

25th International Workshop on Deep-Inelastic Scattering and Related Topics 3-7 April 2017, Birmingham, UK

Small x shadowing from data on coherent J/ψ photoproduction

J. G. Contreras Czech Technical University

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arXiv: 1610.03350

Contents

The method: From Pb-Pb to YPb

The available data

Photon flux

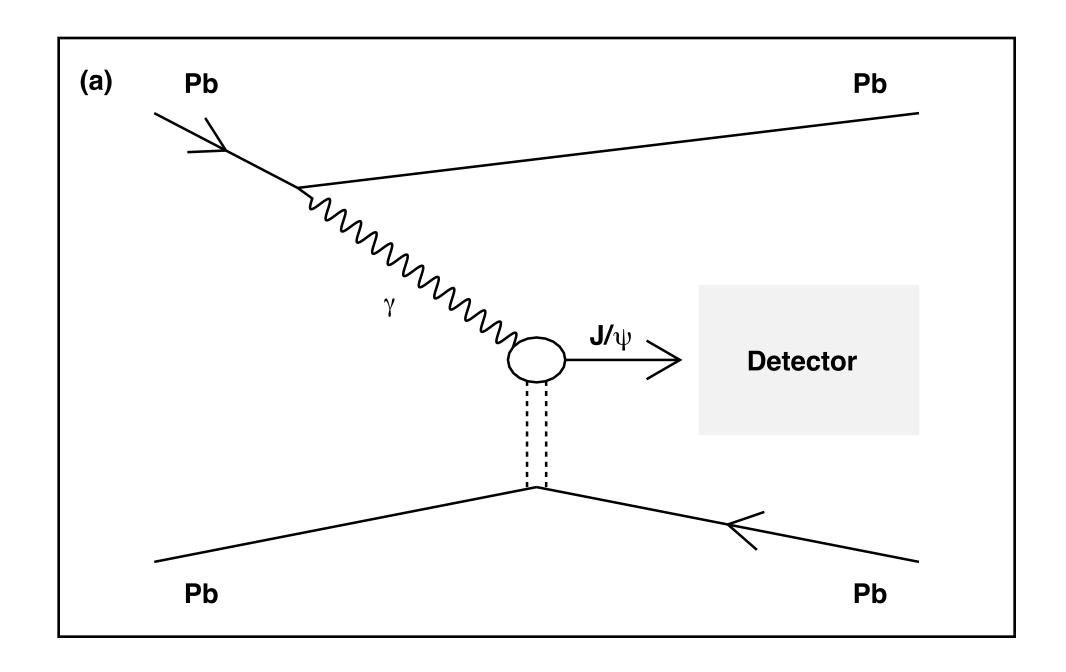
Extracted PPb cross section

Suppression factor

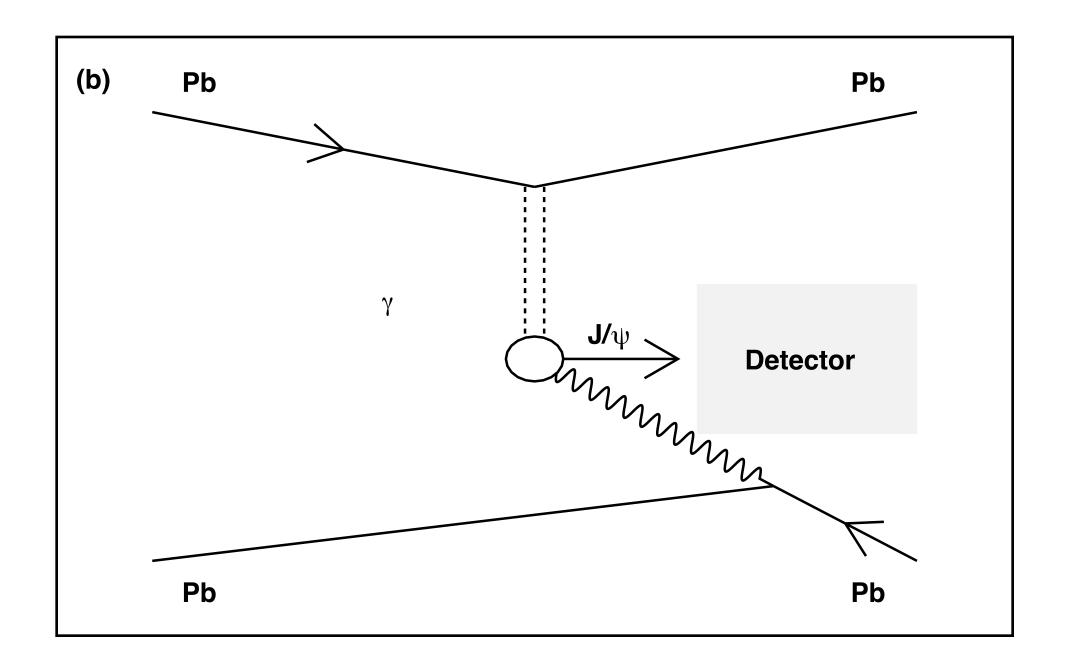
The method: From Pb-Pb to YPb

Coherent photoproduction of J/4 in Pb-Pb collisions

Cross section has two components



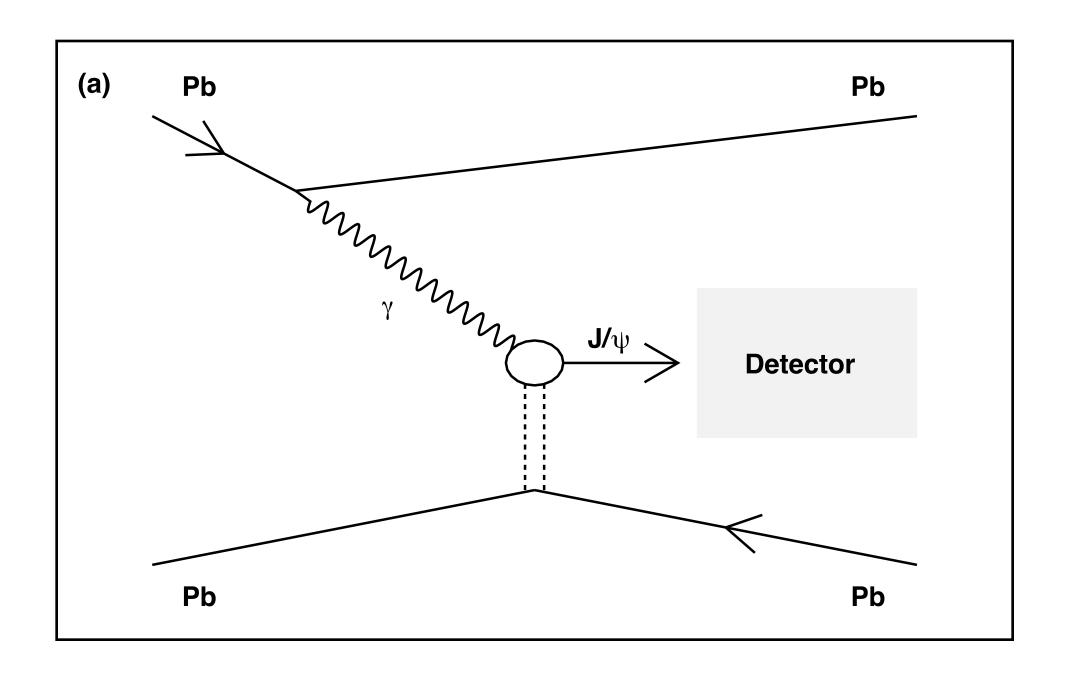
Source travels towards detector: photon has large energy



Source travels away from detector: photon has small energy

Coherent photoproduction of J/4 in Pb-Pb collisions

Cross section has two components



(b) Pb

γ

J/ψ

Detector

Pb

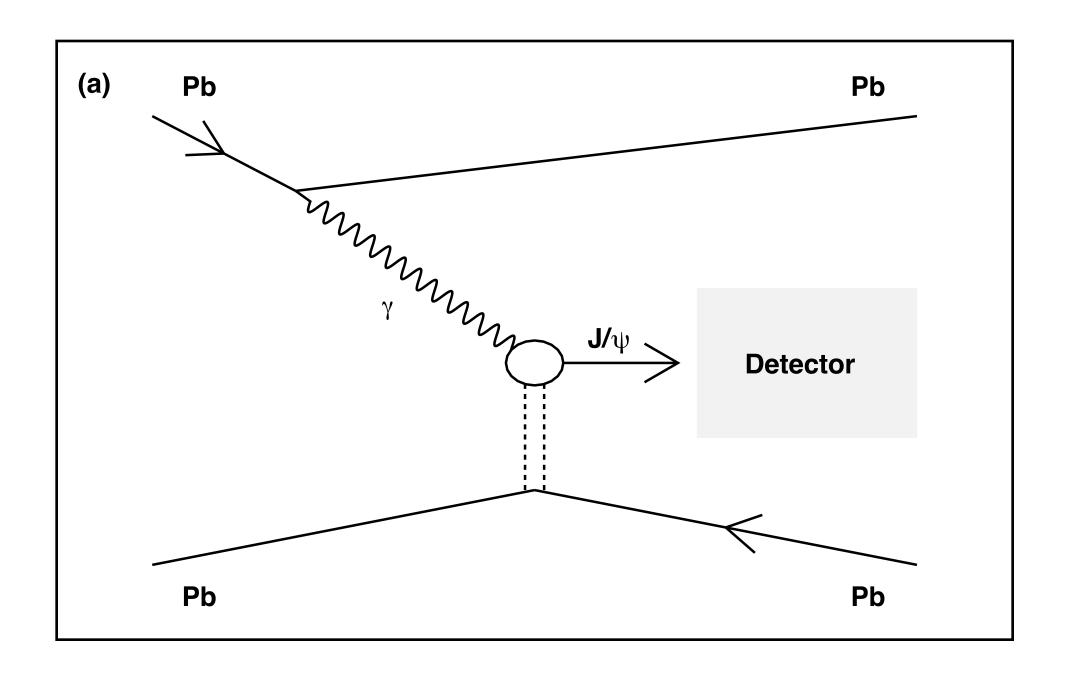
Pb

Source travels towards detector: photon has large energy Source travels away from detector: photon has small energy

