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# Status of BSRA HW, automatic checks and future plans.

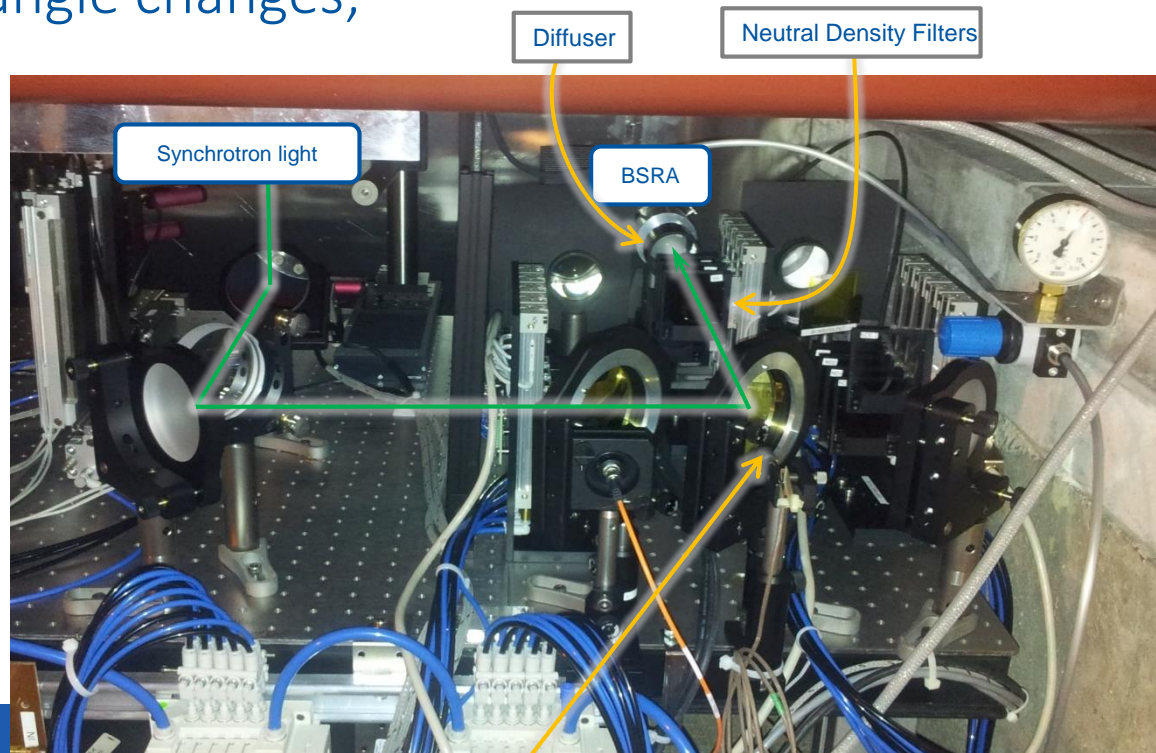
# Outline

- Summary of BSRA performance in 2015.
- 2016 YETS improvement.
- Outlook.

# 2015: optical line

Re-design of optical line in 2015 YETS

- New extraction mirror;
- BSRA + LDM separated from imaging/interferometry lines;
- New optics: 2", 75 mm dia lens, more tolerant to source angle changes;



LED  
(voltage –gain calibration)

MPP, 18 March 2016

# Calibration checks

- As of October 2015: Voltage/Gain calibration check performed by the LHC sequencer before injection, results published in BI LHC logbook. Acceptance threshold: +/- 30% (to be reviewed in 2016)

| 25/11/2015 04:25  | DAY BI LHC |
|---|------------|
| LHC SEQ: LHC.BSRA.US45.B1 calibration finished. Overall result: OK<br>a = -1.58698E-6 a_calc = -1.5515506709418148E-6 b = 0.0115021 b_calc = 0.011277224414357079 |            |

