

New Prospects in Fixed-Target Searches for Dark Forces

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Based, in part, on SG, Roy J. Holt,
Arun S. Tadepalli, arXiv: 1509.00050
[SeaQuest/E906/E1067 at Fermilab]

Visible Dark Photon Searches WG
Dark Sectors Workshop 2016
SLAC



Hidden Sector Portals

Only a Few “Sizeable” Portals Exist

$$\mathcal{L}_{\text{dim} \leq 4} = \kappa B^{\mu\nu} V_{\mu\nu} - H^\dagger H (AS + \lambda S^2) - Y_N LHN$$

[Batell, Pospelov, and Ritz, 2009; Le Dall, Pospelov, Ritz, 2015]

- Vector Portal
 - Higgs Portal
 - Neutrino Portal
- All deserve systematic study;
N.B. low E Higgs portal
constrained by rare B, K decays
Here we focus on vector portals**

Enter the dark photon A' and its field strength tensor $V_{\mu\nu}$

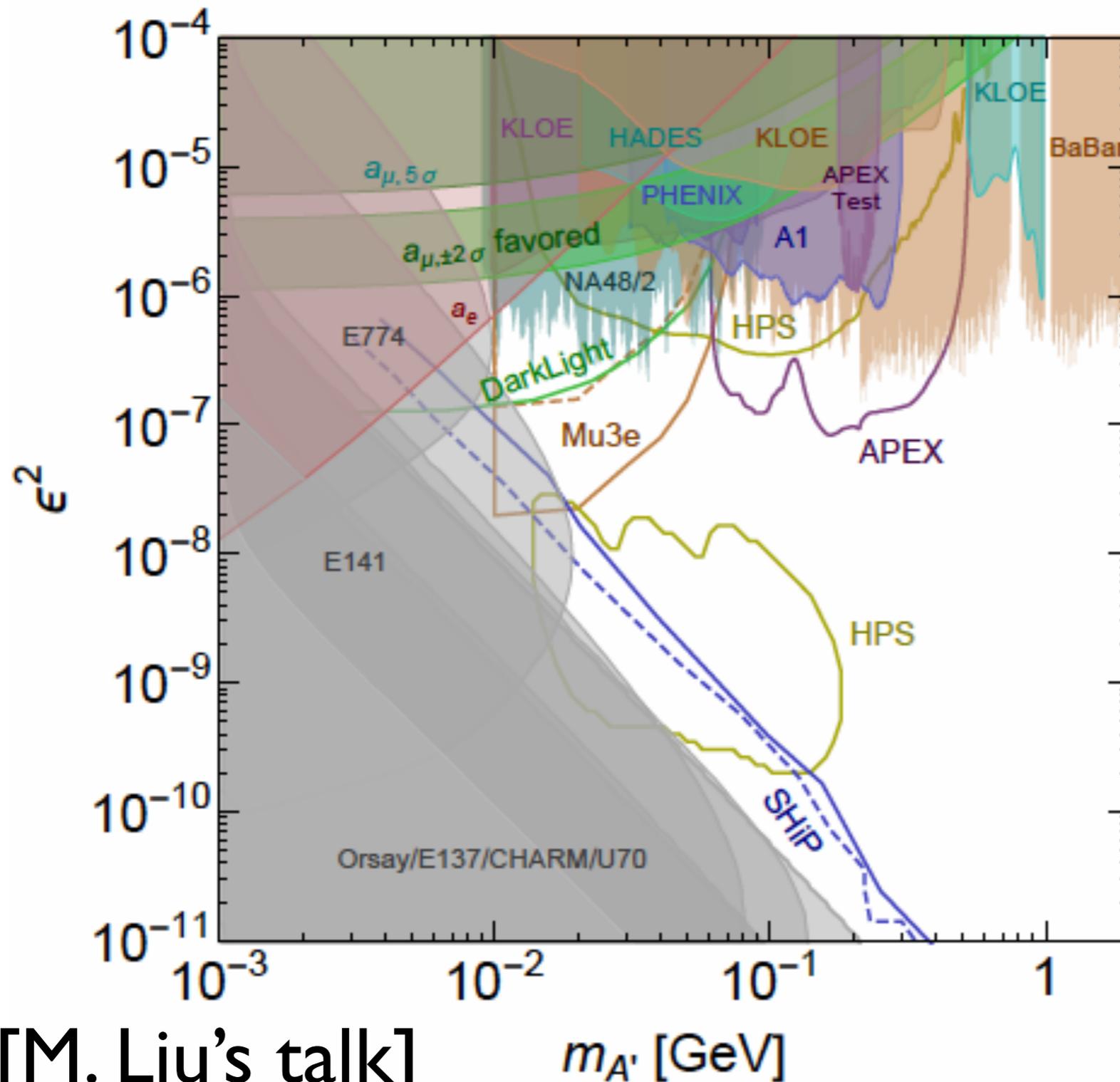
$$\mathcal{L}_{A'} = \frac{1}{2} \kappa B^{\mu\nu} V_{\mu\nu} - \frac{1}{4} V_{\mu\nu} V^{\mu\nu} + \frac{1}{2} m_{A'}^2 A'^\mu A'_\mu$$



Note “kinetic mixing” of visible & hidden sectors

Dark Photon Decays to Visibles (Only)

Exclude a “dark” explanation of the muon $g-2$ anomaly



But this may only speak to our assumptions...

