# Lepton-flavour universality tests with semitauonic b-hadron decays at LHCb

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### LFU: a hot topic

• The Standard Model predicts *Lepton Flavour Universality (LFU)*: equal couplings between gauge bosons and the three lepton families

 $\mathcal{R}(H_c) = \frac{\mathcal{B}(H_b \to H_c \tau \nu)}{\mathcal{B}(H_b \to H_c \mu \nu)} \text{ should only account for phase space effects}$ 

- Yet, tensions between SM expectations and experimental results are found in:
  - $\Box$  semitauonic B decays  $\rightarrow$  this talk
  - $\Box$  b $\rightarrow$ sll transitions  $\rightarrow$ Violaine's presentation
- $\circ~$  Several models (charged Higgs, leptoquarks, W') add new interactions with a stronger coupling with the  $\tau$
- Some models (leptoquarks & W'/Z' models) try to explain both discrepancies.



arXiv:1604.03088, arXiv:1206.4977

# Why using semitauonic B decays ?

As tree level decays, they combine some nice features:

- Precise prediction from SM using ratios with shared systematics cancelling
- **Abundant channel:** BR( $B \rightarrow D^* \tau v$ ) ~ 1.2% (in SM)
- Sensitivity to NP contributions

#### **Different hadron species:**

- $\circ \quad D^*, D^0, D^+, D_s, \Lambda_c^{(*)}, J/\Psi$
- Not only spectator quarks differ but also the **spin**:
  - $\Box \quad 0: D^0, D^+, D_s$
  - $\Box \quad 1: D^*, J/\Psi$
  - $\Box \quad \frac{1}{2}: \Lambda_{c}^{(*)} \qquad \text{Only at LHCb}$

Two reconstruction channels for  $\tau$  at LHCb:

 $\mathcal{R}(D^*) = \frac{\mathcal{B}(\bar{B}^0 \to D^{*+} \tau^- \bar{\nu}_{\tau})}{\mathcal{B}(\bar{B}^0 \to D^{*+} \mu^- \bar{\nu}_{\mu})}$ 

#### $\tau \rightarrow \mu v v$

longitudinal component of B momentum missing:

• Assuming  $\beta \gamma_{z,tot} = \beta \gamma_{z,visible}$ • Can then calculate rest frame quantities:  $m_{missing}^2, E_{\mu}, q^2$ 

 $\tau \rightarrow \pi^- \pi^+ \pi^- (\pi^0) \nu \rightarrow$  later in the talk

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 3D MC-template based binned fit to m<sup>2</sup><sub>missing</sub> vs E<sub>u</sub> in coarse q<sup>2</sup> bins

- Fit to isolated data, used to determine ratio of  $B \rightarrow D^* \tau v$  and  $B \rightarrow D^* \mu v$
- Templates are a good description of the data

## R(D<sup>\*</sup>) with т→µvv



 $R(D^*) = 0.336 \pm 0.027 \pm 0.030 \rightarrow \text{consistent with SM at } 2.1\sigma \text{ level}$ 

#### arXiv:1711.05623

### R(J/ψ)

$$\mathcal{R}(J/\psi) = \frac{\mathcal{B}(B_c^+ \to J/\psi\tau^+\nu_\tau)}{\mathcal{B}(B_c^+ \to J/\psi\mu^+\nu_\mu)}$$

#### LFU probed with a new hadronisation:

- $\circ$  SM expectation: 0.25 0.28
- Lower statistics due to B<sub>c</sub><sup>+</sup> production fraction

Same strategy as R(D\*) analysis:

• Use of  $m_{miss}^2$ ,  $q^2$ ,  $E_{\mu}$ .  $\Box q^2$  and  $E_{\mu}$  combined into Z  $B_c^+$  specificities:

- $\circ \quad \mathbf{B_c}^+ \text{ decay-time shorter than other} \\ \mathbf{B} \to \text{ helps reducing background}$
- $\circ \quad B_c^{\ +} \rightarrow J/\psi \text{ form-factors unknown}$ 
  - estimated from fit to enriched sample of the normalisation mode.

