B-theory: QCD@LHC





Roman Zwicky Edinburgh University



Overview

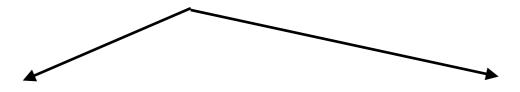
3. Some popular recent BSM proposals

•	1. Summary of essential	12'
	[A] CKM and flavour symmetry	
	[B] classification of modes & dynamics	
	[C] kinematics angular distributions	
•	2. Current tensions (anomalies) SM-status - prospects	16
	[D] b \rightarrow sll: angular (P ₅ ' etc) & lepton flavour violation R _K	
	[E] B \rightarrow D ^(*) Iv: l=e, μ vs τ	
	[F] IV _{ub} I exclusive vs inclusive	

Summary

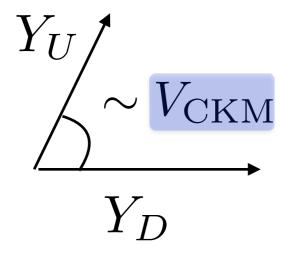
1.A CKM & flavour violation

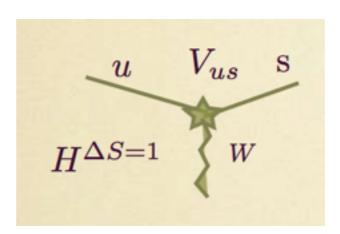
SM: Flavour violation = CKM-mechanism



symbolically

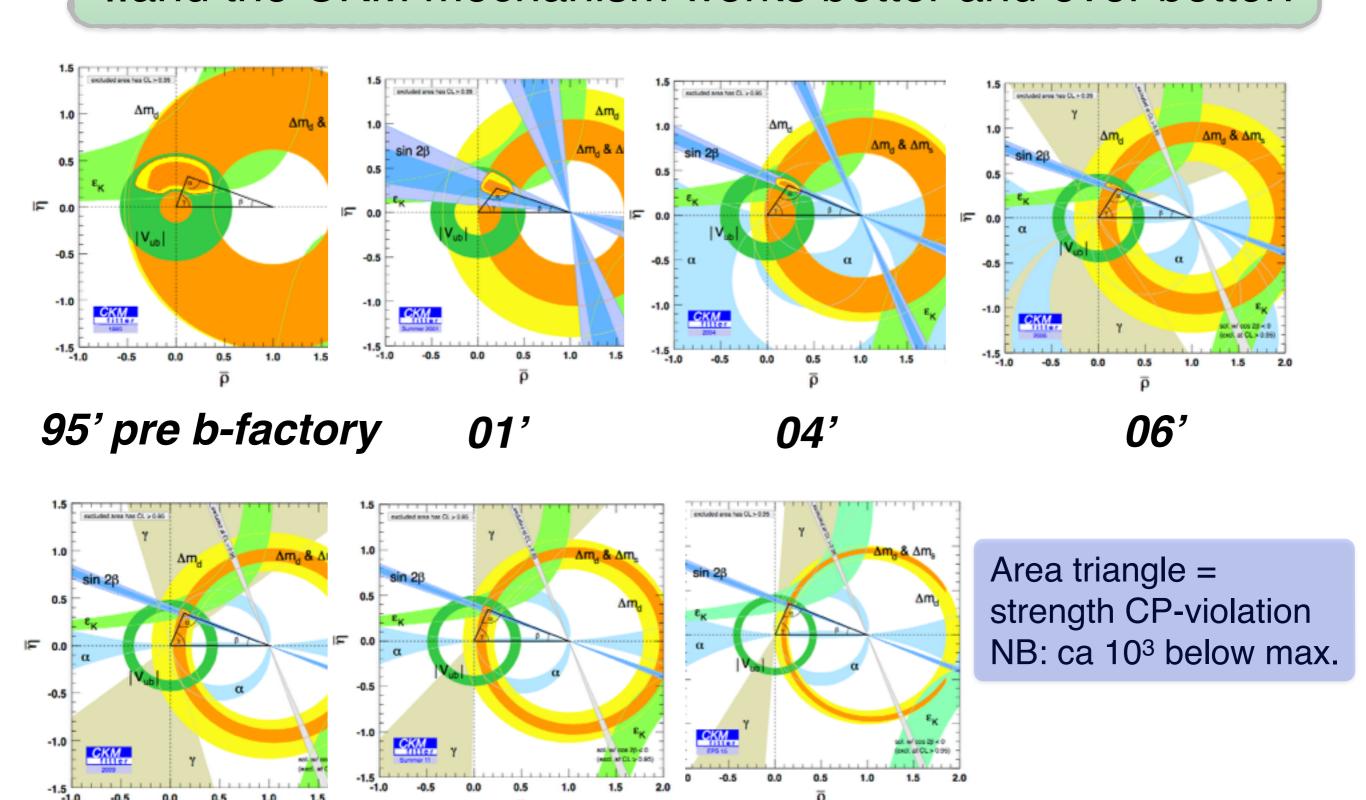
at short distances





.... originates from misalignment of U,D-Yukawa matrices

..and the CKM mechanism works better and ever better!