[M. Liu's talk]

Vector Portals

Need not be...

mediated by dark photons...

nor have gauge bosons that decay
to visible particles only...

nor even be vector-like...

How might one distinguish the possibilities
experimentally?

Gauge Portals to a Hidden Sector

There are many possible vector portals
– but fewer are anomaly free

Typical to consider Abelian groups as $F^{\mu\nu}$ is gauge invariant

- $U(1)_Y$ or $U(1)_{em}$: enter the dark photon and A-A' mixing [Holdom, 1986...]
- $U(1)_Y$ with an extended Higgs sector : now mixing with both the photon and Z occurs – enter the Z_d [Davoudiasl, Lee, Marciano, 2014]
- $U(1)_B$ but not anomaly free [Nelson & Tetradis, 1989; Tulin, 2014]
- $U(1)_X$ with particular couplings
(leptophobic Z') [Dobrescu & Frugiuele, 2014] $\mathcal{L}_B = \frac{1}{3} \bar{q} \gamma^\mu q B_\mu$
- $U(1)_{\mu-\tau}$ [Altsmannshofer, Gori, Pospelov, & Yavin, 2014]

Gauge Theories of the Hidden Sector

“Vector” portals need not be vector-like

For the dark photon...

$$\mathcal{L}_{A'} = \frac{1}{2} \kappa B^{\mu\nu} V_{\mu\nu} - \frac{1}{4} V_{\mu\nu} V^{\mu\nu} + \frac{1}{2} m_{A'}^2 A'^{\mu} A'_{\mu}$$

Diagonalization and field definition yields

$$A^{\mu} \longrightarrow A^{\mu} - \varepsilon A'^{\mu} \text{ but } Z - A' \text{ mixing } \mathcal{O}(\varepsilon m_{A'}^2 / M_Z^2)$$

[Bjorken, Essig, Schuster, and Toro, 2009...]

Thus the A' couples to SM fermions

Now with an extended Higgs sector...

$$\mathcal{L}_{\text{darkZ}} = -(\varepsilon e J_{\text{em}}^{\mu} + \varepsilon_Z \frac{g}{2 \cos \theta_W} J_{\text{NC}}^{\mu}) Z_{d\mu}$$

[Davoudiasl, Lee, Marciano, 2014]

Higher-Mass Dimension Portals

Such portals can include QCD interactions

Enter non-Abelian portals... could BSM physics be hidden under non-perturbative QCD?

[Okun, 1980; Gupta & Quinn, 1982; Kang & Luty, 2009; Harnik, Kribs, & Martin, 2011...]

There are many possible connectors....

[Batell, Pospelov, and Ritz, 2009; Baumgart et al., 2009]

$$\frac{\kappa'}{\Lambda^2} (\bar{q}_{L(R)} \gamma_\mu q_{L(R)}) (\bar{q}_{L(R)} \gamma^\mu q_{L(R)})$$

$$\frac{\kappa'}{\Lambda^2} \text{tr}(\Phi^a F_{\mu\nu}^a) \text{tr}(\tilde{\Phi}^b \tilde{F}_{\mu\nu}^b)$$

“hidden valley”

$$\text{tr}(F^{a\ \mu\nu} F_{\mu\nu}^a) \text{tr}(\tilde{F}^{b\ \mu\nu} \tilde{F}_{\mu\nu}^b)$$

[Strassler & Zurek, 2007]

“QCD” Portals

Model their emergence at low energy with
a hadronic kinetic mixing model

“vector meson dominance”

[SG & He, 2013]

$$\mathcal{L}_{\text{mix}} = -\frac{1}{4}\rho_{\mu\nu}^a\rho^{a\mu\nu} - \frac{1}{4}\rho'_{\mu\nu}{}^a\rho'^{a\mu\nu} + \frac{\varepsilon}{2}\rho_{\mu\nu}^a\rho'^{a\mu\nu} \\ + \frac{m_\rho^2}{2}\rho_\mu^a\rho^{a\mu} + \frac{m_{\rho'}^2}{2}\rho'_\mu{}^a\rho'^{a\mu} + \kappa_\rho J^{\mu a}\rho_\mu^a$$

