

# The **TOTEM** experiment at LHC



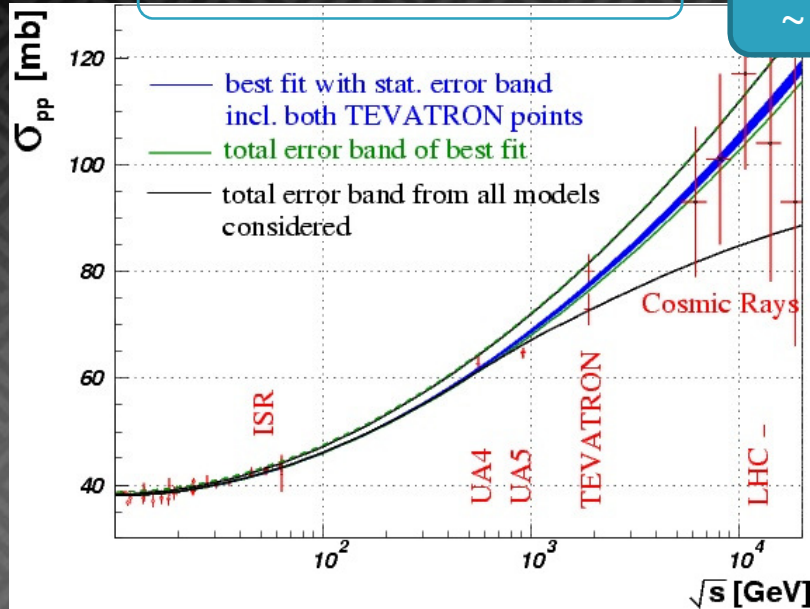
***Stefano Lami***

*INFN Pisa*

*on behalf of the  
TOTEM Collaboration*

# TOTEM Physics Overview

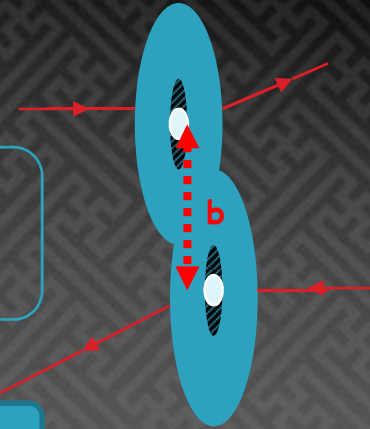
## Total cross-section



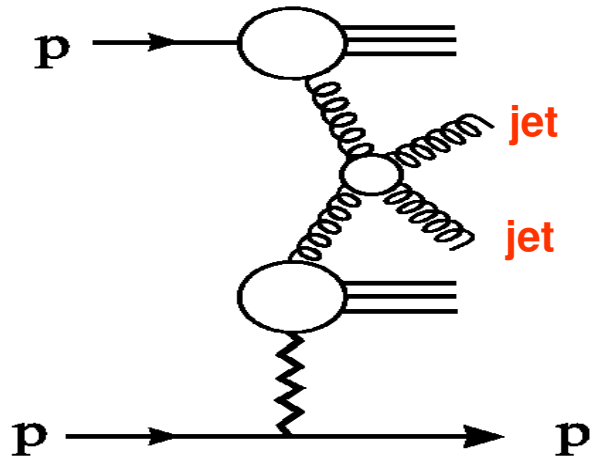
Ultimately  
~1% precision

## Elastic Scattering

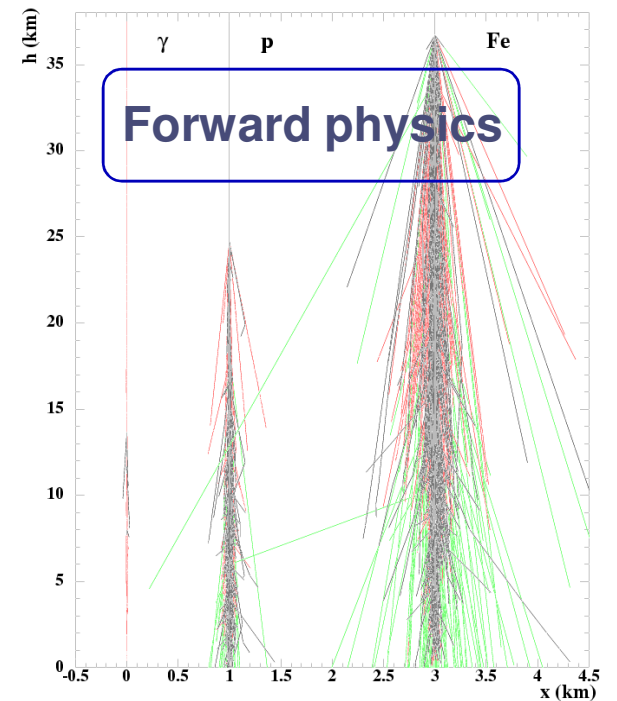
Over a wide  $t$  range



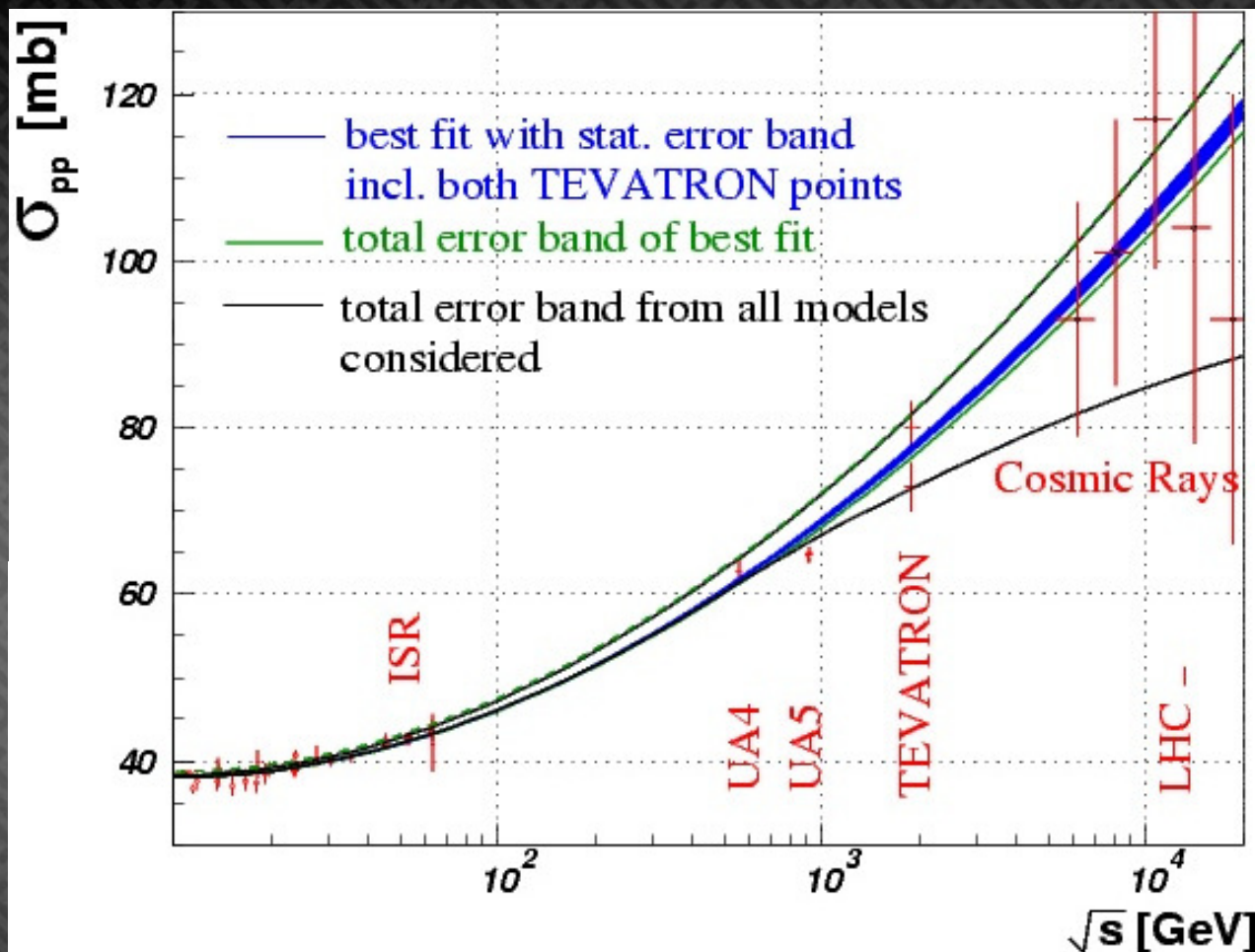
## Diffraction: soft and hard



## Forward physics



# Physics Motivation (1)



## Dispersion relation fit

Best fit  $\sigma_{\text{TOT}}^{\text{pp}}$  rises as  $\sim \ln^2 s$

Predictions at 14 TeV:  
90-130 mb

- Available data not decisive
- Aim of TOTEM:  $\sim 1\%$  accuracy

It will distinguish between several models

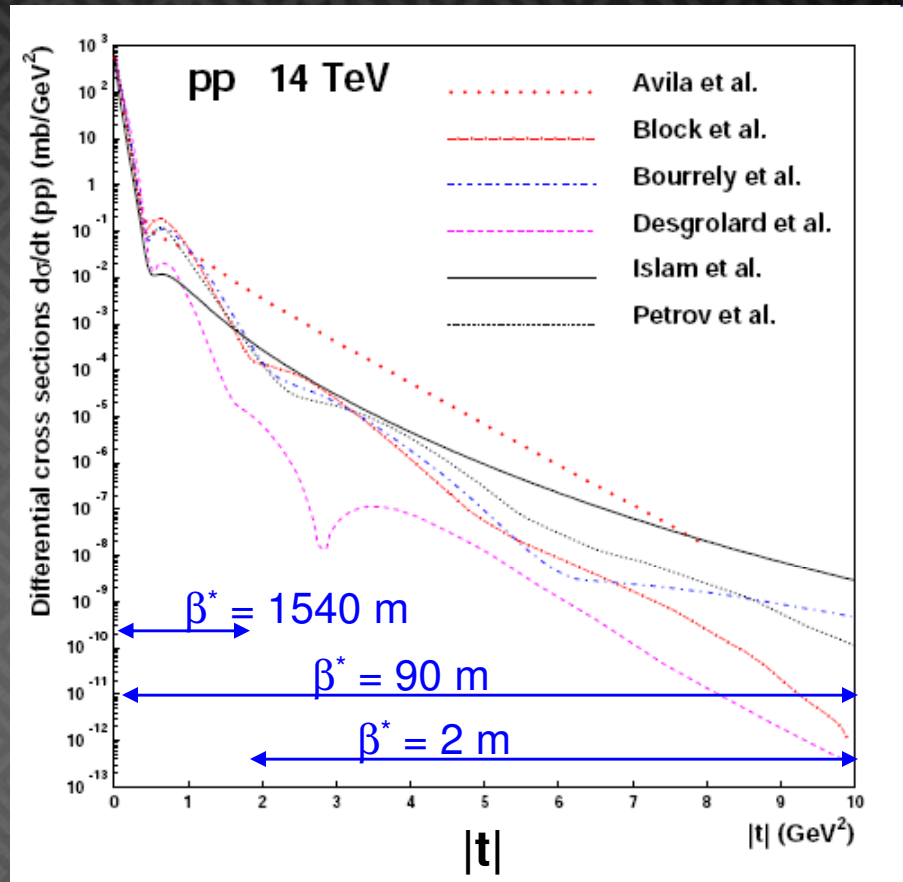
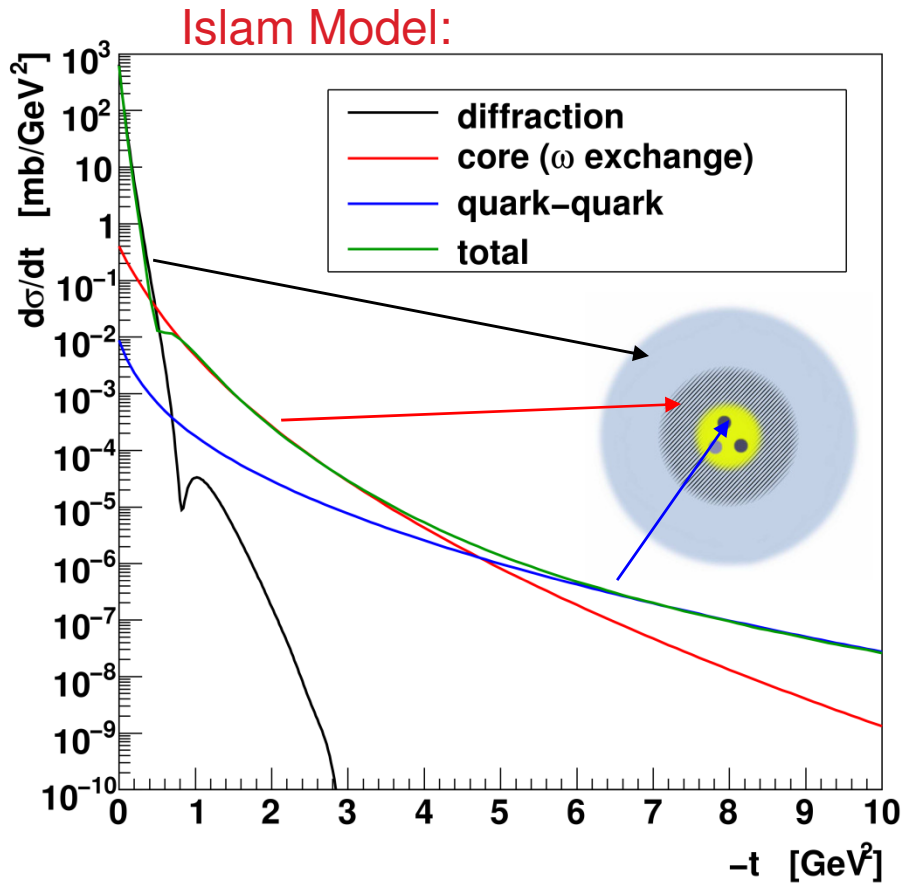
COMPETE Collaboration fits all available hadronic data and predicts:

LHC (14TeV):

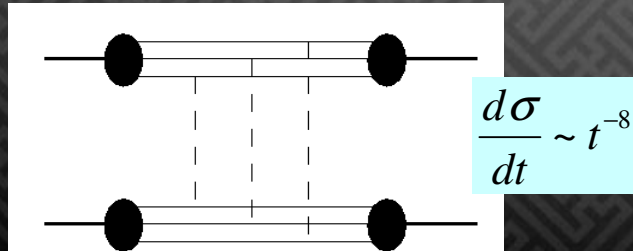
$$\sigma_{\text{tot}} = 111.5 \pm 1.2 \begin{matrix} +4.1 \\ -2.1 \end{matrix} \text{ mb}$$

[PRL 89 201801 (2002)]

# Physics Motivation (2) ...



3-gluon exchange at large  $|t|$ :



TOTEM will measure the  $10^{-3} < |t| \sim (p\theta)^2 < 10$  GeV<sup>2</sup> range with good statistics

Big uncertainties at large  $|t|$ :  
Models differ by  $\sim 3$  orders of magnitude!

