

Production of extra quarks decaying to Dark Matter at the LHC beyond the Narrow Width Approximation

Hugo Prager
S. Moretti, D. O'Brien, L. Panizzi

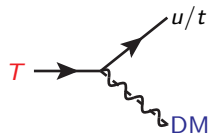
arxiv:1704.xxxxx

DIS, Birmingham
April, 2017

Introduction

- Existence of new **eXtra-Quarks (XQs)** besides the Standard Model (SM) ones? \rightarrow some predicted by BSM models.
- **Dark Matter (DM)** missing in the SM \rightarrow different candidates predicted by BSM models.

- Consider a simplified model where DM is scalar or vector produced through the decay of an **extra charged quark (XQ)**. New particles odd under a \mathbb{Z}_2 symmetry. Representative of UED models amongst others.



- Same signatures with MET than SUSY \rightarrow possible to interpret SUSY results in the Narrow-Width Approximation (NWA) in terms of limits on XQs (arXiv:1607.0205)
- \Rightarrow **Goal:** From a model-independent analysis, we want to evaluate the **effects of large width** in the determination of the cross-section and in the reinterpretation of bounds from experimental searches

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 - Lagrangian
 - Observables and conventions
 - Monte Carlo analysis tools
- 2 Final states with third generation SM quarks
 - Large width effects at parton level
 - Large width effects at detector level
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Lagrangian for singlet DM

Interaction terms between *singlet* DM and the new quarks (coupling to first generation):

$$\mathcal{L}_1^S = \left[\lambda_{11}^u \bar{T} P_R u + \lambda_{11}^d \bar{B} P_R d + \lambda_{21} \bar{\Psi}_{1/6} P_L \begin{pmatrix} u \\ d \end{pmatrix} \right] S_{DM}^0 + h.c.$$

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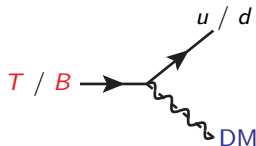
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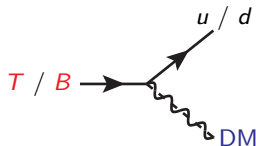
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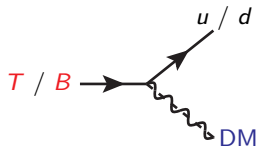
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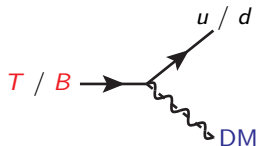
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⇒ Here we will only focus on VLQ singlet T .

Observables and conventions

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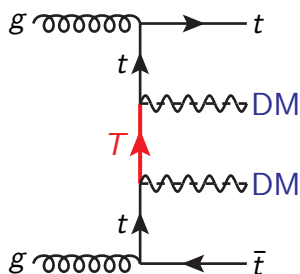
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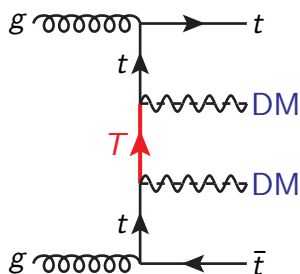
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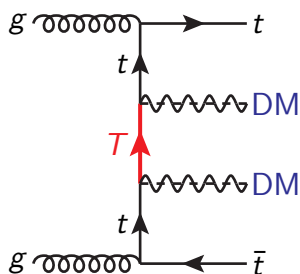
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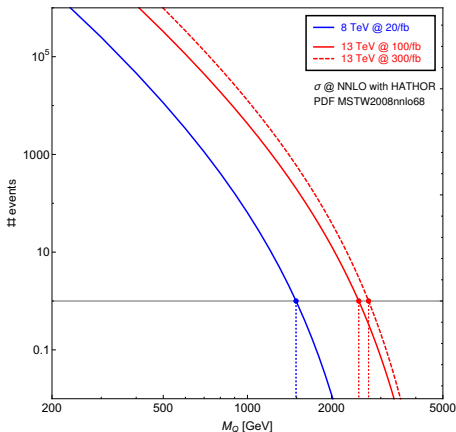


$\Rightarrow (\sigma_S - \sigma_X)/\sigma_X$ measures how much the full signal differs from the NWA one.

