



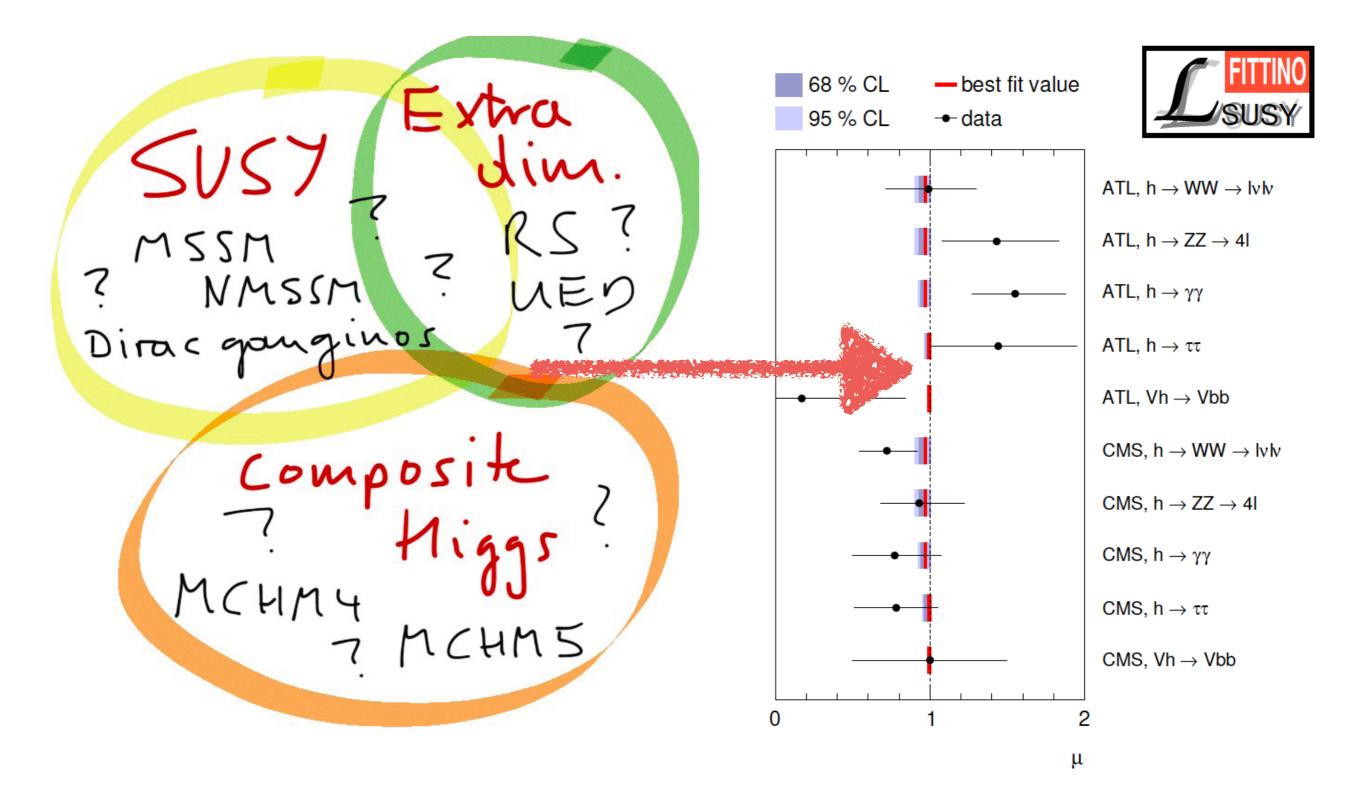
Michael Krämer (RWTH Aachen University)

with Matt Dolan, JoAnne Hewett and Tom Rizzo (JHEP 1607 (2016) 039)

