
DAMA/LIBRA and leptonically interacting Dark Matter

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based on Kopp, Niro, Schwetz, JZ, 0907.3159

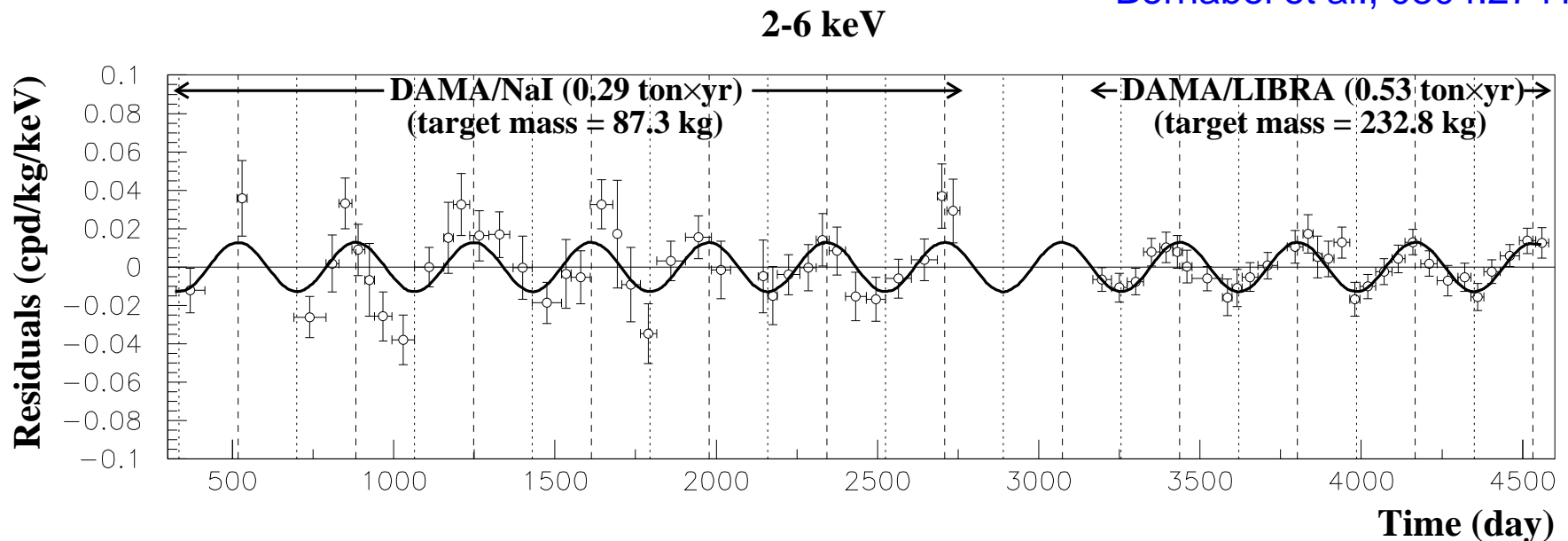
Outline

- motivation
- setup
 - kinematics
 - effective field theory
- comparing with data
- conclusions

DAMA/LIBRA result

- impressive data sample from DAMA/NaI+DAMA/LIBRA: 0.82 ton × yr exposure
- see 8.2σ evidence for annual modulation
- phase agrees with DM interpretation: max @ day 144 ± 8 , expected June 2nd = day 152

