



Influence of jets on femtoscopic correlation radii in ultrarelativistic heavy ion collisions

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- HYDJET++ heavy ion event generator: physics frames
- Hadron production and correlation radii at RHIC
- Hadron production and correlation radii at LHC
- Outlook



HYDJET++ Monte-Carlo model for relativistic heavy ion collisions

HYDJET++ - event generator to simulate heavy ion event as merging two independent components (continuation of **HYDJET**):
soft hydro-type part (adapted **FAST MC** code) +
hard multi-parton part (**PYQUEN** partonic energy loss model, medium-modified **PYTHIA**)
first version 2.0 (September 2008)
latest version 2.1 (September 2009)

<http://cern.ch/lokhtin/hydjet++>

I.Lokhtin, L.Malinina, S.Petrushanko, A.Snigirev, I.Arsene, K.Tywoniuk,
Computing Physics Communications 180 (2009) 779



HYDJET & HYDJET++ (HYDroynamics + JETs)

Calculating the number of hard NN sub-collisions $N_{jet}(b, P_{tmin}, \sqrt{s})$ with $P_t > P_{tmin}$ around its mean value according to the binomial distr.
Selecting the type (for each of N_{jet}) of hard NN sub-collisions (pp , np or nn) depending on number of protons (Z) and neutrons ($A-Z$) in nucleus A according to the formula: $Z = A / (1.98 + 0.015A^{2/3})$
Generating the hard part by calling PYTHIA/PYQUEN n_{jet} times
If nuclear shadowing is switched on, the correction for PDF in nucleus is done by the accepting/rejecting procedure for each of N_{jet} hard NN sub-collisions: by comparison of random number generated uniformly in the interval $[0,1]$ with shadowing factor $S \leq 1$, which is taken from the adapted impact parameter dependent parameterization based on Glauber-Gribov theory (*K.Tywoniuk et al., Phys. Lett. B 657 (2007) 170*).
Generating the soft part according to the corresponding “thermal” model (for $b \neq 0$ mean **multiplicity** is proportional to # of N-participants)
Junction of two independent event outputs (hard & soft) to **event record**



HYDJET++ (hard): PYQUEN (PYthia QUENched)

Initial parton configuration

PYTHIA6.4 w/o hadronization: mstp(111)=0



Parton rescattering & energy loss (collisional, radiative) + emitted g
PYQUEN rearranges partons to update ns strings: ns call PYJOIN



Parton hadronization and final particle formation

PYTHIA6.4 with hadronization: call PYEXEC

Three model parameters: initial QGP temperature T_0 , QGP formation time τ_0 and number of active quark flavors in QGP N_f (+ minimal p_T of hard process **Ptmin**)

I.P.Lokhtin, A.M.Snigirev, Eur. Phys. J. 45 (2006) 211



HYDJET++ (hard): physics frames

General kinetic integral equation:

$$\Delta E(L, E) = \int_0^L dx \frac{dP}{dx}(x) \lambda(x) \frac{dE}{dx}(x, E), \quad \frac{dP}{dx}(x) = \frac{1}{\lambda(x)} \exp(-x/\lambda(x))$$

1. Collisional loss and elastic scattering cross section:

$$\frac{dE}{dx} = \frac{1}{4\pi\lambda\sigma} \int_{\mu_D^2}^{t_{max}} dt \frac{d\sigma}{dt} t, \quad \frac{d\sigma}{dt} \simeq C \frac{2\pi\alpha_s^2(t)}{t^2}, \quad \alpha_s = \frac{12\pi}{(33-2N_f)\ln(t/\Lambda_{QCD}^2)}, \quad C = 9/4(gg), 1(gq), 4/9(qq)$$

2. Radiative loss (BDMS):

$$\frac{dE}{dx}(m_q=0) = \frac{2\alpha_s C_F}{\pi\tau_L} \int_{E_{LPM} \sim \lambda_g \mu_D^2}^E d\omega \left[1 - y + \frac{y^2}{2} \right] \ln |\cos(\omega_1 \tau_1)|, \quad \omega_1 = \sqrt{i \left(1 - y + \frac{C_F}{3} y^2 \right) \bar{k} \ln \frac{16}{\bar{k}}}, \quad \bar{k} = \frac{\mu_D^2 \lambda_g}{\omega(1-y)}, \quad \tau_1 = \frac{\tau_L}{2\lambda_g}, \quad y = \frac{\omega}{E}, \quad C_F = \frac{4}{3}$$

“dead cone” approximation for massive quarks:

$$\frac{dE}{dx}(m_q \neq 0) = \frac{1}{(1+(l\omega)^{3/2})^2} \frac{dE}{dx}(m_q=0), \quad l = \left(\frac{\lambda}{\mu_D^2} \right)^{1/3} \left(\frac{m_q}{E} \right)^{4/3}$$



HYDJET++ (hard): partonic energy loss MC procedure

Distribution over jet production vertex $V(r \cos \psi, r \sin \psi)$ at im.p. b

$$\frac{dN}{d\psi dr}(b) = \frac{T_A(r_1)T_A(r_2)}{\int_0^{2\pi} d\psi \int_0^{r_{\max}} r dr T_A(r_1)T_A(r_2)}$$

Transverse distance between parton scatterings $l_i = (\tau_{i+1} - \tau_i) E/p_T$

$$\frac{dP}{dl_i} = \lambda^{-1}(\tau_{i+1}) \exp\left(-\int_0^{l_i} \lambda^{-1}(\tau_i + s) ds\right), \quad \lambda^{-1} = \sigma \rho$$

Radiative and collisional energy loss per scattering

$$\Delta E_{tot,i} = \Delta E_{rad,i} + \Delta E_{col,i}$$

Transverse momentum kick per scattering

$$\Delta k_{t,i}^2 = \left(E - \frac{t_i}{2m_{0i}}\right)^2 - \left(p - \frac{E}{p} \frac{t_i}{2m_{0i}} - \frac{t_i}{2p}\right)^2 - m_q^2$$



HYDJET++ (soft): physics frames

Soft (hydro) part of HYDJET++ is based on the adapted FAST MC model:

Part I: N.S.Amelin, R.Lednisky, T.A.Pocheptsov, I.P.Lokhtin, L.V.Malinina, A.M.Snigirev, Yu.A.Karpenko, Yu.M.Sinyukov, Phys. Rev. C 74 (2006) 064901

Part II: N.S.Amelin, R.Lednisky, I.P.Lokhtin, L.V.Malinina, A.M.Snigirev, Yu.A.Karpenko, Yu.M.Sinyukov, I.C.Arsene, L.Bravina, Phys. Rev. C 77 (2008) 014903

- ✓ fast HYDJET-inspired MC procedure for soft hadron generation
- ✓ multiplicities are determined assuming thermal equilibrium
- ✓ hadrons are produced on the hypersurface represented by a parameterization of relativistic hydrodynamics with given freeze-out conditions
- ✓ chemical and kinetic freeze-outs are separated
- ✓ decays of hadronic resonances are taken into account (360 particles from SHARE data table) with "home-made" decayer
- ✓ written within ROOT framework (C++)
- ✓ contains 15 free parameters (but this number may be reduced to 9)



HYDJET++ (soft): main physics assumptions

A hydrodynamic expansion of the fireball is supposed **ends by a sudden system breakup** at given T and chemical potentials. Momentum distribution of produced hadrons keeps the thermal character of the equilibrium distribution.

Cooper-Frye formula:
$$p^0 \frac{d^3 N_i}{d^3 p} = \int_{\sigma(x)} d^3 \sigma_\mu(x) p^\mu f_i^{eq}(p^\nu u_\mu(x); T, \mu_i)$$

- FAST MC avoids straightforward 6-dimensional integration by using the special simulation procedure (like HYDJET): momentum generation in the rest frame of fluid element, then Lorentz transformation in the global frame \rightarrow uniform weights \rightarrow effective von-Neumann rejection-acceptance procedure.

Freeze-out surface parameterizations

1. The Bjorken model with hypersurface

$$\tau = (t^2 - z^2)^{1/2} = \text{const}$$

2. Linear transverse flow rapidity profile

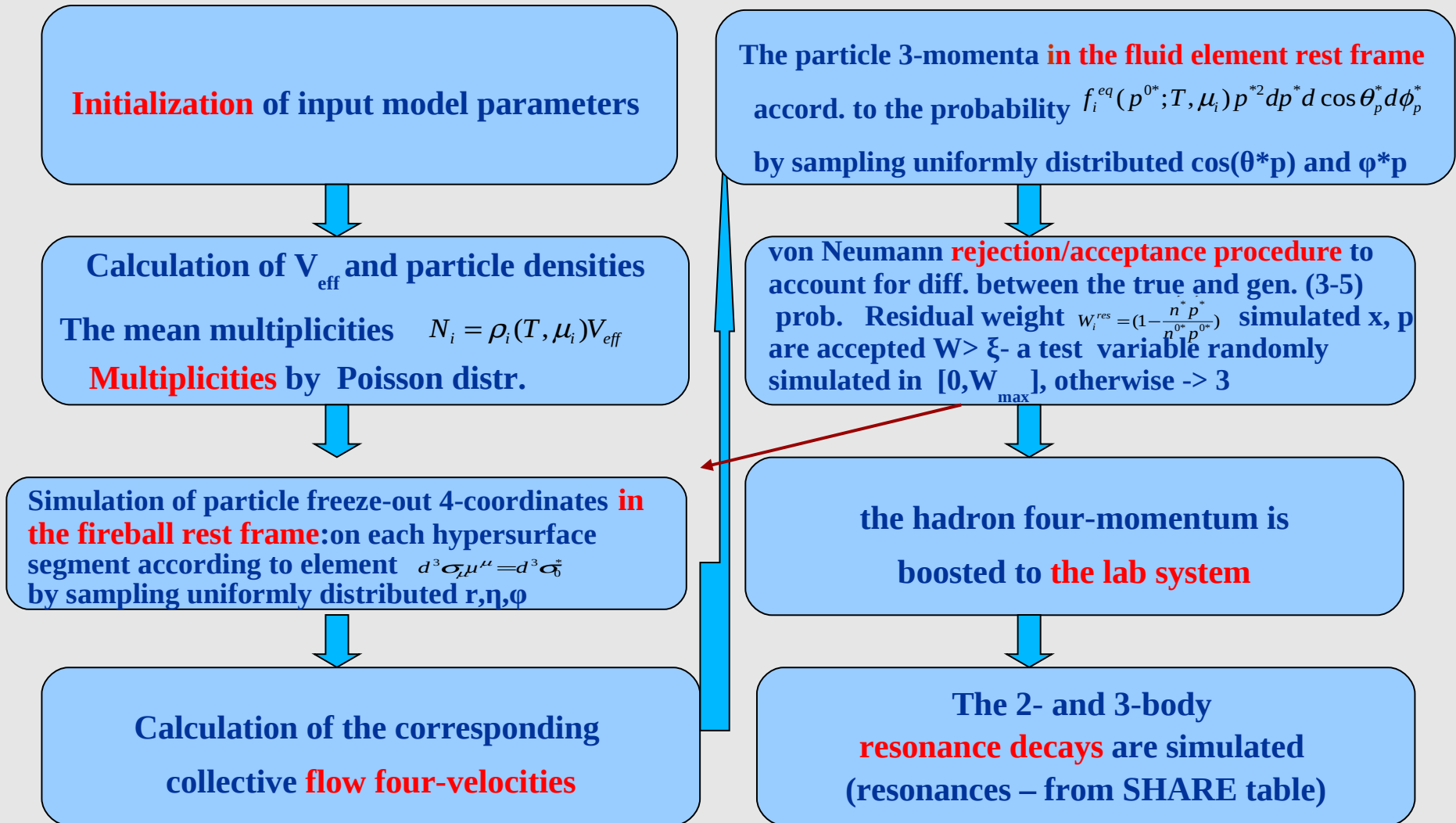
$$\rho_u = \frac{r}{R} \rho_u^{\max}$$

3. The total effective volume for particle production at

$$- V_{\text{eff}} = \int_{\sigma(x)} d^3 \sigma_\mu(x) u^\mu(x) = \tau \int_0^R \gamma_r r dr \int_0^{2\pi} d\phi \int_{\eta_{\min}}^{\eta_{\max}} d\eta = 2\pi \tau \Delta \eta \left(\frac{R}{\rho_u^{\max}} \right)^2 (\rho_u^{\max} \sinh \rho_u^{\max} - \cosh \rho_u^{\max} + 1)$$



