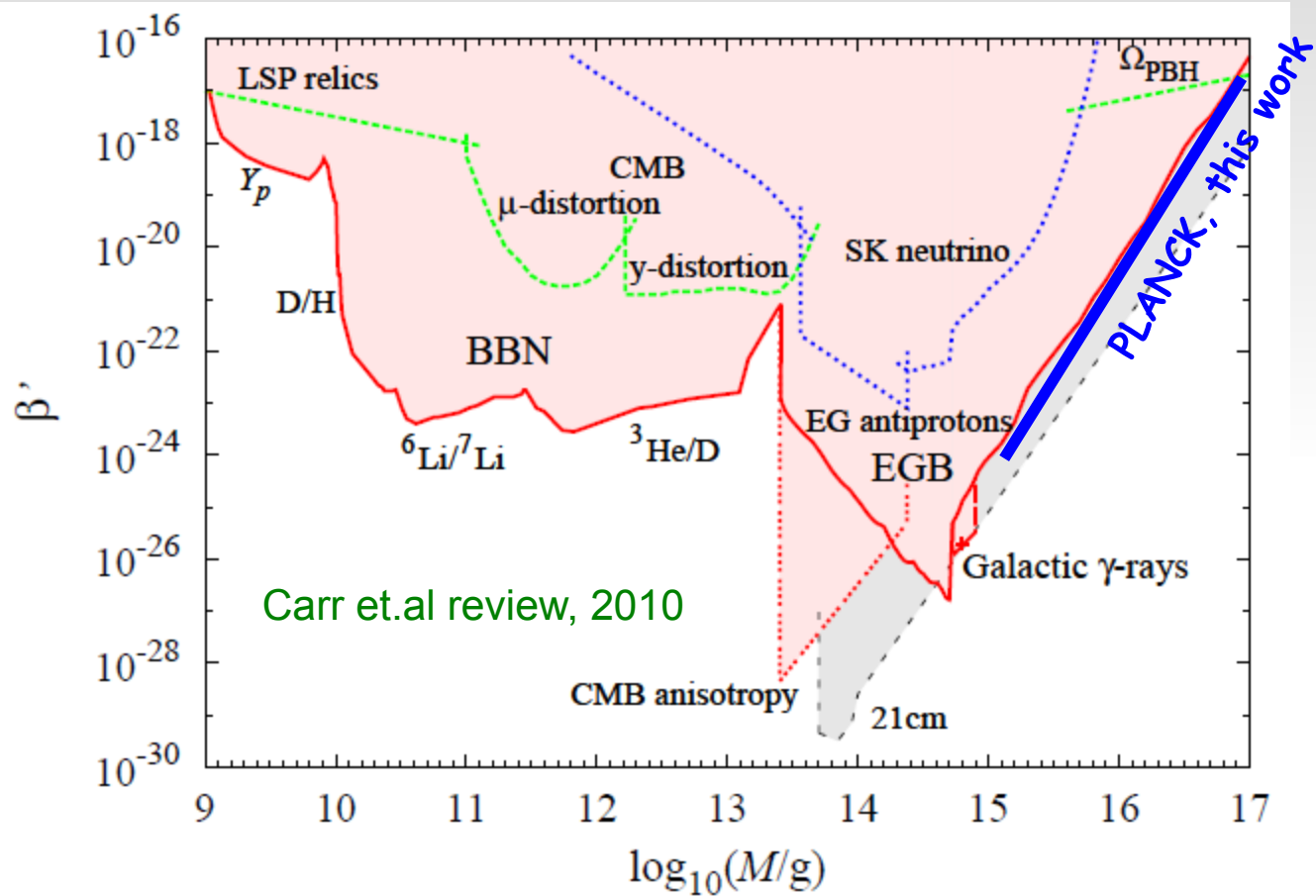


*An indirect constraint on Primordial Black Holes
from PLANCK*

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Conclusions



Motivations for PBHs

- Inhomogeneity in the high density at early universe may lead to BHs (not necessarily)
- Interesting for the power spectrum from inflation models
- Probing the equation of state: if reduction in pressure occurred (matter domination, e.g. 'non-thermal' scenarios in a prolonged decay of moduli, [see Scott's and Rouzbeh's talks](#))
- Can be (a fraction of) the dark matter
- LIGO candidate?

