

Jet and particle correlations with ATLAS experiment

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Outline

- Correlations measured using very large- p_T and very low- p_T objects
- Transverse energy-energy correlations of jets, STDM-2016-10
 - Very precise test of perturbative QCD
 - Extraction of strong coupling α_s
- Measurement of hadronic chains, STDM-2014-08
 - Study low-mass pion triplets
 - Source of charge correlation between particle pairs at low Q
 - Indication of helix string fragmentation

Observable definition

The transverse energy-energy correlation (TEEC) is defined as

$$\frac{1}{\sigma} \frac{d\Sigma}{d \cos \phi} \equiv \frac{1}{\sigma} \sum_{ij} \int \frac{d\sigma}{dx_{\text{T}i} dx_{\text{T}j} d \cos \phi} x_{\text{T}i} x_{\text{T}j} dx_{\text{T}i} dx_{\text{T}j} \quad x_{\text{T}i} \equiv \frac{E_{\text{T}i}}{\sum_k E_{\text{T}}}$$

For a sample of N events, calculated for the jet pairs (i, j) as

$$\frac{1}{N} \sum_{A=1}^N \sum_{ij} \frac{E_{\text{T}i}^A E_{\text{T}j}^A}{(\sum_k E_{\text{T}k}^A)^2} \delta(\cos \phi - \cos \phi_{ij}),$$

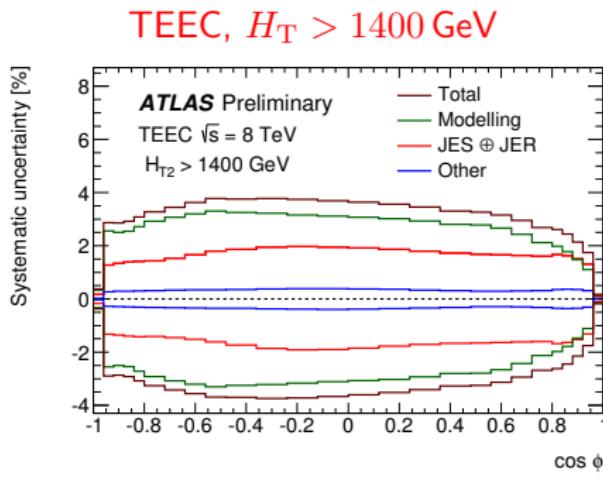
Transverse TEEC asymmetry (ATEEC) defined as

$$\frac{1}{\sigma} \frac{d\Sigma^{\text{asym}}}{d \cos \phi} \equiv \left. \frac{1}{\sigma} \frac{d\Sigma}{d \cos \phi} \right|_{\phi} - \left. \frac{1}{\sigma} \frac{d\Sigma}{d \cos \phi} \right|_{\pi-\phi}$$

- Large sensitivity to α_s (more radiation) and a mild sensitivity to other theoretical effects such as PDF or scale choice
- Reduced sensitivity to systematic effects such as JES or JER because of the $E_{\text{T}i} E_{\text{T}j} / (\sum E_{\text{T}})^2$ weighting

Event selection and systematic uncertainties

- Using 20 fb^{-1} of 8 TeV data
- Jet selection: anti- k_T ($R=0.4$) with $p_T > 100 \text{ GeV}$, $|\eta| < 2.5$ for each jet
- The two leading jets have to fulfill $p_{T1} + p_{T2} > 800 \text{ GeV}$
- Binning in $H_T = p_{T1} + p_{T2}$ variable
- $\alpha_s(Q^2)$ studied in 6 bins of $Q = H_T/2$



Experimental uncertainties:

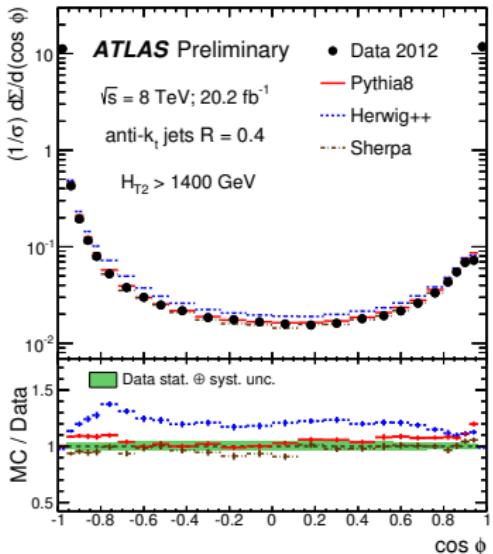
JES and JER: amount to 2% and 1%. Full set of 67 nuisance parameters