For measurements at mid rapidity both components are equal

Coherent photoproduction of J/4 in Pb-Pb collisions

Cross section has two components



Pb Pb Pb

Source travels towards detector: photon has large energy

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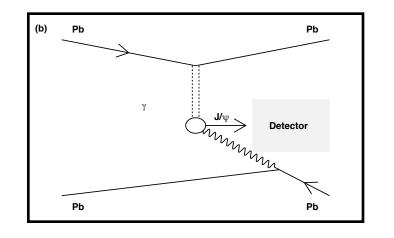
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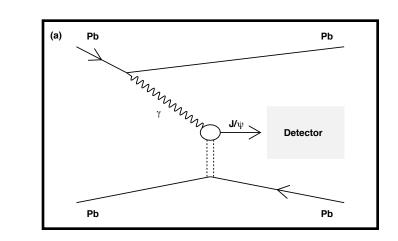
For measurements at forward rapidities they differ

Product of the photon flux and the photonuclear cross section

Product of the photon flux and the photonuclear cross section

$$\frac{d\sigma_{\text{PbPb}}}{dy} = n_{\gamma}(y; b_{1,2})\sigma_{\gamma\text{Pb}}(y) + n_{\gamma}(-y; b_{1,2})\sigma_{\gamma\text{Pb}}(-y)$$

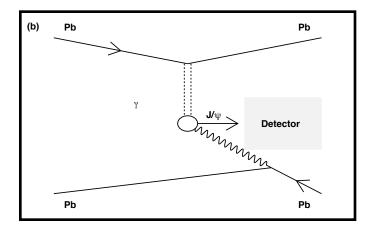


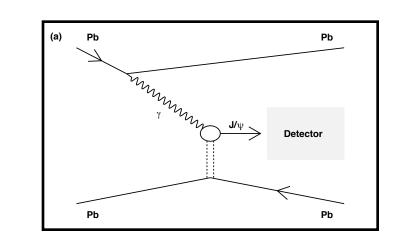


Product of the photon flux and the photonuclear cross section

Measured cross section from Pb-Pb collisions

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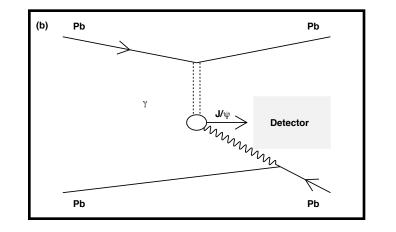


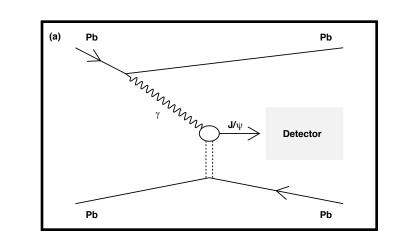


Product of the photon flux and the photonuclear cross section

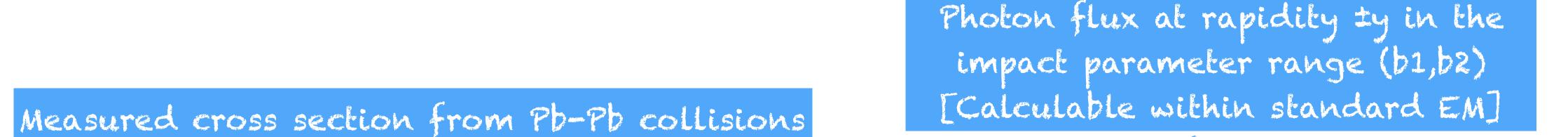


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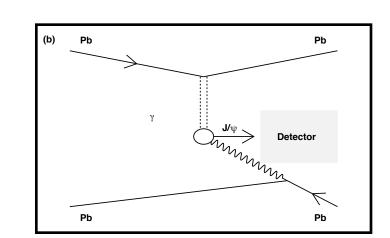




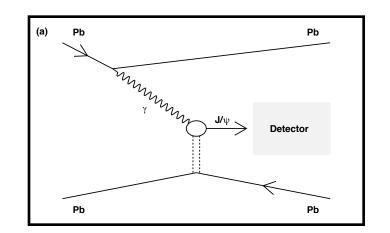
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Photonuclear cross section

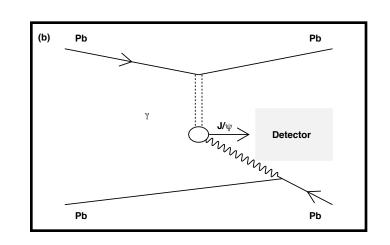


Product of the photon flux and the photonuclear cross section



Photon flux at rapidity ±y in the impact parameter range (b1,b2)
[Calculable within standard EM]

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Photonuclear cross section

QCD is here

Coherent photonuclear production

When the photon flux is known, measuring the Pb-Pb cross section in two different impact parameter ranges at the same rapidity allows one to extract the photonuclear cross section at y and at -y simultaneously

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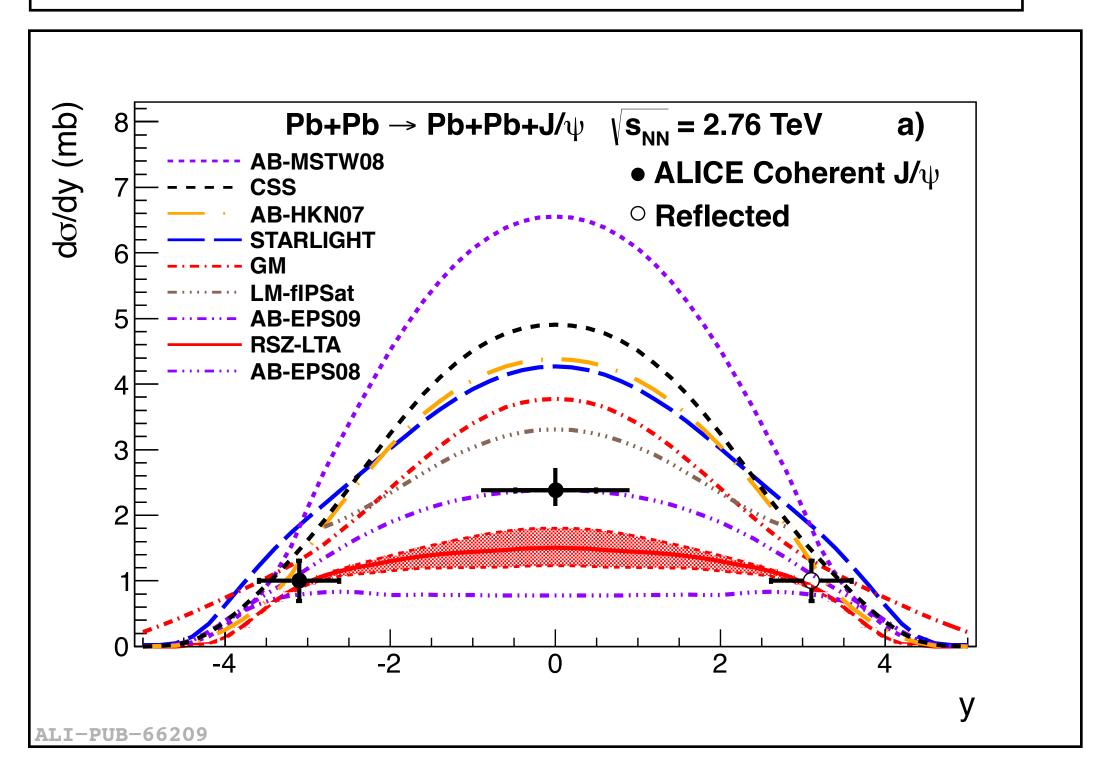
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Use measurements in ultra-peripheral (U) and in peripheral (P) collisions by ALICE to test the method!

The available data

Measurements of coherent production of J/4 in Pb-Pb collisions

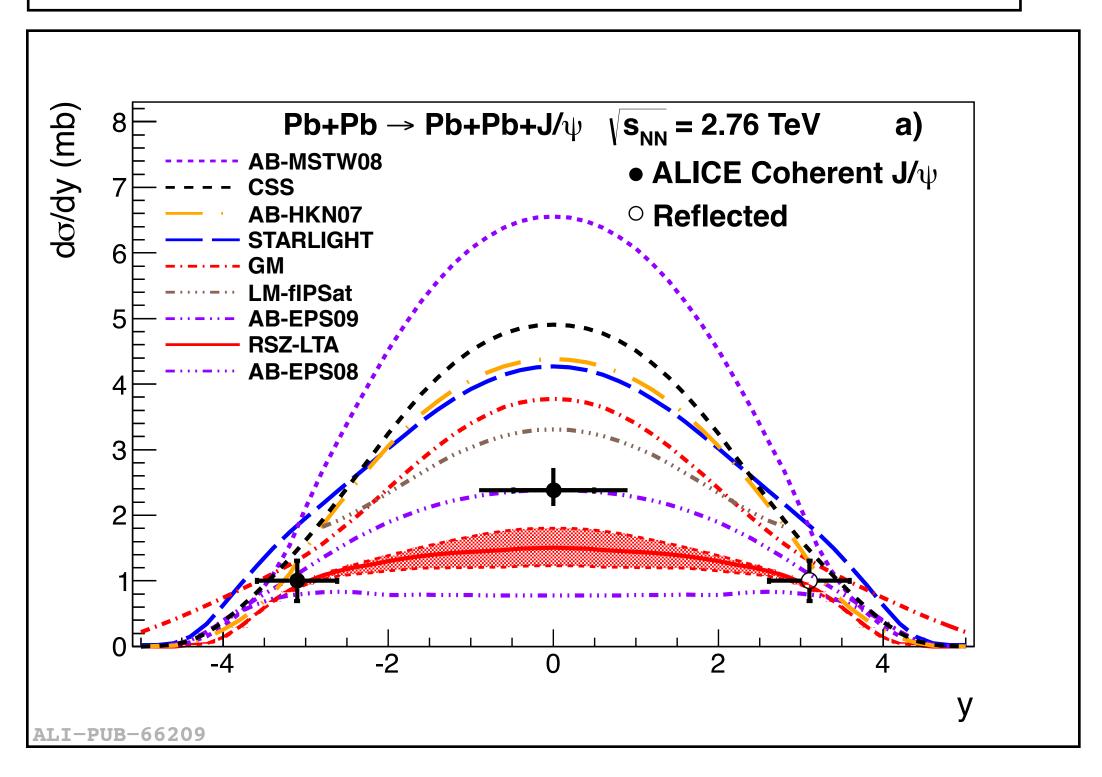
ALICE: Phys.Lett. B718 (2013) 1273-1283 and Eur. Phys. J. C (2013) 73:2617



