



Beam-Beam Long Range Compensation Experimental plan

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Outline

- Beam-beam long range (BBLR) wire compensation
 - BBLR in the LHC
 - Initial proposal and basic considerations
 - BBLR for HL-LHC and refined configuration
- Experimental conditions evolution and final proposal
- Simulations of beam lifetime evolution with BBLR compensation
- Alternative compensation with octupoles
- Summary

Wire compensation

- Beam-beam (LR) kick (round beams)

$$\Delta\{x', y'\} = -\frac{2N_b r_p}{\gamma} \frac{\{X, Y\}}{X^2 + Y^2} \left(1 - e^{-\frac{X^2 + Y^2}{2\sigma^2}}\right)$$

with $X = x + x_c$, $Y = y + y_c$ beam separation

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- Neglecting **form factor** (sufficiently large separation), can be approximated by an “infinite” wire

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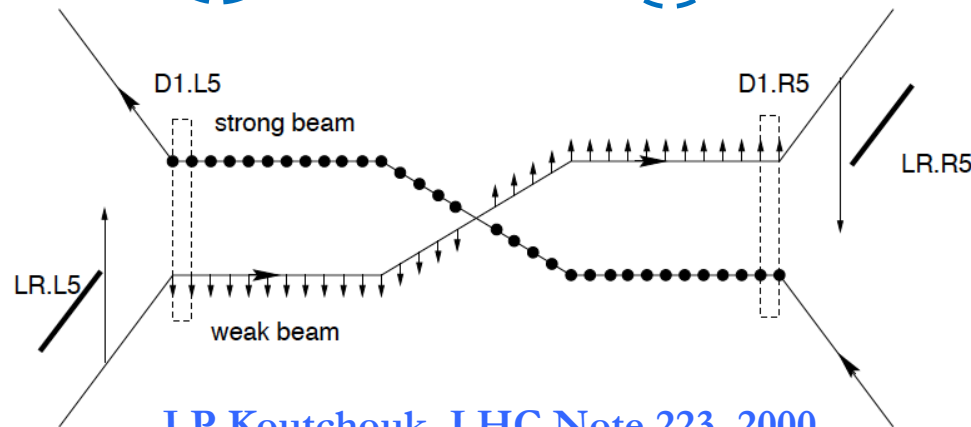
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with $X = x + x_c$, $Y = y + y_c$ beam separation

- Neglecting **form factor** (sufficiently large separation), can be approximated by an “infinite” wire

$$\Delta\{x', y'\}_W = \frac{\mu_0}{2\pi} \frac{I_W L_W}{B\rho} \frac{\{X_W, Y_W\}}{X_W^2 + Y_W^2}$$

with $X_W = x + x_W$, $Y_W = y + y_W$ wire separation



J.P.Koutchouk, LHC Note 223, 2000

Wire compensation

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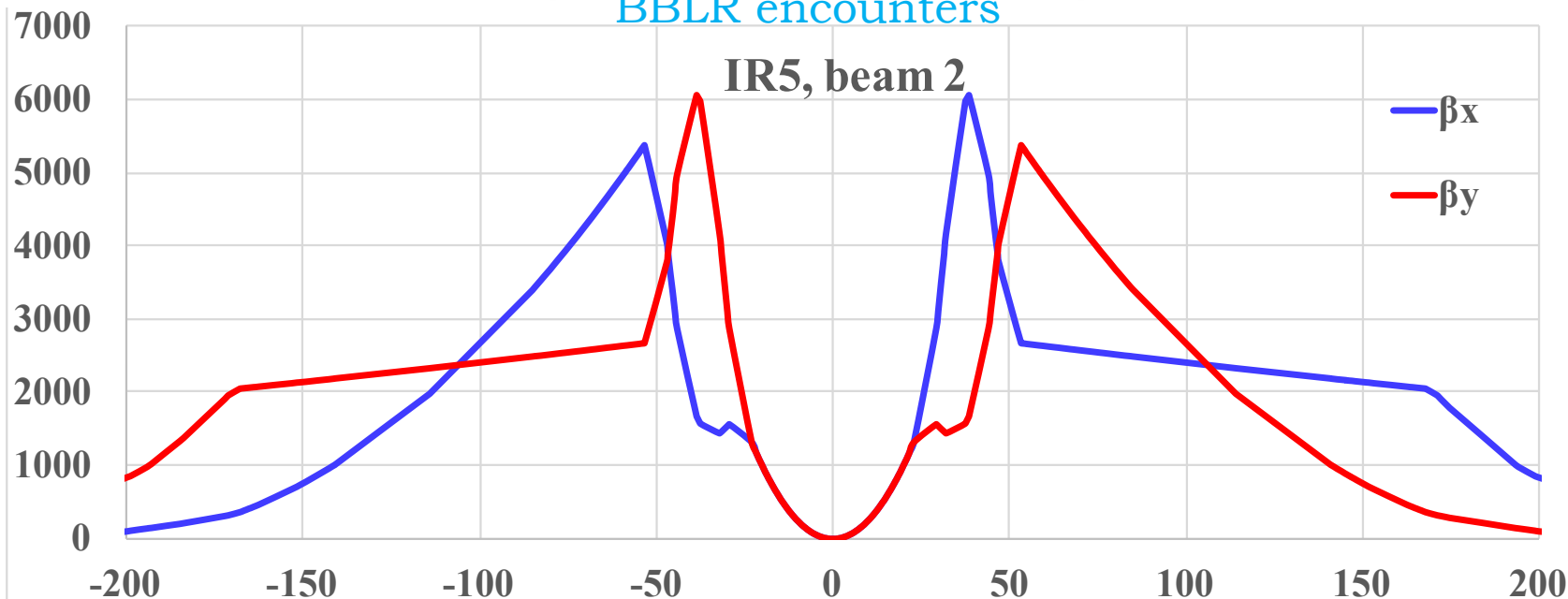
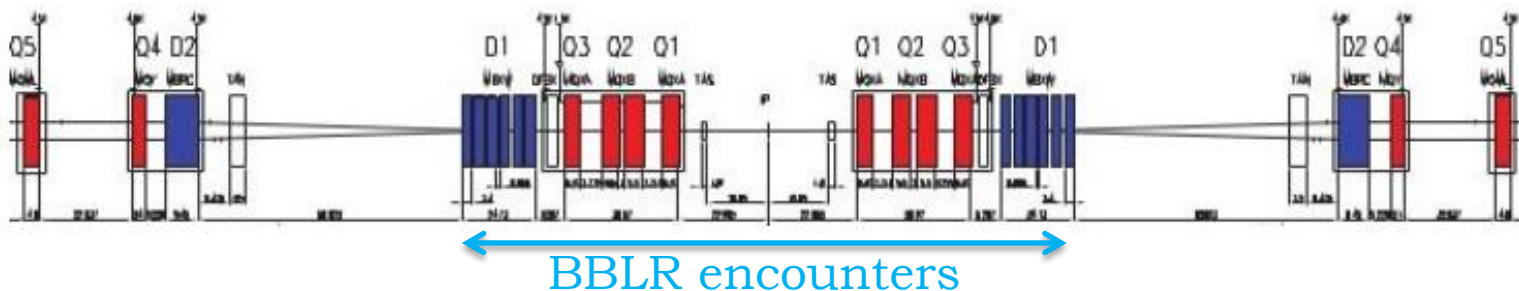
- The simple conditions for matching the effects are

