

# Eliminating field distortions caused by the HTS beam screen coating in FCC dipole magnets

Kristóf Brunner, Dániel Barna  
Wigner Research Centre for Physics  
Budapest



E-mail:  
brunner.kristof@wigner.mta.hu  
barna.daniel@wigner.mta.hu

## 1) Abstract:

In order to decrease the beam impedance the beam screen of the FCC ring is planned to receive a high-temperature superconductor coating. However, the persistent currents induced in the coating would distort the ring's magnetic field.

Rather than trying to suppress this effect we examine the possibility to use a tailored thickness profile of the coating such that these currents produce a field with the same symmetry as the external field, giving an offset to the dipole field rather than distorting it.

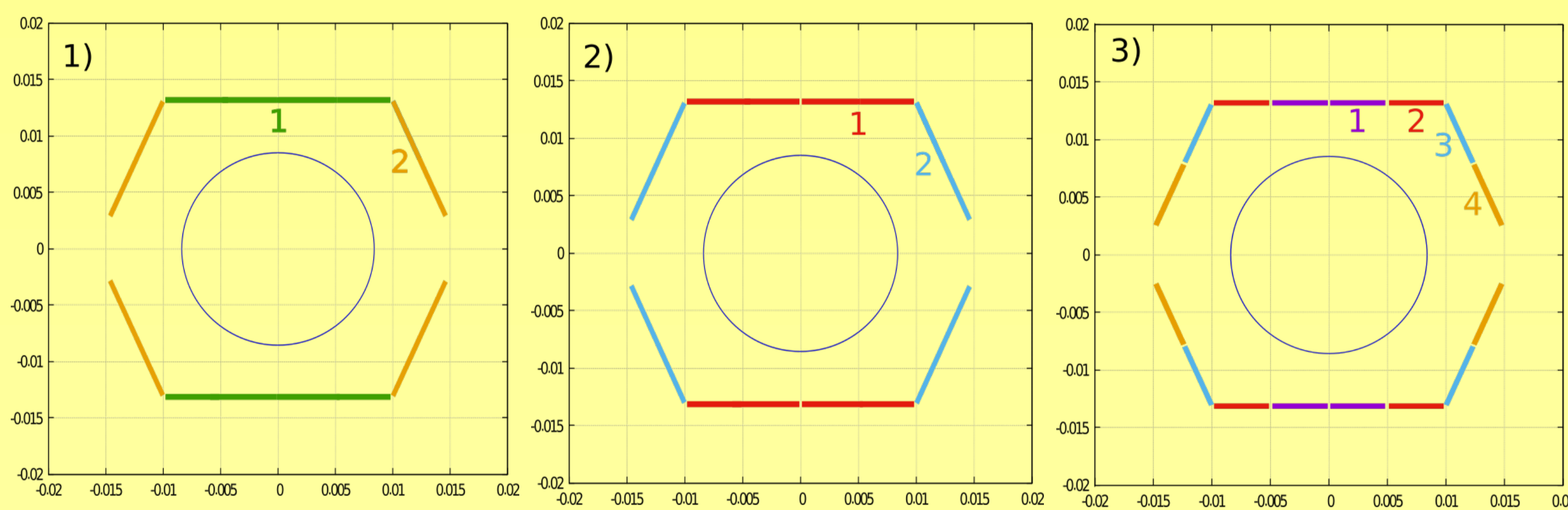
## 2) Problem:

A resistive (copper) beam screen would limit the intensity of the FCC beam. Planned solution: reduce the beam impedance by a thin HTS coating on the beam screen [1]. However, such a superconducting layer would distort the field, introducing higher order components via the persistent Eddy currents [2]. The distortion is more significant at low field, therefore we optimized the coating's thickness at 1 T (injection).

## 3) Proposed solution:

Instead of trying to eliminate the persistent currents (difficult), we can try to master them. Goal: find a **specific thickness profile of the coating** such that the field generated by the Eddy currents have the **same symmetry** as the external field. This does **not distort** the field, only **adds an offset** to it, which can be compensated by adjusting the power supply.

