

Convert RHIC to eRHIC

Add an electron ring to the RHIC tunnel

Main features:

 Collides electrons with protons, light and heavy ions

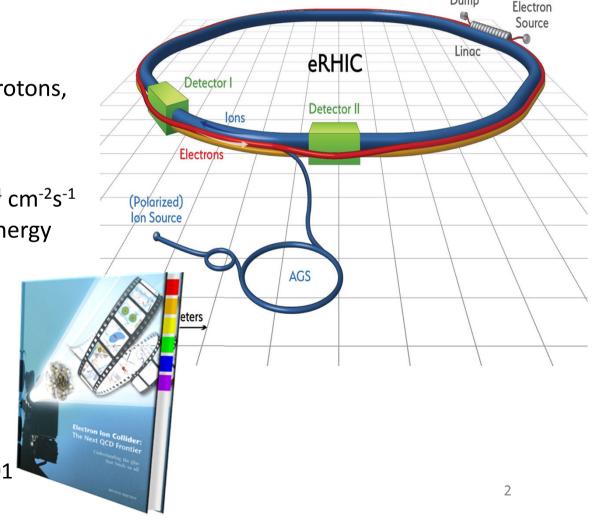
Polarized electron and proton/light ion beams

• High luminosity 10^{33} - 10^{34} cm⁻²s⁻¹

• Wide range in collision energy $\sqrt{s} = 20 - 140 \text{ GeV}$

 Main physics goals (nonexhaustive list)

- Proton spin
- Proton tomography
- Gluon saturation



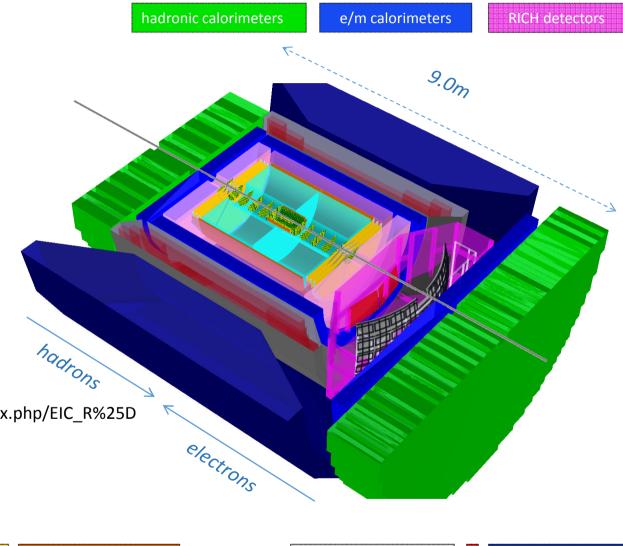
Polarized

arxiv:1212.1701

Detector and IR requirements

- Main detector coverage over -3.5 < η < 3.5
 - Electron ID from -3.5 < η < 1; π suppression up to 1:10⁴
 - $\pi/K/p$ separation with suppression factors ~100 required
 - Spatial resolution of primary vertex ~10-20 microns
 - Hcal at forward η for jet studies
- Close-to-beam-line acceptance
 - Recoil protons
 - Neutrons in hadron going direction
 - Low Q² electrons
- Luminosity and polarization measurement
 - photons from Bethe-Heitler for lumi
 - photons and/or electron from Compton scattering for e pol

Reference detector layout: BeAST



 BeAST: Brookhaven eA Solenoidal Tracker

- Hermetic coverage
- Tracking and e/m calorimetry in the range |η| < 3.5
- Active R&D for detector components