Final states and range of validity

Focus on XQs coupling to 1st and 3rd generation, final states considered:

$$T\bar{T} \rightarrow \{S_{DM}^0 S_{DM}^0 u \bar{u}, S_{DM}^0 S_{DM}^0 t \bar{t}, V_{DM}^0 V_{DM}^0 u \bar{u}, V_{DM}^0 V_{DM}^0 t \bar{t}\}.$$



Analysis only interesting for mass values for which the number of final events is larger than 1 \rightarrow ideal practical validity of our results is limited to mass values of around

- 1500 GeV for LHC@8TeV,
- 2500 GeV for LHC@13TeV with 100/fb integrated luminosity,
- 2700 GeV for LHC@13TeV with 300/fb integrated luminosity.

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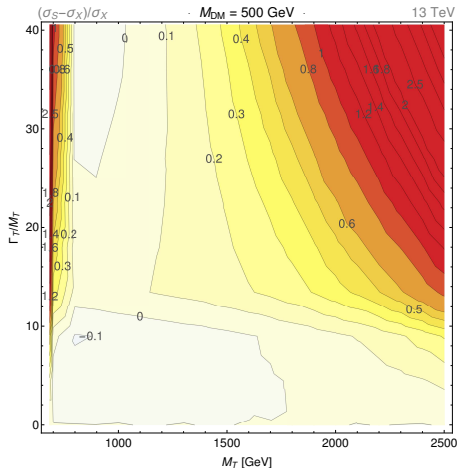
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Parton-level results for 3rd generation

Final state $t\bar{t} + DM$, i.e. $t\bar{t} + \cancel{E}_T$.

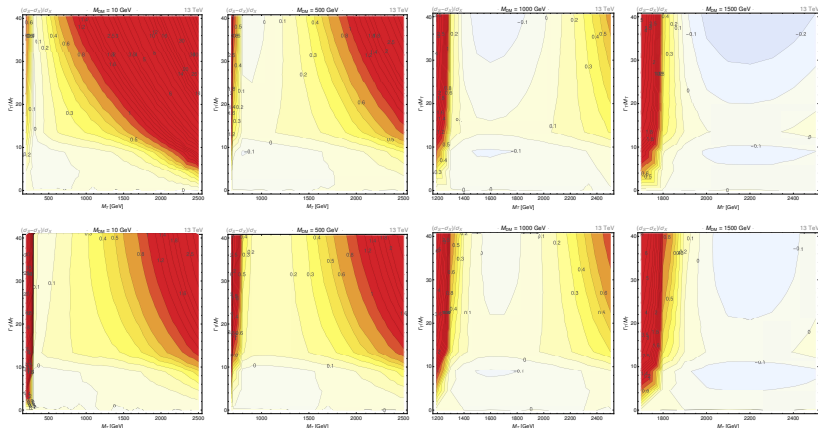
$(\sigma_S - \sigma_X)/\sigma_X$ plotted for 13 TeV (results at 8 TeV are analogous).



Scalar DM

- $\sigma_X \sim \sigma_S$ in the NWA,
- $\sigma_X \lesssim \sigma_S$ when Γ_T increases, especially when $M_T \simeq M_{DM} + m_t$ (*threshold effect*),
- $M_T \simeq 1000$ GeV: cancellation of effects which makes $\sigma_X \sim \sigma_S$ even for large values of Γ_T .

