




# Physics studies with $J/\psi$ and Upsilon in early ATLAS data

Berkeley Workshop on Physics Opportunities with Early LHC Data

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# Planned studies of quarkonia at ATLAS

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- ❖ Early data studies (10-100 pb<sup>-1</sup> integrated luminosity) planned in ATLAS include measurement of:
    - ❖ Prompt/indirect J/ψ cross-section ratio: 
$$\frac{\sigma(bb \rightarrow J/\psi(\mu\mu) X)}{\sigma(pp \rightarrow J/\psi(\mu\mu) X)}$$
    - ❖ Prompt J/ψ→μμ and prompt Υ→μμ differential production cross-sections
    - ❖ Polarisation of J/ψ and Υ as a function of quarkonium transverse momentum
    - ❖ χ<sub>c</sub>(nP)→J/ψ(μμ)γ cross-section(s)
  - ❖ Large predicted cross-sections and range of transverse momenta accessible at ATLAS can give new insight into quarkonium production and tests of QCD
    - ❖ Production mechanism of quarkonium has many features still unexplained
    - ❖ Quarkonia forms an important background for many other physics processes at LHC
  - ❖ Large predicted quarkonia rates at LHC mean that J/ψ and Υ **have**, and **will continue** to play a **central role for initial calibrations** of the ATLAS detector and software
    - ❖ Ongoing efforts in alignment, magnetic field mapping, trigger monitoring, data quality monitoring, low p<sub>T</sub> ID tracking, muon reconstruction, efficiency determination, software validation...



# Predicted rates at 10 TeV

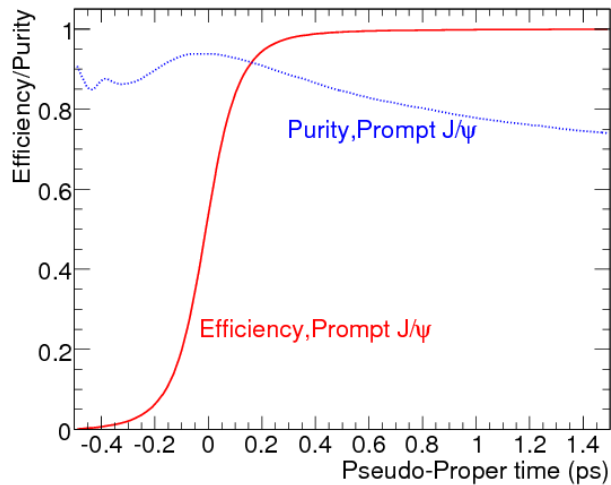
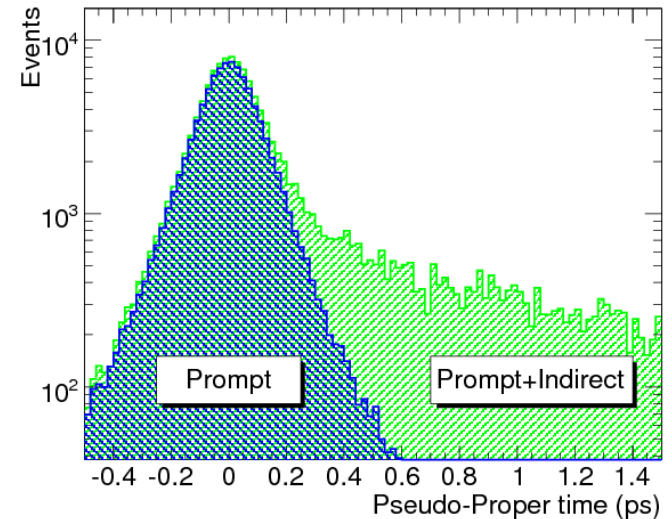
- ❖ Current ATLAS simulations suggest we can expect **10,000's of quarkonia** written to tape with **each inverse picobarn** of integrated luminosity
- ❖ Previous studies conducted at 14 TeV c.m.s energy, but using muon  $p_T$  thresholds of  $\mu_6\mu_4$ 
  - ❖ Dropping to 10 TeV loses us some cross-section
  - ❖ Drop in leading muon  $p_T$  threshold cut to 4 GeV, plus continuing improvements in trigger algorithms mean predicted rates are not significantly affected – and in the case of Upsilon have increased! ( $\mu_6\mu_4 \rightarrow \mu_4\mu_4$  will allow acceptance of bulk of  $\Upsilon$  with  $p_T \sim 0$ )
  - ❖ **Can accept muons down to  $\sim 2.5$  GeV, but with low efficiency  $\sim O(10\%)$  so we place analysis cut of 4 GeV where we have high acceptance (and reduced background/fakes), but may re-evaluate this in data-taking**

$\sigma(pp \rightarrow Q[\mu_4\mu_4] X)$ @ 10 TeV	J/ $\psi$	U(1S)	U(2S)	U(3S)	DY*	bb*
Generator-level cross-section	27 nb	18.5 nb	10.2 nb	8.8 nb	0.24 nb	16.2 nb
Available rates after trigger/reco/bg reduction	17 nb	12.1 nb	5.5 nb	4.1 nb	0.14 nb	9.5 nb

\* in 8—12 GeV mass range

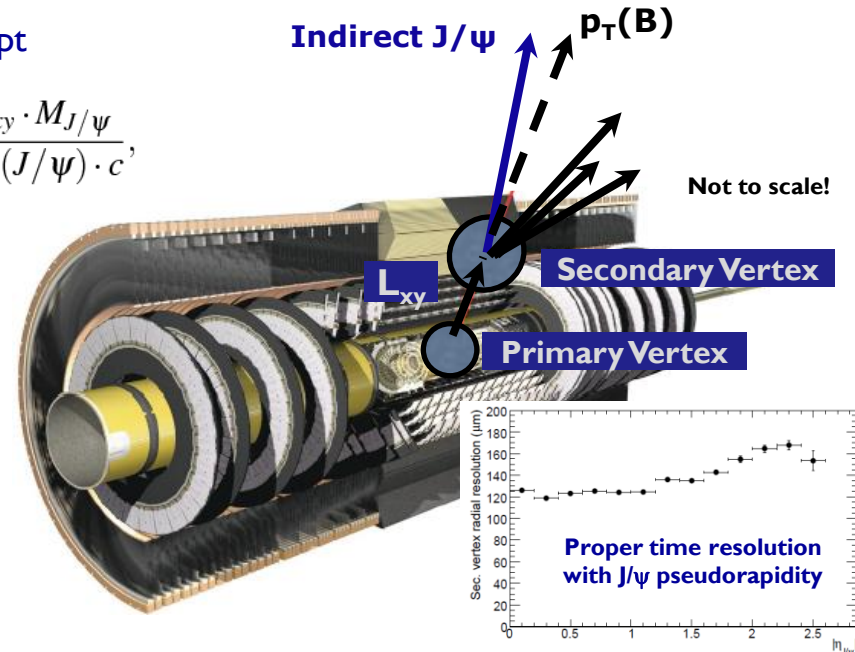
# Proper time resolution for background separation

- ❖  $J/\psi$  from B-decays form significant background to prompt  $J/\psi$ , in addition to muons from b-quark decays
- ❖ Measurement of prompt  $J/\psi$  to indirect cross-section relies on separation (and understanding of separation) of these two processes
- ❖ Proper time of zero characteristic of prompt  $J/\psi$ , while those from B-decays have positive proper-time
  - ❖ Cut on pseudo-proper time to separate indirect/prompt



$$\text{Pseudo-proper time} = \frac{L_{xy} \cdot M_{J/\psi}}{p_T(J/\psi) \cdot c}$$