Diagonalization and field definition yields

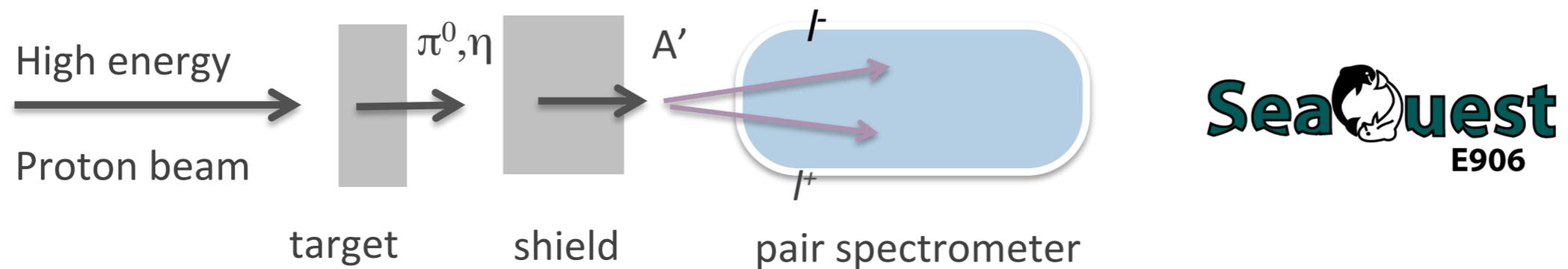
$$\rho_\mu^a \rightarrow \rho_\mu^a - \varepsilon\rho'_\mu{}^a$$

Thus a hidden non-Abelian sector can emerge
through a weakly coupled ρ'

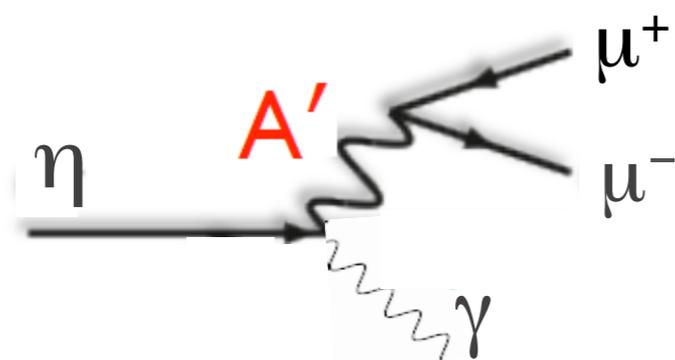
Distinguishing the Possibilities

Enter, e.g., SeaQuest/E906/E1067 at Fermilab

LOI, 2015; Liu & Reimer co-spokespersons



Offering distinct windows on vector portals & more

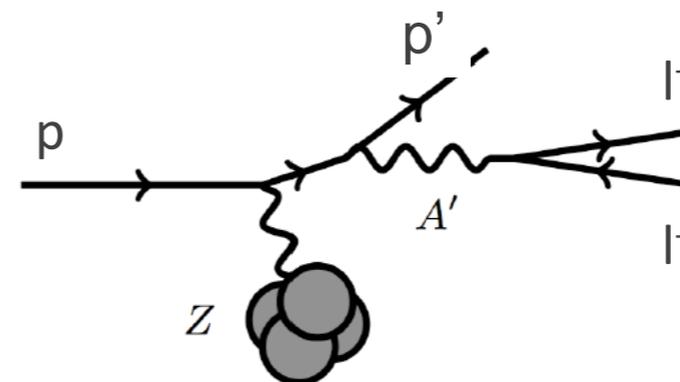


Radiative π^0, η decays

[Batell, Pospelov, and Ritz, 2009;

Gninenko, 2011]

[SG, Holt, Tadepalli, 2015]



Proton bremsstrahlung

[Bluemlein and Brunner, 2011 & 2013]

Also in Drell-Yan...

Dark Photon Parameter Space is Vast

SeaQuest/E906 is running now

N.B.
 ^8Be decay anomaly:
 Krasznahorkay et al.
 PRL (2016)