# R(J/ψ)

- $\circ$  3D template fit using  $\tau(B_c^+)$ ,  $m_{miss}^2$ , Z
- Largest systematics
  - $\Box \quad B_{c}^{+} \rightarrow J/\psi \text{ form-factor}$
  - □ simulation sample size
- First evidence of  $B_c^+ \rightarrow J/\psi \tau v$





### R(D\*) with τ→π<sup>-</sup>π<sup>+</sup>π<sup>-</sup>(π<sup>0</sup>)∨

- Semileptonic decay without charged lepton in the final state  $\Box \rightarrow Zero$  background from normal semileptonic decays !
- No signal mass peak due to neutrinos
- **but several hadronic ones** ( $D^0 \rightarrow K3\pi$ ,  $D^+ \rightarrow K\pi\pi$ , ...)
  - It provides control on the various background channels
- $\circ \quad \text{Only one } \nu \text{ at the } \tau \text{ vertex}$ 
  - Partial reconstruction can be applied with good precision
- $B^0 \rightarrow D^* \pi^+ \pi^- \pi^+$  is used as normalisation

$$R_{had}(D^*) = \frac{\mathcal{B}(\bar{B}^0 \to D^{*+} \tau^- \bar{\nu}_{\tau})}{\mathcal{B}(\bar{B}^0 \to D^{*+} \pi^+ \pi^- \pi^+)}$$

Same final state: shared systematics uncertainties cancel

**External inputs** 

 $B^0 \approx D^*$ 

 $R(D^*) = R_{had} \times \left| \frac{\mathcal{B}(B^0 \to D^{*+} \pi^+ \pi^- \pi^+)}{\mathcal{B}(\bar{B}^0 \to D^{*+} \mu^- \bar{\nu}_{\mu})} \right|$ 

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arXiv:1708.08856, arXiv:1711.02505

#### Vertex topology



Most abundant background: hadronic B decays into  $D^*3\pi X$ :

yield is **100x bigger** than SM expectation for signal yield !

Good precision on  $\tau$  decay vertex position

Detachment cut:  $\tau$  vertex is downstream with respect to the B<sup>0</sup> vertex with a significance of at least  $4\sigma$ 

 $D^{\ast}3\pi$  background reduced by 3 orders of magnitude

#### Double charm background

- The remaining background consists of B<sup>0</sup> decays where the  $3\pi$  vertex is transported away from the B<sup>0</sup> vertex by a **charm carrier**: D<sub>s</sub>, D<sup>+</sup> or D<sup>0</sup>, e.g. B $\rightarrow$ D<sup>\*</sup>DX, D $\rightarrow$ 3 $\pi$ X
- Total yield is ~10x higher than SM expectation for signal
- LHCb has three very good tools to limit this background:
  - $\Box$  3 $\pi$  dynamics
  - Isolation criteria against charged tracks and neutral energy deposits
  - Partial reconstruction in both signal and background hypotheses
- A Boosted Decision Tree (BDT) is trained using these tools to discriminate double charm decays from signal



### Signal extraction and fit

#### Signal reconstruction:

- Assume 2 neutrinos in the event
  → can be used to access full kinematics
  - $\Box \quad \text{Reconstruction of } \tau \text{ and } B^0$ momentum and  $\tau$  decay time
  - Kinematics solution found
    ~95% of the time

#### Fit strategy:

- A high BDT cut is applied
- A 3D template fit is performed in
  - q<sup>2</sup> (squared-momentum transferred to the τ-ν system)
  - $\circ$   $\tau$  lifetime
  - The output of the **BDT**



### q<sup>2</sup> distribution

 The 3D template binned likelihood fit results are presented for the lifetime and q<sup>2</sup> in four BDT bins.

arXiv:1708.08856, arXiv:1711.02505

- The increase in signal purity as function of BDT is very clearly seen, as well as the decrease of the D<sub>s</sub> component.
- The dominant background at high BDT becomes the D<sup>+</sup> component, with its distinctive long lifetime.
- The overall  $\chi^2$  per dof is 1.15

#### arXiv:1708.08856, arXiv:1711.02505

#### Main systematics

Room for progress exists
on a longer timescale on
both internal and
external sources !

