

EW + Higgs (+ top) Physics at the FCC

Christophe Grojean, **Andrea Wulzer**

Introduction

Particle Physics before LHC



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Particle Physics before FCC



Particle physics is not **validation** anymore, rather it is **exploration of unknown territories** *

* Not necessarily a bad thing. Columbus left for his trip just because he had no idea of where he was going !!

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BSM “maps” to guide ourselves in the FCC ocean

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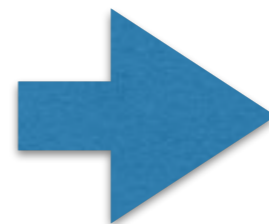
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BSM guidance essential to **assess complementary: BSM “maps”** to guide ourselves in the FCC ocean

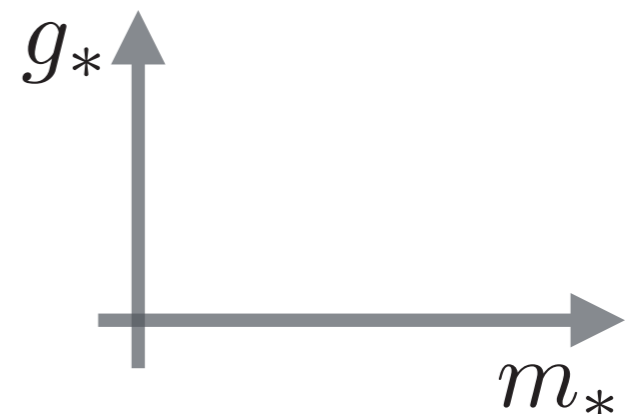
If N.P. is heavy, **EFT map:**

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \mathcal{L}_{\text{BSM}}^{d=6}$$

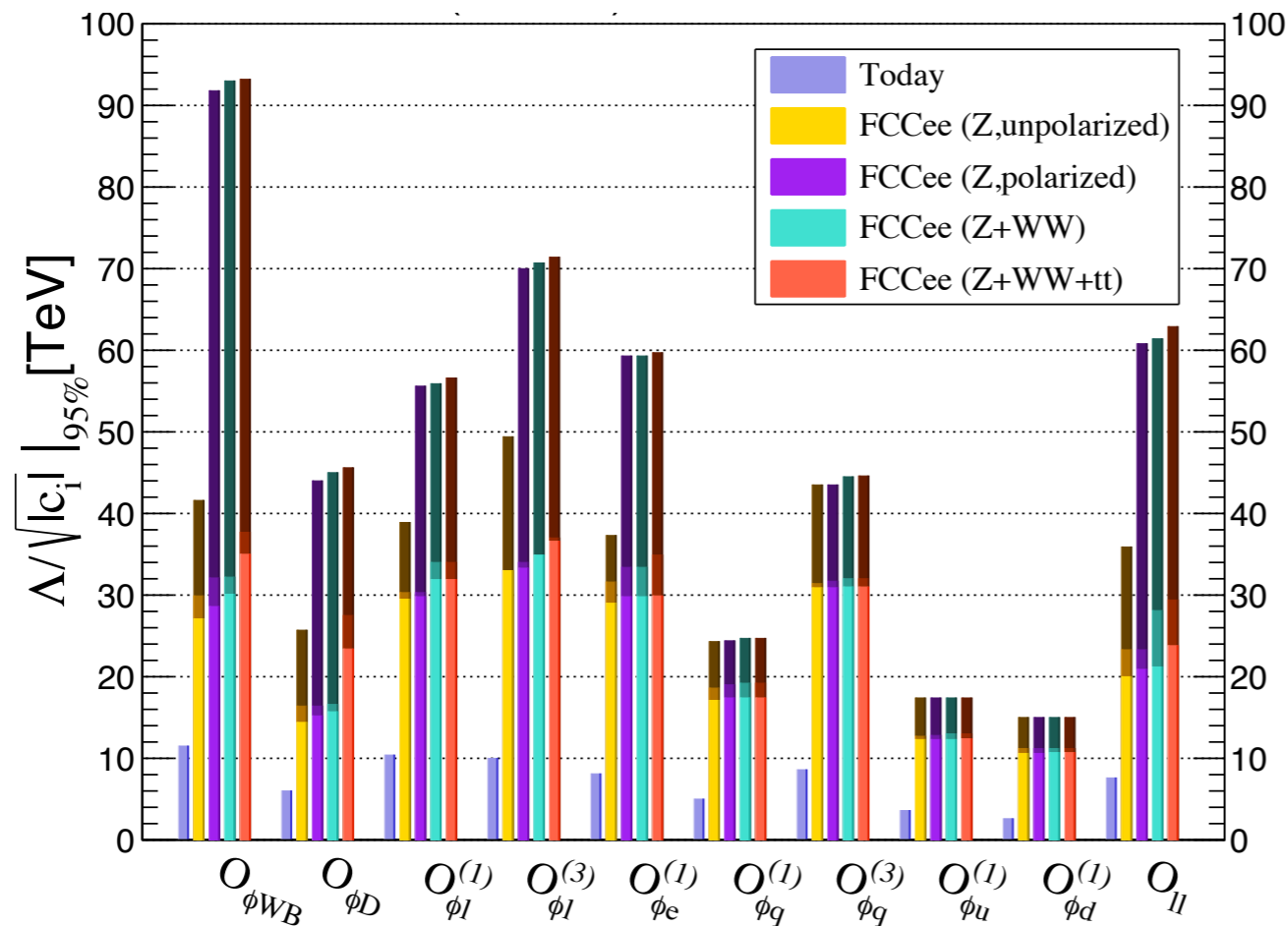
operator estimate from structural BSM assumptions. **Different assumptions produce different maps**



N.P. mass: m_*
N.P. coupling: g_*



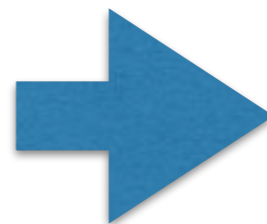
“ Λ ” \neq new physics scale ! ; Λ = interaction scale !