15[′]

Note: here CKM-fitter also U-fit group

New flavour physics and generic flavour structure?

- Anarchic flavour O(1) Wilson coefficients
 - → most severe **constraints** from **mixing** in Kaon sector

hadron	discovery	dim-6 operator	bound	$\Lambda_{FV}/(10^3 \text{TeV})$]
K_0	1964	$(\bar{s}d)_{V-A}(\bar{s}d)_{V-A}(\Lambda_{FV})$	$)^{-2}$	1
B_0	1999	$(\bar{b}d)_{V-A}(\bar{b}d)_{V-A}$		0.4
B_s	2006	$(\bar{b}s)_{V-A}(\bar{b}s)_{V-A}$		0.07
D_0	2007	$(\bar{c}u)_{V-A}(\bar{c}u)_{V-A}$		1

⇒ new flavour better have a structure! (also more likely to explain old one)

Minimal flavour violation = all flavour violation due to Yukawa

Georgi, Chivukula'87

- Yukawa = 0 global symmetry: $G_F = U(3)^5 = G_q \times G_I$, $G_q = U(3)_Q \times U(3)_{UR} \times U(3)_{DR}$ Yukawa $\neq 0$ breaking down: $G_q = U(3)_q^3 \rightarrow U(1)_{Baryon}$
- Let Yukawa formally transform as $Y_D \sim (3^*, 1, 3)_{Gq} \& Y_U \sim (3^*, 3, 1)_{Gq}$

MFV effective theory invariant under global G_F * (criterion of naturalness applied coefficient O(1))

D'Ambrosio, Giudice, Isidori, Strumia'02

MFV is proposed principle but **not** a theory of flavour
 e.g. <Yukawa>= VEV ⇒ SSB G_F ⇒ **FC-goldstone bosons** ⇒ constraints

 $\Lambda_{\text{flavour}} >> \Lambda_{\text{EWSB}}$ **susy-GUT**

gauge G_F

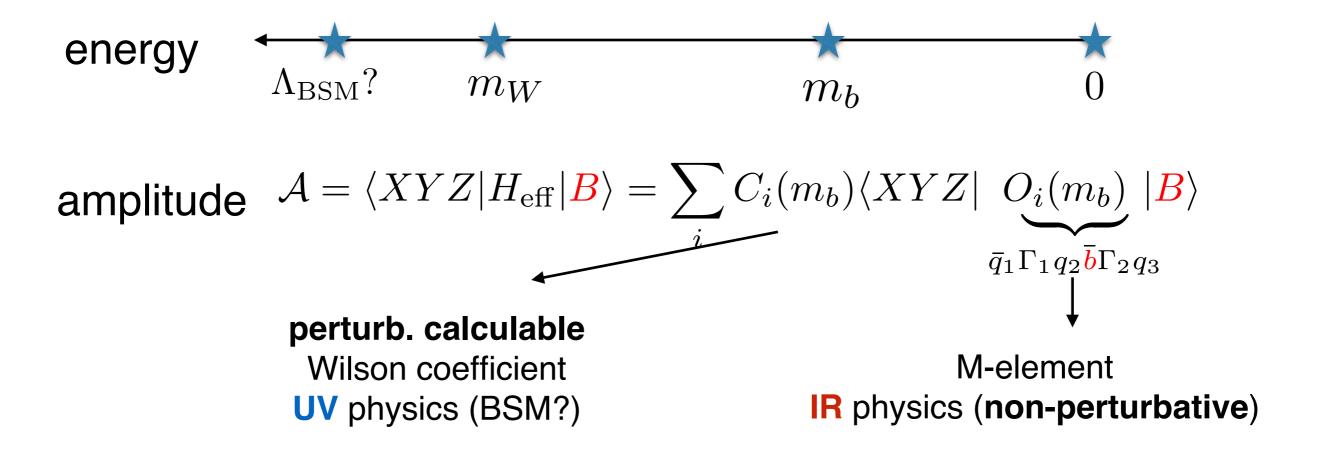
discrete $G_F \subset U(3)^5$

susy-GUT Albrecht et al'09, Grinstein et al'09

Fischbacher, RZ

1.B Dynamics

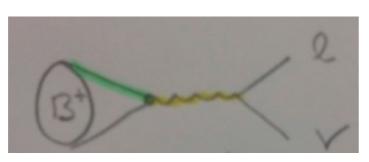
Make use of energy scales (eg. talk T.Becher)





final type hadrons **leptonic** 0 semi**leptonic**

topology (example)