$$x_W = x_c, \quad y_W = y_c, \quad I_W L_W = ecN_b$$

i.e. integrated current of **5.5 Am/encounter** for

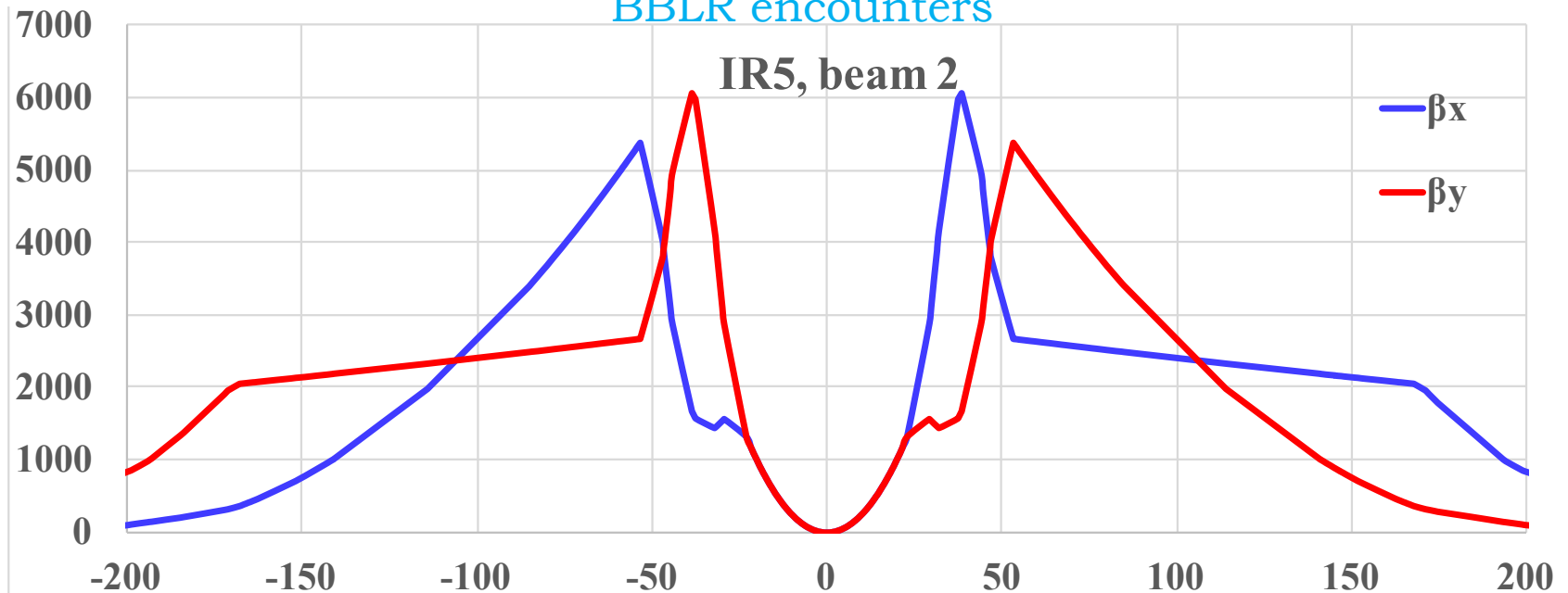
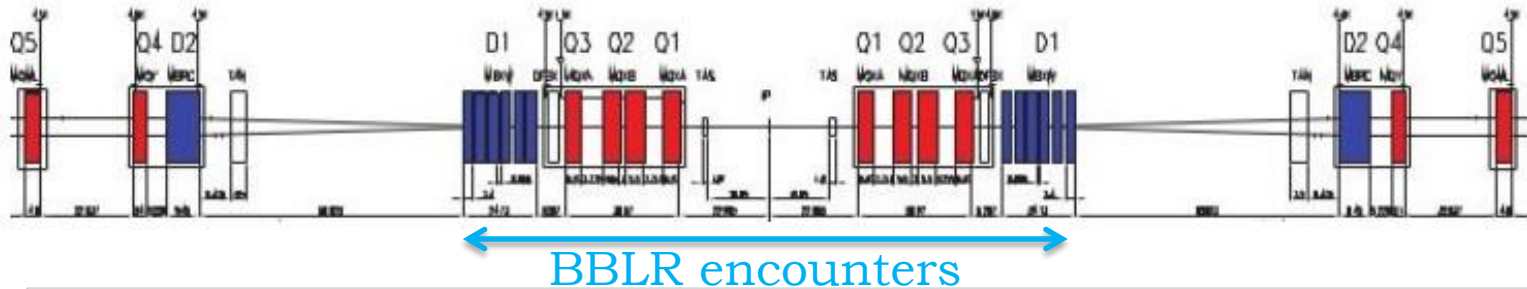
nominal LHC and **10.6 Am/encounter** for HL-LHC

Compensation constraints: locality



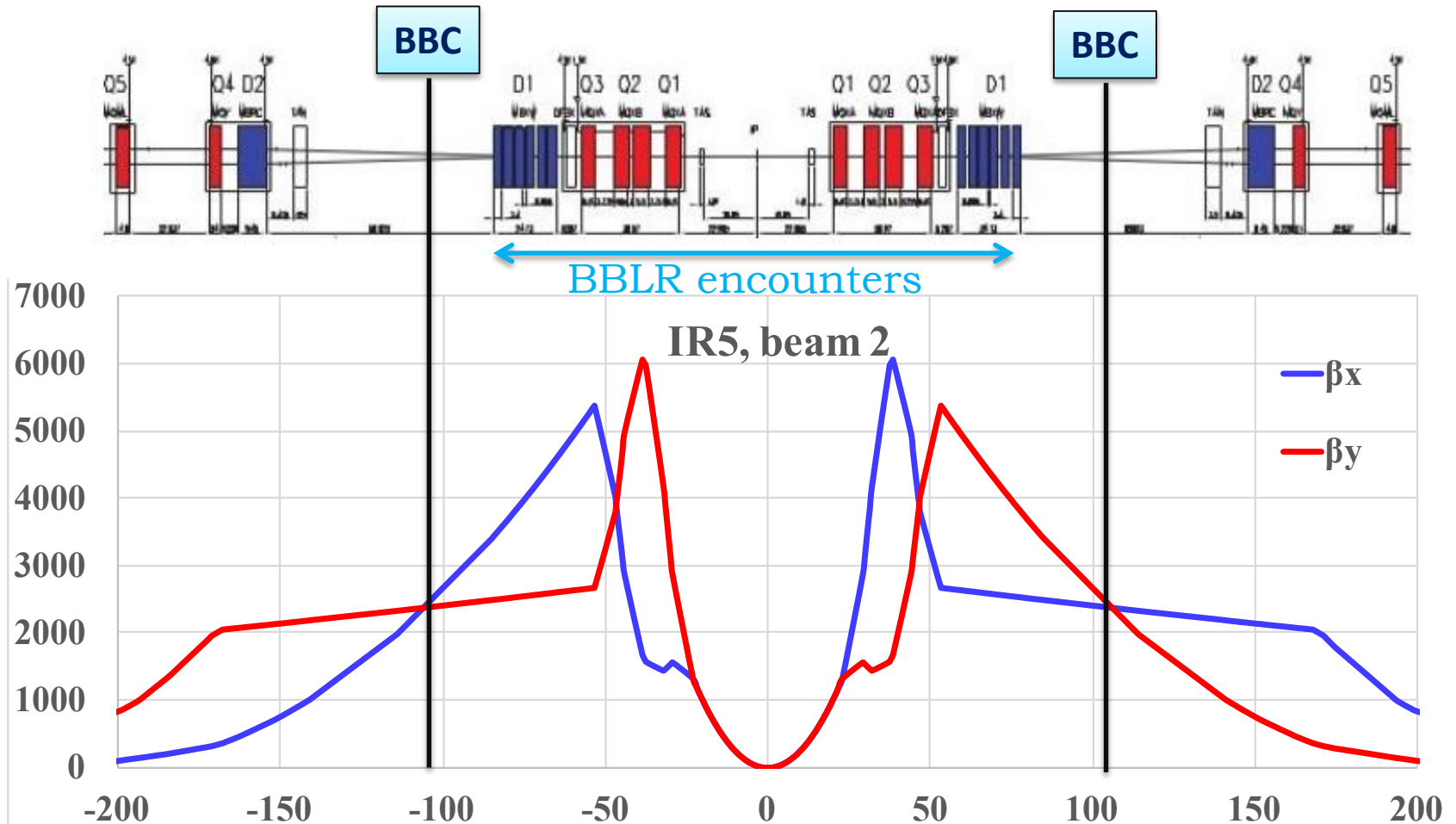
- **BBLR encounters** occurring at $\sim \pi/2$ from either IP side
- Phase advance still $\sim \pi/2$ up to D2/Q4 (and the lower β^* , the better)