Bound on interaction scale is just the first step.
Coupling is also essential to assess EFT validity

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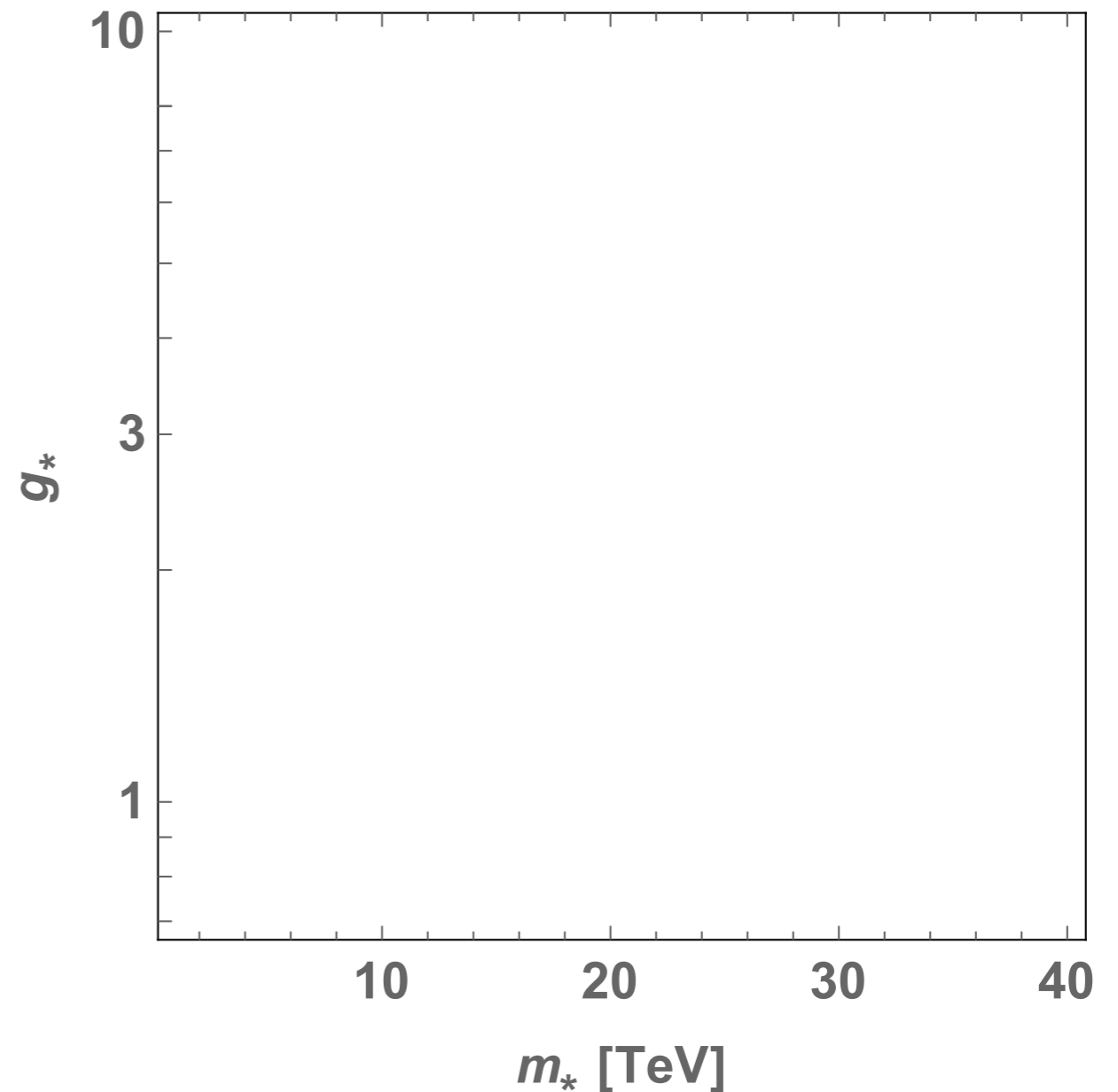
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EW+Higgs Measurements

Assuming **composite** Higgs, **elementary** gauge bos.:

$$\mathcal{L}_{\text{BSM}}^{d=6} = \frac{1}{m_*^2} \frac{1}{g_*^2} \hat{\mathcal{L}}[g_* H, g_w V_\mu, \partial_\mu]$$



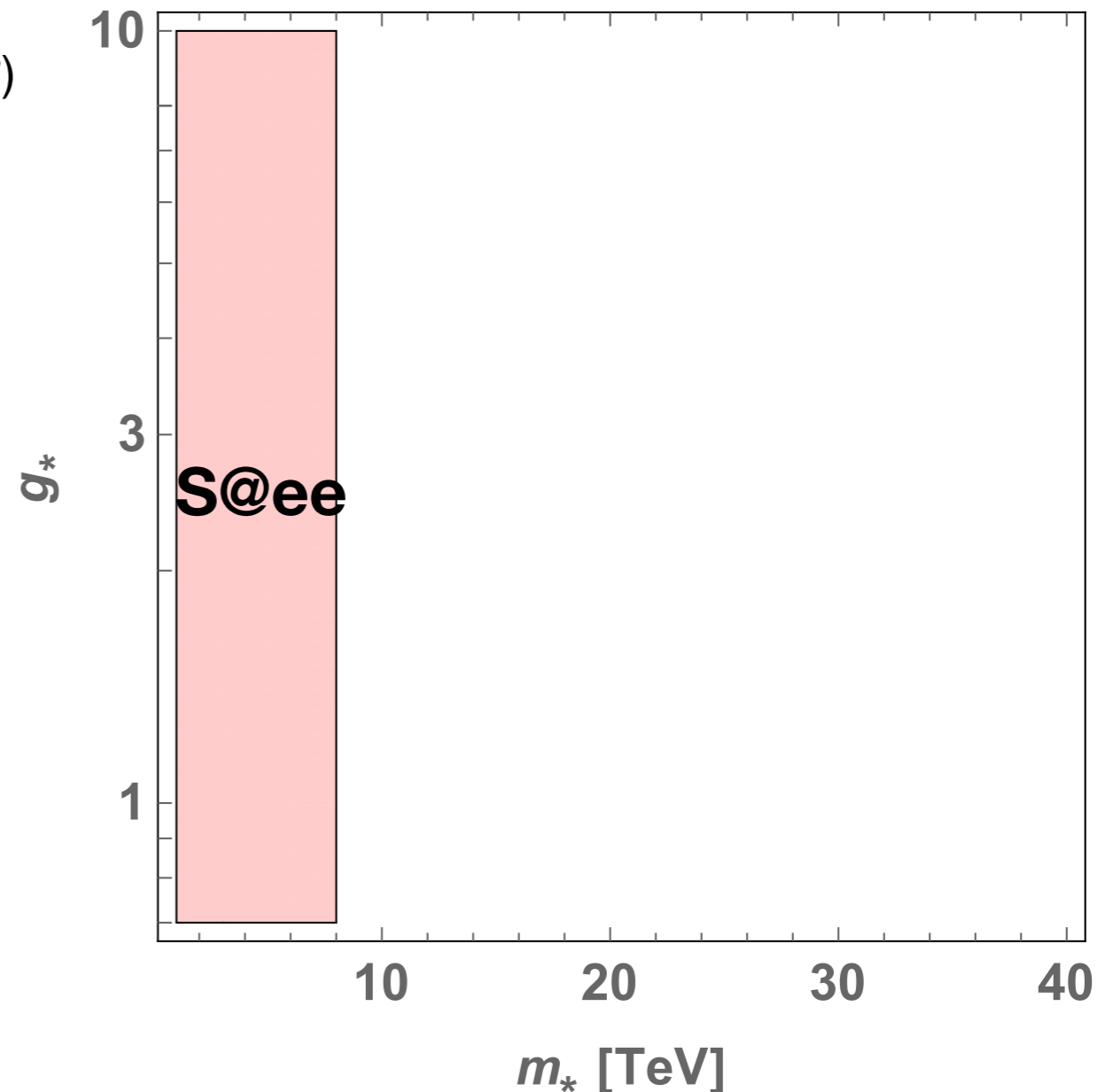
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S-parameter @ee: [De Blas et. al.] (LEP: 10^{-3})

$$\frac{g_w g'}{m_*^2} H^\dagger \sigma_a H W_{\mu\nu}^a B^{\mu\nu} \rightarrow \hat{S} = \frac{m_w^2}{m_*^2} < 10^{-4}$$