J. Feng et al.,
 arXiv:1604.07411

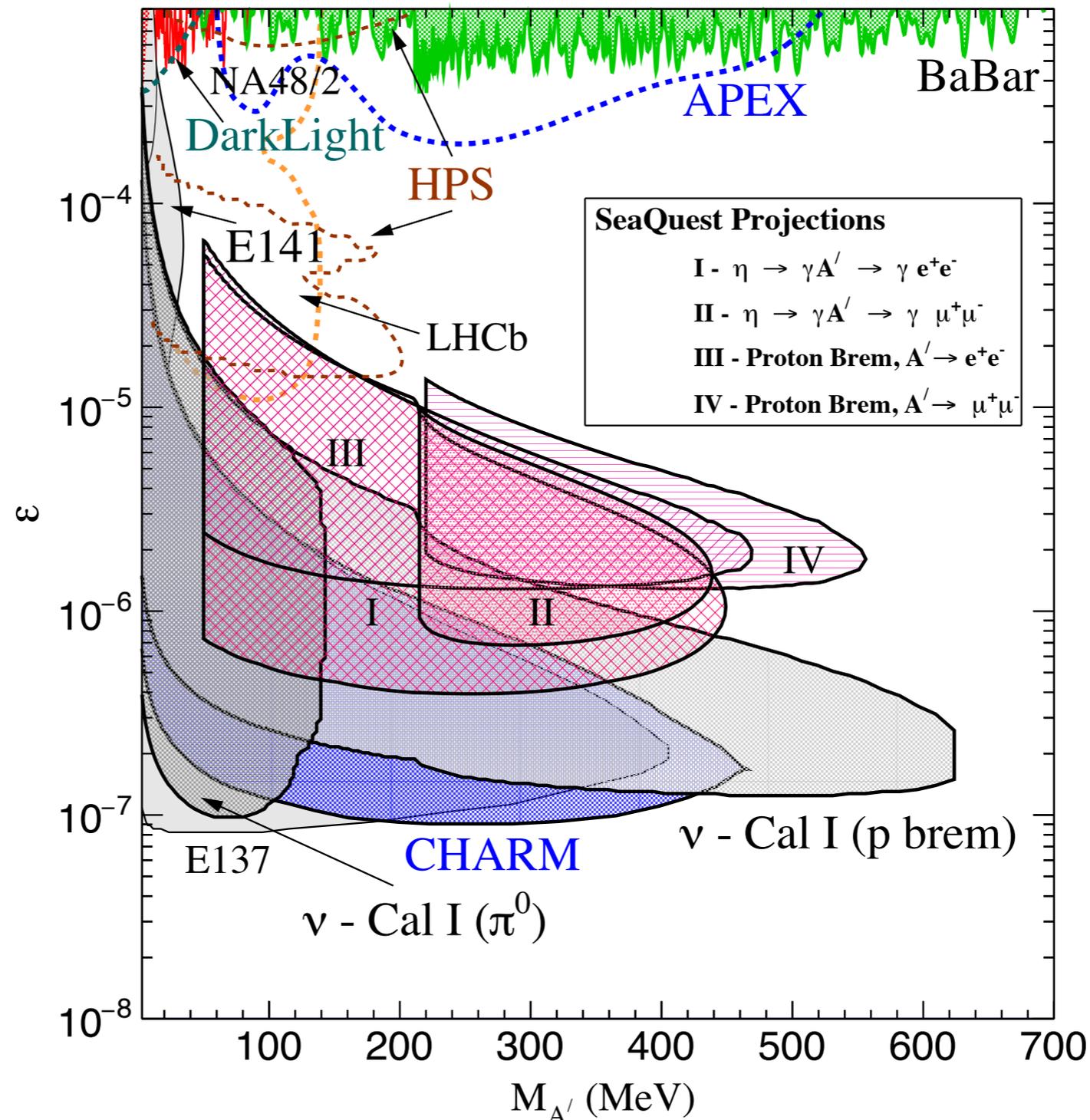
[P. Tanedo's talk]

[B. Fornal's talk]

Can test with...

$$\eta \rightarrow \gamma e^+ e^-$$

studies & more...



e^+e^- &
 $\pi^+\pi^-$
 final states
 possible
 after
 Phase II
 upgrade

[K. Liu's talk]

[SG, Holt, Tadepalli, 2015]

Distinguishing the Possibilities

Experimental handles include...

different detected final states

e vs. μ vs. π

utilization of polarized proton beams

vis-a-vis p bremsstrahlung mechanism

Broader Prospects: Impact of Polarized Proton Beams

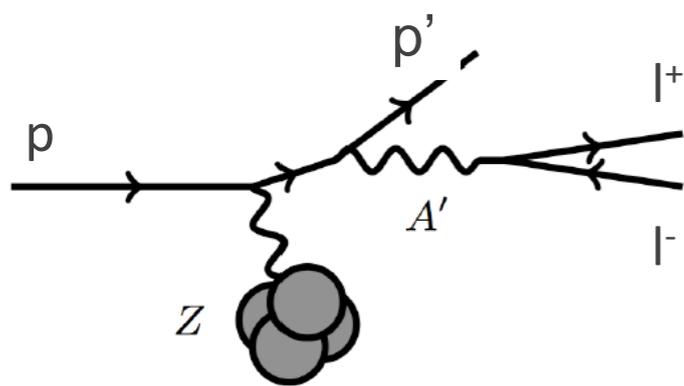
Searches for a dark photon also limit other possibilities

Parity violation studies could prove key

$$\mathcal{L}_{\text{darkZ}} = -\left(\varepsilon e J_{\text{em}}^\mu + \varepsilon_Z \frac{g}{2 \cos \theta_W} J_{\text{NC}}^\mu\right) Z_{d\mu}$$

[Davoudiasl, Lee, Marciano, 2014]

If the hidden gauge boson is a dark Z, then ...



The dilepton yield can change with proton polarization: the asymmetry can be O(1)!

