

DIS 2009, Madrid, 30 April '09

# Concluding Talk: Outlook and Perspective

Guido Altarelli

Universita' di Roma Tre  
and CERN

Dedicated to Wu-Ki Tung

# DIS is 40 years old!

VOLUME 23, NUMBER 16

PHYSICAL REVIEW LETTERS

20 OCTOBER 1969

---

## OBSERVED BEHAVIOR OF HIGHLY INELASTIC ELECTRON-PROTON SCATTERING

M. Breidenbach, J. I. Friedman, and H. W. Kendall

Department of Physics and Laboratory for Nuclear Science,\*  
Massachusetts Institute of Technology, Cambridge, Massachusetts 02139

and

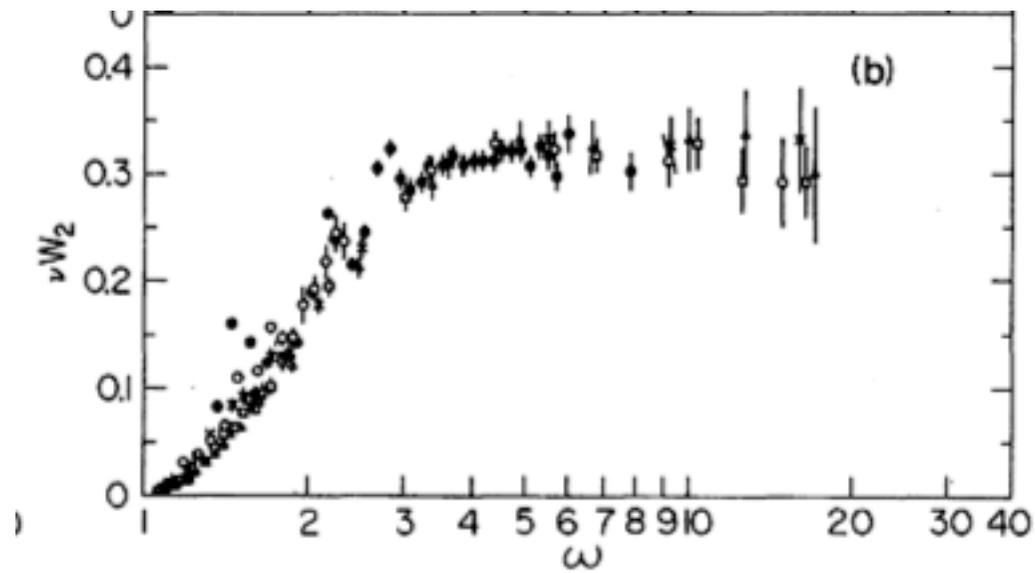
E. D. Bloom, D. H. Coward, H. DeStaebler, J. Drees, L. W. Mo, and R. E. Taylor  
Stanford Linear Accelerator Center,† Stanford, California 94305

(Received 22 August 1969)

Results of electron-proton inelastic scattering at  $6^\circ$  and  $10^\circ$  are discussed, and values of the structure function  $W_2$  are estimated. If the interaction is dominated by transverse virtual photons,  $\nu W_2$  can be expressed as a function of  $\omega = 2M\nu/q^2$  within experimental errors for  $q^2 > 1$   $(\text{GeV}/c)^2$  and  $\omega > 4$ , where  $\nu$  is the invariant energy transfer and  $q^2$  is the invariant momentum transfer of the electron. Various theoretical models and sum rules are briefly discussed.



1969: first evidence of approximate Bjorken scaling



Deep Inelastic Scattering has played a capital role in the development of QCD

$$l + N \rightarrow l' + X, \quad l = e, \mu, \nu$$

- Many structure functions
- $F_i(x, Q^2)$ : two variables
- Neutral currents, charged currents
- Different beams and targets
- Different polarization

From the beginning: Establishing quarks and gluons as partons

Constructing a field theory of strong int.ns

and along the years: Quantitative testing of QCD

Totally inclusive

QCD theory of scaling violations crystal clear  
(based on ren. group and operator exp.)

$Q^2$  dependence tested at each  $x$  value)

Measuring  $q$  and  $g$  densities in the nucleon

Instrumental to compute all hard processes

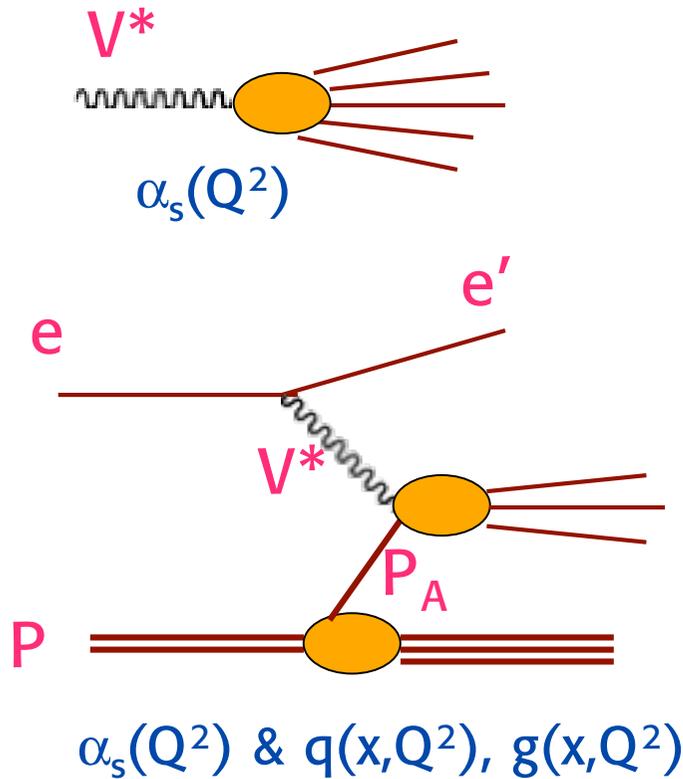
Measuring  $\alpha_s$

Always presenting new challenges, e g:

Structure functions at small  $x$ ; heavy flavour structure functions;  
polarized parton densities,  $g_1, g_2, h_1, \dots$ ; non forward pdf's

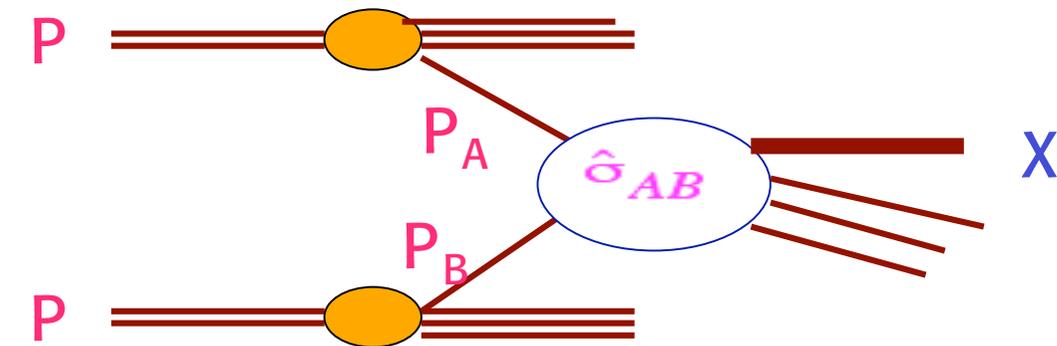
Diffraction





The basic experimental set ups:

- no initial hadron (...LEP, ILC, CLIC)
- 1 hadron (...HERA, .... LHeC)
- 2 hadrons (...SppS, Tevatron, LHC)



Progress in particle physics needs their continuous interplay to take full advantage of their complementarity

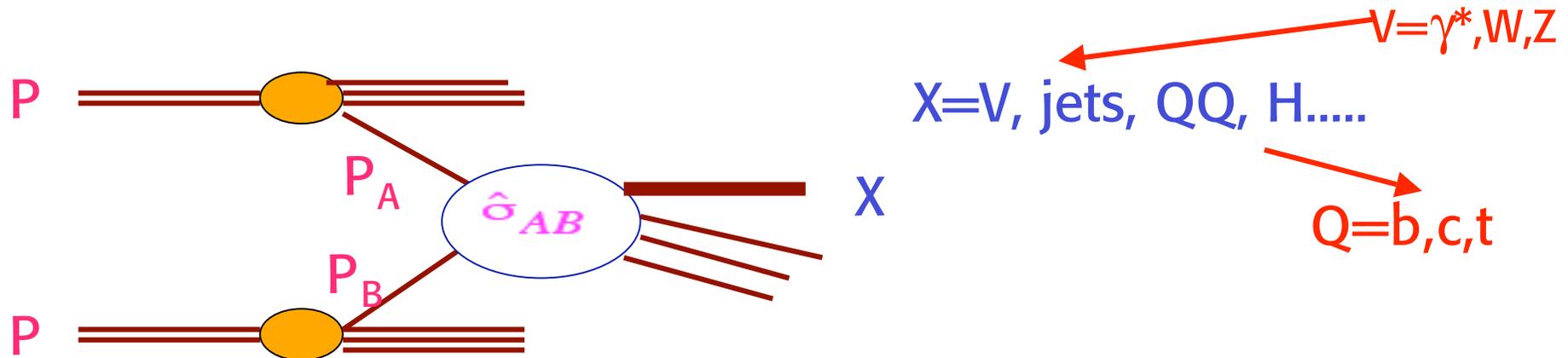


Parton densities extracted from DIS are used to compute hard processes, via the Factorisation Theorem:

$$\sigma(s) = \sum_{A,B} \int \frac{dx_1}{x_1} \frac{dx_2}{x_2} p_A(x_1, Q^2) p_B(x_2, Q^2) \hat{\sigma}_{AB}(x_1 x_2 s, Q^2)$$

$\longleftarrow$  x times density of parton A  
 $\longrightarrow$  reduced X-section

For example, at hadron colliders



- Very stringent tests of QCD
- Feedback on constraining parton densities



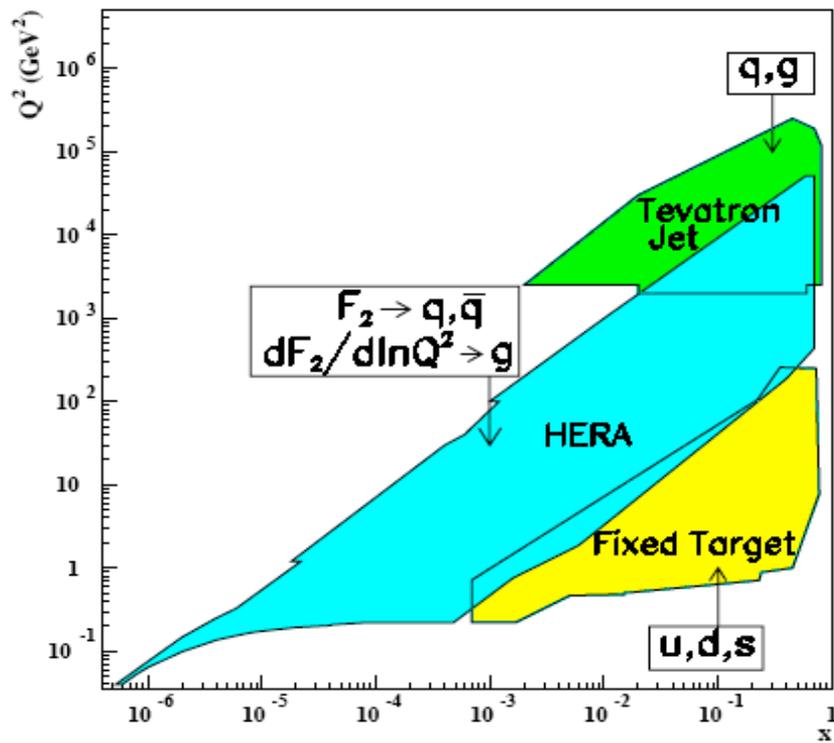
Over the years a magnificent work both  
experimental and theoretical

For experiment some examples follow also from this  
Workshop

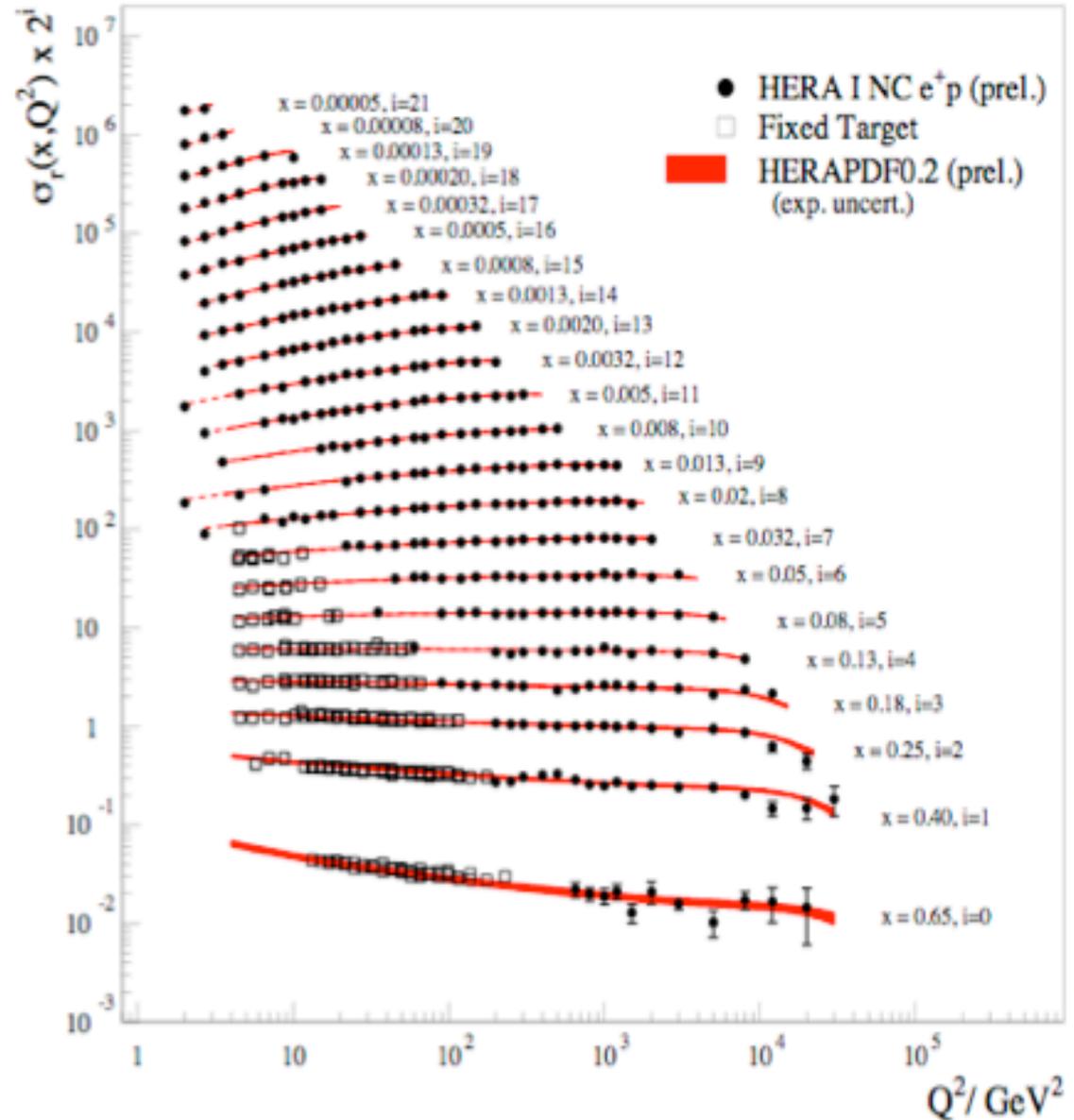


# Great progress in the DIS data culminated at HERA

## Proton Structure Function $F_2(x, Q^2)$



## V. Radescu, E. Tassi, A. Cooper-Sarkar H1 and ZEUS Combined PDF Fit



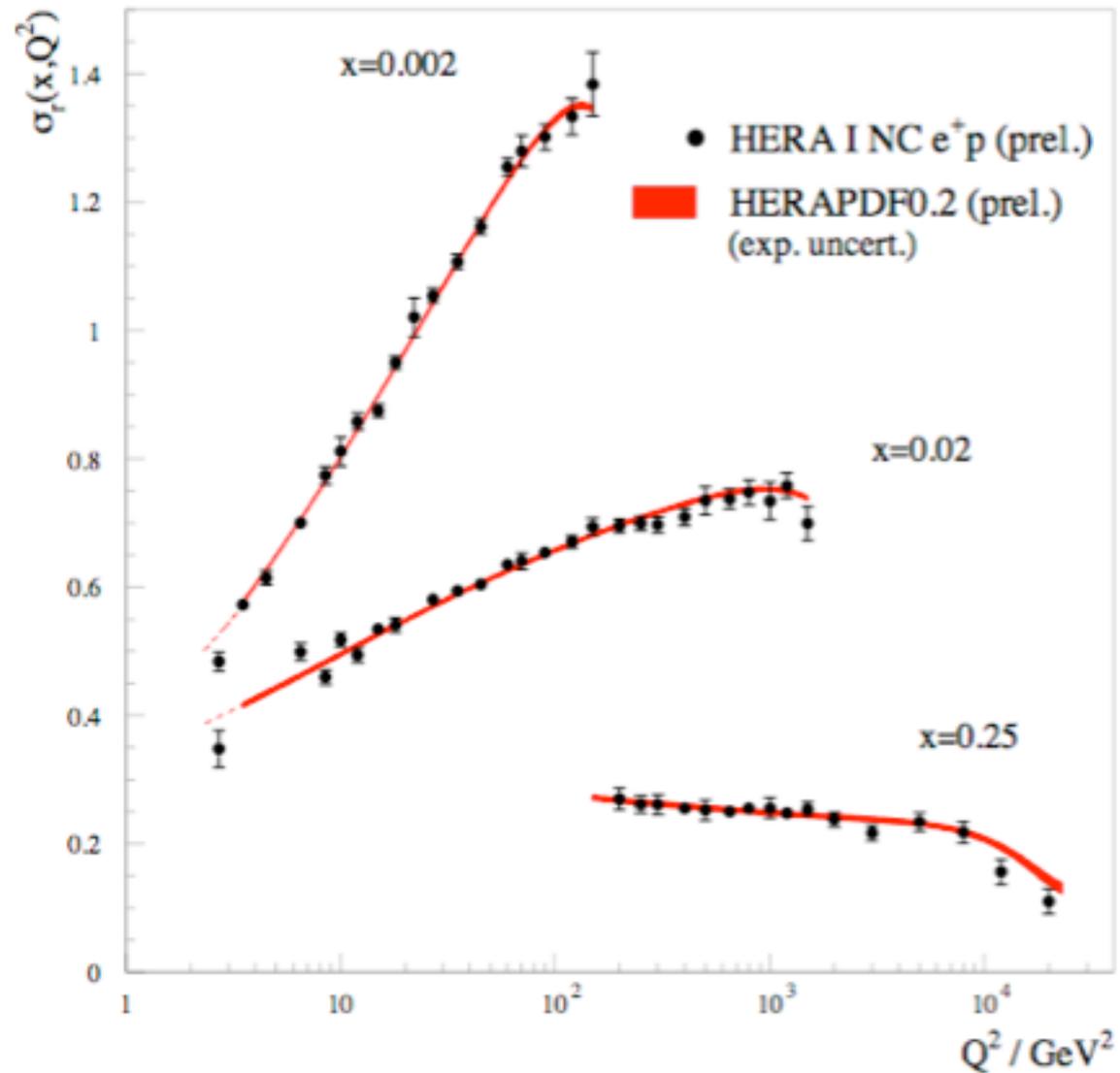
April 2009

HERA Structure Functions Working Group



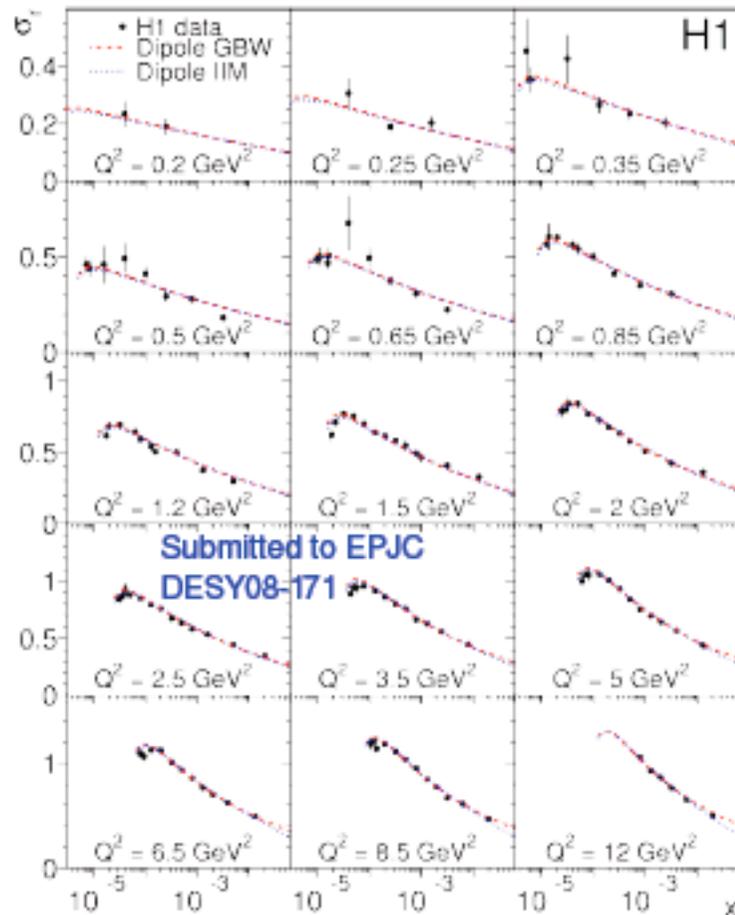
This is how the scaling violations appear in 2009 after 40 years

### H1 and ZEUS Combined PDF Fit

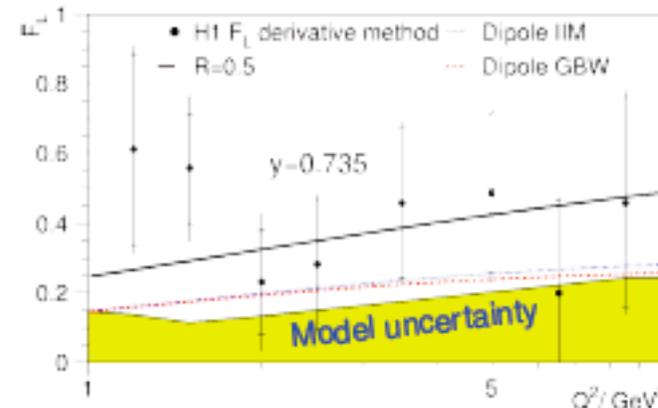




# DIS at low $Q^2$ and low $x$



- Full H1 data for low  $Q^2$  published
- Precision 2–3%
- Combination of several H1 datasets
- Fits to power-law, fractal and dipole models
- $F_L$  extracted using indirect methods, consistent with models



