# Secluded singlet fermionic dark matter driven by the Fermi gamma-ray excess



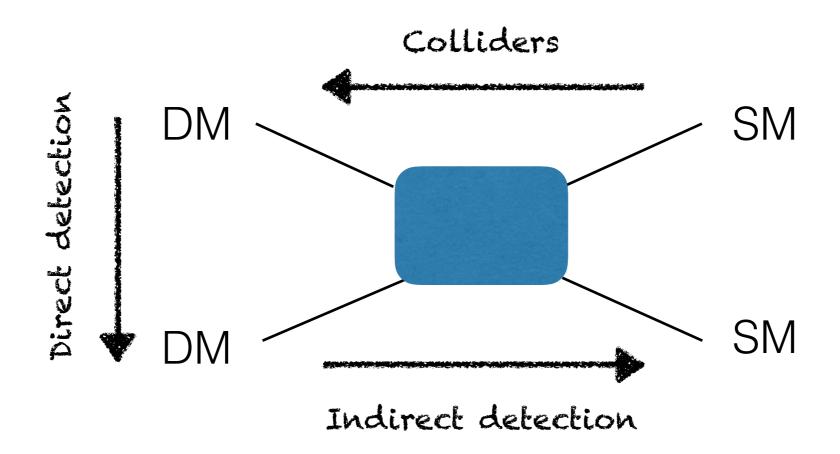
Seodong Shin



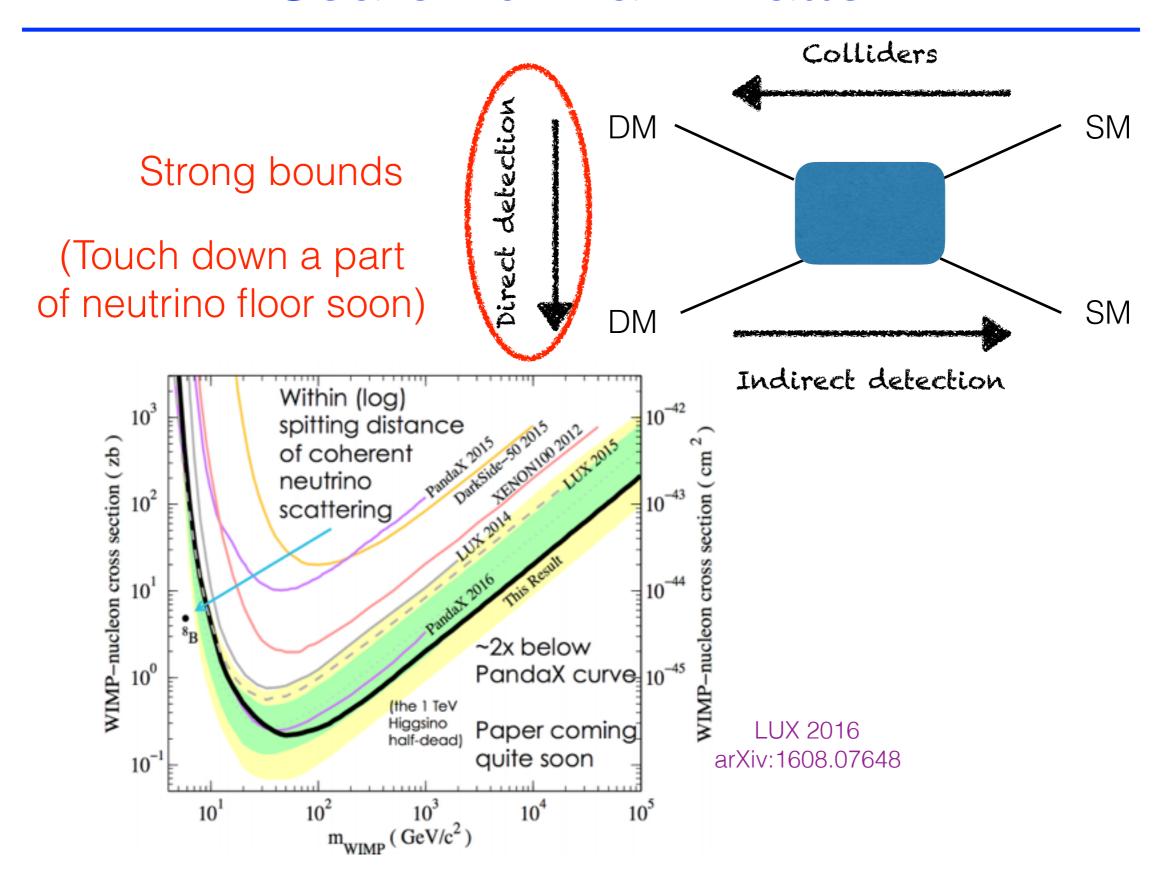
Young Gyun Kim, Kang Young Lee, Chan Beom Park, Seodong Shin, Phys. Rev. D93, 075023 (2016) [arXiv:1601.05089]