Prompt  $J/\psi$   
purity/efficiency



# Quarkonium invariant mass distributions

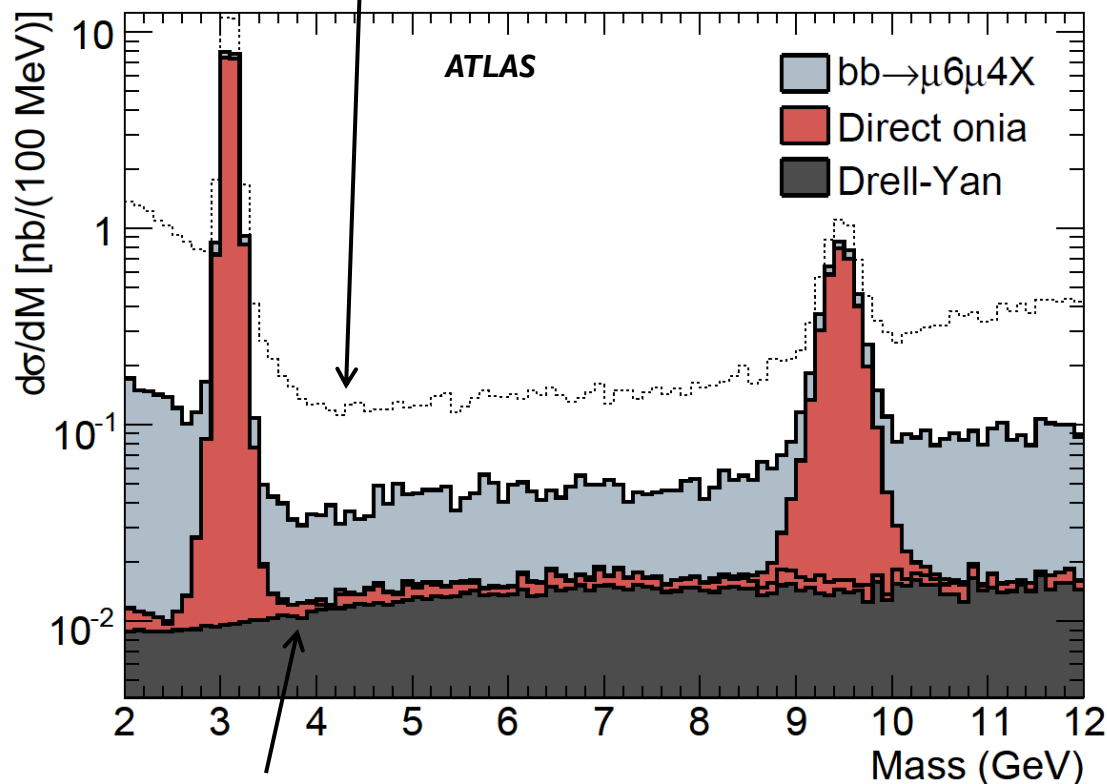
## AFTER TRIGGERING AND RECONSTRUCTION [DI-MUON CASE]

### MASS RESOLUTIONS AFTER TRIGGER ( $\mu 4\mu 4$ )

	J/ $\psi$	$\Upsilon(1-3S)$
Resolution (MeV)	53	160 $\pm$ 5

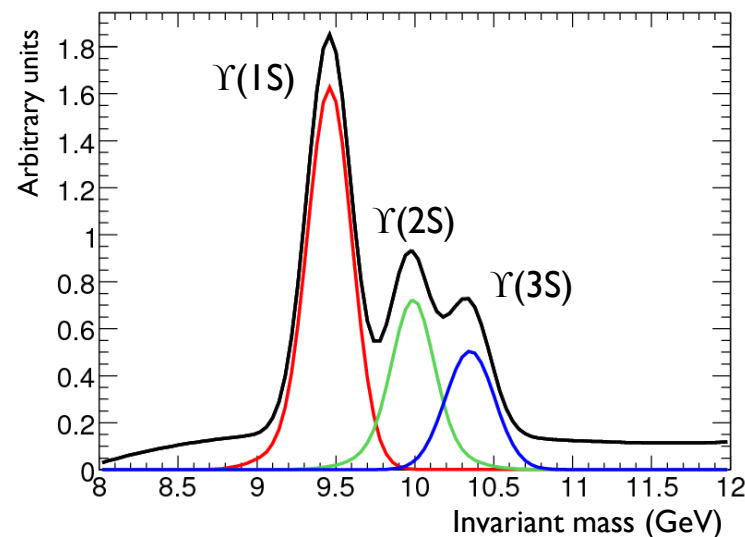
Height of background + signal  
before transverse decay length  
and vertexing cuts

Statistics equivalent to approx.  
 $\sim 8 \text{ pb}^{-1}$  integrated luminosity



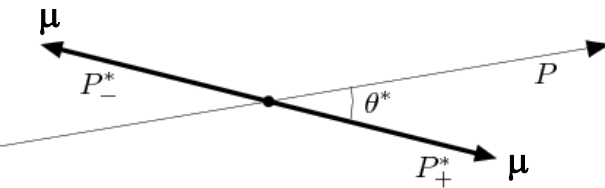
No simulation of  
 $\psi(2S)$  included here!

Based on predictions for Upsilon mass  
resolution scaling, all three peaks  
should be distinguishable



# Quarkonium spin-alignment/polarisation

- ❖ Theoretical calculations such as NRQCD and higher order (NLO+NNLO) singlet contributions offer clear predictions for polarisation of produced quarkonium states
- ❖ Different models/calculations offer differing predictions of polarisation (amongst other things) which ATLAS can measure as a way of determining the underlying production mechanism

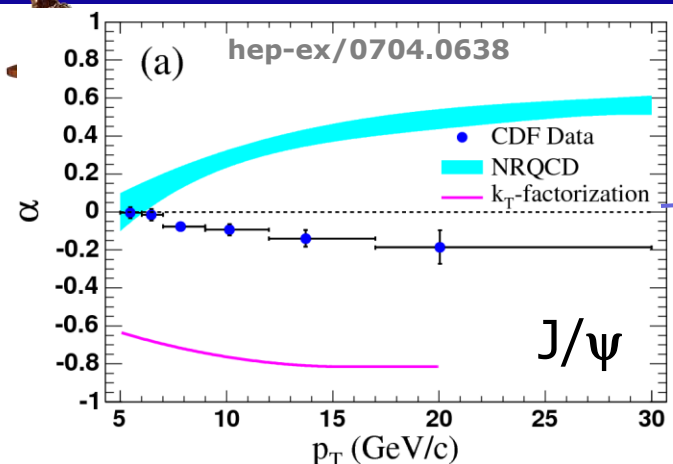


Angle defined between **positive muon direction** in quarkonium rest frame and **quarkonium direction** in lab frame, distribution given by:

