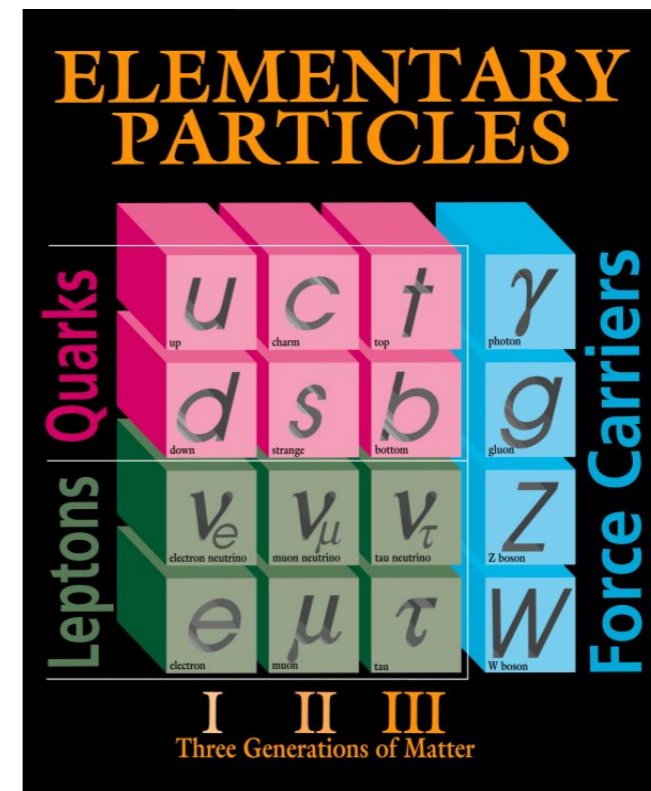
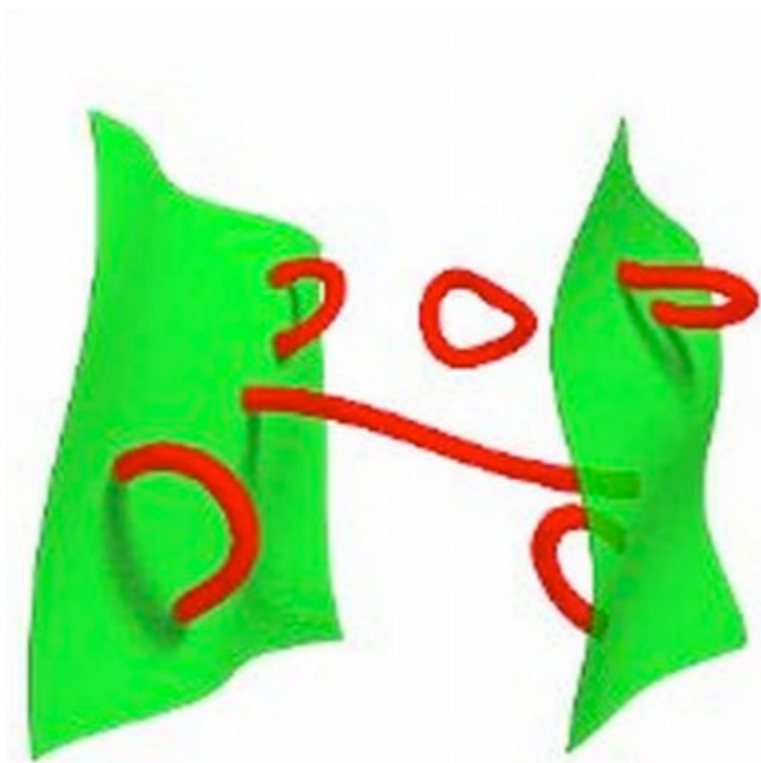


D-branes and Model Building

Fernando Marchesano



The quest for the Standard Model

Question:

Can we reproduce the Standard Model from D-branes?

- Many “ingredients” are needed...