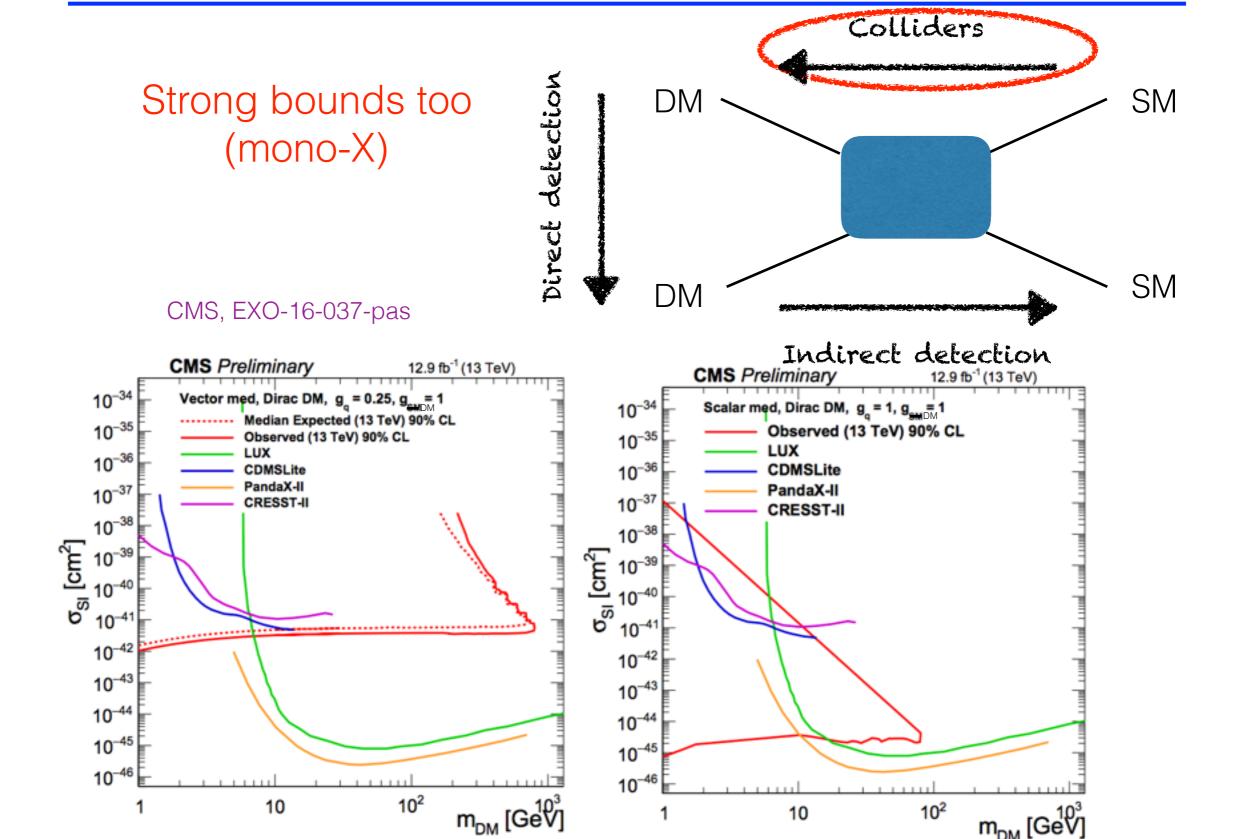
## Dark Matter and new physics

- About 25% of our universe
- A good (empirical) motivation of new physics BSM
- Only gravitationally observed yet
- Most promising scenario is WIMP: weak int. should be observed to probe parameters (of BSM)



Popular diagram shown everywhere

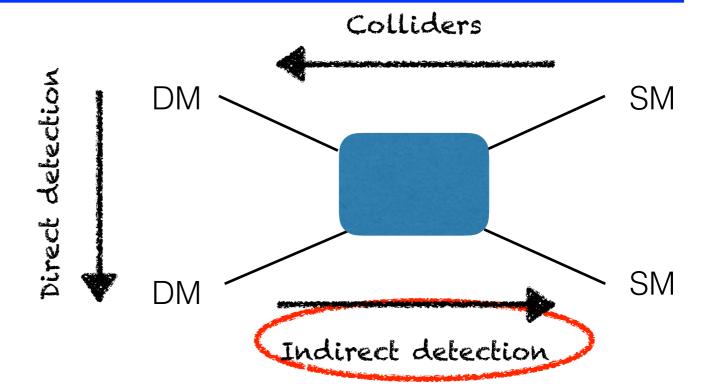




m<sub>DM</sub> [GeV]

#### Some (strong) bounds

- $\gamma$ -rays from dSphs
- Antiproton ratios

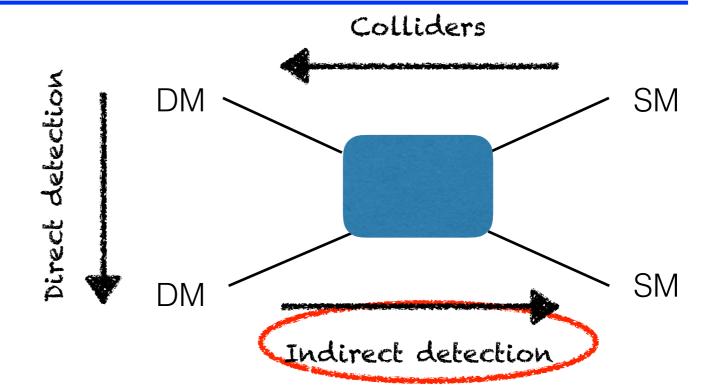


#### but some hints as well (although bkg. is not fully understood)

- $\gamma$ -rays from the galactic center
- Positron ratio
- Neutrino signals

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- $\gamma$ -rays from dSphs
- Antiproton ratios



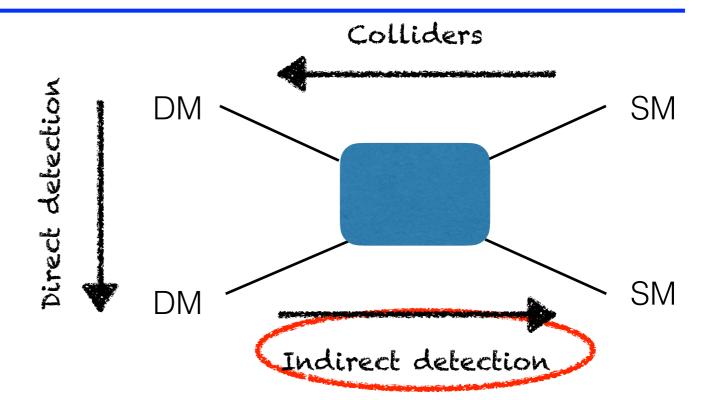
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- $\gamma$ -rays from the galactic center
- Positron ratio

Neutrino signals

Why don't we start from these hints?