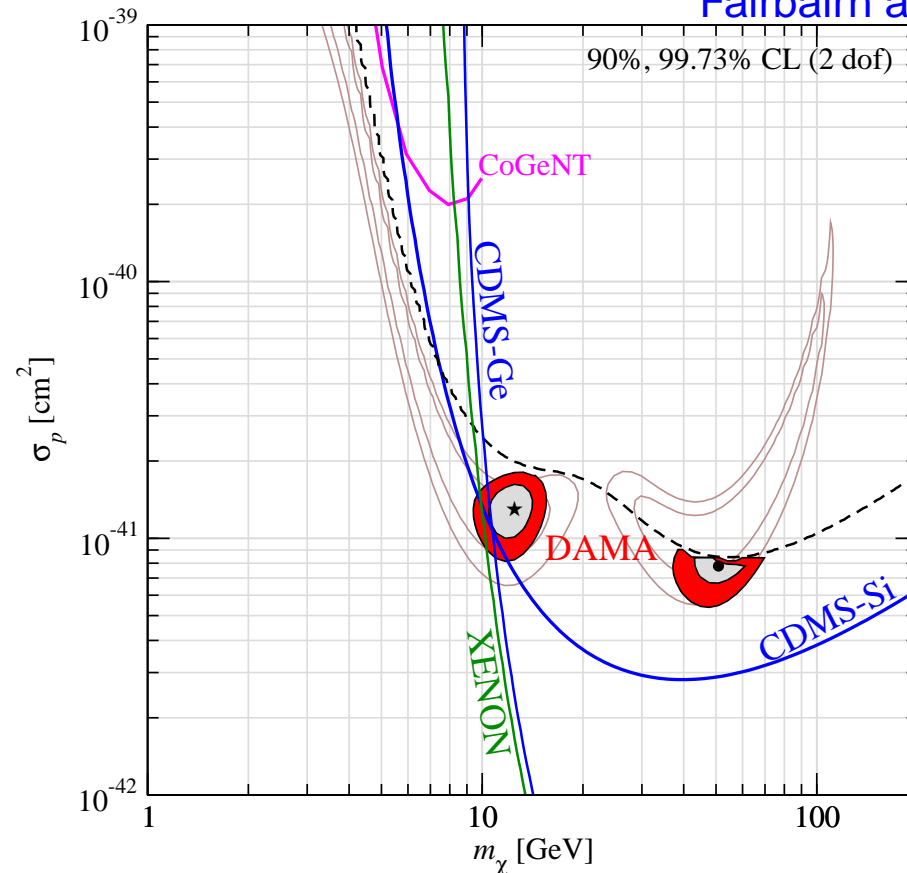
Bernabei et al., 0804.2741



comparison with other experiments

- spin independent scattering on nuclei
- tension with other experiments (XENON-10, CDMS,...)
- DAMA and other expts. consistent with prob. $O(10^{-5})$

Fairbairn and Schwetz, 0808.0704

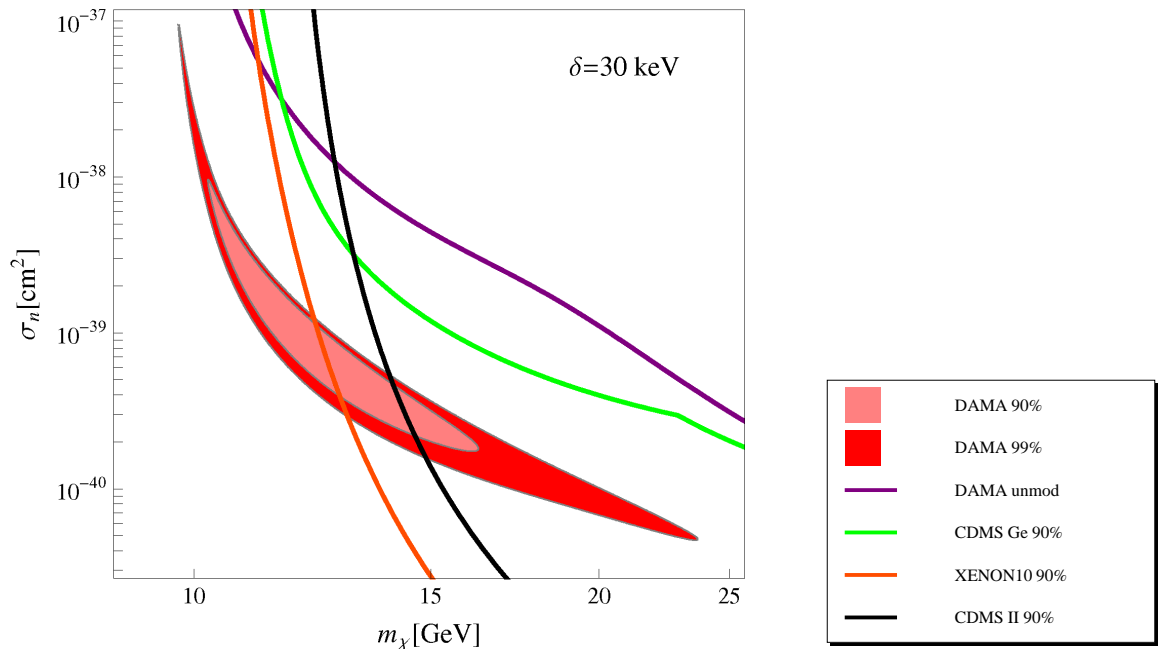


comparison - IDM

- comparison is model dependent
- depending on model can reconcile DAMA with the rest
- popular choice: inelastic DM [Schmidt-Hoberg and Winkler, 0907.3940](#)

