



University of
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Pseudo Observables, developments and tools

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- ▶ Introduction [*Why PO?*]
- ▶ PO in Higgs decays
- ▶ PO in Higgs EW production
- ▶ PO vs. EFT
- ▶ Recent developments and Tools
- ▶ Conclusions

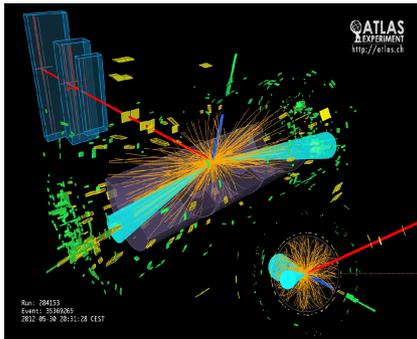
► Introduction [*Why PO?*]

- The aim of the Higgs PO is to

characterize the properties of $h(125)$ in generic BSM (with heavy NP) encoding the exp. results in terms of a limited set of simplified/idealized observables of easy theoretical interpretation (minimum th. bias \leftrightarrow close to experiments)

► Introduction [*Why PO?*]

- The aim of the **Higgs PO** is to
 - characterize the properties of $h(125)$ in generic BSM (with heavy NP) encoding the exp. results in terms of a limited set of simplified/idealized observables of easy theoretical interpretation (minimum th. bias \leftrightarrow close to experiments)*
- The experimental determination of an appropriate set of PO will “help” and not “replace” any explicit NP approach to Higgs physics (*including the EFT*)



$$\begin{aligned} \mathcal{L} = & -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} \\ & + i\bar{\psi}\not{D}\psi + \text{h.c.} \\ & + \chi_i y_{ij} \chi_j \phi + \text{h.c.} \\ & + |D_\mu \phi|^2 - V(\phi) \end{aligned}$$

Experimental data

Pseudo Observables

Lagrangian parameters

The PO can be computed in terms of Lagrangian parameters in any specific th. framework

- Old idea - heavily used and developed at LEP [[Bardin, Grunewald, Passarino, '99](#)]

► Introduction [*Why PO?*]

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*characterize the properties of $h(125)$ in generic BSM (with heavy NP) encoding the exp. results in terms of a limited set of simplified/idealized observables of easy theoretical interpretation (*minimum th. bias* \leftrightarrow *close to experiments*)*



- The PO should be defined from kinematical properties of on-shell processes (*no problems of renormalization, scale dependence, gauge dependence, ...*)
- The theory corrections applied to extract them should be universally accepted as “NP-free” (*soft QCD and QED radiation*)

► Introduction [*Why PO?*]

I took some time before the concept of PO started to be accepted in the “Higgs community”. The situation is much better now than a few years ago... but there are still people asking the following question:

Why do we need to measure PO, given we can go to a “more fundamental level” and directly extract the Wilson coefficients of the EFT from data?

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Answer (I):

What is “more fundamental”?

A) The combination: $c_W(\mu) + c_{HW}(\mu) + \tan(\theta_W)[c_B(\mu) + c_{HW}(\mu)]$,
 -defined assuming a *linear realization of the EWSB* & employing
 the *SILH basis* for the EFT Lagrangian
 -extracted computing amplitudes at *LO in the EFT expansion*,
 setting the *renormalization scale $\mu=1$ TeV* (and assuming that
 at that scale *NLO-EW effects are negligible*)

B) The partial width $\Gamma(h \rightarrow W_L W_L)$

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Answer (II):

There is no reason to consider Wilson coefficients and, more generally, Lagrangian parameters “more fundamental” than on-shell physical amplitudes (*or the elements of the S matrix*). Actually it is the opposite.

Lagrangians are nothing but tools...

Extracting their parameters requires a series of additional assumptions, that we may change in the future with more data and/or better understanding of the underlying (BSM) physics theory.

...the “physics” is in the scattering amplitudes, hence in the PO.

► Introduction

There are two main categories of PO:

A) “Ideal observables”

$$M_W, \Gamma(Z \rightarrow ff), \dots \qquad M_h, \Gamma(h \rightarrow \gamma\gamma), \Gamma(h \rightarrow Z\mu\mu), \dots$$

but also $d\sigma(pp \rightarrow hZ)/dp_{T_Z} \dots$

B) “Effective on-shell couplings”

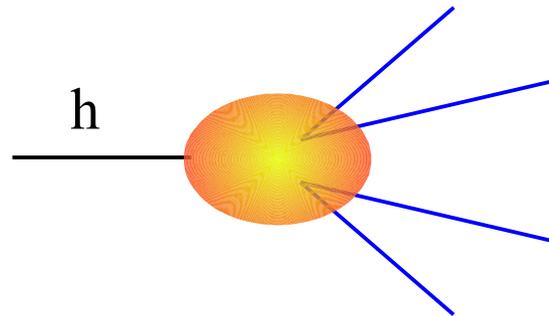
$$g_Z^f, g_W^f, \dots \leftrightarrow \Gamma(Z \rightarrow ff) = C [|g_Z^{fL}|^2 + |g_Z^{fR}|^2], \dots$$

→ Both categories are useful !

(there is redundancy in having both, but that's not an issue...)

- A) certainly more convenient in diff. measurements with low-statistics + large spread of kin. variables (*e.g. h production far from threshold*)
- For B) one can write effective Feynman rules, not to be used beyond tree-level (its just a practical way to re-write, *and code in existing tools*, an on-shell amplitude).

PO in Higgs decays



► PO in Higgs decays

I. Two-body (on-shell) decays [e.g. $h \rightarrow \gamma\gamma, \mu\mu, \tau\tau, bb, \dots$]

Somehow trivial relation between *physical PO* (the Γ_i) and *Higgs-coupling PO* (\leftrightarrow the beloved κ_i): no particular advantage in using one or the other

II. Multi-body modes [e.g. $h \rightarrow 4\ell, \ell\ell\gamma, \dots$]

Here the relation between *physical PO* (**several partial** Γ_i) and *Higgs-coupling PO* is more involved \leftrightarrow significant advantage in using appropriate on-shell effective couplings to analyze data while describing NP effects in full generality

General decomposition of the on-shell amplitudes based on **Lorentz symmetry**, **Crossing symmetry**, and **Unitarity**

Momentum expansion of the *f.f.* around leading poles

$$\text{E.g.}: f_i^{\text{SM+NP}} = \frac{\kappa_i}{s - m_Z^2 + im_Z\Gamma_Z} + \frac{\epsilon_i}{m_Z^2} + \mathcal{O}(s/m_Z^4)$$

► PO in Higgs decays

II. Multi-body modes [e.g. $h \rightarrow 4\ell, \ell\ell\gamma, \dots$]



General decomposition of the on-shell amplitudes (based on **Lorentz symmetry**, **Crossing symmetry**, and **Unitarity**) \rightarrow form factors



Momentum expansion of the $f.f.$ around leading poles

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- No need to specify any detail about the underlying theory but for the absence of light new states [*momentum expansion fully justified by Higgs kinematic*]
- The $\{\kappa_i, \epsilon_i\}$ thus defined are well-defined **PO** [*pole decomposition \rightarrow gauge-invariant terms*] \rightarrow systematic inclusion of higher-order QED and QCD (soft) corrections possible (and necessary...)