... and more

# p-p Interactions

## Non-diffractive

*Colour exchange*

$$dN / d \Delta\eta = \exp (-\Delta\eta)$$

## Diffractive

*Colourless exchange with vacuum quantum numbers*

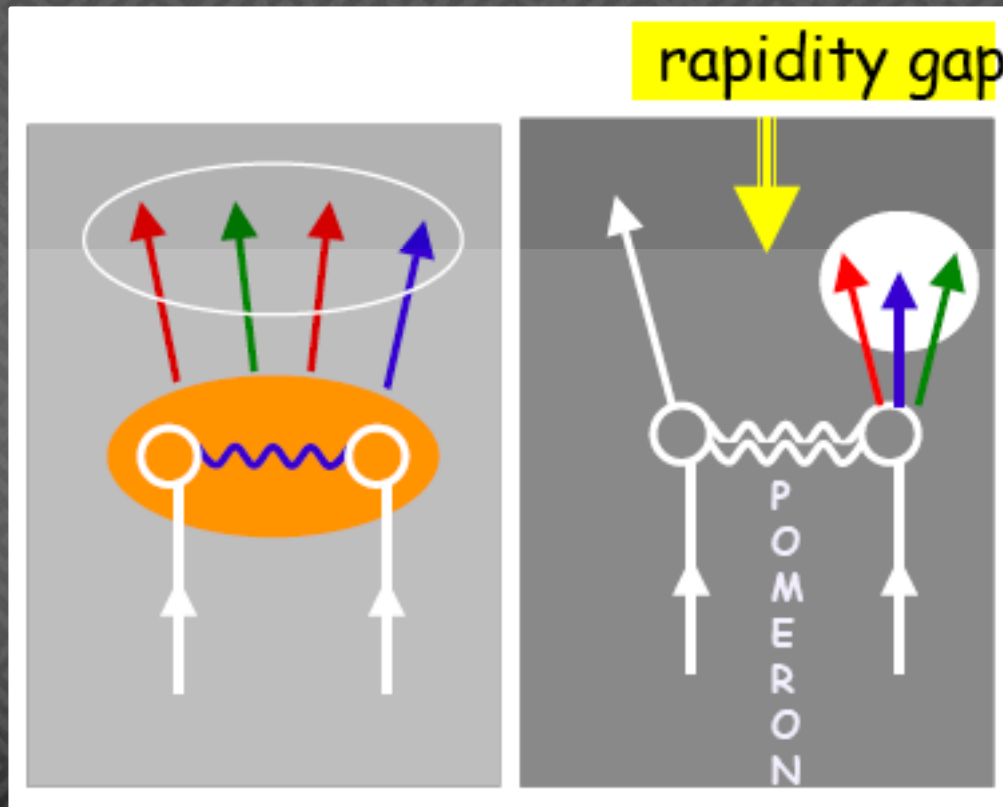
$$dN / d \Delta\eta = \text{const}$$

$$\eta = -\ln \text{tg } \theta/2$$

$$\xi = \Delta p/p$$

$$\Delta\eta = -\ln \xi$$

Incident hadrons acquire colour and break apart

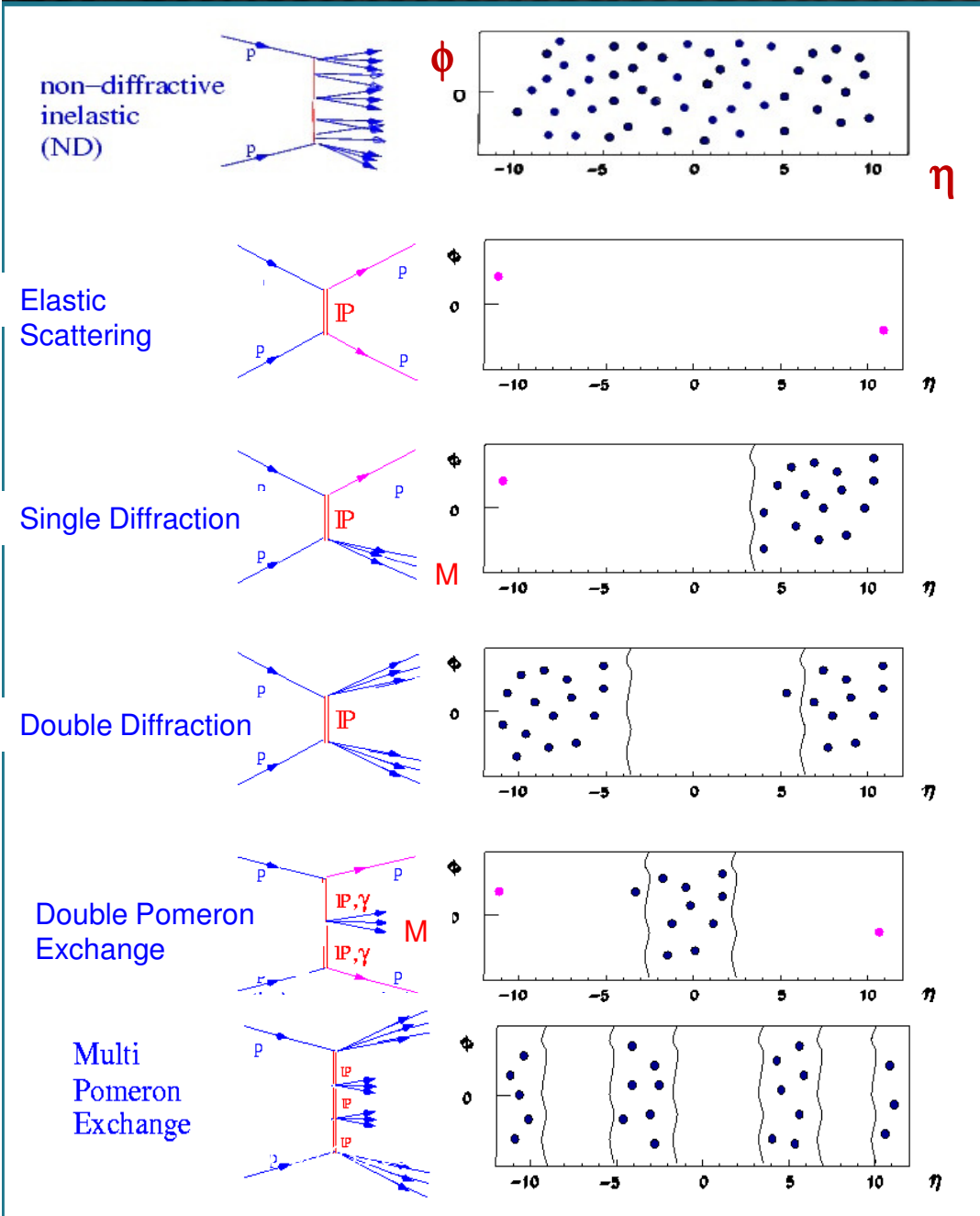


Incident hadrons retain their quantum numbers remaining colourless

GOAL: understand the QCD nature of the diffractive exchange

# Dominant Event Classes in p-p Collisions

$$(\eta = -\ln \tan \theta/2)$$



$\sim 65$  mb     $\sim 58\%$

$\sim 30$  mb

$\sim 10$  mb

$\sim 7$  mb     $\sim 42\%$

$\sim 1$  mb

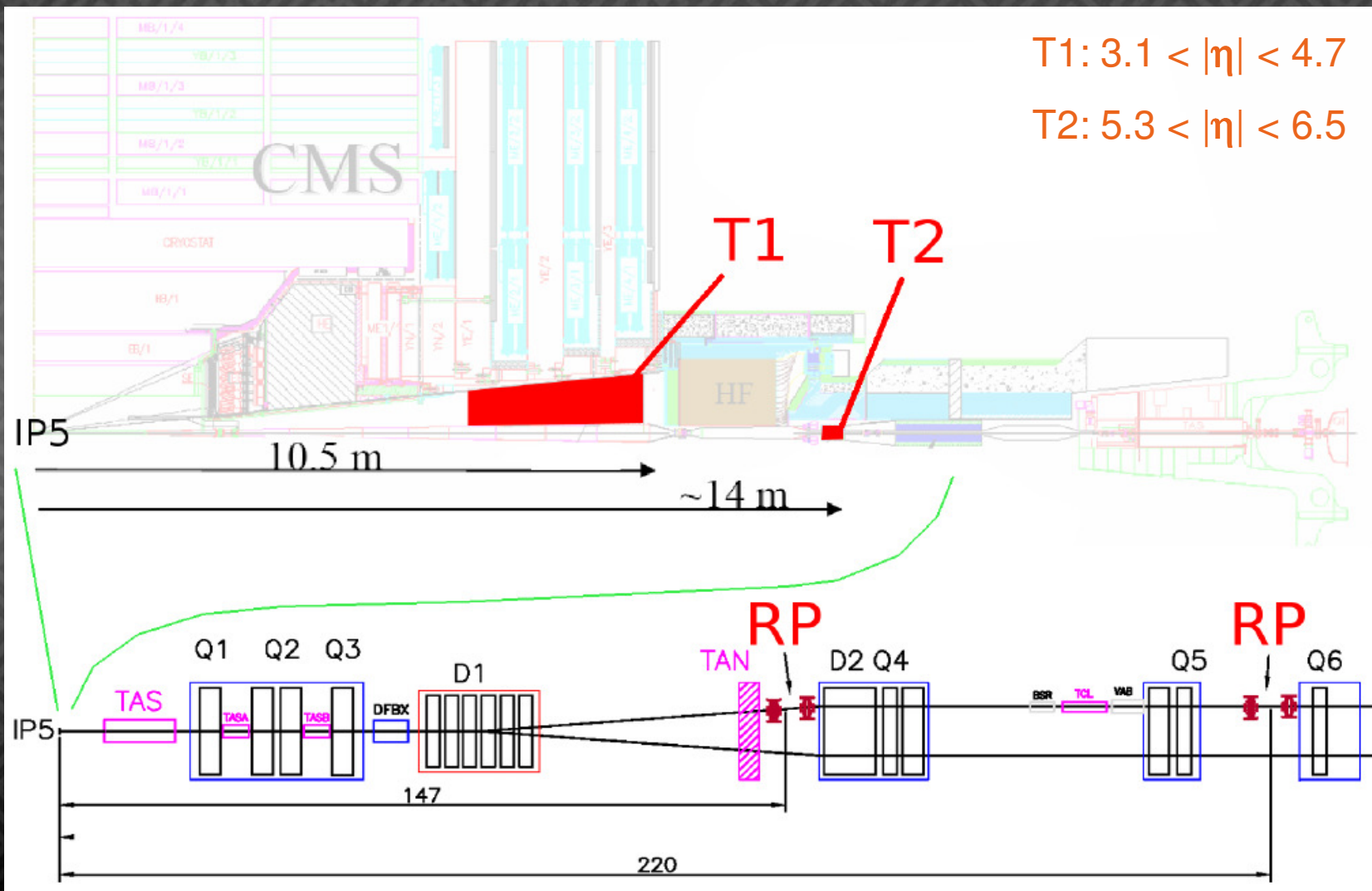
$\ll 1$  mb

**Processes with large cross-sections !**

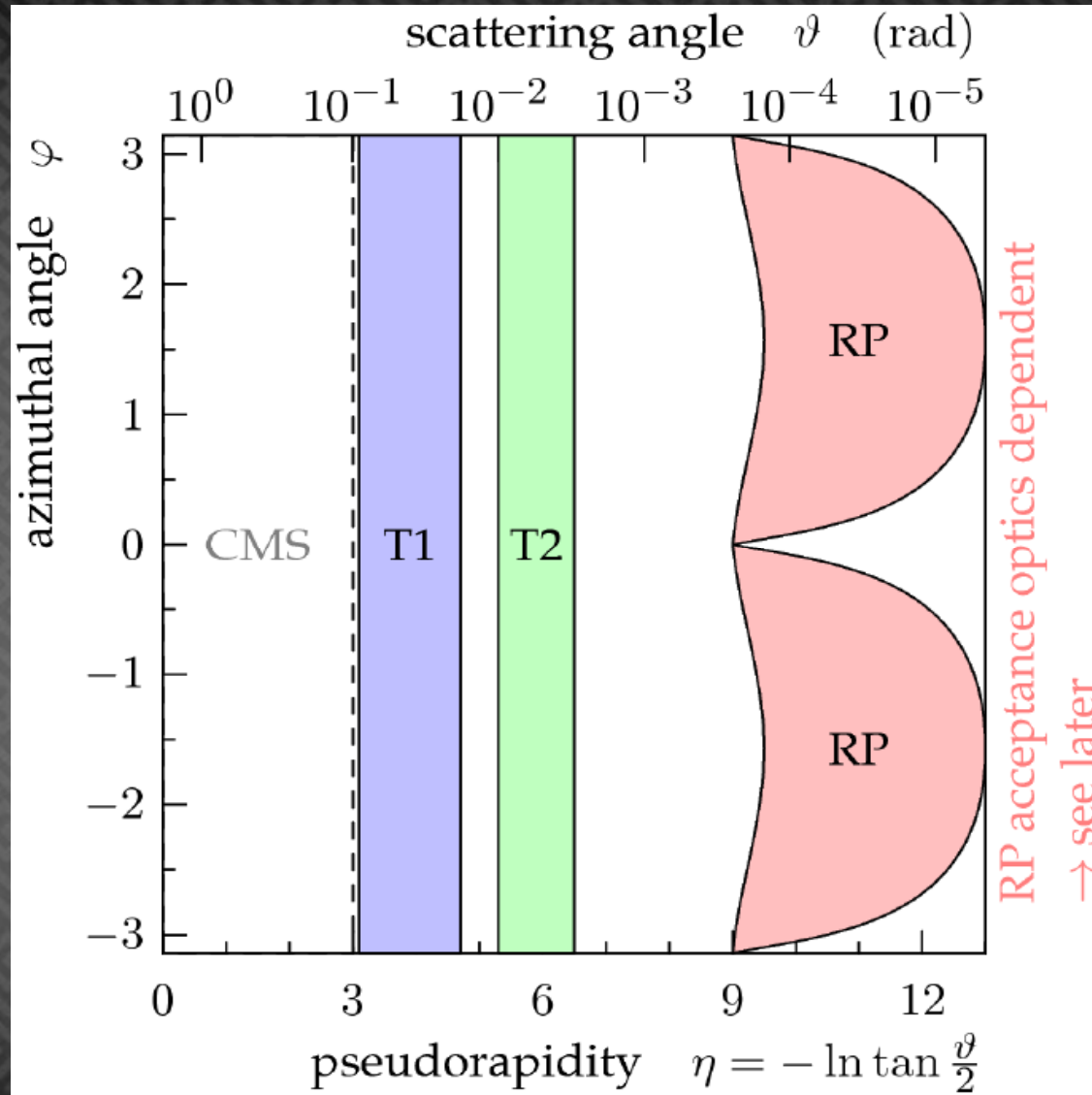
Indicative cross-sections at 14 TeV

# TOTEM Experimental Apparatus

- **Physics requirements:** *forward proton detectors and large pseudorapidity coverage*
  - ➔ **Roman Pots & tracking telescopes T1 and T2** (*inelastic evts +  $V_{tx}$  reco*)
- *all detectors symmetrically on both sides of IP5*
- *all detectors L1 trigger capable*



