

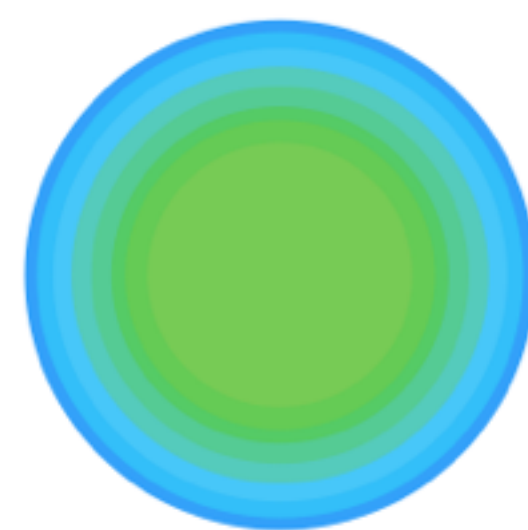
The Initial Stages of Colliding Nuclei and Hadrons

Prithwish Tribedy

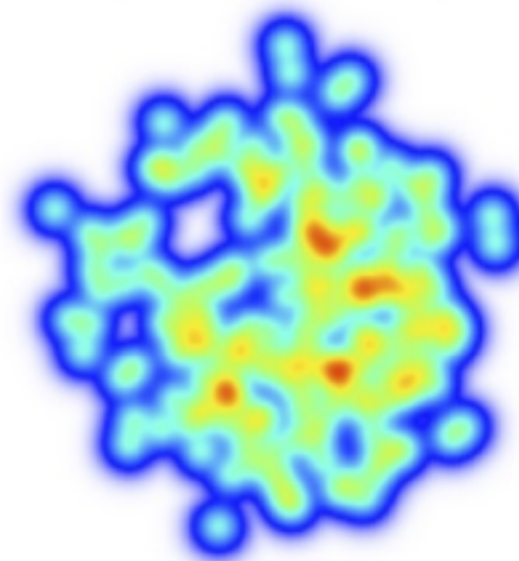


Hot Quarks 2016, workshop for young scientist on the physics of ultra relativistic A-A collisions

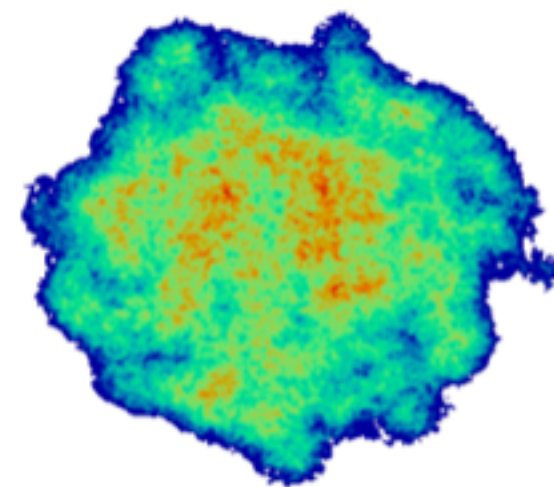
September 12-17, 2016, on South Padre Island, TX, USA



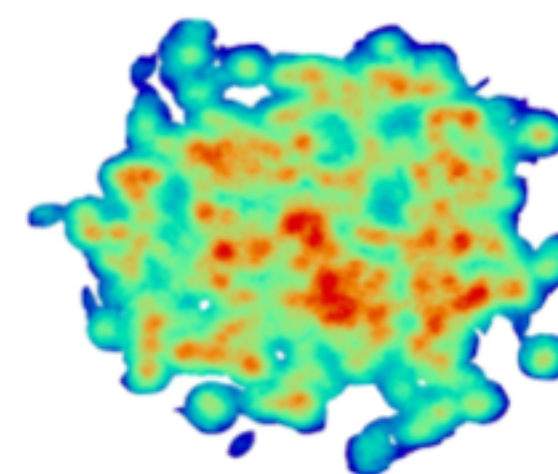
HQ'04



HQ'08



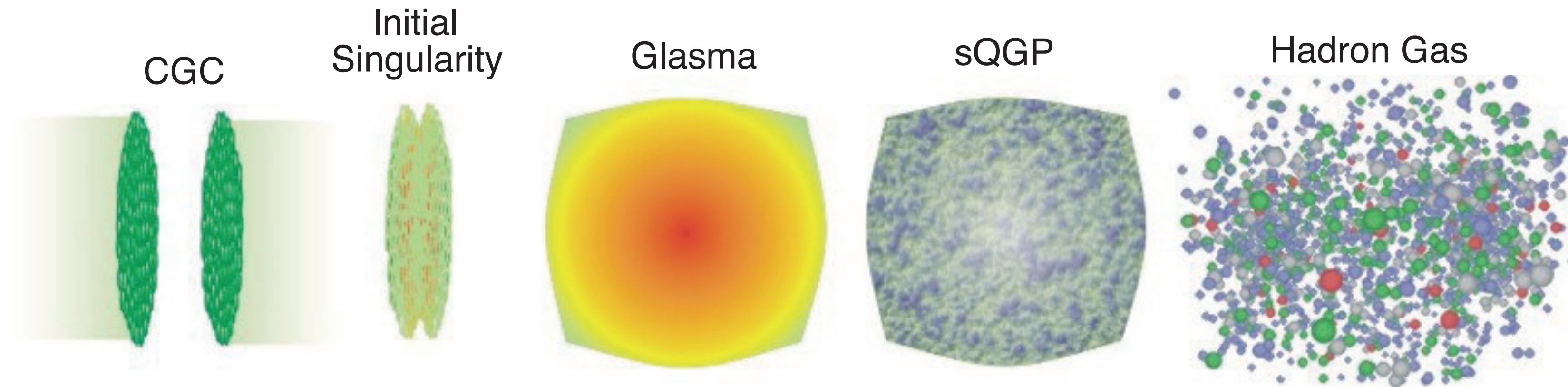
HQ'12



HQ'16

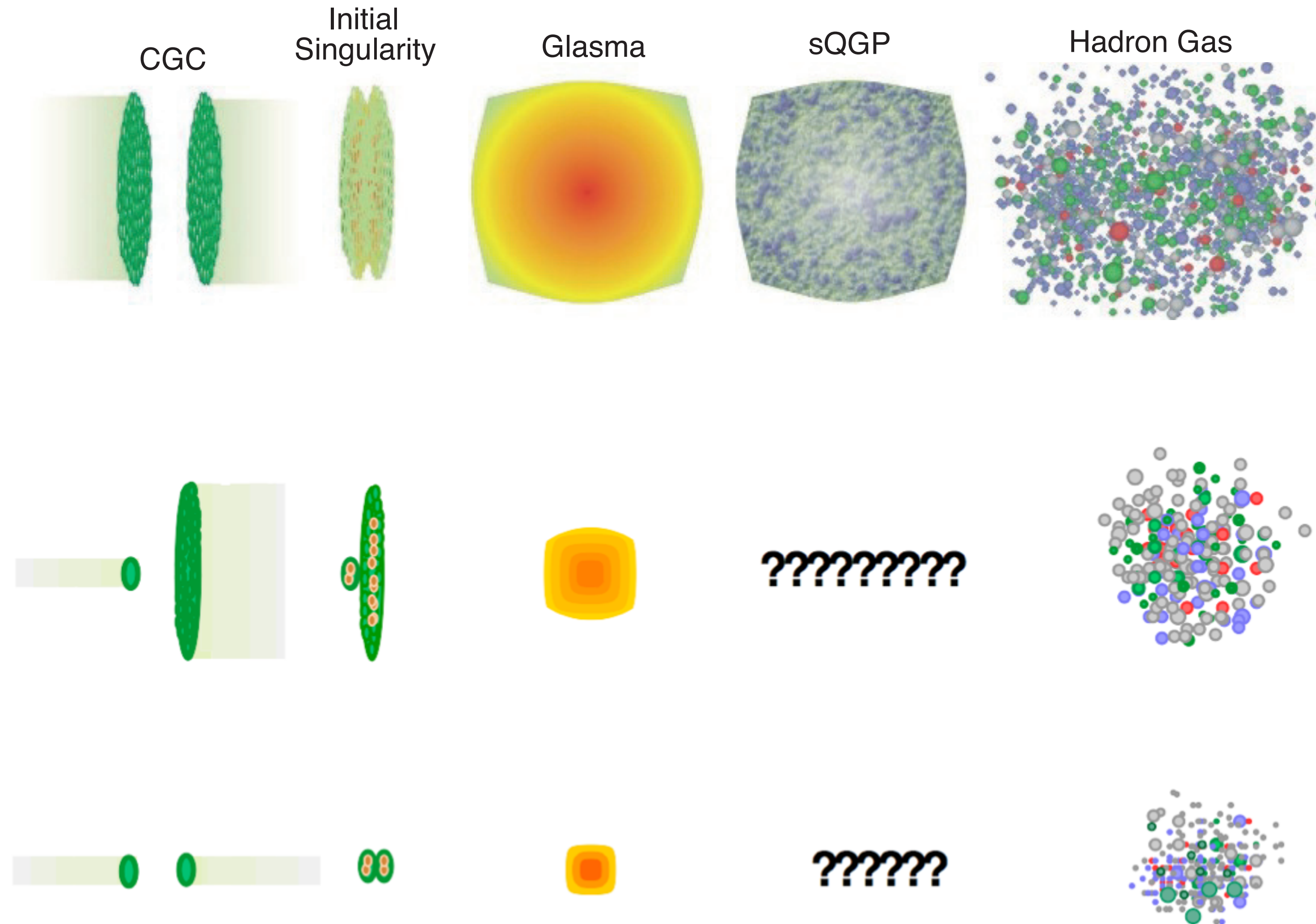


A conventional picture of collisions

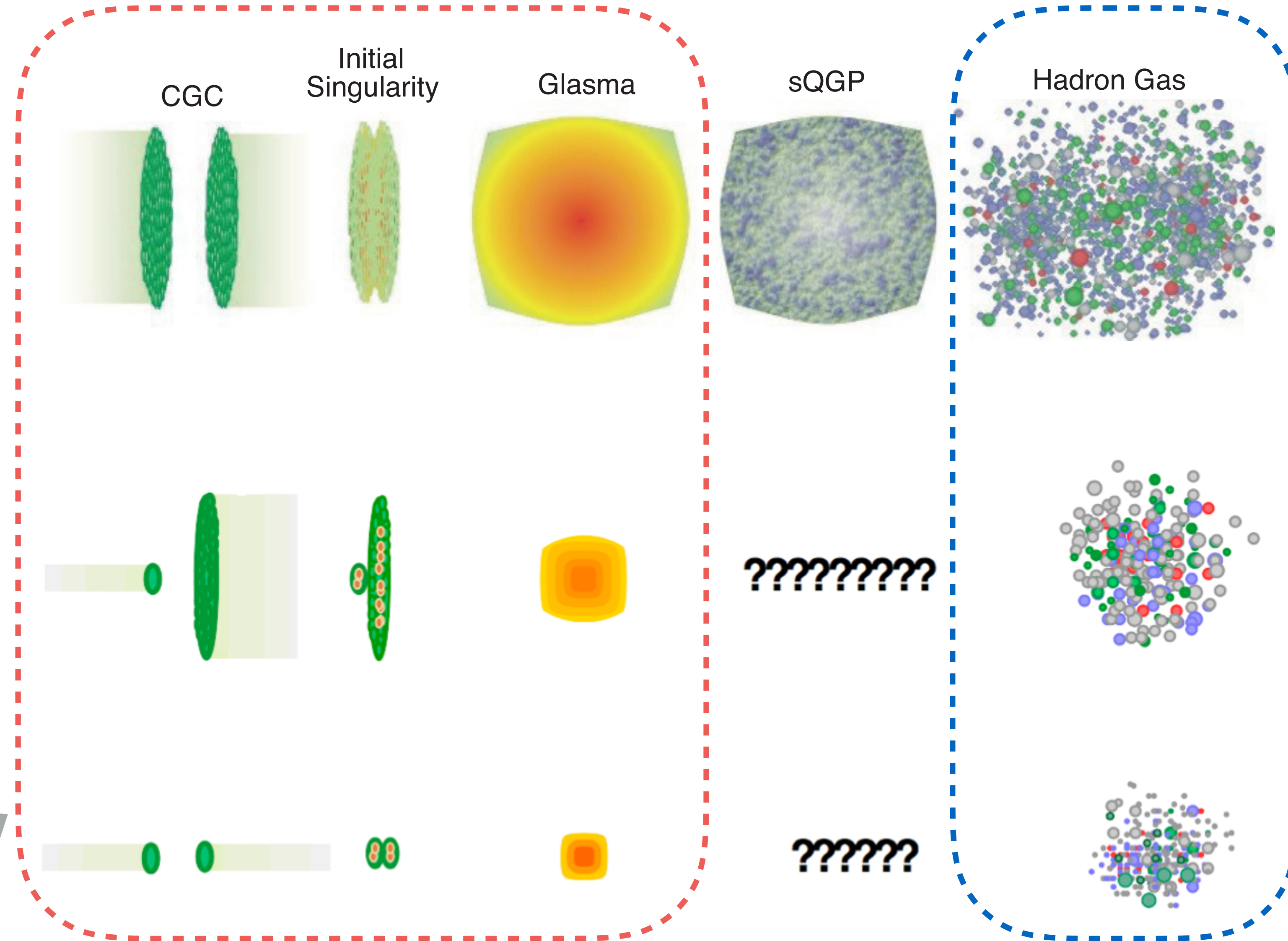


You have seen this before
but let me add two more...

A conventional picture of collisions

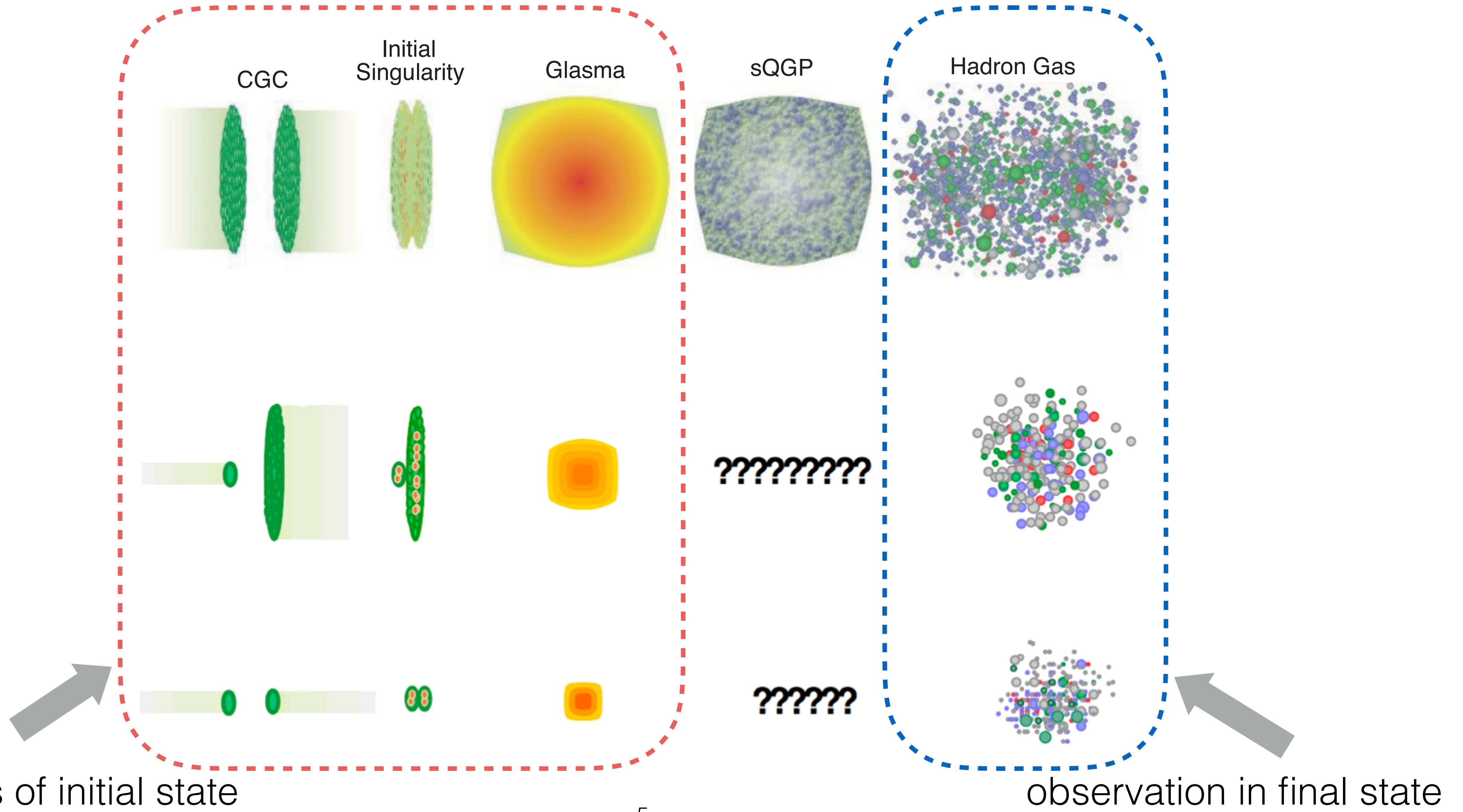


A conventional picture of collisions



This talk

A conventional picture of collisions



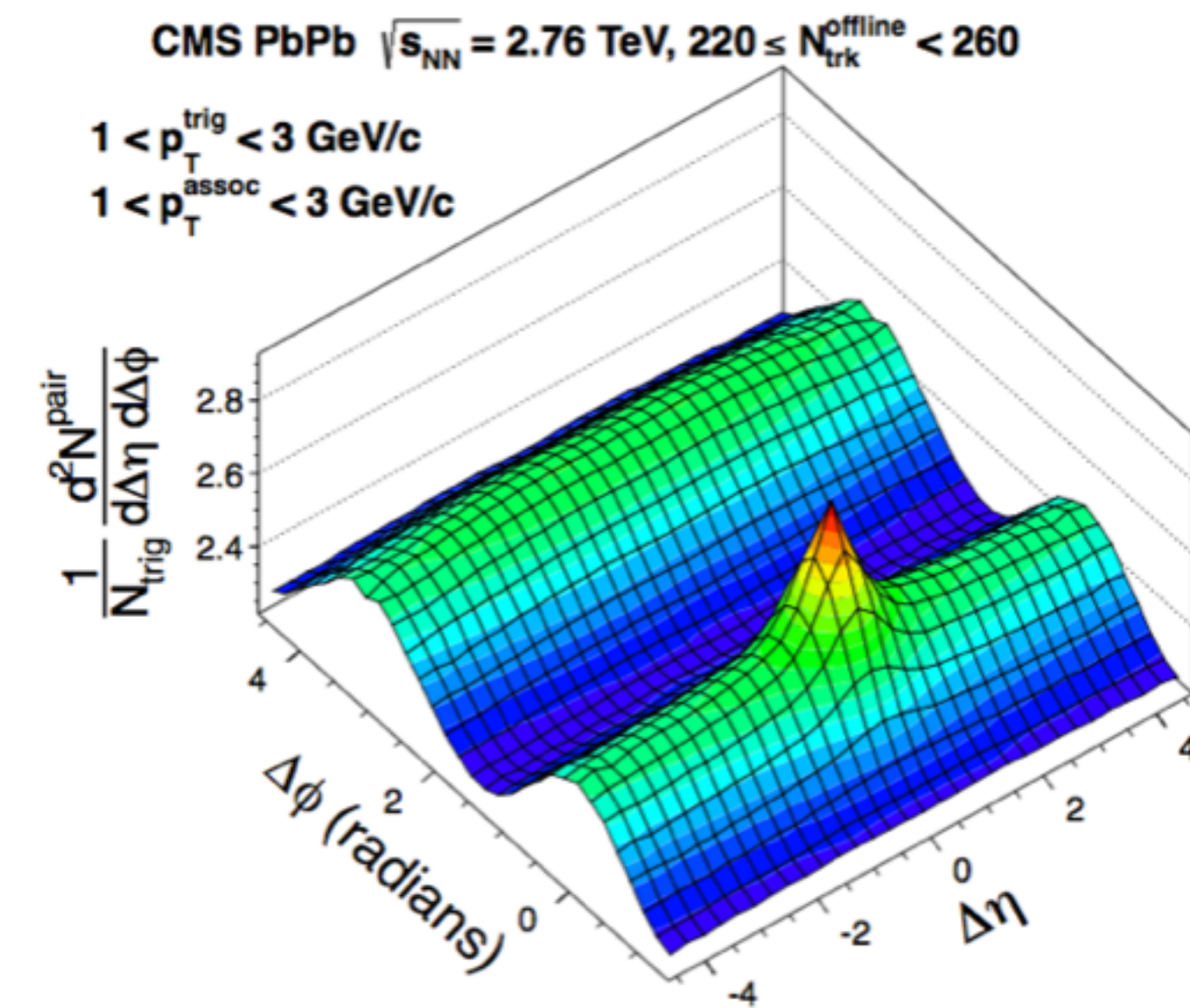
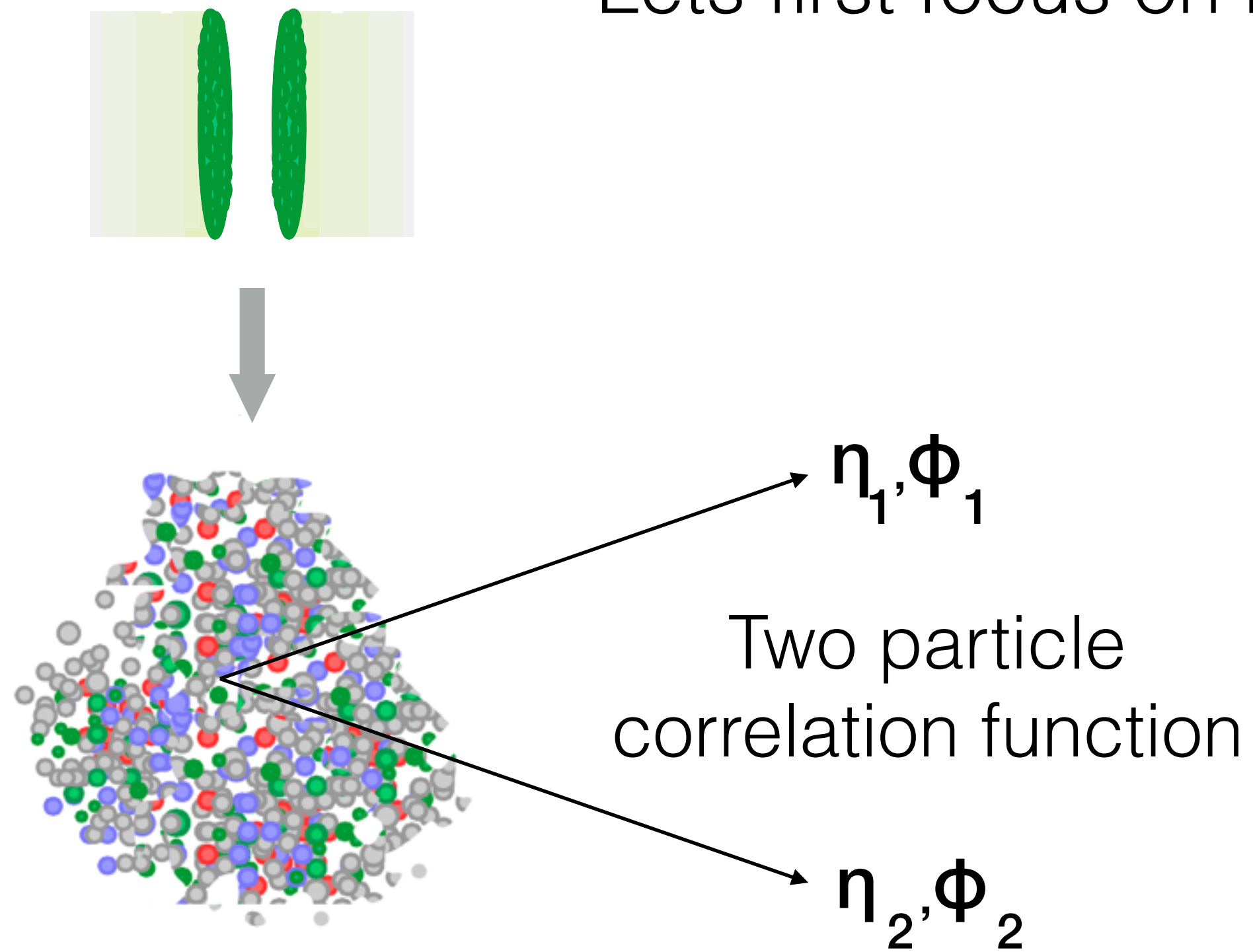
How can we possibly know about initial states ?



How can we possibly know about initial states ?

Lets first focus on heavy ion collisions

talk by Soumya



Long range correlations

talk by Soumya

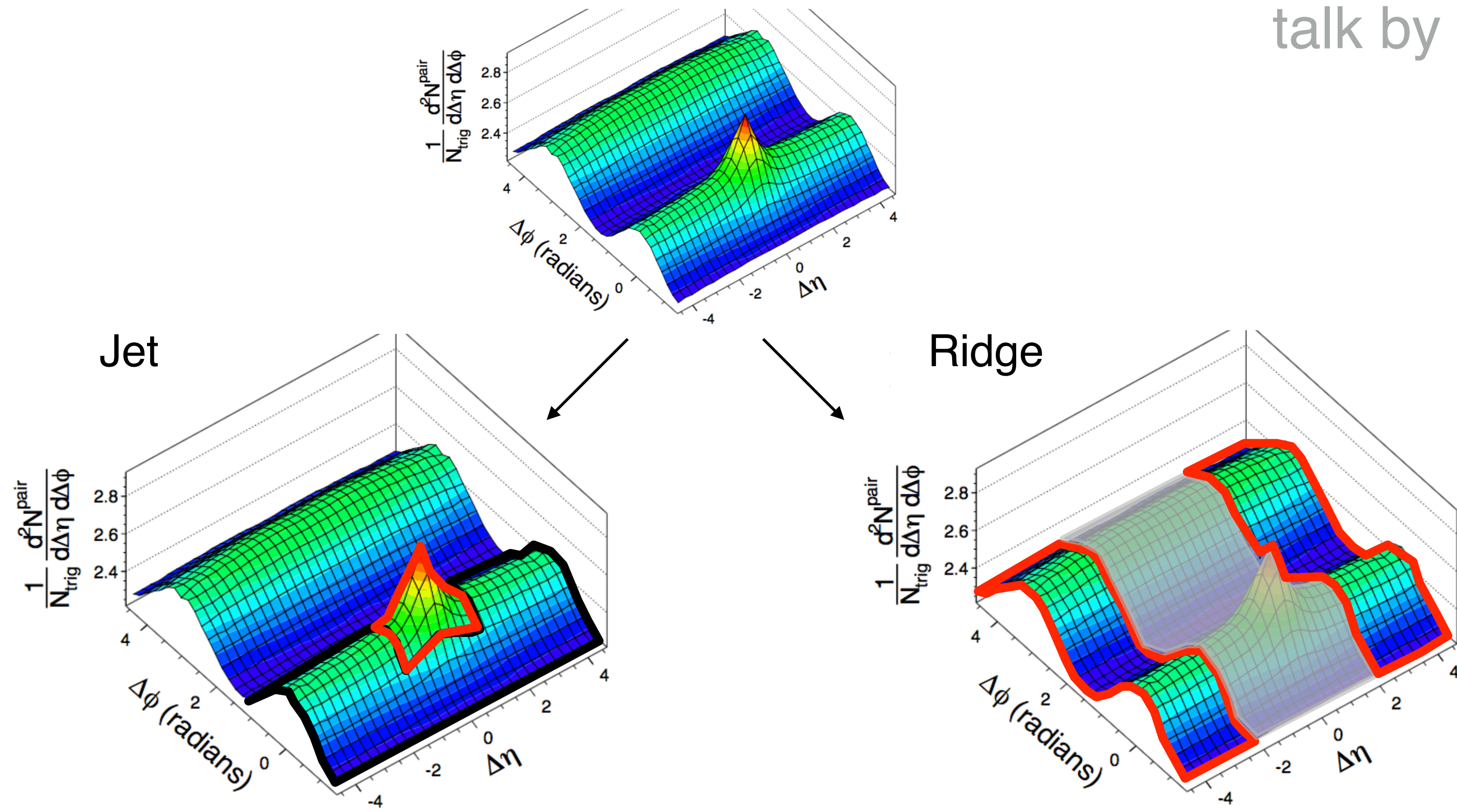
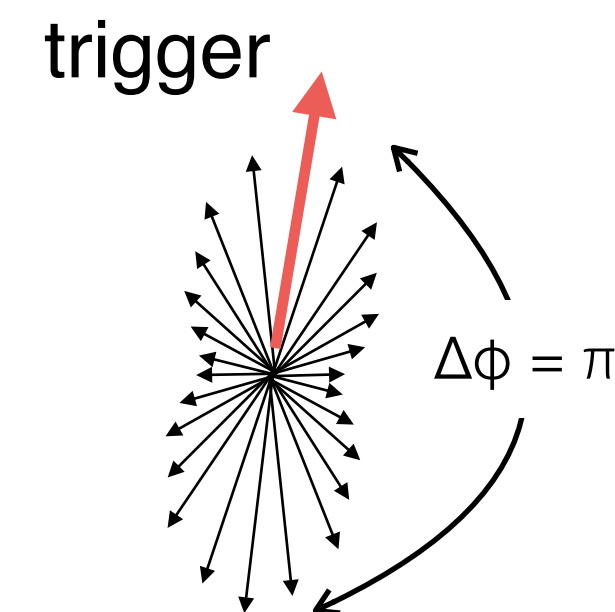
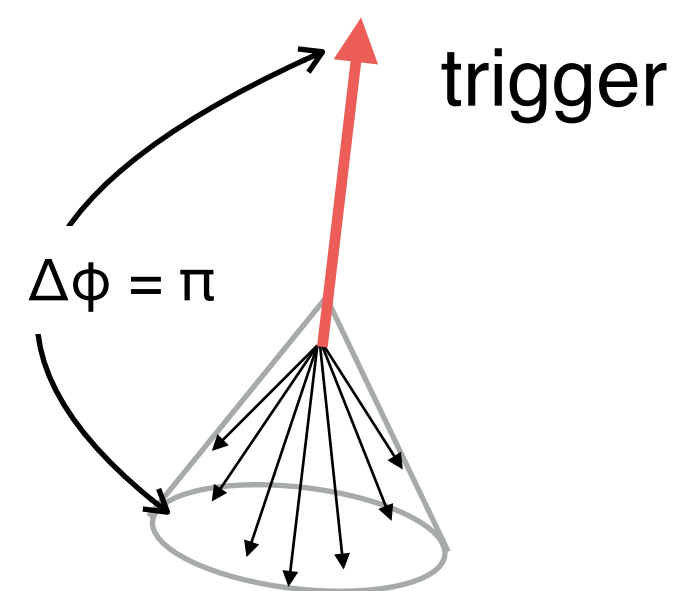
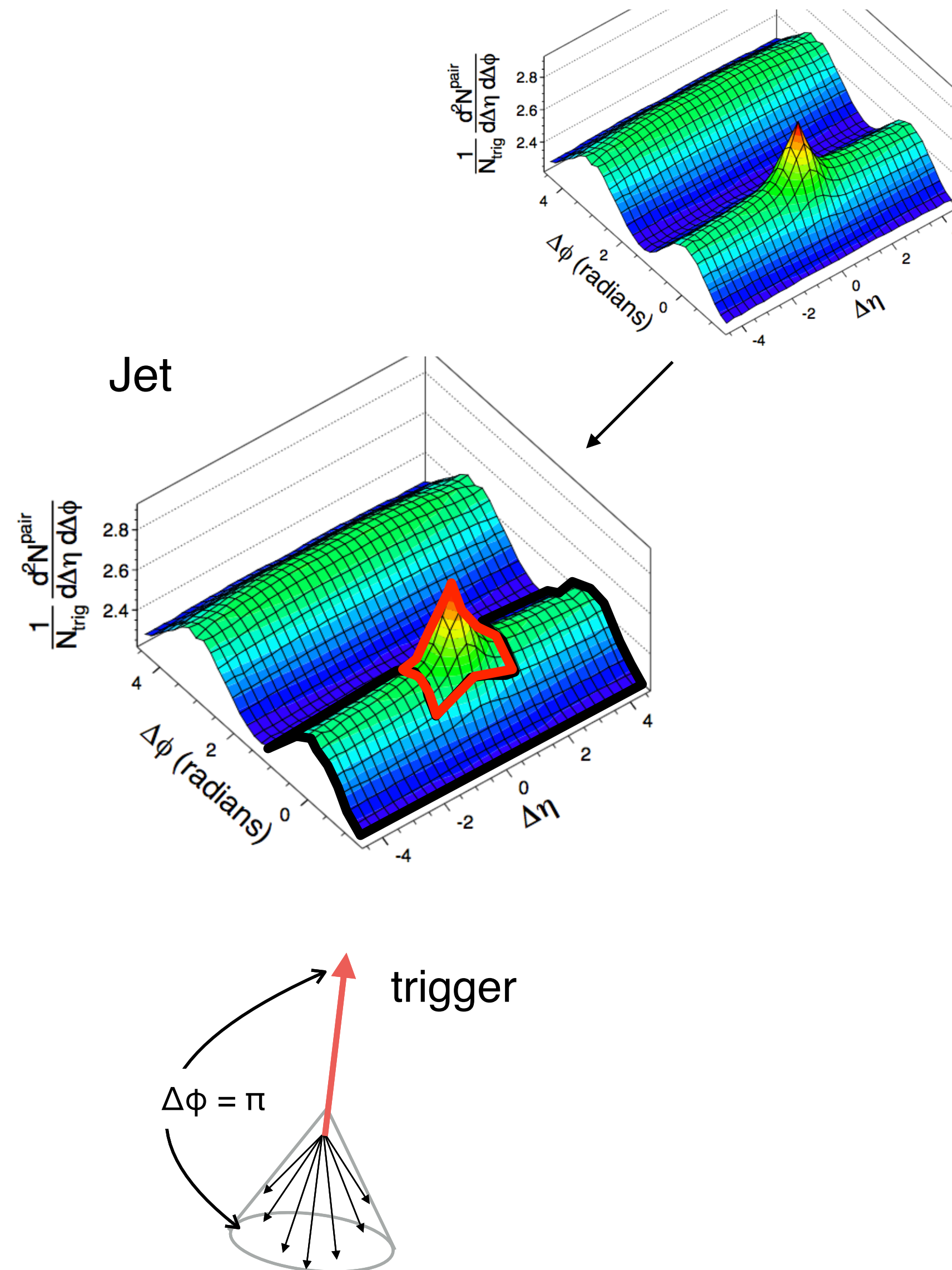


fig : Quan Wang (ISMD'16)