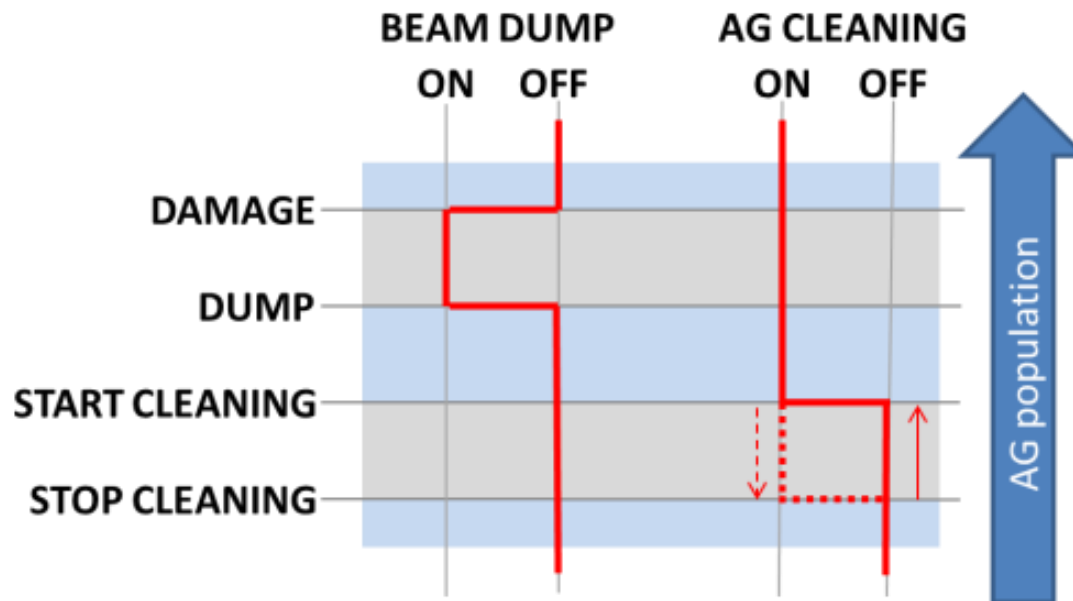
  

| 25/11/2015 04:28   | DAY BI LHC |
|--|------------|
| LHC SEQ: LHC.BSRA.US45.B2 calibration finished. Overall result: OK<br>a = -1.18416E-6 a_calc = -1.3814844641857338E-6 b = 0.00944717 b_calc = 0.010626167778696072 |            |

- To be implemented: Periodic checks using FBCT reading (now less critical due to improved optical line and extraction mirror design)

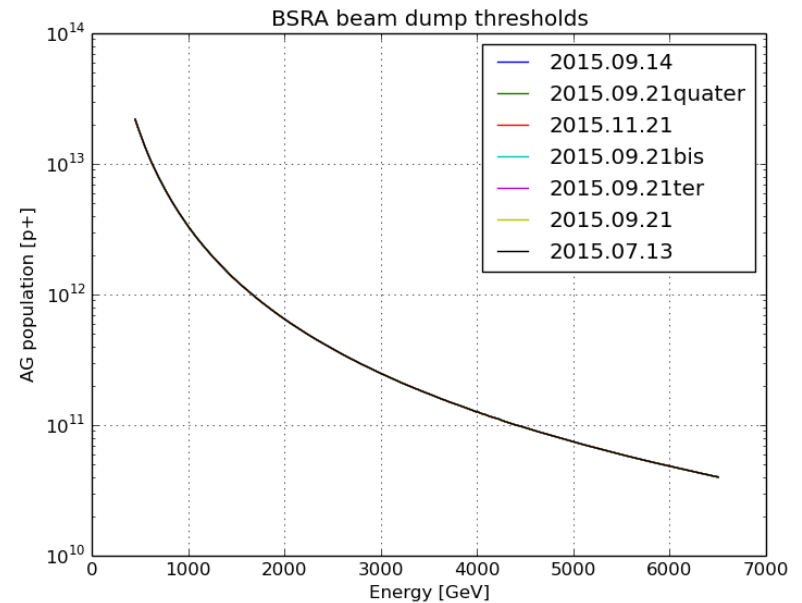
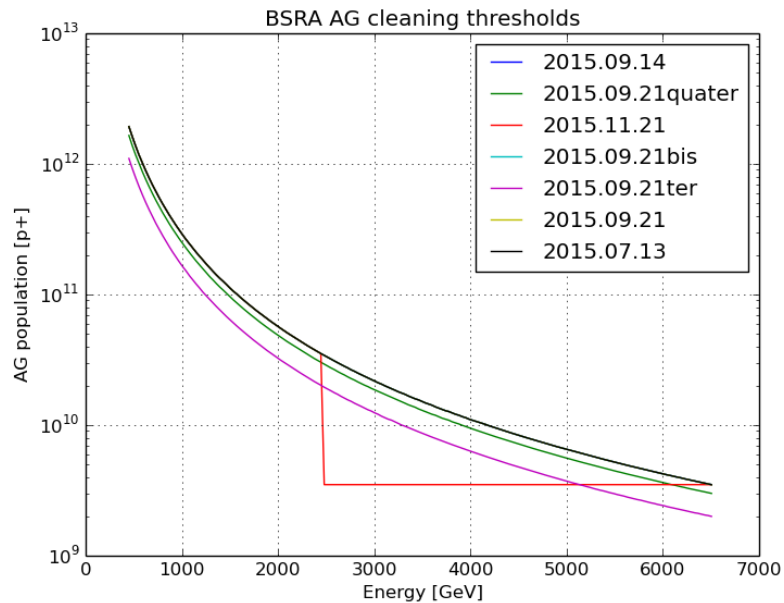
# Thresholds