Four observable dimensions

Gauge group $SU(3) \times SU(2) \times U(1)_Y$

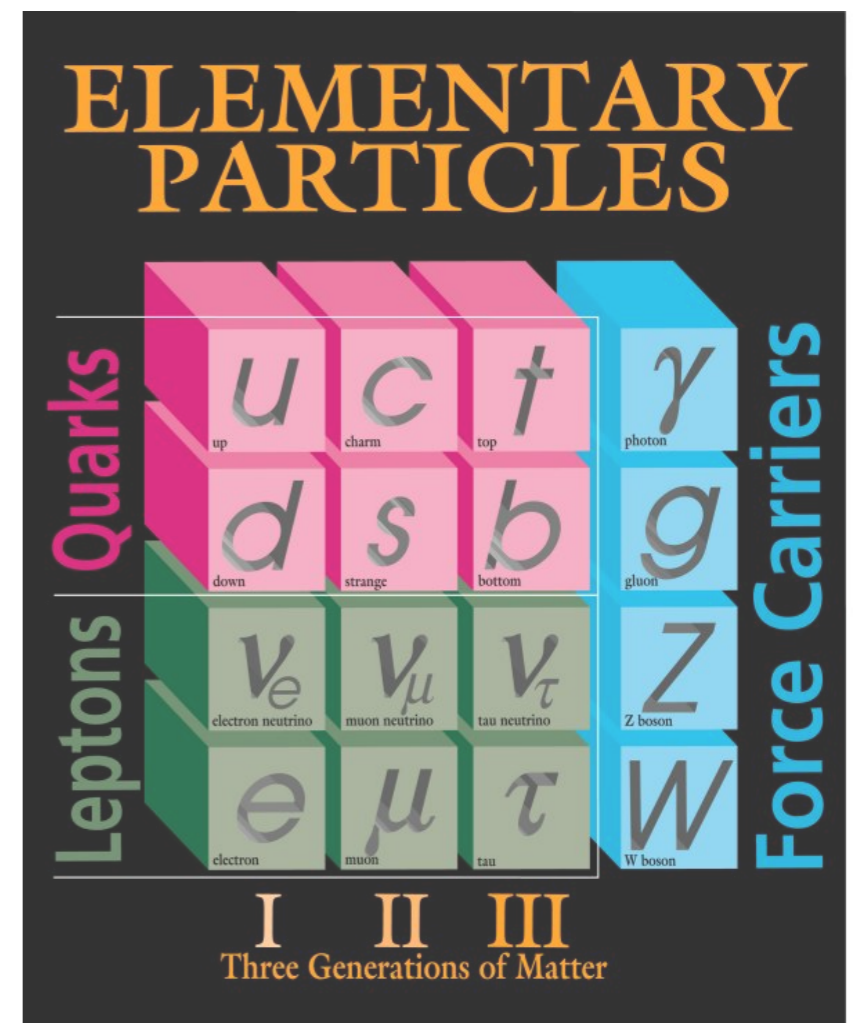
Chiral fermions

3 Quarks & Leptons generations

Gauge coupling constants

Yukawa couplings

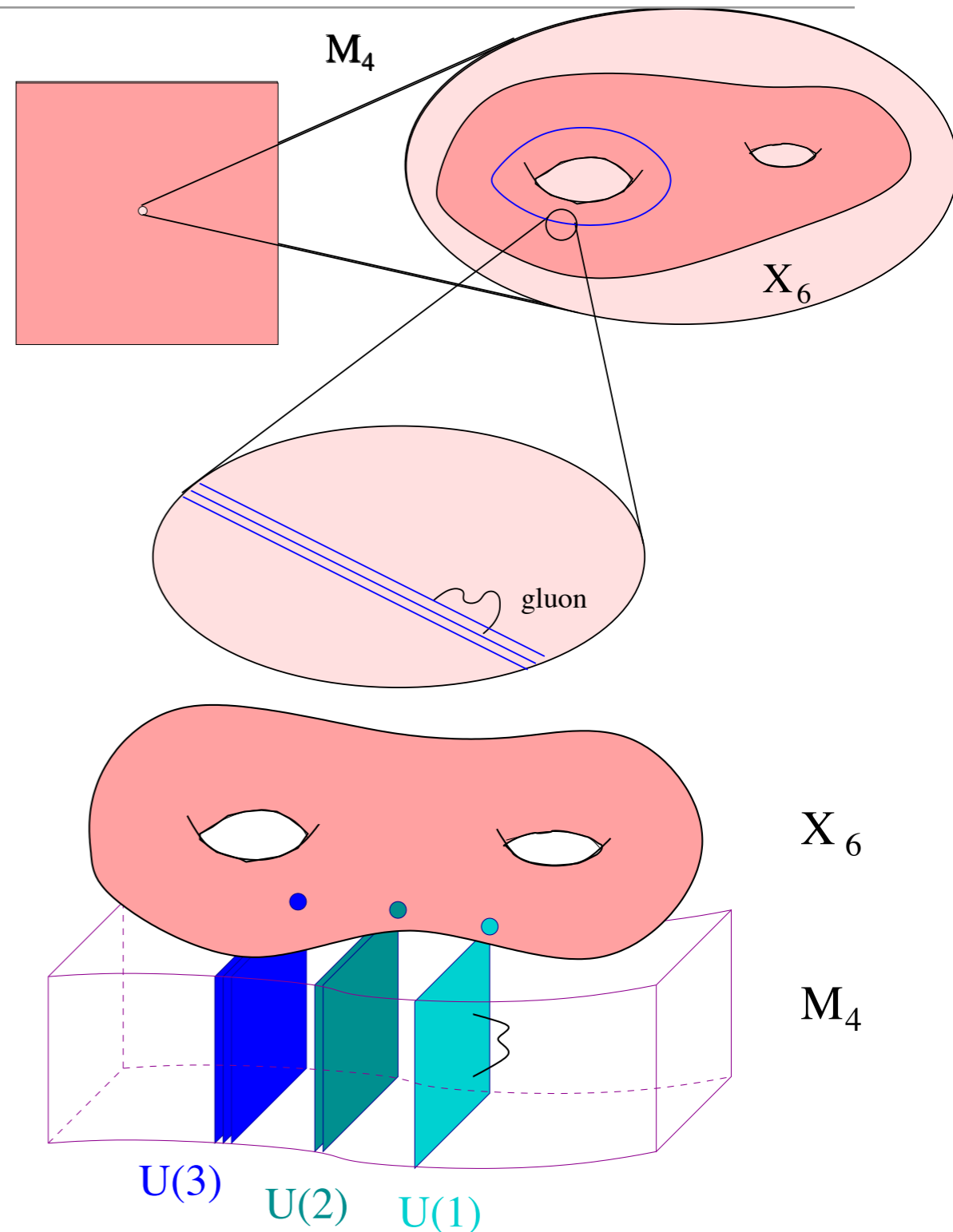
...