► PO in Higgs decays [e.g.: $h \rightarrow 4l$]

The “physical meaning” of the parameters appearing in the $\{\kappa_i, \epsilon_i\}$ decomposition is not obvious at first sight, but it is actually quite simple [\rightarrow *physical PO*]:

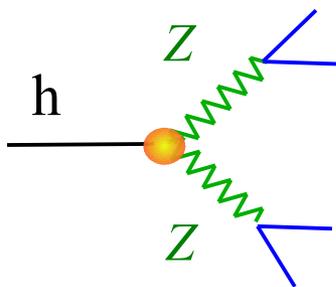
$$\mathcal{A} = i \frac{2m_Z^2}{v_F} (\bar{e}\gamma_\alpha e)(\bar{\mu}\gamma_\beta \mu) \times$$

$$\left[\left(\kappa_{ZZ} \frac{g_Z^e g_Z^\mu}{P_Z(q_1^2) P_Z(q_2^2)} + \frac{\epsilon_{Ze}}{m_Z^2} \frac{g_Z^\mu}{P_Z(q_2^2)} + \frac{\epsilon_{Z\mu}}{m_Z^2} \frac{g_Z^e}{P_Z(q_1^2)} \right) g^{\alpha\beta} + \Delta_{\text{non-loc}}^{\text{SM}}(q_1^2, q_2^2)^{\alpha\beta} \right.$$

$$+ \left(\epsilon_{ZZ} \frac{g_Z^e g_Z^\mu}{P_Z(q_1^2) P_Z(q_2^2)} + \kappa_{Z\gamma}^{\text{SM-1L}} \left(\frac{eQ_\mu g_Z^e}{q_2^2 P_Z(q_1^2)} + \frac{eQ_e g_Z^\mu}{q_1^2 P_Z(q_2^2)} \right) + \kappa_{\gamma\gamma}^{\text{SM-1L}} \frac{e^2 Q_e Q_\mu}{q_1^2 q_2^2} \right) T^{\alpha\beta} +$$

$$\left. + \left(\epsilon_{ZZ}^{\text{CP}} \frac{g_Z^e g_Z^\mu}{P_Z(q_1^2) P_Z(q_2^2)} + \epsilon_{Z\gamma}^{\text{CP}} \left(\frac{eQ_\mu g_Z^e}{q_2^2 P_Z(q_1^2)} + \frac{eQ_e g_Z^\mu}{q_1^2 P_Z(q_2^2)} \right) + \epsilon_{\gamma\gamma}^{\text{CP}} \frac{e^2 Q_e Q_\mu}{q_1^2 q_2^2} \right) \frac{\epsilon^{\alpha\beta\rho\sigma} q_{2\rho} q_{1\sigma}}{m_Z^2} \right]$$

“double Z-pole”



$$\Gamma(h \rightarrow Z_L Z_L) \equiv \frac{\Gamma(h \rightarrow 2e2\mu)[\kappa_{ZZ}]}{\mathcal{B}(Z \rightarrow 2e)\mathcal{B}(Z \rightarrow 2\mu)} = 0.209 |\kappa_{ZZ}|^2 \text{ MeV}$$

$$\Gamma(h \rightarrow Z_T Z_T) \equiv \frac{\Gamma(h \rightarrow 2e2\mu)[\epsilon_{ZZ}]}{\mathcal{B}(Z \rightarrow 2e)\mathcal{B}(Z \rightarrow 2\mu)} = 0.0189 |\epsilon_{ZZ}|^2 \text{ MeV}$$

$$\Gamma^{\text{CPV}}(h \rightarrow Z_T Z_T) \equiv \frac{\Gamma(h \rightarrow 2e2\mu)[\epsilon_{ZZ}^{\text{CP}}]}{\mathcal{B}(Z \rightarrow 2e)\mathcal{B}(Z \rightarrow 2\mu)} = 0.00799 |\epsilon_{ZZ}^{\text{CP}}|^2 \text{ MeV}$$

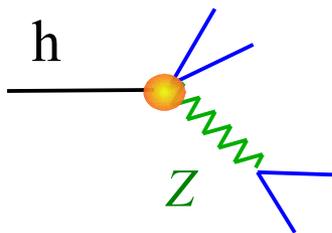
► PO in Higgs decays [e.g.: $h \rightarrow 4l$]

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$$\mathcal{A} = i \frac{2m_Z^2}{v_F} (\bar{e} \gamma_\alpha e) (\bar{\mu} \gamma_\beta \mu) \times \left[\left(\kappa_{ZZ} \frac{g_Z^e g_Z^\mu}{P_Z(q_1^2) P_Z(q_2^2)} + \frac{\epsilon_{Ze}}{m_Z^2} \frac{g_Z^\mu}{P_Z(q_2^2)} + \frac{\epsilon_{Z\mu}}{m_Z^2} \frac{g_Z^e}{P_Z(q_1^2)} \right) g^{\alpha\beta} + \Delta_{\text{non-loc}}^{\text{SM}}(q_1^2, q_2^2)^{\alpha\beta} \right]$$

N.B.: these contact terms are the only possible sources of flavor non-universality. Strong interest in measuring/constraining them in view of recent B-physics anomalies (*the only indication we have today of some NP close to the EW scale...*)

“single Z-pole”



$$\Gamma(h \rightarrow Z l^+ l^-) = 0.0366 |\epsilon_{Ze}|^2 \text{ MeV}$$

► PO in Higgs decays

The “physical meaning” of the parameters appearing in the $\{\kappa_i, \epsilon_i\}$ decomposition is not obvious at first sight, but it is actually quite simple [\rightarrow *physical PO*]:

PO	Physical PO	Relation to the eff. coupl.
$\kappa_f, \lambda_f^{\text{CP}}$	$\Gamma(h \rightarrow f\bar{f})$	$= \Gamma(h \rightarrow f\bar{f})^{(\text{SM})} [(\kappa_f)^2 + (\lambda_f^{\text{CP}})^2]$
$\kappa_{\gamma\gamma}, \lambda_{\gamma\gamma}^{\text{CP}}$	$\Gamma(h \rightarrow \gamma\gamma)$	$= \Gamma(h \rightarrow \gamma\gamma)^{(\text{SM})} [(\kappa_{\gamma\gamma})^2 + (\lambda_{\gamma\gamma}^{\text{CP}})^2]$
$\kappa_{Z\gamma}, \lambda_{Z\gamma}^{\text{CP}}$	$\Gamma(h \rightarrow Z\gamma)$	$= \Gamma(h \rightarrow Z\gamma)^{(\text{SM})} [(\kappa_{Z\gamma})^2 + (\lambda_{Z\gamma}^{\text{CP}})^2]$
κ_{ZZ}	$\Gamma(h \rightarrow Z_L Z_L)$	$= (0.209 \text{ MeV}) \times \kappa_{ZZ} ^2$
ϵ_{ZZ}	$\Gamma(h \rightarrow Z_T Z_T)$	$= (1.9 \times 10^{-2} \text{ MeV}) \times \epsilon_{ZZ} ^2$
$\epsilon_{ZZ}^{\text{CP}}$	$\Gamma^{\text{CPV}}(h \rightarrow Z_T Z_T)$	$= (8.0 \times 10^{-3} \text{ MeV}) \times \epsilon_{ZZ}^{\text{CP}} ^2$
ϵ_{Zf}	$\Gamma(h \rightarrow Z f\bar{f})$	$= (3.7 \times 10^{-2} \text{ MeV}) \times N_c^f \epsilon_{Zf} ^2$
κ_{WW}	$\Gamma(h \rightarrow W_L W_L)$	$= (0.84 \text{ MeV}) \times \kappa_{WW} ^2$
ϵ_{WW}	$\Gamma(h \rightarrow W_T W_T)$	$= (0.16 \text{ MeV}) \times \epsilon_{WW} ^2$
$\epsilon_{WW}^{\text{CP}}$	$\Gamma^{\text{CPV}}(h \rightarrow W_T W_T)$	$= (6.8 \times 10^{-2} \text{ MeV}) \times \epsilon_{WW}^{\text{CP}} ^2$
ϵ_{Wf}	$\Gamma(h \rightarrow W f\bar{f}')$	$= (0.14 \text{ MeV}) \times N_c^f \epsilon_{Wf} ^2$