The usual thermal PBH

- Radiation domination after end of inflation, PBHs mostly formed by fluctuations around 'standard' horizon scale

$$M = \gamma M_{\text{PH}} = \frac{4\pi}{3} \gamma \rho H^{-3} \approx 2.03 \times 10^5 \gamma \left(\frac{t}{1\text{s}} \right) M_{\odot}$$

- A relatively narrow range of mass, determined by the time PBHs are formed

Nonthermal scenarios

- Lowered pressure allows a wider range of BH mass
- A more complicated evolution of BHs
- An example from matter domination of moduli & late decay:

PBH formation starts from $H \sim M_S$

minimal BH mass $\sim 10^9$ g for $M_S \sim O(10 \text{ TeV})$

& ends at the decay of moduli, modes can grow till reheat

maximal BH mass $\sim O(10 M_{\text{sun}})$ for T_r before BBN see Scott's talk

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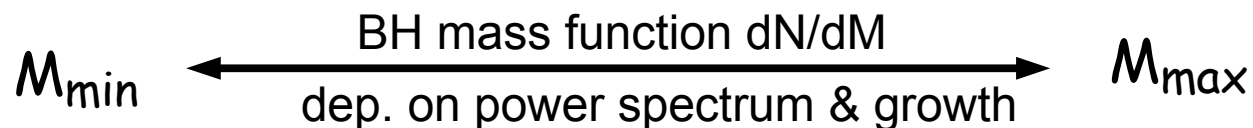
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Hawking radiation, 'lifetime' and BH mass

- BH evaporates at a temperature

Hawking 75'

$$T_{PBH} = \frac{1}{8\pi GM} = 1.06\text{TeV} \times \frac{10^{10}\text{g}}{M_{PBH}}$$

- with a peak energy of radiation

$$E_\gamma = 5.71T_{PBH}, \quad E_\nu = 4.22T_{PBH}, \quad E_{e^\pm} = 4.18T_{PBH}$$

Mass loss rate:

$$\dot{M}_{10} = -5.34 \times 10^{-5} \left(\sum_i f_i \right) M_{10}^{-2} \text{ s}^{-1}$$

lifetime:

$$\tau(M) \sim \frac{G^2 M^3}{\hbar c^4} \sim 10^{64} \left(\frac{M}{M_\odot} \right)^3 \text{ yr}$$

- BH evaporation can be a good source of cosmic rays, injection particle species determined by BH mass

Early-time constraints

- Density saturation
- Radiation/baryon ratio [$M < 10^9 \text{g}$] *Zel'dovich, et.al. 77'*
- BBN constraints [$10^9 < M < 10^{13} \text{g}$] *Vainer, Nasel'skii 78', Zel'dovich, et.al. 77'*
- CMB distortions:
 - BH evaporation [$10^{11} < M < 10^{13} \text{g}$] *Zel'dovich, et.al. 77'*
 - X rays from accretion [$0.1 M_{\text{sun}} < M$] *Ricotti et.al. 07', Carr 81'*

Late-time constraints

- Galactic lensing & dynamics
 - Microlensing (MACHOs) Paczyński, 86'
 - Binary disruption Bahcall et.al 85', Weinberg et.al. 87'
- Cosmic rays
 - galactic gamma ray Wright, 96', antiprotons Carr 76'
 - extragalactic gamma ray Carr et.al. 09' neutrinos Bugaev, Konishchev 00'
 - etc.
- Ionization (after recombination)
 - reionization $z < 6$ Fan, et.al. 06'
 - proposed 21cm measurements Mack, Wesley 08'
 - CMB damping (WMAP) Zhang, et.al. 07'

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with PLANCK data

A steady radiation injection below ~ 100 MeV

- Relevant for PBH mass above 10^{15} g, or peak radiation energy below muon mass
- Hawking evaporation after recombination yields (mostly) e^+e^- and gamma rays
- For $M \gg 10^{15}$ g, mass loss negligible during the age of the Universe
- A steady injection of radiation that scales as $(1+z)^3$.

Extra-galactic source

Of Hawking evaporation rate

$$\dot{M}_{10} = -5.34 \times 10^{-5} \left(\sum_i f_i \right) M_{10}^{-2} \text{ s}^{-1}$$

into light (massless) species,

$$f_0 = 0.267, \quad f_1^\gamma = 0.06, \quad f_{3/2} = 0.02, \\ f_2^g = 0.007, \quad f_{1/2}^\nu = 0.147, \quad f_{1/2}^{e^\pm} = 0.142$$

