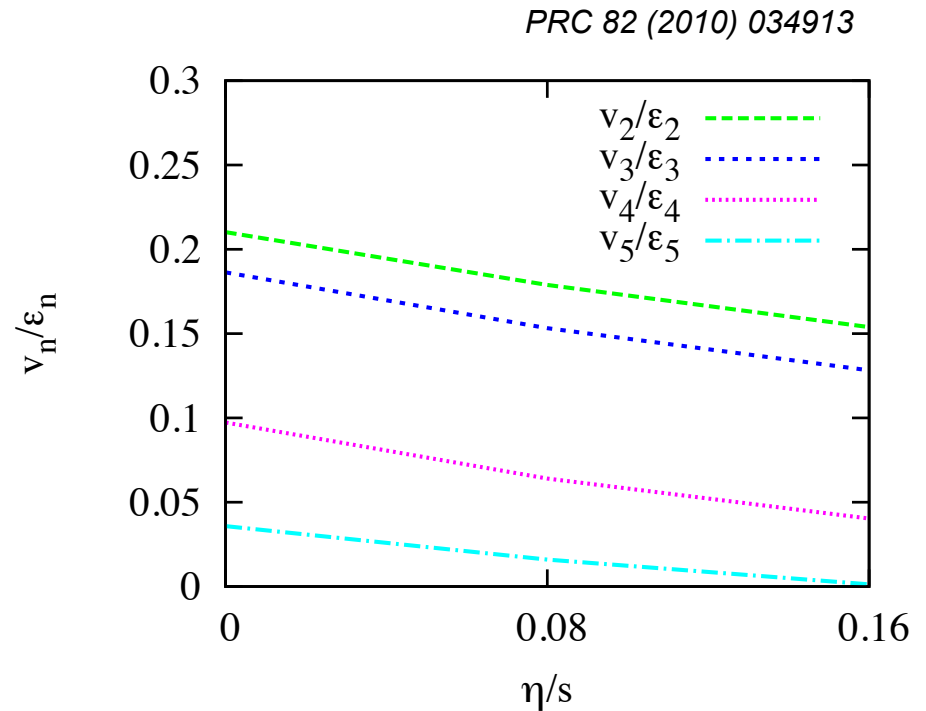
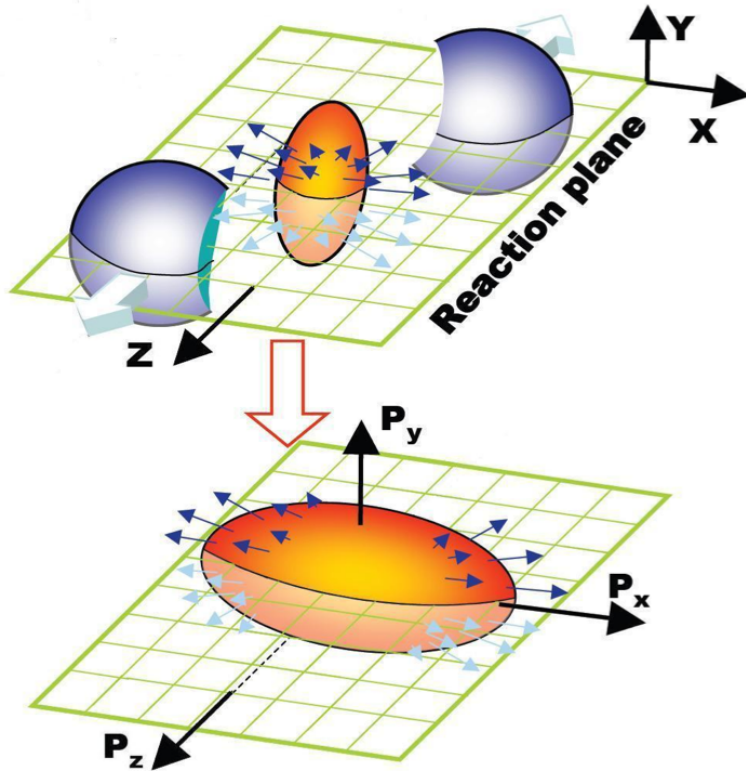


# Experimental constraints on the temperature dependence of $\eta/s$

Anthony Timmins

# Azimuthal flow and shear viscosity



- Momentum anisotropy means higher in-plane fluid velocities compared to out of plane
  - ✓ Shear viscosity is resistance to fluid elements moving at difference velocities.