Note: if  $J_c(B)=\text{const}$  and the beam screen is cylindrical,  $d(\vartheta)\sim\cos(\vartheta)$  would give a dipole contribution.



**Figure 1:** Three possible configurations. Colors indicate segment groups with the same thickness of the HTS layer. The circle in the middle is at the 2/3 of the beam screen inner diameter where the generated field was sampled

## 4) Assumptions:

- Calculate the fields in 2D and assume the set-up is infinitely long in the third dimension
- The cross-section of the beam screen is constructed of straight segments. HTS thickness is constant within a segment.
- Segments are grouped according to symmetry (see Fig. 1) All segments within a group have the same thickness  $d_i$ .
- The field generated by the Eddy currents is much smaller than the external field – evaluate  $J_c(B)$  at the external field. Different parts of the HTS coating do not interact, so they can be treated independently.
- Substitute the HTS layers by infinitely thin surface currents:  $d_i \cdot J_c(B)$

## 6) Results:

Thanks to the setup's symmetry the even multipole components are zero.

1<sup>st</sup> configuration: zero sextupole component is achievable if the ratio is  $d_1:d_2=0.772$ .

2<sup>nd</sup> configuration: to eliminate the sextupole component the thickness ratio has to be  $d_1:d_2=4.607$ .

3<sup>rd</sup> configuration: It is possible to simultaneously eliminate the  $m=3,5,7$  components with the following  $d_1:d_2:d_3:d_4$  thickness ratio:

$$3.630 : 3.032 : 2.015 : 1$$

In the 1<sup>st</sup> and 2<sup>nd</sup> case the first nonzero component (decapole) is 5% and 3% w.r.t. the dipole component of the coating (both are around 0.4% of the external dipole field)

In the 3<sup>rd</sup> case the 11<sup>th</sup> component was the biggest one, still being only 0.15% of the dipole component, and 0.01% of the external field.

The induced field can be seen in Fig. 2.

## 5) Calculations:

I) Determine the current density within the segments. In dipole external field this is simply  $\pm J_c(B,\beta)$  in the two halves of the segment where  $\beta$  is the angle of the segment w.r.t. the external field. For a quadrupole field this step is more complicated.