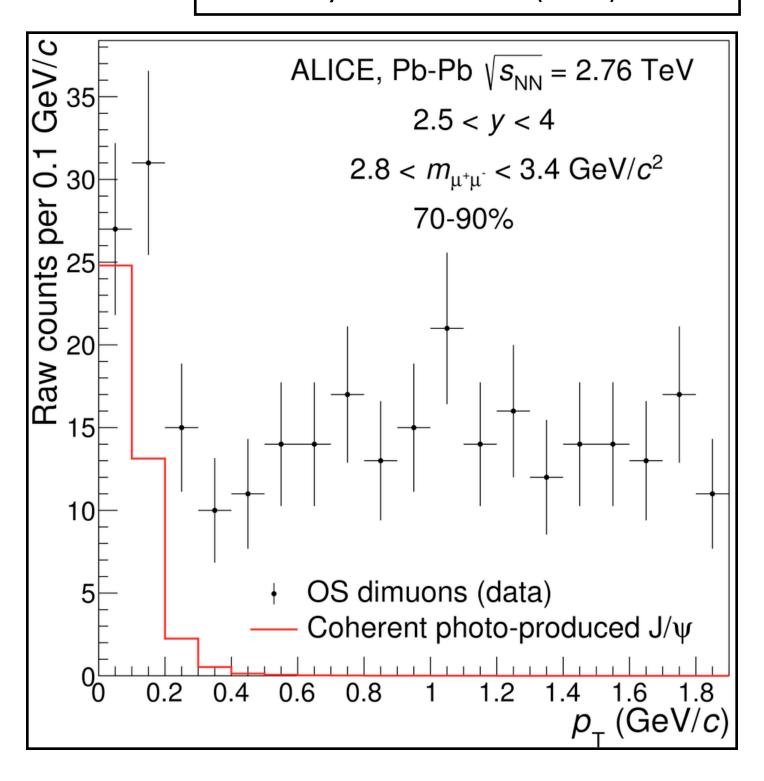
In UPC collisions:
Measurements at mid and forward rapidities

Measurements of coherent production of J/4 in Pb-Pb collisions

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ALICE: Phys.Rev.Lett. 116 (2016) 222301

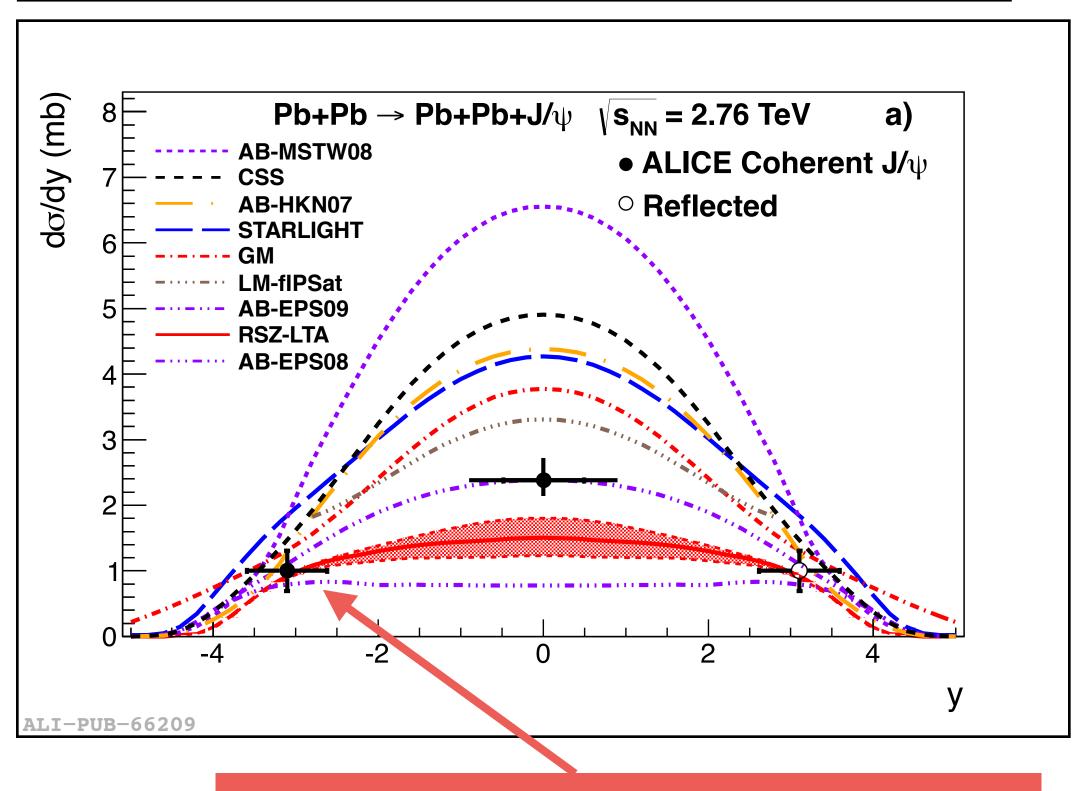


In UPC collisions:
Measurements at mid and forward rapidities

In peripheral collisions: at forward rapiditities

Measurements of coherent production of J/4 in Pb-Pb collisions

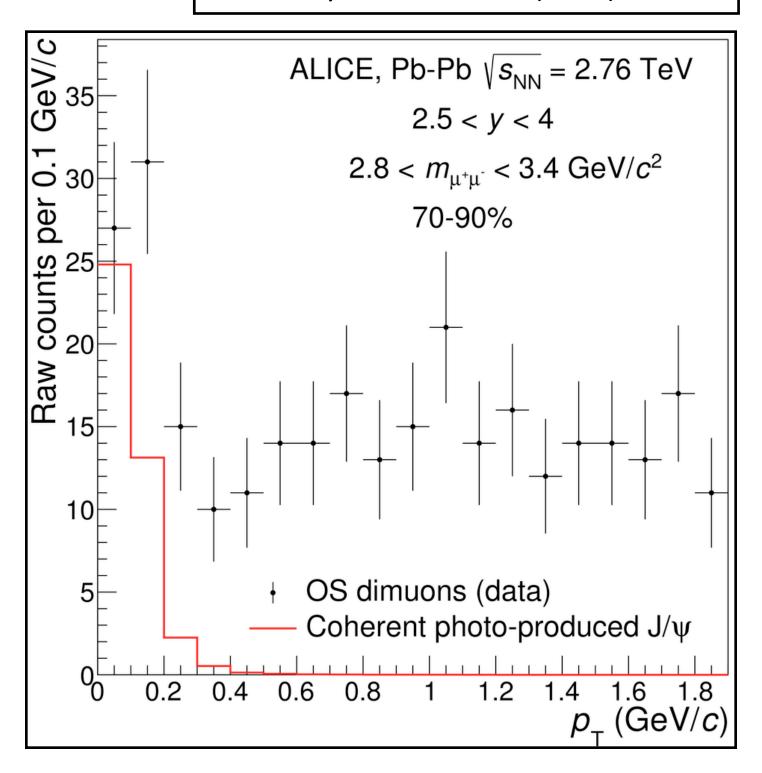
ALICE: Phys.Lett. B718 (2013) 1273-1283 and Eur. Phys. J. C (2013) 73:2617



1.0±0.18(stat.)±0.25(syst.) mb

In UPC collisions:
Measurements at mid and forward rapidities

ALICE: Phys.Rev.Lett. 116 (2016) 222301



59±11(stat.)±12(syst.) pb

In peripheral collisions: at forward rapiditities

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The available statistics was small, so that the measurements were performed in wide rapidity bins, which means in a large energy range. It is not clear which rapidity to take as representative:

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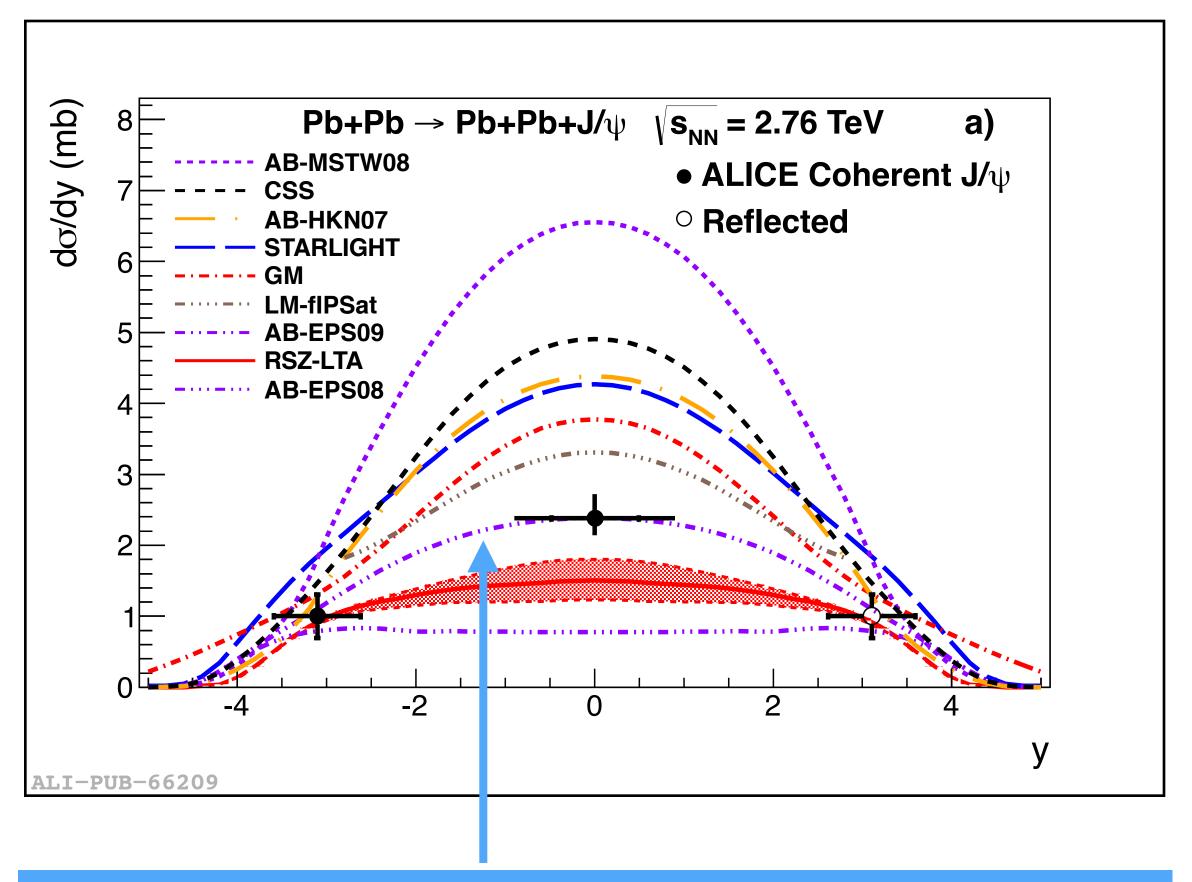
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We use this mode, which describes data

Shifting the UPC measurement

This method implicitly assumes that the measurements have been performed at the same rapidity

This is not so for the case of ALICE results, where two different rapidity ranges were used:

UPC: -3.6<y<-2.6, peripheral -4<y<-2.5

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Models have been used to shift the UPC measurement to the peripheral range

TABLE II. Ratios of the $d\sigma_{PbPb}^{U}/dy$ at |y| = 3.1 to that at |y| = 3.25 for five different models.

Model	<u>13</u>	<u>15</u>	<u>16</u>	17	18
Ratio	1.10	1.12	1.12	1.17	1.09

Here,
$$[13]$$
 = Starlight, $[15]$ = RSZ, $[16]$ = AB, $[17]$ = CSS and $[18]$ = GM

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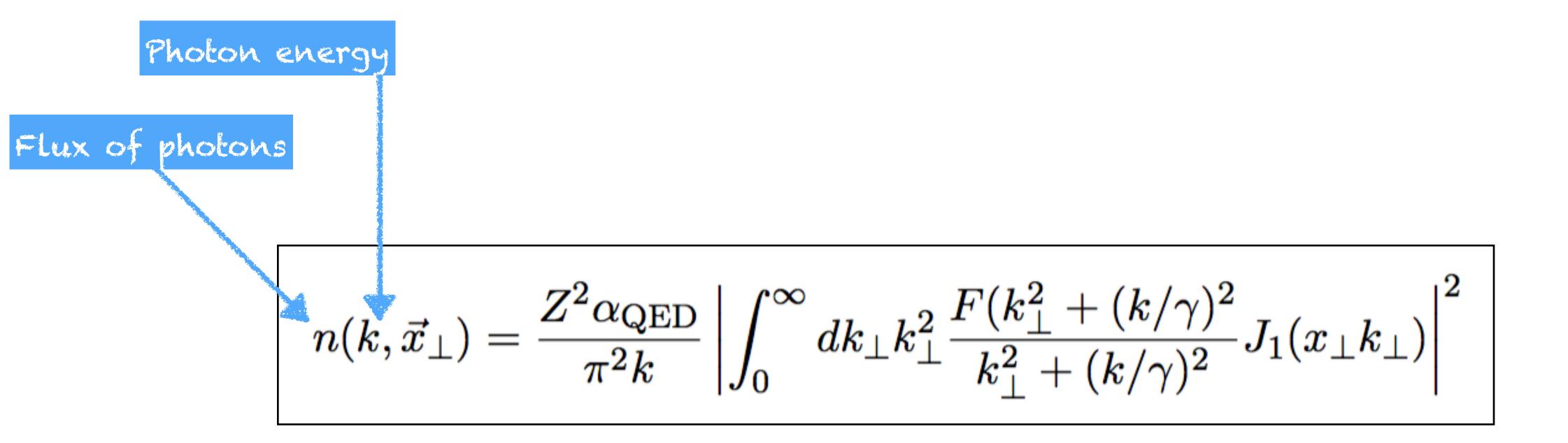
This model describes best the measured data. It has been used to shift the UPC measurement and also to compute the weighted mean of rapidity in a range.

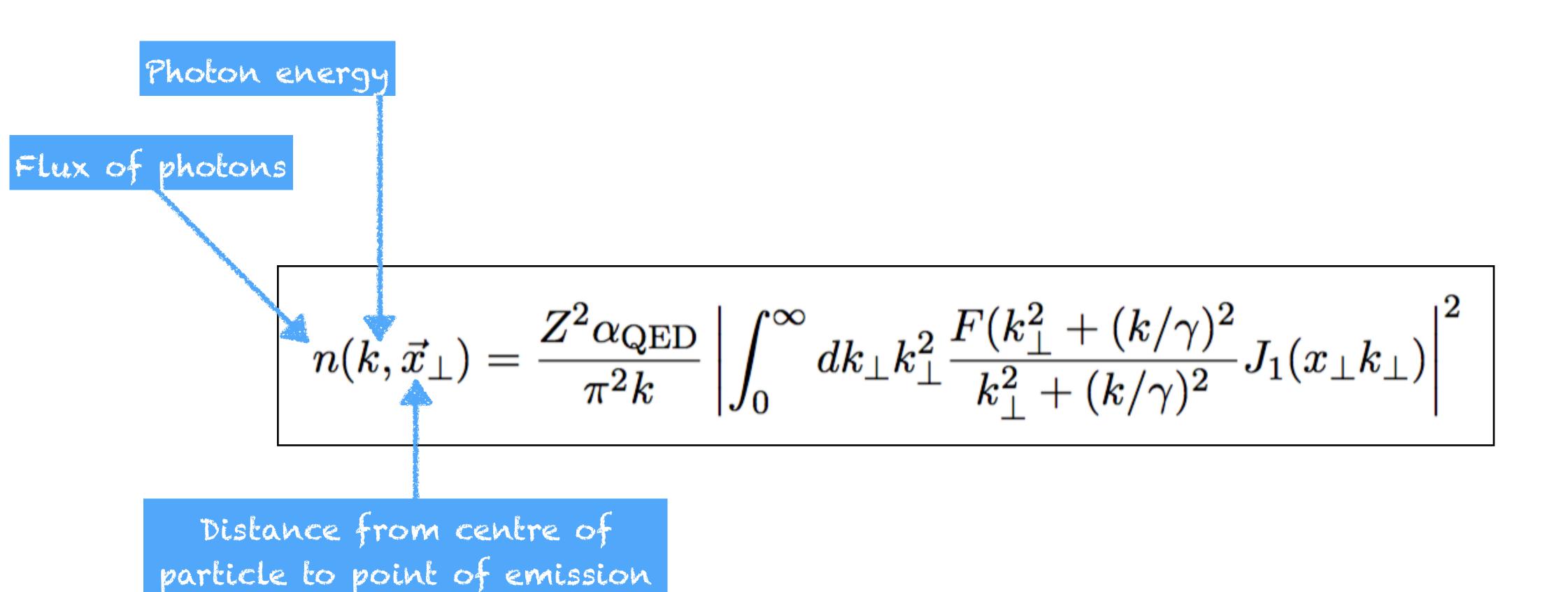
Photon flux

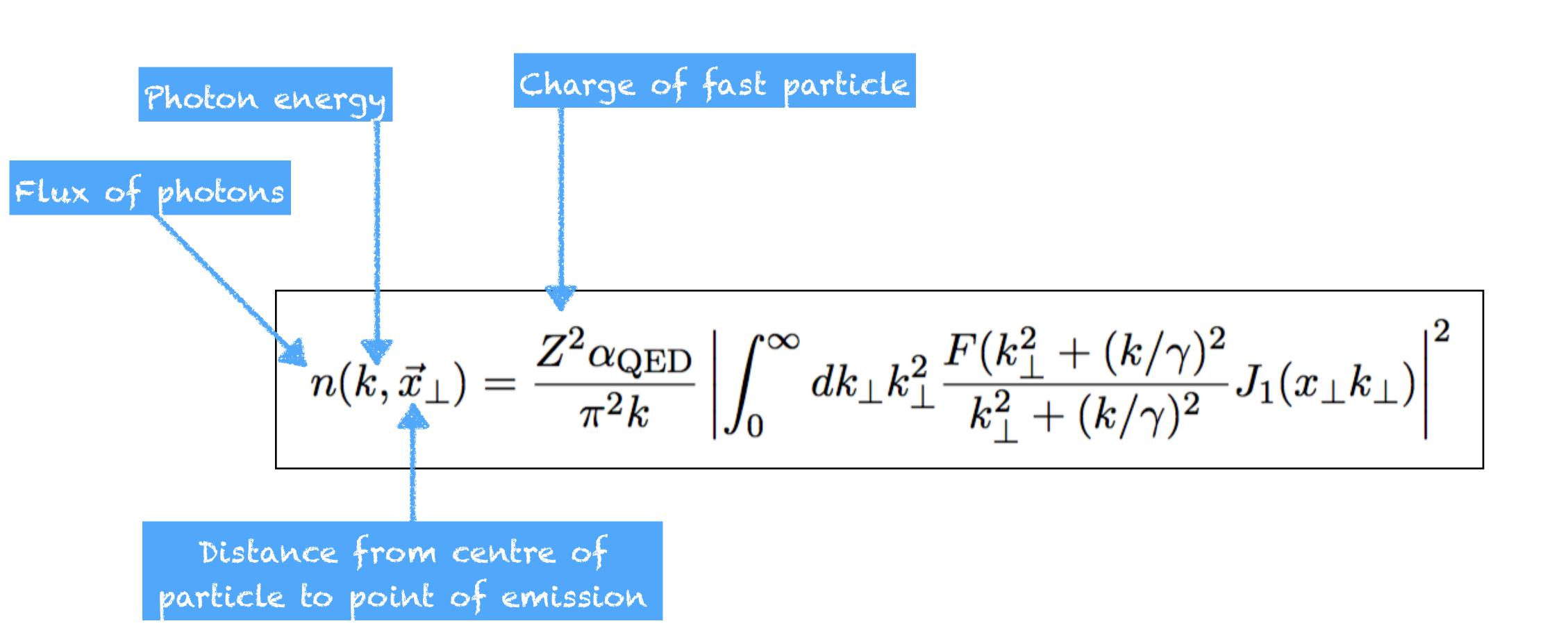
$$n(k, \vec{x}_{\perp}) = rac{Z^2 lpha_{
m QED}}{\pi^2 k} \left| \int_0^{\infty} dk_{\perp} k_{\perp}^2 rac{F(k_{\perp}^2 + (k/\gamma)^2)}{k_{\perp}^2 + (k/\gamma)^2} J_1(x_{\perp} k_{\perp}) \right|^2$$

