

Status and plans of CLIC FFS tuning with $L^* = 6m$

380 GeV & 3 TeV designs

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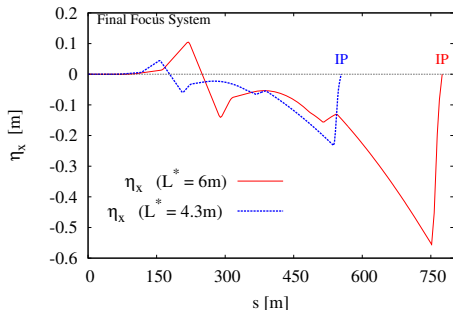
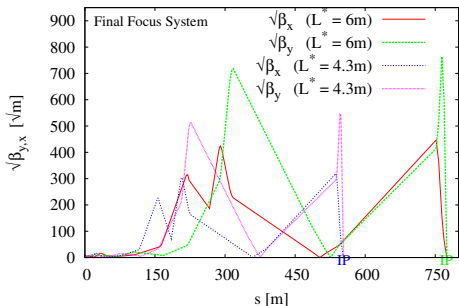
OUTLINES

- 1 380 GeV FFS tuning : L^* = 4.3 m vs 6 m
 - Presentation of the lattices
 - Tuning performance comparison

- 2 3 TeV FFS tuning : L^* = 6 m
 - Presentation of the lattices
 - Tuning performance comparison

- 3 Plans

CLIC 380 GeV : Presentation of the lattices



L^* (m)	6	4.3
$\sigma_x^*/\sigma_x^*(\text{SR})$ (nm)	157 / 160	150 / 150
$\sigma_y^*/\sigma_y^*(\text{SR})$ (nm)	3.6 / 3.5	2.78 / 2.7
L_{tot} ($10^{34} \text{cm}^{-2} \text{s}^{-1}$)	1.52	1.86
$L_{1\%}$ ($10^{34} \text{cm}^{-2} \text{s}^{-1}$)	0.94	1.09

- Details on the lattices optimization :

indico.cern.ch/event/449801/session/0/contribution/98

- For the $L^* = 6\text{m}$ lattice, FFS length scaled and dispersion optimized
- The dispersion level have been increased by 70% leading to reduce the average sextupole strength of the FFS by **40%**
- Both designs achieve the design Luminosity $L_{tot} = 1.5 \times 10^{34} \text{cm}^{-2} \text{s}^{-1}$ and $L_{peak} = 0.9 \times 10^{34} \text{cm}^{-2} \text{s}^{-1}$

TUNING : Alignment procedure applied

- The tuning of the Final Focus System aims to **mitigate the static imperfections** (misalignment, magnet strength errors) by means of **BPM readings, magnet movers and dipole correctors** in order to recover the luminosity loss from these imperfections
- The alignment procedure consists of 2 iterations of **Beam Based Alignment (BBA)**, for the correction of the **orbit** using steering magnets, followed by a **sextupole knobs tuning**, for the correction of the **beam parameters at the IP** using sextupole movers :

- 1 1-1 correction
- 2 1st Target Free Steering (TFS)
- 3 1st Sextupole Knobs tuning
- 4 2nd TFS
- 5 2nd Sextupole Knobs tuning

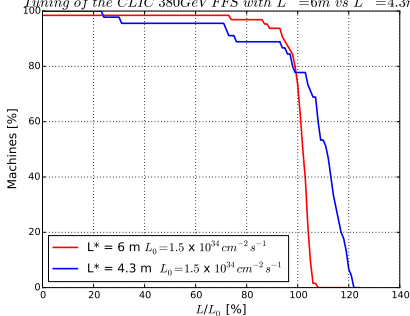
TUNING SETUP assumed for the simulations :

Static imperfections considered	transverse misalignment only
Elements misaligned	QUADRUPOLES, SEXTUPOLES, BPMs
Pre-alignment	$\sigma = 10\mu\text{m}$
BPM resolution	10 nm
Number of machines randomly misaligned	110
Goal	90 % of machines recover 90% of L_0

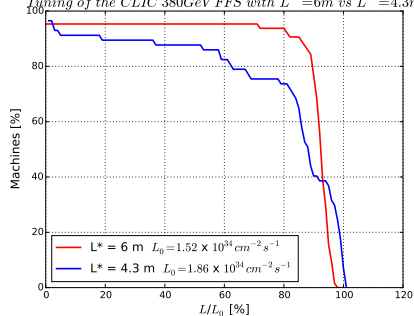
CLIC 380 GeV : Tuning performance comparison