HYDJET++ (soft): hadron generation MC procedure





HYDJET++ (soft): thermal and chemical freeze-outs

1. The particle densities at the chemical freeze-out stage are too high to consider particles as free streaming and to associate this stage with the thermal freeze-out
2. Within the **concept of chemically frozen evolution**, assumption of the conservation of the particle number ratios from the chemical to thermal freeze-out :

$$\frac{\rho_i^{eq}(T^{ch}, \mu_i^{ch})}{\rho_\pi^{eq}(T^{ch}, \mu_\pi^{ch})} = \frac{\rho_i^{eq}(T^{th}, \mu_i^{th})}{\rho_\pi^{eq}(T^{th}, \mu_\pi^{th})}$$

3. The absolute values $\rho_i^{eq}(T^{th}, \mu_i^{th})$ are determined by the choice of the **free parameter of the model: effective pion chemical potential** $\mu_\pi^{eff,th}$ at T^{th}
Assuming for the other particles (heavier than pions) the Boltzmann approximation :

$$\mu_i^{th} = T^{th} \ln \left(\frac{\rho_i^{eq}(T^{ch}, \mu_i^{ch})}{\rho_i^{eq}(T^{th}, \mu_i = 0)} \frac{\rho_\pi^{eq}(T^{th}, \mu_\pi^{eff,th})}{\rho_\pi^{eq}(T^{ch}, \mu_\pi^{ch})} \right)$$

Particles (stable, resonances) are generated on the **thermal freeze-out hypersurface**, the hadronic composition at this stage is defined by the parameters of the system at **chemical freeze-out**



HYDJET++ (soft): input parameters

1-5. Thermodynamic parameters at chemical freeze-out: T^{ch} , $\{\mu_B, \mu_S, \mu_C, \mu_Q\}$ (option to calculate T^{ch} , μ_B and μ_S using phenomenological parameterization $\mu_B(\sqrt{s})$, $T^{\text{ch}}(\mu_B)$ is foreseen).

6. Strangeness suppression factor $\gamma_S \leq 1$ (the option to use phenomenological parameterization $\gamma_S(T^{\text{ch}}, \mu_B)$ is foreseen).

7-8. Thermodynamical parameters at thermal freeze-out: T^{th} , and μ_π - effective chemical potential of positively charged pions.

9-11. Volume parameters at thermal freeze-out: proper time τ_f , its standard deviation (emission duration) $\Delta\tau_f$, maximal transverse radius R_f .

12. Maximal transverse flow rapidity at thermal freeze-out ρ_u^{max} .

13. Maximal longitudinal flow rapidity at thermal freeze-out η^{max} .

14. Flow anisotropy parameter: $\delta(\mathbf{b}) \rightarrow u^\mu = u^\mu(\delta(\mathbf{b}), \varphi)$

15. Coordinate anisotropy: $\epsilon(\mathbf{b}) \rightarrow R_f(\mathbf{b}) = R_f(0) [V_{\text{eff}}(\epsilon(0), \delta(0)) / V_{\text{eff}}(\epsilon(\mathbf{b}), \delta(\mathbf{b}))]^{1/2} [N_{\text{part}}(\mathbf{b}) / N_{\text{part}}(0)]^{1/3}$

For impact parameter range bmin-bmax: $V_{\text{eff}}(\mathbf{b}) = V_{\text{eff}}(0) N_{\text{part}}(\mathbf{b}) / N_{\text{part}}(0)$, $\tau_f(\mathbf{b}) = \tau_f(0) [N_{\text{part}}(\mathbf{b}) / N_{\text{part}}(0)]^{1/3}$



HYDJET++ : particle ratios at RHIC

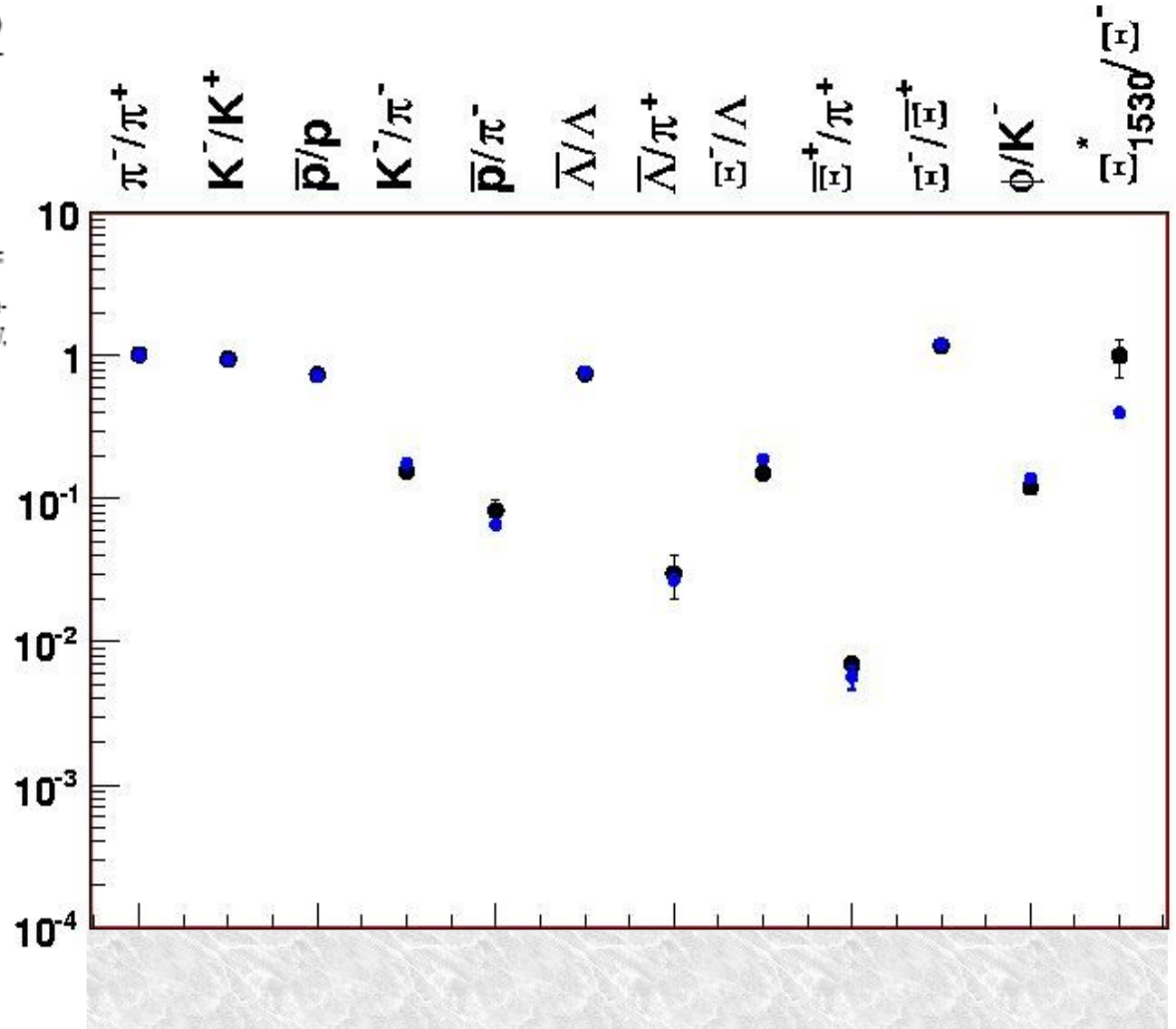
Parameter	$T^{\text{th}} = 0.165$	$T^{\text{th}} = 0.130$	$T^{\text{th}} = 0.100$
τ , fm/c	7.0	7.2	8.0
$\Delta\tau$, fm/c	2.0	2.0	2.0
$R(b=0)$, fm	9.0	9.5	10.0
$\rho_u^{\text{max}}(b=0)$	0.65	0.9	1.1
$\mu_\pi^{\text{eff, th}}$	0	0.10	0.11

Figure 1: Model parameters for central Au+Au collisions at $\sqrt{s_{NN}} = 200\text{GeV}$ for different thermal freeze-out temperatures T^{th} (GeV). Chemical freeze-out parameters are $T^{\text{ch}} = 0.165$ GeV, $\mu_B = 0.028\text{GeV}$, $\mu_S = 0.007\text{GeV}$ and $\mu_Q = -0.001$ GeV.

$T^{\text{ch}}=0.165$ GeV, $\mu_B=0.028$ GeV,
 $\mu_S=0.007$ GeV, $\mu_Q=-0.001$ GeV