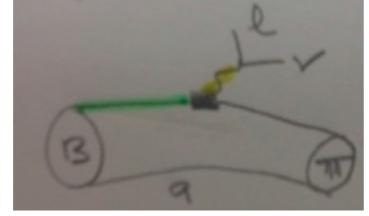


theory

methods

decay constant fB

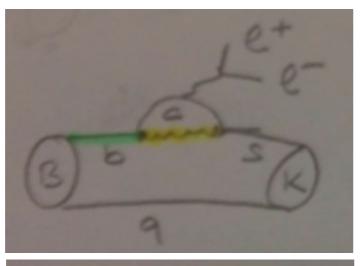
lattice sum rules (SR)



form factors $f_{+,0}(q^2)$

lattice, slow π LCSR, fast π

radiative **FCNC**



form factors

multi-hadrons

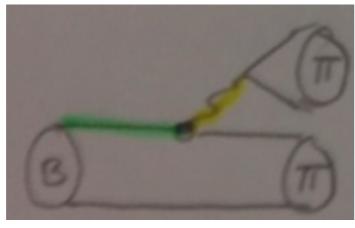
QCDF LCSR

duality

resonance

Breit-Wigner

non-≥2 leptonic



factorisation (fast pions)

pb: FSI

size of Λ/m_b

QCDF: 1/mb

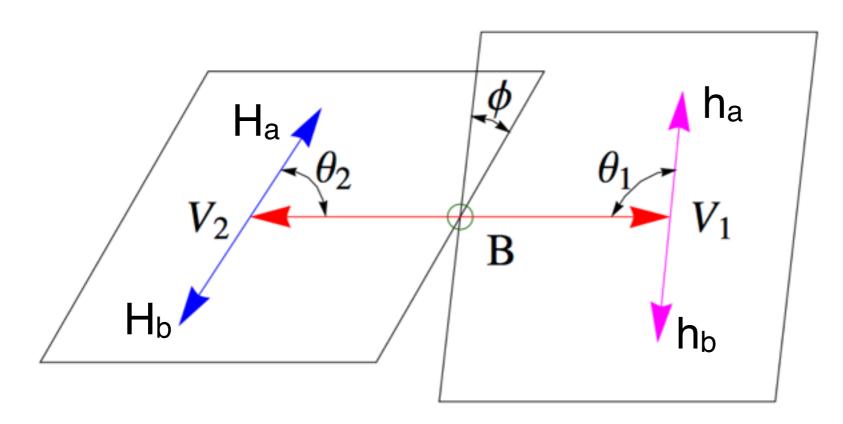
SCET: 1/mb

LCSR

1.C Angular kinematics

angular distributions give information on spin of particles and interactions

Any B → H_aH_bh_ah_b (1 → 4) decay described by 3 helicity-angles*



high degree of complexity

decay sequential simplifies e.g. H → Z(→II) Z*(→II)
 Use Jacob-Wick formalism [Wigner matrices] few partial waves contribute to decay distribution e.g. Bolognesi et al'12

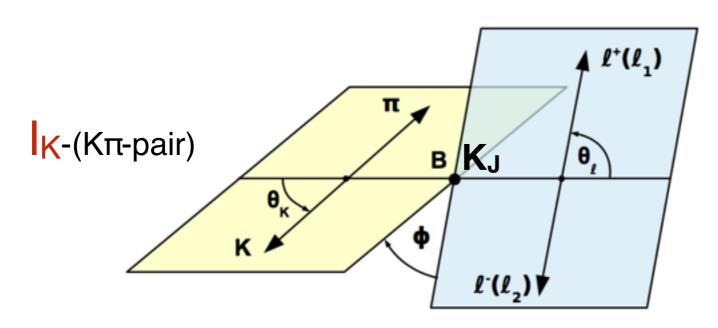
few terms

^{*3} angles simply complete set (of fcts)

Jacob-Wick formalism for effective theories

Gratrex. Hopfer, RZ'15

B → K_J(→Kπ)II somewhere in between (later for anomalies)



|-(II-pair)

Heff of dim=6 with 10 operators
$$H^{\rm eff} = -\frac{4G_F}{\sqrt{2}} \frac{\alpha}{4\pi} V_{\rm ts} V_{\rm tb}^* \sum_{i=V,A,S,P,\mathcal{T}} (C_i O_i + C_i' O_i') \; .$$

$$O_{S(P)} = \bar{s}_L b \; \bar{\ell}(\gamma_5) \ell \;, \qquad O_{V(A)} = \bar{s}_L \gamma^{\mu} b \; \bar{\ell} \gamma_{\mu}(\gamma_5) \ell \;,$$