- Since 2015, new AG population threshold scheme
- Two flags published by BSRA: AG cleaning, beam dump:



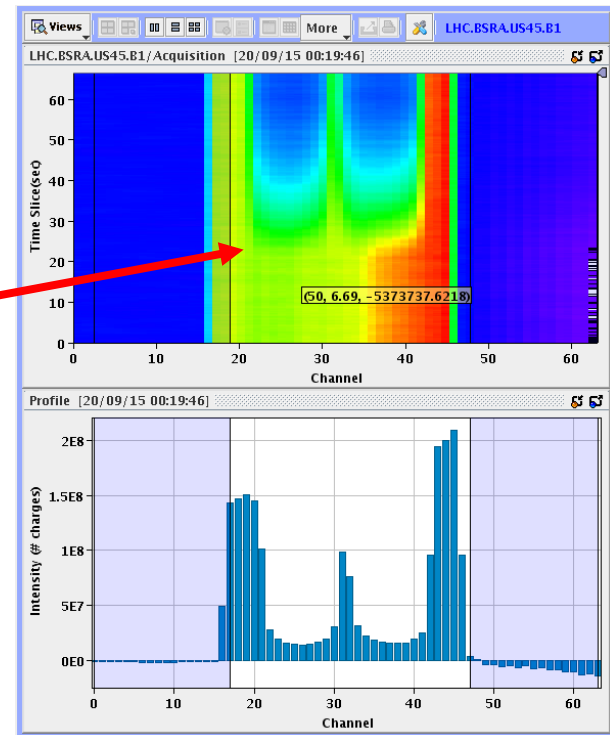
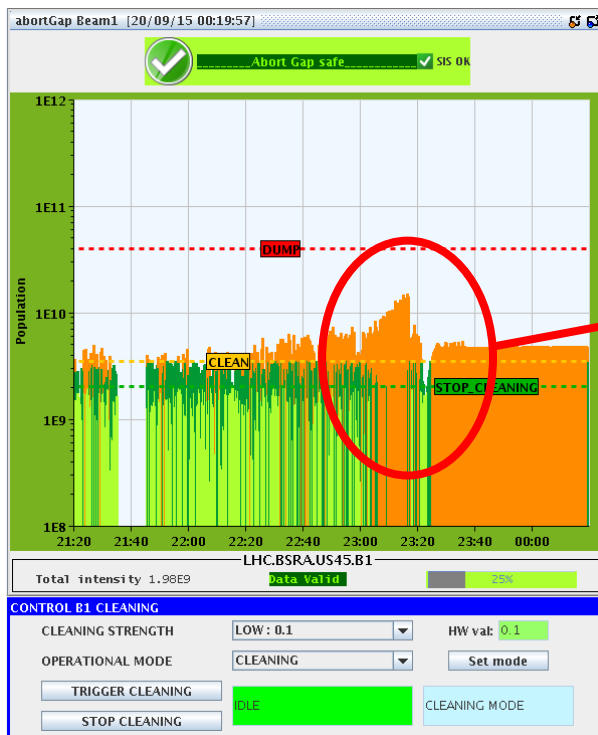
# Thresholds

- Actual values used in 2015



# Machine protection

- AG cleaning now triggered by SIS based on BSRA reading. Tested in June 2015, now routinely used in operation
- Beam dump flag masked.