Contribution	Value %
Simulated sample size	4.7
Signal modeling	1.8
D <sup>*</sup> Tv and D <sub>s</sub> <sup>**</sup> Tv feed-downs	2.7
Ds→3πX decay model	2.5
$B \rightarrow D^{*-}D_{s}^{+}X$ , $B \rightarrow D^{*-}D^{+}X$ , $B \rightarrow D^{*-}D^{0}X$ backgrounds	3.9
Combinatorial background	0.7
B→D <sup>*</sup> 3πX background	2.8
Empty bins in templates	1.3
Efficiency ratio	3.9
Normalisation channel efficiency	2.0
Total internal uncertainty	9.1
B(B <sup>0</sup> →D <sup>*</sup> 3π) and B(B <sup>0</sup> →D <sup>*</sup> μv <sub>µ</sub> )	4.8

In red: can be reduced with help from other experiments (BELLE, BES, ...)

**In green:** can be reduced internally by LHCb

### R(D\*) results

• The fit results give a branching fraction which is: **BR(B**<sup>0</sup> $\rightarrow$ **D**<sup>\*+</sup> $\tau$ **v**) = (1.40 ± 0.09(stat) ± 0.13(syst) ± 0.18(ext)) % To be compared to PDG 2017: BR(B<sup>0</sup> $\rightarrow$ D<sup>\*+</sup> $\tau$ v) = (1.67 ± 0.13) %

• Using the HFLAV BR( $B^0 \rightarrow D^* \mu v$ ) = (4.88 ± 0.1) %, we get:

 $R(D^*) = 0.286 \pm 0.019(stat) \pm 0.025(syst) \pm 0.021(ext)$ 

- Impact on World Average:
  - $\label{eq:relation} \square \quad R(D^*) {:} \ \textbf{3.3\sigma} \rightarrow \textbf{3.4\sigma} \ \text{from SM prediction}$
  - $\Box \quad \text{Adding } R(D): \textbf{4.0} \sigma \rightarrow \textbf{4.1} \sigma$
- It is also possible to compute an LHCb average of  $R(D^*)$ :
  - $\square R_{LHCB}(D^*) = 0.309 \pm 0.016(stat) \pm 0.024(syst)$



### Conclusion

- Latests results of Run1 dataset:
  R(J/ψ) using muonic τ
  R(D<sup>\*</sup>) using hadronic τ
- both statistical and systematic uncertainties will be reduced using large statistics collected during Run2
- LFU can be tested using
  - □ Precise measurements of  $R(D^{(*)})$
  - □ several hadrons  $(J/\psi \text{ but also } D^{0,+}, D_s, \Lambda_c^{(*)}) \rightarrow$ probing different dynamics and spin structures



WA combination of R(D) and  $R(D^*)$  is in tension with SM at the 4.1 $\sigma^*$  level!

\*: this is reduced with latest theory input

arXiv:1707.0950

# Thank you for your attention

Any question ?



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#### The LHCb detector



- **Single arm spectrometer** at LHC in the pseudorapidity range  $2 < \eta < 5$
- Optimized to study hadron decays containing **b** and **c** quarks:
  - CP violation, rare decays, heavy flavor production;
- **Excellent vertex resolution** and separation of B vertices
- Good momentum and mass resolution
- Excellent **PID** capabilities (good separation **K**-π and muon identification)

#### R(D<sup>\*</sup>) status before hadronic result



The world average of the combination of R(D) and  $R(D^*)$  is in tension with the SM expectation at the  $4\sigma$  level !

#### **Double charm background**

- To determine the D<sub>s</sub> decay model:
  - The BDT output is used to select an enriched sample of D<sub>s</sub> events directly from data
  - Several variables related to the 3π dynamics are simultaneously fitted

The weights obtained are used to construct the D<sub>s</sub> templates



### Normalisation channel

- The normalisation channel has to be as similar as possible to the signal channel to cancel all systematics linked to trigger, particle ID, selection cuts
- They differ by:
  - $\begin{tabular}{ll} $$ $$ ofter pions and $D^*$ due to the presence of two $v$ \\ $$ two $v$ \\ \end{tabular}$
  - □ kinematics of the  $3\pi$  system is not exactly the same:
    - This gives a small residual effect on the efficiency ratio.

Absolute BR recently measured by BABAR with a precision of 4.3%



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