► PO in Higgs decays [e.g.: $h \rightarrow 4l$]

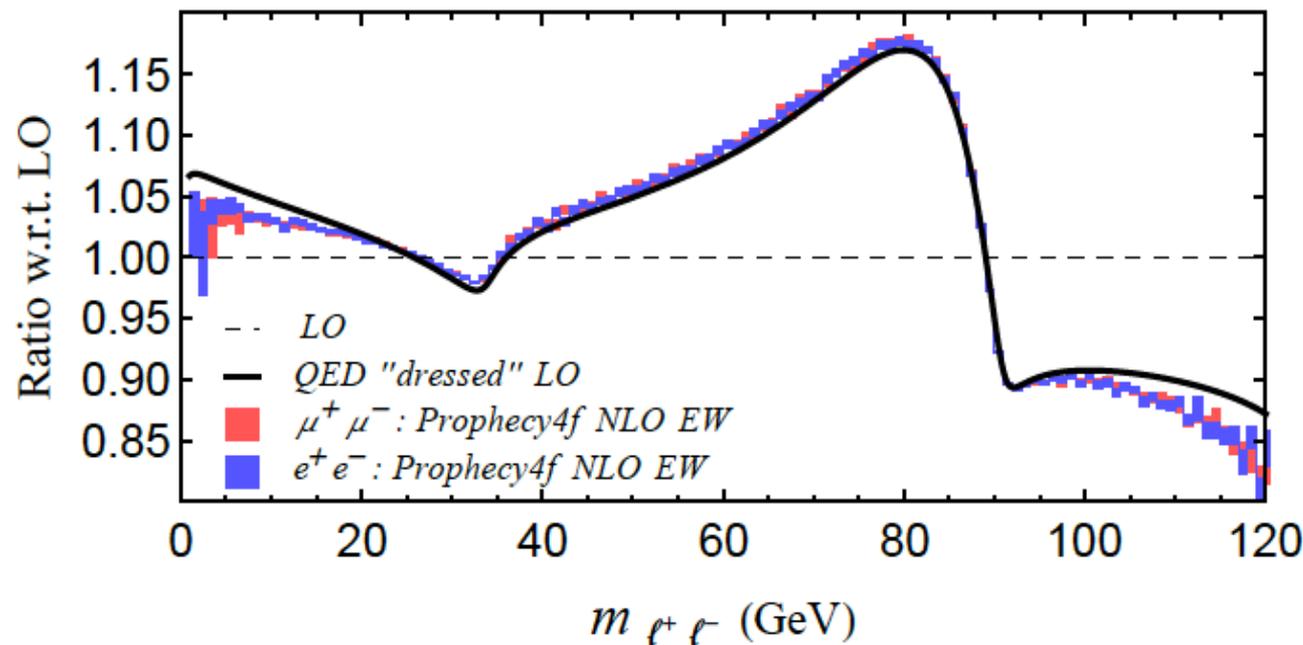
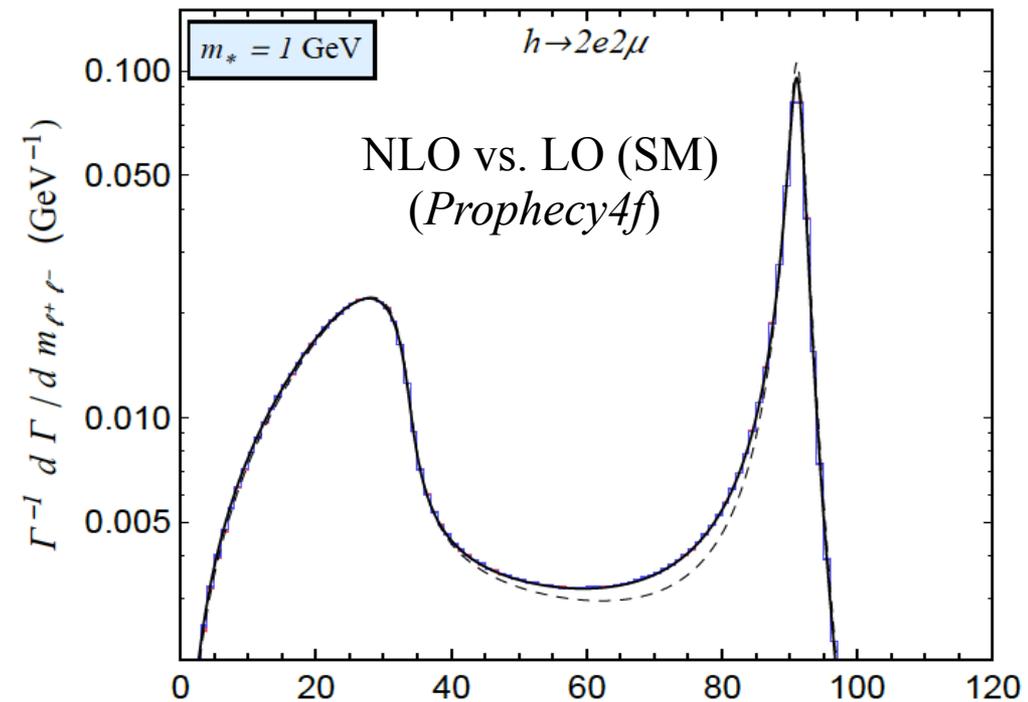
“Dressing” with QED radiation