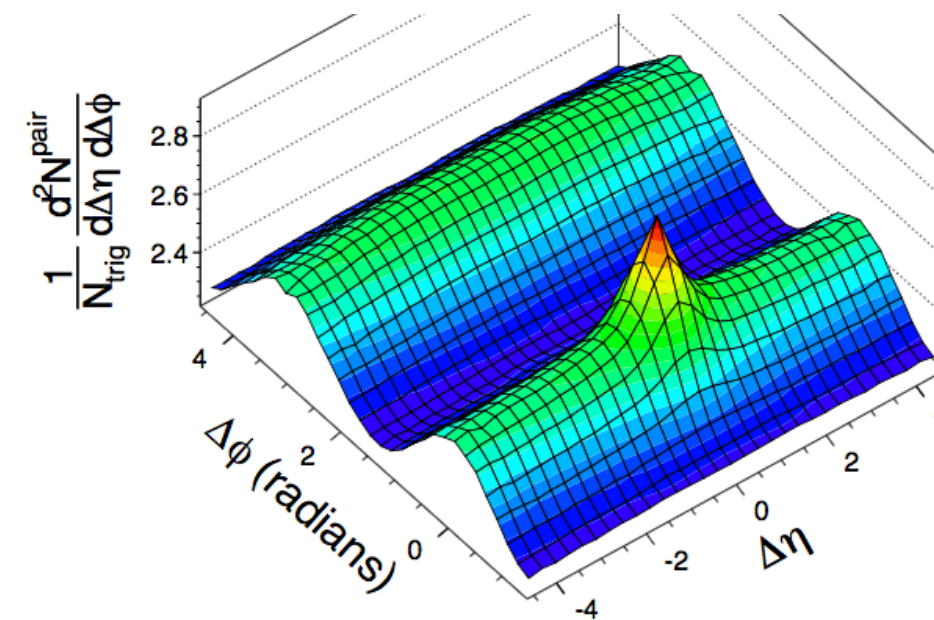


Long range correlations

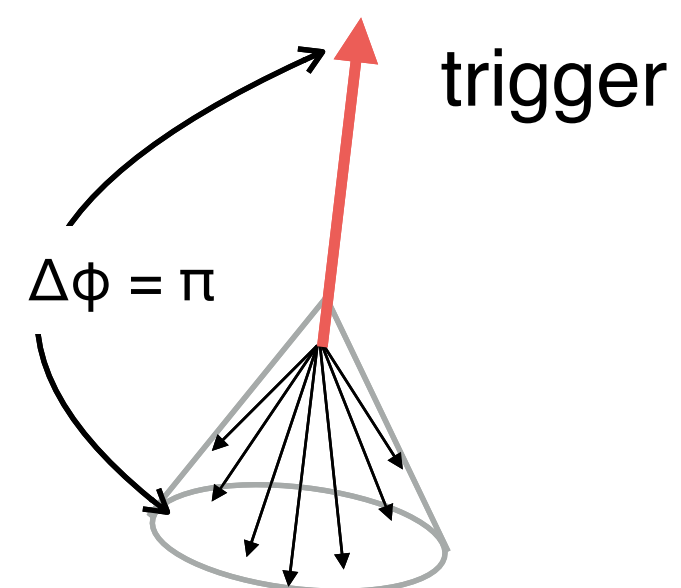
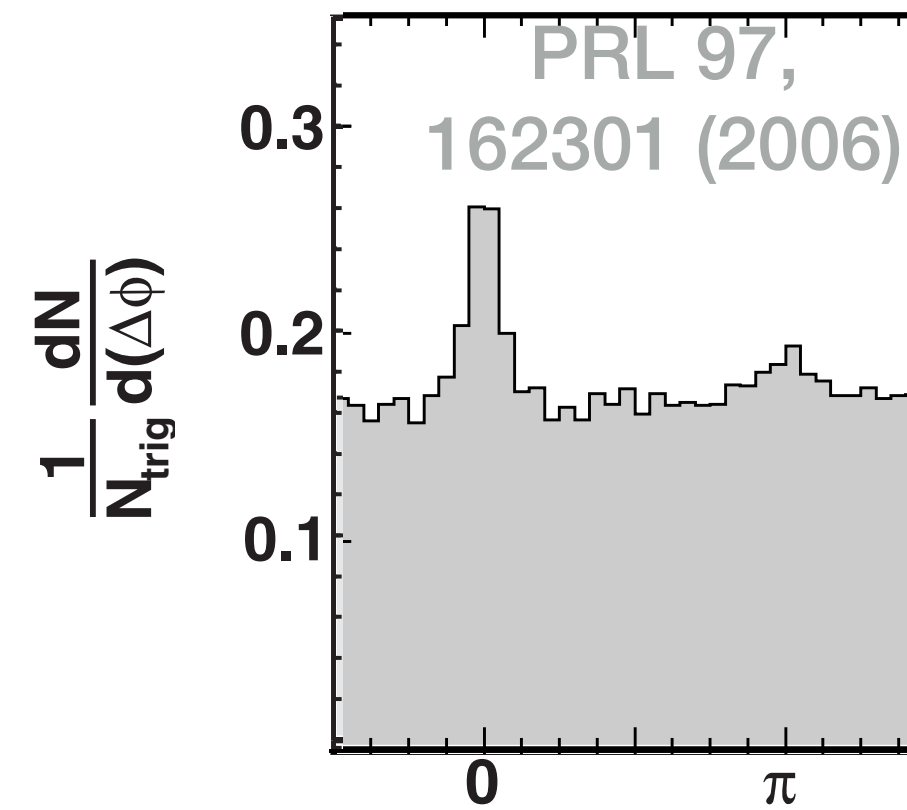
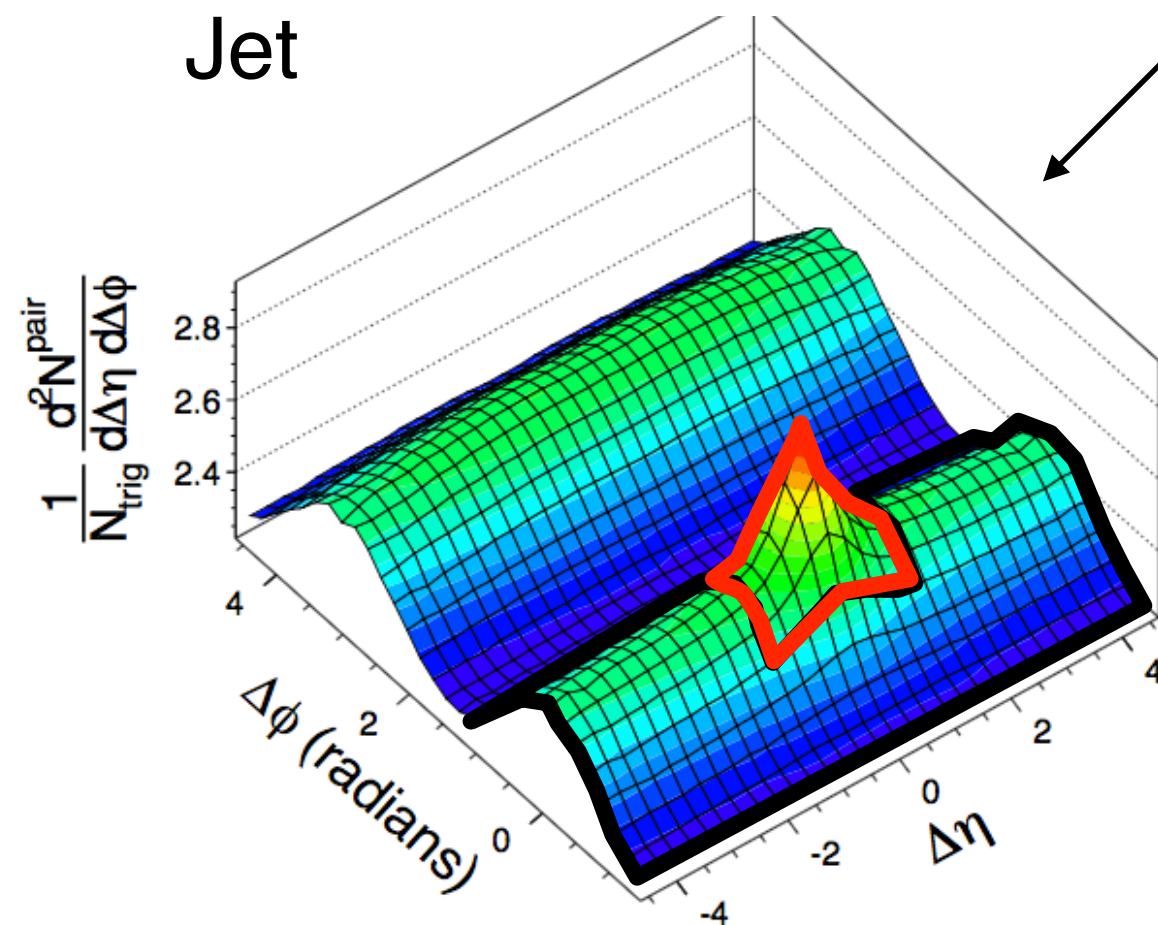


Long range correlations

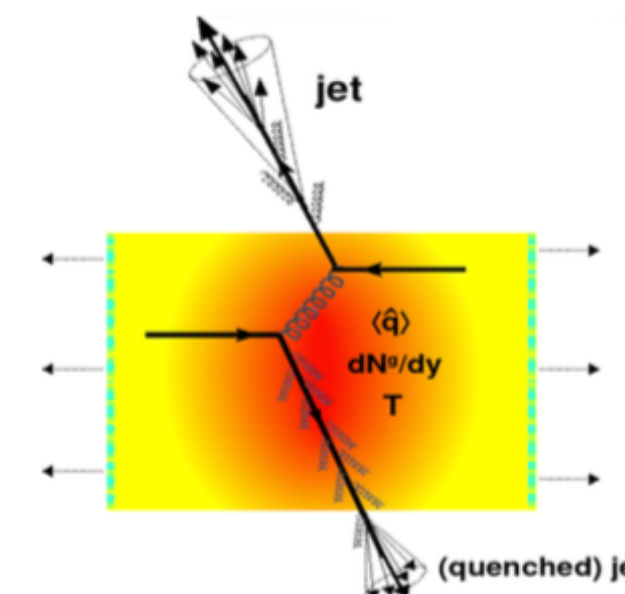
fig: Quan Wang
(ISMD'16)



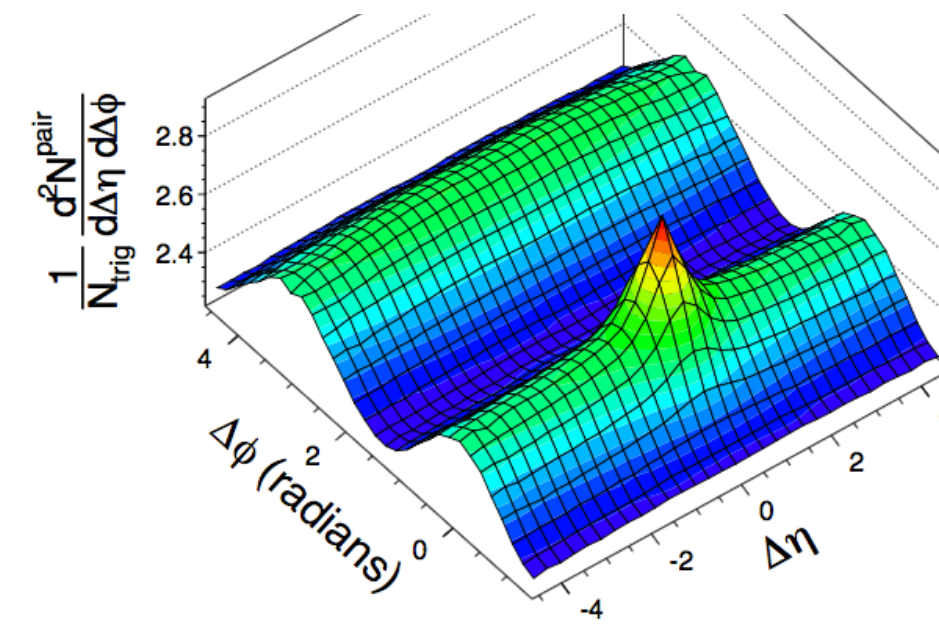
Jet



signature of
jet-quenching



Long range correlations



Ridge

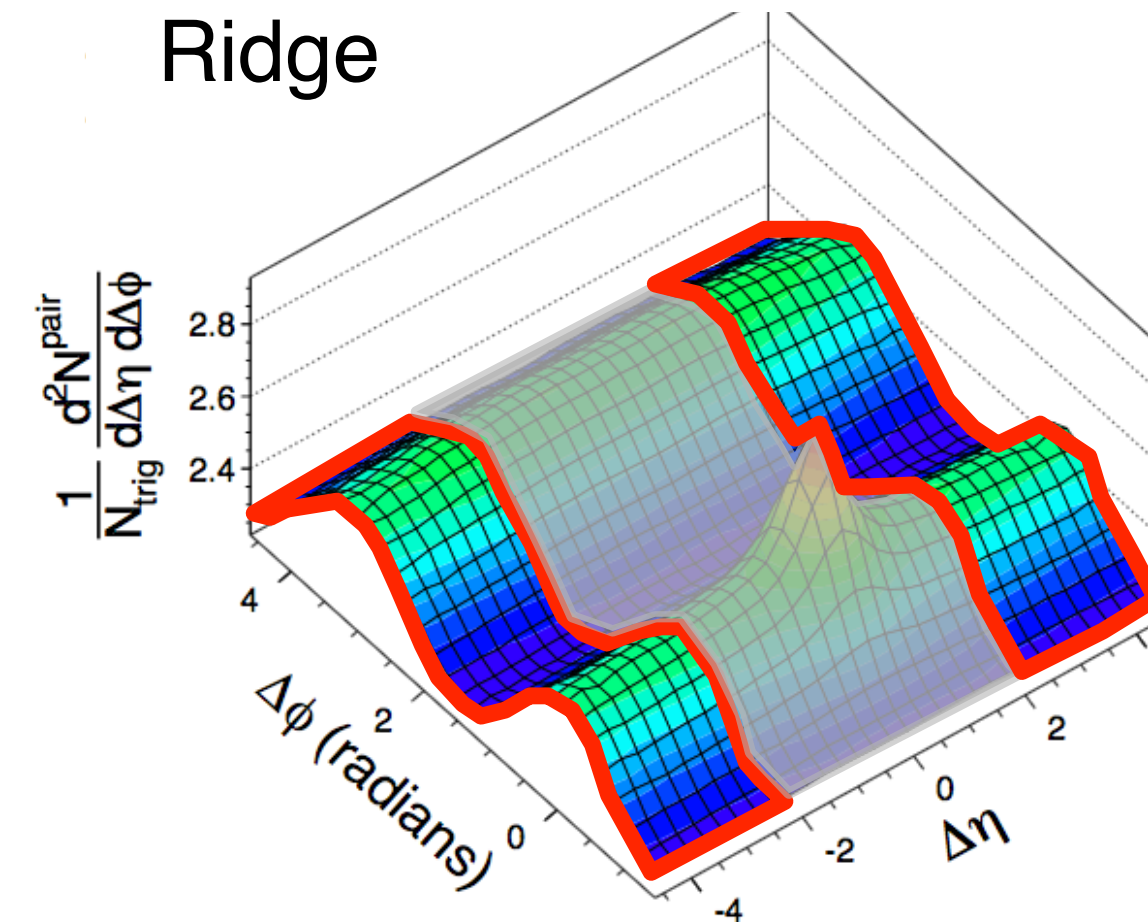
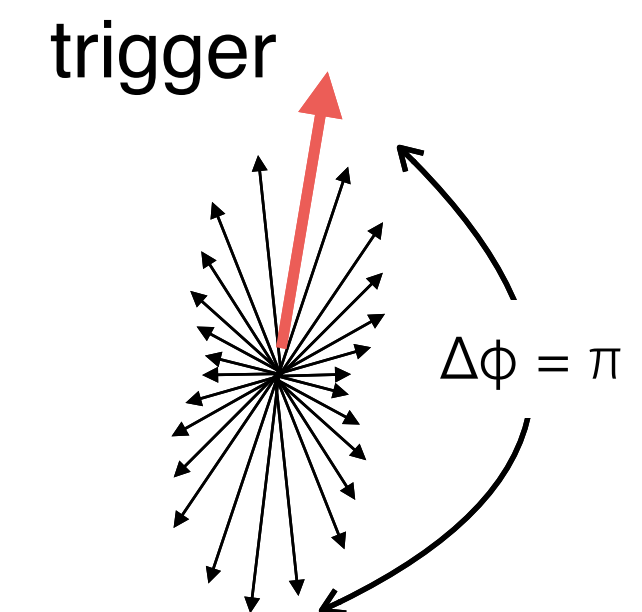
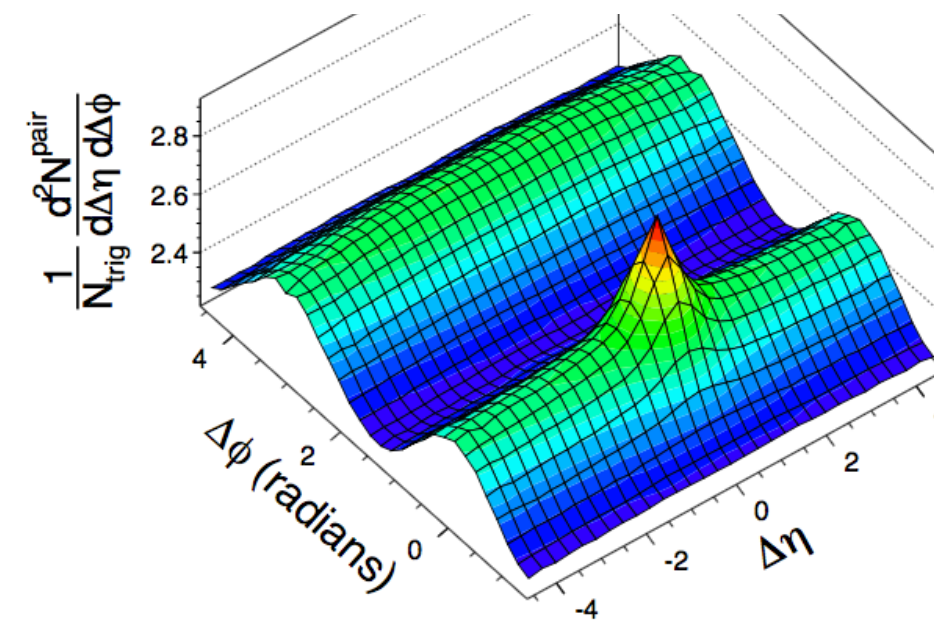


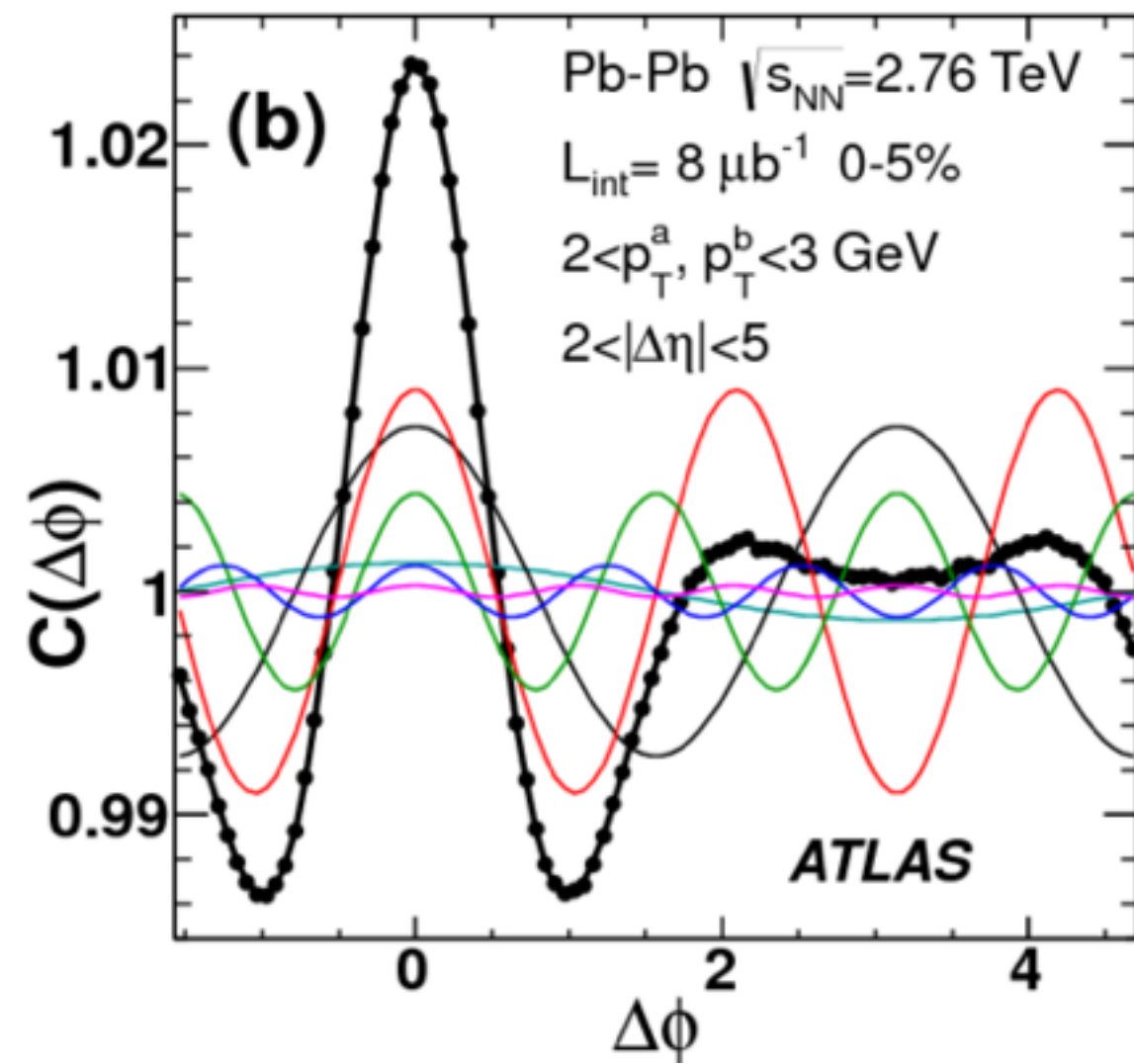
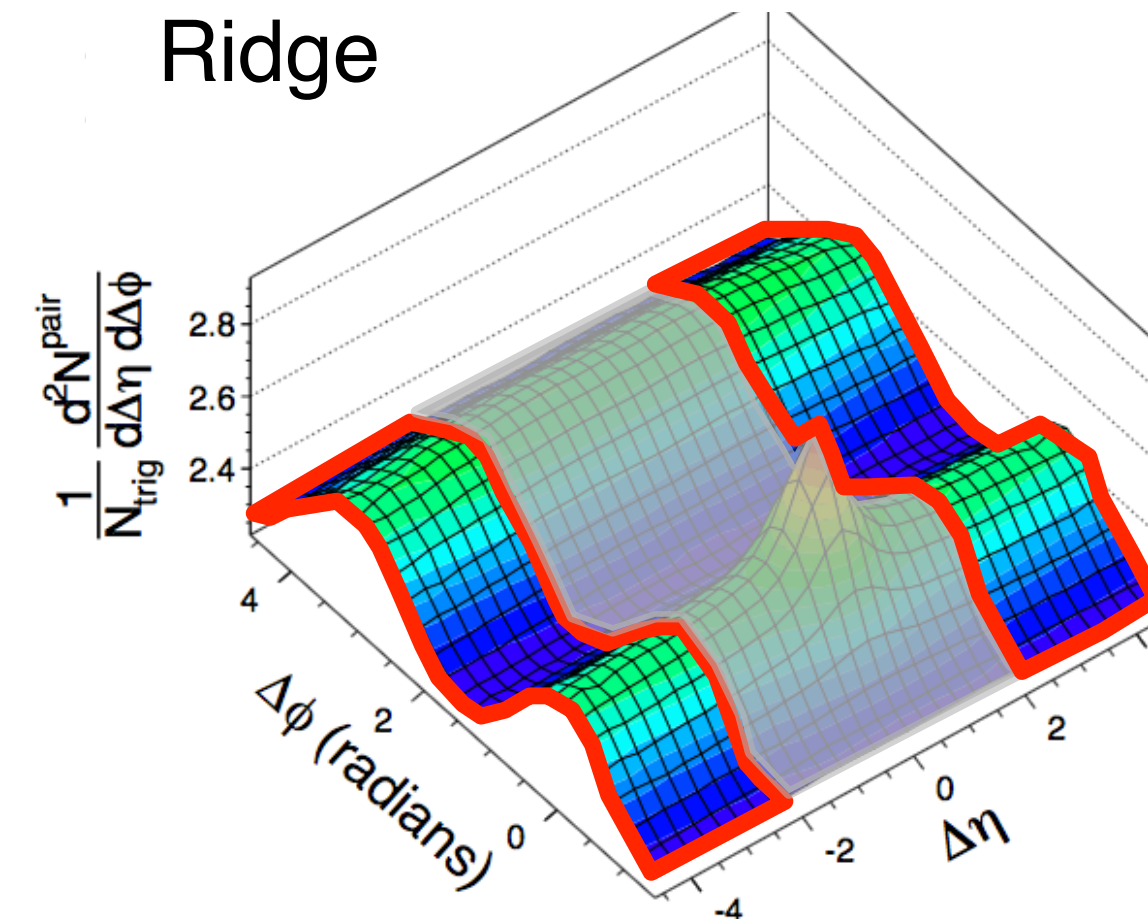
fig: Quan Wang (ISMD'16)



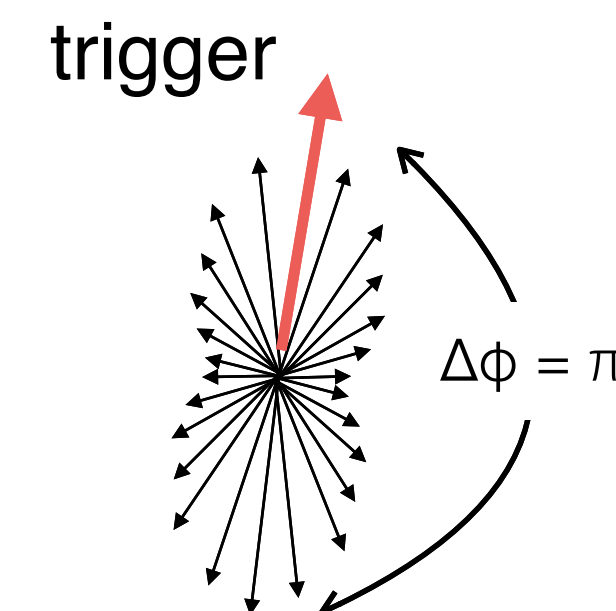
Long range correlations



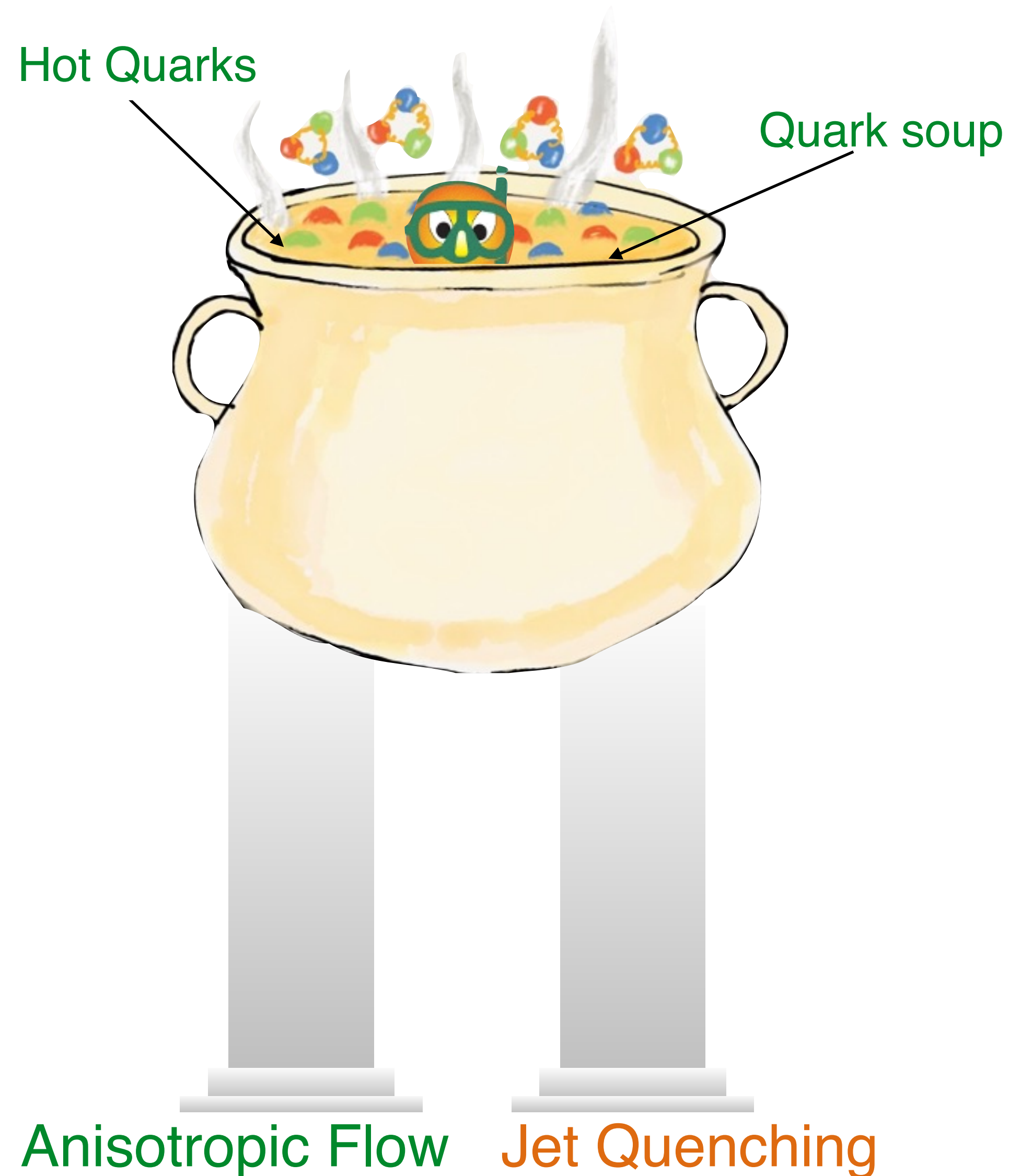
Ridge



signature of
anisotropic flow



Signature of medium formation



Evidence of medium formation

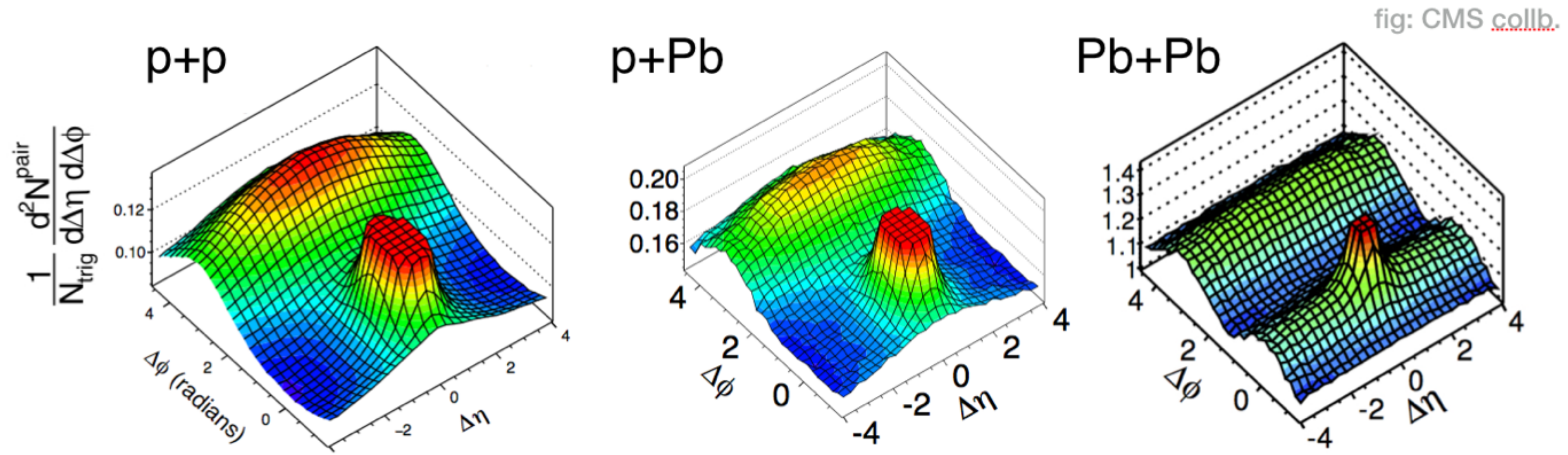


The two major pillars are
signature of flow
and jet-quenching

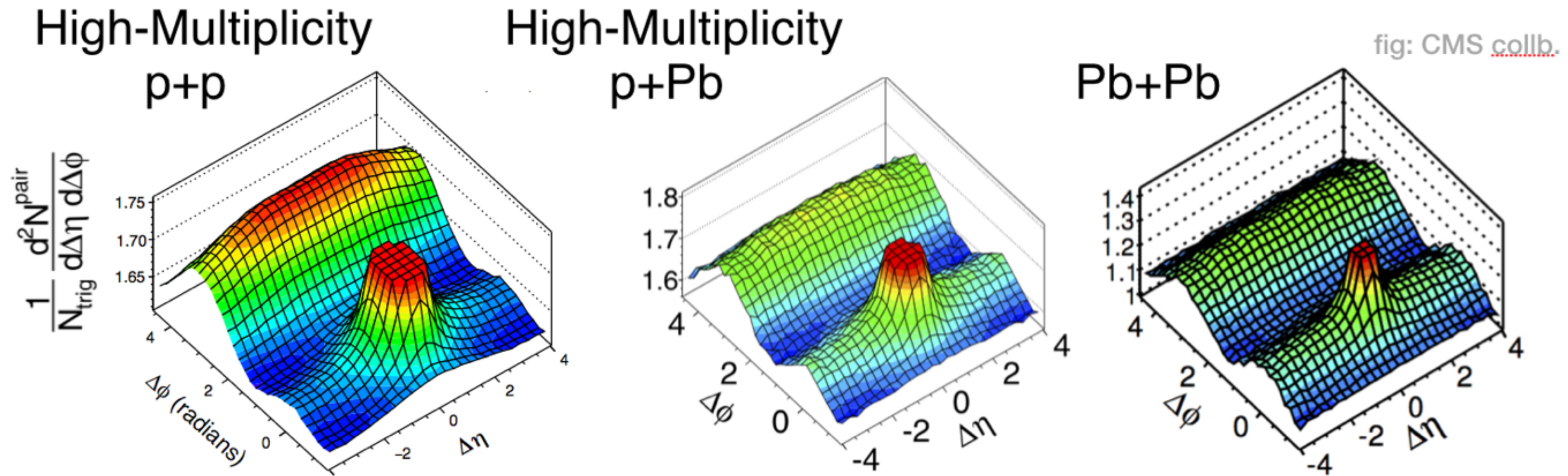


Formation of a thermalized
medium that shows collectivity in
heavy ion collisions

The results that changed everything

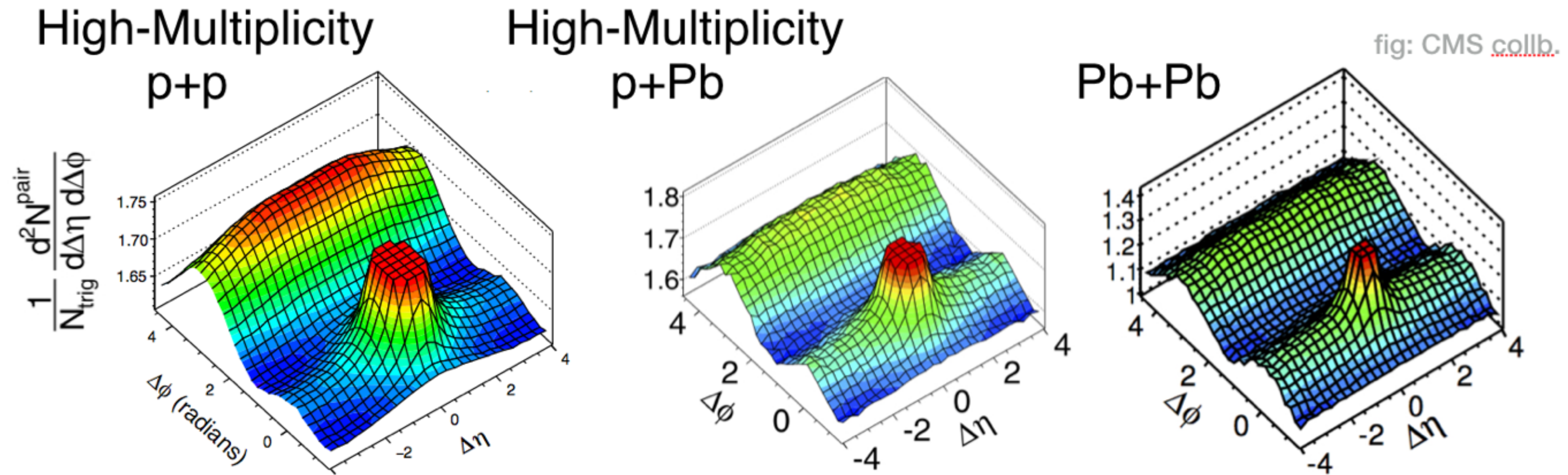


The results that changed everything



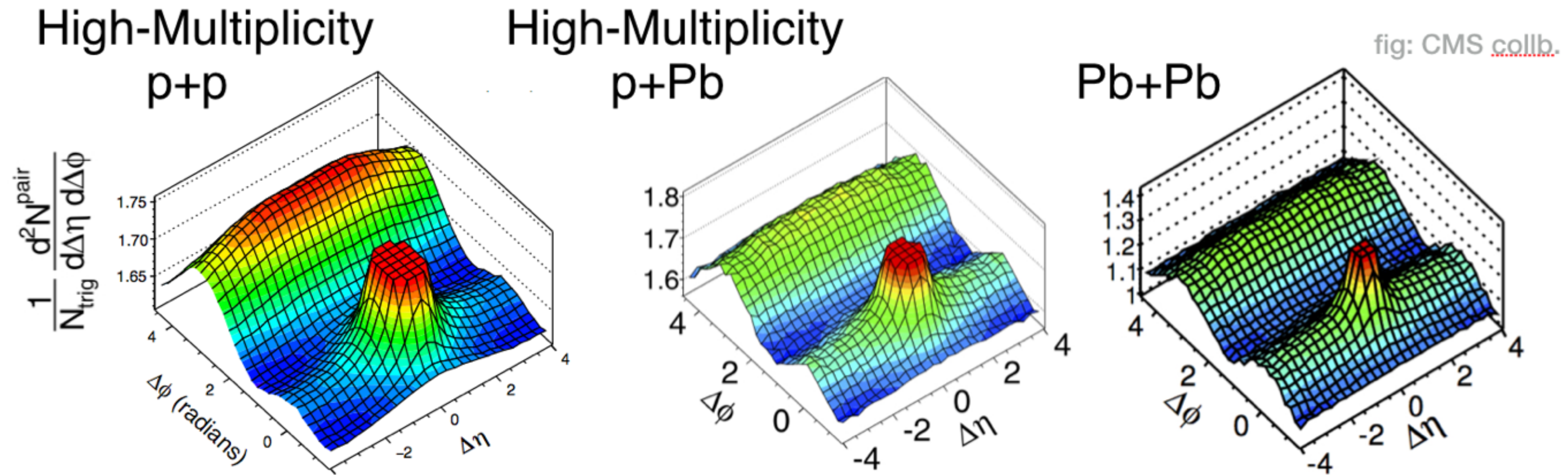
Striking similarity

The results that changed everything



Is this hydro or CGC ?
Is this signature of collectivity ?
Is this signature of QGP ?