Monte Carlo modeling: dominant source of the uncertainty 5%. Different generators used in the unfolding

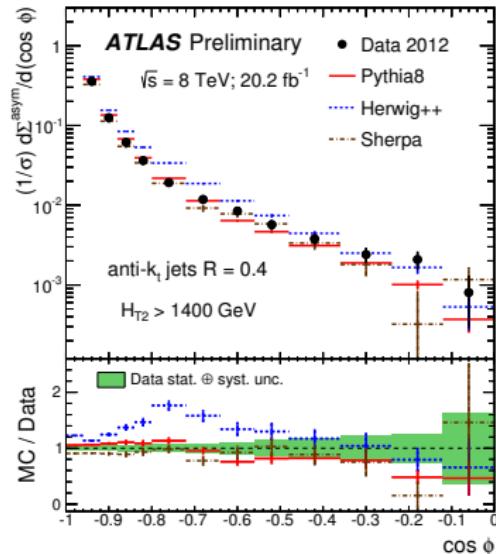
Other uncertainties: jet angular resolution, jet cleaning, data mis-modelling

Results

TEEC



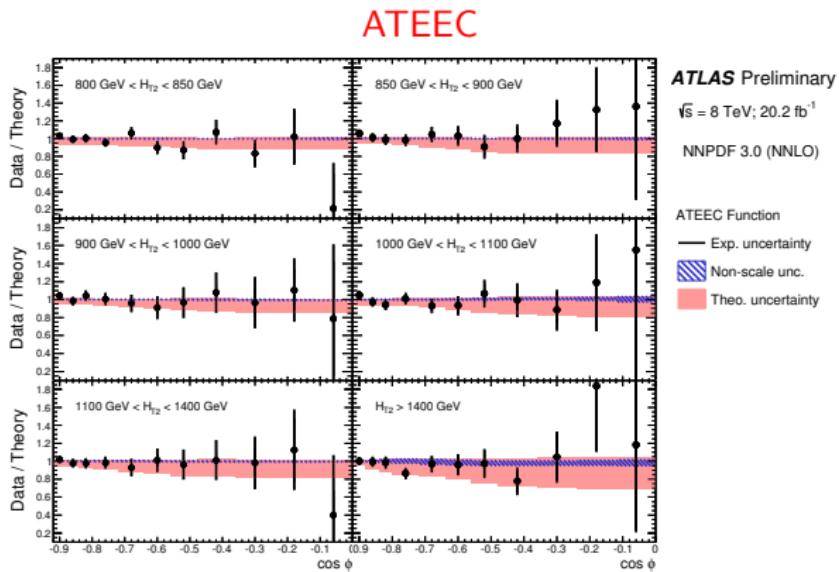
ATEEC



- TEEC $\cos \phi$ topologies \rightarrow back-to-back (-1), wide angle gluon radiation (0), jet self-correlation (1)
- Good modeling by PYTHIA 8 and SHERPA, significant mis-modelling by HERWIG++

Theoretical NLO predictions

- Evaluated using NLOJET++
- Dominant uncertainty due to choice of renormalization and factorization scales: up to 20%
- Other contributions: PDF (NMHT 2014, CT14, NNPDF 3.0, HERAPDF 2.0), α_s in PDFs, non-perturbative corrections