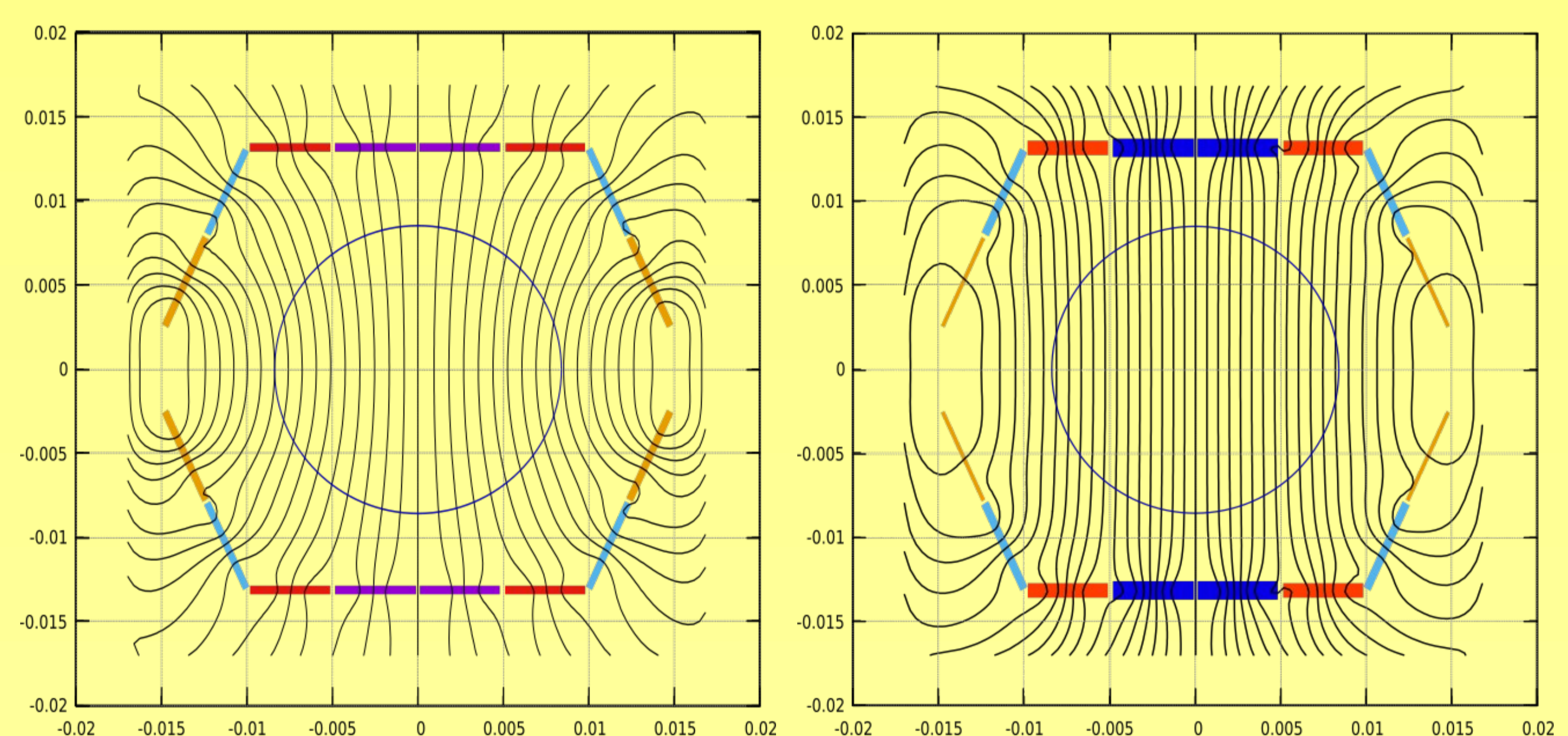
II) Numerically integrate the contribution of one segment group  $i$  to the vector potential at any point  $(x,y)$ , assuming unit thickness of the HTS layer.

III) Sample the vectorpotential around a circle (at 2/3 "aperture") and Fourier-transform it to get the multipole components:  $F_{i,m}$  is the  $m^{\text{th}}$  multipole component due to the segment group  $i$ .