https://wiki.bnl.gov/conferences/index.php/EIC R%25D

silicon trackers

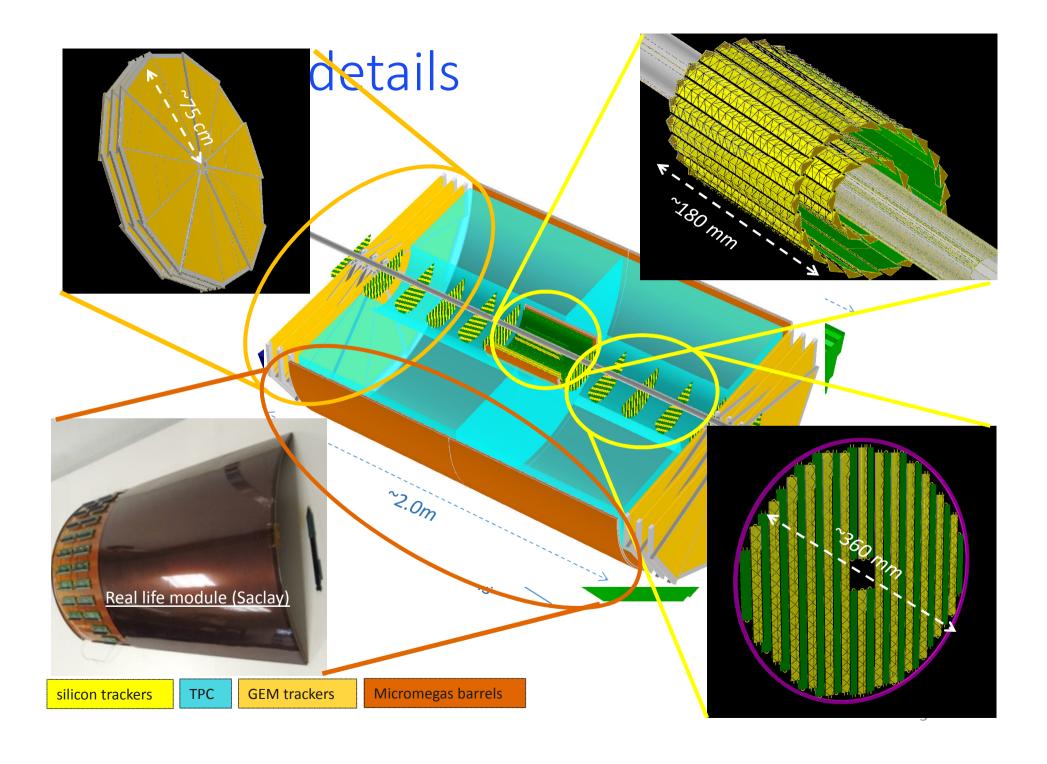
TPC

GEM trackers

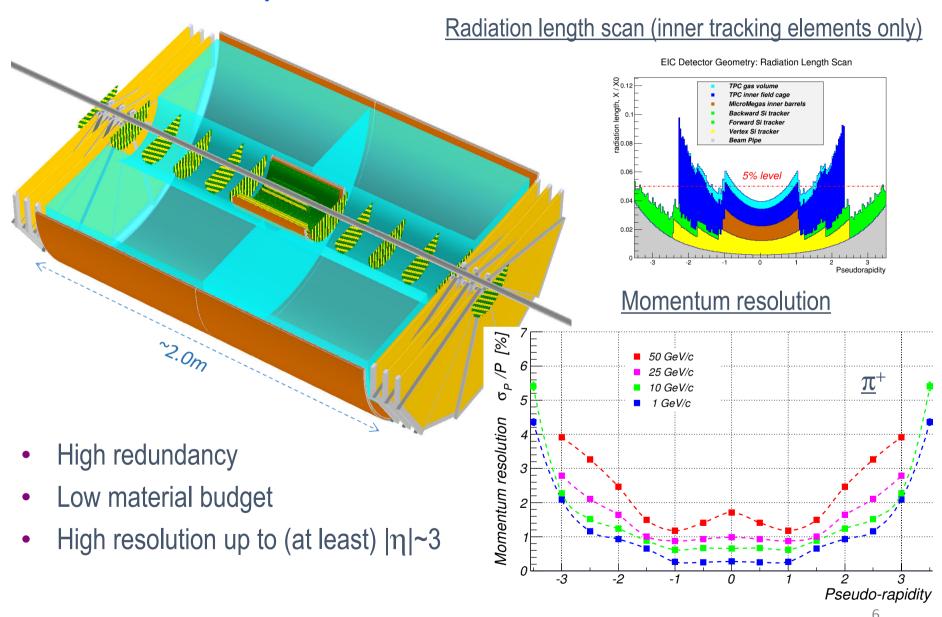
Micromegas barrels

3T solenoid cryostat

magnet yoke

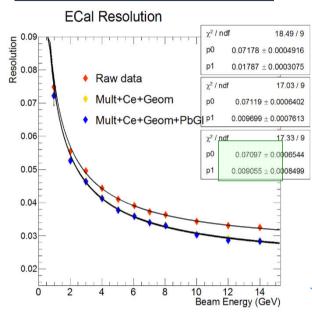


Tracker performance in simulation



Calorimeters

May'2016 test run in FNAL

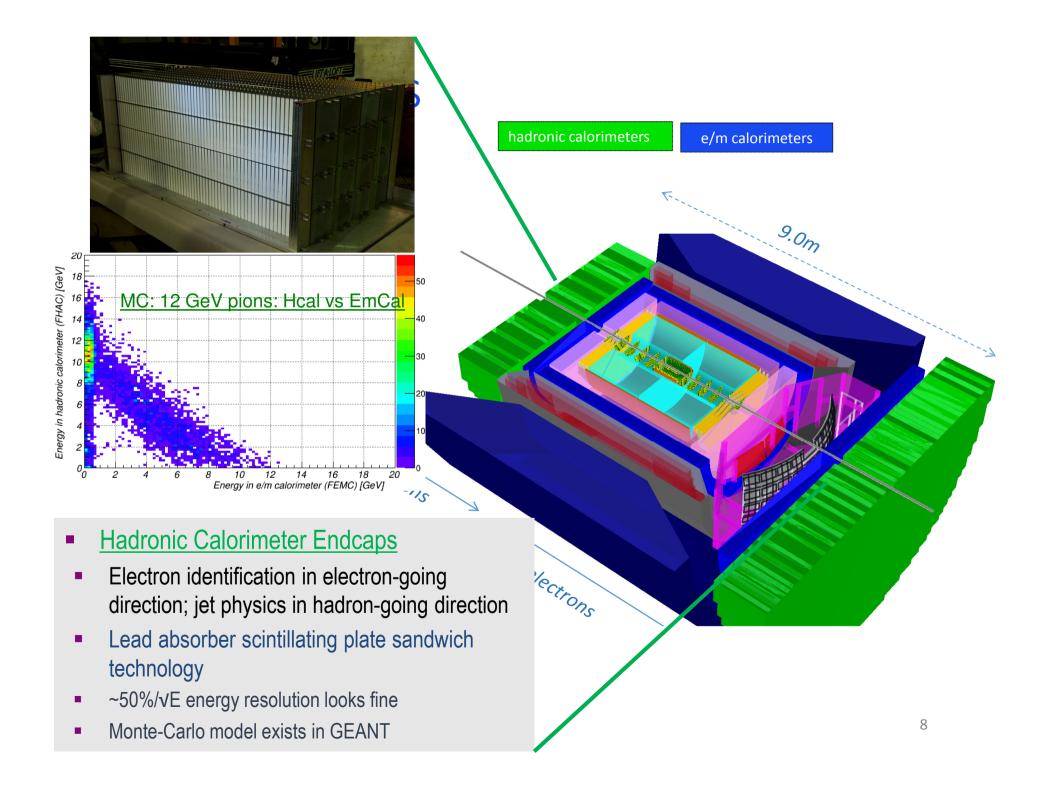


20 X.
Eic 2016
23 X.
Eic 2016
25 X.
Eic 2017
Eic 2017

e/m calorimeters

- Electromagnetic Calorimeter
- Very backward pseudo-rapidities ($\eta < -2$):
 - PWO crystals with ~2%/√E (or better) energy resolution
- Pseudo-rapidity range $-2 < \eta < 3.5$:
 - Tungsten powder scintillating fiber technology with ~7-10%/√E energy resolution

electron



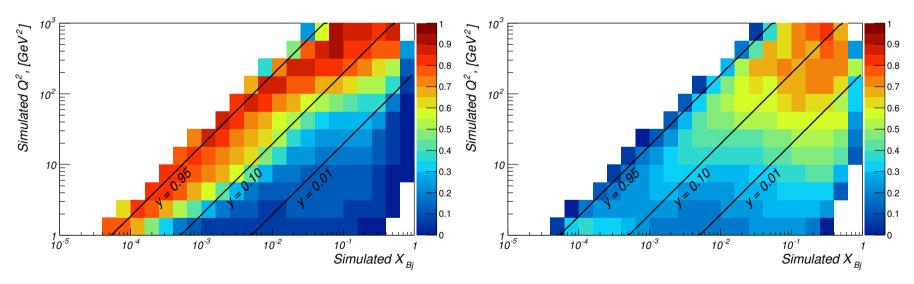
"Purity" in (x,Q²) kinematic bins

$$Purity = \frac{N_{gen} - N_{out}}{N_{gen} - N_{out} + N_{in}}$$

- Describes migration between kinematic bins
- Important to keep it close to 1.0 for successful unfolding
- {PYTHIA 20x250 GeV} -> {GEANT} -> {Kalman filter track fit}
- Bremsstrahlung turned on here (and it matters even for detector with ~5% X/X ₀!)