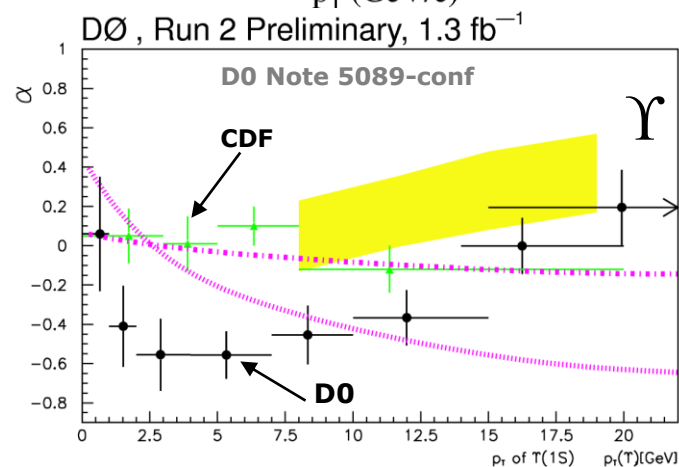
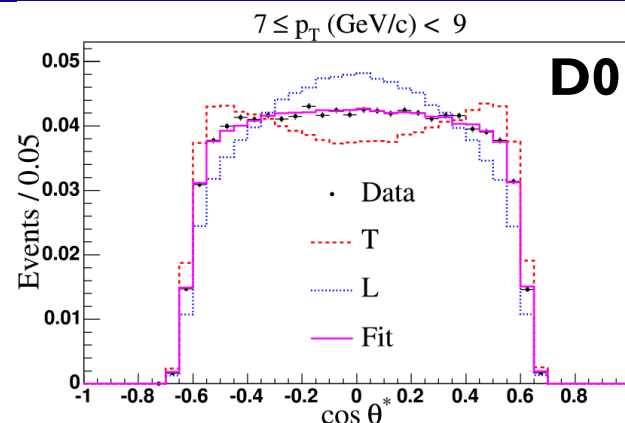
$$\frac{d\Gamma}{d \cos \theta} \propto (1 + \alpha \cos^2 \theta^*)$$

- ❖ Polarisation parameter  $\alpha=0$  corresponds to **unpolarised** mesons, whilst  $\alpha=+1$  and  $\alpha=-1$  correspond to 100% **transverse** and **longitudinal** polarised mesons respectively
- ❖ Polarisation of quarkonium may vary with  $p_T$  and different polarisation states have significant effects on overall acceptance (**and thus cross-section**)
  - ❖ **Correlations between measured efficiencies and polarisation state an important consideration!**

# The problem of limited $\cos \theta^*$ acceptance



D0 Run II measurements disagree with theoretical models and CDF Run I results!



Restricted  $\cos \theta^*$  acceptance causes problems for discrimination of different polarisation regimes

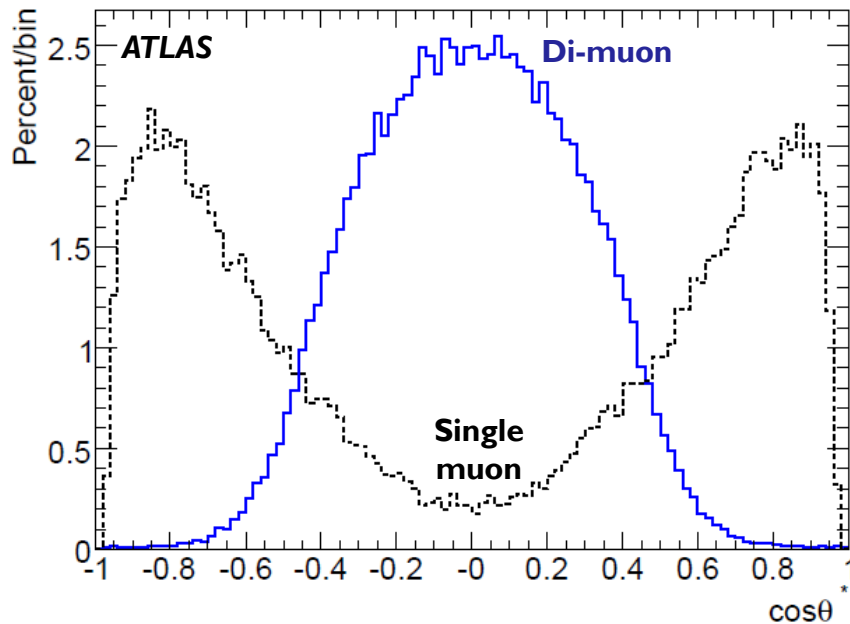
A difference in polarisation looks very much like a modification to trigger efficiency in this variable!

Without full range of  $\cos \theta^*$ , hard to disentangle these effects: could incorrectly assign a polarisation effect to a trigger effect [see the problem for cross-section calculation?]

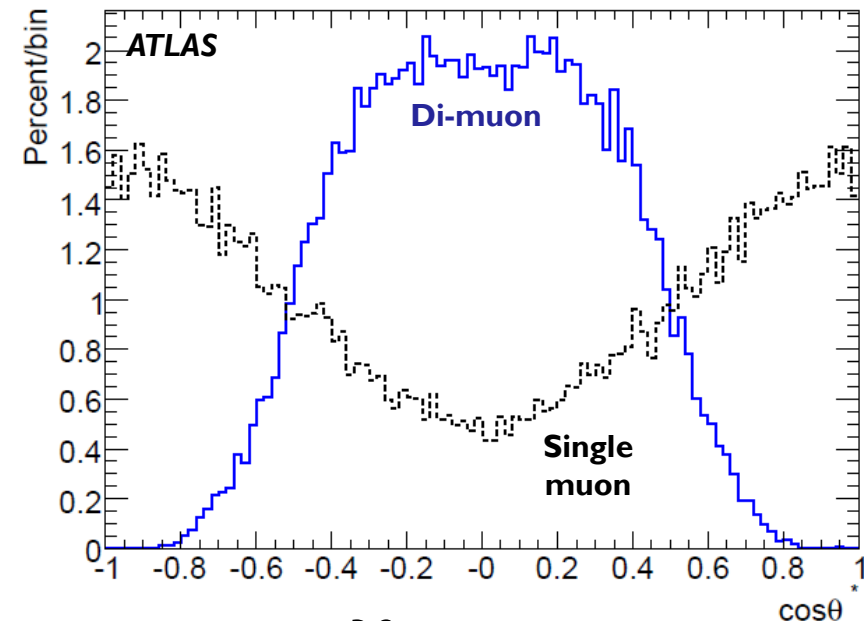
- ❖ With di-muon trigger cuts, we see similar acceptance issues at ATLAS
- ❖ Would like to have a complementary, independent, high  $\cos \theta^*$  sample of quarkonia to give better discrimination and provide cross-check for efficiencies

# Single muon $\mu 10$ trigger to the rescue

- ❖ We can achieve exactly what we want by using a single  $\mu 10$  trigger:
  - ✓ Second muon can be reconstructed offline from track ( $>0.5$  GeV  $p_T$ )
  - ✓  $|\cos \theta^*| \sim 1$  corresponds to a configuration where one muon is fast, the other slow
  - ✓ Provides similar  $p_T$  range of onia to the di-muon configuration and similar rates!
- ❖ Go from a distribution in  $\mu 6 \mu 4$  (**blue curve**) to that in  $\mu 10$  (**black curve**)