- high mass region excluded

- low mass region:
 - channeling
 - scattering on Iodine



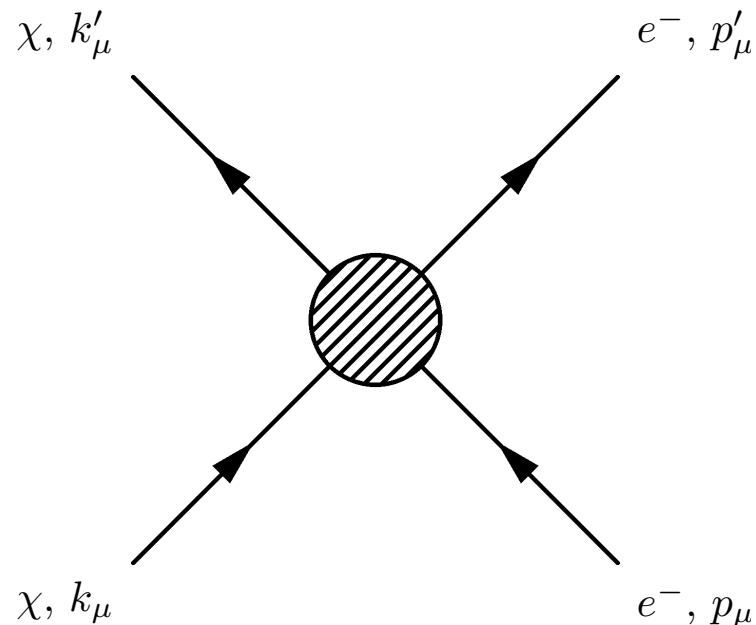
- other suggestions: q dependent DM scattering; mirror world DM; DM with electric, magnetic dipole moments,...

Leptophilic DM

- models almost exclusively: DM scattering on nuclei
- if DM leptophilic: scatters off electrons [Bernabei et al. 0712.0562](#)
 - DAMA looks for the annual modulation in the count rate from scintillation light \Rightarrow pure electron events fully contribute
 - CDMS, XENON10, CRESST, KIMS, ZEPLIN, . . . reject electron events to perform a low background search for nuclear recoils.
- other motivation for leptophilic DM: e^+ , e^- cosmic ray anomaly

Assumptions

- DM couples to electrons (leptons)
- DM is leptophilic: direct coupling to quarks and photons suppressed
- DM does not change in the process



Question

- Can this class of models explain DAMA?

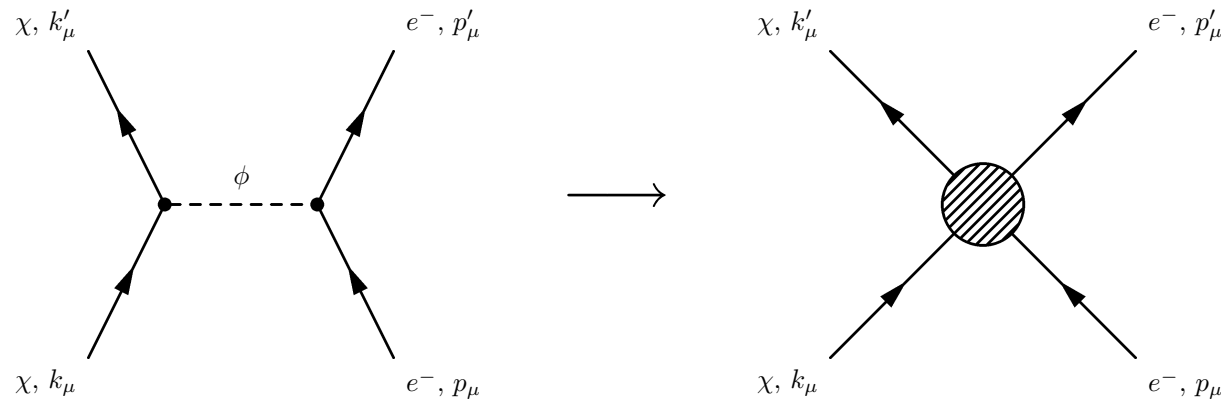
Question

- Can this class of models explain DAMA?
- will provide model independent answer:

NO!