Strings vs. Particles

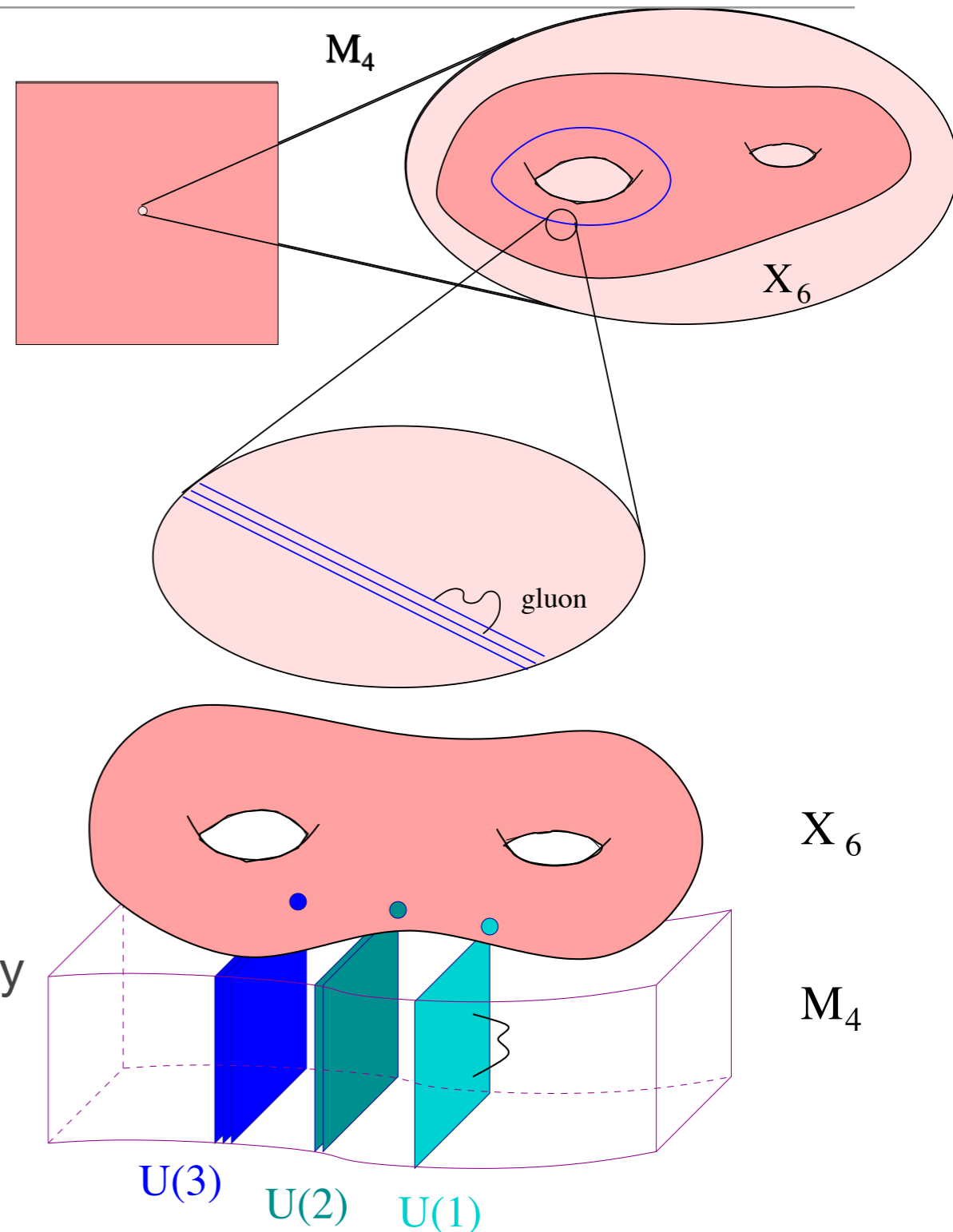
- String theories live in **10d**
- **Kaluza-Klein** idea: **6d** are very small
- **Gauge interactions** are localized on **Dp-branes** which have
 - 3+1 observable dim.
 - p-3 internal dim.
- Simplest **example**: **3 + 2 + 1 D3-branes**
 - ➔ 4d $U(3) \times U(2) \times U(1)$ gauge theory

SM gauge theory!!



Strings vs. Particles

- String theories live in **10d**
- **Kaluza-Klein** idea: **6d** are very small
- **Gauge interactions** are localized on **Dp-branes** which have
 - 3+1 observable dim.
 - p-3 internal dim.
- Simplest **example**: **3 + 2 + 1 D3-branes**
 - ➔ 4d $U(3) \times U(2) \times U(1)$ gauge theory
- However, this example lacks of a key property of the Standard Model: **Chiral Fermions**



The quest for the Standard Model

Question:

Can we reproduce the Standard Model from D-branes?

- Many “ingredients” are needed...

- ✓ Four observable dimensions
- ✓ Gauge group $SU(3) \times SU(2) \times U(1)_Y$

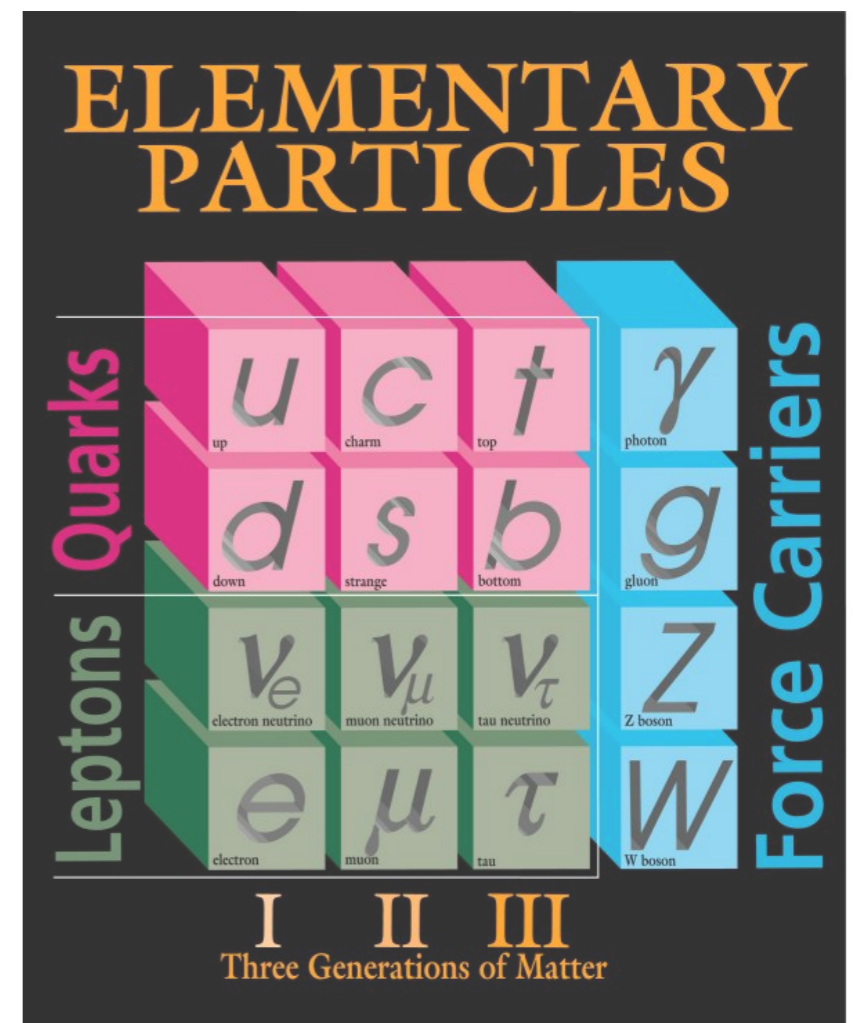
✗ Chiral fermions

3 Quarks & Leptons generations

Gauge coupling constants

Yukawa couplings

...