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Main conclusions:

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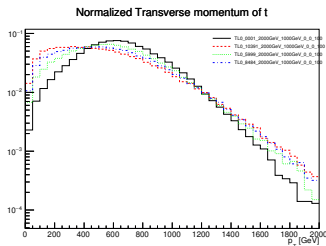
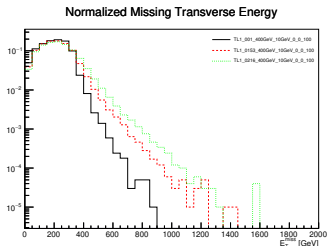
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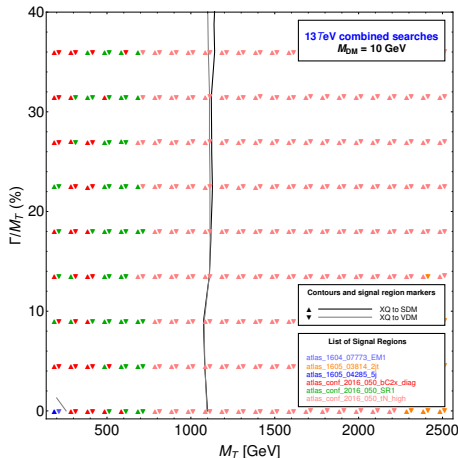
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Differential distributions along the cancellation line for a scalar (vector) DM, $M_{DM} = 1000$ GeV (10 GeV) and $M_T = 2000$ GeV (400 GeV) on the left (right), for different values of Γ_T/M_T .