J.MacGibbon, PRD, 1991

and photons & electrons affects
the environment
with unit volume
injection rate,
+redshift

$$\frac{dE}{dV dt} = \dot{M}_{PBH} \eta(E_i, z) n_{PBH} \\ = \frac{\dot{M}_{10}}{M_{10}} \rho_{cr}(z) \Omega_{PBH}(z) \eta_i(E, z)$$

$$\left. \frac{dE}{dV dt} \right|_{BH} = \frac{\dot{M}_{10}}{M_{10}} \rho_{cr}(z) \Omega_{PBH}(z) \eta(E_{PBH}, z)$$

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$$\frac{dE}{dV dt} \Big|_{BH} \neq \frac{\dot{M}_{10}}{M_{10}} \rho_{cr}(z) \Omega_{PBH}(z) \eta(E_{PBH}, z)$$

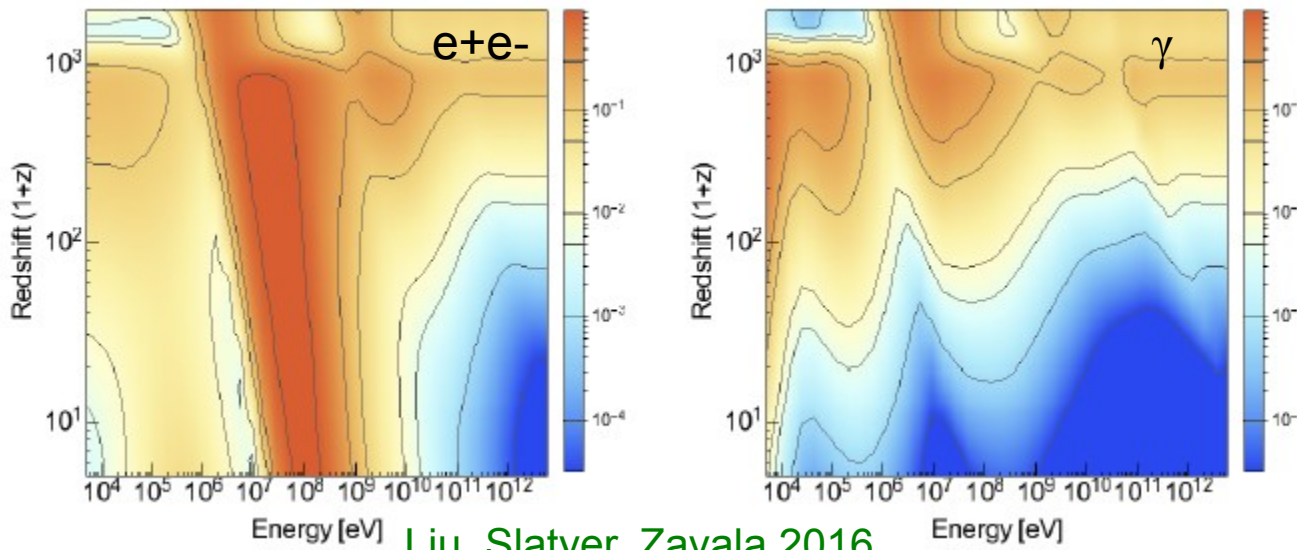
$\Gamma^{-1} \sim \dot{M}/M$

Injection vs absorption

- photons interact via Compton scattering & absorptions
- electrons lose energy by inverse C. scattering & **ionization**

Not all energy is absorbed by the environment (gas)
esp. if particles are too energetic