- For $L^*=4.3\text{m}$, for 1 iteration 88% of the machines achieves 90% of $L_0 = 1.5 \times 10^{34} \text{cm}^{-2} \text{s}^{-1}$ → **The Goal is achieved**
- For $L^*=6\text{m}$, for 1 iteration 91% of the machines achieves 90% of $L_0 = 1.5 \times 10^{34} \text{cm}^{-2} \text{s}^{-1}$ → **The Goal is achieved**
- When normalized to the maximum luminosity achievable by each lattice, one can see that the long L^* lattice shows better tuning performances

Tuning of the CLIC 380GeV FFS with $L^* = 6\text{m}$ vs $L^* = 4.3\text{m}$

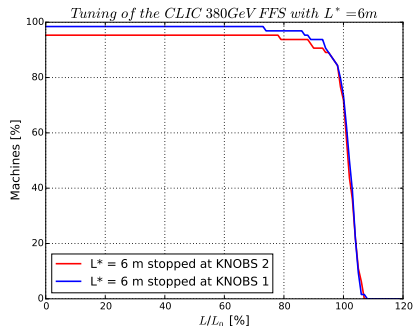
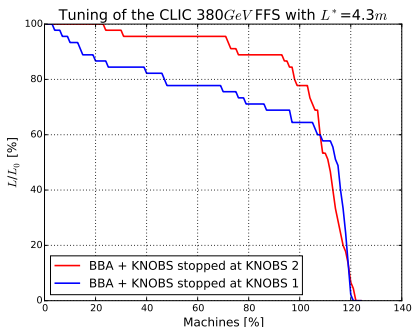
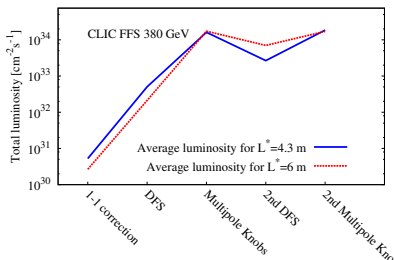


Tuning of the CLIC 380GeV FFS with $L^* = 6\text{m}$ vs $L^* = 4.3\text{m}$



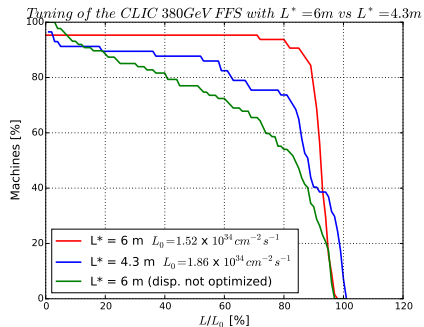
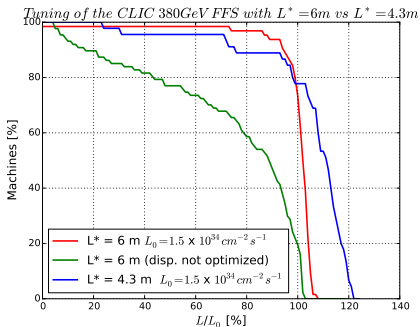
CLIC 380 GeV : Tuning performance comparison

- For $L^*=4.3\text{m}$ the second DFS and multipole knobs improves significantly the luminosity
- For $L^*=6\text{m}$ no major differences between the first and second DFS and multipole knobs
- The free parameters of the DFS can be further optimize or the number of iterations can be divided by 2

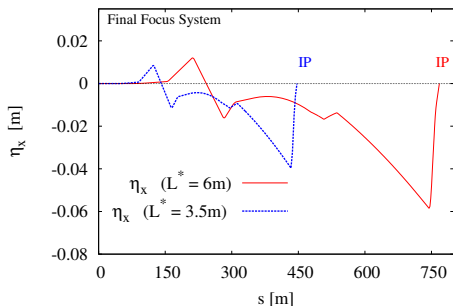
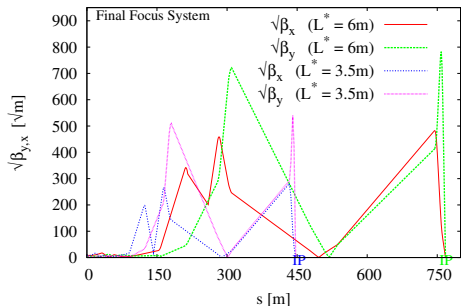


CLIC 380 GeV : Tuning performance comparison

- The green lines show the tuning performance of the $L^*=6\text{m}$ before dispersion optimization. The dispersion was 70% lower and the sextupole strengths 40% higher
- One can see the clear dependence and impact of the sextupole strengths (thus dispersion level) in the FFS on the tuning performance
- $L^*=6\text{m}$ before optimization : 48% of the machines achieve 90% of L_0 /
After : 91% of the machines achieve 90% of L_0