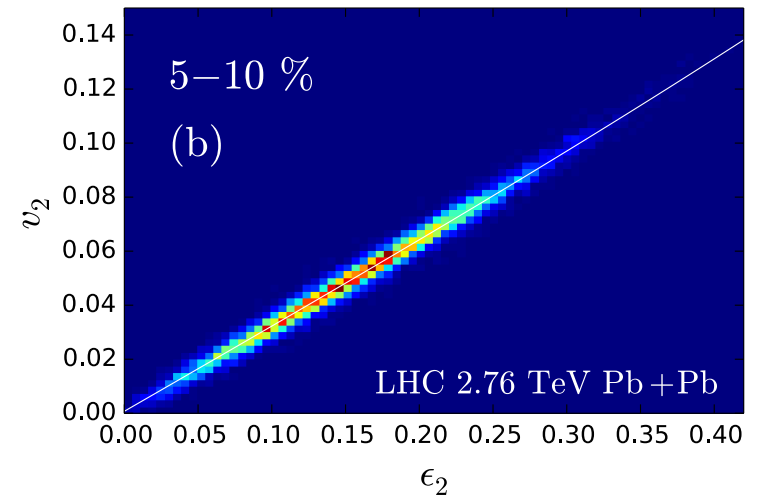
# Medium response and initial state

Medium response e.g.  
system lifetime,  $\eta/s$

Initial conditions

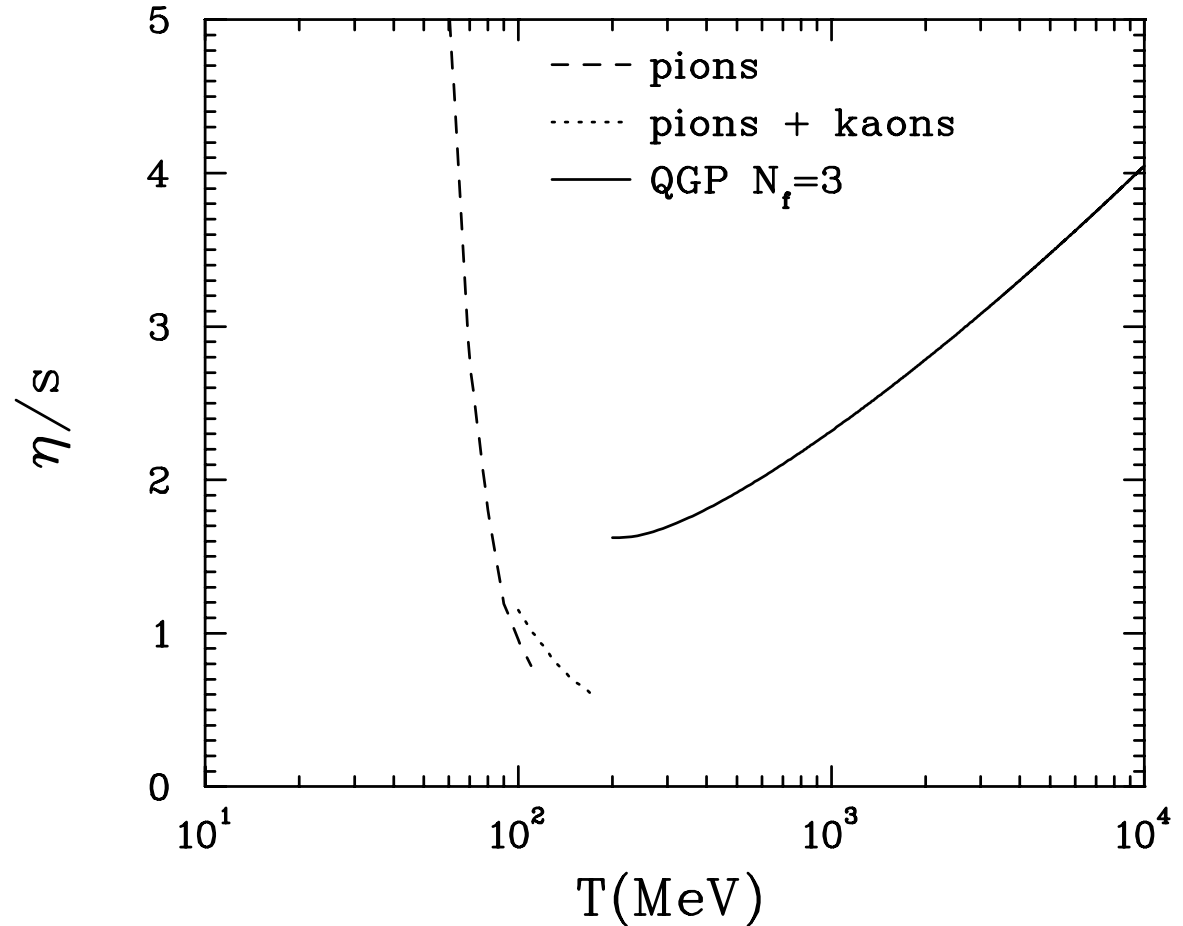
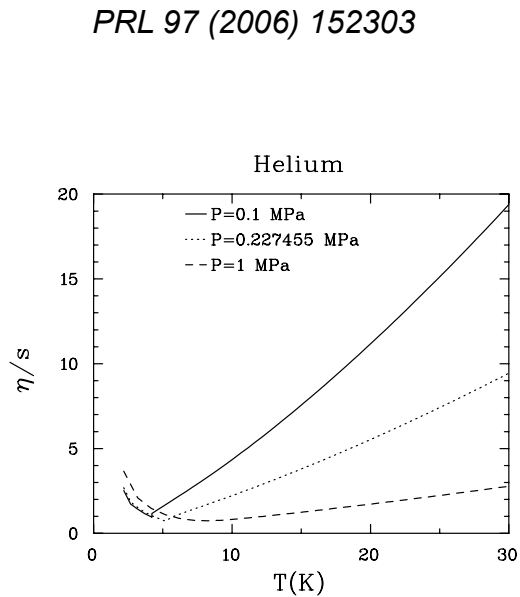
$$v_n = \kappa_n \epsilon_n |_{n=2,3}$$

PRC 93 (2016) 024907



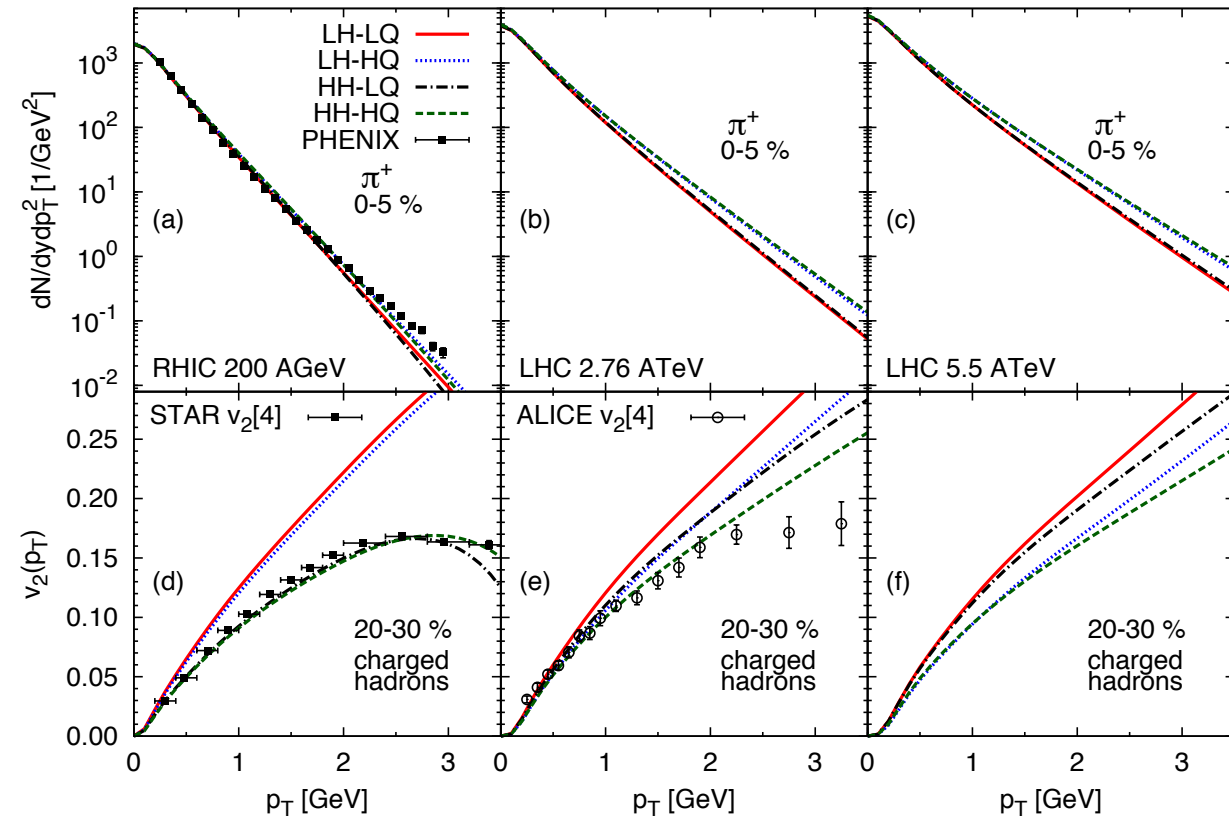
- Hydrodynamic calculations show simple factorization for lower orders
  - ✓ Not the case for  $n \geq 4$  e.g.  $v_4$  has contribution from  $v_2$