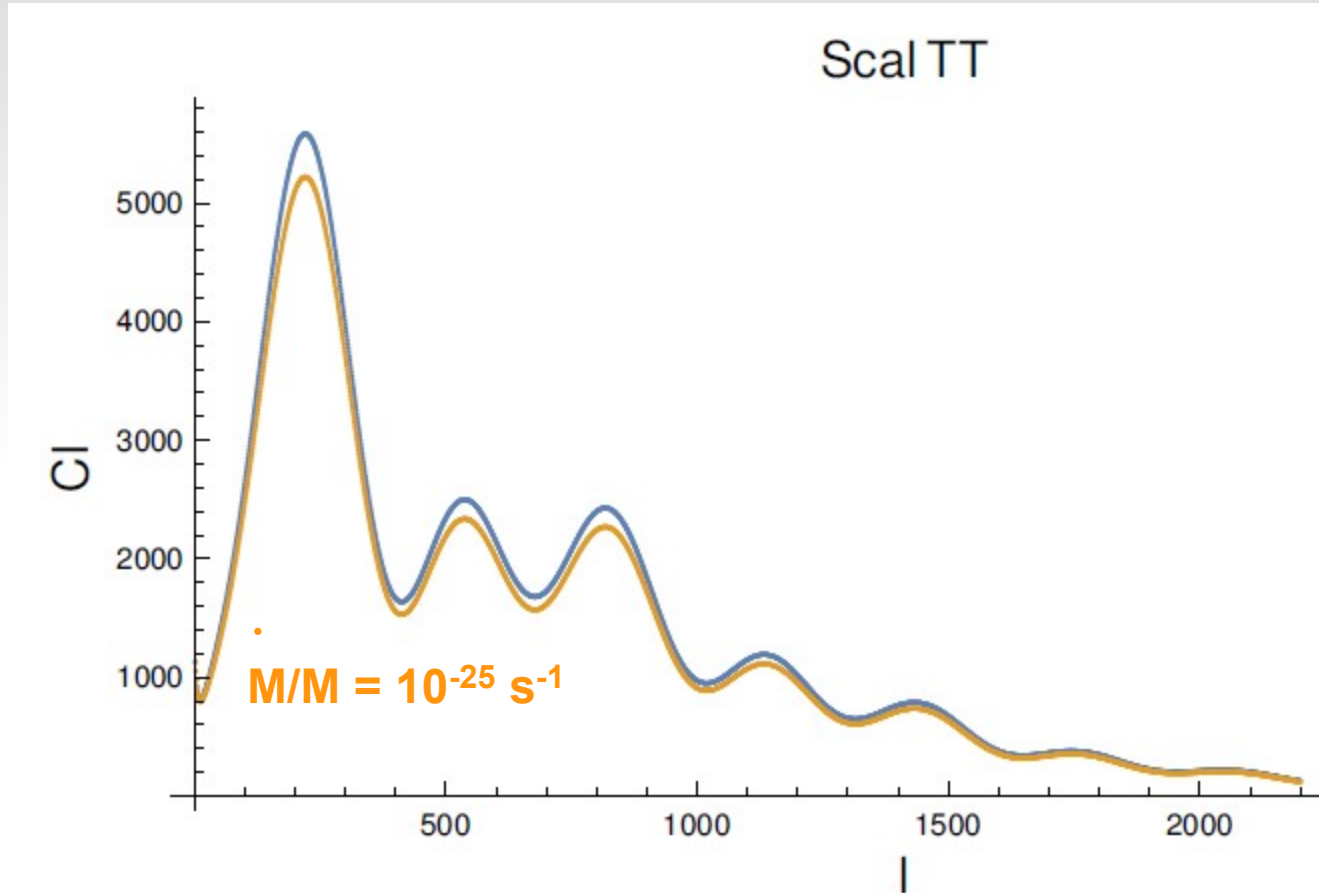
Energy “fraction” into ionization (of H)