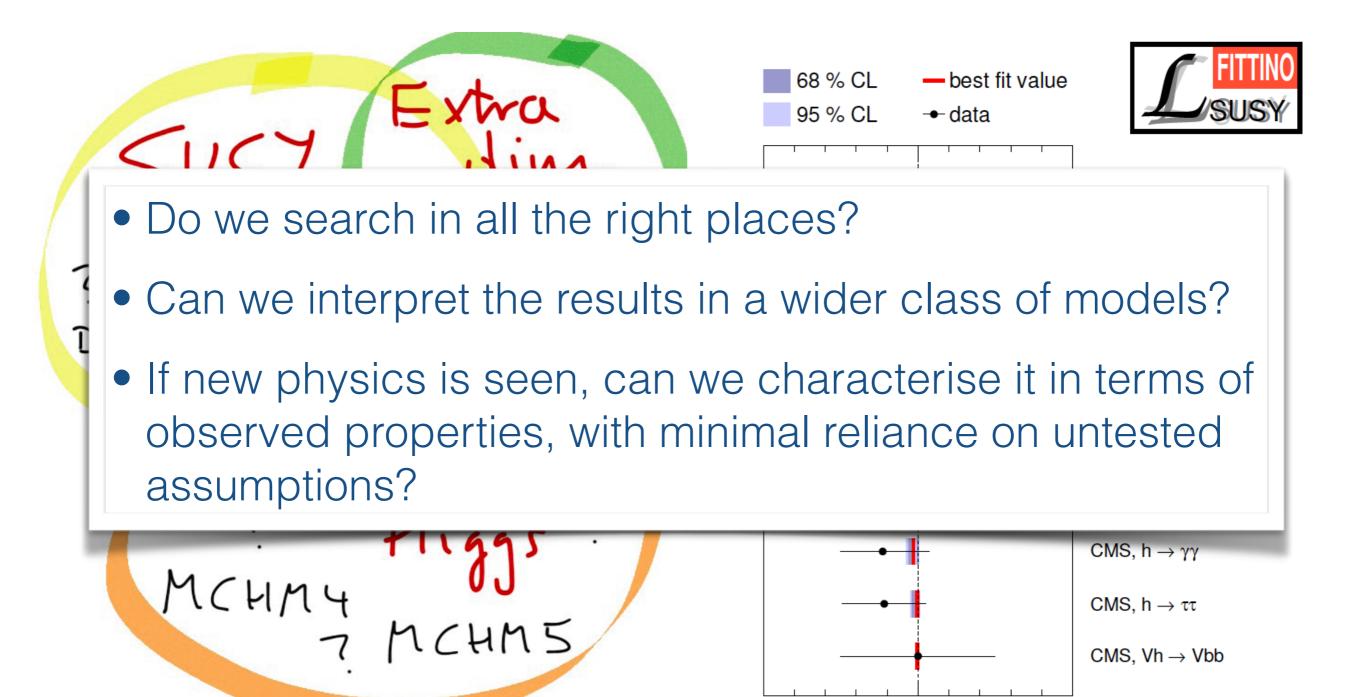




BSM models for Higgs physics: top-down



BSM models for Higgs physics: top-down

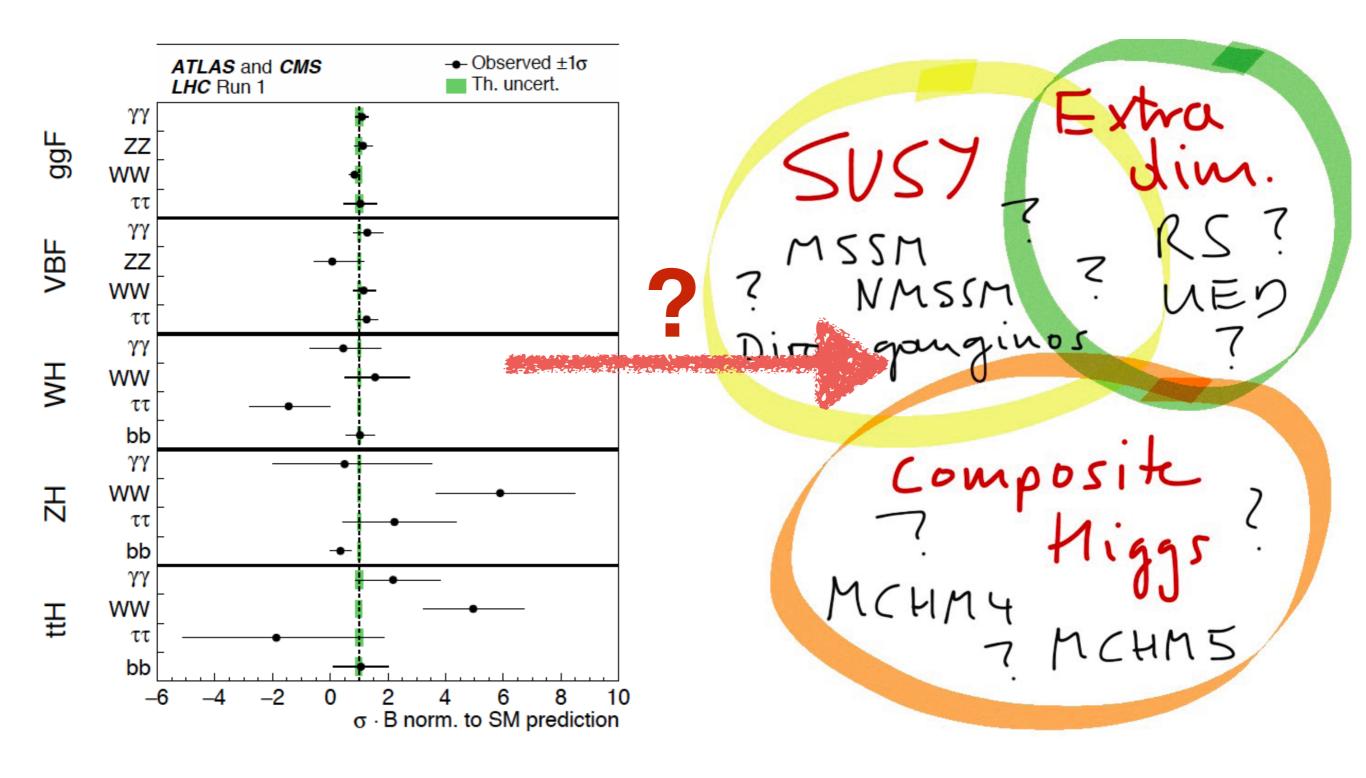


0

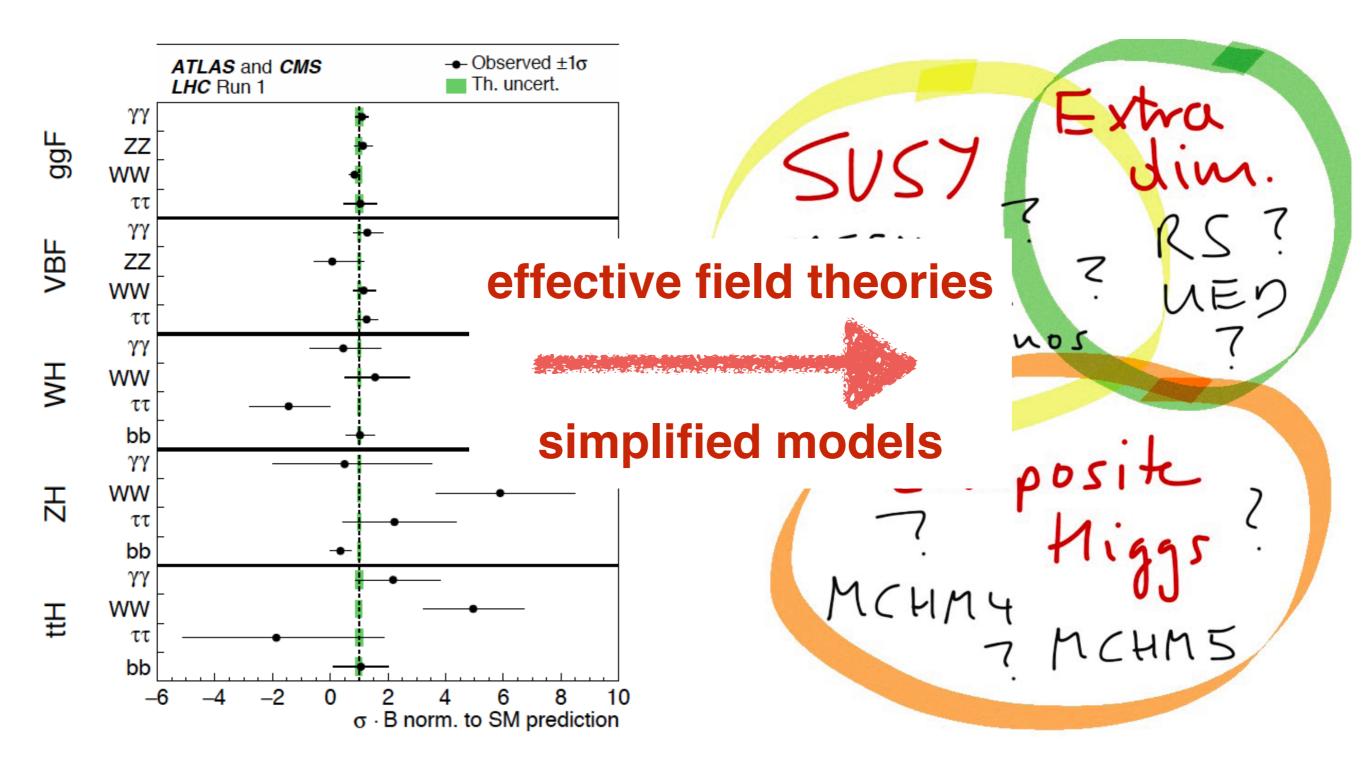
2

μ

BSM models for Higgs physics: bottom-up

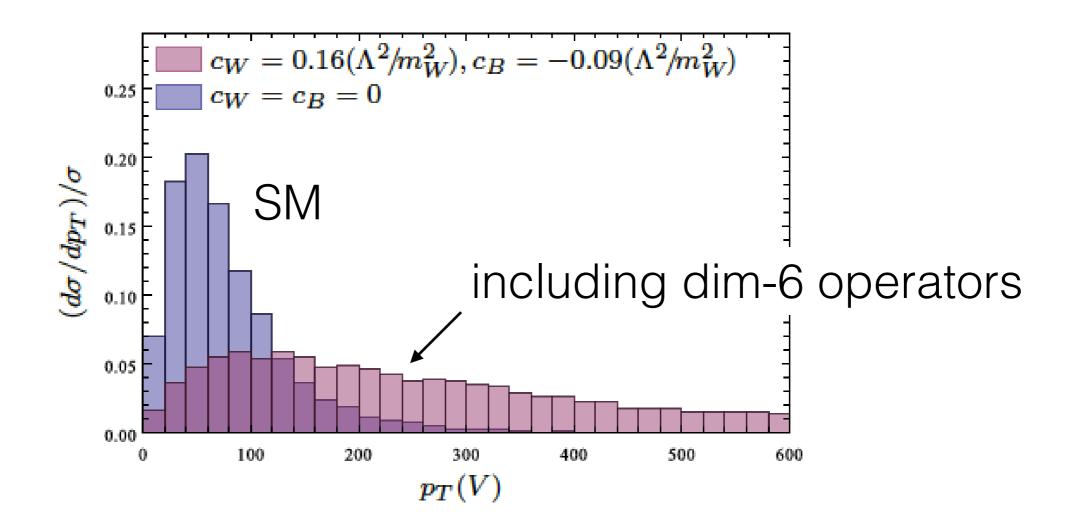


BSM models for Higgs physics: bottom-up



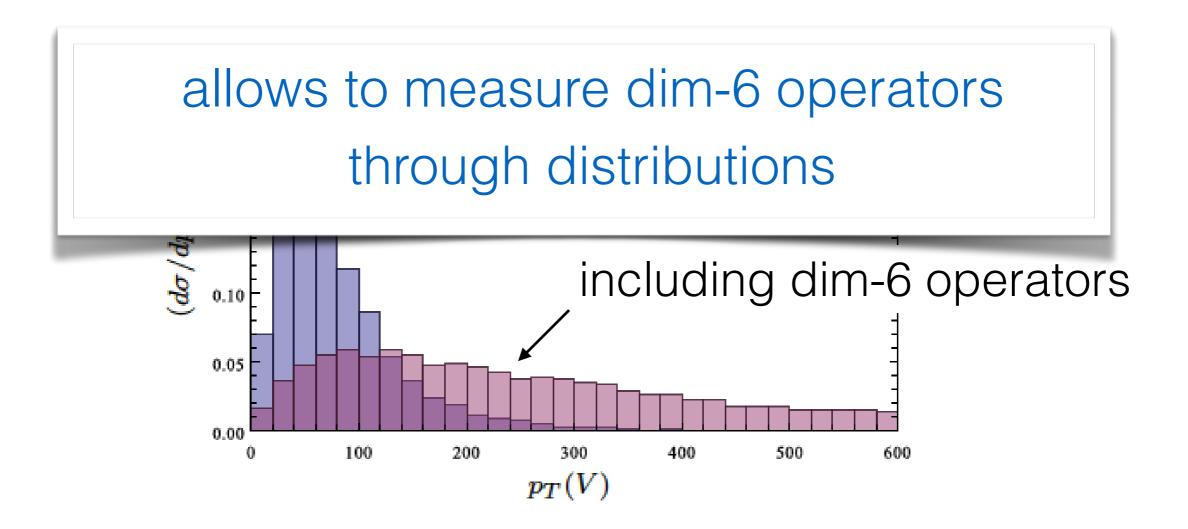
Biekötter, Knochel, MK, Liu, Riva (Phys.Rev. D91 (2015) 055029

Higher-dimensional operators may change the energy dependence of cross sections and thus kinematic distributions, e.g. in pp \rightarrow ZH:



Biekötter, Knochel, MK, Liu, Riva (Phys.Rev. D91 (2015) 055029

Higher-dimensional operators may change the energy dependence of cross sections and thus kinematic distributions, e.g. in pp \rightarrow ZH:



Biekötter, Knochel, MK, Liu, Riva (Phys.Rev. D91 (2015) 055029

Higher-dimensional operators may change the energy dependence of cross sections and thus kinematic distributions, e.g. in pp \rightarrow ZH:

- However, EFTs are only reliable if $\Lambda \gg E_{LHC}$
- If the effect of dim-6 operators is large, the EFT expansion is doubtful; expect to find new particles with M ≤ O(TeV)

Biekötter, Knochel, MK, Liu, Riva (Phys.Rev. D91 (2015) 055029

Higher-dimensional operators may change the energy dependence of cross sections and thus kinematic distributions, e.g. in pp \rightarrow ZH:

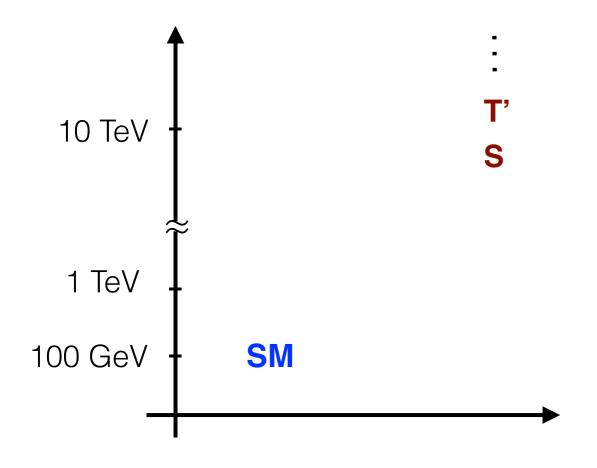


 If the effect of dim-6 operators is large, the EFT expansion is doubtful; expect to find new particles with M ≤ O(TeV)

cf. Contino, Falkowski, Goertz, Grojean, Riva (JHEP 1607 (2016) 144); Brehmer, Freitas, Lopez-Val, Plehn (Phys. Rev. D 93, 075014 (2016)); Biekötter, Brehmer, Plehn (arXiv:1602.05202 [hep-ph])

BSM models for Higgs physics: bottom-up

effective field theories

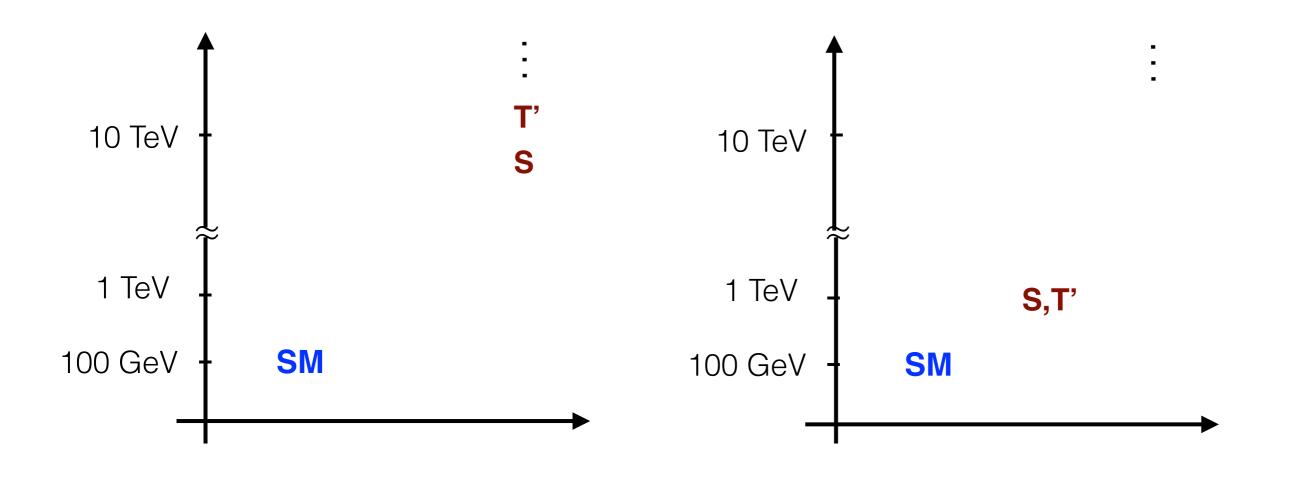


$$\mathcal{L} = \mathcal{L}_{\rm SM} + \mathcal{L}_6 + \dots$$

BSM models for Higgs physics: bottom-up

effective field theories

simplified models



$$\mathcal{L} = \mathcal{L}_{\rm SM} + \mathcal{L}_6 + \dots$$

 $\mathcal{L} = \mathcal{L}_{\mathrm{SM}} + \mathcal{L}_{S,T'} + \mathcal{L}_6 + \dots$

Simplified models

- mediate between theory and data
- allow to explore the space of theories and signatures
- connect direct and indirect searches for new physics

cf. Models as Mediators: Perspectives on Natural and Social Science - M. S. Morgan and M. Morrison (Eds.)