Polarized proton beams under R&D at FNAL

Broader Prospects

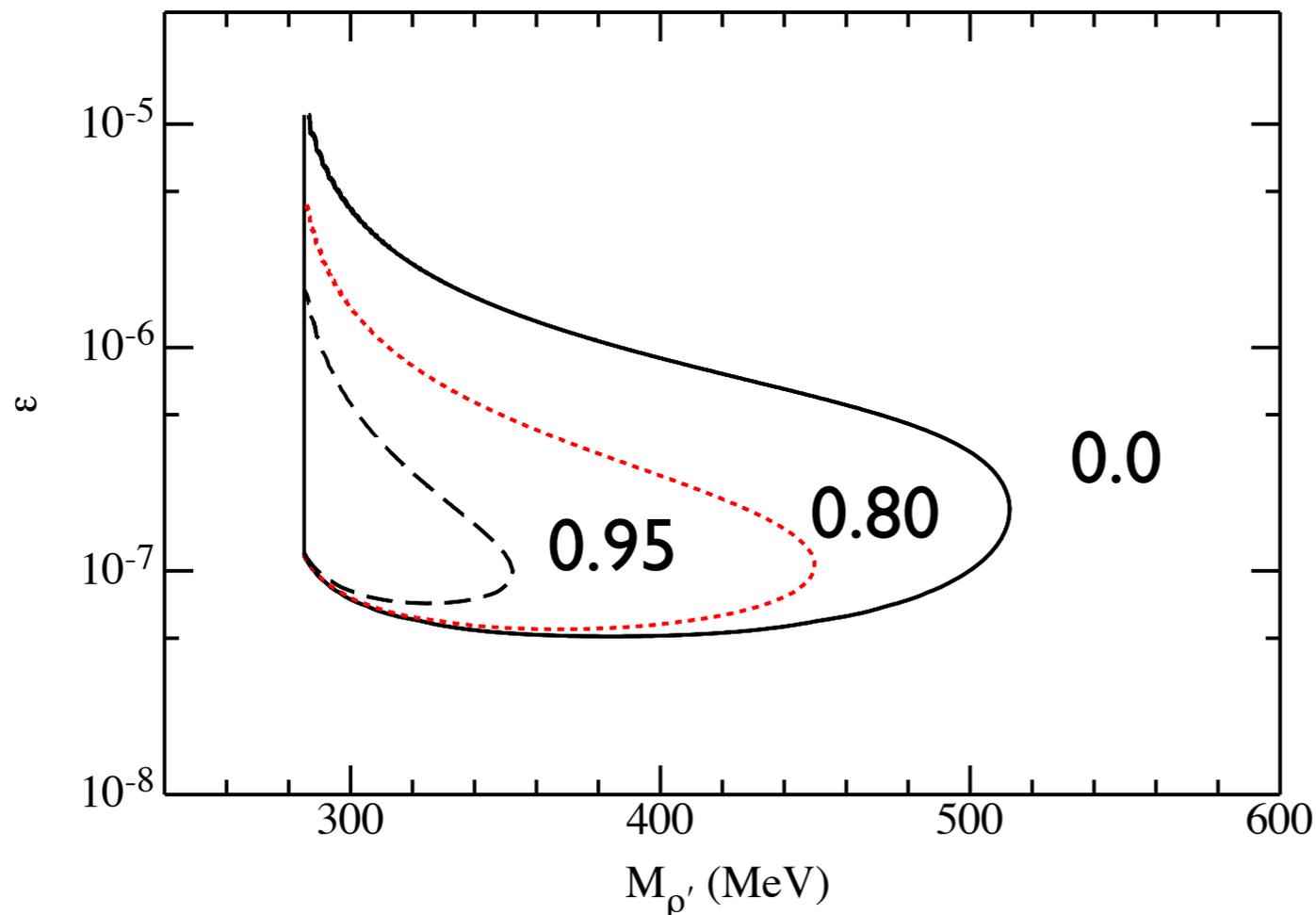
Assuming hidden vector forces...

Searches for leptophobic gauge bosons

These can be generated in many ways....