Model independent analysis

- for $\Lambda \gg O(\text{MeV})$ can use effective field theory



- all DM-lepton interactions described by
 - 10 operators for fermionic χ

$$\mathcal{L}_{\text{eff}} = \sum_i G (\bar{\chi} \Gamma_\chi^i \chi) (\bar{\ell} \Gamma_\ell^i \ell) \quad \text{with} \quad G = \frac{1}{\Lambda^2}$$

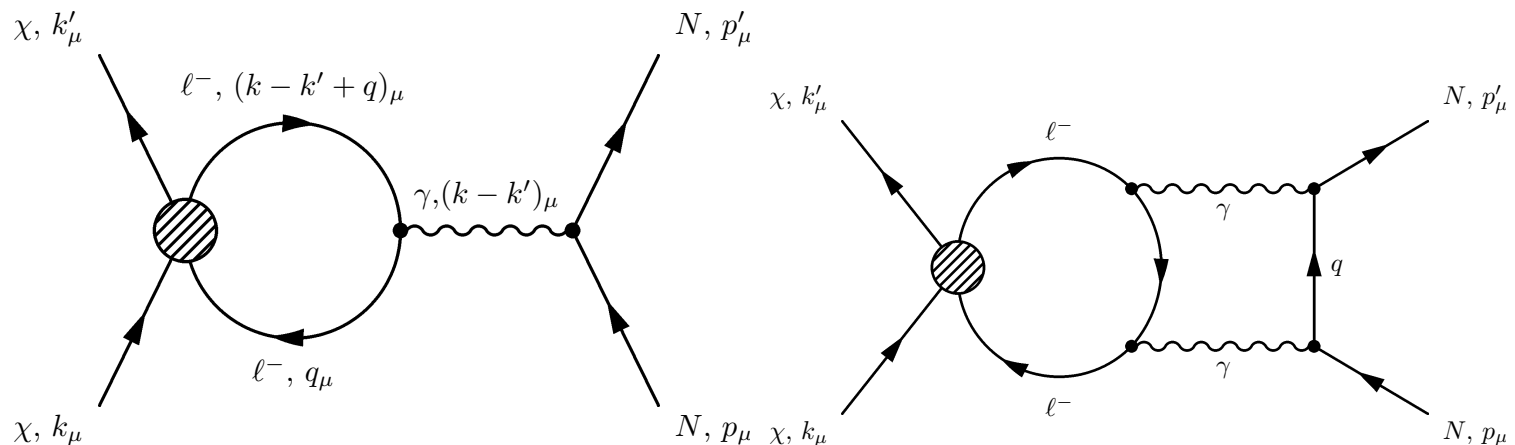
- 2 operators for scalar χ

$$\mathcal{L}_{\text{eff}} = G_5 (\chi^\dagger \chi) [\bar{\ell} (d_S + id_P \gamma_5) \ell] \quad \text{with} \quad G_5 = \frac{1}{\Lambda}$$