Simplified models

- mediate between theory and data
- allow to explore the space of theories and signatures
- connect direct and indirect searches for new physics

cf. Models as Mediators: Perspectives on Natural and Social Science - M. S. Morgan and M. Morrison (Eds.)

Simplified models have become standard for SUSY and dark matter searches at the LHC. We wanted to construct simplified models for Higgs physics to

Simplified models

- mediate between theory and data
- allow to explore the space of theories and signatures
- connect direct and indirect searches for new physics

cf. Models as Mediators: Perspectives on Natural and Social Science - M. S. Morgan and M. Morrison (Eds.)

Simplified models have become standard for SUSY and dark matter searches at the LHC. We wanted to construct simplified models for Higgs physics to

- explore BSM theories that affect the Higgs sector;
- connect measurements of Higgs properties and direct searches for new physics.

Dolan, Hewett, MK, Rizzo (JHEP 1607 (2016) 039)

We take the SM and add

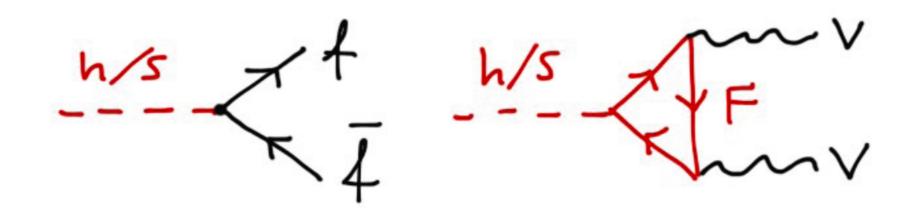
- a scalar singlet S
- a vector-like fermion representation F

Dolan, Hewett, MK, Rizzo (JHEP 1607 (2016) 039)

We take the SM and add

- a scalar singlet S
- a vector-like fermion representation F

S aquires a vev, S = (s + v_S), and provides mass for the fermion, $m_F = y_F v_S$. The Higgs and new scalar fields mix, $\lambda_{HS} H^+H S^2$, and thus we generate new physics effects in all SM Higgs couplings:



Different representations for the new fermion result in different patterns for Higgs cross sections and branching ratios.

Different representations for the new fermion result in different patterns for Higgs cross sections and branching ratios.

Consider the Higgs gauge boson coupling ~ h $V_{\mu\nu}V^{\mu\nu}$

$\gamma\gamma: \epsilon_{\gamma} \frac{\alpha}{\pi} \frac{1}{v} \left(\frac{\lambda_{\rm HS} v^2}{m_{S}^2} \right)$	F	ϵ_γ	ϵ_g	ϵ_B	ϵ_W
$G_a G^a: \epsilon_g \frac{\alpha_s}{\pi} \frac{1}{v} \left(\frac{\lambda_{\rm HS} v^2}{m_S^2}\right)$	$\left(\begin{array}{c}T'\\B'\end{array}\right)_{L+R}$	$\frac{5}{18}$	$-\frac{1}{6}$	$\frac{1}{144}$	$\frac{1}{16}$
$BB: \epsilon_B \frac{g'^2}{\pi^2} \frac{1}{v} \left(\frac{\lambda_{\rm HS} v^2}{m_S^2} \right)$ $W_i W^i: \epsilon_W \frac{g^2}{\pi^2} \frac{1}{v} \left(\frac{\lambda_{\rm HS} v^2}{m_S^2} \right)$	Q_{L+R}	$\frac{1}{2}Q^2$	$-\frac{1}{12}$	$\frac{1}{8}Q^2$	0
	$\left(\begin{array}{c} N\\ E\end{array}\right)_{L+R}$	$\frac{1}{6}$	0	$\frac{1}{48}$	$\frac{1}{48}$
	L_{L+R}	$\frac{1}{16}Q^2$	0	$\frac{1}{24}$	0

The simplest simplified model with F = T has 5 free and 3 fixed parameters. We choose:

 $\mathbf{m}_2, \theta, \mathbf{v}_s, \mathbf{m}_T \text{ and } \theta_L$

and set m_1 = 125 GeV, v_H = 246 GeV and m_t = 173 GeV.

The simplest simplified model with F = T has 5 free and 3 fixed parameters. We choose:

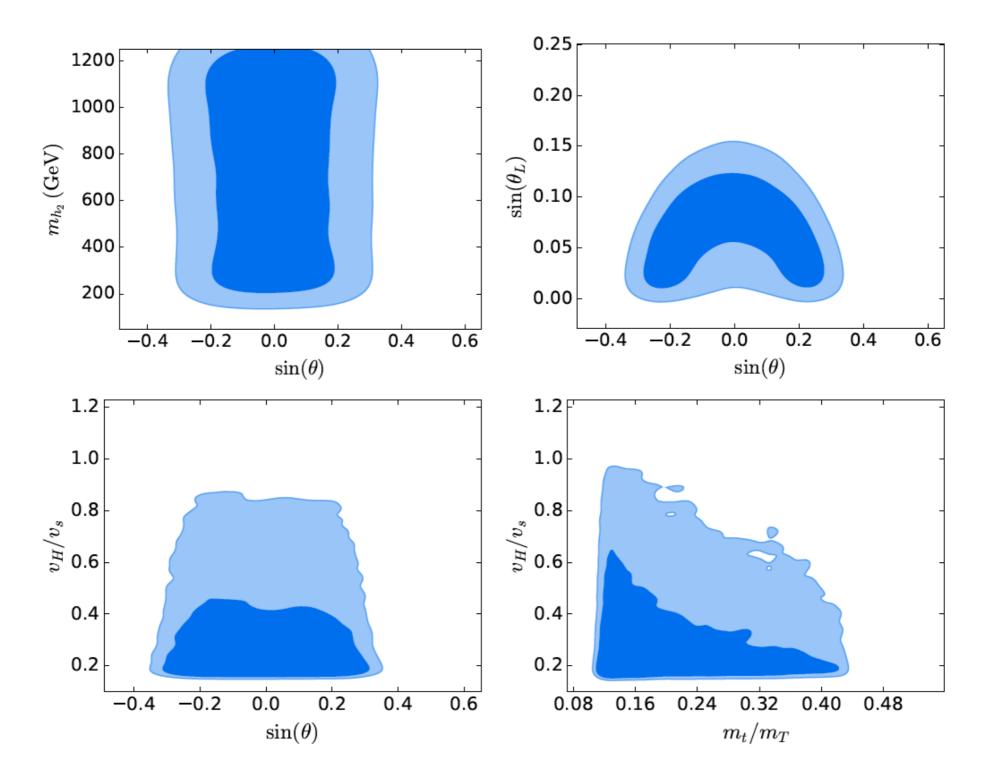
 $\mathbf{m}_2, \theta, \mathbf{v}_s, \mathbf{m}_T \text{ and } \theta_L$

and set m_1 = 125 GeV, v_H = 246 GeV and m_t = 173 GeV.

The parameters are constrained by

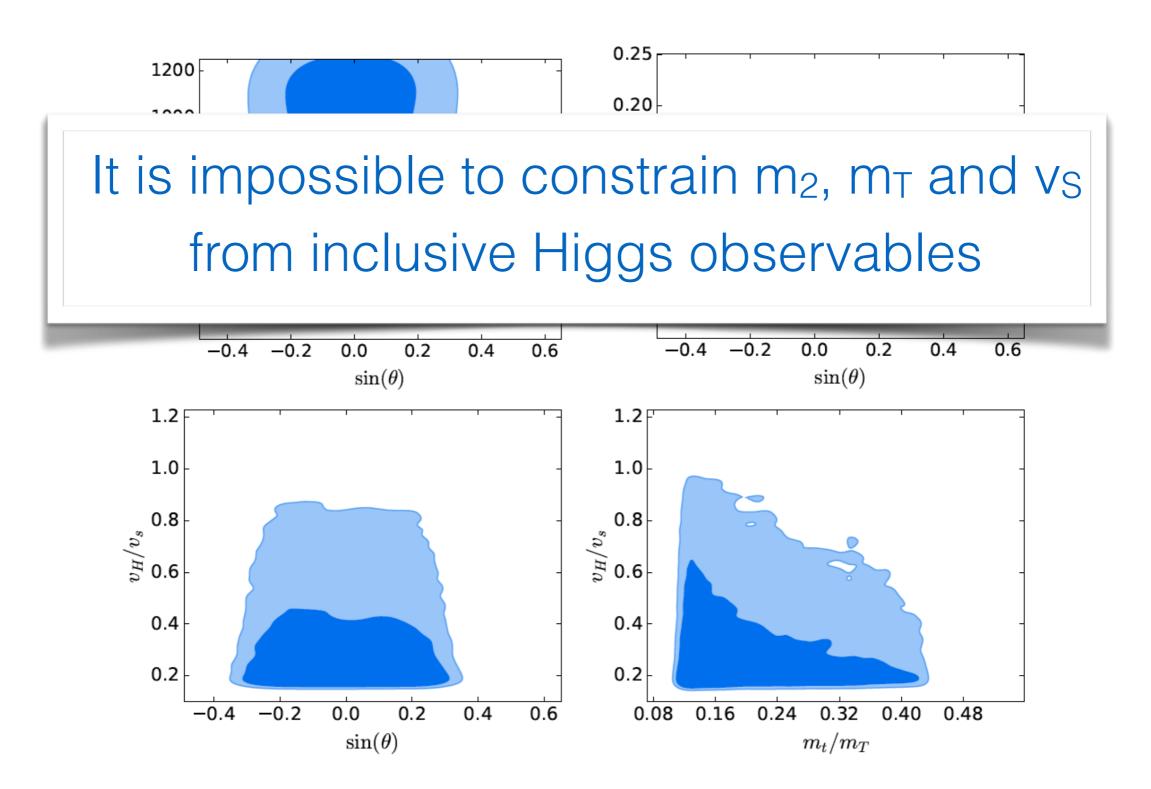
- perturbative unitary
- precision EW data: S, T and U
- Higgs cross sections and branching ratios