$J/\psi$  acceptance

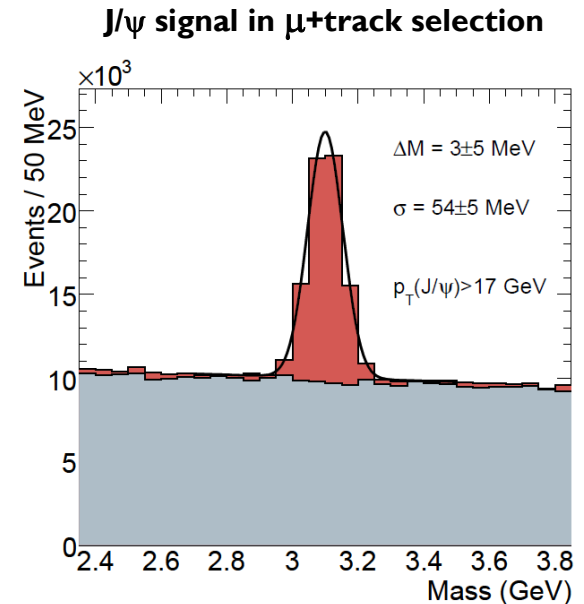


$\Upsilon$  acceptance

# Quarkonium invariant mass distributions

## AFTER TRIGGERING AND RECONSTRUCTION [SINGLE-MUON CASE]

- ❖ Single muon selection similar to di-muon analysis but this time...
  - ❖ Pair **one** identified muon with  $p_T > 10$  GeV with **all** Inner Detector tracks in the event fulfilling certain selection criteria (down to  $p_T$  of 0.5 GeV)
- ❖ Kinematics are such that we expect **similar numbers** of  $J/\psi$  (and  $\Upsilon$ ) in both the di-muon and single-muon channels after efficiencies and cuts
- ❖ Invariant mass distributions in  $\mu 10$  suffer from **larger, but manageable, backgrounds** (and remember this is with just  $10 \text{ pb}^{-1}$  data equivalent)

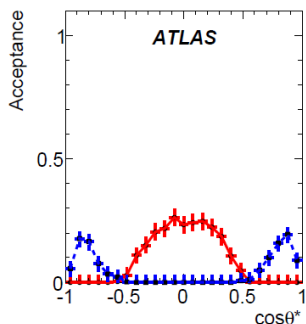


- ❖ Lower signal-to-background in Upsilon  $\mu 10$  case means we will likely need higher integrated luminosities ( $\sim 100$ - $200 \text{ pb}^{-1}$ ) to make use of single-muon sample
- ❖ Larger  $\Upsilon$  mass means range of accessible  $\cos \theta^*$  in di-muon case is larger than in  $J/\psi$  case anyway, so problem is somewhat reduced
- ❖ **So, why do we do this? We still don't recover the true distribution... but...**

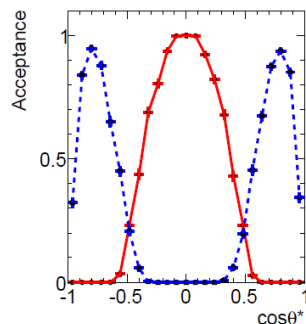
# Spin-alignment measurement at ATLAS



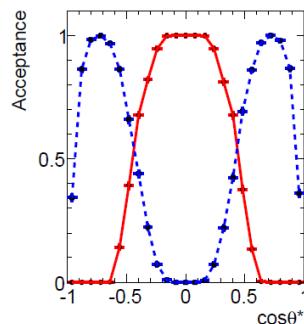
9-12 GeV



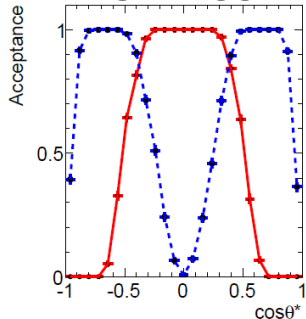
12-13 GeV



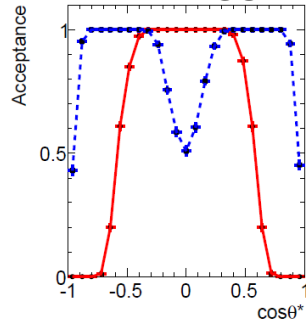
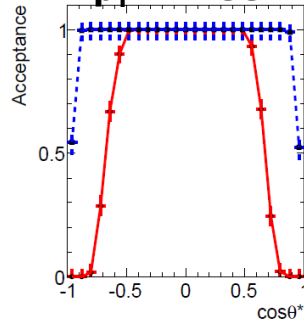
13-15 GeV



15-17 GeV



17-21 GeV

 $p_T > 21$  GeV

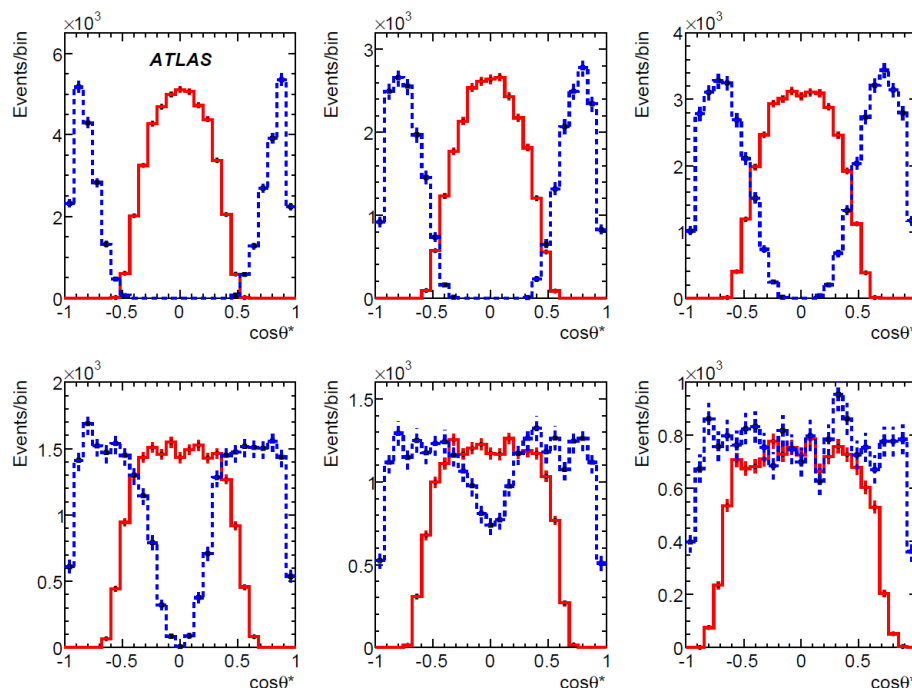
**ACCEPTANCE AND EFFICIENCY**  
(from geometric considerations  
+ data-driven efficiency studies)