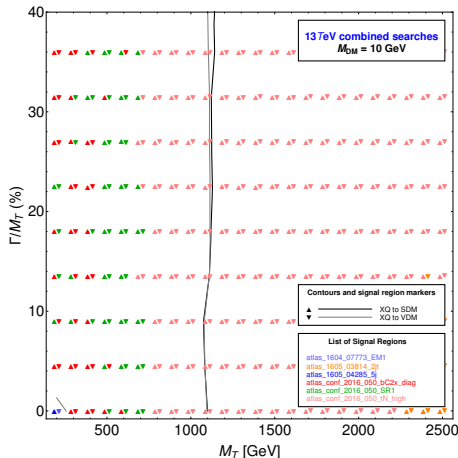
CheckMATE results for 3rd generation

Bounds obtained with CheckMATE using all the 13 TeV searches available



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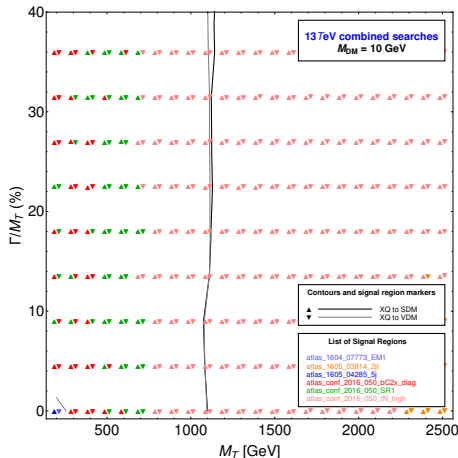
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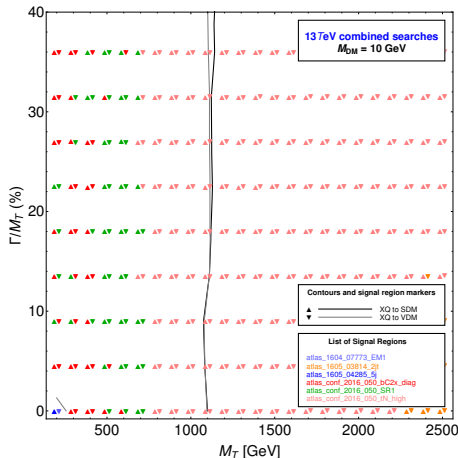
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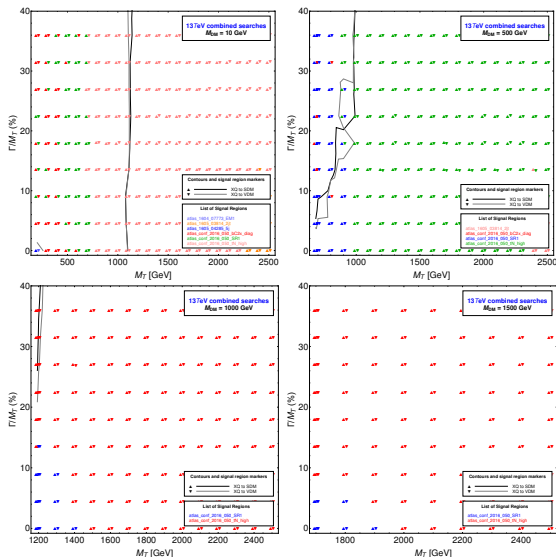
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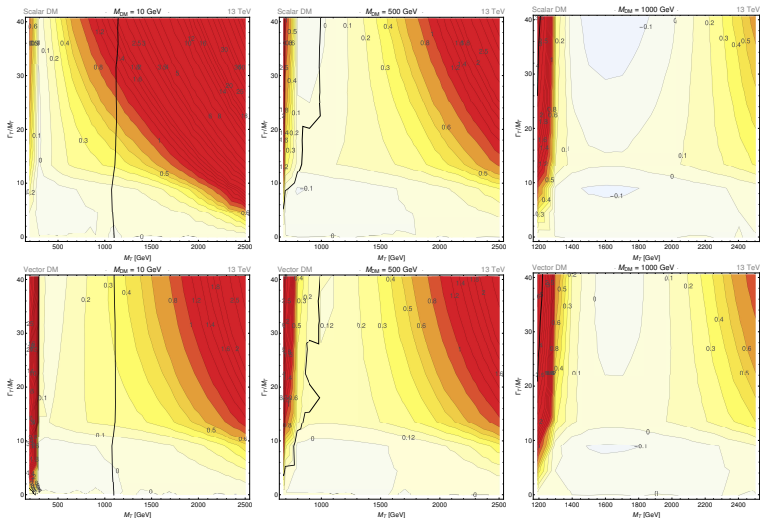


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- Point in the bottom left corner not excluded, with $r_{max} \sim 0 \rightarrow$ influence of the **top background**.

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Combined plots



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- ⇒ **Hypothesis made for experimental searches are conservative** because the signal cross section generally increases when the VLQ width becomes larger which makes the bounds stronger. Yet this CS increase is sometimes suppressed by the analysis cuts → possibility to have stronger bounds on XQs with large width?

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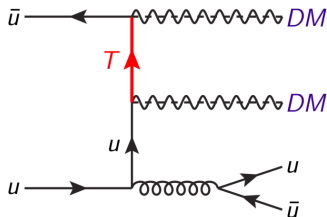
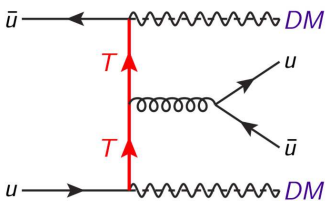
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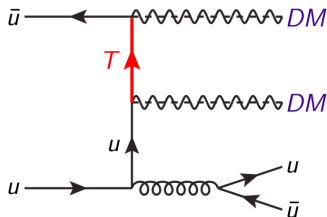
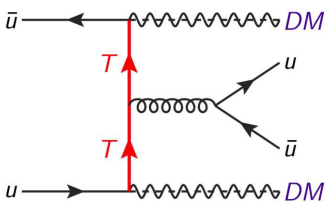
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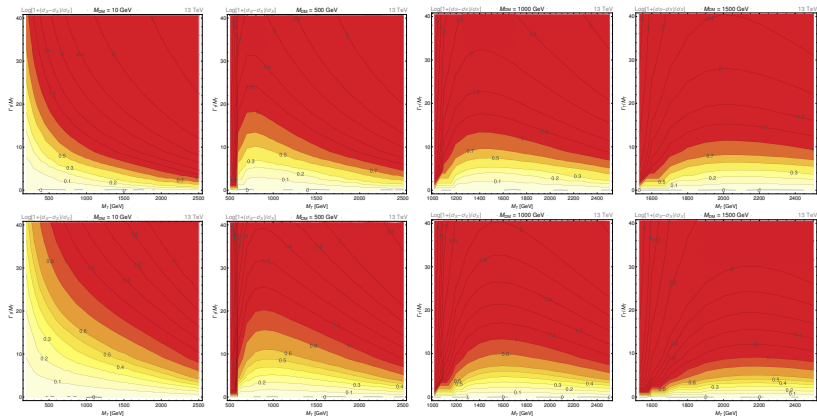
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These topologies contribute to the signal and cannot be removed:
 σ_S affected, but not σ_X . Moreover these topologies contain collinear divergences due to the gluon splitting \rightarrow large increase of $(\sigma_S - \sigma_X)/\sigma_X$
 \rightarrow use of log plots