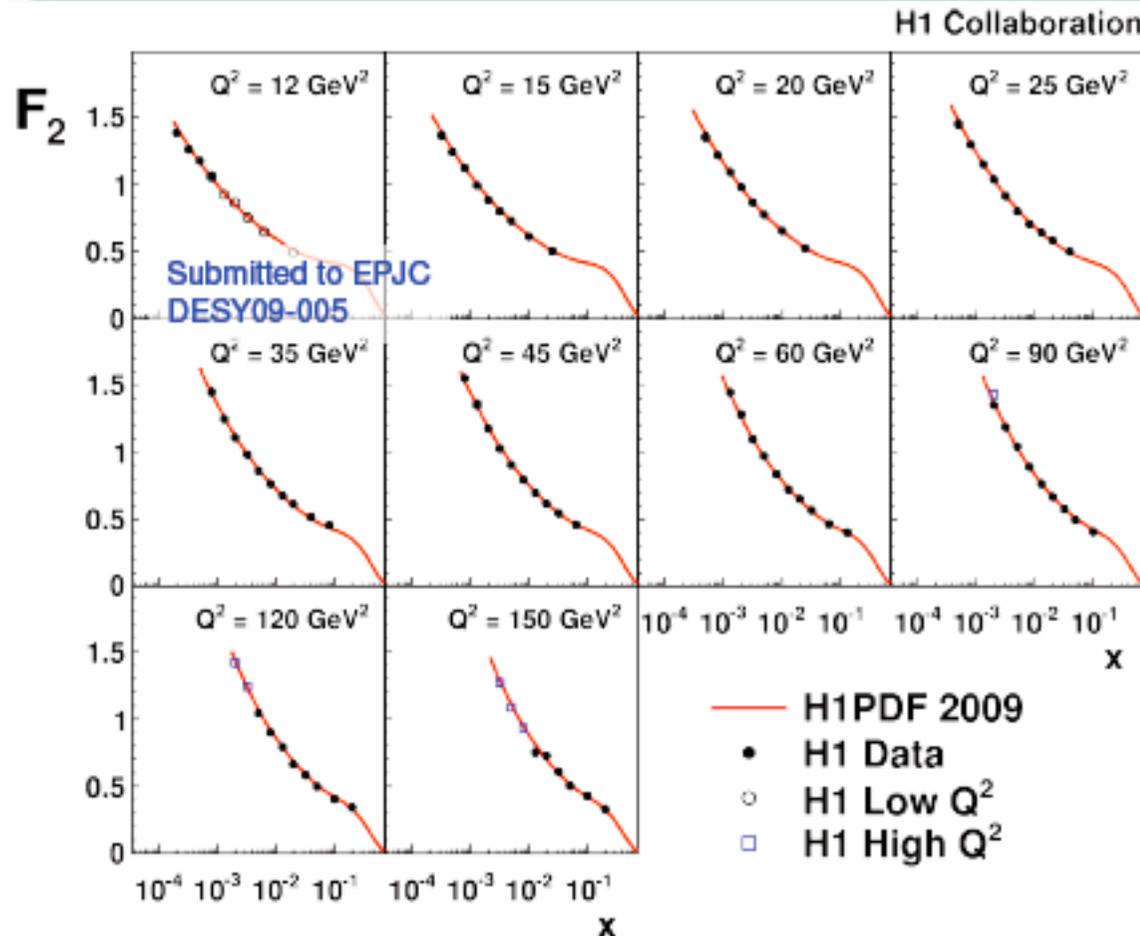
→ A. Petrukhin [54]



# New example of NLO QCD evolution fit



## $F_2$ precision data



- Full HERA I data for  $12 < Q^2 < 150 \text{ GeV}^2$
- Most precise  $F_2$  data in this  $Q^2$  range, uncertainty 1.3–2%
- Combination of two independent datasets
- New QCD fit, very good consistency with DGLAP prediction

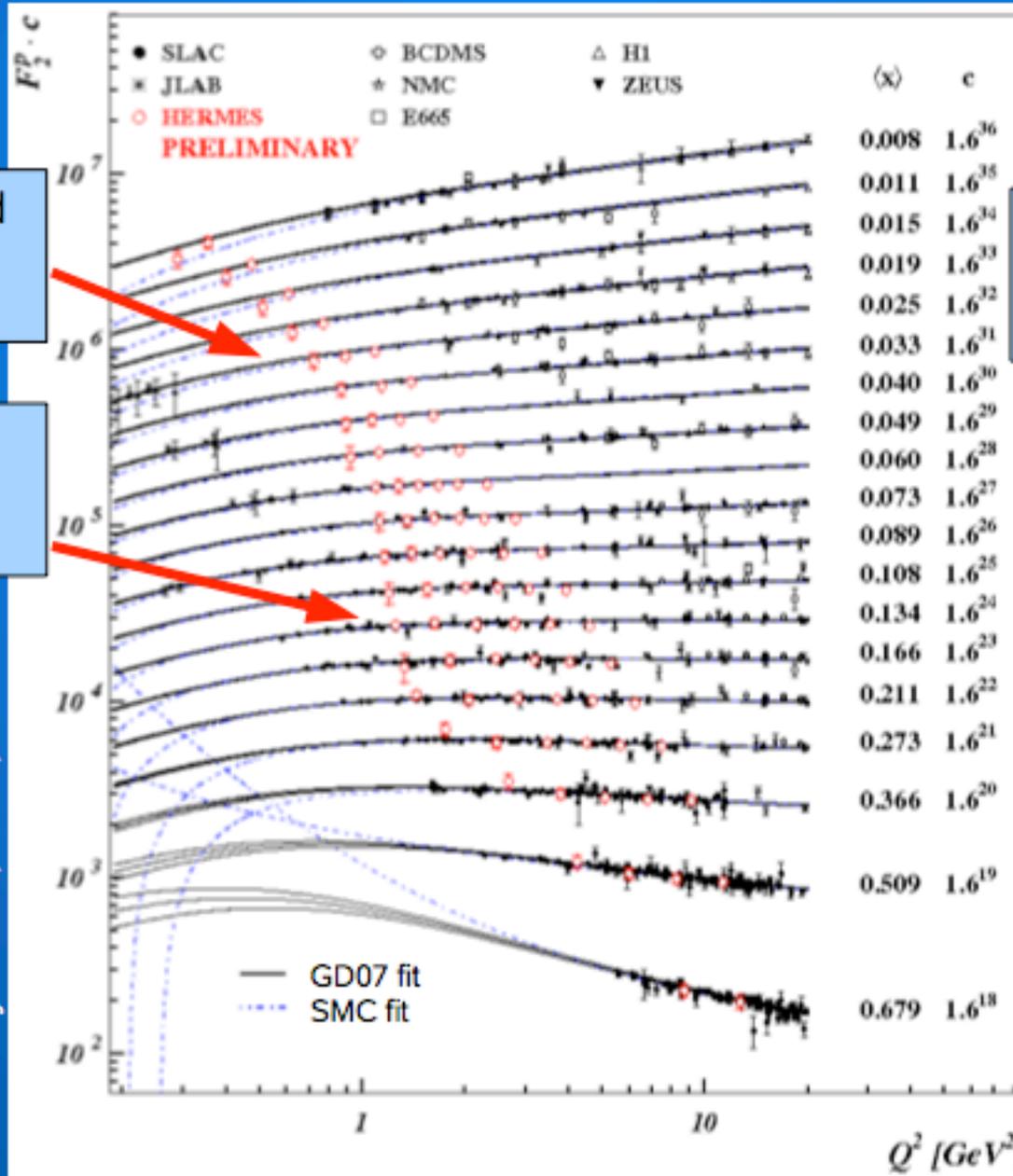
→ J. Kretzschmar [56]  
Combination with ZEUS:  
→ E. Tassi [63]



# Proton

New region covered by HERMES

Agreement with world data in the overlap region



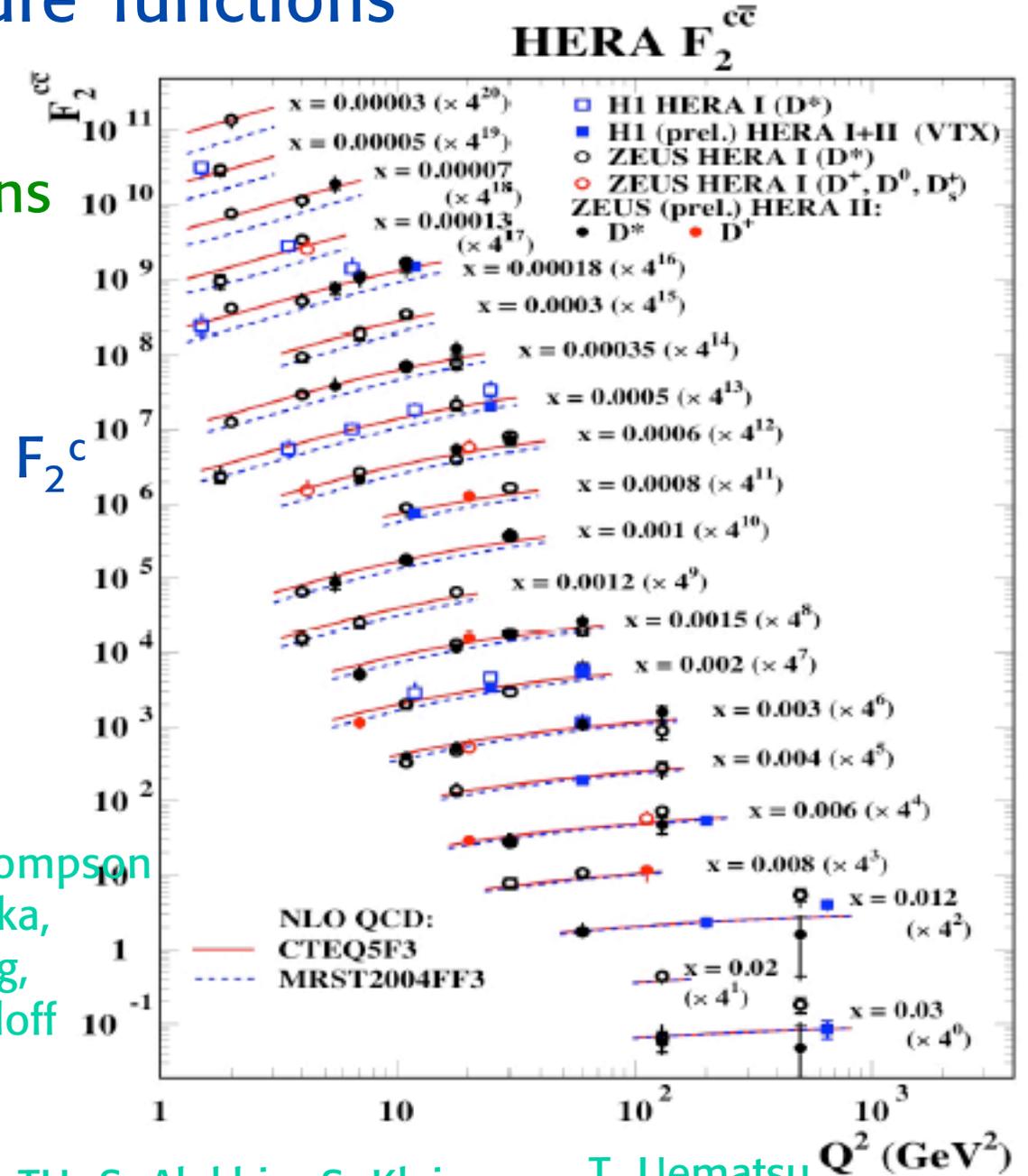
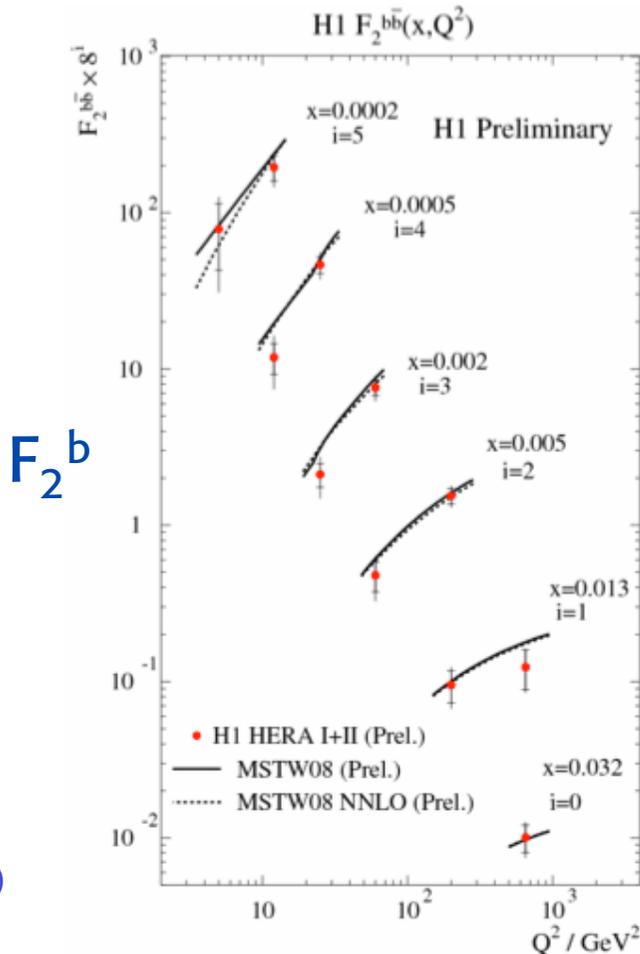
Comparison with parameterization by SMC and GD07

GD07 fit hep-ph 0708.3196  
 SMC fit Phys. Rev. D, Vol. 58, 112001

# Heavy flavoured structure functions

Another kind of gluon sensitive structure functions

A great job at HERA!



P. Thompson  
 K. Lipka,  
 A Jung,  
 P. Roloff

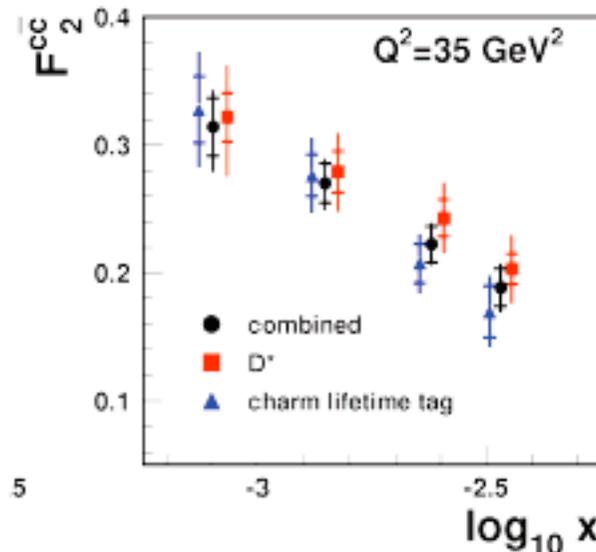
TH: S. Alekhin, S. Klein

T. Uematsu

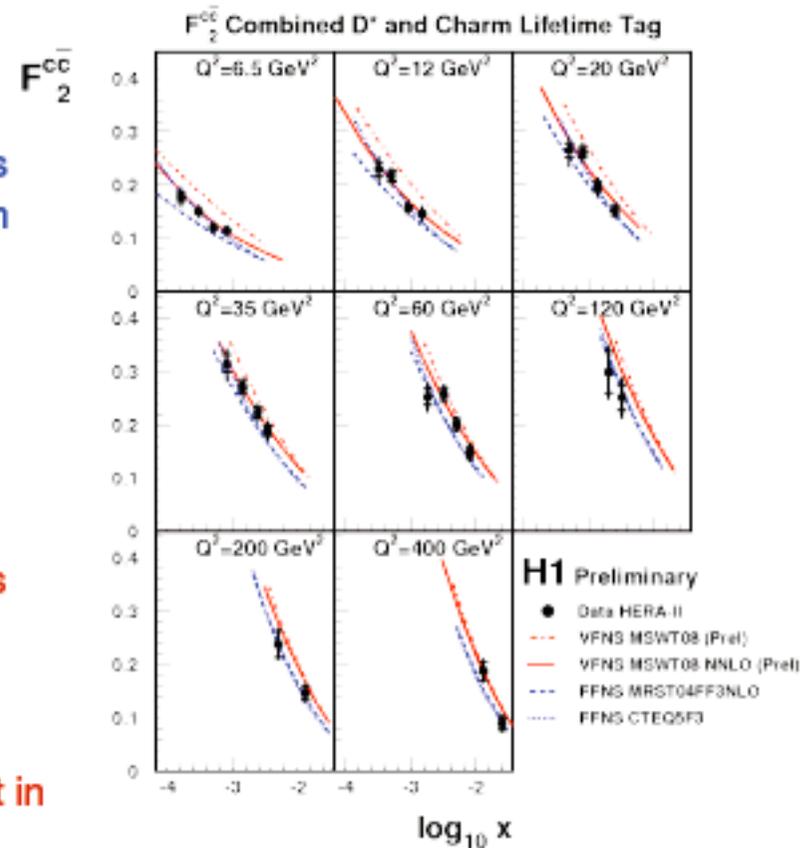




# Combined $F_2^c$



Extract  $F_2^c$  from  $D^*$  cross sections and combine with lifetime-tag  $F_2^c$



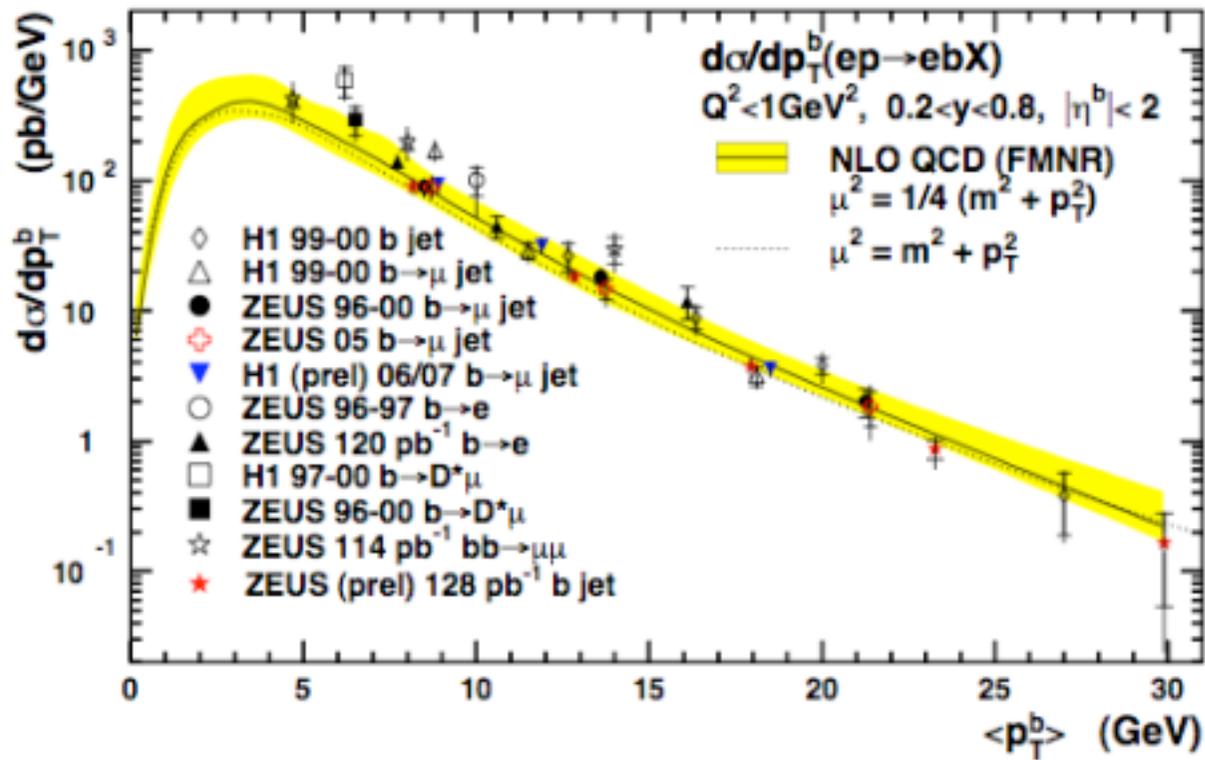
- Consistent results from lifetime and  $D^*$  analyses
- Combine the two measurements
- Significant improvement in precision
- Data constrain PDFs and heavy quark treatment in QCD fits

→ P. Thompson [177]



# b photoproduction

## HERA



E. Tassi

B. List  
S. Miglioranzi

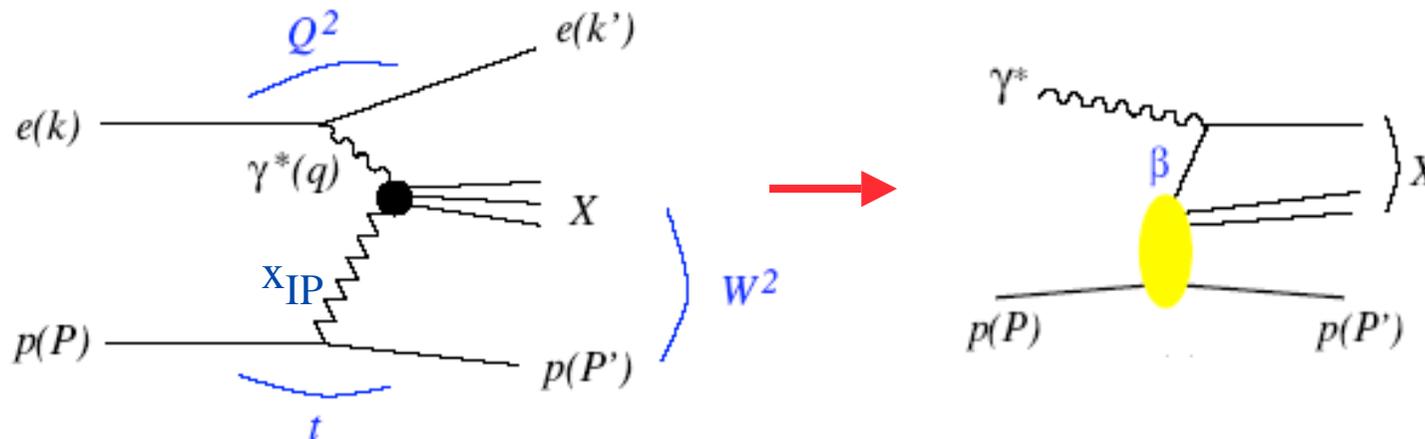
MC@NLO  
T. Toll

Fair agreement with NLO QCD



# Diffractive structure functions

## QCD partons and Pomeron phenomenology



Arneodo, Diehl '06

$$x_{\mathbb{P}} = \frac{(P - P') \cdot q}{P \cdot q} \quad \beta = \frac{Q^2}{2(P - P') \cdot q} \quad \beta x_{\mathbb{P}} = x$$

$$x_{\mathbb{P}} \sim 0.001-0.02$$

$$\frac{d\sigma^{ep \rightarrow eXp}}{d\beta dQ^2 dx_{\mathbb{P}} dt} = \frac{4\pi\alpha_{\text{em}}^2}{\beta Q^4} \left[ \left(1 - y + \frac{y^2}{2}\right) F_2^{D(4)}(\beta, Q^2, x_{\mathbb{P}}, t) - \frac{y^2}{2} F_L^{D(4)}(\beta, Q^2, x_{\mathbb{P}}, t) \right]$$