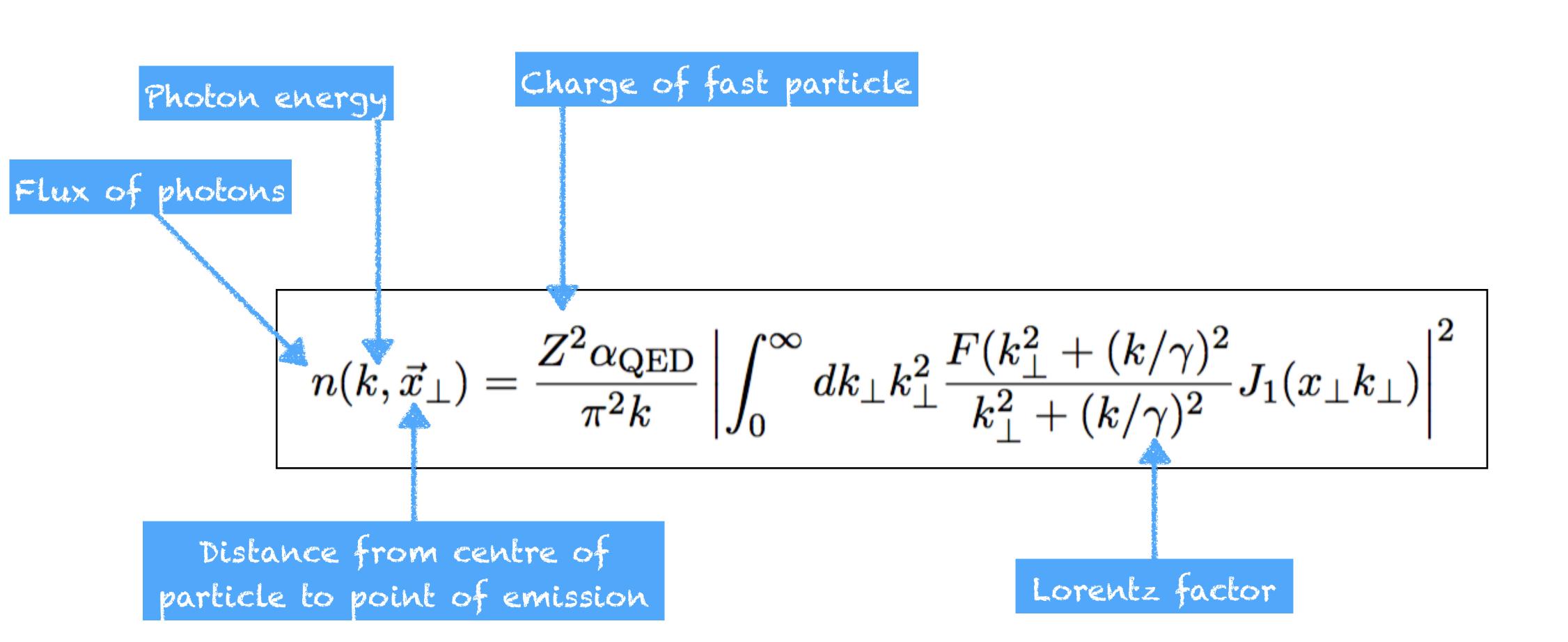
Flux of photons

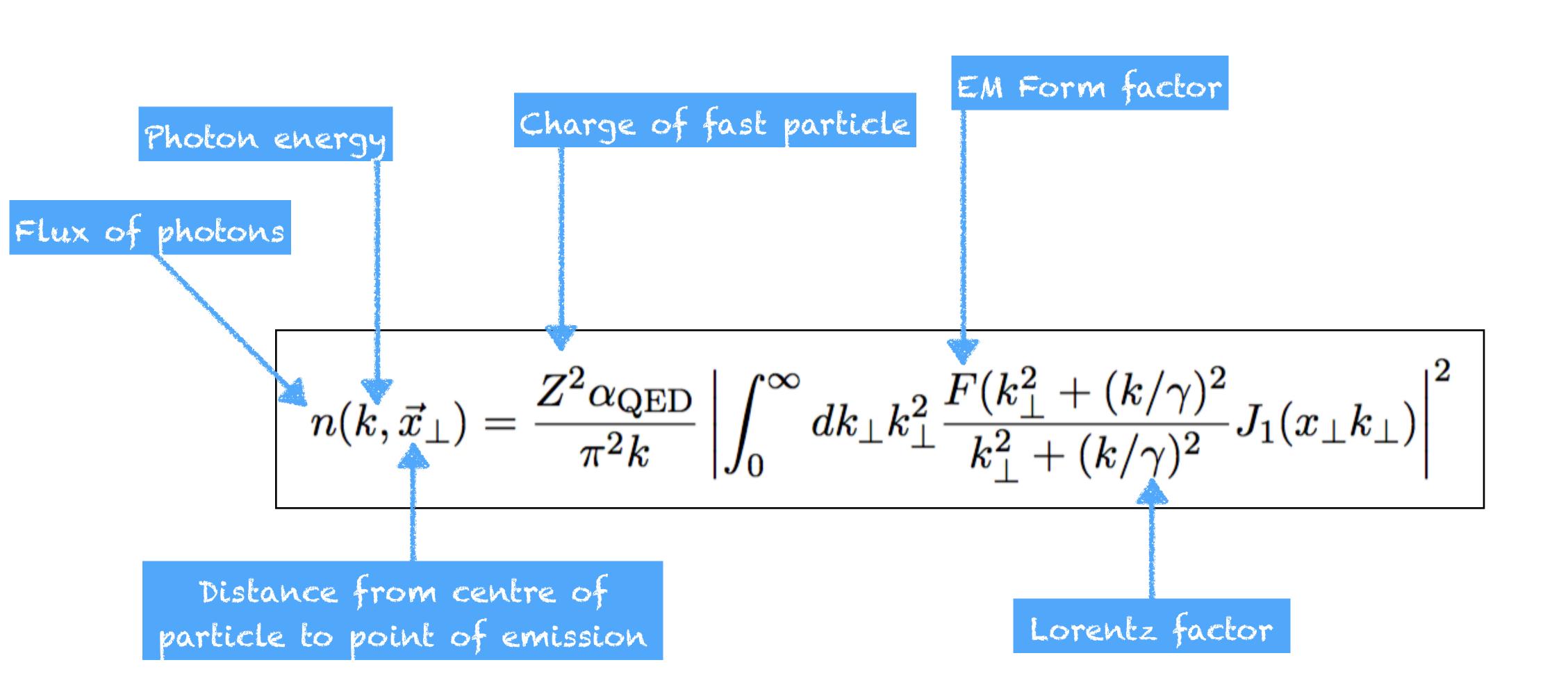
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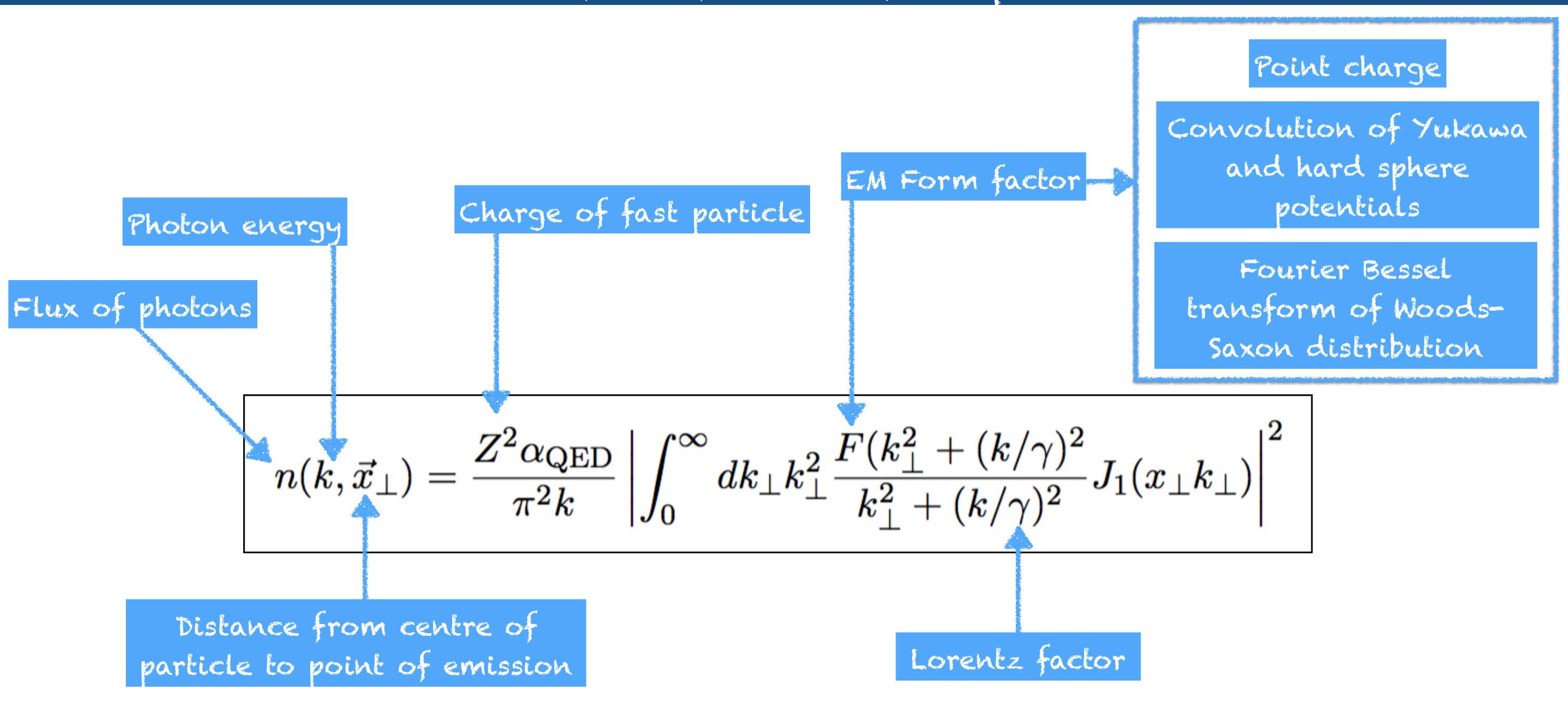