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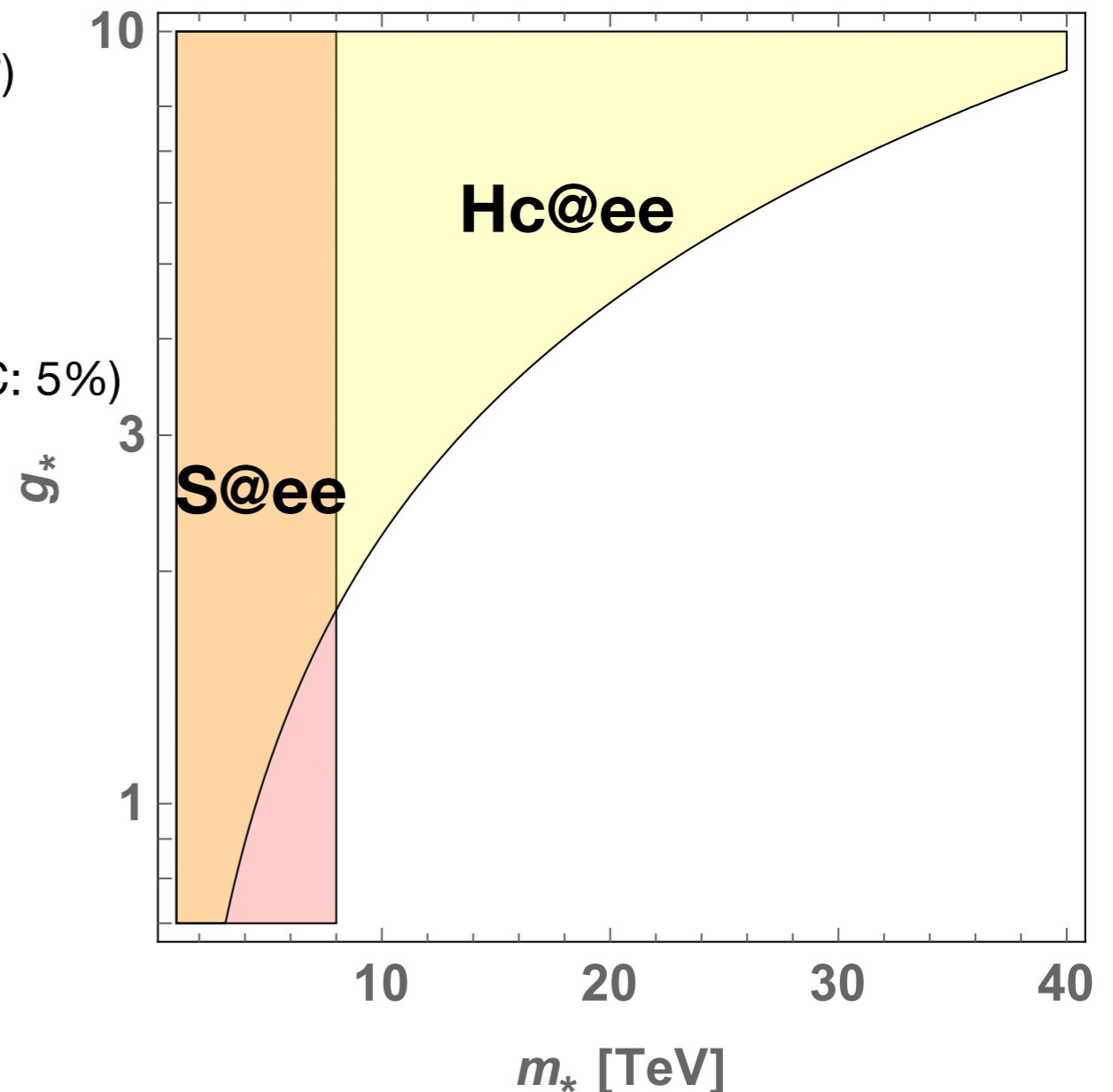
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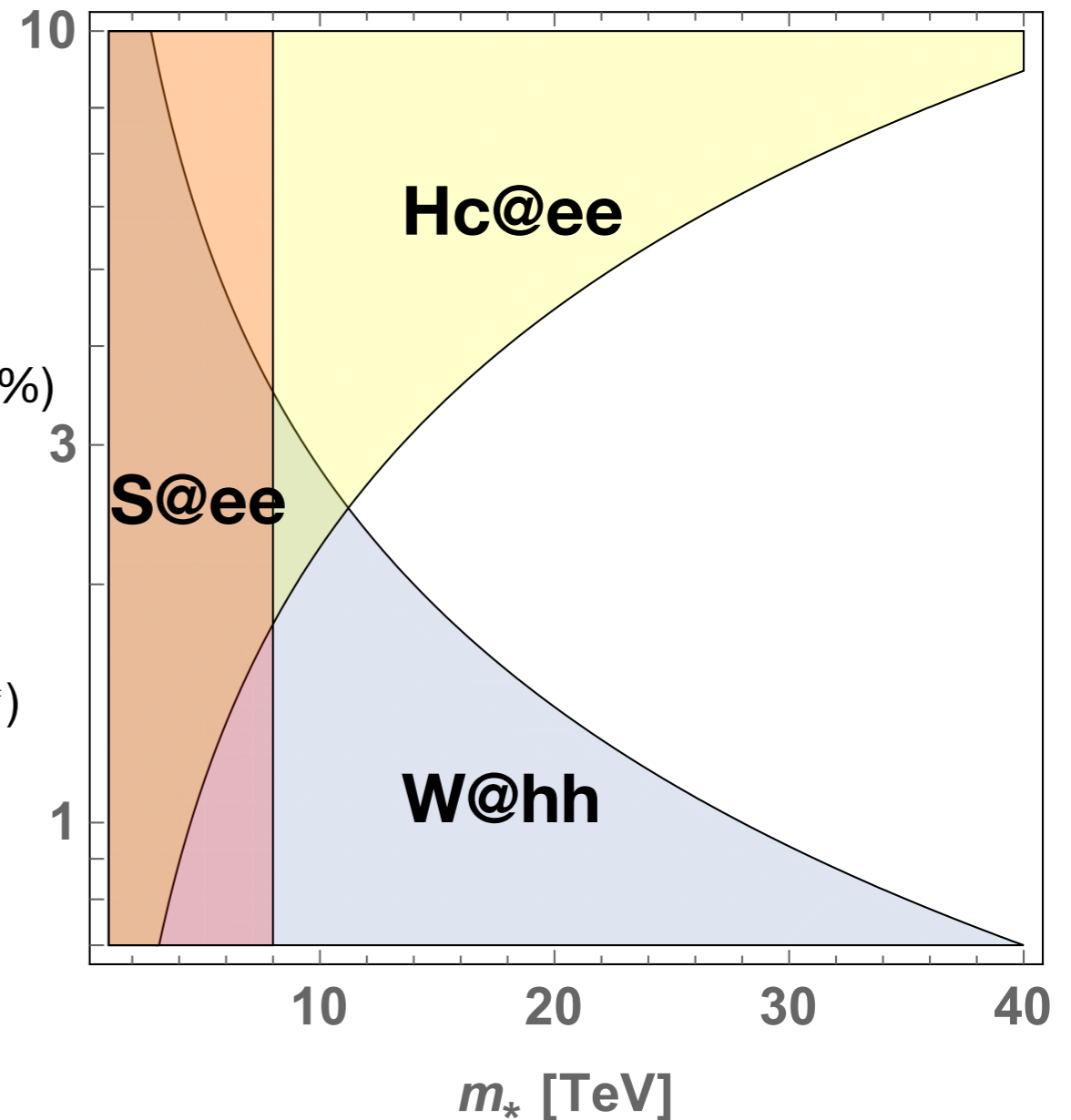