Lepton tracking only

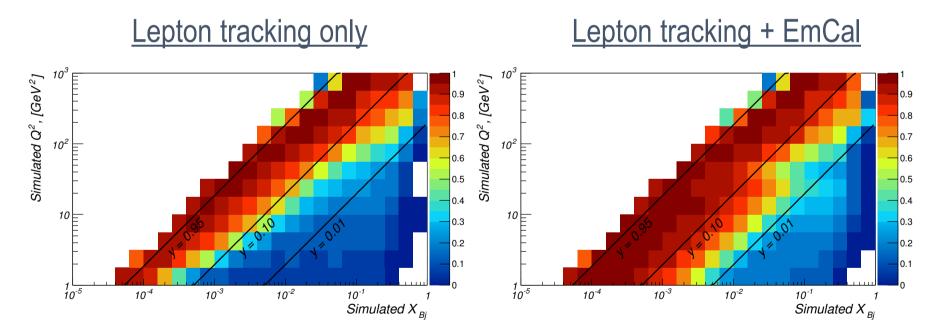
Double-angle method



- "Straightforward" lepton tracking can hardly help at Y<0.1
- Hadronic final state accounting allows to recover part of the high Q² range

"Purity" in (x,Q2) kinematic bins, cont'd

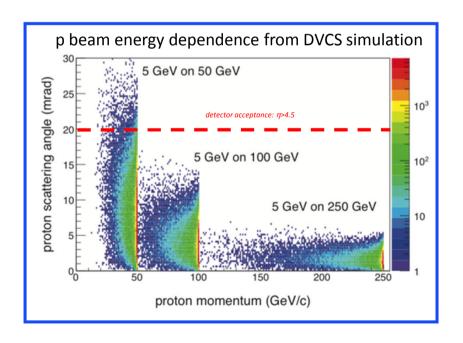
- Assume e/m calorimeter is used in addition to tracking
 - $\sim 2\%/\sqrt{E}$ energy resolution for $\eta < -2$ (PWO crystals)
 - $\sim 7\%/\sqrt{E}$ energy resolution for $1 < \eta < 2$ (tungsten powder scint. fiber sampling towers)
- Consider "bremsstrahlung off" case here for simplicity

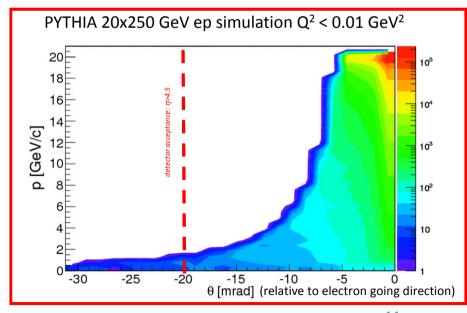


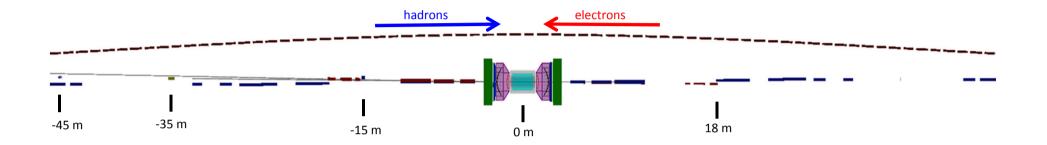
High-resolution e/m calorimeter allows to noticeably increase available Y range

Auxiliary Detectors

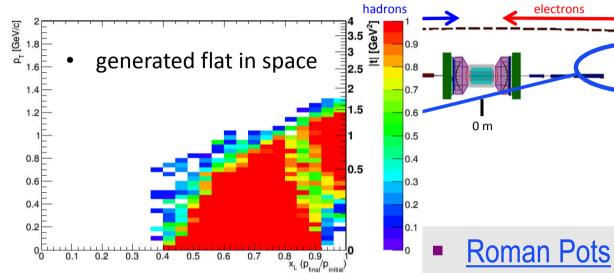
- In addition to the main detector, there are several auxiliary components being developed which are critical to the program
 - Forward proton tagger (Roman Pots, small angle scattered protons)
 - Low Q²-tagger (small angle scattered electrons)
 - Luminosity monitor
 - Electron beam polarimetry



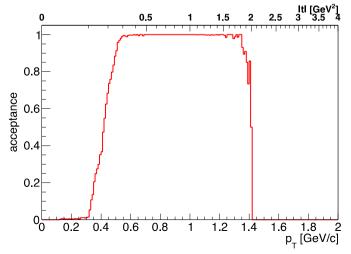




- Ongoing R&D and optimization of the IR layout with the machine design group
- Much attention given to allow acceptance of forward and backward going particles close to the beam
 - Scattered protons and neutrons
 - Scattered electrons
 - Photons for luminosity measurement
- Active R&D for machine induced backgrounds that may be present
 - Synchrotron radiation from the electron beam
 - Beam-gas interactions



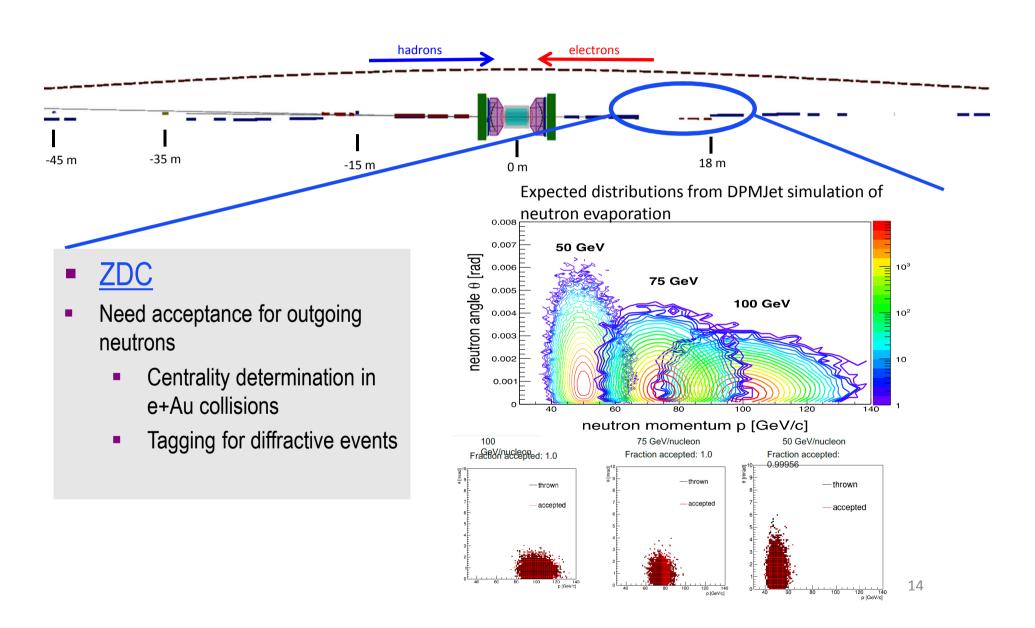
- One station at ~20 m
- MILOU 20x250 GeV DVCS sent into sim