Compensation constraints: optics



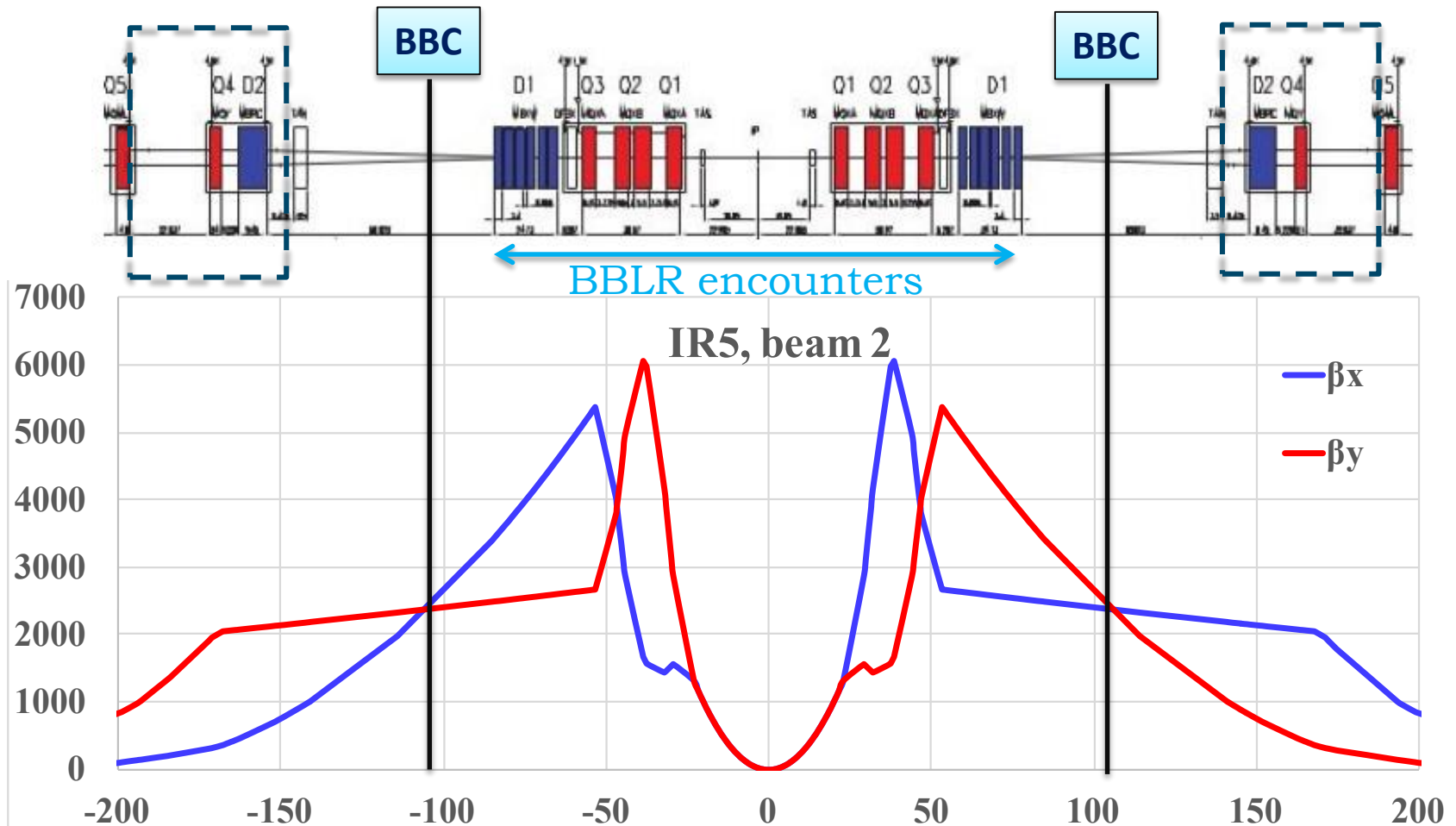
- Optics strictly anti-symmetric L/R of the IP
- Optics symmetric between Q1s, where 50% of encounters occur

Compensation constraints: optics



- Initial idea of **BBC** wire location, where β -functions are large and with aspect ratio $r_w = \beta_x/\beta_y \approx 1$
- In principle, one wire from one IP side (and double the current) will have the same compensation effect (compensating LR encounters near IP)

Experimental test constraints: hardware



- Integration between D1 and TAN quite **challenging**
- Use wires embedded in tertiary collimators between D2 and Q5 for **proof-of-principle** tests

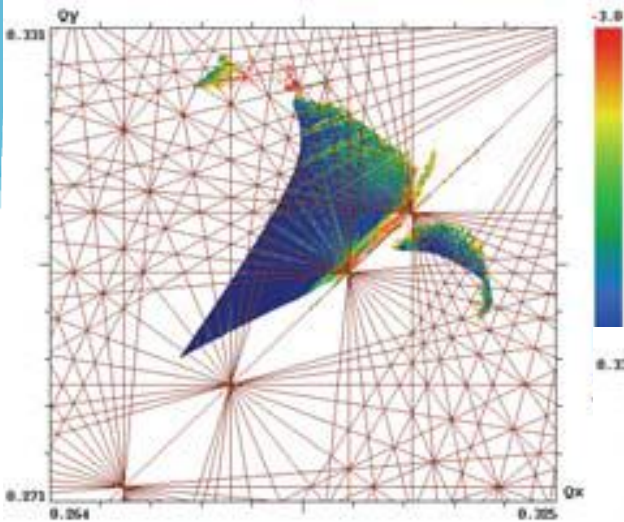
T.Rijoff, CERN-THESIS-2012-377

R.Steihagen, 3rd HI-LUMI Meeting, 2013

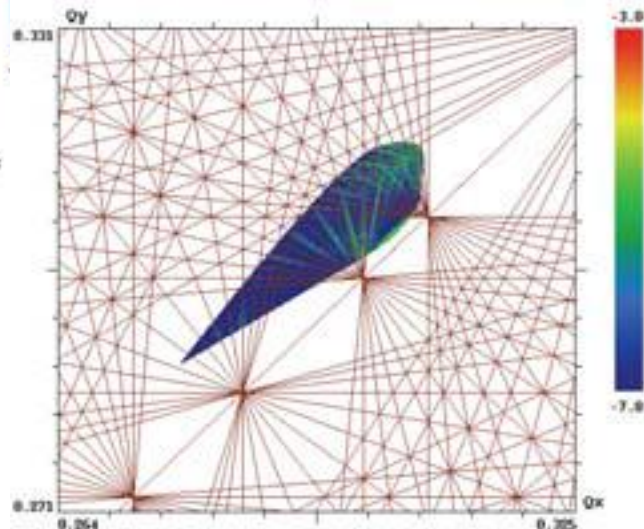
Optimal β aspect ratio

- Recent studies for HL-LHC revealed that optimal compensation can be achieved for unique β aspect ratio (strictly depending on triplet layout)
 - For HL-LHC optimal $r_w \approx 2$ or $1/2$
 - For nominal LHC, $r_w \approx 1.7$ or 0.6

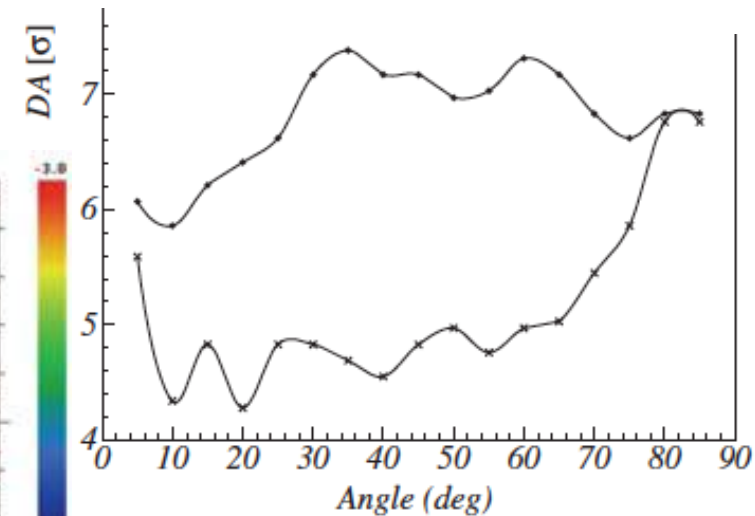
S. Fartoukh et al., PRSTAB, 2015



Reduced crossing angle
of 450 μrad @ 15cm



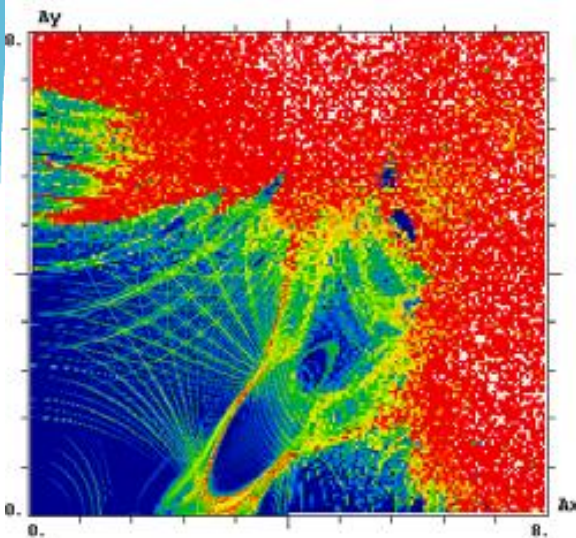
- Nominal bunches with wire correction
- Nominal bunches without wire correction