QCD evolution

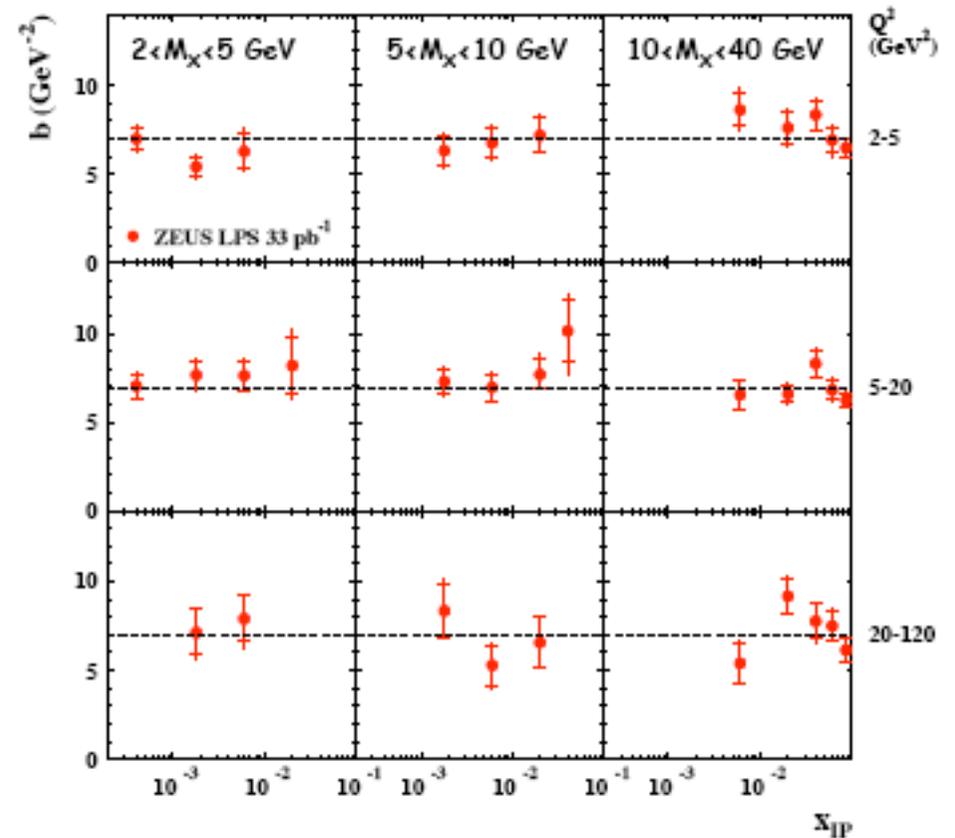
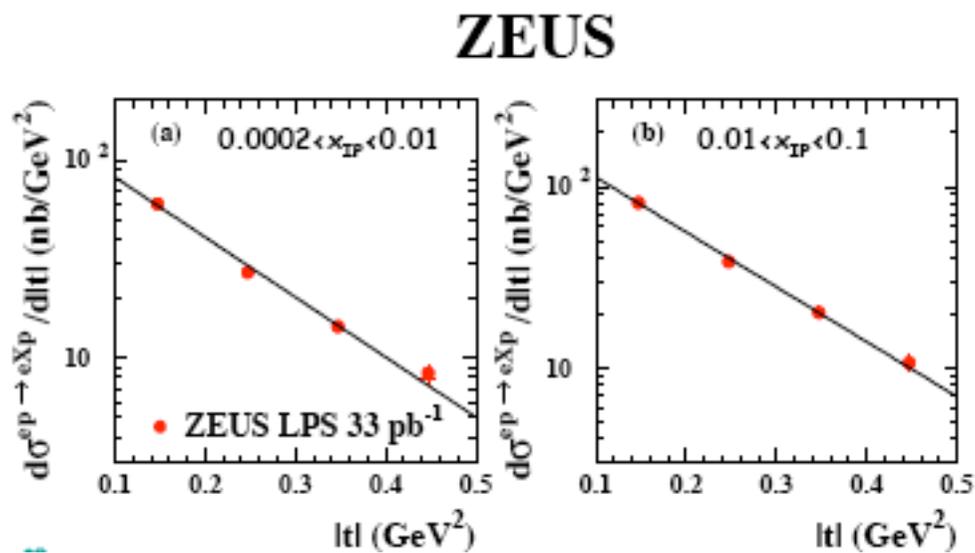
factorization

$$F_2^{D(4)}(\beta, Q^2, x_{\mathbb{P}}, t) = \sum_i \int_{\beta}^1 \frac{dz}{z} C_i\left(\frac{\beta}{z}\right) f_i^D(z, x_{\mathbb{P}}, t; Q^2)$$



t dependence is exponential  
(typical of diffraction)

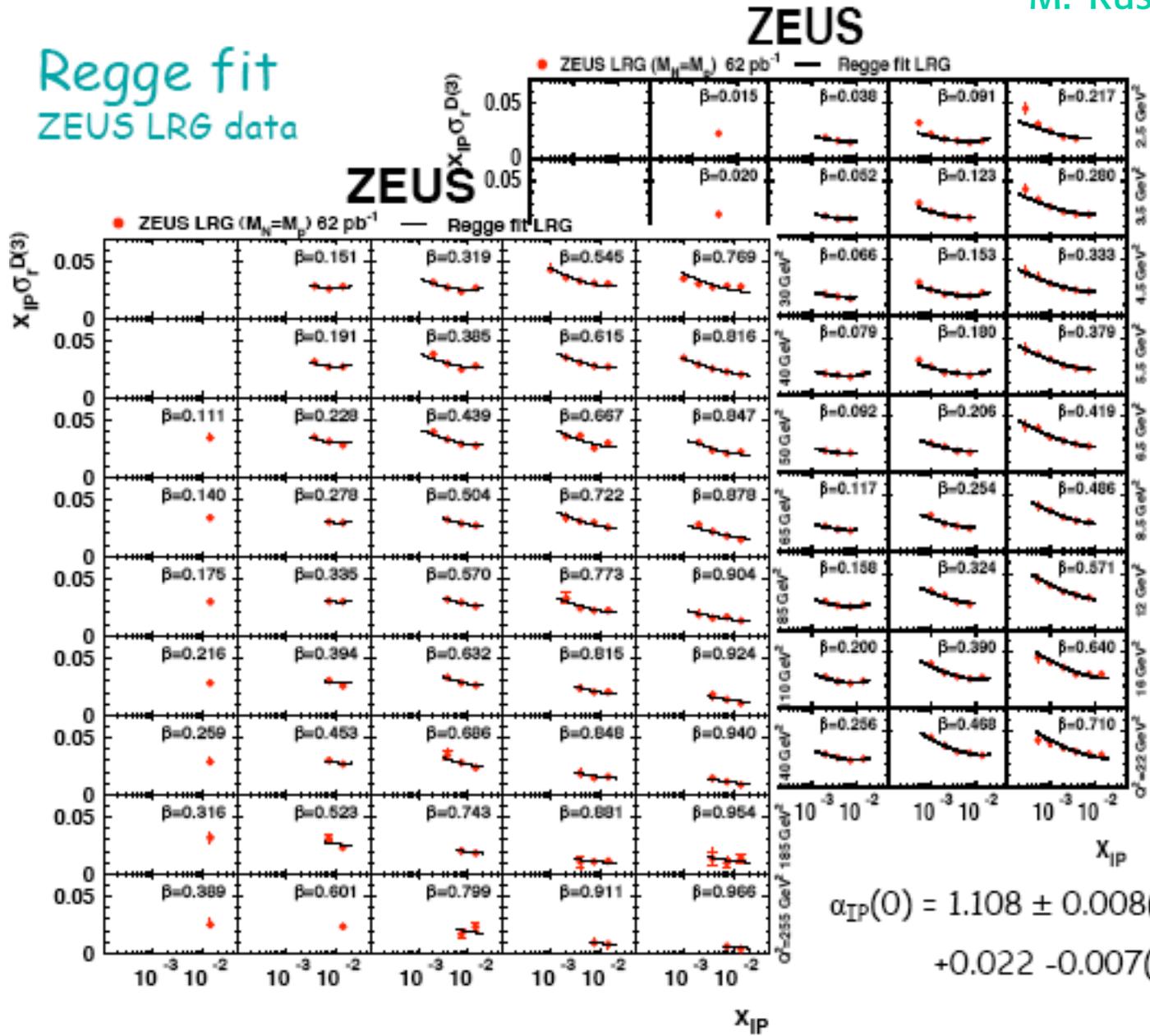
M. Ruspa



Fit to  $e^{-b|t|} \rightarrow b = 7.0 \pm 0.4 \text{ GeV}^{-2}$



Regge fit  
ZEUS LRG data



W. Slominski

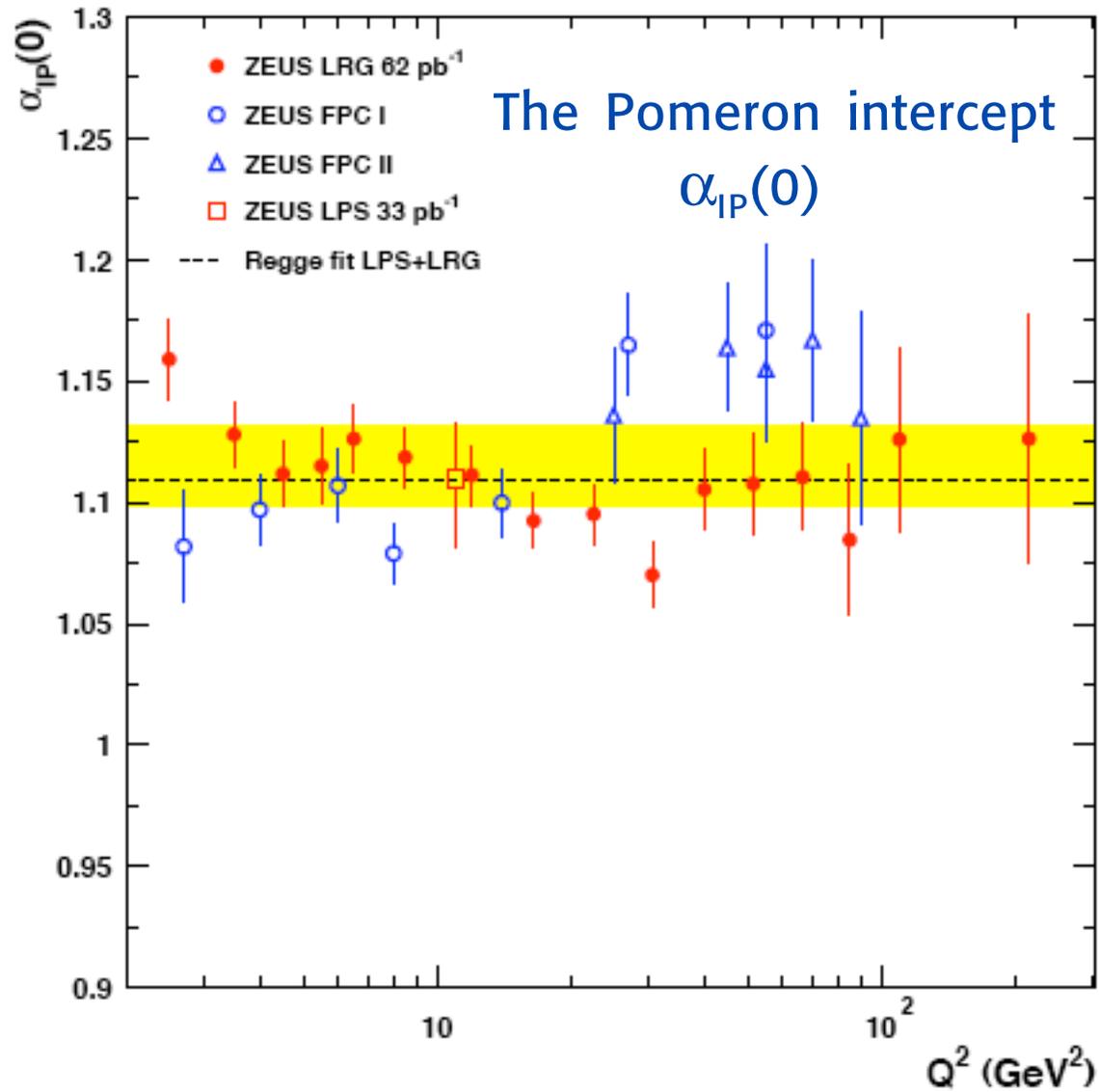
Theory:  
A. Luszczak  
L. Schoeffel

$$\alpha_{IP}(0) = 1.108 \pm 0.008(\text{stat+syst})$$

$$+0.022 -0.007(\text{model})$$



→ Assumption of Regge factorisation works



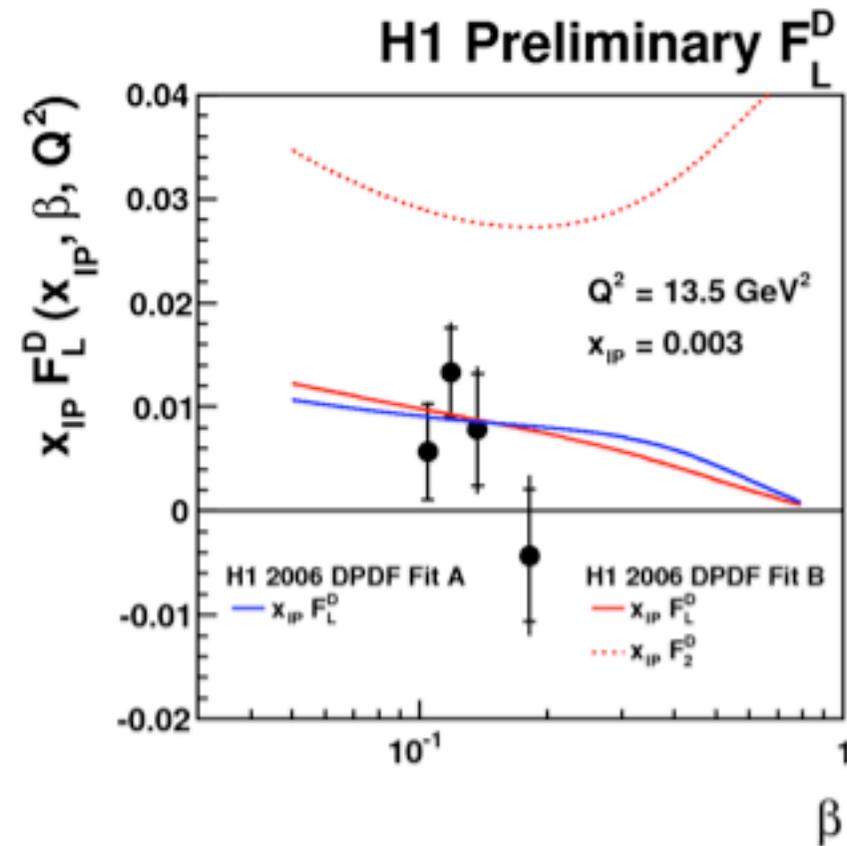
constant in  $Q^2$   
 $\alpha_{IP}(0) > 1$   
(maybe 1  
modulo logs)



# $F_L^D$ Results

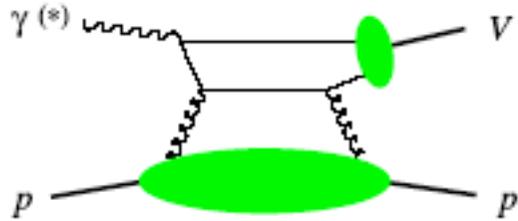
D. Salek

- $F_L^D$  measured in the kinematic region:  
 $7 < Q^2 < 32 \text{ GeV}^2$   
 $0.001 < x_{IP} < 0.01$
- measurement corrected to:  
 $Q^2 = 13.5 \text{ GeV}^2$   
 $x_{IP} = 0.003$
- the measurement represents a significant non-zero value (more than  $4\sigma$ )
- results consistent with the H1 2006 DPDF Fits (based on DPDF's and factorisation)

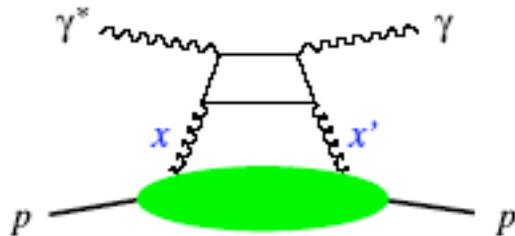


# Exclusive diffractive processes

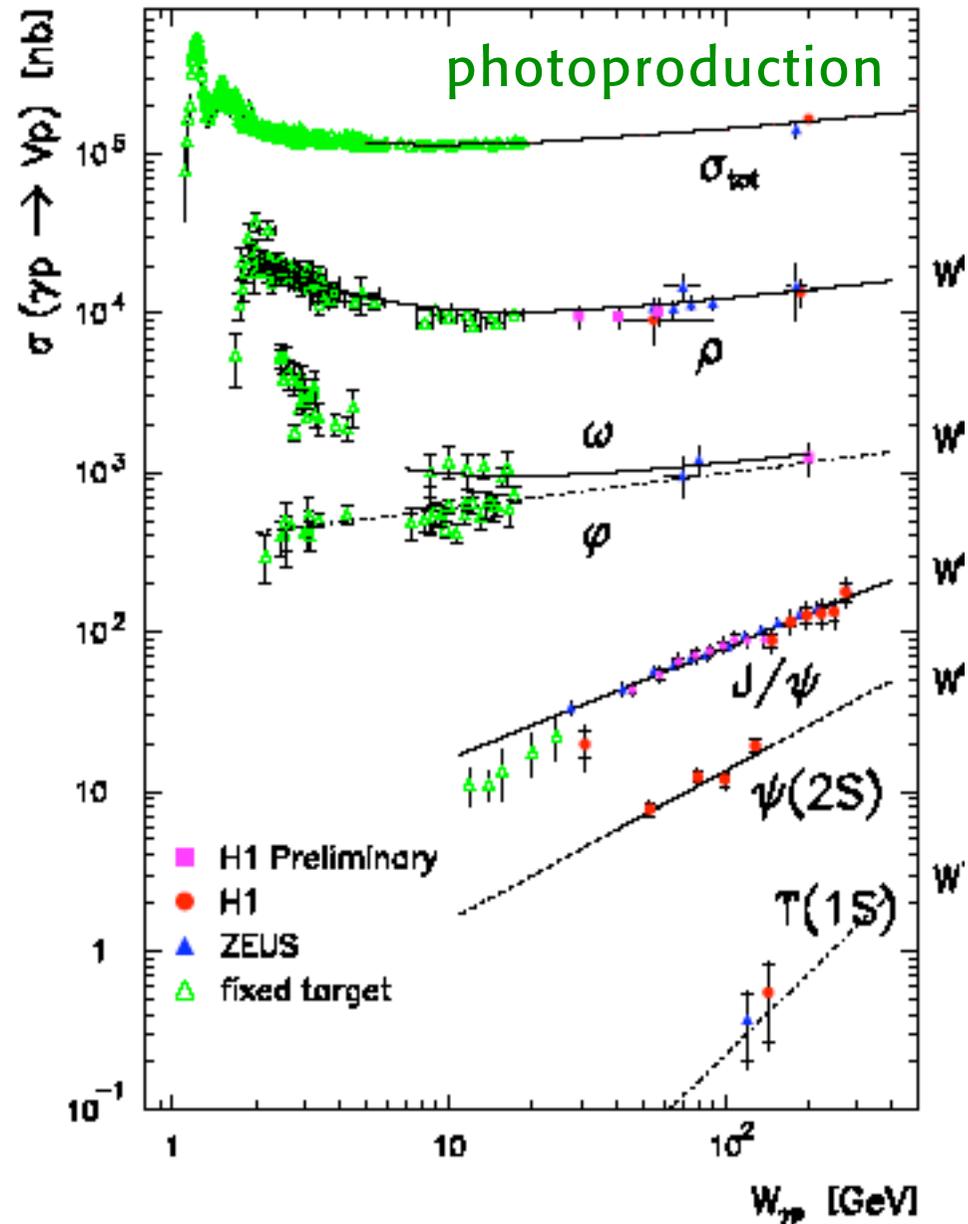
## Vector meson production



## Deeply virtual Compton Scattering Generalized Parton Distributions



G. Moreno, S. Liuti, A. Mukherjee.  
A. Mousisyan, M. Polyakov



⊕ A lot of physics still in the making

A. Levy, P. Marage, S. Yashenko,

More on experiment later

Now some theory highlights



Progress in experiment has been matched by impressive achievements in theory

For example in the theory of scaling violations

$$\frac{\partial q_i(x, Q^2)}{\partial \log Q^2} = \frac{\alpha_S}{2\pi} \int_x^1 \frac{dy}{y} \left\{ P_{q_i q_j}(y, \alpha_S) q_j\left(\frac{x}{y}, Q^2\right) + P_{q_i g}(y, \alpha_S) g\left(\frac{x}{y}, Q^2\right) \right\}$$
$$\frac{\partial g(x, Q^2)}{\partial \log Q^2} = \frac{\alpha_S}{2\pi} \int_x^1 \frac{dy}{y} \left\{ P_{g q_j}(y, \alpha_S) q_j\left(\frac{x}{y}, Q^2\right) + P_{g g}(y, \alpha_S) g\left(\frac{x}{y}, Q^2\right) \right\}$$



Splitting functions stimulated the development of the most advanced computational techniques over the years

For nearly 20 years all splitting funct.s  $P$  have been known to only NLO accuracy:  $\alpha_s P \sim \alpha_s P_1 + \alpha_s^2 P_2 + \dots$

Floratos et al; Gonzales-Arroyo et al; Curci et al; Furmanski et al

Then the complete, analytic NNLO results have been derived for the first few moments ( $N < 13, 14$ ).