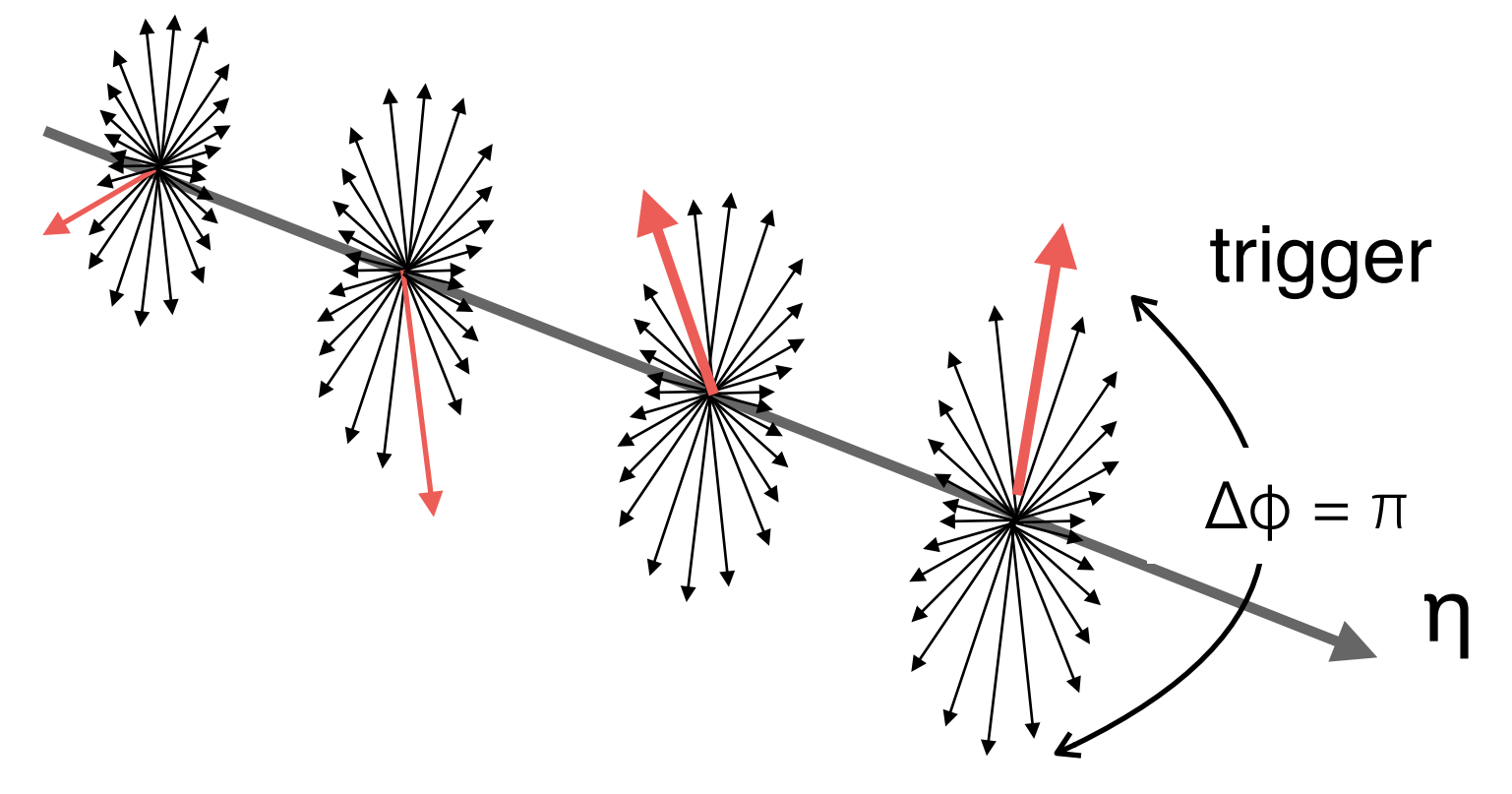
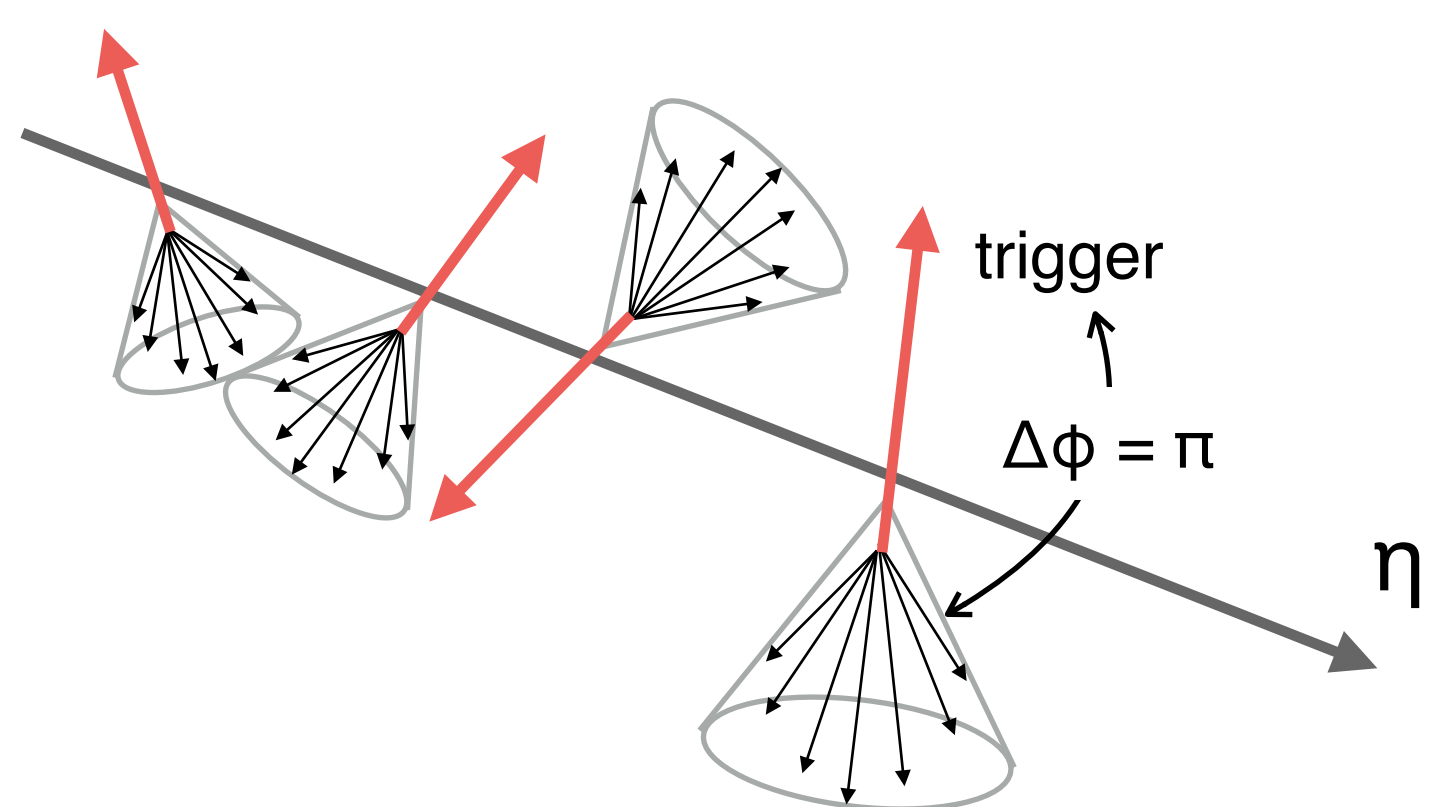
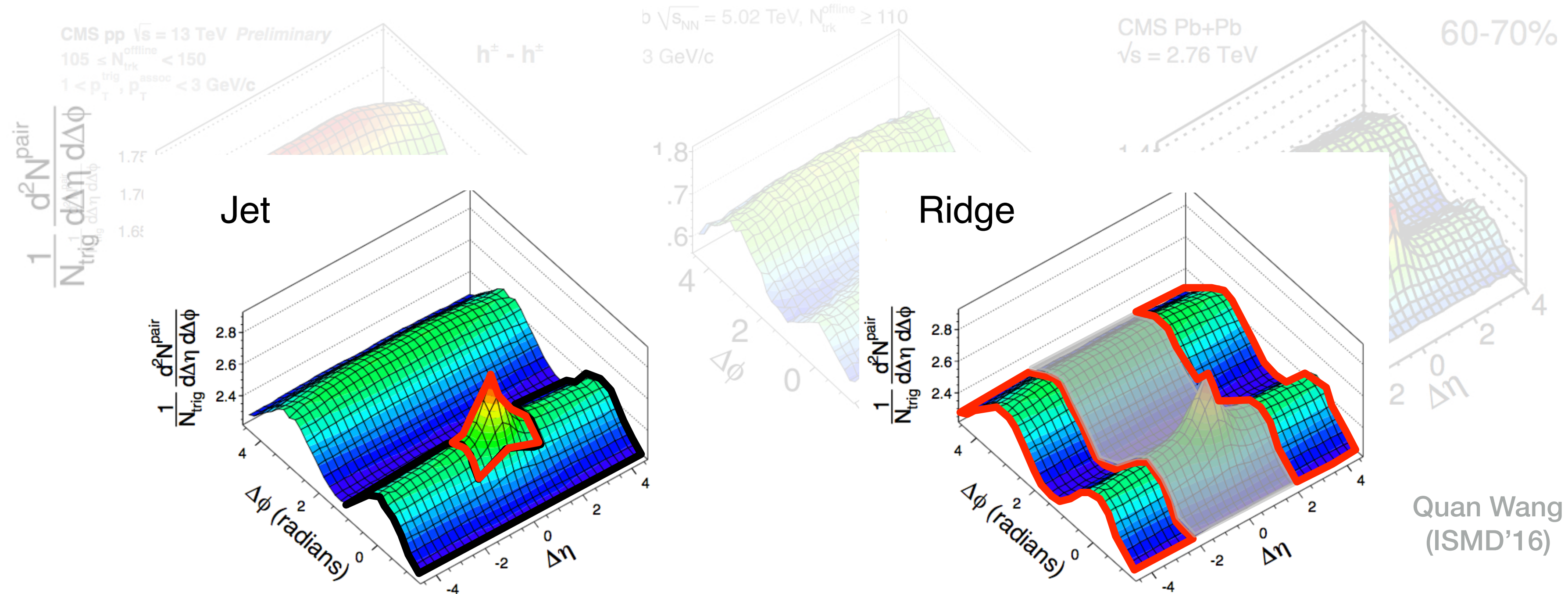
The results that changed everything



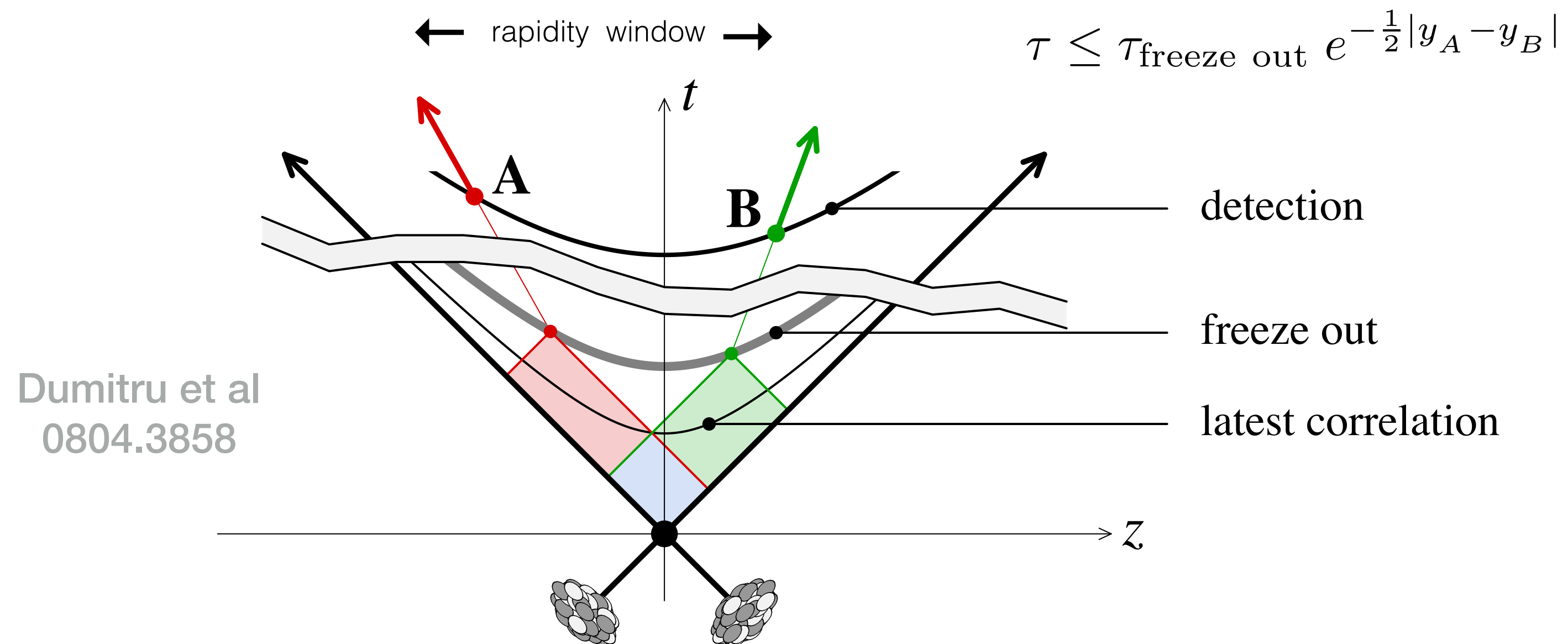
~~Is this hydro or CGC ?~~
~~Is this signature of collectivity ?~~
~~Is this signature of QGP ?~~

Lets focus on the long range correlations

talk by Soumya

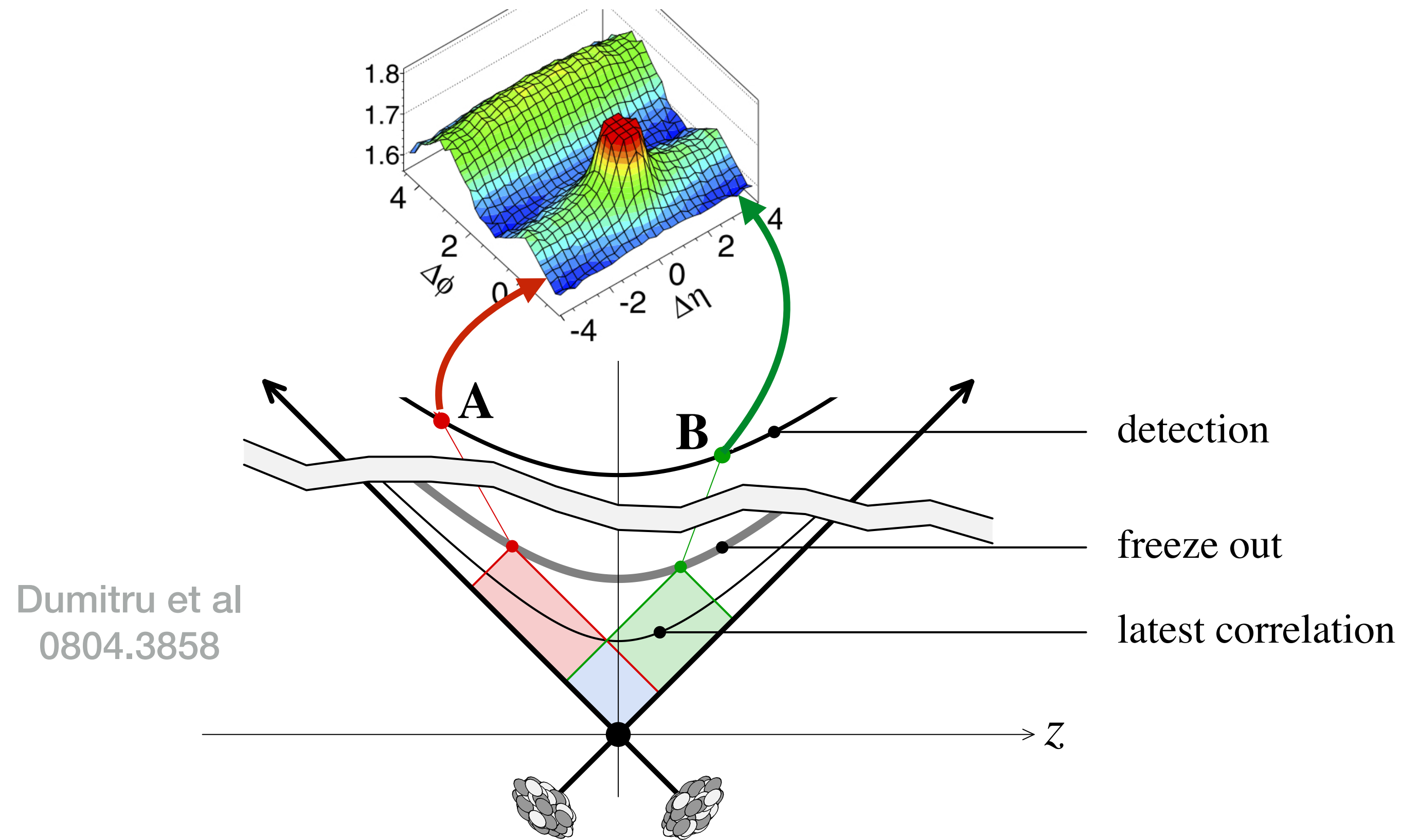


The origin of long range correlations



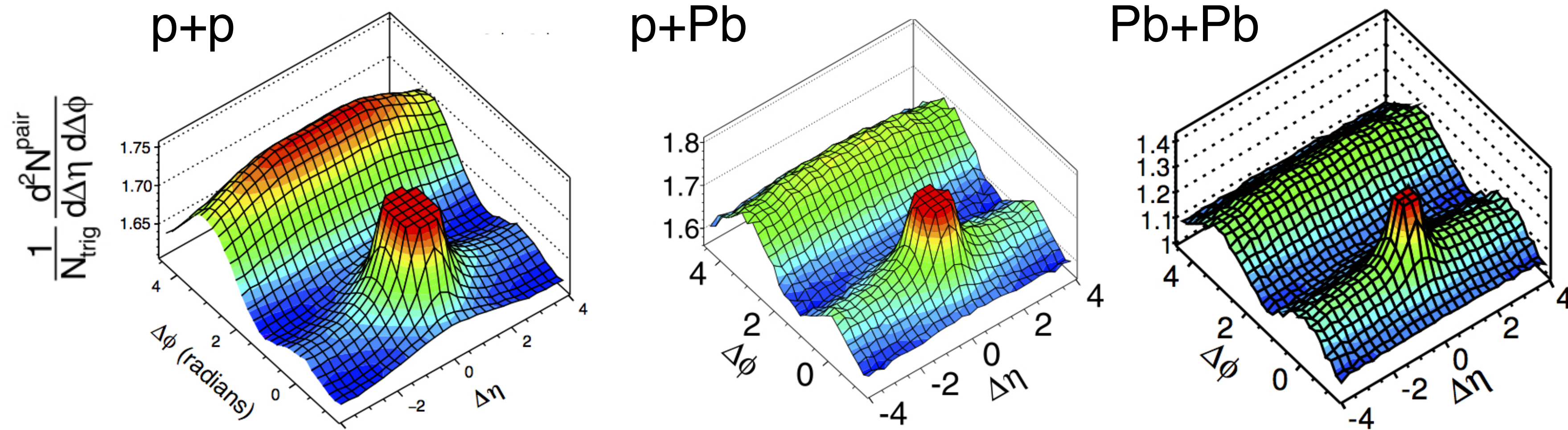
Causality argument tells it must have origin as very early stages

The origin of long range correlations



Causality argument tells it must have origin as very early stages

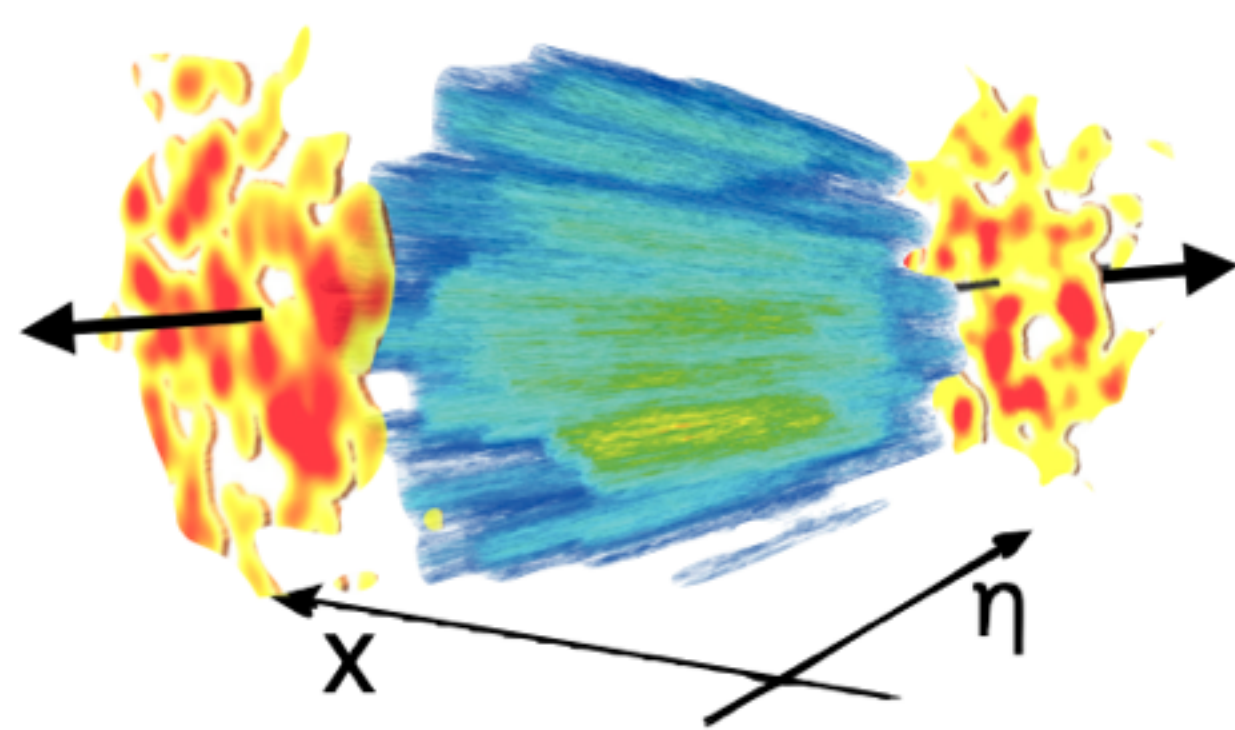
Long range correlations



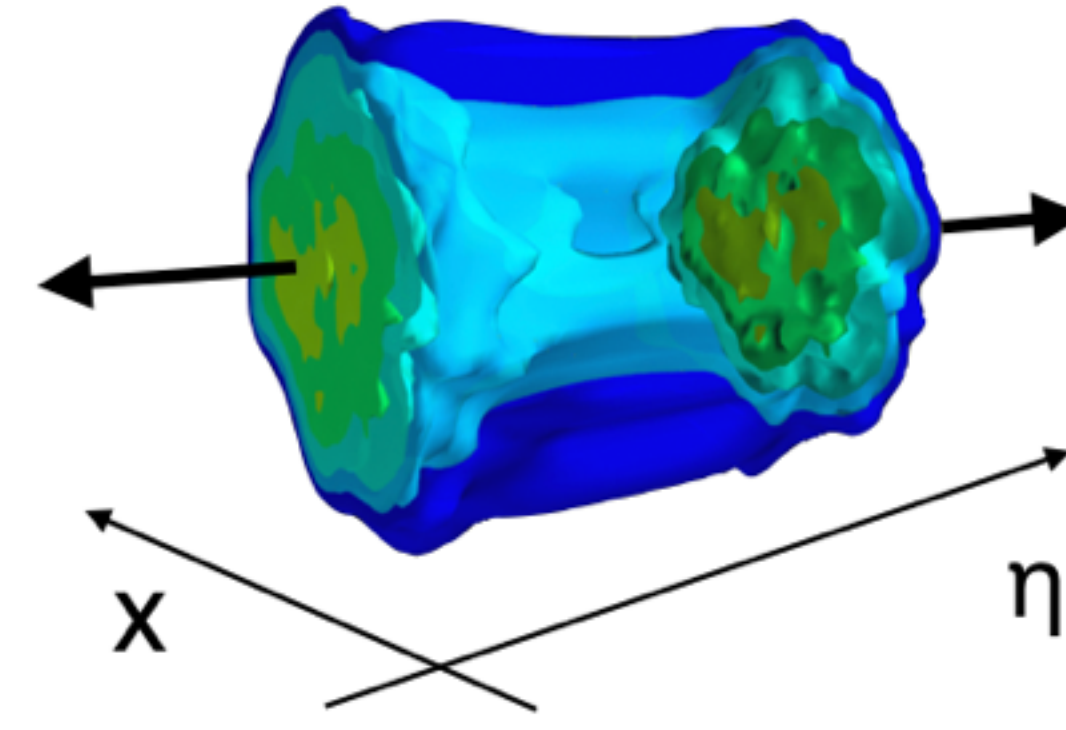
Is this due to **initial state** momentum space correlation or **initial state** position space correlations ?

For A+A collisions we know the answer

Nearly boost invariant initial state position space correlations
+ collective flow \rightarrow ridge like structure in A+A



boost invariant initial state

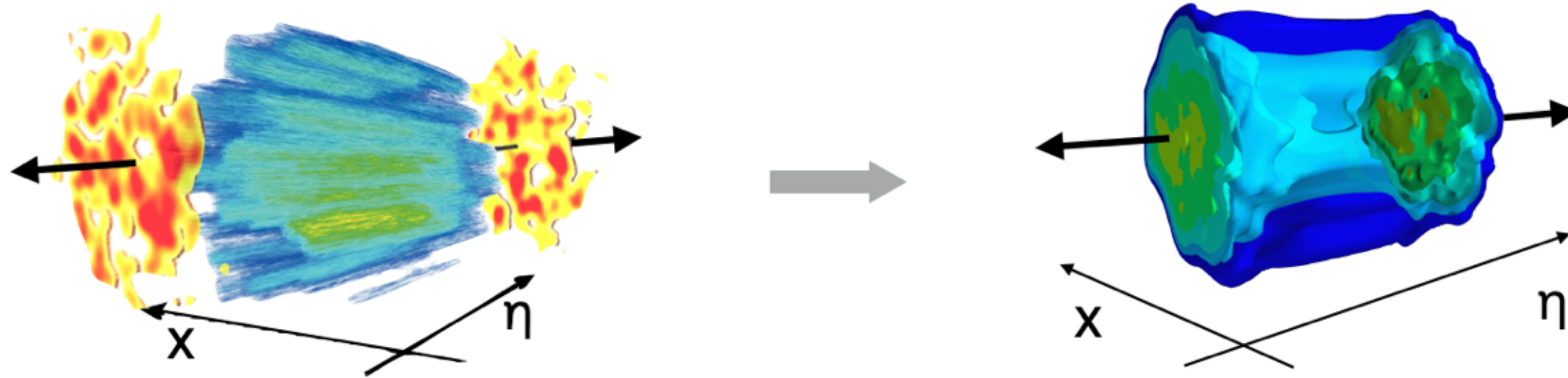


boost invariant hydro evolution

Still initial state drives the phenomenon

Initial state position space correlations

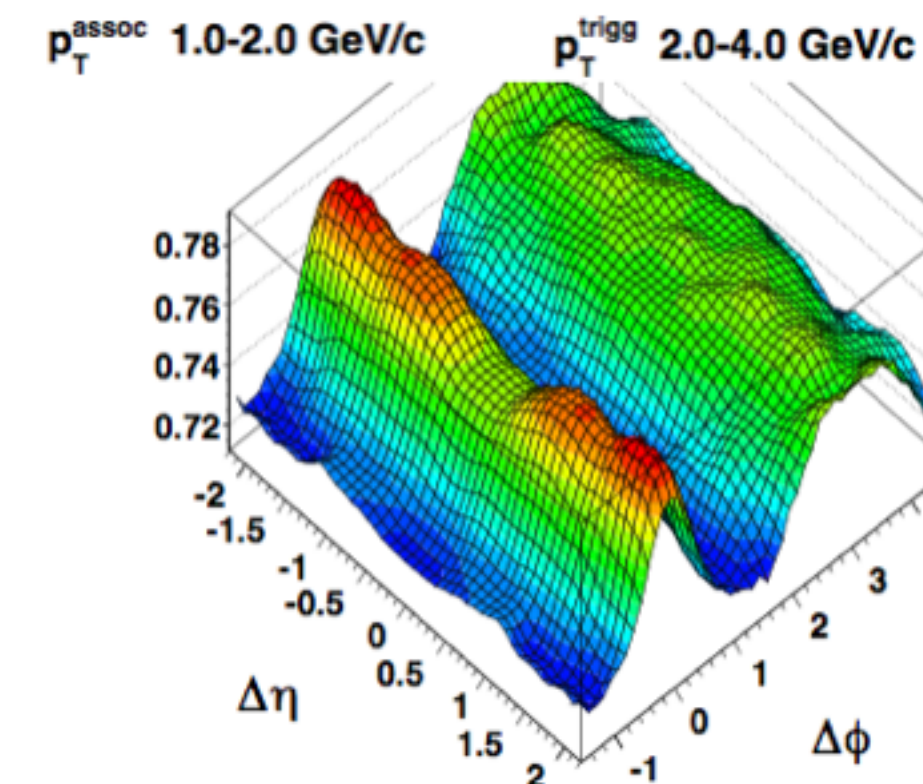
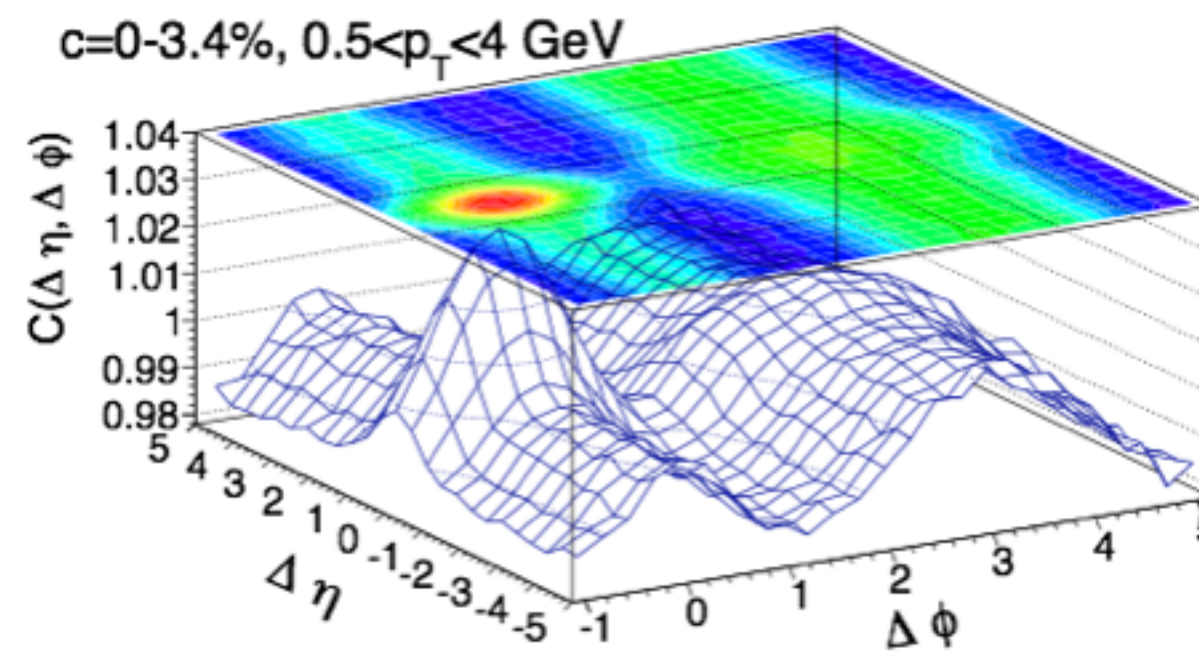
Nearly boost invariant initial state position space correlations
 + collective flow \rightarrow ridge like structure in A+A



Bozek, Broniowski 1304.3044

K. Werner *et al* 1307.4379

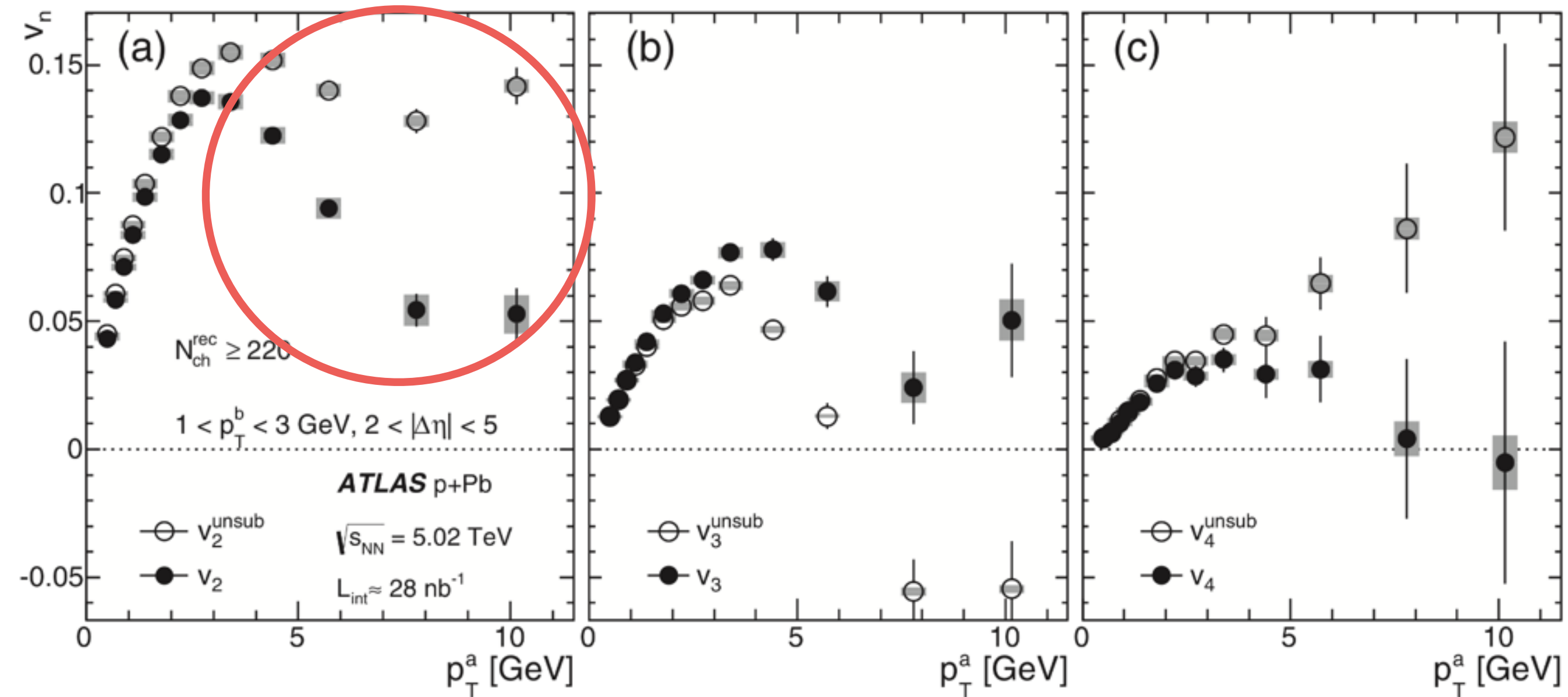
Same story for
 small systems ?