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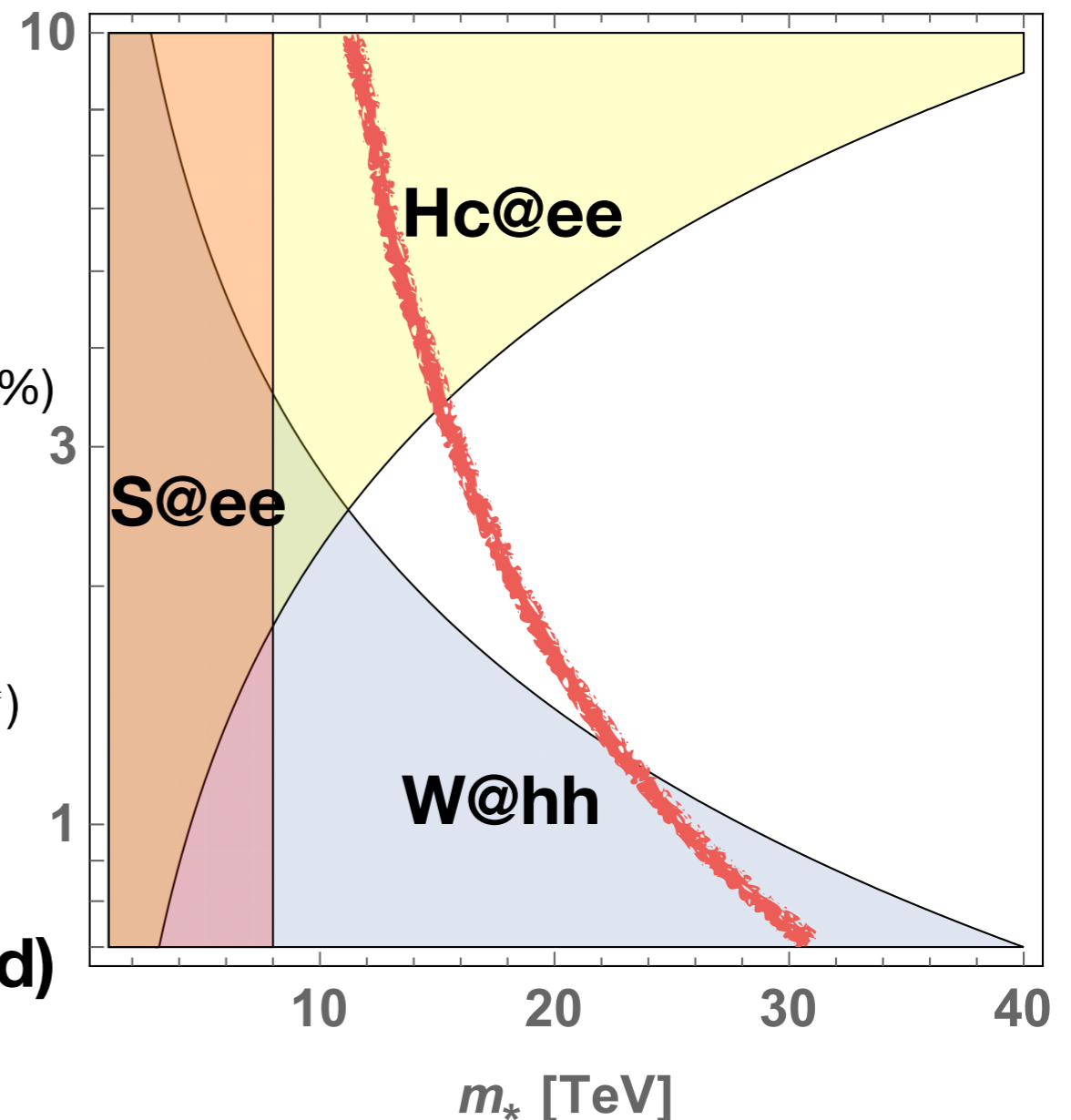
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Direct searches: (once model specified)