# BSRA performance: Sensitivity

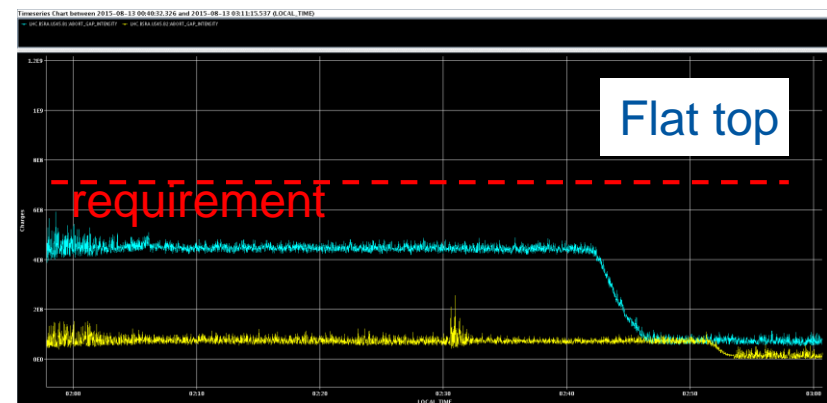
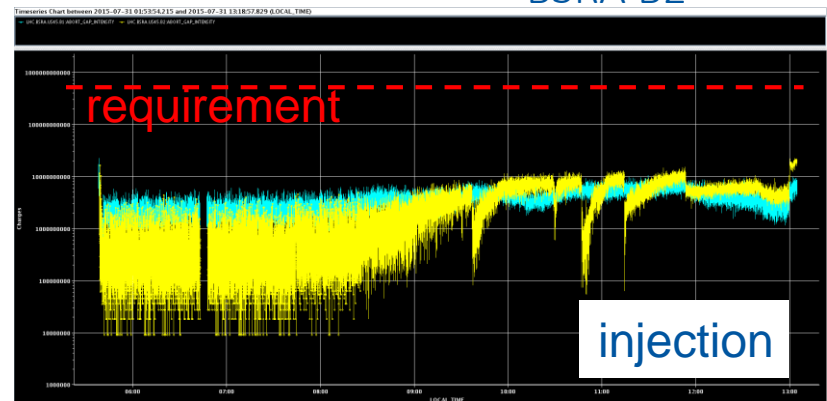
**Requirement** (“HIGH SENSITIVITY MEASUREMENT OF THE LONGITUDINAL DISTRIBUTION OF THE LHC BEAMS”, LHC-B-ES-0005.00 rev 2.0):

BSRA B1 —  
BSRA B2 —

|           | Required<br>[p/100ns] | Measured<br>[p/100ns] |
|-----------|-----------------------|-----------------------|
| Injection | $< 4 \times 10^9$     | $10^7$ (typ)          |
| Flat top  | $< 6 \times 10^6$     | $8 \times 10^5$ (typ) |

OK

OK



Min detectable AG population is therefore:

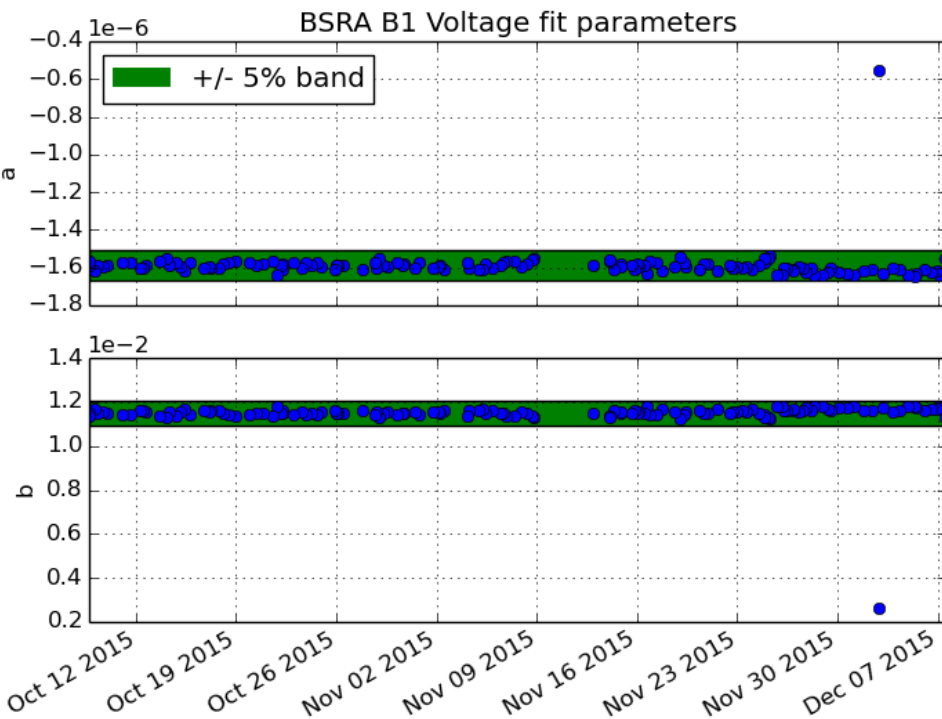
- $3 \times 10^8$  (injection)
- $2.4 \times 10^7$  (flat top)