Note through $U(1)_B$ and more

$\rho - \rho'$ mixing

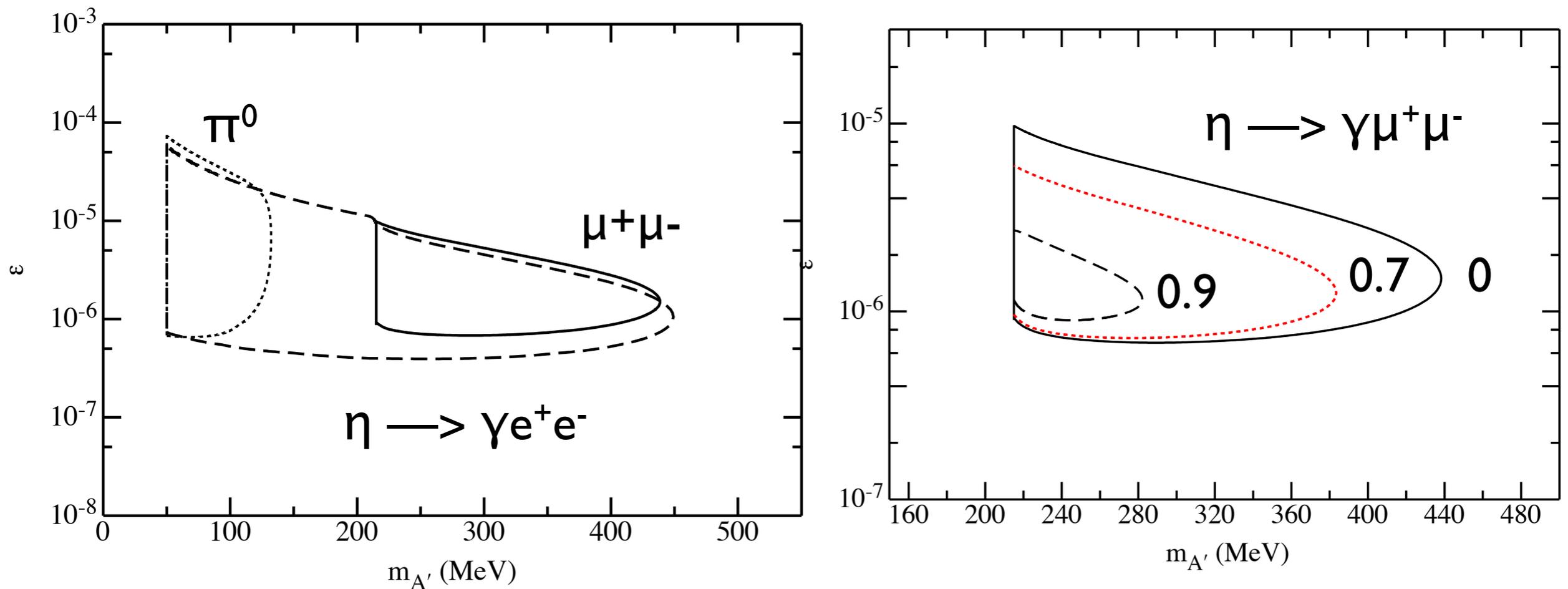


These can be probed at SeaQuest through $\pi^+ \pi^-$ detection

Parameter Space is Vast

Note erosion of constraints through nonzero partial width to hidden sector final states

10 event contours



Constraints still possible even if only 10% can be seen!

Summary

Have considered the possibility of dark gauge forces mediated by a light [MeV-GeV] hidden sector

Such “long distance” effects would speak to the nature of particle dark matter

Theories of weakly coupled hidden sectors continue to evolve & are testable

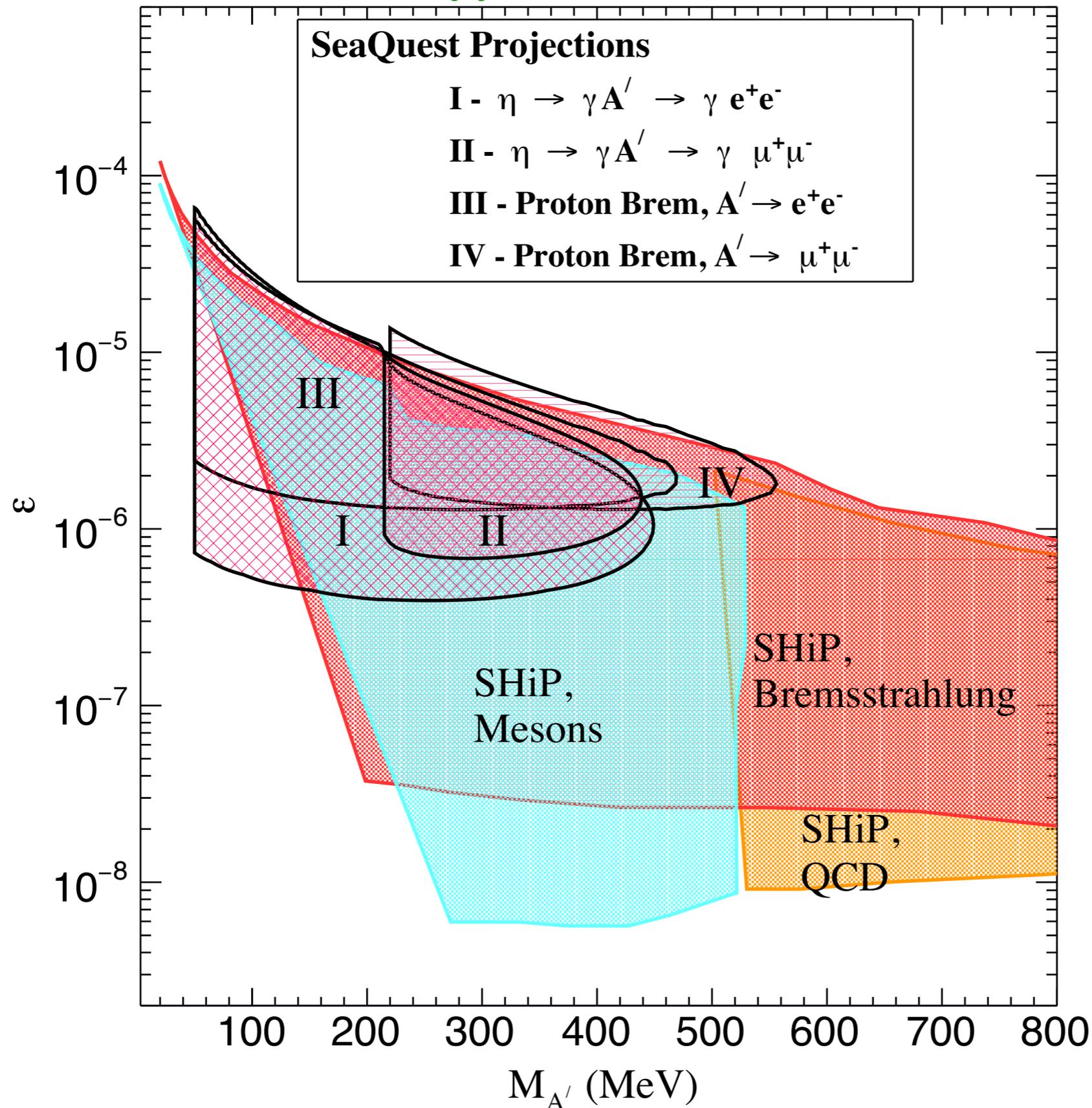
Studies at  /E1067 can open new windows on new physics...

