Tabletop Probes of Ultra-Low-Mass Bosonic Dark Matter

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 $\sum N => \frac{d\sigma}{d\Omega} \propto |\mathcal{M}|^2 \propto (e')^4$

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<u>Challenge</u>: Observable is **<u>fourth power</u>** in a small interaction constant (*e*^{*i*} << 1)!

Traditional "scattering-off-nuclei" searches for heavy WIMP dark matter particles ($m_{\chi} \sim \text{GeV}$) have not yet produced a strong positive result.



Question: Can we instead look for effects of dark matter that are **<u>first power</u>** in the interaction constant?

• Low-mass spin-0 particles form a coherently oscillating classical field $\varphi(t) = \varphi_0 \cos(m_{\varphi}c^2t/\hbar)$, with energy density $<\rho_{\varphi}> \approx m_{\varphi}^2 \varphi_0^2/2$ ($\rho_{\text{DM.local}} \approx 0.4 \text{ GeV/cm}^3$)



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- Coherent + classical DM field = "Cosmic laser field"
- $10^{-22} \text{ eV} \leq m_{\varphi} \leq 1 \text{ eV} \iff 10^{-8} \text{ Hz} \leq f \leq 10^{14} \text{ Hz}$ \uparrow $\lambda_{\text{dB},\varphi}/2\pi \leq L_{\text{dwarf galaxy}} \sim 1 \text{ kpc}$ Classical field

• $m_{\varphi} \sim 10^{-22} \text{ eV} \iff T \sim 1 \text{ year}$



 \rightarrow Time-varying

fundamental constants

- Atomic clocks
- Optical cavities
- Fifth-force searches
- Astrophysics (e.g., BBN)

- → Time-varying spindependent effects
 - Co-magnetometers
 - Nuclear magnetic resonance
 - Torsion pendula



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→ Time-varying fundamental constants

→ Time-varying spindependent effects

Atomic clocks

Co-magnetometers

"Thou shall measure frequency."



→ Time-varying fundamental constants

Atomic clocks

 $f \sim 10^{15}$ Hz, $\Delta f \sim 10^{-3}$ Hz, $\Delta f / f \sim 10^{-18}$

→ Time-varying spindependent effects

Co-magnetometers

 $f \sim 100 \text{ Hz}, \Delta f \sim 10^{-9} \text{ Hz}, \Delta f / f \sim 10^{-11}$



→ Time-varying → Time-varying spinfundamental constants dependent effects

Atomic clocks

Co-magnetometers

• $N \sim 10^5 - 10^{13}$ (or even 1!) [cf. $N \sim 10^{21} - 10^{29}$ (traditional "bulk" detectors)]



→ Time-varying → Time-varying spinfundamental constants dependent effects

Atomic clocks

• Co-magnetometers

• $N \sim 10^5 - 10^{13}$ (or even 1!) [cf. $N \sim 10^{21} - 10^{29}$ (traditional "bulk" detectors)]

• Search for wave-like signatures [cf. traditional particle-like recoil signatures]



\rightarrow Time-varying

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- Optical cavities
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[Stadnik, Flambaum, *PRL* **114**, 161301 (2015); *PRL* **115**, 201301 (2015)], [Hees, Minazzoli, Savalle, Stadnik, Wolf, *PRD* **98**, 064051 (2018)]

Consider <u>quadratic couplings</u> of an oscillating classical scalar field, $\varphi(t) = \varphi_0 \cos(m_{\varphi}t)$, with SM fields.*

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$$\mathcal{L}_f = -\frac{\phi^2}{(\Lambda'_f)^2} m_f \bar{f} f$$

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$$\rho_{\phi} = \frac{m_{\phi}^{2}\phi_{0}^{2}}{2} \quad => \quad \phi_{0}^{2} \propto \rho_{\phi}$$

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$$\textbf{'Slow' drifts [Astrophysics (high ρ_{DM}): BBN, CMB]}$$

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+ Gradients [Fifth forces]

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Fifth Forces: Linear vs Quadratic Couplings

[Hees, Minazzoli, Savalle, Stadnik, Wolf, PRD 98, 064051 (2018)]

Consider the effect of a massive body (e.g., Earth) on the scalar DM field

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Linear couplings ($\varphi \bar{X} X$)



Fifth Forces: Linear vs Quadratic Couplings [Hees, Minazzoli, Savalle, Stadnik, Wolf, PRD 98, 064051 (2018)] Consider the effect of a massive body (e.g., Earth) on the scalar DM field

Linear couplings ($\varphi \bar{X} X$)



Quadratic couplings ($\varphi^2 \bar{X} X$)





Gradients + screening/amplification



Many different (classical) signatures in "fifth-force" experiments

Gradients + screening/amplification

Atomic Spectroscopy Searches for Oscillating Variations in Fundamental Constants due to Dark Matter