di-muon sample in red

single muon sample in blue

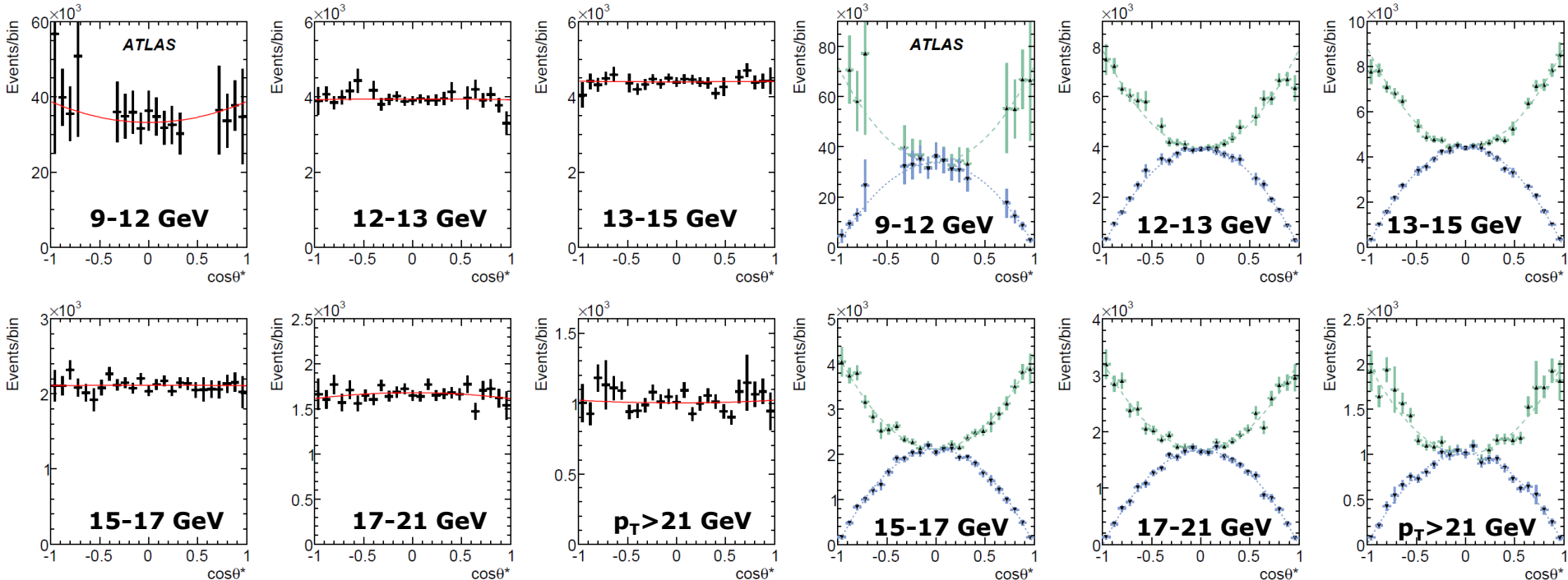
- ❖ We start with an unpolarised ( $\alpha=0$ ), simulated  $10 \text{ pb}^{-1}$  sample of  $J/\psi$
- ❖ Split into **six bins** of transverse momenta
- ❖ Measure reconstructed distributions

## 'MEASURED' DISTRIBUTIONS



# Spin-alignment measurement at ATLAS

- ❖ Measured distributions from **di-muon** and **single muon** are corrected for their individual acceptances and efficiencies
- ❖ The existence of overlapping regions at higher  $p_T$ 's allows for a cross-check of cross-normalisation of the two samples
- ❖ Use pre-defined acceptance mask to combine the two (now non-overlapping) datasets and make a fit to the **corrected distributions (shown below)**



UNPOLARISED SAMPLE

LONGITUDINAL AND TRANSVERSE SAMPLE

# Measurement sensitivity at 10 pb<sup>-1</sup>

- ❖ With 10 pb<sup>-1</sup> of data (taking into account quarkonium polarisation state and resultant systematics in the corrections) can expect cross-section measurement precision in bins of  $p_T$  of the order of 1% (dependent on the polarisation)
- ❖ By taking data with  $\mu 10$  sample and combining them in the way outlined:
  - ❖ Increase our acceptance in the important high  $\cos \theta^*$  area
  - ❖ Increase our quarkonia yield in partially overlapping kinematic region
  - ❖ Significantly reduce systematic errors on polarisation measurement

Sample	$p_T$ , GeV	9 – 12	12 – 13	13 – 15	15 – 17	17 – 21	> 21
$J/\psi, \alpha_{\text{gen}} = 0$	$\alpha$	0.156 ±0.166	-0.006 ±0.032	0.004 ±0.029	-0.003 ±0.037	-0.039 ±0.038	0.019 ±0.057
	$\sigma$ , nb	87.45 ±4.35	9.85 ±0.09	11.02 ±0.09	5.29 ±0.05	4.15 ±0.04	2.52 ±0.04
$J/\psi, \alpha_{\text{gen}} = +1$	$\alpha$	1.268 ±0.290	0.998 ±0.049	1.008 ±0.044	0.9964 ±0.054	0.9320 ±0.056	1.0217 ±0.088
	$\sigma$ , nb	117.96 ±6.51	13.14 ±0.12	14.71 ±0.12	7.06 ±0.07	5.52 ±0.05	3.36 ±0.05
$J/\psi, \alpha_{\text{gen}} = -1$	$\alpha$	-0.978 ±0.027	-1.003 ±0.010	-1.000 ±0.010	-1.001 ±0.013	-1.007 ±0.014	-0.996 ±0.018
	$\sigma$ , nb	56.74 ±2.58	6.58 ±0.06	7.34 ±0.06	3.53 ±0.04	2.78 ±0.03	1.68 ±0.02
$\Upsilon, \alpha_{\text{gen}} = 0$	$\alpha$	-0.42 ±0.17	-0.38 ±0.22	-0.20 ±0.20	0.08 ±0.22	-0.15 ±0.18	0.47 ±0.22
	$\sigma$ , nb	2.523 ±0.127	0.444 ±0.027	0.584 ±0.029	0.330 ±0.016	0.329 ±0.015	0.284 ±0.012