## Search of Dark Matter: 1st step



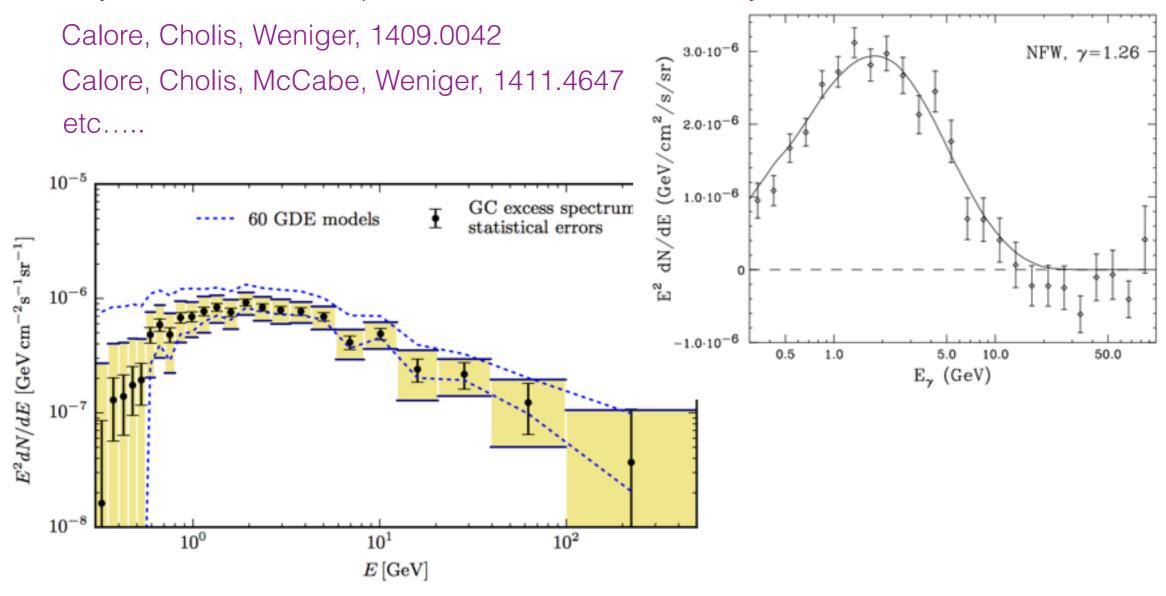
O(GeV) broad γ-ray excess from the galactic center (Fermi-LAT)

#### GeV level γ-ray excess by Fermi-LAT

First found in 2009 (DM ann.?) Goodenough, Hooper, 0910.2998

Hooper, Linden, 1110.0006

Daylan, Finkbeiner, Hooper, Linden, Portillo, Rodd, Slatyer, 1402.6703



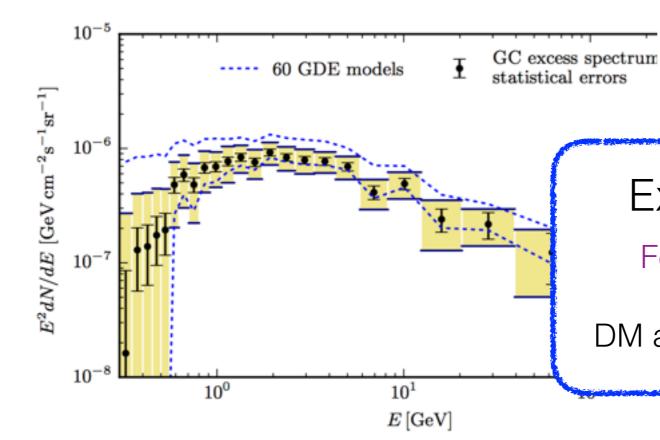
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Calore, Cholis, Weniger, 1409.0042
Calore, Cholis, McCabe, Weniger, 1411.4647
etc.....