Larin, van Ritbergen, Vermaseren+Nogueira

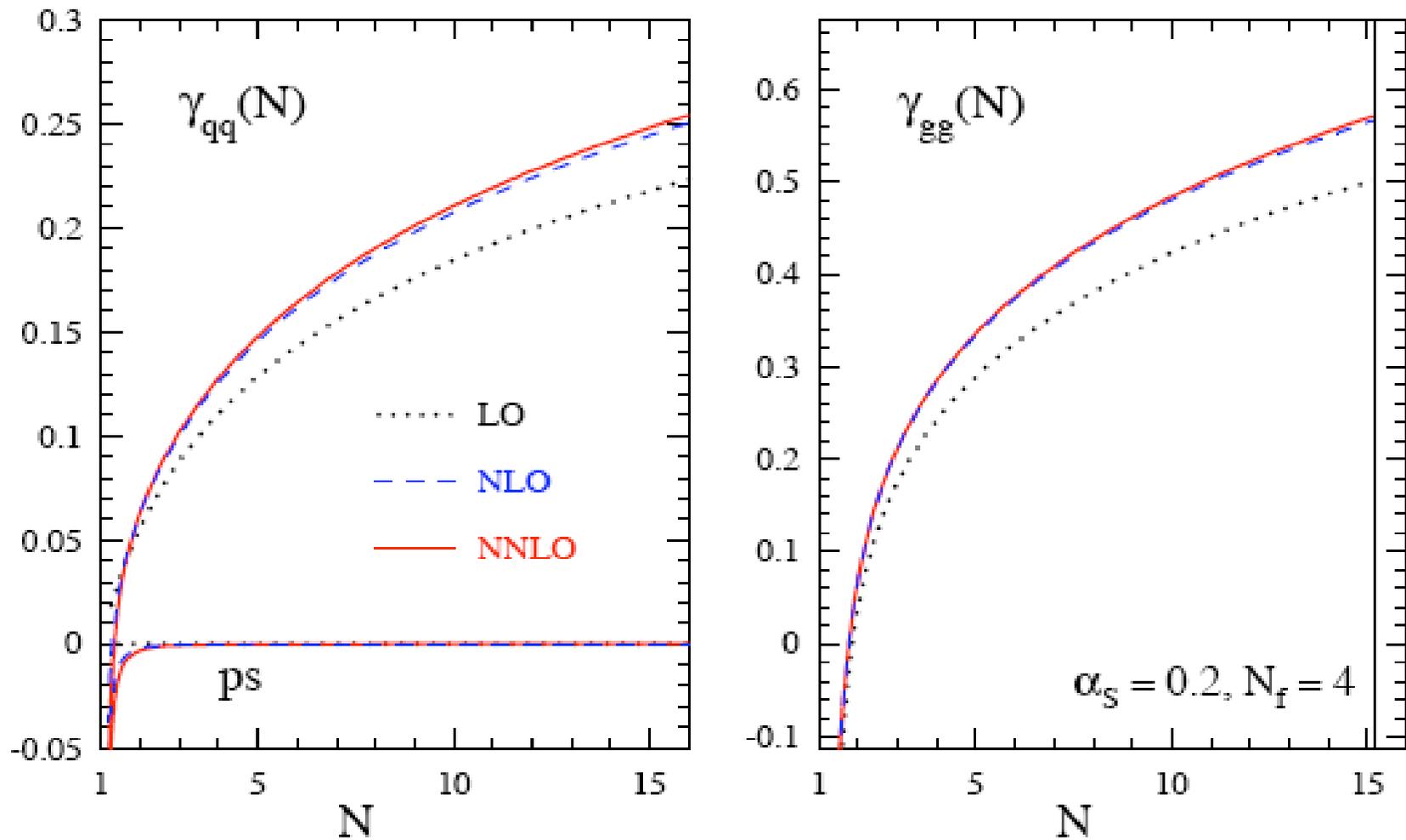
Finally, in 2004, the calculation of the NNLO splitting functions has been totally completed  $\alpha_s P \sim \alpha_s P_1 + \alpha_s^2 P_2 + \alpha_s^3 P_3 + \dots$

Moch, Vermaseren, Vogt '04

⊕ A really monumental, fully analytic, computation



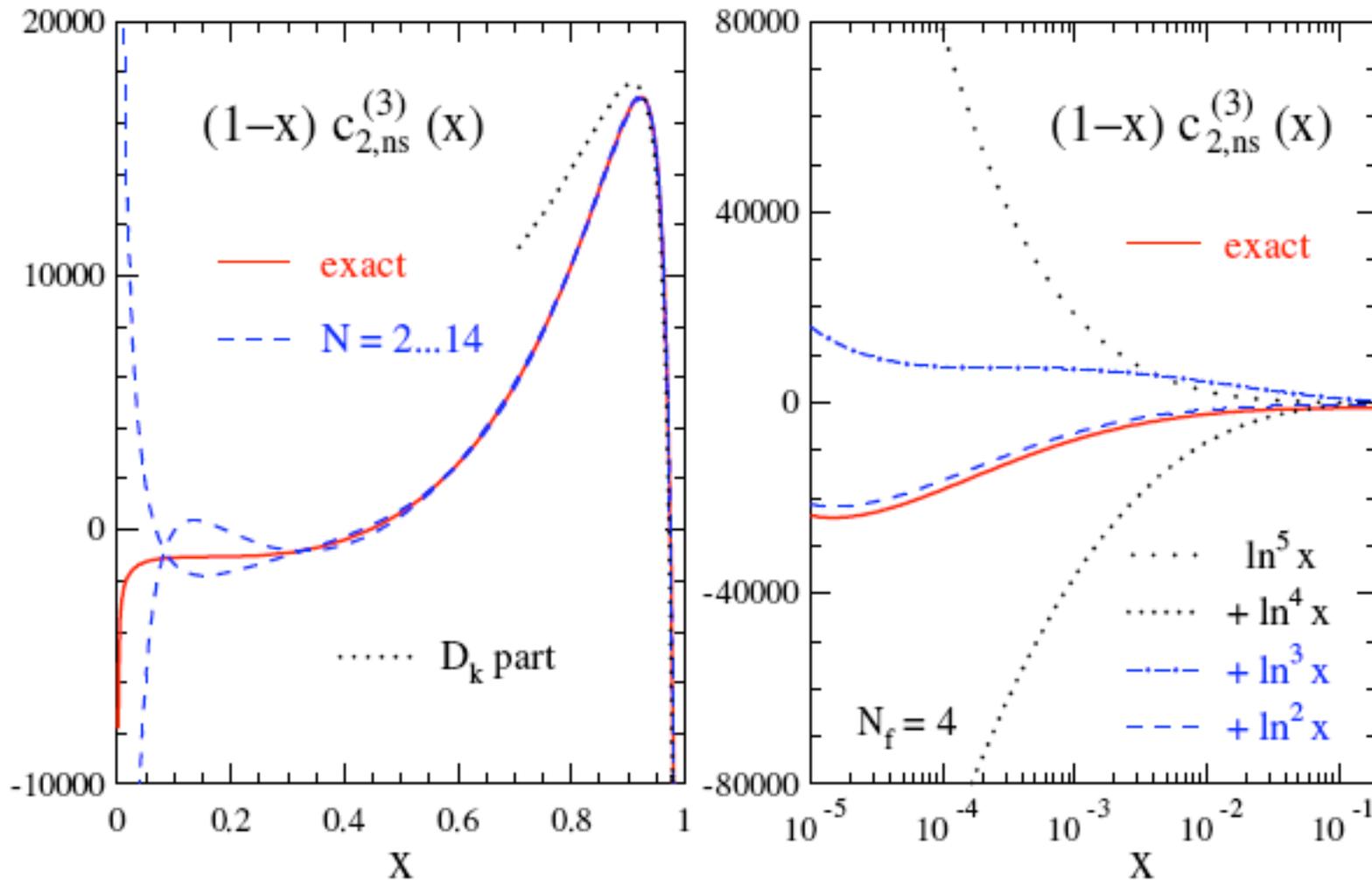
# Anomalous dimensions vs N, the Mellin index



Good convergence is apparent

Now also the  $\alpha_s^3$  coefficient functions are known  
 (eg the NNLO calculation of  $F_L$  completed)

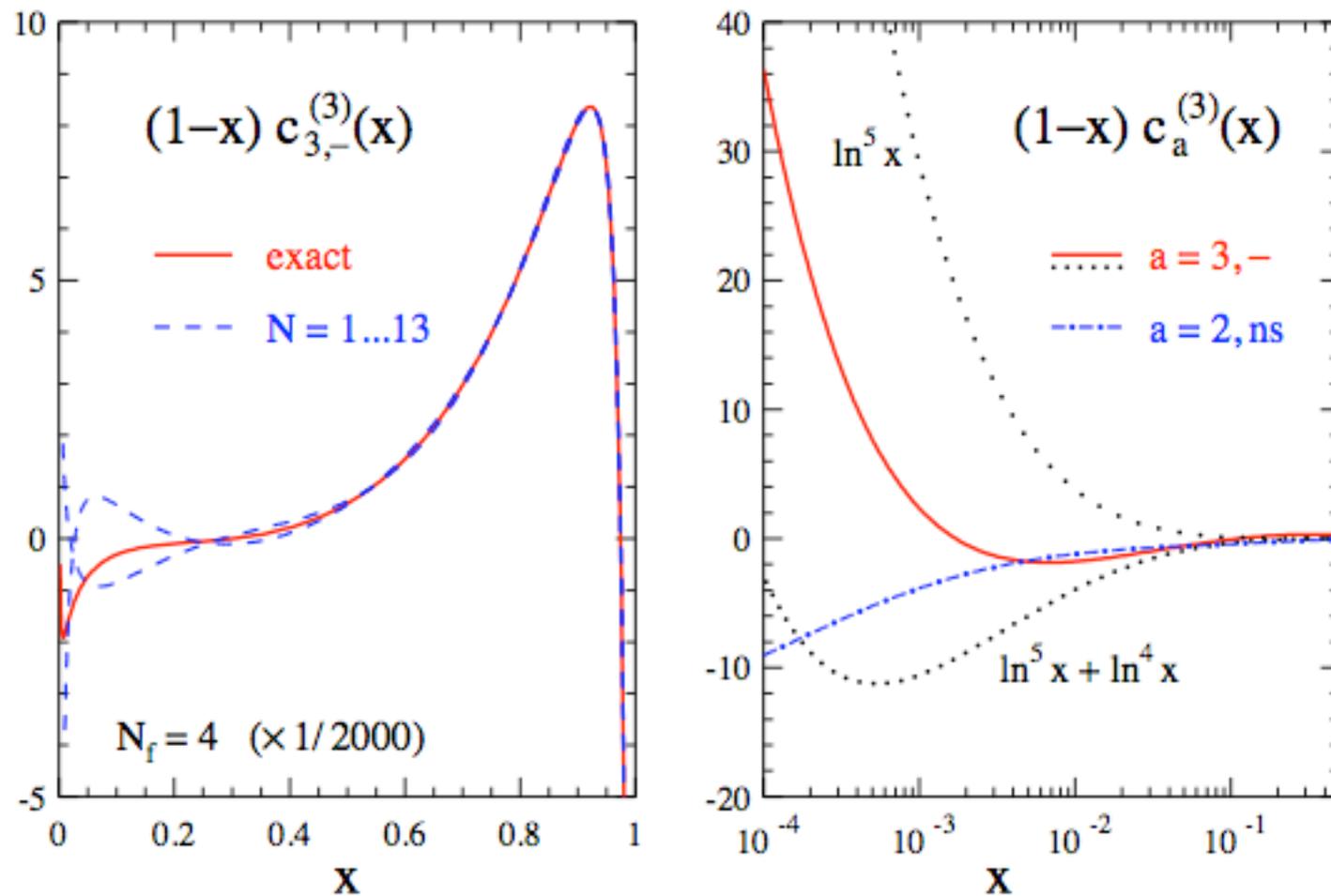
Moch, Vermaseren, Vogt '05



Talks by Vermaseren, Bluemlein, Vogt

# Structure function $F_3^{W^++W^-}$ : N<sup>3</sup>LO coefficient function computed

Moch, Vogt, Vermaseren



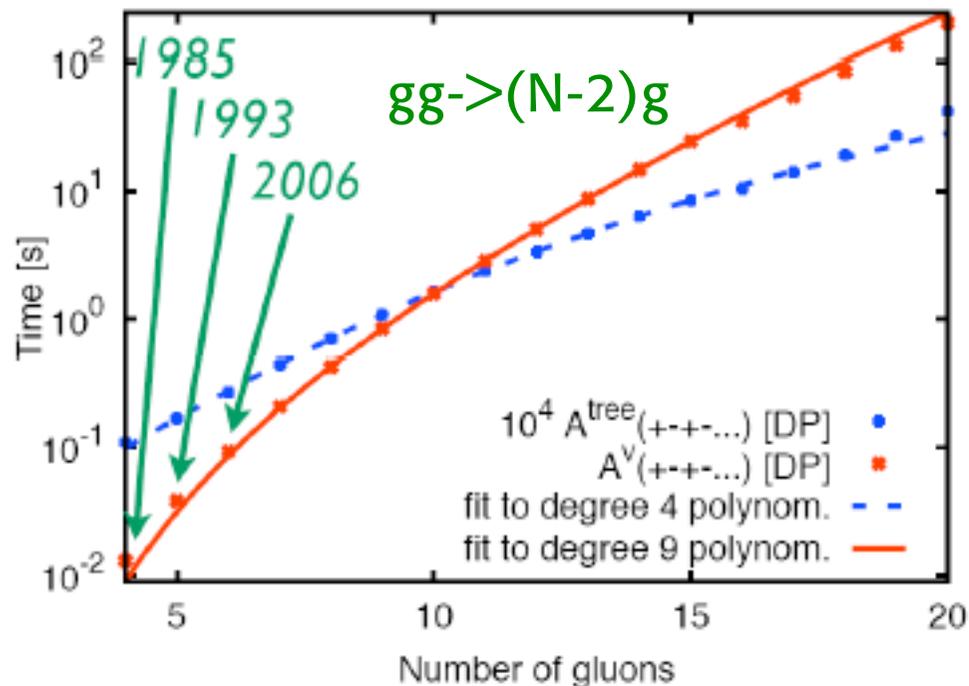
\* MVV, arXiv: 0812.4168 (NPB); MV, arXiv: 0902.2342 (JHEP); MV, to appear

# Great computational advances: from N. Glover talk

remarkable development pace in QCD for higher order calculations in past few years

- ✓ first signs of automated multiparticle NLO cross sections
- ✓ many new ideas for sophisticated jet definitions
- ✓ high precision NNLO calculations for standard candle processes on the way
- ✓ glimpses of more structure in higher loop gauge theory amplitudes

link to massive progress in multiparticle multi-loop N=4 Super Yang Mills



Giele, Zanderighi



# Singlet splitting function at small x

Resum  $(\alpha_s \log 1/x)^n$

The problem of correctly including BFKL at small x has been solved

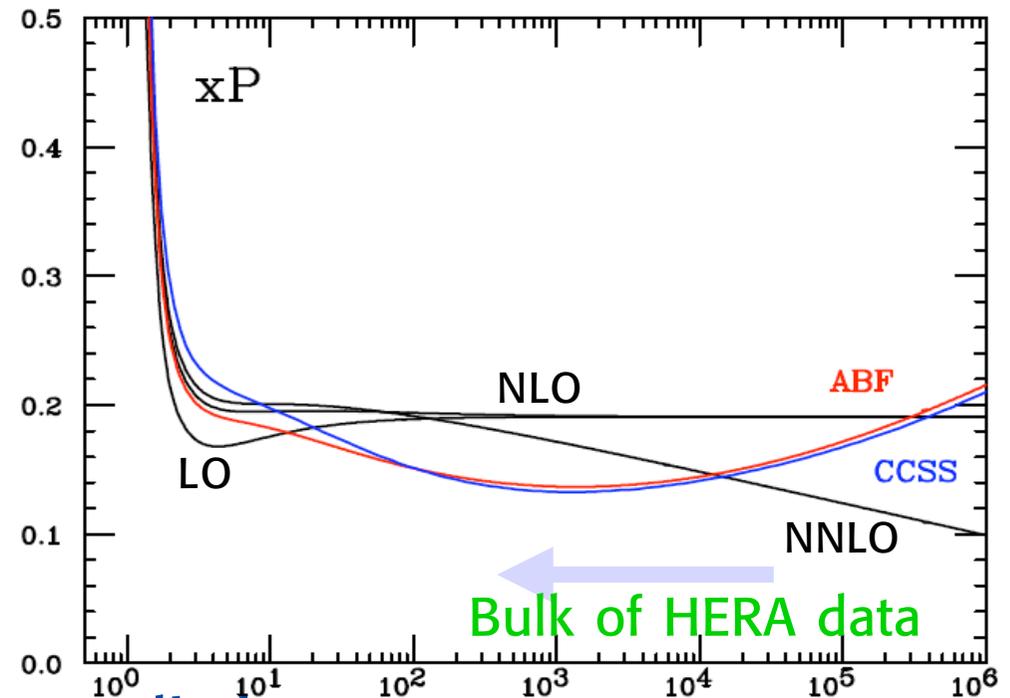
Ciafaloni, Colferai, Salam, Stasto (CCSS)

Altarelli, Ball, Forte (ABF); White, Thorne

Momentum cons.+ symmetry + running coupling effect

→ soft simple pole in anom. dim

- BFKL sharp rise tamed
- resummed result close to NLO in HERA region
- new expansion stable



Makes the ground solid for LHC predictions (eg b production)

$$\oplus \quad x_1 x_2 s = (2m_b)^2 \Rightarrow \bar{x} = \sqrt{x_1 x_2} \sim \frac{2m_b}{\sqrt{s}} \sim 0.7 \cdot 10^{-3}$$

$1/x$

Due to the dip there is **less** scaling violations at HERA than from NLO

Fitting  $\alpha_s$  from NLO one would obtain a smaller value than the true value (for the same gluon).

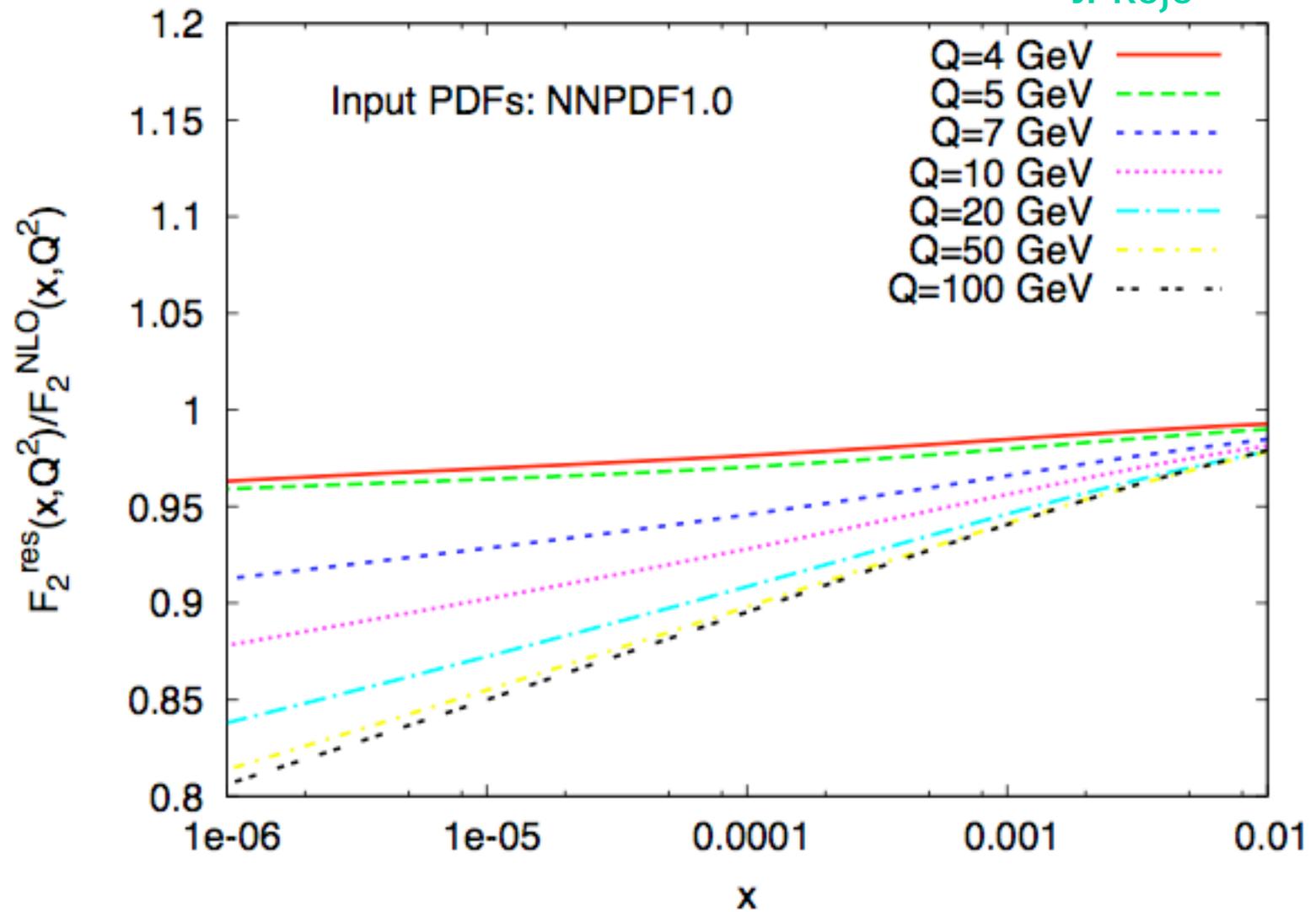
Theoretical contributions on BFKL and related topics:

J. Bartels  
H.P Kowalski  
D. Colferai  
V. Fadin  
I. Balitsky



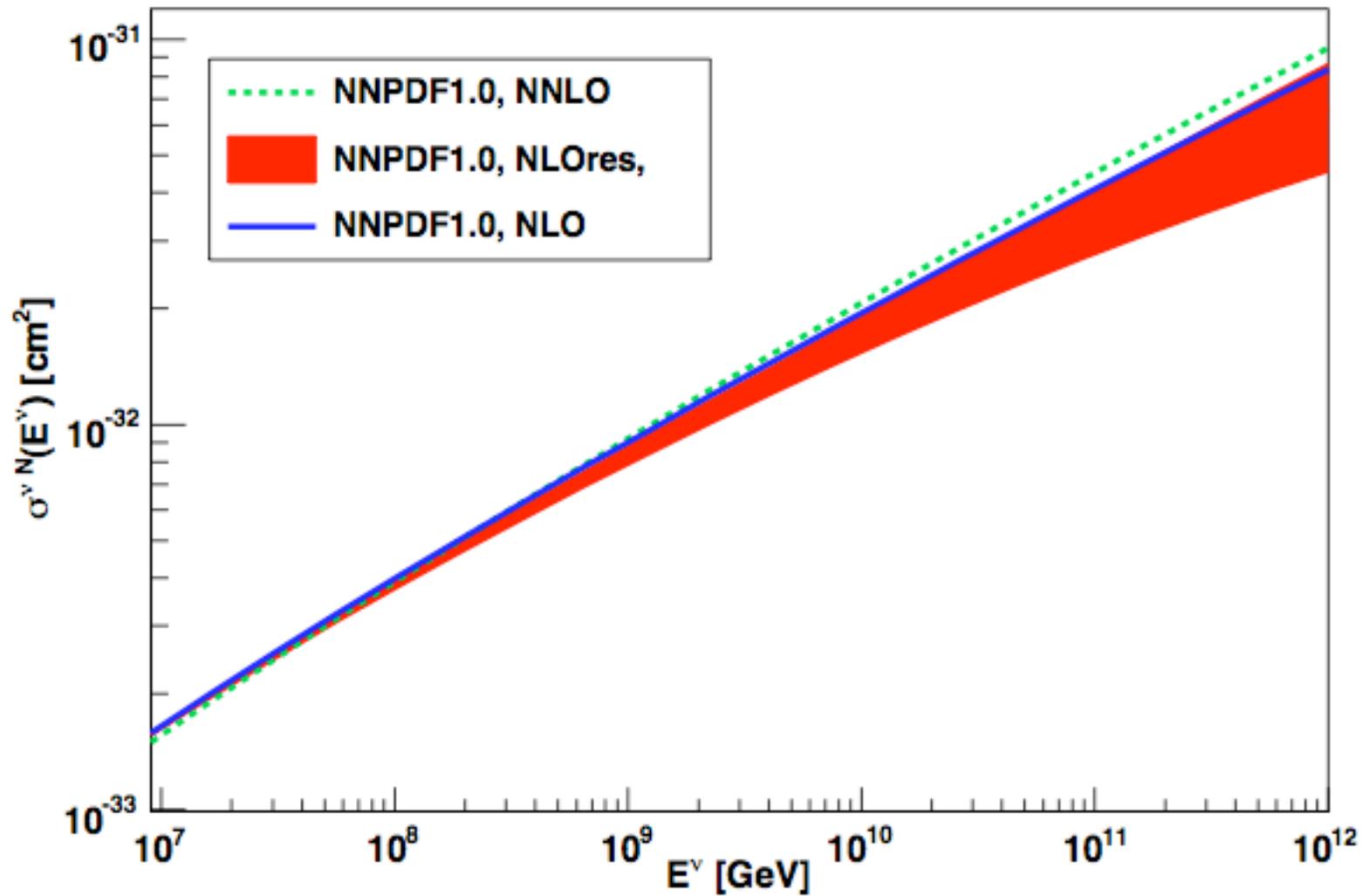
# Resummed K-factors

J. Rojo



# Small-x resummation of UHE neutrinos

J. Rojo



Small x resummation also completed for Drell-Yan [Ball, Marzani](#)