- this description completely model independent

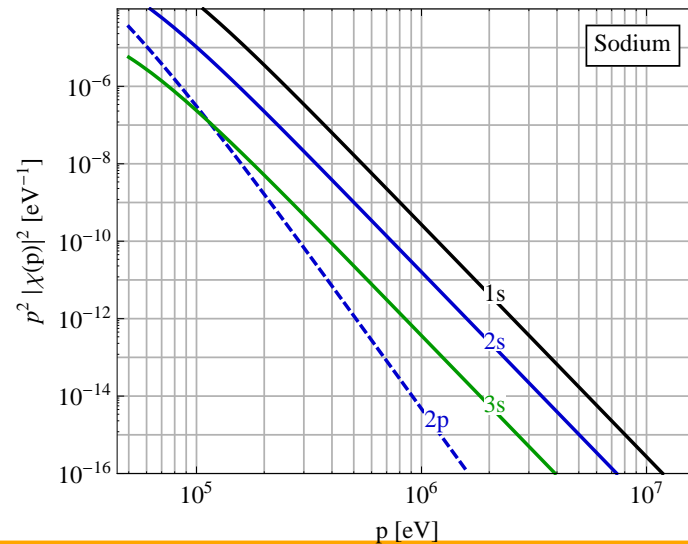
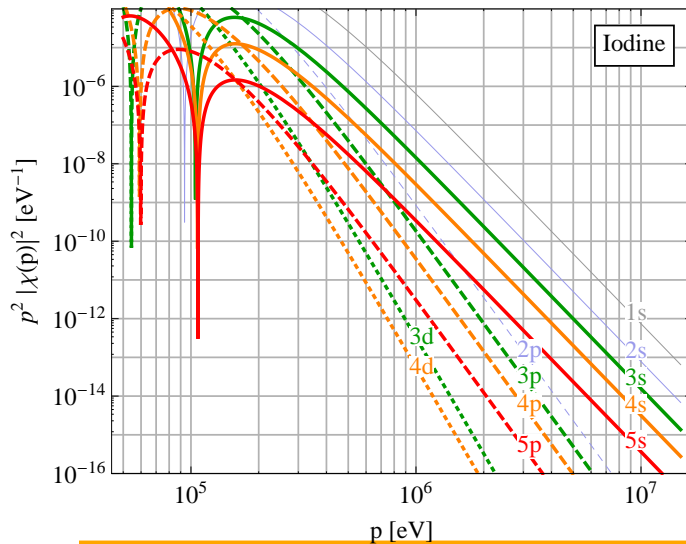
Types of events

1. **WIMP–electron scattering** (WES): electron kicked out of the atom
2. **WIMP–atom scattering** (WAS): electron remains bound, recoil taken by the atom
3. **WIMP–nucleus scattering** (WNS): interactions with quarks induced at loop level



$\chi e^- \rightarrow \chi e^-$ kinematics

- e^- at rest, χ velocity $v \sim 10^{-3}c$:
 - maximal recoil energy $E_d = 2mv^2 \sim O(\text{eV})$
- electrons bound \Rightarrow can have large momenta
- energy transfer $E_d \sim O(pv)$
 - for $p \sim O(\text{MeV}) \Rightarrow E_d \sim O(\text{keV})$
- such configurations are not very probable \Rightarrow wave function suppression, $\epsilon_{\text{WES}} \sim 10^{-6}$, $\epsilon_{\text{WAS}} \sim 10^{-19}$



Comparing rates

$$R^{\text{WAS}} : R^{\text{WES}} : R^{\text{WNS}} \sim \epsilon^{\text{WAS}} : \epsilon^{\text{WES}} \frac{m_e}{m_N} : \left(\frac{\alpha_{\text{em}} Z}{\pi} \right)^2$$
$$\sim 10^{-17} : 10^{-10} : 1$$

- loop induced $\chi N \rightarrow \chi N$ most important (even at two loop, where extra $O(10^{-6} Z^2)$ suppression)
- two types of operators
 - i) **induce** $\chi N \rightarrow \chi N$ at 1-loop or 2-loops
($S \otimes S, P \otimes S, V \otimes V, A \otimes V, T \otimes T, AT \otimes T$)
 - ii) **does not induce** $\chi N \rightarrow \chi N$ at any loop
($S \otimes P, P \otimes P, V \otimes V, V \otimes A, A \otimes A$)

