

# Cosmological Constraints on Twin Higgs Models

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1512.02647 Hsin-Chia Cheng, Sunghoon Jung, Ennio Salvioni, YT  
1601.07556 Marat Freytsis, Simon Knapen, Dean Robinson, YT

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# Twin Higgs gives a well-motivated mirror-sector DM model

$\tilde{\ell}^{\pm}$

$\tilde{W} / \tilde{Z}$

Twin Hadrons

$\tilde{\gamma} \quad \tilde{\nu}$

Mirror symmetry fixes various couplings & masses

# Twin Higgs gives a well-motivated mirror-sector DM model

WIMP-DM

$$\tilde{\ell}^{\pm}$$
$$\tilde{W} / \tilde{Z}$$

Asymmetric-DM

Twin Hadrons

$$\tilde{\gamma} \quad \tilde{\nu}$$

Mirror symmetry fixes various couplings & masses

But the mirror-sector can be well-constrained by cosmology

Relic density, Direct & Indirect Detections

$$\tilde{\ell}^{\pm}$$

$$\tilde{W} / \tilde{Z}$$

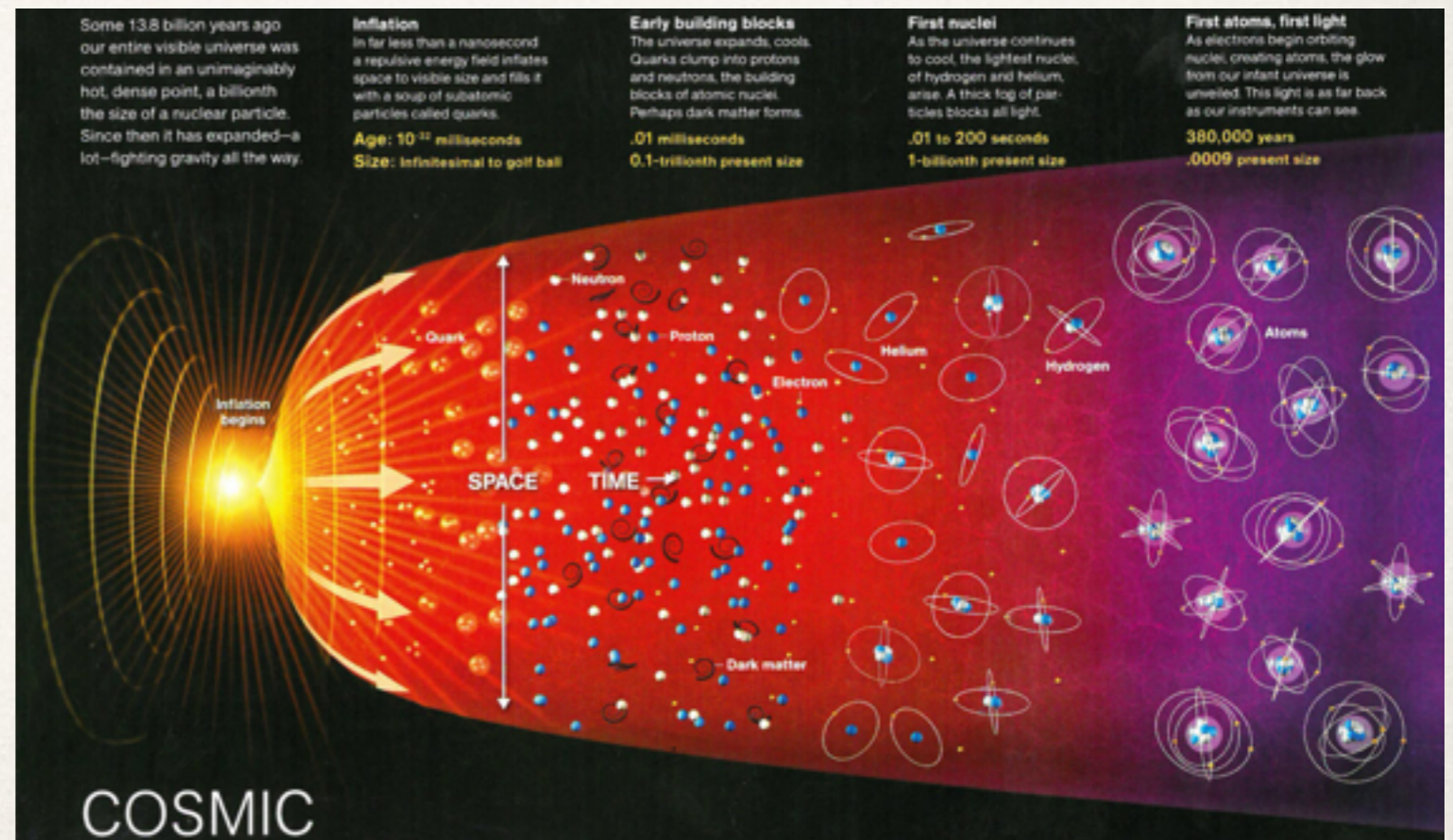
BBN

Twin Hadrons

$$\tilde{\gamma} \quad \tilde{\nu} \quad \Delta N_{eff}$$

How  $Z_2$  symmetric can the TH model be?

# BBN constraint



If not annihilating into dark radiation, massive twin hadrons need to decay / annihilate into SM sector (bound from relic density)

BBN bound requires the twin-hadron decay into SM to happen before  $\sim 1$  sec

There are few examples that the BBN bound can be complimentary to the LHC or intensity frontier experiments

$\tilde{\Upsilon}_b$  Fraternal TH model

$\tilde{\pi}^0$  Hadrosymmetric TH model

# Example: BBN constraint on the $\hat{\Upsilon}$ decay

In the b-onium case without light twin photon/leptons

For the lightest twin bottomina  $\hat{\eta}_b(0^{-+}), \hat{\Upsilon}(1^{--})$

$\hat{\Upsilon}$  decays through **kinetic mixing**, but the lifetime depends on the twin photon mass and mixing

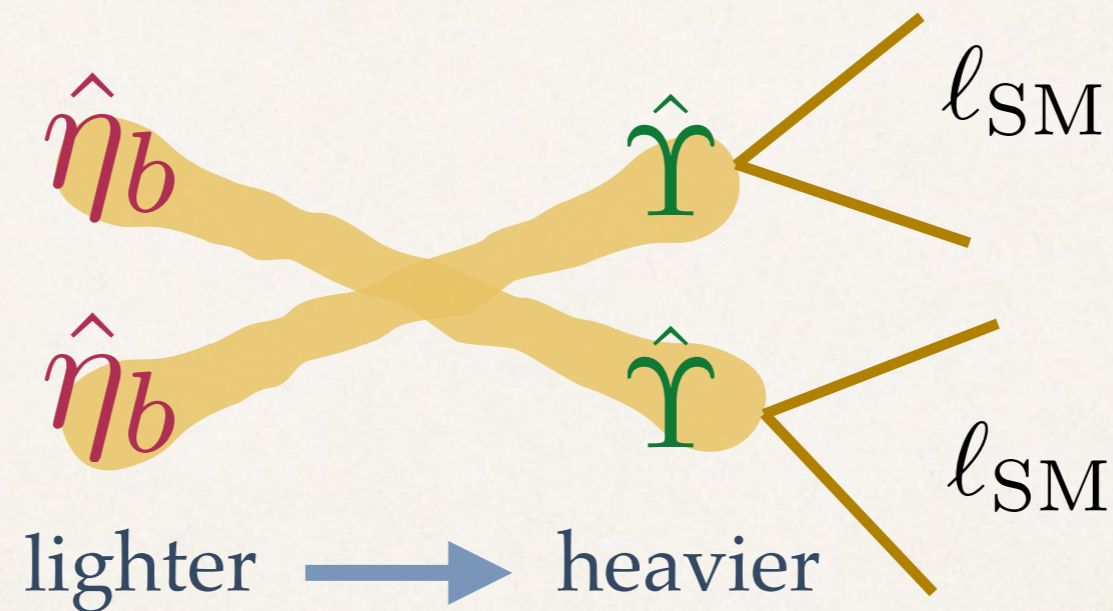
$\hat{\eta}_b$  only decays through highly off-shell processes, which are always slow ( $\gg$  BBN time scale)

Need to deplete the pseudo-scalar density before BBN!

# Example: BBN constraint on the $\hat{\Upsilon}$ decay

When the temperature  $T > m_{\hat{\Upsilon}} - m_{\hat{\eta}_b} \simeq \hat{\Lambda}_{\text{QCD}}$

$\hat{\eta}_b$  can annihilate into heavier  $\hat{\Upsilon}$ 's, which then decay into SM