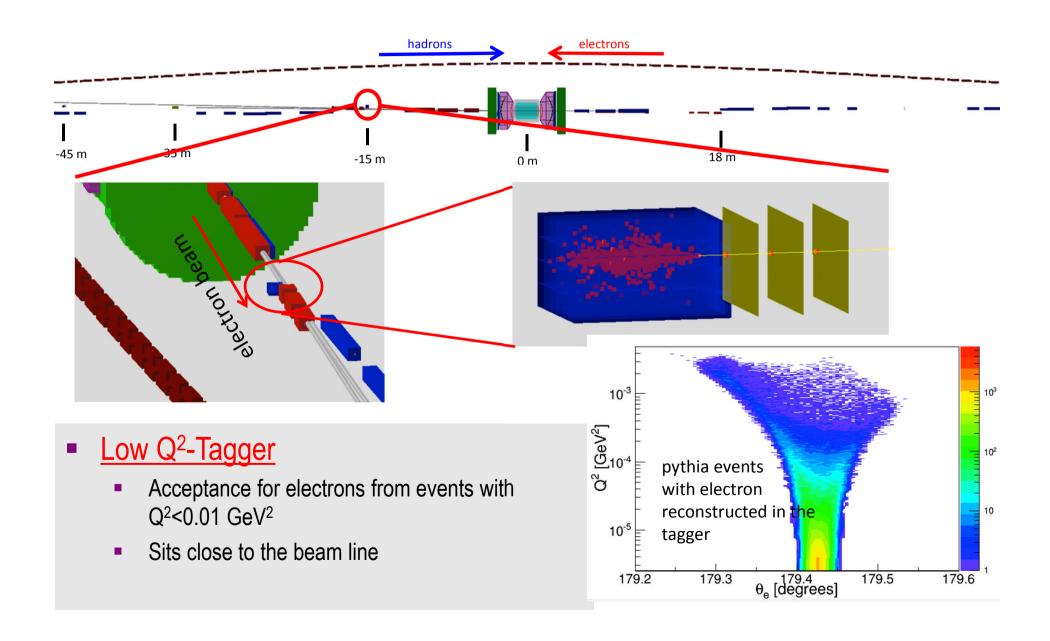


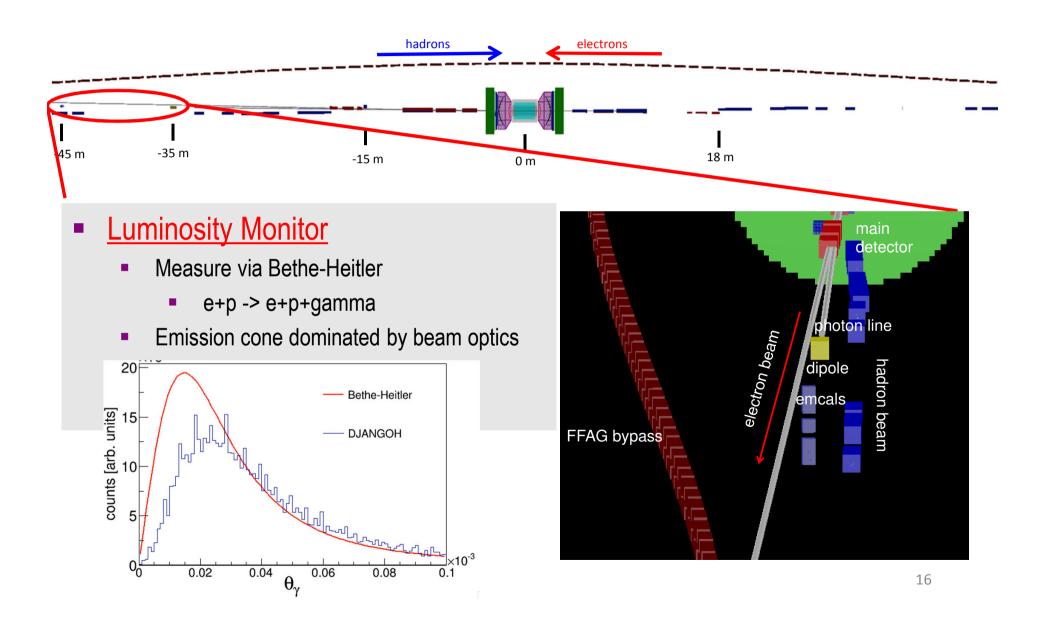
- Sensors integrated into the vacuum system
- Retractable to move into the beam after stable

18 m

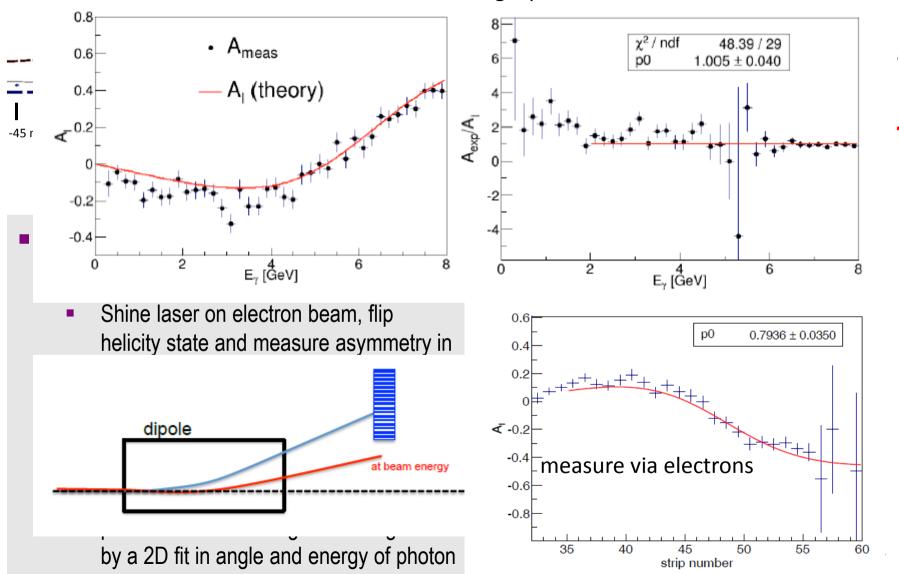
- Allows to move sensors as close to beam as possible
 - Typically around 10sigma beam width
 - Defined by beam optics (beta function) at the location of the roman pot
 - Want small beta function with large dispersion to pull scattered protons out of the beam
- Ongoing R&D with machine developers to give access











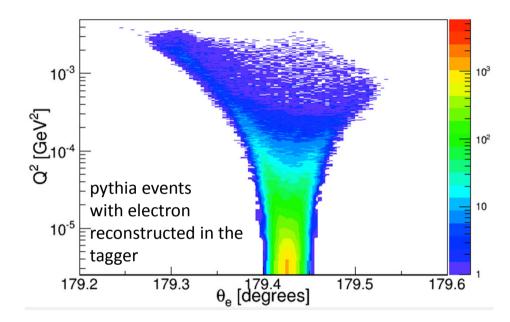
Summary

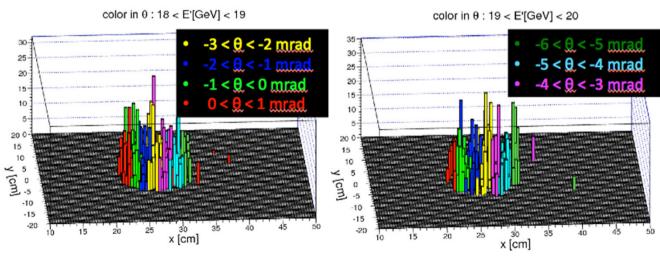
- Construction of an EIC is deemed a top priority in major facility construction in the US by the NSAC
- Major detector R&D programs underway for detector technologies and the planning of the detector to meet the physics goals of the facility
- A new detector is being developed to carry out the next generation DIS measurements (BeAST)
- The design of detector components, configuration, and technologies guided by physics requirements
 - Main DIS detector
 - Auxiliary support through down stream close to beam line detectors, luminosity monitors and polarimeters