Two examples

	fermionic DM		
$\Gamma_\chi \otimes \Gamma_\ell$	$\sigma(\chi e \rightarrow \chi e)/\sigma_{\chi e}^0$	$\sigma(\chi N \rightarrow \chi N)/\sigma_{\chi N}^1$	
$S \otimes S$	1	α_{em}^2	[2-loop]
$S \otimes P$	$\mathcal{O}(v^2)$	–	
$P \otimes S$	$\mathcal{O}(r_e^2 v^2)$	$\alpha_{\text{em}}^2 v^2$	[2-loop]
$P \otimes P$	$\mathcal{O}(r_e^2 v^4)$	–	
$V \otimes V$	1	1	[1-loop]
$V \otimes A$	$\mathcal{O}(v^2)$	–	
$A \otimes V$	$\mathcal{O}(v^2)$	v^2	[1-loop]
$A \otimes A$	3	–	
$T \otimes T$	12	q_ℓ^2	[1-loop]
$AT \otimes T$	$\mathcal{O}(v^2)$	$q_\ell^2 v^{-2}$	[1-loop]
	scalar DM		
Γ_ℓ	$\sigma(\chi e \rightarrow \chi e)/\sigma_{\chi e,5}^0$	$\sigma(\chi N \rightarrow \chi N)/\sigma_{\chi N,5}^1$	
S	1	α_{em}^2	[2-loop]
P	$\mathcal{O}(v^2)$	–	

Two examples

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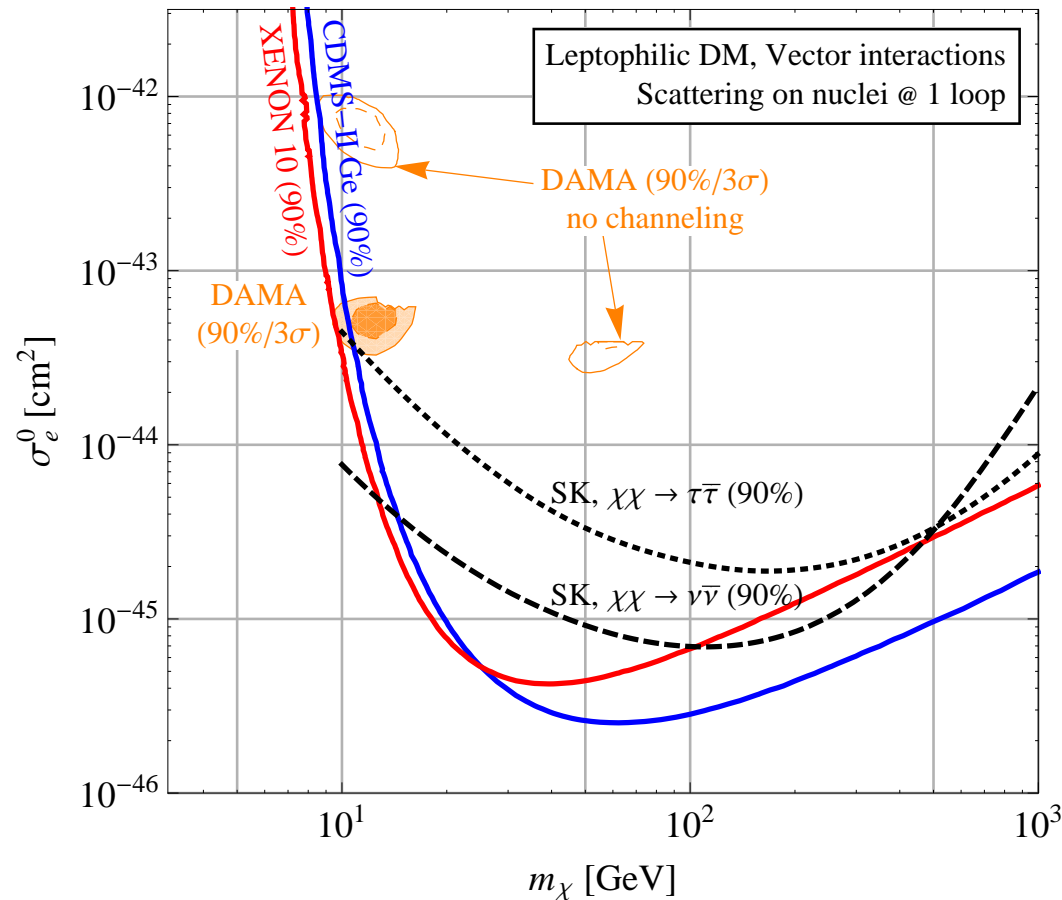
Numerics

- in numerics will fix equal coupling to e, μ, τ
- constraints on Λ translate to constr. on total Xsec for nonrel. e^-

$$\sigma_{\chi e}^0 = \frac{m_e^2}{\pi \Lambda^4} \approx 3.1 \times 10^{-39} \text{ cm}^2 \left(\frac{10 \text{ GeV}}{\Lambda} \right)^4$$