Excess confirmed

NFW,  $\gamma = 1.26$ 

50.0

 $3.0 \cdot 10^{-6}$ 

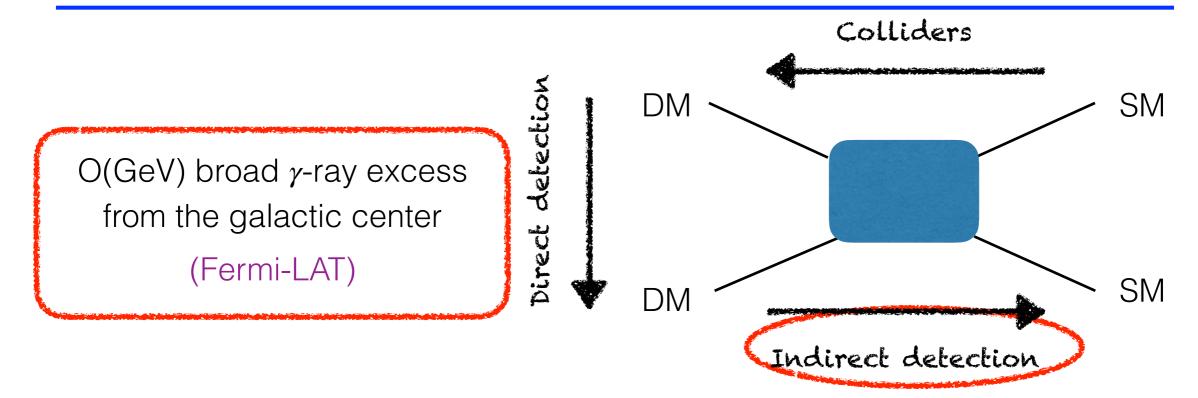
 $2.0 \cdot 10^{-6}$ 

(GeV/cm<sup>2</sup>/

Fermi-LAT, 1511.02938

DM ann. morphology fits best

## Search of Dark Matter: 1st step



#### Simplified WIMP model

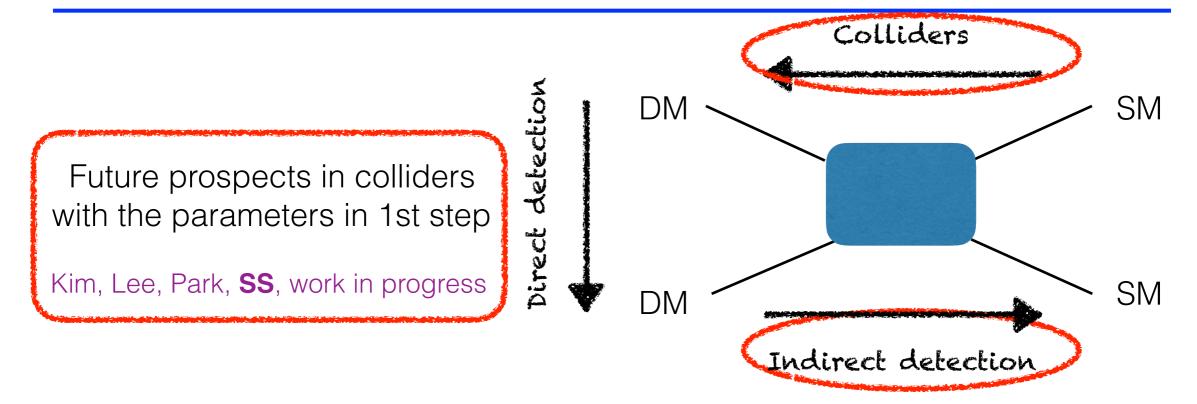
- Find well-fitted parameters satisfying various unavoidable experimental bounds
- Secluded set-up: avoid strong bounds from direct detection & colliders

Hidden

Pospelov, Ritz, Voloshin, 0711.4866

Kim, **SS**, 0901.2609 & many others.....

## Search of Dark Matter: 2nd step



#### Simplified WIMP model

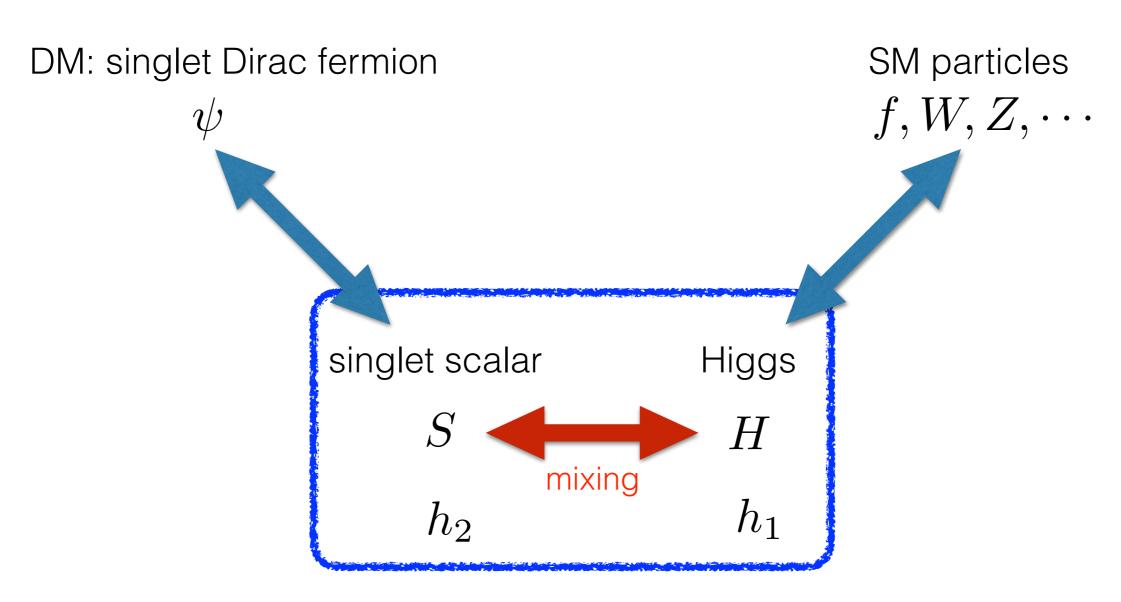
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Pospelov, Ritz, Voloshin, 0711.4866

Kim, **SS**, 0901.2609 & many others.....

## Singlet Fermionic Dark Matter



Y.G. Kim, K.Y. Lee, **SS**, JHEP 0805, 100 [arXiv:0803.2932]

A renormalizable Higgs portal WIMP model

(induce bunch of phenomenological studies: exotic decay, ...)