In spite of the large effort in theory and experiment over ~40 years still our knowledge is in many respects surprisingly not satisfactory

Some examples:

- The determination of  $\alpha_s$  from DIS
- Ambiguities on the pdf's
- Neutrino structure functions not good enough
- ONLY NOW (!) some reasonable data on  $F_L$  are been obtained (H1 and ZEUS)
- Polarized DIS



# What is the value of $\alpha_s$ from DIS?

From LEP we have the best values to compare with:

- Z inclusive decay:  $\alpha_s(m_Z)=0.1191\pm 0.0027$  (N<sup>3</sup>LO)

- $\tau$  inclusive decay:  $\alpha_s(m_Z)=0.1212\pm 0.0011$  (N<sup>3</sup>LO)

Davier et al '08

(I do not believe this small error, but this is not an issue here)

- Event shapes:  $\alpha_s(m_Z)=0.1240\pm 0.0034$  (N<sup>3</sup>LO)

Dissertori et al '08

DIS is the next “golden” channel to consider



## $\alpha_s$ from DIS

The scaling violations of non-singlet str. functs. would be ideal: less dependence on input parton densities

$$\frac{d}{dt} \log F(x, t) = \frac{\alpha_s(t)}{2\pi} \int_x^1 dy \frac{F(y, t)}{yF(x, t)} P_{qq}\left(\frac{x}{y}\right)$$

But for  $F_p - F_n$  exp. errors add up in the difference,  
and  $F_{3\nu N}$  is not terribly precise  
( $\nu$  data only from CCFR, NuTeV)



Neutrinos. For  $xF_3$  at NNLO:

### Using Bernstein moments

A combination of Mellin moments which emphasizes a value of  $x$  and a given spread in order to be sensitive to the interval where the measured points are

- $\alpha_s(m_Z)=0.1153\pm0.0063$

Santiago, Yndurain '01

- $\alpha_s(m_Z)=0.1174\pm0.0043$

→ Maxwell, Mirjalili '02

Here the error from scale dep. not included (a model dep. scale fixing is chosen)

### Using Mellin moments

- $\alpha_s(m_Z)=0.1190\pm0.0060$

Kataev, Parente, Sidorov '02



Good overall agreement. Not very precise: (as expected from  $\nu$ 's) Total error  $\sim \pm 0.006$

## electron/muon production

From a recent analysis of eP and eD data, neglecting sea and gluons at  $x > 0.3$

- Non singlet DIS:  $\alpha_s(m_Z)=0.1148\pm0.0019$  (exp)+? (NLO)  
 $\alpha_s(m_Z)=0.1134\pm0.0020$  (exp)+? (NNLO)

Bluemlein et al '06

- a rather small central value
- not much difference between NLO and NNLO



When one measures  $\alpha_s$  from scaling viols. in  $F_2$  from e or  $\mu$  beams, data are abundant, exp. errors small but:

$$\alpha_s \longleftrightarrow \text{gluon correlation} \quad dF/d\log Q^2 \rightarrow \alpha_s g$$

- Using data on P from SLAC, BCDMS, E665 and HERA, NNLO [Bernstein moments] :

$$\alpha_s(m_Z) = 0.1166 \pm 0.0013 \quad (!\text{th error?})$$

Santiago, Yndurain '01

- Or using data on p from SLAC, BCDMS, NMC and HERA, NNLO [Mellin moments]:

$$\alpha_s(m_Z) = 0.1143 \pm 0.0014 \text{ (exp)} \pm 0.0013 \text{ (th)}$$

Alekhin '02

The difference in central values between these nominally most precise determinations suggests a total error  $\sim \pm 0.003$



Other analyses (NLO vs NNLO generally close) based on different methods and data sets offer a spread of central values suggesting larger errors

- Using data on p from BCDMS and NMC, NLO kernels, truncated moments

Moments from  $x_0$  to 1 in measured range, coupled eqs.

$$\alpha_s(m_Z)=0.122\pm 0.006$$

Forte, Latorre, Magnea, Piccione '02

- H1 only or H1+BCDMS, NLO

$$\alpha_s(m_Z)=0.1185\pm 0.002 \text{ (exp)} \pm 0.005$$

$$\alpha_s(m_Z)=0.1150\pm 0.002 \text{ (exp)}$$

- ZEUS, NLO  $\alpha_s(m_Z)=0.1166\pm 0.0049 \text{ (exp)} \pm 0.0018$

- Proton data, Nachtmann moments including soft gluon resumm. at large x and estimate of higher twist



$$\alpha_s(m_Z)=0.1188\pm 0.0017 \text{ (exp)} \text{ Simula, Osipenko '03}$$

## Summary

- Z inclusive decay:  $\alpha_s(m_Z)=0.1191\pm0.0027$  (N<sup>3</sup>LO)

- $\tau$  inclusive decay:  $\alpha_s(m_Z)=0.1212\pm0.0011$  (N<sup>3</sup>LO)

Davier et al '08

(I do not believe this error, but this is not an issue here)

- Event shapes:  $\alpha_s(m_Z)=0.1240\pm0.0034$  (N<sup>3</sup>LO)

Dissertori et al '08

- Non singlet DIS:  $\alpha_s(m_Z)=0.1148\pm0.0019$  (exp)+? (NLO)

$$\alpha_s(m_Z)=0.1134\pm0.0020 \text{ (exp)+? (NNLO)}$$

Bluemlein et al '06

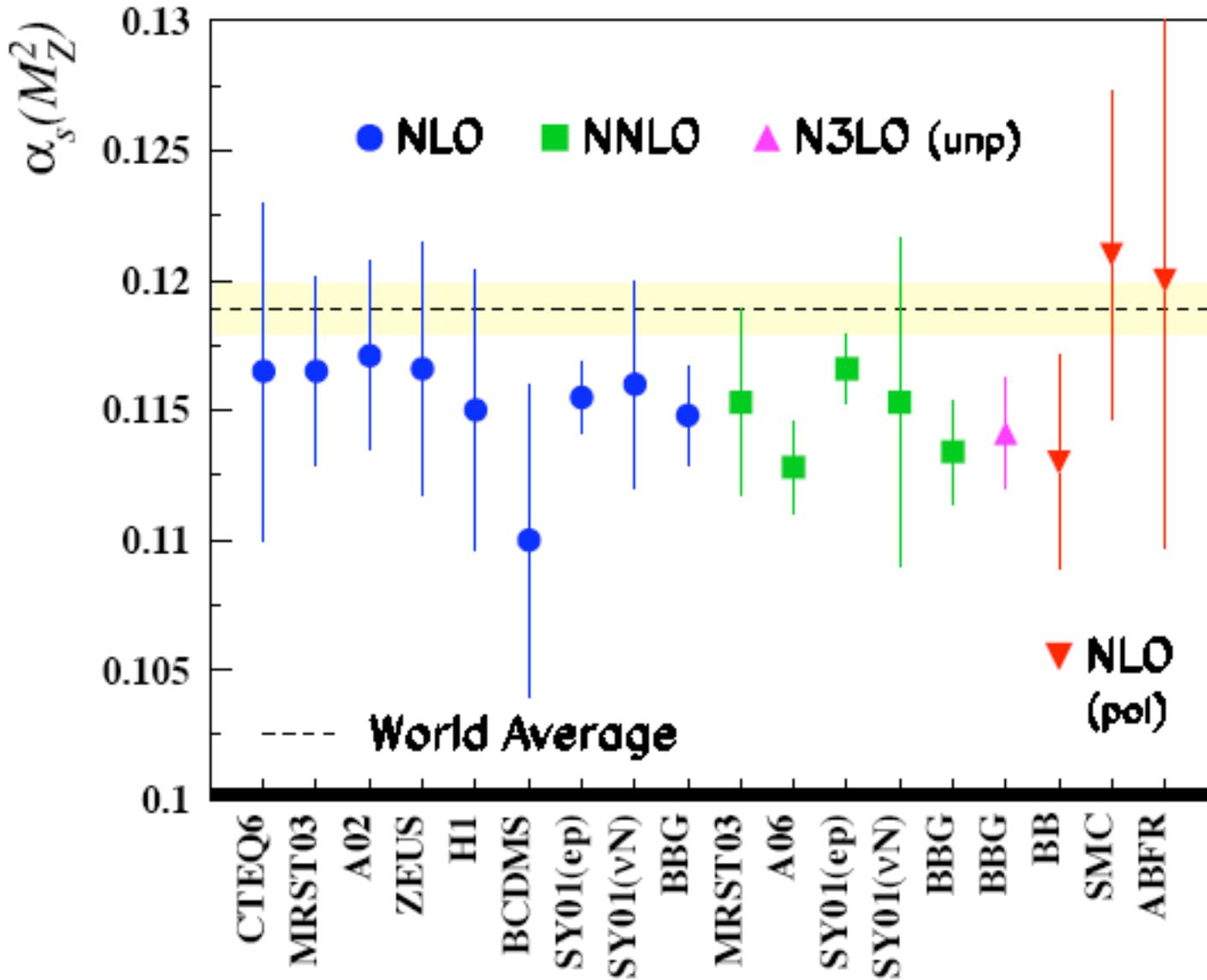
- All DIS eP:  $\alpha_s(m_Z)=0.1166\pm0.0013$  (th error?) (NNLO)

Santiago, Yndurain '01

$$\alpha_s(m_Z)=0.1143\pm0.0014 \text{ (exp)} \pm 0.0013 \text{ (th)}$$

(NNLO) Alekhin '02





DIS results tend to be on the low side.



# Result on $\alpha_s$



- Result: strong coupling extracted from H1 jet data

$$\alpha_s = 0.1168 \pm 0.0007 (\text{exp}) \pm_{0.0030}^{0.0046} (\text{theo}) \pm 0.0016 (\text{PDF})$$

H1 high  $Q^2$  jet multiplicities

Submitted to EPJC, DESY09-032

H1 low  $Q^2$  incl. jets

H1prelim-03-032

ZEUS  $\gamma p$  jets

ZEUS-prel-02-008

HERA comb. 2007 incl. jets

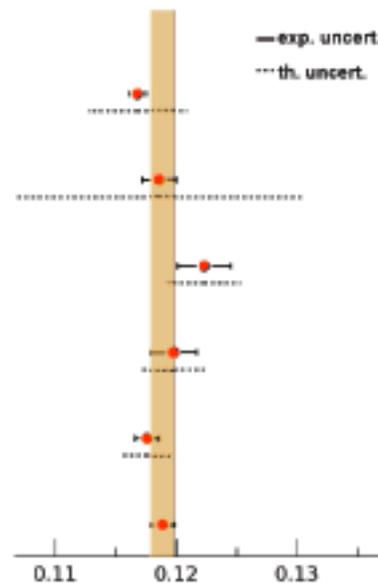
H1prelim-07-033/ZEUS-prel-07-028

LEP 4-jet rate

Prog.Part.Nucl.Phys.58:351-386,2007

Bethke

Prog.Part.Nucl.Phys.58:351-386,2007



- Experimentally most precise single measurement of  $\alpha_s$  (0.6%)
- Theory (NLO) error dominated by scale uncertainties (3-4%)

→ A. Specka [237]



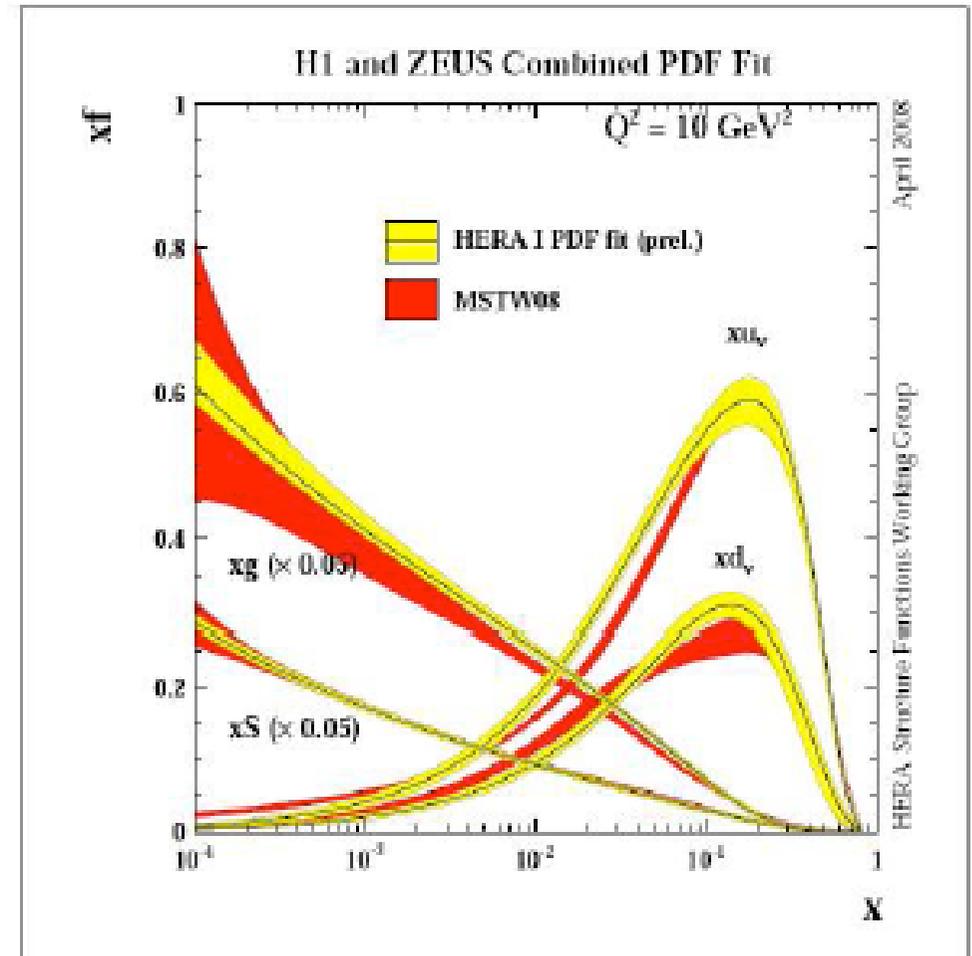
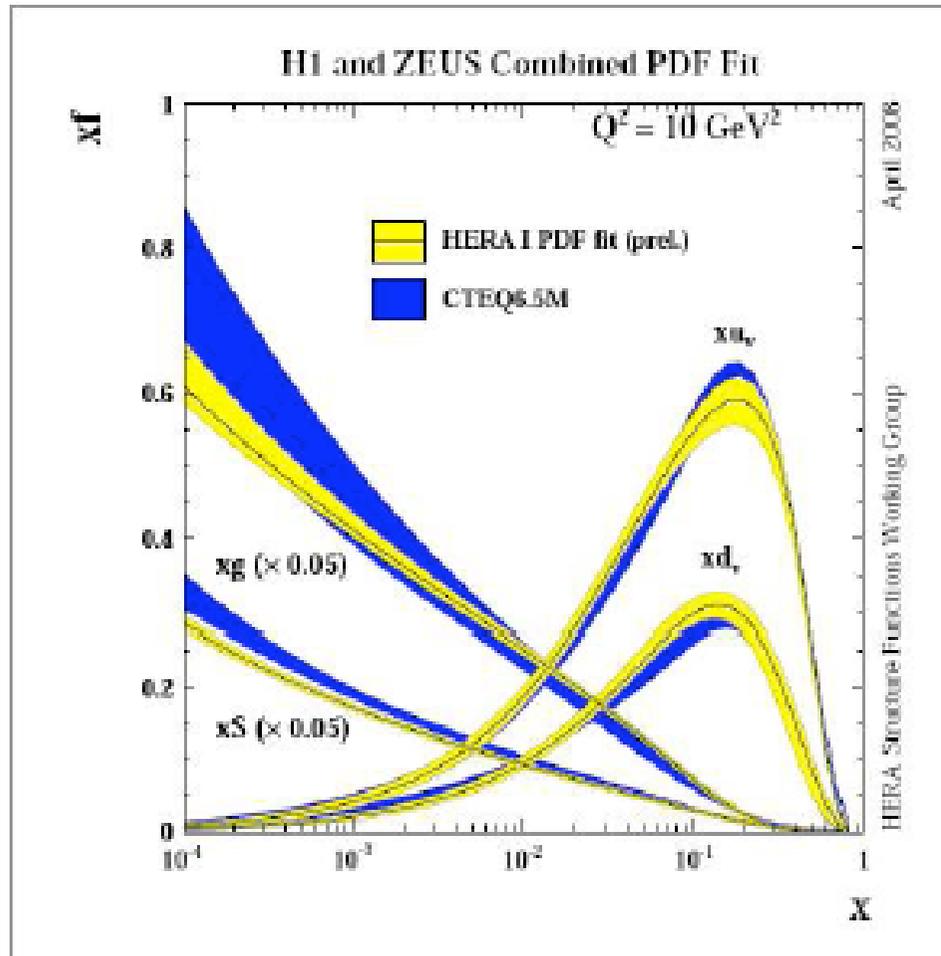
## New and updated PDF analyses at DIS'2009

PDF analysis group	Talk(s) by
Alekhin and collaborators	<i>S. Alekhin</i>
CTEQ (MSU/SMU/Taiwan/Washington)	<i>H.-L. Lai, P.N.</i>
CTEQ (JLab)	<i>C. Keppel</i>
EPS nuclear PDFs	<i>H. Paukkunen</i>
H1	<i>J. Kretzschmar, A. Petrukhin</i>
HERAPDF (H1+ZEUS)	<i>V. Radescu</i>
MSTW	<i>R. Thorne</i>
Neural Network PDF	<i>J. Rojo, M. Ubiali</i>
ZEUS	<i>A. Cooper-Sarkar</i>

DIS2009

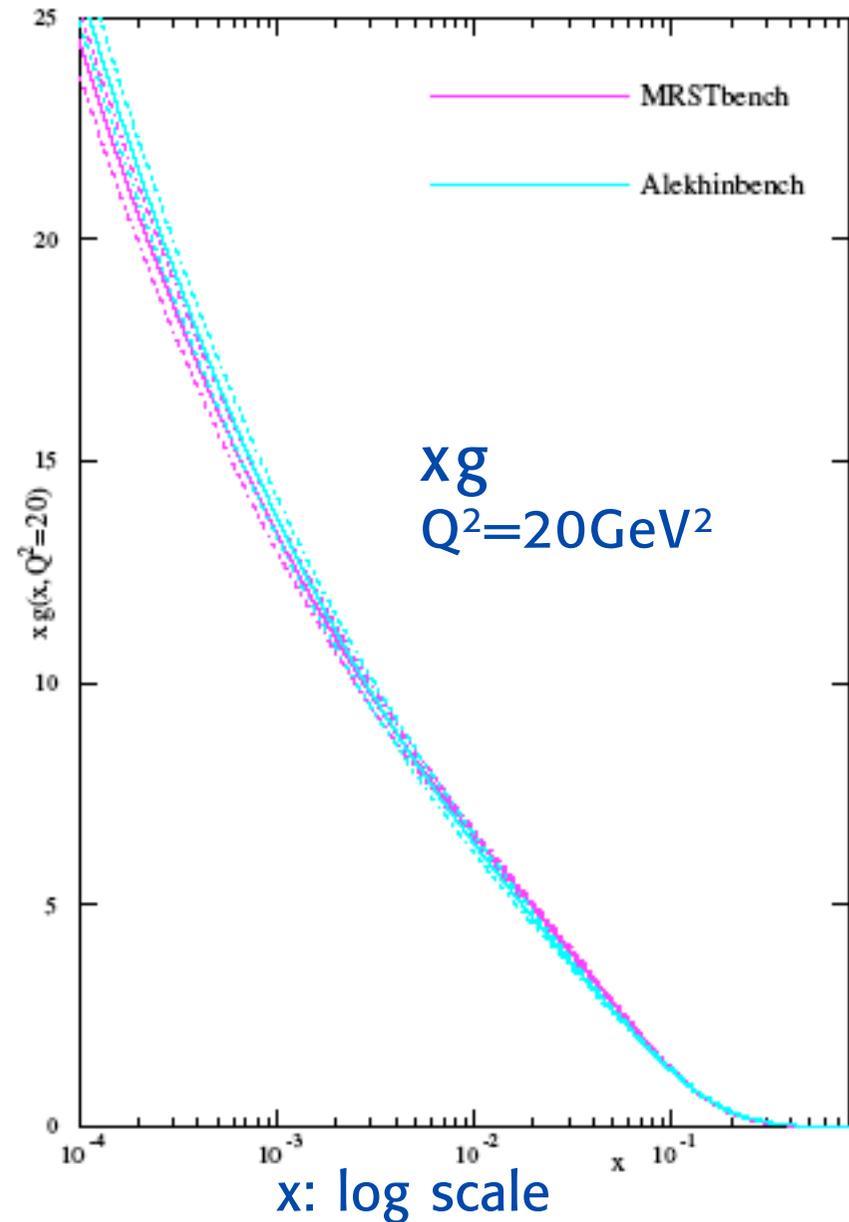
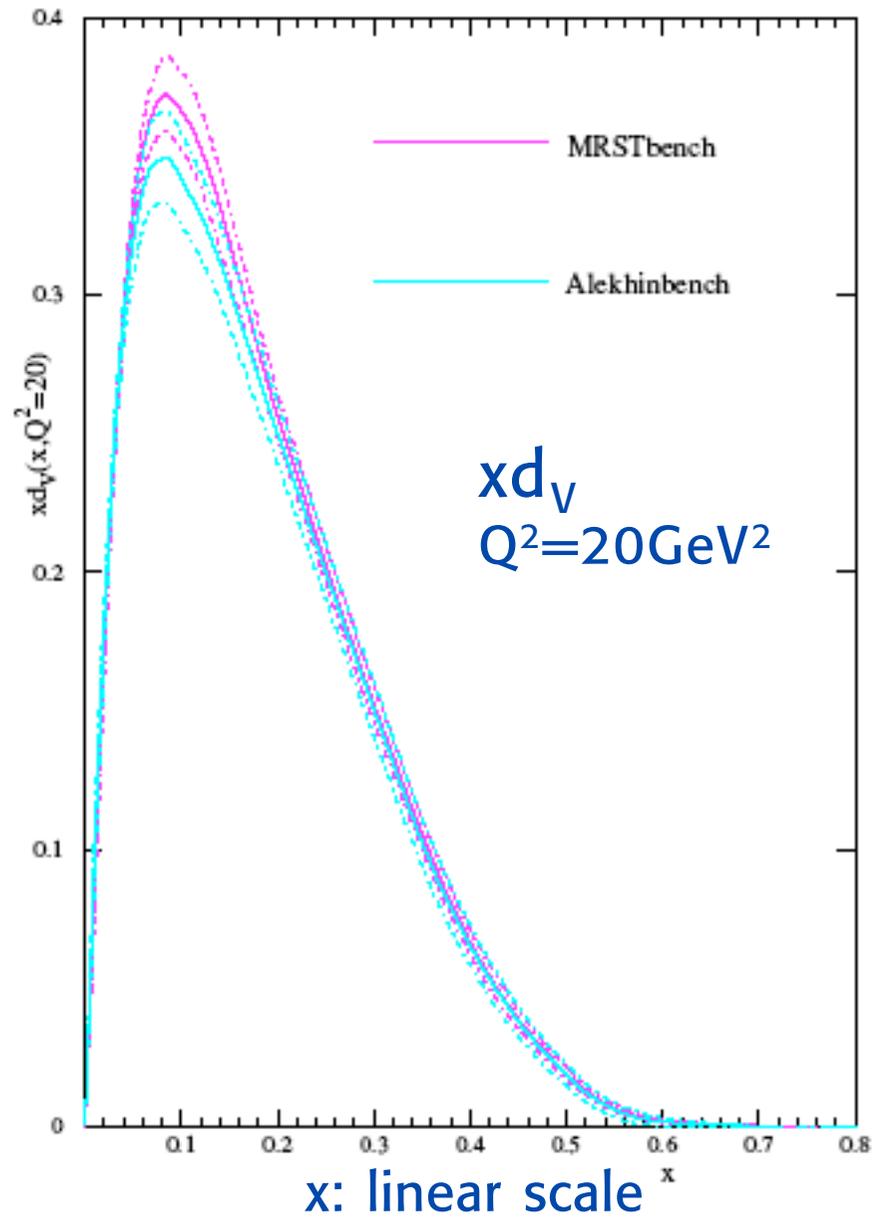