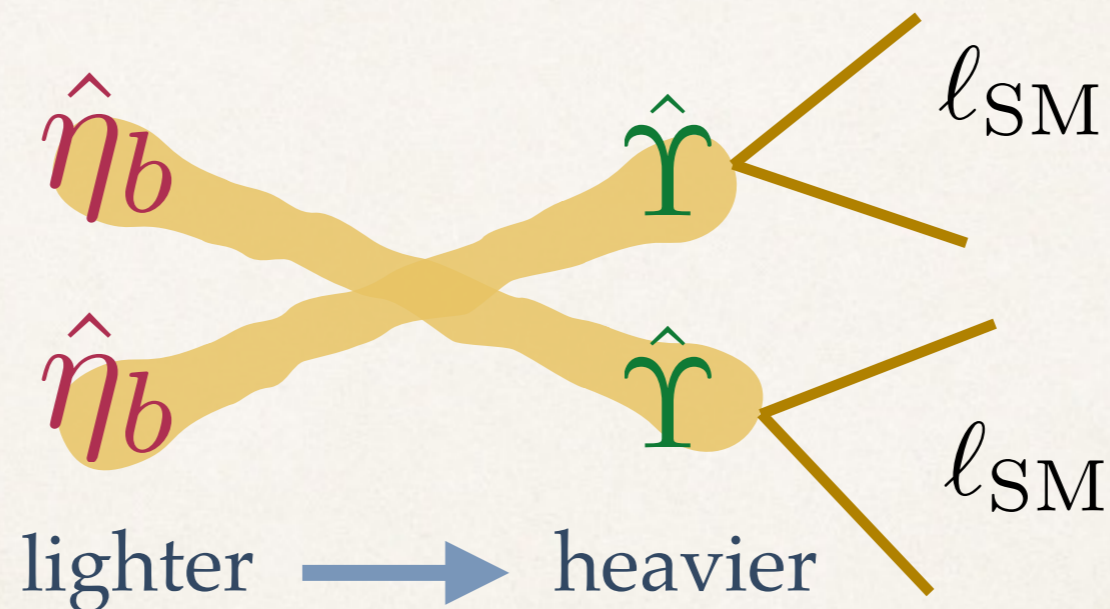


# Example: BBN constraint on the $\hat{\Upsilon}$ decay

To reduce the  $\hat{\eta}_b$  density before this temperature, we need

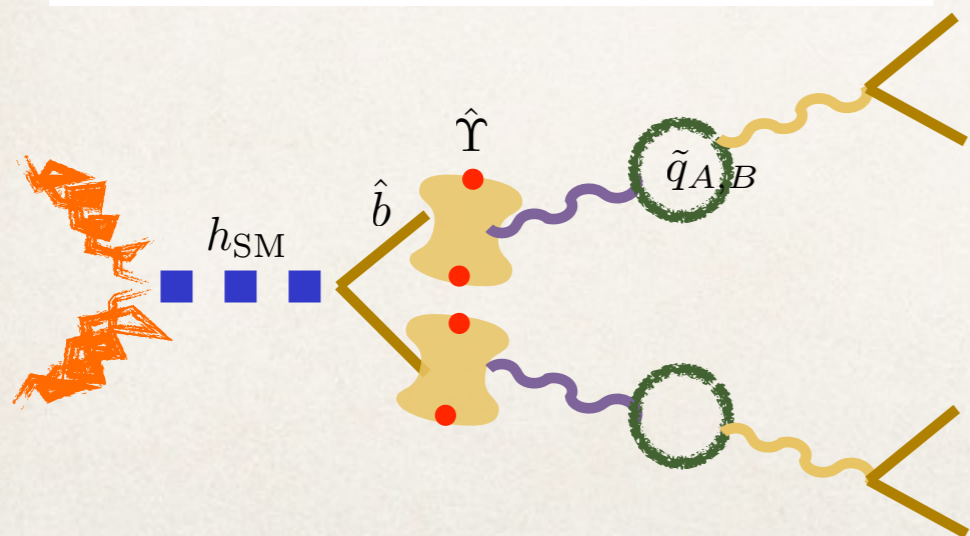
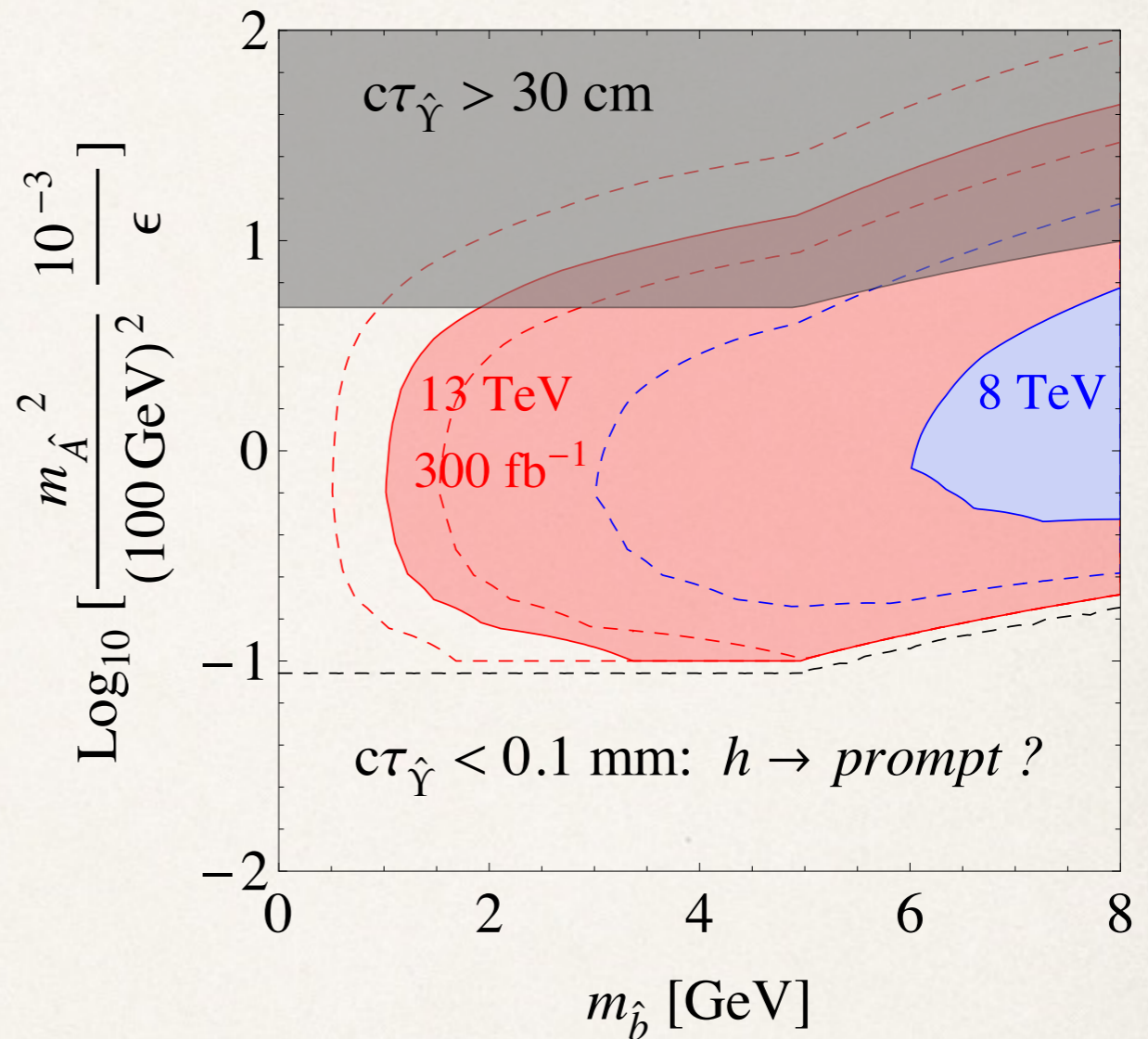
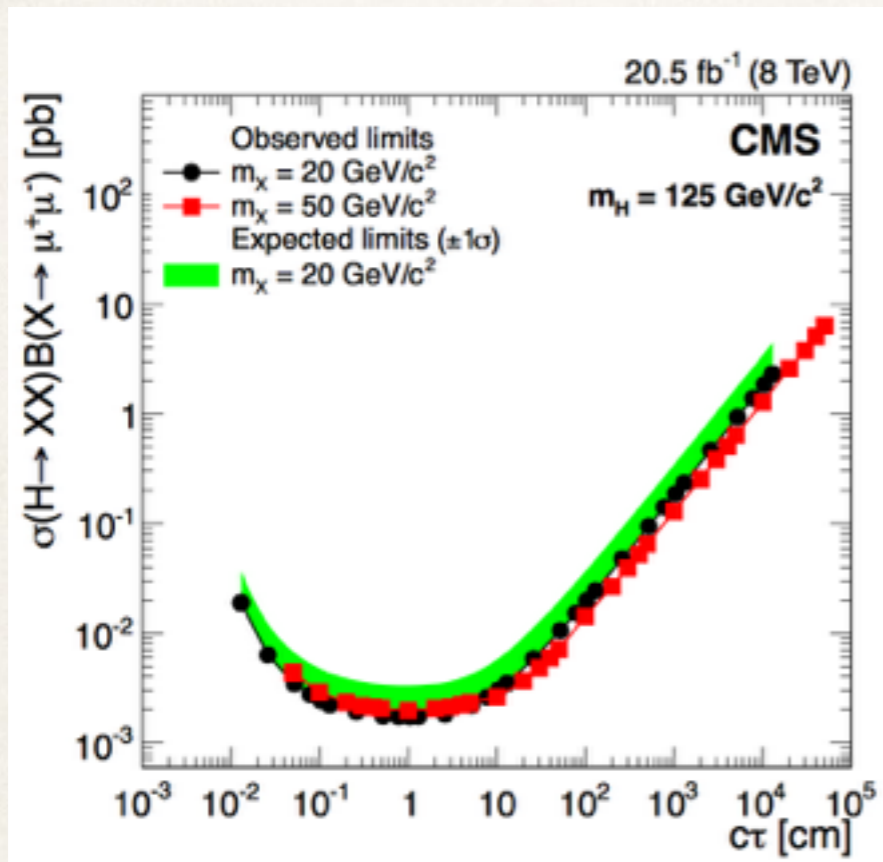
$$\tau_{\hat{\Upsilon}} < H^{-1}(T \simeq \Lambda) \sim 10^{-9} \text{ sec}$$

This means  $\hat{\Upsilon}$  should decay inside the collider



# Bound on the vector meson decay

Search of two displaced muon pairs



Dashed contours : different number of light meson states

# More $Z_2$ symmetric: Hadrosymmetric TH

Freytsis, Knapen, Robinson, YT (16')

TH model with a  $Z_2$  symmetric quark sector (flavor, gauge and yukawa couplings) but no light lepton / photon

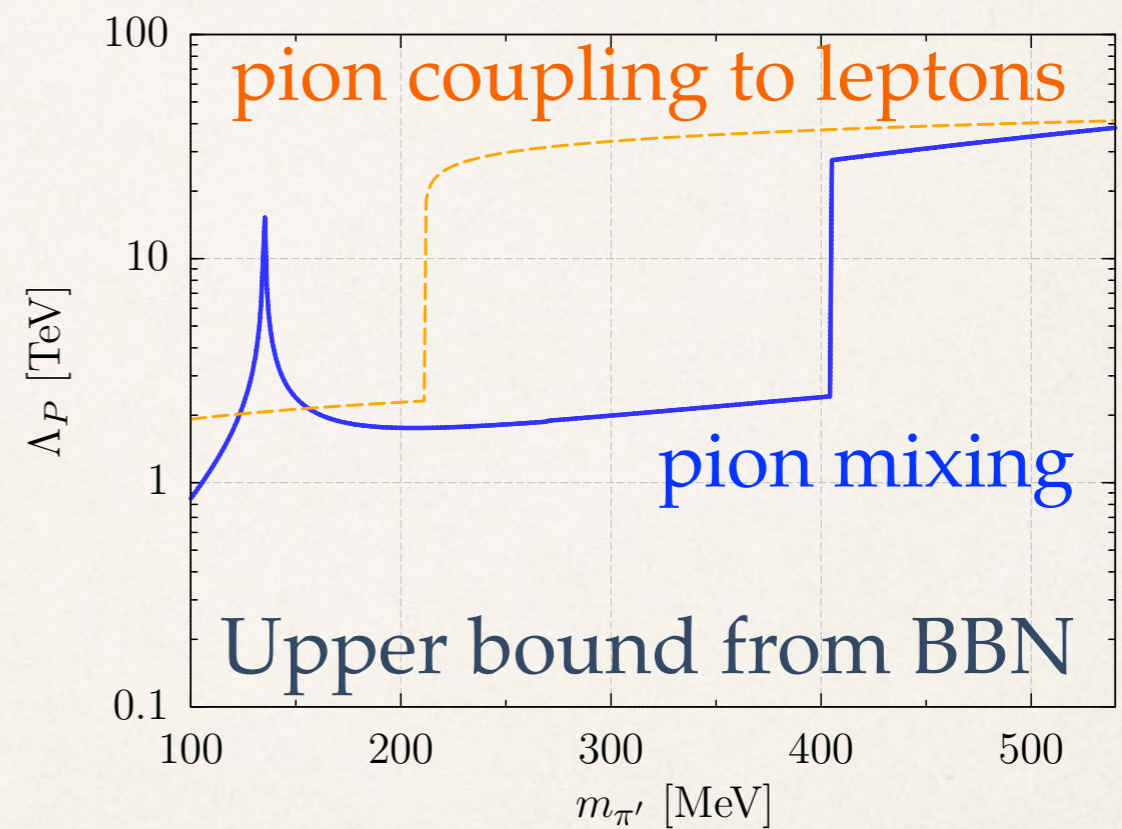
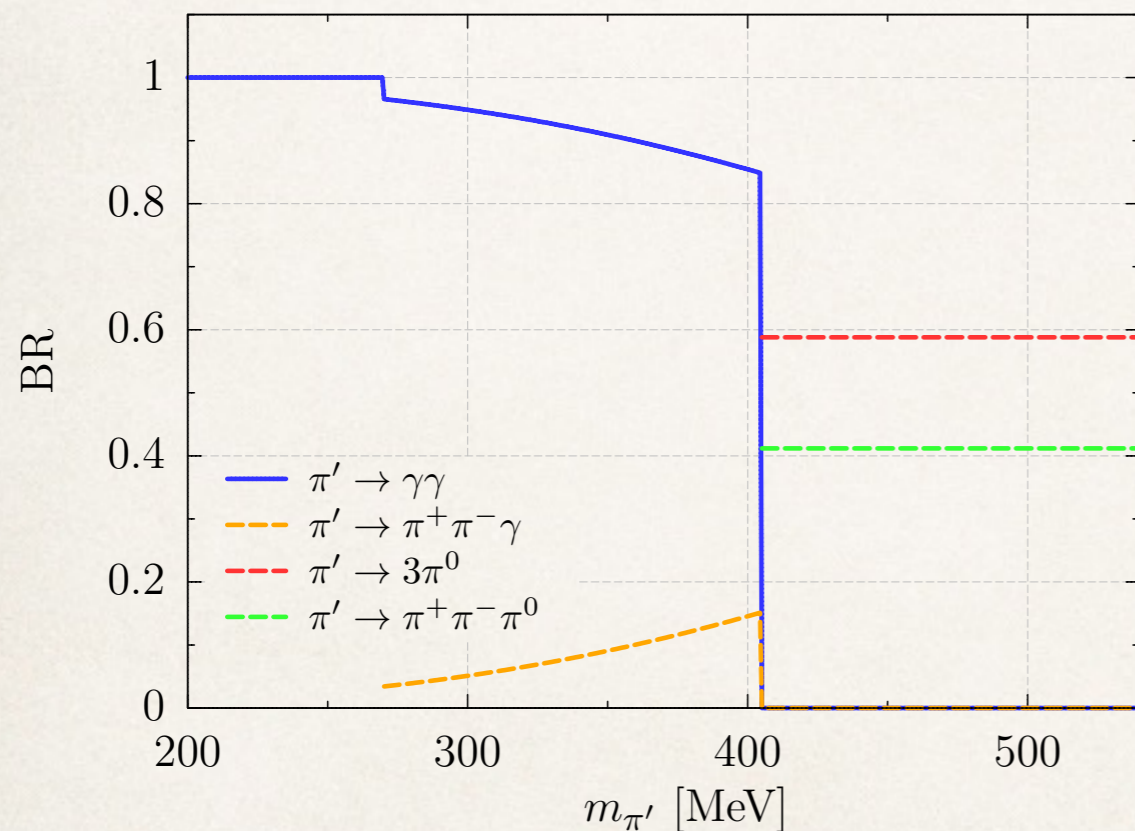
**Lightest twin hadrons:** twin pion, need to decay them!