#### Secluded SFDM

#### Secluded set-up by

- Small mixing angle: Higgs measurements at the LHC
   & null results in direct detection
- Pseudoscalar int. in the dark sector: p-wave in t-channel WIMP-SM recoil s-wave in s-channel

Lopez-Honorez, Schwetz, Zupan, 1203.2064 Fedderke, Chen, Kolb, Wang, 1404.2283

$$-\mathcal{L}_{\rm int}^{\rm dark} = g_S \cos \xi \, s \bar{\psi} \psi + g_S \sin \xi \, s \bar{\psi} i \gamma^5 \psi,$$

## Secluded SFDM for the $\gamma$ -ray excess

#### Our starting point

- DM annihilation (not denying other possibilities)
- Apply the result by Calore et al., 1409.0042, 1411.4647: syst. & stat. error
- Assume a generalized NFW profile allowing the uncertainties in the astrophysical factor  $\bar{J}$  with scaling [0.17, 5.3] and  $\gamma=1.2$

Calore, Cholis, McCabe, Weniger, 1411.4647

$$\rho(r) = \rho_s \frac{(r/r_s)^{-\gamma}}{(1 + r/r_s)^{3-\gamma}}$$

$$\frac{\mathrm{d}N}{\mathrm{d}E} = \frac{\bar{J}}{16\pi m_{\chi}^2} \sum_{f} \langle \sigma v \rangle_f \frac{\mathrm{d}N_{\gamma}^f}{\mathrm{d}E}$$

$$\bar{J} = \frac{1}{\Delta\Omega} \int_{\Delta\Omega} \int_{\mathrm{l.o.s}} \rho^2(r(s, \psi)) \,\mathrm{d}s \,\mathrm{d}\Omega$$

## Secluded SFDM for the $\gamma$ -ray excess

#### Analysis process

- Unavoidable bounds: Higgs measurements,  $\bar{p}$  ratios,  $\gamma$ -rays from dSphs.
- GeV level excess is best-fitted by changing  $\bar{J}$  while fixing the relic density as observed (how we avoid the astrophysical bounds)
- Check the pure (dark sector) pseudoscalar case first ( $\sin \xi = 1$ ). If not good, allow the scalar interaction.

Best-fitted for  $\psi \bar{\psi} \to b \bar{b}, \, h_i h_j$  as model independent i,j=1,2 searches expected

But some subtleties exist

## Secluded SFDM for the $\gamma$ -ray excess

#### Reference annihilation channel & parameters

	Annihilation process	$m_{\psi} \; ({ m GeV})$	$m_{h_2} \; ({\rm GeV})$	
	$\psi \bar{\psi} \to h_2 \to b \bar{b}$	49.82	99.416	$m_{\psi} < m_{h_2} < m_{h_1}$
cascade	$\psi \bar{\psi} \to h_2 \to h_1 h_1$	127.5	213.5	$m_{\psi} \sim m_{h_1}$
$\psi'$	$\bar{\psi} \rightarrow h_2 \rightarrow h_2 h_2, h_1 h_2$ $\psi \bar{\psi} \rightarrow h_2 \rightarrow h_2 h_2$	127.5	125.7	$m_{\psi} \sim m_{h_1}$
	$\psi \bar{\psi} \to h_2 \to h_2 h_2$	69.2	35.7	$m_{h_2} < m_{\psi} < m_{h_1}$

Lots of model independent searches expected these channels

Agrawal, Batell, Fox, Harnik, 1411.2592

Dutta, Gao, Ghosh, Strigari, 1508.05989

Elor, Rodd, Slatyer, 1503.01773

many many others.....

## $\psi \bar{\psi} \to h_2 \to b \bar{b}$

Inv. Higgs decay

 $g_S \sin \theta_s \lesssim 0.02$ 

 $\langle \sigma v \rangle_{\rm ann.}$  too high

with scalar int.

 $\sin \xi \neq 1$ 

\_

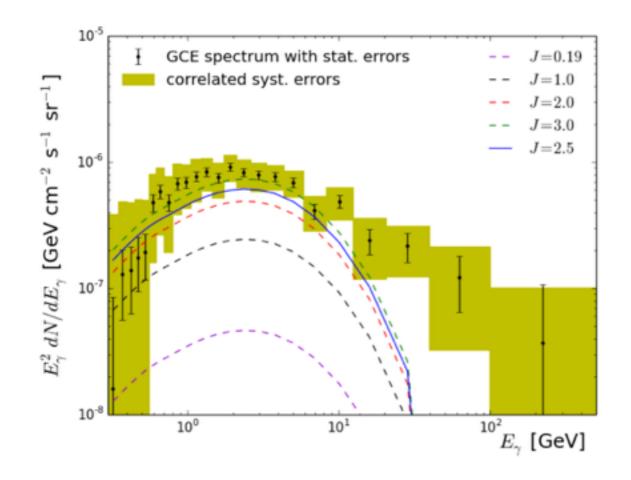
Resonance required

 $\gamma$ -rays from dSphs (Fermi-LAT)

 $\bar{p}$  ratios (PAMELA, AMS-02)