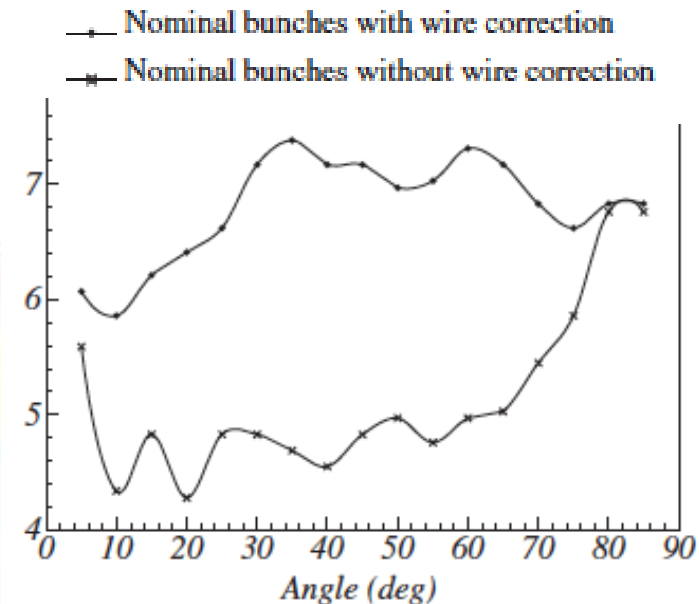
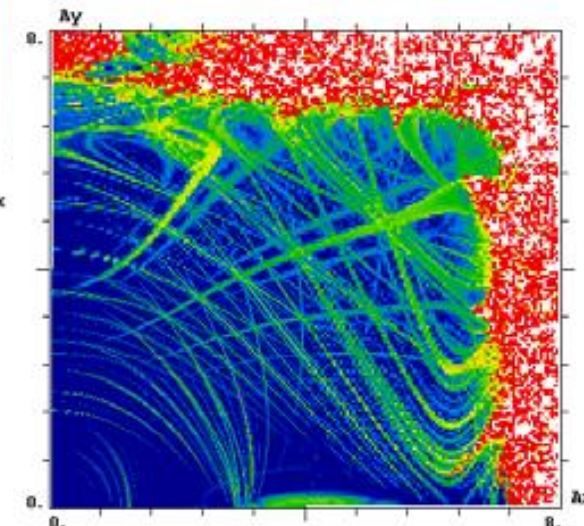
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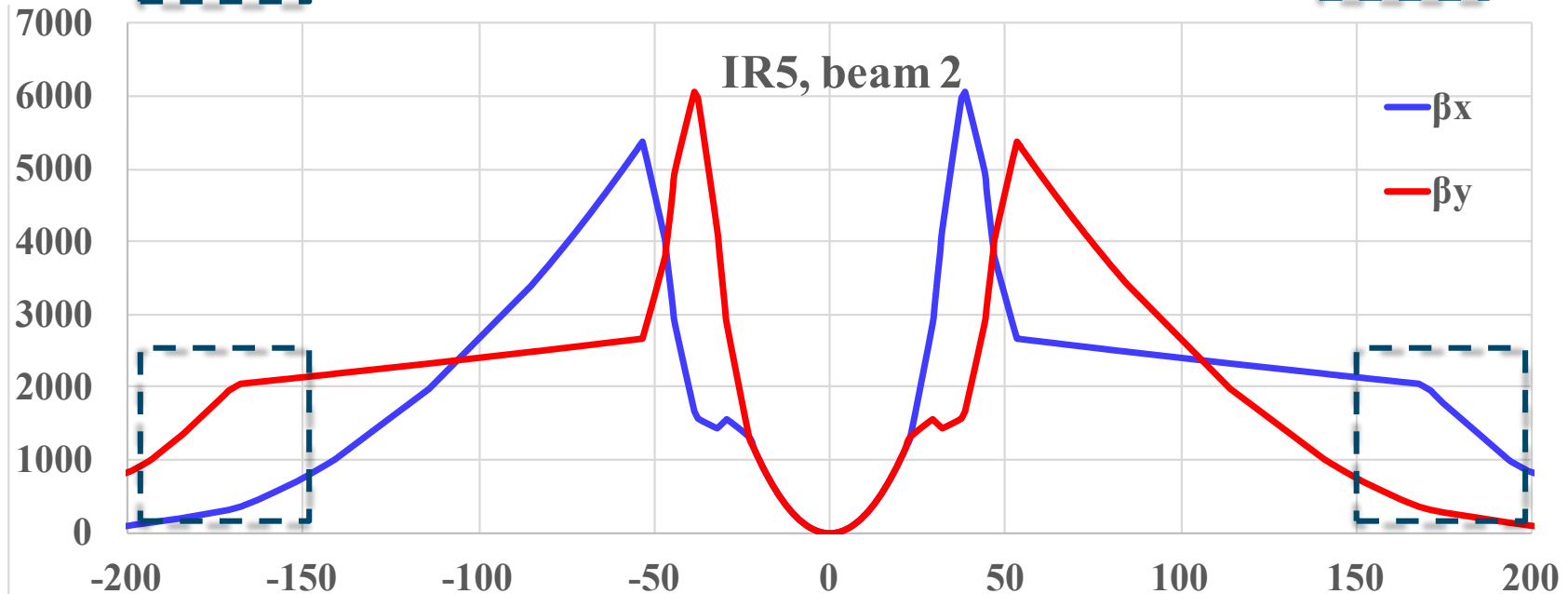
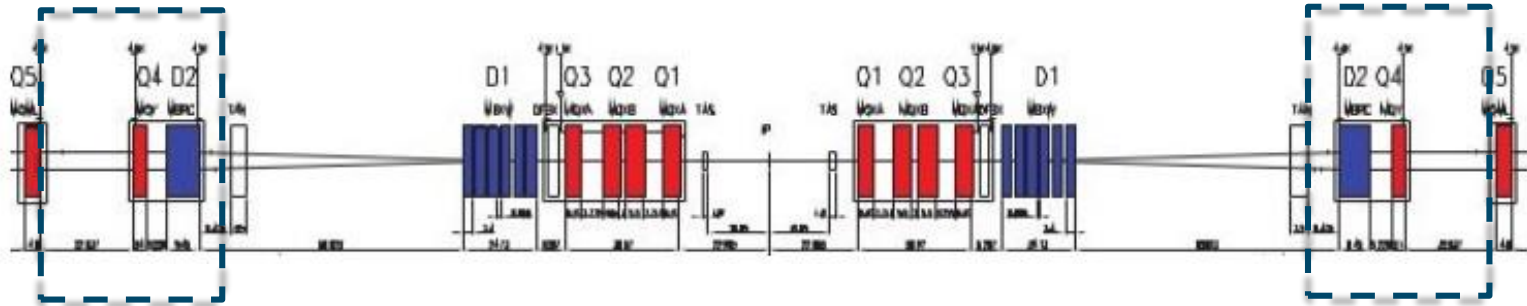
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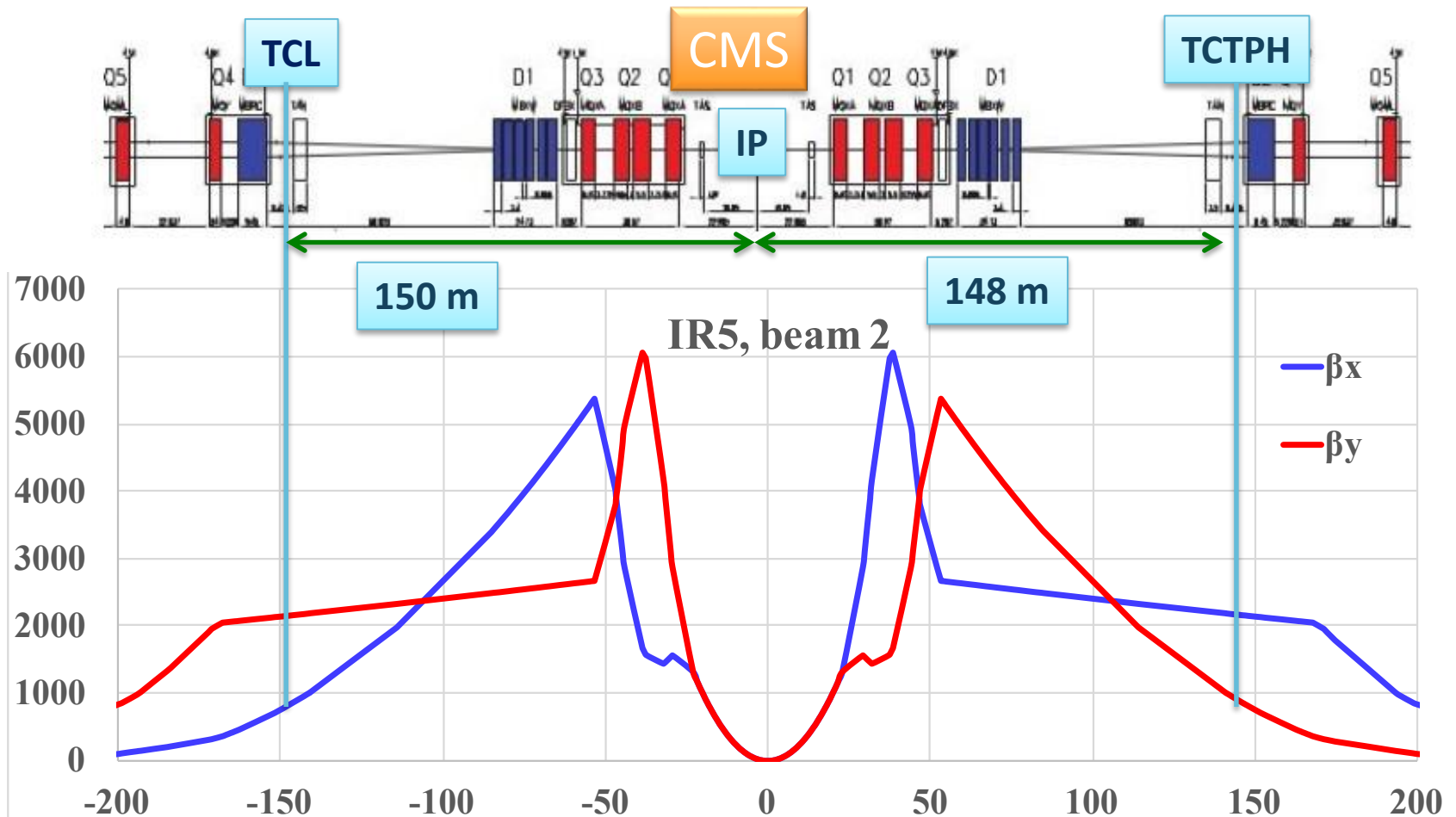