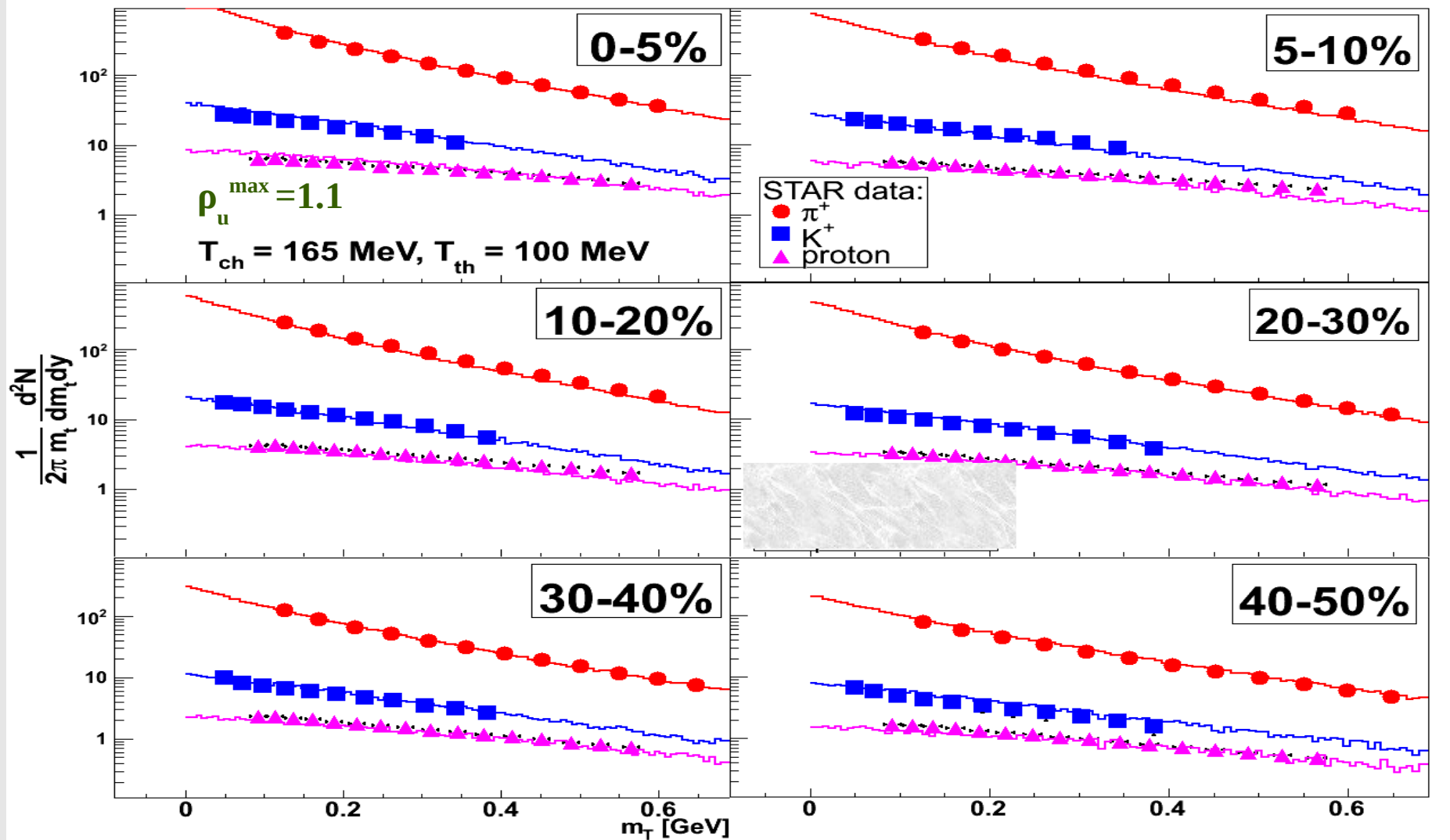
$T^{\text{th}}=0.100, 0.130, 0.165$ GeV

Particle number ratios near mid-rapidity in central Au Au collisions



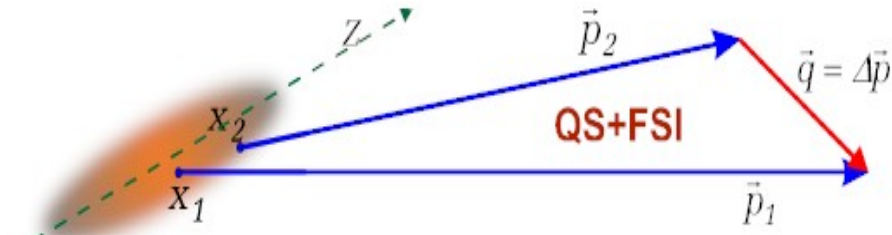


HYDJET++: radial flow at RHIC





HYDJET++: correlation radii at RHIC

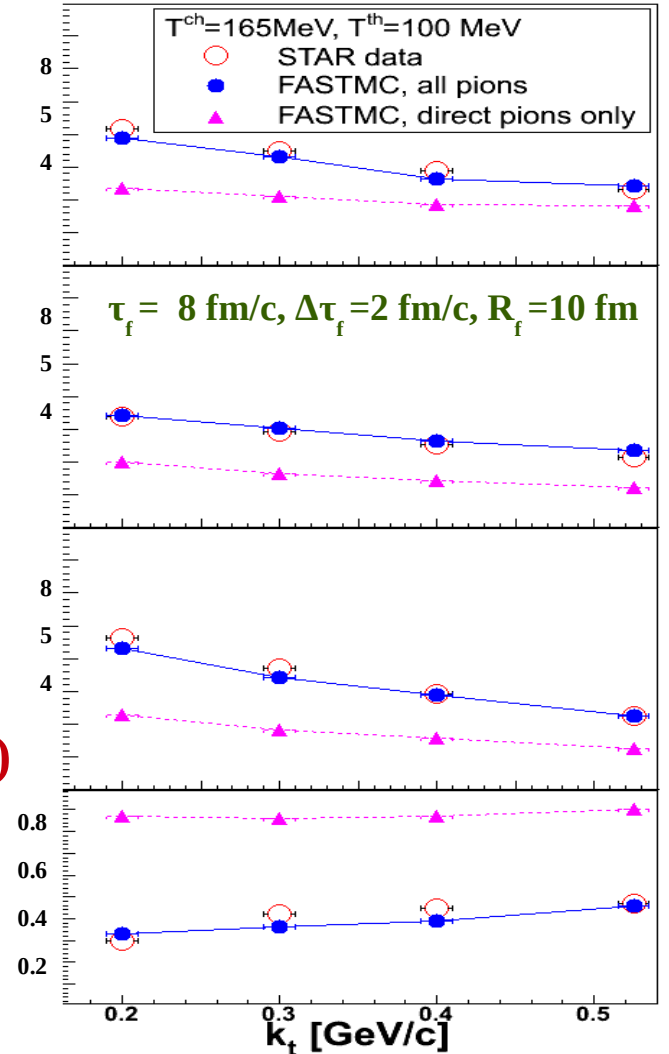
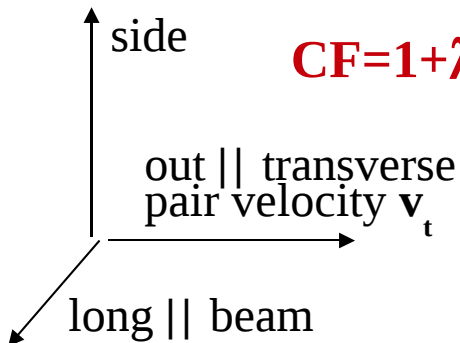


$$C(q) = \frac{N_2(k_1, k_2)}{N_1(k_1)N_2(k_2)} \rightarrow CF = N \frac{S(Q_{inv})}{B(Q_{inv})}$$

Weights for QS only: $P_{12} = C(q) = 1 + \langle \cos q \Delta x \rangle$

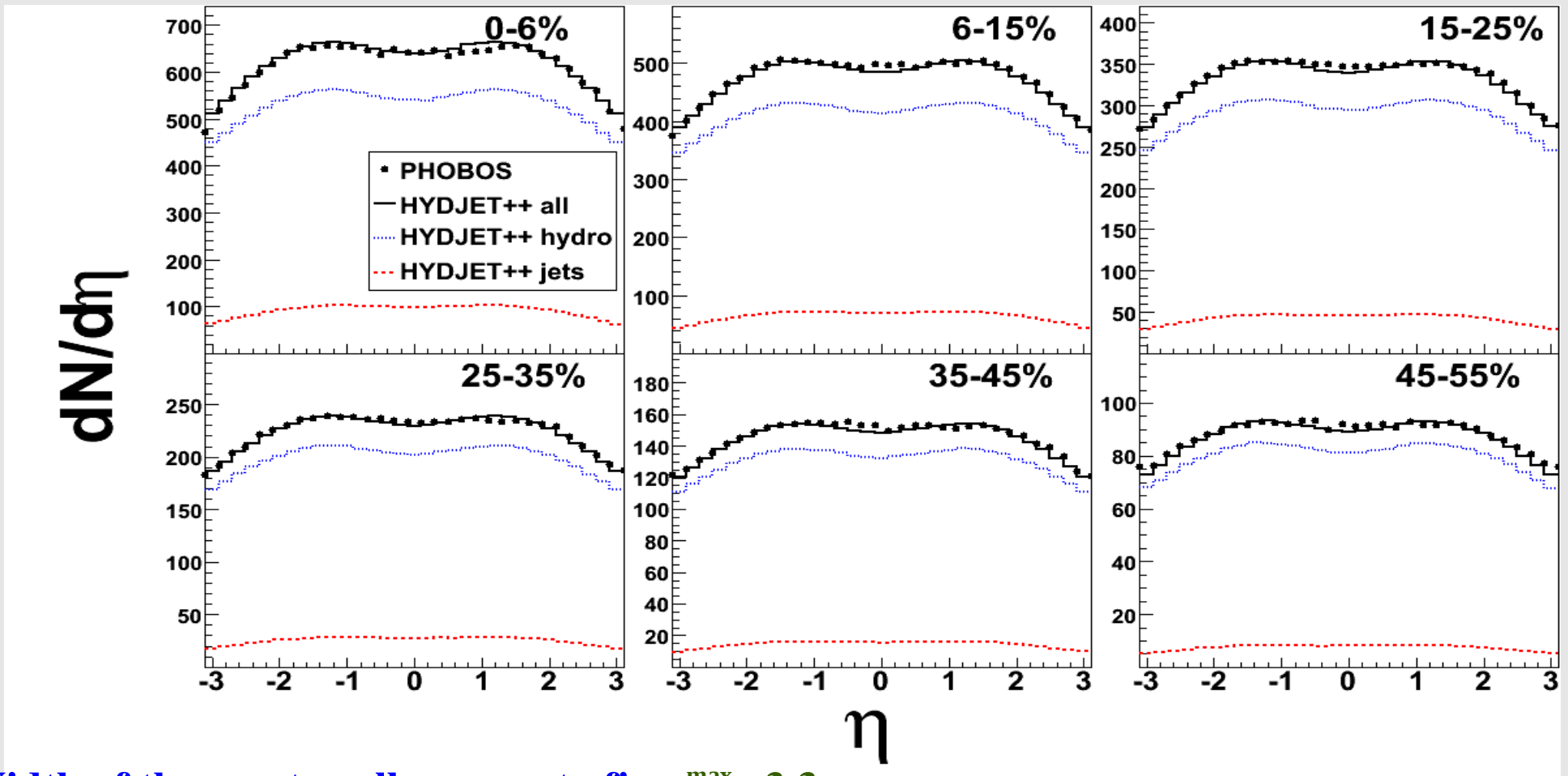
$$CF = 1 + \lambda \exp(-R_o^2 q_o^2 - R_s^2 q_s^2 - R_l^2 q_l^2 - 2R_o^2 q_o q_l)$$

The corresponding correlation widths are parameterized in terms of the Gaussian correlation radii R_i





HYDJET++: rapidity spectra vs. event centrality at RHIC



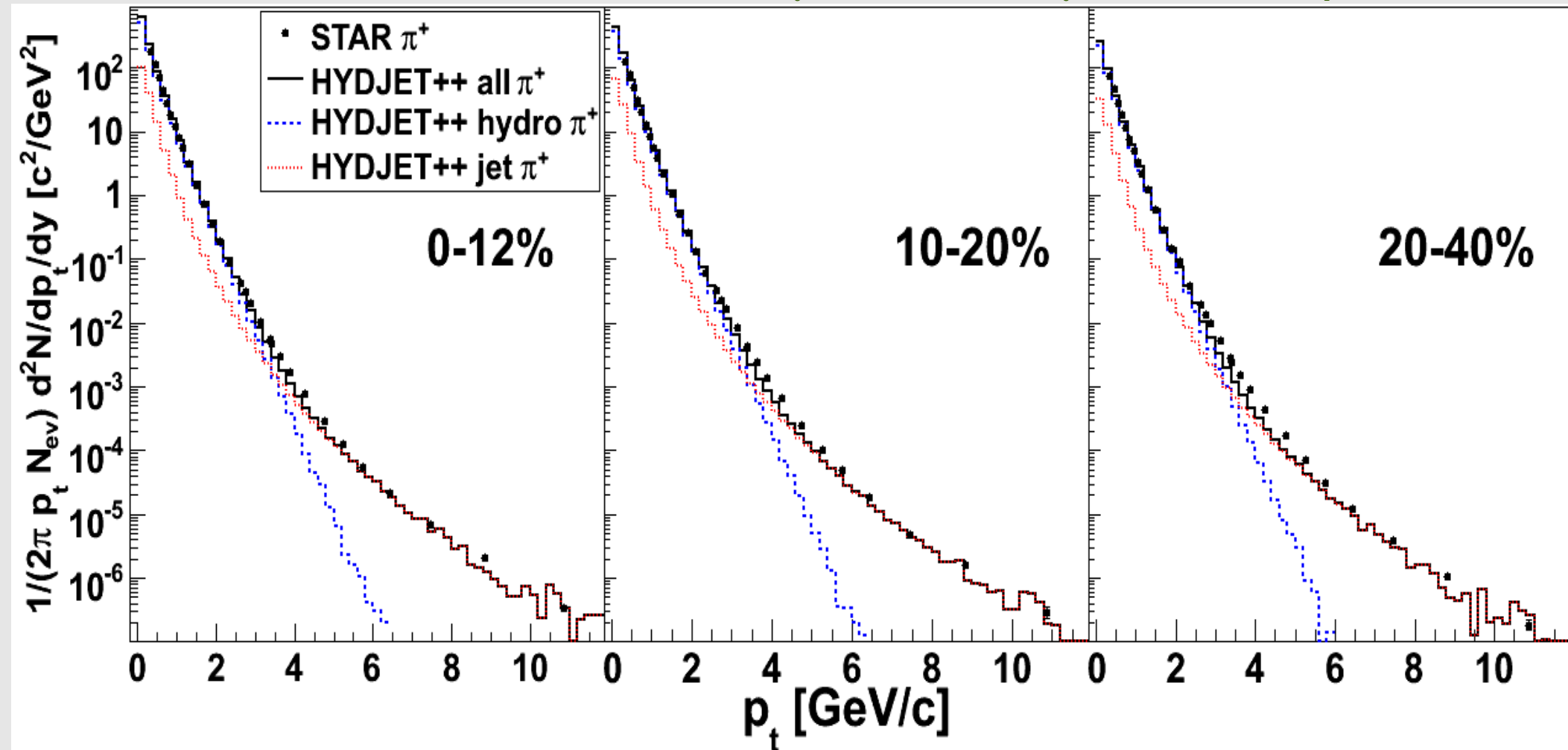
Width of the spectra allows one to fix $\eta^{\max}=3.3$,