EW+Higgs+Top Measurements

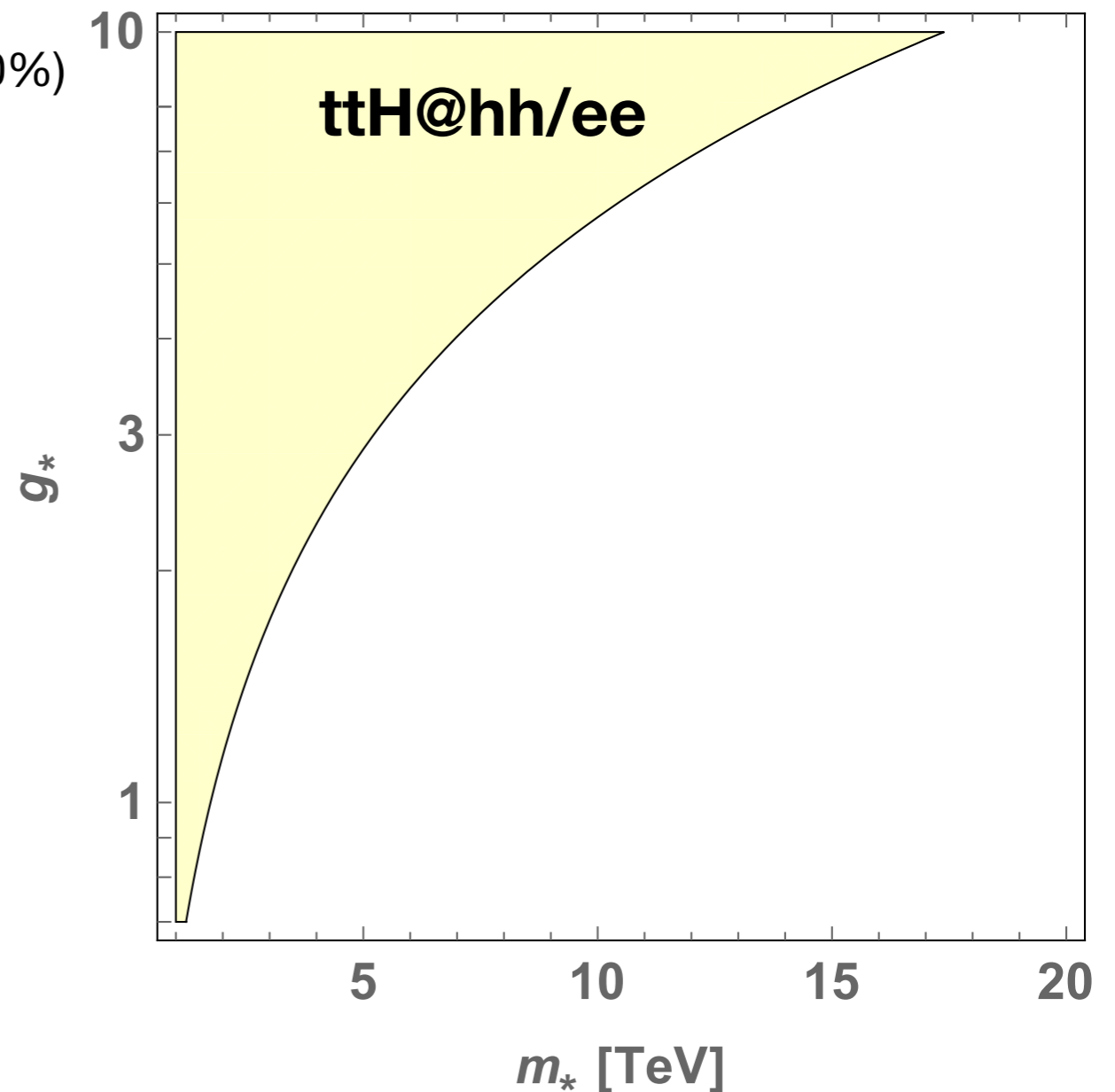
Composite tR, comp. Higgs, elementary tL and gauge

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Diff. oper.s comb. in ee and hh!!



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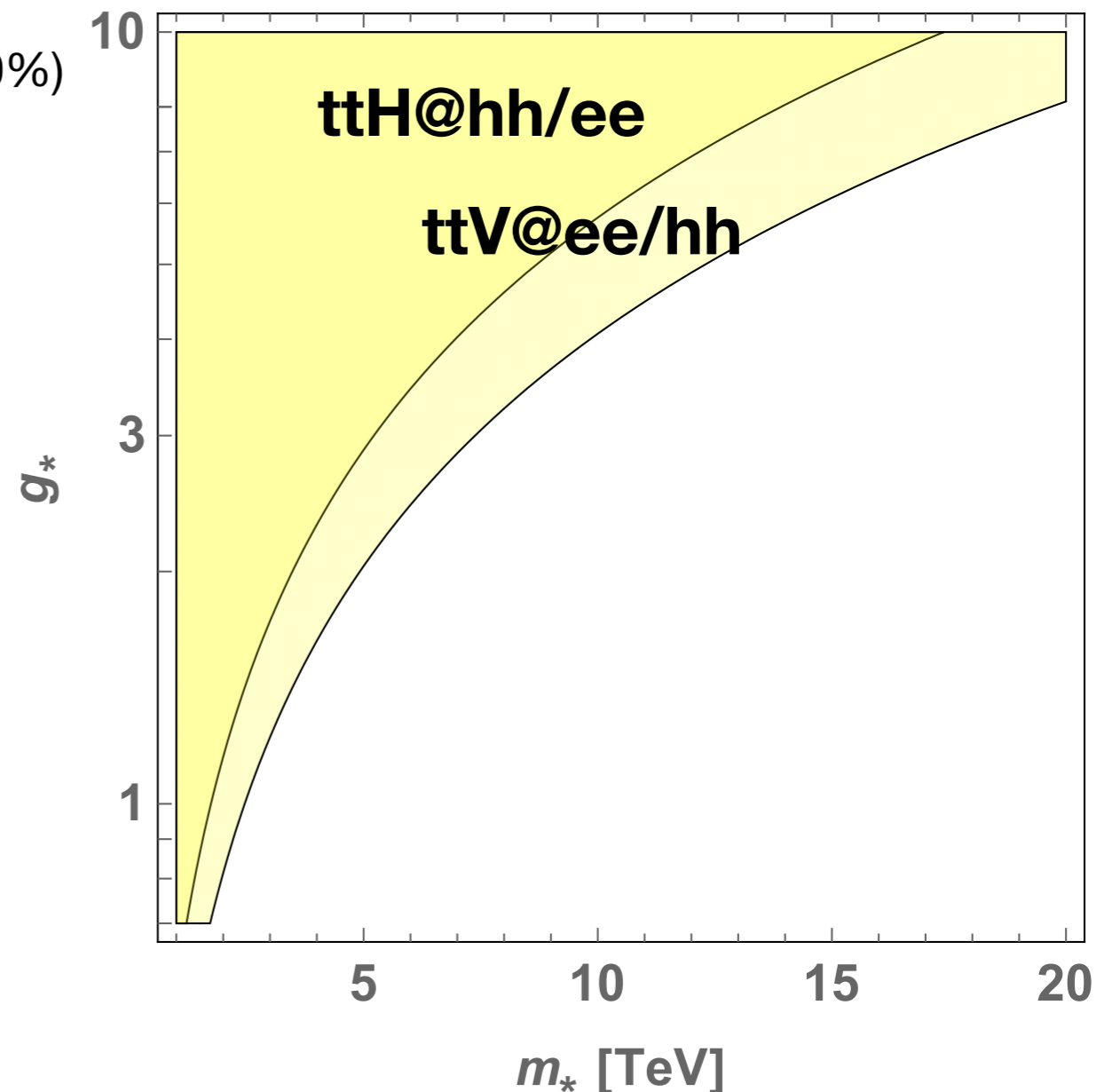
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Same hh reach from en. + acc.?