# Temperature dependence of $\eta/s$

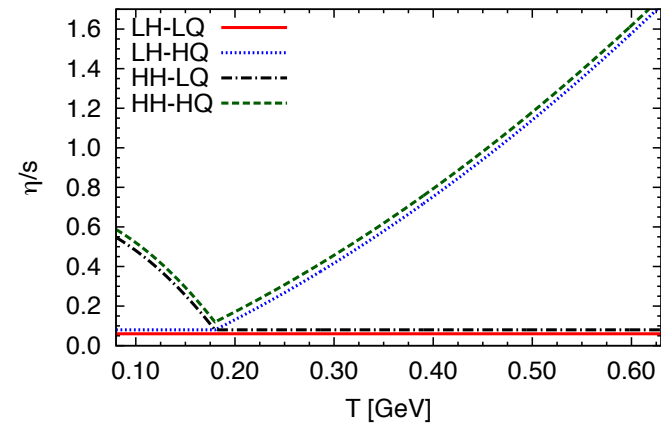


- Many fluids show temperature dependence of  $\eta/s$  with minimum around  $T_C$ 
  - ✓ Minimum in QGP expected to correspond to ads/CFT conjecture of  $1/4\pi$

# Initial applications to hydrodynamics

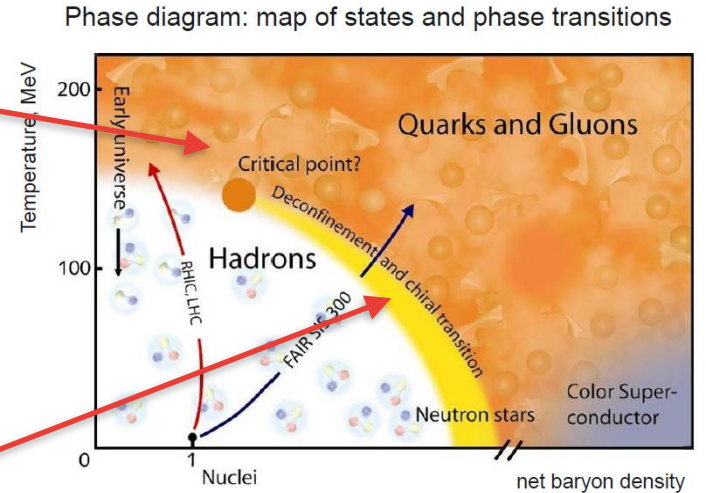
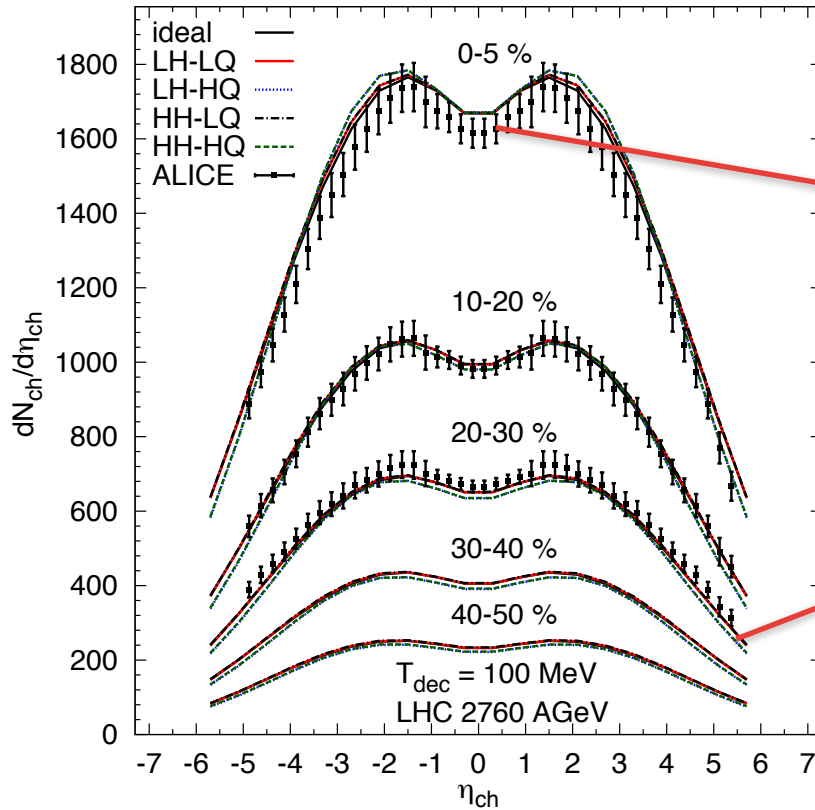


PRL 106 (2011) 212302



- Fixing value of  $\eta/s$  at  $1/4\pi$  leads to underestimation of  $v_2$ 
  - ✓ Data compatible with minimum of  $1/4\pi$  only if  $\eta/s(T)$  allowed to vary
  - ✓ Little sensitivity to QGP  $\eta/s(T)$

# Beam energy scan at the LHC?

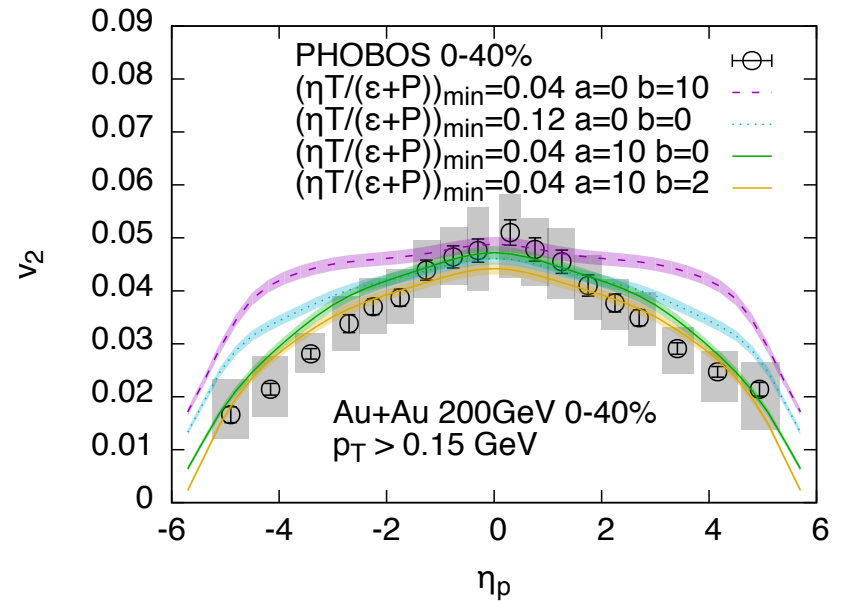
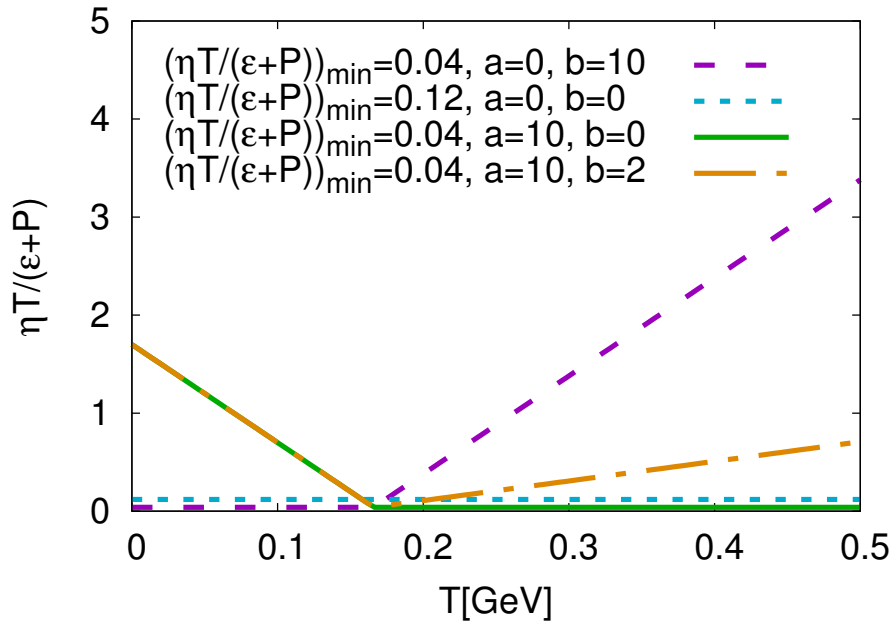


PRC 90 (2014) 044904  
arXiv:1407.8152

- Experimental observation:  $\langle p_T \rangle$  and  $p_{\text{bar}}/p$  decreases with increasing  $|\eta|$ 
  - ✓ Average temperature decreases with increasing  $|\eta|$
  - ✓ Extra handle on  $\eta/s(T)$ ...

