



Study on the transverse polarization of $\Lambda(\bar{\Lambda})$ at Belle

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On behalf of the Belle Collaboration

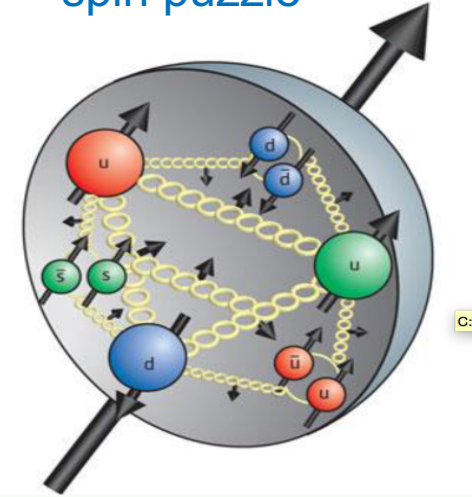
The 22nd International Spin Symposium, Sep25-30, UIUC



Introduction

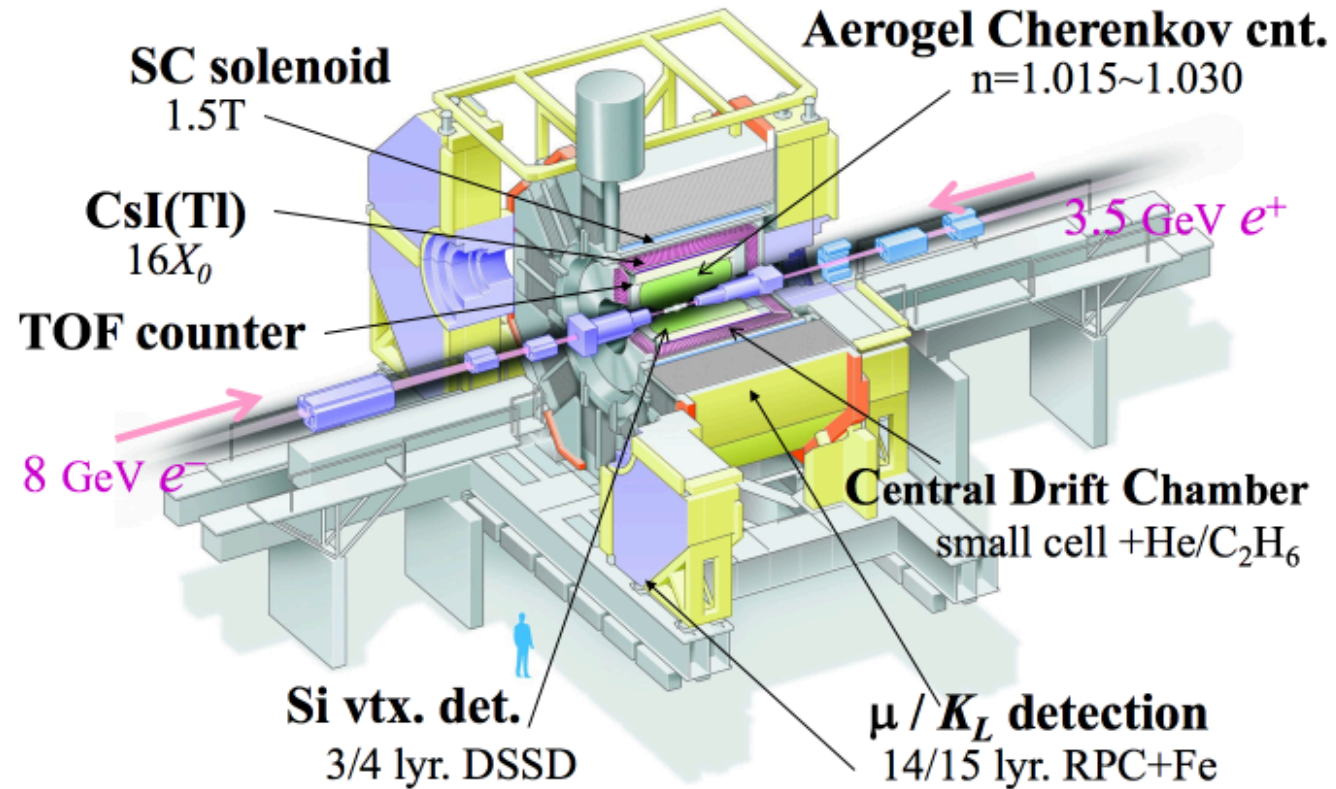
- Large Λ transverse polarization was observed in unpolarized pp collision years ago. **PRL36, 1113 (1976); PRL41, 607 (1978)**
- The Polarizing Fragmentation Function (FF), $D_{1T}^\perp(z, p_\perp^2)$, is assumed to play an important role in the “spontaneous” polarization. It describes an unpolarized quark fragmenting into a transversely polarized hadron.
- The counterpart of the Sivers parton distribution function.
- A non-vanishing D_{1T}^\perp could help to shed light on the spin structure of the Λ , especially about the quark orbital angular momentum, a missing part of the spin puzzle of the nucleon. **PRL105,202001 (2010)**
- Polarizing FF is chiral-even, has been proposed as a test of universality.
- OPAL experiment at LEP has been looking at transverse Λ polarization, no significant signal was observed. **Eur. Phys. J. C2, 49 (1998)**
- The Large data set at Belle would allow a precise measurement.