Centrality dependence of multiplicity allows one to fix $p_{t\min}=3.4$ GeV/c and $\mu_{\pi}=0.06$



HYDJET++: transverse momentum spectra at RHIC

PYQUEN energy loss model parameters: $T_0(\text{QGP})=300 \text{ MeV}$, $\tau_0(\text{QGP})=0.4 \text{ fm/c}$, $N_f=2$





The coordinate information for “jet-induced” particles in HYDJET++

$$x_j = r \cos(\phi) + x_{NN}$$

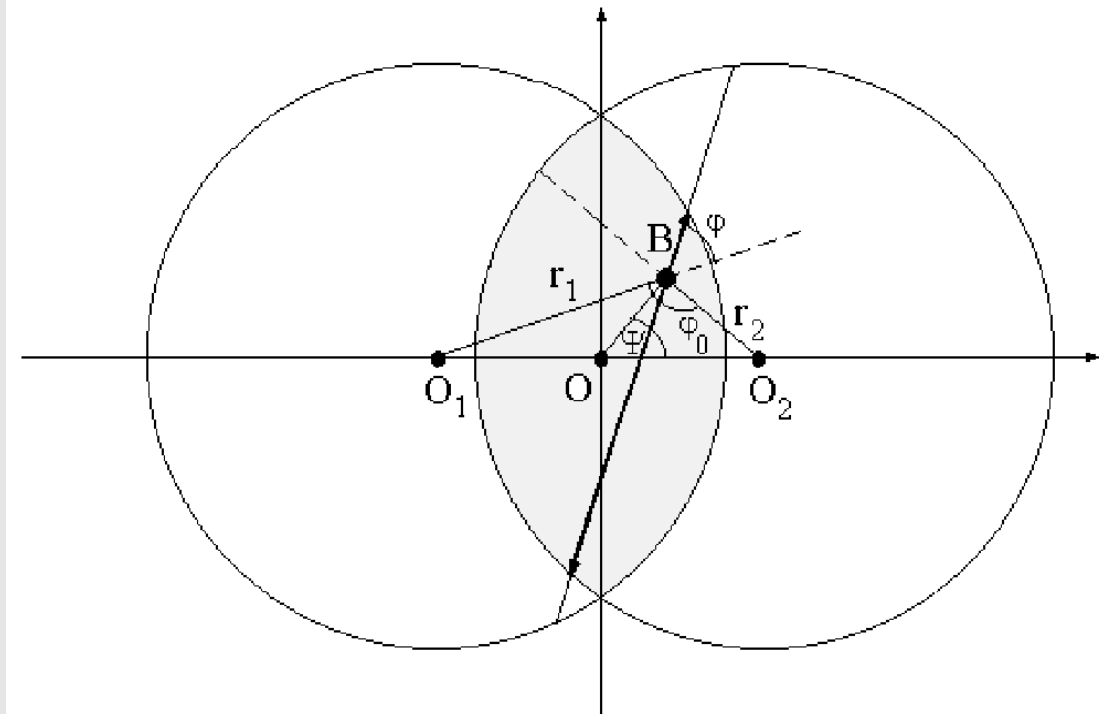
$$y_j = r \sin(\phi) + y_{NN}$$

Transverse coordinate smearing of hadron formation in NN (X_{NN}, Y_{NN}) \ll than in HI and can be neglected as a first approximation (optionally one can randomize positions around the jet origin X_j, Y_j with radius 1 fm);

$$z_h = \tau_{hard_process} \sinh(\eta_h)$$

$$t_h = \tau_{hard_process} \cosh(\eta_h)$$

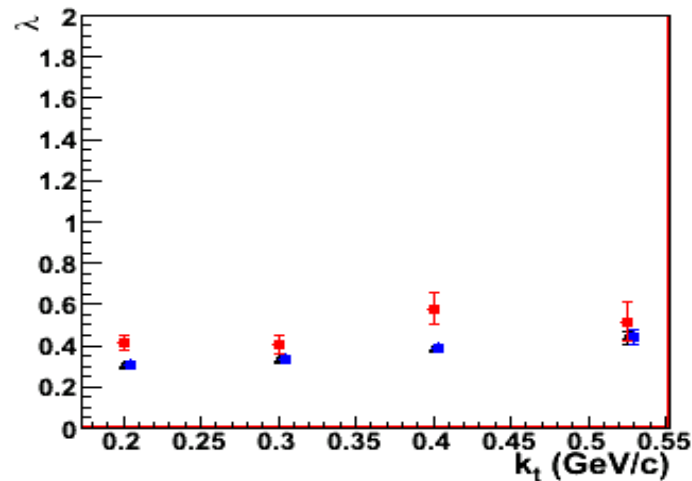
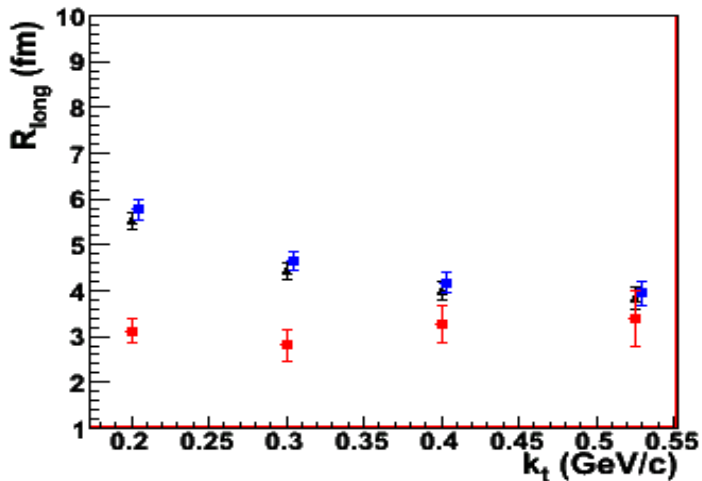
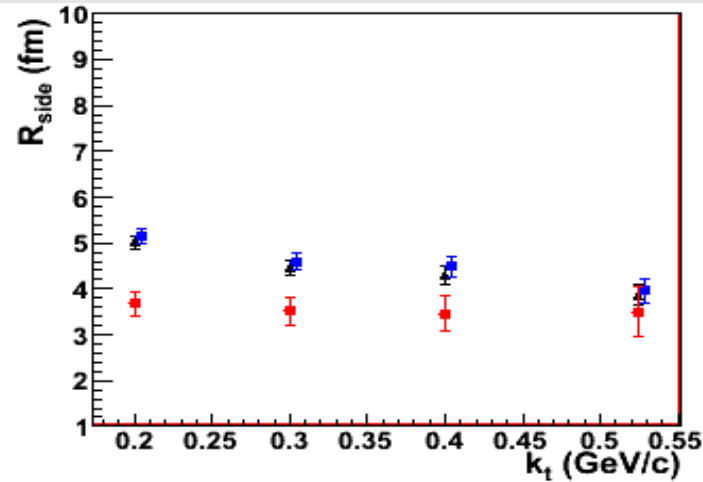
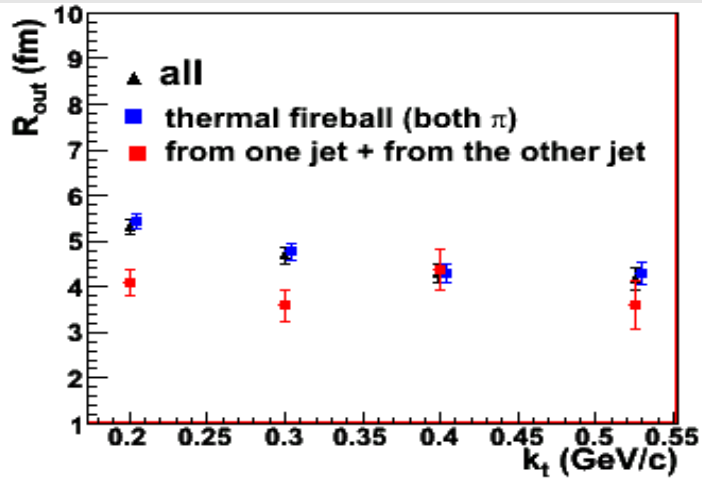
$$\tau_{hard_process} = 1/Q$$



x, y, z & t with assumption space rapidity = coordinate rapidity – rather “toy” estimation.



Influence of jet fragmentation on correlation radii at RHIC



At RHIC the contribution of jet part to total multiplicity is $\sim 15\%$.

Influence of jets on CFs is negligible.



Extrapolation of HYDJET++ parameters for soft hydro-part to LHC

■ SPS ($\sqrt{s_{NN}} = 8.7 - 17.3$ GeV)

▲ RHIC ($\sqrt{s_{NN}} = 200$ GeV)