Test of asymptotic freedom and α_s global fit

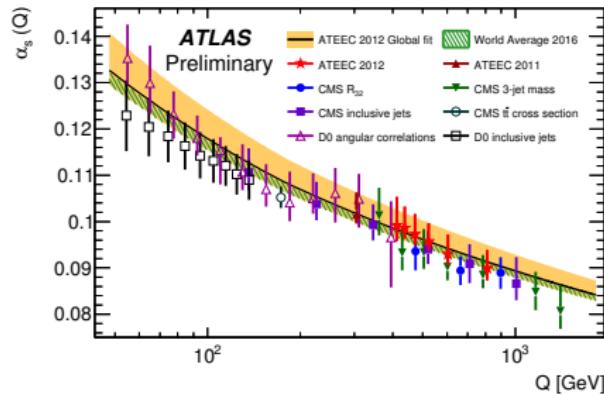
- $\alpha_s(Q^2)$ extracted in 6 $H_T/2$ bins as well as in a global fit
- $\chi^2/N_{dof} = 60.3/65$ for global fit, showing very good quality
- Using nuisance parameters to include experimental and theoretical uncertainties
- Largest uncertainty due to scale variation 7% (TEEC) and 5% (ATEEC)

TEEC:

$$\alpha_s(m_Z) = 0.1162 \pm 0.0008 \text{ (exp.)} \pm 0.0007 \text{ (corr.)} {}^{+0.0076}_{-0.0061} \text{ (scale)} \pm 0.0018 \text{ (PDF)} \pm 0.0003 \text{ (NP)}$$

ATEEC:

$$\alpha_s(m_Z) = 0.1196 \pm 0.0013 \text{ (exp.)} \pm 0.0003 \text{ (corr.)} {}^{+0.0061}_{-0.0013} \text{ (scale)} \pm 0.0017 \text{ (PDF)} \pm 0.0004 \text{ (NP)}$$



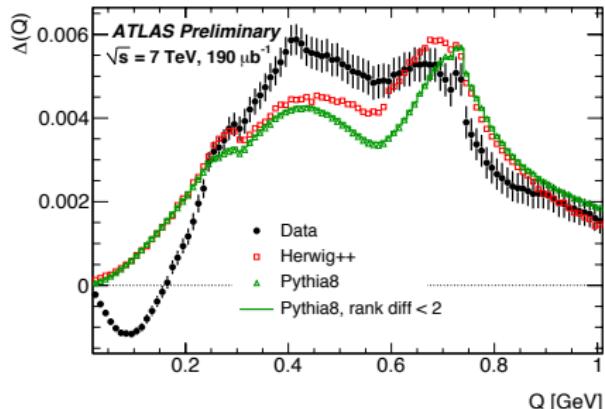
Hadronic chains

Define two-particle correlation

$$\Delta(Q) = \frac{1}{N_{ch}}(N(Q)^{+-} - N(Q)^{++/-})$$

as an average difference of unlike-sign and like-sign pairs, depends on momentum difference $Q = \sqrt{-(p_i - p_j)^2}$

Enhanced production of $++/-$ over $+-$
not described by MC ($Q < 200$ MeV)



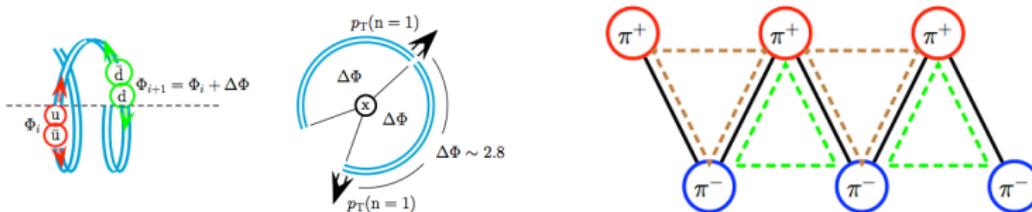
Novel approach to measure $\Delta_{3h}(Q)$:

- $\Delta(Q)$ for particles contained in three-hadron chains ($\pi^+\pi^-\pi^+$ or $\pi^-\pi^+\pi^-$)
- Powerful probe of the correlation between particles
- What fraction of the $\Delta(Q)$ explained by low- m_{3h} chains?
 - Helix string model - essentially all, $\Delta_{3h}(Q) \sim \Delta(Q)$ for $Q < 200$ MeV
 - Standard Lund model - only a small fraction