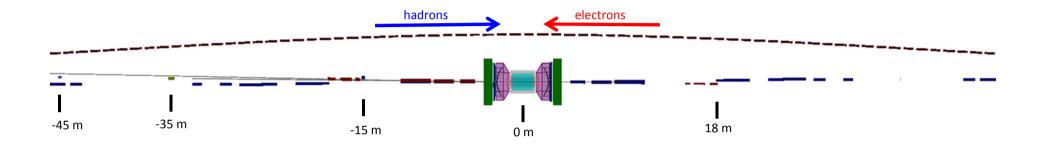
Backups

Physics with a low Q²-tagger

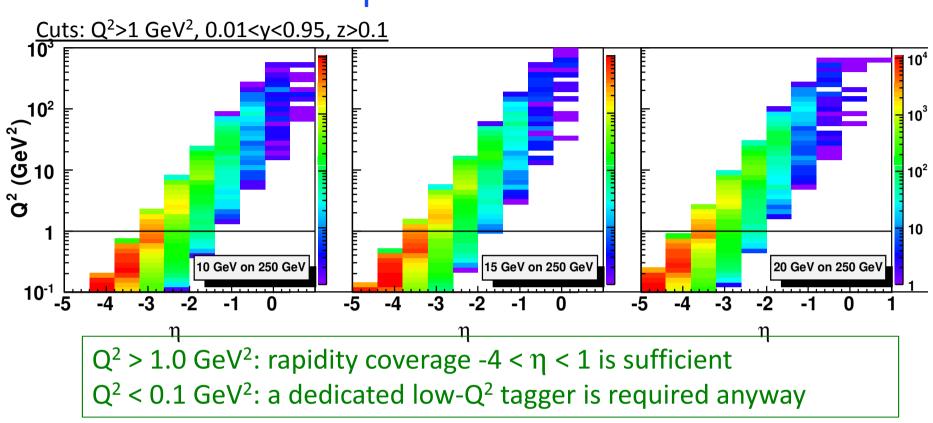
- acceptance of electrons from events down to $Q^2 \sim 10^{-5} \text{ GeV}^2$
- allows for further study of photoproduction physics
 - represents large portion of total cross section
 - probing the quark structure of photons
 - direct vs resolved photon
 - look for change in event properties associated with transition of real to virtual photon



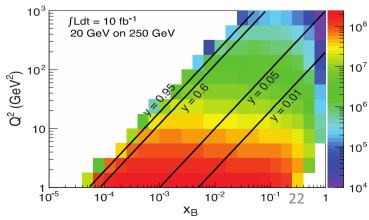




Scattered Lepton Kinematics



Also notice: as lepton beam energy goes up scattered lepton is boosted to negative η



Silicon Vertex Tracker

ALICE ITS design

- 2x2 barrel layers with high resolution MAPS
- assume discrete 20x20 μ m² pixels and ~0.3% X₀ per layer

The prototype (ALICE ITS TDR page)

EIC Detector Geometry: Radiation Length Scan

Two innermost layers

J. Phys. G: Nucl. Part. Phys. 41 (2014) 087002



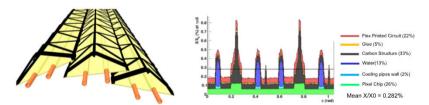
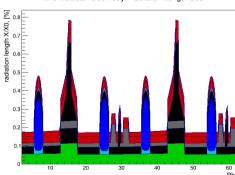


Figure 4.3: A detail of the Stave overlaps of the Inner Layers (left) and the corresponding material budget distribution (right). The highest peaks correspond to the overlap of the reinforced structures at the edges of the Space Frame, while the narrow spikes to the reinforcement at the upper vertex. The peaks around $0.5\%~X_0$ are due to the polyimide cooling pipes fully filled of water.

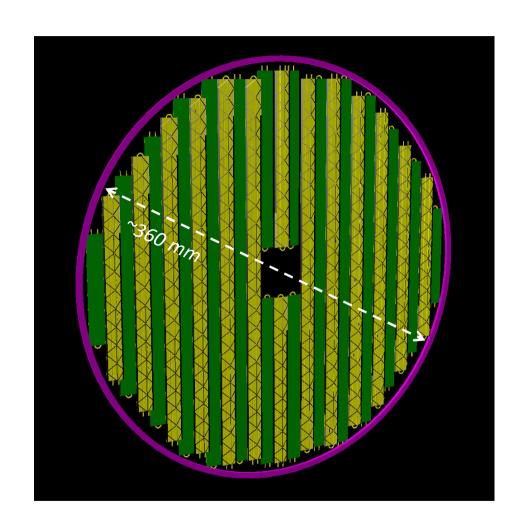


Radiation length scan (single layer)

Forward & backward Silicon Trackers

- 2x7 disks with 30 .. 180 mm radius
- for now assume the same building blocks (complete staves) as in the vertex tracker
- Final configuration can be a combination of ALICE ITS and MFT upgrades

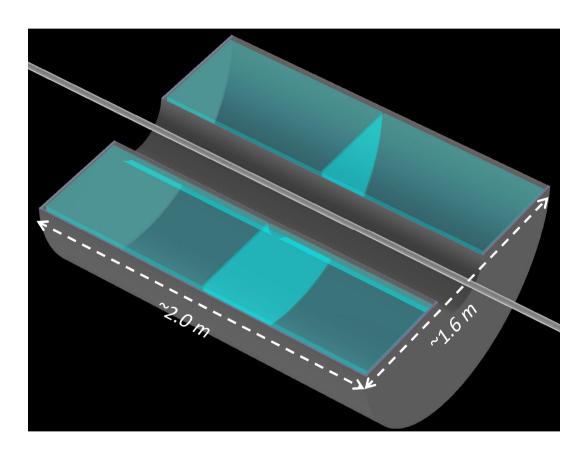
Design of this subsystem will likely become a topic for a separate R&D effort soon



TPC

- ~2m long; gas volume radius[225..775] mm
- 1.2% X/X₀ IFC, 4.0% X/X₀
 OFC; 15.0% X/X₀ end-caps
- assume 5 mm long GEM pads and ~250 μm single point {rφ} resolution for the max. drift distance of ~1m
- A gas mixture like T2K at ~250 V/cm (very small transverse dispersion in 3T field) will do the job

Ongoing EIC R&D project

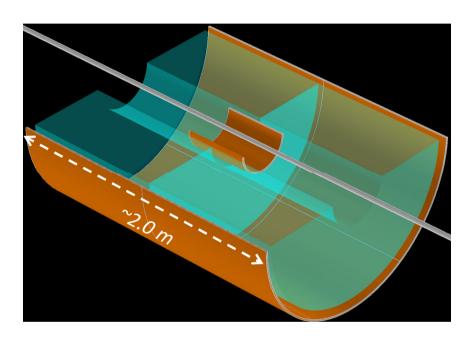


Micromegas barrel tracker

- 4 layers; technologically driven azimuthal and longitudinal segmentation
- 2D readout; assume ~100
 μm spatial resolution