**DM annihilation:** into dark shower, which can generate the possible galactic center gamma ray signal (from FERMI)



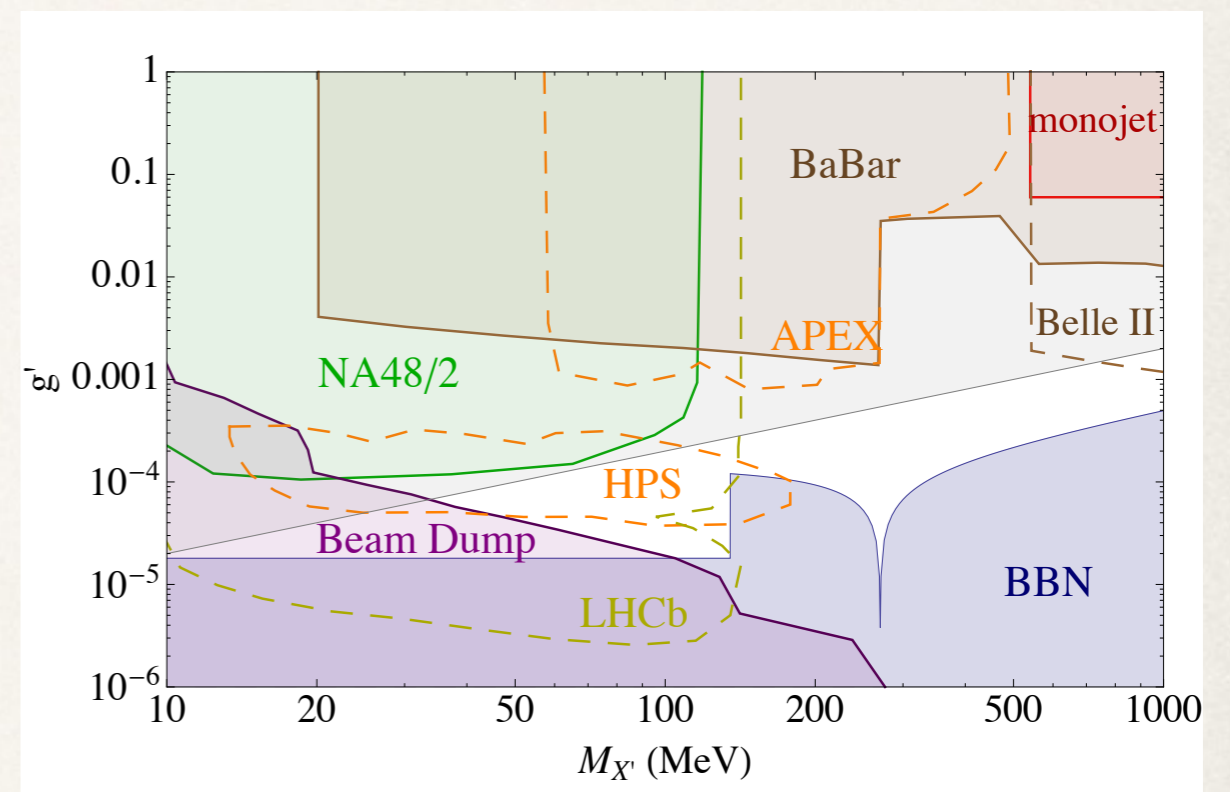
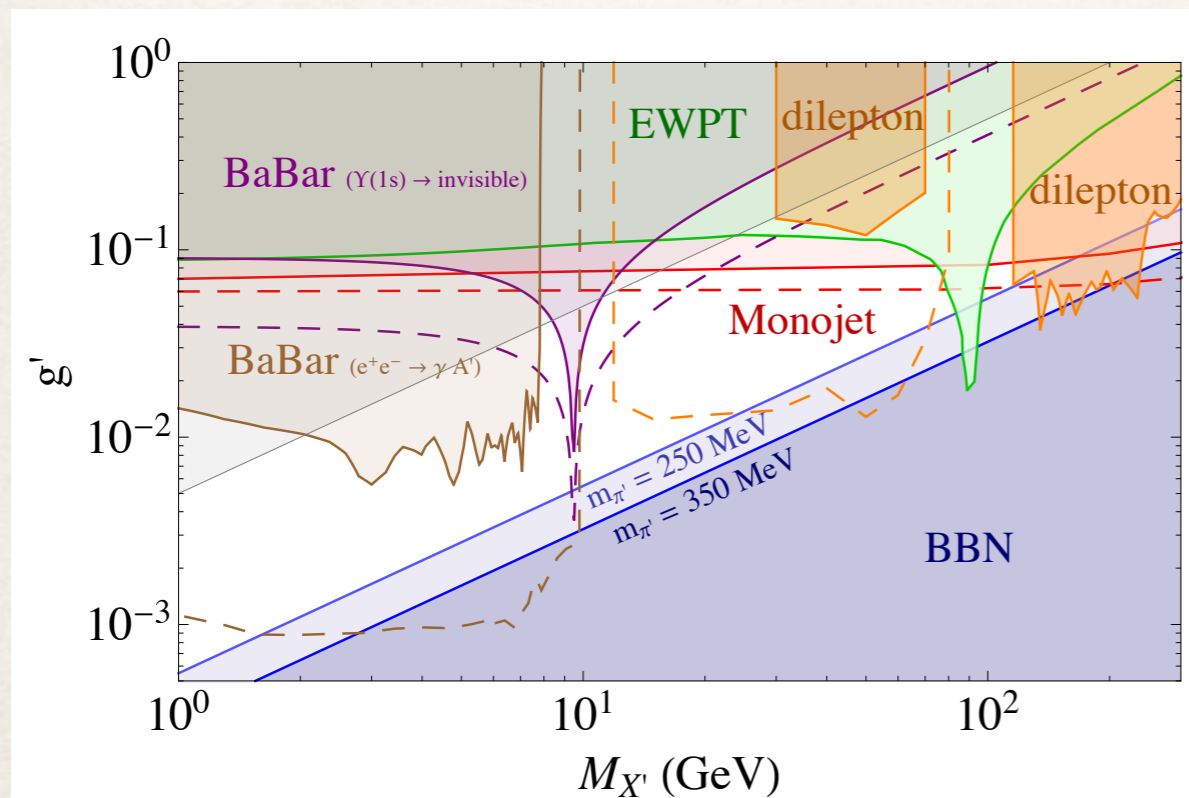
# Need an extra mediation for pion decay

Twin-SM pion mixing:  $\frac{1}{\Lambda_P^2} (J_{V+A}^{u'} - J_{V+A}^{d'}) \cdot (J_{V+A}^u - J_{V+A}^d)$



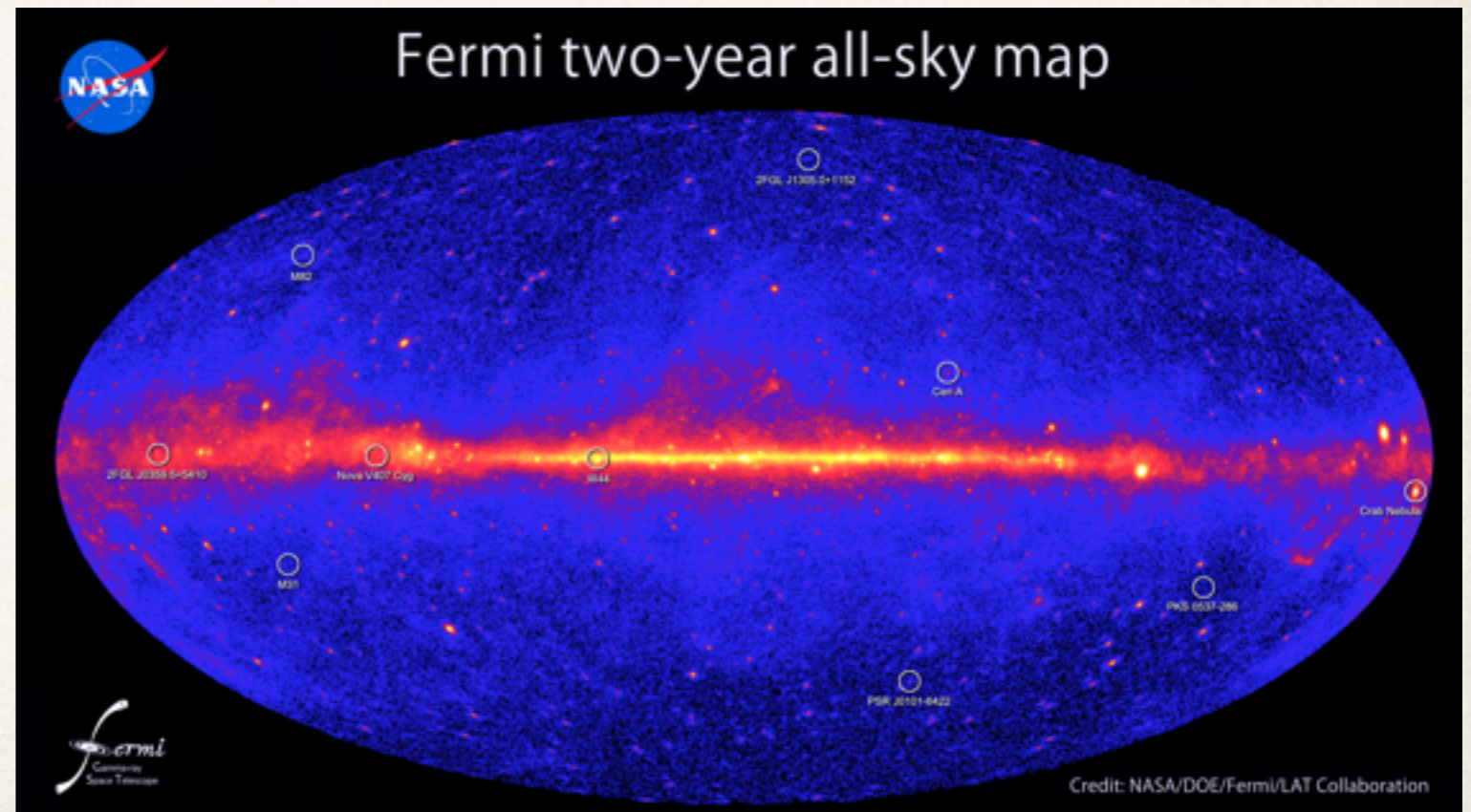
# BBN sets an upper bound on the twin-hadron mediation scale

$$\mathcal{L} = g_X X'_\mu (u^\dagger \sigma^\mu u + u'^\dagger \sigma^\mu u') - g_X X'_\mu (d^\dagger \sigma^\mu d + d'^\dagger \sigma^\mu d')$$



The allowed parameter space is well-covered by the BBN, LHC, and intensity frontier experiments

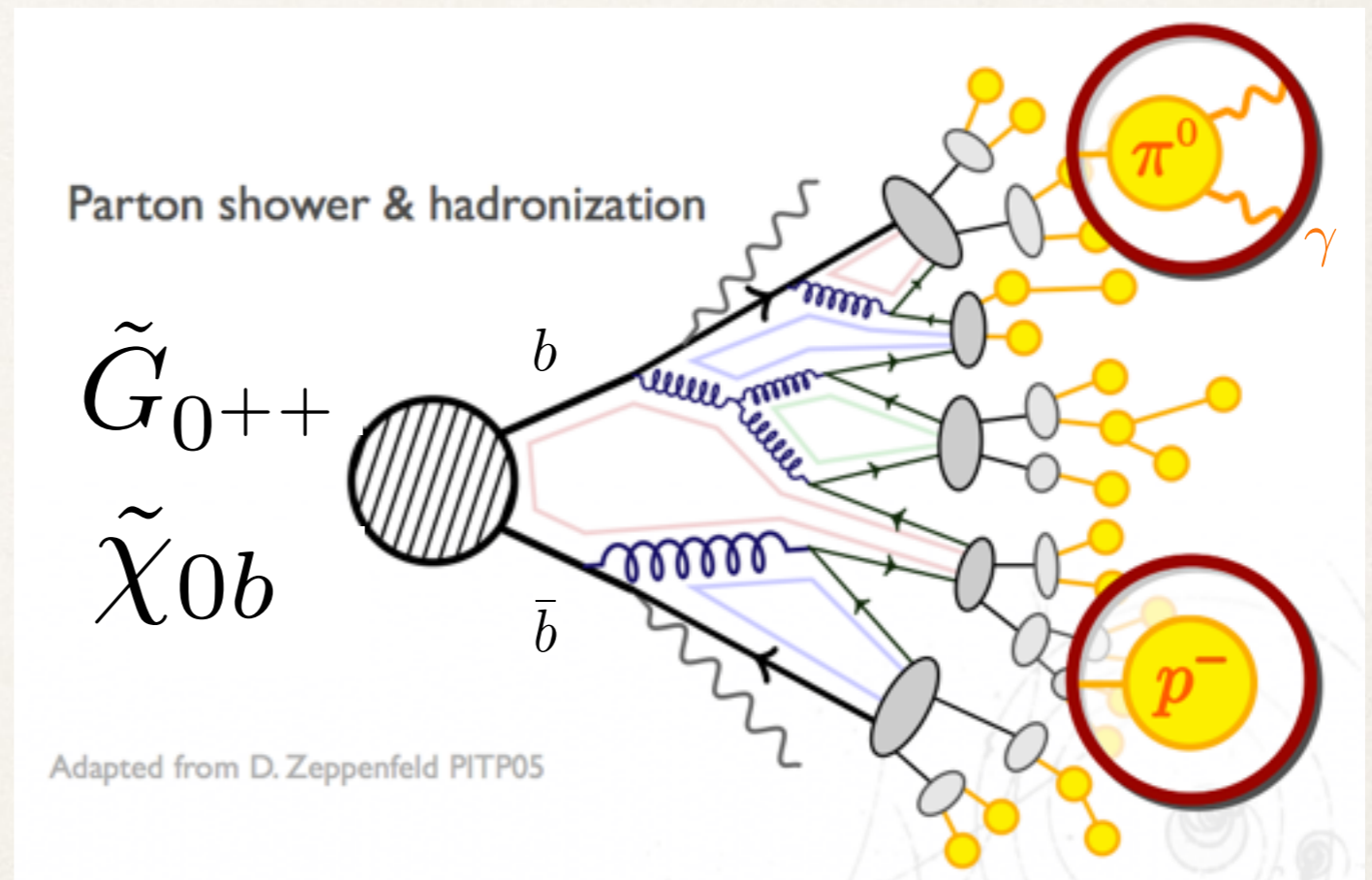
# Indirect Detection



# DM annihilation in Fraternal TH



(cosmo) the safest scenario:  
 Scalar glueballs as the lightest  
 hadron, decays quickly into  
 SM  $b\bar{b}$