←  $J/\psi$  polarisation

←  $J/\psi$  cross-section

Results at  
extrema of  
polarisation  
states

←  $\Upsilon$  polarisation

←  $\Upsilon$  cross-section

# $\chi_c \rightarrow J/\psi \gamma$ reconstruction with calorimetry

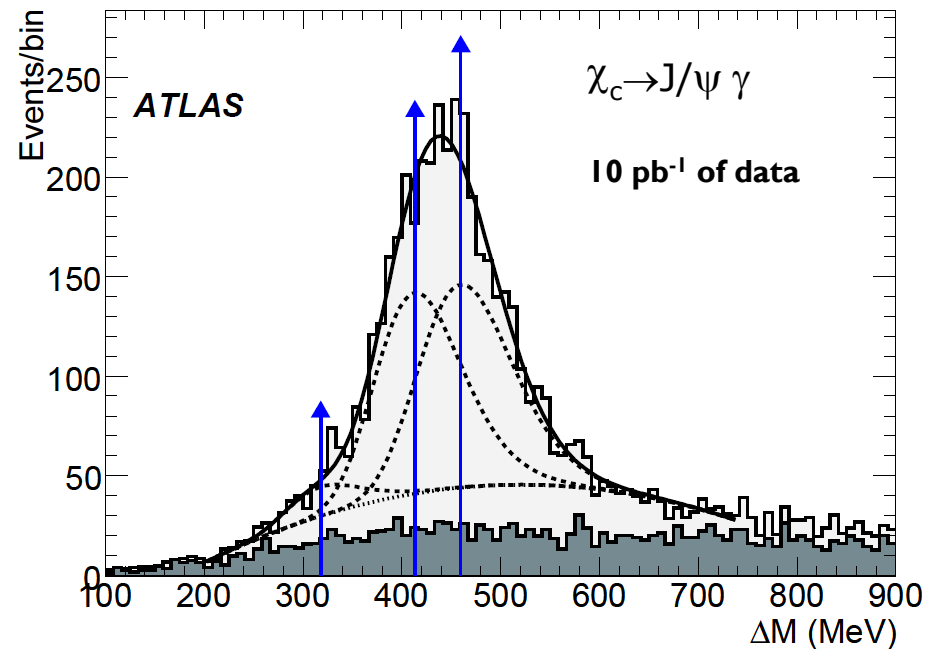
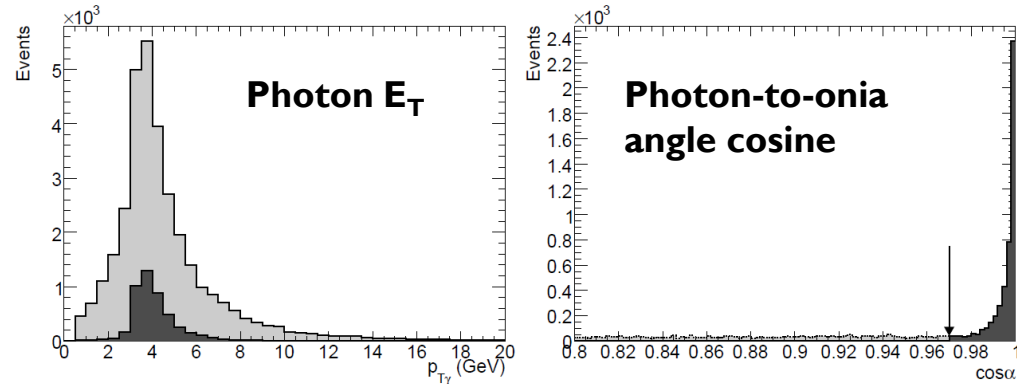
❖ For  $J/\psi$ , ~30% of total prompt cross-section comes from  $\chi_c \rightarrow J/\psi \gamma$  feed-down, and we would like to study this contribution

1. Have a  $J/\psi$  candidate
2. Look in narrow cone ( $\cos \alpha > 0.98$ ) around quarkonium momentum direction for photon (reduces combinatorics)
3.  $\mu\mu\gamma - \mu\mu$  invariant mass difference shows peaks where  $\chi_{c0}$ ,  $\chi_{c1}$  or  $\chi_{c2}$  was reconstructed

❖ Fixing the mass differences of the signals in a simultaneous fit of three Gaussians and quadratic background, can find the three peaks with a typical resolution of 40 MeV

❖ Only ~4% of  $\chi_c$  decays into  $J/\psi \gamma$  have the right kinematics for photons to be reliably reconstructed and identified in ECAL

❖ Studies on-going to include photon conversions using ID tracks, which should have better resolution, at the price of much reduced efficiency.



# Summary & conclusions



- ❖ Quarkonium spin-alignment measurements at ATLAS will have the **capability to distinguish various production models** of quarkonium
  - ❖ ATLAS polarisation measurement methods can lead to **significantly reduced systematics**
  - ❖ Important to be able to access the high  $|\cos \theta^*|$  region to determine if we to measure cross-section correctly (especially as acceptance changes with  $p_T$ )!
  - ❖ Expect **competitive polarisation measurement** to Tevatron publications (at  $1 \text{ fb}^{-1}$ ), with reduced systematics, with around **10—100  $\text{pb}^{-1}$**  data
  - ❖ Complementary to other ongoing production mechanism studies into associated hadroproduction
  - ❖  $100 \text{ pb}^{-1}$  will allow for precise measurement of quarkonium polarisation to high ( $\sim 50 \text{ GeV}$ ) transverse momenta (including  $\Upsilon$ )
- ❖ With  $10 \text{ pb}^{-1}$  predict to be able to **measure  $J/\psi$  cross-section** in bins of  $p_T$  to an **accuracy of around 1%** (excluding detector systematics e.g. luminosity uncertainty)
  - ❖ Measurement of **ratio of prompt/indirect cross-section** will **eliminate a lot of uncertainties** in measurements performed with very early data
  - ❖ At these integrated luminosities will be able to begin to measure  $\chi_c$  ( $> 10 \text{ pb}^{-1}$ ) and  $\chi_b$  ( $> 100 \text{ pb}^{-1}$ ) cross-section contributions to  $J/\psi$  and  $\Upsilon$  production
- ❖ **Meaningful quarkonium studies can be performed with early data and are expected to have the reach to make authoritative statements about the underlying production mechanism and provide cross-sections in this new energy regime**



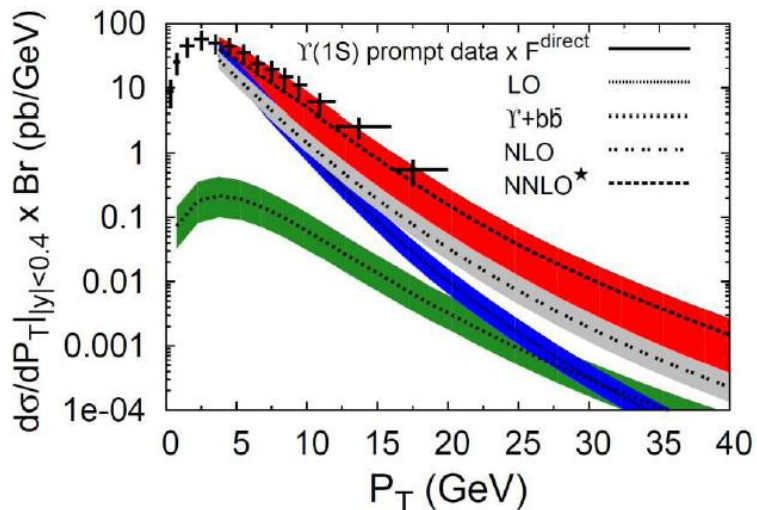
**Thank you!**



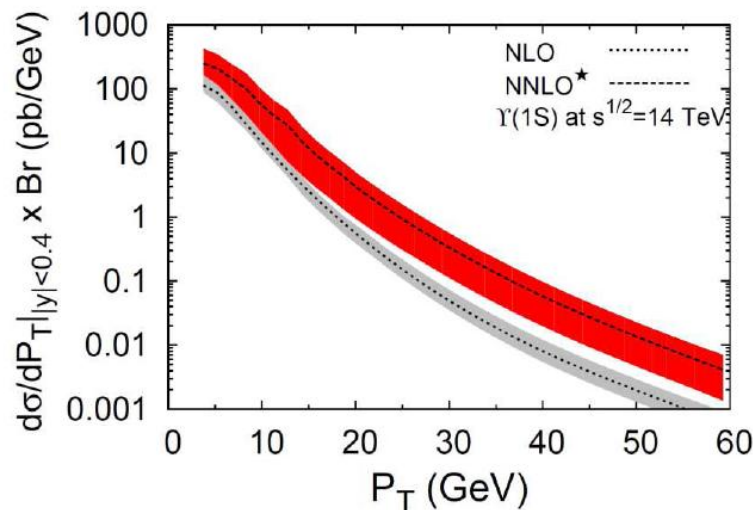
# Backup slides



## HIGHER STATE (NLO & NNLO) SINGLET CONTRIBUTIONS



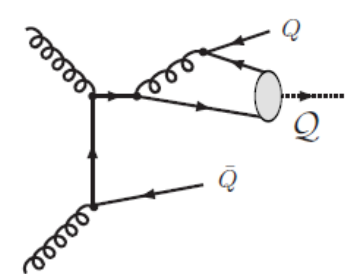
$p\bar{p} \rightarrow \Upsilon(1S)X$  at CDF