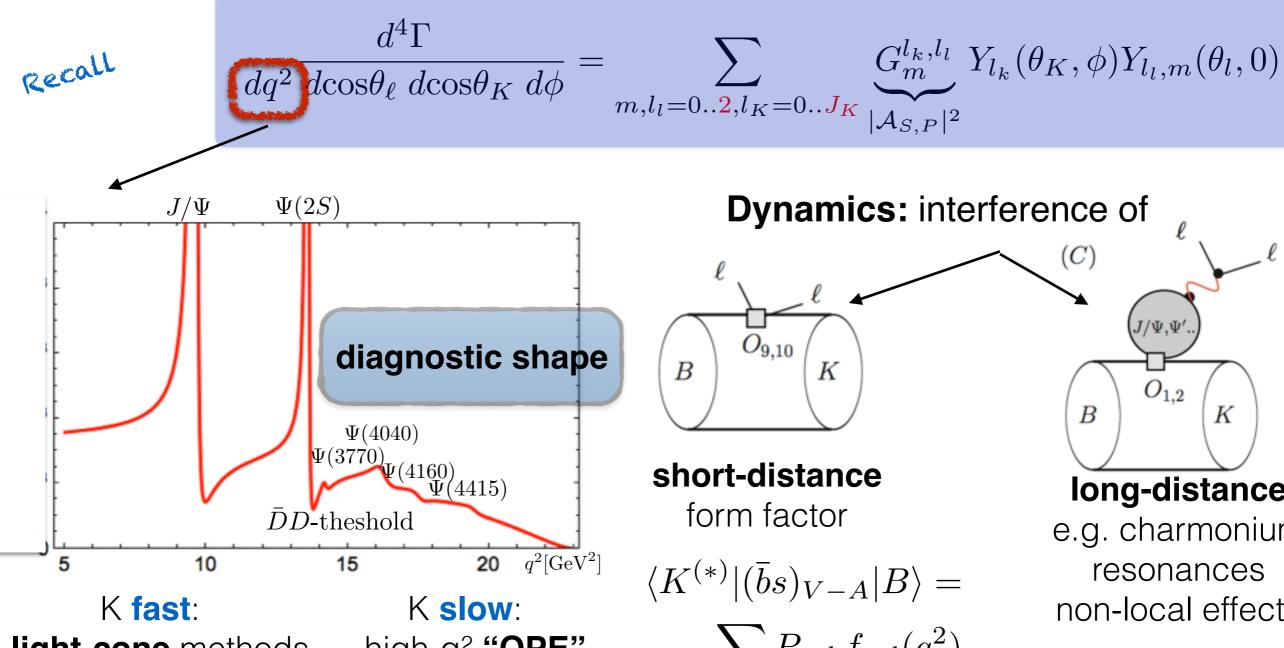
$$O_{\mathcal{T}} = \bar{s}_L \sigma^{\mu\nu} b \; \bar{\ell} \sigma_{\mu\nu} \ell \; , \quad O' = O|_{s_L \to s_R}$$

S- and P-wave

$$\frac{d^4\Gamma}{dq^2 d\cos\theta_\ell d\cos\theta_K d\phi} = \sum_{m,l_l=0..\mathbf{2},l_K=0..\mathbf{J_K}} \underbrace{G_m^{l_k,l_l}}_{|\mathcal{A}_{S,P}|^2} Y_{l_k}(\theta_K,\phi) Y_{l_l,m}(\theta_l,0)$$

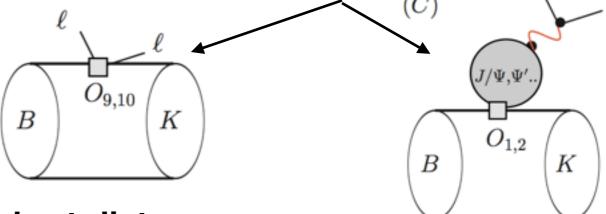
2 Current tensions (anomalies) in B-physics with the SM

2.1 Basics $B \rightarrow K^*(\rightarrow K\pi) \& P_5$



- **light-cone** methods - high-q² "OPE" LCSR, QCDF/SCET -endpoint relations

Dynamics: interference of



short-distance

form factor

$$\langle K^{(*)}|(\bar{b}s)_{V-A}|B\rangle =$$

$$\sum_{pol} P_{pol} f_{pol}(q^2)$$

relatively well-known LCSR, SCET, Large energy limit

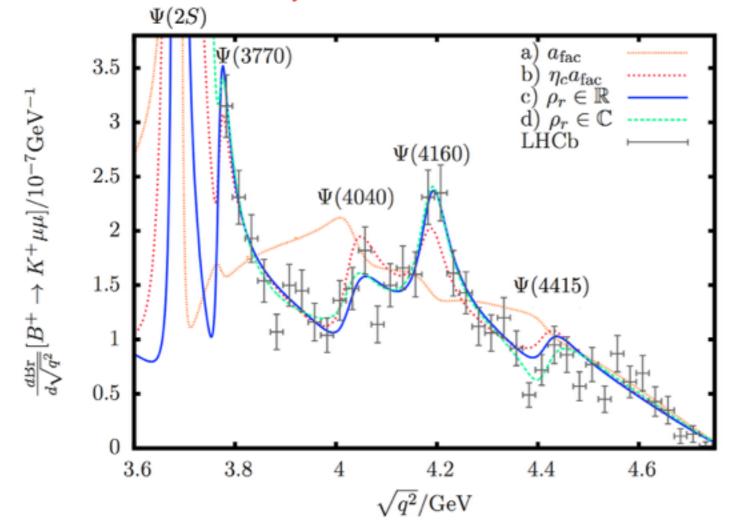
long-distance

e.g. charmonium resonances non-local effects

model Breit-Wigner good if fits spectrum first principles: Breit-Wigner residues related to amplitudes

$$\mathcal{A}(B \to K\ell\ell)|_{q^2 \simeq m_{\Psi}^2} = \frac{\mathcal{A}(B \to \Psi K)\mathcal{A}^*(\Psi \to \ell\ell)}{q^2 - m_{\Psi}^2 + im_{\Psi}\Gamma_{\Psi}} + \dots$$