Motivation for the observable

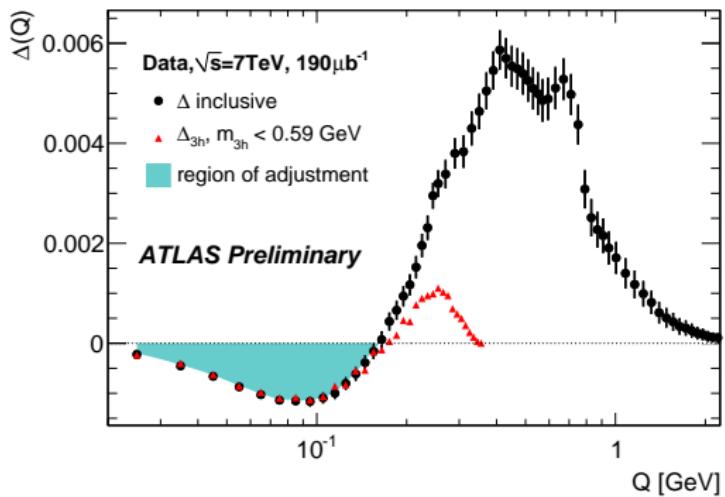
Predictions of quantized model of helical string fragmentation (arXiv:1309.6761):

- Ground-state hadrons are emitted in preferred directions to each other
 $\Delta\phi \sim 2.8$ (almost back-to back)
- Small chain mass, $m_{3h} < 0.6$ GeV, when 3 hadrons produced in 'near' string fragments with rank $r = 1, 2$ (ordering along the string)
- Implies $Q(+-) = 266$ MeV, $Q(--/++) = 91$ MeV for particles with $r = 1, 2$
→ Threshold behavior for unlike-sign pairs should be visible in $\Delta_{3h}(Q)$



An algorithm developed to uniquely assign particles into chains to access $r = 1, 2$ by minimizing chain Q and m_{3h} → Rivet routine provided

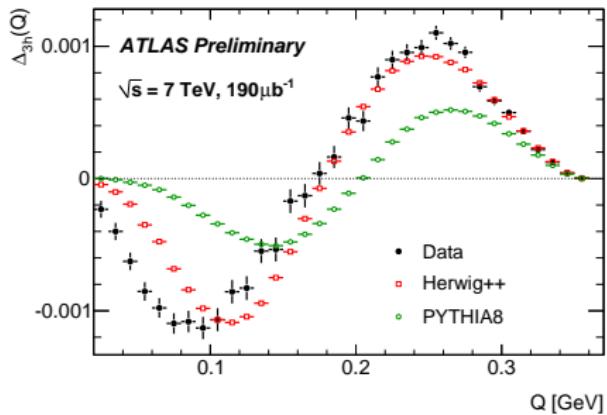
Event selection and results



- $7\mu\text{b}^{-1}$ of 7 TeV data selected with minimum bias trigger
- Low- p_T tracking with $p_T > 100 \text{ MeV}$, $|\eta| < 2.5$
- HBOM semi data-driven unfolding
- $\Delta(Q)$ is a ratio \rightarrow reduced uncertainties
- Sensitive to track reconstruction at small opening angle, low- Q

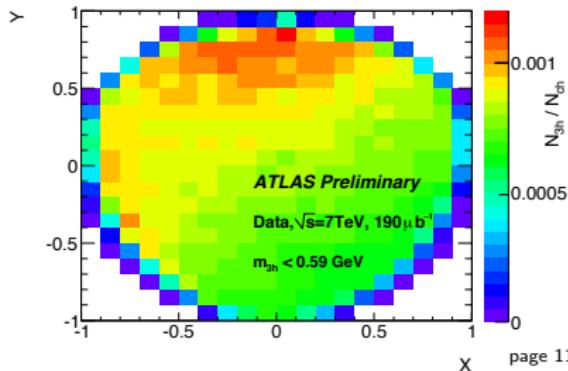
- Measured $\Delta_{3h}(Q)$ for chains with $m_{3h} < 0.59 \text{ GeV}$
- Mass cut fixed so that $\int \Delta_{3h}(Q) = \int \Delta(Q)$ for $\Delta(Q) < 1$ and $\Delta_{3h}(Q) < 1$
- **Low-mass hadron chains explain the shape $\Delta(Q)$ at low- Q entirely**