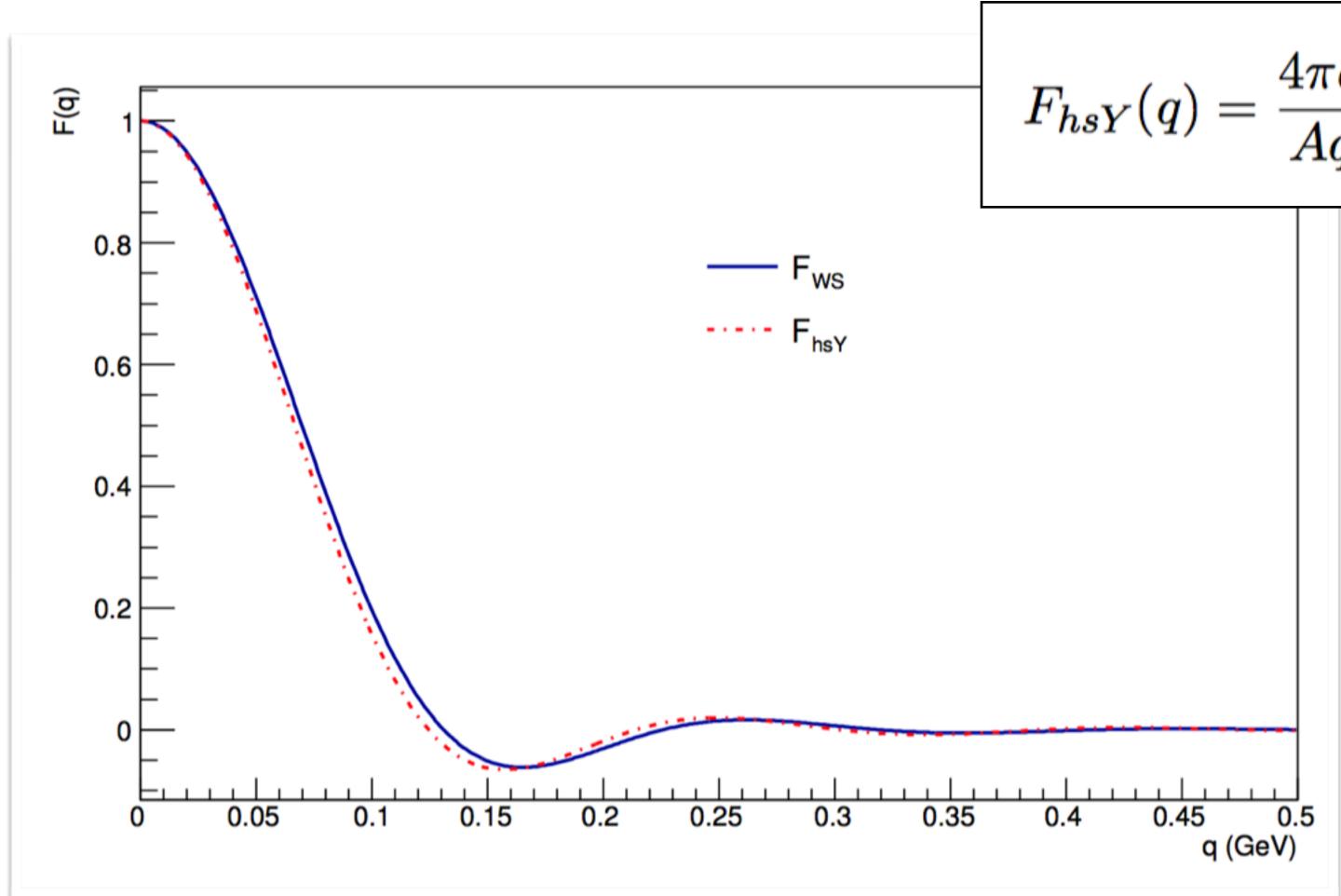
Form factor for a point charge

$$F_{pc}(q) = 1$$

integral can be done analytically

$$n_{pc}(k,ec{x}_{\perp}) = rac{Z^2lpha_{
m QED}k}{\pi^2\gamma^2} K_1^2(kx_{\perp}/\gamma)$$

Other form factors for Pb

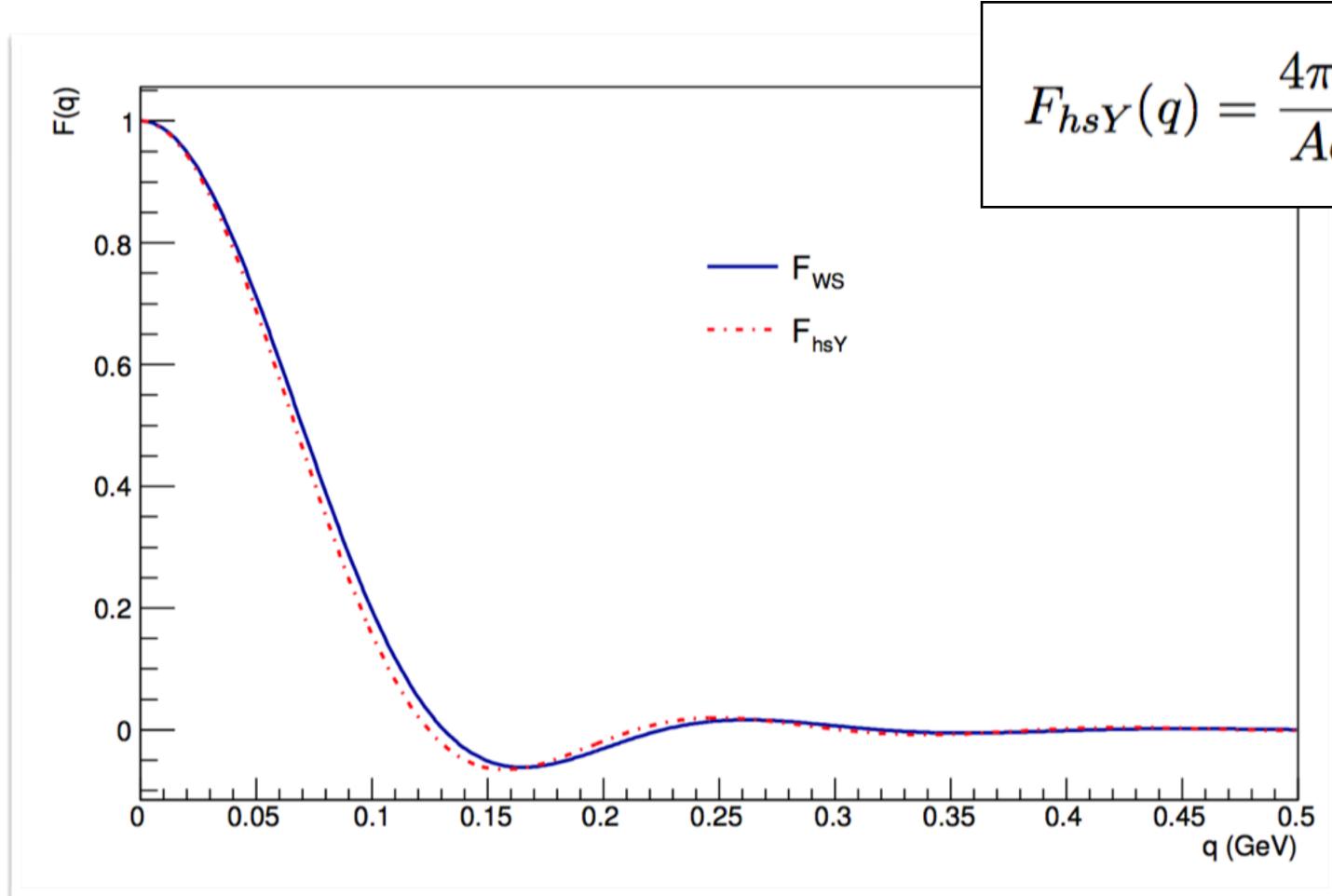


$$F_{hsY}(q) = \frac{4\pi d_0}{Aq^3} \left[\sin(qR_A) - qR_A \cos(qR_A) \right] \left(\frac{1}{1 + a^2q^2} \right)$$