Direct detection OK

: mixing angle small



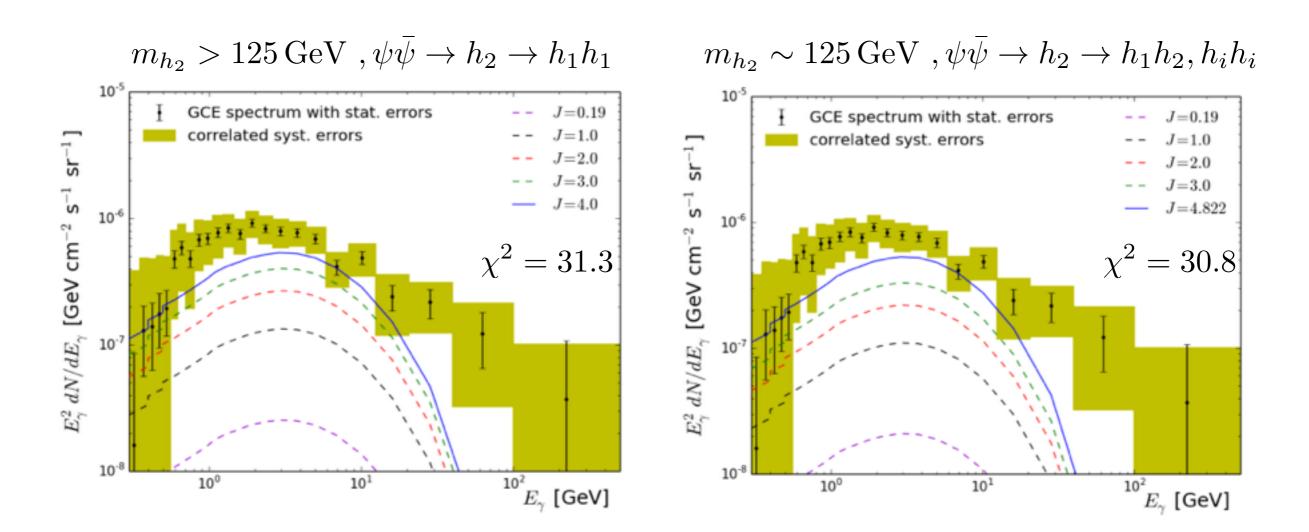
Almost scalar  $\sin \xi = 0.01$ 

$$\chi^2 = 23.65$$

Fits well but fine tuned (around resonance)

## $m_{\psi} \gtrsim 125 \, { m GeV}$

- Compete with ann. rate to WW, ZZ (bad fit):
   Need large cubic scalar self-couplings for a better fit
- Astrophysical bounds are weak
- 0.1 level mixing angle is OK (No inv. decay of h<sub>1</sub>)

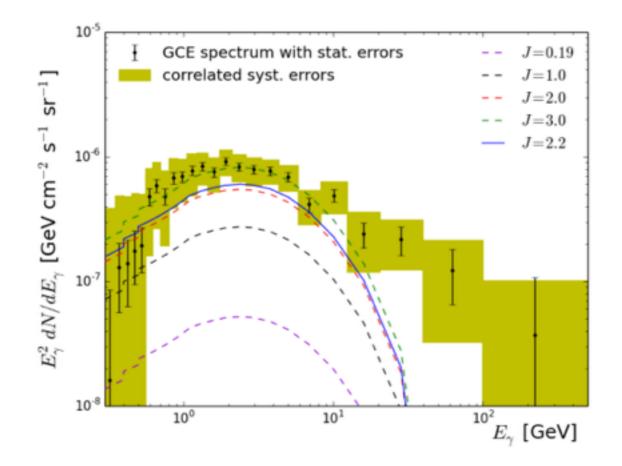


$$\psi \bar{\psi} \rightarrow h_2 \rightarrow h_2 h_2$$

- Bound from exotic Higgs decay  $h_1 \rightarrow h_2 h_2 \rightarrow 4b$  if  $h_2$  light
- Astrophysical bounds for 4b final states: weaker than 2b

Cline et al., 1503.08213 Dutta et al., 1508.05989

• Ann. rate into h<sub>2</sub>h<sub>2</sub> can be easily ~ 100%



$$m_{\psi} \simeq 70 \, \mathrm{GeV} \simeq \sqrt{2} \times 50 \, \mathrm{GeV}$$

$$m_{h_2} \sim m_{\psi}/2$$

$$\chi^2 = 23.19$$

Very promising

#### Conclusions

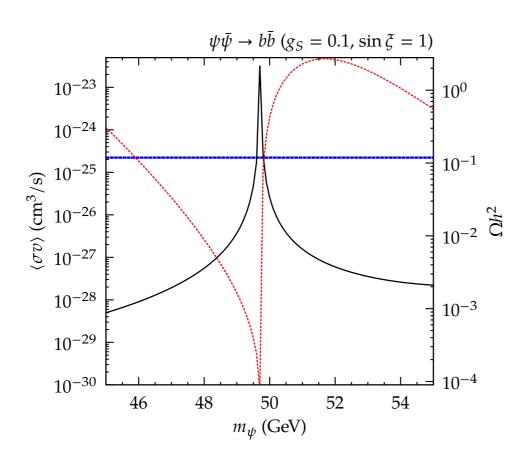
- Start the probe of DM from the indirect detection result:
   Fermi GeV gamma-ray excess
- Simplified model to check the consistency with other bounds:
   Secluded Singlet Fermionic Dark Matter
- $\psi \bar{\psi} \rightarrow h_2 \rightarrow b\bar{b}$ : resonance region, almost scalar int.
- $\psi \bar{\psi} \to h_2 \to h_i h_j$ : cascade process, best when  $\psi \bar{\psi} \to h_2 h_2$   $m_\psi \simeq 70\,{
  m GeV}\;, m_{h_2} \simeq m_\psi/2$
- Benchmark points for future collider prospects of the model.