Properties of 3h chains

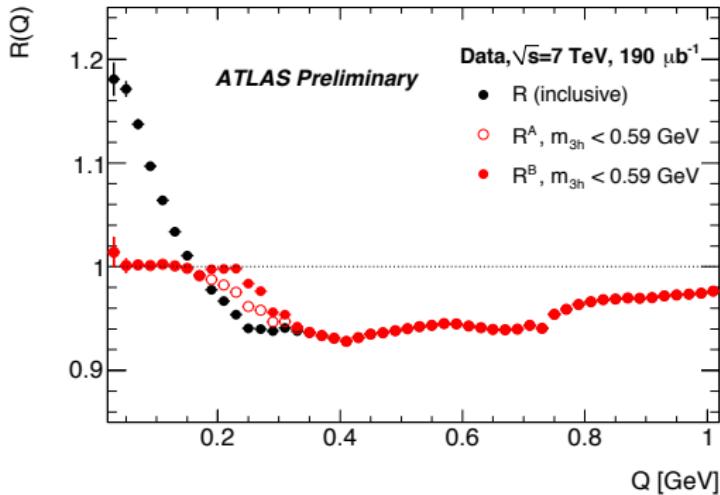


- Extracted position of like-sign ($Q \sim 90 \text{ MeV}$) and unlike-sign ($Q \sim 250 \text{ MeV}$) peaks in $\Delta_{3h}(Q)$ compatible with the helix-like fragmentation prediction
- MC generators fail to describe $\Delta_{3h}(Q)$

- Distinct polarization patterns seen in data, not contained in the generators
- $X = \sqrt{3} \frac{T_0 - T_2}{\sum T_i}$ $Y = \frac{3T_1}{\sum T_i} - 1$ with T_i kinetic energies of pions in the chain



Contribution of 3h chains to $R(Q)$



- At low Q , 3h chains are not only at the origin of $\Delta(Q)$ but also of $R(Q)$

$$R(Q) = N(Q)^{++/-}/N(Q)^{+-}$$

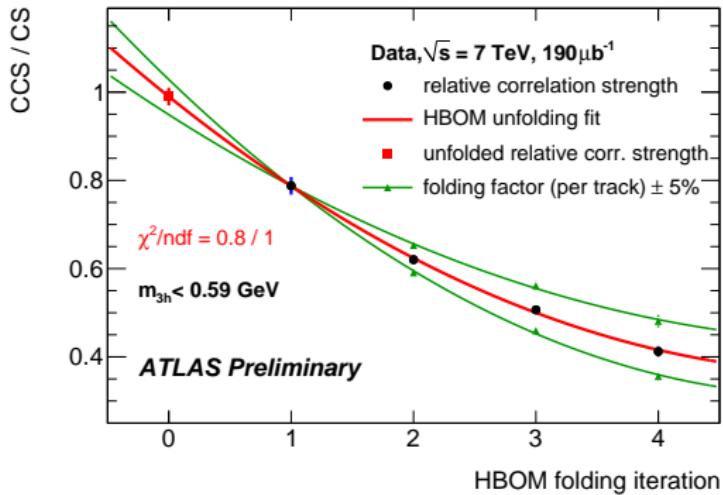
- The enhancement in 2-particle correlation traditionally attributed to Bose-Einstein interference can be viewed as a production of low-mass chains in the helix model

Summary

- Jet energy-energy correlations distribution used to extract $\alpha_s(M_Z)$ at the M_Z scale with a precision of 5% and 7%
 - In good agreement with previous measurements
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- Tree-hadron chains are used to probe details of hadronization
 - Indication of helix-like string behaviour
 - Unfolded distributions and Rivet routine available to model builders for further interpretation