$$F_{WS}(q) = rac{4\pi}{qA} \int
ho(r) \sin(rq) r dr$$

$$\rho(r) = \frac{\rho_0}{1 + \exp(\frac{r - r_A}{z})}$$

Other form factors for Pb



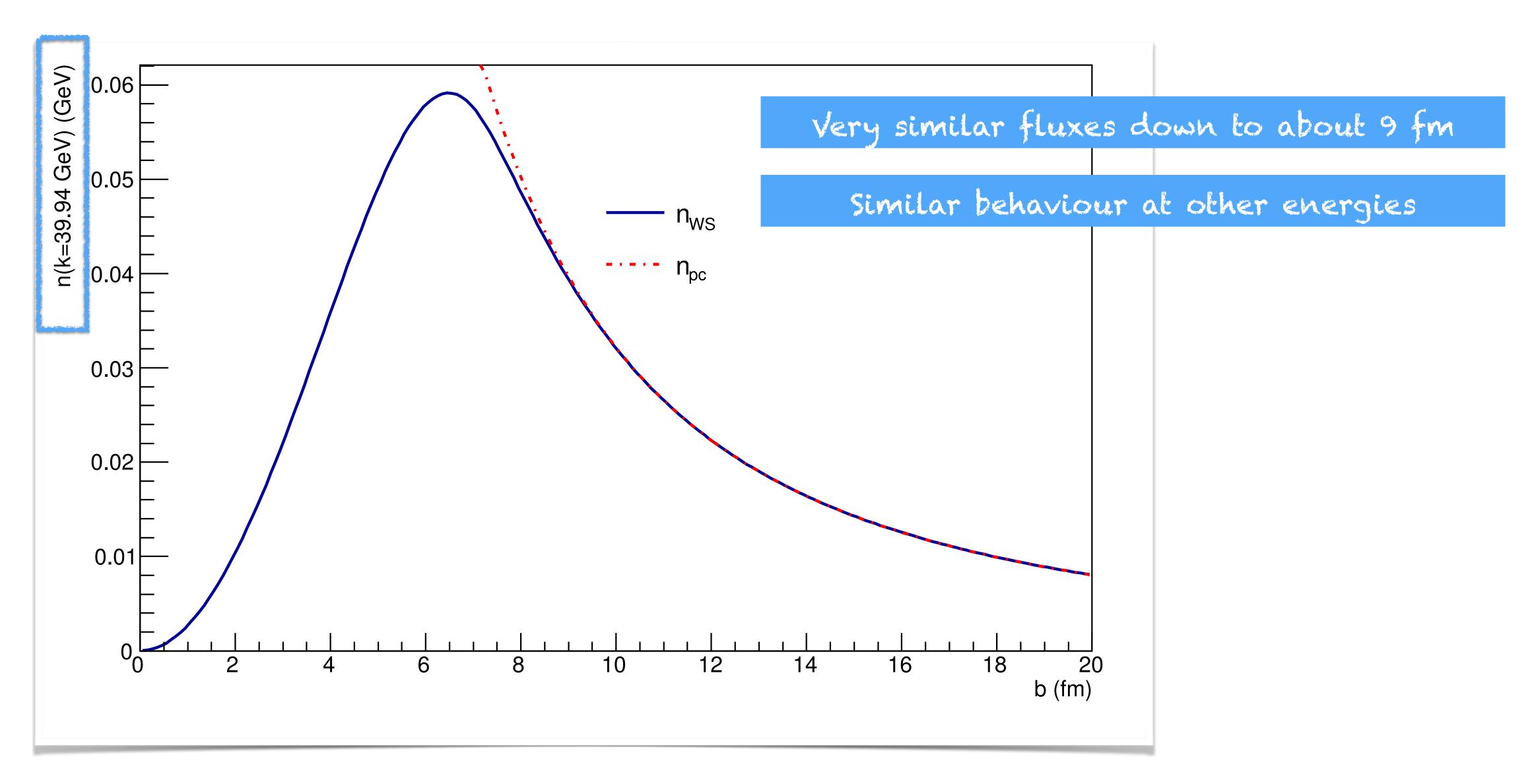
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Very similar -> use convolution of hard sphere and Yukawa potential

Fluxes from Pb: point charge vs hsy form factors



$$n^{U}(y) = k \int_{0}^{\infty} db 2\pi b P_{NH}(b) \int_{0}^{r_{A}} \frac{r dr}{\pi r_{A}^{2}} \int_{0}^{2\pi} d\phi n(k, b + r \cos(\phi))$$

the flux at a point

$$n^{U}(y) = k \int_{0}^{\infty} db 2\pi b P_{NH}(b) \int_{0}^{r_{A}} \frac{r dr}{\pi r_{A}^{2}} \int_{0}^{2\pi} d\phi n(k, b + r \cos(\phi))$$

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Probability of no hadronic interaction

Nuclear thickness

$$T_A(ec r) = \int dz
ho(\sqrt{|ec r|^2+z^2})$$

$$T_{AA}(|ec{b}|) = \int d^2ec{r} T_A(ec{r}) T_A(ec{r}-ec{b})$$

Nuclear overlap

$$P_{NH}(b) = \exp(-T_{AA}\sigma_{NN})$$

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Probability of no hadronic interaction

Average over target surface

Flux in peripheral collisions

Integration limits given by centrality class

$$n^P(y) = k \int_{b_{\min}}^{b_{\max}} db 2\pi b \left(1 - P_{NH}(b)\right) \int_0^{r_A} \frac{r dr}{\pi r_A^2} \int_0^{2\pi} d\phi n(k, b + r\cos(\phi))$$

Probability of hadronic interaction

Extracted 1Pb cross section

Coherent photonuclear cross section

Using the procedure outlined previously, when using the bin centre as the representative rapidity:

$$\sigma_{\gamma Pb}(W_{\gamma Pb} = 18.2 \text{ GeV})$$

= 5.2 ± 1.0 (stat.) ± 1.0 (syst.) μb ,

$$\sigma_{\gamma Pb}(W_{\gamma Pb} = 92.4 \text{ GeV})$$

= $17.9^{+2.6}_{-1.8} \text{ (stat. + syst.) } \mu \text{b},$

$$\begin{split} \sigma_{\gamma \rm Pb}(W_{\gamma \rm Pb} &= 469.5 \ {\rm GeV}) \\ &= 38.1 \pm 15.0 \ ({\rm stat.}) \ ^{+9.9}_{-11.3} \ ({\rm syst.}) \ \mu \rm b. \end{split}$$