# Are the parton densities known well enough?

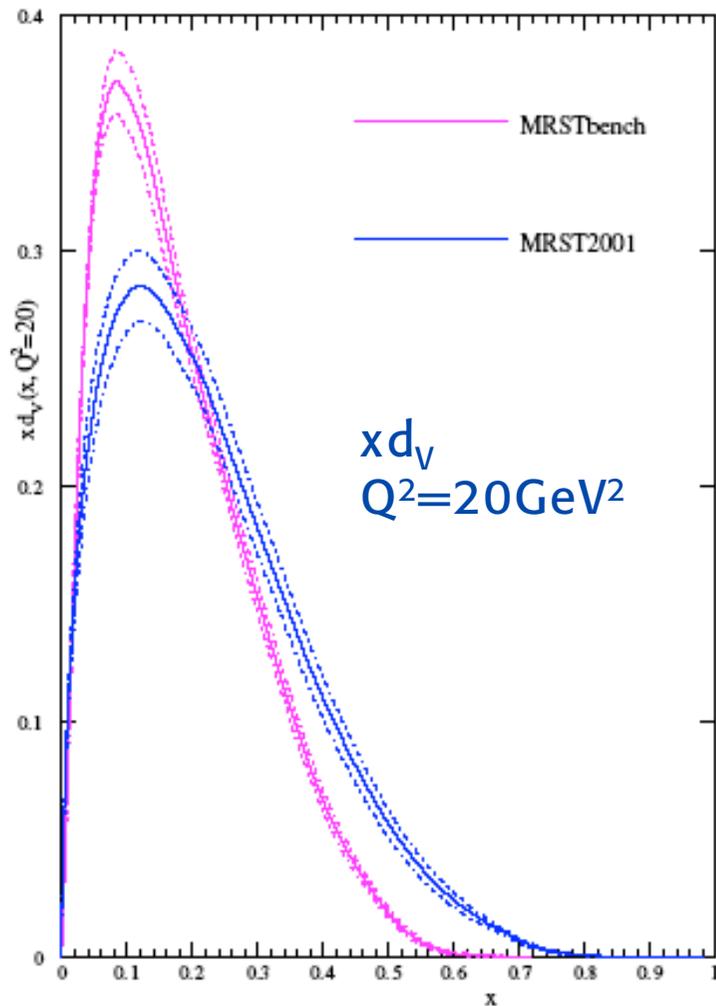


# Different fits to same DIS data are comparable

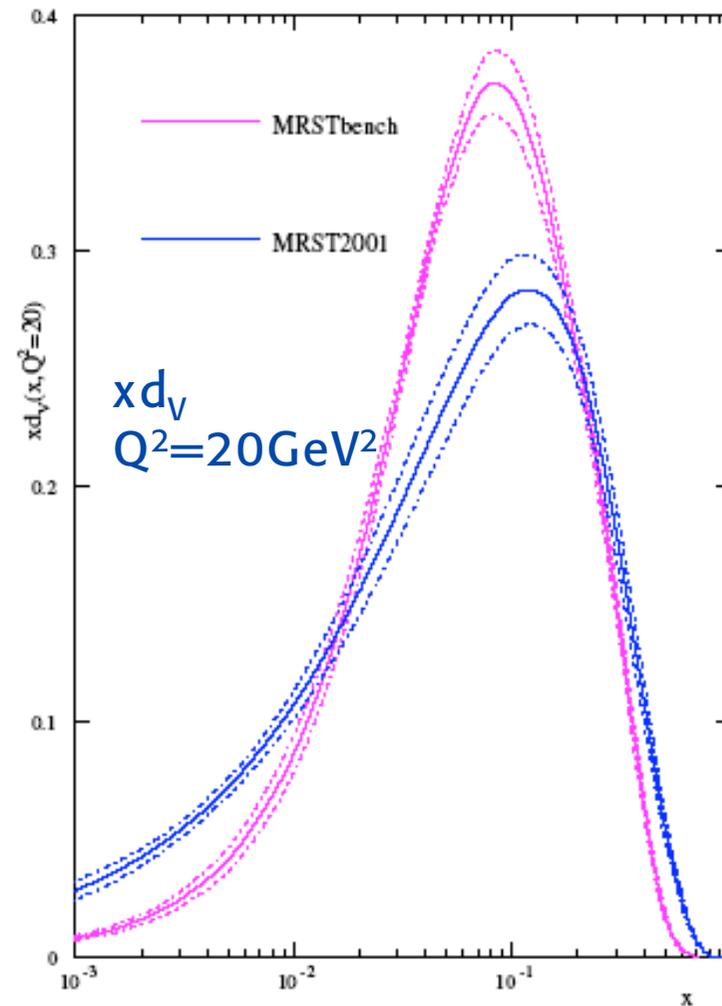
HERA LHC Workshop '06



But differ from those obtained from all the data

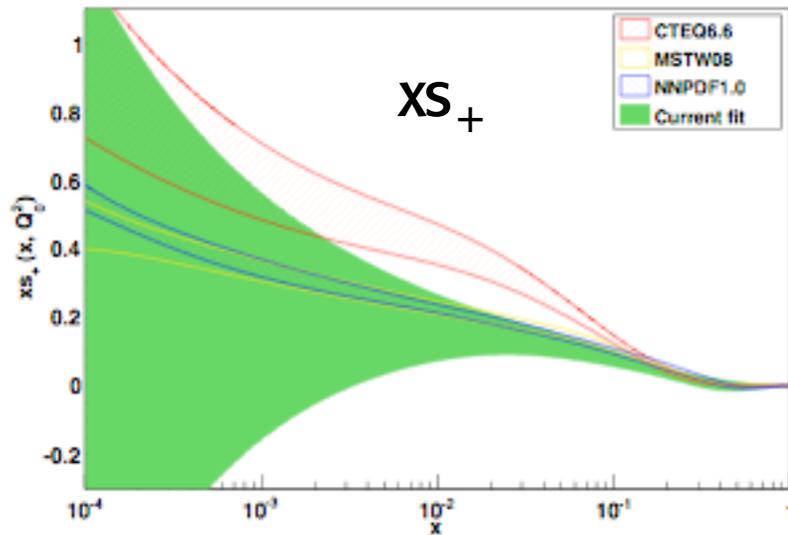
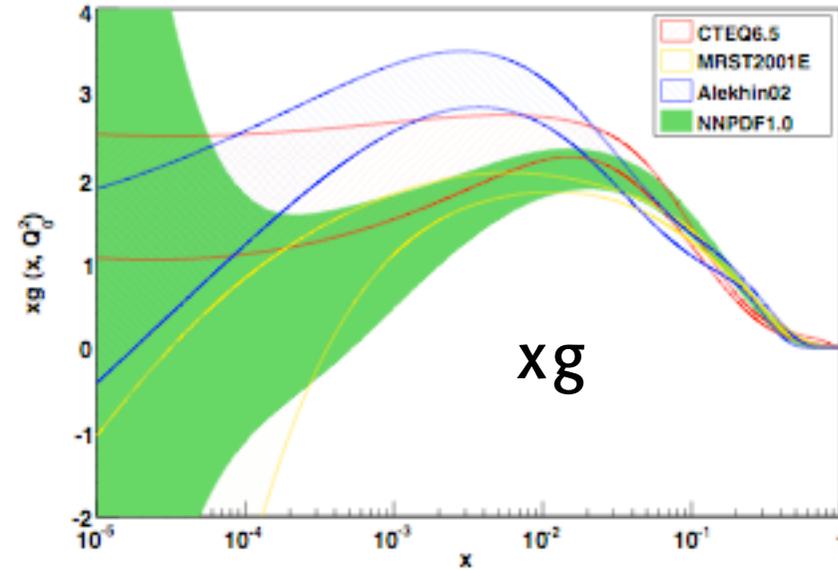
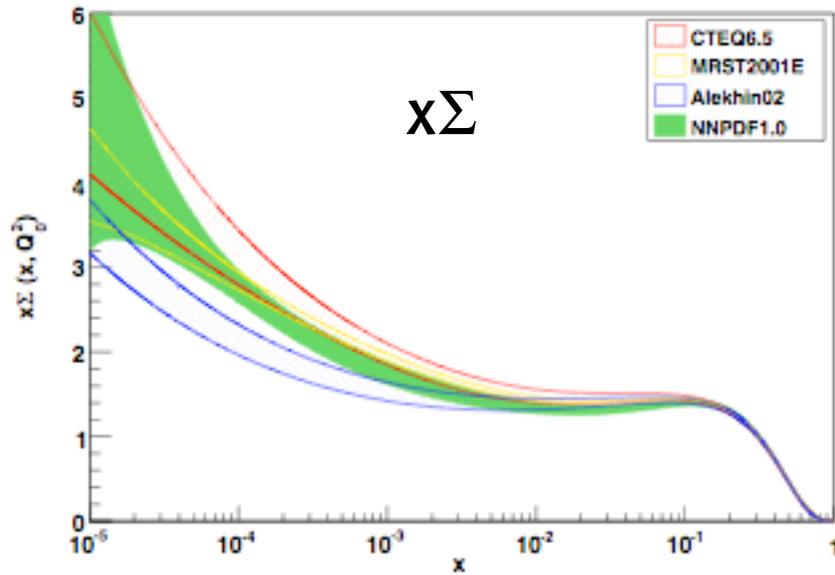


x: linear scale



x: log scale

⊕ This shows that extrapolation from one data set to another is dangerous



Neural Network pdf  
less dep on parametrization.  
a large ensemble of pdf allowed

Uncertainties larger than for  
CTEQ, MRST, Alekhin  
in unmeasured region



It took ~40 years to get meaningful data on the longitudinal structure function!!

S. Schmitt

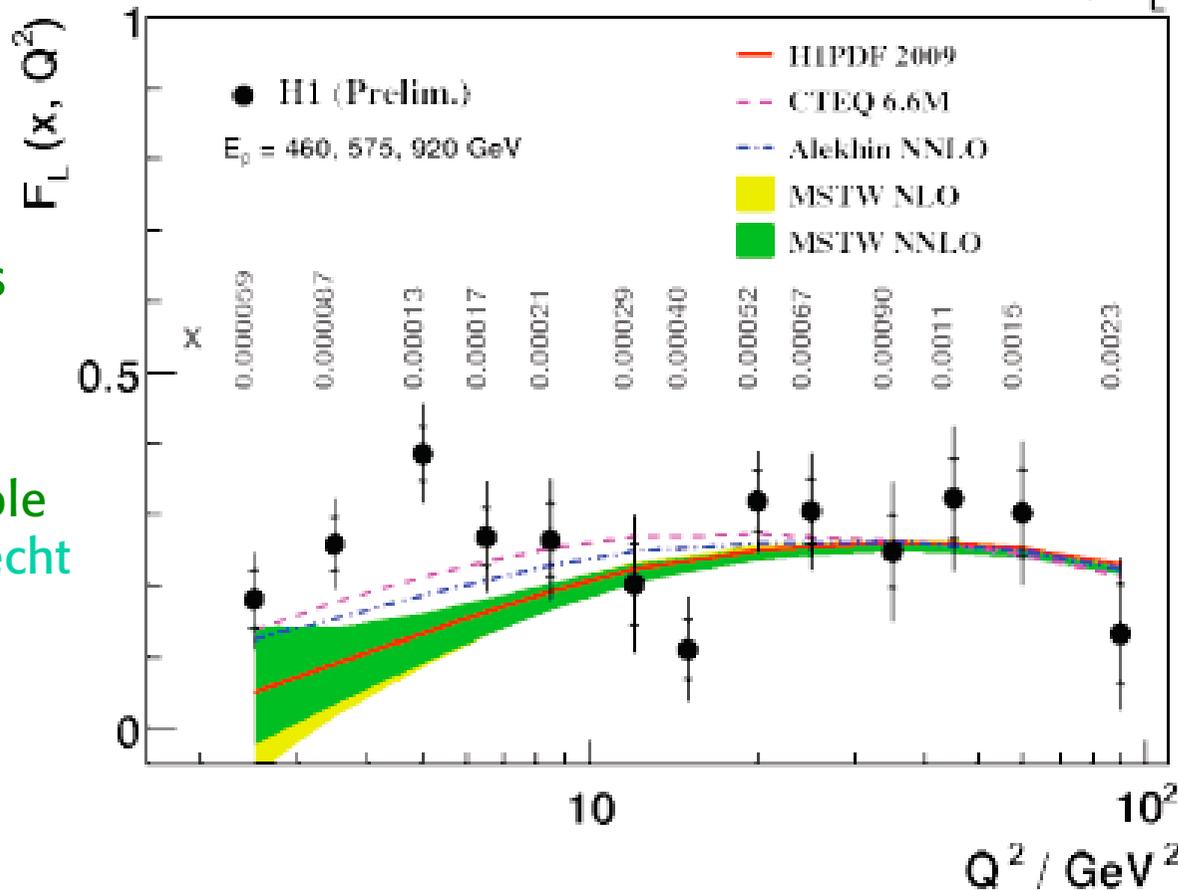
S. Glazov

H1 Preliminary  $F_L$

Another experimental highlight!

But better data would be highly desirable

Theory  
 BFKL corr's at small x  
 A. Stasto  
 Colour dipole  
 D. Schildknecht

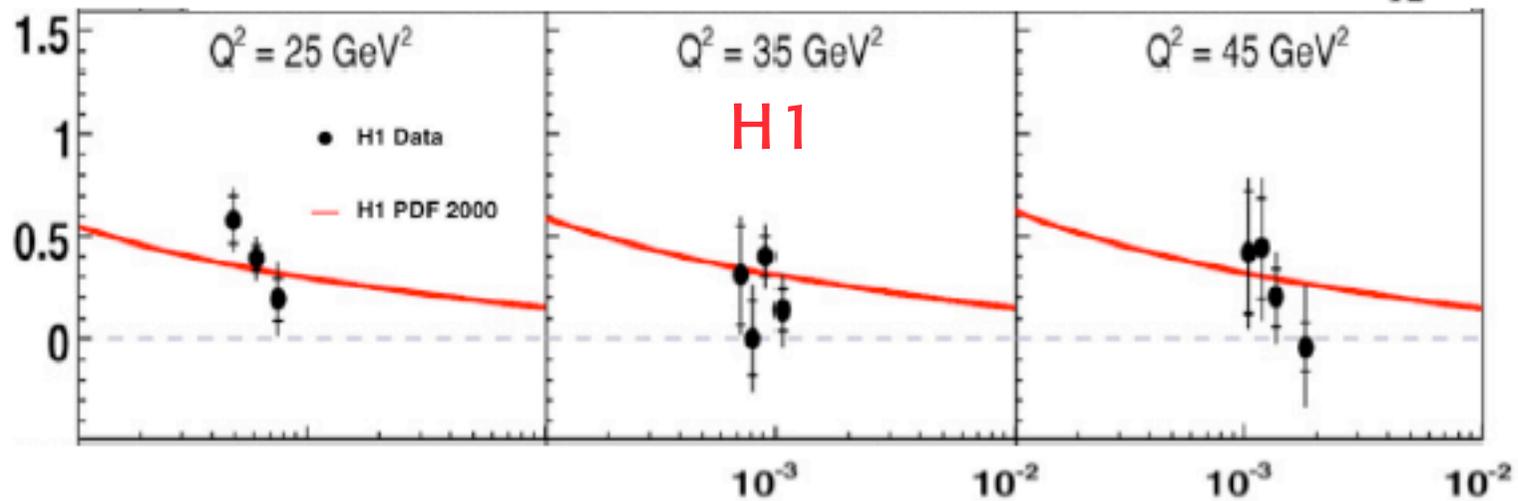
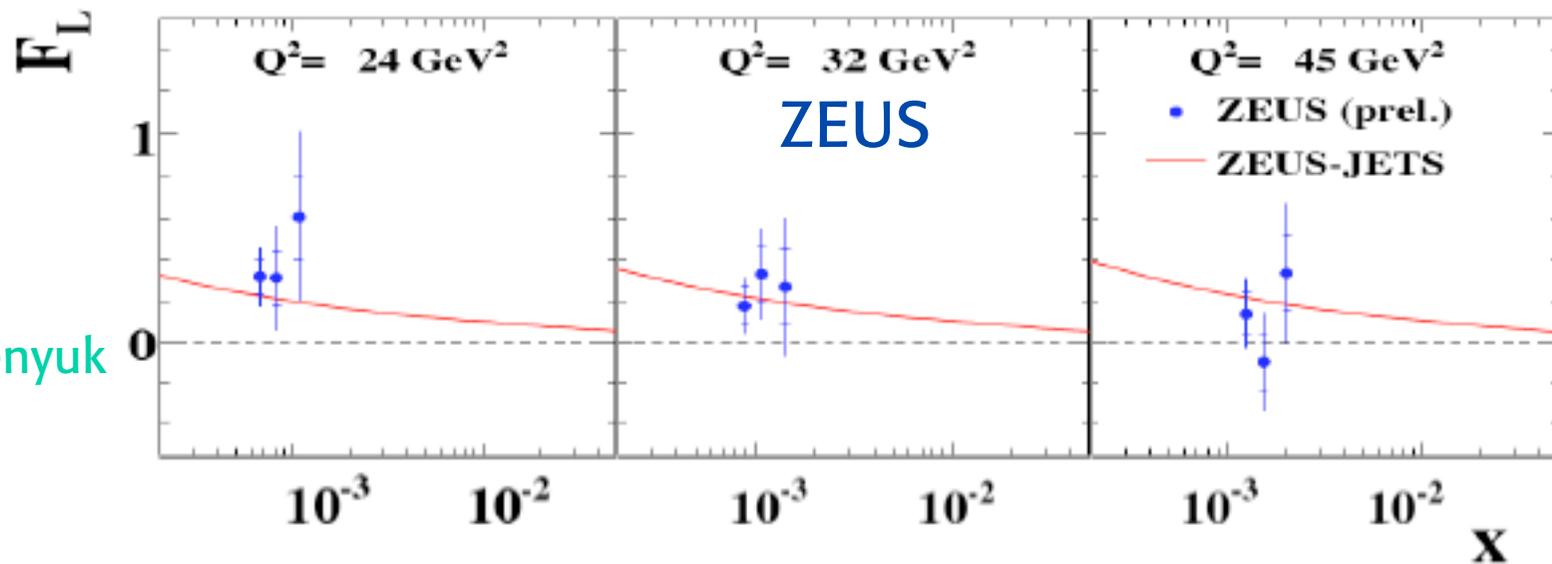


Altarelli, Martinelli '78

$$\oplus \quad F_L(x, Q^2) = \frac{\alpha_s(Q^2)}{2\pi} x^2 \int_x^1 \frac{dy}{y^3} \left[ \frac{8}{3} F_2(y, Q^2) + \frac{40}{9} y g(y, Q^2) \left(1 - \frac{x}{y}\right) \right]_{n_f=4}$$

# New data on $F_L$ at small $x$ presented here

J. Grebenyuk



# Polarized Structure Functions

A subject where our knowledge is still far from satisfactory

Who carries the proton spin?

$$\frac{1}{2}\Delta\Sigma + \Delta g + \Delta L_z = \frac{1}{2}$$

typically  $\Delta\Sigma_{\text{exp}} \sim 0.24$

What is missing must be either  $\Delta g + \Delta L_z$  or  $\Delta\Sigma$  terms at small  $x$   
(below the measured range)

E-C. Aschenauer  
M. Stratmann



F. Taghavi

First moments

$$\Delta q \equiv \Delta q + \Delta \bar{q}$$

$$a_3 = \Delta u - \Delta d = (F + D)(1 + \varepsilon_2) = 1.269 \pm 0.003$$

 SU(2) breaking

$$a_8 = \Delta u + \Delta d - 2\Delta s = (3F - D)(1 + \varepsilon_3) = 0.586 \pm 0.031$$

 SU(3) breaking

$$\Gamma_1 = \int dx g_1(x) = \frac{1}{12} \left[ a_3 + \frac{1}{3} (a_8 + 4a_0) \right]$$

From  $\Gamma_1$  we get  $a_0$

$$a_0 \equiv \Delta \Sigma = \Delta u + \Delta d + \Delta s = a_8 + 3\Delta s \approx 0.24 \quad \text{at } Q^2 = 1 \text{ GeV}^2$$



for  $\varepsilon_2, \varepsilon_3 = 0$

$$\Delta u \approx 0.81$$

$$\Delta d \approx -0.46$$

$$\Delta s \approx -0.12$$

This is a strong result!