# TOTEM Coverage



Courtesy by Jan Kaspar

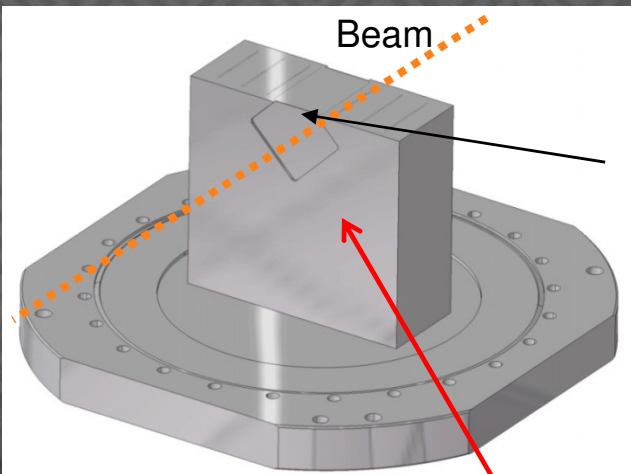
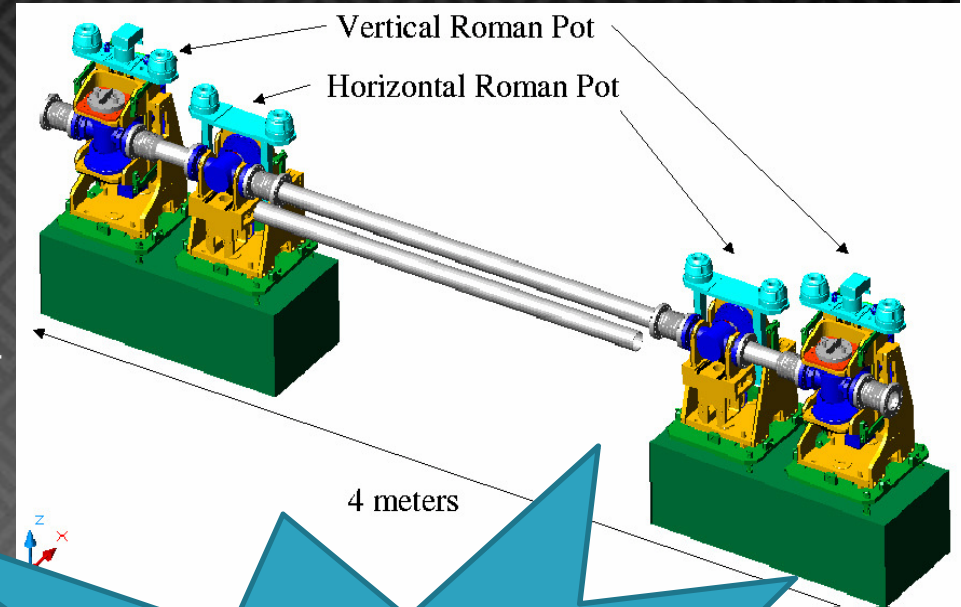


# TOTEM Roman Pots

Protons at few  $\mu\text{rad}$  angles w. RPs at  $10\sigma + d$  from beam

'Edgeless' detectors to minimize d  
 ( $\sigma^{\text{beam}} \sim 80 \mu\text{m}$  at RP220 w.  $\beta^* = 1540\text{m}$ )

Each RP station has 2 units, 4m apart  
 Each unit has 2 vertical insertions ('pots') + 1 horizontal

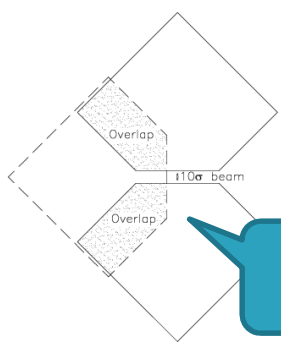


Thin window 150  $\mu\text{m}$

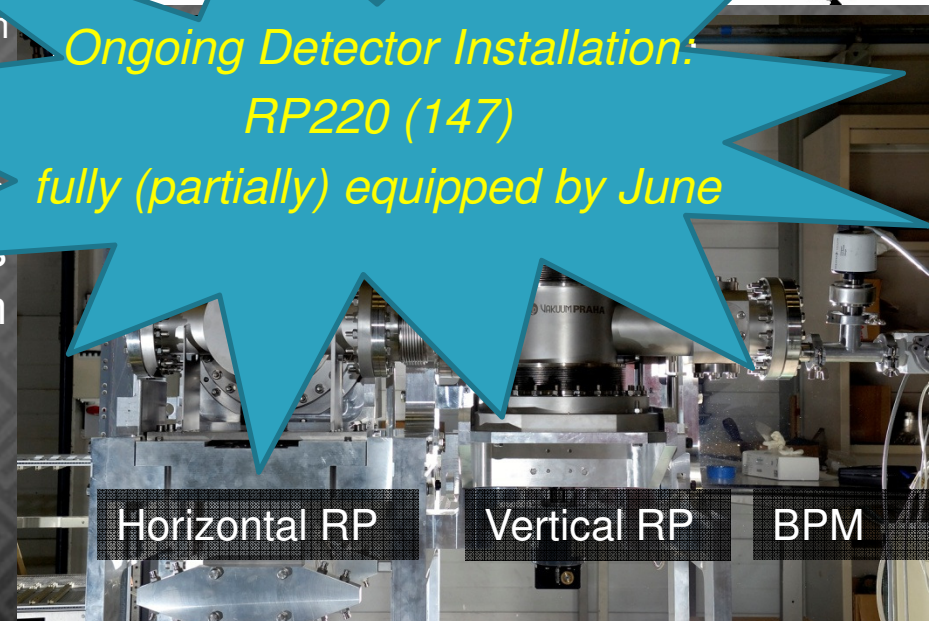
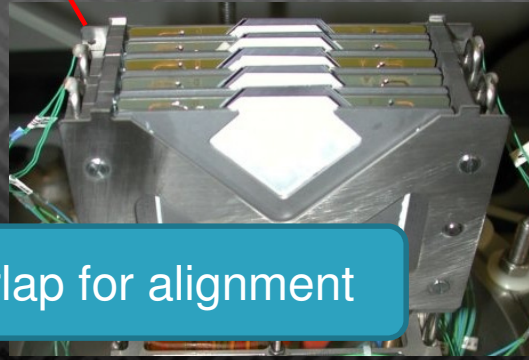
10 silicon detector planes  
 pitch 66  $\mu\text{m}$

Ongoing Detector Installation:  
 RP220 (147)

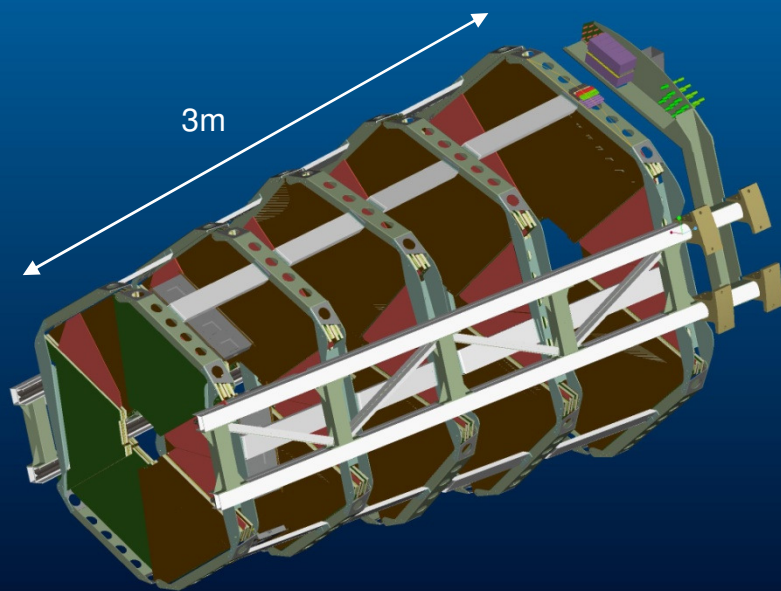
fully (partially) equipped by June



Overlap for alignment

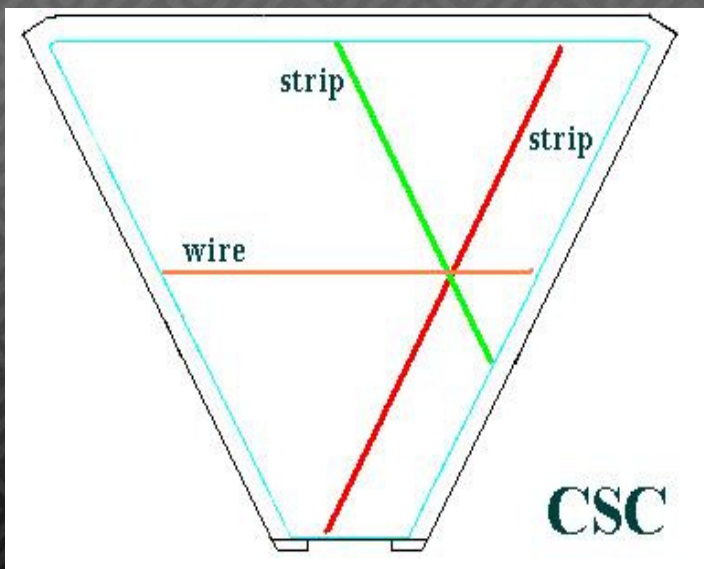


# T1 Telescope



1 station per side of IP5

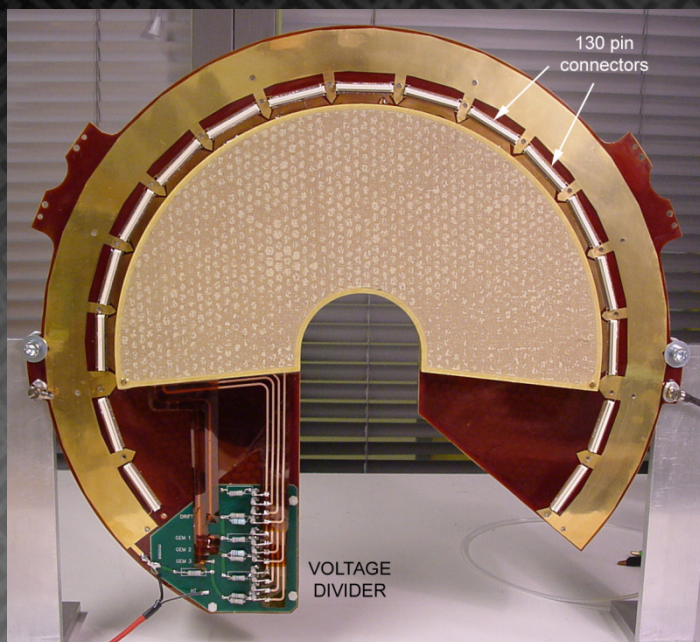
- each station: 5 planes
- each plane: 6 trapezoidal CSC detectors
- L1 trigger capability
- **Cathode Strip Chamber detector**
  - 3 coordinates: 2 cathode strips, 1 anode wire
  - Resolution  $\approx 1$  mm
- Primary Vtx reconstruction to discriminate background (not beam-beam events) for the measurement of  $N_{inel}$
- Multiplicity measurement



*Installation foreseen for May/June:  
One arm eventually in September*

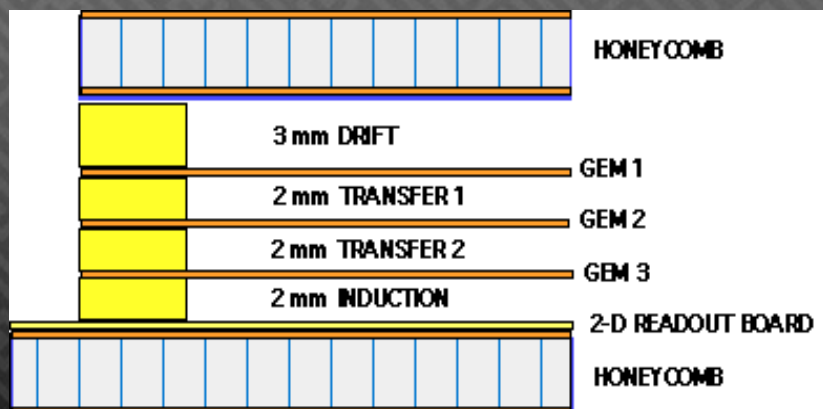


# T2 Telescope



## 1 station on each side of IP5

- each station: two halves (left/right)
- each half: 10 (5×2 back-to-back mounted) GEM detectors
- L1 trigger capability
- Triple Gas Electron Multiplier detectors
  - double readout: strips (radial) and pads (coarse radial and azimuthal)
  - resolution: radial  $100 \mu\text{m}$ , azimuthal  $0.8^\circ$
- Vtx reco. + Multiplicity measurement