A fit to the Higgs cross sections and BRs



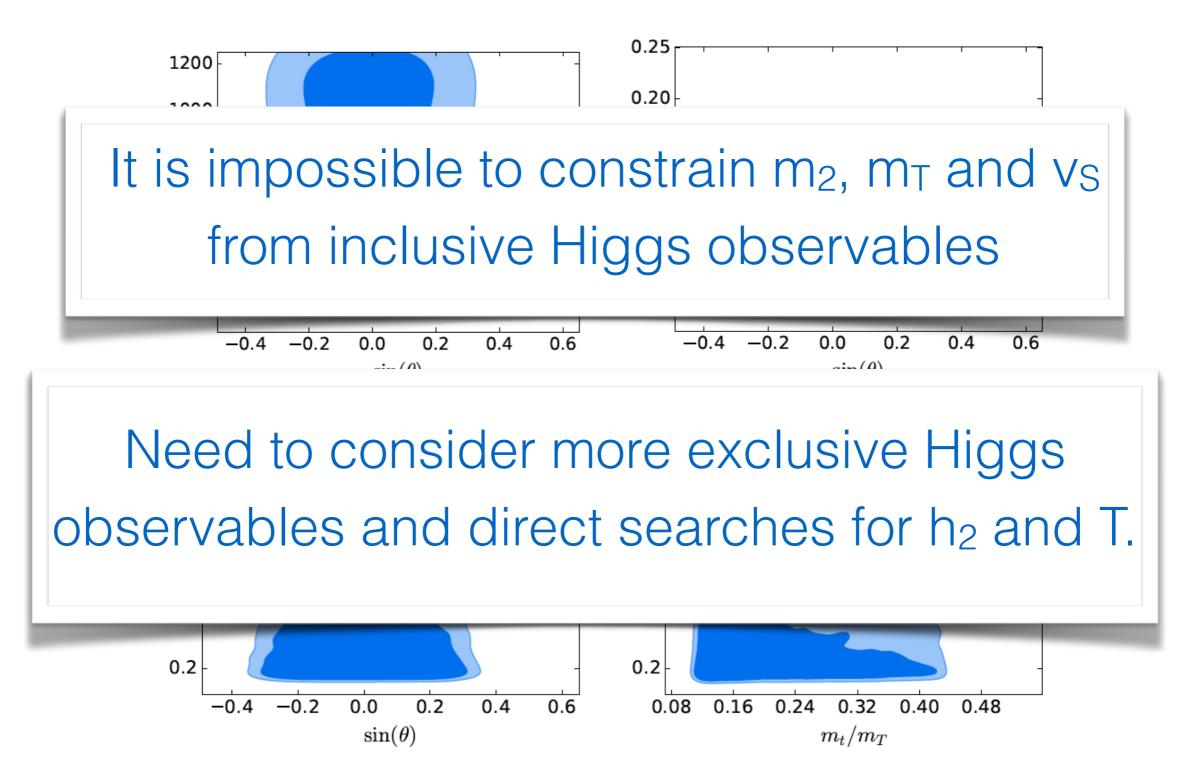
HiggsSignals/HiggsBounds

A fit to the Higgs cross sections and BRs



HiggsSignals/HiggsBounds

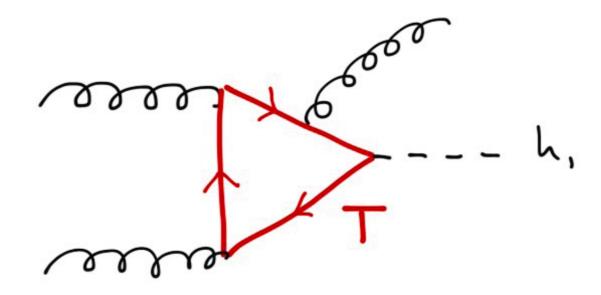
A fit to the Higgs cross sections and BRs



HiggsSignals/HiggsBounds

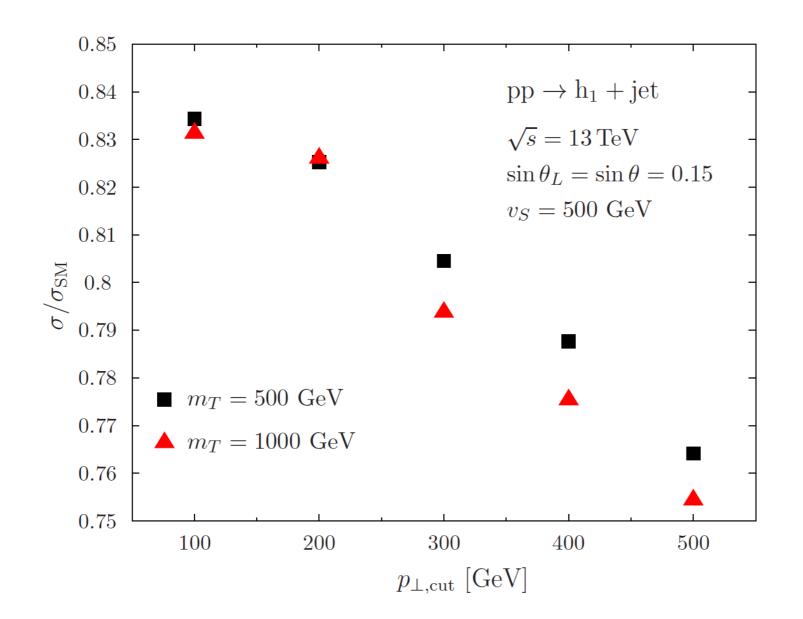
The Higgs P_T distribution

One can try to resolve the heavy new fermion in the loop through Higgs + jet production:



The Higgs P_T distribution

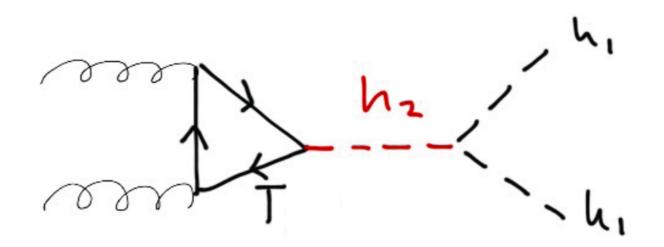
One can try to resolve the heavy new fermion in the loop through Higgs + jet production:



Madgraph5@NLO

Higgs pair production

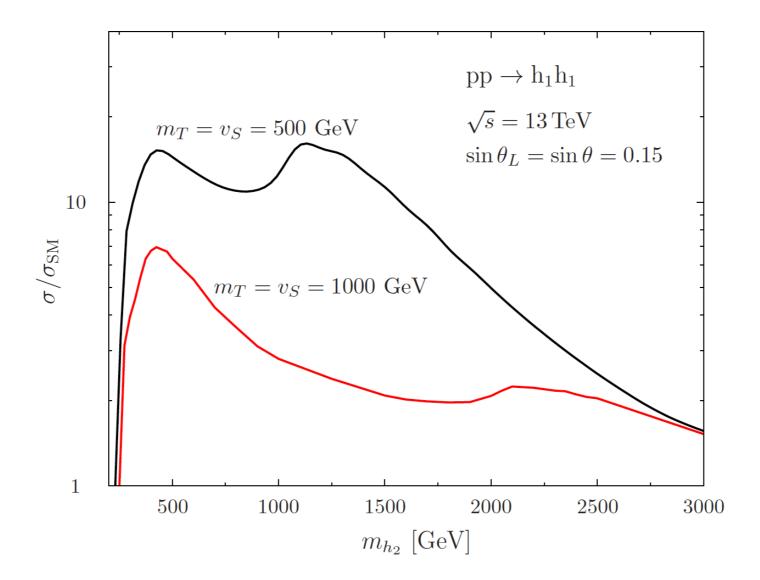
One can try to learn something about the new scalar sector through Higgs pair production:



$$\mathcal{L} \supset g_{tty}^{\mathrm{SM}} \left(\bar{t}th_1 + \frac{m_T}{m_t} \frac{v_H}{v_S} \bar{T}Th_2 \right) \qquad \text{for } \sin\theta = \sin\theta_{\mathrm{L}} = 0$$

Higgs pair production

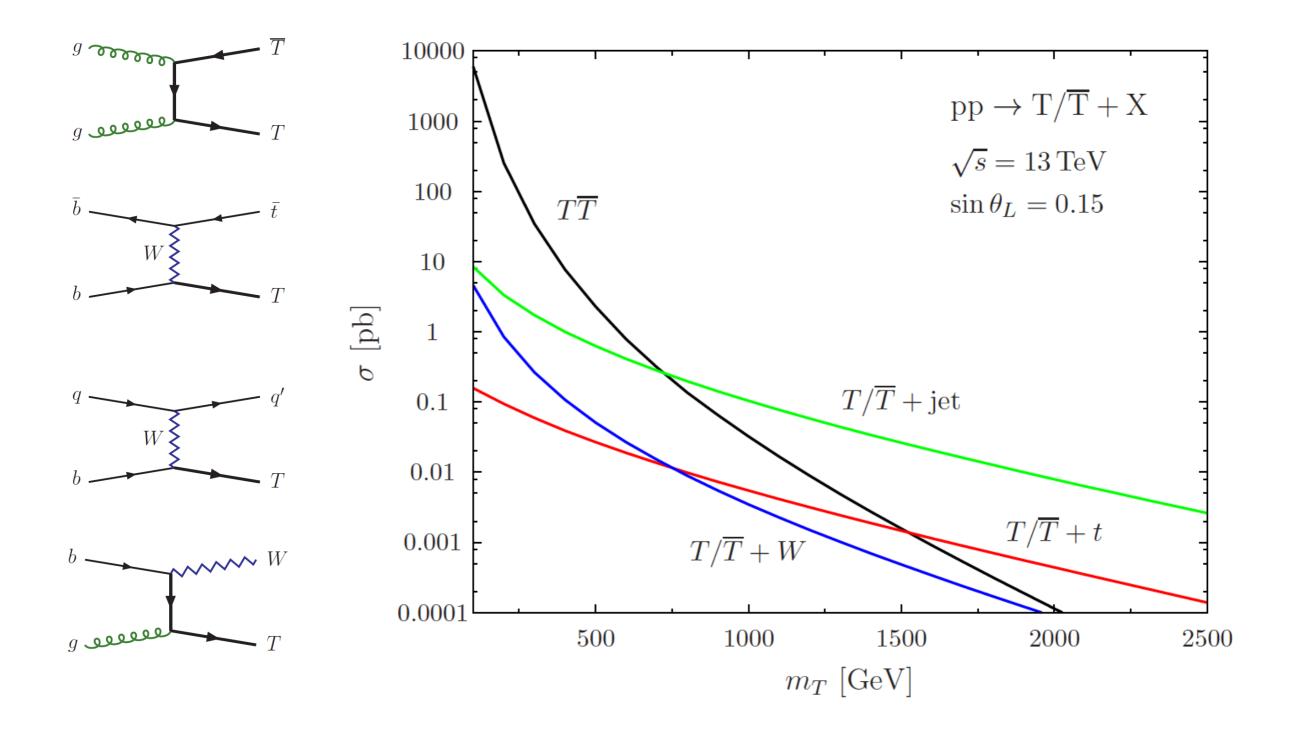
One can try to learn something about the new scalar sector through Higgs pair production:



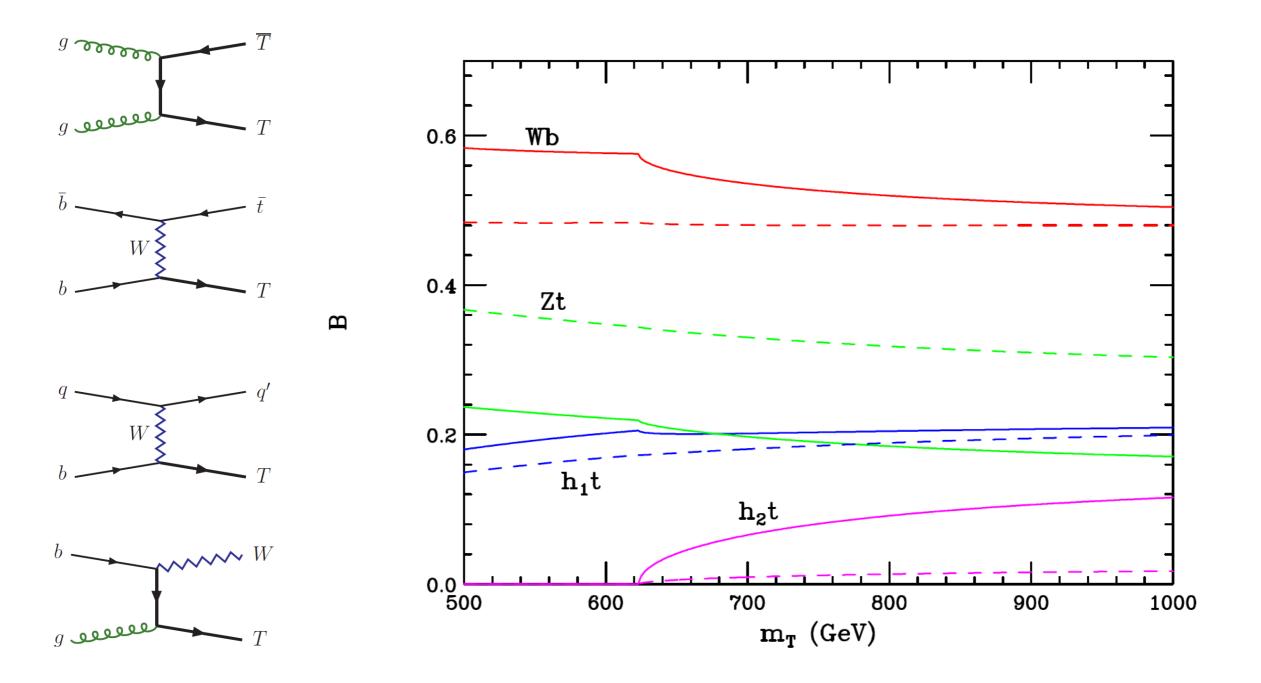
 $\sin\theta = \sin\theta_{\rm L} = 0.15$

Madgraph5@NLO

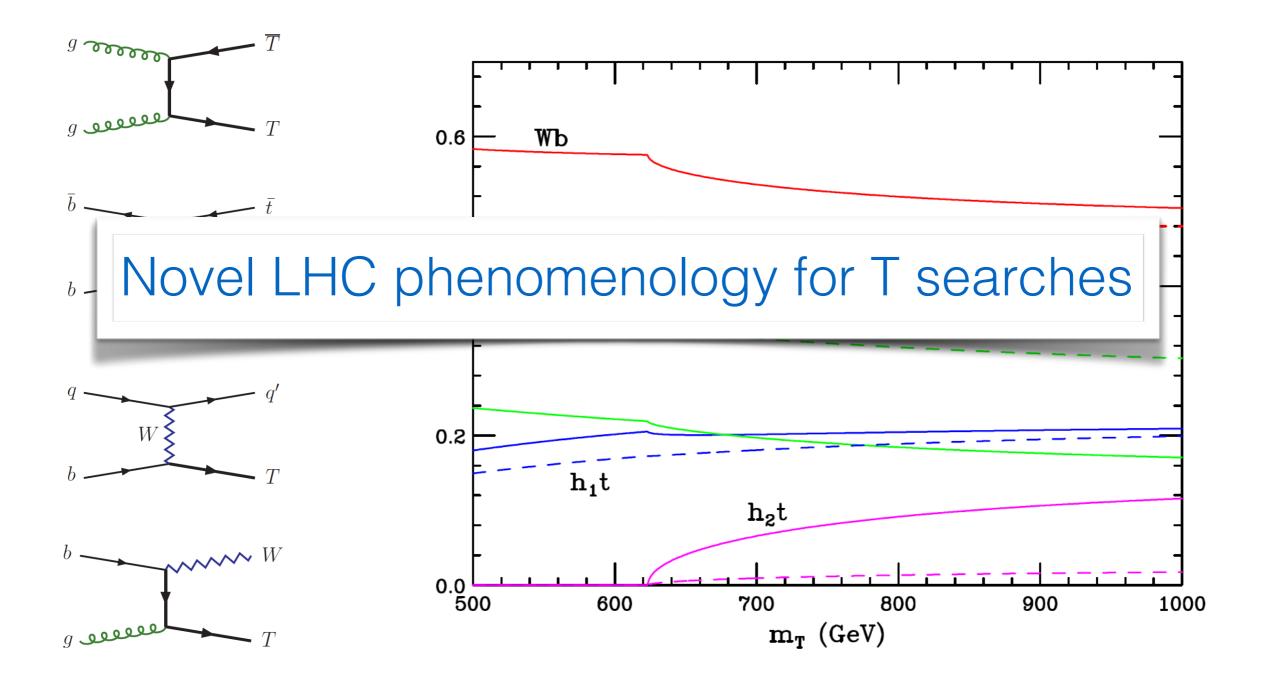
Direct searches for S and T



Direct searches for S and T



Direct searches for S and T



Biekötter et al. (arXiv:1608.01312 [hep-ph])

Imagine that a new scalar resonance has been discovered, with a mass of \approx 750 GeV, and decaying into $\gamma\gamma$

Biekötter et al. (arXiv:1608.01312 [hep-ph])

Imagine that a new scalar resonance has been discovered, with a mass of \approx 750 GeV, and decaying into $\gamma\gamma$

• Choose a VLQ representation and try to fit the signal \rightarrow (X,T) with quantum numbers (3,2,7/6) and charge $Q_x=5/3, Q_T=2/3$

Biekötter et al. (arXiv:1608.01312 [hep-ph])

Imagine that a new scalar resonance has been discovered, with a mass of \approx 750 GeV, and decaying into $\gamma\gamma$

• Choose a VLQ representation and try to fit the signal \rightarrow (X,T) with quantum numbers (3,2,7/6) and charge $Q_x=5/3, Q_T=2/3$

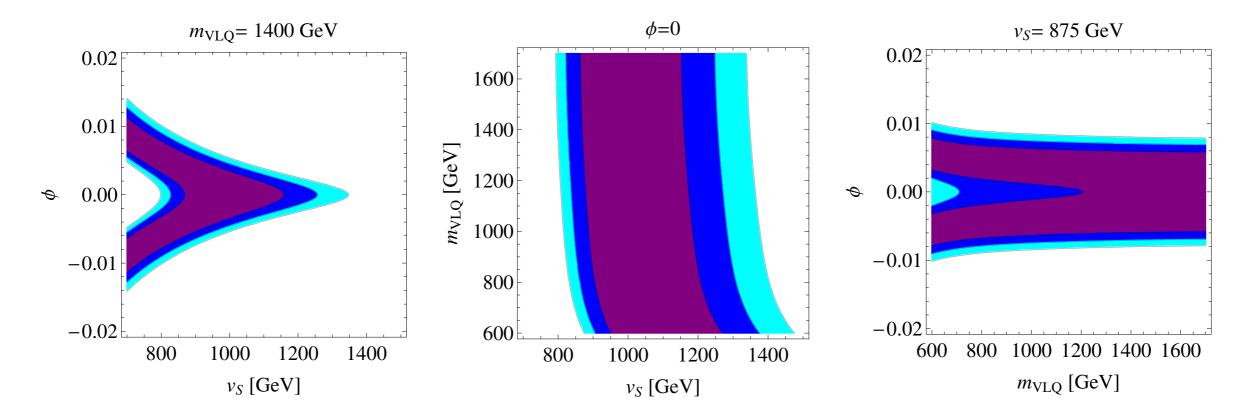
•Work out the signatures in the scalar sector:

VLQ model	Representation	$\gamma Z/\gamma \gamma$	$ZZ/\gamma\gamma$	$WW/\gamma\gamma$	$gg/\gamma\gamma$	$\Gamma_{s \to \gamma \gamma}$ [MeV]	$\Gamma_{\rm Tot}$ [MeV]	$R_{\gamma\gamma}$ [fb]
(X,T)	$(3, 2, \frac{7}{6})$	0.07	0.59	0.90	17.0	1.03	20.0	6.2

Biekötter et al. (arXiv:1608.01312 [hep-ph])

• Consider searches for the VLQ:

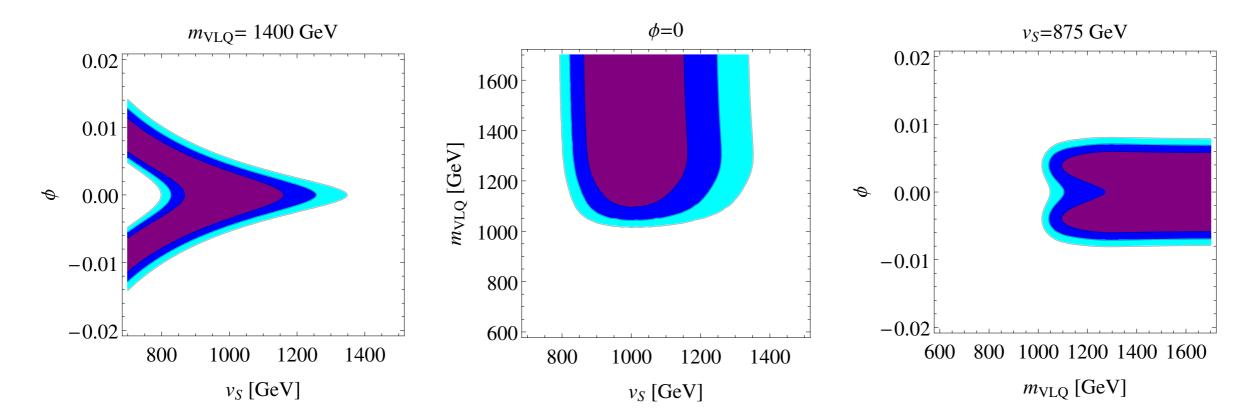
Di-photon rate only:



Biekötter et al. (arXiv:1608.01312 [hep-ph])

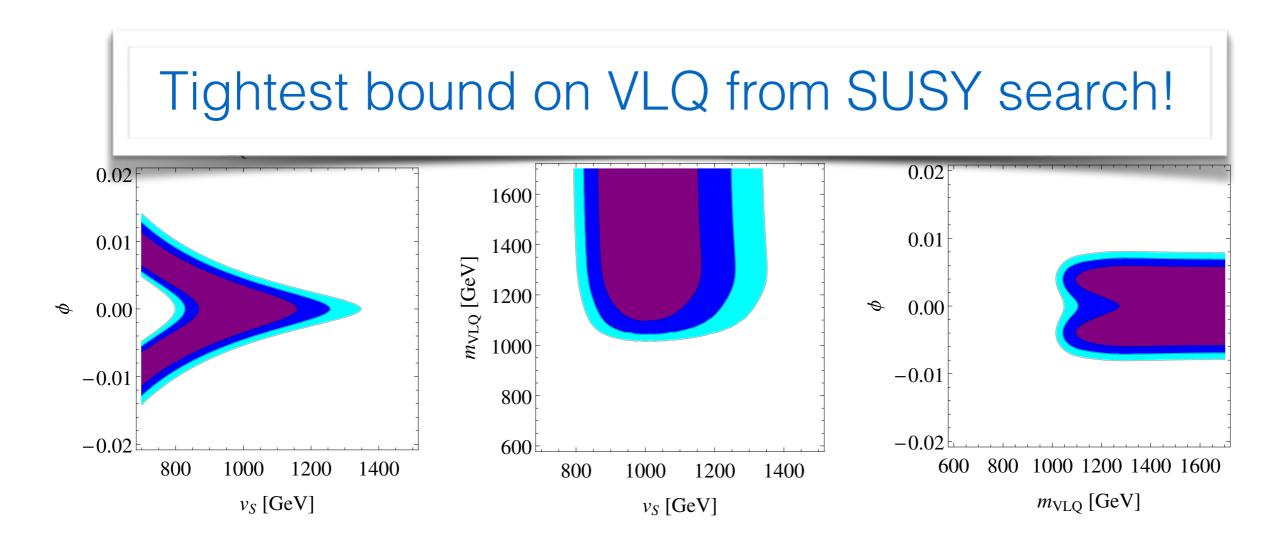
• Consider searches for the VLQ:

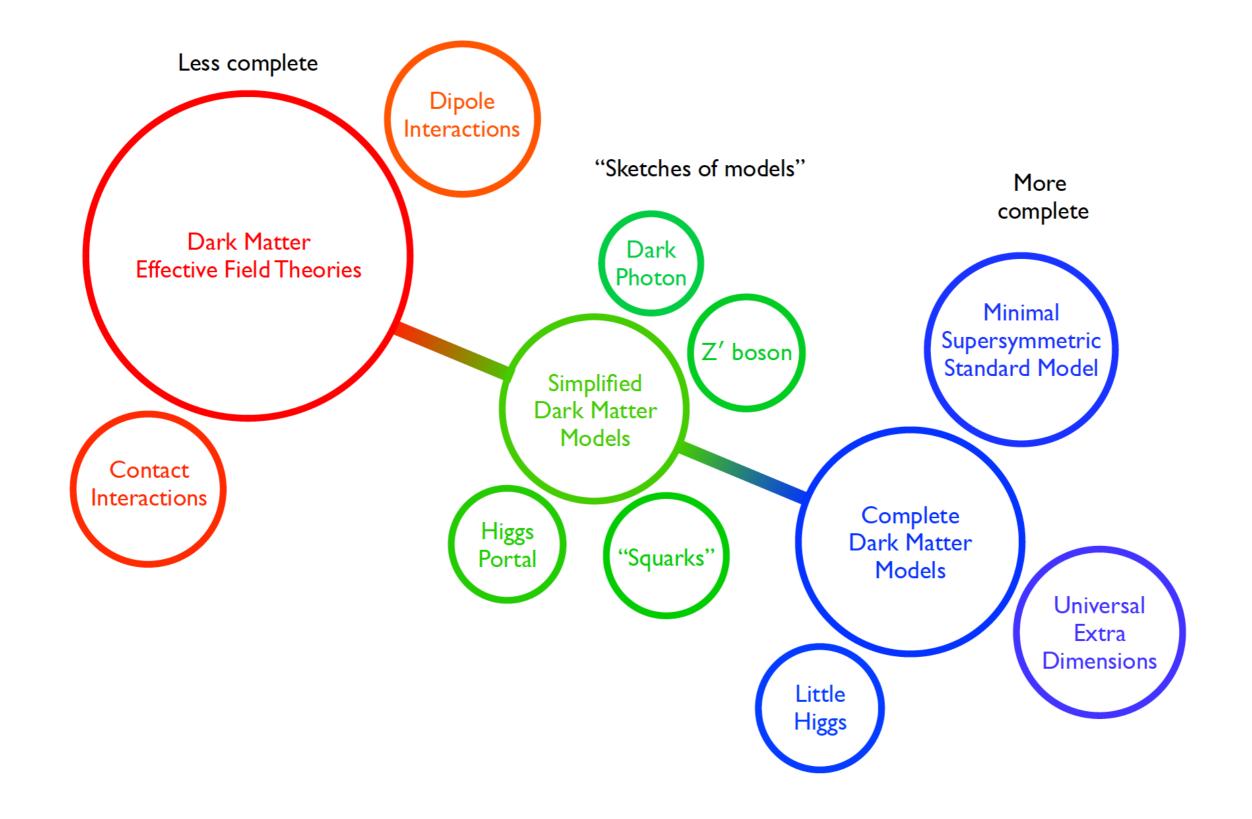
Adding a large suite of searches (using CheckMate):