Then we need to estimate the right initial conditions ?

Another piece of puzzle

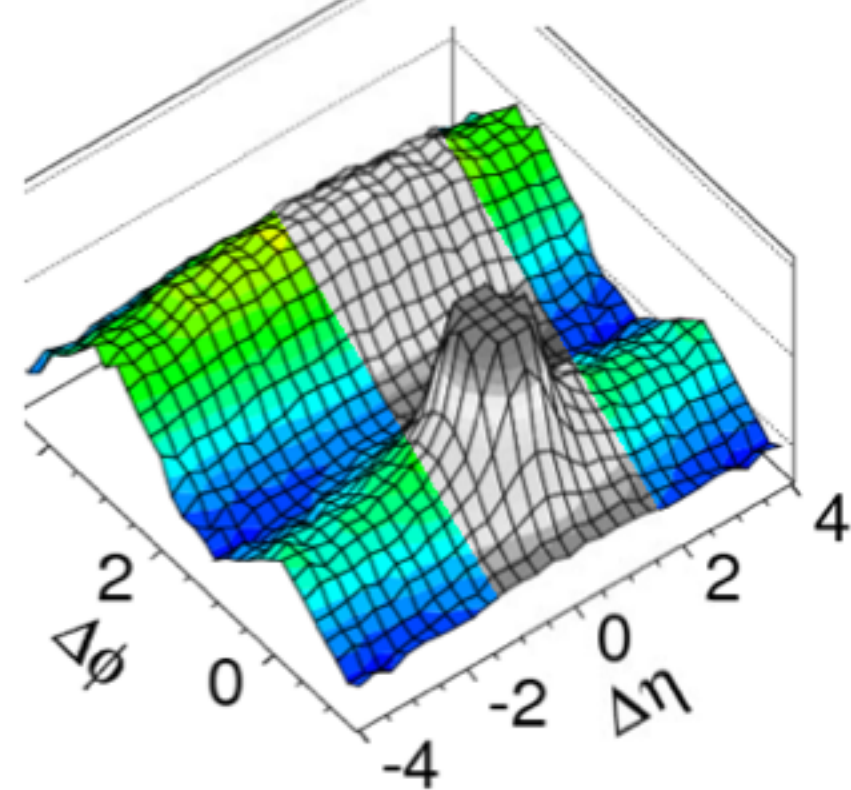
p+Pb



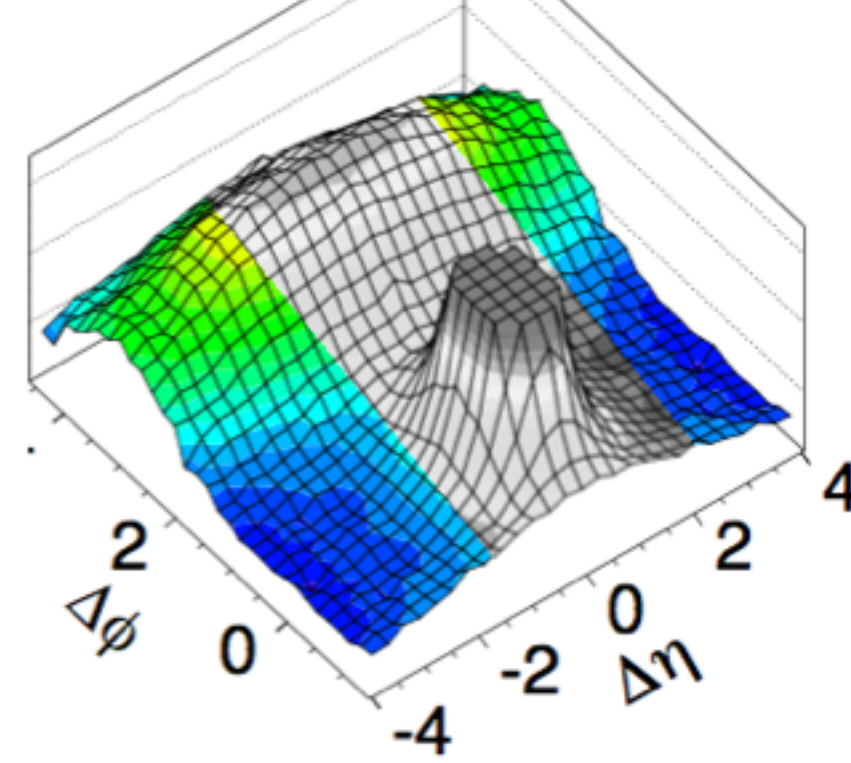
However it persists up to very large $p_{\perp} = 10 \text{ GeV}$
some semi-hard (short distance) QCD dynamics playing a role ?

Flow like patten but how about jet-quenching ?

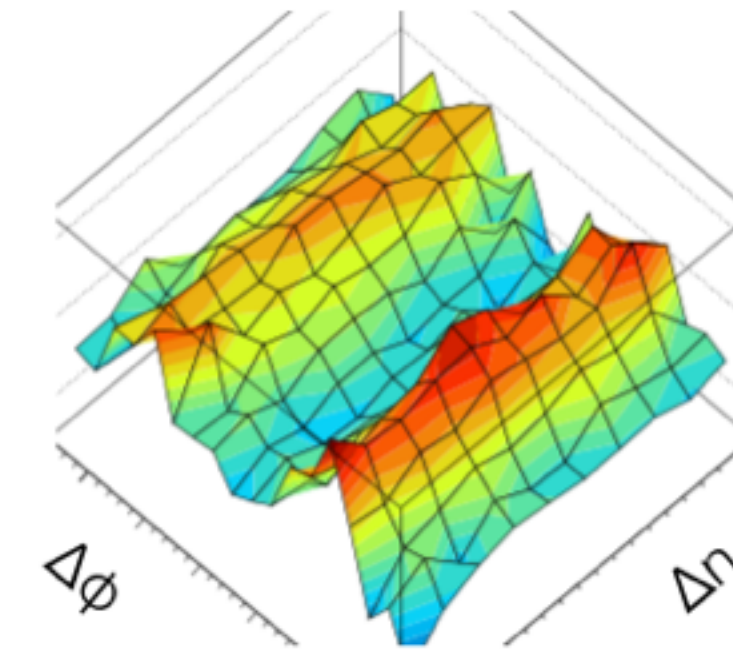
high mult p+p, p+Pb



low mult p+p, p+Pb



=



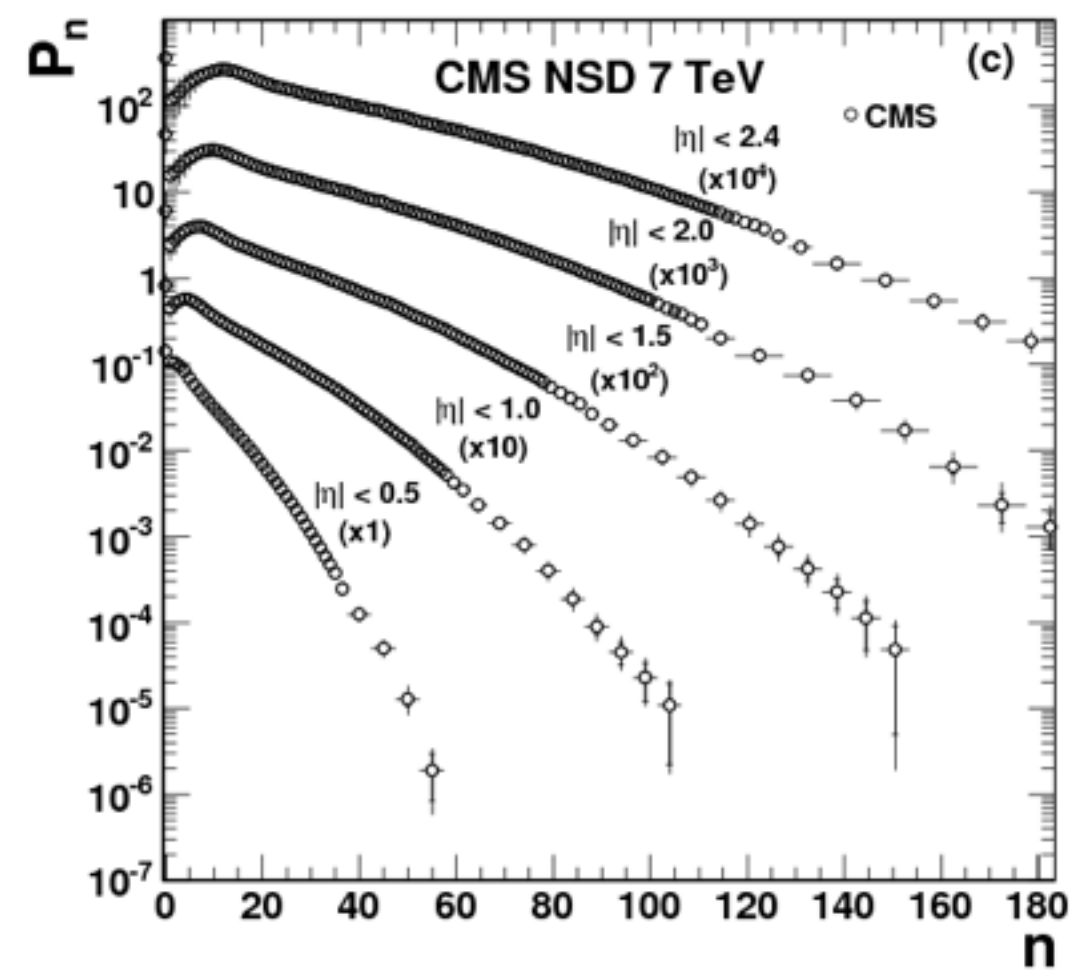
No convincing evidence for mini-jet quenching seen in data

The away side is almost un-modified, even used for subtraction
approach towards thermalization \rightarrow mini-jets must be fully quenched

One more thing we shouldn't forget

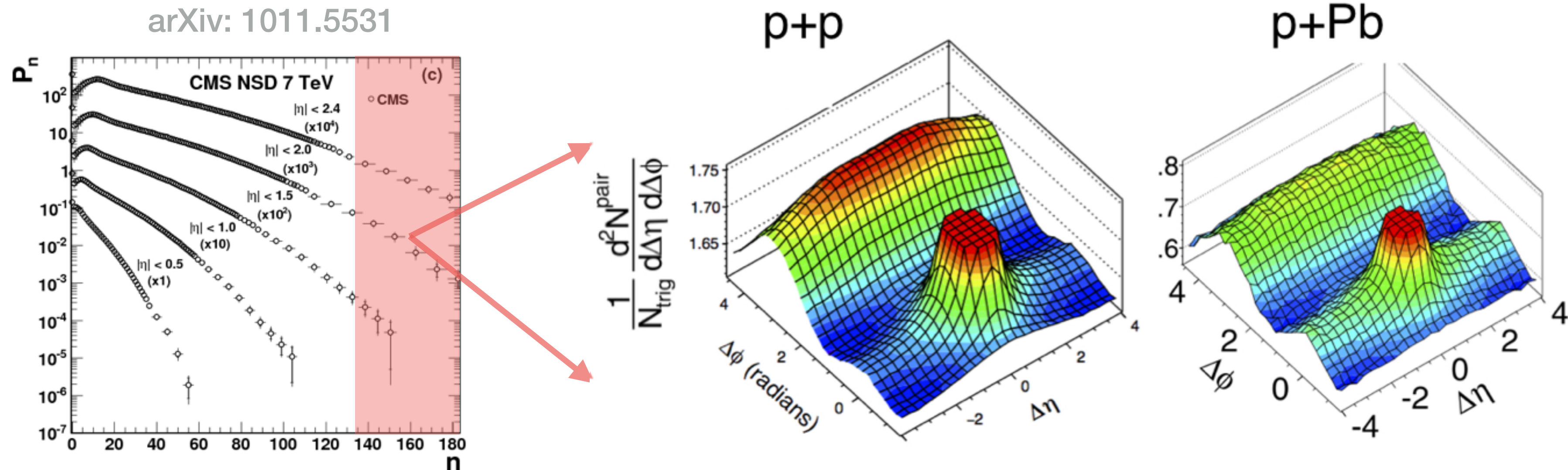
Ridge appears only in high multiplicity events in small systems

arXiv: 1011.5531



One more thing we shouldn't forget

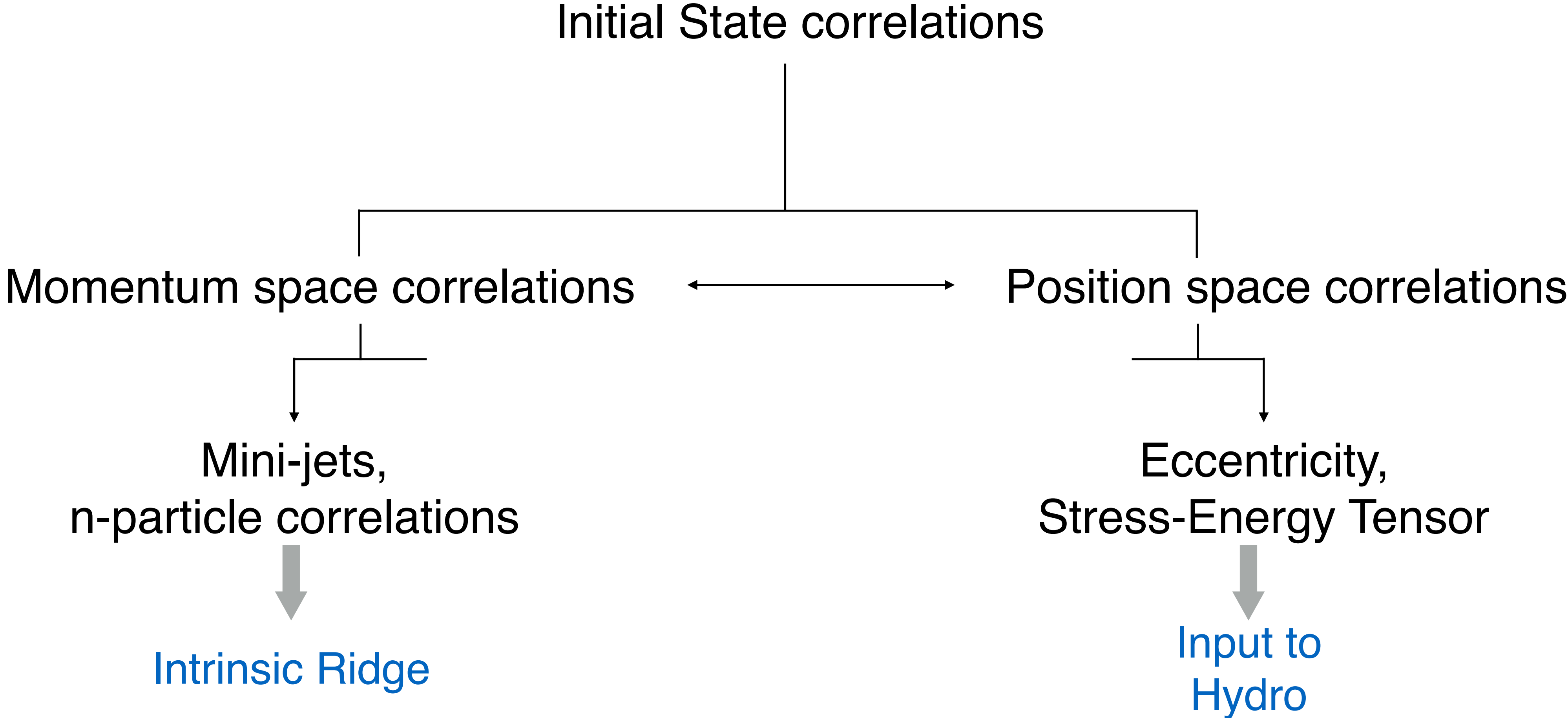
Ridge appears only in high multiplicity events in small systems



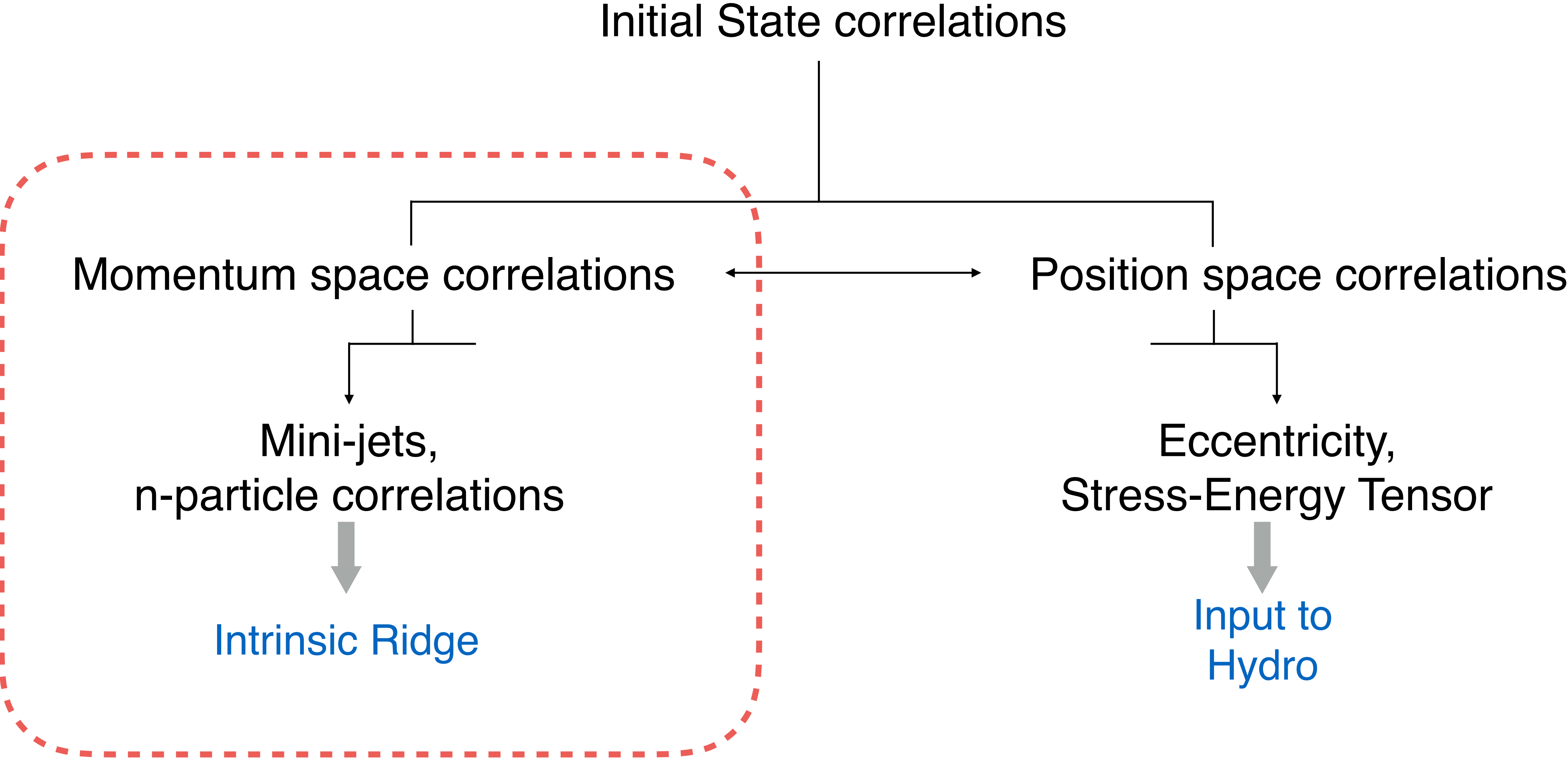
Origin of high multiplicity events \longleftrightarrow Systematics of $\Delta\eta$ - $\Delta\phi$ correlations

Similar underlying dynamics must drive these phenomenon

Initial state correlations



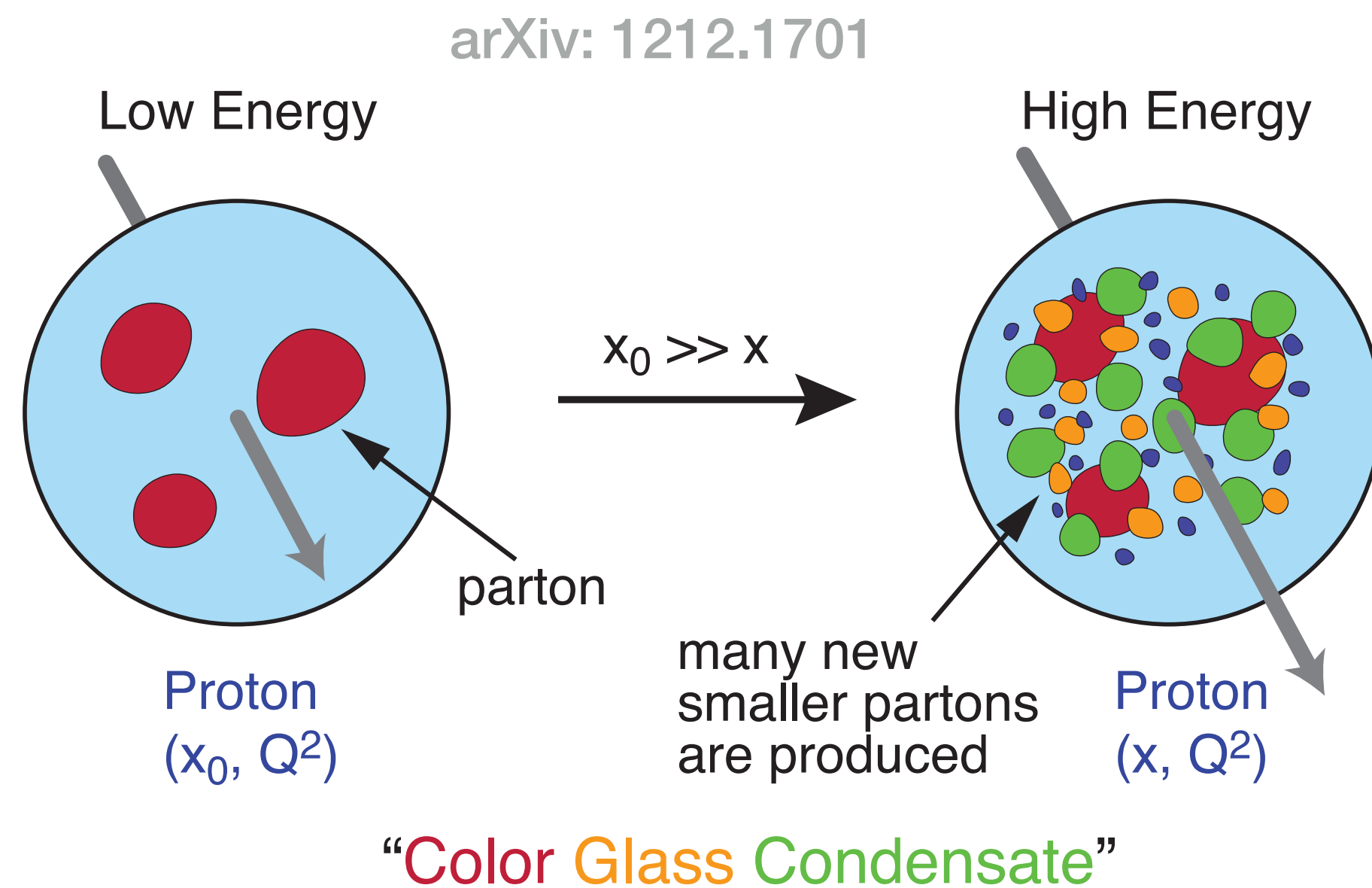
Initial state correlations



Initial stages of colliding hadrons/nuclei

At high energies in Regge Gribov limit $\sqrt{s} \rightarrow \infty, x \rightarrow 0$: gluon saturation

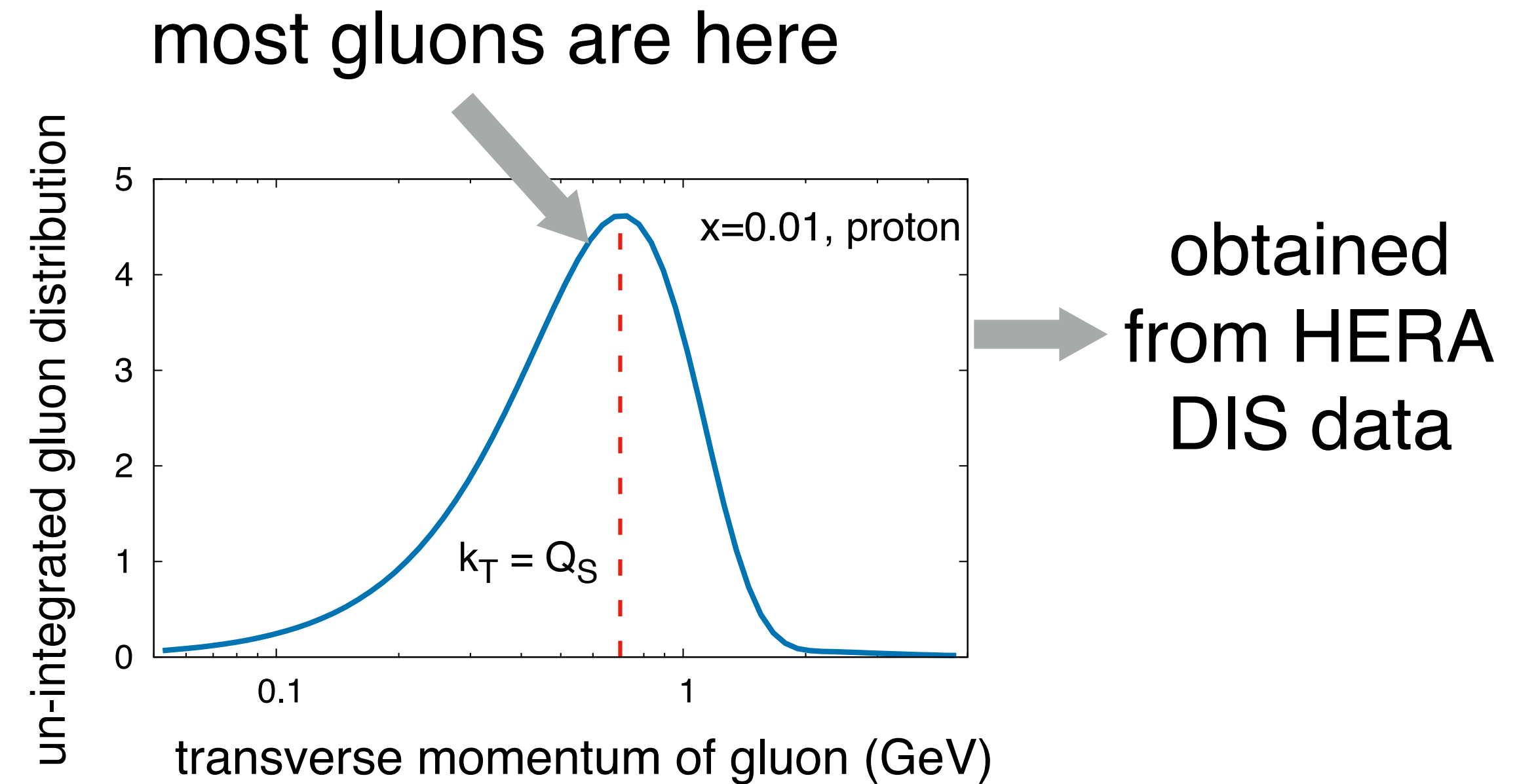
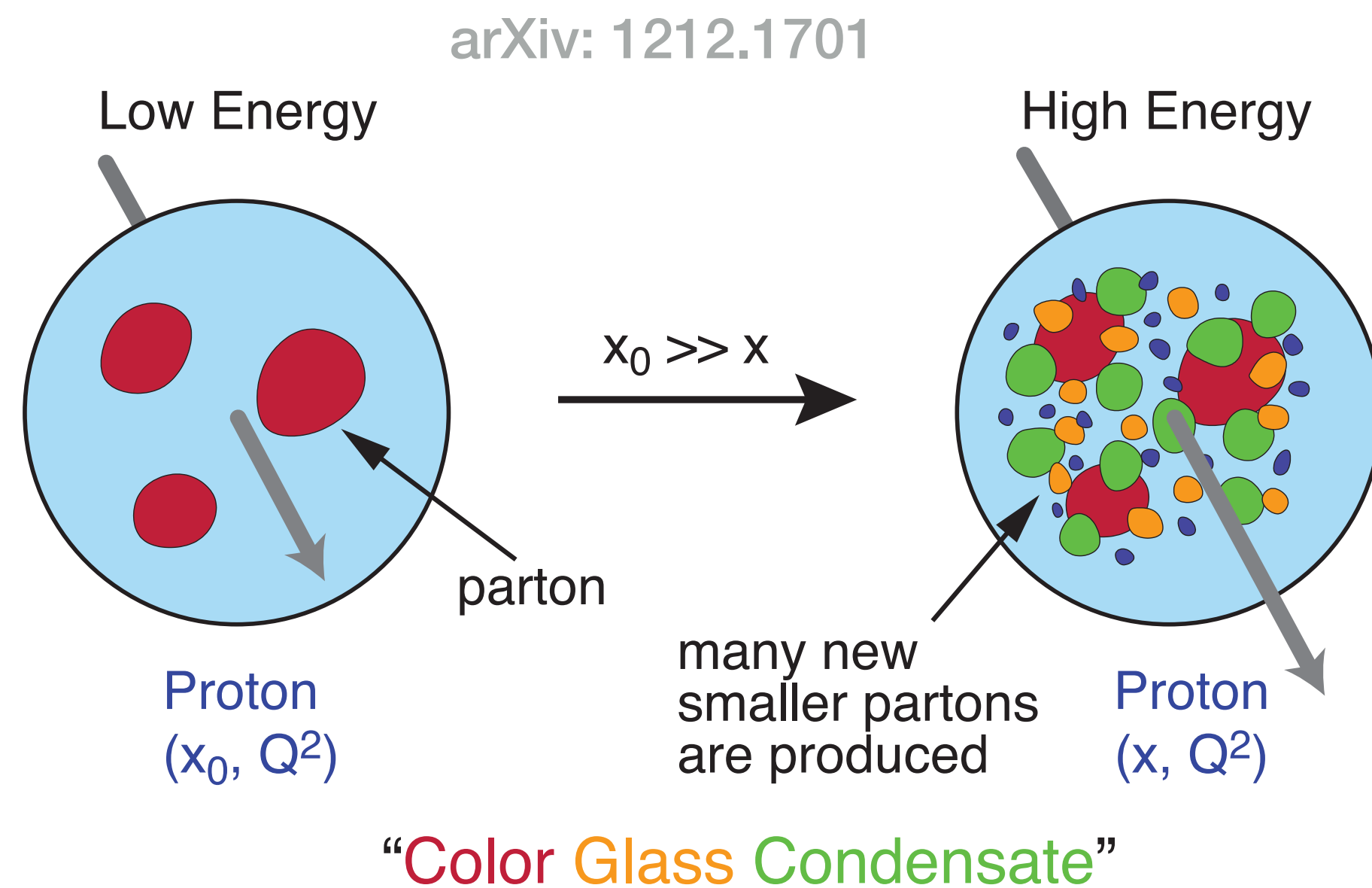
- Non-linear processes stop growth of gluons, **emergence of a scale** $Q_S(x) > \Lambda_{QCD}$



Initial stages of colliding hadrons/nuclei

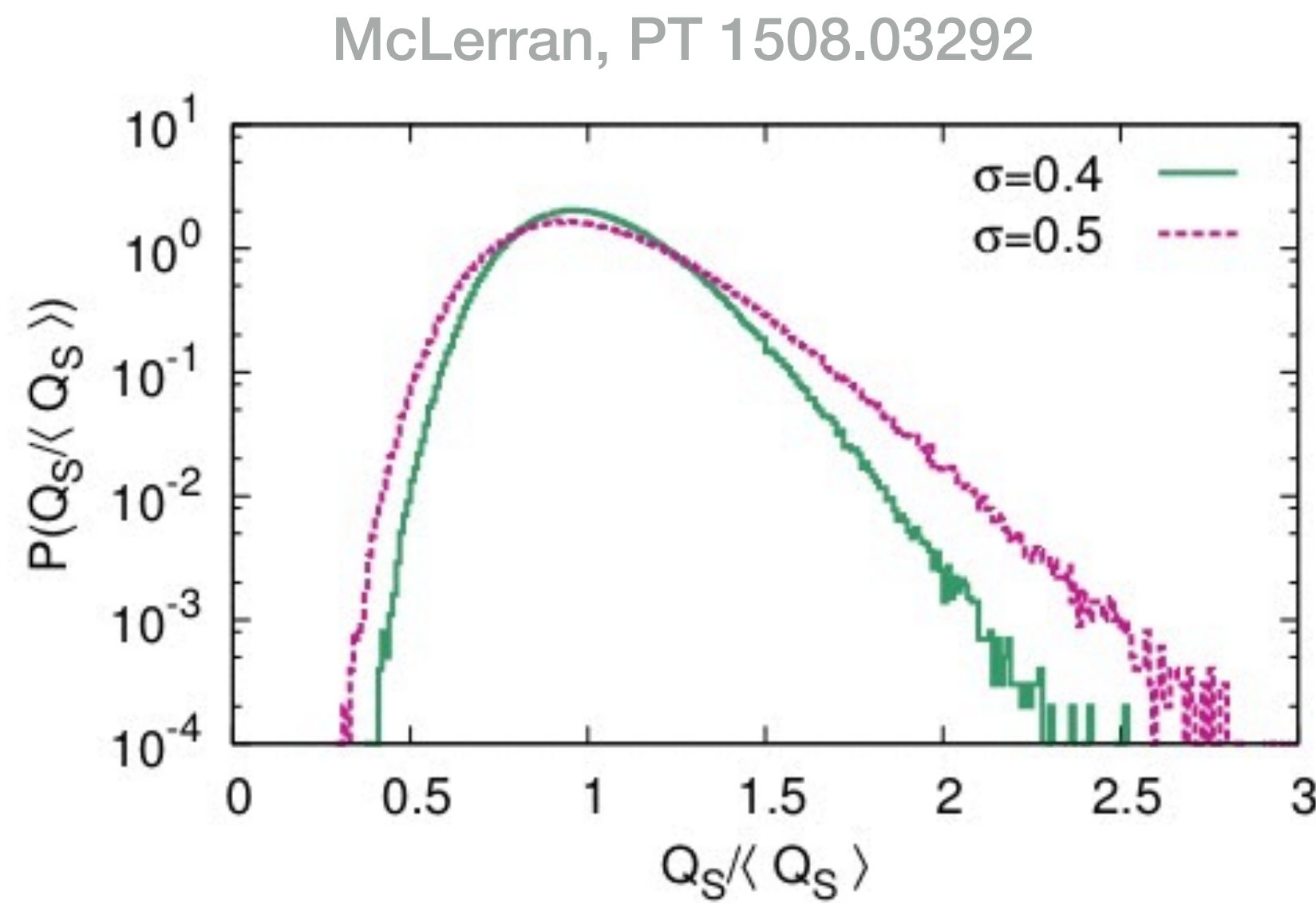
At high energies in Regge Gribov limit $\sqrt{s} \rightarrow \infty, x \rightarrow 0$: gluon saturation