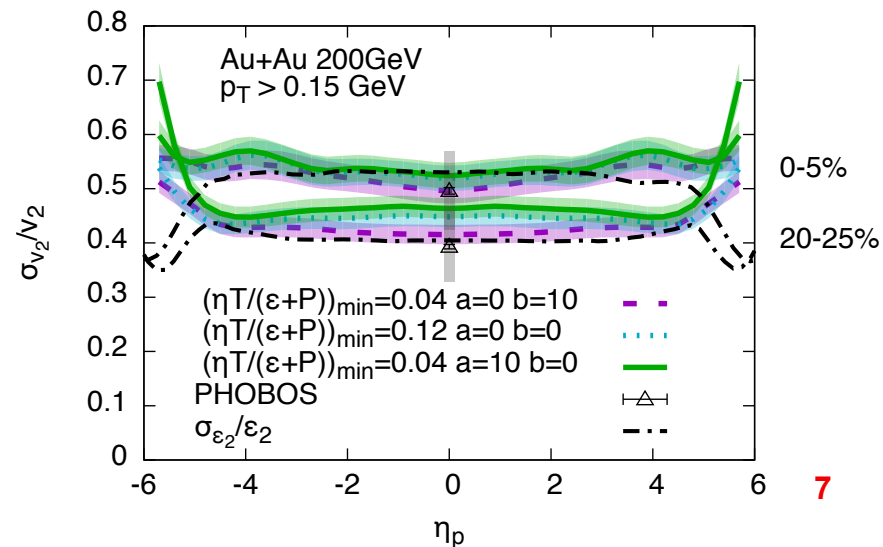
# Moving forward to constrain the shear viscosity of QCD matter

PRL 116 (2016) 212301



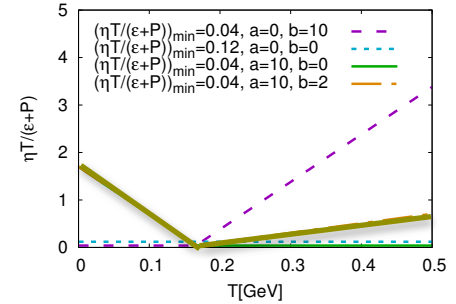
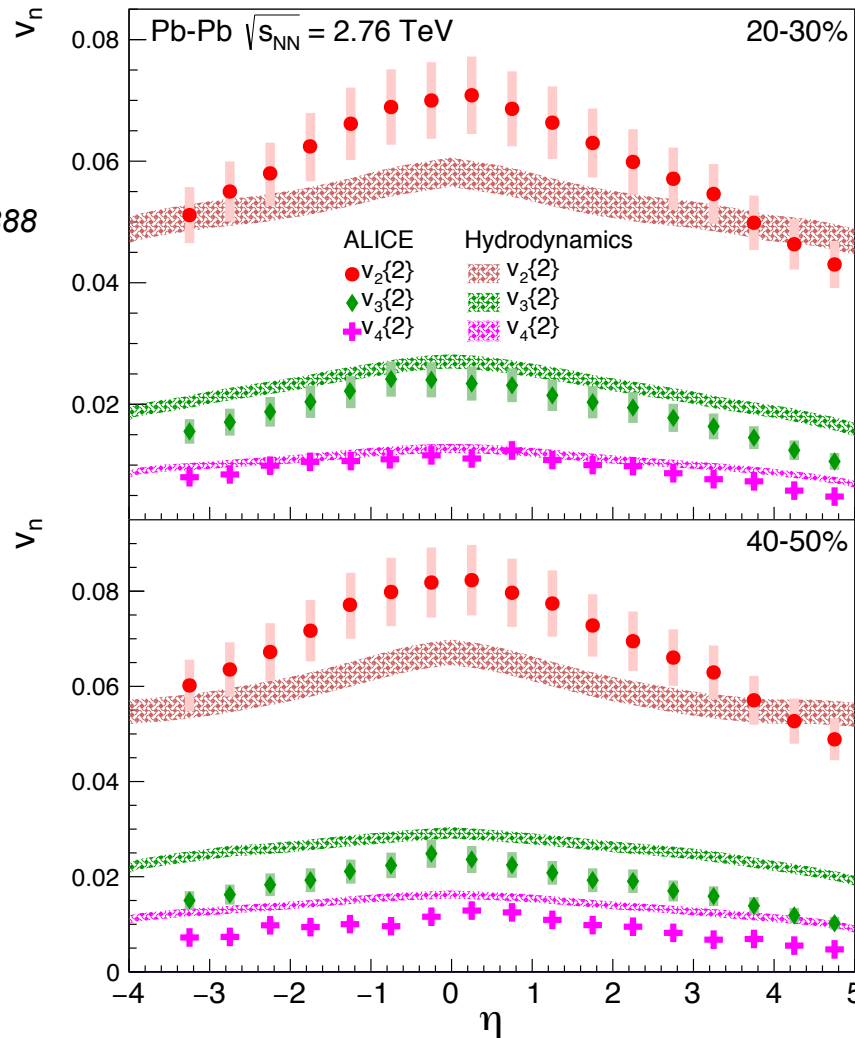
- Data favor **strong hadronic  $\eta/s$ , mild QGP  $\eta/s$**

✓ Initial conditions also appear to be modeled well.