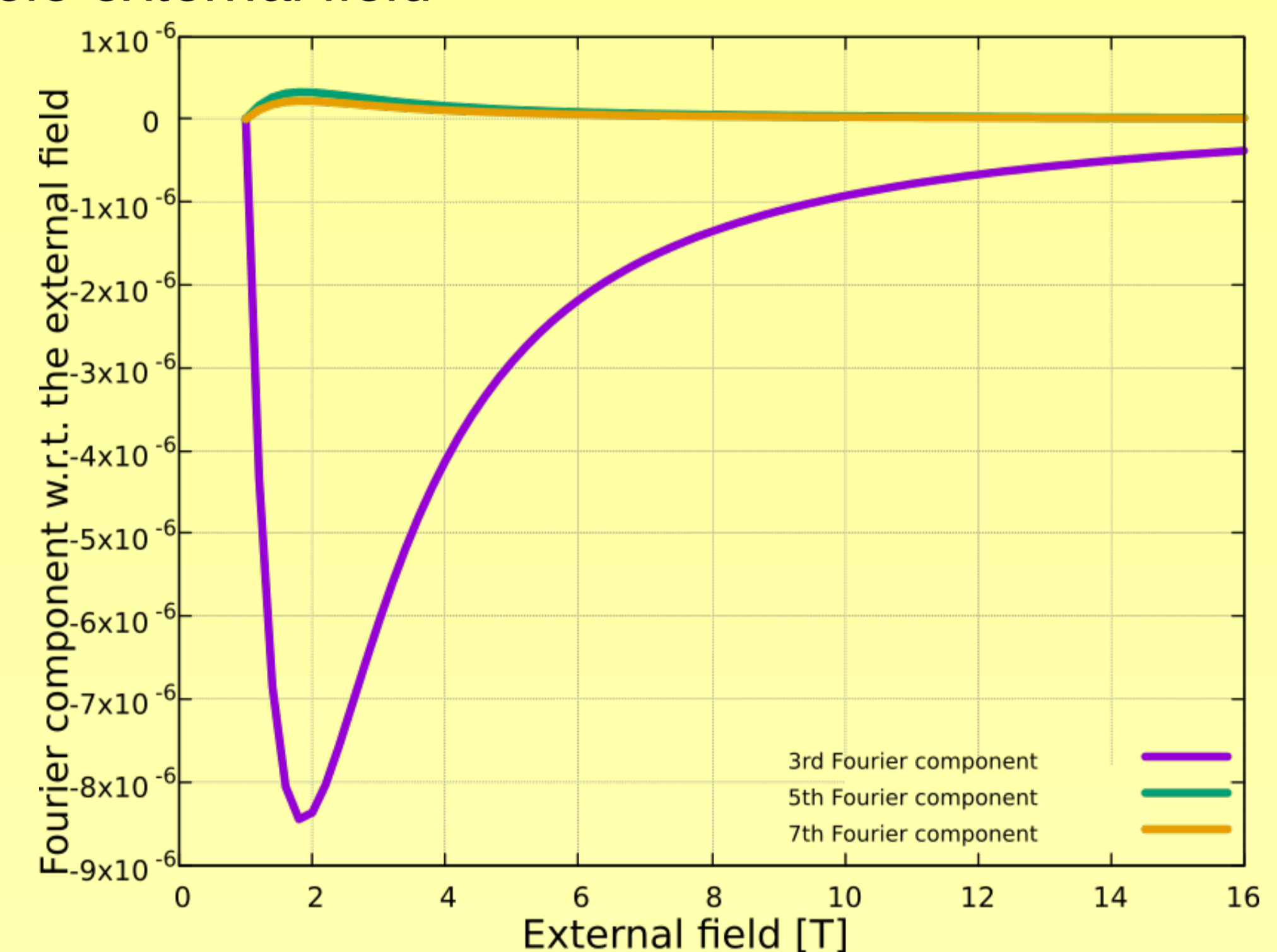
IV) Due to the negligible interaction between segments, the problem is linear. The total multipole component with layer thicknesses  $d_i$  is obtained as (sum over all segment groups):

$$F_m = \sum_i d_i F_{i,m}$$

V) A given multipole component  $m$  can be exactly cancelled with physical thicknesses (all  $d_i > 0$ ) if not all  $F_{i,m}$  have the same sign.



**Figure 2:** The  $B$  field induced by the beam screen in case of 1  $\mu\text{m}$  tapes (left), and with a tailored thickness profile (right), both in case of 1T dipole external field



**Figure 3:** Multipole components as a function of  $B$  for configuration 3 (thickness profile optimized at  $B=1$  T)

## 7) Conclusion and outlook:

A tailored thickness profile could drastically reduce the distortion of an external dipole field.

To do: use the same method (with a more complicated algorithm to determine the Eddy currents) to minimize the distortions in a quadrupole external field.

## References

- [1] A. Sublet, S. Aull, B. Bartova, S. Calatroni, T. Richard, G. Rosaz, M. Taborelli, M. Therasse, W. Venturini Delsolaro, P. Zhang: <http://accelconf.web.cern.ch/AccelConf/SRF2015/papers/tupb027.pdf>
- [2] J. van Nugteren, S. Bermudez, S. Calatroni, G. Kirby, G. de Rijk: Numerical Analysis on the Application of a ReBCO Superconducting Coating on the Beam Screen
- [3] C. Garion: Beam screen design <https://indico.cern.ch/event/619380/contributions/2527417/>