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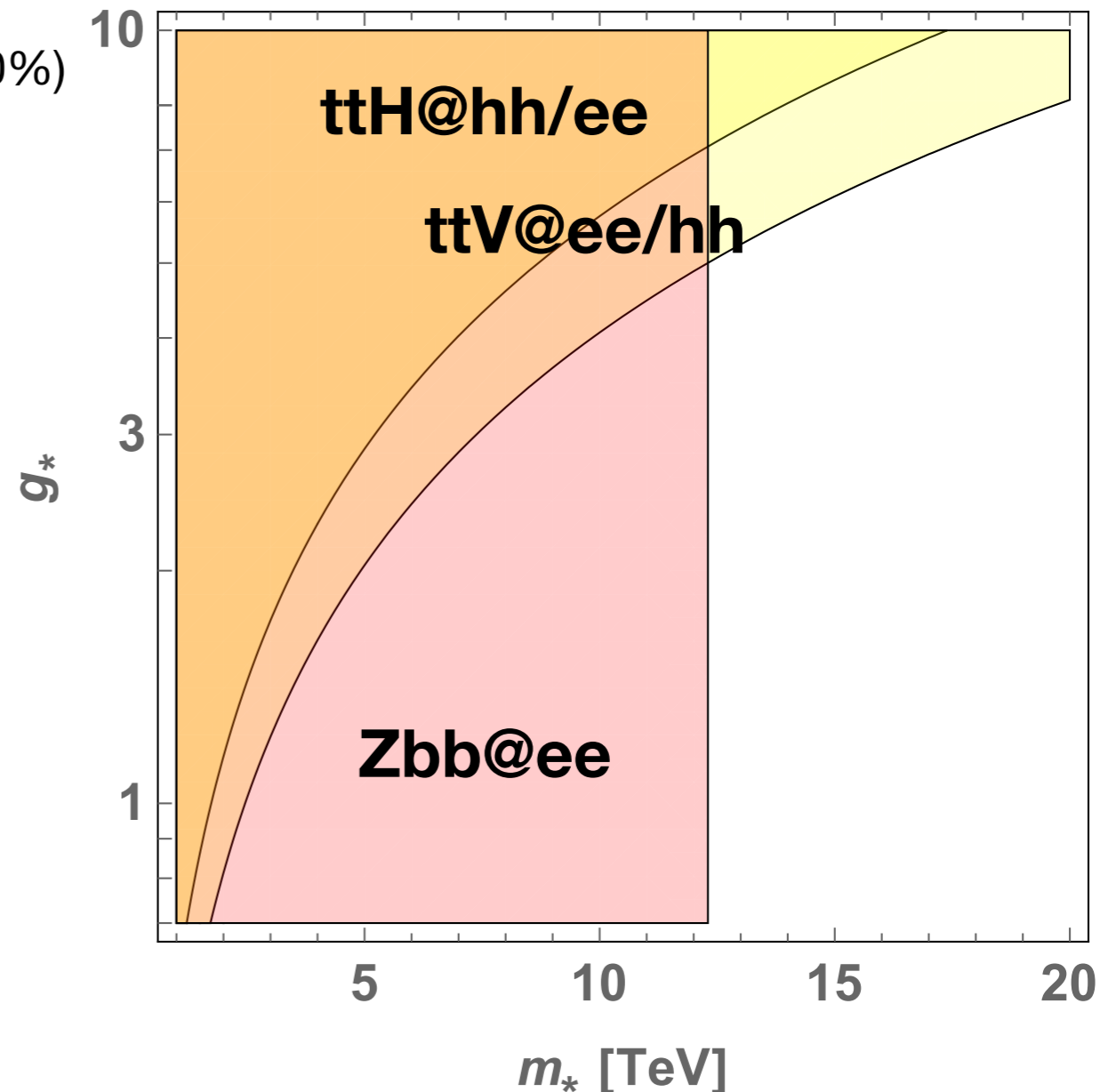
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Zbb coupling @ee: [ee Report] (LEP:10⁻³)

$$\frac{y_t^2}{m_*^2} H^\dagger \overleftrightarrow{D}_\mu H \bar{q}_L \gamma^\mu q_L + \dots \quad \longrightarrow \quad \frac{\delta g_b}{g_b} = \frac{m_t^2}{m_*^2} < 2 \cdot 10^{-4}$$



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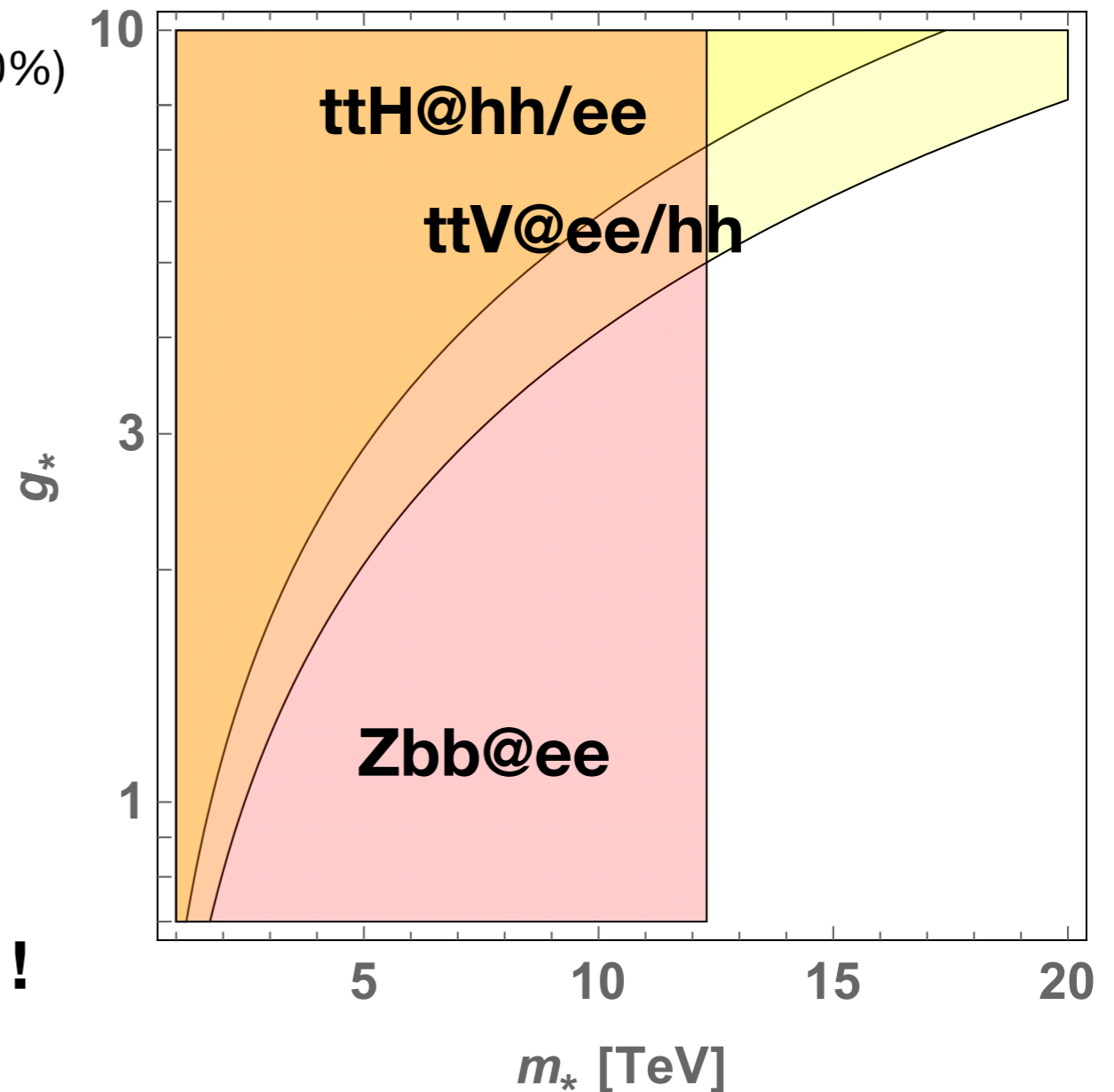
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PLR Custodial eliminates these effects !