- to possible parity-violating couplings
- to “strongly” weakly coupled hidden sectors

Backup Slides

Dark Photons: SeaQuest vs. SHiP

“apples & oranges”



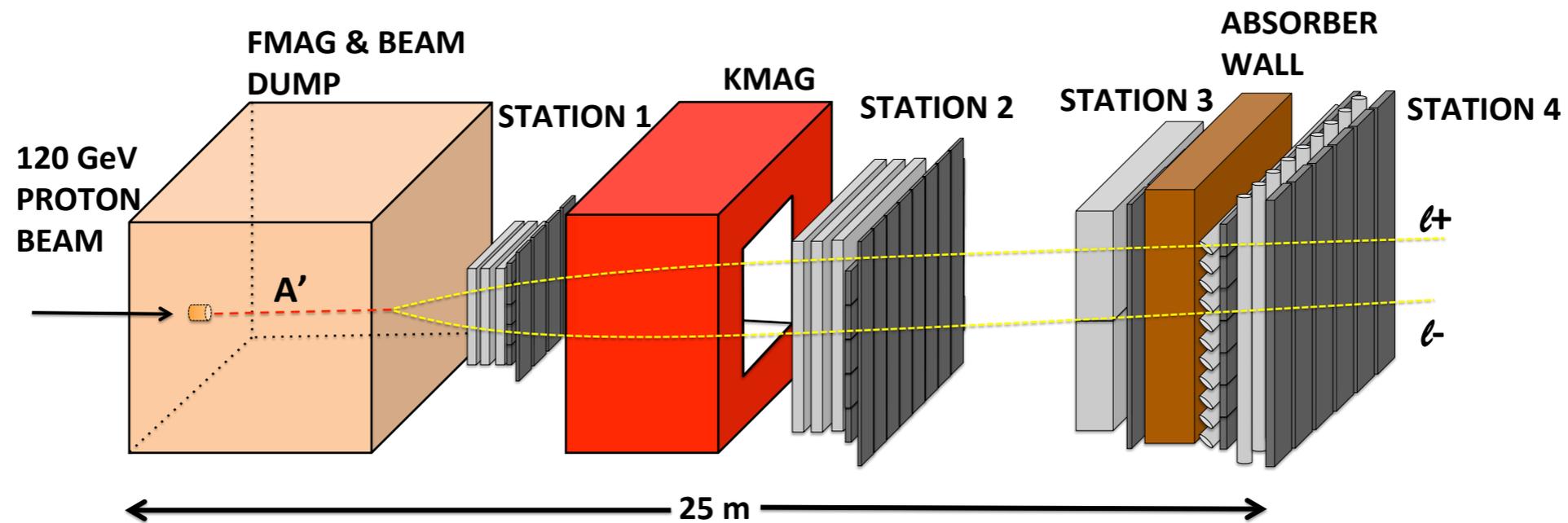
5 yr exposure
400 GeV beam
opt. detectors
(SHiP)

vs.

1 yr exposure
120 GeV beam
SeaQuest spect.