# PHOBOS tune applied to LHC data

Phys. Lett. B 762 (2016) 376-388



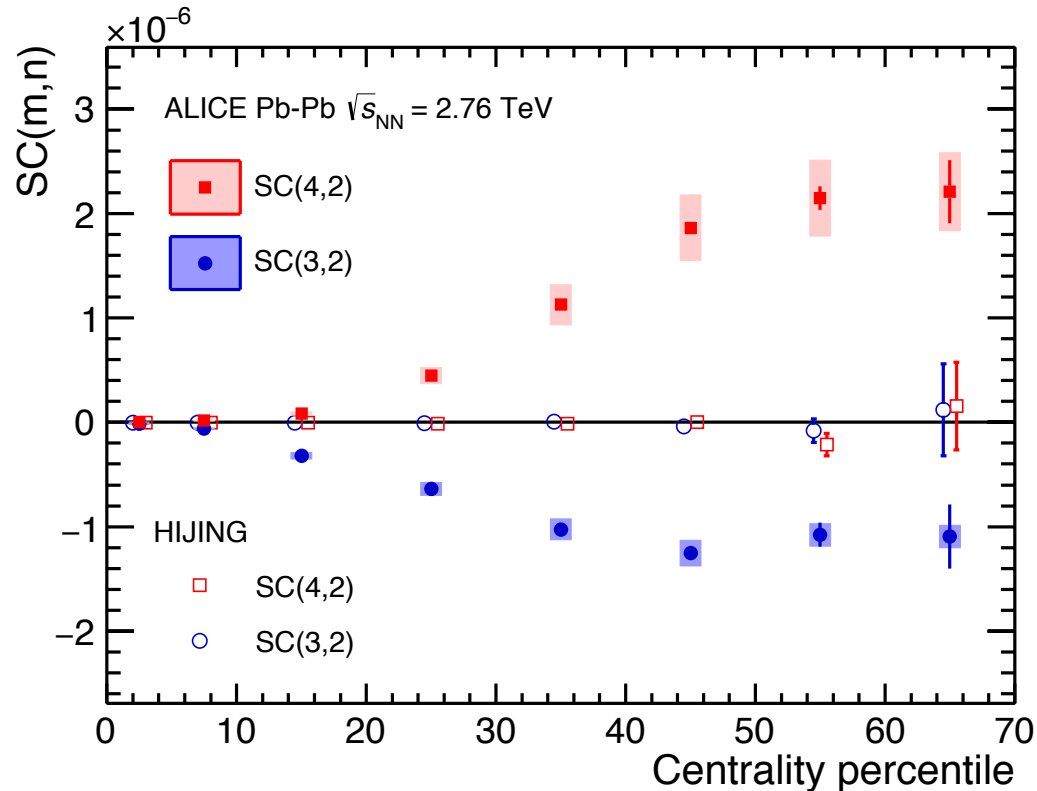
- $v_2$  under predicted,  $v_3$  and  $v_4$  over predicted:**

✓ Reduce hadronic  $\eta/s$ , increase QGP  $\eta/s$ ? LHC data key constraint.



# More differential tests..

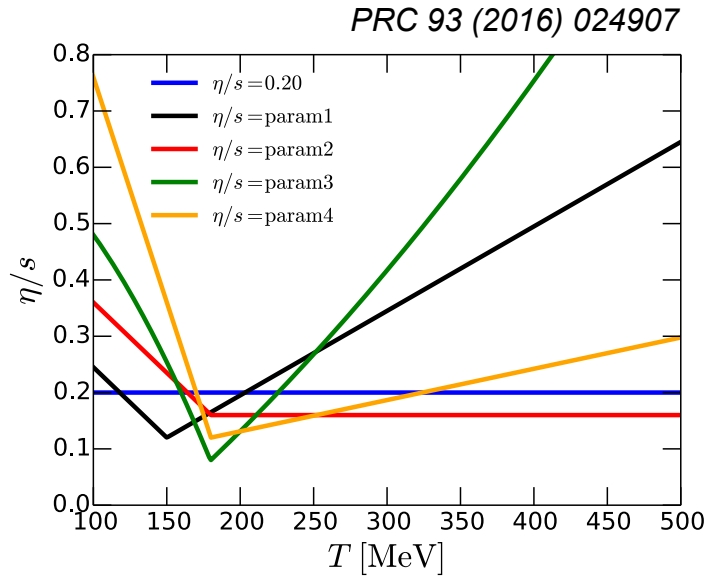
$$SC(m, n) = \langle v_m^2 v_n^2 \rangle - \langle v_m^2 \rangle \langle v_n^2 \rangle$$



PRL 117 (2016) 182301

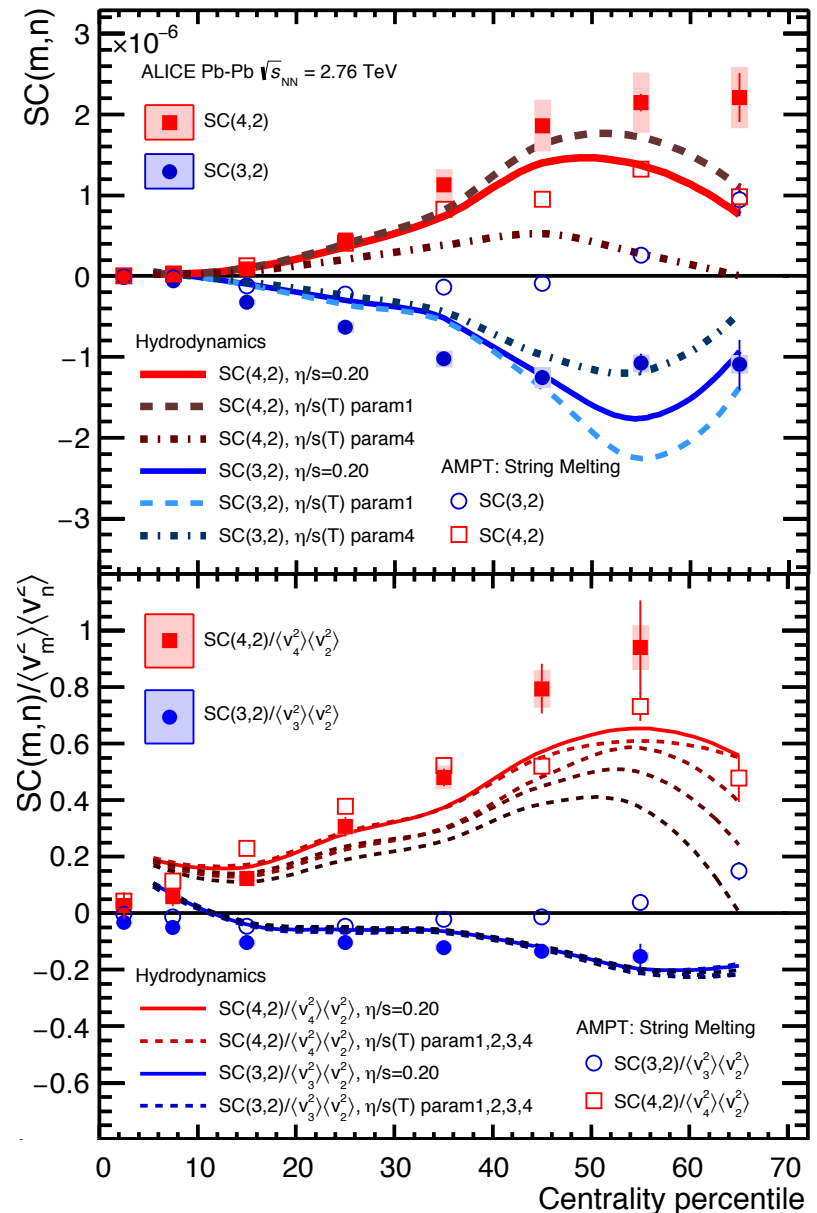
- SC(m,n) measures event by event covariance between  $v_m^2$  and  $v_n^2$ 
  - ✓ Non-flow highly suppressed.
  - ✓ Sensitivity to  $\eta/s(T)$ ?