Experimental test constraints: optics



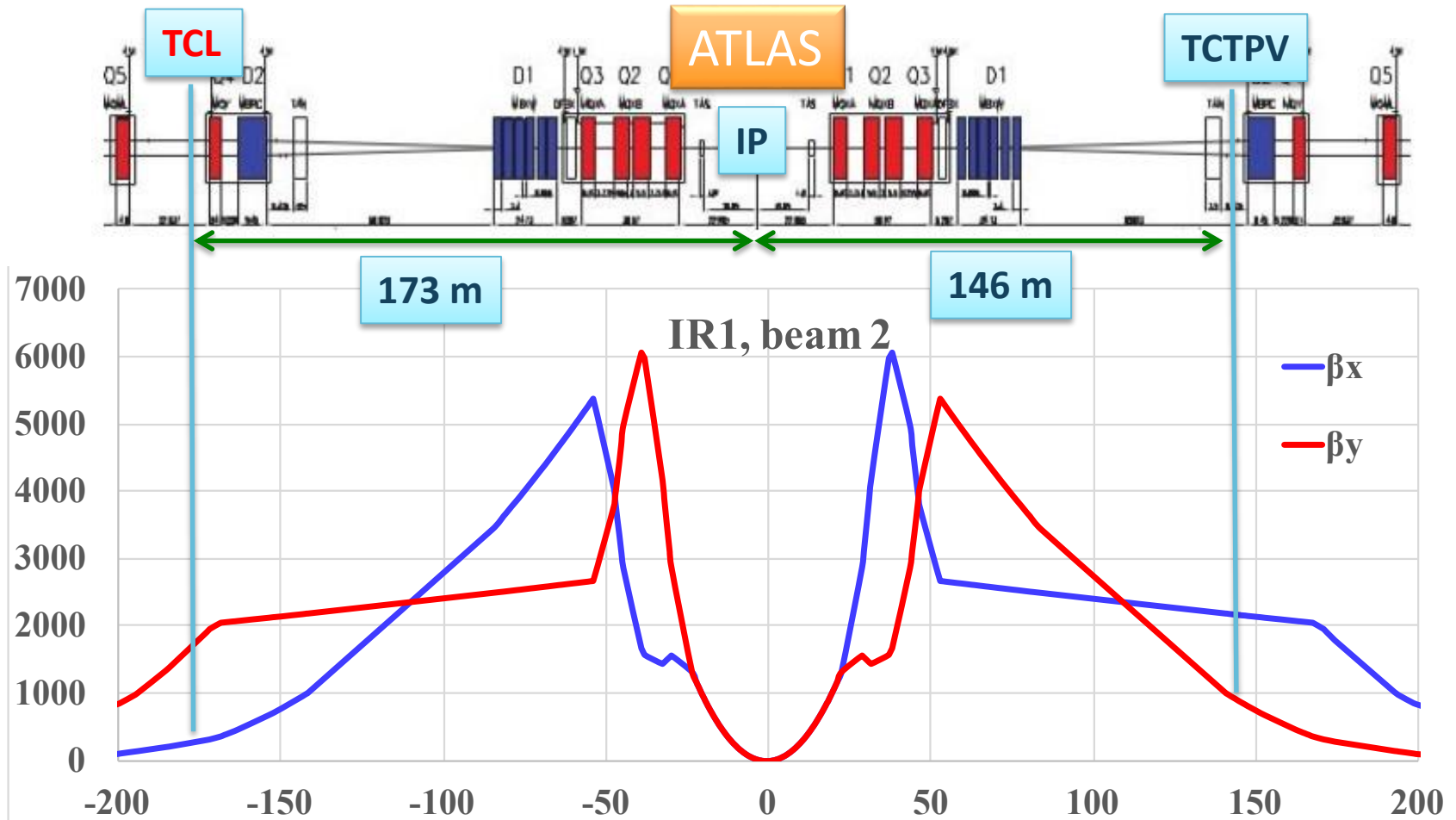
- Between TAN and Q5, ($r_w \neq 1$), one wire per IP does not provide good compensation (optics anti-symmetry)
- Need **two wires** per IP, powered individually in symmetric locations

Optics at TCT locations: IP5



- IR5: **Horizontal TCT** and **TCL** replaced with wire-embedded collimators
- Optics very close to anti-symmetric between the two locations

Optics at TCT locations: IP1



- IR1: **Vertical TCT** replaced with wire-embedded collimator
- New TCT** downstream of Q4 (for beam 2), as location next to D2 crowded
- Optics not close to anti-symmetric especially for small corresponding β

Experimental scenarios

Conclusions of the Lyon workshop

- In both IR1 and 5, wire location to almost $\pi/2$ from IP (max deviation of 2.5°)
- Both optics are **far** from **optimal** β -function **ratio** and IR1 **far from anti-symmetric**
 - For IR5, β -function ratios of around **0.4-2.6**
 - For IR1, β -function ratios of around **2.5-0.2**

Experimental scenarios

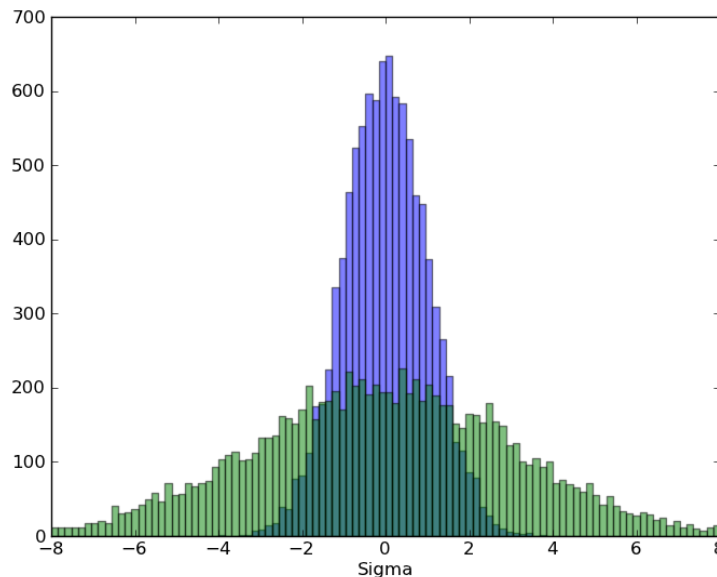
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- In both IR1 and 5, wire location to almost $\pi/2$ from IP (max deviation of 2.5°)
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 - For IR5, β -function ratios of around **0.4-2.6**
 - For IR1, β -function ratios of around **2.5-0.2**
- **Two experimental scenarios** considered
 - I. With **optics adjustments**
 - Optics to achieve strict anti-symmetry for left side of IR1 and/or more optimal beta aspect ratio in both
 - Compensating only one IP (IP5), with the other IP not-squeezed and non-colliding (synergy with optics MDs)
 - Necessitate **commissioning time**
 - II. With **commissioned** 2017-2018 machine optics (nominal or ATS)
 - Use all 4 wires and adjust distance/current for **best** compensation
- All experiments in a **Weak-strong** regime, i.e. a few low-current blown-up bunches in beam2 (machine protection) against a full train in beam1

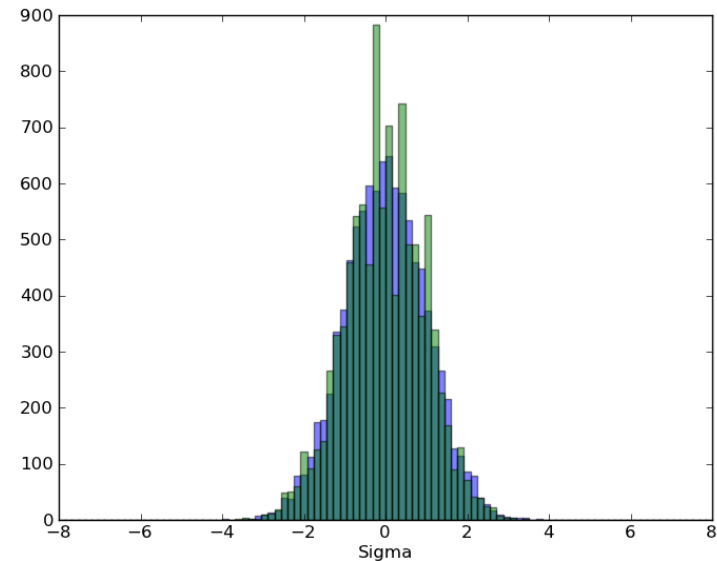
“Lifetime” simulations with SIXTRACK

A.Patapenka, S. Valishev et al.