spin puzzle



KEKB and Belle Detector

Belle Detector



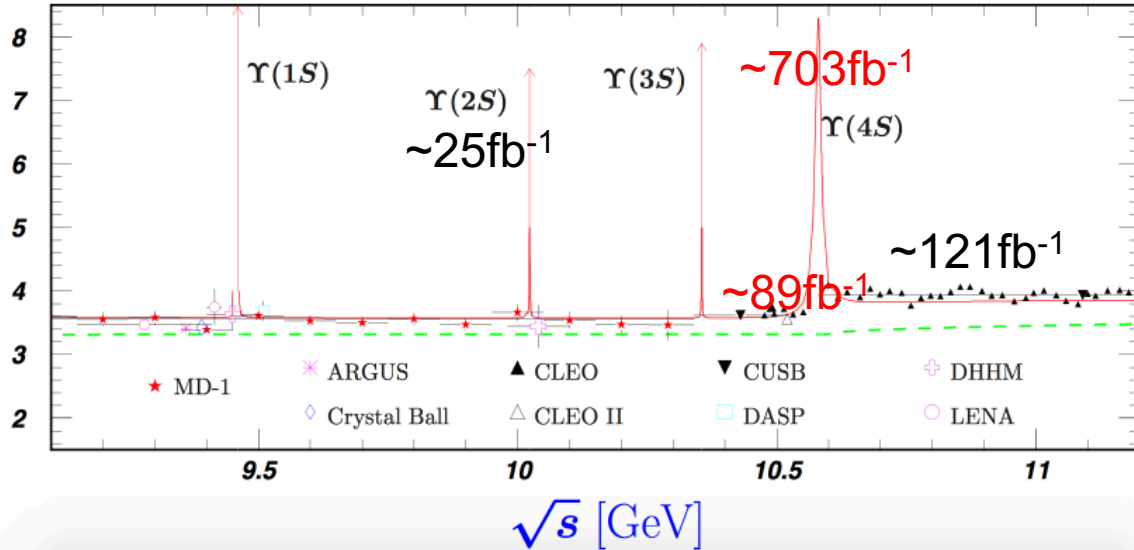
Nucl. Instrum. Meth. A479,117(2002)