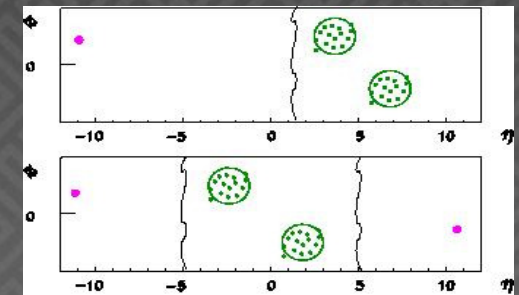
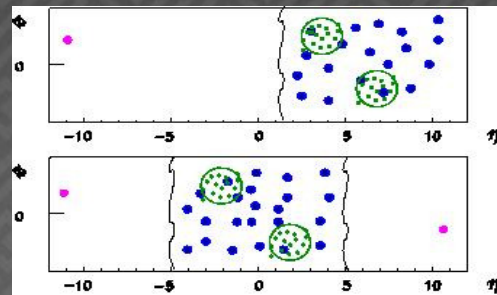
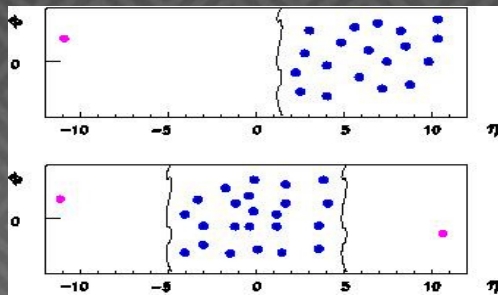
# TOTEM Physics and LHC Optics

Feasible physics depends on running scenarios:

- luminosity
- beam optics ( $\beta^*$ )

⇒ acceptance of proton detectors

⇒ precision in the measurement of scattering angle / beam divergence  $\propto \sqrt{1/\beta^*}$



$\sigma_{\text{tot}} (\sim 1\%)$ , low t elastic,  
soft diffraction

$\sigma_{\text{tot}} (\sim 5\%)$ , low t elastic,  
(semi)-hard diffraction

high t elastic,  
hard diffraction



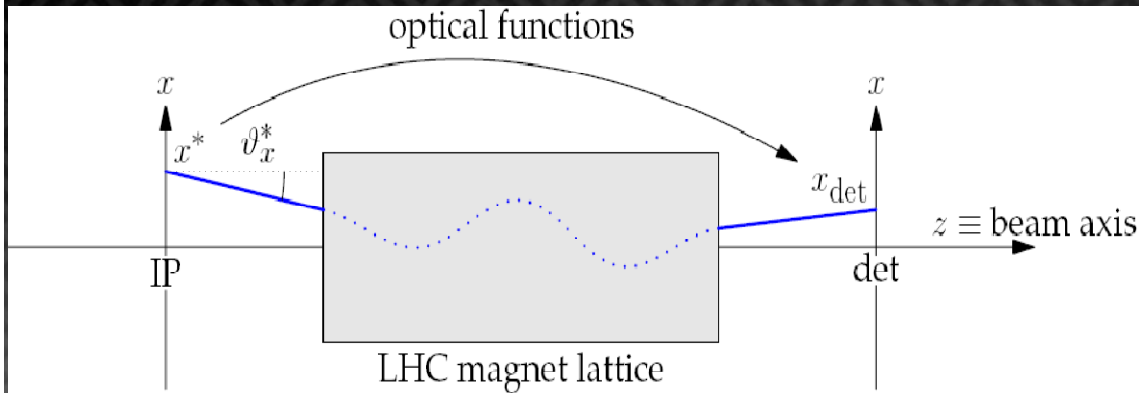
cross section



luminosity

$\sigma$	mb	$\mu\text{b}$		nb
$\beta^*$ (m)	1540	90	EARLY	2
$\mathcal{L}$ ( $\text{cm}^{-2} \text{s}^{-1}$ )	$10^{28}$	$10^{30}$		$10^{31}$
	TOTEM runs			Standard runs

# Details on Optics



Proton transport equations:

$$x = L_x \theta_x^* + v_x x^* + D \xi$$

$$y = L_y \theta_y^* + v_y y^*$$

Optical functions:

$L$  (effective length);  $v$  (magnification);  
 $D$  (machine dispersion)

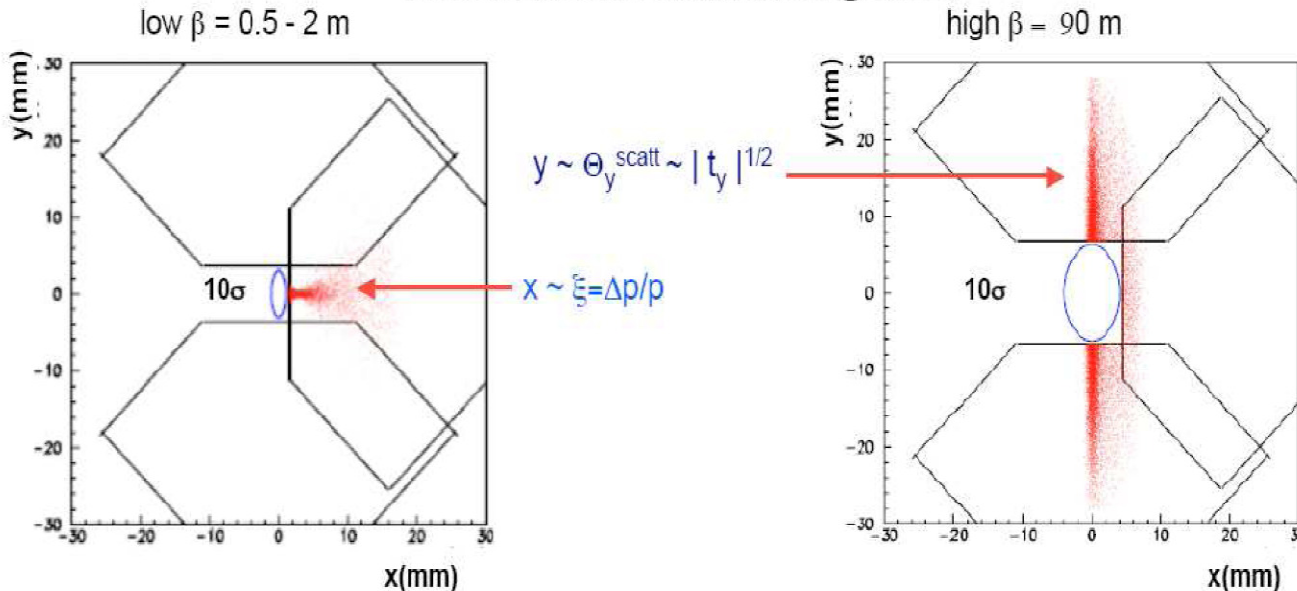
$$\xi = \Delta p/p; t = t_x + t_y; t_i \sim -(p\theta_i^*)^2$$

$(x^*, y^*)$ : vertex position at IP  
 $(\theta_x^*, \theta_y^*)$ : emission angle at IP

Describe the explicit path of particles through the magnetic elements as a function of the particle parameters at IP.

$\Rightarrow$  Define  $t$  and  $\xi$  range (Acceptance)

Diffractive protons : hit distribution @ RP220



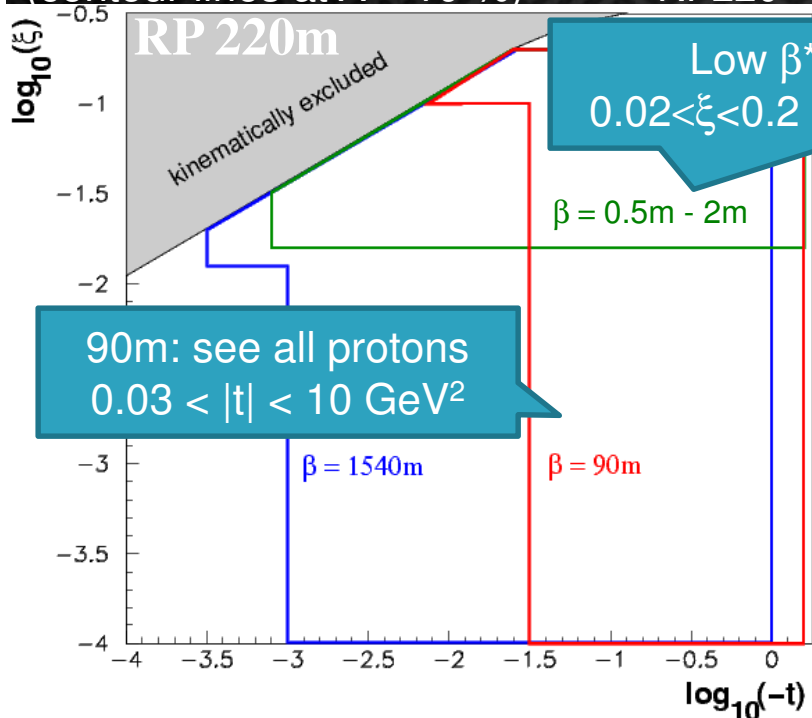
## Example

*Same sample of diffractive protons at different  $\beta^*$*

- low  $\beta^*$ :  $p$  detected by momentum loss ( $\xi$ )
- high  $\beta^*$ :  $p$  detected by trans. momentum ( $t_y$ )

# Diffractive Proton Acceptance in $(t, \xi)$ : (contour lines at $A = 10\%$ )

RP220



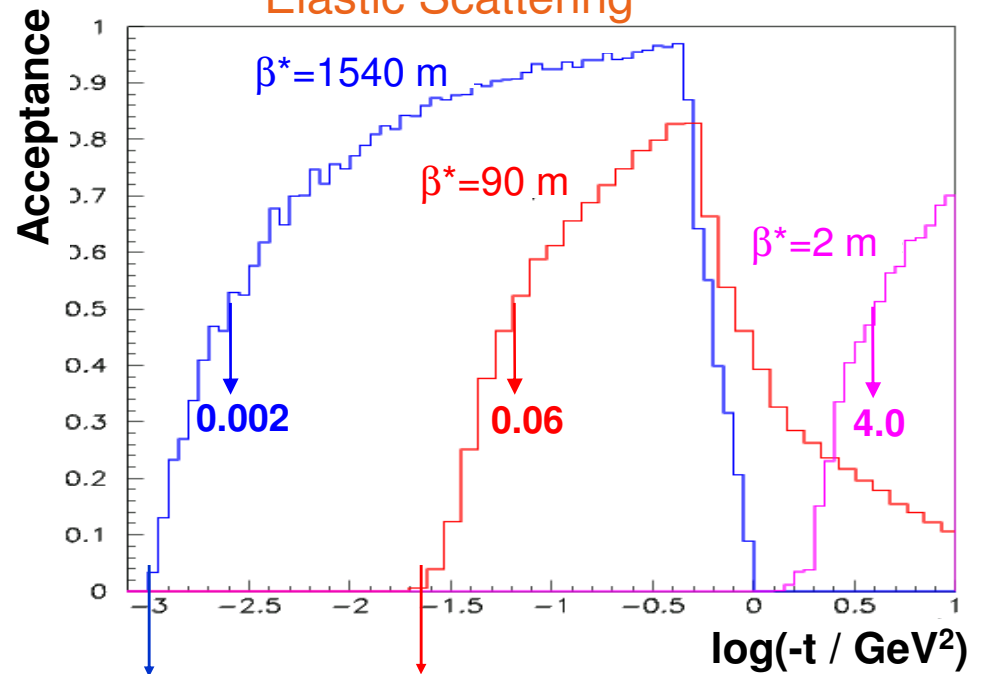
# Proton Acceptance

Optics properties at RP220:

$\beta^* = 1540 \text{ m}$	$L = 10^{28} - 2 \times 10^{29}$	95% of all p seen; all $\xi$
$\beta^* = 90 \text{ m}$	$L = 10^{29} - 3 \times 10^{30}$	65% of all p seen; all $\xi$
$\beta^* = 0.5 - 2 \text{ m}$	$L = 10^{30} - 10^{34}$	$\xi > 0.02$ seen; all t

$\xi$  resolution

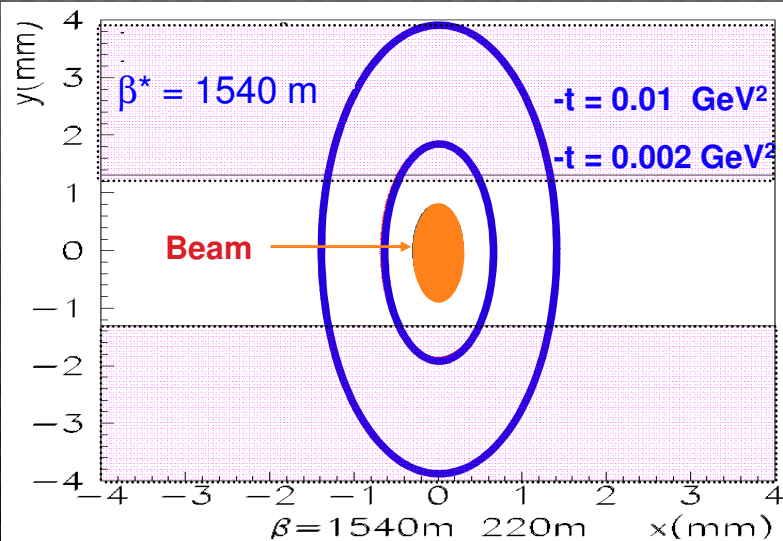
## Elastic Scattering



Det. dist. 1.3 mm

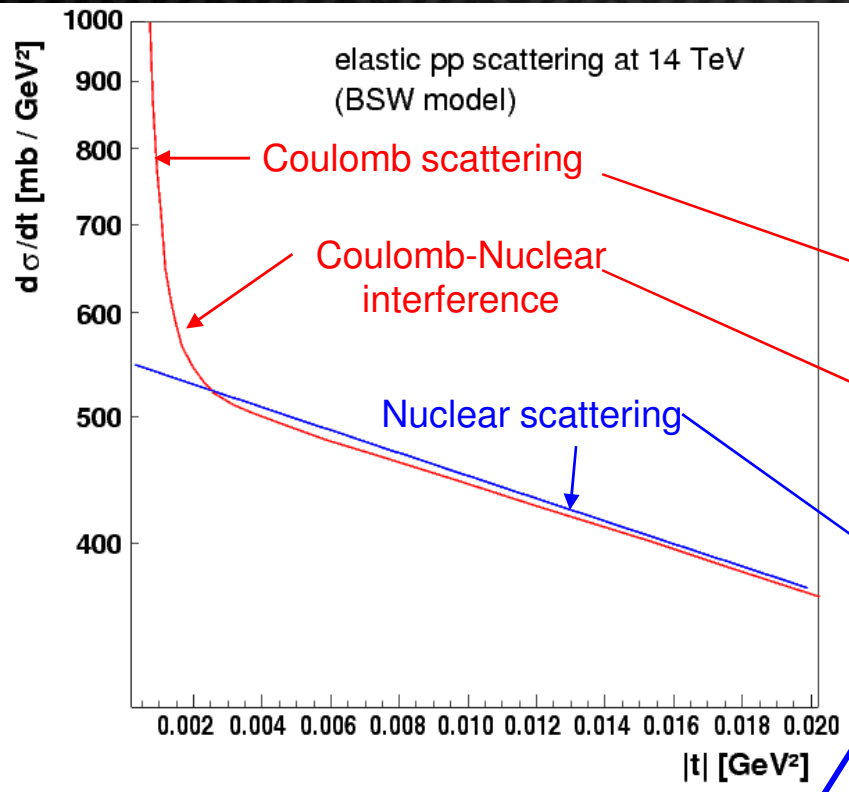
6 mm

Detector distance to the beam:  $10\sigma + 0.5 \text{ mm}$



# Total Cross-Section and Elastic Scattering at low $|t|$

Related by the Optical Theorem:



$$\frac{d\sigma}{dt} = \frac{4\pi\alpha^2 (\hbar c)^2 G^4(t)}{|t|^2} + \frac{\alpha(\rho - \alpha\phi)\sigma_{tot} G^2(t)}{|t|} e^{-B|t|/2} + \frac{\sigma_{tot}^2 (1 + \rho^2)}{16\pi (\hbar c)^2} e^{-B|t|}$$