- Non-linear processes stop growth of gluons, **emergence of a scale** $Q_S(x) > \Lambda_{QCD}$
- **Gluon dominated wave function**, high occupancy $\sim \frac{1}{\alpha_S}$ **peaked at** $Q_S(x)$

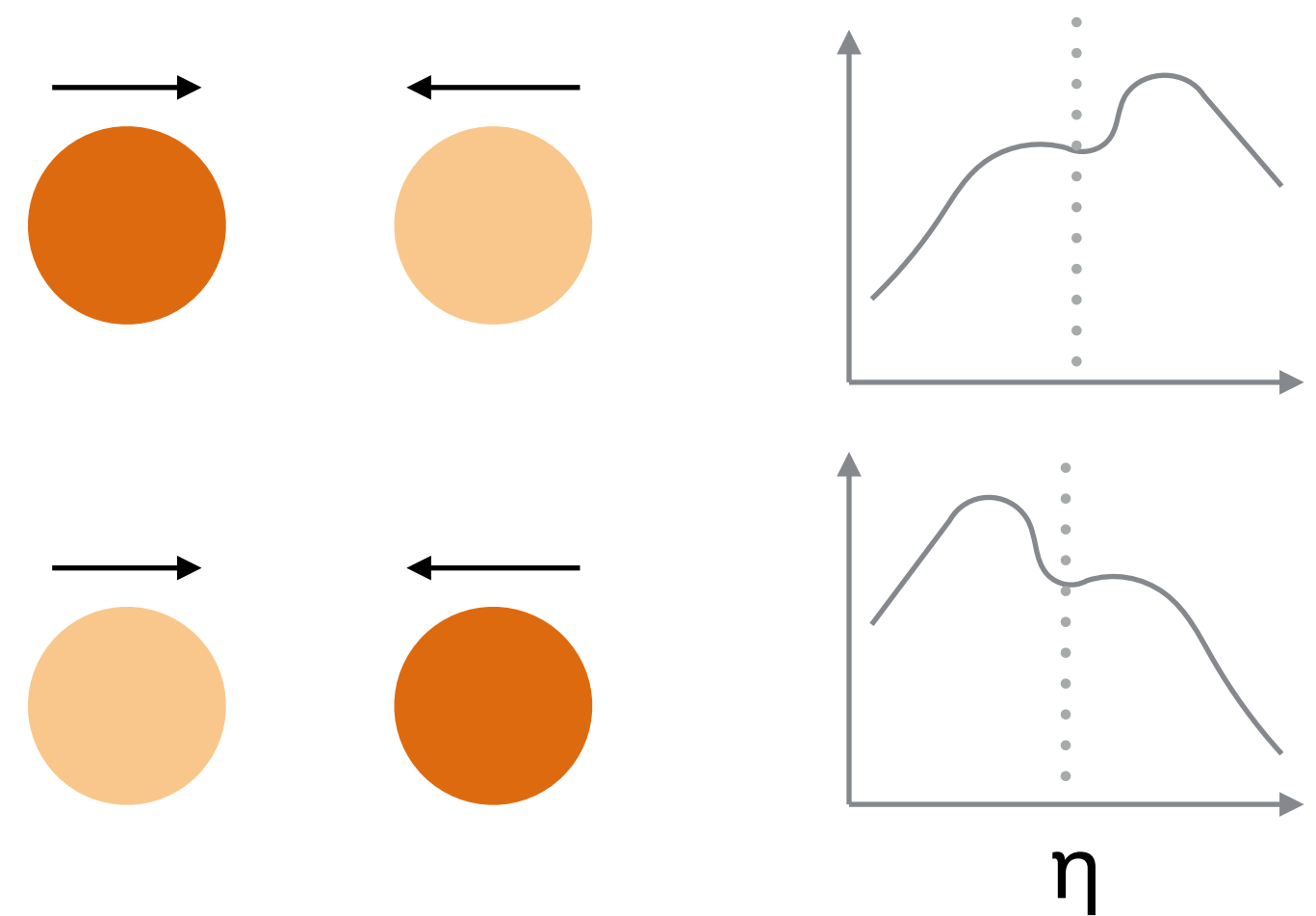


Proton fluctuation : Saturation momentum

The wave function of a hadron $|H\rangle = |qqq\rangle + |qqqg\rangle + \dots + |qqqgg \dots gg\rangle$



p+p collisions are asymmetric

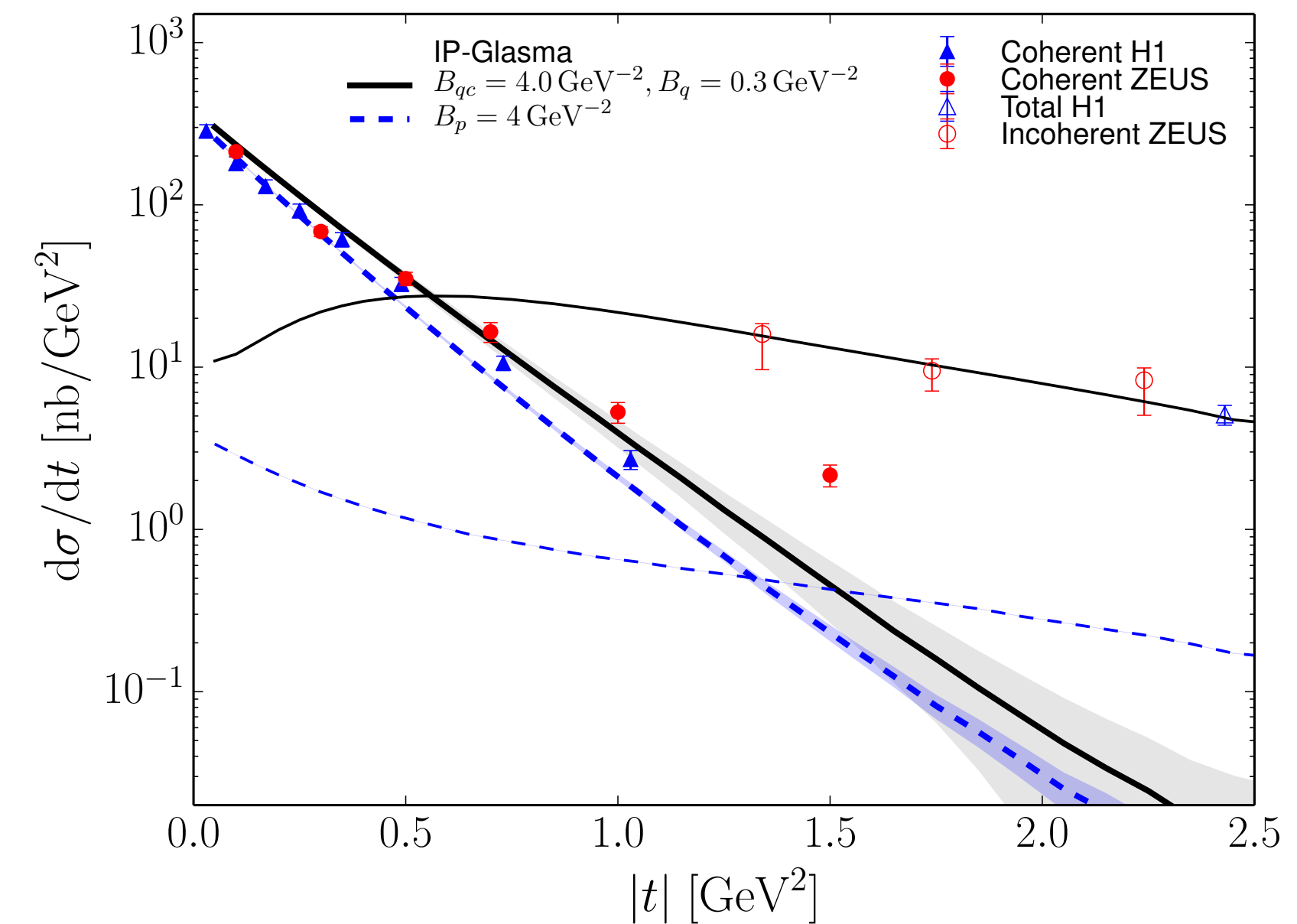
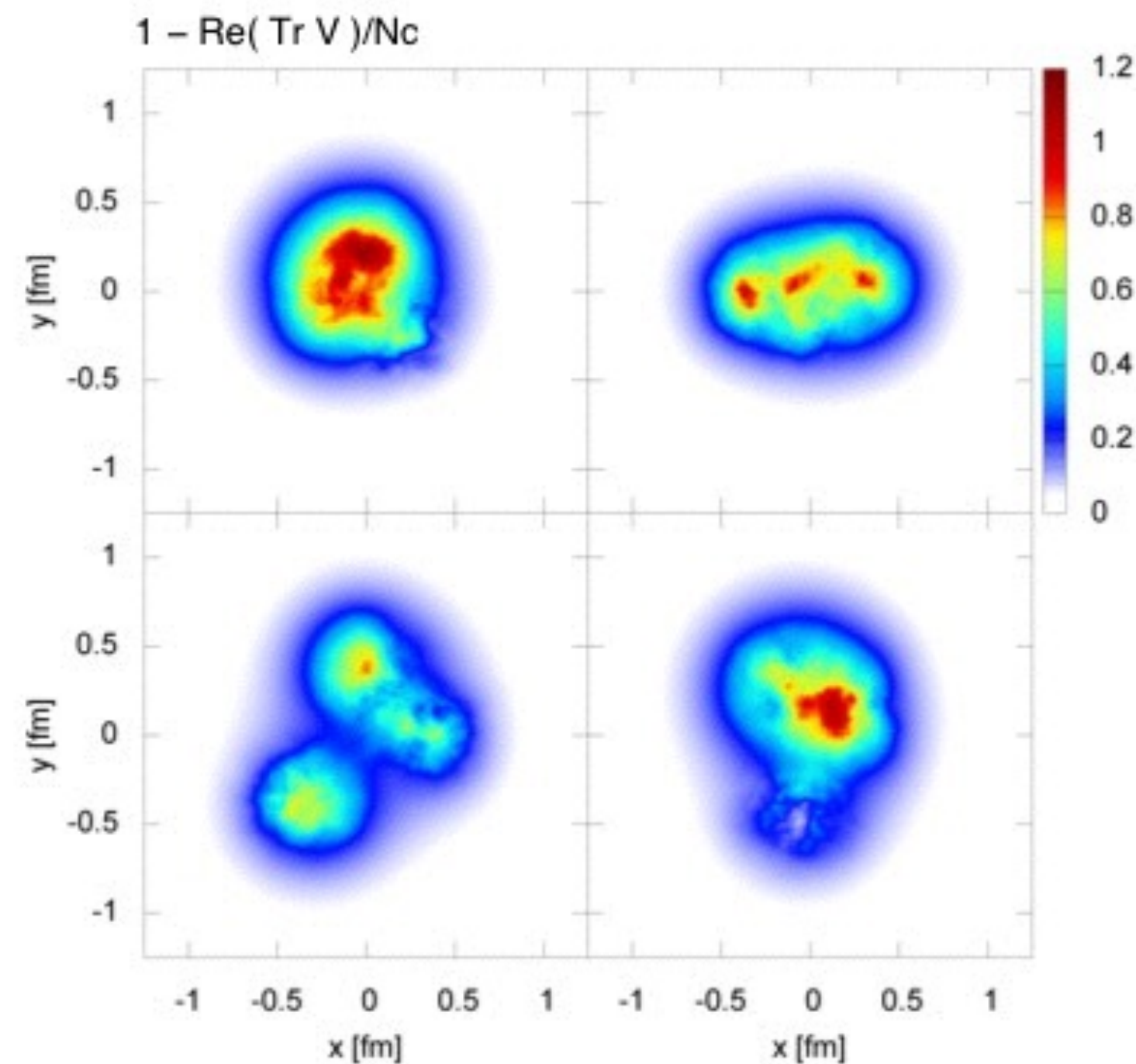


Distribution of Partons are driven by stochastic process

Proton fluctuation : Intrinsic shape

Quark structure Essential for description of Incoherent DIS data

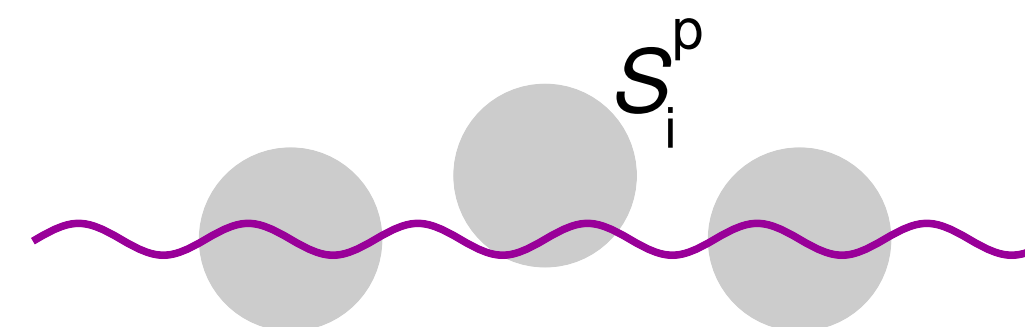
Schenke, Mantysaari 1603.04349



Nucleus multiple proton target

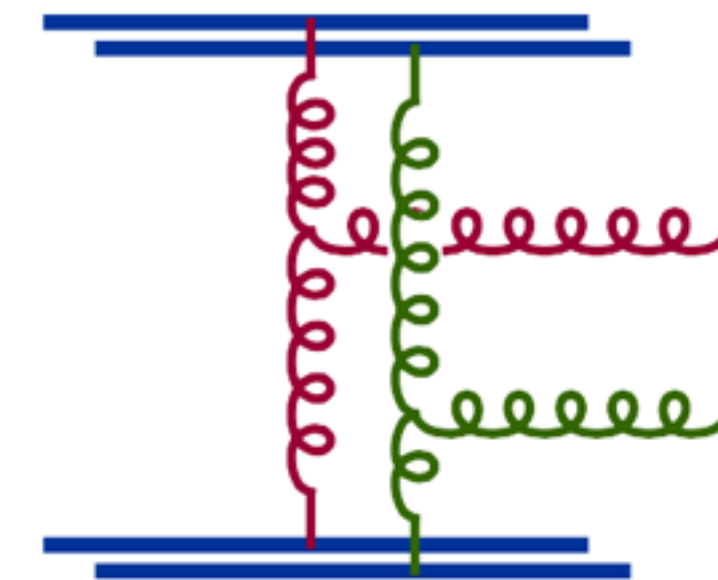
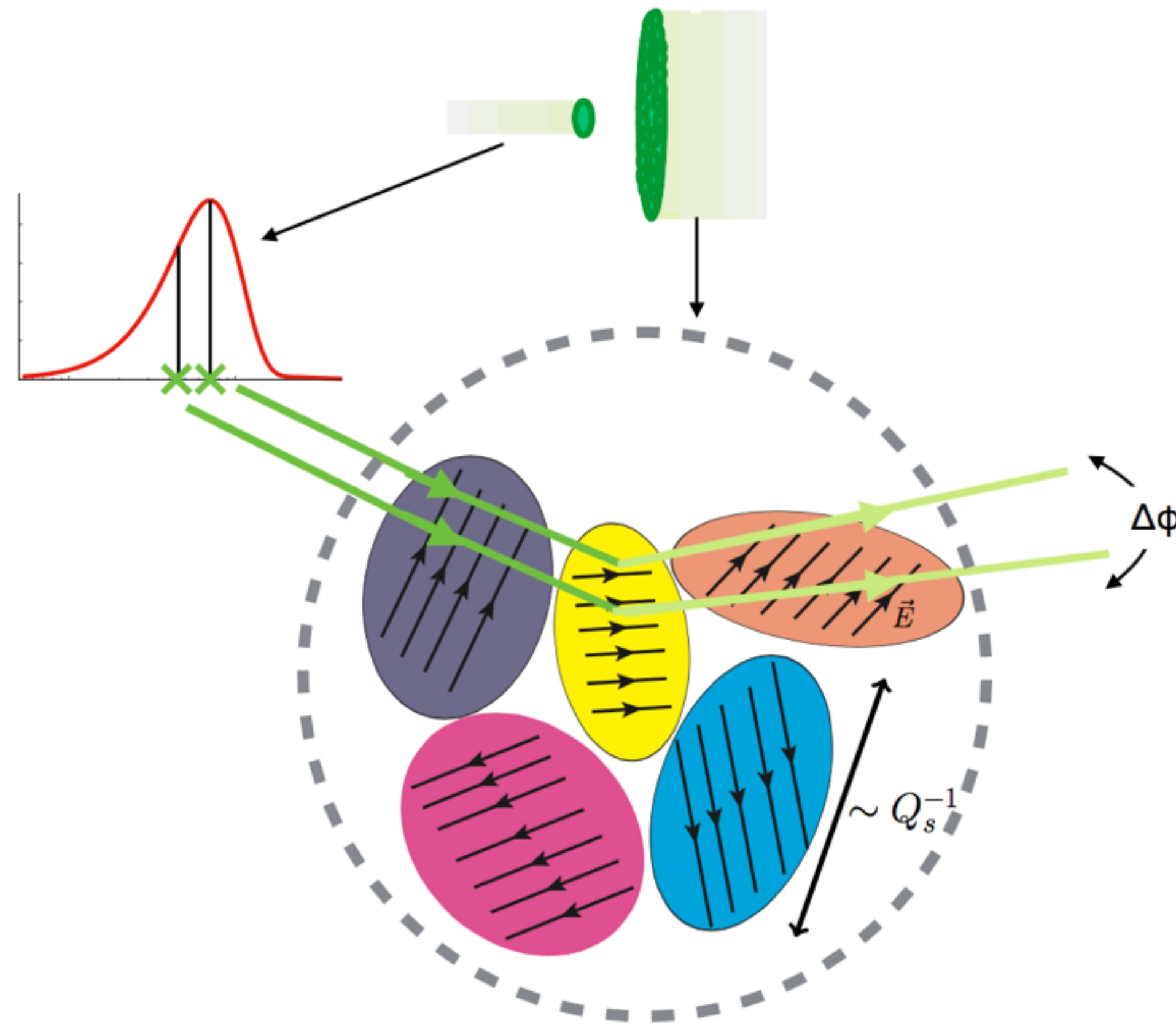
$$S_{\text{dip}}^A(\mathbf{r}_{\perp}, x, \mathbf{b}_{\perp}) = \prod_{i=0}^A S_{\text{dip}}^p(\mathbf{r}_{\perp}, x, \mathbf{b}_{\perp})$$

p+p collisions are eccentric



Initial state momentum correlation

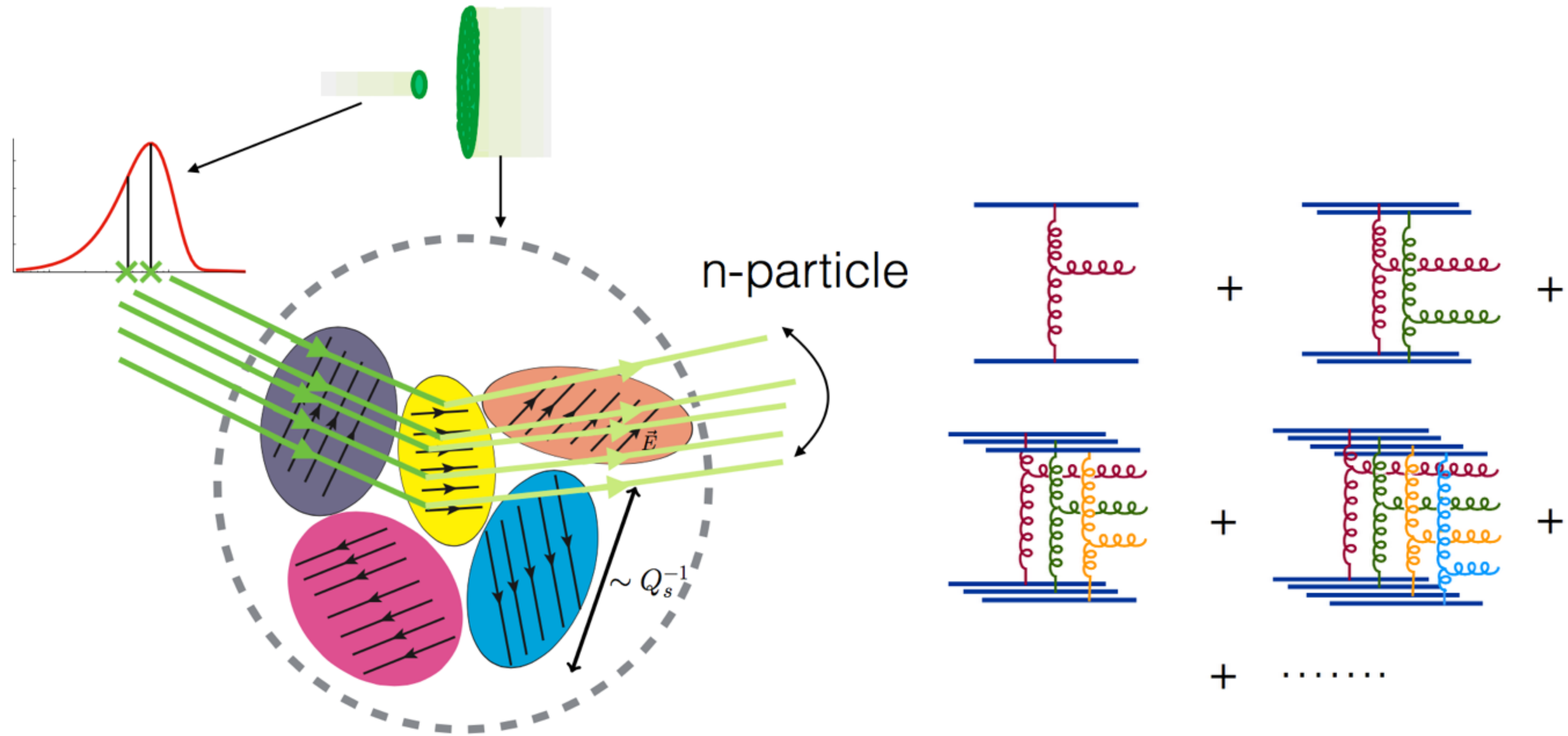
Intrinsic momentum space correlations collimated emission of particles



$$\langle n^2 \rangle - \langle n \rangle^2 \sim \frac{1}{Q_s^2 S_\perp}$$

Correlations already present among partons in projectile wave function survive after scattering off the color fields of target

Initial state momentum correlation



n-particle correlations \rightarrow negative binomial distributions (NBD)
NBD + Q_s -fluctuations + collision geometry \rightarrow multiplicity distributions

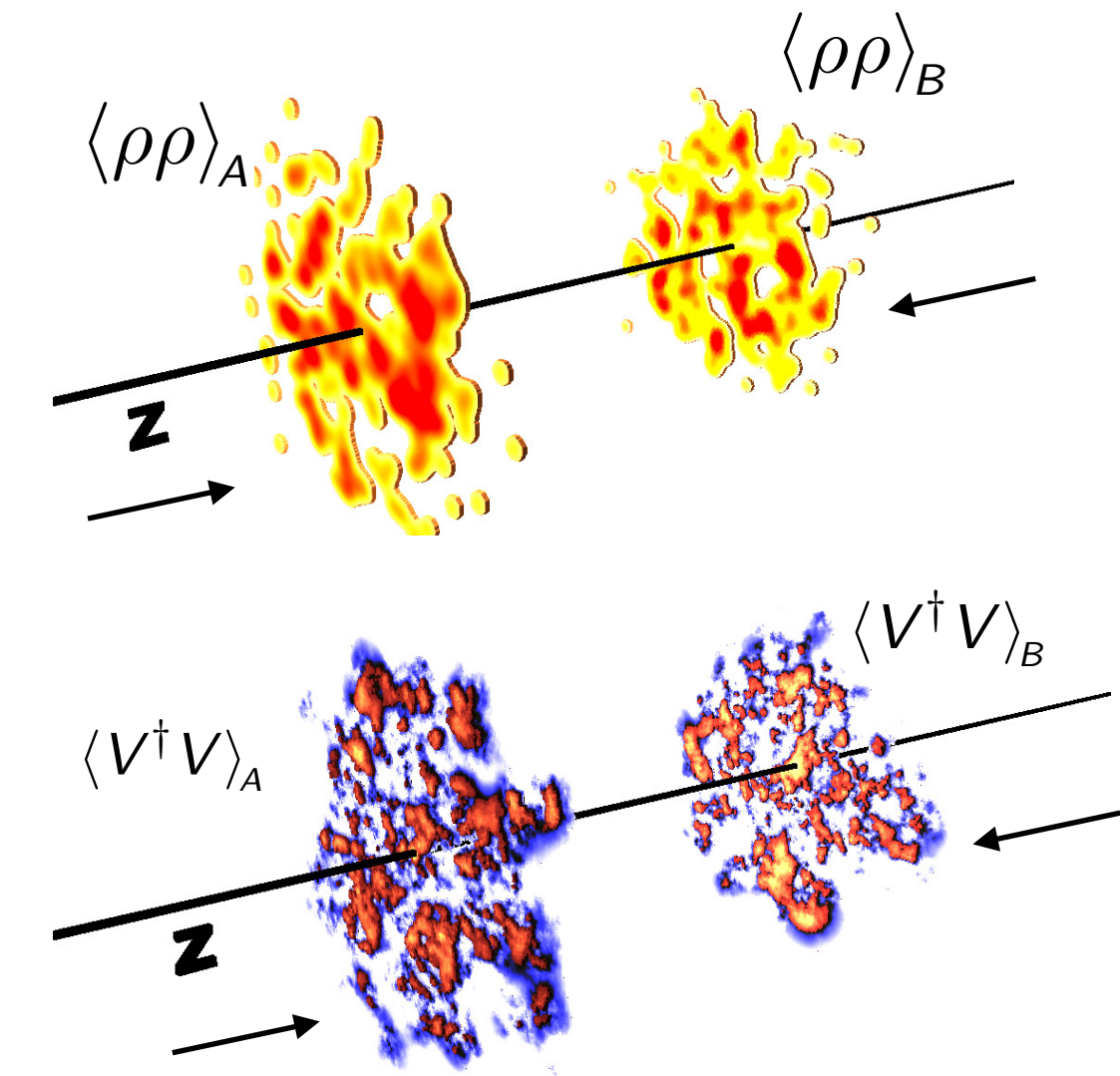
Classical Yang-Mills : Numerical solutions

IP-Glasma model in a nutshell

Colliding nuclei

- classical color charge $\rho(x_\perp)$
- classical color field solving $[D_\mu, F_{\mu\nu}] = J_\nu$

Schenke, PT, Venugopalan 1202.6646



Talk by Steven

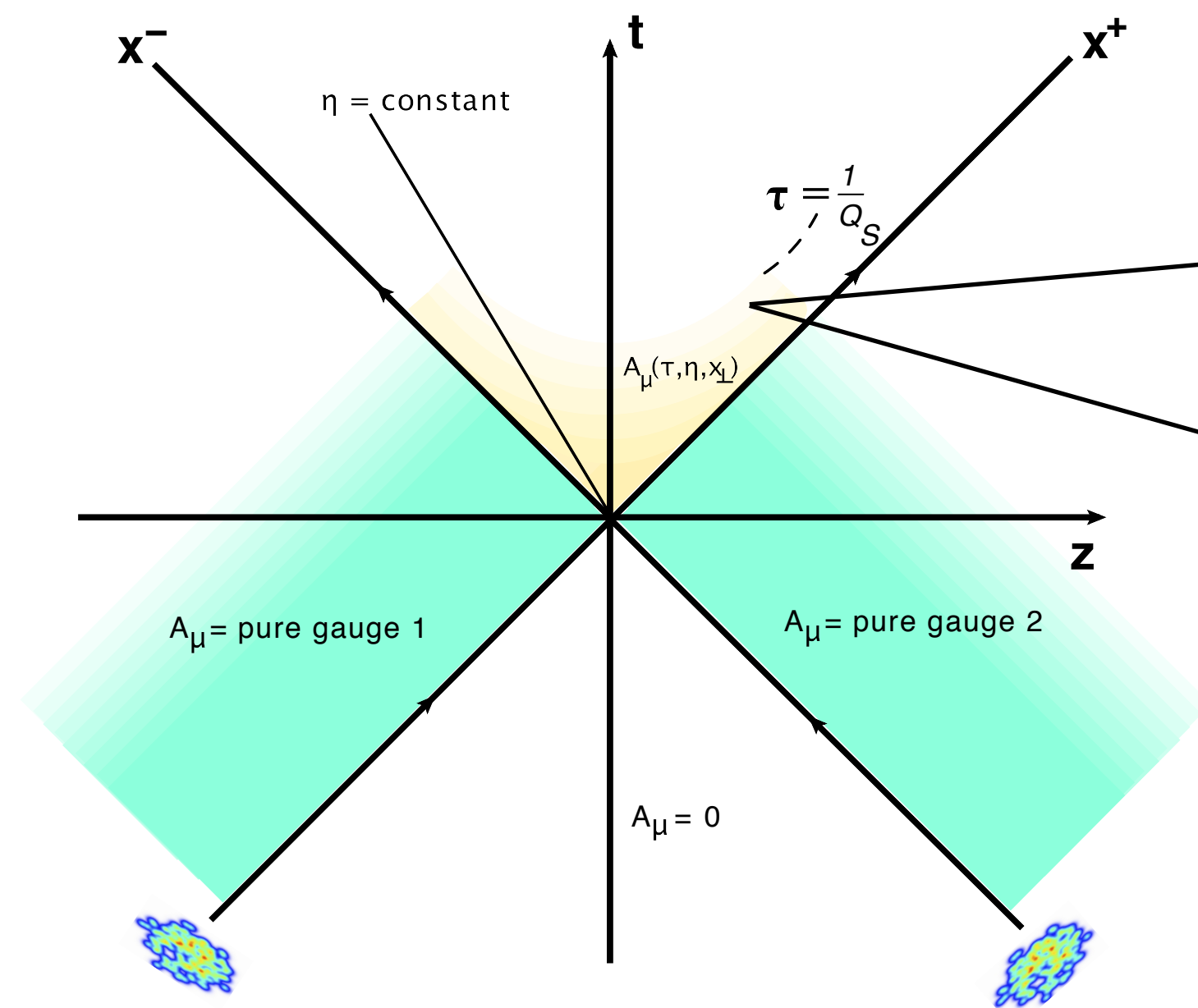
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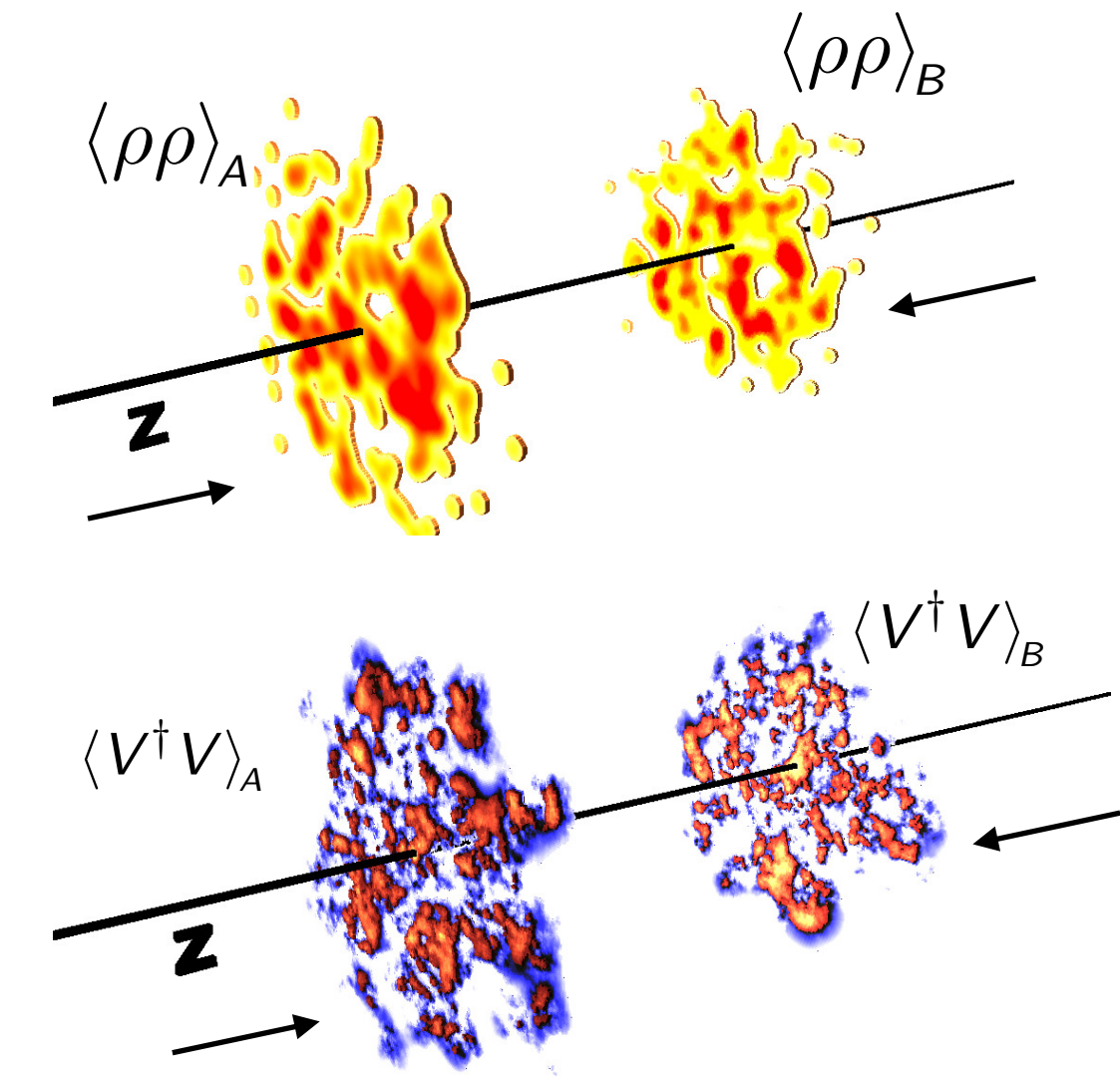
Field after collisions → combination of colliding fields