KEKB@Tsukuba, Japan

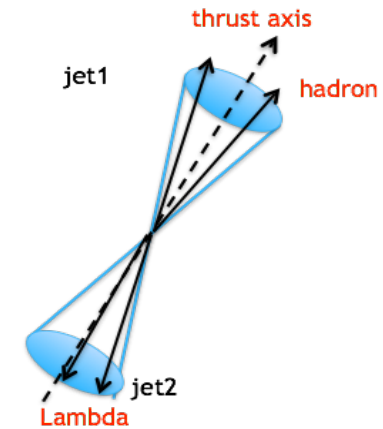
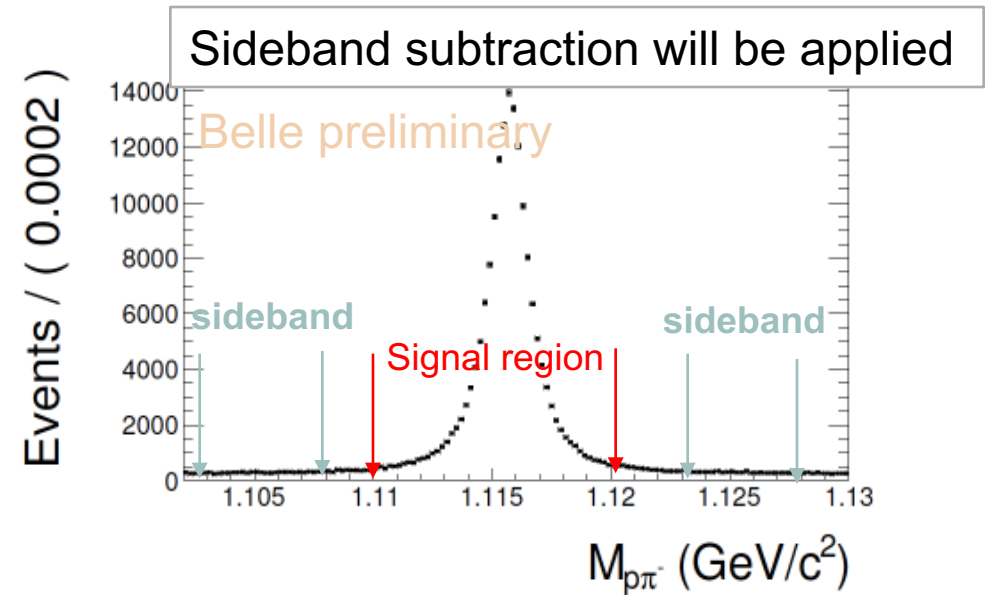
Data set

- Data sets: $\sim 792 \text{ fb}^{-1}$ at or near $\sqrt{s} \sim 10.58 \text{ GeV}$



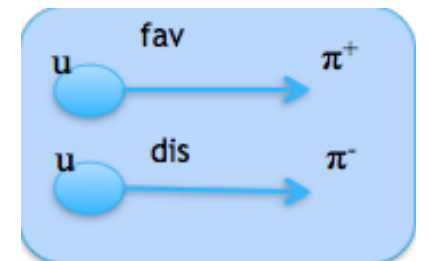
- Thrust > 0.8 to select back-to-back event topology and suppress B decays to less than 1%.
- Signal process $\Lambda \rightarrow p\pi^- (\bar{\Lambda} \rightarrow \bar{p}\pi^+)$. Clear Λ peak.
- By considering light hadron (K^\pm, π^\pm) in the opposite hemisphere, we can emphasize or suppress one kind of flavor which contributes to $\Lambda(\bar{\Lambda})$.

PRL105,202001 (2010)



flavor tag

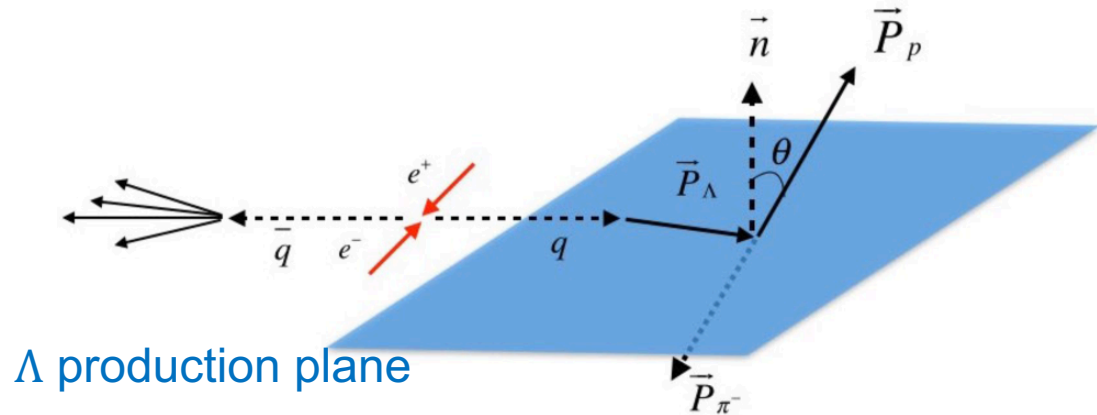
$\Lambda(u\bar{d})$; $\pi^+(u\bar{d})$; $K^+(u\bar{s})$