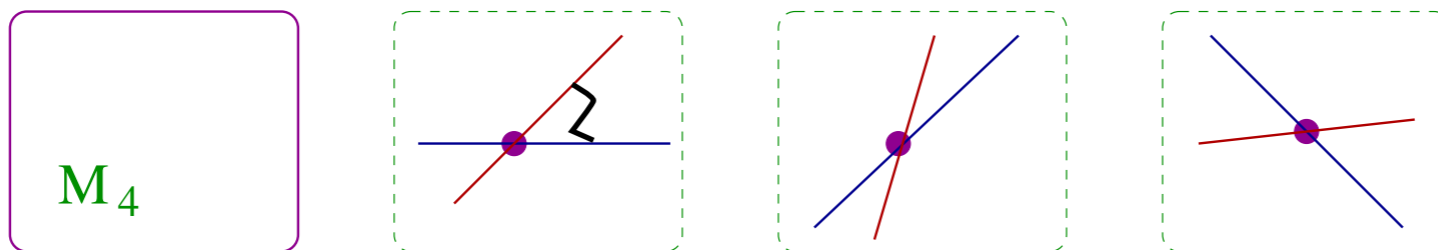


D-branes and Chirality

Strategy I:

Intersecting D-branes

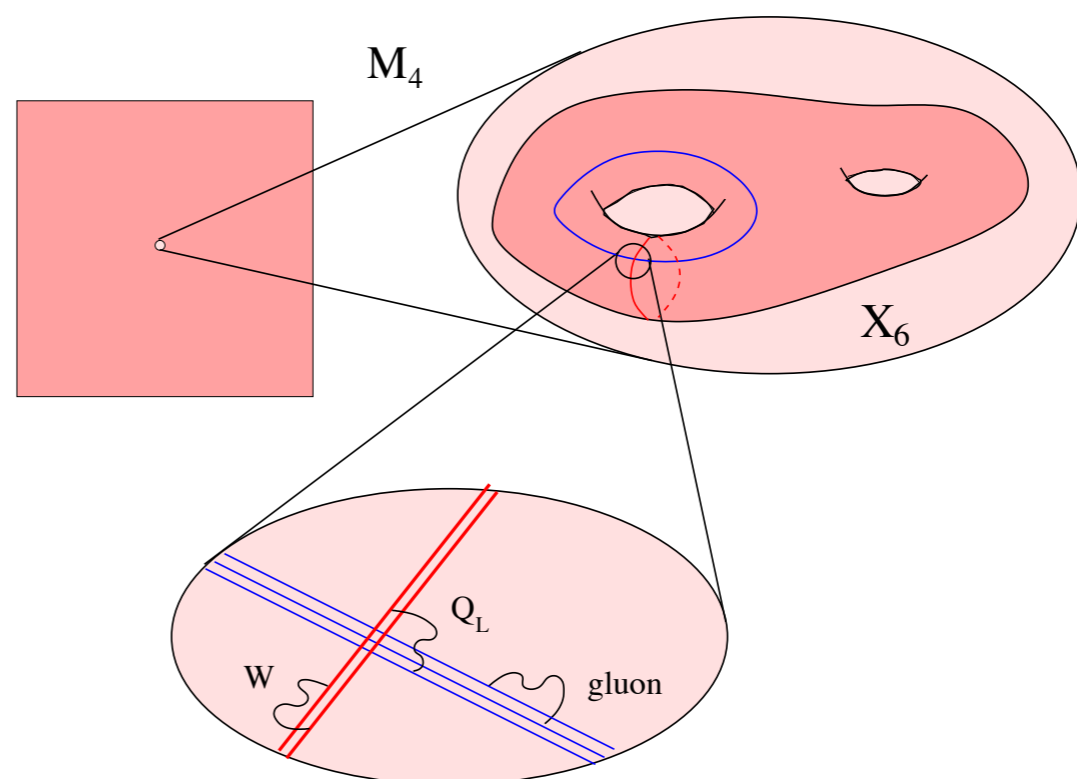
- If two D-branes intersect in d dimensions there is a d -dim chiral fermion localized at the intersection



- In particular, two D6-branes in $R^{1,9}$ intersect in 4d \Rightarrow 4d chiral fermion

Idea:

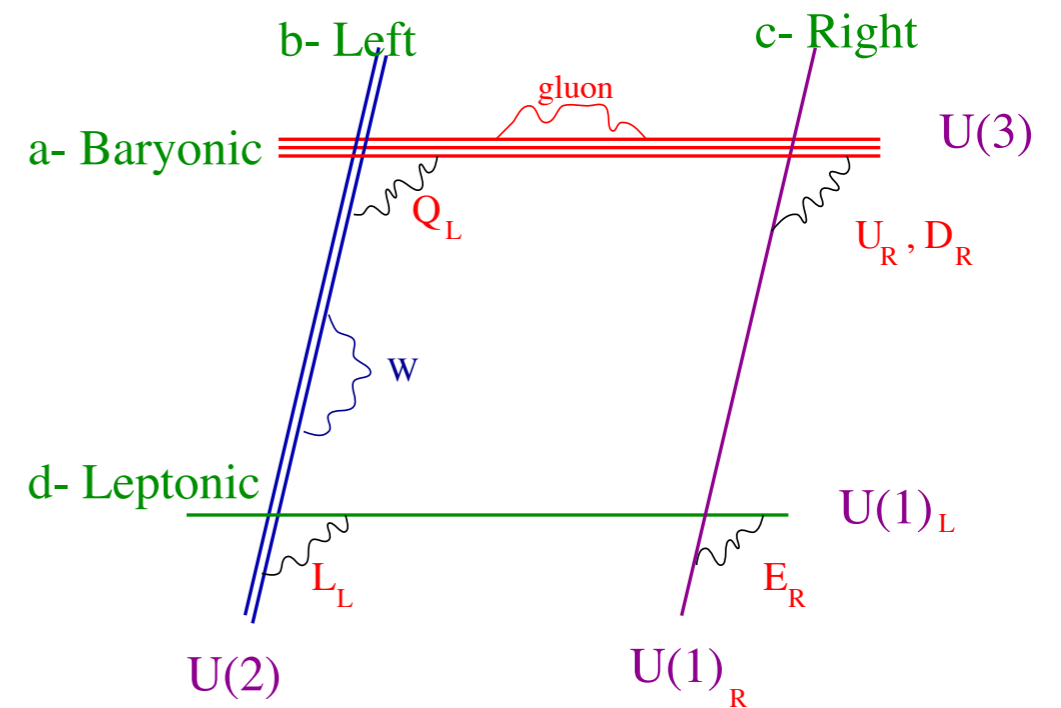
Obtain a realistic model via intersecting D6-branes



Getting the Standard Model

- One can indeed accommodate the **full SM particle content** via the following **general scheme**:
 - Four sets of D-branes

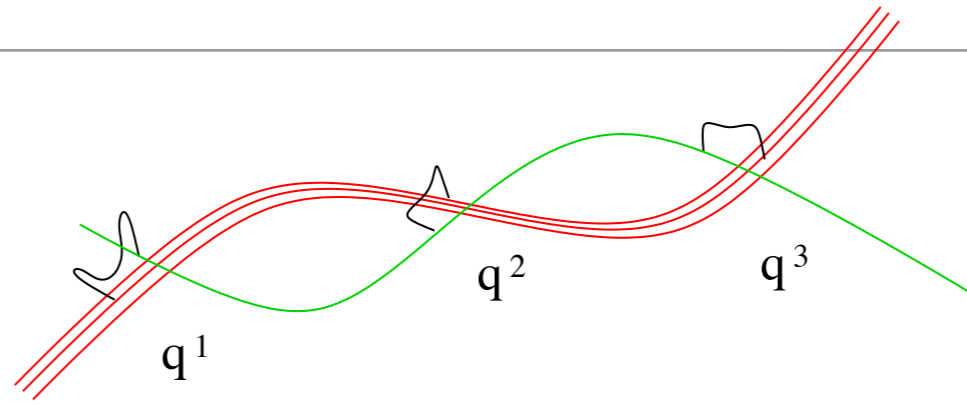
# D-branes	Gauge Group	Name
$N_a = 3$	$SU(3) \times U(1)_a$	Baryonic Brane
$N_b = 2$	$SU(2) [\times U(1)_b]$	Left Brane
$N_c = 1$	$U(1)_c$	Right Brane
$N_d = 1$	$U(1)_d$	Leptonic Brane