Liu, Slatyer, Zavala 2016

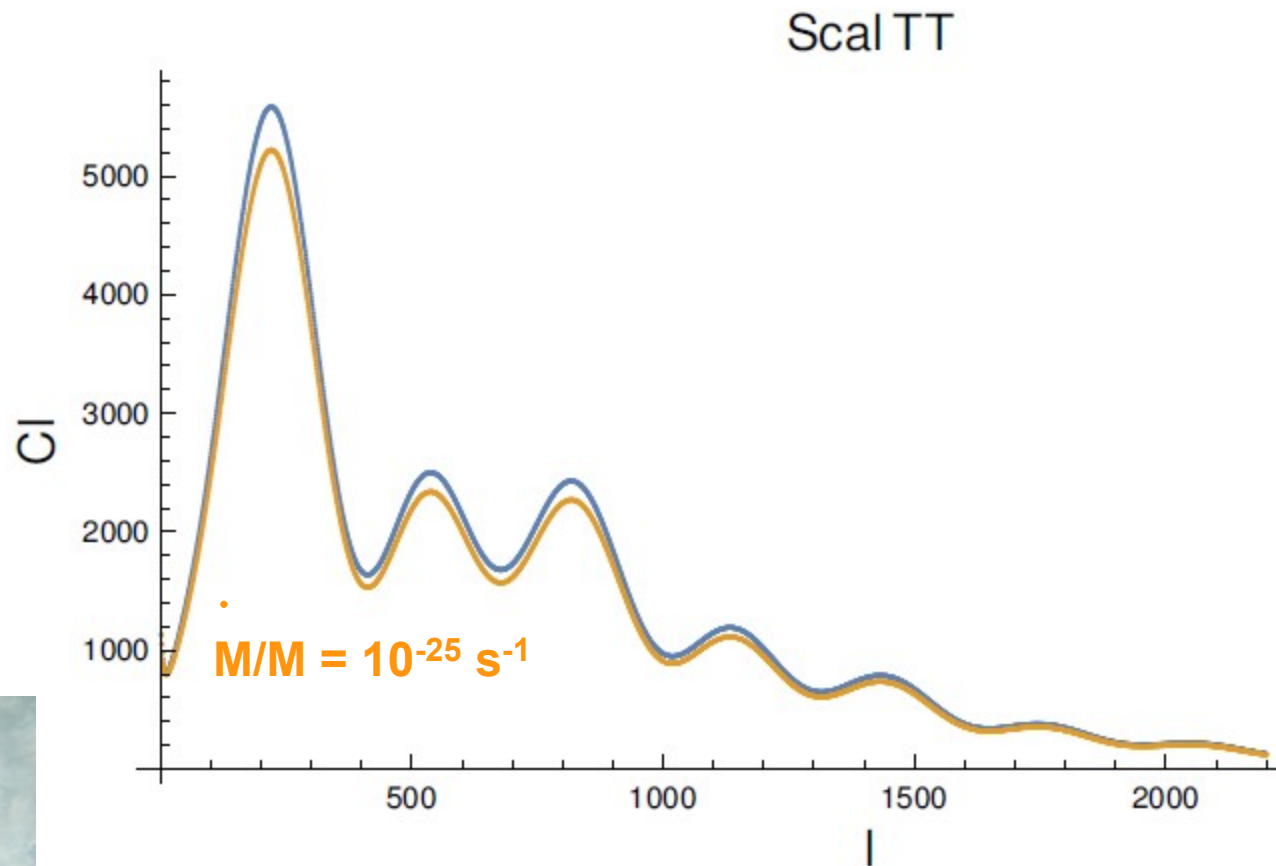
Also see:
Belotsky, Kirillov 2015

Impact on the CMB Cls



Reduced correlation over longer distances

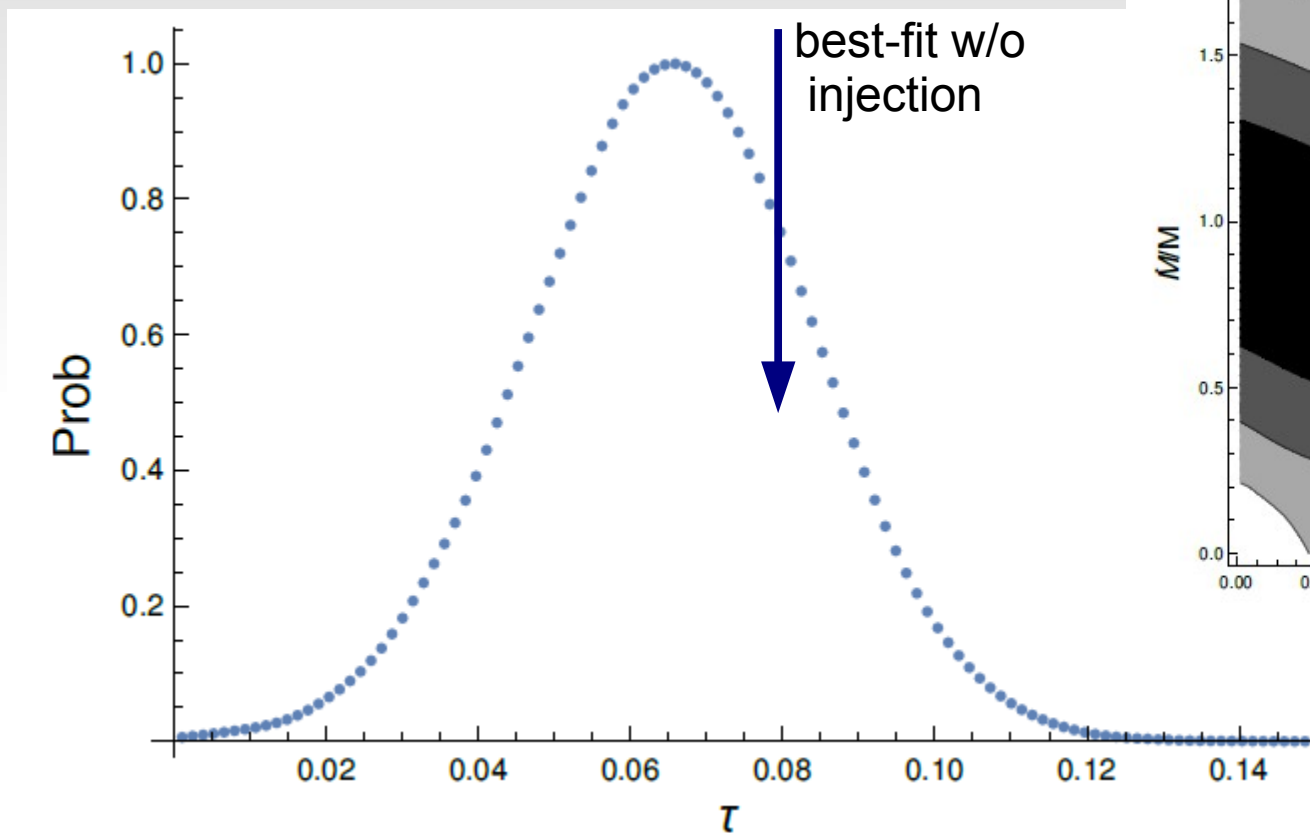
Impact on the CMB Cls



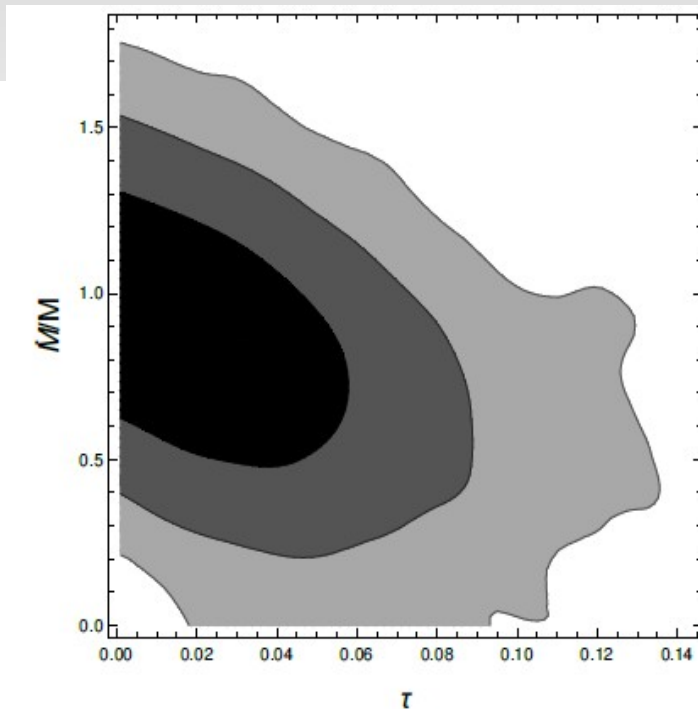