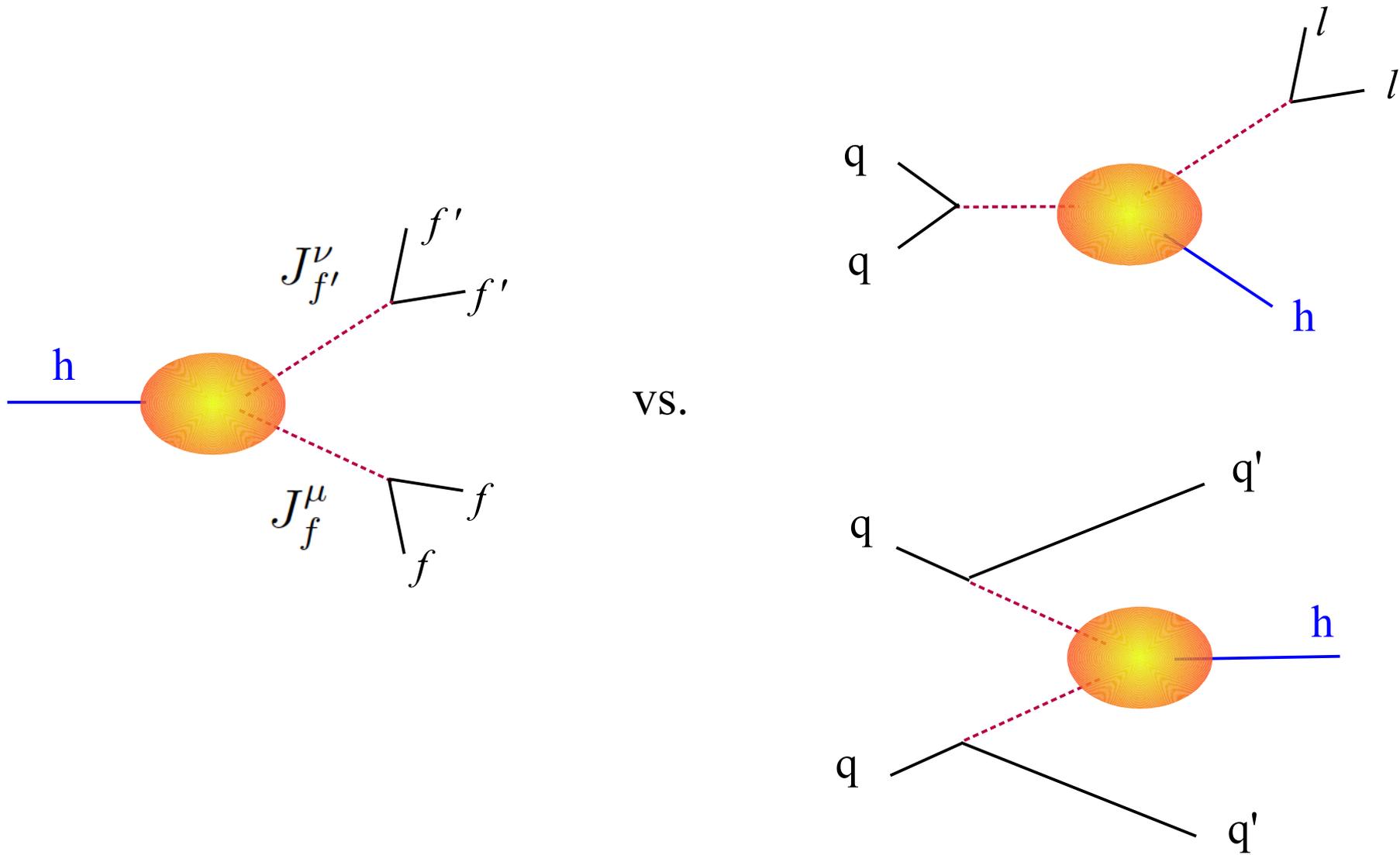
excellent description of NLO SM
(when setting PO to SM values)



tool able to describe
(general) NP beyond LO



PO in Higgs EW production



► PO in Higgs EW production

The same Green Function controlling $h \rightarrow 4f$ decays is accessible also in $pp \rightarrow hV$ and $pp \rightarrow h$ via VBF, i.e. the two leading EW-type Higgs production processes (N.B.: this follows from crossing symmetry no need to invoke any EFT...)

$$\langle 0 | \mathcal{T} \{ J_f^\mu(x), J_{f'}^\nu(y), h(0) \} | 0 \rangle$$

Same approach as in $h \rightarrow 4f$ (and, to some extent, same PO) but for three important differences:

Greljo et al. 1512.06135

- different flavor composition ($q \leftrightarrow \ell$) \rightarrow new param. associated to the physical PO $\Gamma(h \rightarrow Zqq)$ & $\Gamma(h \rightarrow Wud)$
- large impact of (factorizable) QCD corrections
- different kinematical regime: momentum exp. not always justified (*large momentum transfer*)

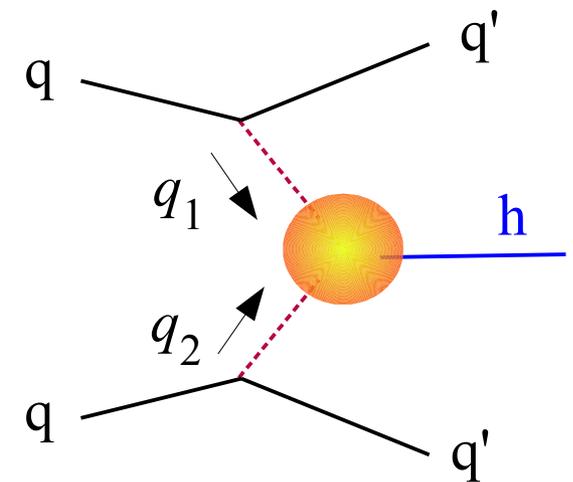
trivial

conceptually
easy

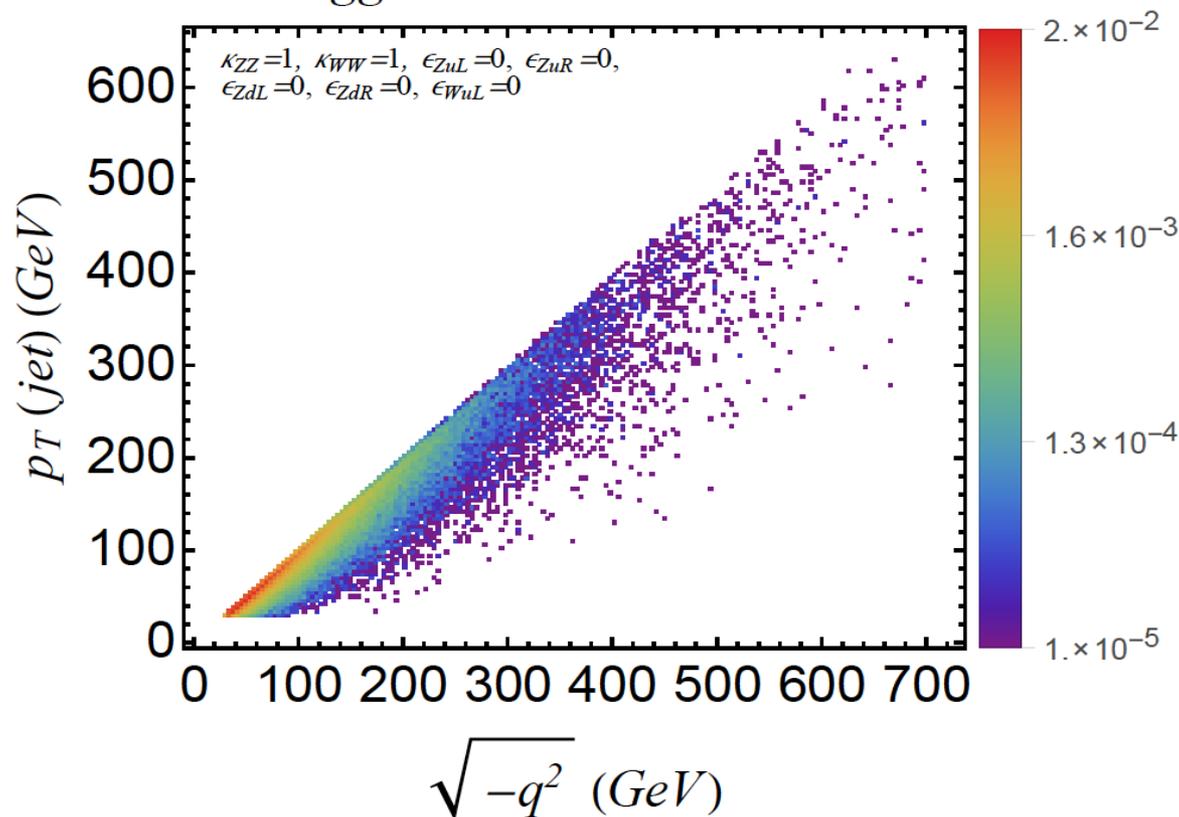
delicate
point

► PO in Higgs EW production [the VBF case]