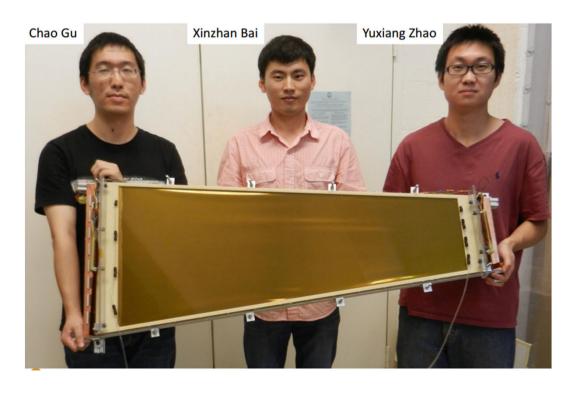
CLAS12 upgrade project



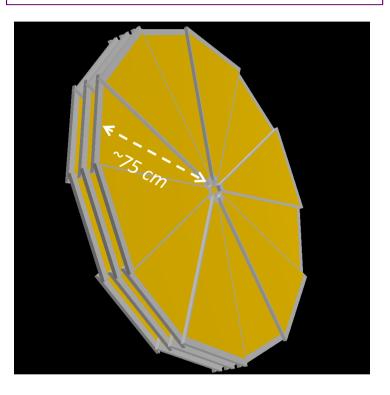
- Internal structure modeled according to the real-life prototypes
- ~0.5% X/X₀ per layer

GEM endcap trackers

- 3 disks behind the TPC end-caps; SBS internal design for now
- assume 50 μm {rφ} spatial resolution can be achieved



Ongoing EIC R&D project



- Well advanced R&D program
- A couple of groups have their own large area GEM designs

Superconducting solenoid

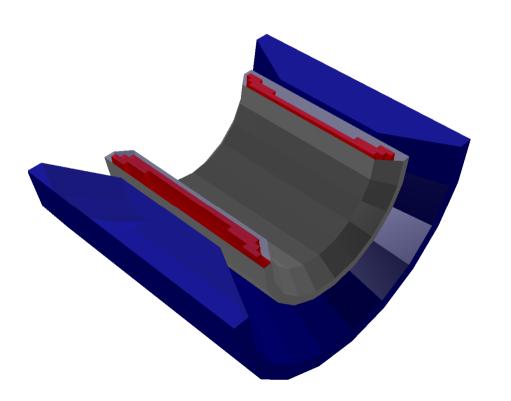
Goal:

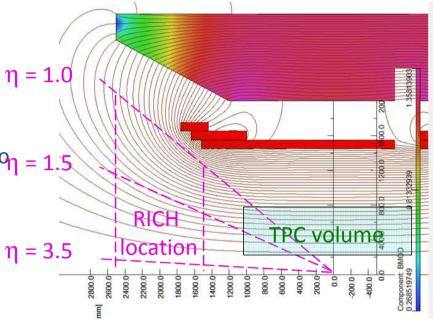
Implement in the same compact design:

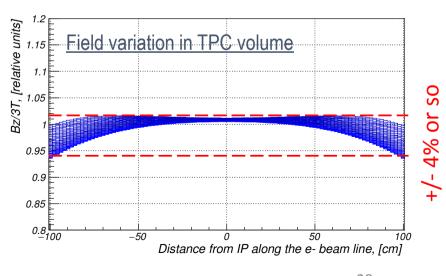
homogeneous ~3T field in the TPC

hadron-track-aligned field in the RICH

Keep it simple (no dual solenoid configuration; no_η = 1.5 reversed current coils; no flux return through HCal; no warm coils between RICH and EmCal)







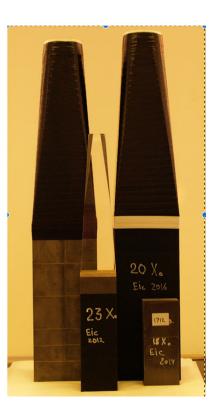
Electromagnetic calorimeters

• Very backward pseudo-rapidities ($\eta < -2$):

Ongoing EIC R&D projects

- PWO crystals with $\sim 2\%/\sqrt{E}$ (or better) energy resolution
- Pseudo-rapidity range $-2 < \eta < 3.5$:
 - Tungsten powder scintillating fiber technology with ~7-10%/√E energy resolution

May'2016 test run in FNAL 18.49 / 9 Resolution 80.0 0.01787 ± 0.0003075 Raw data 17.03/9 Mult+Ce+Geom 0.07 0.07119 ± 0.0006402 0.009699 ± 0.0007613 Mult+Ce+Geom+PbGl p1 0.06 17.33 / 9 0.07097 ± 0.0006544 0.05 0.009055 ± 0.0008499 0.04 0.03 0.02 Beam Energy (GeV)



e⁻ and γ energy measurement; e/p electron ID

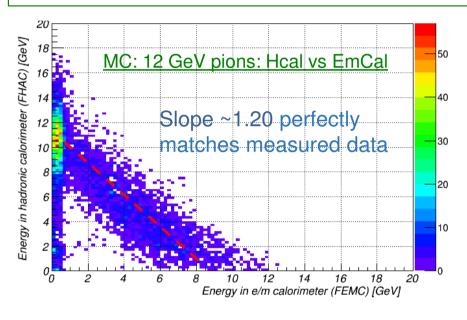
 \rightarrow H1 : (7..12)%/√E+1% \rightarrow ZEUS : 18%/√E+1%

- Several configurations tested since 2012
- Reach energy resolution level of ~{7%/√E + 1%} with the PMTs
- See clear path towards getting similar level of performance with a compact readout

Hadronic calorimeter(s) in the end-cap(s)

Electron identification in electron-going direction; jet physics in hadron-going direction

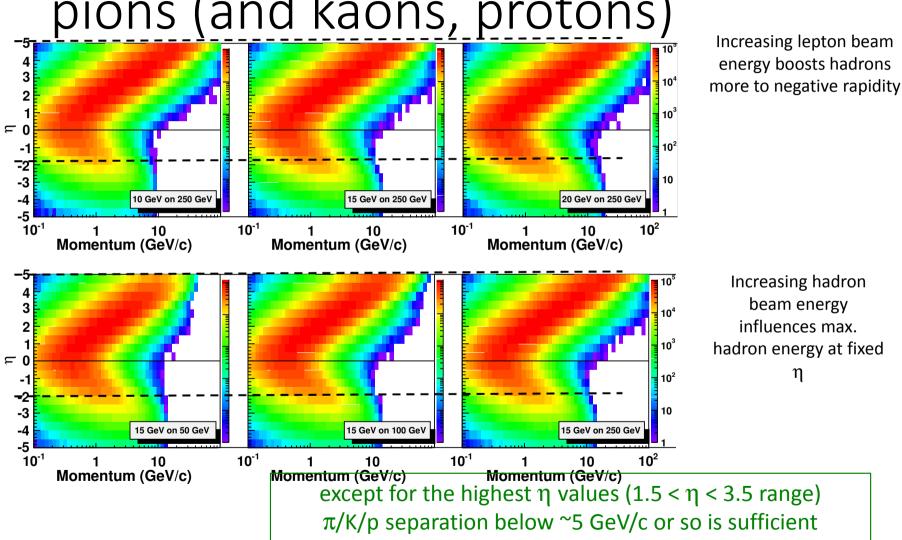
EIC R&D project





- Lead absorber scintillating plate sandwich technology
- ~50%/vE energy resolution looks fine
- Adequate Monte-Carlo model exists in GEANT
- Cost optimization and further R&D may be required (use steel plates instead of lead?)