... + appropriate topological properties

SM features from Geometry

- Matter replication

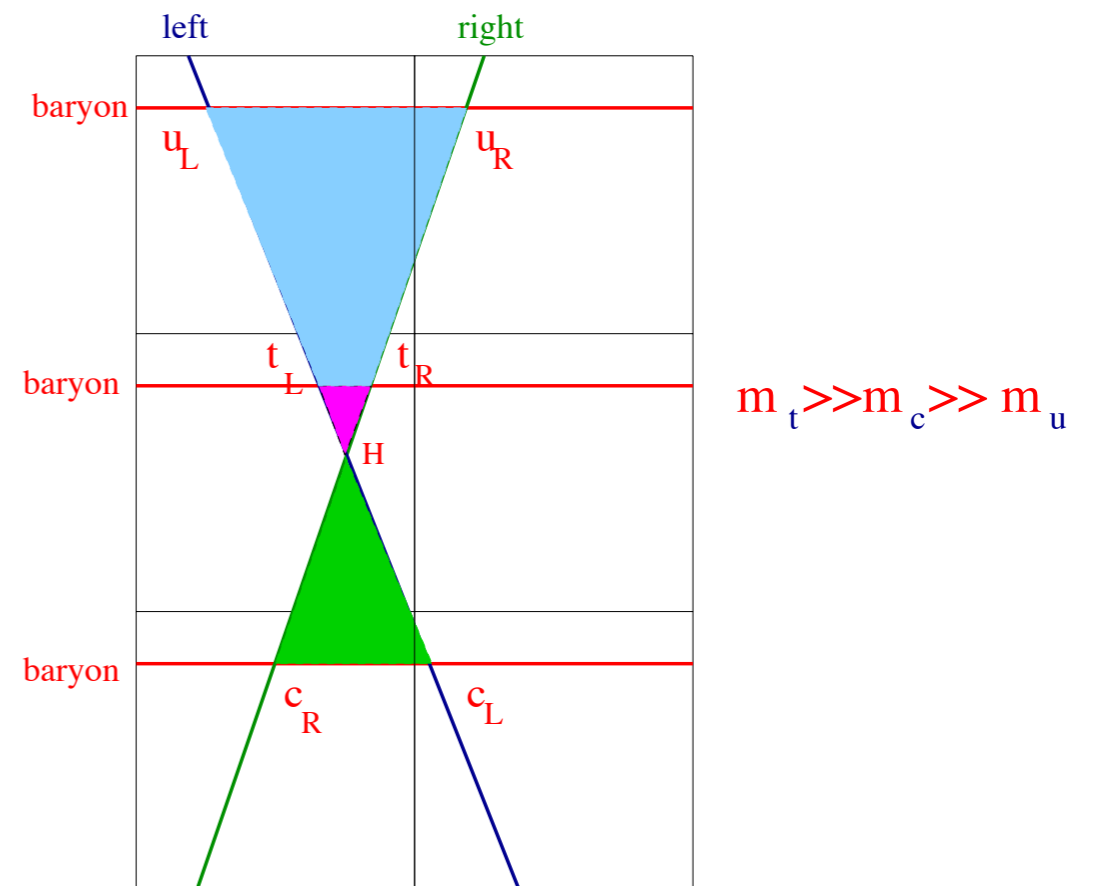
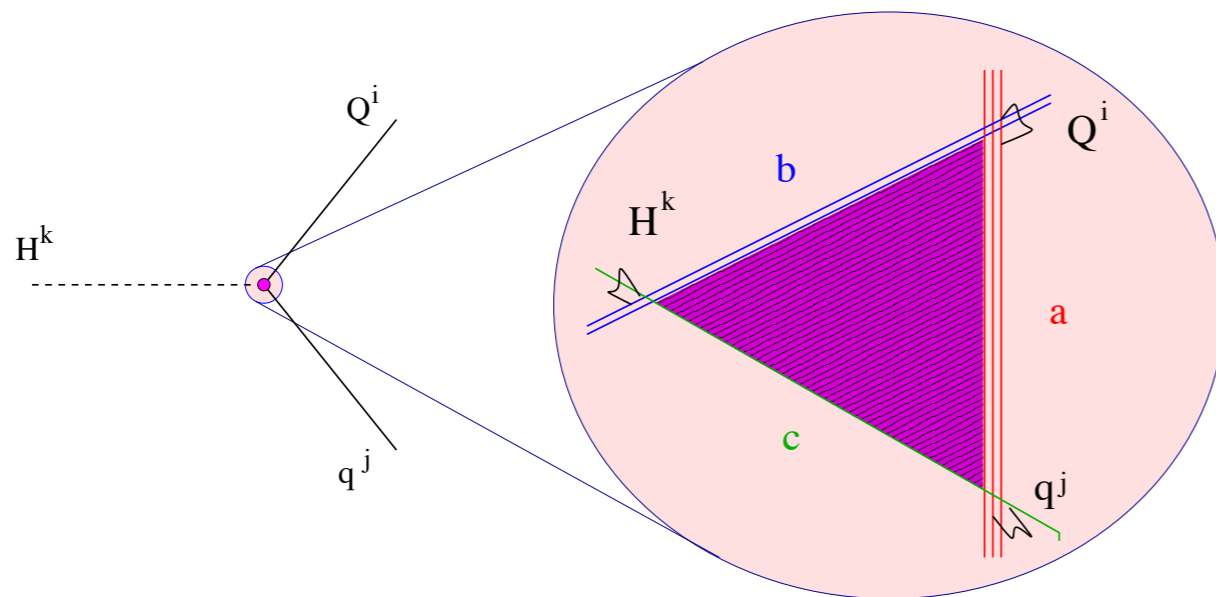


- Gauge coupling constants

$$\alpha_i \sim \frac{1}{\text{Vol}(D_i)}$$

- Yukawa couplings

$$Y_{ijk} = e^{-A_{ijk}}$$

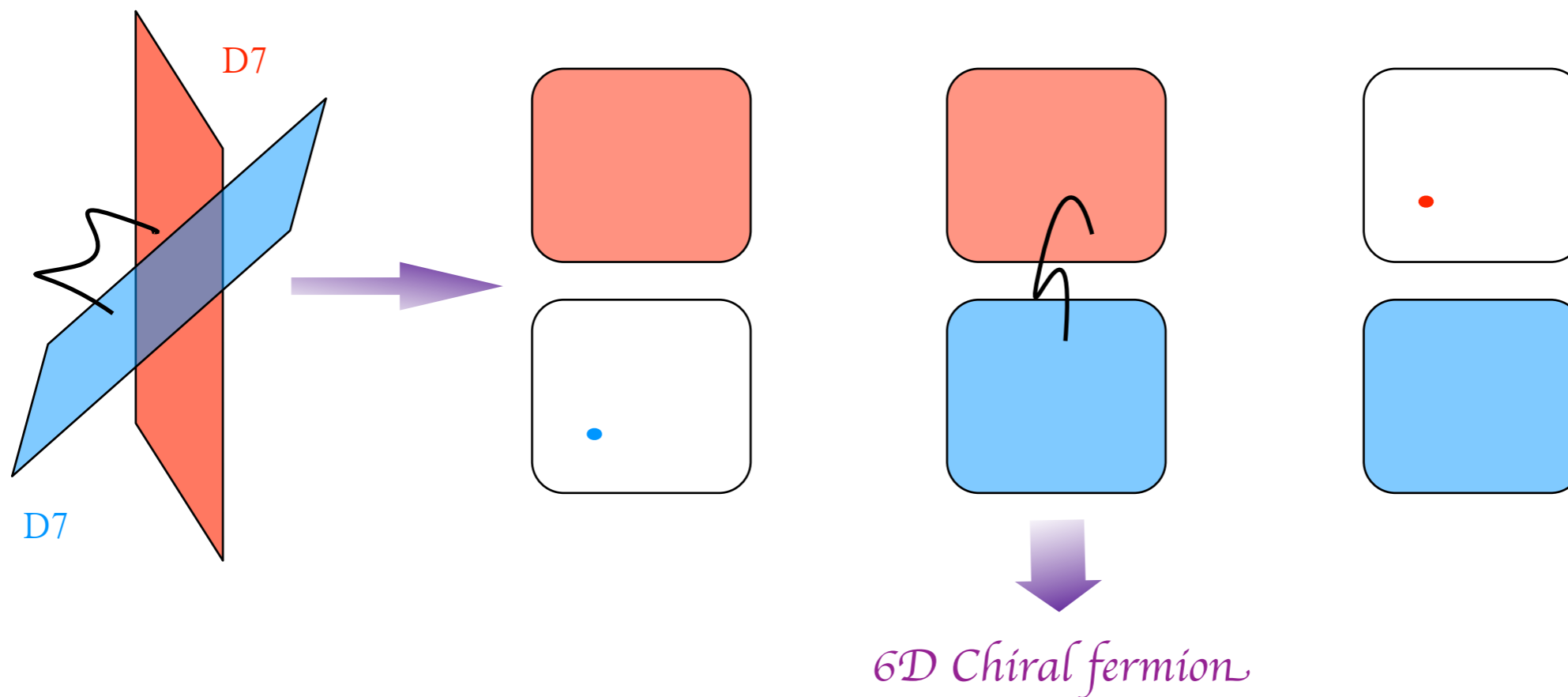


D-branes and Chirality II

Strategy II:

Magnetized D-branes

- If the intersection is larger than 4d, then in principle we do not have 4d chirality

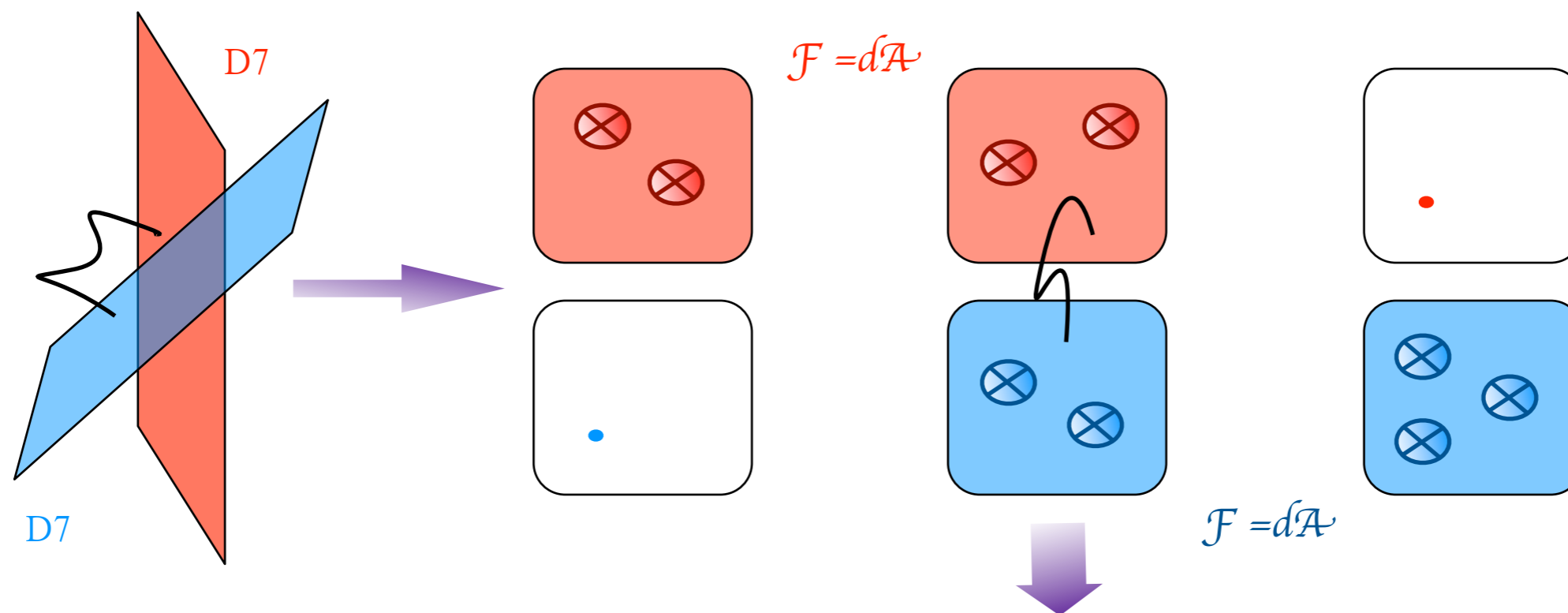


D-branes and Chirality II

Strategy II:

Magnetized D-branes

- If the intersection is larger than 4d, then in principle we do not have 4d chirality



... but we can modify the Dirac operator to achieve chirality

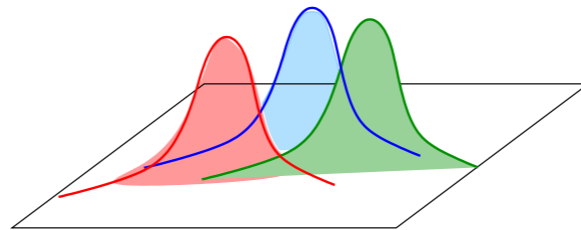
$$D = \nabla + i(qA + qA)$$

SM and Geometry II

- Matter replication Combination of Dirac index and intersection number
(still a topological quantity)

- Gauge coupling constants $\alpha_i^{-1} \sim \text{Vol}(D_i) + \int_{D_i} F^2$

- Yukawa couplings



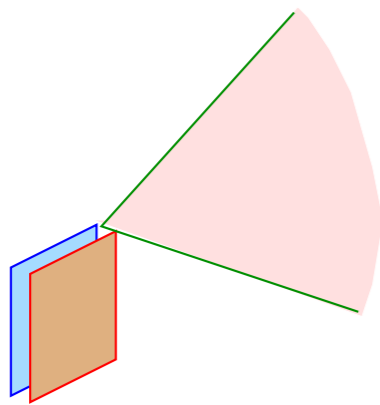
Overlap of wavefunctions

D-branes and Chirality III

Strategy III:

D-branes at singularities

- We may also consider D3-branes placed at an orbifold singularity



⇒ Orbifold of the gauge theory

$$U(6) \rightarrow U(3) \times U(2) \times U(1)$$

$$N=4 \text{ SUSY} \rightarrow N=1 \text{ SUSY}$$

$$N=4 \text{ fields } \Phi^i \rightarrow \text{chiral matter}$$

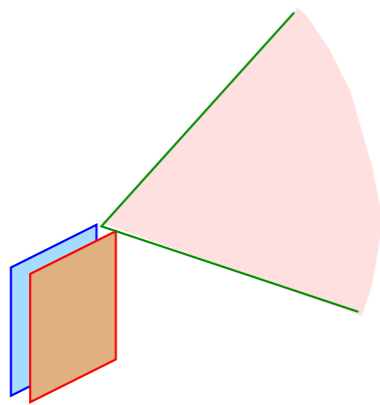
$$\text{Tr}\{[\Phi^i, \Phi^j]\Phi^k\} \rightarrow Y_{ijk}$$

D-branes and Chirality III

Strategy III:

D-branes at singularities

- We may also consider D3-branes placed at an orbifold singularity



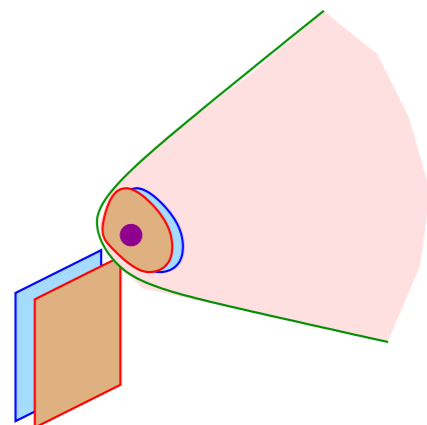
⇒ Orbifold of the gauge theory

$$U(6) \rightarrow U(3) \times U(2) \times U(1)$$

$$N=4 \text{ SUSY} \rightarrow N=1 \text{ SUSY}$$

$$N=4 \text{ fields } \Phi^i \rightarrow \text{chiral matter}$$

$$\text{Tr}\{[\Phi^i, \Phi^j]\Phi^k\} \rightarrow Y_{ijk}$$



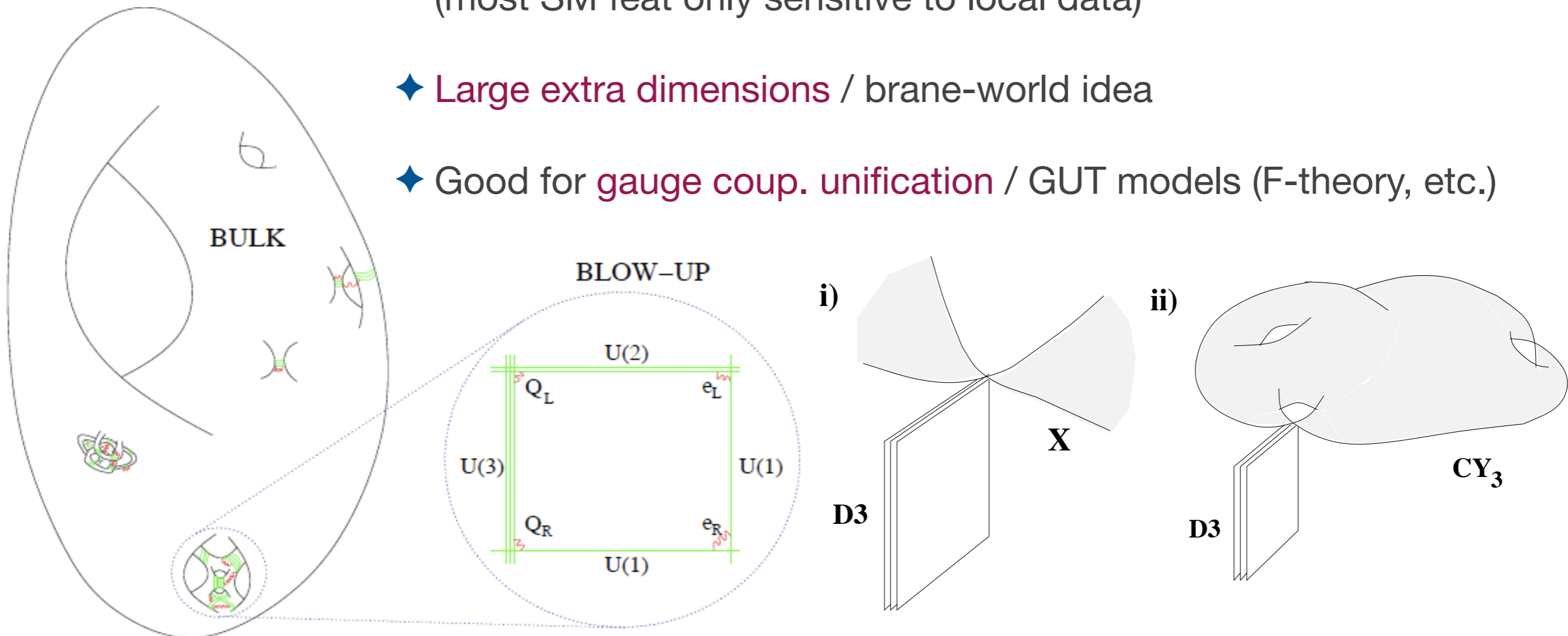
In fact, this strategy is secretly the previous one...

Local models

- The latter models and their relatives make up the subclass of **local models**

Features:

- ◆ **Bottom-up** model building approach
(most SM feat only sensitive to local data)
- ◆ **Large extra dimensions** / brane-world idea
- ◆ Good for **gauge coup. unification** / GUT models (F-theory, etc.)



Conclusions

- To build a string model, we need to reproduce a “wish list” of SM features
 - The first items of the list are more universal, as well as more robust with respect to corrections. Further items are usually more model-dependent
 - A key feature is chirality. One can classify models by how chiral fermions arise
 - We have focused on D-brane models, which allow to make contact with many recent ideas in BSM physics
 - ◆ Brane worlds/Large extra dim.
 - ◆ Brane inflation
- ... as well as other string theory ideas
- ◆ AdS/CFT
 - ◆ Fluxes