CLIC 3 TeV : Presentation of the lattices



L^* (m)	6	3.5
$\sigma_x^*/\sigma_x^*(\text{SR})$ (nm)	41.2 / 49.7	40 / 47.7
$\sigma_y^*/\sigma_y^*(\text{SR})$ (nm)	1.44 / 2	1 / 2.5
L_{tot} ($10^{34} \text{cm}^{-2} \text{s}^{-1}$)	6.43	7.5
$L_{1\%}$ ($10^{34} \text{cm}^{-2} \text{s}^{-1}$)	2.06	2.3

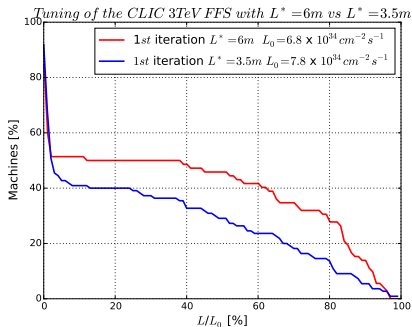
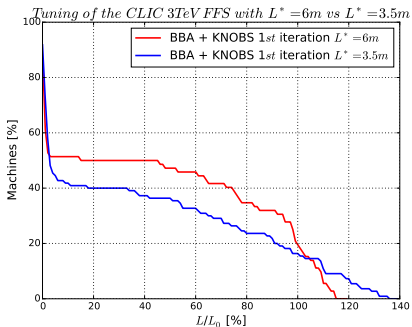
- Details on the lattices optimization :

indico.cern.ch/event/449801/session/0/contribution/98

- For the $L^* = 6\text{m}$ lattice, FFS length scaled and dispersion optimized
- The dispersion level have been reduced by 15% leading to increase the average sextupole strength of the FFS by **18%**
- Both designs achieve the design Luminosity $L_{tot} = 5.9 \times 10^{34} \text{cm}^{-2} \text{s}^{-1}$ and $L_{peak} = 2 \times 10^{34} \text{cm}^{-2} \text{s}^{-1}$

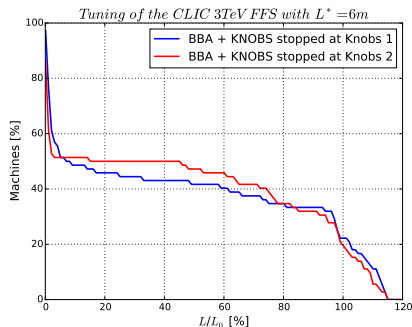
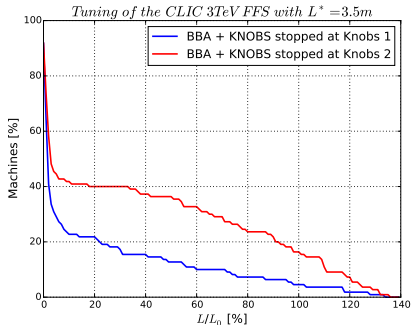
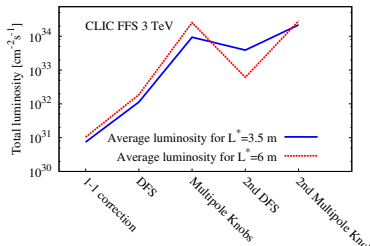
CLIC 3 TeV : Tuning performance comparison

- For $L^*=3.5\text{m}$, for 1 iteration 22% of the machines achieves 90% of $L_0 = 5.9 \times 10^{34} \text{cm}^{-2} \text{s}^{-1}$ → **Goal NOT achieved**
- For $L^*=6\text{m}$, for 1 iteration 32% of the machines achieves 90% of $L_0 = 5.9 \times 10^{34} \text{cm}^{-2} \text{s}^{-1}$ → **Goal NOT achieved**
- When normalized to the maximum luminosity achievable by each lattice, one can see that the long L^* lattice shows slightly better tuning performances



CLIC 3 TeV : Tuning performance comparison

- For $L^*=3.5\text{m}$ the second DFS and multipole knobs improves significantly the luminosity
- For $L^*=6\text{m}$ no major differences between the first and second DFS and multipole knobs
- The free parameters of the DFS should be further optimize



Summary and Plans

CLIC 380 GeV

- Tuning results are satisfactory for both L^* options and the dispersion optimization have shown good improvement in luminosity and in the tuning performance
- We can move to more realistic tuning by introducing magnet strength and roll errors to check their impact on the tuning
- A two-beam tuning for these lattices at low energy should conclude on the tuning feasibility

CLIC 3 TeV

- Both L^* options do not meet the tuning requirements
- The optimized $L^*=6\text{m}$ lattice shows slightly better tuning performance. A tuning iteration is planned for the $L^*=6\text{m}$ lattice BEFORE dispersion optimization to check if it had an impact on the tuning
- More iterations are needed for both cases as well as tuning algorithm improvements