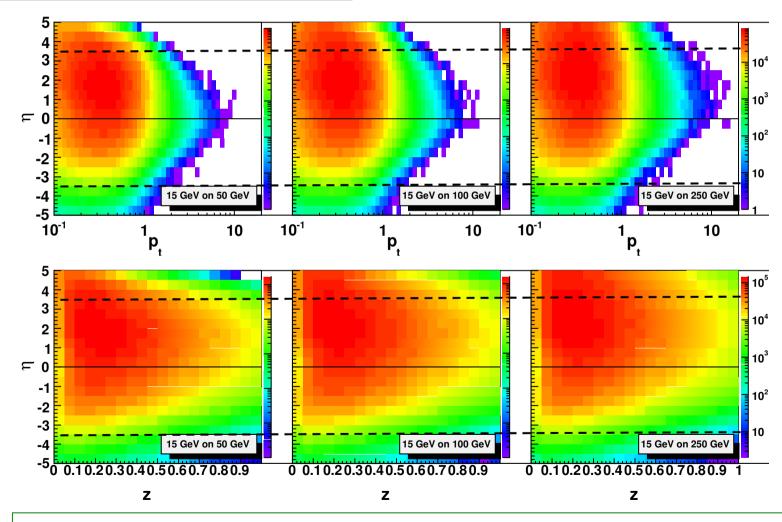
SIDIS: kinematic coverage for pions (and kaons, protons)



SIDIS: kinematic coverage for pions (and kaons, protons)

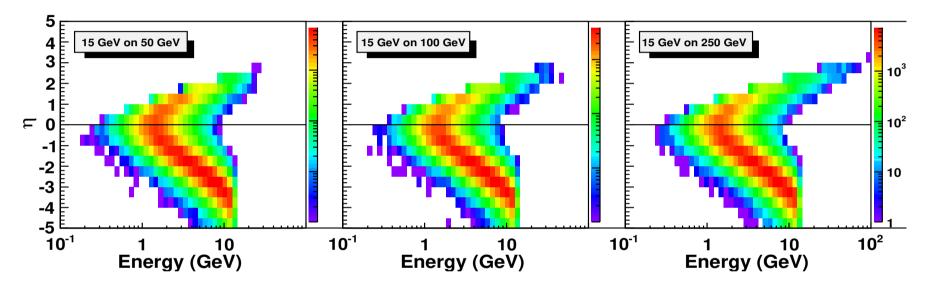
Cuts: Q²>1 GeV², 0.01<y<0.95, p>1GeV

(no difference between π^{\pm} , K^{\pm} , p^{\pm})



DVCS photon kinematics

Cuts: Q²>1 GeV, 0.01<y<0.85

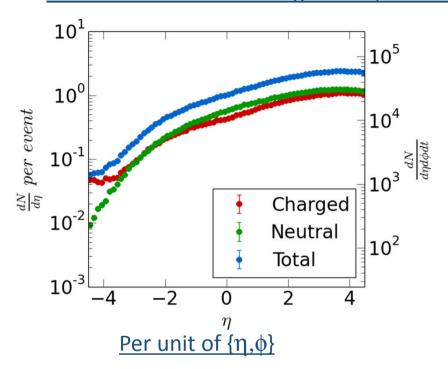


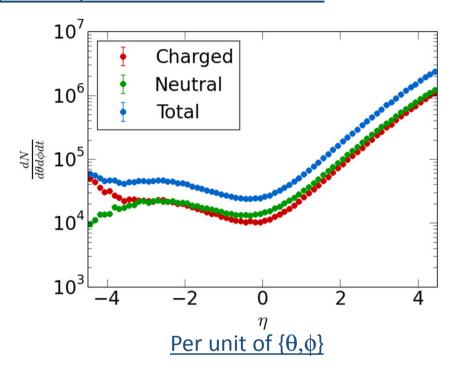
EmCal pseudo-rapidity coverage $-4 < \eta < 1$ is sufficient

Also notice: increasing hadron beam energy influences max. photon energy at fixed η photons are boosted to negative rapidities (lepton direction)

Interaction rate & absolute yields

PYTHIA 20x250 GeV configuration; absolute particle yields for L=10³³ cm⁻² s⁻¹



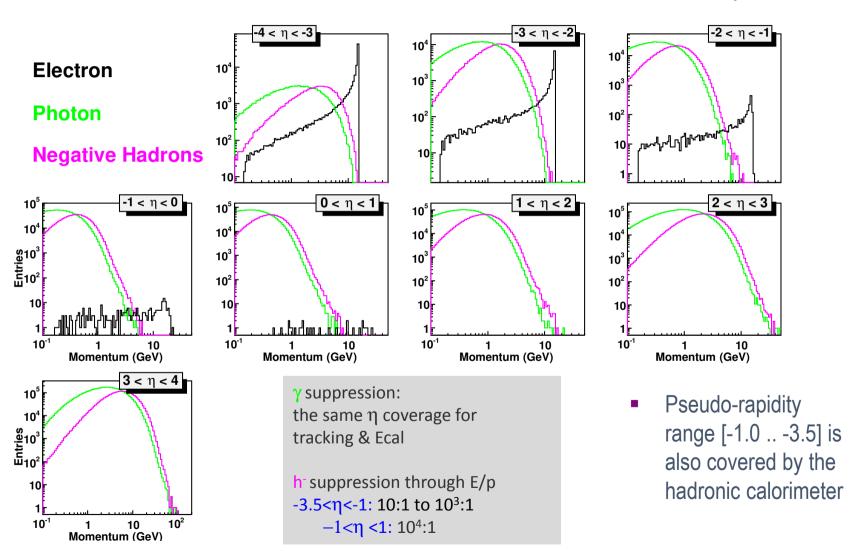


- Interaction rate ~50kHz (so 1:200 at ~10MHz bunch crossing frequency)
- At most few particles per unit of η per event
- Correspondingly low particle fluxes per unit of time

Not even close to LHC-HL upgrade (to say the least)