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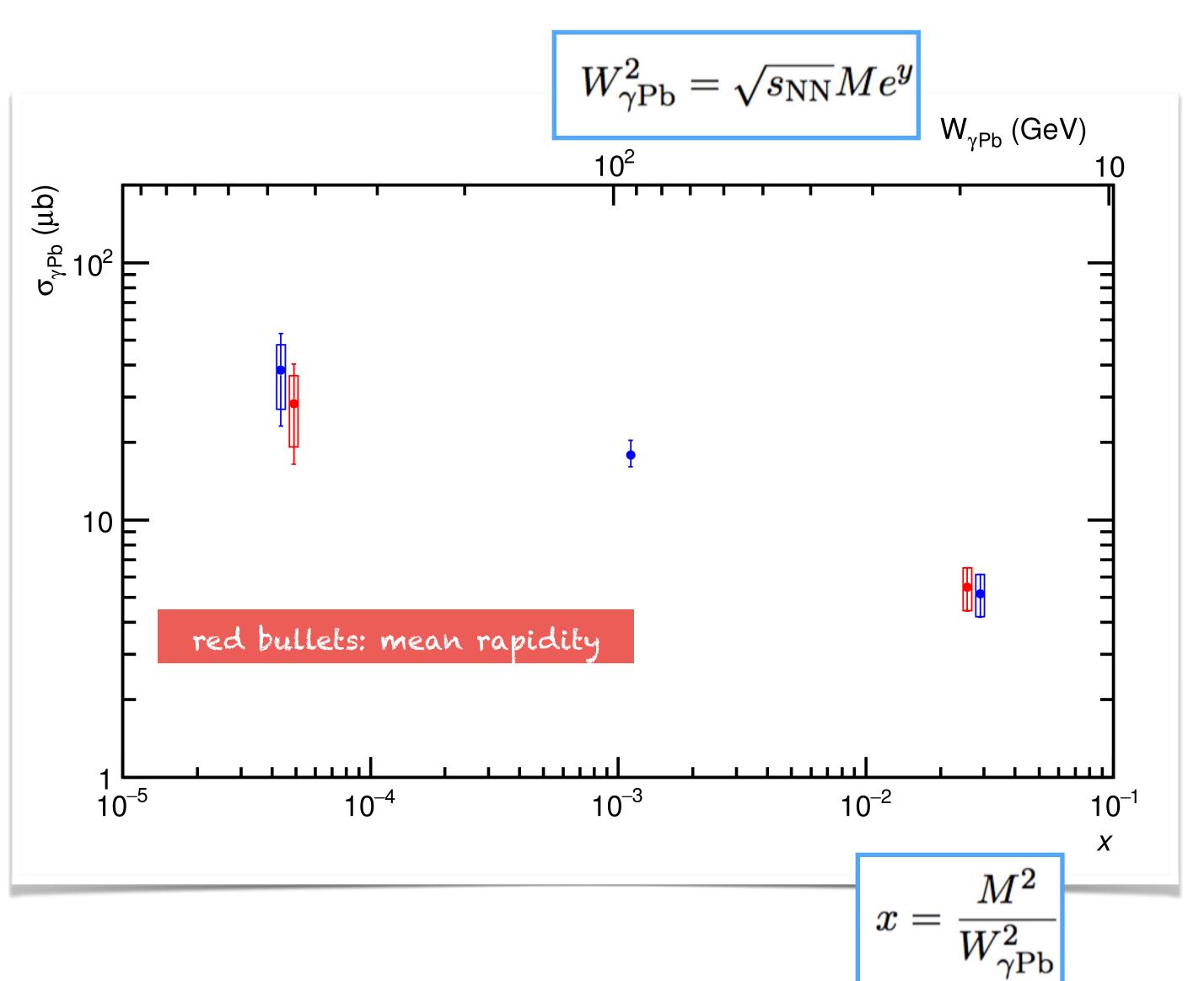
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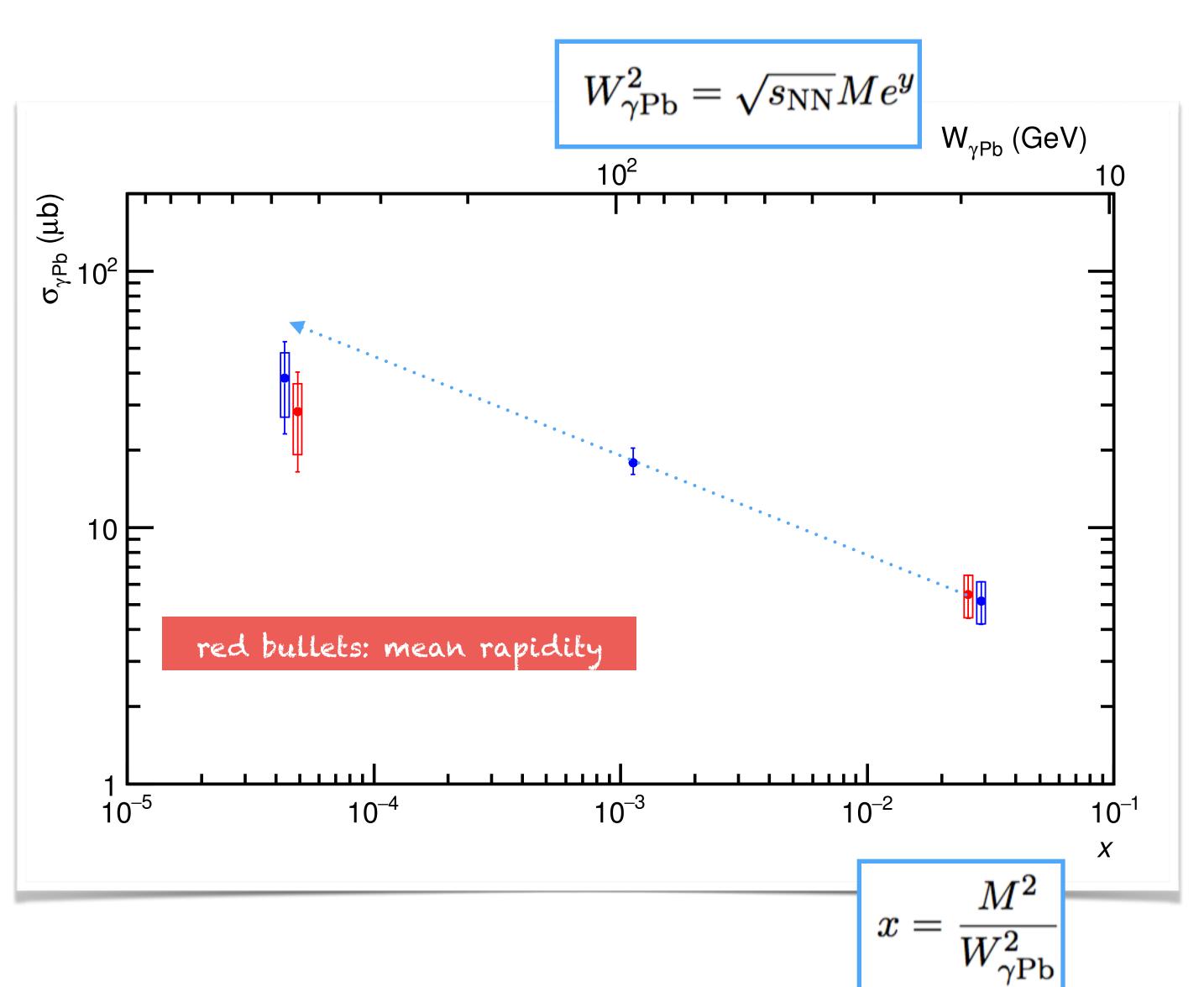
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Suppression factor

Extracting the nuclear suppression factor

Nuclear suppression factor $S_{\rm Pb}(W_{\gamma \rm Pb}) = \left(\frac{\sigma_{\gamma \rm Pb}^{\rm data}(W_{\gamma \rm Pb})}{\sigma_{\gamma \rm Pb}^{\rm IA}(W_{\gamma \rm Pb})}\right)^{1/2}$

Extracting the nuclear suppression factor

Data from the procedure just described

Nuclear suppression factor
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Impulse approximation

$$\sigma_{\gamma Pb}^{IA}(W_{\gamma Pb}) = \frac{d\sigma_{\gamma p}(W_{\gamma p} = W_{\gamma Pb}, t = 0)}{dt} \Phi_{Pb}(|t|_{min}).$$



From HERA data

$$\Phi_{\text{Pb}}(|t|_{\text{min}}) = \int_{|t|_{\text{min}}}^{\infty} d|t| |F_{WS}(t)|^2$$

The nuclear suppression factor

Using the previous formulas

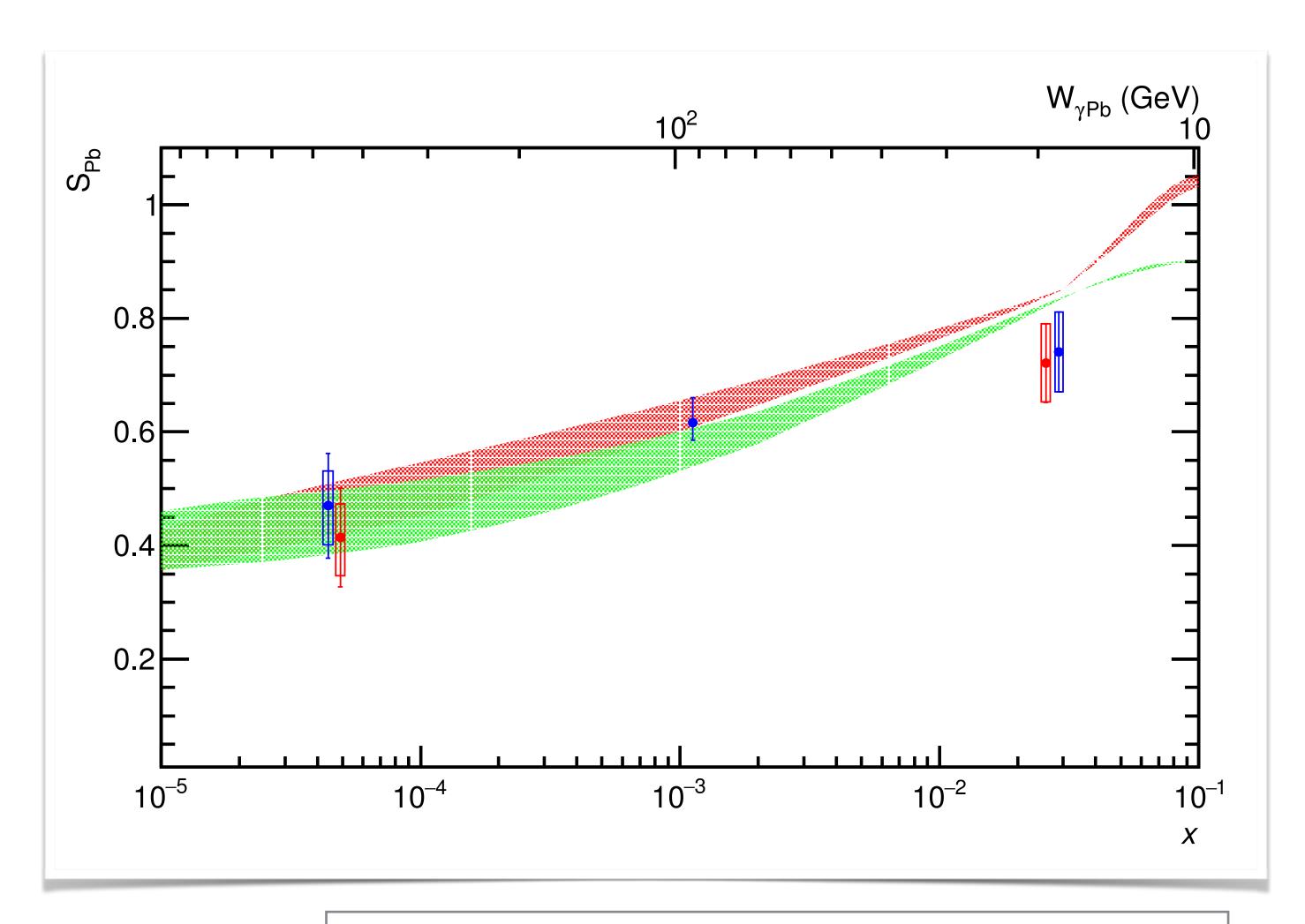
$$S_{\text{Pb}}(W_{\gamma \text{Pb}} = 18.2 \text{ GeV})$$

= $0.74 \pm 0.07 \text{ (stat.)} \pm 0.07 \text{ (syst.)},$

$$S_{\text{Pb}}(W_{\gamma \text{Pb}} = 92.4 \text{ GeV}) = 0.62^{+0.04}_{-0.03} \text{ (stat. + syst.)}$$

$$S_{\text{Pb}}(W_{\gamma \text{Pb}} = 469.5 \text{ GeV})$$

= $0.47 \pm 0.09 \text{ (stat.)} ^{+0.06}_{-0.07} \text{ (syst.)}.$



LTA from: V. Guzey, M. Zhalov, JHEP 10 (2013) 207

Thanks to Vadim for the LTA curves

Summary and outlook

- Using peripheral and ultra-peripheral data it is possible to extract the photonuclear coherent cross section at different rapidities/centre-of-mass energies/Bjorken-x values
- The main assumption is that one can use the standard formalism for the photon fluxes. This is justified, for the current somehow large experimental errors, because
 - The shape of the pt distribution for j/psi in the centrality class 70-90 is compatible with the distribution obtained for UPC
 - · The number of participants in this centrality class is small
- · Using the extracted cross sections one can construct a nuclear suppression factor to allow a directer evaluation of nuclear shadowing and an easy comparison to different models.