A practical problem is also posed by the difficulty to directly access the key variables for the f.f. decomposition → need to construct a proxy



Higgs VBF @ 13 TeV LHC



strong correlation

$$q_i^2 \leftrightarrow -p_{T_i}^2$$

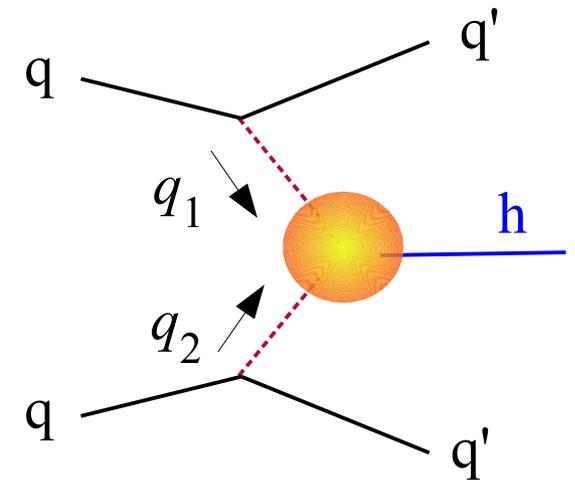


$$F(q_1^2, q_2^2) \leftrightarrow \frac{d^2\sigma}{dp_{T_1} dp_{T_2}}$$

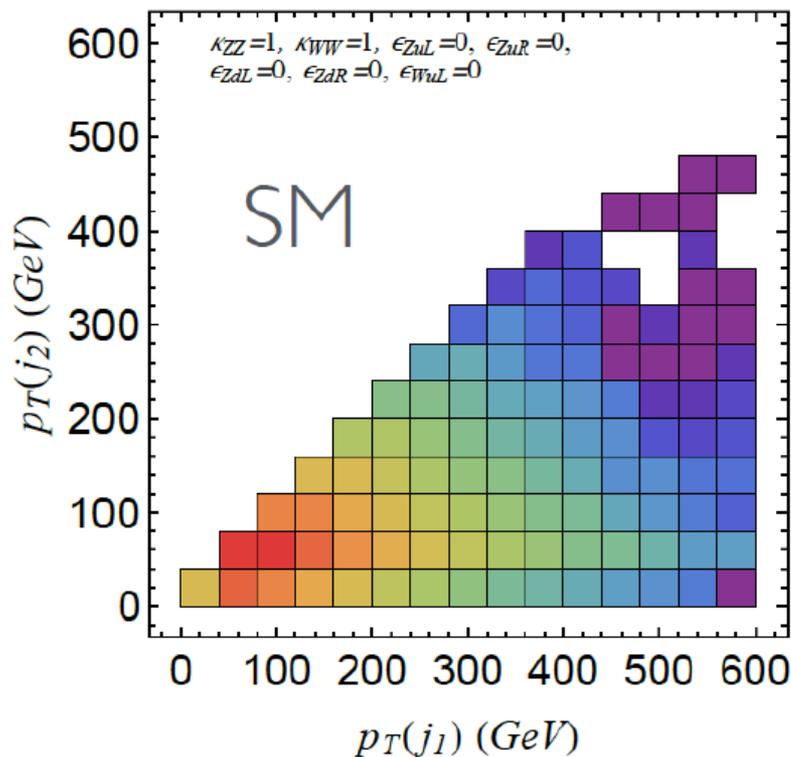
► PO in Higgs EW production [the VBF case]

Key experimental distribution:

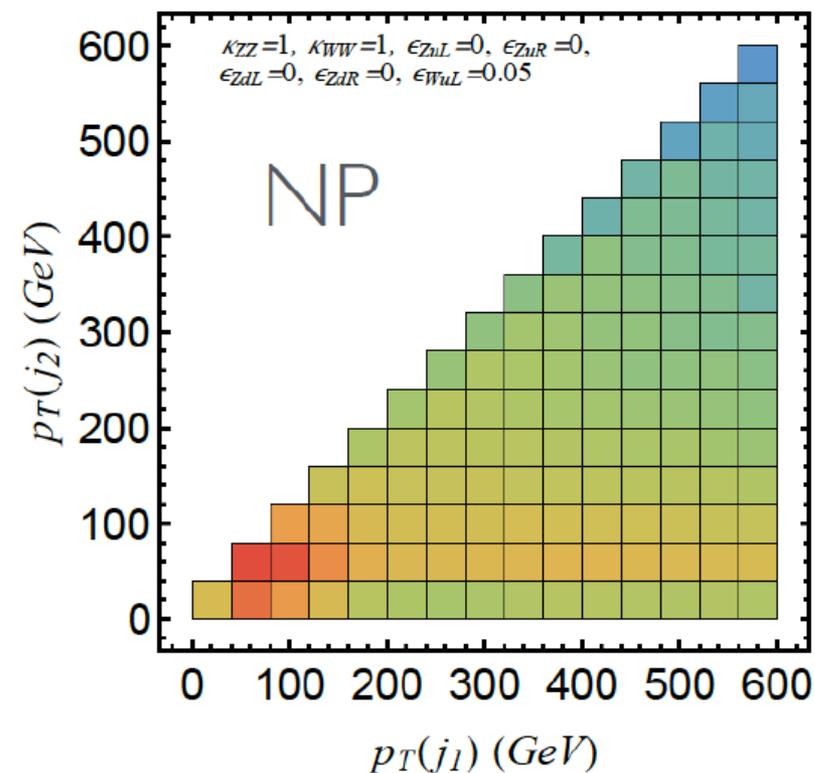
$$\frac{d^2\sigma}{dp_{T1} dp_{T2}}$$



Higgs VBF @ 13 TeV LHC



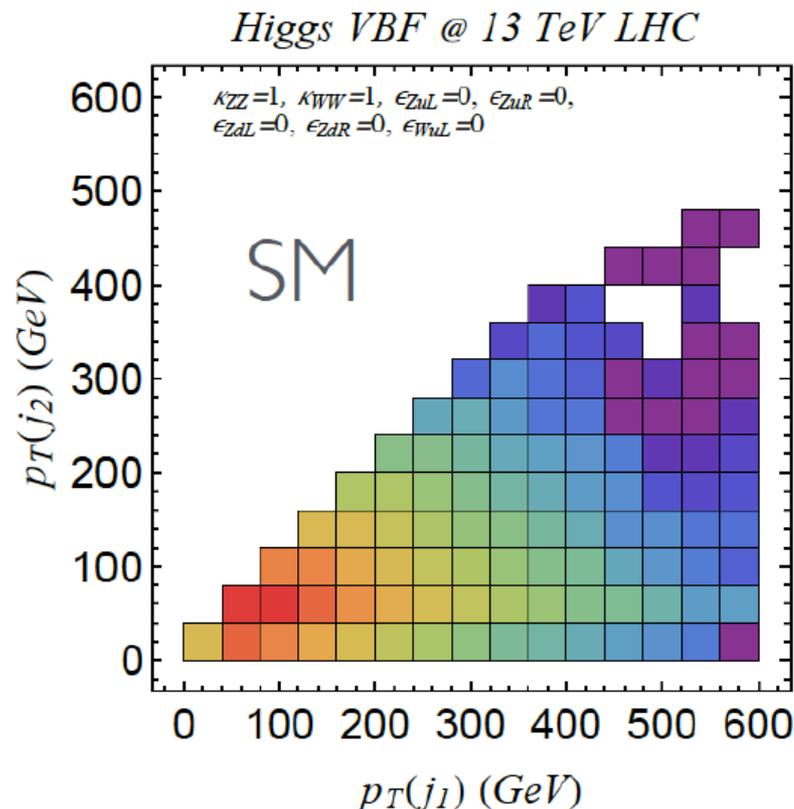
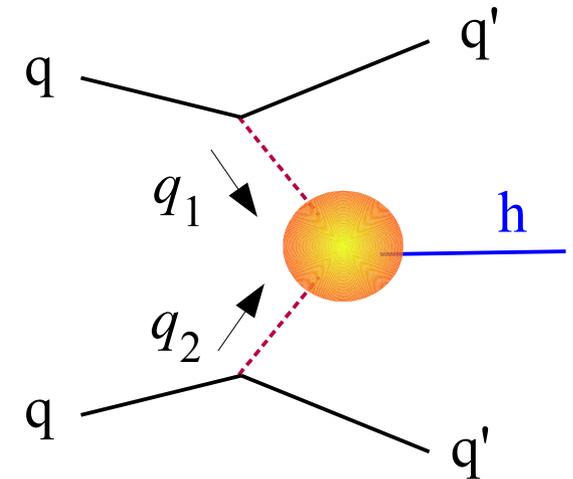
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$$\frac{d^2\sigma}{dp_{T1} dp_{T2}}$$

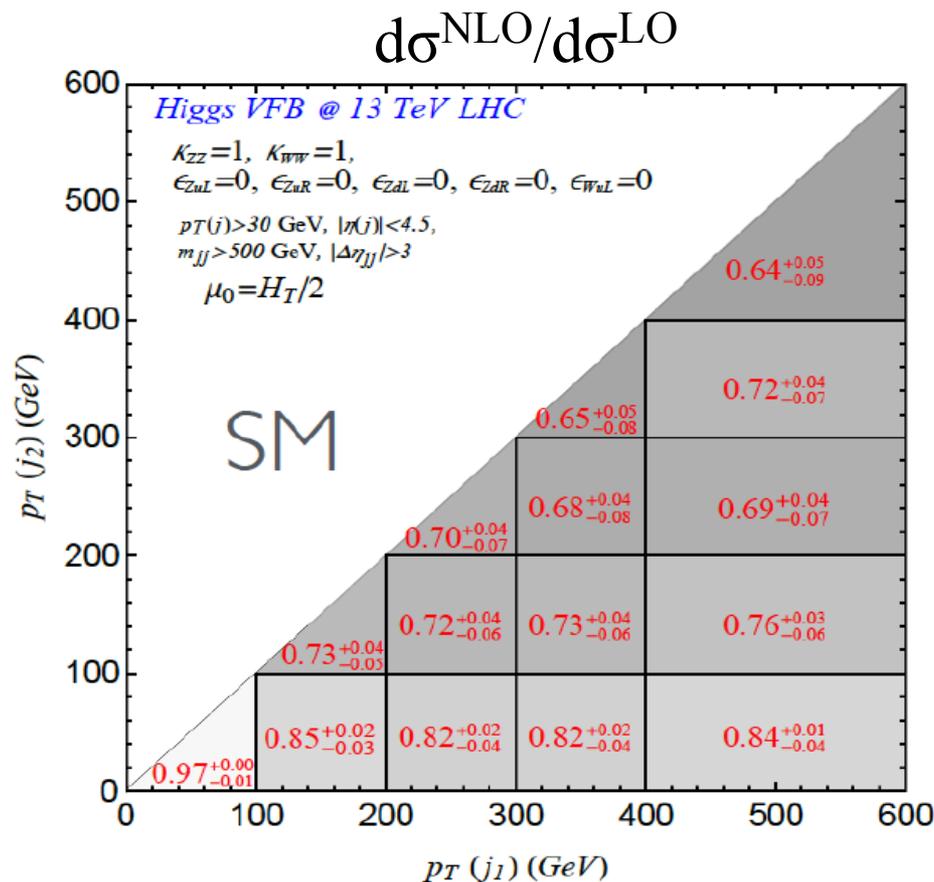
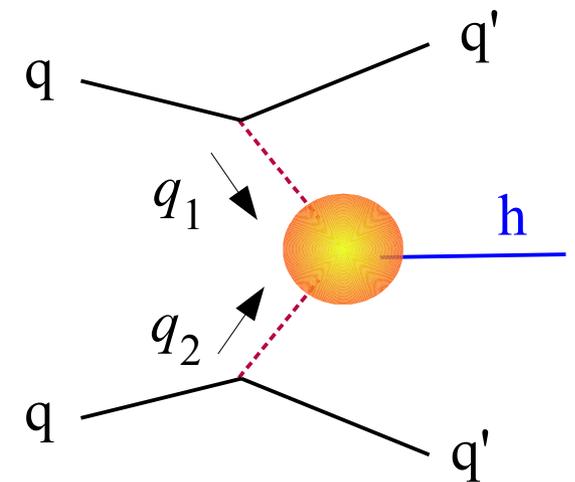


General procedure:

- Measure the *Higgs-coupling PO* (κ_i & ϵ_i) close to the threshold region (to be defined setting cuts on the “dangerous” kinematical variables) [→ a-posteriori data-driven check of the validity of the momentum expansion ↔ definition of threshold region]
- Report directly the cross-section as a function of p_T in the high-momentum transfer region (i.e. switch to *physical PO* at large p_T) [→ natural link/merging with template cross-section approach]

► PO in Higgs EW production [the VBF case]

Key experimental distribution: $\frac{d^2\sigma}{dp_{T1} dp_{T2}}$



Straightforward inclusion of (factorizable) NLO QCD corrections, which have a sizable impact on the distribution

PO vs. EFT



► PO vs. EFT

PO and couplings in EFT Lagrangians are *intimately related but are not the same thing* (on-shell amplitudes vs. Lagrangians parameters) → full complementarity

- The PO **are calculable in any EFT** approach (*linear, non-linear, LO, NLO...*)
 - In the limit where we work at the tree-level in the EFT there is a simple linear relation between PO and EFT couplings: each PO represent a unique linear combination of couplings of the most general Higgs EFT.
 - This does not hold beyond the tree-level (the PO do not change, but their relation to EFT couplings is more involved....)