- $\alpha$  = fine structure constant
- $\phi$  = relative Coulomb-nuclear phase
- $G(t)$  = nucleon em form factor =  $(1 + |t|/0.71)^{-2}$
- $\rho$  =  $\text{Re}/\text{Im } f(\mathbf{p} \rightarrow \mathbf{p})$

## TOTEM Approach:

Measure the exp. slope  $B$  in the  $t$ -range  $0.002 - 0.2 \text{ GeV}^2$ , extrapolate  $d\sigma/dt$  to  $t=0$ ,  
 Measure total inelastic and elastic rates (all TOTEM detectors provide L1 triggers):

$$L\sigma_{tot}^2 = \frac{16\pi}{1 + \rho^2} \times \left. \frac{dN_{elastic,nuclear}}{dt} \right|_{t=0}$$

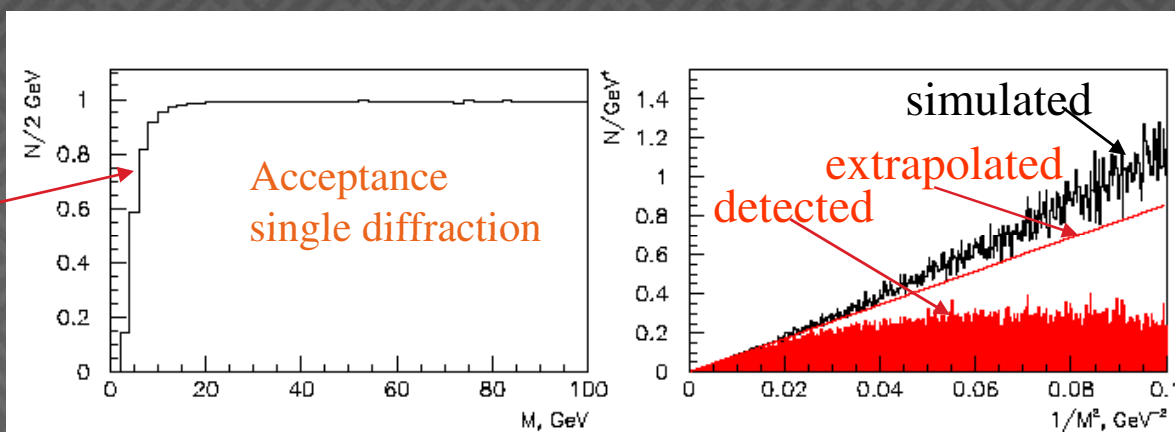
$$L\sigma_{tot} = N_{elastic,nuclear} + N_{inelastic}$$

$$\sigma_{tot} = \frac{16\pi}{1 + \rho^2} \times \frac{(dN_{elastic,nuclear} / dt)|_{t=0}}{N_{elastic,nuclear} + N_{inelastic}}$$

# Measurement of the Inelastic Rate

- Inelastic double arm trigger: **robust against background**, inefficient at small M
- Inelastic single arm trigger: **suffers from beam-gas + halo background**, best efficiency
- Inelastic triggers and proton (SD, DPE): **cleanest trigger**, proton inefficiency to be extrapolated
- Trigger on non-colliding bunches to determine beam-gas + halo rates.
- Vertex reconstruction with T1, T2 to suppress background
- Extrapolation of diffractive cross-section to large  $1/M^2$  assuming  $d\sigma/dM^2 \sim 1/M^2$

Loss at low diffractive masses M



	$\sigma$ [mb]	trigger loss [mb]	systematic error after extrapolations [mb]
Non-diffractive inelastic	58	0.06	0.06
Single diffractive	14	3	0.6
Double diffractive	7	0.3	0.1
Double Pomeron	1	0.2	0.02
<b>Total</b>	<b>80</b>	<b>3.6</b>	<b>0.8</b>



# Combined Uncertainty in $\sigma_{tot}$

$$\sigma_{tot} = \frac{16 \pi}{1 + \rho^2} \frac{dN_{el} / dt|_{t=0}}{N_{el} + N_{inel}}$$

$$\mathcal{L} = \frac{1 + \rho^2}{16 \pi} \frac{(N_{el} + N_{inel})^2}{dN_{el} / dt|_{t=0}}$$

	<u><math>\beta^* = 90 \text{ m}</math></u>	<u>1540 m</u>
◆ Extrapolation of elastic cross-section to $t = 0$ :	$\pm 4 \%$	$\pm 0.2 \%$
◆ Total elastic rate (strongly correlated with extrapolation):	$\pm 2 \%$	$\pm 0.1 \%$
◆ Total inelastic rate: (error dominated by Single Diffractive trigger losses)	$\pm 1 \%$	$\pm 0.8 \%$
◆ Error contribution from $(1+\rho^2)$ using full COMPETE error band $\delta\rho/\rho = 33 \%$		$\pm 1.2 \%$

→ Total uncertainty in  $\sigma_{tot}$  including correlations in the error propagation:

$\beta^* = 90 \text{ m} : \pm 5 \%$ ,  $\beta^* = 1540 \text{ m} : \pm (1 \div 2) \%$ .

Slightly worse in  $\mathcal{L}$  ( $\sim$  total rate squared!) :  $\pm 7 \%$  ( $\pm 2 \%$ ).

Precise Measurement with  $\beta^* = 1540 \text{ m}$  requires:

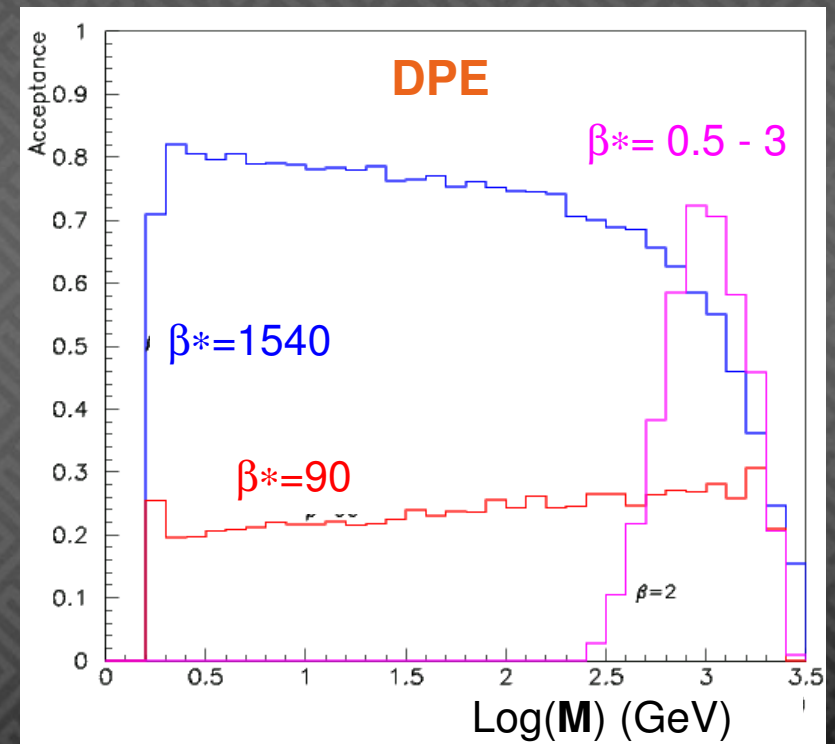
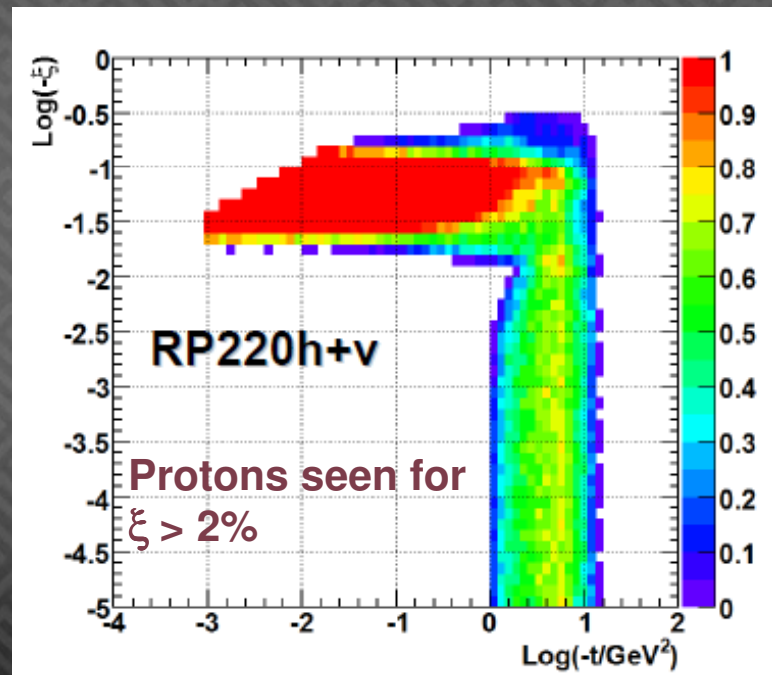
- improved knowledge of optical functions
- alignment precision  $< 50 \mu\text{m}$

# Early Physics with TOTEM ( $E_p = 5 \text{ TeV}$ & $\beta^* = 3m$ )

## RP220 Acceptance:

- elastic scattering  $1 < |t| < 12 \text{ GeV}^2$
- diffractive protons  $0.02 < \xi < 0.18$
- resolution:  $\sigma(\xi) < \sim 6 \cdot 10^{-3}$

very similar to  $E_p = 7 \text{ TeV}$  !!

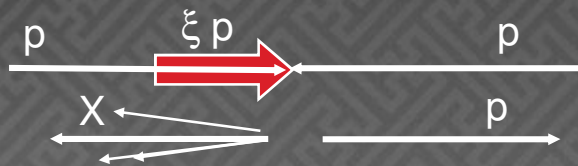


# Very first measurements with low $\beta^*$ optics

- Using horizontal RPs

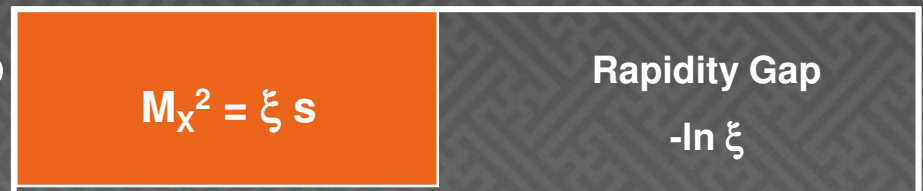
- $d\sigma^{\text{SD}}/dM$  (SD events with high mass)

- $0.02 < \xi < 0.18 \Rightarrow 2 < M < 6 \text{ TeV}$
    - $\sigma(M)/M = 2-4 \%$



SD

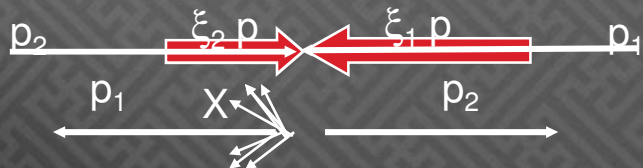
$\phi$



$\eta$

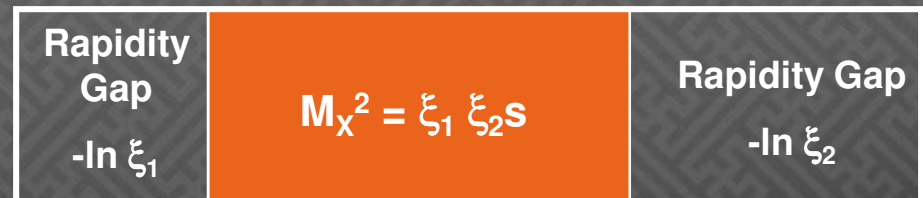
- $d\sigma^{\text{DPE}}/dM$  (DPE high mass)

- $250 < M < 2500 \text{ GeV}$
    - $\sigma(M)/M = 2.1-3.5 \%$



DPE

$\phi$



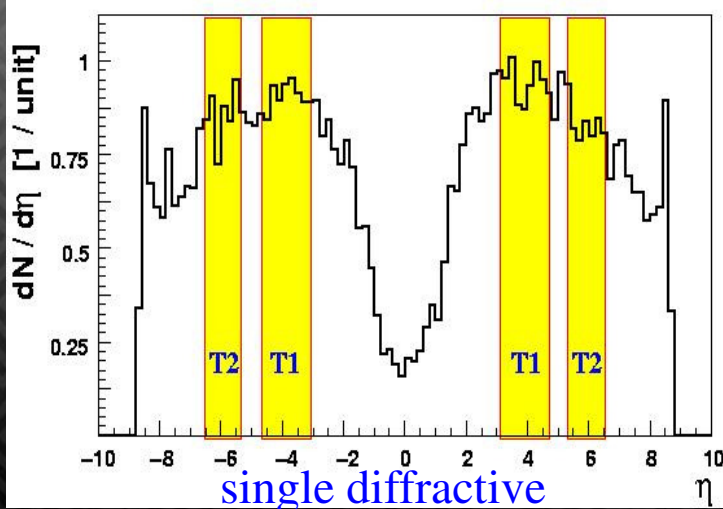
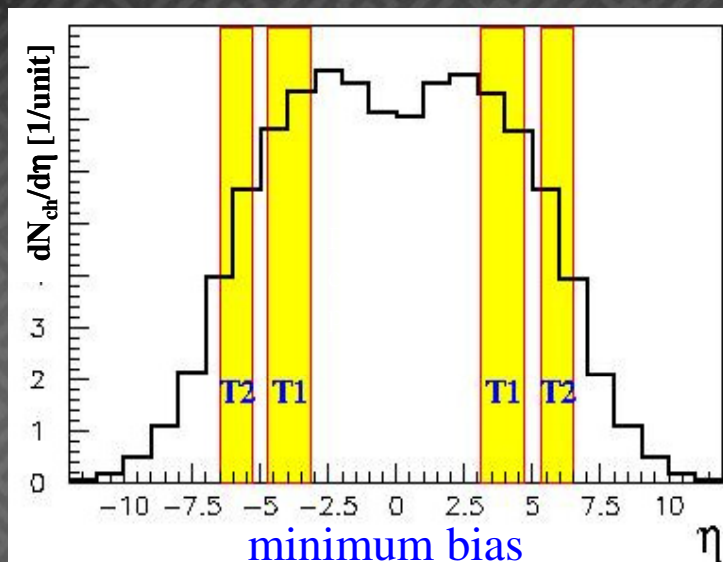
$\eta$