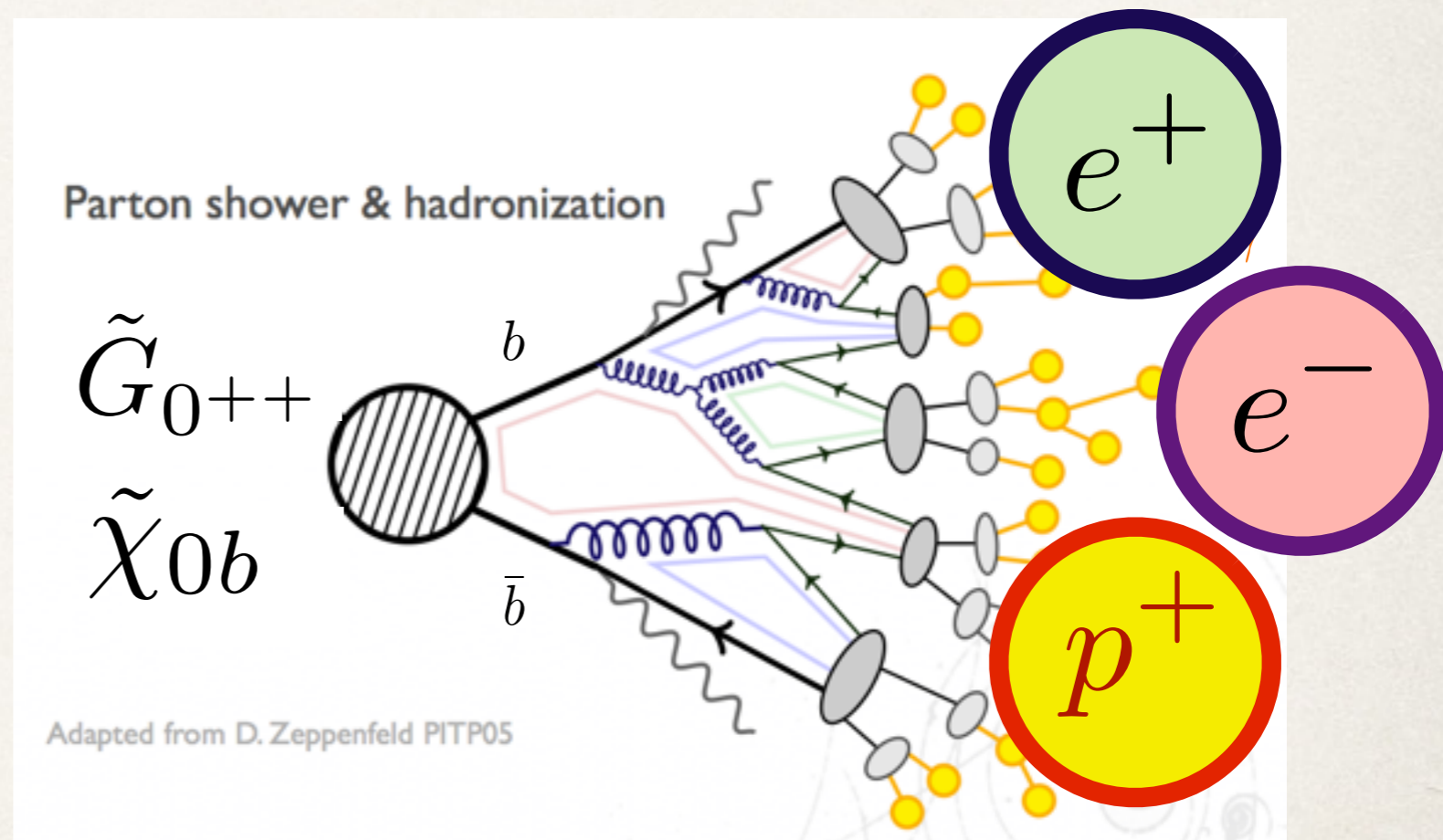


# DM annihilation in Fraternal TH



Even so...

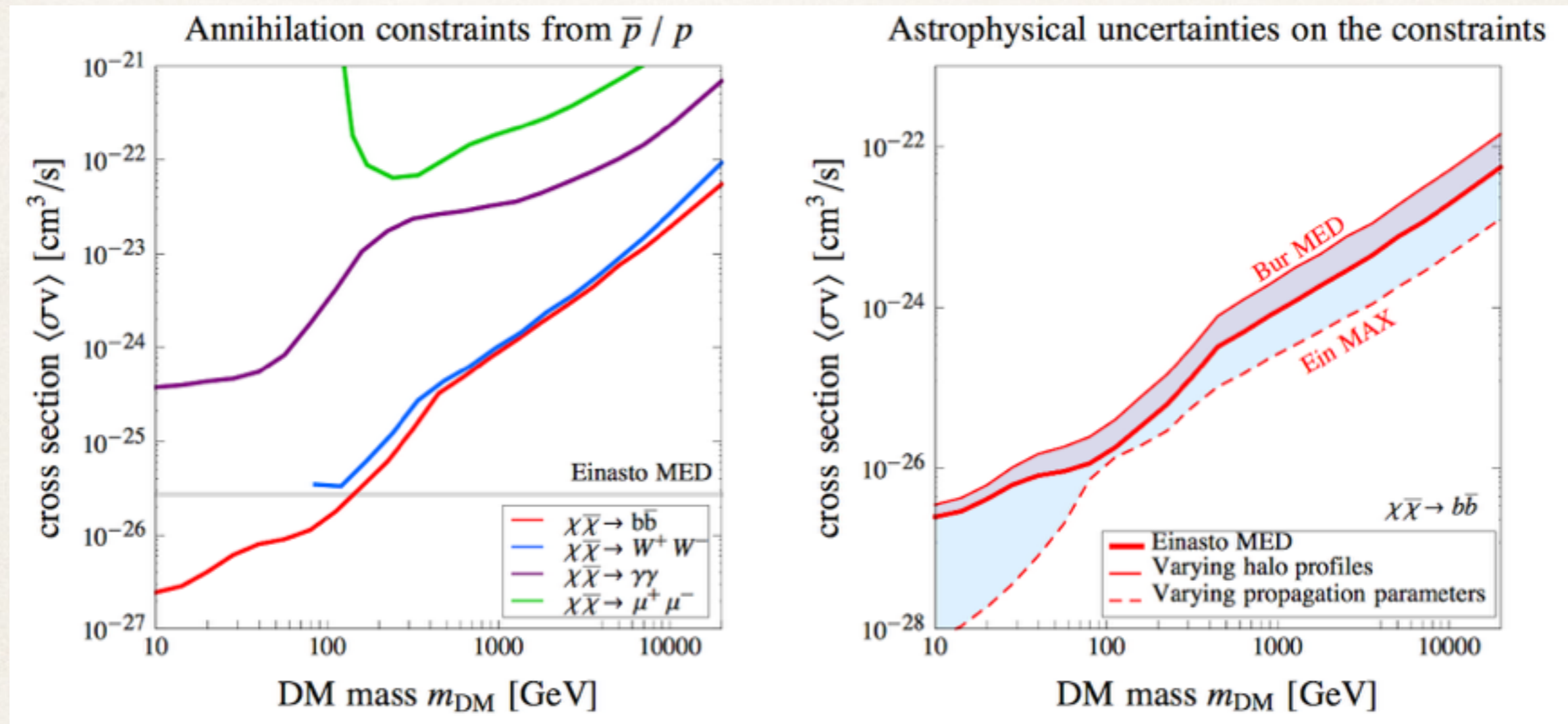
The glueball decay into  $bb$  can still be constrained by searches of secondary emissions





# Bounds from the anti-proton search

## Constraint from AMS-02



The recent AMS-02 result has set a stronger constraint

# Naive estimation

Assuming  $\hat{\tau} \xrightarrow{\bar{\tau}} n \tilde{G}_{0++}$

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Each glueball carries energy  $\frac{2m_{\hat{\tau}}}{n}$ , and their decay into  $bb$  is the same as the annihilation of DM with mass  $\frac{m_{\hat{\tau}}}{n}$

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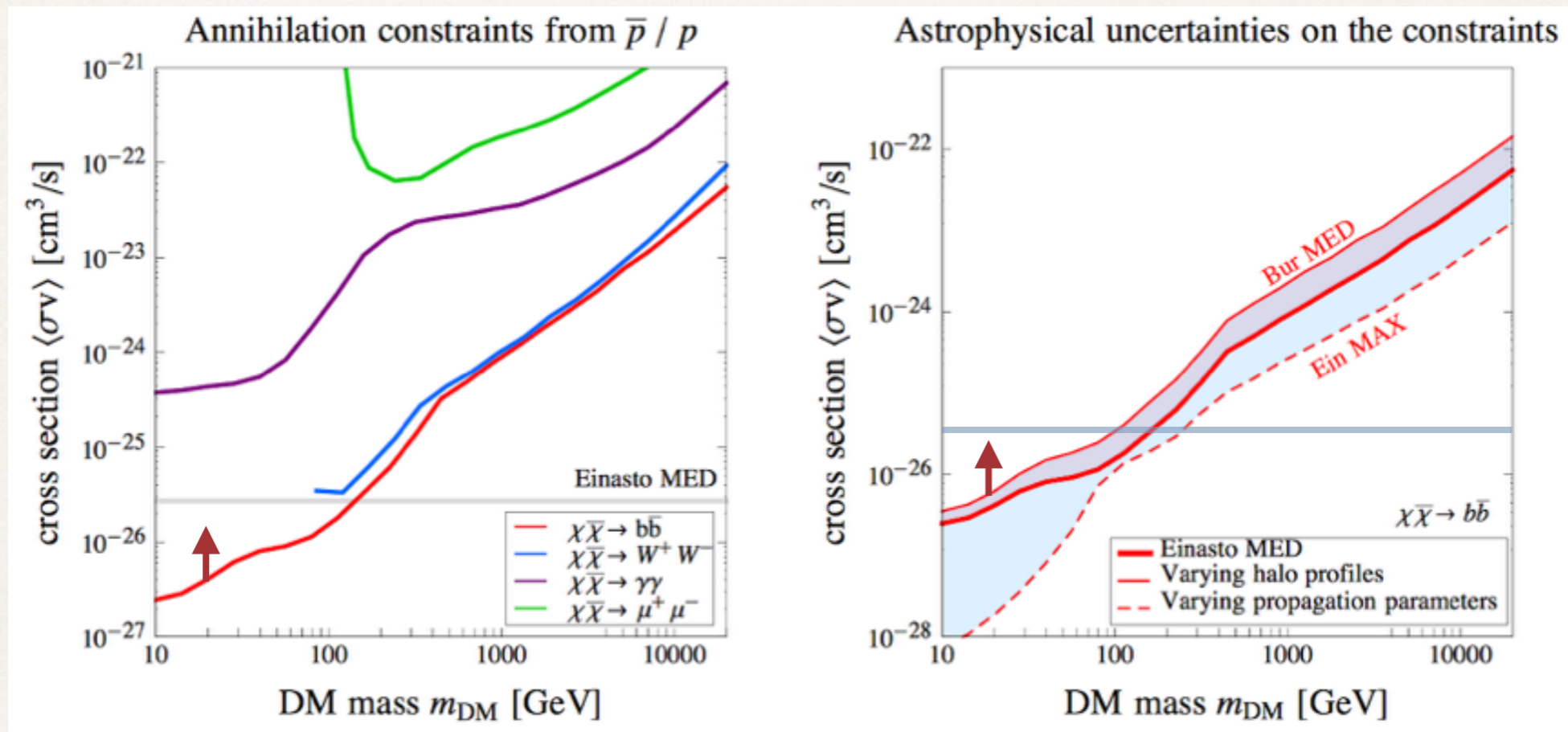
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The signal rate is proportional to  $n^{-2} \times n \times \langle\sigma v\rangle$  which corresponds to the  $\langle\sigma v\rangle$  bound  $n$  times weaker

# Bounds from the anti-proton search

For example

$$\hat{\tau} = 80 \text{ GeV} \quad \hat{G}_{0++} = 35 \text{ GeV} \quad n \simeq 4 \quad \sim m_{\text{DM}} = 20 \text{ GeV}$$