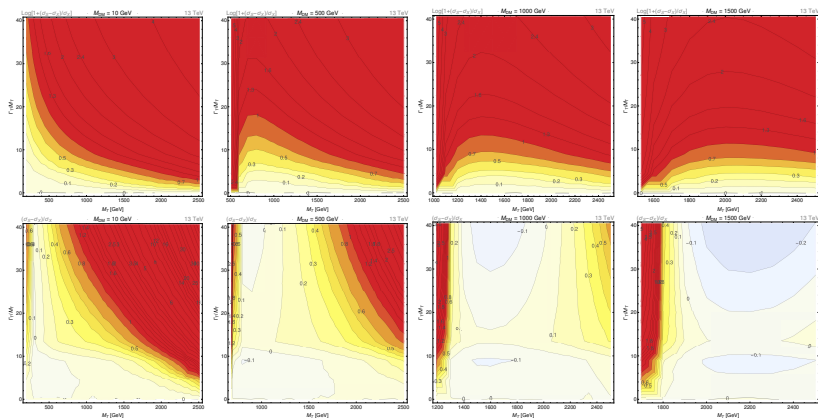
Parton-level results for 1st generation

$\text{Log}[1 + (\sigma_S - \sigma_X)/\sigma_X]$ plotted for an LHC energy of 13 TeV

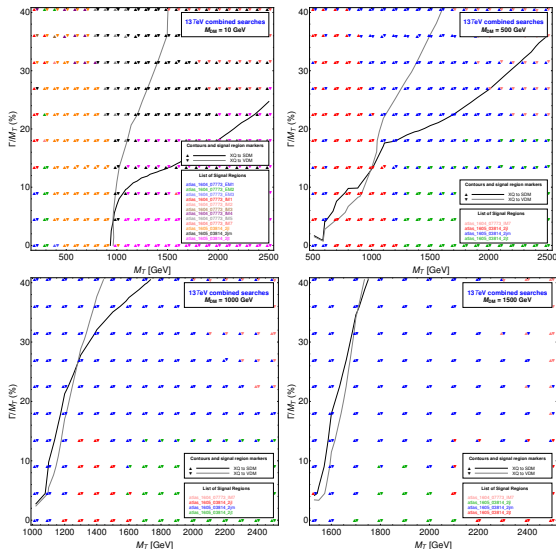


- $\sigma_X \sim \sigma_S$ in the NWA
- $\sigma_X \ll \sigma_S$ when Γ_τ increases \rightarrow due to the additional diagrams