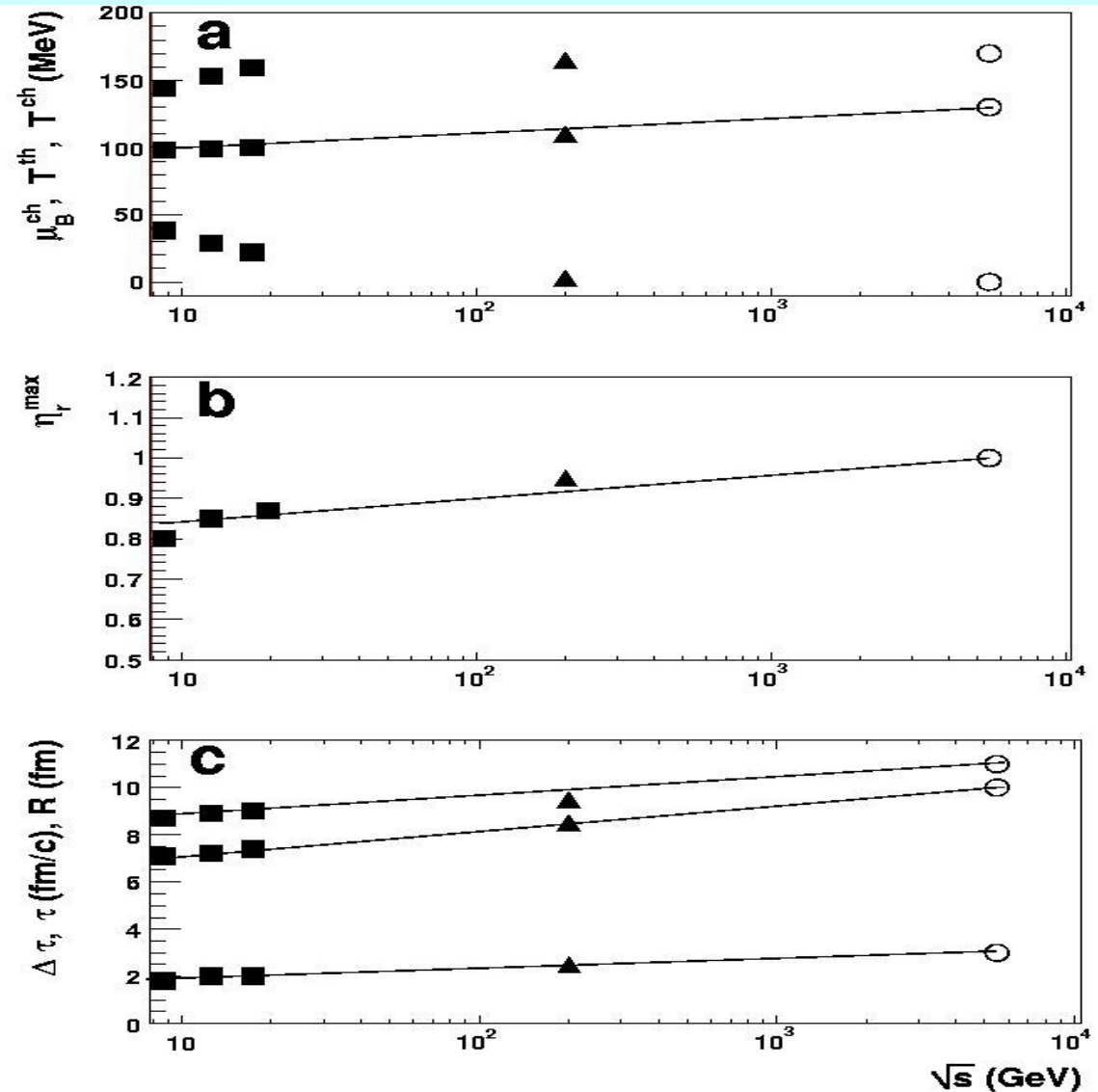
○ LHC ($\sqrt{s_{NN}} = 5500$ GeV)

The extrapolated values :

$R \sim 11$ fm,
 $\tau \sim 10$ fm/c,
 $\Delta\tau \sim 3.0$ fm/c,

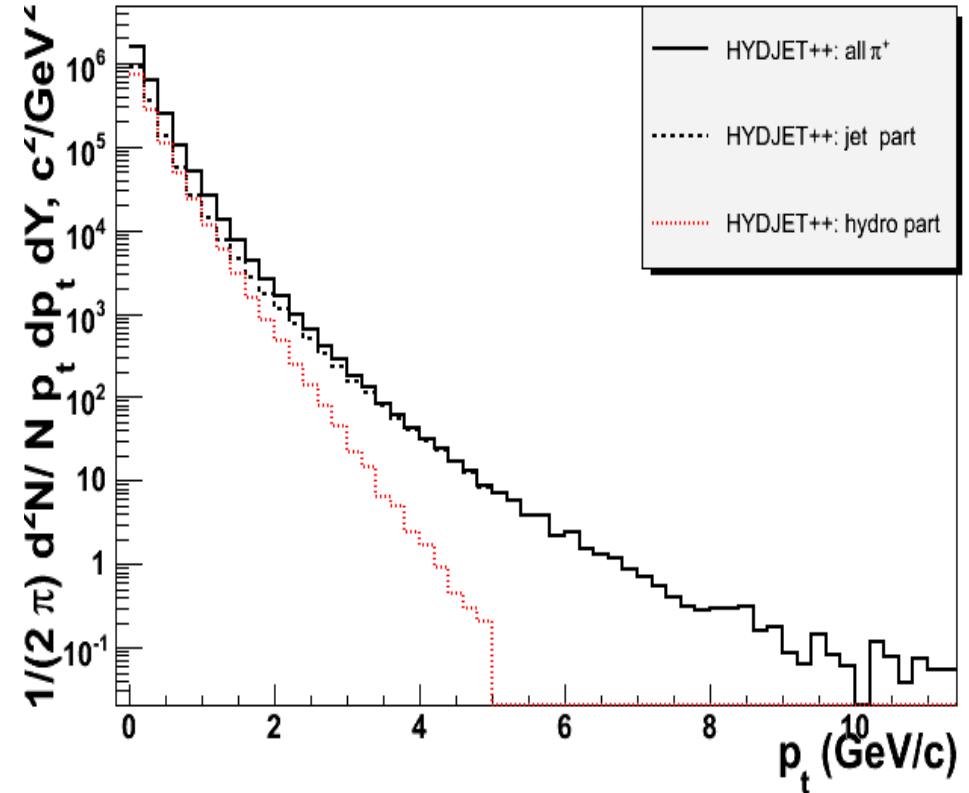
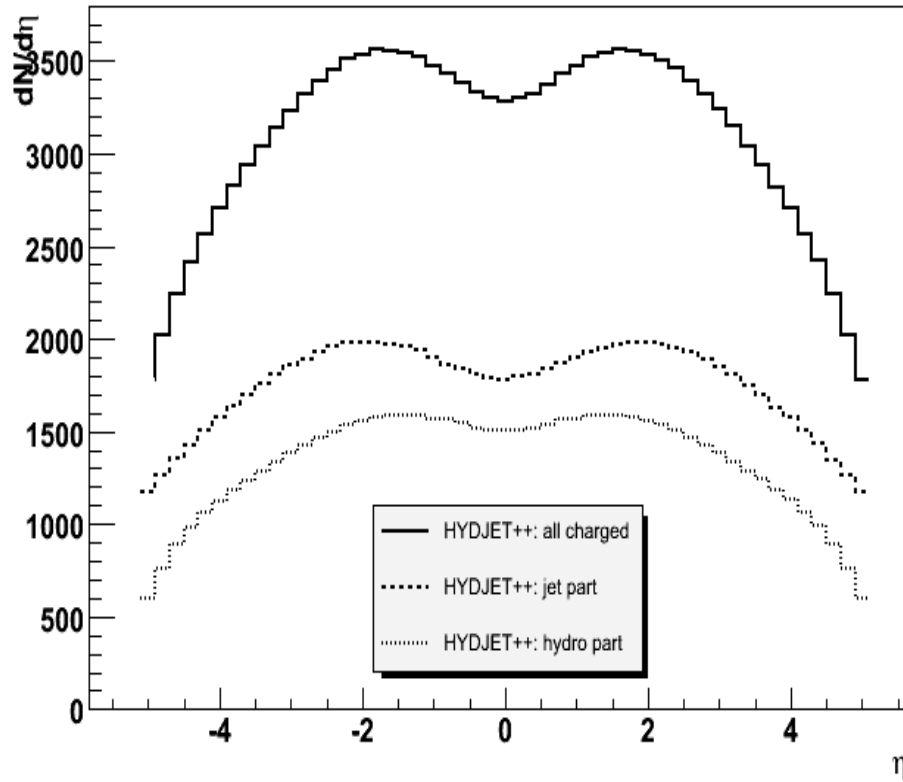
$\rho_u^{\max} \sim 1.1$,
 $T_{th} \sim 130$ MeV.

$T_{ch} = 170$ MeV,
 $\mu_B = 0, \mu_S = 0, \mu_Q = 0$ MeV





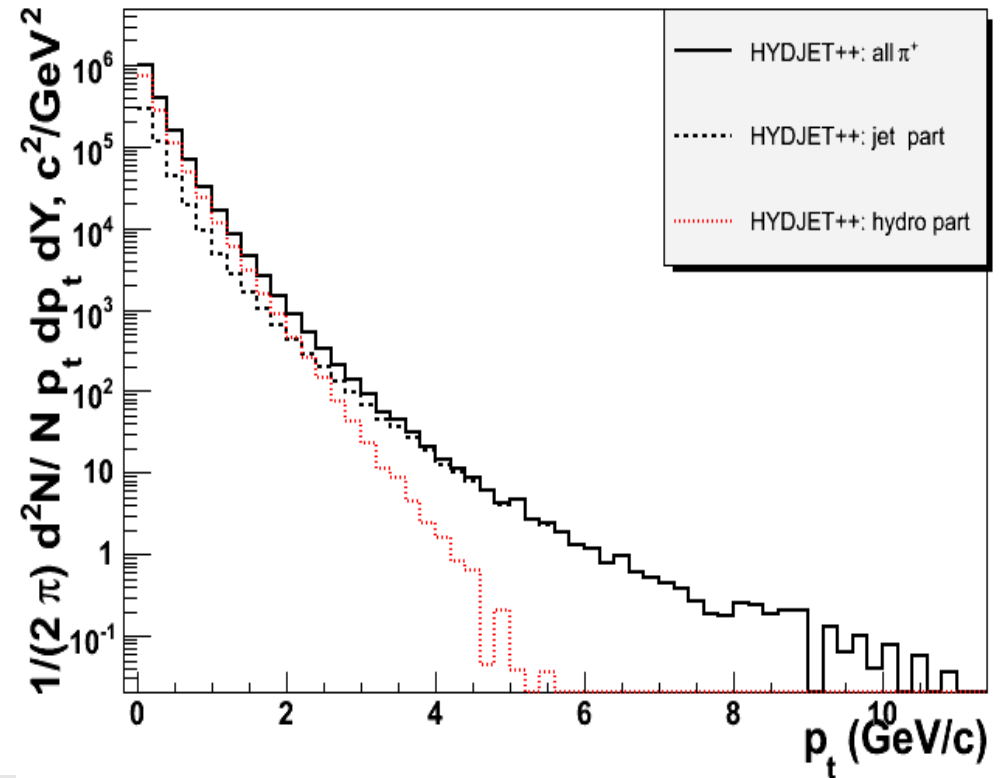
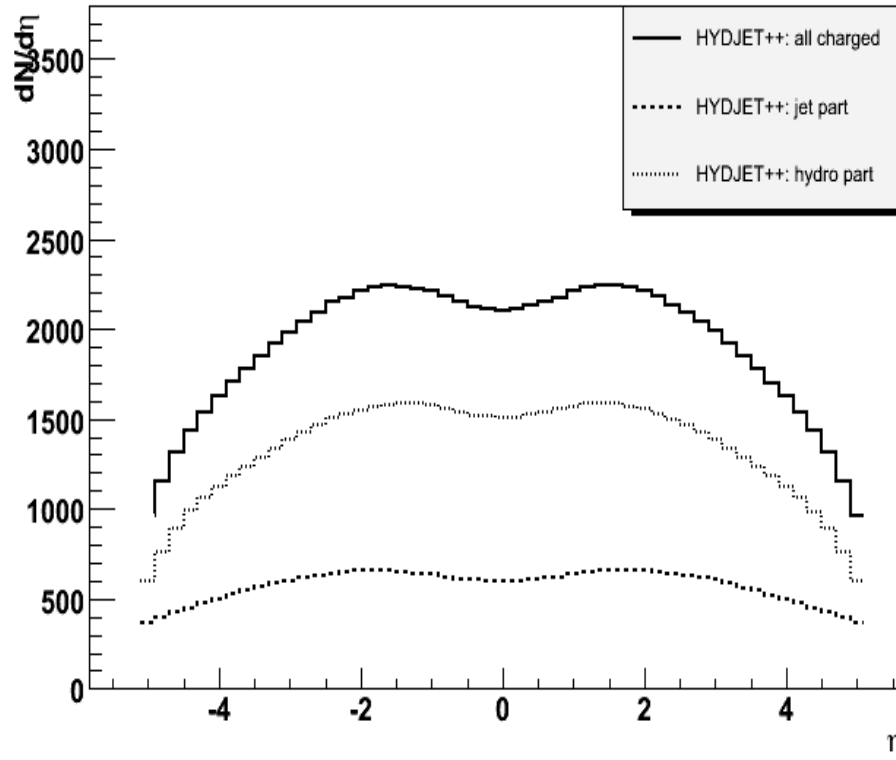
HYDJET++: hadron spectra at LHC