# Correlations between different flow harmonics

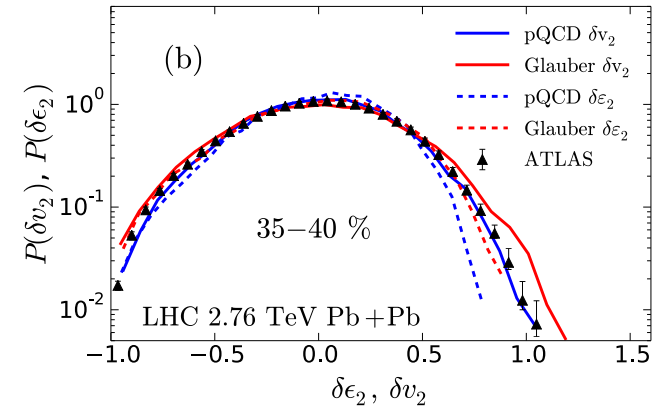
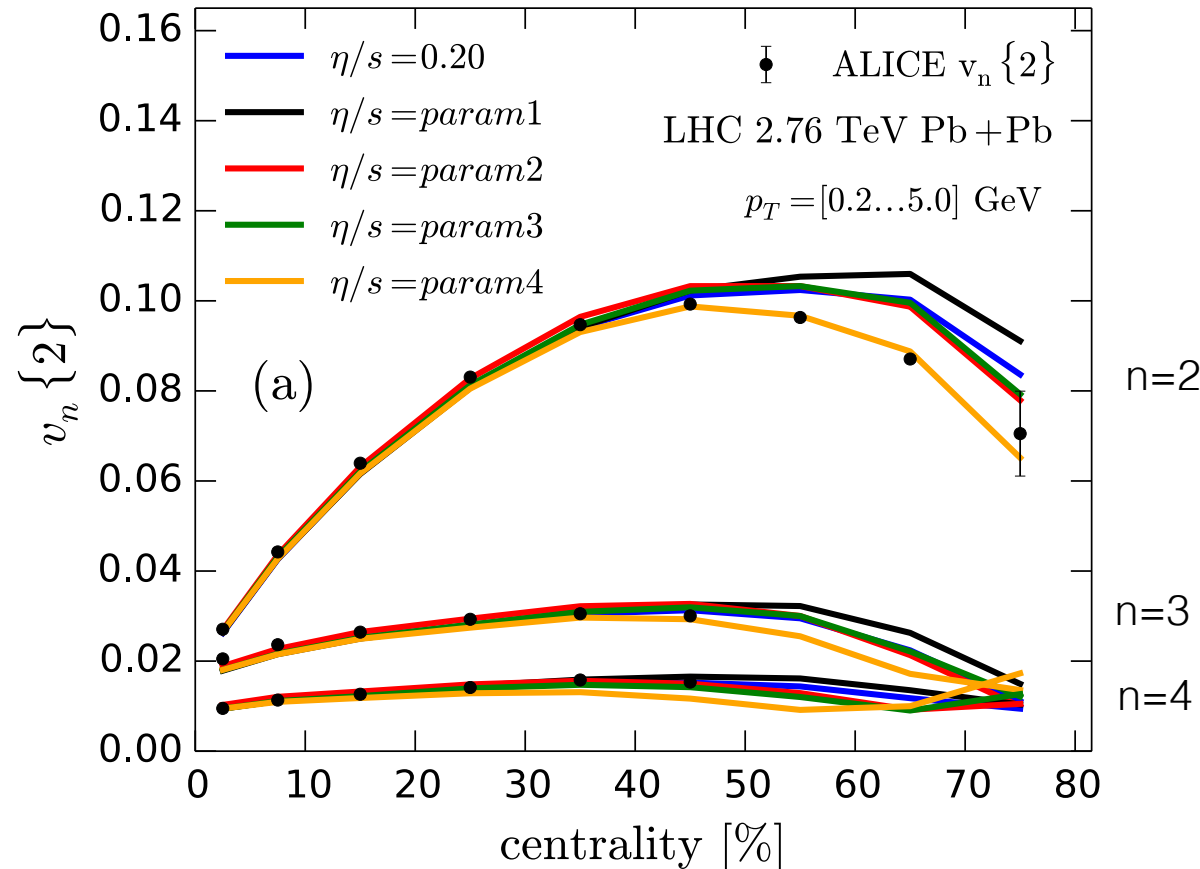


- SC(m,n) appears very promising in constraining  $\eta/s(T)$
- Scaled SC(3,2) x2 bigger in data than initial conditions for 0-40%

$$SC(m, n) = \langle v_m^2 v_n^2 \rangle - \langle v_m^2 \rangle \langle v_n^2 \rangle$$