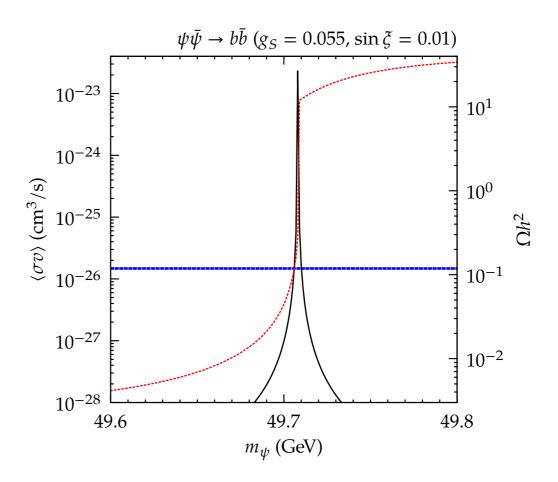
$$\mathcal{L}^{\text{dark}} = \bar{\psi}(i\partial \!\!\!/ - m_{\psi_0})\psi + \frac{1}{2}\partial_{\mu}S\partial^{\mu}S - g_S(\cos\theta\,\bar{\psi}\psi + \sin\theta\,\bar{\psi}i\gamma^5\psi)S - V_S(S, H),$$
$$V_S(S, H) = \frac{1}{2}m_0^2S^2 + \lambda_1H^{\dagger}HS + \lambda_2H^{\dagger}HS^2 + \frac{\lambda_3}{3!}S^3 + \frac{\lambda_4}{4!}S^4.$$

$$-\mathcal{L}_{\rm int}^{\rm dark} = g_S \cos \xi \, s \bar{\psi} \psi + g_S \sin \xi \, s \bar{\psi} i \gamma^5 \psi,$$

$$\cos \xi = \frac{m_{\psi_0} \cos \theta + g_S v_s}{m_{\psi}},$$
$$\sin \xi = \frac{m_{\psi_0} \sin \theta}{m_{\psi}}.$$

$$m_{\psi} = \sqrt{(m_{\psi_0} + g_S v_s \cos \theta)^2 + g_S^2 v_s^2 \sin^2 \theta}$$





#### Cubic self-couplings of scalars

 $c_{ijk}$  for  $h_i h_j h_k$  interactions

$$c_{111} = 6\lambda_0 v_h \cos^3 \theta_s + (3\lambda_1 + 6\lambda_2 v_s) \cos^2 \theta_s \sin \theta_s + 6\lambda_2 v_h \cos \theta \sin^2 \theta_s + (\lambda_3 + \lambda_4 v_s) \sin^3 \theta_s,$$

$$c_{112} = -6\lambda_0 v_h \cos^2 \theta_s \sin \theta_s + 2\lambda_2 v_h \left( 2\cos^2 \theta_s \sin \theta_s - \sin^3 \theta_s \right)$$

$$+ (\lambda_1 + 2\lambda_2 v_s) \left( \cos^3 \theta_s - 2\cos \theta_s \sin^2 \theta_s \right) + (\lambda_3 + \lambda_4 v_s) \cos \theta_s \sin^2 \theta_s,$$

$$\sin \theta_s = 0$$

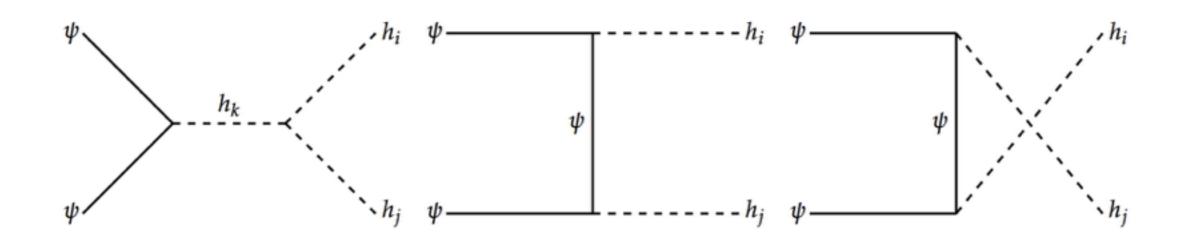
$$c_{122} = 6\lambda_0 v_h \cos \theta_s \sin^2 \theta_s + 2\lambda_2 v_h \left( \cos^3 \theta_s - 2\cos \theta_s \sin^2 \theta_s \right)$$

$$- (\lambda_1 + 2\lambda_2 v_s) \left( 2\cos^2 \theta_s \sin \theta_s - \sin^3 \theta_s \right) + (\lambda_3 + \lambda_4 v_s) \cos^2 \theta_s \sin \theta_s,$$

$$c_{222} = -6\lambda_0 v_h \sin^3 \theta_s + (3\lambda_1 + 6\lambda_2 v_s) \sin^2 \theta_s \cos \theta_s - 6\lambda_2 v_h \sin \theta \cos^2 \theta_s$$