$$T_{\mu,\nu}(\tau, x_{\perp}, \eta)$$

$$\frac{dN}{d\mathbf{p}_{T1} dy_1 \dots d\mathbf{p}_{Tn} dy_n}$$

Schenke, PT, Venugopalan 1202.6646



Talk by Steven

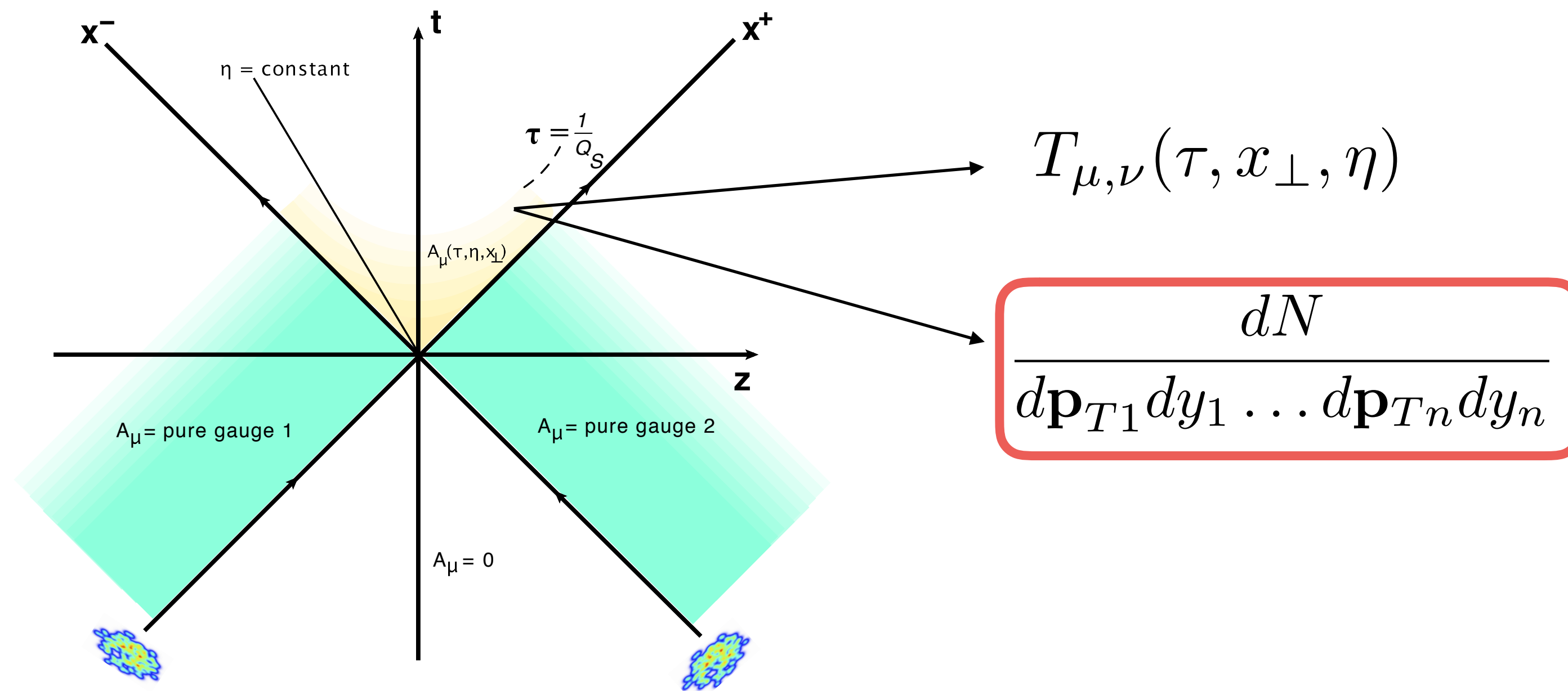
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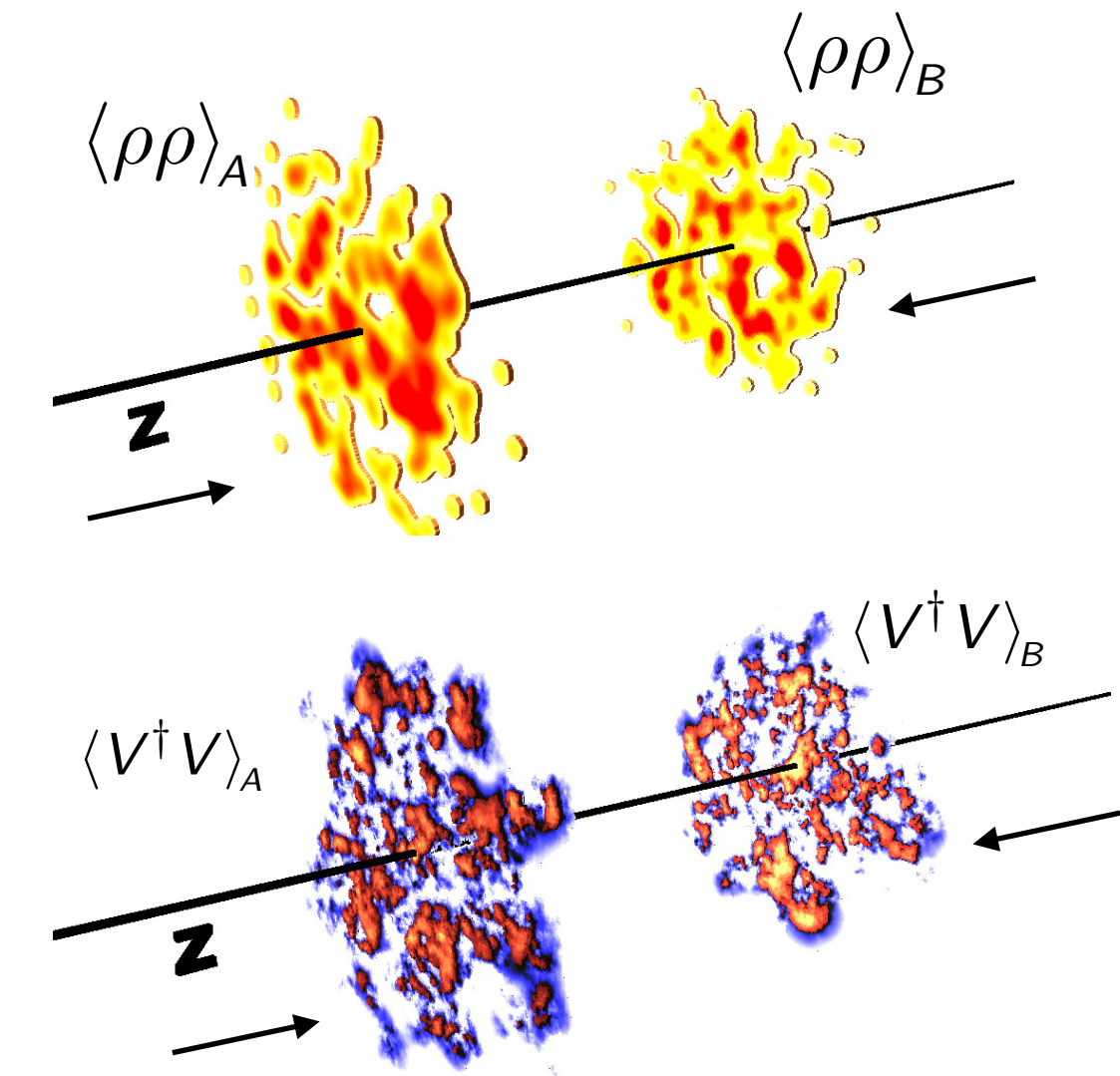
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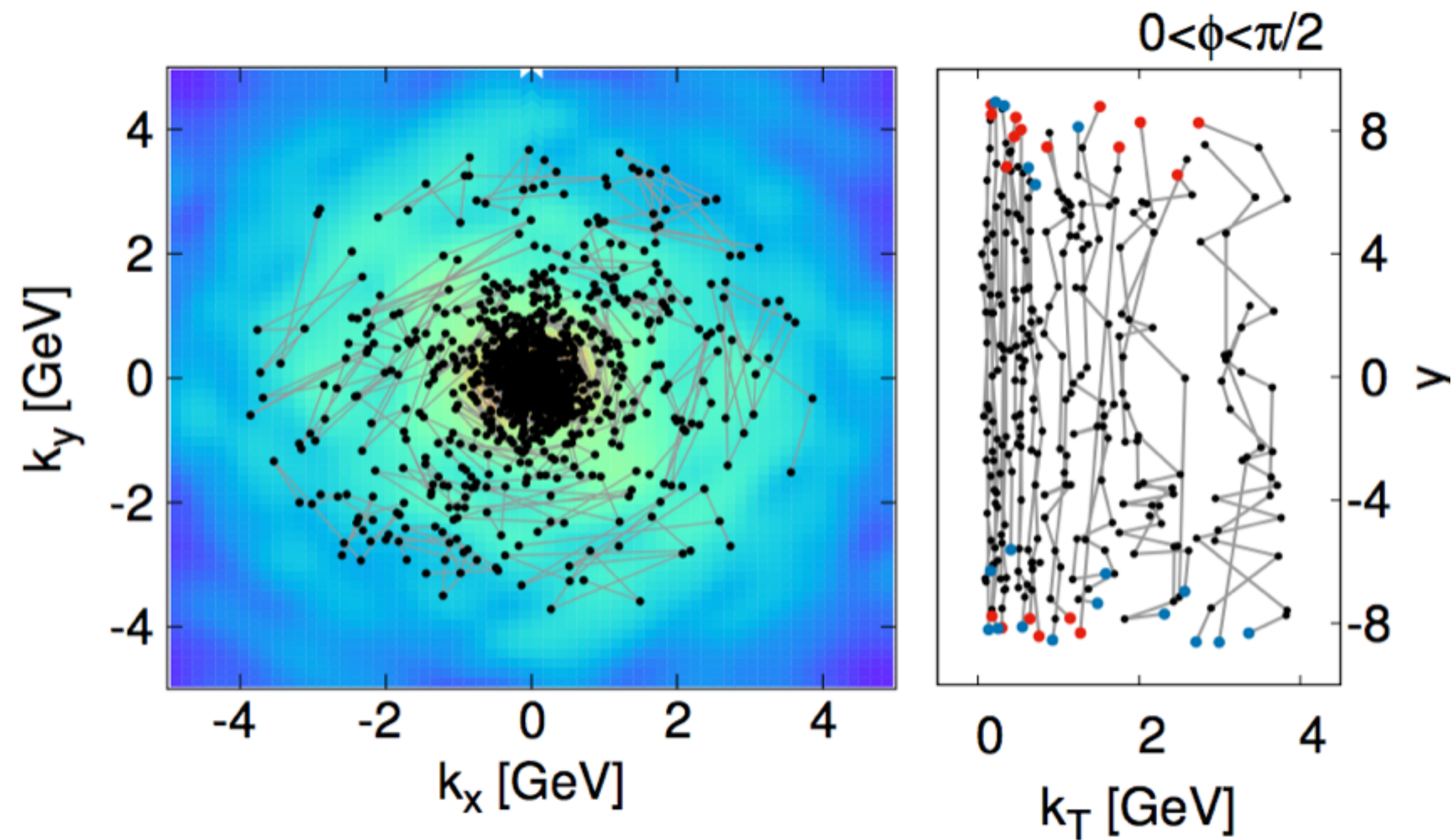


Schenke, PT, Venugopalan 1202.6646



Talk by Steven

CGC (IP-Glasma) + PYTHIA (Fragmentation)



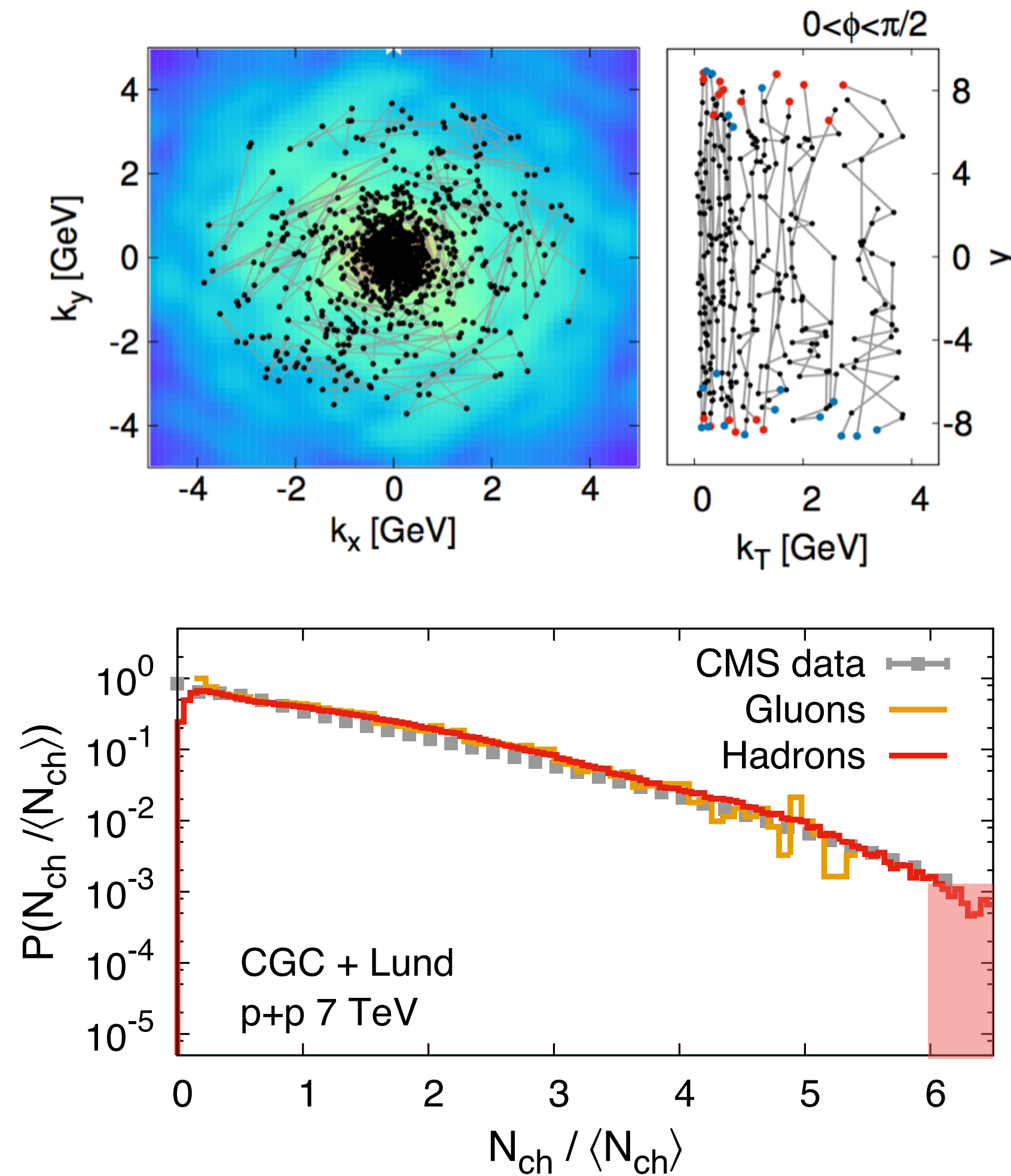
Schenke, Schlichting, PT and Venugopalan, 1607.02496 (to appear in PRL)

$$\frac{dN}{d\mathbf{p}_{T1} dy_1 \dots d\mathbf{p}_{Tn} dy_n}$$



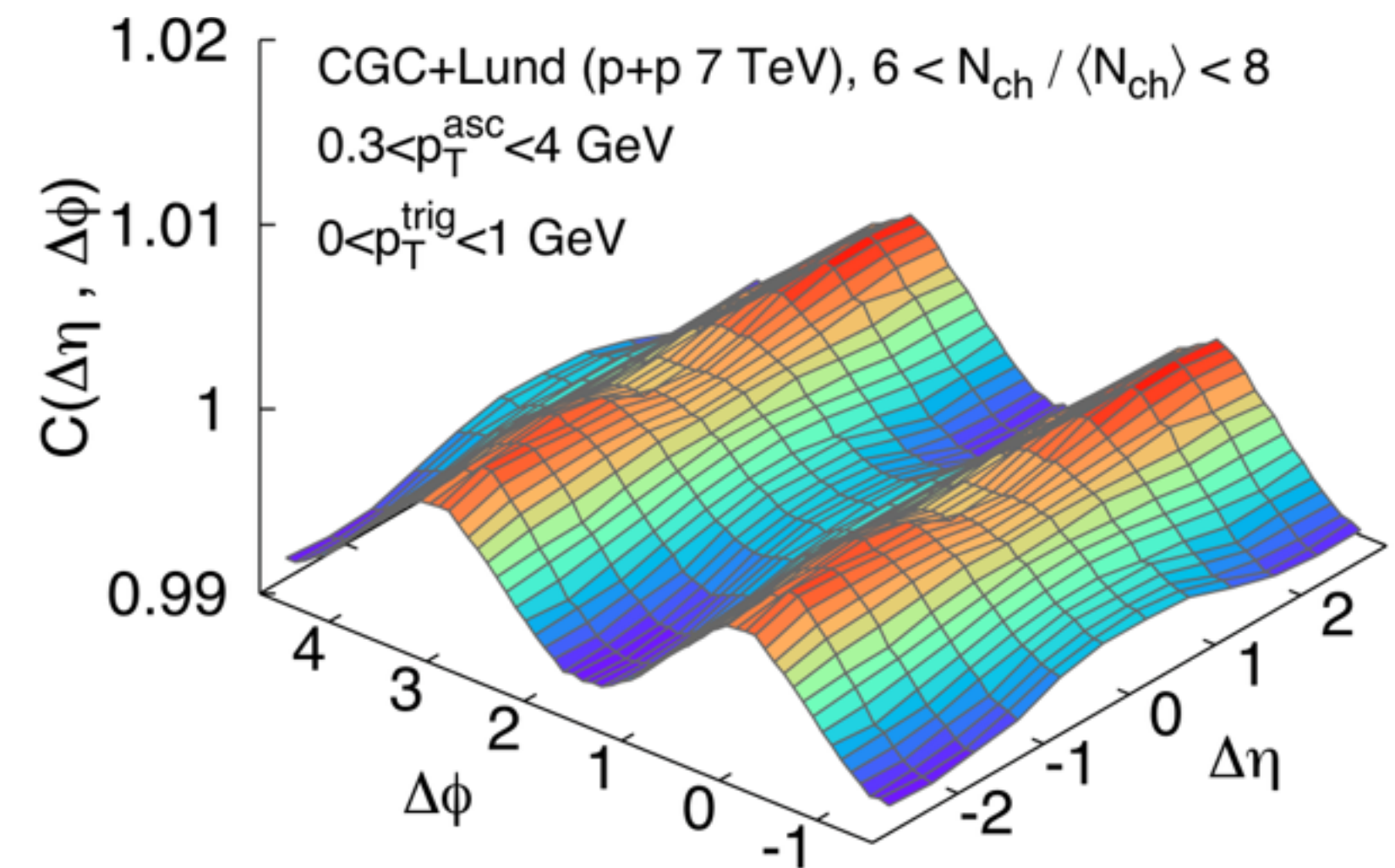
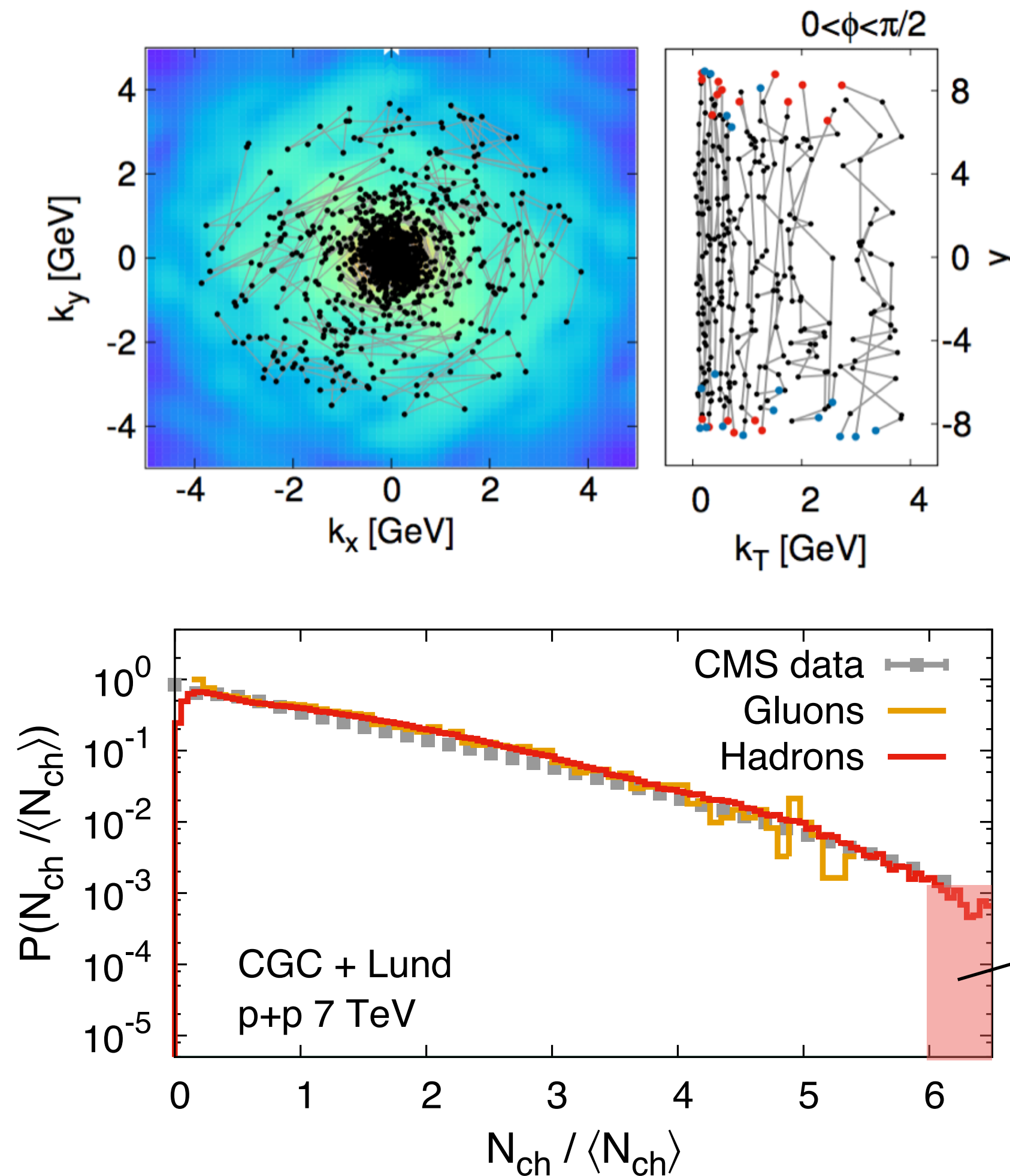
CGC (IP-Glasma) + PYTHIA (Fragmentation)

Schenke, Schlichting, PT and Venugopalan, 1607.02496 (to appear in PRL)



CGC (IP-Glasma) + PYTHIA (Fragmentation)

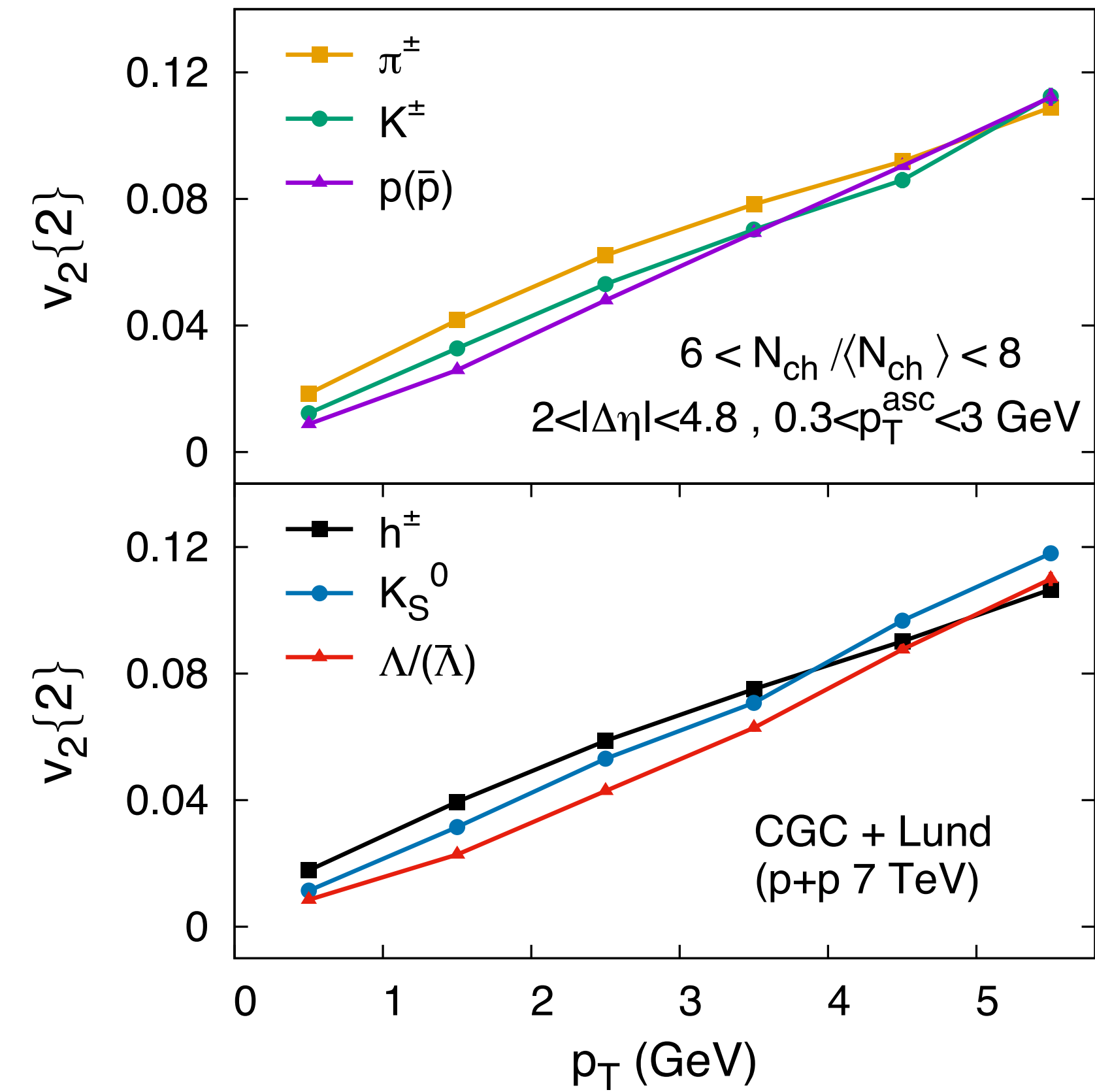
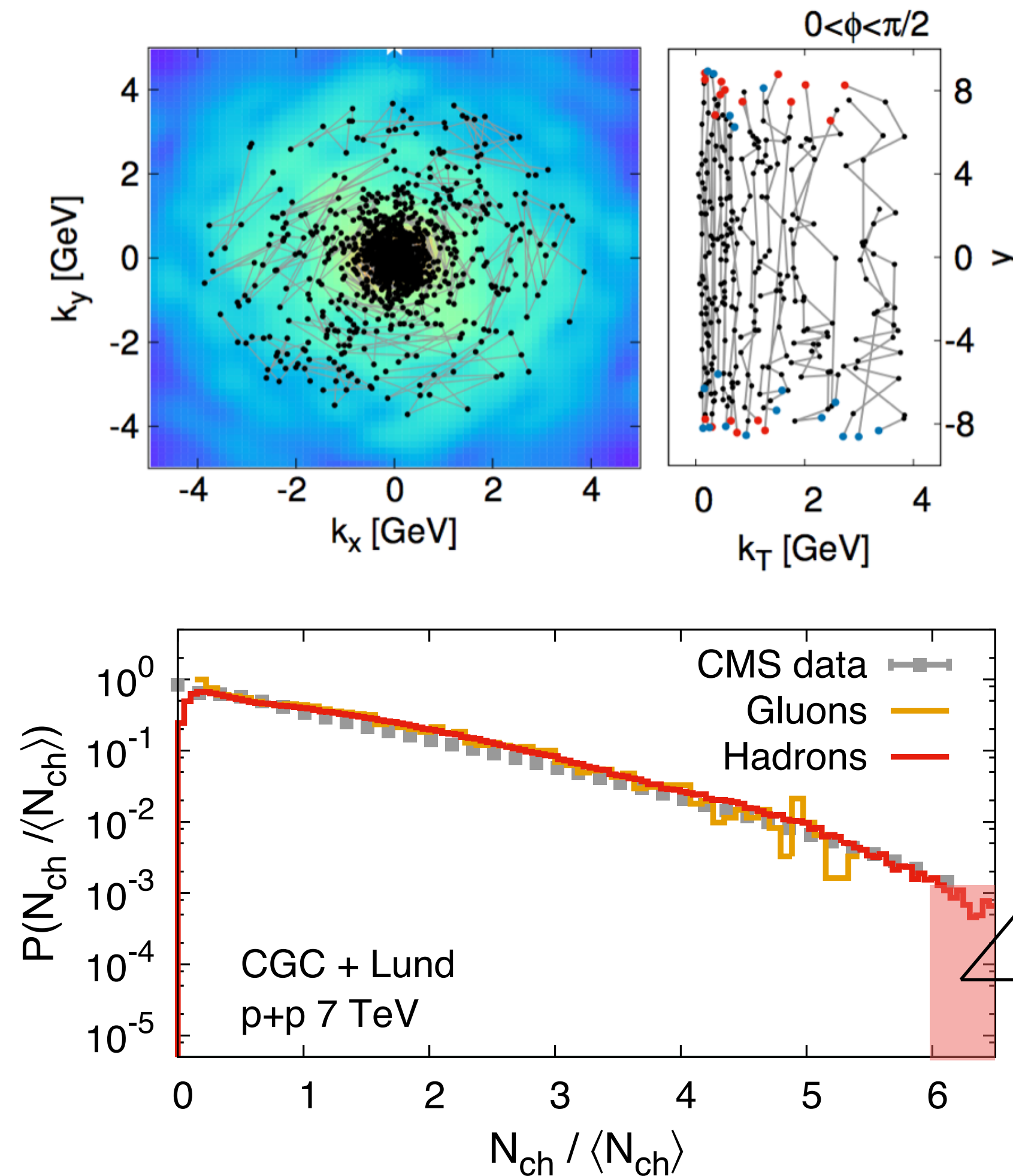
Schenke, Schlichting, PT and Venugopalan, 1607.02496 (to appear in PRL)



Purely momentum space correlations of gluons produce ridge after fragmentation

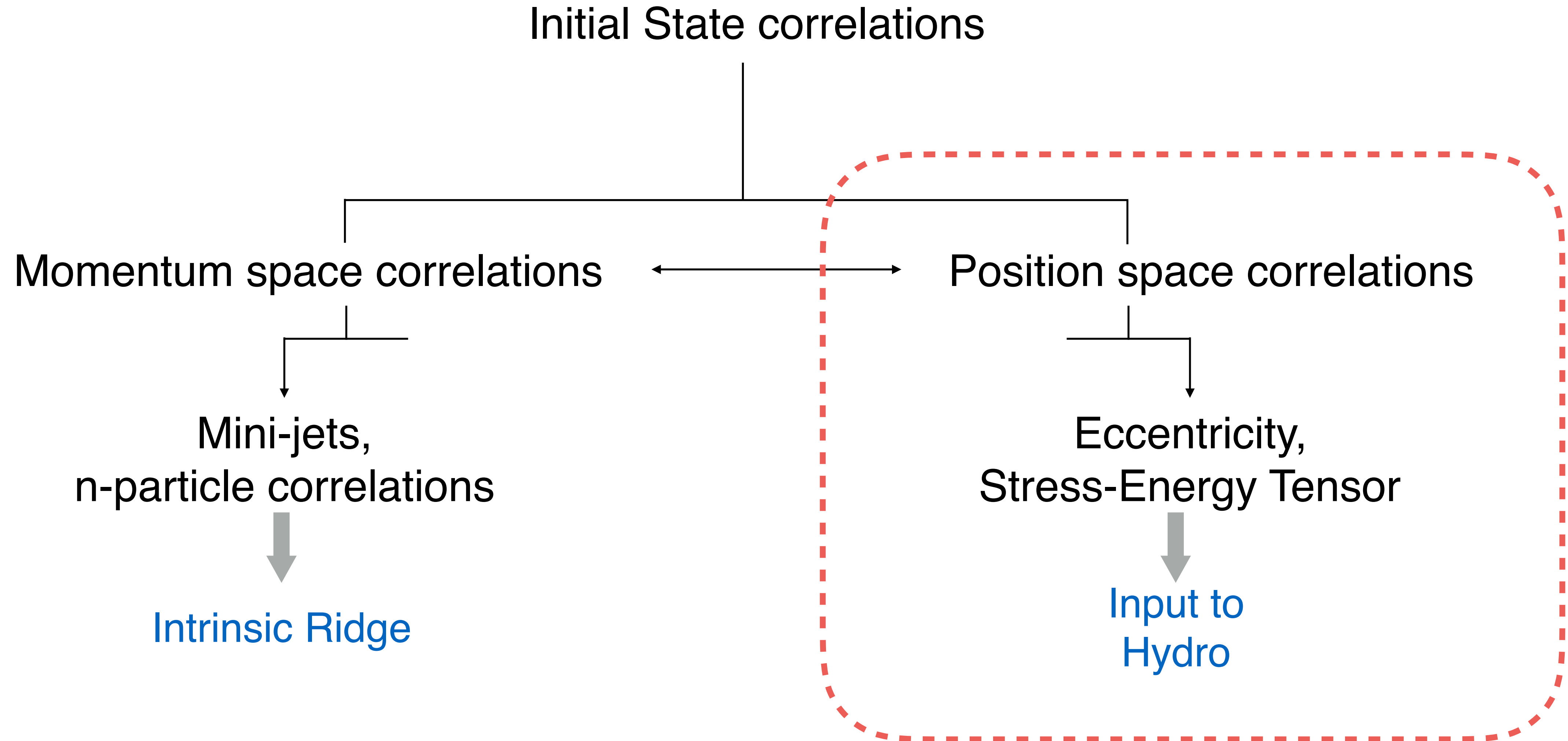
CGC (IP-Glasma) + PYTHIA (Fragmentation)

Schenke, Schlichting, PT and Venugopalan, 1607.02496 (to appear in PRL)



Mass ordering can come from initial state correlations + fragmentations

Initial state correlations



Common Initial conditions

Collision geometry + 2-comp model

CGC perturbative

CGC non-perturbative

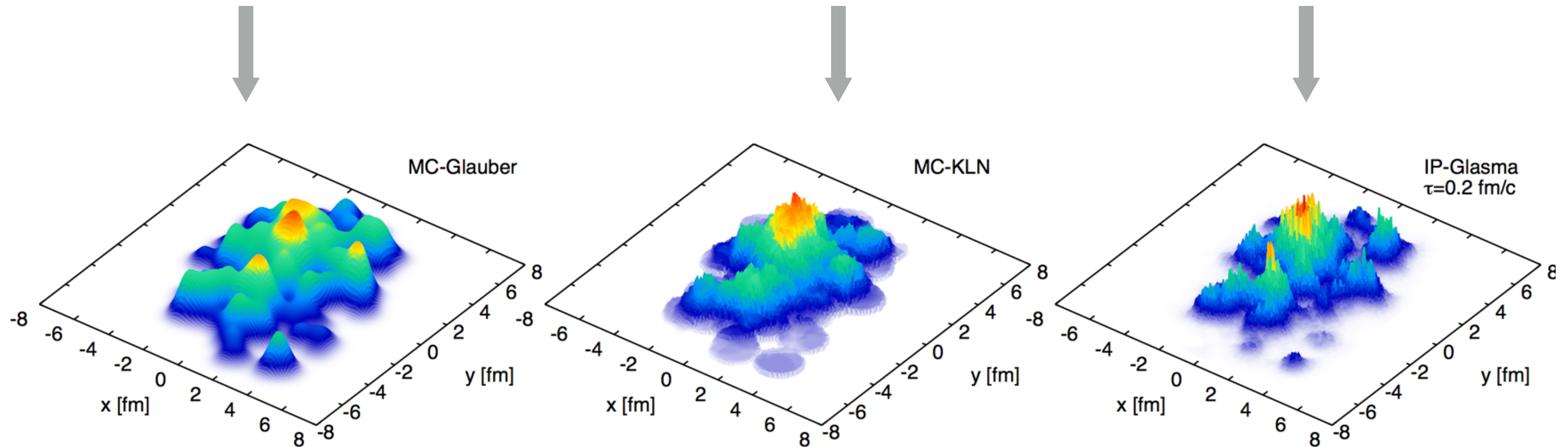


fig: Gale, Jeon, Schenke, Int.J.Mod.Phys. A28 (2013) 1340011

Energy densities from these models are input to hydrodynamic simulations

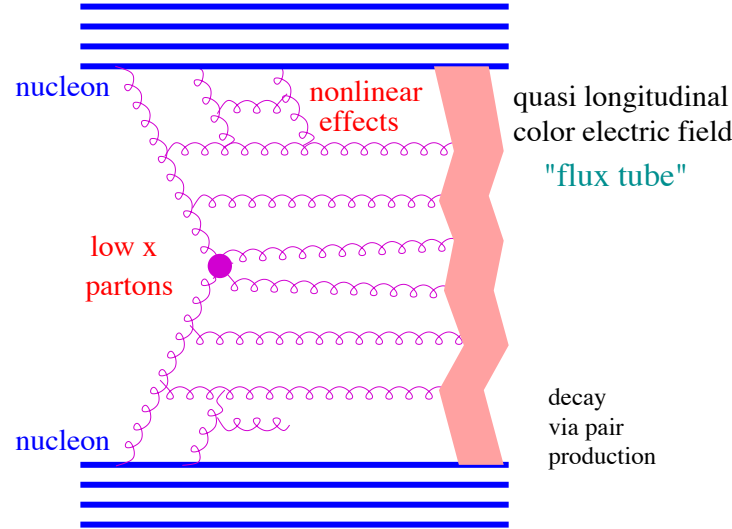
A few other models of initial conditions

neXus, EPOS : Parton-Based Gribov Regge Theory

Drescher, Hladik, Ostapchenko, Pierog, Werner, hep-ph/0007198.