Lyon, RZ '14 fit to LHCb data broad charmonium resonances



results:

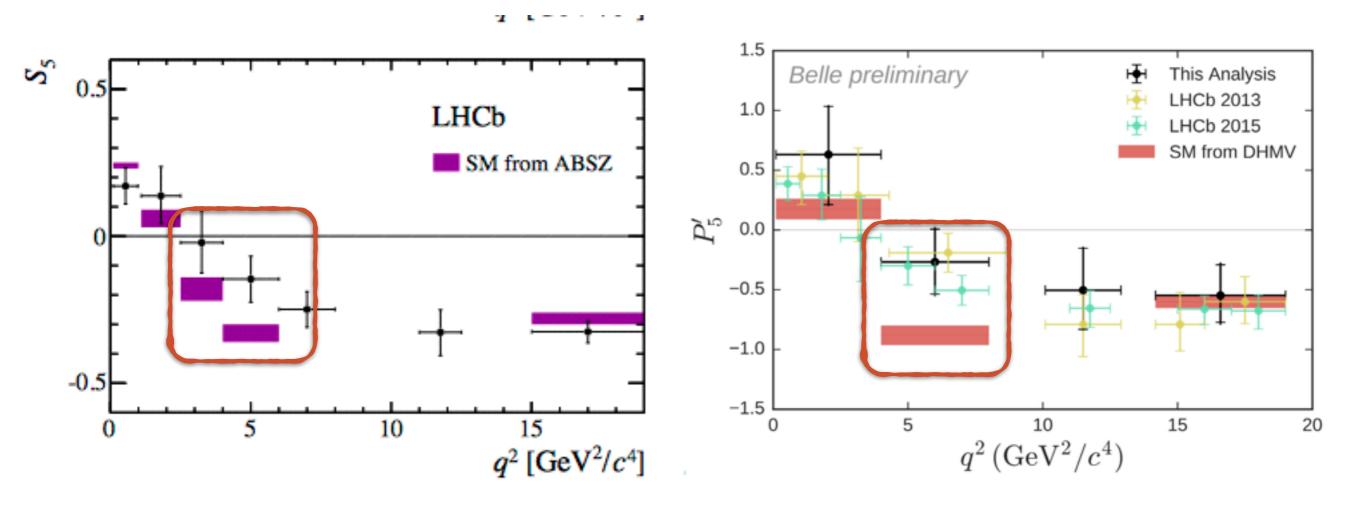
- residues large and opposite in phase to what people used to use for estimates (pQCD or e+e--> hadrons)
- need to measure phase of narrow J/Ψ, Ψ(2S)-resonance since most important for low q²-spectrum
 [⇒ ongoing LHCb-analysis]

global fits

Several groups Altmanshofer, Straub | Descotes et al | Bobeth et al | Hurth et al doing **global fits** to 12 angular observables in B->K*II and other modes finding **3-5\sigma deviations** to the SM. Shifts in the amplitudes with charm quantum numbers can accommodate anomaly

- Some people think its new physics some not personally I would like to see:

 a) more of the q²-spectrum (fine binning)
 b)measurement of charmonium phases
- Note added: $P_{5'} \sim \text{Re}[G_{1}^{21}]$ one angular observable which makes deviation apparent. Designed to minimise form factor impact. Yet with correlations of of form factors this does not (really) matter anymore

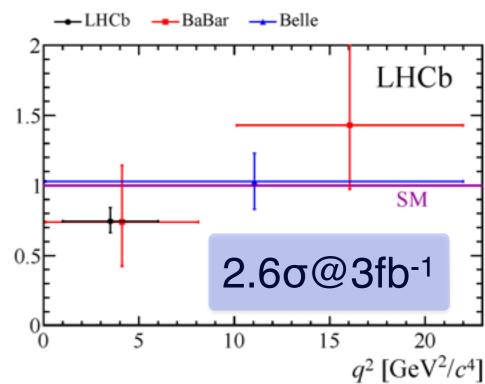


R_K Lepton-flavour universality

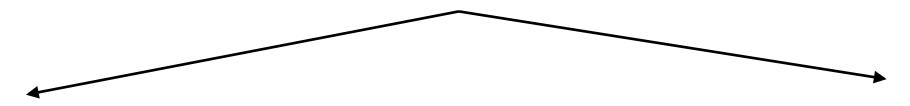
$$R_K \equiv \frac{\mathcal{B}(B^+ \to K^+ \mu^+ \mu^-)}{\mathcal{B}(B^+ \to K^+ e^+ e^-)}$$
 $R_K|_{SM} \simeq 1$

- hadronic effects cancel
- BSM? more sbee than sbuµ would be sensational!