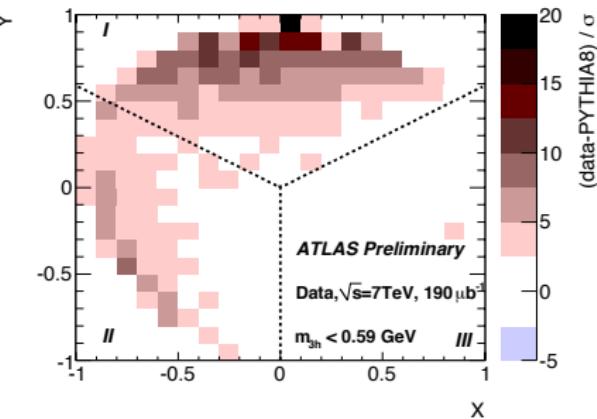
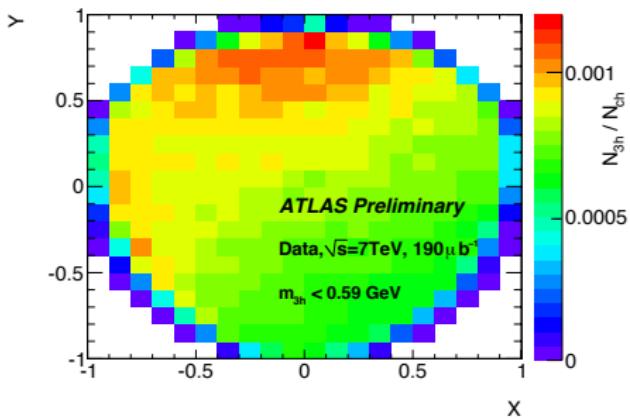
Backup

HBOM Method

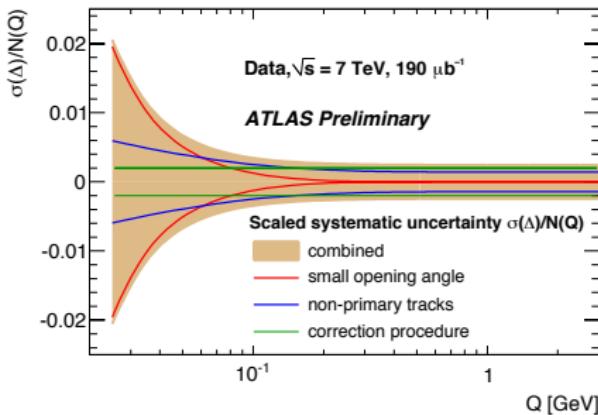


$$CCS/CS \equiv \int_{\Delta_{3h}(Q) < 1} \Delta_{3h}(Q) / \int_{\Delta(Q) < 1} \Delta(Q)$$