- Initial distribution composition
 - **Matched** 6D Gaussian tracked for 10^6 turns
 - “Beam Core” + “Beam Halo” (2 times 10^4 macro-particles) with 3 times bigger beam size, statistically weighted with the “core”



Beam core (in blue) + beam halo (transverse size ~ 3 times bigger)



“Halo” statistically weighted with the “Core”

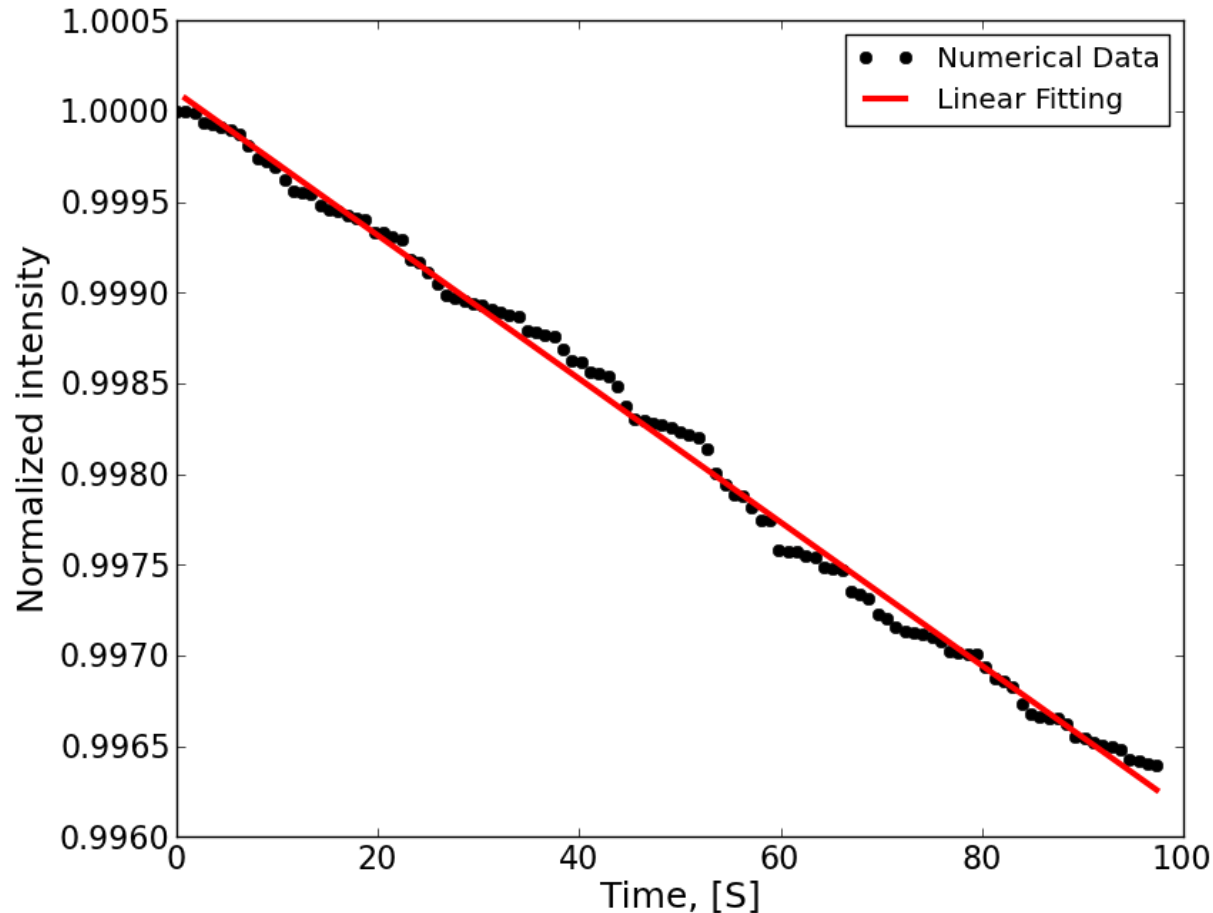
Tracking and compensation parameters

- Beam intensity 1.2×10^{11} , with nominal 25~ns bunch separation and $\beta^* = 40\text{cm}$
- Transverse emittances: 2.5 (weak and strong beam) & $4.0 \mu\text{m}$ (weak beam)
- Energy 6.5 TeV, energy spread $1.12\text{E-}4$, bunch length of 7.5 cm
- Chromaticity of 3 & 15 units, Octupole current of 0 & 550 A, no multi-pole errors
- Beam-beam interactions at IP1 & 5
- **Compensation** with 4 wires per beam (2 per IP) at TCT locations
 - Preliminary results for 2 wires in IP5
- **Wire separation** matching the average BBLR separation given by the crossing angle
- **Wire current** estimated with optimization procedure minimizing ($\Delta p_{\text{wire}} - \Delta p_{\text{BBLR}}$) for the given optics
- Linear tune shift due to wires corrected back to nominal working point

A.Patapenka, S. Valishev et al.

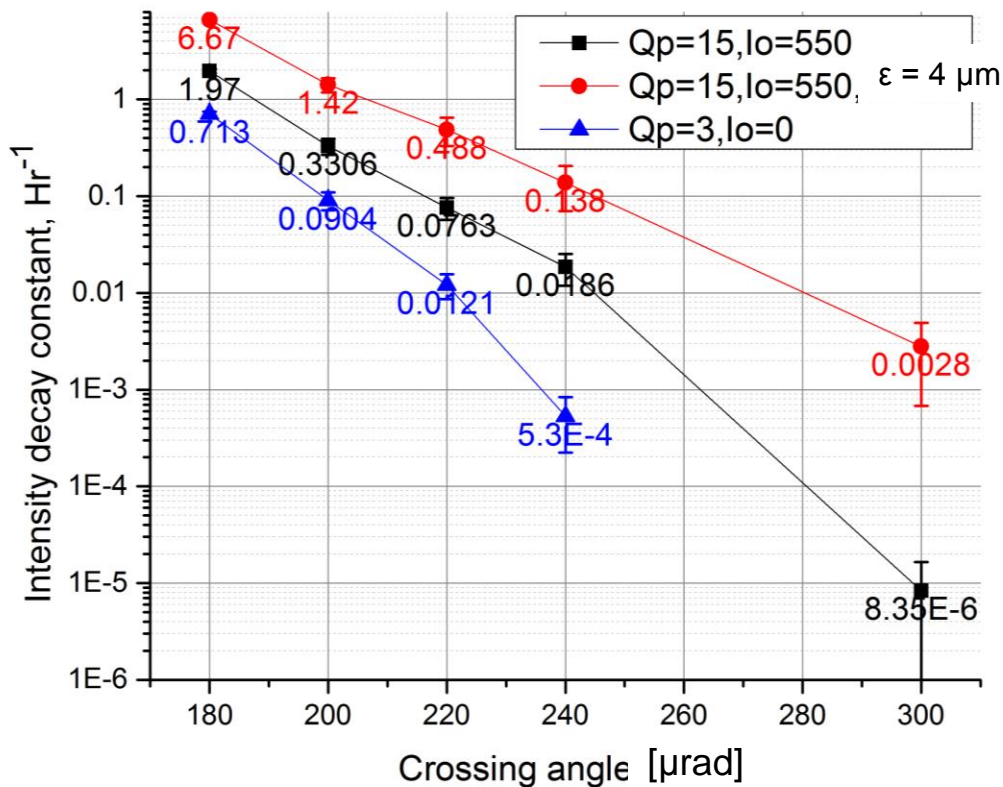
Beam intensity decay

A.Patapenka, S. Valishev et al.



- Tracking for 10^6 turns and estimation of beam intensity decay constant λ (either from linear fit, for slow decay, or from direct fit to exponential for fast decay)