$pp \rightarrow \Upsilon(1S)X$  prediction for LHC

❖ New calculations show that higher order terms are important:  **$p_T$  scaling**

❖ Higher order corrections give rise to predictions of significant **associated hadroproduction at high  $p_T$**



❖ This, along with spin-alignment analysis will provide **sensitive tests of production at ATLAS**

# Implementation of NRQCD in ATLAS

- ❖ ATLAS studies currently based on Colour Octet Mechanism as implemented in Pythia and fully simulated through ATLAS reconstruction in GEANT 4
- ❖ NRQCD matrix elements describe non-perturbative quarkonium evolution
  - ❖ Matrix elements tuned within ATLAS to values derived from Tevatron data and tested at Tevatron settings in the ATLAS framework.
  - ❖ Values for  $J/\psi$  and Upsilon are now Pythia defaults as standard

PYTHIA parameter	$J/\psi$	Matrix element
PARP(141)	1.16	$\langle \mathcal{O}(J/\psi)[^3S_1^{(1)}] \rangle$
PARP(142)	0.0119	$\langle \mathcal{O}(J/\psi)[^3S_1^{(8)}] \rangle$
PARP(143)	0.01	$\langle \mathcal{O}(J/\psi)[^1S_0^{(8)}] \rangle$
PARP(144)	0.01	$\langle \mathcal{O}(J/\psi)[^3P_0^{(8)}] \rangle / m_c^2$
PARP(145)	0.05	$\langle \mathcal{O}(\chi_{c0})[^3P_0^{(1)}] \rangle / m_c^2$

PYTHIA parameter	NRQCD matrix element	$\psi(2S)$
PARP(141)	$\langle \mathcal{O}(\psi(XS))[^3S_1^{(1)}] \rangle$	0.76
PARP(142)	$\langle \mathcal{O}(\psi(XS))[^3S_1^{(8)}] \rangle$	0.005
PARP(143)	$\langle \mathcal{O}(\psi(XS))[^1S_0^{(8)}] \rangle$	0.0088
PARP(144)	$\langle \mathcal{O}(\psi(XS))[^3P_0^{(8)}] \rangle / m_c^2$	0.0039
PARP(145)	$\langle \mathcal{O}(\chi_{c0}(XP))[^3P_1^{(1)}] \rangle / m_c^2$	0.0

$$d\sigma(pp \rightarrow H + X) = \sum_{n_i} d\hat{\sigma}(pp \rightarrow Q\bar{Q}[n_i] + x) \langle \mathcal{O}^H[n_i] \rangle$$

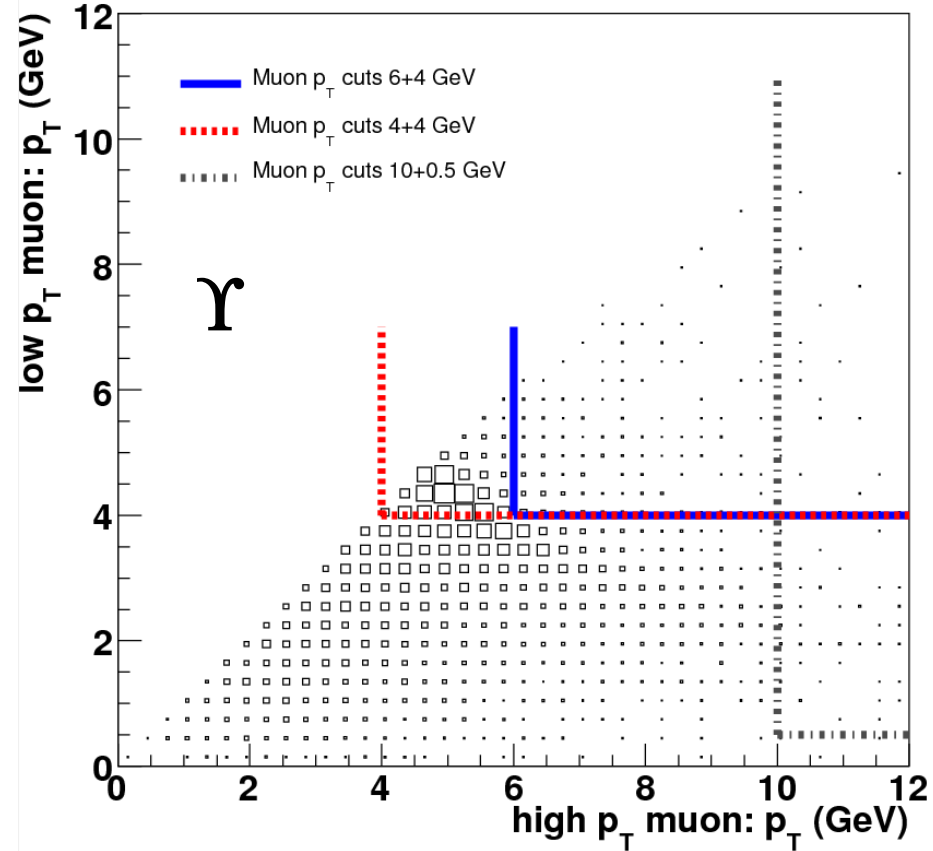
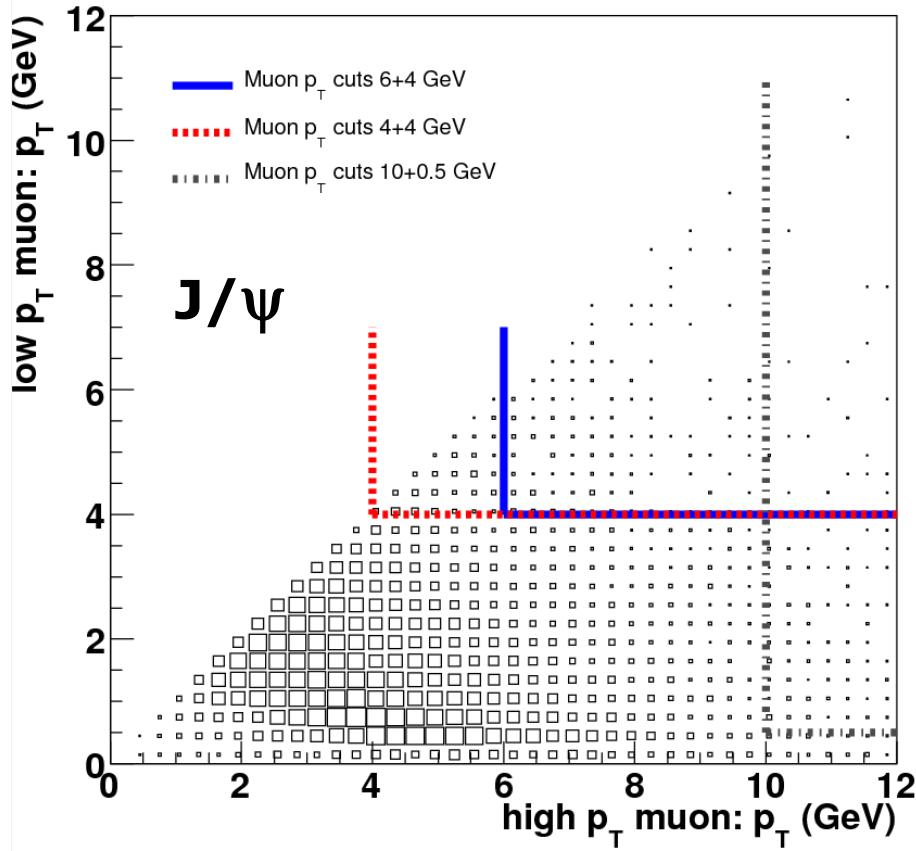
total cross-section      short distance heavy quark production      matrix element

- ❖ Note that despite Monte Carlo samples being for the NRQCD hypothesis, ATLAS quarkonium analysis predictions do not depend a priori on this production model!