1000 events Pb+Pb (0-5 % centrality) at $\sqrt{s}=5.5$ A TeV
 (default parameters, $p_{tmin}=7$ GeV/c: ~55% jet contribution)



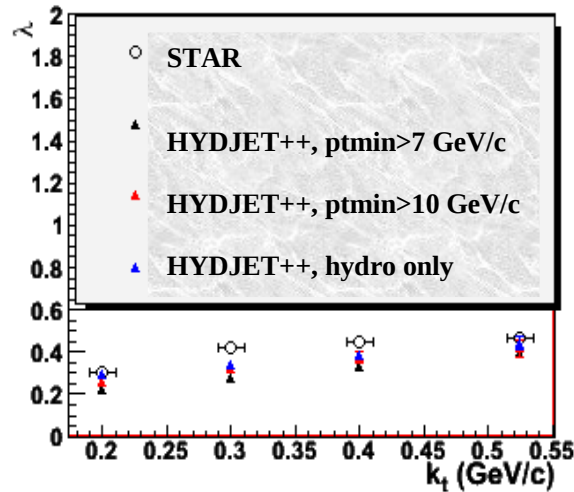
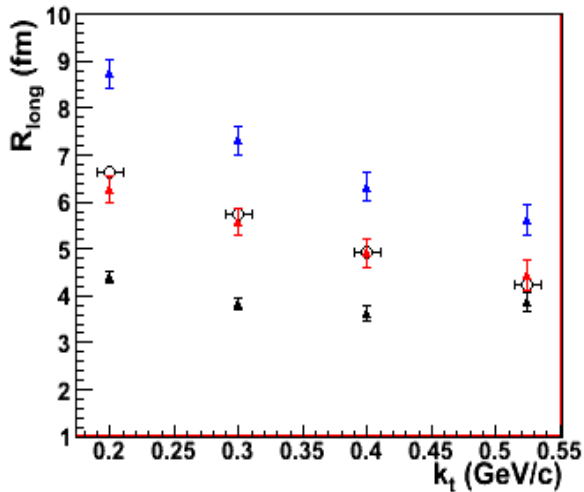
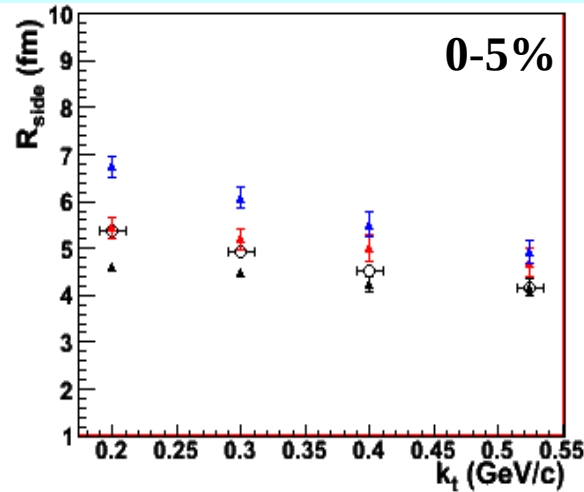
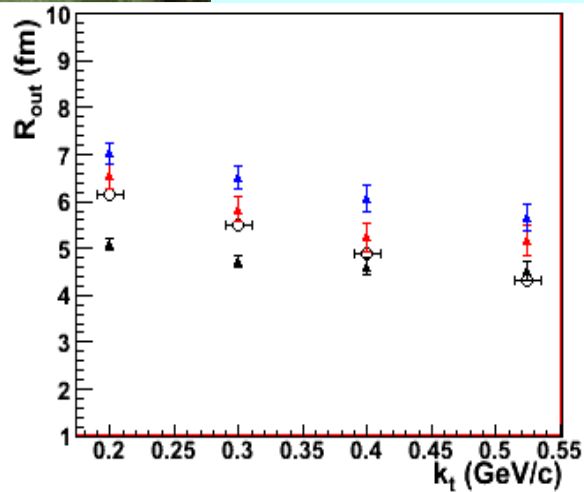
HYDJET++: hadron spectra at LHC



1000 events Pb+Pb (0-5 % centrality) at $\sqrt{s}=5.5$ A TeV
(default parameters, $p_{tmin}=10$ GeV/c: ~25% jet contribution)



Influence of jet fragmentation on correlation radii at LHC



Pure hydro (no jets):
R(LHC) > R(RHIC)
Ptmin=10 GeV/c
(~25% jet contribution):
R(LHC) ~ R(RHIC)
Ptmin=7 GeV/c
(~55% jet contribution):
R(LHC) < R(RHIC)!
(especially R_{long})

due to the significant influence of "jet-induced" hadrons, which are emitted on shorter space-time scales than soft hadrons.

It seems quite non-trivial prediction...



Outlook: jets.femtoscopy@LHC

- **Influence of jet quenching:** softening the hadron spectra (mostly from partons coming from the center of the nuclear overlapping region, but much less for partons coming from peripheral regions) - *“surface emission” at relatively high p_T - can we see it on correlation radii?*
- **Influence of nuclear shadowing:** hardening the hadron spectra (since shadowing factor S depends on the jet production vertex r , parton production in the nuclear centre is more suppressed than in periphery; but the dependence $S(r)$ is rather weak as compared with the r -dependence of quenching) - *imitation of partial “surface emission” at intermediate p_T - can we see it on correlation radii?*

Note. In our best knowledge, the first study of the influence of hard processes on momentum correlations: G.Paic, P.K. Skowronski and B. Tomasik, Nucleonica 49 (2004) S89



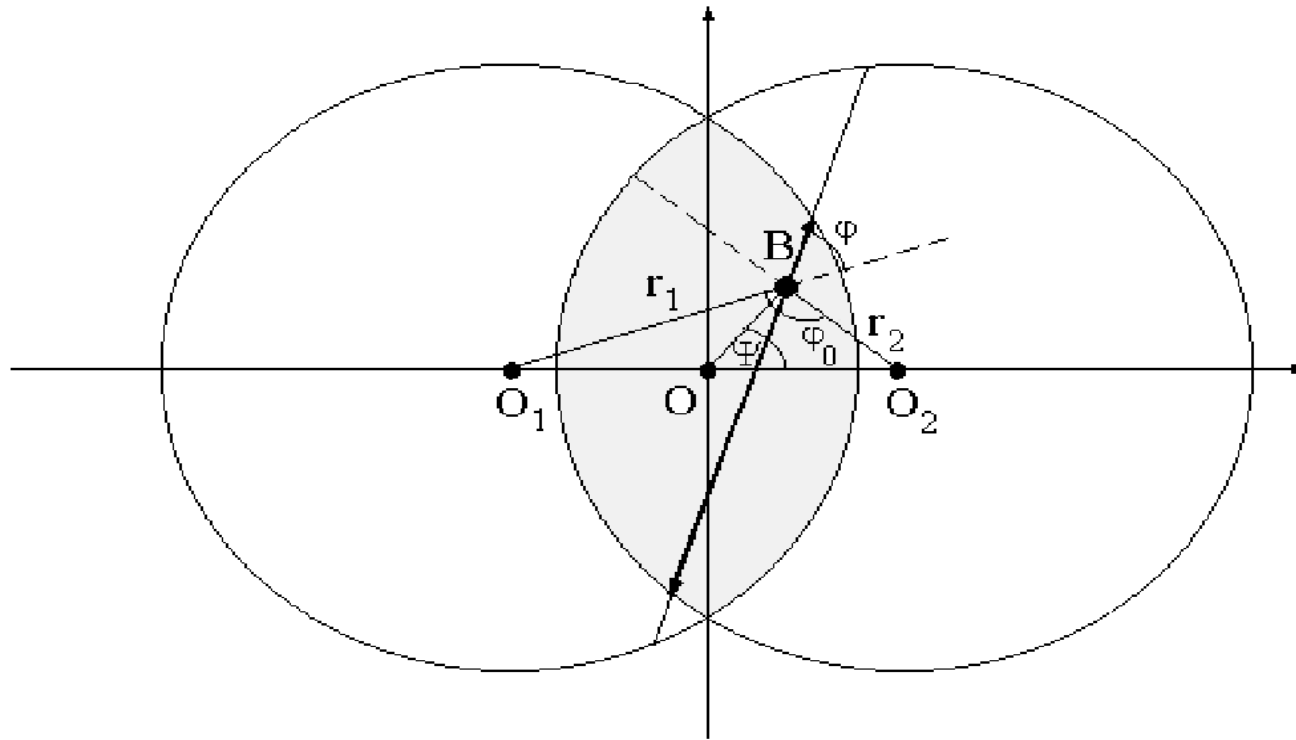
BACKUP SLIDES



Nuclear geometry and QGP evolution

impact parameter $b \equiv |O_1 O_2|$ - transverse distance between nucleus centers

$$\varepsilon(r_1, r_2) \propto T_A(r_1) * T_A(r_2) \quad (T_A(b) - \text{nuclear thickness function})$$



Space-time evolution of QGP, created in region of initial overlapping of colliding nuclei, is described by Lorentz-invariant Bjorken's hydrodynamics J.D. Bjorken, PRD 27 (1983) 140



Angular spectrum of gluon radiation

Three options for angular distribution of in-medium emitted gluons:

Collinear radiation

$$\theta = 0$$

Small-angular radiation
(default)

$$\frac{dN^g}{d\theta} \propto \sin \theta \exp\left(\frac{-(\theta - \theta_0)^2}{2\theta_0^2}\right), \quad \theta_0 \sim 5^\circ$$

Broad-angular radiation

$$\frac{dN^g}{d\theta} \propto \frac{1}{\theta}$$



PYQUEN: mean energy loss

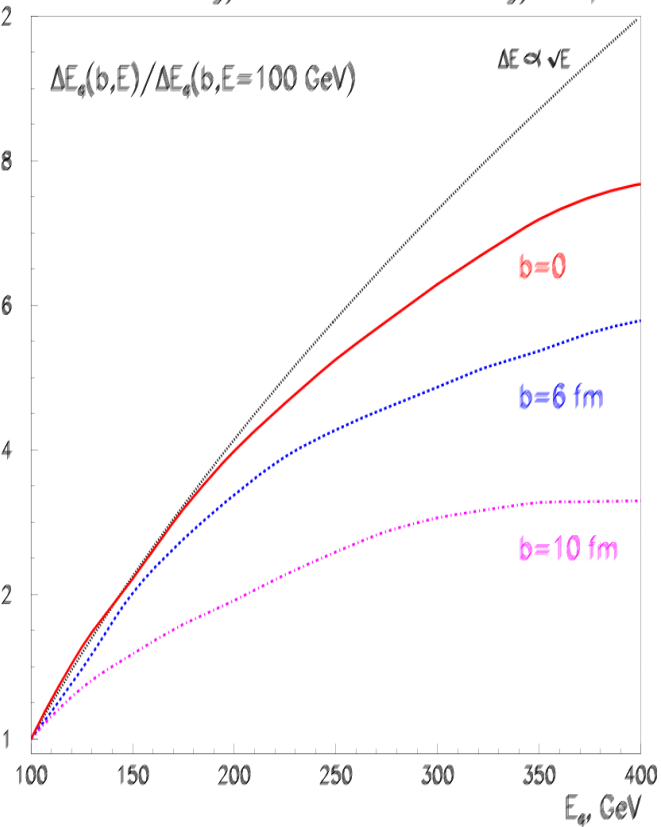
($\sqrt{s}=5.5$ A TeV, Pb+Pb, $T_{0, QGP}(b=0) = 1$ GeV, $\tau_0=0.1$ fm/c)