[Arvanitaki, Huang, Van Tilburg, PRD 91, 015015 (2015)], [Stadnik, Flambaum, PRL 114, 161301 (2015)]

$$\frac{\delta\left(\omega_{1}/\omega_{2}\right)}{\omega_{1}/\omega_{2}} \propto \sum_{X=\alpha, m_{e}/m_{p}, \dots} \begin{pmatrix} K_{X,1} - K_{X,2} \end{pmatrix} \cos\left(\omega t\right)$$

$$\uparrow \qquad \uparrow \qquad f$$
Sensitivity coefficients

 $\omega = m_{\varphi}$ (linear coupling) or $\omega = 2m_{\varphi}$ (quadratic coupling)

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Precision of optical clocks approaching ~10⁻¹⁸ fractional level

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 $\omega = m_{\varphi}$ (linear coupling) or $\omega = 2m_{\varphi}$ (quadratic coupling)

- Precision of optical clocks approaching ~10⁻¹⁸ fractional level
- Sensitivity coefficients K_X calculated extensively by Flambaum group and co-workers (1998 present), see the reviews
 [Flambaum, Dzuba, *Can. J. Phys.* 87, 25 (2009); *Hyperfine Interac.* 236, 79 (2015)]



Gravitational-wave detector (LIGO/Virgo), *L* ~ 4 km



Small-scale cavity, $L \sim 0.2 \text{ m}$

• Compare $L \sim Na_{B}$ with λ (or a 2nd L)

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- For a "usual" atomic optical transition and in the nonrelativistic limit:

$$\Phi = \frac{\omega L}{c} \propto \left(\frac{e^2}{a_{\rm B}\hbar}\right) \left(\frac{Na_{\rm B}}{c}\right) = N\alpha \implies \frac{\delta\Phi}{\Phi} \approx \frac{\delta\alpha}{\alpha}$$

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• Multiple reflections of light beam enhance the effect $(N_{\rm eff} \sim 10^5 \text{ in small-scale interferometers with highly reflective mirrors; c.f. <math>N_{\rm eff} \sim 100$ in LIGO/Virgo)

Constraints on Linear Interaction of Scalar Dark Matter with the Photon

Clock/clock constraints: [Van Tilburg *et al.*, *PRL* **115**, 011802 (2015)], [Hees *et al.*, *PRL* **117**, 061301 (2016)]; Clock/cavity constraints: [Robinson, Ye *et al.*, *Bulletin APS*, H06.00005 (2018)], [Aharony *et al.*, arXiv:1902.02788], [Antypas *et al.*, arXiv:1905.02968]

4 orders of magnitude improvement!



Constraints on Quadratic Interaction of Scalar Dark Matter with the Photon

Clock/clock + BBN constraints: [Stadnik, Flambaum, *PRL* **115**, 201301 (2015); *PRA* **94**, 022111 (2016)]; **MICROSCOPE + Eöt-Wash constraints:** [Hees *et al.*, *PRD* **98**, 064051 (2018)]

15 orders of magnitude improvement!





QCD axion resolves strong CP problem

Pseudoscalars (Axions): $\varphi \xrightarrow{P} - \varphi$

→ Time-varying spindependent effects

- Co-magnetometers
- Nuclear magnetic resonance
 - Torsion pendula

"Axion Wind" Spin-Precession Effect

[Flambaum, talk at Patras Workshop, 2013], [Stadnik, Flambaum, PRD 89, 043522 (2014)]

 \mathbf{R} (f)

 $\cancel{}$

$$\mathcal{L}_{aff} = -\frac{C_f}{2f_a} \partial_i [a_0 \cos(\varepsilon_a t - p_a \cdot x)] \bar{f} \gamma^i \gamma^5 f$$

$$=> H_{\text{eff}}(t) \simeq \sigma_f \cdot B_{\text{eff}} \sin(m_a t)$$

$$f$$

$$Pseudo-\text{magnetic field}^*$$

$$B_{\text{eff}} \propto v$$

* Compare with usual magnetic field: $H = -\mu_f \cdot B$

Oscillating Electric Dipole Moments

Nucleons: [Graham, Rajendran, *PRD* 84, 055013 (2011)] Atoms and molecules: [Stadnik, Flambaum, *PRD* 89, 043522 (2014)]

Electric Dipole Moment (EDM) = parity (P) and time-

reversal-invariance (T) violating electric moment



Proposals: [Flambaum, talk at *Patras Workshop*, 2013; Stadnik, Flambaum, *PRD* **89**, 043522 (2014); Stadnik, thesis (Springer, 2017)]

Use *spin-polarised sources*: Atomic magnetometers, ultracold neutrons, torsion pendula

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$$\frac{\nu_n}{\nu_{\rm Hg}} = \left| \frac{\mu_n B}{\mu_{\rm Hg} B} \right| + R(t)$$

$$\uparrow \qquad \uparrow \qquad \uparrow$$
Energy
$$\uparrow \qquad \sigma \qquad B \qquad \qquad B-{\rm field} \quad {\rm Axion \ DM} \\ effect \qquad effect$$