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PO essential ingredient for EFT beyond LO

Ghezzi *et al.* 1505.03706
Passarino & Trott, YR4

More generally (*linear, non-linear, LO, NLO...*):

- PO → inputs for EFT coupling fits
- EFT → predictions of relations between different PO sets (that can be tested)

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 - ➔ In the limit where we work at the tree-level in the EFT there is a simple linear relation between PO and EFT couplings: each PO represent a unique linear combination of couplings of the most general Higgs EFT.
 - ➔ This does not hold beyond the tree-level (the PO do not change, but their relation to EFT couplings is more involved....)
- For Higgs production also the PO involve an **expansion in momenta**; however, this is different than the operator expansion employed within the EFT
 - ➔ To define the PO we expand only on a measurable kinematical variables, this is why the validity of the *expansion can be checked directly by data* (on the same process used to determine the PO)
- In each process the PO are the maximum number of independent observables that can be extracted by that process only → **naturally optimized for data analyses**

► PO vs. EFT

Number of independent PO for **EW Higgs decays** + **EW production** + **Yukawa modes** ($h \rightarrow ff$):

PO set with maximal symmetry [CP + Lepton Univ + cust.] \rightarrow no symmetry

	<i>Minimal set:</i>		<i>Without custodial symm.:</i>
Prod. & decays	$\kappa_{ZZ}, \kappa_{Z\gamma}, \epsilon_{ZZ}$	⋮	$\kappa_{WW}, \epsilon_{WW}$
EW decays only	$\kappa_{\gamma\gamma}, \epsilon_{Ze_L}, \epsilon_{Ze_R}, \epsilon_{We_L}$	⋮	$\epsilon_{Z\nu_\mu}$
EW prod. only	$\epsilon_{Zu_L}, \epsilon_{Zu_R}, \epsilon_{Zd_L}, \epsilon_{Zd_R}$	⋮	ϵ_{Wu_L}
			11 \rightarrow 15 (no CS) \rightarrow 32 (no symm.)
Yukawa modes	$\kappa_b, \kappa_\tau, \kappa_c, \kappa_\mu$	4	\rightarrow 8 (no symm.)
		<i>(as in the original κ-formalism)</i>	
gg \rightarrow h & ttH	κ_g, κ_t	2	\rightarrow 4 (no symm.)

Recent developments and Tools



► Recent developments and Tools

Three recent developments:

[Tools]

Automated public tool (*UFO model* for MG5_aMC@NLO) for generation of events with *generic PO* (both in production & in decays), with systematic inclusion of NLO QCD corrections is now fully available

[New channels]

Proposal of *physical PO* for $pp \rightarrow tth$

[Theory]

Formalism developed for the inclusion of the leading EW corrections (universal large EW logs) in the PO framework for EW production cross sections (Vh & VBF) at large momentum transfer

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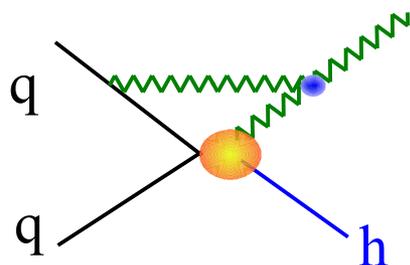
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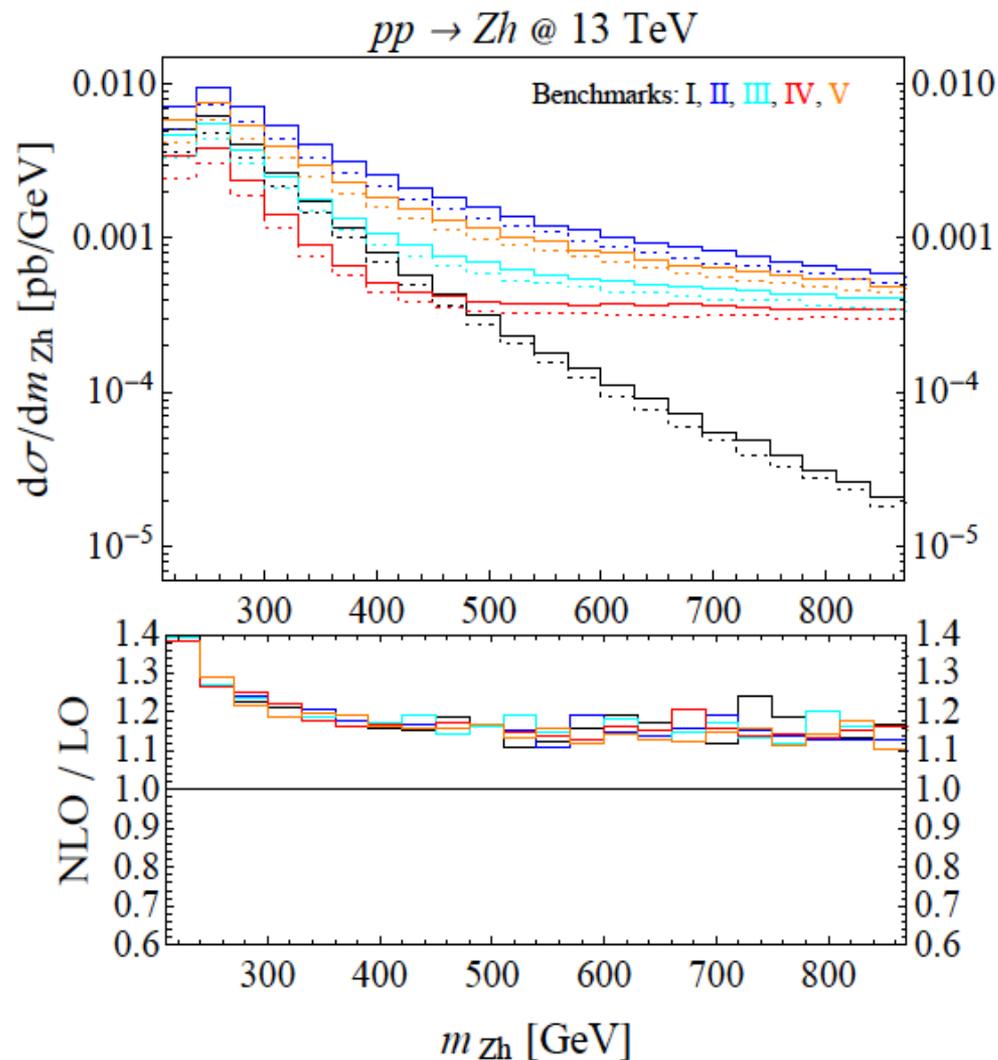
Formalism developed for the inclusion of the leading EW corrections (universal large EW logs) in the PO framework for EW production cross sections (Vh & VBF) at large momentum transfer



Leading kinematical corrections
unambiguously determined (IR effect)

► Recent developments and Tools

Automated public tool (*UFO model* for MG5_aMC@NLO) for generation of events with *generic PO* (both in production & in decays), with systematic inclusion of NLO QCD corrections is now fully available



Higgs PO

DESCRIPTION

DOWNLOAD

CONTACTS

<http://www.physik.uzh.ch/data/HiggsPO>

Electroweak Higgs production with HIGGSPO at NLO QCD

Admir Greljo^{1,2}, Gino Isidori^{1,3}, Jonas M. Lindert⁴, David Marzocca¹

Abstract We present the HIGGSPO UFO model for Monte Carlo simulations of electroweak Higgs production processes VH and VBF at NLO in QCD. Using this model we investigate the QCD corrections matched to parton showers for several benchmark points in the Higgs PO parameter space. The QCD higher-order corrections largely factorize, however, they still have to be considered in realistic experimental analyses.

in a few days on the arXiv...