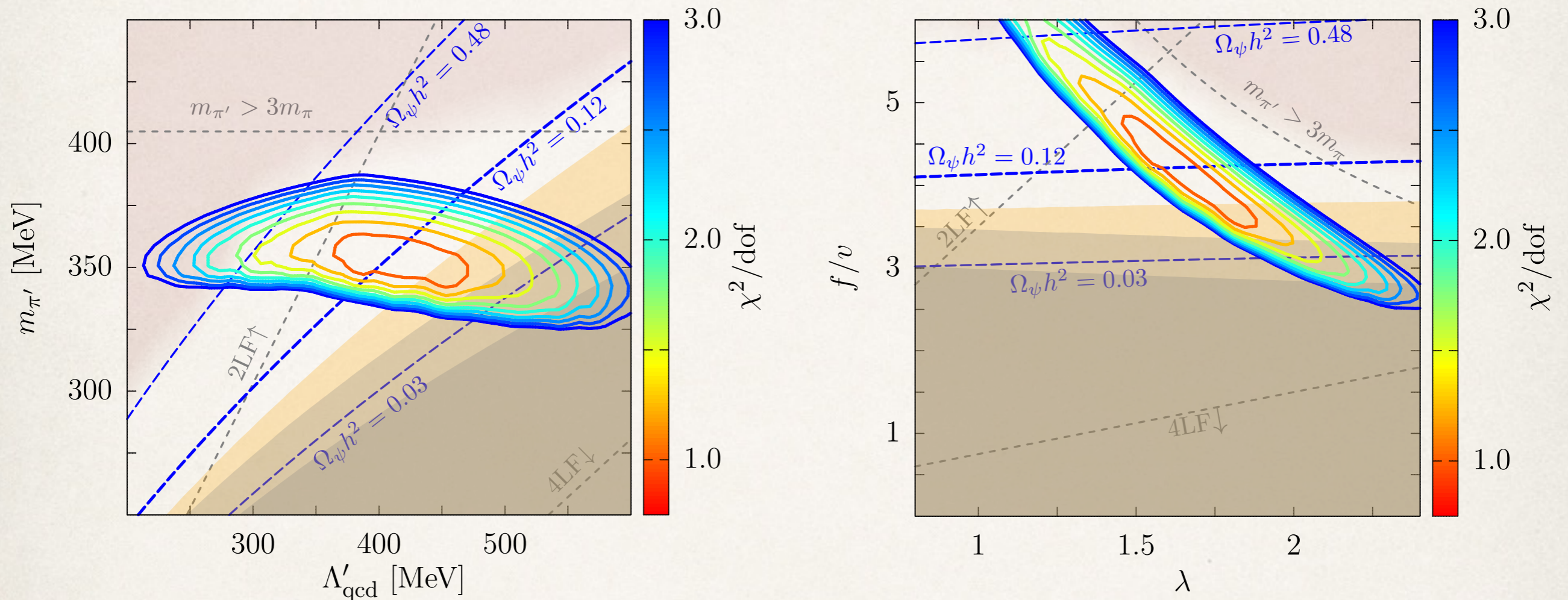
The estimation here has not taken into account the smearing of proton energy, which can weaken the bound

# In the hadrosymmetric case

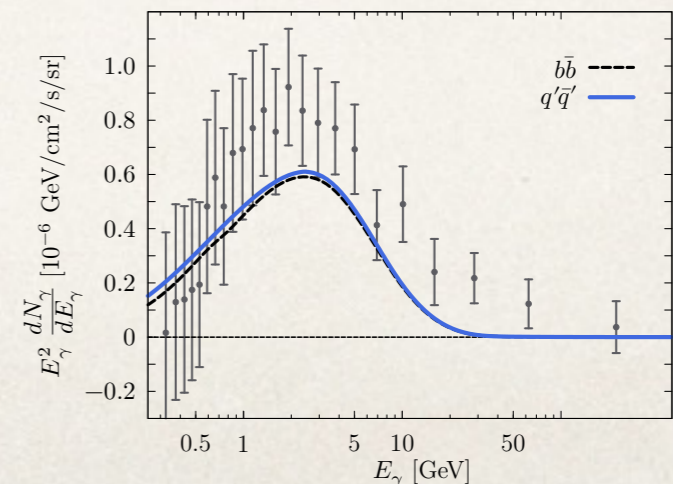


Much fewer anti-protons, mainly photon signals

# Galactic center gamma-ray emission

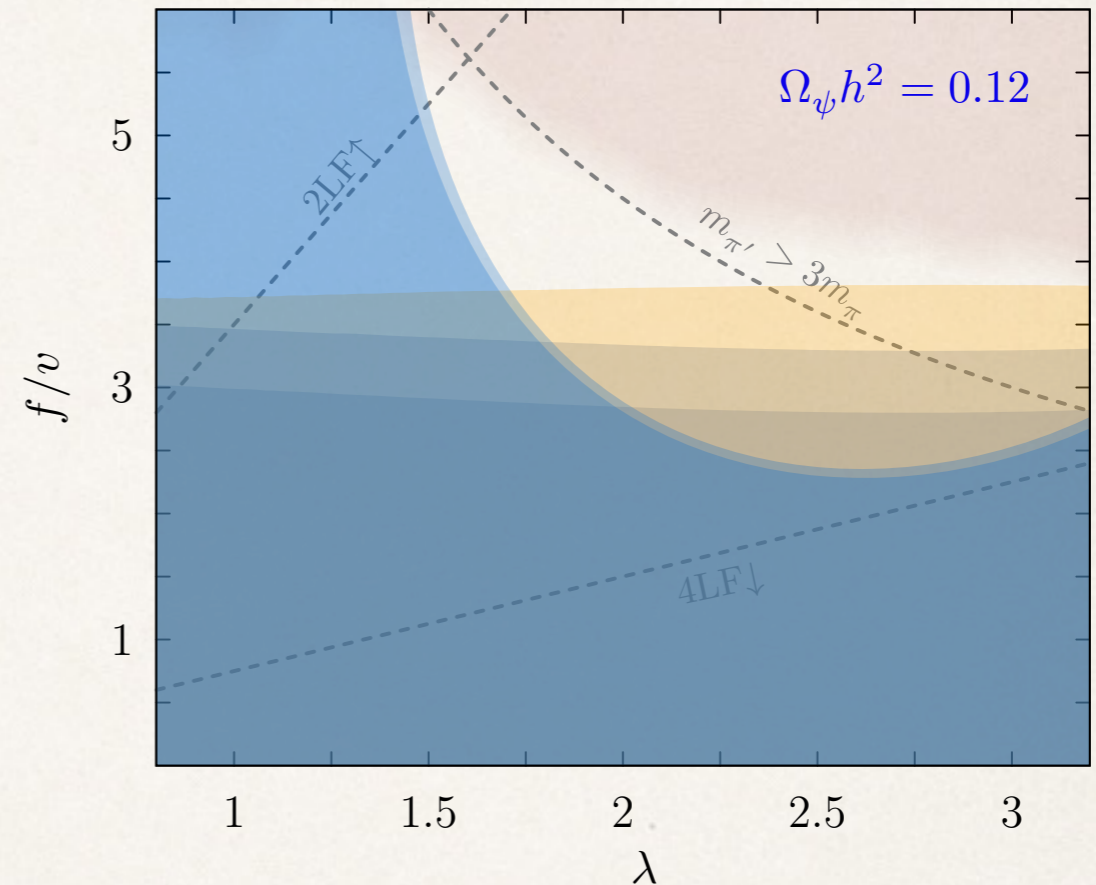
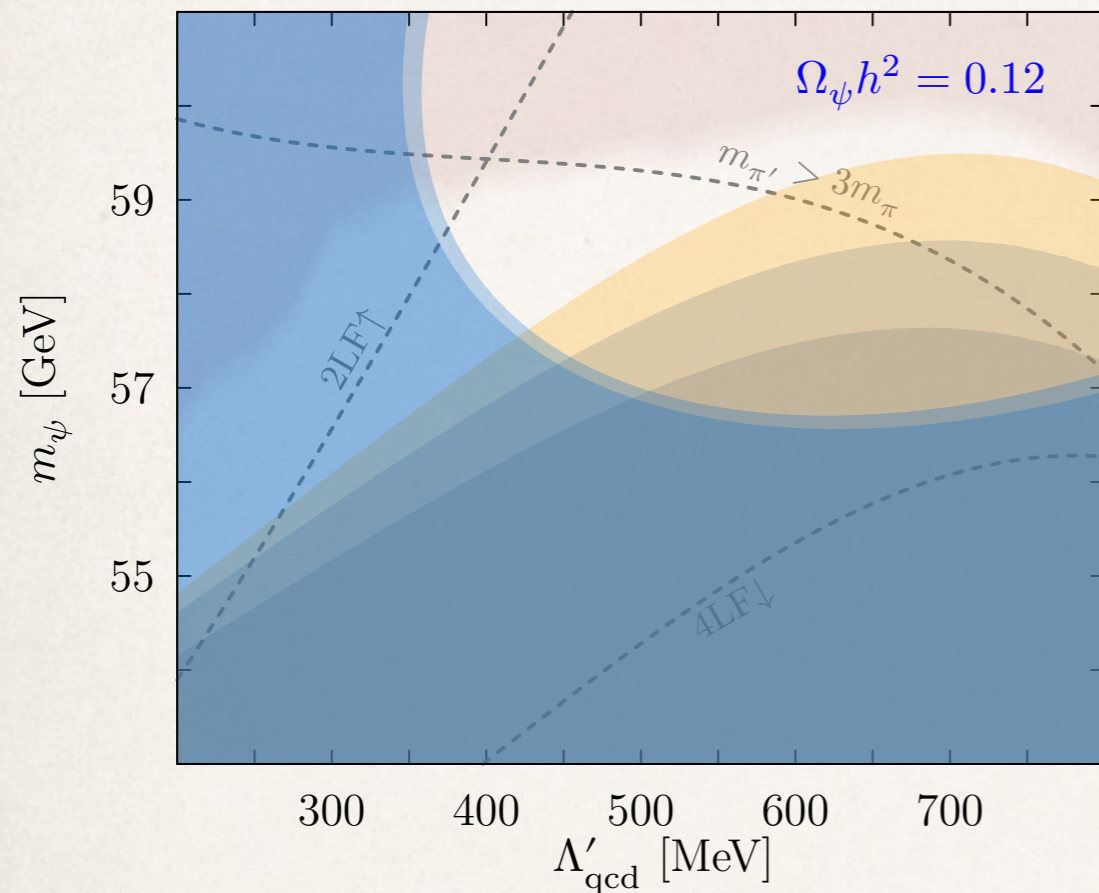


Can provide the observed photon signals,  
while satisfying all the direct/indirect  
detection constraints





# If the gamma-rays are not from DM



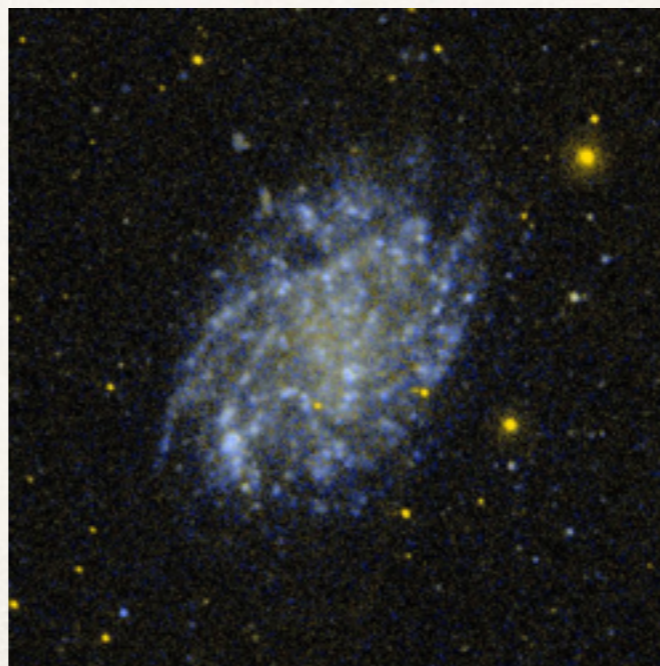
Using the data to set a bound on photon flux  
(68% and 90% CL)