 $R_{
m K}$



SM-corrections: - phase space (tiny) - QED $\sim \alpha \ln^2 \left(\frac{m_e}{m_{...}}\right)$ O(few%) - unknown at time



QED no factorisation → all partial waves! estimate QED effect from D,F,..-waves

Gratrex. Hopfer, RZ'15 [ongoing LHCb analysis]

computation largest logs effect up to 10% in principle but with cuts & PHOTOS net effect: 1%

Bordone, Isidori, Pattori'16

$B_s \rightarrow \Phi$ vs $B \rightarrow K^*$ tension

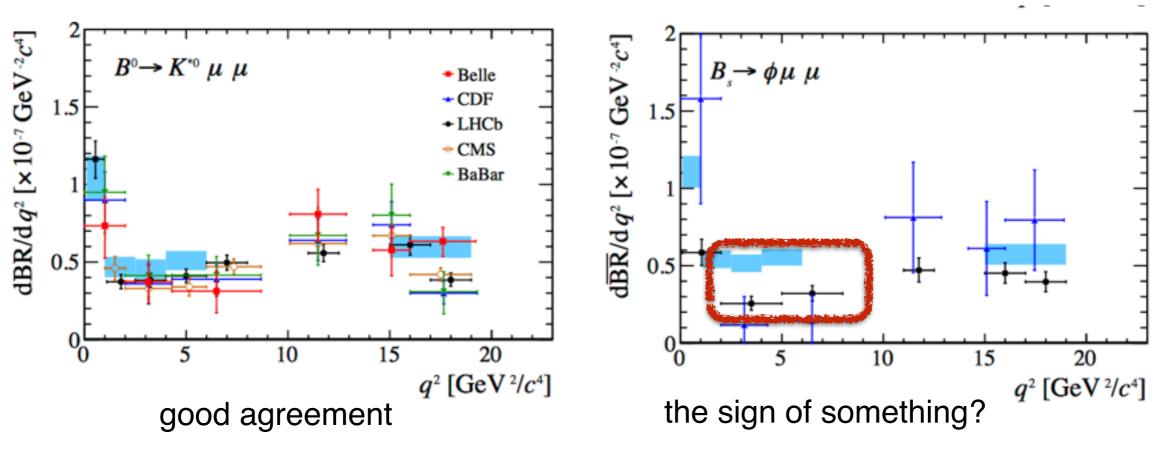
at q²=0 to photons

$$R_{K^*\phi}^{(\gamma)} \equiv \frac{\mathrm{BR}(B^0 \to K^{*0}\gamma)}{\mathrm{BR}(B_s \to \phi\gamma)}$$

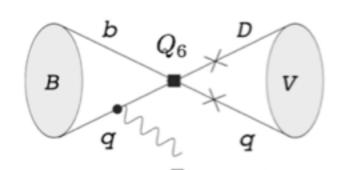
Lyon, RZ '13 LHCb '12 1202.6267

0.78(18) 1.23(32)

B→VII look at q²-spectrum



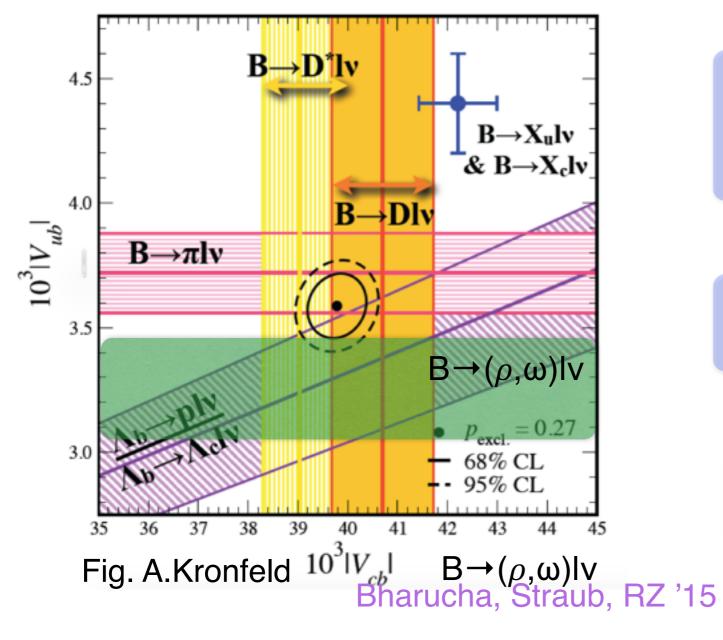
origin of differences?



- lifetimes (effect small)
- weak annihilation taken from Lyon, RZ '13
- form factors Bharucha, Straub, RZ '15 normalisation experimental decay constants.

Tensions in tree-level decays! (no sizeable long distance contamination!)