E-dependence

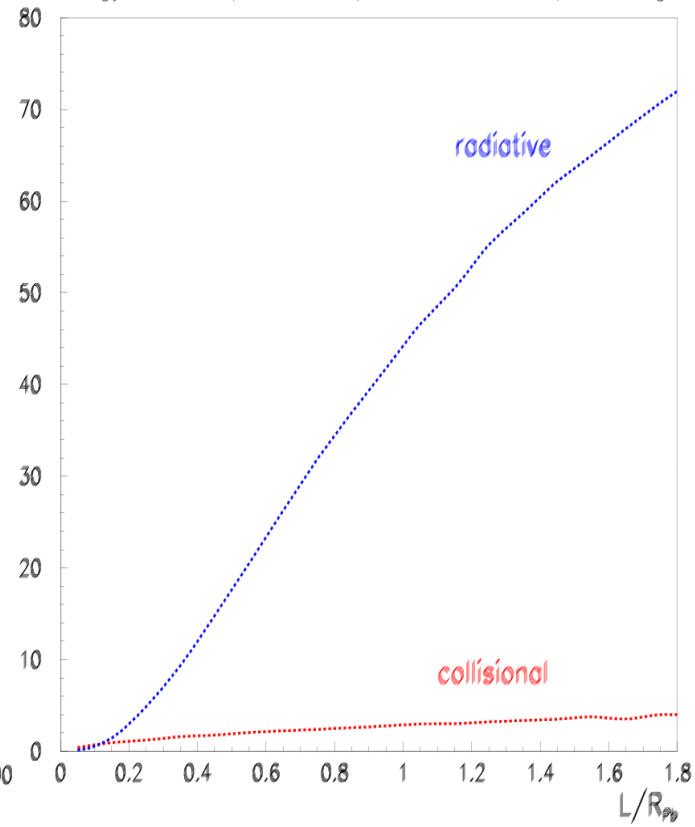
L-dependence

φ -dependence

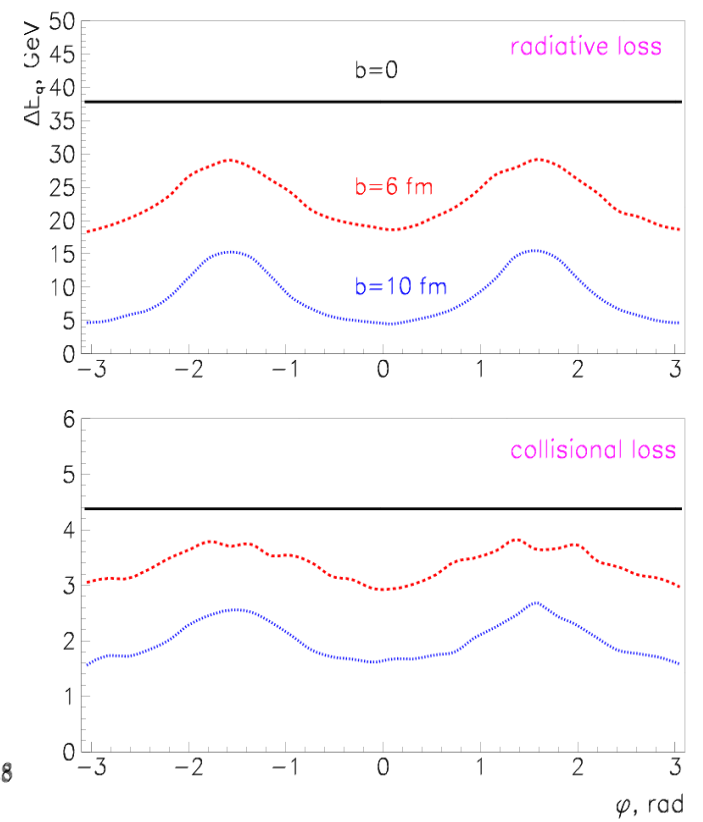
Radiative energy loss vs. initial energy of quark

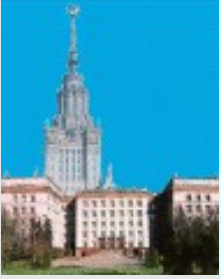


Energy loss of quark with $p_T^0=100$ GeV vs. path length



Energy loss of quark ($p_T^0=100$ GeV) vs. azimuthal angle

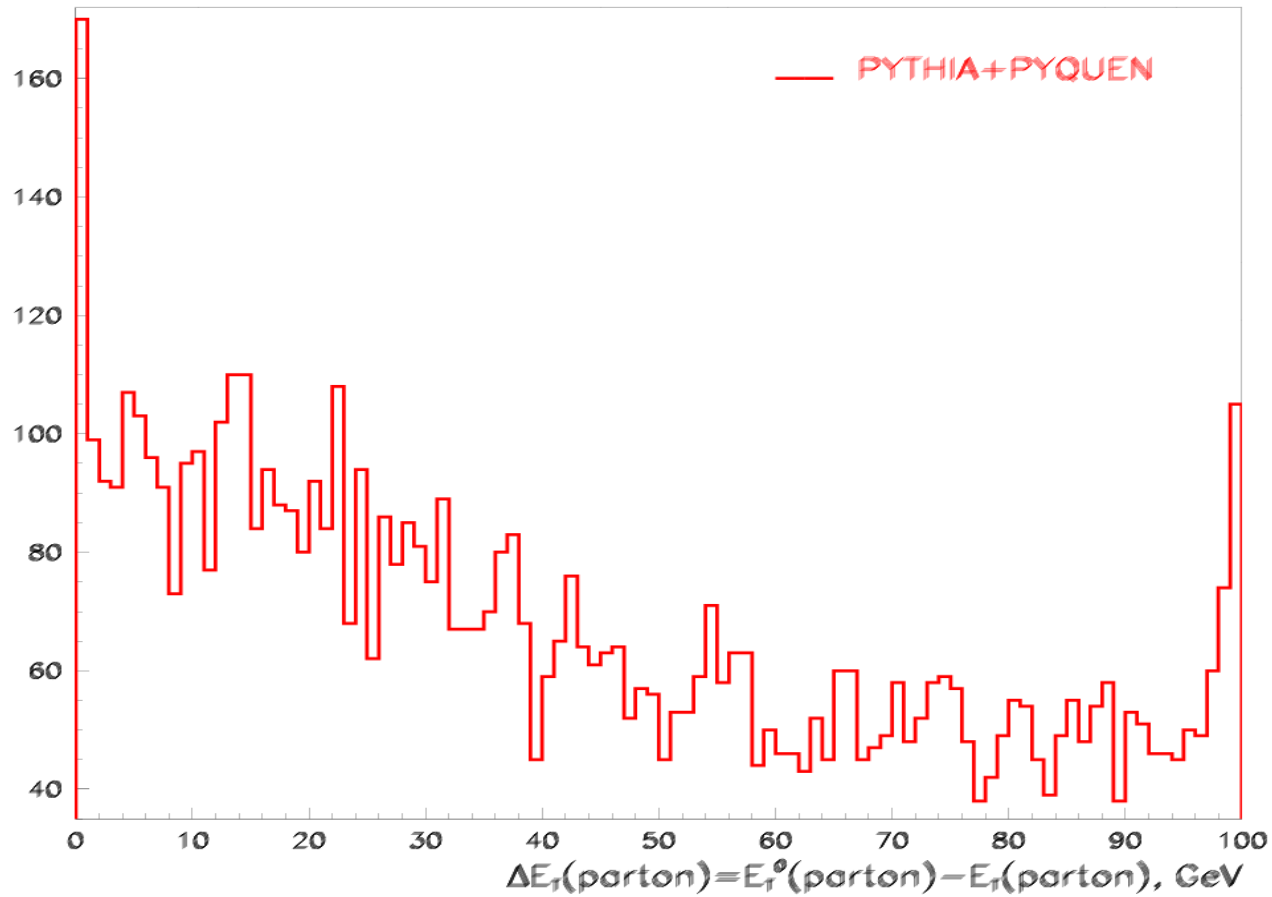




PYQUEN: energy loss fluctuations

($\sqrt{s}=5.5$ A TeV, Pb+Pb, $T_{0, \text{QGP}}(b=0) = 1$ GeV, $\tau_0=0.1$ fm/c)

Distribution over energy loss of parton with $E_T > 100$ GeV





HYDJET++ (soft): hadron multiplicities

1. The hadronic matter created in heavy-ion collisions is considered as a hydrodynamically expanding fireball with EOS of an ideal hadron gas.
2. “Concept of effective volume” **T=const and μ =const**: the total yield of particle species is $N_i = \rho_i(T, \mu_i)V_{eff}$.

3. Chemical freeze-out : **$T, \mu_i = \mu_B B_i + \mu_S S_i + \mu_c C_i + \mu_Q Q_i$** ; **$T, \mu_B$** –can be fixed by particle ratios, or by phenomenological formulas

$$T(\mu_B) = a - b\mu_B - c\mu_B^4; \mu_B(\sqrt{s_{NN}}) = \frac{d}{1 + e^{\sqrt{s_{NN}}}}$$

4. Chemical freeze-out: all macroscopic characteristics of particle system are determined via a set of equilibrium distribution functions in the fluid element rest frame:

$$f_i^{eq}(p^{0*}; T, \mu_i) = \frac{1}{(2\pi)^3} \frac{g_i}{\exp([p^{0*} - \mu_i]/T) \pm 1}$$

$$\rho_i^{eq}(T, \mu_i) = \int_0^\infty d^3 \vec{p}^* f_i^{eq}(p^{0*}; T(x^*), \mu(x^*)_i) = 4\pi \int_0^\infty dp^* p^{*2} f_i^{eq}(p^{0*}; T, \mu_i)$$



HYDJET++ (soft): thermal charm production

Thermal charmed mesons J/ψ , D^0 , D^0 , D^+ , D^- , D_s^+ , D_s^- , Λ_c^+ , Λ_c^-
are generated within the statistical hadronization model
(feed-down corrections and meson 2- and 3- body decays are performed)

$$N_D = \gamma_c N_D^{\text{th}} (I_1(\gamma_c N_D^{\text{th}}) / I_0(\gamma_c N_D^{\text{th}})), \quad N_{J/\psi} = \gamma_c^2 N_{J/\psi}^{\text{th}}$$

γ_c - charm enhancement factor obtained from the equation:

$$N_{cc} = 0.5 \gamma_c N_D^{\text{th}} (I_1(\gamma_c N_D^{\text{th}}) / I_0(\gamma_c N_D^{\text{th}})) + \gamma_c^2 N_{J/\psi}^{\text{th}}$$

where number of c-quark pairs N_{cc} is calculated with PYTHIA
 (the factor $K=2$ is applied to take into account
 NLO pQCD corrections)



The block structure of HYDJET++

particles.data,
tabledecay.txt
(particle properties)

RunInputHydjet
(input model parameters)

RunHadronSource.cxx
(generate events, create trees)

RunOutput.root
(particle output information for each event and global output parameters)

Tree "td"
(final particle output)

ROOT macros
(to produce histograms)

ROOT

Histograms

RunInputHydjetRHIC200

(input parameter file for Au+Au collisions at RHIC, *default*)

7 input parameters;
19 free model parameters
(may be reduced to 13) +
PYTHIA parameters;
12 flags.