Given  $F, D$  and  $\Gamma_1$  we

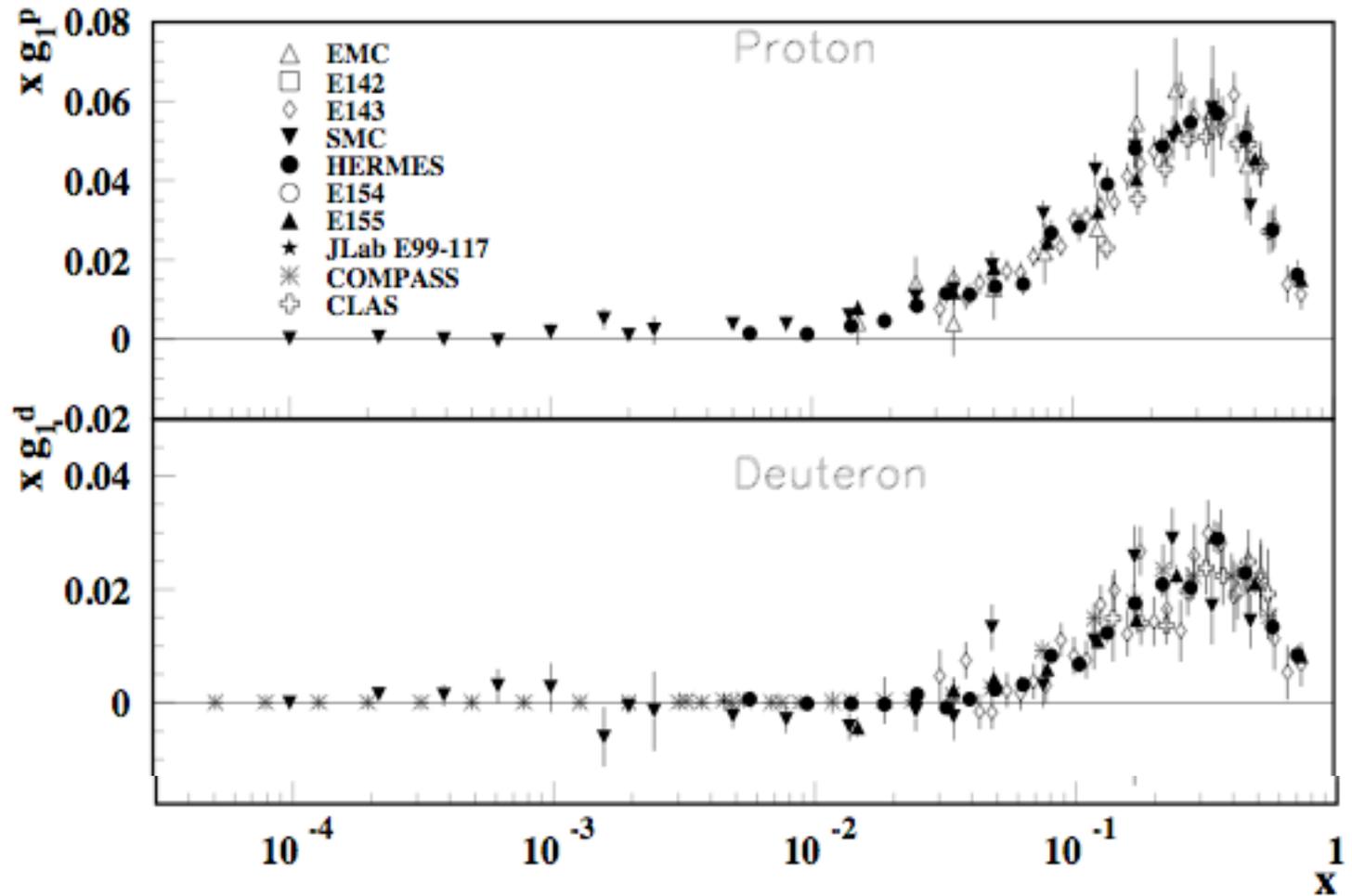
know  $\Delta u, \Delta d, \Delta s, \Delta \Sigma$

in the SU(3) limit



The 1st moment of  $g_1$  does not seem to get much at small  $x$

Theory: Ermolaev, Greco, Troyan



From  $\Gamma_1$  on deuterium COMPASS finds  $\Delta s = -0.09 \pm 0.01 \pm 0.02$   
while from SIDIS  $\Delta s = -0.02 \pm 0.02 \pm 0.02$

H. Santos



In massless QCD in perturbation theory at LO:

- $\Delta\Sigma$  is conserved
- $\Delta g \sim 1/\alpha_s(Q^2) \sim \log Q^2$
- $\Delta g + \Delta L_z$  is conserved

$$\frac{1}{2}\Delta\Sigma + \Delta g + \Delta L_z = \frac{1}{2}$$

$\underbrace{\sim 0.12 \quad \log Q^2 \quad \log Q^2}_{\text{const}}$

while at NLO

- $\Delta\Sigma'$  is conserved:  $\Delta\Sigma = \Delta\Sigma' - N_f \frac{\alpha_s(Q^2)}{2\pi} \Delta g$

In principle the gluon could explain the smallness of  $\Delta\Sigma$

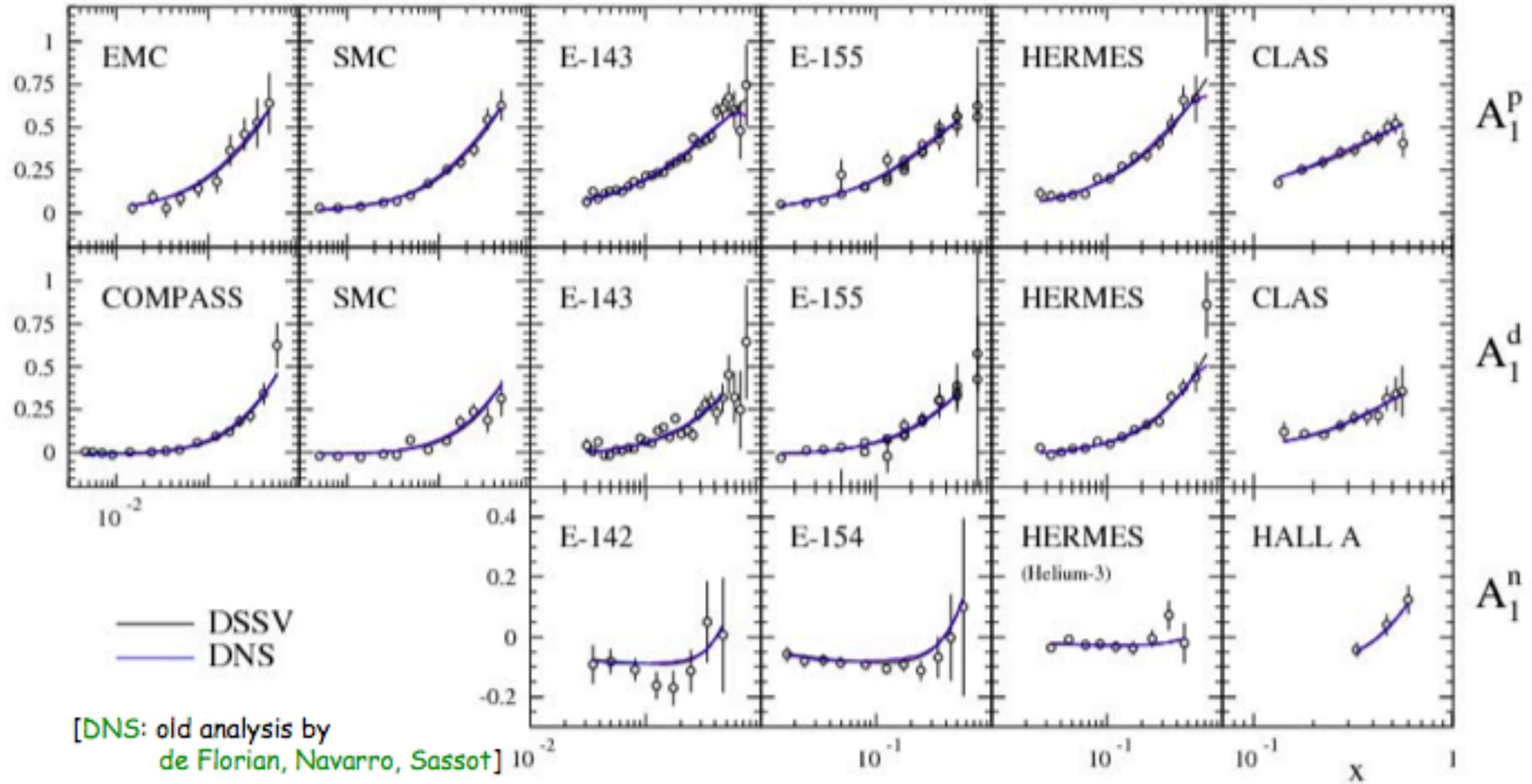
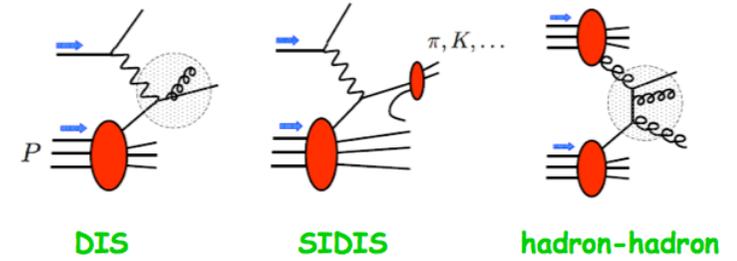
$\Delta g$  measured indirectly from scaling violations, directly from asymmetries, e.g. in cc production

Existing direct measurements HERMES, COMPASS, CLAS, RHIC still very crude. No hint of large  $\Delta g$  at large x.

⊕ Note that it is unnatural that  $\Delta g < \sim 0.2$

A beautiful set of data

# spin asymmetries in inclusive DIS

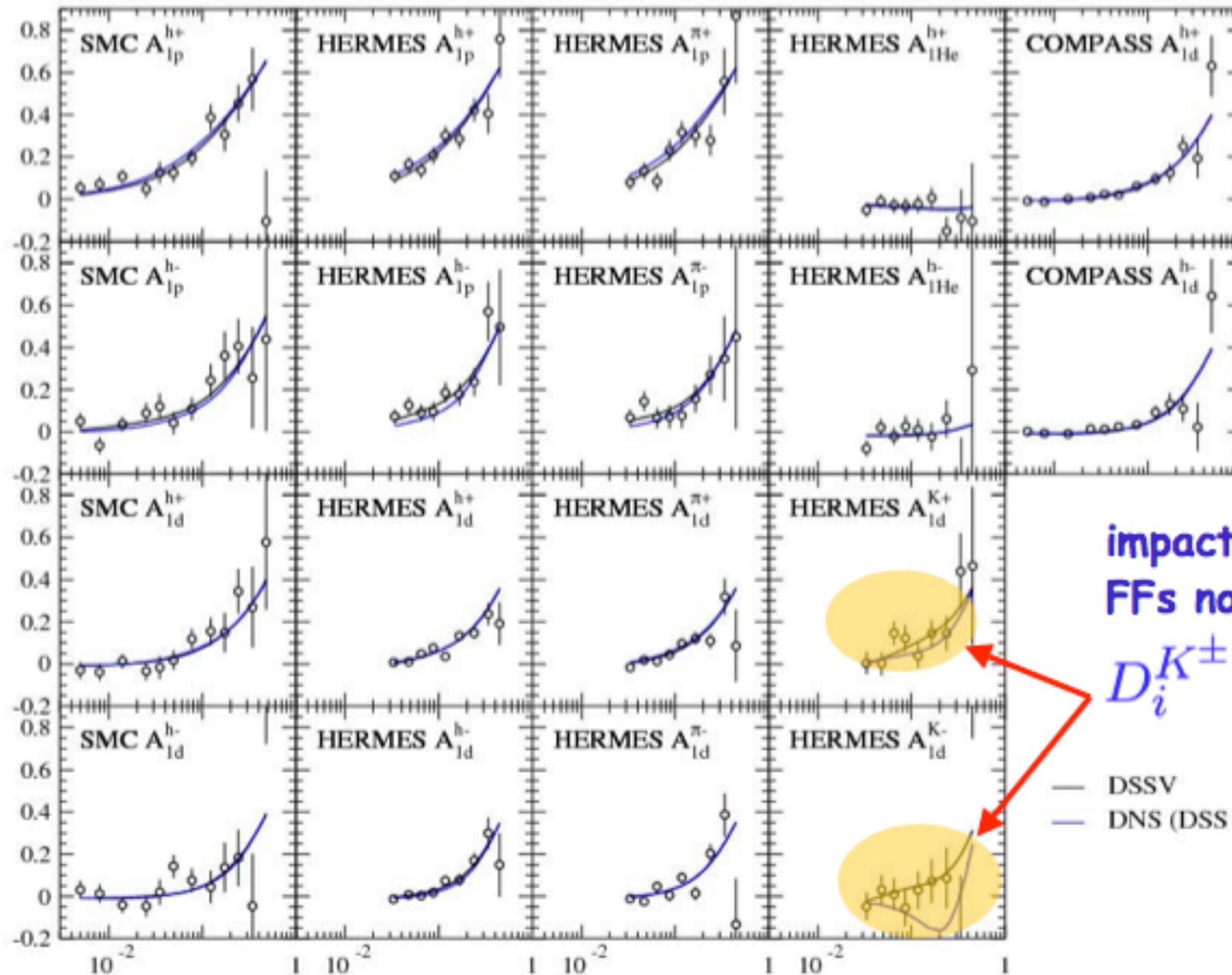
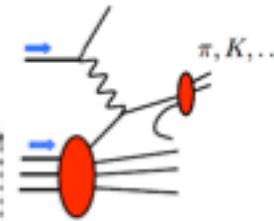


U. D'Alesio

M. Stratmann  
E-C. Aschenauer



# spin asymmetries in semi-inclusive DIS



impact of new FFs noticeable!

$$D_i^{K^\pm}$$

— DSSV  
— DNS (DSS FFs)

R. Sassot

E. Boglione



## The fit to all data leads to puzzling results

Tension between the 1st moments from SU(3) and from fitting the actual data ( $x > 0.001$ ) which fix the moments only thru a possibly too rigid parametrization assumed

de Florian et al '08

TABLE II: First moments  $\Delta f_j^{1, [x_{\min}^{-1}]}$  at  $Q^2 = 10 \text{ GeV}^2$ .

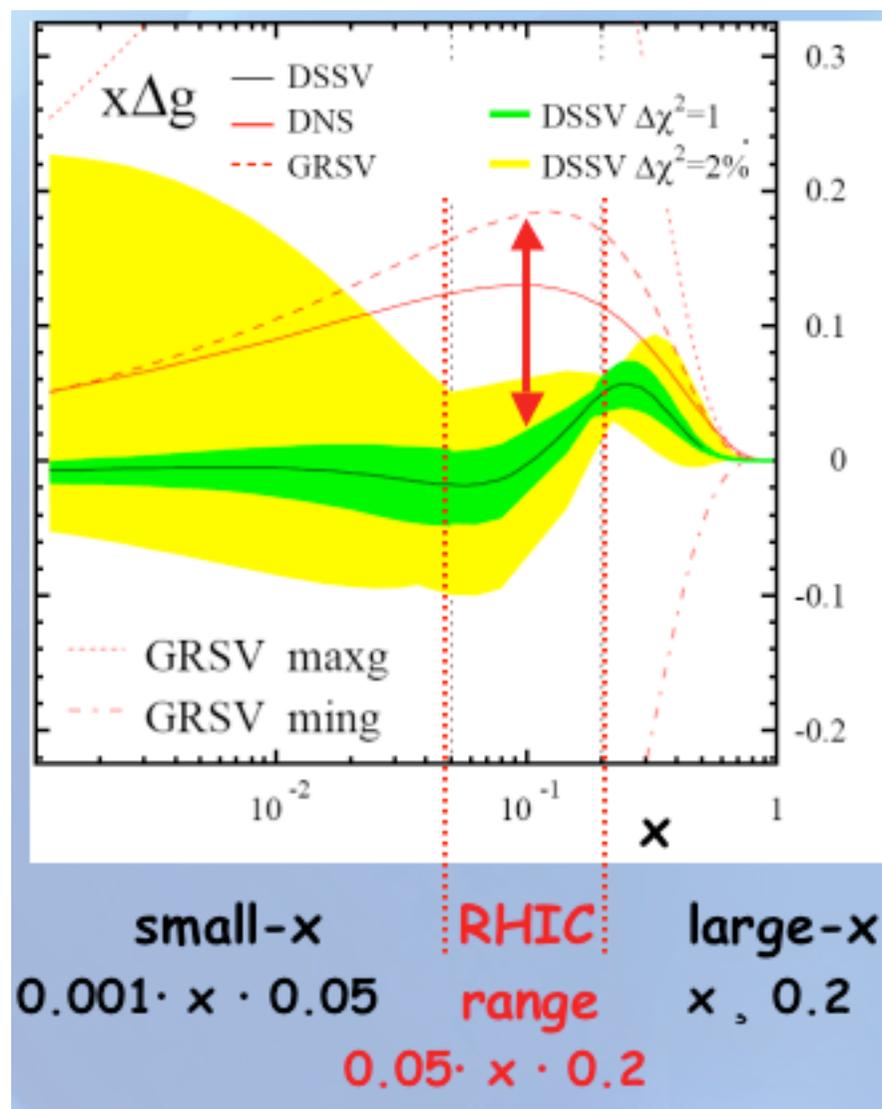
	$x_{\min} = 0$	$x_{\min} = 0.001$	
	best fit	$\Delta\chi^2 = 1$	$\Delta\chi^2/\chi^2 = 2\%$
$\Delta u + \Delta \bar{u}$	0.813	0.793 $^{+0.011}_{-0.012}$	0.793 $^{+0.028}_{-0.034}$
$\Delta d + \Delta \bar{d}$	-0.458	-0.416 $^{+0.011}_{-0.009}$	-0.416 $^{+0.035}_{-0.025}$
$\Delta \bar{u}$	0.036	0.028 $^{+0.021}_{-0.020}$	0.028 $^{+0.059}_{-0.059}$
$\Delta \bar{d}$	-0.115	-0.089 $^{+0.029}_{-0.029}$	-0.089 $^{+0.090}_{-0.080}$
$\Delta \bar{s}$	-0.057	-0.006 $^{+0.010}_{-0.012}$	-0.006 $^{+0.028}_{-0.031}$
$\Delta g$	-0.084	0.013 $^{+0.106}_{-0.120}$	0.013 $^{+0.702}_{-0.314}$
$\Delta \Sigma$	0.242	0.366 $^{+0.015}_{-0.018}$	0.366 $^{+0.042}_{-0.062}$

SU(3)

Parametrization?  
Recall NNPDF  $s_+$   
The error from small  $x$   
probably large

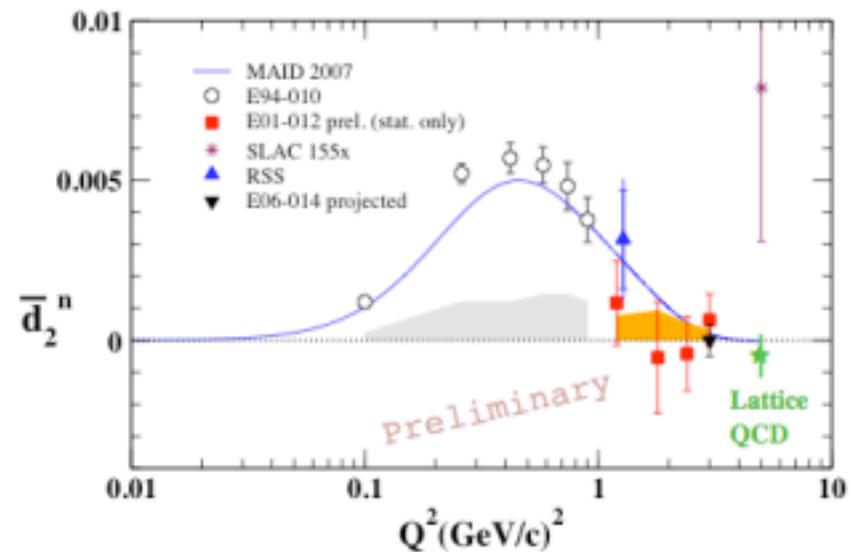
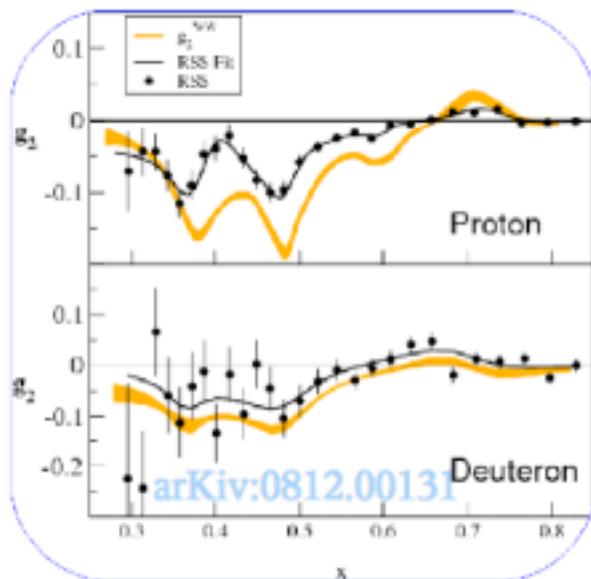
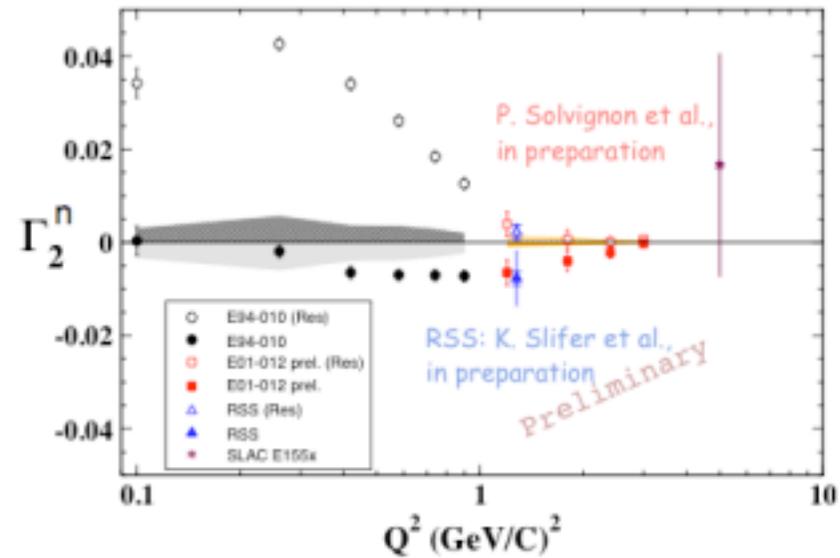
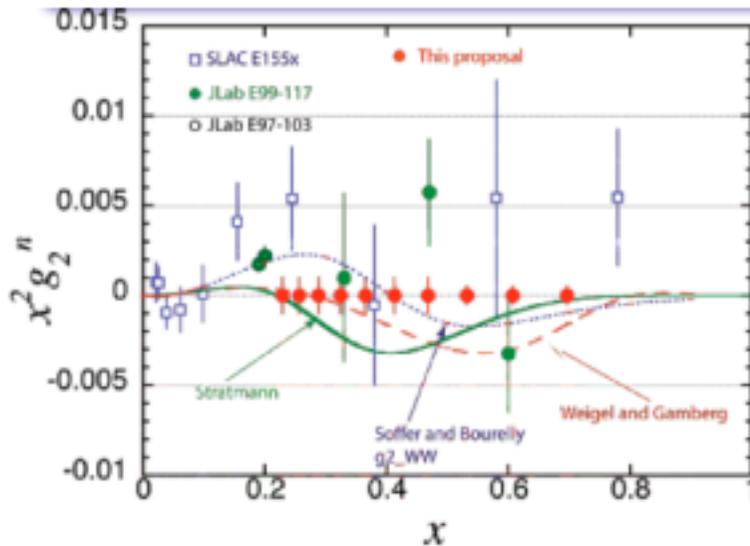
Kaon SIDIS fixes  
 $\Delta s$  but is  
questionable