Three-body Dalitz diagram

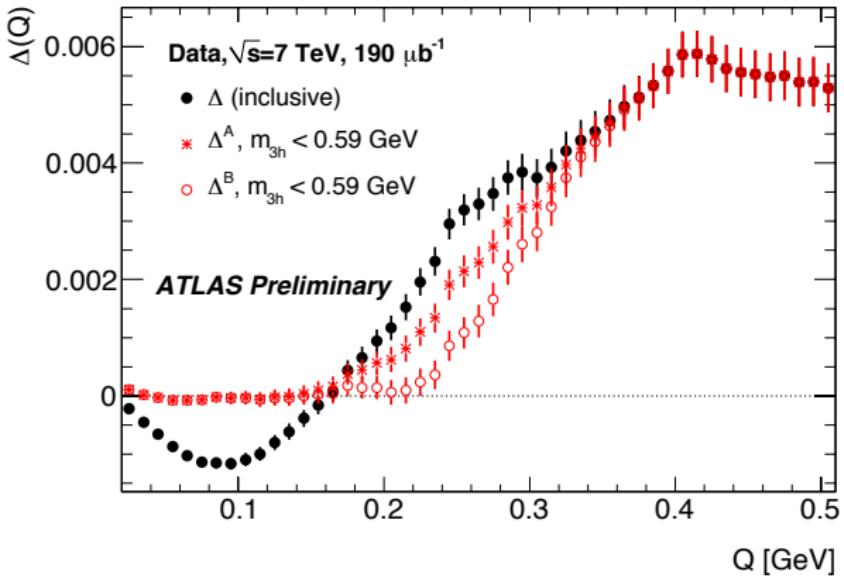


Event selection and uncertainties

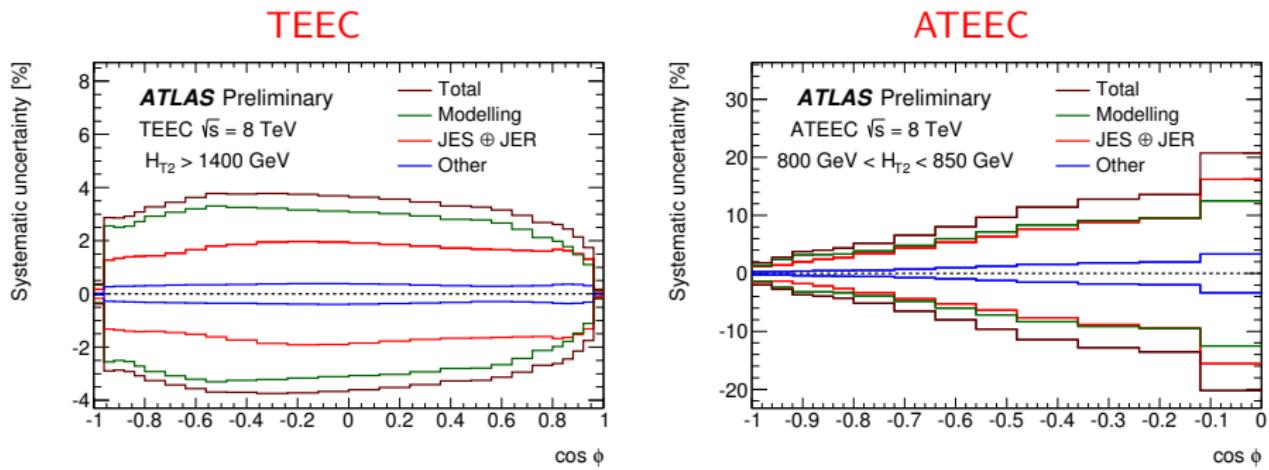


- Systematic uncertainties due to material modelling in the inner tracker
- Reduced sensitivity to uncertainties thanks to ratio in $\Delta(Q)$
- Important to understand track reconstruction at small opening angle, low- Q

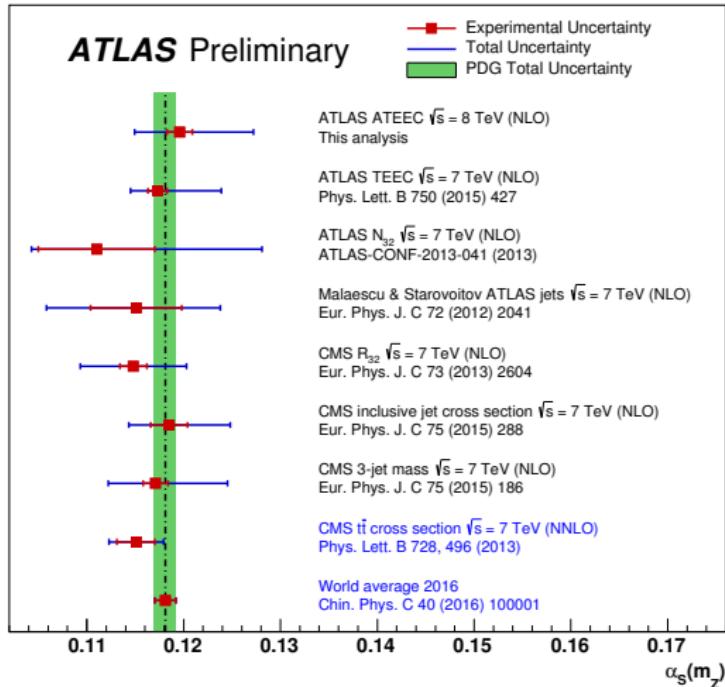
Contribution of 3h chains to $\Delta(Q)$



Systematic uncertainties TEEC and ATEEC



Comparison of $\alpha_s(M_Z)$ other experiments



Interupted and uninterrupted chains