- Using vertical RPs: high  $t$  elastic scattering

- $d\sigma^{\text{Elastic}}/dt$       $1 < |t| < 12 \text{ GeV}^2$       $\sigma(t) \approx 0.2 \cdot \sqrt{|t|}$

# T1/T2: charged multiplicity

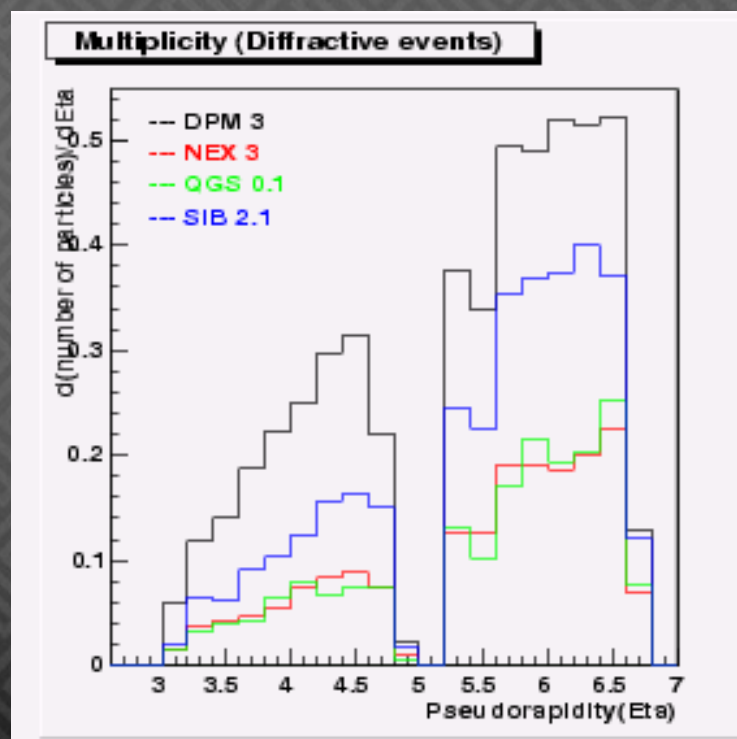
- Measurement of charged multiplicity for different processes
  - Important also for cosmic ray physics (e.g. for MC generator validation)
- Identification and measurement of rapidity gaps



Acceptance:

$3.1 < \eta < 4.7$  (T1) &  $5.3 < \eta < 6.5$  (T2)

$\sigma(\eta) = 0.04 - 0.2$ , no mom. &  $\phi$  info



# Conclusions

- **TOTEM** *ready* for LHC restart  
will run under all beam conditions  
will *need high  $\beta^*$  optics* → *will require  $\beta^* = 90\text{m}$  optics for early running*
- Early measurements
  - **low  $\beta^*$ :**
    - study of SD and DPE at high masses
    - elastic scattering at high  $|t|$
    - measurement of forward charged multiplicity
  - **$\beta^* = 90\text{ m}$ :**
    - first measurement of  $\sigma_{\text{tot}}$  (and  $\mathcal{L}$ ) with a precision of  $\sim 5\%$  ( $\sim 7\%$ )
    - elastic scattering in a wide  $|t|$  range
    - inclusive studies of diffractive processes
    - measurement of forward charged multiplicity
- Later
  - Measurement of ***total pp cross-section*** (and  $\mathcal{L}$ ) with a precision of  **$1\div 2\%$  ( $2\%$ )** with  $\beta^* = 1540\text{ m}$  (dedicated short runs).
  - Measurement of ***elastic scattering*** in the range  **$10^{-3} < |t| < 10\text{ GeV}^2$**
  - An extensive CMS/TOTEM Physics Programme

# The **TOTEM** experiment at LHC



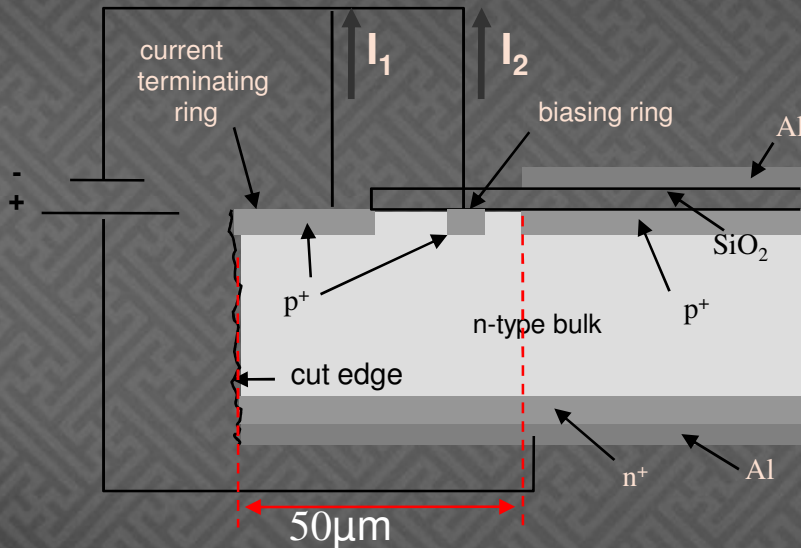
*Backup Slides*

# Si CTS edgeless detectors

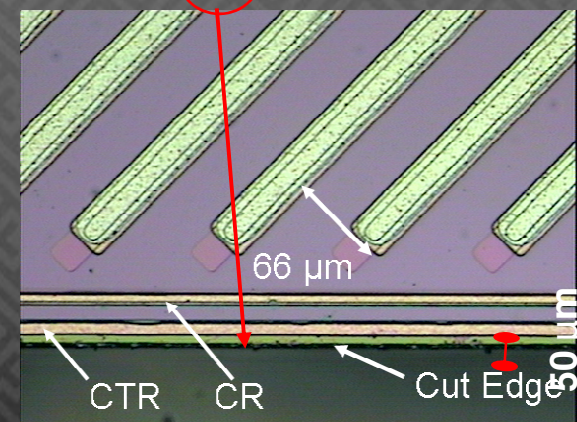
Proton detection down to  $10\sigma_{\text{beam},\perp} + d$  ( $\sigma_{\text{beam},\perp} = 80 - 600 \mu\text{m}$ )

To minimize  $d$ : detectors with highly reduced inactive edge ("edgeless")

## Planar technology + CTS (Current Terminating Structure)



Micro-strip Si detectors designed to reduce the inefficiency at the edge.  
Inefficient edge  $\sim 50 \mu\text{m}$



# Optics and Beam Parameters

Parameters	$\beta^* = 2 \text{ m}$ (standard step in <b>LHC start-up</b> )	$\beta^* = 90 \text{ m}$ (early <b>TOTEM optics</b> )	$\beta^* = 1540 \text{ m}$ (final <b>TOTEM optics</b> )
Crossing angle	0.0	0.0	0.0
N of bunches	156	156	43
N of part./bunch	$(4 - 9) \times 10^{10}$	$(4 - 9) \times 10^{10}$	$3 \times 10^{10}$
Emittance $\varepsilon_n$ [ $\mu\text{m} \cdot \text{rad}$ ]	3.75	3.75	1
$10 \sigma_y$ beam width at RP220 [mm]	$\sim 3$	6.25	0.8
Luminosity [ $\text{cm}^{-2} \text{s}^{-1}$ ]	$(2 - 11) \times 10^{31}$	$(5 - 25) \times 10^{29}$	$1.6 \times 10^{28}$

## $\beta^* = 90 \text{ m}$ ideal for early running:

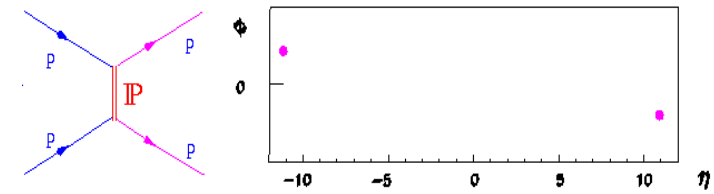
- fits well into the **LHC start-up** running scenario;
- uses **standard injection** ( $\beta^* = 11\text{m}$ )  $\rightarrow$  easier to commission than 1540 m optics
- wide beam  $\rightarrow$  ideal for training the RP operation (less sensitive to alignment)

$\beta^* = 90 \text{ m}$  optics proposal submitted to the LHCC and well received.

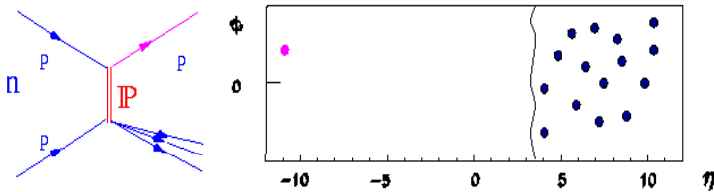


# Level-1 Trigger Schemes

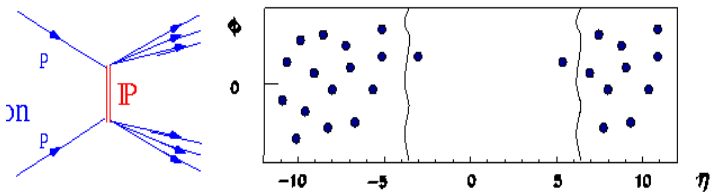
( $L = 1.6 \times 10^{28} \text{ cm}^{-2} \text{ s}^{-1}$ )



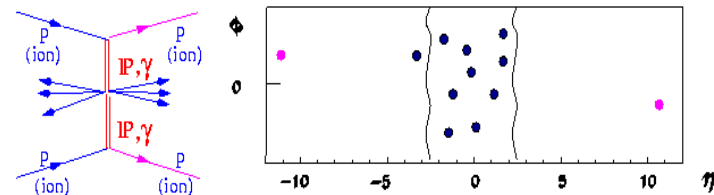
Elastic Trigger:



Single Diffractive Trigger:

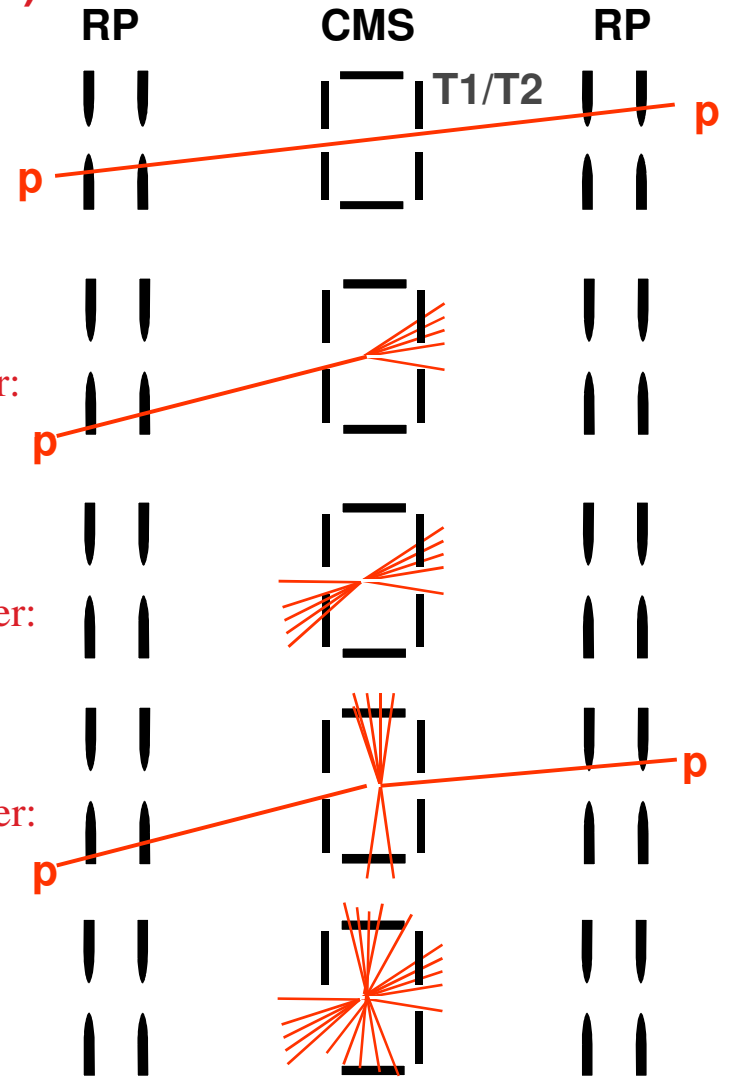


Double Diffractive Trigger:



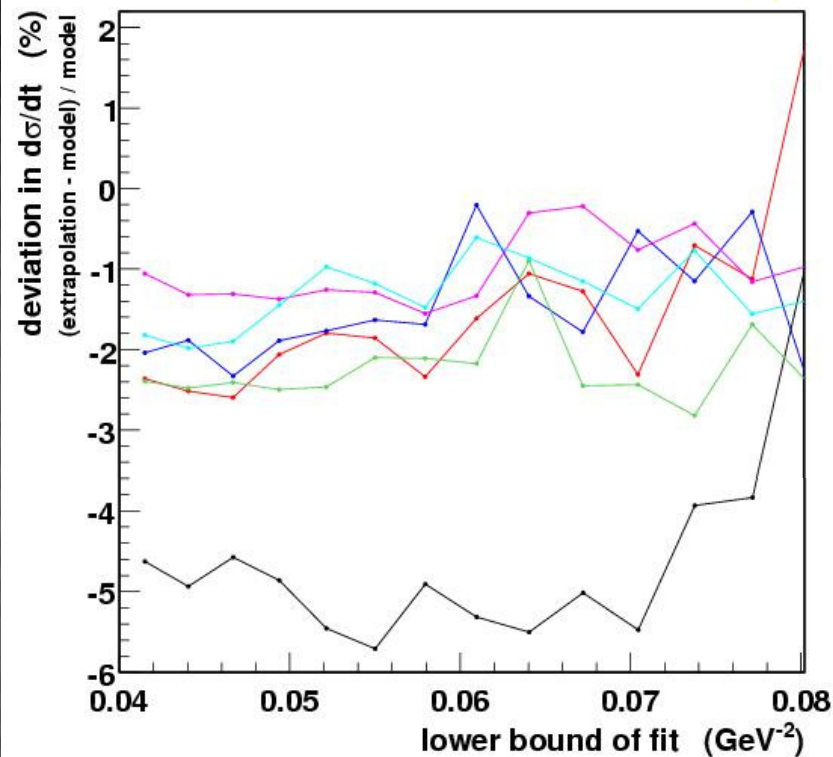
Central Diffractive Trigger:

Minimum Bias Trigger:

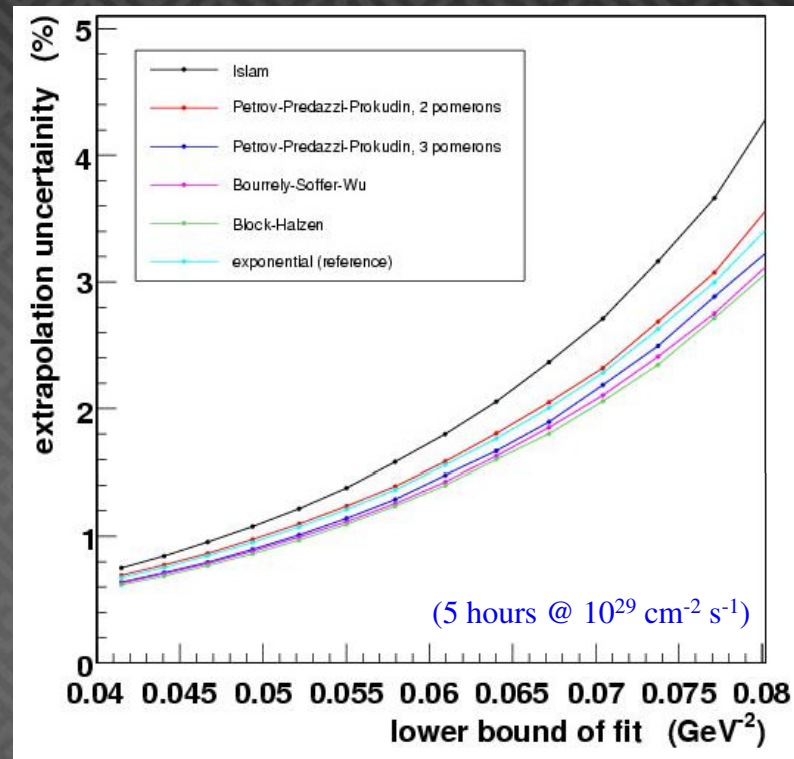


# Extrapolation to the Optical Point ( $t = 0$ ) at $\beta^* = 90\text{m}$

(extrapol. - model) / model in  $d\sigma/dt|_{t=0}$



Statistical extrapolation uncertainty



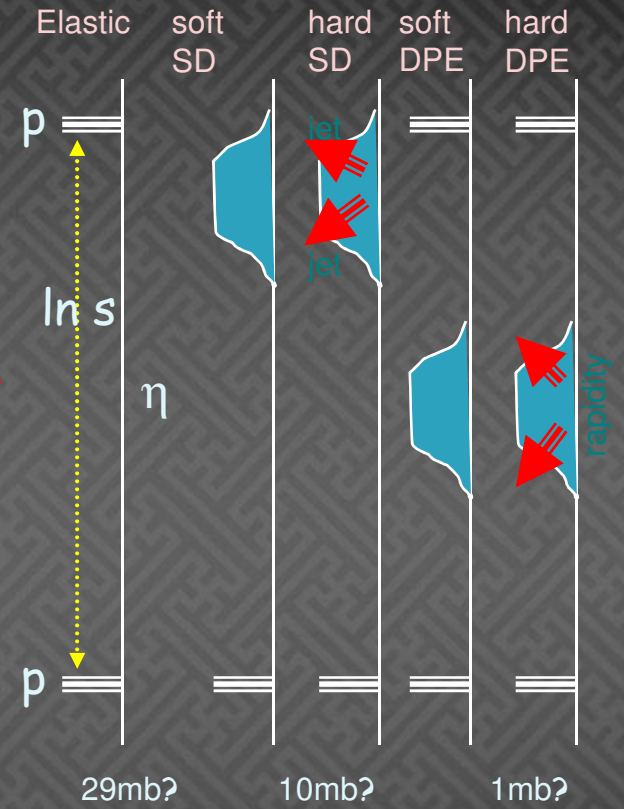
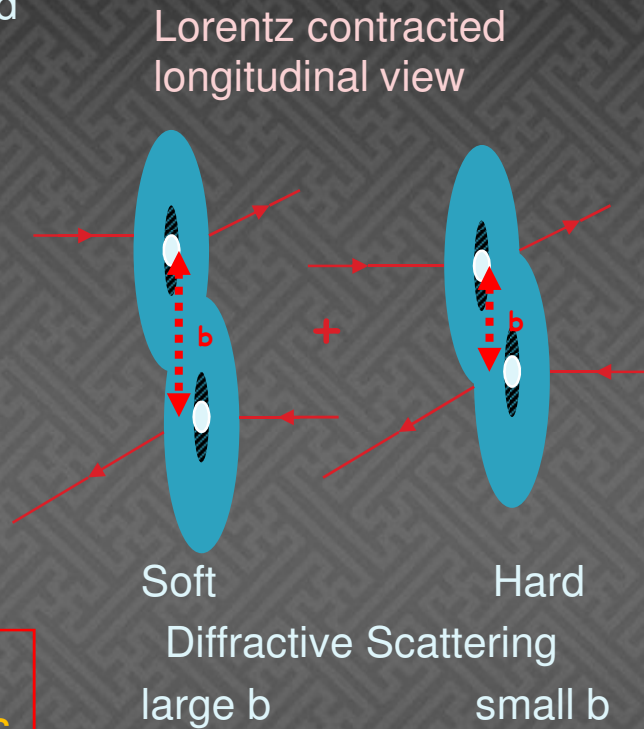
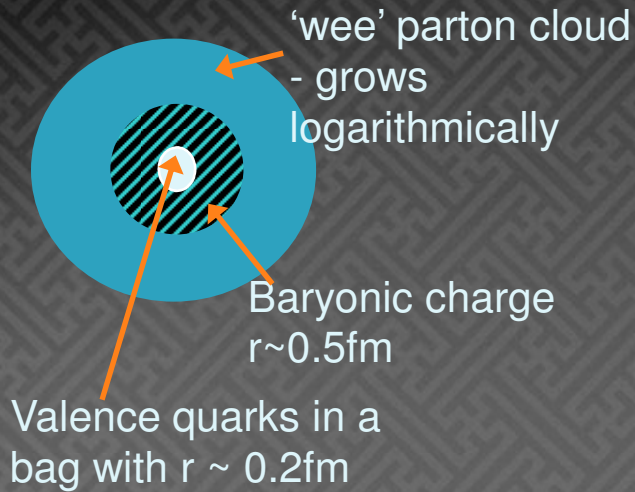
Common bias due to beam divergence :  $-2\%$  (angular spread flattens  $dN/dt$  distribution)

Spread between most of the models:  $\pm 1\%$

Systematic error due to uncertainty of optical functions:  $\pm 3\%$

Different parameterizations for extrapolation tested (e.g. const. B, linear continuation of  $B(t)$ ):  
negligible impact

**Diffractive scattering is a unique laboratory of confinement & QCD:**  
**A hard scale + protons which remain intact in the scattering process**  
**Forward protons observed, independent of their momentum losses**



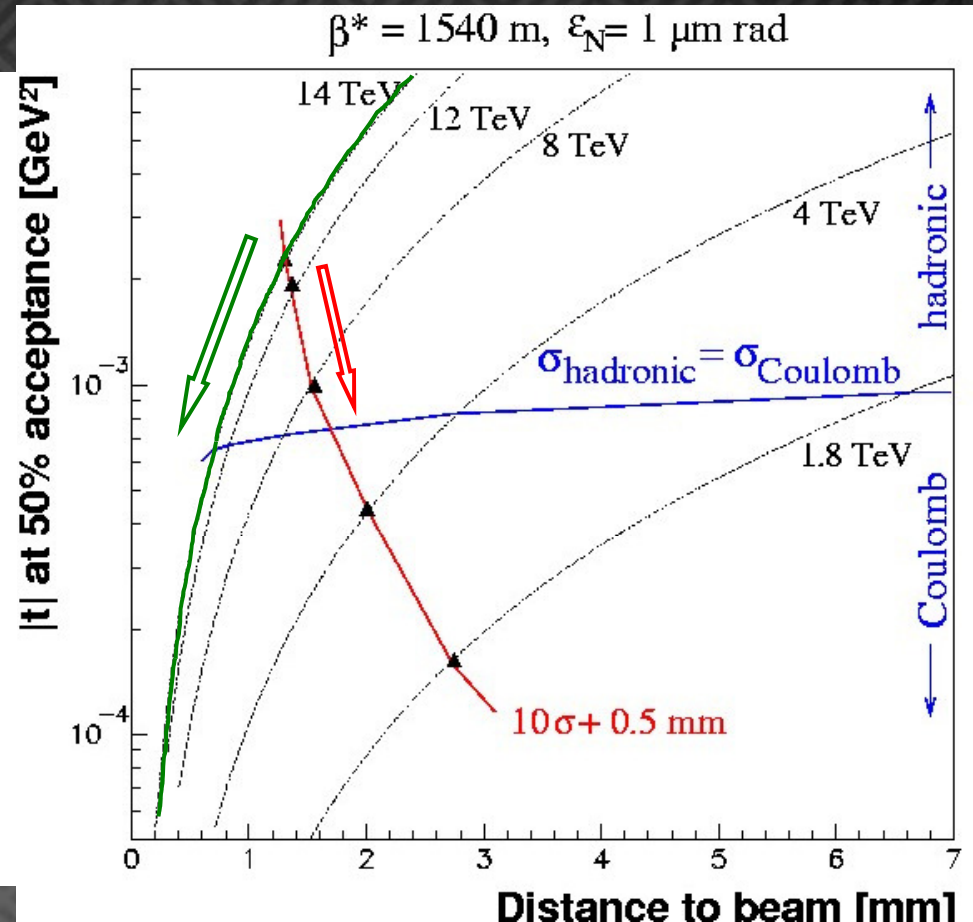
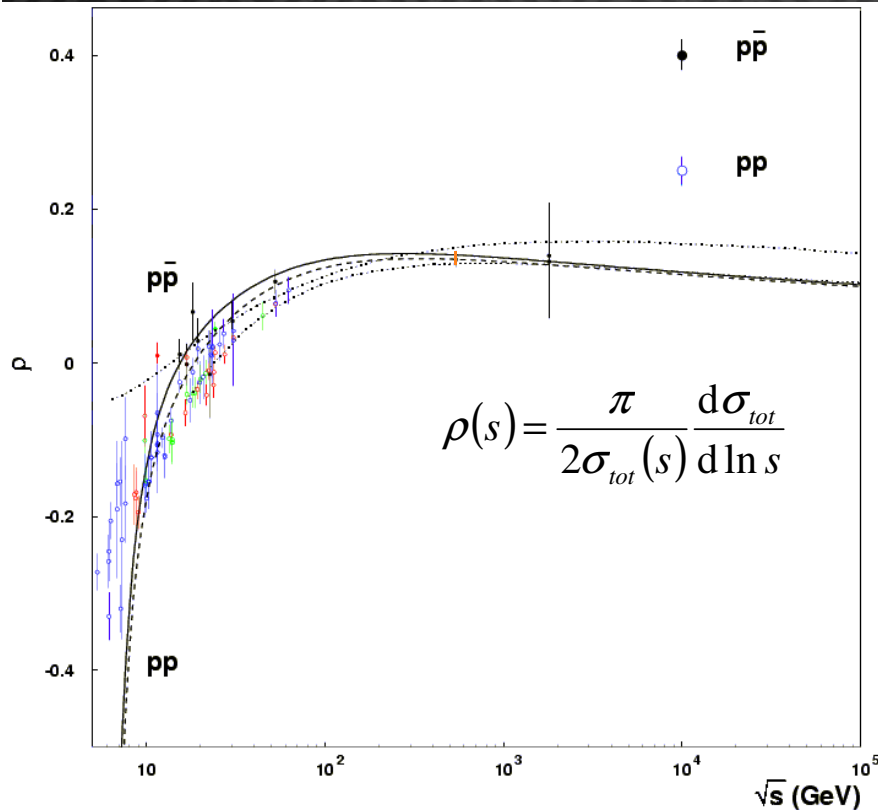
Rapidity gap survival & "underlying" event structures are intimately connected with a geometrical view of the scattering - eikonal approach !

Cross sections are large  
 Measure  $\sigma(M, \xi, t)$

Soft processes:  
 Coherent interactions  
 -impact parameter picture.

Hard processes:  
 Jet momenta correlated with the initial parton momenta.