Impact of Octupoles and Chromaticity



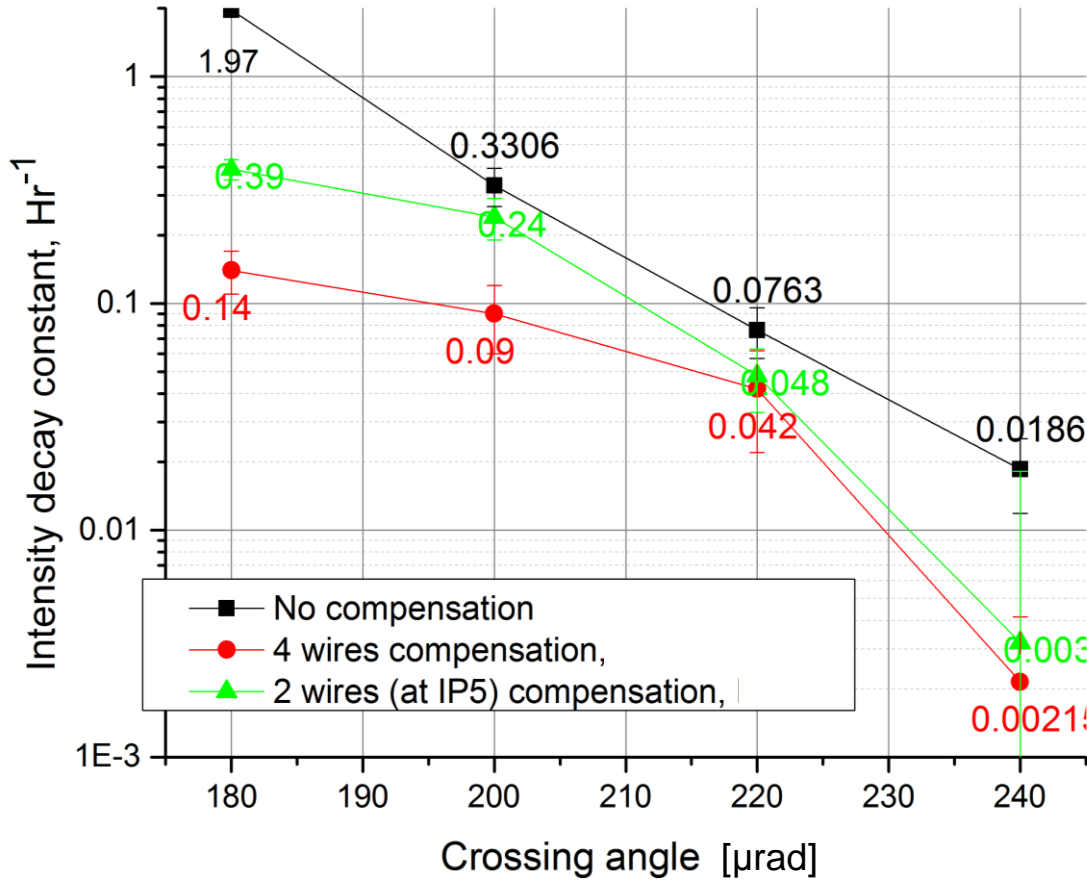
Stat. error >30-50%

- Decay constant as a function of full crossing angle:
- Black:** Chromaticity of 15, octupole current of 550 A, emittance of weak beam of 2.5 μm
- Red:** Chromaticity of 15, octupole current of 550 A, emittance of weak beam of 4.0 μm
- Blue:** Chromaticity of 3, zero octupole current, emittance of weak beam of 2.5 μm

A.Patapenka, S. Valishev et al.

Impact of compensation

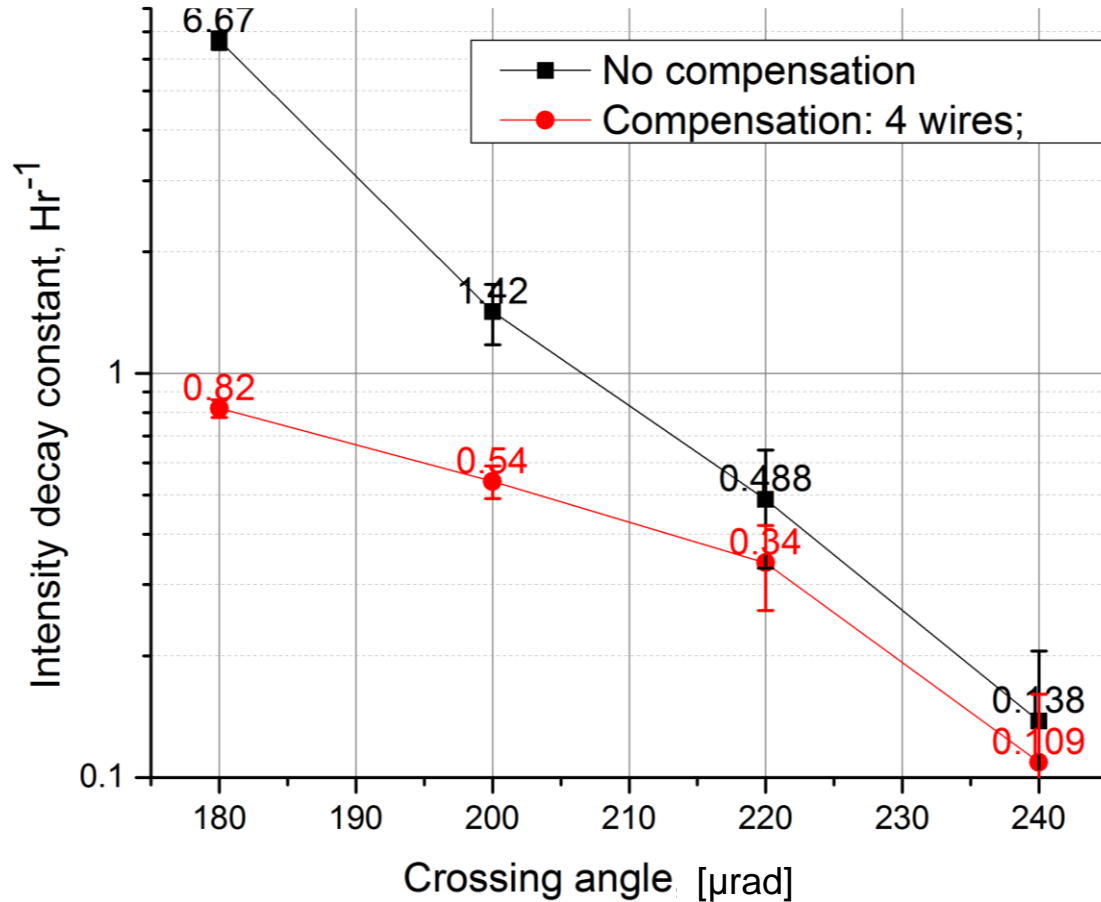
Octupoles current =550 A, $Q_p=15$, weak beam emit.=2.5 μm



- **Black:** No compensation, weak beam emittance of 2.5 μm
- **Red:** Compensation with 4 wires
- ▲ **Green:** Compensation with 2 wires in IP5

Impact of compensation

Octupoles current =550 A, $Q_p=15$, weak beam emit.=4.0 μm



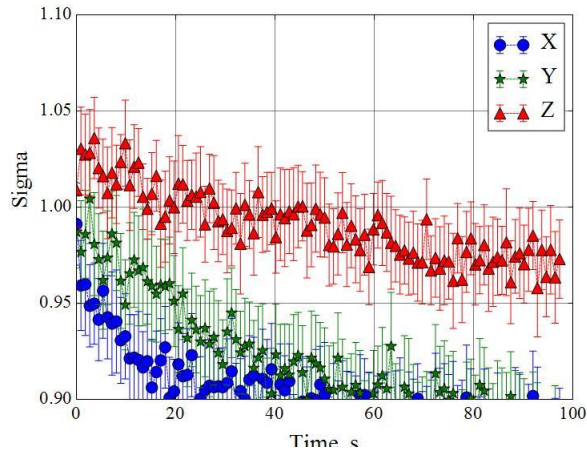
- **Black:** No compensation, weak beam emittance of 4 μm
- **Red:** Compensation with 4 wires

Beam profile evolution

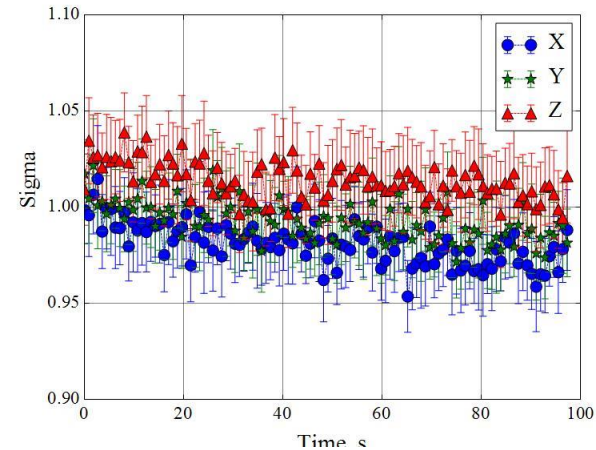
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Beam Gaussian shape as a function of time: $I_0=550\text{A}$, $Q'=15$, $\varepsilon = 4.0 \mu\text{m}$