Reduced correlation over longer distances

← Steven Clark, B.Dutta, Y.G., L. Strigari, in progress

Reduced optical depth



PLANCK: temperation + polarization



Consistent with PLANCK
no injection fit within 2σ

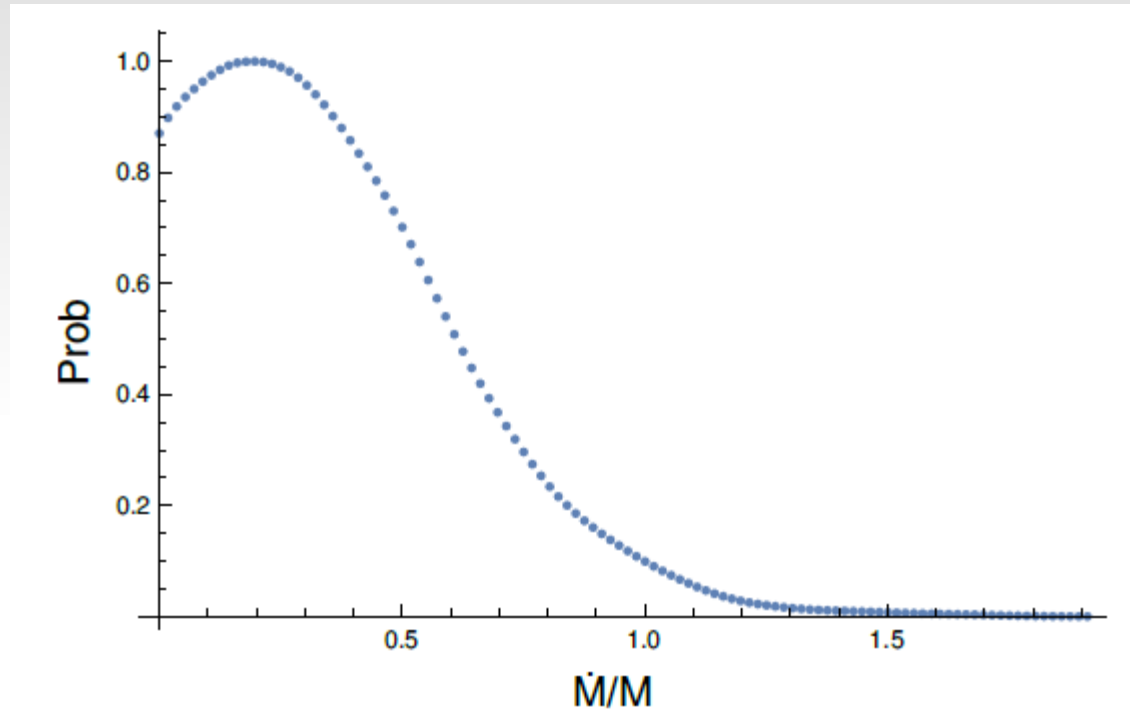
Consistent with reionization
 $z \leq 6$