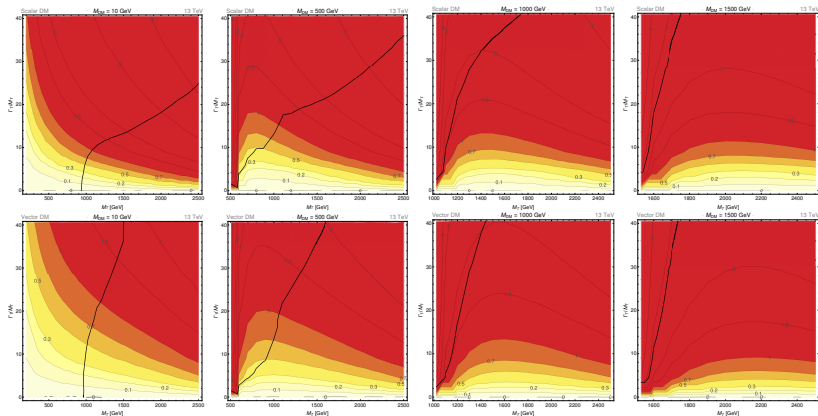
No cancellation of effects which makes σ_S similar to σ_X for large width, only a noticeable decrease of the CS ratio in regions that are very similar to the ones observed for 3rd generation \rightarrow cancellation of opposite effects + additional diagrams



CheckMATE results for 1st generation



Combined plots



Important differences with 3rd generation: **bounds have an important width dependence**, and they are **quite different for scalar and vector DM**, apart from in the NWA region.

Analysis and conclusions

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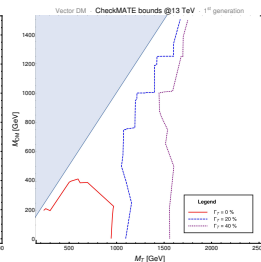
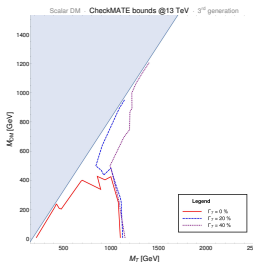
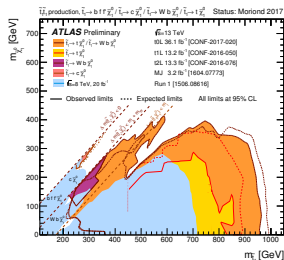
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- \Rightarrow **Hypothesis made by experimentalist conservative** since the bounds in the NWA are always weaker than the ones for large width. But bounds could be much stronger for large width, even reaching excluded values larger than $M_T = 2.5 \text{ TeV}$ in some cases!

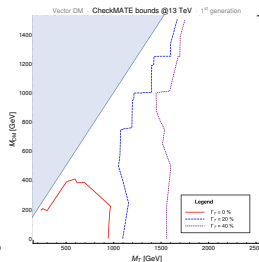
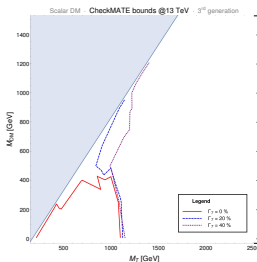
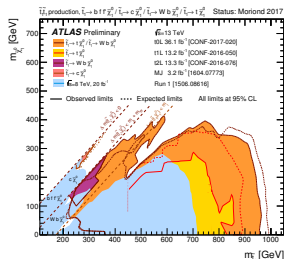
Plots in the mass plane [*preliminary results*]

Exclusion limits shown in the T - DM (similar to $\tilde{t}_1 - \tilde{\chi}_1^0$) mass plane for $\Gamma_T = 0, 20$ and 40% of M_T