10 Number of events to generate
0 C.m.s. energy per nucleon pair, fSqrtS [GeV]
200. Atomic weight of nuclei, fAw
197. Flag of type of centrality generation, fBfix (=0 is fixed by fBfix, >0 distributed [fBfmin, fBmax])
1 Minimum impact parameter in units of nuclear radius, fBmin
0 Maximum impact parameter in units of nuclear radius, fBmax
0.55 Fixed impact parameter in units of nuclear radius, fBfix
0 Parameter to set random number seed, fSeed (=0 the current time is used, >0 the value fSeed is used)
0 Temperature at chemical freeze-out, fT [GeV]
0.165 Chemical baryon potential per unit charge, fMuB [GeV]
0.0285 Chemical strangeness potential per unit charge, fMuS [GeV]
0.007 Chemical charm potential per unit charge, fMuC [GeV] (used if charm production is turned on)
0 Chemical isospin potential per unit charge, fMuI3 [GeV]
-0.001 Temperature at thermal freeze-out, fTthFO [GeV]
0.1 Chemical potential of pi+ at thermal freeze-out, fMu_th_pip [GeV]
0.06 Proper time proper at thermal freeze-out for central collisions, fTau [fm/c]
8 Duration of emission at thermal freeze-out for central collisions, fSigmaTau [fm/c]
2 Maximal transverse radius at thermal freeze-out for central collisions, fR [fm]
10 Maximal longitudinal flow rapidity at thermal freeze-out, fYlmax
3.3 Maximal transverse flow rapidity at thermal freeze-out for central collisions, fUmax
1.1 Momentum azimuthal anisotropy parameter at thermal freeze-out, fDelta
0.1 Spatial azimuthal anisotropy parameter at thermal freeze-out, fEpsilon
0.05 Flag to specify fDelta and fEpsilon values, fIfDeltaEpsilon (=0 user's ones, >=1 calculated)
0 Flag to switch on/off hadron decays, fDecay (=0 decays off, >=1 decays on)
1 Low decay width threshold fWeakDecay[GeV]: width<fWeakDecay decay off, width>=fDecayWidth decay on; can be used to switch off weak decays
0 Flag to choose rapidity distribution, fEtaType (=0 uniform, >0 Gaussian with the dispersion Ylmax)
1 Flag to use calculated T_ch, mu_B and mu_S as a function of fSqrtS, fTMuType (=0 user's ones, >0 calculated)
0 Strangeness suppression factor gamma_s with fCorrS value (0<fCorrS <=1, if fCorrS <= 0., then it will be calculated)
1 Flag to include statistical charm production, flcharm (=0 no charm production, >=1 charm production)
0 Flag to include jet (J)/jet quenching (JQ) and hydro (H) state production, fNhsel (0 H on & J off, 1 H/J on & JQ off, 2 H/J/HQ on, 3 J on & H/JQ off, 4 H off & J/JQ on)
2 Flag to suppress the output of particle history from PYTHIA, flEdit (=1 only final state particles; =0 full particle history from PYTHIA)
1 Flag to switch on/off nuclear shadowing, flshad (0 shadowing off, 1 shadowing on)
1 Minimal pt of parton-parton scattering in PYTHIA event, fPtmin [GeV/c]
3.4 Initial QGP temperature for central Pb+Pb collisions in mid-rapidity, fT0 [GeV]
0.3 Proper QGP formation time in fm/c, fTau0 (0.01<fTau0<10)
0.4 Number of active quark flavours in QGP, fNf (0, 1, 2 or 3)
2 Flag to fix type of partonic energy loss, flEnglu (0 radiative and collisional loss, 1 radiative loss only, 2 collisional loss only)
0 Flag to fix type of angular distribution of in-medium emitted gluons, flAnglu (0 small-angular, 1 wide-angular, 2 collinear).
0

10 Number of events to generate
 5500 C.m.s. energy per nucleon pair, fSqrtS [GeV]
 207 Atomic weight of nuclei, fAw
 1 Flag of type of centrality generation, fBfix (=0 is fixed by fBfix, >0 distributed [fBfmin, fBmax])
 0 Minimum impact parameter in units of nuclear radius, fBmin
 0 Maximum impact parameter in units of nuclear radius, fBmax
 0.57 Fixed impact parameter in units of nuclear radius, fBfix
 0 Parameter to set random number seed, fSeed (=0 the current time is used, >0 the value fSeed is used)
 0 Temperature at chemical freeze-out, fT [GeV]
 0.170 Chemical baryon potential per unit charge, fMuB [GeV]
 0 Chemical strangeness potential per unit charge, fMuS [GeV]
 0 Chemical charm potential per unit charge, fMuC [GeV] (used if charm production is turned on)
 0 Chemical isospin potential per unit charge, fMuI3 [GeV]
 0 Temperature at thermal freeze-out, fTthFO [GeV]
 0.13 Chemical potential of pi+ at thermal freeze-out, fMu_th_pip [GeV]
 0 Proper time proper at thermal freeze-out for central collisions, fTau [fm/c]
 10 Duration of emission at thermal freeze-out for central collisions, fSigmaTau [fm/c]
 3 Maximal transverse radius at thermal freeze-out for central collisions, fR [fm]
 11 Maximal longitudinal flow rapidity at thermal freeze-out, fYlmax
 4 Maximal transverse flow rapidity at thermal freeze-out for central collisions, fUmax
 1.1 Momentum azimuthal anisotropy parameter at thermal freeze-out, fDelta
 0.1 Spatial azimuthal anisotropy parameter at thermal freeze-out, fEpsilon
 0.05 Flag to specify fDelta and fEpsilon values, fIfDeltaEpsilon (=0 user's ones, >=1 calculated)
 0 Flag to switch on/off hadron decays, fDecay (=0 decays off, >=1 decays on)
 1 Low decay width threshold fWeakDecay[GeV]: width<fWeakDecay decay off, width>=fDecayWidth decay on; can be used to switch off weak decays
 0 Flag to choose rapidity distribution, fEtaType (=0 uniform, >0 Gaussian with the dispersion Ylmax)
 1 Flag to use calculated T_ch, mu_B and mu_S as a function of fSqrtS, fTMuType (=0 user's ones, >0 calculated)
 0 Strangeness suppression factor gamma_s with fCorrS value (0<fCorrS <=1, if fCorrS <= 0., then it will be calculated)
 1 Flag to include thermal charm production, fIcharm (=0 no charm production, >=1 charm production)
 0 Flag to include jet (J)/jet quenching (JQ) and hydro (H) state production, fNhsel (0 H on & J off, 1 H/J on & JQ off, 2 H/J/HQ on, 3 J on & H/JQ off, 4 H off & J/JQ on)
 2 Flag to suppress the output of particle history from PYTHIA, fIedit (=1 only final state particles; =0 full particle history from PYTHIA)
 1 Flag to switch on/off nuclear shadowing, fIshad (0 shadowing off, 1 shadowing on)
 1 Minimal pt of parton-parton scattering in PYTHIA event, fPtmin [GeV/c]
 7 Initial QGP temperature for central Pb+Pb collisions in mid-rapidity, fT0 [GeV]
 0.8 Proper QGP formation time in fm/c, fTau0 (0.01<fTau0<10)
 0.1 Number of active quark flavours in QGP, fNf (0, 1, 2 or 3)
 0 Flag to fix type of partonic energy loss, fIengl (0 radiative and collisional loss, 1 radiative loss only, 2 collisional loss only)
 0 Flag to fix type of angular distribution of in-medium emitted gluons, fIanglu (0 small-angular, 1 wide-angular, 2 collinear).
 0

RunInputHydjetLHC5500

(input parameter file for Pb+Pb collisions at LHC, *default*)

7 input parameters;
19 free model parameters
(may be reduced to 13) +
PYTHIA parameters;
12 flags.

RunOutput.root (tree structure)

```
td->Branch("nev",&nev,"nev/I"); // event number
td->Branch("Bgen",&Bgen,"Bgen/F"); // generated impact parameter
td->Branch("Sigin",&Sigin,"Sigin/F"); // total inelastic NN cross section
td->Branch("Sigjet",&Sigjet,"Sigjet/F"); // hard scattering NN cross section
td->Branch("Ntot",&Ntot,"Ntot/I"); // total event multiplicity
td->Branch("Nhyd",&Nhyd,"Nhyd/I"); // multiplicity of hydro-induced particles
td->Branch("Npyt",&Npyt,"Npyt/I"); // multiplicity of jet-induced particles
td->Branch("Njet",&Njet,"Njet/I"); // number of hard parton-parton scatterings
td->Branch("Nbcoll",&Nbcoll,"Nbcoll/I"); // mean number of NN sub-collisions
td->Branch("Npart",&Npart,"Npart/I"); // mean number of nucleon-participants
td->Branch("Px",&Px[0],"Px[npart]/F"); // x-component of the momentum, in GeV/c
td->Branch("Py",&Py[0],"Py[npart]/F"); // y-component of the momentum, in GeV/c
td->Branch("Pz",&Pz[0],"Pz[npart]/F"); // z-component of the momentum, in GeV/c
td->Branch("E",&E[0],"E[npart]/F"); // energy, in GeV
td->Branch("X",&X[0],"X[npart]/F"); // x-coordinate at emission point, in fm
td->Branch("Y",&Y[0],"Y[npart]/F"); // y-coordinate at emission point, in fm
td->Branch("Z",&Z[0],"Z[npart]/F"); // z-coordinate at emission point, in fm
td->Branch("T",&T[0],"T[npart]/F"); // proper time of particle emission, in fm/c
td->Branch("pdg",&pdg[0],"pdg[npart]/I"); // Geant particle code
td->Branch("Mpdg",&Mpdg[0],"Mpdg[npart]/I"); // Geant code of mothers (-1 for primordials)
td->Branch("type",&type[0],"type[npart]/I") // particle origin (=0 – from hydro, >0 – jets)
td->Branch("Index",&Index[0],"Index[Ntot]/I"); // unique zero based index of the particle
td->Branch("MotherIndex",&MotherIndex[0],"MotherIndex[Ntot]/I"); // index of mother (-1 for primordials)
td->Branch("NDaughters",&NDaughters[0],"NDaughters[Ntot]/I"); // number of daughters
td->Branch("FirstDaughterIndex",&FirstDaughterIndex[0],"FirstDaughterIndex[Ntot]/I"); // index of first daughter
td->Branch("LastDaughterIndex",&LastDaughterIndex[0],"LastDaughterIndex[Ntot]/I"); // index of last daughter
td->Branch("pythiaStatus",&pythiaStatus[0],"pythiaStatus[Ntot]/I"); // PYTHIA status code (-1 for hydro)
td->Branch("final",&final[0],"final[Ntot]/I"); // an integer branch: =1 for final particles, =0 for decayed particles
```



HYDJET++ version 2.1 (update note)

Version 2.1 is completed in September 2009

1. Option to get output from full particle history for PYTHIA/PYQUEN generated particles (including partons and strings) is introduced.

It is controlled by the new flag:

fIedit=1 - only final state particles are presented in event output,

fIedit=0 - full particle history from PYTHIA/PYQUEN is produced.

By default the full particle history is not produced, fIedit(D=1).

2. Option to produce thermal charmed particles (J/ψ and D mesons) is introduced. Total number of c-quarks is calculated with PYTHIA, and then thermal charmed hadrons are generated within the statistical hadronization model.

It is controlled by the new flag:

fIcharm=0 - thermal charm production is switched off,

fIcharm \geq 1 - thermal charm production is switched on),

By default thermal charmed particle production is switched off fIcharm(D=1).

The new input parameter fMuC (chemical charm potential) is introduced.

3. A number of technical improvements and bug fixing are implemented.

HYDJET++: elliptic flow at RHIC

$$\frac{dN}{d^2 p_t dy} = \frac{dN}{2\pi p_t dp_t dy} (1 + v_2 \cos 2\varphi + 2v_4 \cos 4\varphi + \dots)$$