DM Decay: $\tau > 10^{24}$ s

Liu, Slatyer, Zavala 2016

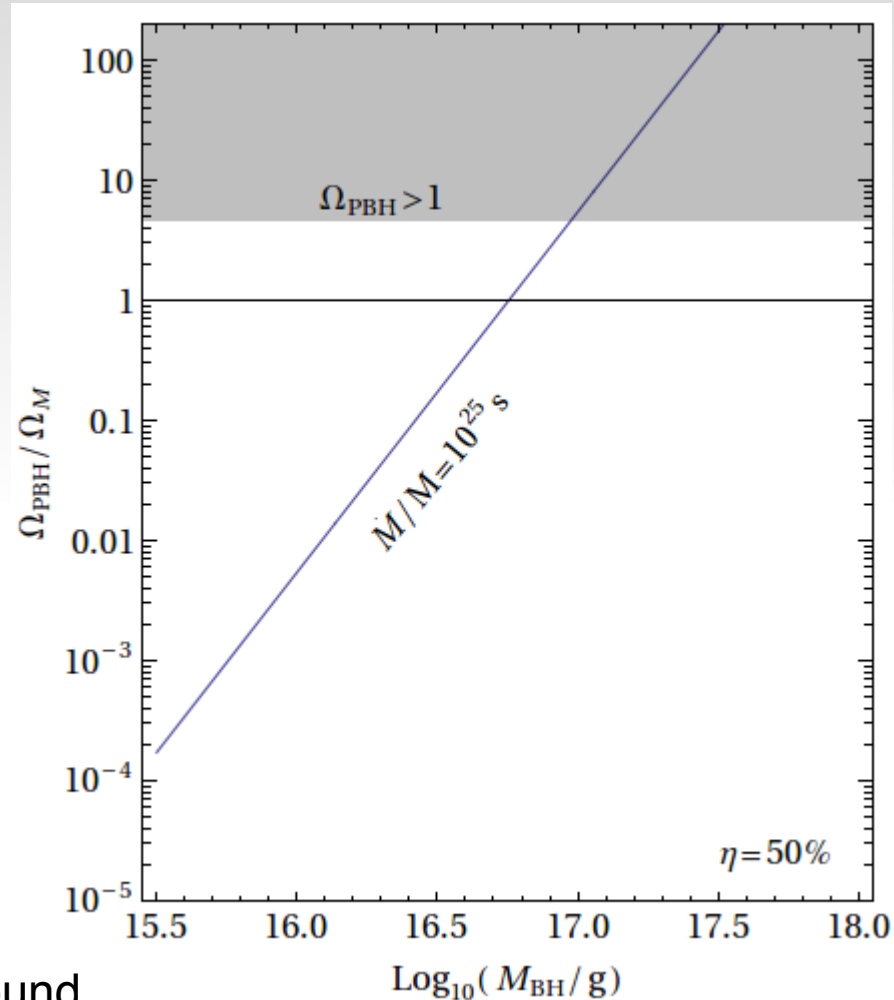
Need polarization data to
break degeneracy