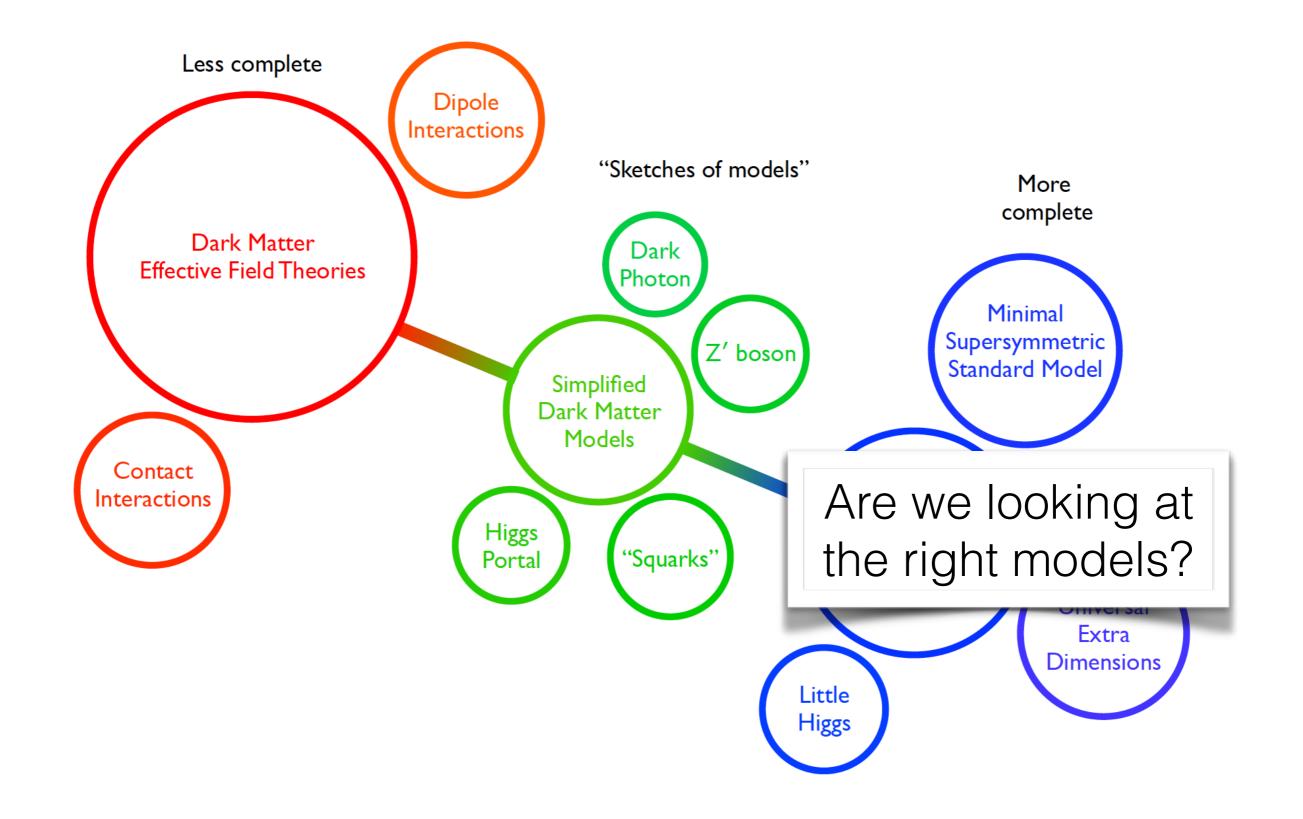


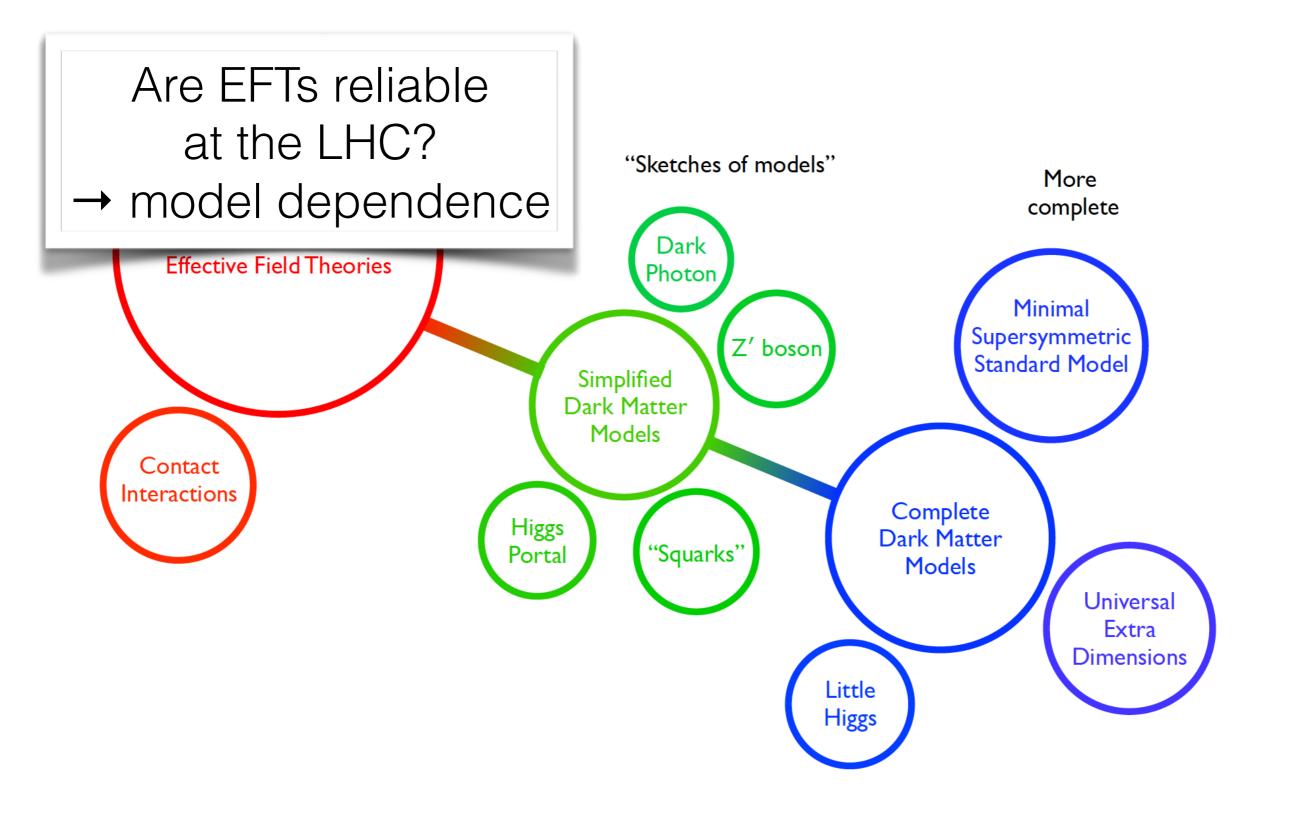
Biekötter et al. (arXiv:1608.01312 [hep-ph])

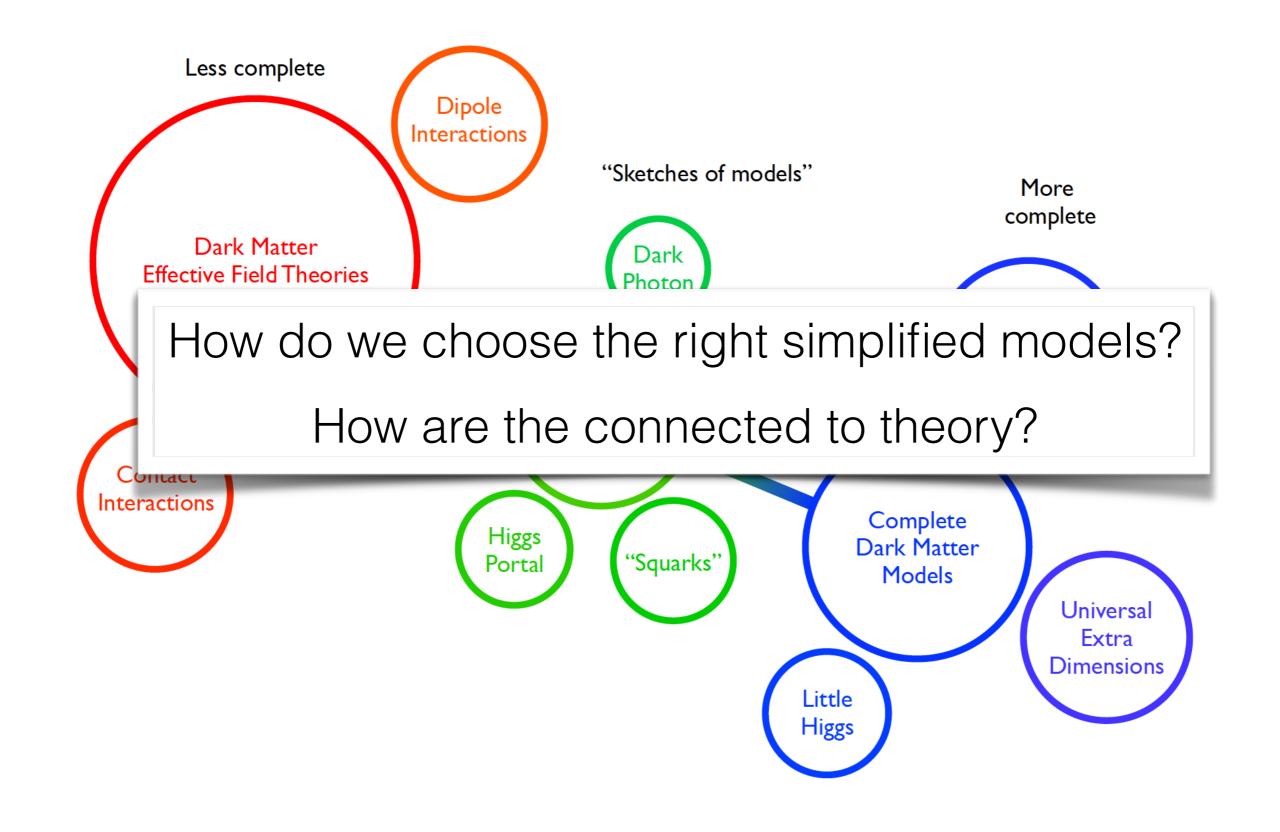
• Consider searches for the VLQ:

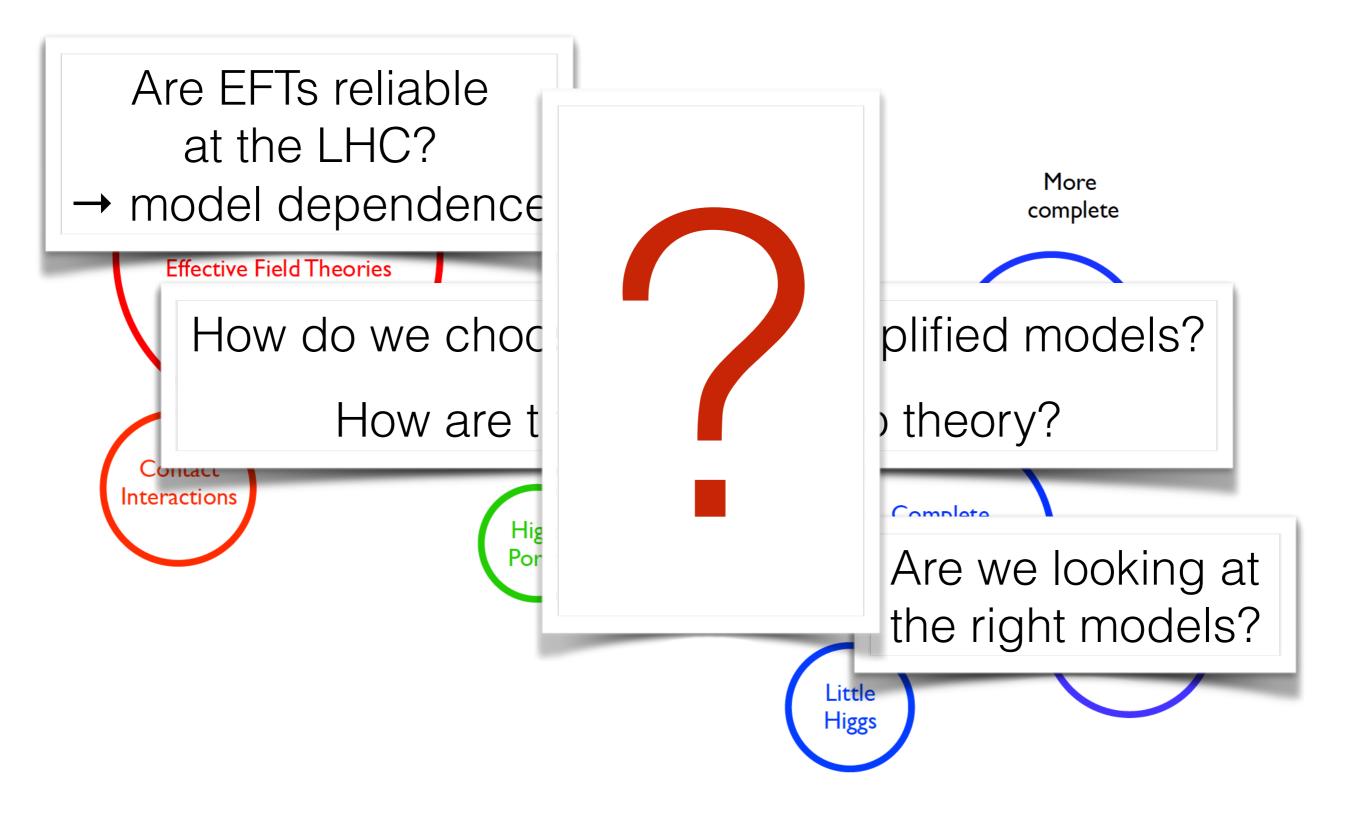












Thank you!