2.B IV_{ub}l exclusive vs inclusive/ B→V form factors test



global CKM-fits

$$|V_{\rm ub}|_{\rm CKMfitter} = (3.44^{+0.25}_{-0.08}) \times 10^{-3}$$

$$|V_{\rm ub}|_{\rm UTfit} = (3.61 \pm 0.12) \times 10^{-3}$$
.

fit LCSR, lattice to Belle, Babar

$$|V_{\rm ub}|^{B\to\pi\ell\nu} = (3.41 \pm 0.22) \times 10^{-3}$$

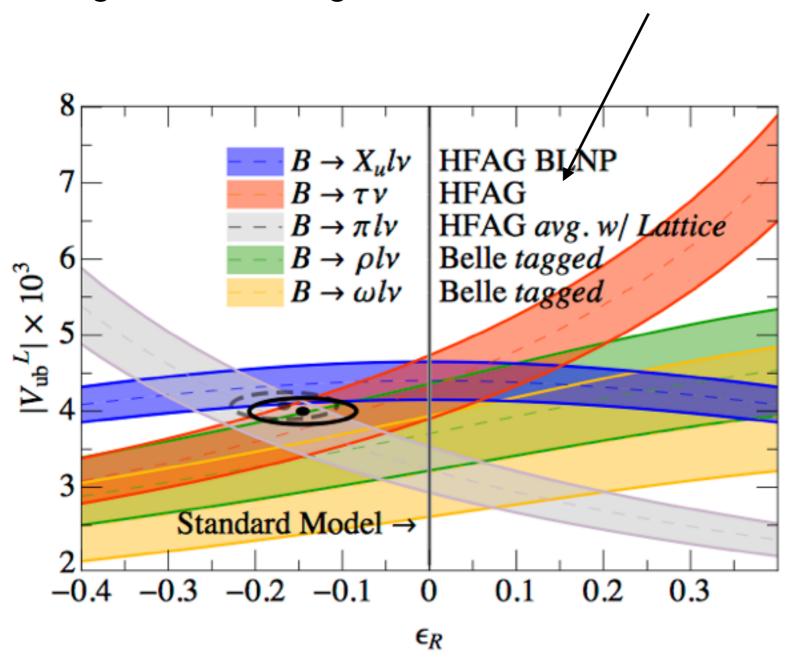
inclusive

$$|V_{\rm ub}|^{\rm incl.} = (4.41 \pm 15^{+15}_{-17}) \times 10^{-3}$$

- roughly: 3 exclusive channels around 3.5(2)x10⁻³ vs inclusive 4.4(2) x10⁻³
- 3 channels put pressure on inclusive result (theory? experiment?)
- $B \rightarrow (\rho, \omega)$ form factors look ok $B_s \rightarrow \varphi$ vs $B \rightarrow K^*$ tension

BSM: right-handed currents Crivellin'09

Diagnosing better via angular distribution Bernlocher, Ligeti, Turczek'14



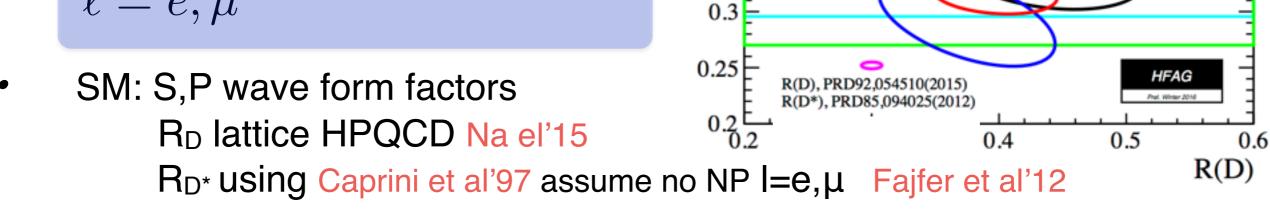
Word of caution:
 Λ_b→ plv from LHCb from '15 does not support right handed currents (not exclude them either)

2.C Tensions in B→D(*)Iv in lepton universality

$$R_{D^{(*)}} = \frac{BF(B \to D^{(*)}\tau\nu)}{BF(B \to D^{(*)}\ell\nu)}$$

$$\ell = e, \mu$$

SM: S,P wave form factors



- Good: BelleII@50/ab competitive with theory error
- Yet: τ difficult particle ...

$$BF(B \to X_c \tau \nu) = \begin{cases} 2.42(06) \cdot 10^{-2} & \text{Ligeti, Tackman(theory)} \\ 2.41(23) \cdot 10^{-2} & \text{LEP(experiment)} \end{cases}$$

0.35

BaBar, PRL109,101802(2012)

Belle, PRD92,072014(2015) LHCb, PRL115,111803(2015)

Belle, arXiv:1603.06711 — HFAG Average, P(χ²) = 67%

SM prediction

 $\Delta \chi^2 = 1.0$

$$BF(B \to D\tau\nu) + BF(B \to D^*\tau\nu) = \left\{ \begin{array}{ll} Kamenik, Fajfer'12 & BaBar'12, LHCb'15 & Belle'15 \\ 2.01(7) \cdot 10^{-2} & 2.78(25) \cdot 10^{-2} & 2.39(32) \cdot 10^{-2} \end{array} \right.$$

looks like two modes experimentally saturate inclusive rate ...