**Sharper constraints
are possible!**

Dark photon visibility estimates

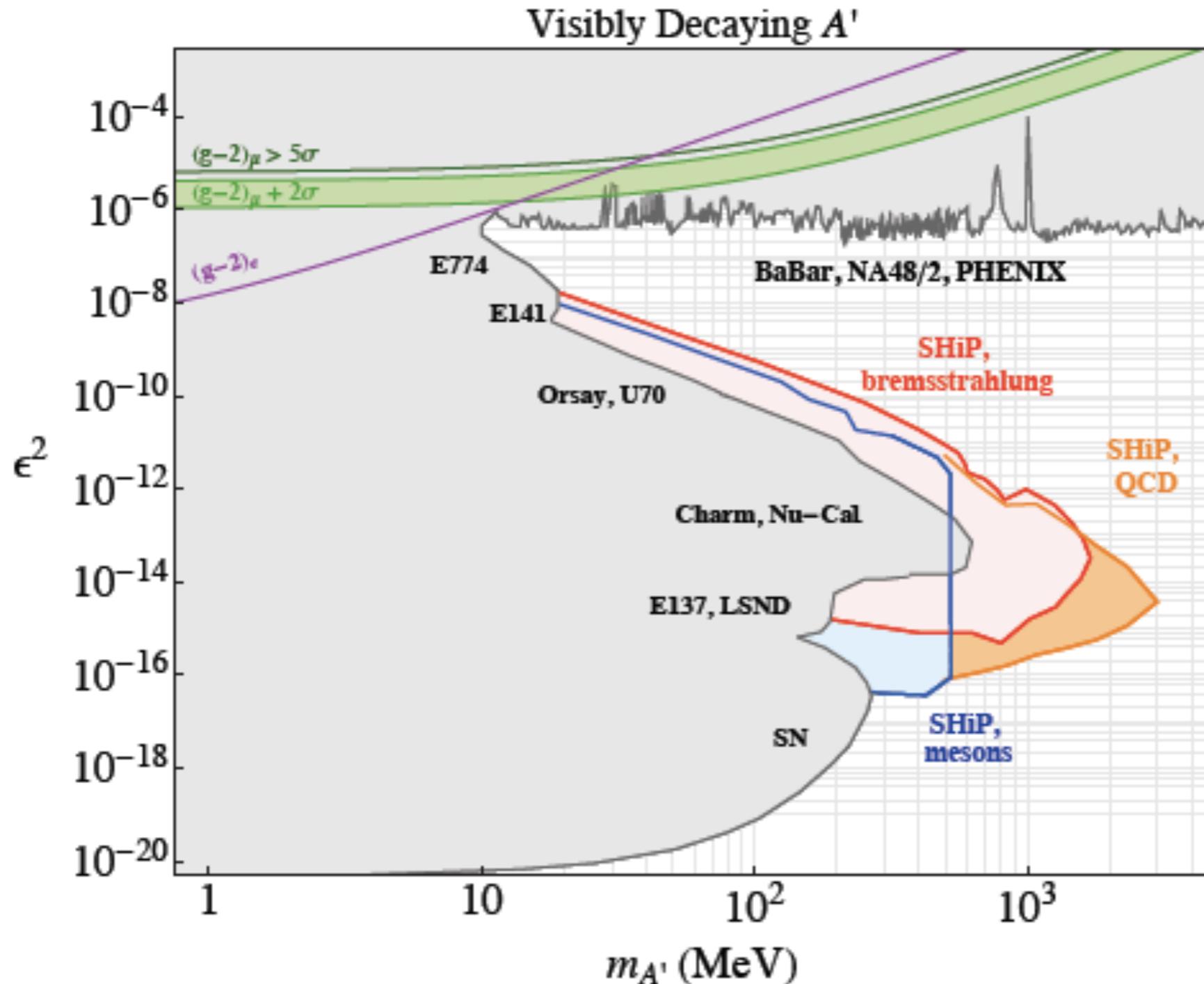


Utilize GEANT4 for eta & pion production yields

$$N_{\text{dec}} = N_0 \mathcal{B}(A' \rightarrow \ell^+ \ell^-) \exp\left(-\frac{l_{\text{dump}}}{c\tau_{A'}} \frac{m_{A'}}{|\vec{p}_{A'}|}\right) \times \left[1 - \exp\left(-\frac{l_{\text{fid}}}{c\tau_{A'}} \frac{m_{A'}}{|\vec{p}_{A'}|}\right)\right],$$

Dark Photons at SHiP (CERN)

SeaQuest Projections are competitive



[Alekhin et al., arXiv: 1504.04855]

π and η radiative decays

Note decay chains sensitive to new dark gauge bosons

A' search can include broader possibilities

$$\pi^0 \rightarrow \gamma A' \rightarrow \gamma e^+ e^-$$

$$\eta \rightarrow \gamma A' \rightarrow \gamma \ell^+ \ell^- \quad \text{with } \ell \in e, \mu$$

$$\eta \rightarrow \gamma A' \rightarrow \gamma \pi^+ \pi^-$$

Could also search for a dark Higgs
or particularly for a dark Z

$$\eta \rightarrow \pi^0 h_d \rightarrow \pi^0 \pi^+ \pi^-$$

$$K^\pm \rightarrow \pi^\pm Z_d \rightarrow \pi^\pm \ell^+ \ell^-$$

[Leutwyler & Shifman, 1990;
Donoghue, Gasser, Leutwyler, 1990]

[Davoudiasl, Lee, Marciano, 2014]

π and η radiative decays

Note radiative decays are controlled
by the axial anomaly in QCD

Validate procedures through cf. with SM partial widths;
transitions form factors are important! [Masjuan, 2012...]

$$\Gamma(\pi^0 \rightarrow \gamma A' \rightarrow \gamma e^+ e^-) = \Gamma_0 \int_{r^2}^1 dx \frac{\alpha}{\pi} \varepsilon^4 |f(1, 0, x)|^2$$

$$\times \frac{2(1-x)^3 x}{\left((x-x_{A'})^2 + x_{A'} \tilde{\Gamma}_{A'}^2 \right)} \beta \left(1 + \frac{r^2}{2x} \right)$$

$$x_{A'} = m_{A'}^2 / M_\pi^2$$

$$\tilde{\Gamma}_{A'} = \Gamma_{A'} / M_\pi$$

We use the narrow width
approximation throughout:

$$\Gamma(\pi^0 \rightarrow \gamma A' \rightarrow \gamma e^+ e^-) = |f(1, 0, x_{A'})|^2 \Gamma(\pi^0 \rightarrow \gamma A') \mathcal{B}(A' \rightarrow e^+ e^-)$$