# Data on $g_2$ support the BC sum rule and show departures from the WW sum rule

S. Kuhn

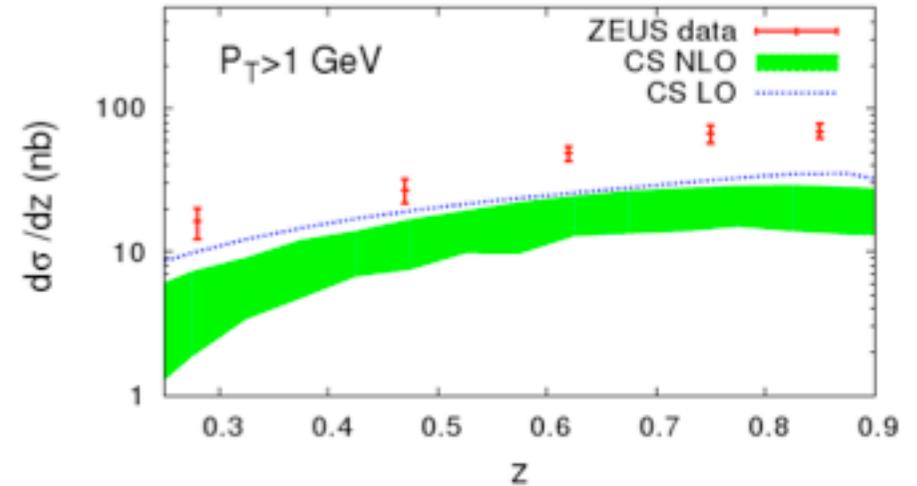
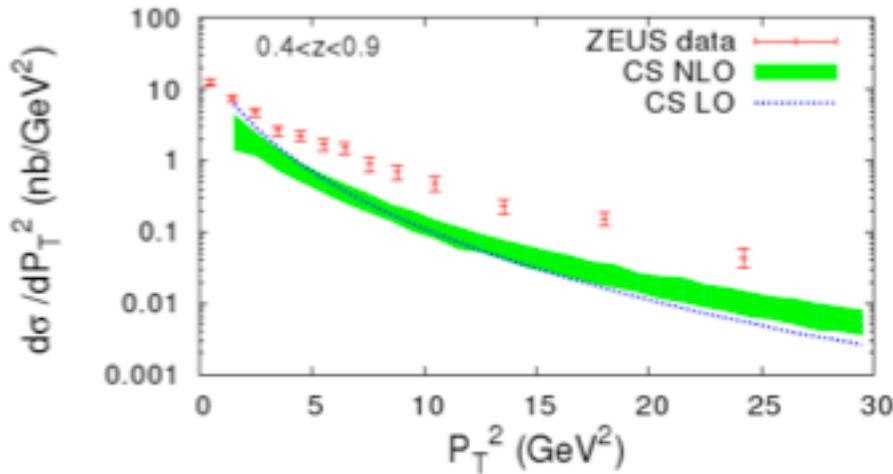


# J/ $\Psi$ production at HERA. NLO QCD colour singlet model fails

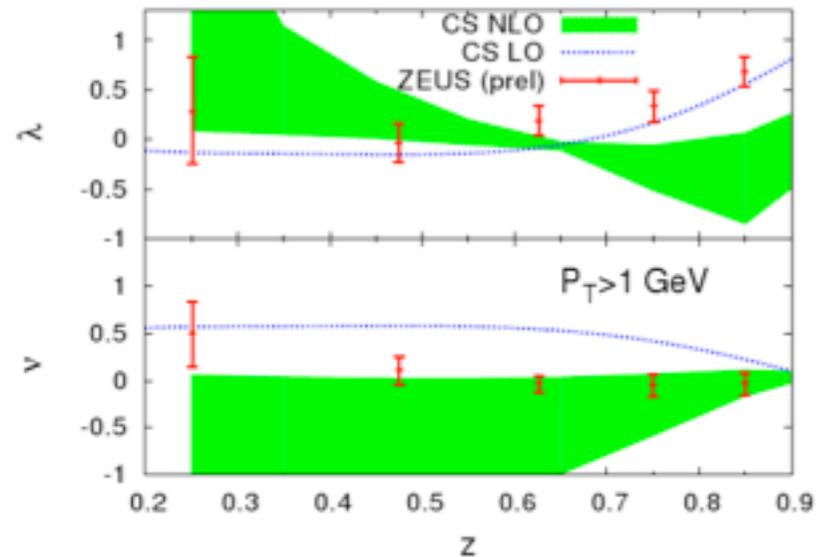
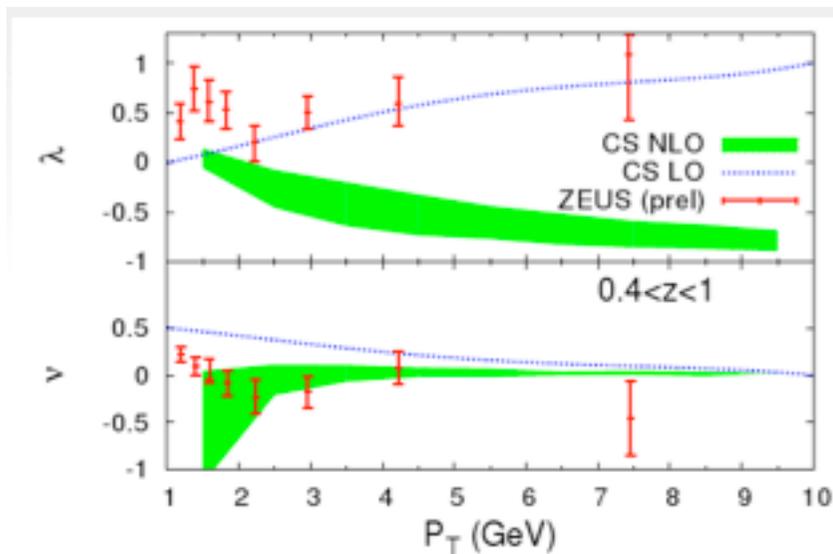
Should we worry? Probably not but interesting

P. Artoisenet, A. Bertolin  
P. Faccioli

Rate



Polarization



# What future for DIS and PDF's?

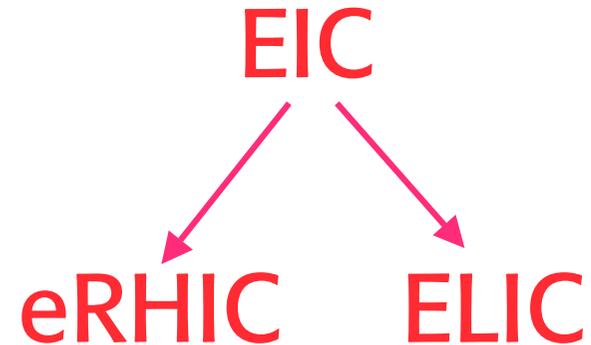
A. De Roeck

R. Ent, M. Guidal, C. Keppel, S. Liuti

- Jefferson Lab (12 GeV, ELIC?)
- Brookhaven (RHIC, eRHIC?)
- CERN (COMPASS, LHeC?)

A. Magnon

STAR&PHENIX W spin  
T. Kempel, J. Balewski



A. Deshpande

## Electron Ion Collider

- Lumi  $> 10^{33} \text{ cm}^{-2} \text{ sec}^{-1}$
- CM Energy 30-100 GeV
- Polarized protons & heavy ions (A=p-U)
- Science focus: QCD, EW(?) & Nucleon Spin

## Large Hadron e-Collider

- Lumi  $\sim 10^{33} \text{ cm}^{-2} \text{ sec}^{-1}$
- CM Energy 1.4 TeV
- Un-polarized protons and heavy ions (A=p-Pb)
- Science Focus: QCD, EW and BSM Physics

A. Caldwell  
M. Lamont  
E. Kinney  
C. Weiss



# LHeC

$$70 \text{ GeV } e^{\pm} \leftrightarrow 7 \text{ TeV } p \longrightarrow 2E_{\text{CM}} \sim 1.4 \text{ TeV}$$

compare with HERA  $2E_{\text{CM}} \sim 0.3 \text{ TeV}$

Luminosity  $\sim 10^{33} \text{ cm}^{-2}\text{s}^{-1}$  (3-30  $\text{fb}^{-1}$  per year)

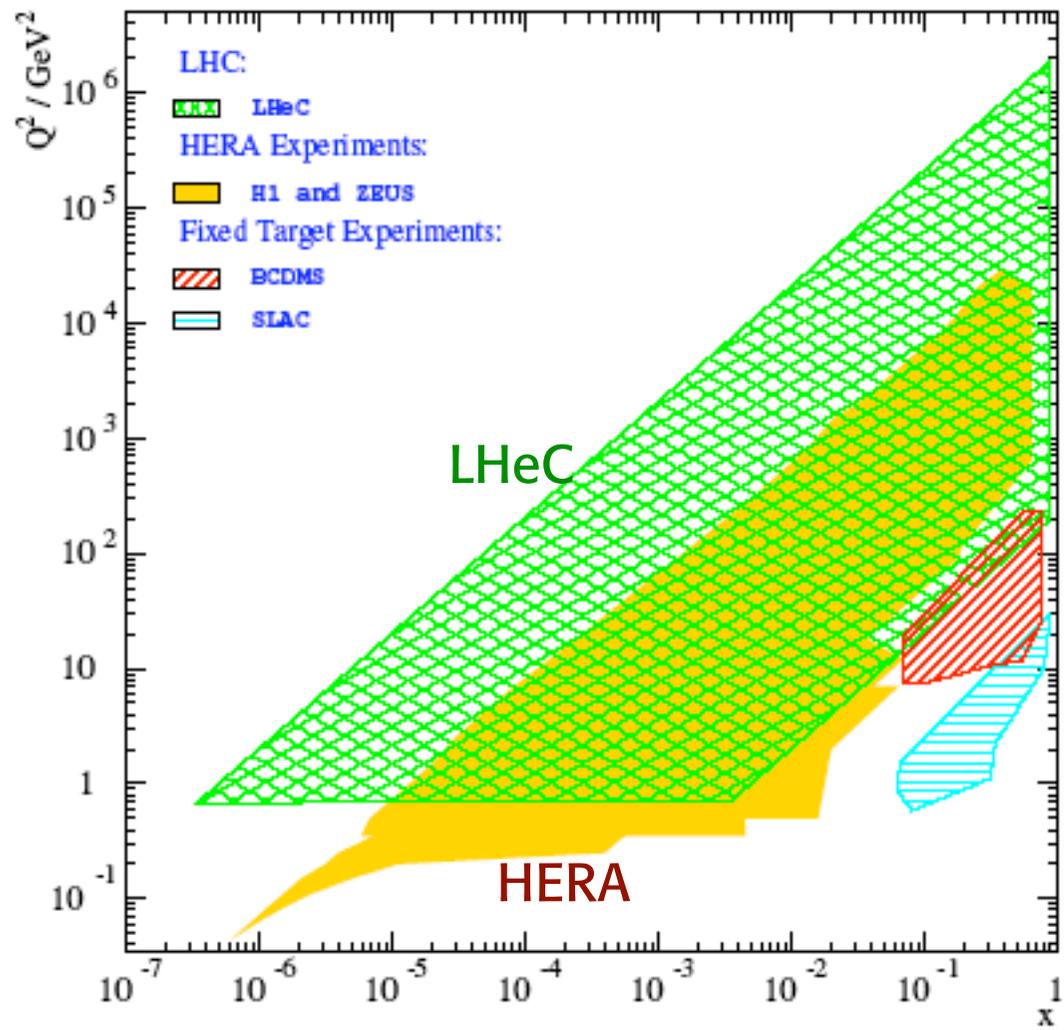
HERA  $\sim 0.12\text{-}0.3 \text{ fb}^{-1}$  per year

$\gamma$  of eP system:  $\gamma \sim E/m_{eP} \sim 5$

HERA  $\sim \gamma \sim 2.7$

$e^{\pm}$  polarization possible

⊕ Simultaneous running of eP with PP or eA with AA



# Broad physics goals

A. Stasto  
O. Behnke, C. Gwenlan  
U. Klein  
J. Rojo

- Proton structure and precision QCD physics in the domain of  $x$  and  $Q^2$  of LHC experiments
- Small- $x$  physics in eP and eA collisions
- Probing the  $e^\pm$ -quark system at  $\sim$ TeV energy  
eg leptoquarks, excited  $e^*$ 's, mirror e,  
SUSY with no R-parity.....
- Searching for new EW currents  
eg RH  $W$ 's,  
effective eeqq contact interactions...



## ACCELERATORS

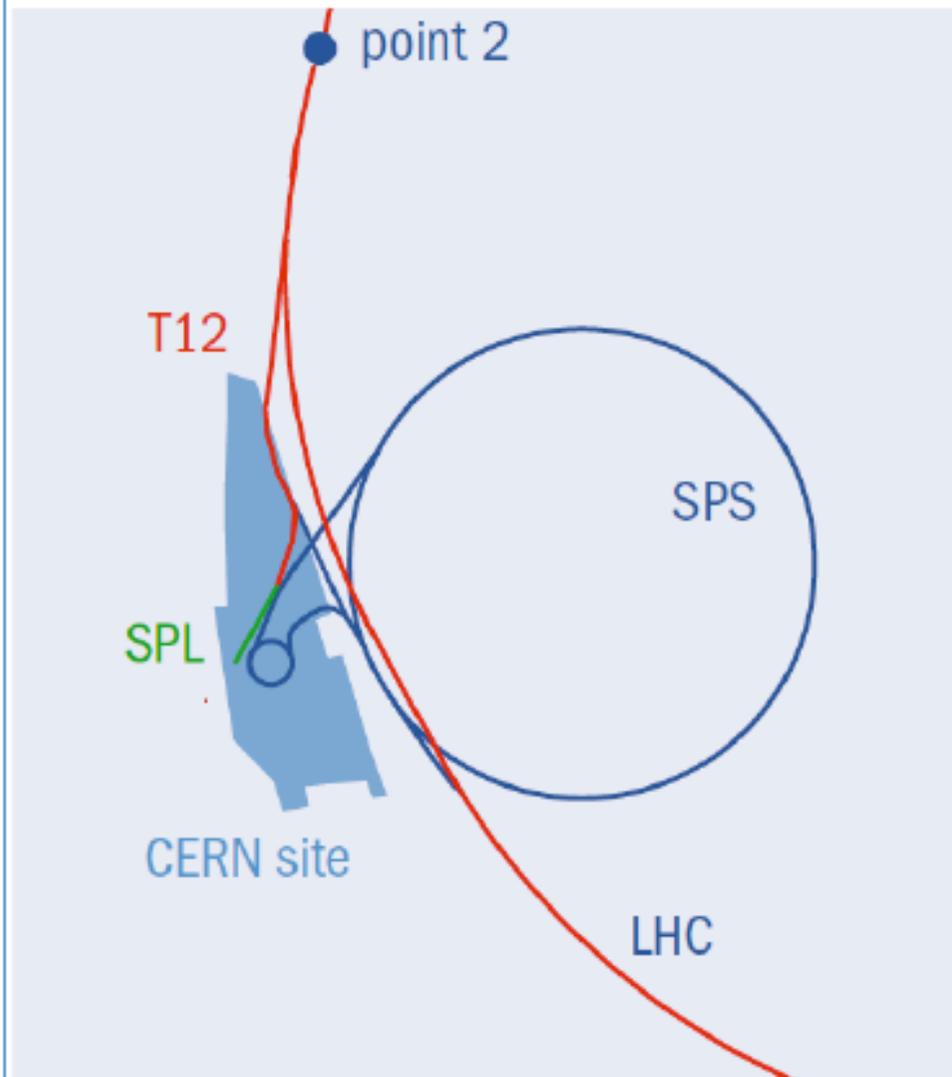


Fig. 4. Sketch of a possible layout to inject an electron beam into the LHC ring, using the SPL and the T12 connection to the LHC tunnel.

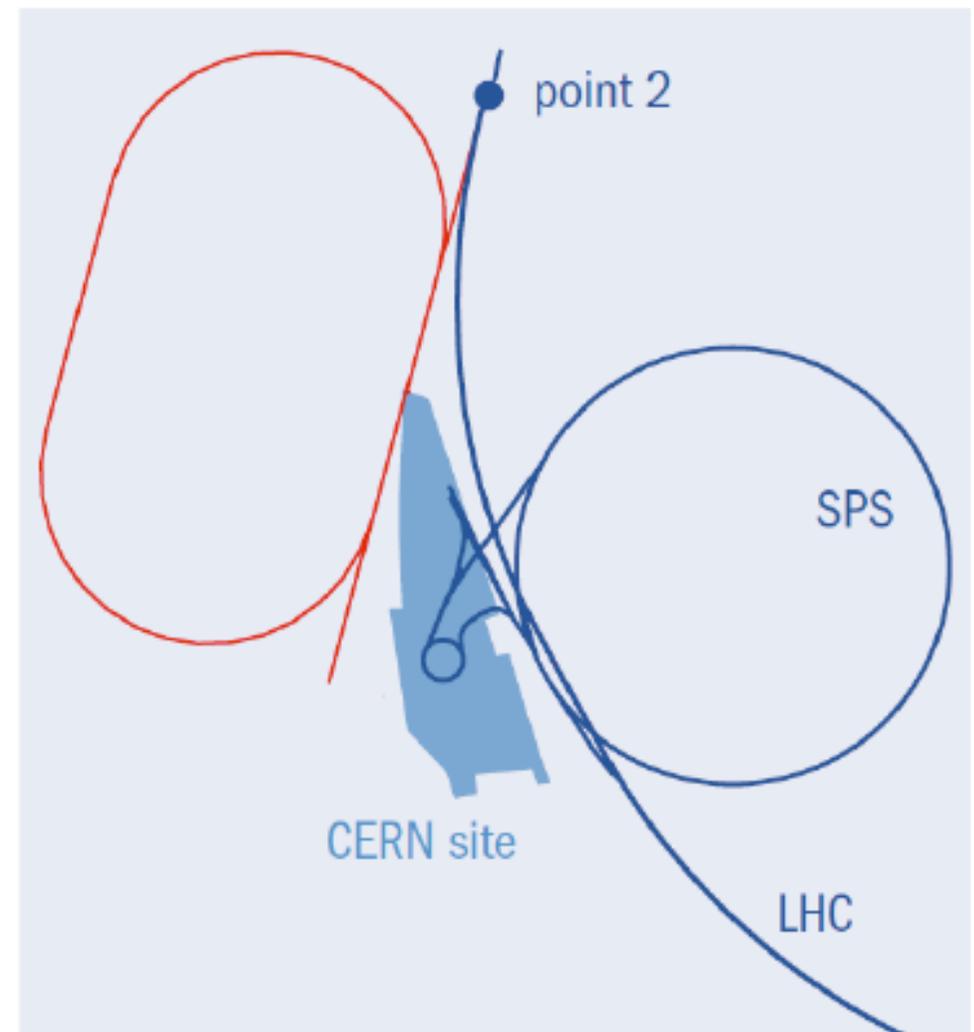


Fig. 5. A possible layout in which an electron linac arrives tangentially to the LHC, after multiple passes around a "racetrack" that makes full use of the linac accelerating structures.

# Conceptual Design Report Large Hadron Electron Collider (LHeC) at CERN

M. Klein

DRAFT - February 2009

## 1. Introduction

## 2. Particle Physics and Deep Inelastic Lepton-Nucleon Scattering

1. DIS from 1 to 100 GeV
2. Status of the Exploration of Nucleon Structure
3. Tera Scale Physics

## 3. The Physics Programme of the LHeC

1. New Physics at Large Scales
2. Precision QCD and Electroweak Physics
3. Physics at High Parton Densities

## 4. Design Considerations

1. Acceptance and Kinematics
2. A Series of Measurements
3. Compatibility with the LHC
4. Proton, Deuteron and Ion Beams

## 5. A Ring-Ring Collider Concept

1. Injector
2. Lepton Ring
3. Synchrotron Radiation
4. Interaction Region
5. Installation
6. Infrastructure and Cost

## 6. A Linac-Ring Collider Concept

1. Electron and Positron Sources, Polarisation
2. Linac
3. Interaction Region
4. Beam Dump
5. Infrastructure and Cost

## 7. A Detector for the LHeC

1. Dimensions and General Requirements
2. Coil
3. Calorimeters
4. Tracking
5. Options for the Inner Detector Region
6. Detector Simulation and Performance

## 8. Summary

1. Physics Highlights
2. Parameters
3. Concluding Remarks

## Appendix

1. Tasks for a TDR
2. Building and Operating the LHeC



## Conclusion

- Very interesting data are still coming out from DIS experiments
- Many problems and challenging goals remain
- The continuation of experiment and theory in this domain is well motivated also in view of the LHC



## Conclusion

- Very interesting data are still coming out from DIS experiments
- Many problems and challenging goals remain
- The continuation of experiment and theory in this domain is well motivated also in view of the LHC

It is with great pleasure that, on behalf of all participants, I thank the Organizers who have done a really great job. This very efficient Palacio de Congresos is an ideal venue and the splendid town of Madrid a very exciting background