# Small Scale Structure

Dwarf Galaxy



LSBs

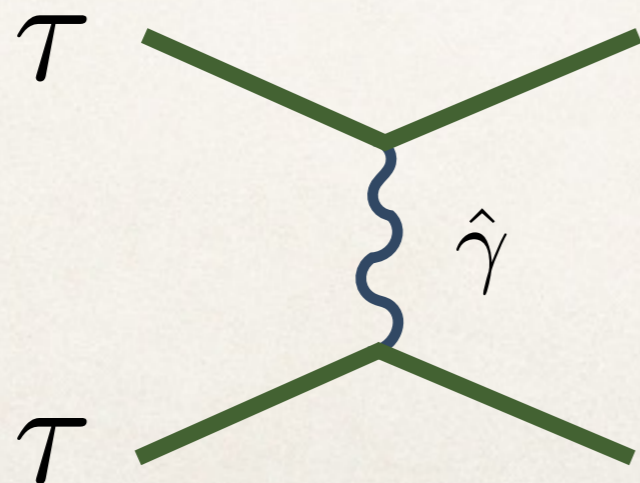
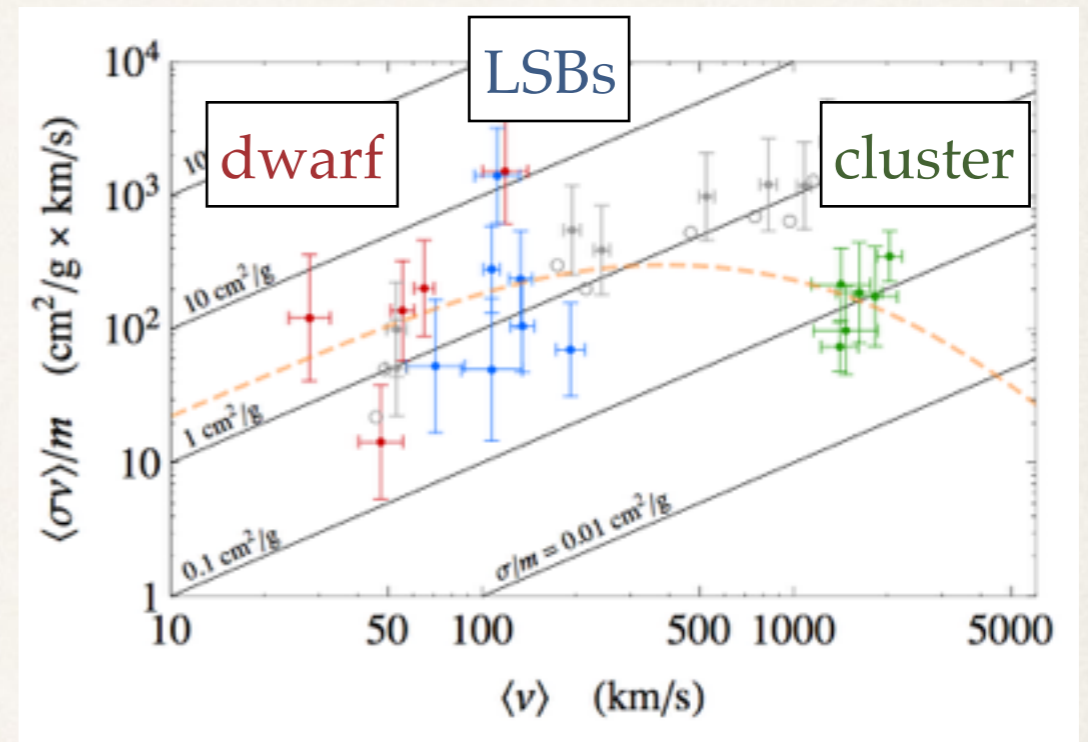
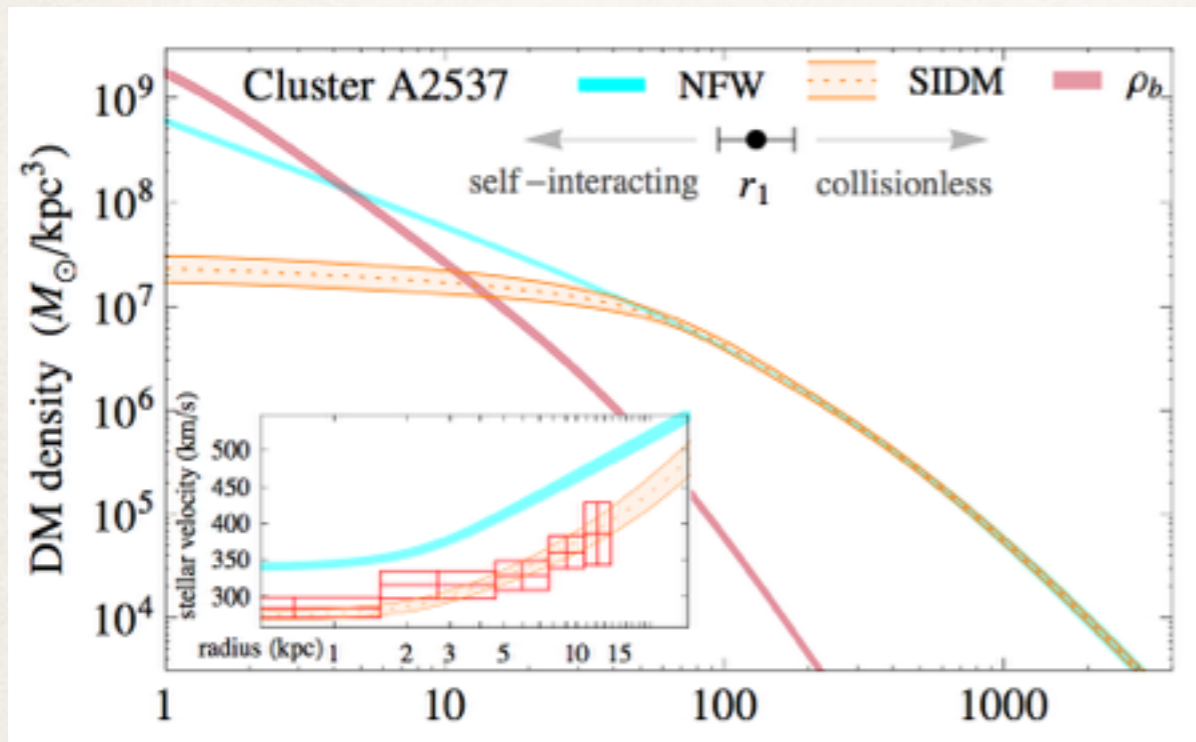


Galaxy Clusters



# Puzzles of the small scale structure

Kaplinghat, Tulin, Yu (15')

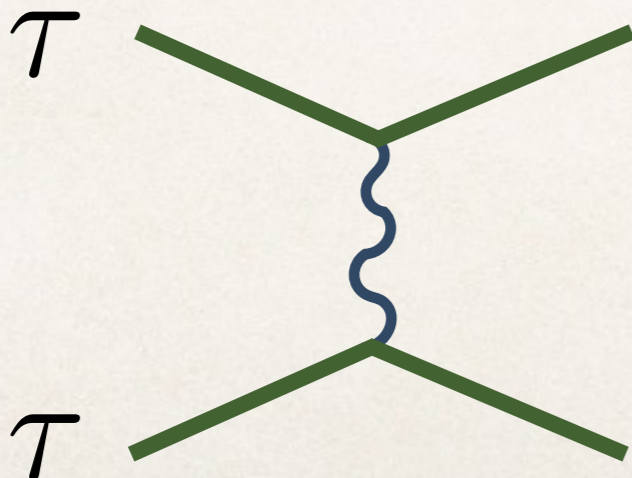
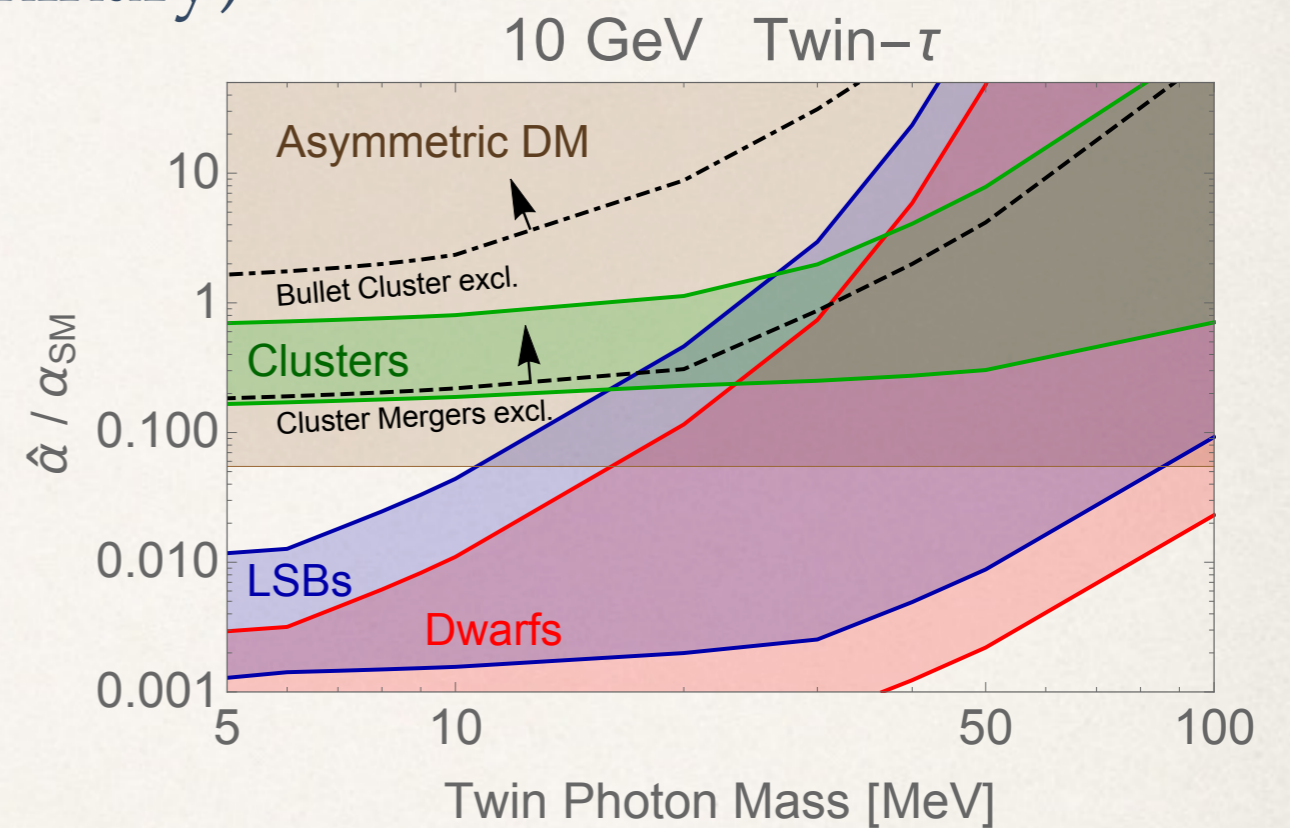
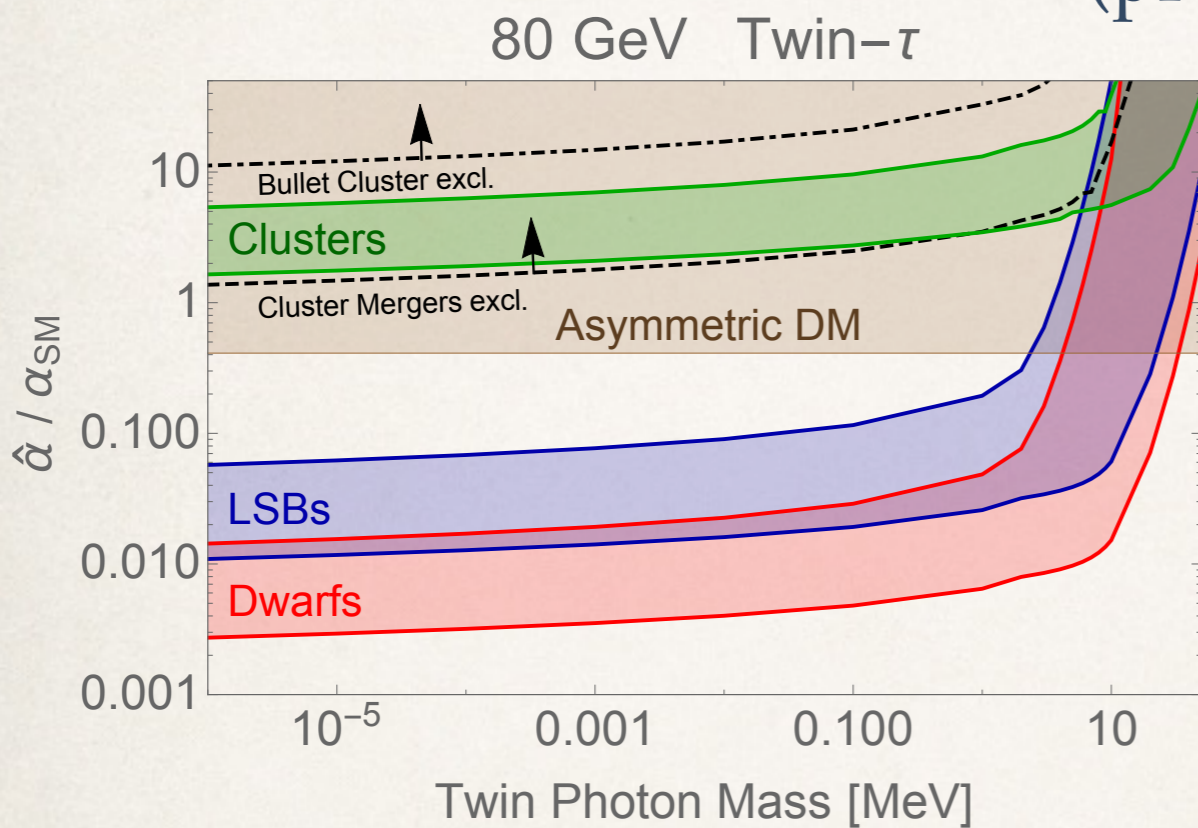