# BSRA performance: B1 accuracy

Requirement (“HIGH SENSITIVITY MEASUREMENT OF THE LONGITUDINAL DISTRIBUTION OF THE LHC BEAMS”, LHC-B-ES-0005.00 rev 2.0):

- better than  $\pm 50\%$  absolute accuracy at flat top. B1 **OK**, B2 ?
- better than  $\pm 5\%$  absolute accuracy at injection **NOT POSSIBLE WITH PRESENT SYSTEM** (needed?)

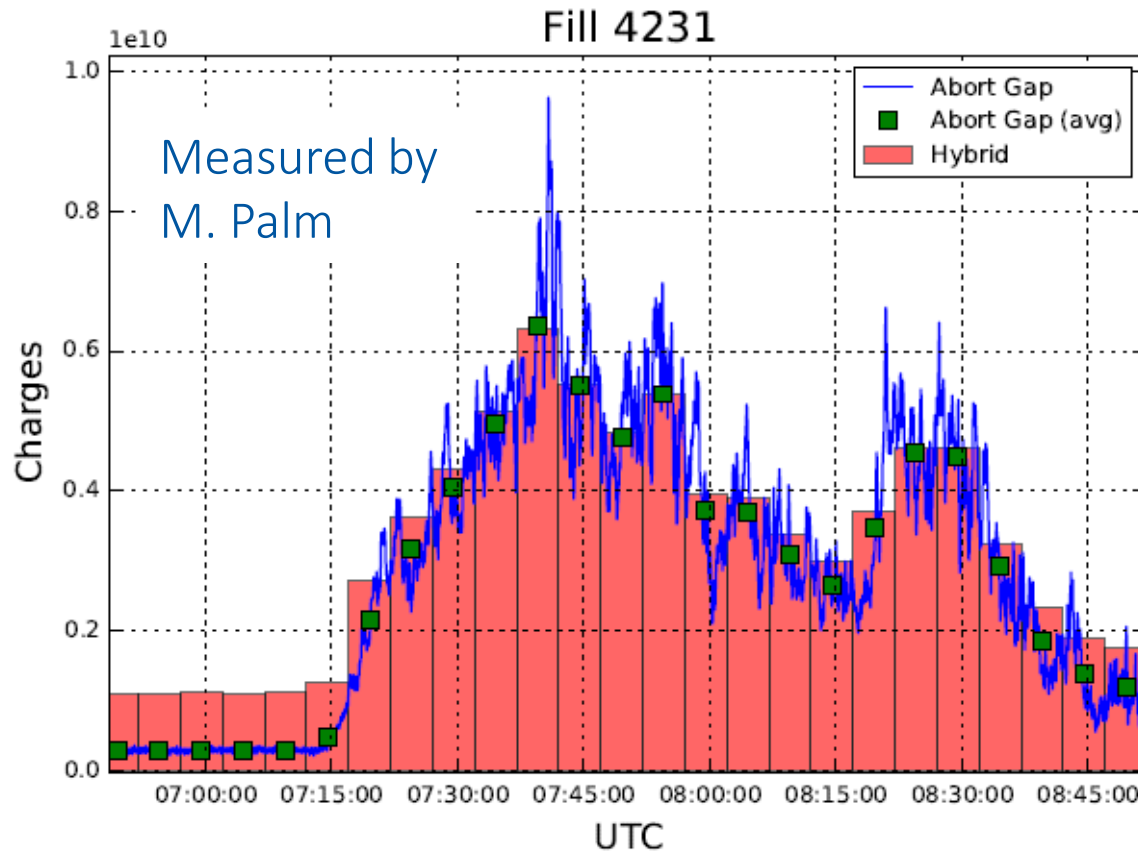


B1 Calculated accuracy at 6.5 TeV:  
 **$\pm 35.4\%$  OK**

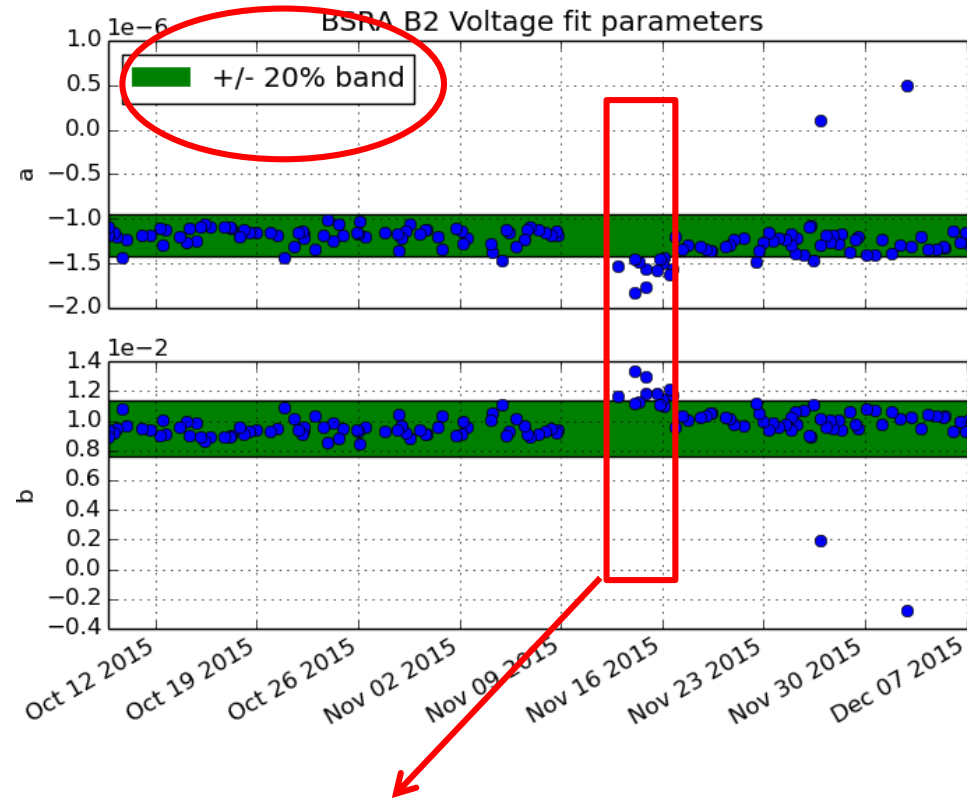
From voltage-gain calibration historical data (backup slides).  
B1 gain curve known with good precision.

# BSRA performance: B1 Accuracy

- A confirmation for B1: fill 4231, comparison with Longitudinal Density Monitor Hybrid PMA. Agreement within +/- 18%



# BSRA performance: B2 accuracy



B2 Calculated accuracy at 6.5 TeV:  
**+/- 69.1 % NOT OK**

Due to low signal in calibration procedure. Fixed in YETS 2016.

# Improvements during YETS 2016

- Improvement of layout. BSRA (and Longitudinal Density Monitor) now mounted on a sliding table.
- Better optical alignment and light collection. With 500 nm LED: approx. 2x sensitivity improvement.



# Outlook 2016

- BSRA ready for LHC startup.
- A new amplifier has been developed. Tests to be completed, possibly deployed end of summer.
- System ready for automatic beam dump tests.
- Modification to the way population is calculated (over entire/a portion of the AG) is possible but preferably after a few months of operations.



# Calculation of accuracy (backup)

From raw to calibrated data:

$$p \propto \frac{A_{flt}(E)}{W(E)} \frac{1}{10^{aV^2+bV}} I$$

Where  $p$  is the AG pop,  $A_{flt}$  the ND filters attenuation,  $w$  the normalised photon emission per particle,  $V$  the PMT voltage,  $a, b$  gain curve fit parameters.

Predominant contribution to  $\sigma_p$  is error on  $a, b$  parameters:

$$\sigma_p = \sqrt{\left(\frac{\partial p}{\partial a} \sigma_a\right)^2 + \left(\frac{\partial p}{\partial b} \sigma_b\right)^2}$$

where  $\sigma_a, \sigma_b$  derived from historical gain curve fit data.