EW+Higgs+Top Measurements

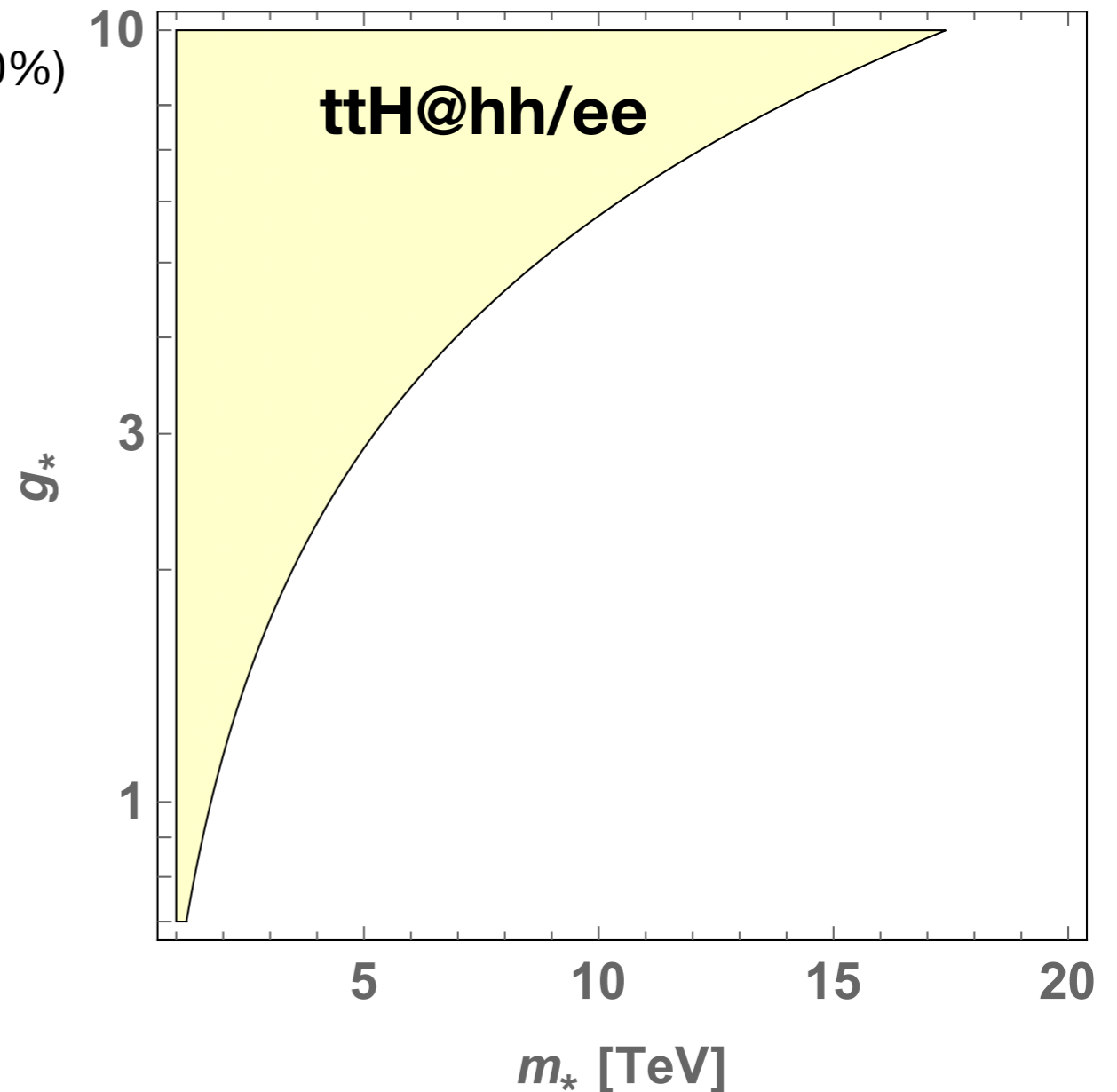
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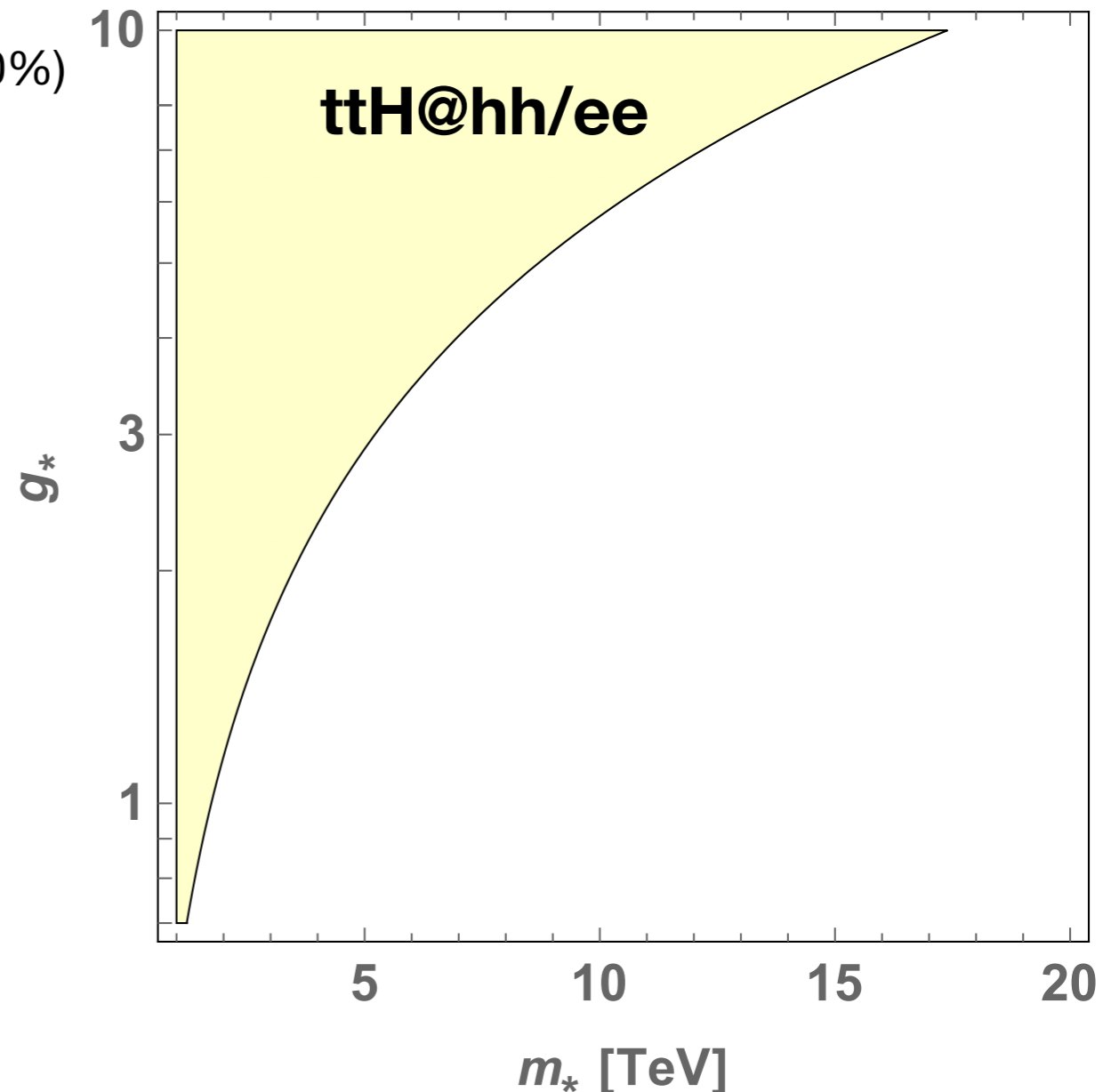
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4-top contact interactions @hh:

$$\frac{g_*^2}{m_*^2} (\bar{t}_R \gamma_\mu t_R)^2 \quad \longrightarrow \quad \frac{g_*^2}{m_*^2} < \frac{1}{\Lambda_{4t}^2}$$

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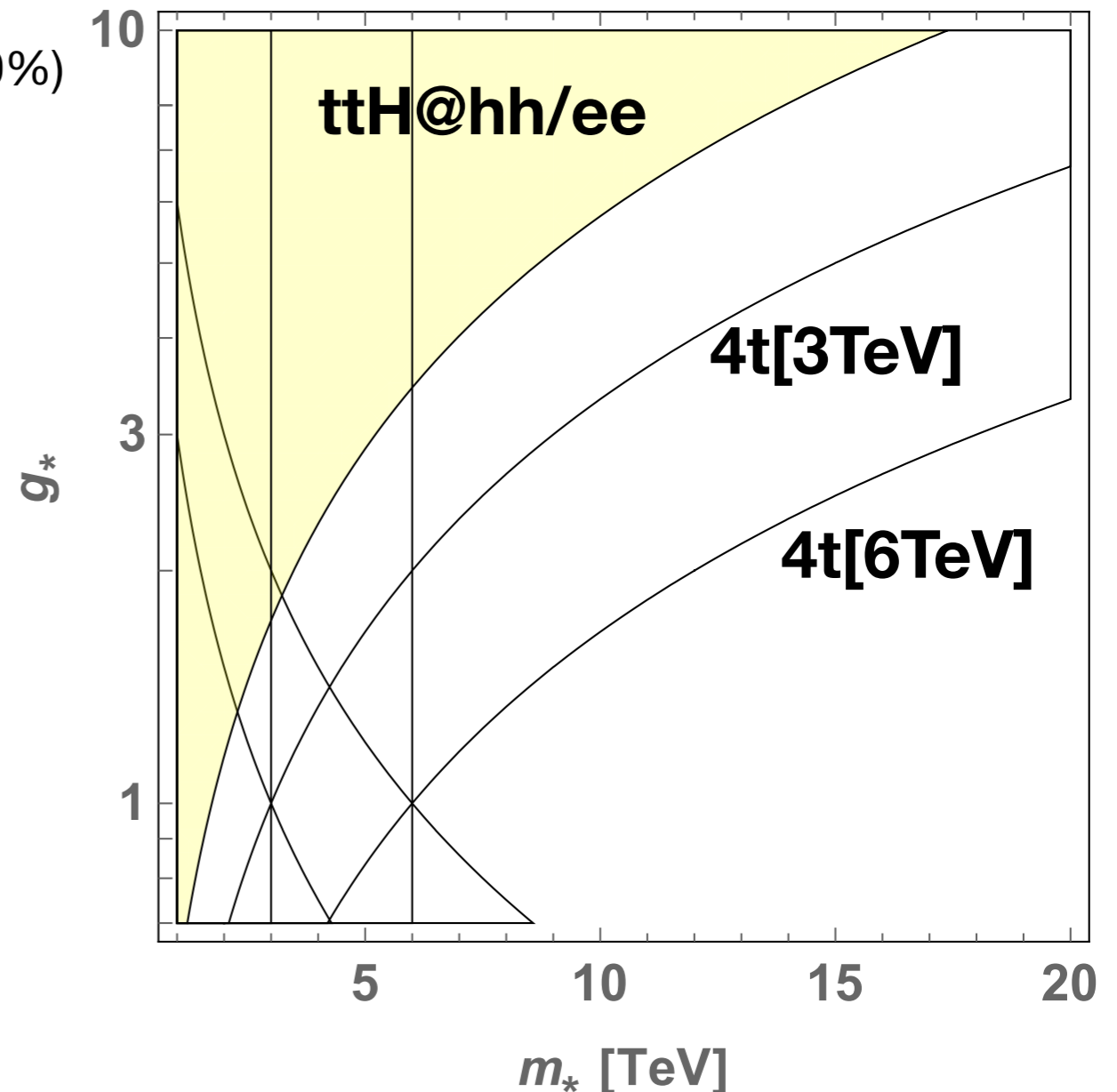
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No study available (?)



Food for thoughts

- Complementarity breaks degeneracy in EFT space (e.g., ttH vs ggH vs ttZ)
- How to fit rare Higgs channels on a map? Light weakly-coupled new physics?
- PDF measurements @ ep useful to control PDF uncertainty for Higgs precision program and new physics tests?
- Independent $\alpha_S(M_Z)$ measurement @ ep improves EW precision tests @ ee?
- LHC/ILC Higgs complementarity [Peskin 1312.4974] :
BR($\gamma\gamma$)/BR(ZZ) @LHC plus K_V @ILC $\Rightarrow K_\gamma$.
Something similar @FCC?

Food for thoughts

g_{HXY}	FCC-ee	FCC-hh	FCC-ep?
ZZ	0.16%		
WW	0.85%		
$\gamma\gamma$	1.7%	<1% ?	
Z γ	?	1% ?	
tt		1% ?	
bb	0.42%		
$\tau\tau$	0.94%		
cc	1.0%		
ss	H \rightarrow V γ , in progr.		
$\mu\mu$	6.4%	2% ?	
uu,dd	H \rightarrow V γ , in progr.		
ee	$e^+e^- \rightarrow H$, in progr.		
HH		5% ?	
BR _{exo}	0.48%	< 10 ⁻⁶ ?	