Twin-lepton as a self-interacting DM

# Twin SIDM (or the twin-photon bound)

YT, Prilepina (in progress)

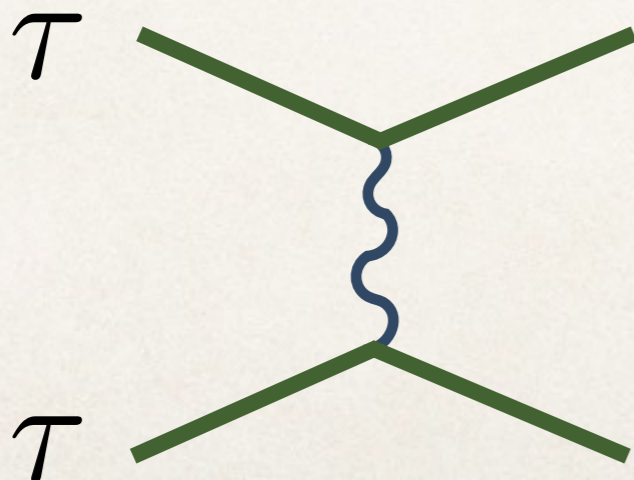
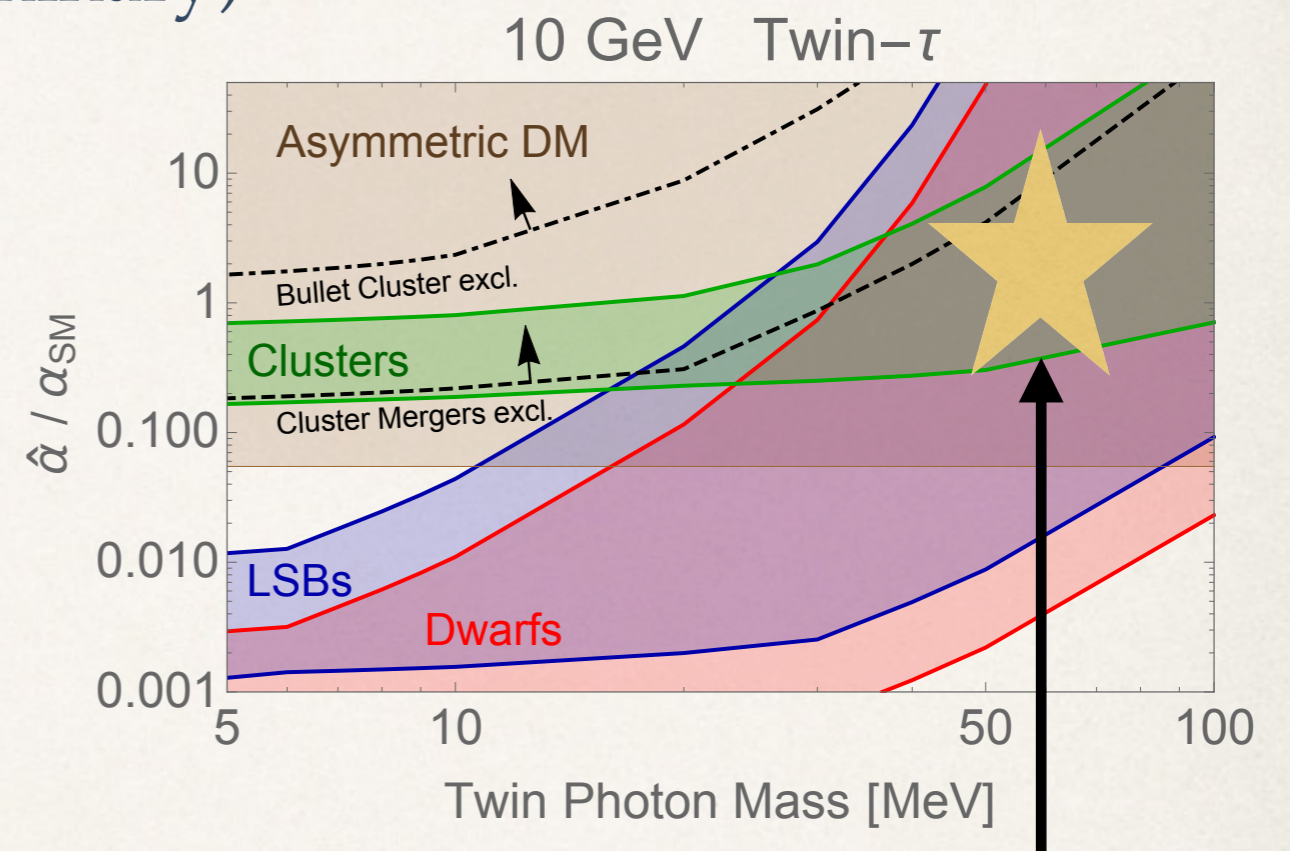
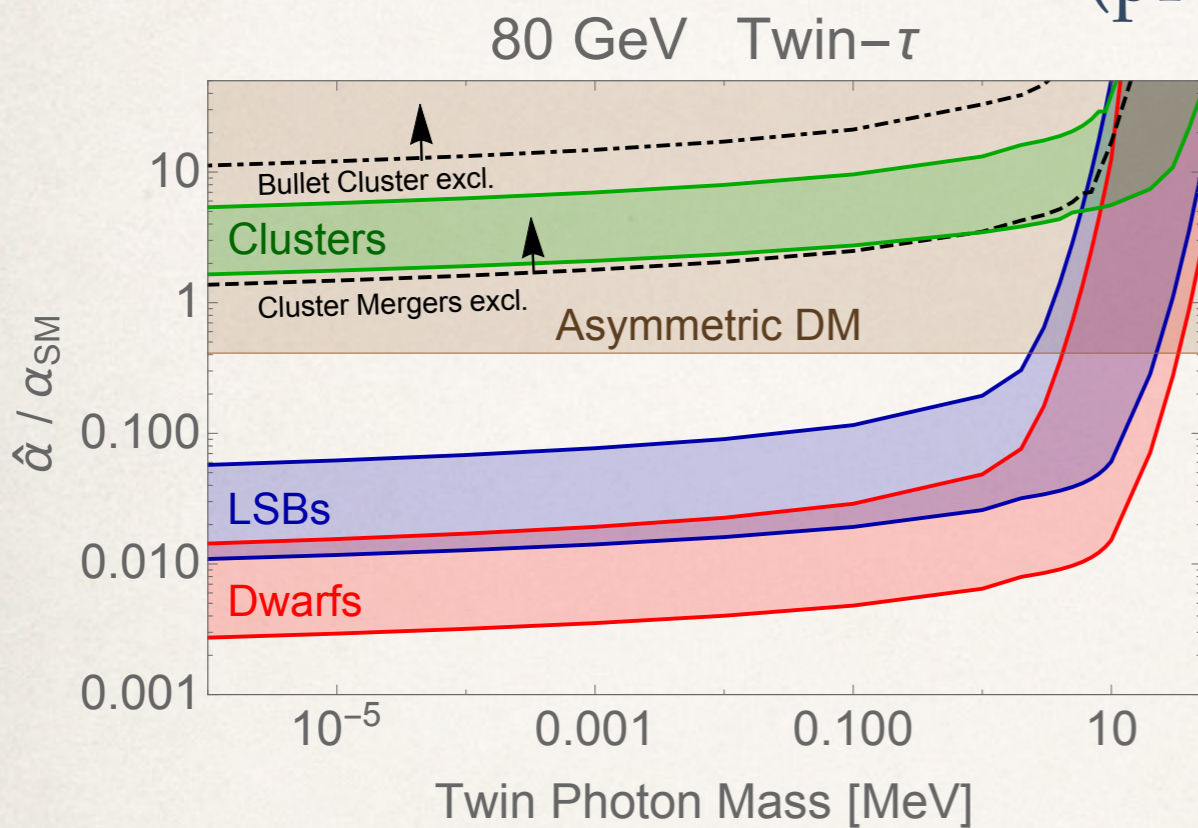
(preliminary)



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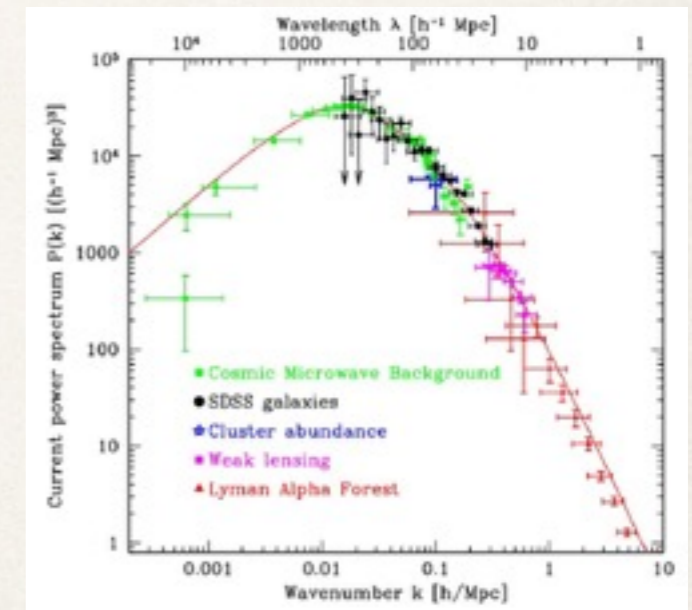
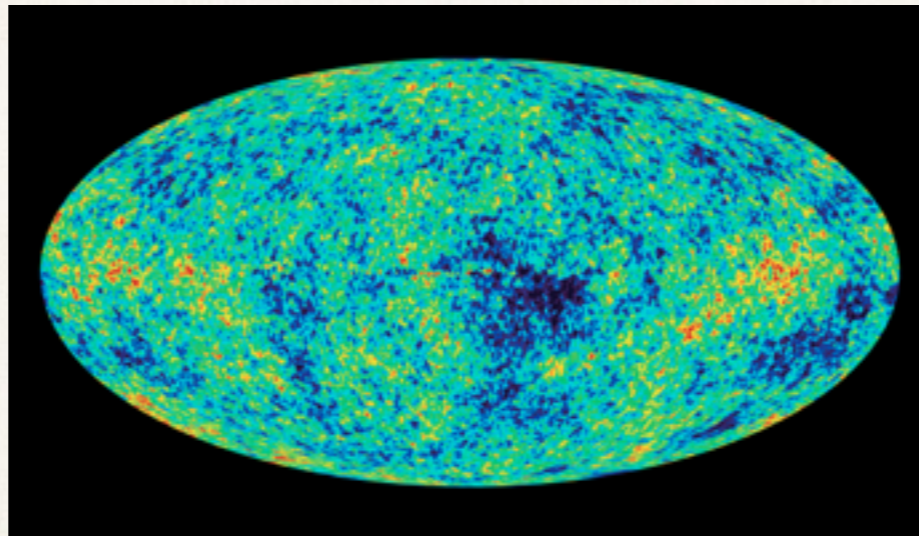


Asymmetric twin-tau (leptogenesis?)

$$m_{\hat{\tau}} \sim m_{\tau} \times \frac{f}{v}, \quad \hat{\alpha} = \alpha_{\text{SM}}$$