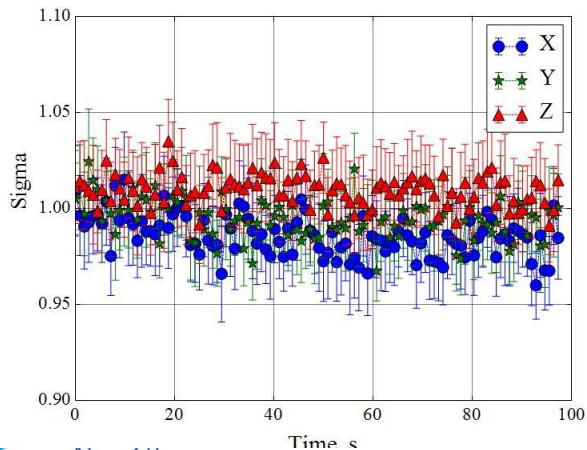
180 μrad , compensation is OFF



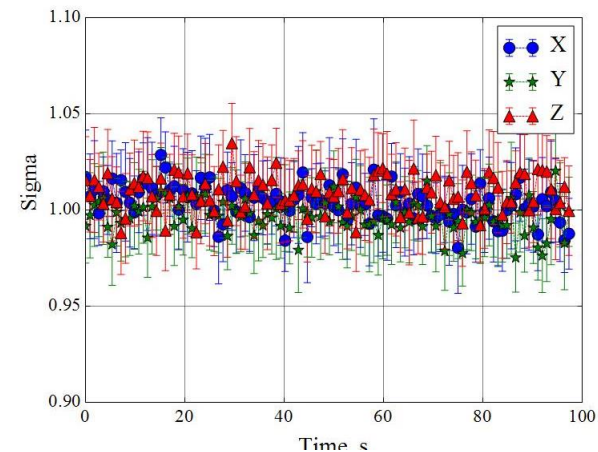
180 μrad , Compensation is ON



220 μrad , compensation is OFF

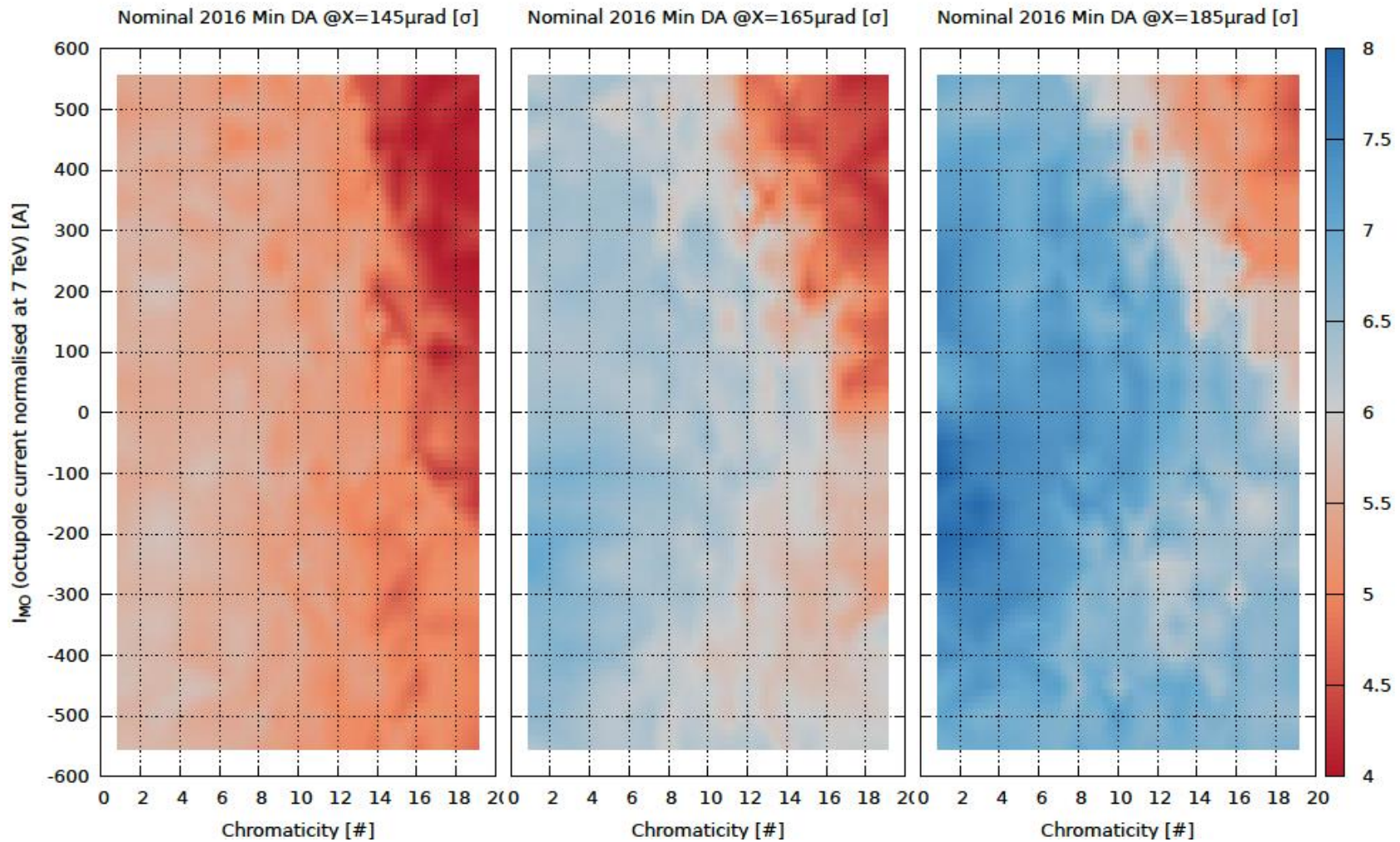


220 μrad , Compensation is ON



Alternative compensation

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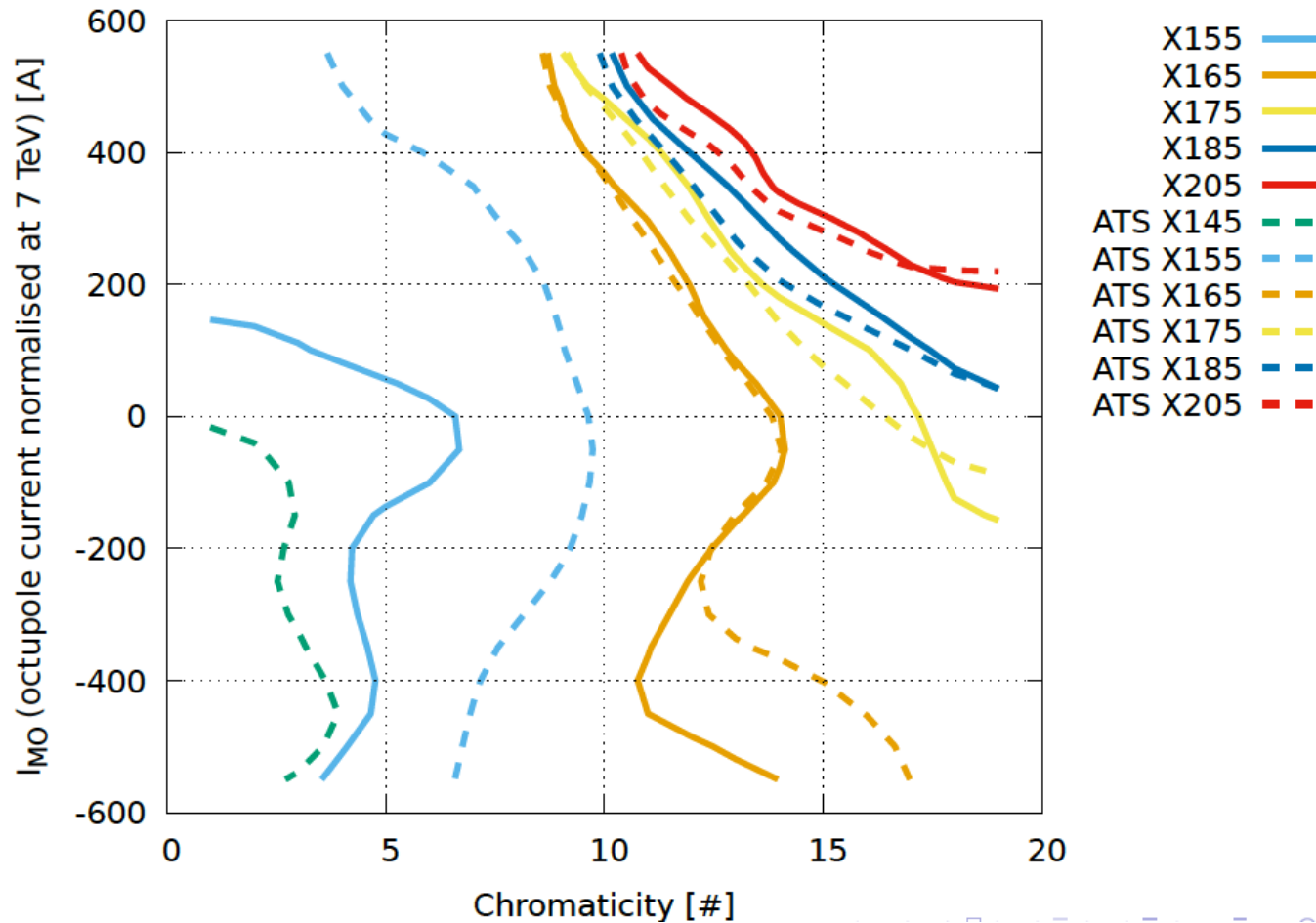


- Octupoles with negative polarity increase DA (reduce BBLR octupole-like tune-spread)

Alternative compensation

D.Pellegrini et al.

6σ boundaries: Nominal vs ATS



- Effect of octupoles is more pronounced with ATS, (lower crossing angle reach)

Summary

- BBLR Compensation concept evolved significantly since its first proposal
- Experimental plan for BBLR devised taking into account:
 - Layout, optics constraints and schedule
- Initiated beam distribution simulations (lifetime, profile evolution) reflecting experimental scenarios
 - On-going work for simulating scenario 1 with one IP (IP5)
- Alternative compensation with octupoles (and ATS optics) is being observed in simulations
 - Tests to be done in MD in 2017-2018



Thanks for your attention