$V \otimes V$ case: loop induced $\chi N \rightarrow \chi N$

- the same tension as for standard $\chi N \rightarrow \chi N$ scattering
 \Rightarrow no improvement from leptophilic nature of χ



$A \otimes A$ case: scattering on electrons

- no coupl. to quarks through loops (at any order)
- important spectral shape of the event rate

$$\frac{dR^{\text{WES}}}{dE_d} \simeq \frac{3\rho_0 m_e G^2}{4\pi(m_{\text{I}} + m_{\text{Na}})m_\chi} \sum_{nl} \sqrt{2m_e(E_d - E_{B,nl})} (2l + 1) \int \frac{dp p}{(2\pi)^3} |\chi_{nl}(p)|^2 I(v_{\text{min}}^{\text{WES}})$$

$\chi_{nl}(p)$ el. momentum w.f., $E_{B,nl}$ the binding energy,

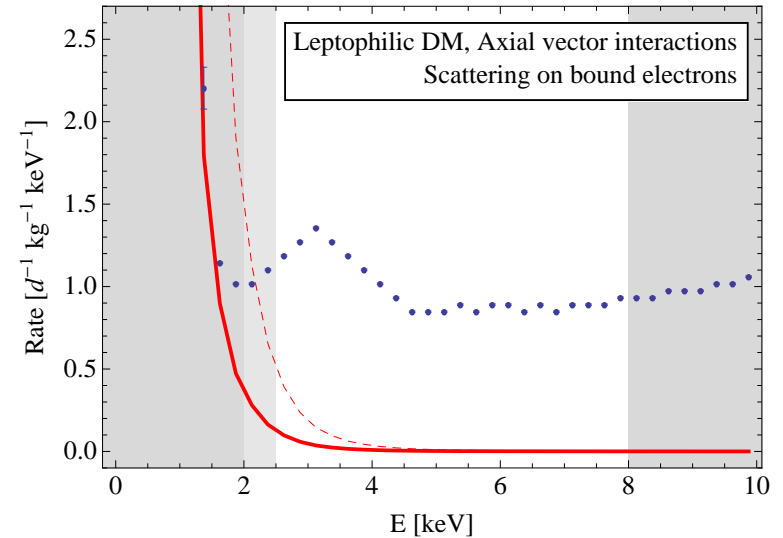
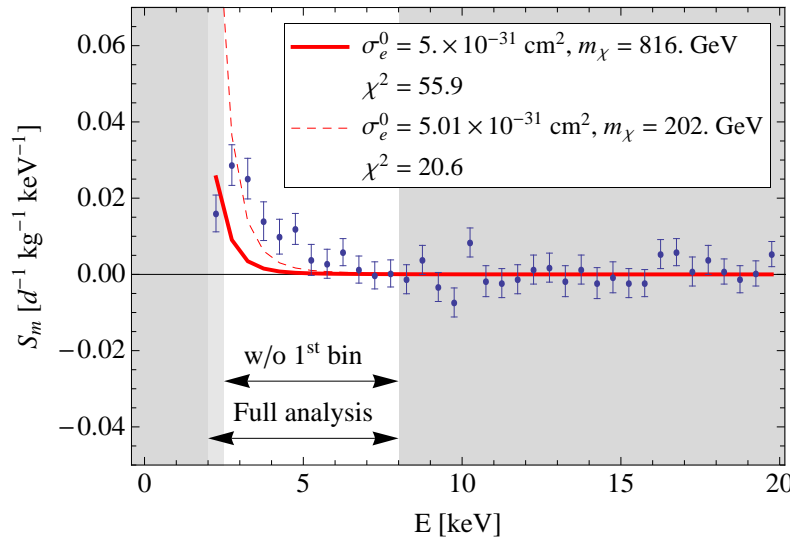
$$I(v_{\text{min}}) \equiv \int d^3v \frac{f_\odot(\mathbf{v})}{v} \theta(v - v_{\text{min}}),$$