$$m_{\hat{\gamma}} \simeq 50 - 100 \text{ MeV}$$

# Large Scale Structure

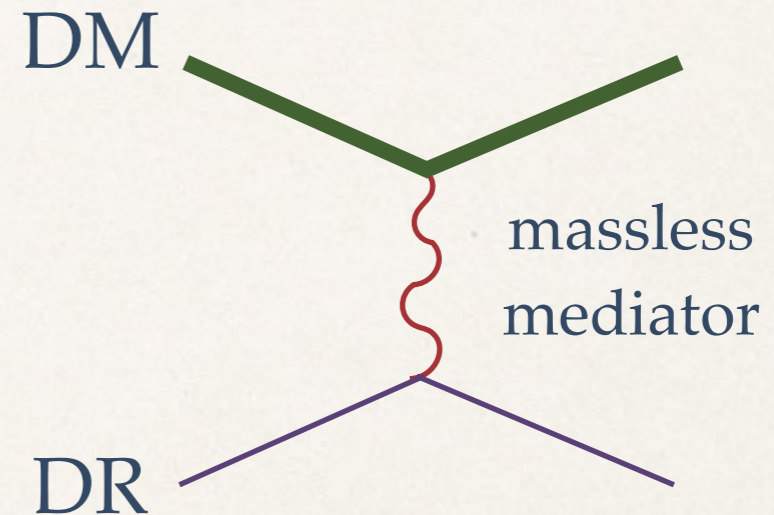
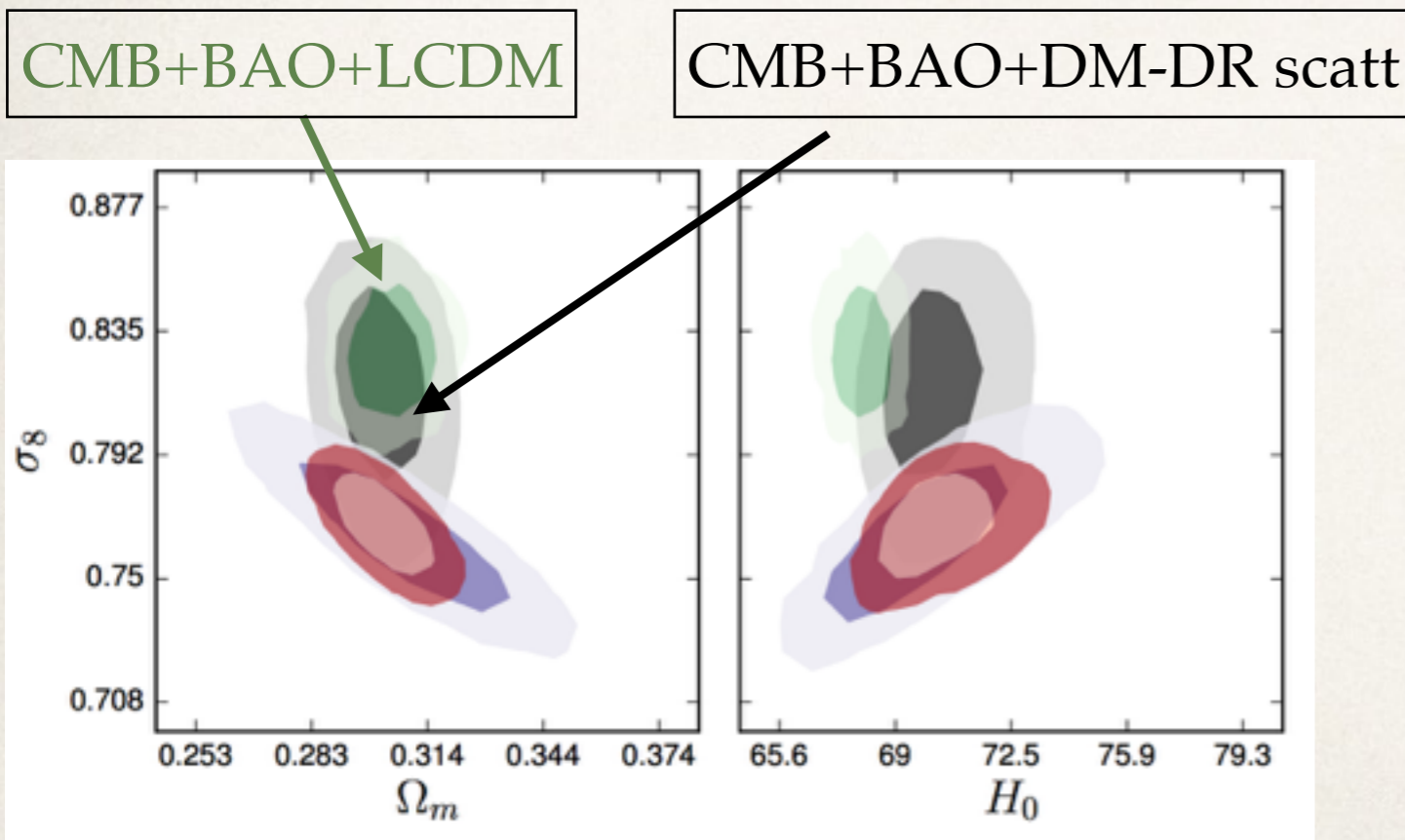


# Puzzles of the large scale structure

The  $\sigma_8/H_0$  fitting from the CMB+LCDM prediction is  $3 - 4\sigma$  away from the weak lensing results

(  $\sigma_8$  matter density perturbation on a sphere of  $8h^{-1}$  Mpc )

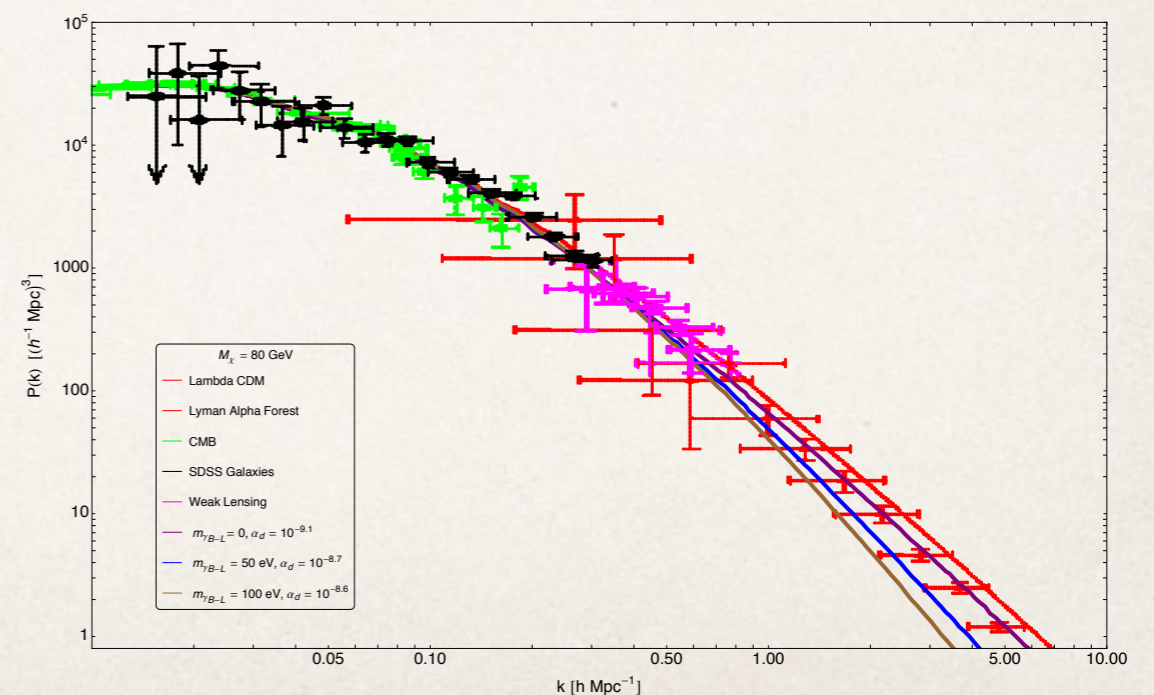
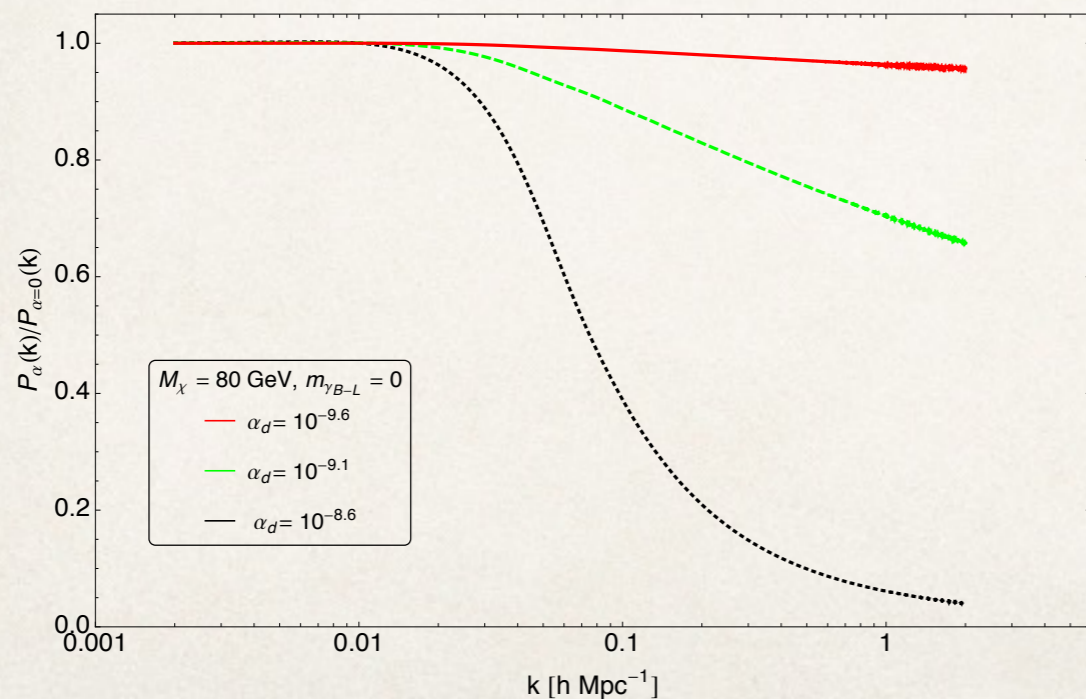
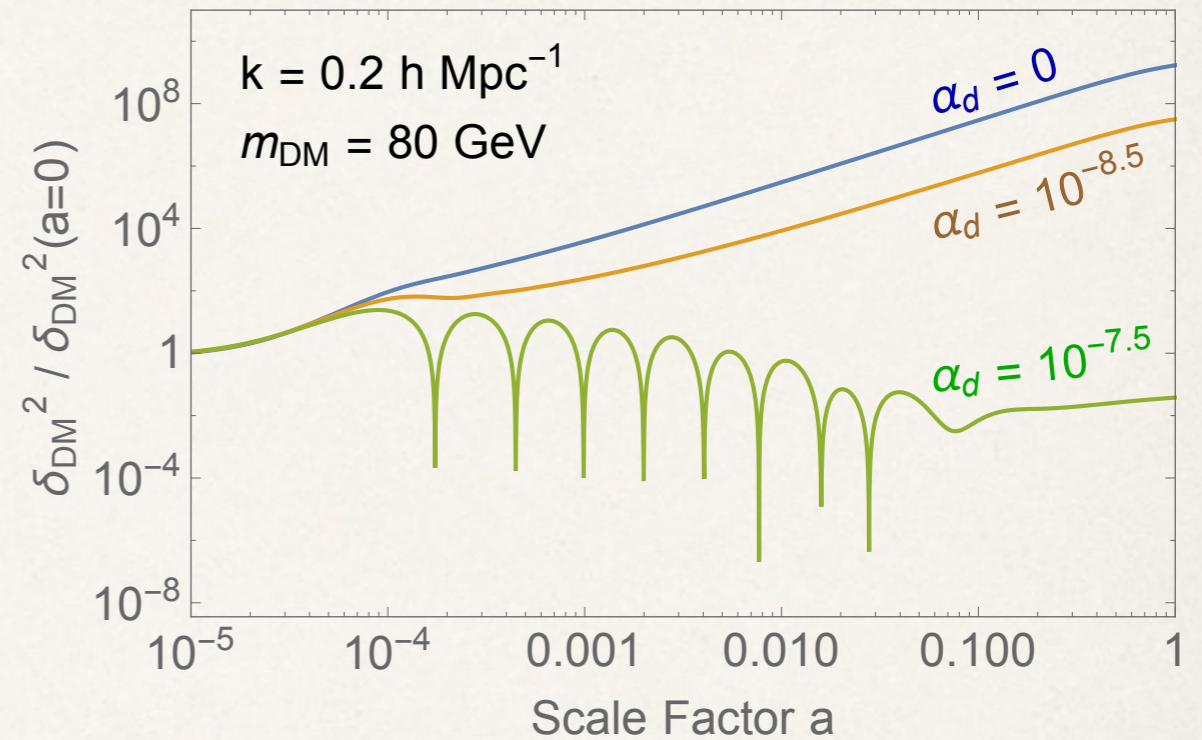
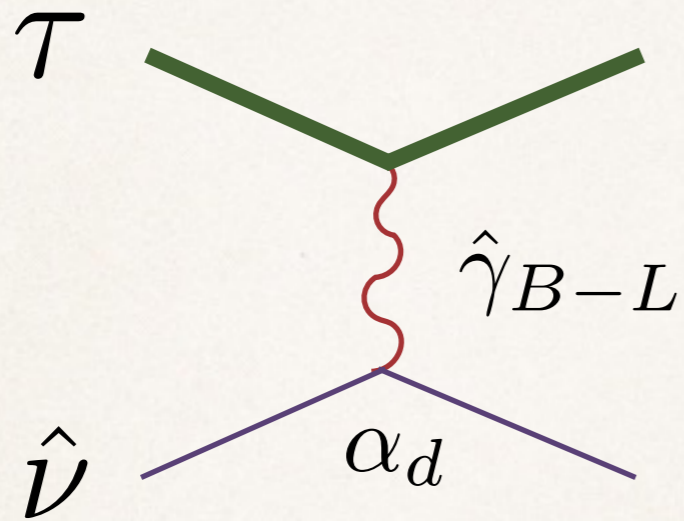
Lesgourgues, Marques-Tavares, Schmaltz (15')



$$\frac{1}{a} \frac{\langle \delta \dot{p}_\chi^2 \rangle}{\langle p_\chi^2 \rangle} \propto \frac{T_d^2}{m_\chi} \propto H(T)$$

# Puzzles of the large scale structure

YT, Prilepina (in progress)





# Conclusion

Twin Higgs model gives a non-trivial cosmology

=> various cosmological constraints to consider

Many of them will be improved by a lot in O(10) years

CMBpol, CMB Stage-IV,  $\Delta N_{eff} < 0.02$

better anti-proton constraint, bound on the halo structure

Can we make a conclusive statement of the TH  
(or other hidden-naturalness) models using these constraints?

More about this in the afternoon discussion