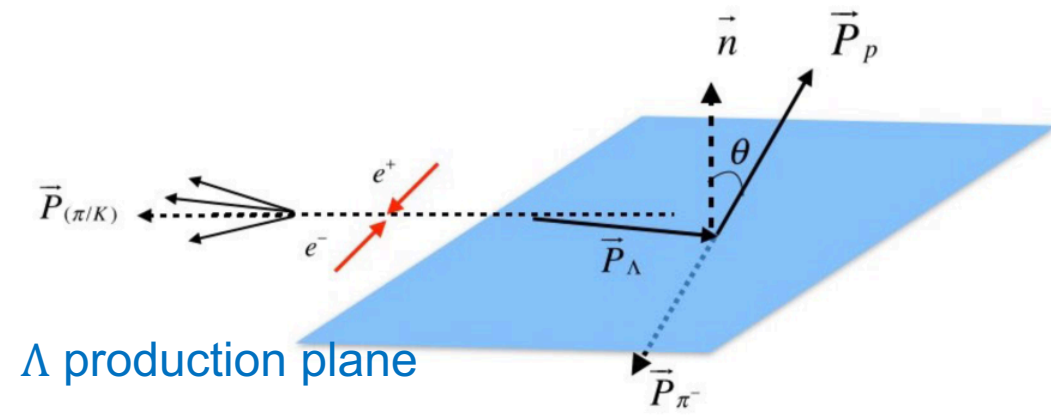
$$T = \text{Max} \left[\frac{\sum_h |\mathbf{P}_h^{\text{CMS}} \cdot \hat{\mathbf{T}}|}{\sum_h |\mathbf{P}_h^{\text{CMS}}|} \right]$$

Reference frames

Thrust Frame



Hadron Frame



- The reference vector \hat{n} is perpendicular to the Λ production plane.
- The p_t is defined as the transverse momentum of Λ relative to thrust axis in thrust frame and to hadron axis in hadron frame.
- Give a polarization of P , the yield of the events follow:

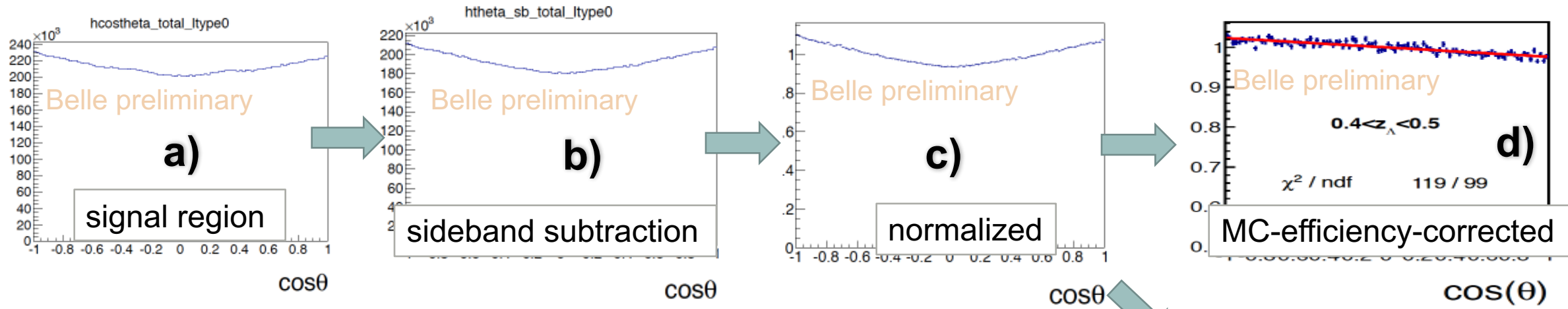
$$\frac{1}{N} \frac{dN}{d\cos\theta} = 1 + \alpha P \cos\theta.$$

- where α is the decay parameter: $\alpha_+ = 0.642 \pm 0.013$ for Λ and $\alpha_- = -0.71 \pm 0.08$ for $\bar{\Lambda}$ (PDG).