3. BSM-activity

Crivellin, d'Ambrosio, Jung, Gauld, Haisch, Cellis, Martin, Hofer, Straub, Gori, Altmanshofer, Hiller, Kamenik, Becirevic, Fajifer, Buras, Neubert, Bauer, Isidori, Buttazzo, Greillo, ...

some activity at explaining several anomalies within one model

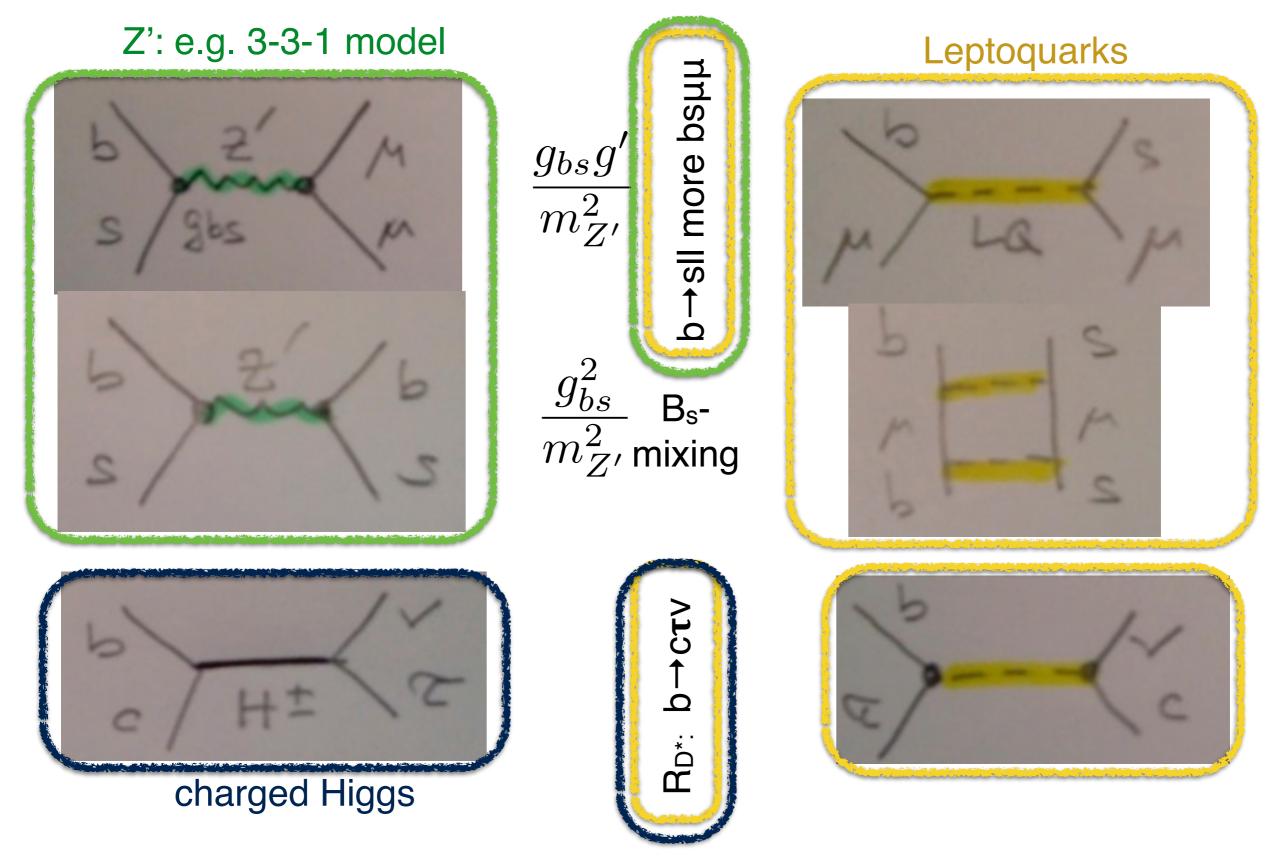
effective Lagrangian new mediator write down operators and fit

specific operator

one may distinguish 3 different level of approaches

UV-complete models

new mediators (model prototypes)



b→u no LFV - right-handed currents can make modes agree (if necessary)

discussion & conclusions

interesting anomalies 2-4σ anomalies good news: will know more in the foreseeable future

Lepton flavour violation:

- R_K: R_{K*} LHCb (Oct), R_Λ?
 ultimately R_K etc BelleII (better suited FS-electrons)
- 2) R_D(*): theory: more lattice B→D form factors exp. BelleII (competitive with theory error)

Angular anomalies b->sll:

- 1) more q²-bins also in fast recoil
- 2) need to know residues of charmonium resonances [awaiting LHCb-analysis]
- 3) close interaction between experiment and theory needed
- b->ulv redo inclusive analyse at Bellell



apologies for all topics not