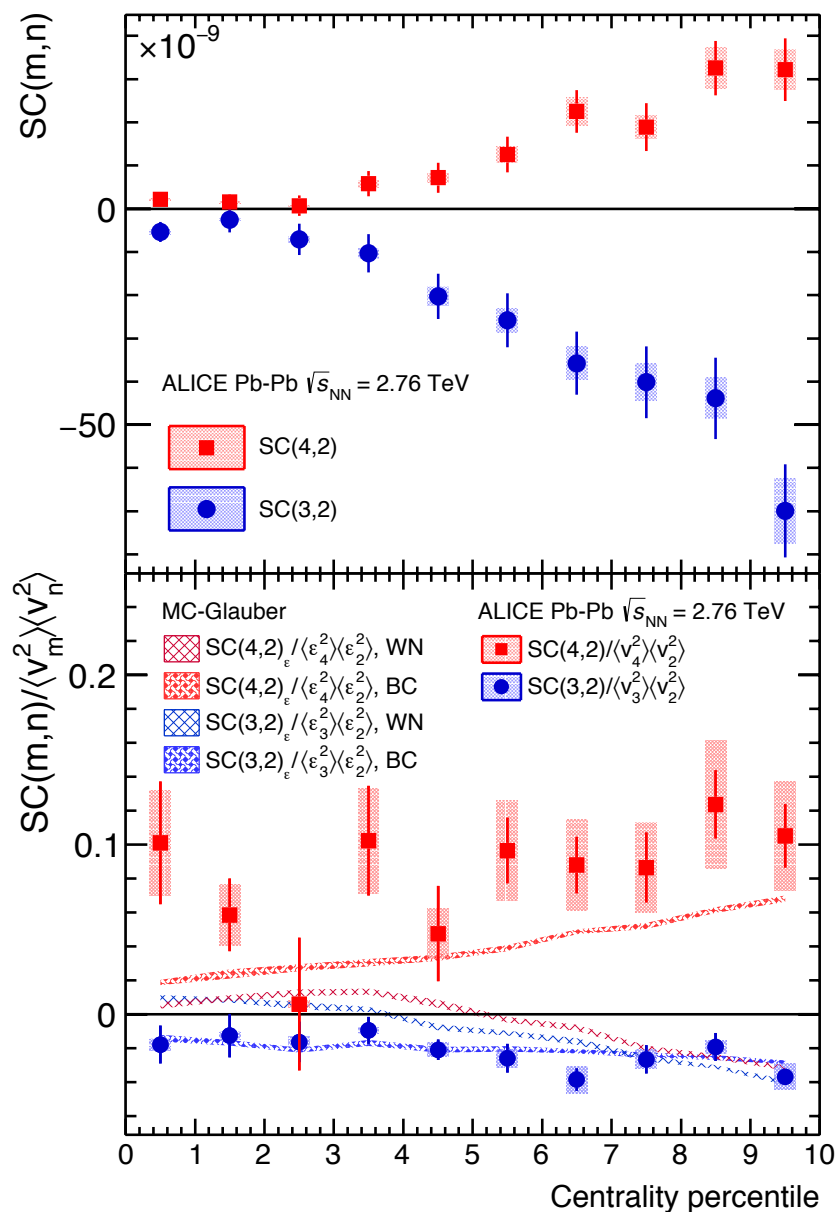


# So, param4 is definitely wrong?

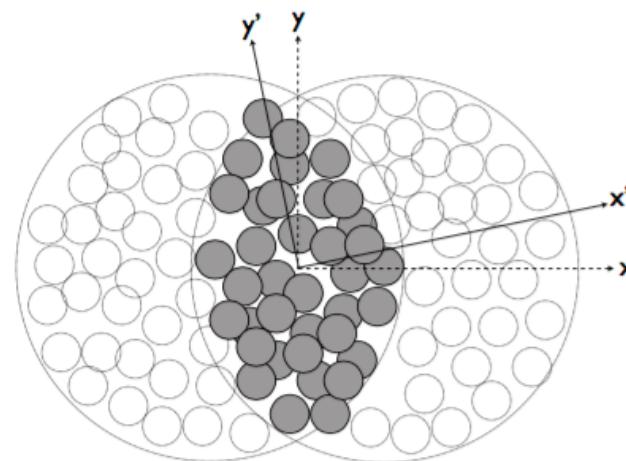


- Works well for single harmonics
  - ✓ Failure of modeling of initial conditions leads to difficulties using SC(m,n) for constraining  $\eta/s(T)$ ?

# Differing initial conditions for SC(m,n)



- Improvements can be made using different weights for eccentricity sources

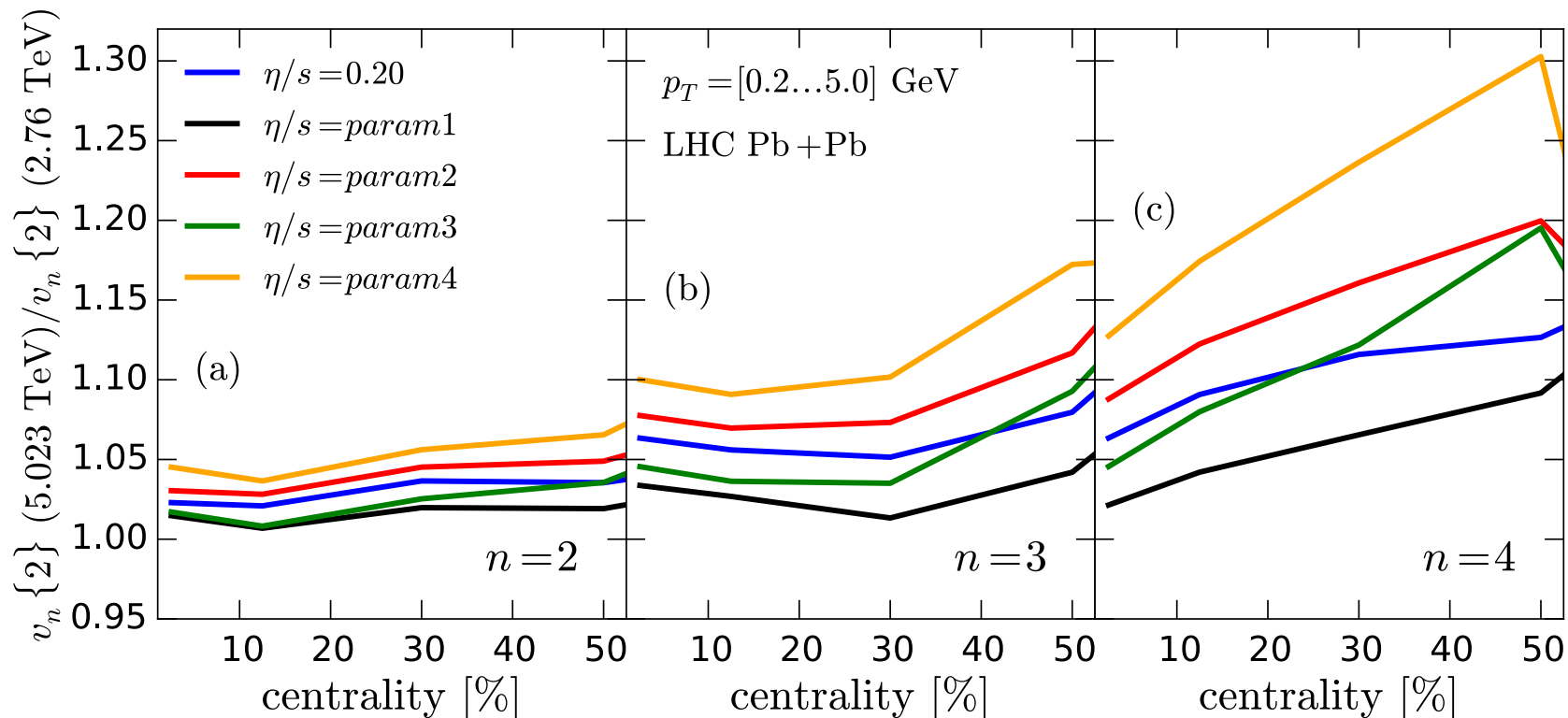
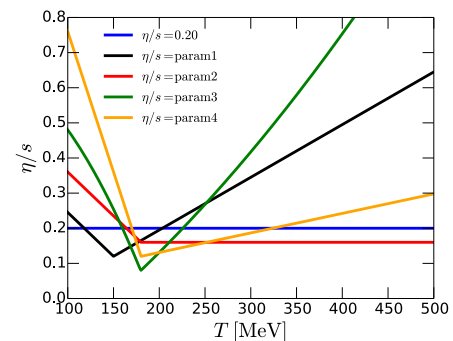


$$\epsilon_{\text{part}} = \frac{\sqrt{(\sigma_y^2 - \sigma_x^2)^2 + 4\sigma_{xy}^2}}{\sigma_y^2 + \sigma_x^2}$$

where  $\sigma_x^2$ ,  $\sigma_y^2$  and  $\sigma_{xy}$  are the (co-)variances of the participant-weighted nucleon distribution in a given MCG event<sup>2</sup>. Their definitions and relation to the stan-