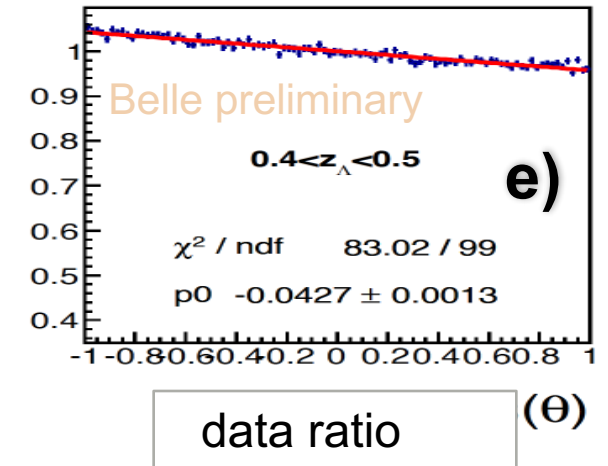
kinematic variables

$\Lambda + X$	thrust frame	
variables	z_Λ, p_t	
$\Lambda + h + X$	thrust frame	hadron frame
variables	z_Λ, z_h, p_t	z_Λ, z_h, p_t

Analysis flow

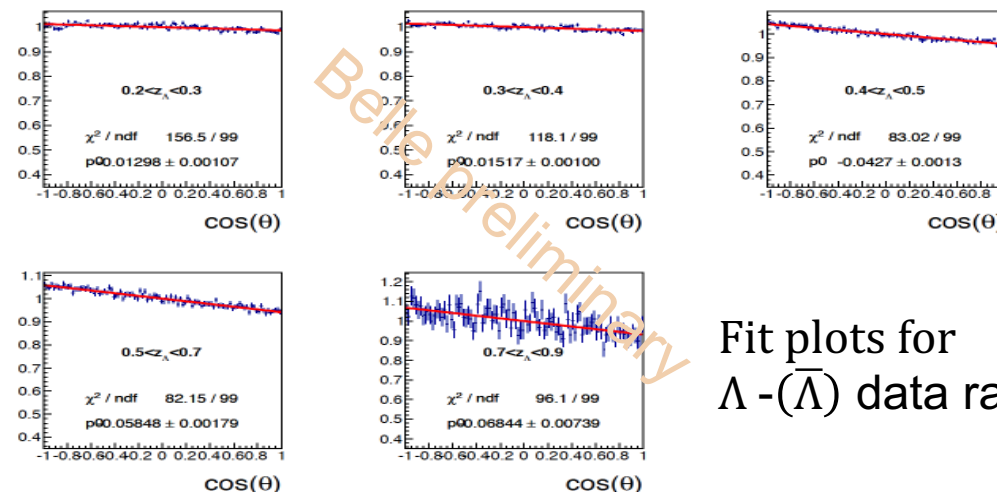


- $\cos\theta$ distribution in Λ signal region **a)** is corrected by sideband subtraction \rightarrow **b)**
- Normalized by itself, as shown in **c)**.
- The shape **c)** is divided by the corresponding shape from MC, so that we obtain the efficiency-corrected curve **d)**.
- Or **c)** shape of Λ events is divided by that from anti- Λ events if we assume efficiency is independent on charge, that is **e)**, this is called data ratios.
- We fit **d)** and **e)** to get the polarization of interest.