Backup

$$\mathcal{L} \supset \mathcal{L}_{\text{Yukawa}} + \mathcal{L}_{\text{gauge}} - V(H, S)$$

$$\mathcal{L} \supset \mathcal{L}_{\text{Yukawa}} + \mathcal{L}_{\text{gauge}} - V(H, S)$$

We chose $\mathbf{F} = \mathbf{T}$, colour-triplet, SU(2) singlet, Q = 2/3:

 $\mathcal{L}_{\text{Yukawa}} = y_T S \overline{T}_L^{\text{int}} T_R^{\text{int}} + y_t \overline{Q}_L^{\text{int}} \widetilde{H} t_R^{\text{int}} + y_b \overline{Q}_L^{\text{int}} H b_R + \lambda_T \overline{Q}_L^{\text{int}} \widetilde{H} T_R^{\text{int}}$

$$\mathcal{L} \supset \mathcal{L}_{\text{Yukawa}} + \mathcal{L}_{\text{gauge}} - V(H, S)$$

We chose $\mathbf{F} = \mathbf{T}$, colour-triplet, SU(2) singlet, Q = 2/3:

 $\mathcal{L}_{\text{Yukawa}} = y_T S \overline{T}_L^{\text{int}} T_R^{\text{int}} + y_t \overline{Q}_L^{\text{int}} \widetilde{H} t_R^{\text{int}} + y_b \overline{Q}_L^{\text{int}} H b_R + \lambda_T \overline{Q}_L^{\text{int}} \widetilde{H} T_R^{\text{int}}$

After SSB the SM top quark **t**^{int} and the vector quark **T**^{int} mix to form the mass eigenstates **t** and **T**:

$$\mathcal{L} \supset \mathcal{L}_{\text{Yukawa}} + \mathcal{L}_{\text{gauge}} - V(H, S)$$

We chose $\mathbf{F} = \mathbf{T}$, colour-triplet, SU(2) singlet, Q = 2/3:

 $\mathcal{L}_{\text{Yukawa}} = y_T S \overline{T}_L^{\text{int}} T_R^{\text{int}} + y_t \overline{Q}_L^{\text{int}} \widetilde{H} t_R^{\text{int}} + y_b \overline{Q}_L^{\text{int}} H b_R + \lambda_T \overline{Q}_L^{\text{int}} \widetilde{H} T_R^{\text{int}}$

After SSB the SM top quark **t**^{int} and the vector quark **T**^{int} mix to form the mass eigenstates **t** and **T**:

$$m_t^2 = \frac{1}{2} v_H^2 y_t^2 \left(1 - \frac{\lambda_T^2}{2y_T^2} \frac{v_H^2}{v_S^2} \right) \quad m_T^2 = v_S^2 y_T^2 \left(1 + \frac{\lambda_T^2}{2y_T^2} \frac{v_H^2}{v_S^2} \right)$$
$$\tan(2\theta_L) = \frac{2}{\sqrt{2}} \frac{\lambda_T}{y_T} \frac{v_H}{v_S}$$

$$\mathcal{L} \supset \mathcal{L}_{\text{Yukawa}} + \mathcal{L}_{\text{gauge}} - V(H, S)$$

$$\mathcal{L} \supset \mathcal{L}_{\text{Yukawa}} + \mathcal{L}_{\text{gauge}} - V(H, S)$$
$$V(H, S) = -\mu^2 H^{\dagger} H + \lambda (H^{\dagger} H)^2 + \frac{a_1}{2} H^{\dagger} H S$$
$$+ \frac{a_2}{2} H^{\dagger} H S^2 + b_1 S + \frac{b_2}{2} S^2 + \frac{b_3}{3} S^3 + \frac{b_4}{4} S^4$$
with
$$H = \begin{pmatrix} i\phi^+ \\ \frac{1}{\sqrt{2}}(h + v_H + i\phi^0) \end{pmatrix} \text{ and } S = (s + v_S)$$

For simplicity, we assume a Z_2 -symmetry and set $a_1 = b_1 = b_3 = 0$.

$$\mathcal{L} \supset \mathcal{L}_{\text{Yukawa}} + \mathcal{L}_{\text{gauge}} - V(H, S)$$
$$V(H, S) = -\mu^2 H^{\dagger} H + \lambda (H^{\dagger} H)^2 + \frac{a_1}{2} H^{\dagger} H S$$
$$+ \frac{a_2}{2} H^{\dagger} H S^2 + b_1 S + \frac{b_2}{2} S^2 + \frac{b_3}{3} S^3 + \frac{b_4}{4} S^4$$

with
$$H = \begin{pmatrix} i\phi^+ \\ \frac{1}{\sqrt{2}}(h+v_H+i\phi^0) \end{pmatrix}$$
 and $S = (s+v_S)$

For simplicity, we assume a Z_2 -symmetry and set $a_1 = b_1 = b_3 = 0$.

H and **S** mix, to form mass eigenstates **h**₁ and **h**₂:

$$m_1^2 = 2\lambda v_H^2 \left(1 - \frac{a_2^2}{4\lambda b_4} \right) \quad m_2^2 = 2b_4 v_S^2 \left(1 + \frac{a_2^2}{4b_4^2} \frac{v_H^2}{v_S^2} \right)$$
$$\tan(2\theta) = \frac{a_2}{b_4} \frac{v_H}{v_S}$$

It is straightforward to calculate the couplings of the 125-Higgs to SM particles:

$$\kappa_W = \kappa_Z = \kappa_b = \kappa_\tau = \cos\theta$$
 and $\kappa_t = c_L^2 c_\theta - s_L^2 s_\theta \frac{v_H}{v_S}$

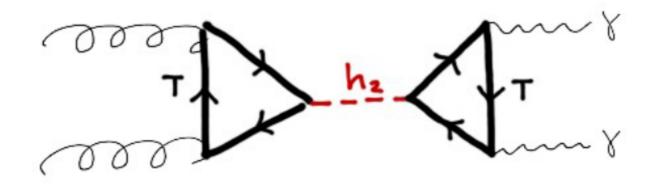
It is straightforward to calculate the couplings of the 125-Higgs to SM particles:

$$\kappa_W = \kappa_Z = \kappa_b = \kappa_\tau = \cos\theta$$
 and $\kappa_t = c_L^2 c_\theta - s_L^2 s_\theta \frac{v_H}{v_S}$

For the loop-induced couplings one has

$$g_{hgg} = \frac{g_s^2}{4\pi^2} \left(\sum_f \frac{g_{hff}}{m_f} A_{1/2}(\tau_f) + \frac{g_{hTT}}{m_T} A_{1/2}(\tau_T) \right) \approx g_{hgg}^{SM} \left(c_\theta - s_\theta \frac{v_H}{v_S} \right)$$
$$g_{h\gamma\gamma} = \frac{e^2}{4\pi^2} \left(\frac{g_{hWW}}{m_W^2} A_1(\tau_W) + \sum_f 2N_C^f Q_f^2 \frac{g_{hff}}{m_f} A_{1/2}(\tau_f) + \frac{8}{3} \frac{g_{hTT}}{m_T} A_{1/2}(\tau_T) \right)$$

my hz

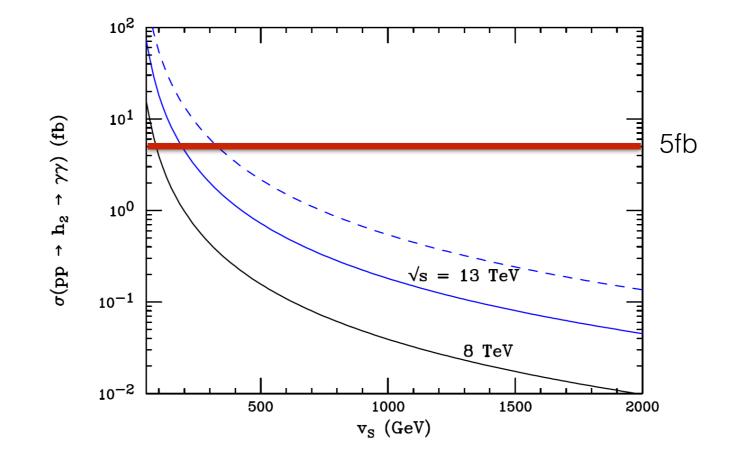


Need
$$\sigma(pp \to h_2) \times BR(h_2 \to \gamma\gamma) \sim \mathcal{O}(\text{few fb})$$

With BR
$$(h_2 \to \gamma \gamma) \approx \frac{\Gamma(h_2 \to \gamma \gamma)}{\Gamma(h_2 \to gg)} = \frac{8}{9} \left(\frac{\alpha}{\alpha_s}\right)^2 \approx 0.5\%$$

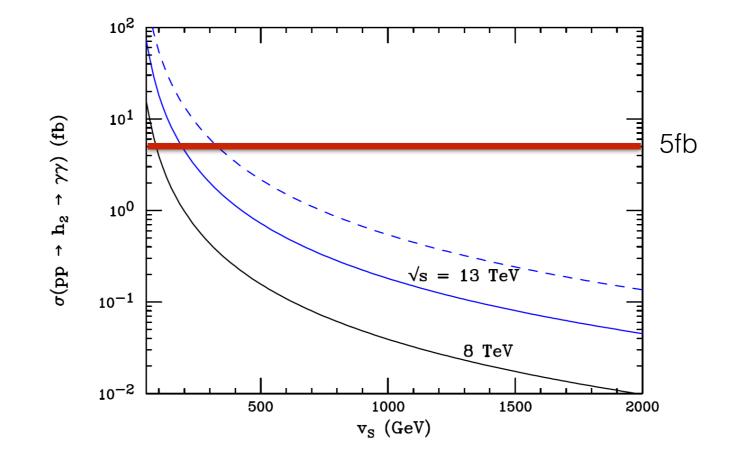
this corresponds to $\sigma(pp \rightarrow h_2) \approx 1 \, \mathrm{pb}$

and thus
$$y_T = \frac{m_T}{v_S} \gg 1$$



A small $v_s \approx 100$ GeV implies a large $y_T = m_T/v_S$ and a violation of perturbative unitarity.

Can restore perturbativity by adding more generations of new fermions.



A small $v_s \approx 100$ GeV implies a large $y_T = m_T/v_S$ and a violation of perturbative unitarity.

Can restore perturbativity by adding more generations of new fermions.

However, a large width $\Gamma_{h_2} \approx 45 \,\text{GeV}$ as favoured by ATLAS, would most likely imply non-perturbative dynamics. (See e.g. 1512.04933)