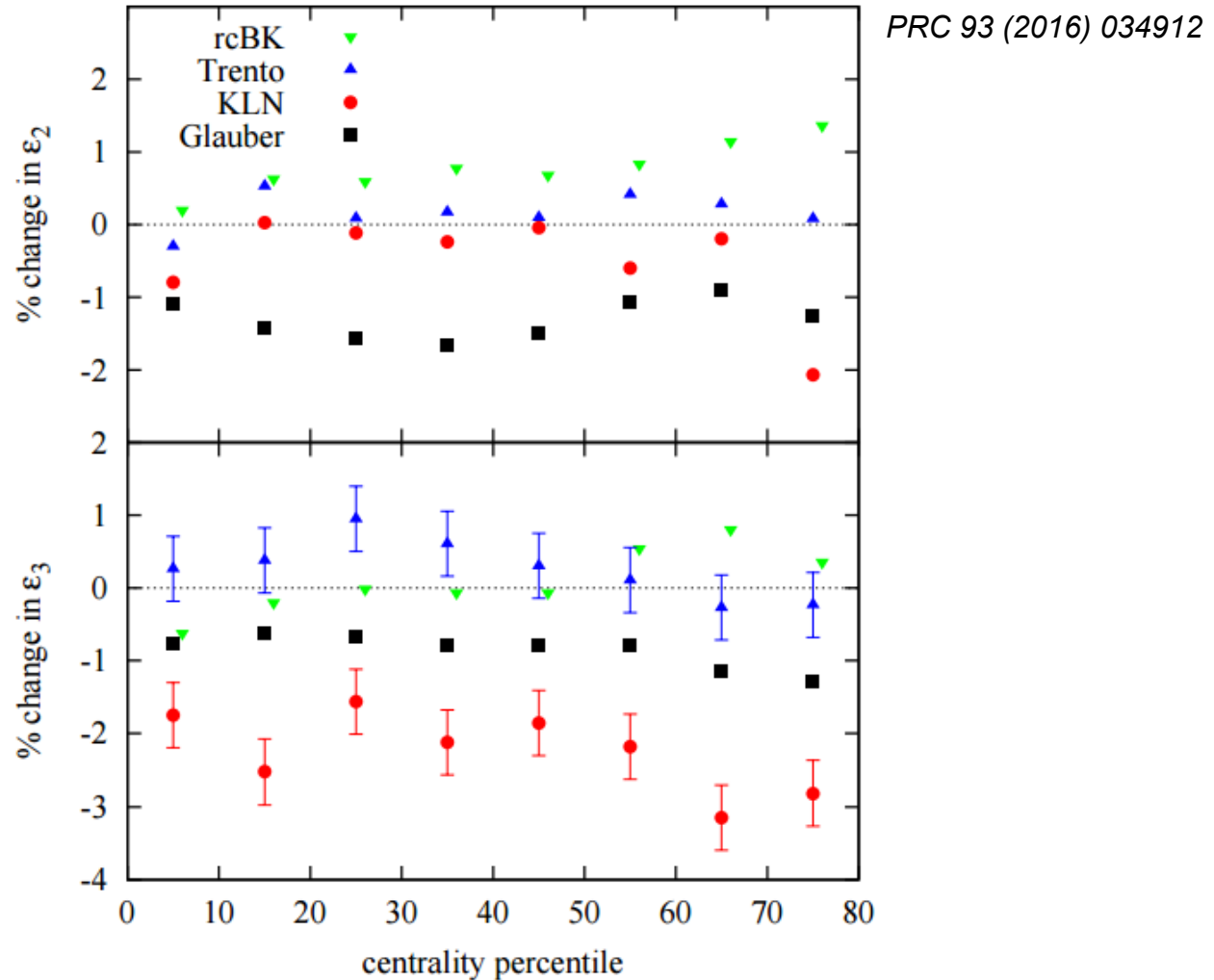
# Ratios of $v_n$ from different energies

PRC 93 (2016) 014912



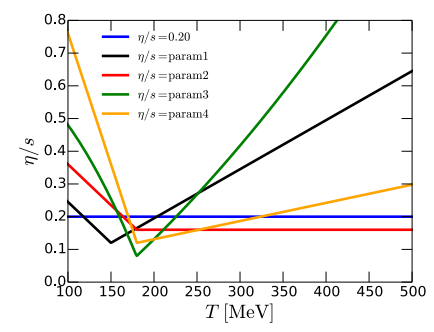
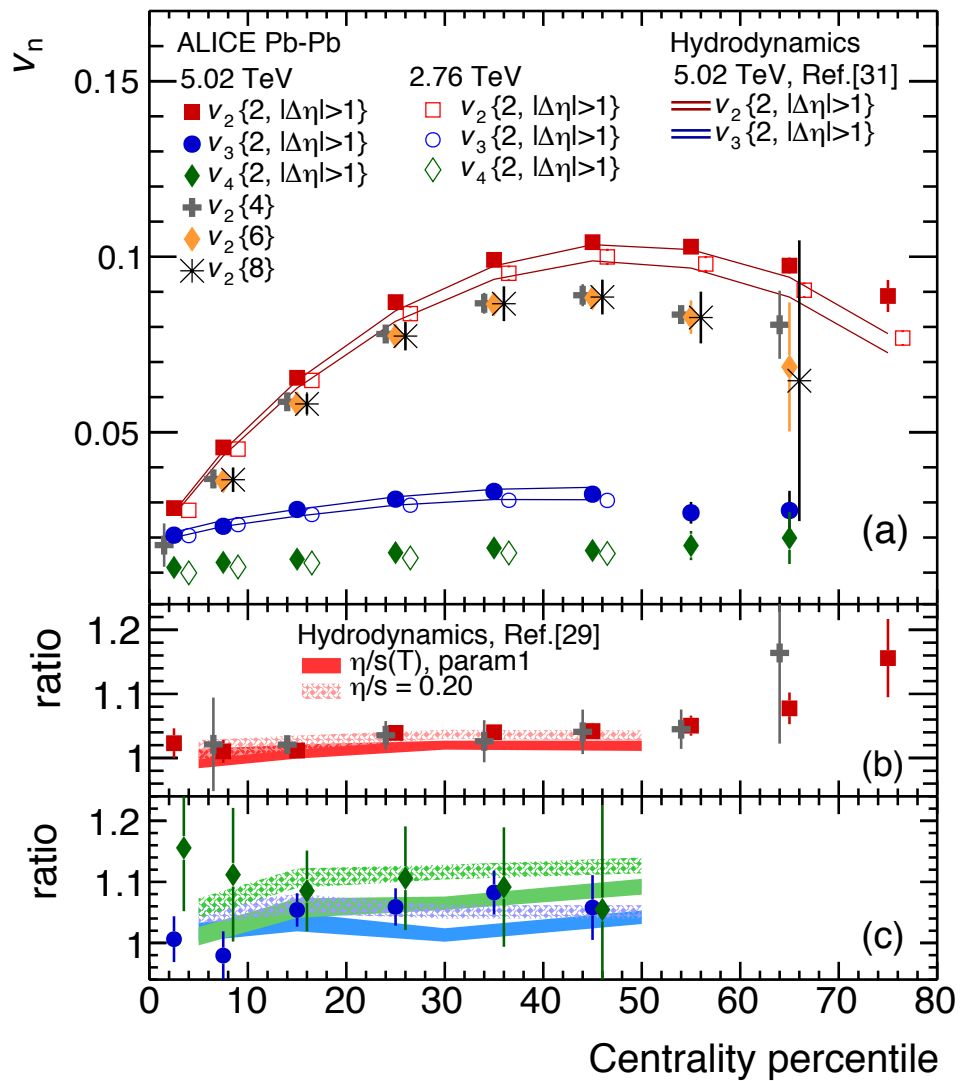
- Predicted increase in LHC run 2 also depends on  $\eta/s(T)$ 
  - ✓ Higher harmonics have better sensitivity...

# Do the initial conditions cancel?



- Not quite, changes on order of differing hydrodynamic responses

# Ratios of $v_n$ from different energies



PRL 116 (2016) 132302

- Data follows predicted hydro increases. Need more stats to fully constrain  $\eta/s(T)$

# Conclusion

We still do not know  $\eta/s(T)$  exactly for QGP matter!!