$$+ (\lambda_3 + \lambda_4 v_s) \cos^3 \theta_s.$$

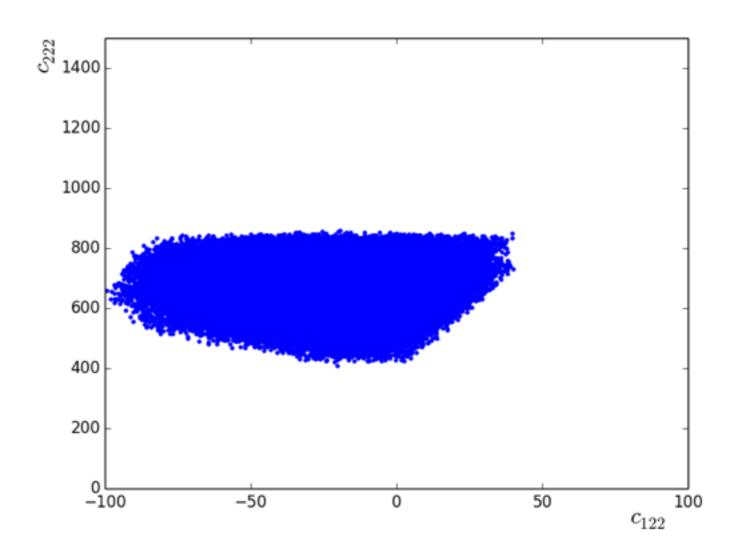
#### Cascade decays of the Higgs bosons



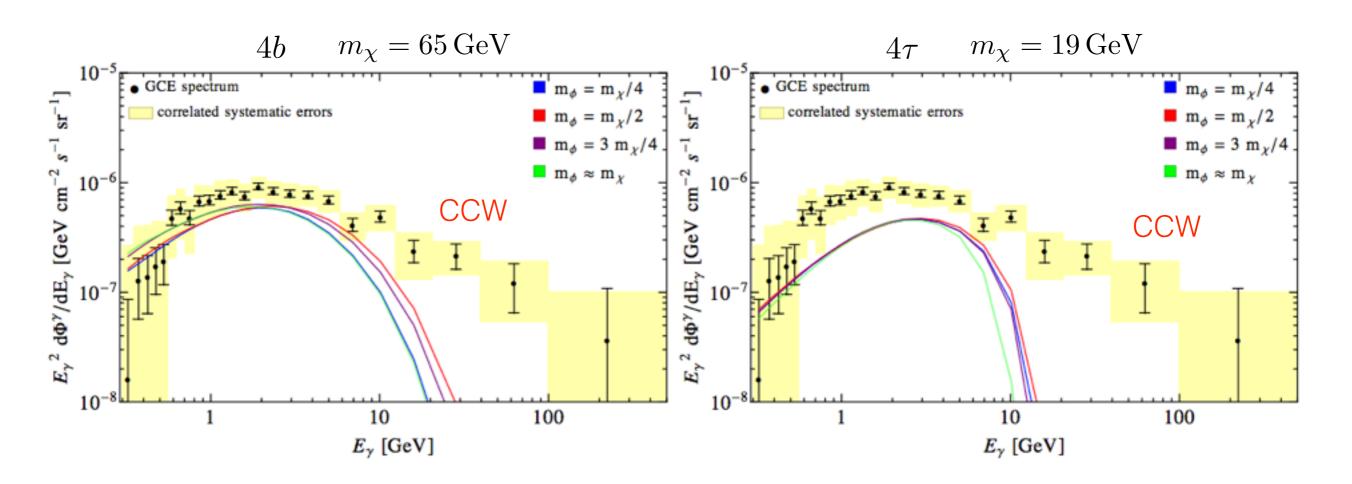
In the zero velocity limit

 $\sigma v = 0$  for pure scalar case  $\sin \xi = 0$ 

Only s-channel survives for pure pseudoscalar case so the important parameters are  $c_{ijk}$ 

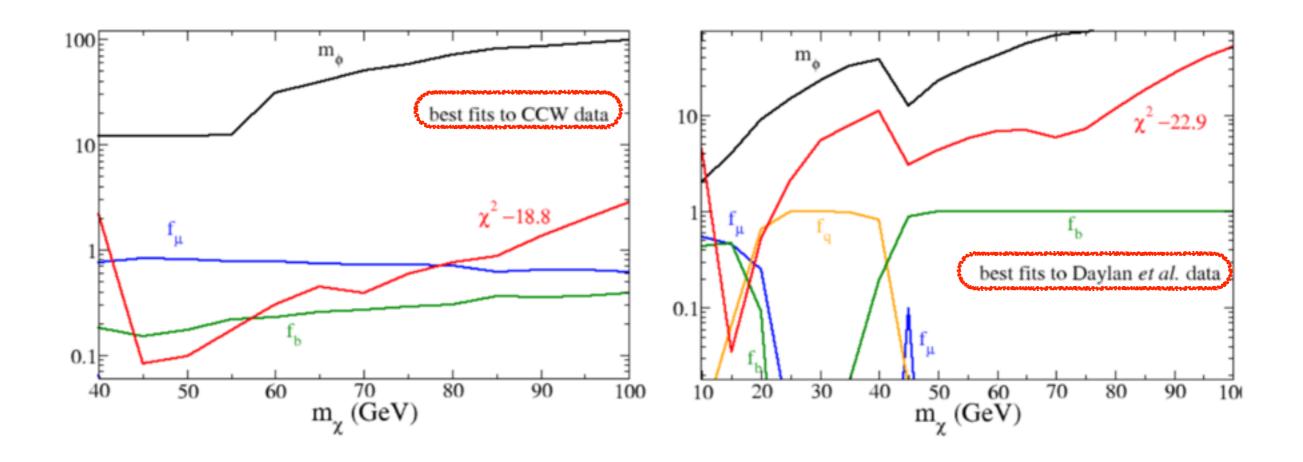


#### Broadening the spectrum in cascade decays



Dutta, Gao, Ghosh, Strigari, 1508.05989

#### Broadening the spectrum in cascade decays



Cline, Dupuis, Liu, Xue, 1503.08213