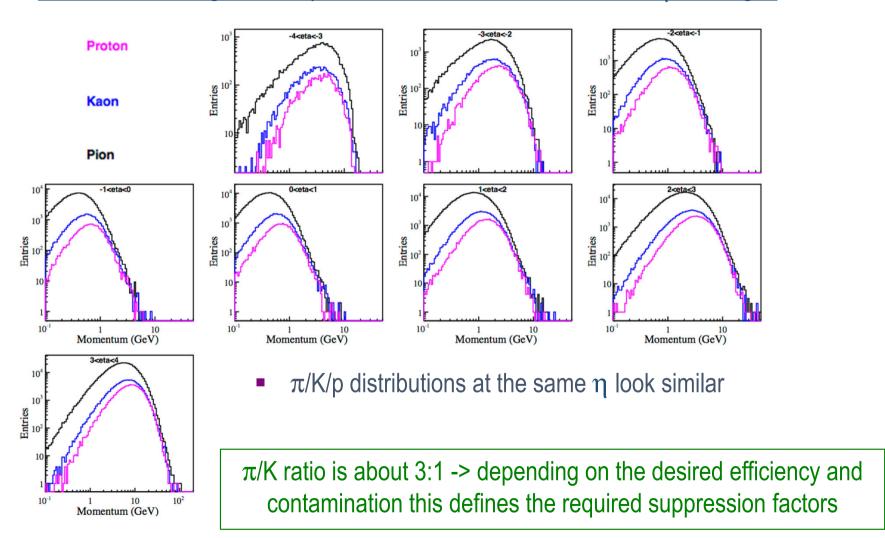
Electron ID

15x250 GeV configuration; particle yields versus momentum in the -4 < η < 4 range:

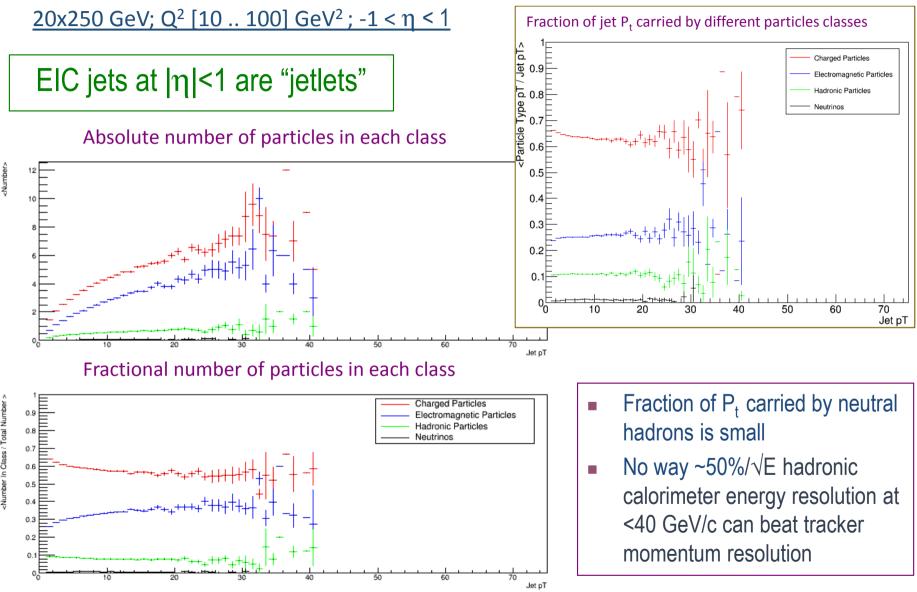


Relative pion/kaon/proton yields

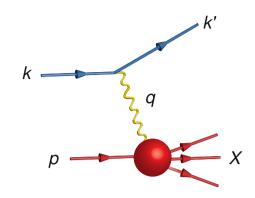
20x250 GeV configuration; yields versus momentum in the $4 < \eta < 4$ range:



Jets at mid-rapidities



Kinematic variable definitions: reminder



- Kinematic variables:
 - k, k' are the four-momenta of the incoming and outgoing lepton
 - p is the four-momentum of the nucleon
- Lorentz invariants (related by $Q^2 = xys$):

 - $s=(p+k)^2=4E_pE_e$, squared collision energy $Q^2=-q^2=-(k-k')^2$, squared momentum transfer to the lepton (equal to the virtuality of the exchanged photon)
 - $x_B = Q^2/(2p \cdot q)$, determines the momentum fraction of the parton on which the photon scatters
 - $y = (q \cdot p)/(k \cdot p)$, the inelasticity which determines the polarization of the virtual photon, fractional energy transfer
- Other variables:
 - $W^2 = (p+q)^2 = Q^2(1-1/x)$, squared invariant mass of the produced hadronic state
 - $v = q \cdot p/M = ys/(2M)$, the energy lost by the lepton (i.e. energy carried away by the virtual photon) in the proton rest frame

Kinematic Variable Reconstruction

- Lepton method
 - Use only the scattered lepton to determine event kinematics

$$Q^{2} = -q^{2} = -(k_{\mu} - k'_{\mu})^{2}$$
 Measure of resolution power
$$Q^{2} = 2E_{e}E'_{e}(1 - \cos\Theta_{e})$$

$$y = \frac{pq}{pk} = 1 - \frac{E'_{e}}{E_{e}}\cos^{2}\left(\frac{\theta'_{e}}{2}\right)$$
 Measure of inelasticity
$$x = \frac{Q^{2}}{2pq} = \frac{Q^{2}}{sy}$$
 Measure of momentum fraction of struck quark

Resolution goes as:

$$\frac{\delta x_e}{x_e} = \frac{1}{y_e} \frac{\delta E_e'}{E_e} \oplus \left[\frac{x_e}{E_e/E_p} - 1 \right] \tan \frac{\theta_e'}{2} \delta \theta_e'$$

$$\frac{\delta y_e}{y_e} = \left[1 - \frac{1}{y_e} \right] \frac{\delta E_e'}{E_e} \oplus \left[\frac{1}{y_e} - 1 \right] \cot \frac{\theta_e'}{2} \delta \theta_e'$$

$$\frac{\delta Q_e^2}{Q_e^2} = \frac{\delta E_e'}{E_e} \oplus \tan \frac{\theta_e'}{2} \delta \theta_e'$$

$$\frac{\delta Q_e^2}{Q_e^2} = \frac{\delta E_e'}{E_e} \oplus \tan \frac{\theta_e'}{2} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \tan \frac{\theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \frac{\delta \theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \frac{\delta \theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \frac{\delta \theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \frac{\delta \theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \frac{\delta \theta_e'}{\partial \theta_e'} \delta \theta_e'$$

$$\frac{\delta \theta_e'}{\partial \theta_e'} = \frac{\delta \theta_e'}{\partial \theta_e'} \oplus \frac{\delta \theta_e'}{\partial \theta_e'} \delta \theta_e'$$

- Double angle method
 - Use a combination of information from the scattered lepton and hadronic state

$$Q_{DA}^{2} = \frac{4E_{e}^{\prime 2}\cos^{2}(\theta_{e}^{\prime}/2)}{\sin^{2}(\theta_{e}^{\prime}/2) + \sin(\theta_{e}^{\prime}/2)\cos(\theta_{e}^{\prime}/2)\tan(\theta_{p}^{\prime}/2)}$$

$$y_{DA} = 1 - \frac{\sin(\theta_e'/2)}{\sin(\theta_e'/2) + \cos(\theta_e'/2) \tan(\theta_p'/2)}$$