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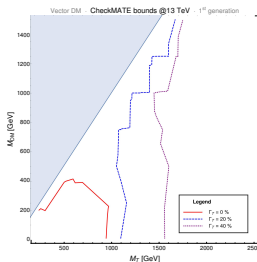
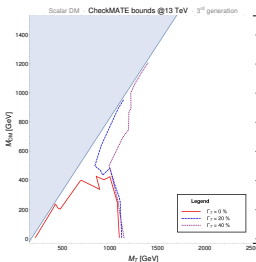
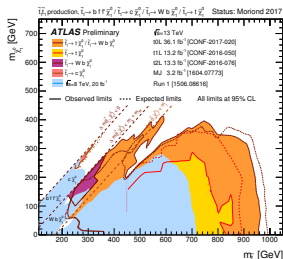
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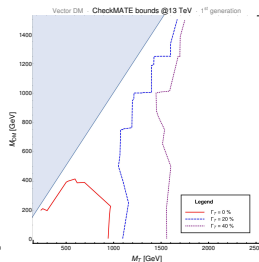
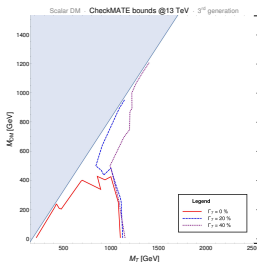
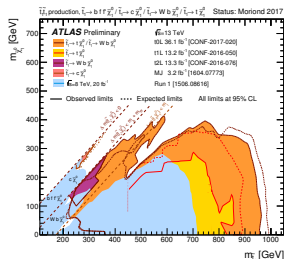
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- The **width dependence** is more important for 1st generation.

- 1 Model and conventions
 - Lagrangian
 - Observables and conventions
 - Monte Carlo analysis tools
- 2 Final states with third generation SM quarks
 - Large width effects at parton level
 - Large width effects at detector level
- 3 Final states with first generation SM quarks
 - Large width effects at parton level
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- 4 Conclusions

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- ongoing similar study with XQ decaying to SM particles instead of DM (arXiv:1603.0923).

Thank you for your attention.

Backup slides

Lagrangian for doublet DM

Interaction terms between *doublet* DM and the XQs coupling to first generation quarks:

$$\begin{aligned}
 \mathcal{L}_2^S &= \left[\lambda_{12}^d \bar{B} P_L \begin{pmatrix} u \\ d \end{pmatrix} + \lambda_{22}^d \bar{\Psi}_{1/6} P_R d + (\lambda_{22}^u)' \bar{\Psi}_{5/6} P_R u \right] \Sigma_{\text{DM}} \\
 &+ \left[\lambda_{12}^u \bar{T} P_L \begin{pmatrix} u \\ d \end{pmatrix} + \lambda_{22}^u \bar{\Psi}_{1/6} P_R u + (\lambda_{22}^d)' \bar{\Psi}_{-1/6} P_R d \right] \Sigma_{\text{DM}}^c \\
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where

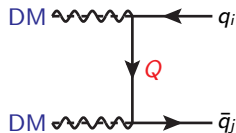
- T , B and $\Psi_{1/6} = (T \ B)^T$ extra quarks,
- $\Psi_{7/6} = (X_{5/3} \ T)^T$ and $\Psi_{-5/6} = (B \ Y_{-4/3})^T$ new doublets
- $\Sigma_{DM} = (S^+ \ S_{DM}^0)^T$ if scalar or as $\mathcal{V}_{DM} = (V^+ \ V_{DM}^0)^T$.

\Rightarrow **Non-minimal extension because of S^+/V^+ , $X_{5/3}$ and $Y_{-4/3}$**

Relic density

Value of the **relic density** driven by the annihilation of two DM particles (cf diagrams).
 Value of Ω_{DM} computed *numerically* using **MadDM** and compared to the experimental value

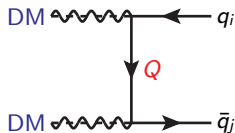
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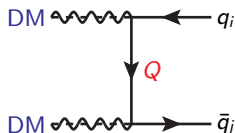


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- Overabundant region *excluded* but not underabundant one if multicomponent DM.
- Only main contribution considered (cf diagram) \rightarrow need to include photon Bremsstrahlung¹?

¹A. Ibarra et al., Sharp Gamma-ray Spectral Features from Scalar DM Annihilations
 F. Giacchino et al., Bremsstrahlung and Gamma Ray Lines in 3 Scenarios of DM Annihilation
 T. Toma, Internal Bremsstrahlung Signature of Real Scalar DM and Consistency with Thermal Relic Density