PYTHIA parameter	NRQCD matrix element	$\Upsilon(1S)$	$\Upsilon(2S)$	$\Upsilon(3S)$
PARP(146)	$\langle \mathcal{O}(\Upsilon(XS))[^3S_1^{(1)}] \rangle$	9.28	4.63	3.54
PARP(147)	$\langle \mathcal{O}(\Upsilon(XS))[^3S_1^{(8)}] \rangle$	0.150	0.055	0.039
PARP(148)	$\langle \mathcal{O}(\Upsilon(XS))[^1S_0^{(8)}] \rangle$	0.020	0.008	0.005
PARP(149)	$\langle \mathcal{O}(\Upsilon(XS))[^3P_0^{(8)}] \rangle / m_b^2$	0.020	0.008	0.005
PARP(150)	$\langle \mathcal{O}(\chi_{b0}(XP))[^3P_0^{(1)}] \rangle / m_b^2$	0.085	0.103	0.110



# Quarkonia rates with muon $p_T$



# The ATLAS detector

## Inner Detector:

3 pixel layers, 4 barrel silicon strips and transition radiation tracker with 2 Tesla solenoid: total 0.5—1.5 radiation lengths

Precision track reconstruction for tracks with  $|\eta| < 2.5$  and  $p_T > 0.5$  GeV

$$\sigma\left(\frac{1}{p_T}\right) \sim (0.34 - 0.41 \text{ TeV}^{-1}) + \left(1 \oplus \frac{(44 - 80 \text{ GeV}^{-1})}{p_T}\right)$$

25m

## Muon spectrometry:

Coverage out to  $|\eta| < 2.7$

Drift chambers & trigger chambers in an air-core toroid of 0.5 Tesla

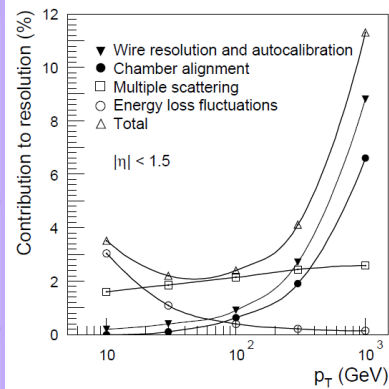
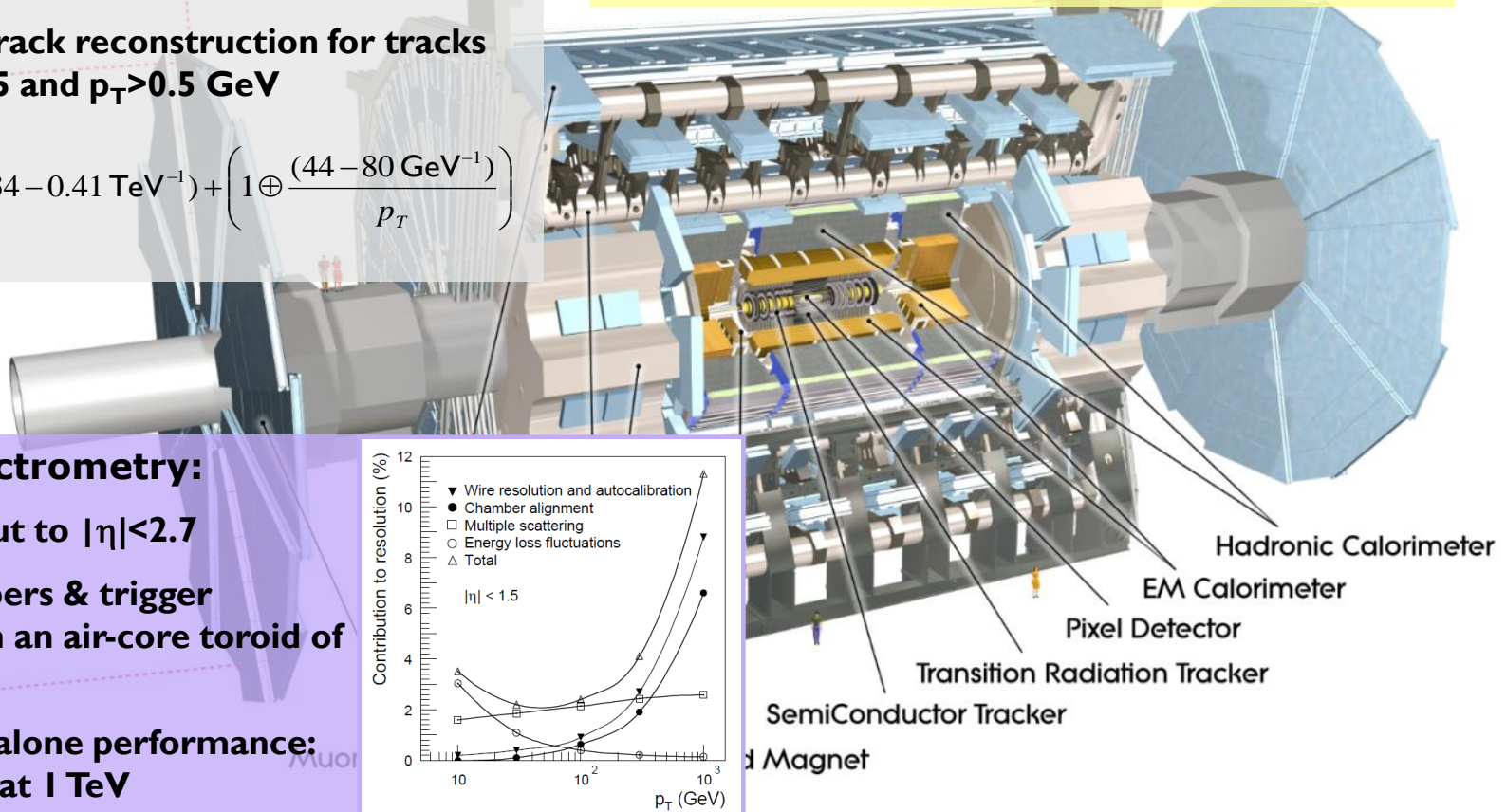
Good standalone performance:  $\sigma/p_T \sim 10\%$  at 1 TeV

## Calorimetry:

$|\eta| < 4.9$  hermetic coverage

EM calo: Liquid Argon  $\sigma/E \sim 11.5\%/\sqrt{E} + 0.5\%$

Hadronic calo: Fe Cu-LAr  $\sigma/E \sim 50\%/\sqrt{E} + 3\%$





# The quarkonium family and decays