- the minimal velocity to give signal

$$v_{\text{min}}^{\text{WES}} \approx \frac{E_d}{p} + \frac{p}{2m_\chi}$$

$A \otimes A$ case: spectral shape

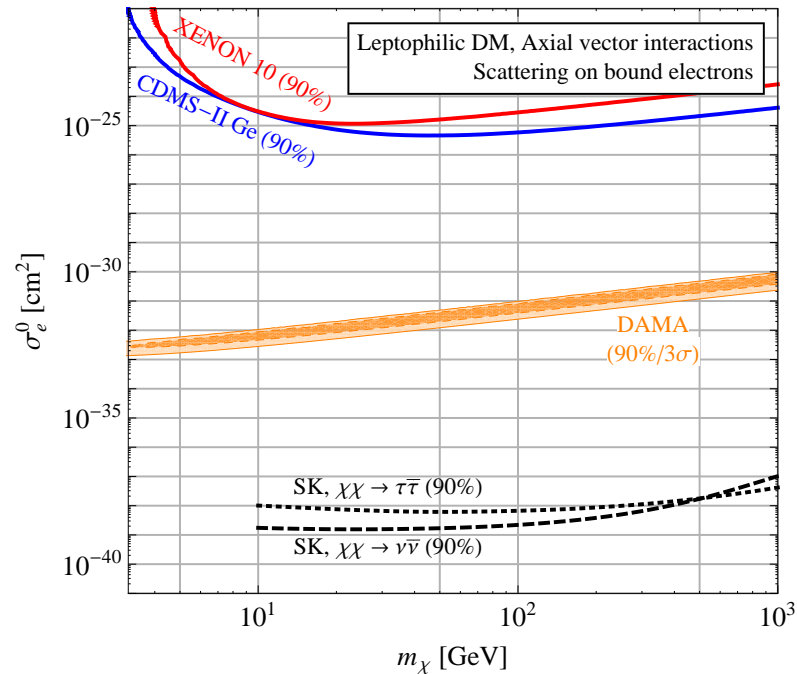
- best fit predictions for modulated, unmodulated rates



- spectral shape of modulated signal strongly disfavors this scenario: $\chi^2/dof = 55.9/10$
- improved to $\chi^2/dof = 20.6/9$ (prob. 1.4%) if no first bin
 - then unmodulated rate too large

$A \otimes A$ case: best fit

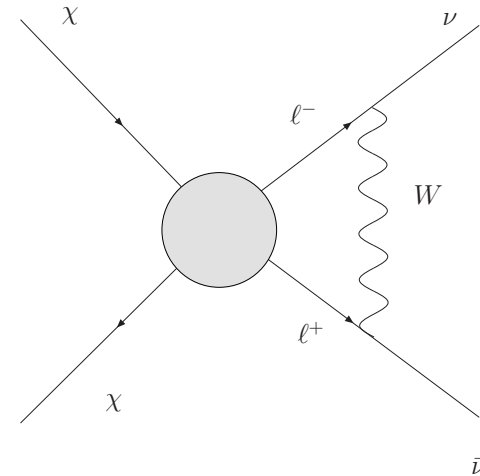
- ignoring these problems, the best fit region



- very large Xsec: $\sigma_{\chi e}^0 \approx 3.1 \times 10^{-31} \text{ cm}^2 \left(\frac{0.1 \text{ GeV}}{\Lambda}\right)^4$
- requires $\Lambda < 0.1 \text{ GeV}$
- allowed only, if no $\chi\chi \rightarrow \tau\bar{\tau}, \nu\bar{\nu}$

Comments on neutrino constraints

- for relevant parameters capture and annihilation are in equilibrium in the sun \Rightarrow result indep. of annihilation X_{sec} .
- by assumption χ couples to charged leptons \Rightarrow
 $\chi\chi \rightarrow \ell^+\ell^-$
- but at one loop this produces $\chi\chi \rightarrow \nu\bar{\nu}$
- down by $(\frac{1}{16\pi^2})^2 \sim O(10^{-4})$, still enough to rule out X_{sec} needed for DAMA
- caveat: DM could be not self-conjugate and could have a large $\chi/\bar{\chi}$ asymmetry



Conclusions

- presented model independent analysis of DAMA/LIBRA assuming leptophilic DM
- this class of models cannot explain DAMA/LIBRA results

Backup slides