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$$\frac{\nu_n}{\nu_{\rm Hg}} = \left| \frac{\mu_n R}{\mu_{\rm Hg} R} \right| + R(t)$$

$$E \sigma B$$

$$R_{\rm EDM}(t) \propto \cos(m_a t)$$

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$$R_{\rm EDM}(t) \propto \cos(m_a t)$$

$$R_{\rm wind}(t) \propto \sum_{i=1,2,3} A_i \sin(\omega_i t)$$

$$R_{\rm orb} \uparrow \uparrow \uparrow$$

$$B_{\rm eff} \uparrow \uparrow$$

$$\omega_1 = m_a, \ \omega_2 = m_a + \Omega_{\rm sidereal}, \ \omega_3 = |m_a - \Omega_{\rm sidereal}|$$

$$\int Earth's rotation$$

Proposals: [Flambaum, talk at *Patras Workshop*, 2013; Stadnik, Flambaum, *PRD* **89**, 043522 (2014); Stadnik, thesis (Springer, 2017)]

Use *spin-polarised sources*: Atomic magnetometers, utracold neutrons, torsion pendula

Experiment (Alnico/SmCo₅): [Terrano et al., arXiv:1902.04246; PRL (In press)]



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 $\mu_{
m pendulum} pprox 0$

 $(\boldsymbol{\sigma}_e)_{\mathrm{pendulum}} \neq \mathbf{0}$

Proposals: [Flambaum, talk at *Patras Workshop*, 2013; Stadnik, Flambaum, *PRD* **89**, 043522 (2014); Stadnik, thesis (Springer, 2017)]

Use *spin-polarised sources*: Atomic magnetometers, utracold neutrons, torsion pendula

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$$oldsymbol{\mu}_{ ext{pendulum}}pprox 0$$

$$(\boldsymbol{\sigma}_e)_{\mathrm{pendulum}} \neq \mathbf{0}$$

$$\boldsymbol{\tau}(t) \propto (\boldsymbol{\sigma}_{e})_{\text{pendulum}} \times \boldsymbol{B}_{\text{eff}}(t)$$

Constraints on Interaction of Axion Dark Matter with Gluons

nEDM constraints: [nEDM collaboration, PRX 7, 041034 (2017)]

3 orders of magnitude improvement!



Constraints on Interaction of Axion Dark Matter with Nucleons

v_n/v_{Hg} constraints: [nEDM collaboration, *PRX* **7**, 041034 (2017)]

40-fold improvement (laboratory bounds)!



Constraints on Interaction of Axion Dark Matter with Nucleons

v_n/v_{Hg} constraints: [nEDM collaboration, *PRX* 7, 041034 (2017)]

40-fold improvement (laboratory bounds)!



Constraints on Interaction of Axion Dark Matter with the Electron

Torsion pendulum constraints: [Terrano et al., arXiv:1902.04246; PRL (In press)]

35-fold improvement (laboratory bounds)!



Summary

New classes of dark-matter effects that are

first power in the underlying interaction constant

=> Up to 15 orders of magnitude improvement

with precision, low-energy, table-top experiments:

- Spectroscopy (clocks)
- Cavities and interferometry
- Magnetometry
- Torsion pendula

Back-up Slides



Gradients + screening/amplification



Gradients + screening/amplification

BBN Constraints on 'Slow' Drifts in Fundamental Constants due to Dark Matter [Stadnik, Flambaum, PRL 115, 201301 (2015)]

- Largest effects of DM in early Universe (highest $\rho_{\rm DM}$)
- Big Bang nucleosynthesis ($t_{weak} \approx 1s t_{BBN} \approx 3 min$)
- Primordial ⁴He abundance sensitive to *n/p* ratio (almost all neutrons bound in ⁴He after BBN)

$$\frac{\Delta Y_p(^{4}\text{He})}{Y_p(^{4}\text{He})} \approx \frac{\Delta (n/p)_{\text{weak}}}{(n/p)_{\text{weak}}} - \Delta \left[\int_{t_{\text{weak}}}^{t_{\text{BBN}}} \Gamma_n(t) dt \right]$$

$$p + e^- \rightleftharpoons n + \nu_e$$

$$n + e^+ \rightleftharpoons p + \bar{\nu}_e$$

$$n \to p + e^- + \bar{\nu}_e$$

Back-Reaction Effects in BBN

[Sörensen, Sibiryakov, Yu, PRELIMINARY – In preparation]



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15 orders of magnitude improvement!



Constraints on Linear Interaction of Scalar Dark Matter with the Higgs Boson

Rb/Cs constraints:

[Stadnik, Flambaum, PRA 94, 022111 (2016)]

2 – 3 orders of magnitude improvement!



Oscillating Electric Dipole Moments

Nucleons: [Graham, Rajendran, *PRD* 84, 055013 (2011)] Atoms and molecules: [Stadnik, Flambaum, *PRD* 89, 043522 (2014)]

$$\mathcal{L}_{aGG} = \frac{C_G a_0 \cos(m_a t)}{f_a} \frac{g^2}{32\pi^2} G^a_{\mu\nu} \tilde{G}^{a\mu\nu}$$



In nuclei, <u>tree-level</u> *CP*-violating intranuclear forces dominate over <u>loop-induced</u> nucleon EDMs (loop factor = $1/(8\pi^2)$).