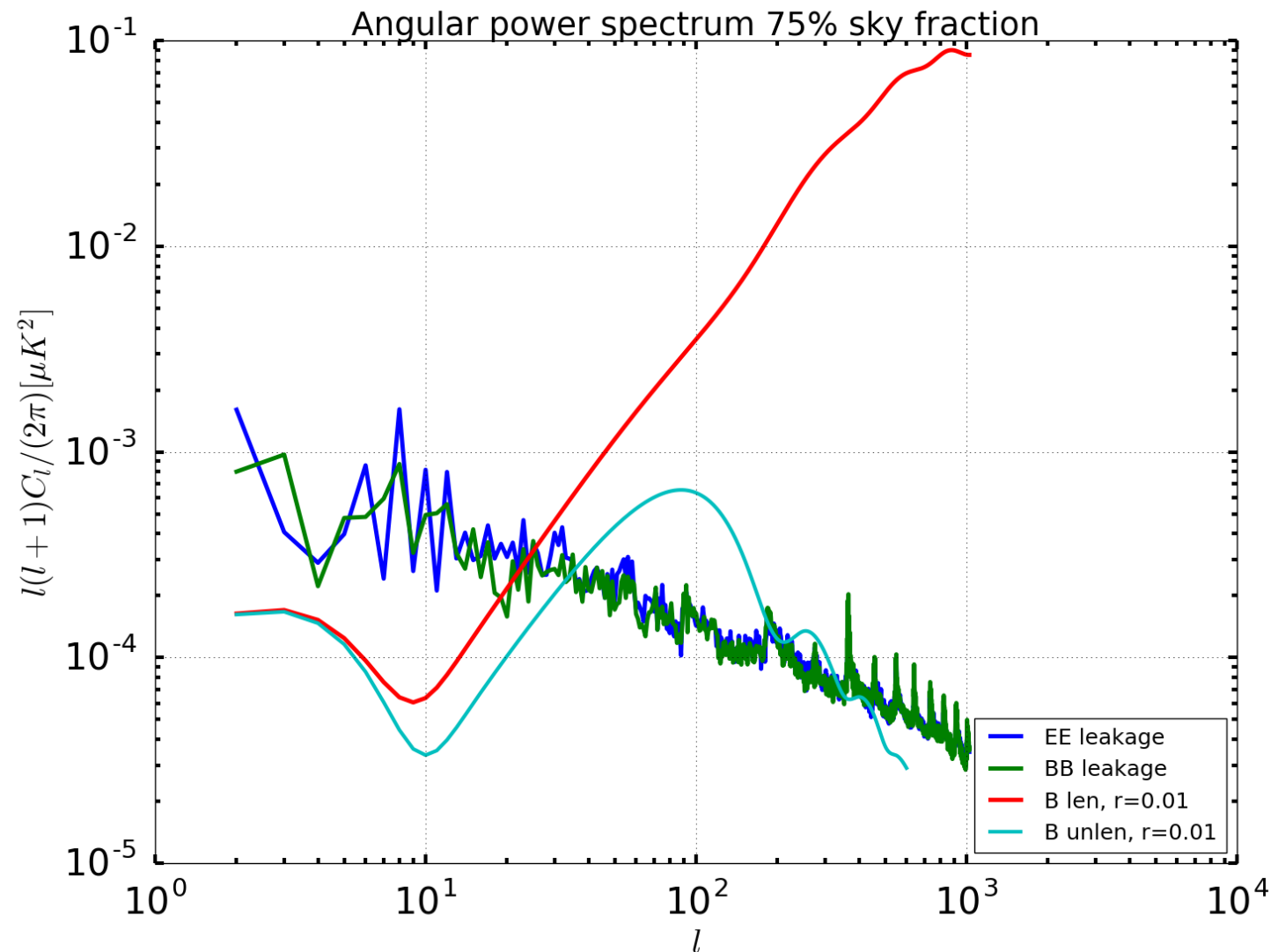
50 detectors



# Leakage power spectrum

COrE scanning strategy angles

10 detectors



# Preliminary conclusions

- Band-pass mismatch should lead to non-negligible intensity to polarization leakage if not corrected, specially at very low  $\ell$ s
- Power spectrum  $\propto \ell^{-2}$
- Features in the power spectrum might depend on the scanning strategy
- Work in progress for CORE+ scanning strategy
- First order correction are possible using frequency channels where galactic components dominate

# Future work

- Leakage disappears if we perform single detector I, Q, U maps. Need to check what is the prize to pay in term of signal to noise.
- First order correction can be performed easily using bolometer pair difference:

$$S_{1a} = I_{\text{CMB}} + Q \cos 2\psi + U \sin 2\psi + \alpha_a I_{\text{Gal}}$$

$$S_{1b} = I_{\text{CMB}} - Q \cos 2\psi - U \sin 2\psi + \alpha_b I_{\text{Gal}}$$

$$S_{1a} - S_{1b} = 2Q \cos 2\psi + 2U \sin 2\psi + (\alpha_a - \alpha_b) I_{\text{Gal}}$$

- Basic idea:
- use the 350 GHz channel providing a good proxy for  $I_{\text{Gal}}$ .
  - Then fit amplitude coefficients of dust template built from the 350 GHz channel at the TOI level
  - subtract the template from each bolometer pair

Main limitations:

- Reduce data to bolometer pair.
- Assume a single component of dust
- Might be coupled with inter-calibration coefficients.

Global approach: global map-making solution: Solve jointly I, Q, U,  $\Delta I$