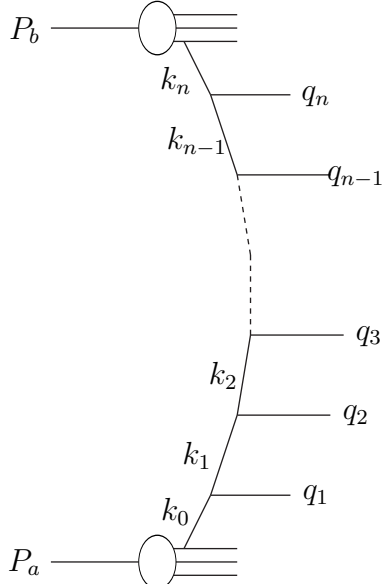
Werner, Liu, and Pierog, hep-ph/0506232

Pierog, Karpenko, Katzy, Yatsenko, Werner, 1306.0121



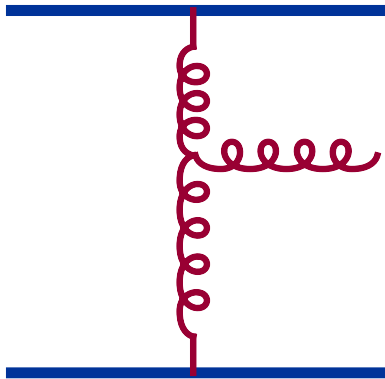
DIPSY : saturation + BFKL cascade

Flensburg, Gustafson, Lönnblad 1103.4321
 Flensburg 1108.4862



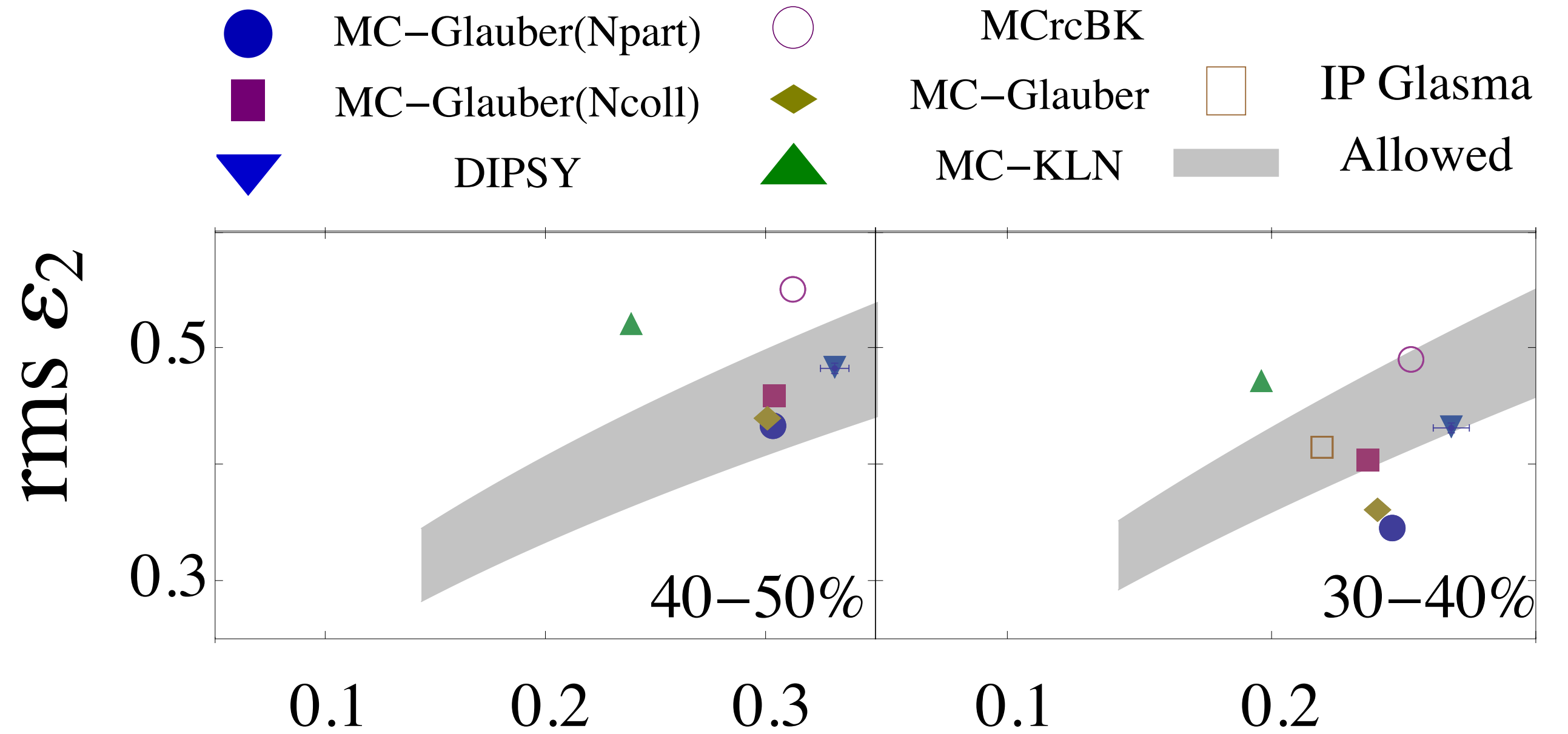
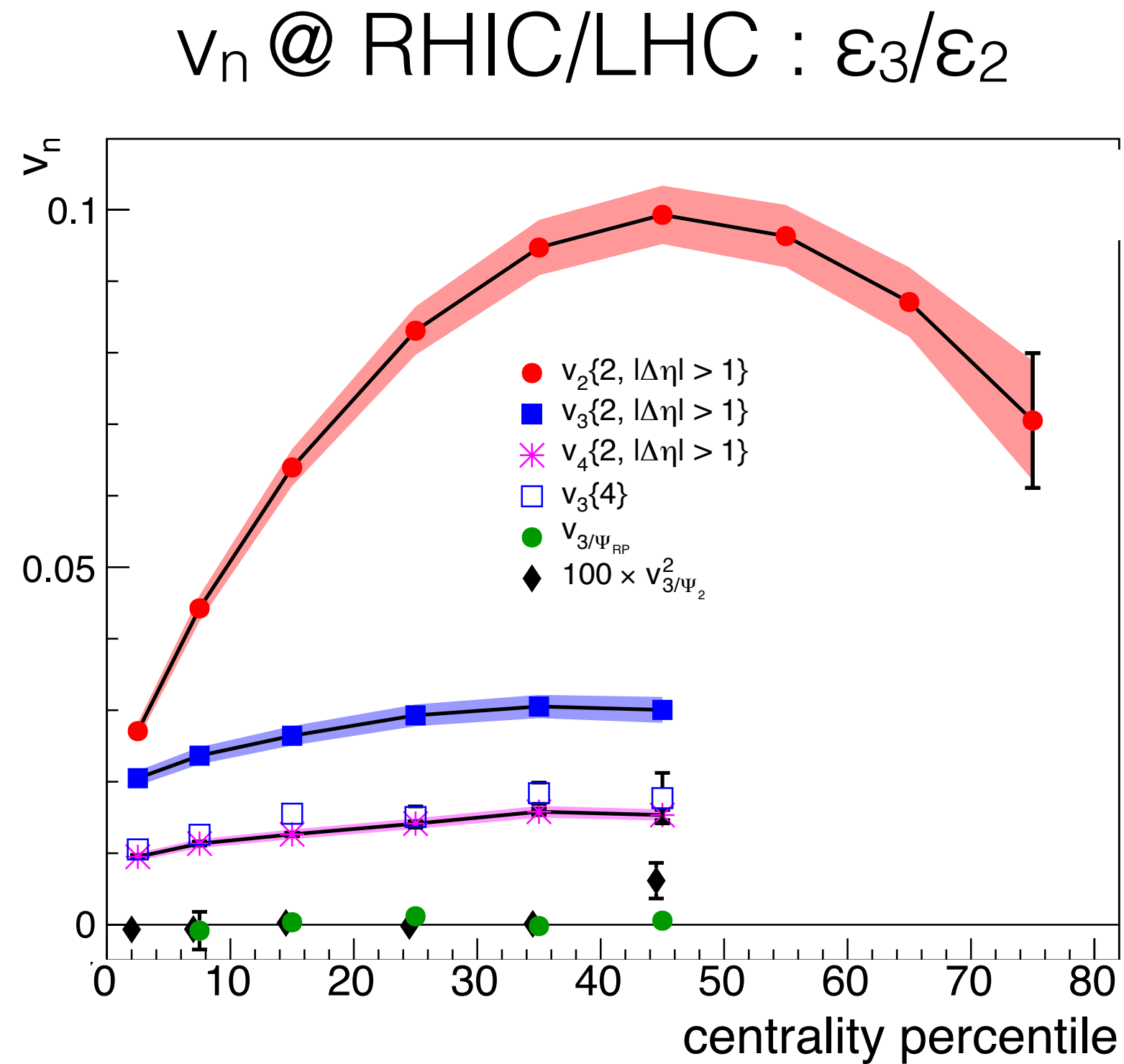
Kharzeev, Levin, Nardi, hep-ph/0111315, Drescher, Nara 0707.0249, Albacete, Dumitru 1011.5161

CGC factorization : KLN model, f-KLN, MC-KLN, MC-rcBK



Data that nailed it down

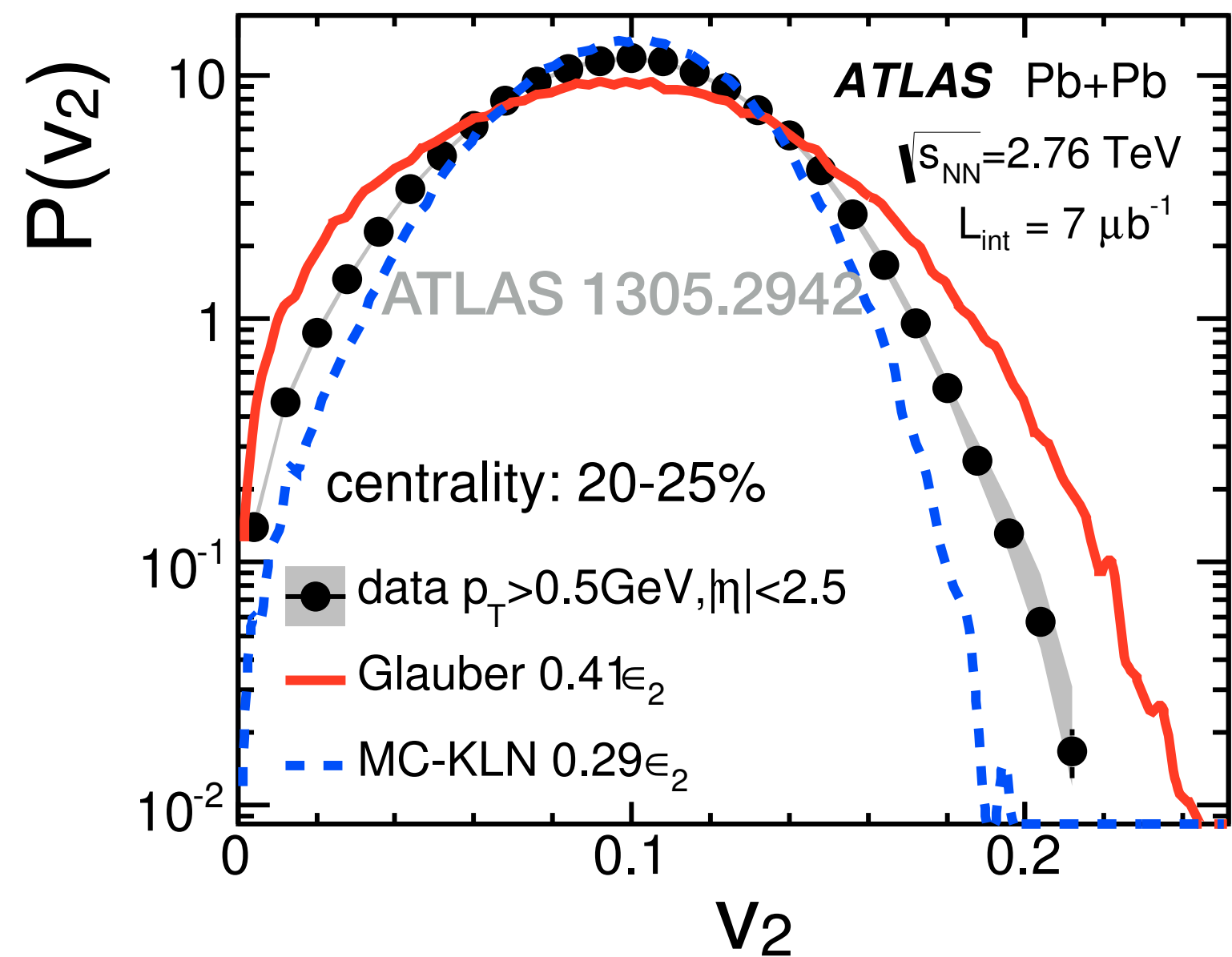
Retinskaya, Luzum, Ollitrault 1311.5339



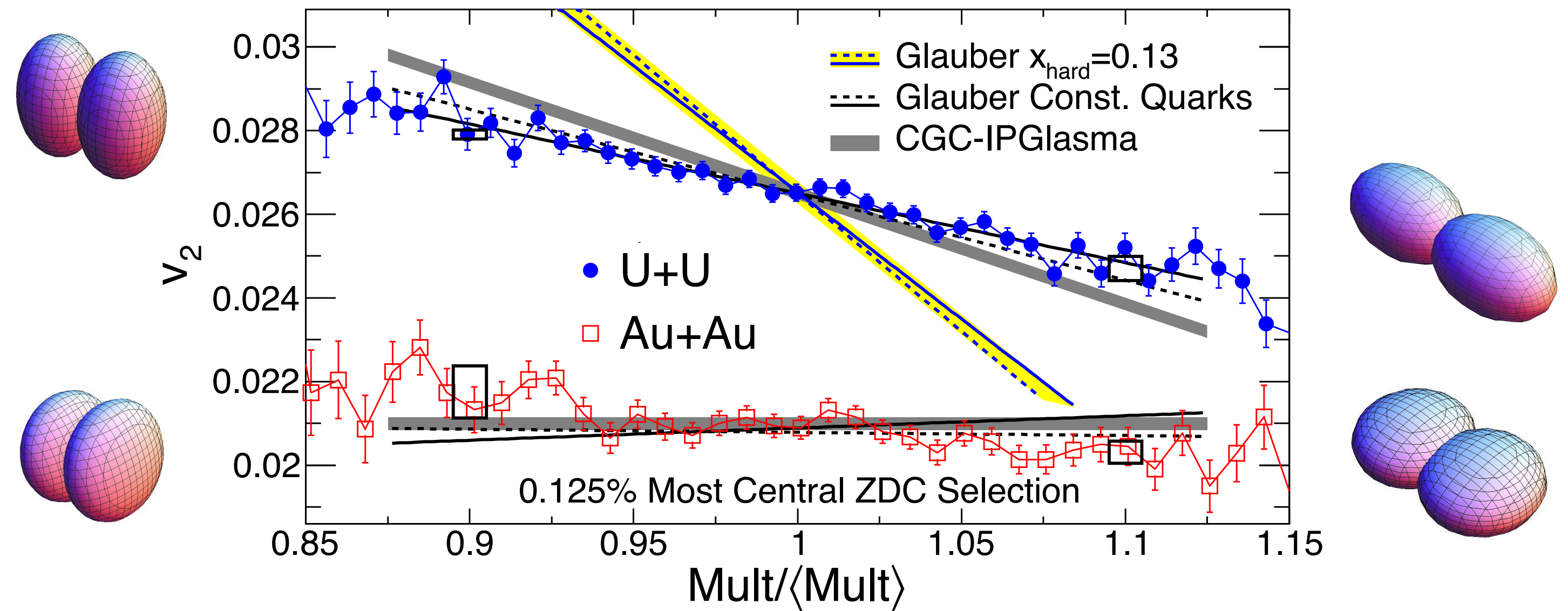
RHIC and LHC v_n data highly constrains initial state models

Data that nailed it down

$P(v_2)$ @ LHC



v_2 vs multiplicity in ultracentral events @ RHIC



These data constrained many models of initial conditions like MC-KLN & MC-Glauber (correlation between shape and multiplicity)

Improved Glauber Models

Modification of Glauber : additional coherence to be introduced

TRENTO

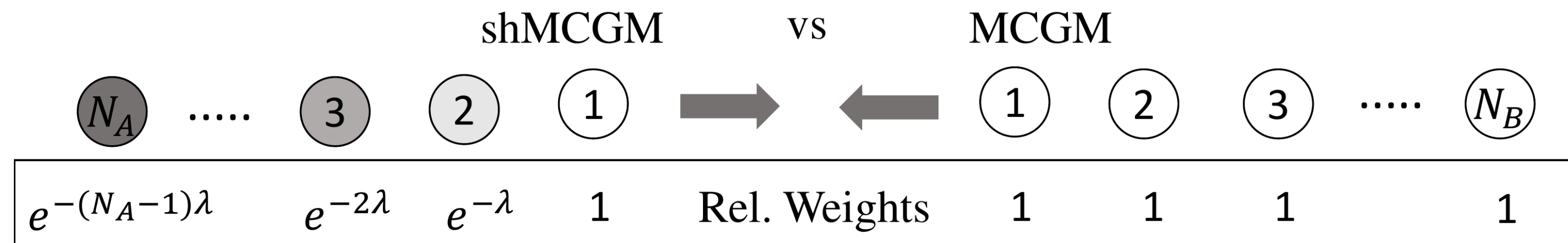
Quark-Glauber

Shadowed Glauber

Moreland, Bernhard, Bass 1412.4708

Eremin, Voloshin nucl-th/0302071, PHENIX 1509.06727

Chatterjee et al 1510.01311, 1601.03971



Shadowed Glauber

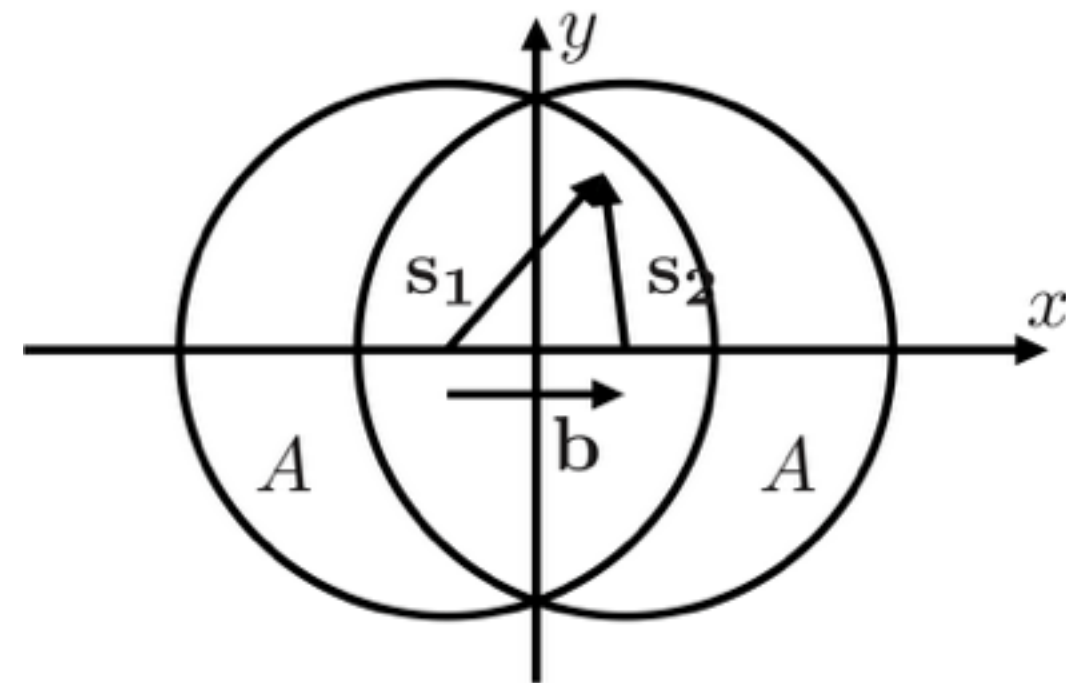
Normal Glauber

EKRT : pQCD (shadowing) + saturation

NLO pQCD cross section of mini-jets with nPDF

Niemi, Eskola, Paatelainen 1505.02677

$$\frac{dE_T(p_0, \sqrt{s}, \Delta y, \mathbf{s}, \mathbf{b})}{d^2s} = T_A(\mathbf{s} + \mathbf{b}/2) T_A(\mathbf{s} - \mathbf{b}/2) \sigma \langle E_T \rangle_{p_0, \Delta y}$$



Geometry

pQCD
+nPDF

saturation

Implementation of saturation when $2 \rightarrow 2 \sim 2 \rightarrow 3$

Time evolution \rightarrow Bjorken like expansion

Very successful phenomenology at RHIC and LHC

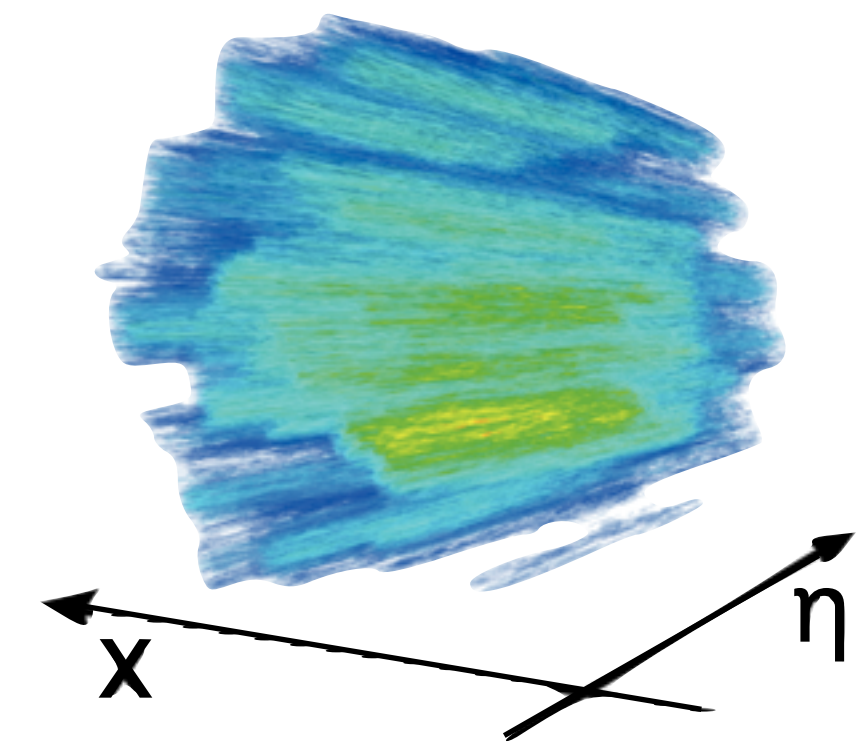
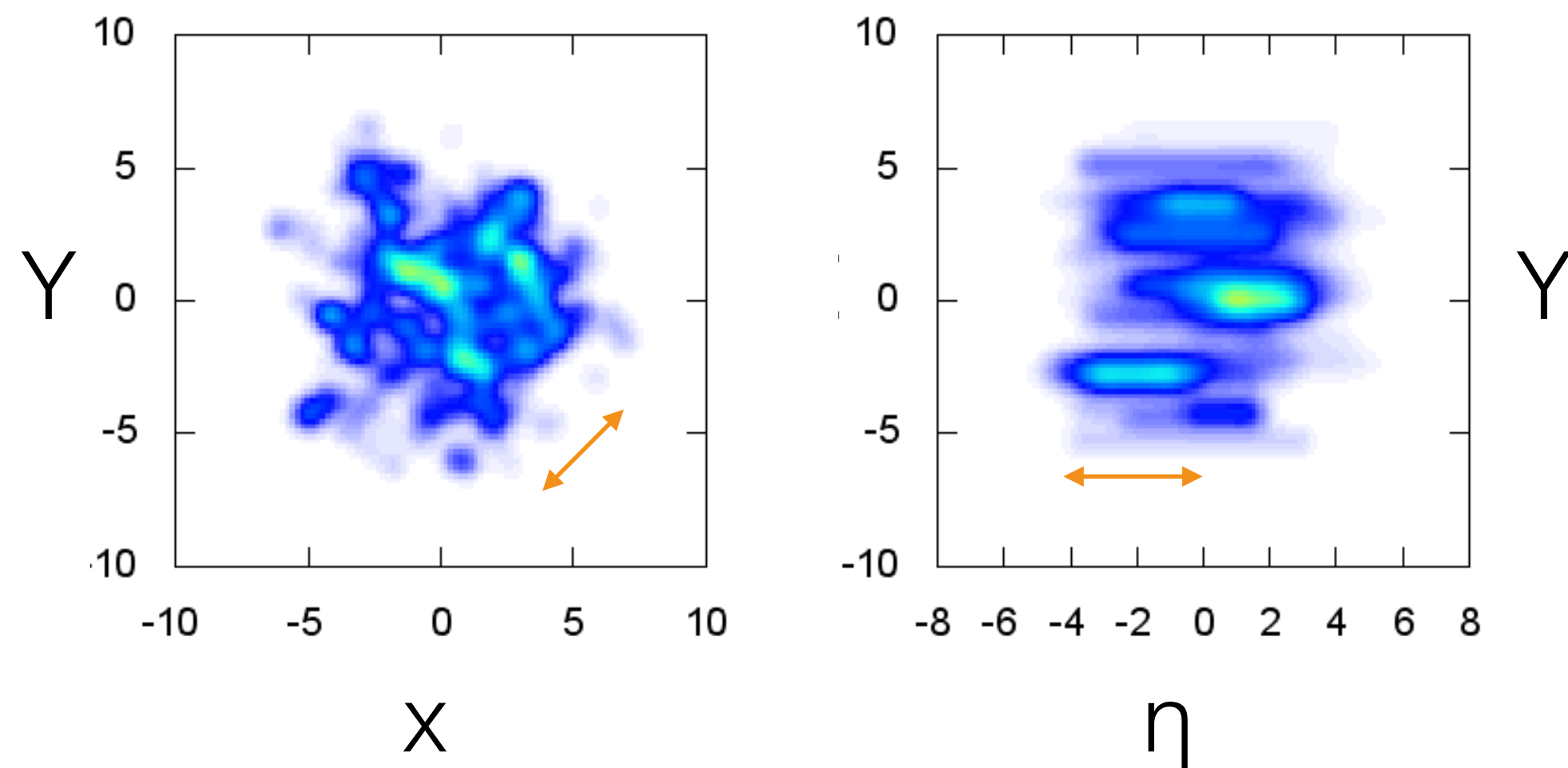
3D initial conditions

3D-Glauber (LeXUS + Glauber)

3D-Glasma (JIMWLK + IP-Glasma)

Schenke, Monnai 1509.04103

Schenke, Schlichting 1605.07158



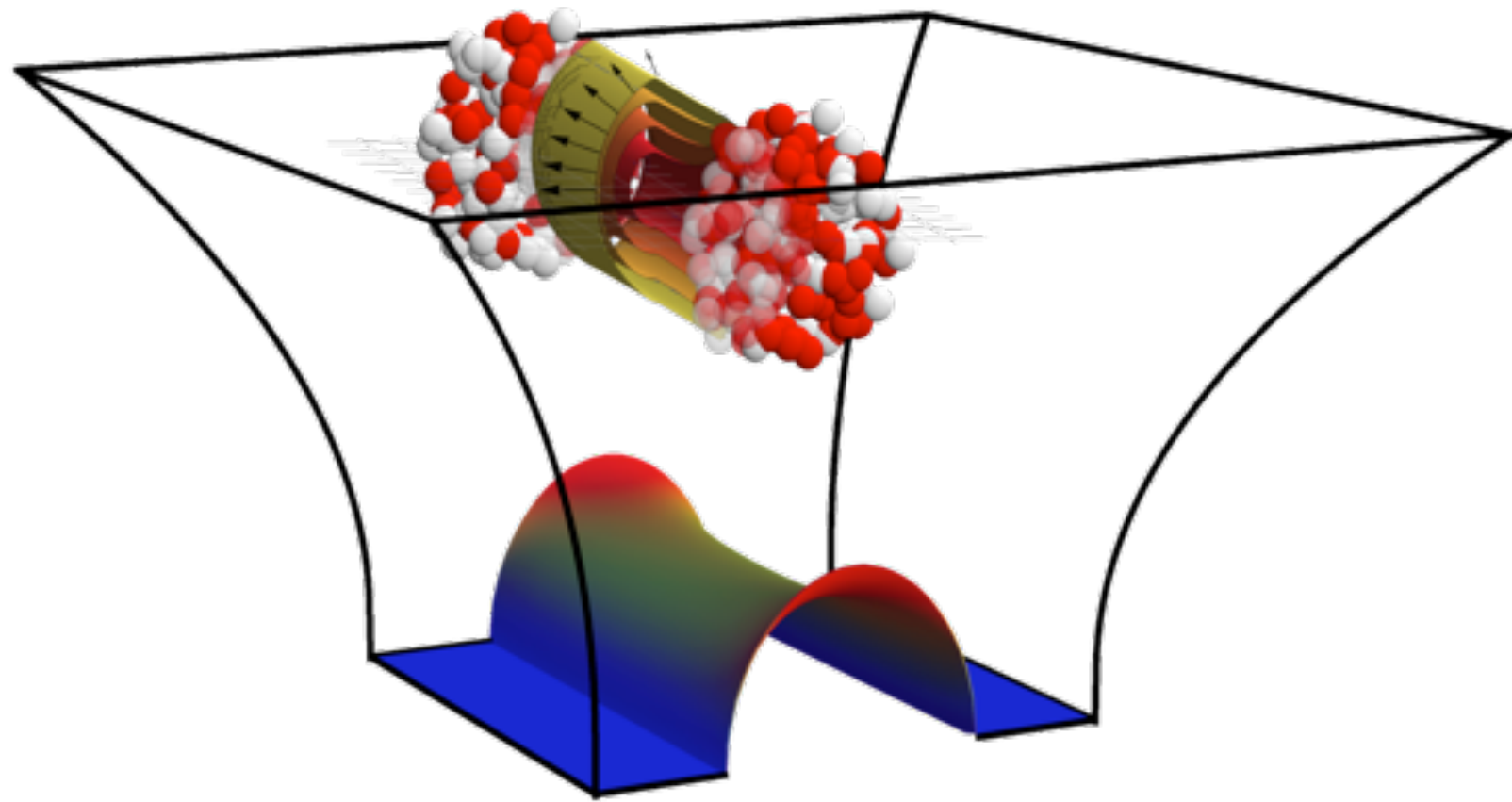
Breaking of **boost-invariance** \rightarrow due to longitudinal fluctuations
 \rightarrow **twist, torque, event-plane de-correlation**

3D initial state \rightarrow More important at lower energies

Holographic initial conditions

fig: W. Van der Schee QM'15

Chesler, Kilbertus, Van der Schee 1507.02548,
 Van der Schee, Schenke 1507.08195,
 Van der Schee, Romatschke, Pratt 1307.2539

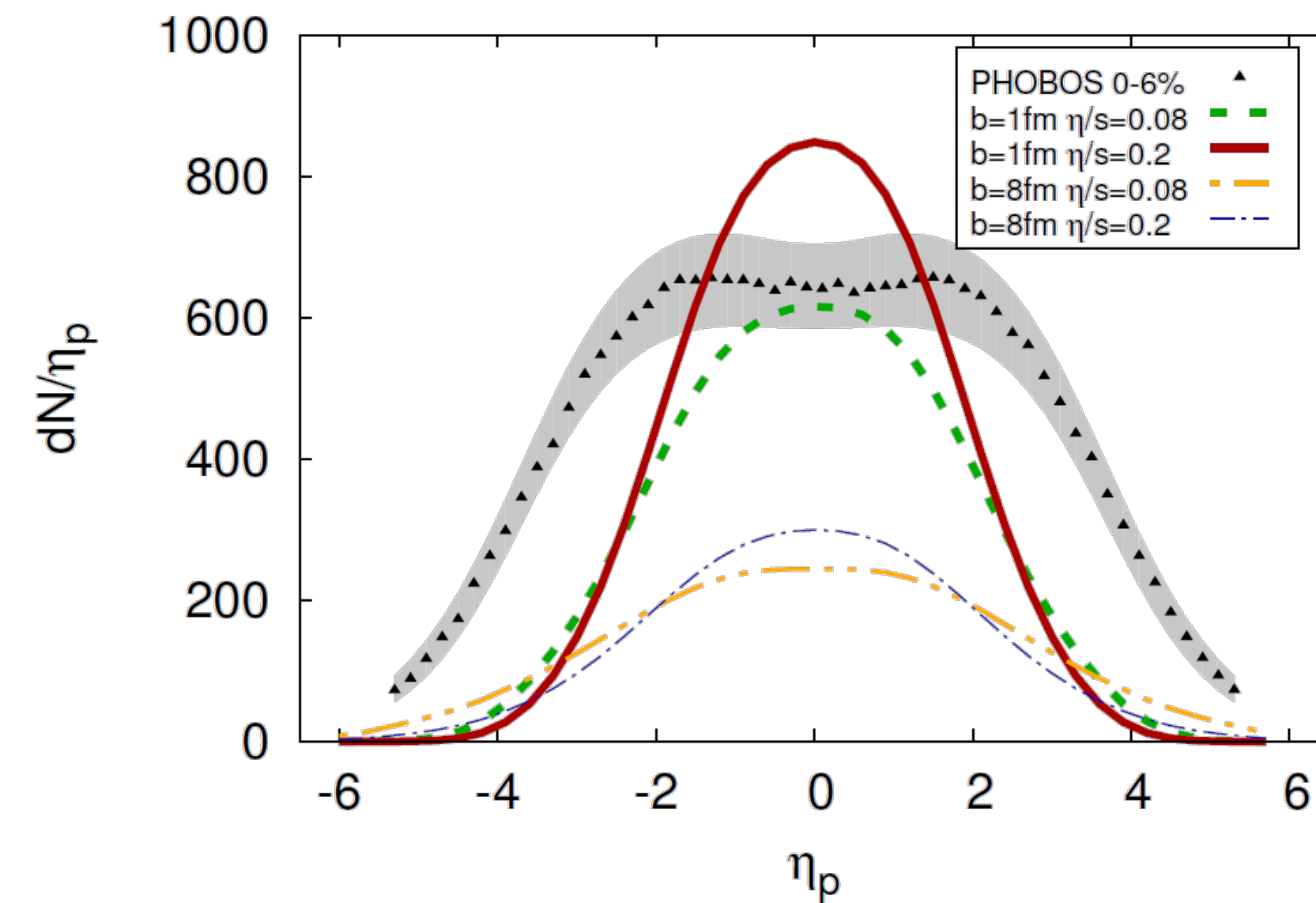
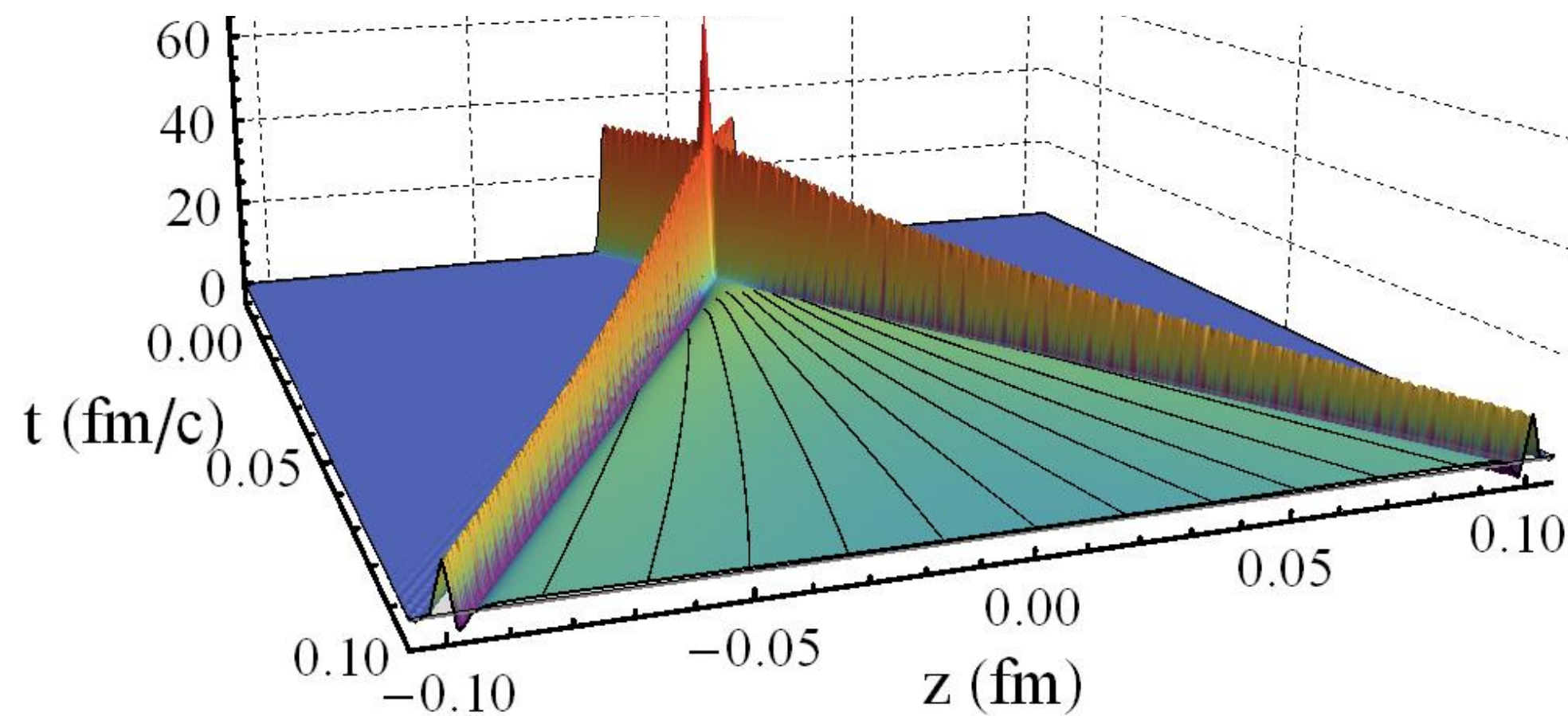