► Recent developments and Tools

In $pp \rightarrow t\bar{t}h$ an approach based on *effective couplings PO* (as in $h \rightarrow 4l$) is not feasible:

- Many independent amplitudes
- Few accessible discriminating kinematical variables
- Low statistics & high background



More convenient an approach based directly on *physical PO*, i.e. a well defined set of partial σ 's, satisfying the following requirements:

- Well-defined on the theory side
- Close to accessible exp. quantities (*minimum th. bias in the extrapolation*)
- Mutually exclusive & probing different regions of NP parameter space



Proposal based on boosted/non-boosted topologies for top an h ($\rightarrow b\bar{b}$)

► Recent developments and Tools

In $pp \rightarrow t\bar{t}h$ an approach based on *effective couplings PO* (as in $h \rightarrow 4l$) is not feasible \rightarrow proposal based on boosted/non-boosted topologies for top and Higgs

Six (mutually-exclusive) partial cross sections:

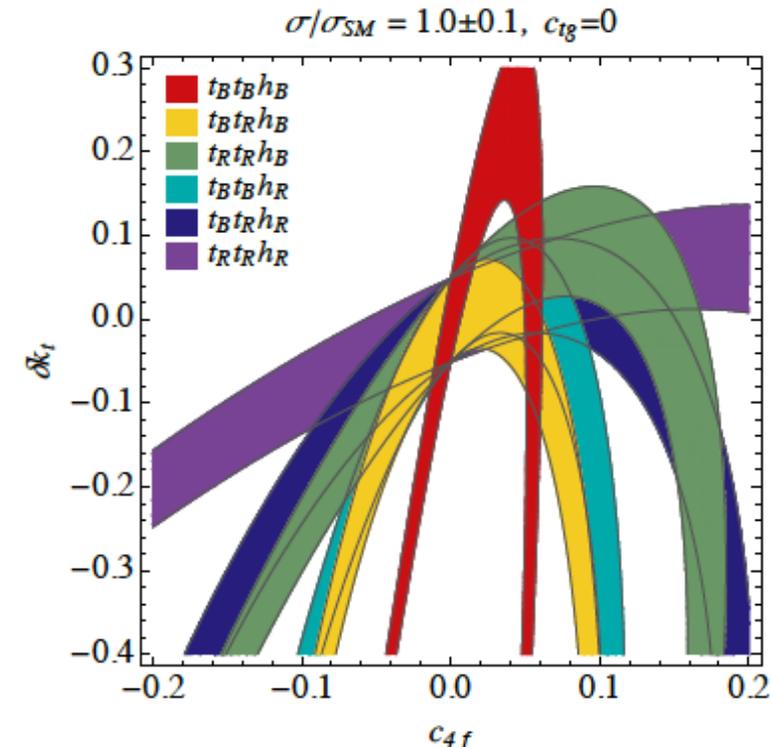
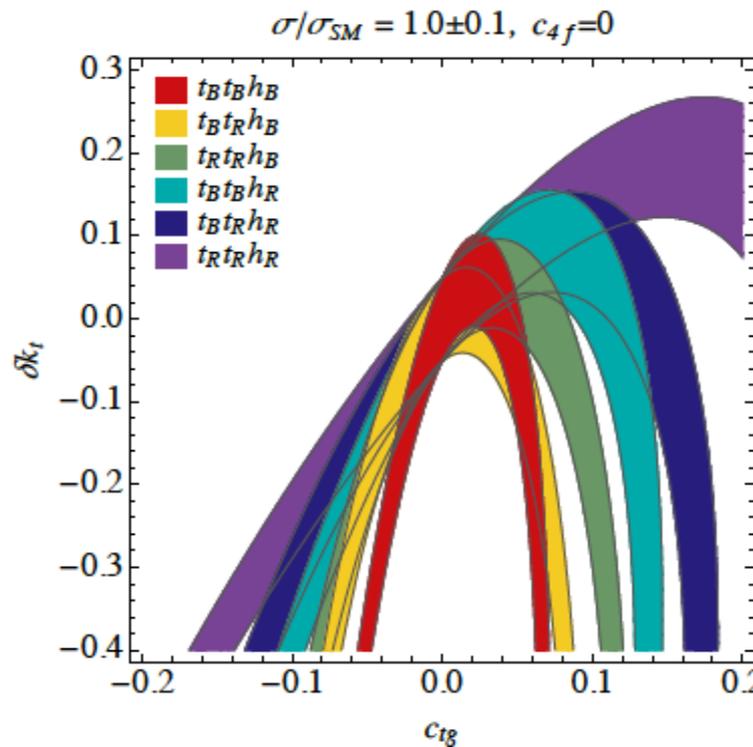
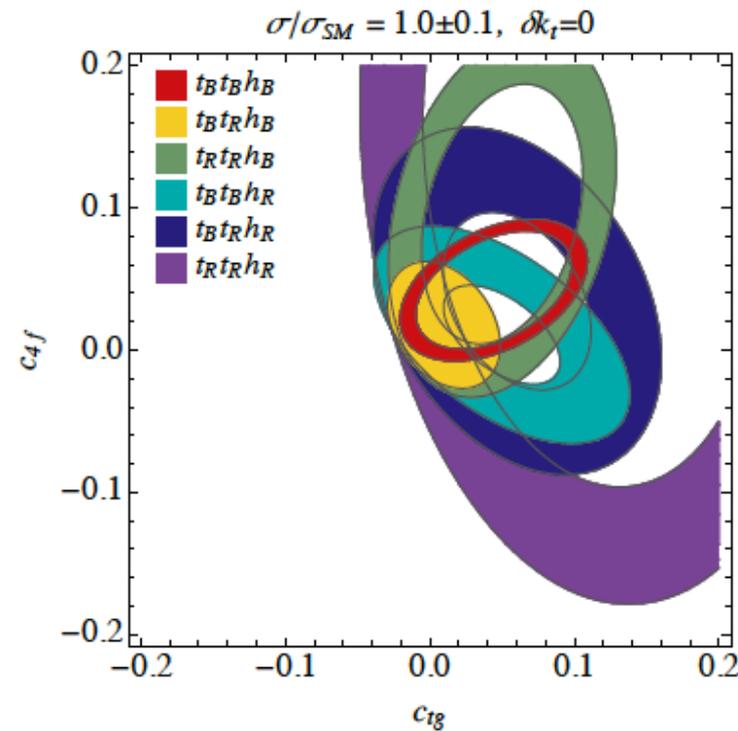
$\sigma(t_B t_B h_B)$	$\sigma(t_B t_B h_R)$	$t(h)_B =$ “ boosted ” = top(Higgs)” decay products within a cone of size $\Delta R_{t(h)}$
$\sigma(t_B t_R h_B)$	$\sigma(t_B t_R h_R)$	
$\sigma(t_R t_R h_B)$	$\sigma(t_R t_R h_R)$	

$t(h)_R =$ “**rest**” (non boosted)

► Recent developments and Tools

Illustration of the different sensitivity to NP of the six $\sigma(t_X t_Y h_Z)$:

$\sigma(t_B t_B h_B)$	$\sigma(t_B t_B h_R)$
$\sigma(t_B t_R h_B)$	$\sigma(t_B t_R h_R)$
$\sigma(t_R t_R h_B)$	$\sigma(t_R t_R h_R)$



Faroughy, Greljo,
GI, Kamenik,
Marzocca, to appear

Conclusions

- The **PO** represent a general tool for the exploration of Higgs properties (in view of high-statistics data), with minimum loss of information and minimum theoretical bias → *full complementary to EFT* (and explicit BSM)
- Formalism and (NLO-QCD) tools fully developed for **Higgs decays** and **Higgs EW production** cross sections.
- On-going activity for tth (→ natural “merging” with template XS approach) and for the inclusion of large EW logs