An upper bound on mass loss rate



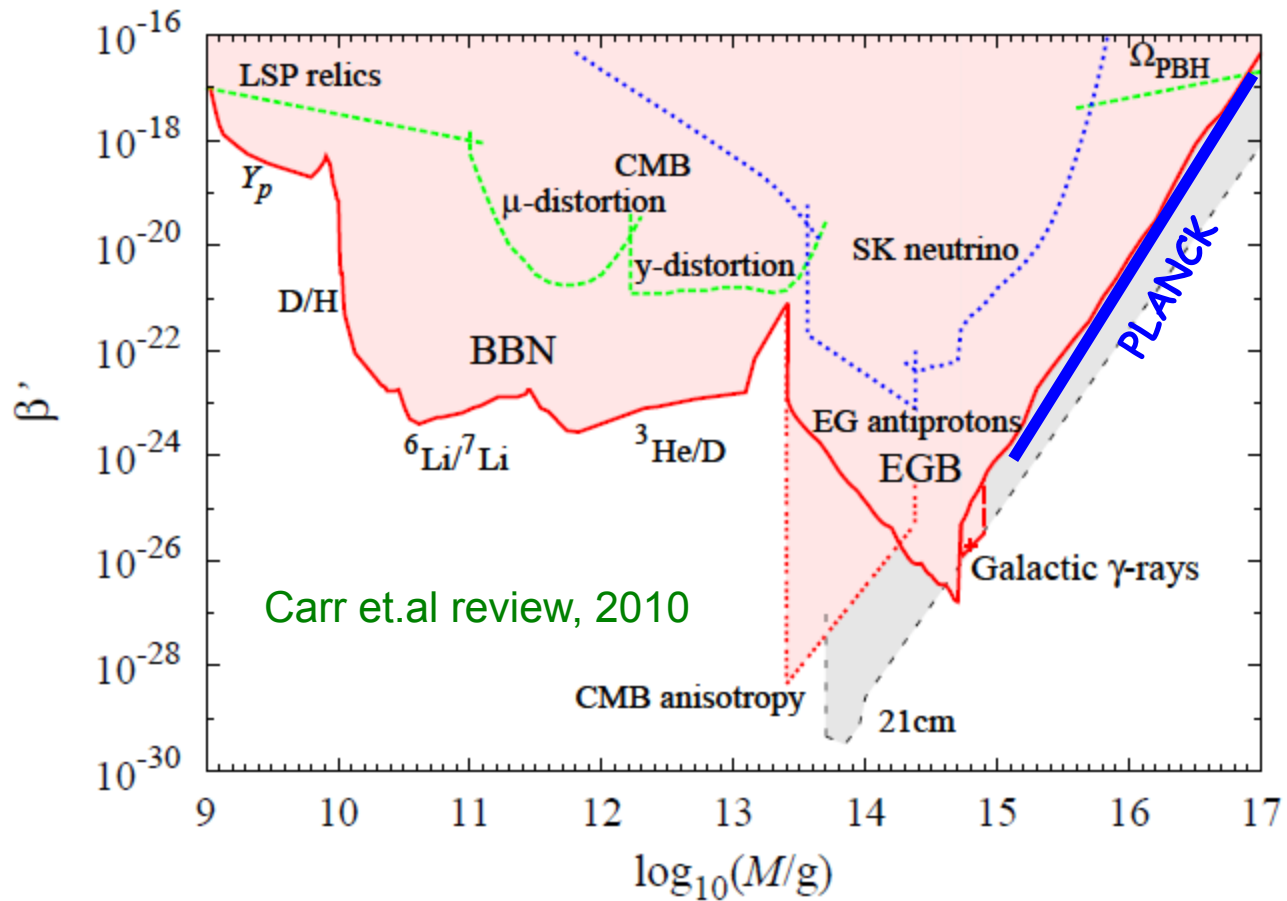
•
 $\dot{M}/M < 10^{-25} \text{ s}^{-1} (2\sigma)$

Constraint on late-time PBH density



A simple upper bound
on (monochromatic) PBH density:

$$\Omega_{\text{PBH}}(M) < \Omega_M * (M_{\text{PBH}} / 10^{16.8} \text{ g})^3$$



Simple scaling, assume no entropy production after PBHs and $\Omega_r \sim 10^{-4}$ at CMB time, also $\beta' \sim \beta$:

$$\Omega_{\text{PBH}} \simeq \beta \Omega_r (1+z) \sim 10^6 \beta \left(\frac{t}{1\text{ s}}\right)^{-1/2} \sim 10^{18} \beta \left(\frac{M}{10^{15}\text{ g}}\right)^{-1/2} \quad (M > 10^{15}\text{ g}).$$

Summary

- A good late-time constraint on HR from PLANCK
- Comparable or better to extragalactic diffuse constraints
- For a limited mass range above 10^{17} g (and below 10^{15} g)
- Relevant for PBH production mechanism(s) with a low mass distribution
- PBH production scenarios/histories to be explored!

backups

High BH mass constraints (Carr's review)