Use AdS/CFT correspondence & matching longitudinal profile of energy density

$$\mathcal{E}(t) = \frac{N_c^2 \Lambda^4}{2\pi^2} \left[\frac{1}{(\Lambda t)^{4/3}} - \frac{2\eta_0}{(\Lambda t)^2} \right]$$

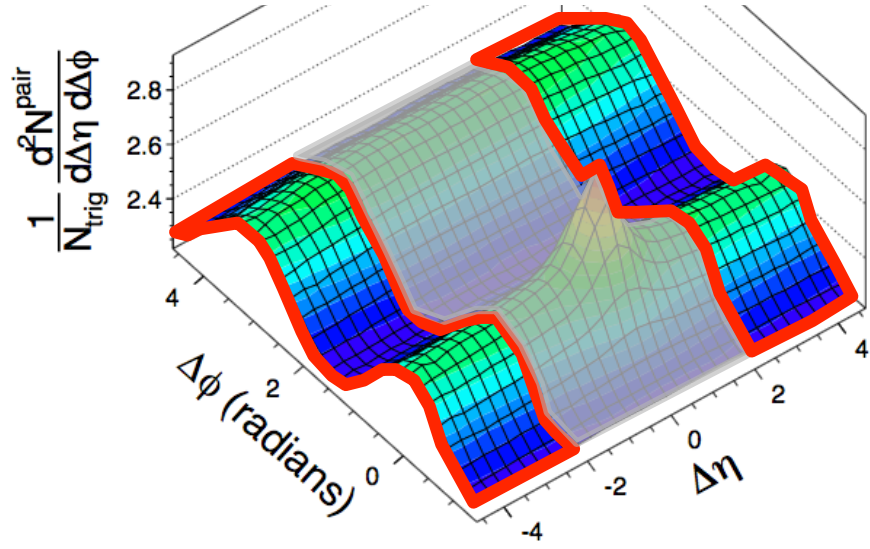
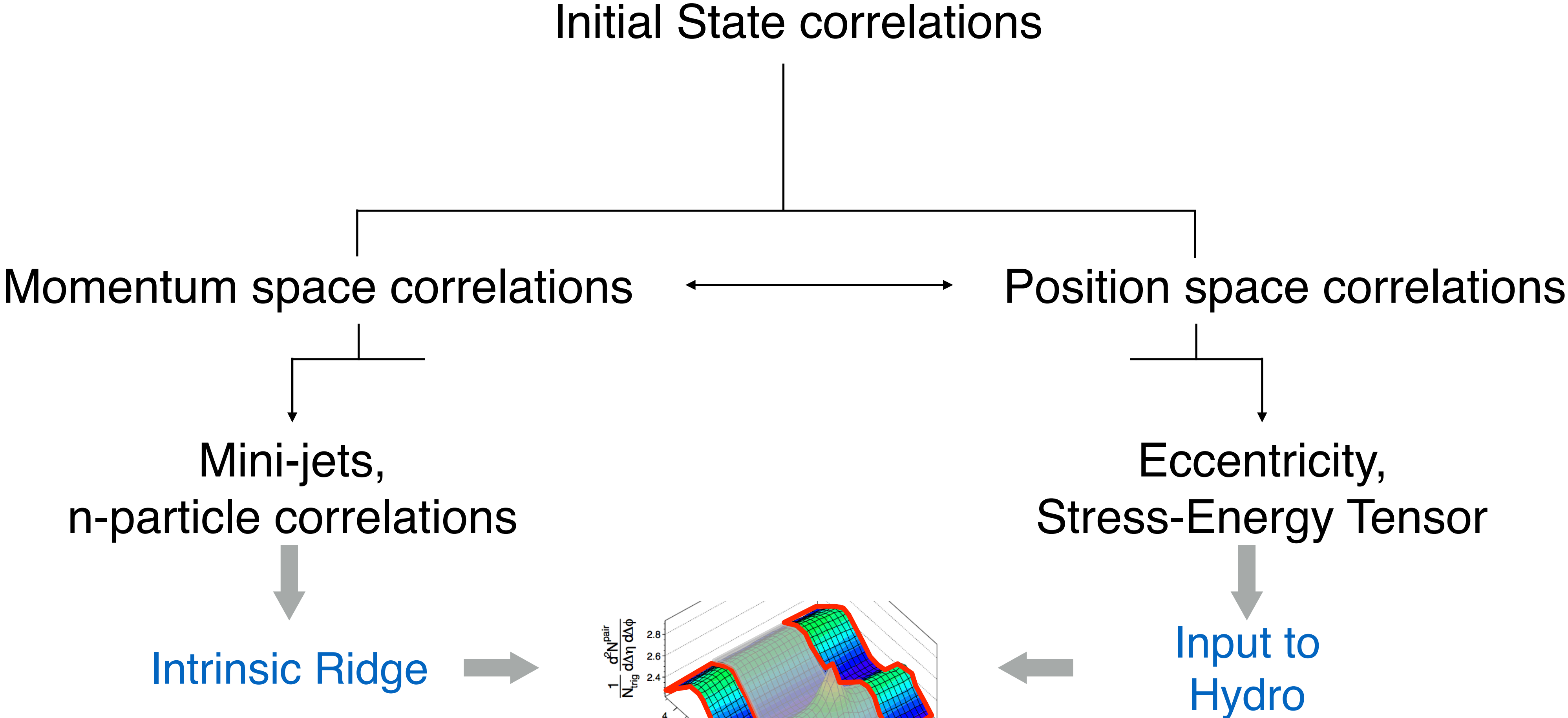
Heller and Janik, hep-th/0703243

collisions of two shocks



Generalized to lower energy, transverse structure introduced separately

Initial state correlations



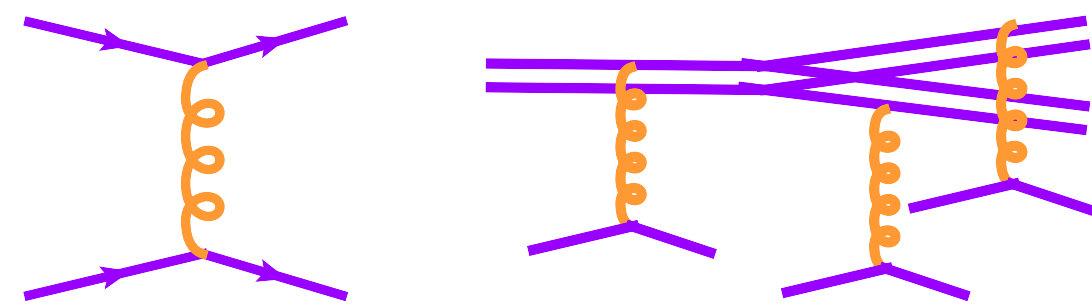
Approach to Isotropization / Thermalization

Epelbaum, Gelis 1307.2214

Pre-equilibrium dynamics - Classical Yang-Mills
can not lead to isotropization or thermalization

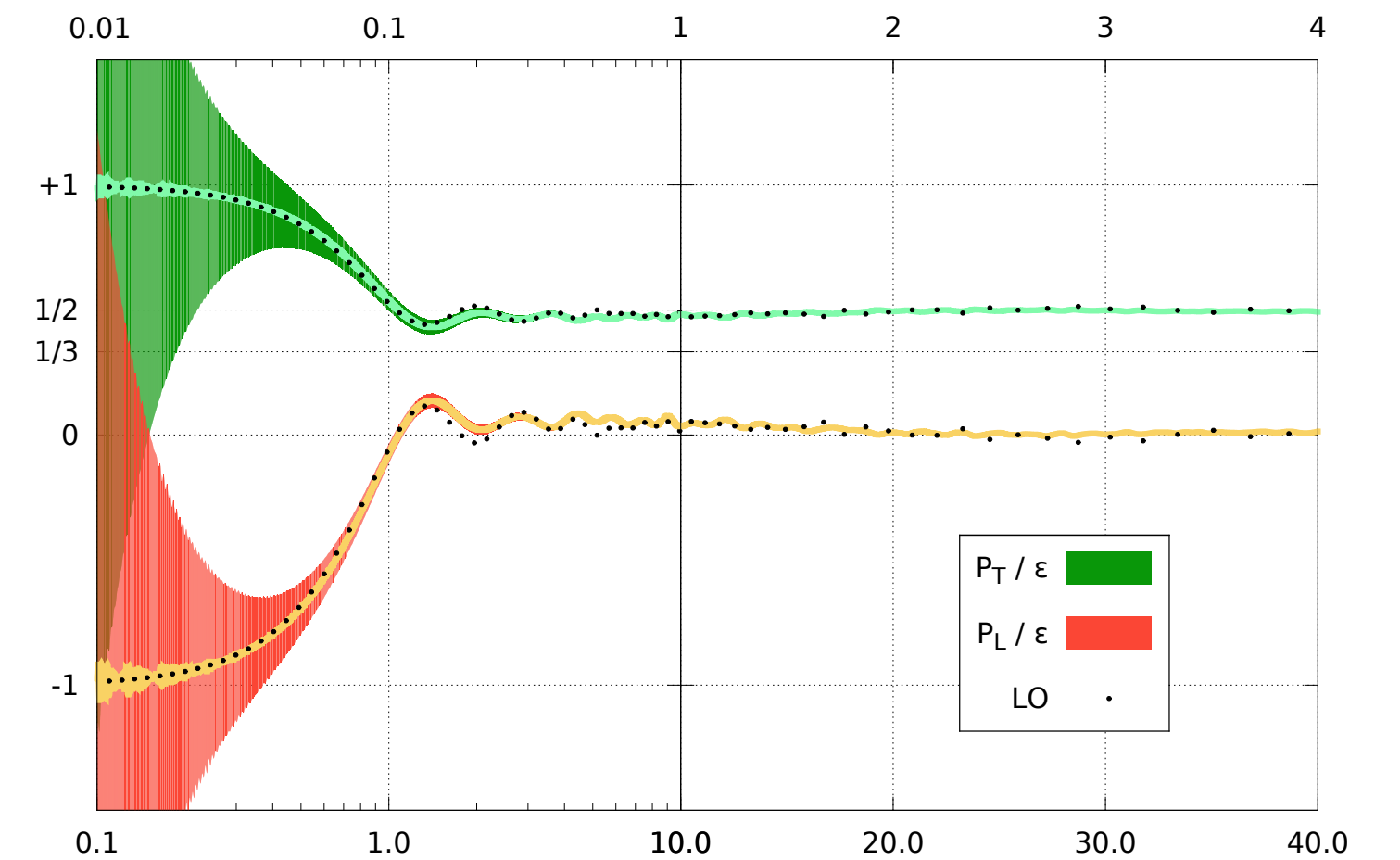
Effective Kinetic Theory \rightarrow ab initio approach

$$(\partial_t + \hat{\mathbf{p}} \cdot \nabla_{\mathbf{x}}) f_s(\mathbf{x}, \mathbf{p}, t) = -C_s^{2 \leftrightarrow 2}[f] - C_s^{1 \leftrightarrow 2}[f]$$

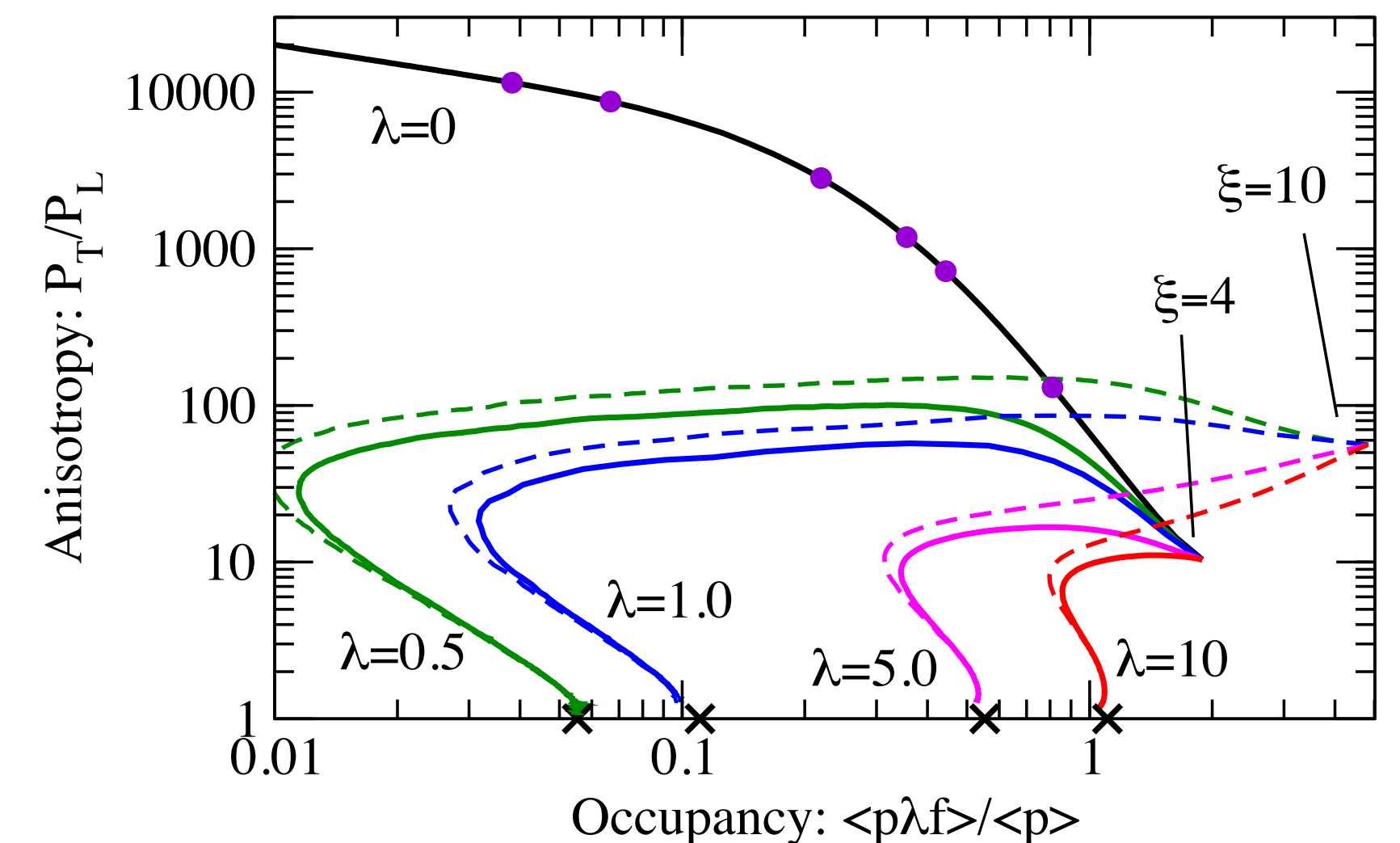


Quasiparticle picture \rightarrow Isotropization in weak coupling

talk by Aleksas

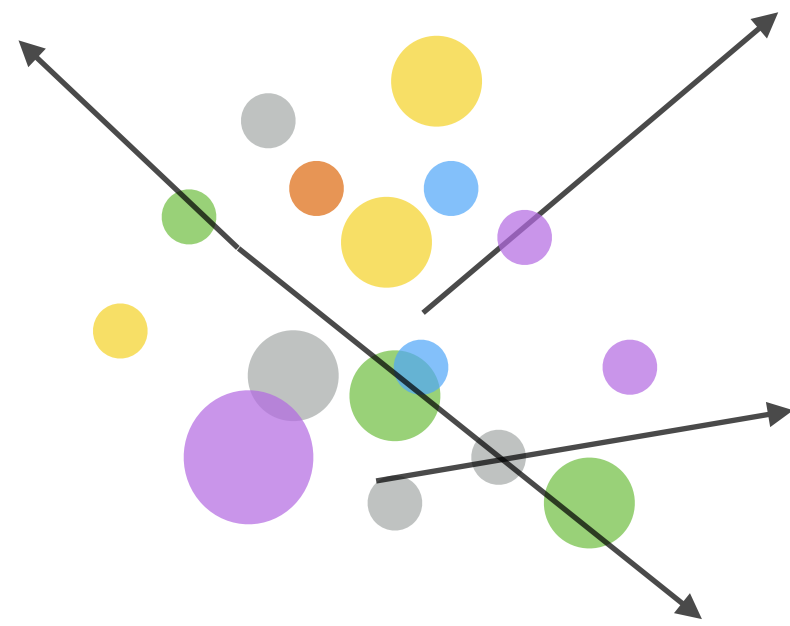


Arnold, Moore, Yaffe hep-ph/0209353
Kurkela, Zhu 1506.06647



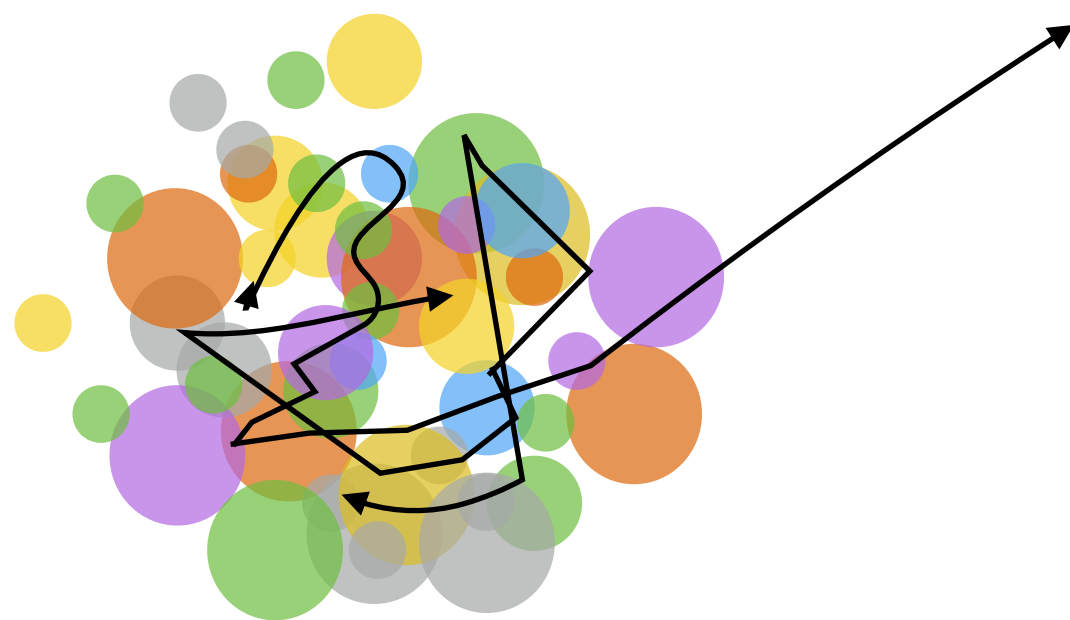
Qualitative Picture : Small systems

low multiplicity events



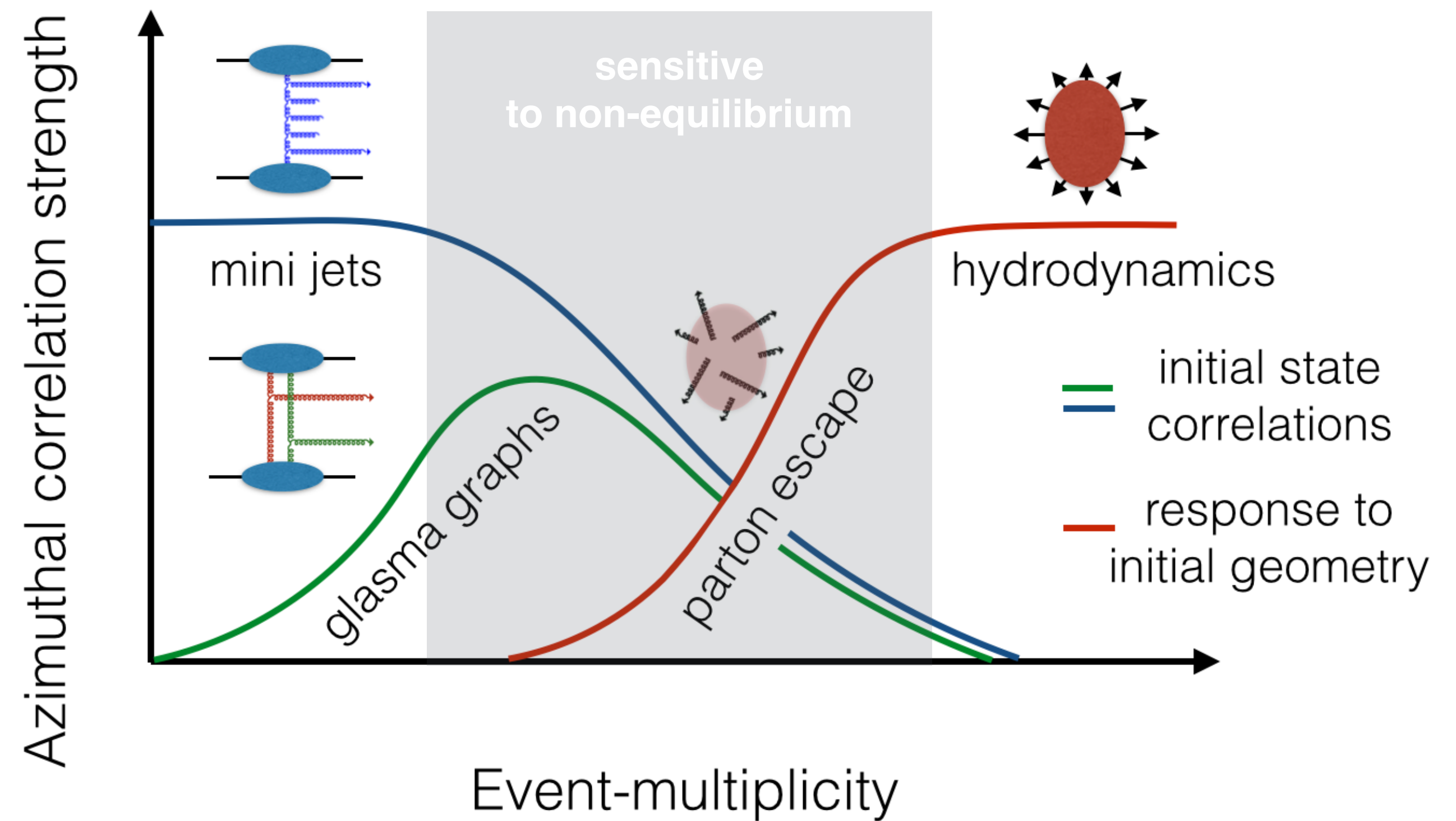
mini-jets escape

high multiplicity events



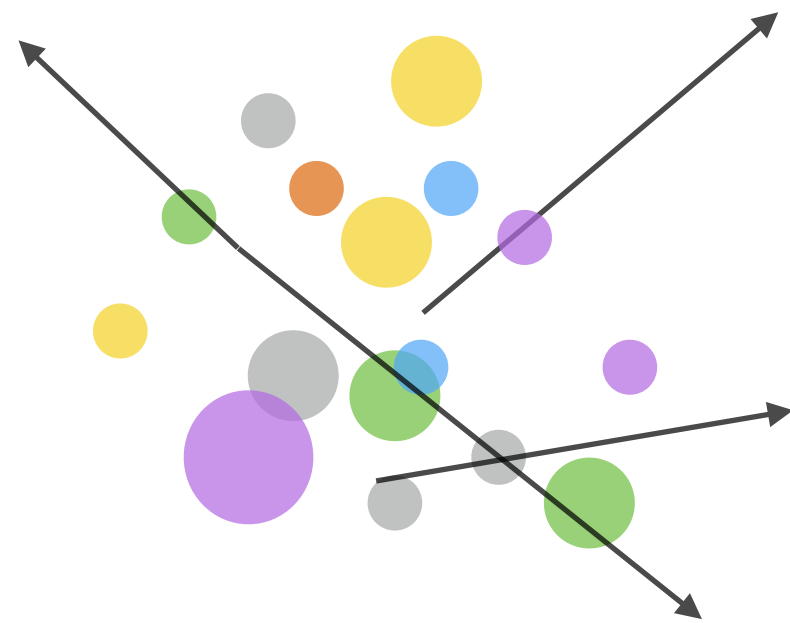
mini-jets quenched

Schlichting's Phase Diagram of Correlation



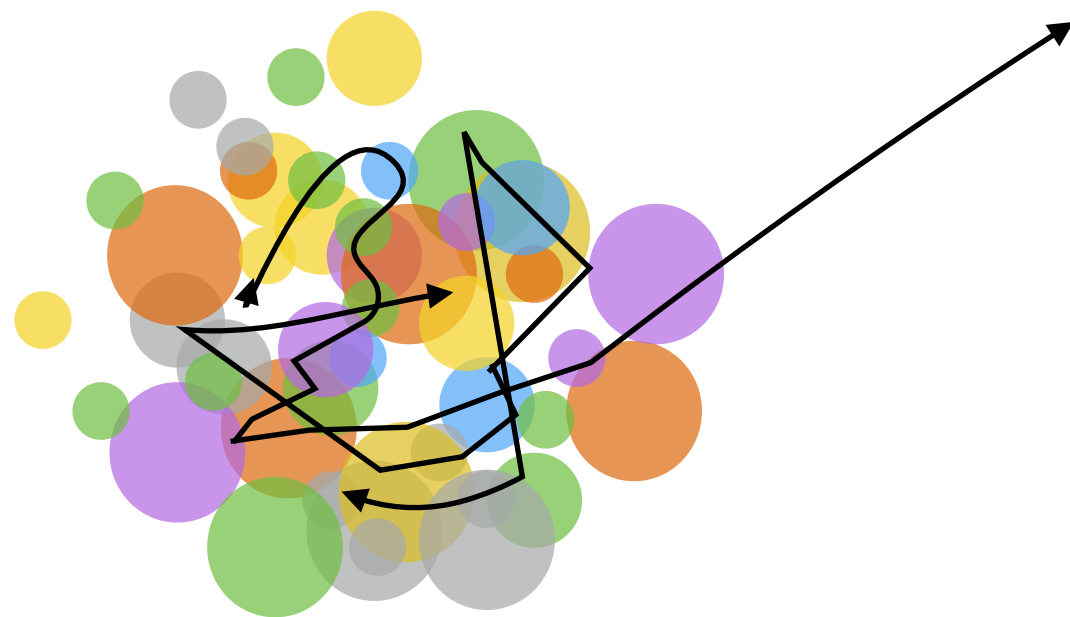
When does the final state take over ?

low multiplicity events

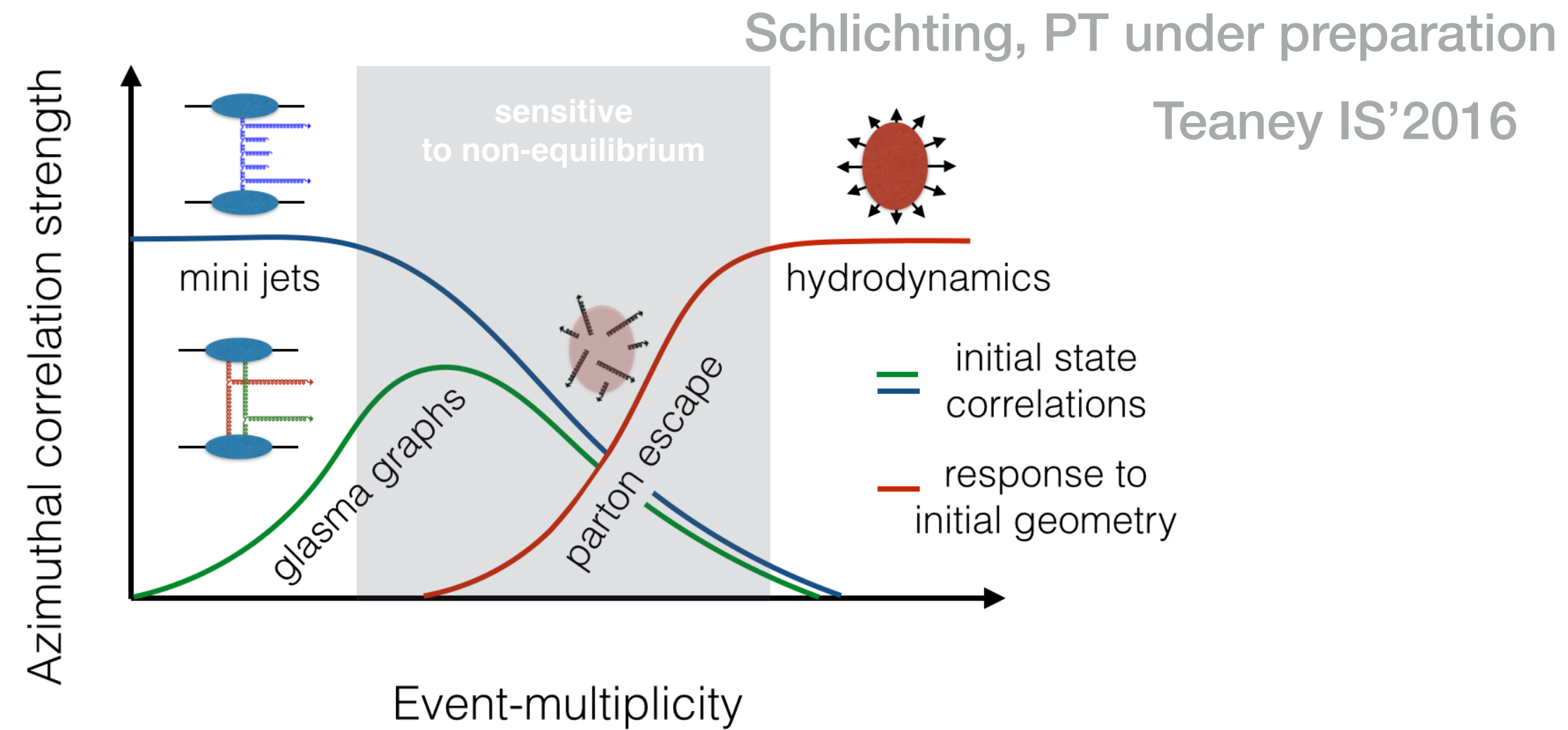


mini-jets escape

high multiplicity events



mini-jets quenched



Kurkela, Zhu 1506.06647

$$Q_s \tau_{eq} \simeq 10 \left(\frac{\eta}{s} \right)^{4/3} \frac{1}{T_{eq}} (g^2 N_c)^{1/3} \simeq 10$$

$$\text{Number density } dN/dy \simeq \xi Q_s^2 \pi R^2$$

$$\frac{\tau_{eq}}{R} \simeq \sqrt{\frac{100}{dN/dy}}$$

dN/dy ~ 100

Equilibration time ~ system size

Summary

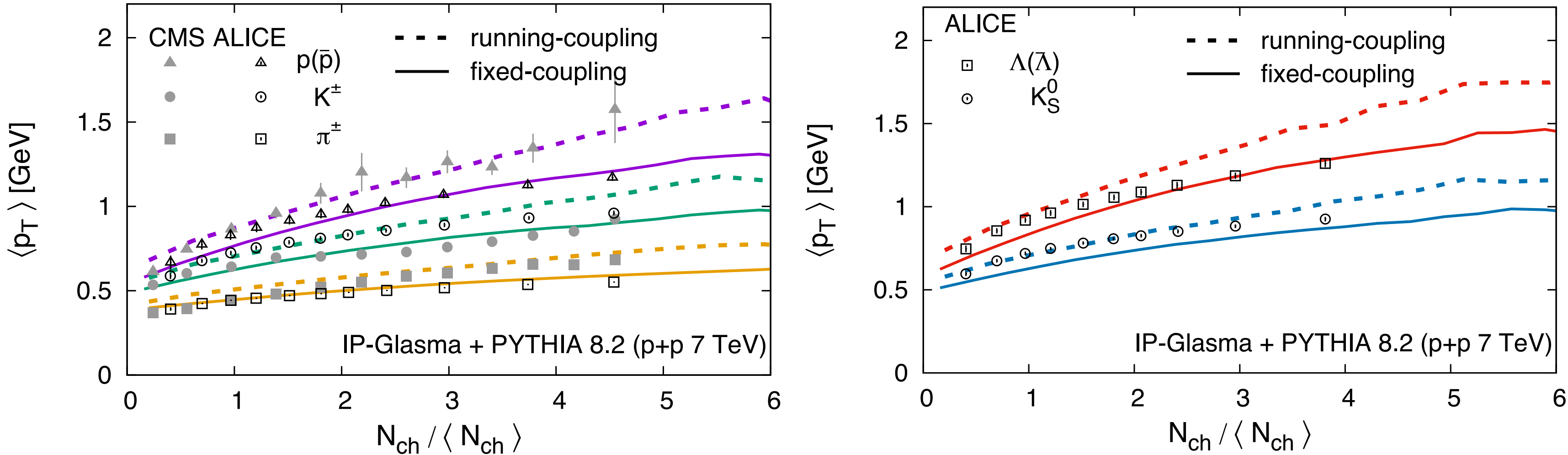
Understanding Initial state from a first principle approach is essential

Data in small systems provide unique opportunities and challenges

Understanding of isotropization will improve complete modeling of HICs

Backup

Mass ordering of average transverse momentum



Effect of running coupling \longrightarrow increase in $\langle p_T \rangle$

A list of models of initial conditions

Kharzeev, Levin, Nardi, hep-ph/0111315, Drescher, Nara 0707.0249

KLN model, f-KLN, MC-KLN:

k_{\perp} -factorization (dilute-dense approximation) with UGDs dependent on N_{part} $Q_S^2(x_{\perp}) \propto N_{\text{part}}(x_{\perp})$

Albacete, Dumitru 1011.5161

MC-rcBK: Monte-Carlo implementation of k_{\perp} -factorization with rc-BK UGDs constrained by HERA-data.

Schenke, PT, Venugopalan 1202.6646

IP-Glasma : IP-Sat initial condition (constrained by HERA data) and solutions of Classical Yang-Mill equations.