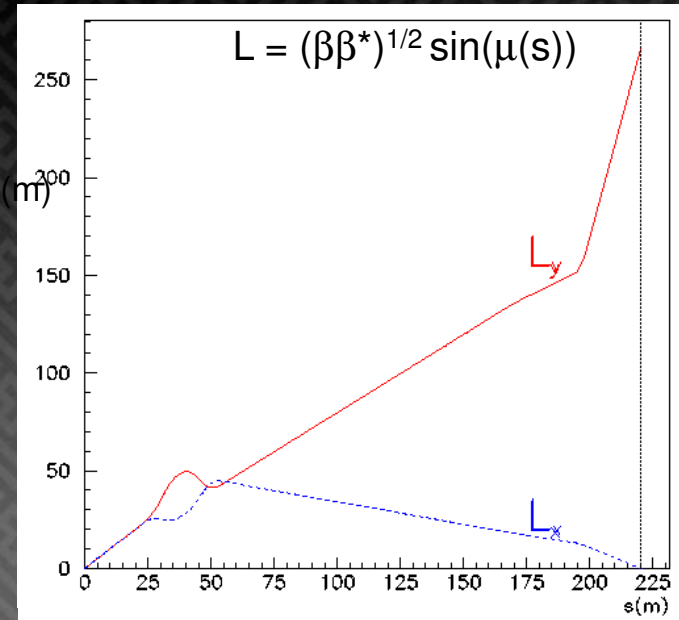
# Possibilities of $\rho$ measurement



Try to reach the Coulomb region and measure interference:

- move the detectors closer to the beam than  $10\sigma + 0.5 \text{ mm}$
- run at lower energy @  $\sqrt{s} < 8 \text{ TeV}$

# Optical Functions ( $\beta^* = 90 \text{ m}$ )



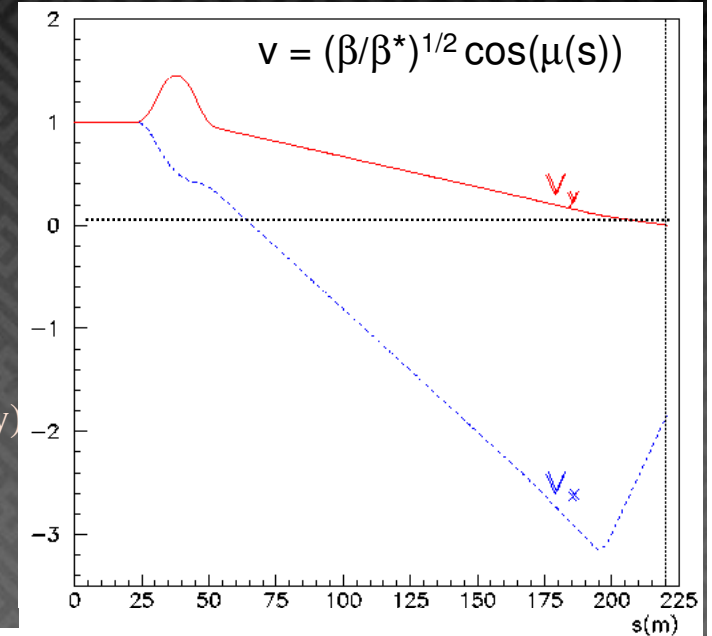
Idea:

$L_y$  large       $L_x = 0$

$v_y = 0$

$\mu_y(220) = \pi/2$      $\mu_x(220) = \pi$

(parallel-to-point focussing on y)



$$\mathbf{x} = L_x \theta_x^* + v_x x^* + D \xi$$

$$\mathbf{y} = L_y \theta_y^* + v_y y^*$$

$$\xi = \Delta p/p$$

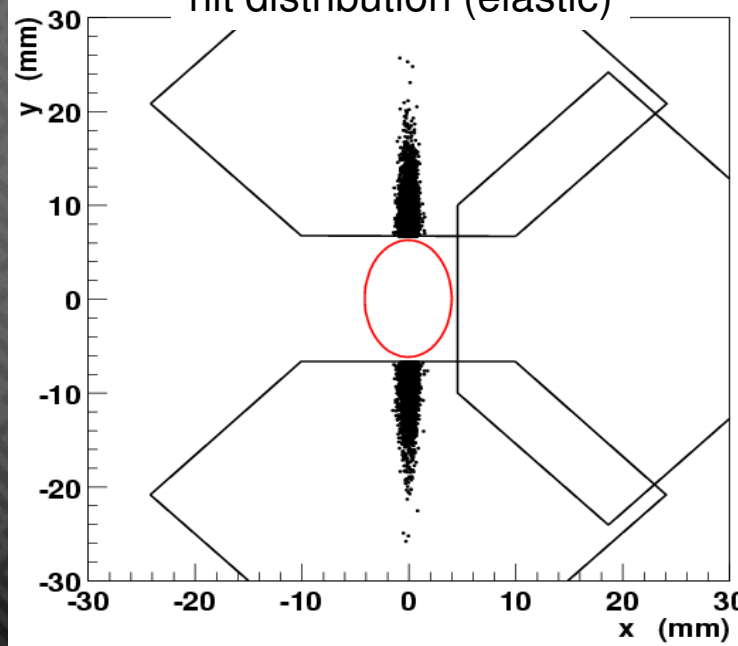
$(x^*, y^*)$ : vertex position at IP

$(\theta_x^*, \theta_y^*)$ : emission angle at IP

$$t = t_x + t_y$$

$$t_i \sim -(p\theta_i^*)^2$$

hit distribution (elastic)



Optical functions:

- L (effective length)

- v (magnification)

defined by  $\beta$  (betatron function)

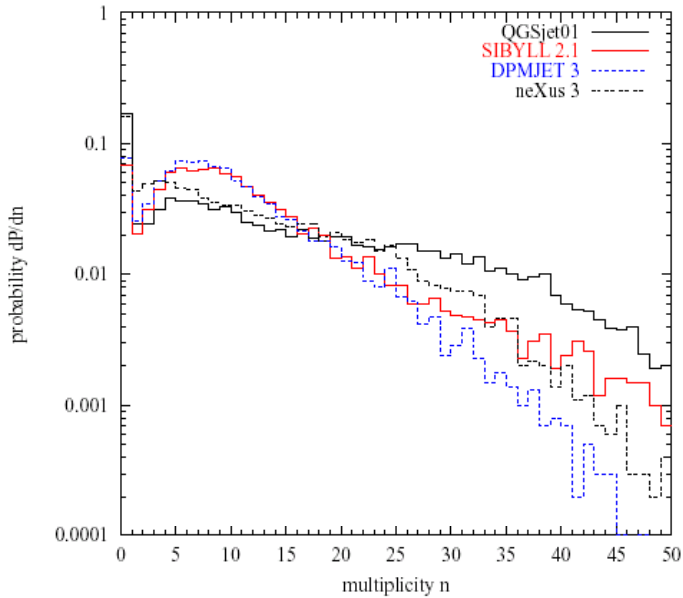
and  $\mu$  (phase advance);

- D (machine dispersion)

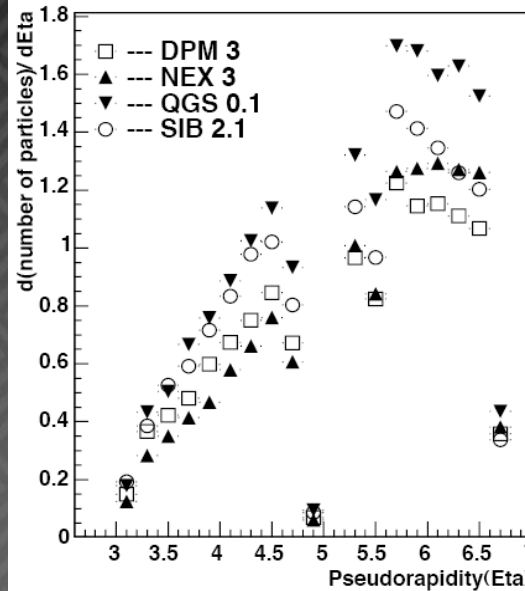
$\Rightarrow$  describe the explicit path of particles through the magnetic elements as a function of the particle parameters at IP

# Forward Physics: VHE Cosmic Ray Connection

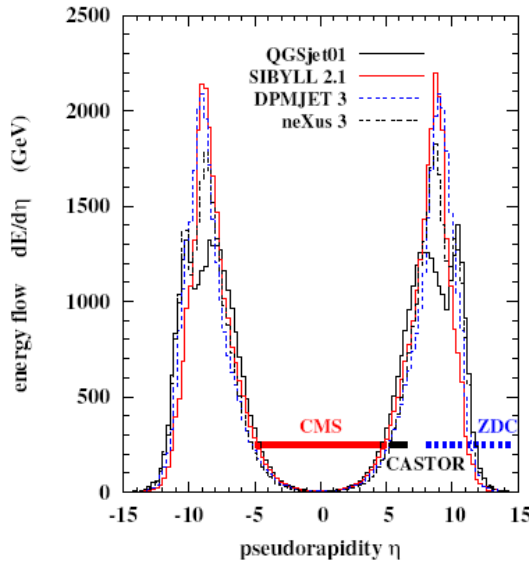
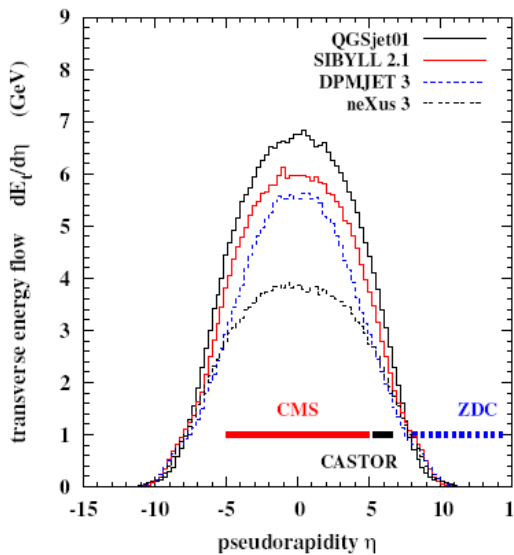
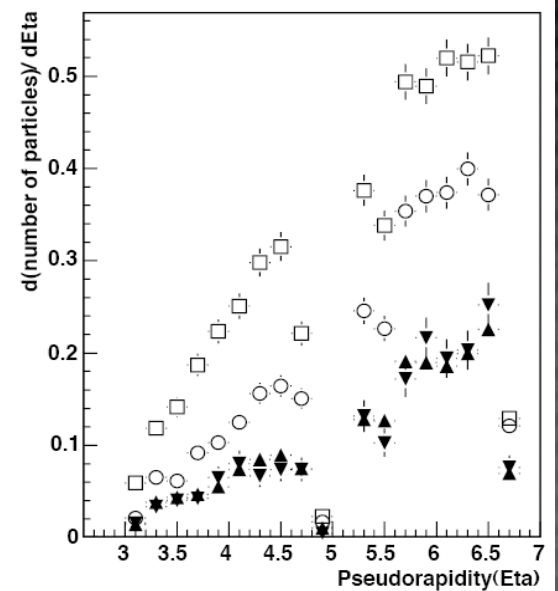
Total multiplicity in T2 ( $5 < \eta < 7$ )



Multiplicity (Inelastic events)



Multiplicity (Diffractive events)



p-p collisions @ LHC as predicted by generators typically used to model hadronic showers generated by VHE CR

Interpreting cosmic ray data depends on hadronic simulation programs. Forward region poorly known/constr. Models differ by factor 2 or more. Need **forward** particle/energy measurements e.g.  $dN/d\eta$ ,  $dE/d\eta$ ...

# Machine Induced Background

## T1/T2 Detectors:

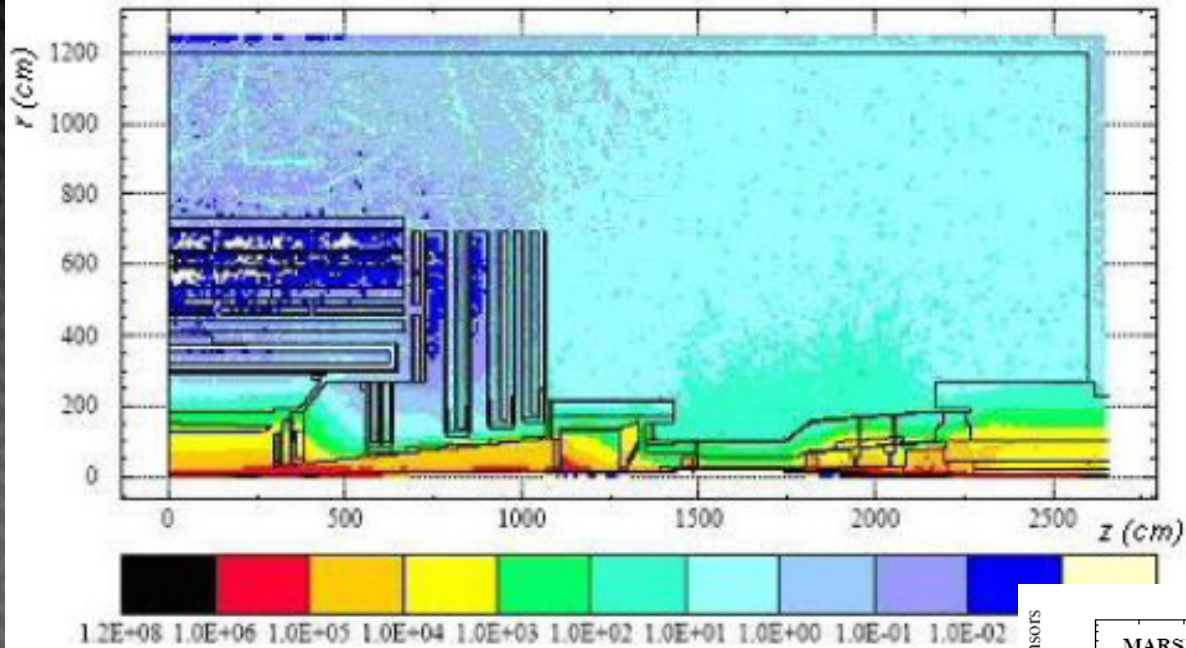
- ❑ **beam-gas interactions:** prel. ext.  $\sim 14$  Hz per beam;  
 $\sim 19$  KHz for MB events ( $\sigma_{\text{MB}} = 80$  mb,  $L = 2.4 \cdot 10^{29} \text{ cm}^{-2} \text{ s}^{-1}$ )  
 $\Rightarrow$  reduced by vertex reconstruction
- ❑ **muon halo** (expected to be very small, not yet quantified)

## Roman Pot Detectors:

- ❑ **beam halo** (protons out of design orbit): ext. ( $\beta^* = 1540\text{m}$ )  $\sim 12 \cdot 10^{-4}/\text{bunch}$   
 $\Rightarrow$  reduced by requiring coincidence between RP arms
- ❑ **beam-gas interactions:** ext. ( $\beta^* = 1540\text{m}$ )  $\sim 3 \cdot 10^{-4}/\text{bunch}$  after cuts  
 $\Rightarrow$  reduced with cuts on track angles and multiplicities
- ❑ **p-p collision (at IP) background:** ext ( $\beta^* = 1540\text{m}$ )  $\sim (0.4 \div 2) \cdot 10^{-4}/\text{bunch}$   
after cuts  
 $\Rightarrow$  reduced with cuts on track angles and hit multiplicities

Tot. elast. evts  $\sim 3$  KHz ( $L = 10^{29} \text{ cm}^{-2} \text{ s}^{-1}$ ); prel. expt. S/B  $\sim (0.6 \div 0.7) \cdot 10^3$

# Expected Radiation Dose in CMS/TOTEM



(b) Radiation Dose (rad)

In 1 year @  
 $L_{inst} = 10^{34} \text{ cm}^{-2}\text{s}^{-1}$

At RPs locations =>