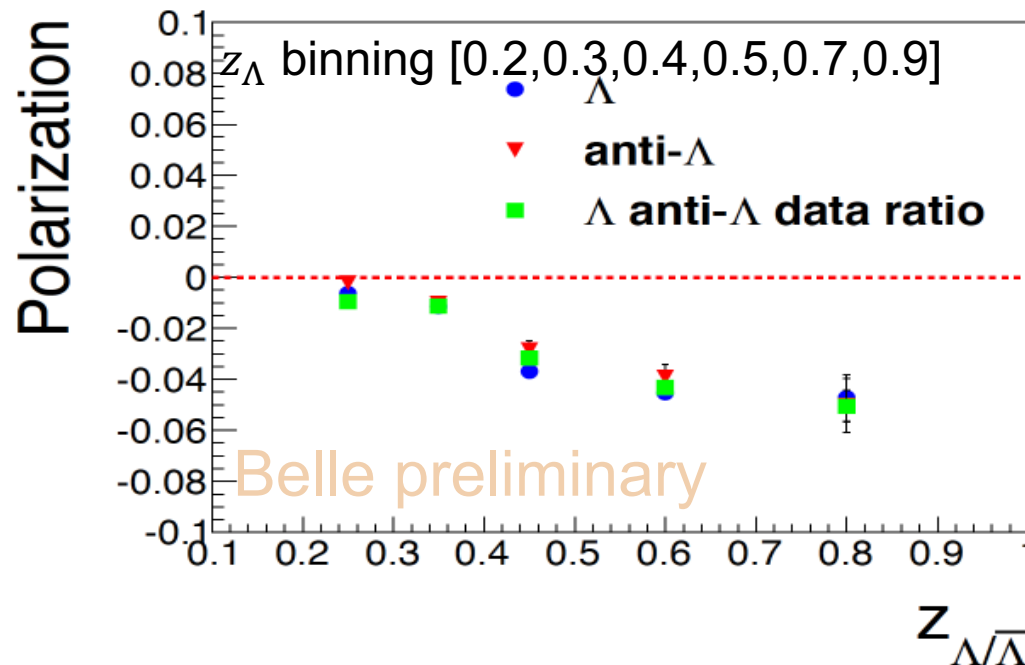


Fits and Extract polarization

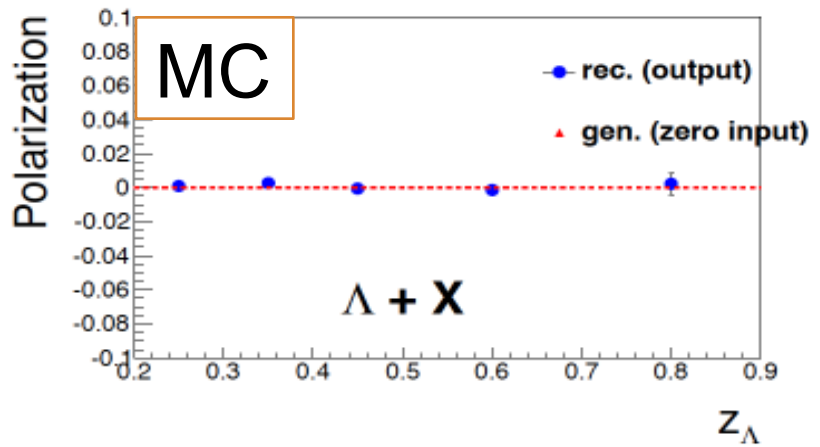
- Fit to the $\cos\theta$ distributions with the simple function $1 + p_0 \cos\theta$.
- The polarization of interest: p_0/α .
- In the data ratio, polarization is obtained via $p_0/(\alpha_+ - \alpha_-)$.
- In data ratios, the slope on the $\cos\theta$ distributions are about two times larger than that in MC-corrected ratios, the $(\alpha_+ - \alpha_-)$ is also about times larger than $\alpha_+(\alpha_-)$.
- Results from MC-corrected ratio and data ratio are consistent with each other.
- Nonzero polarization** was seen, the magnitude rises from zero to about $\sim 5\%$ with growing fraction energy $z_\Lambda = 2E_\Lambda/\sqrt{s}$.



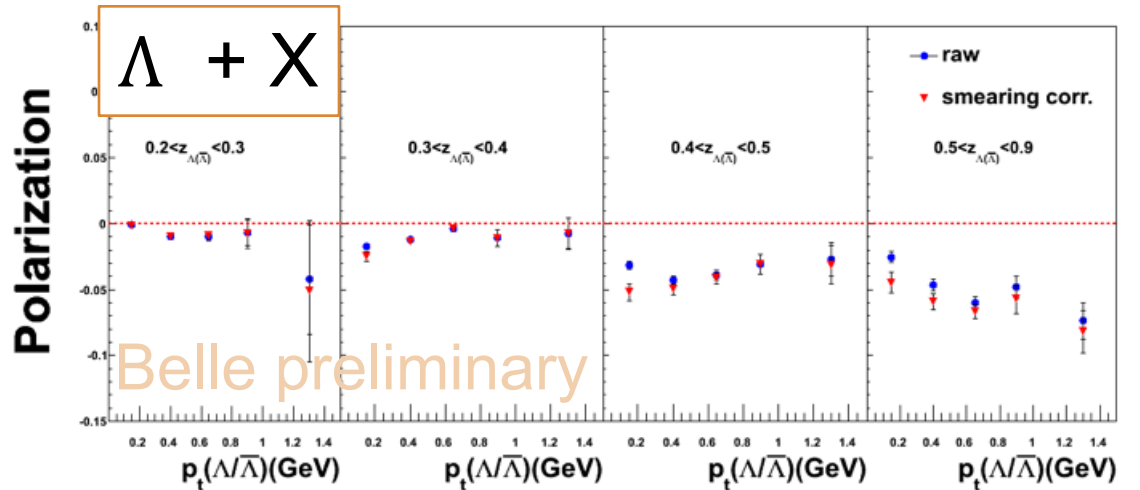
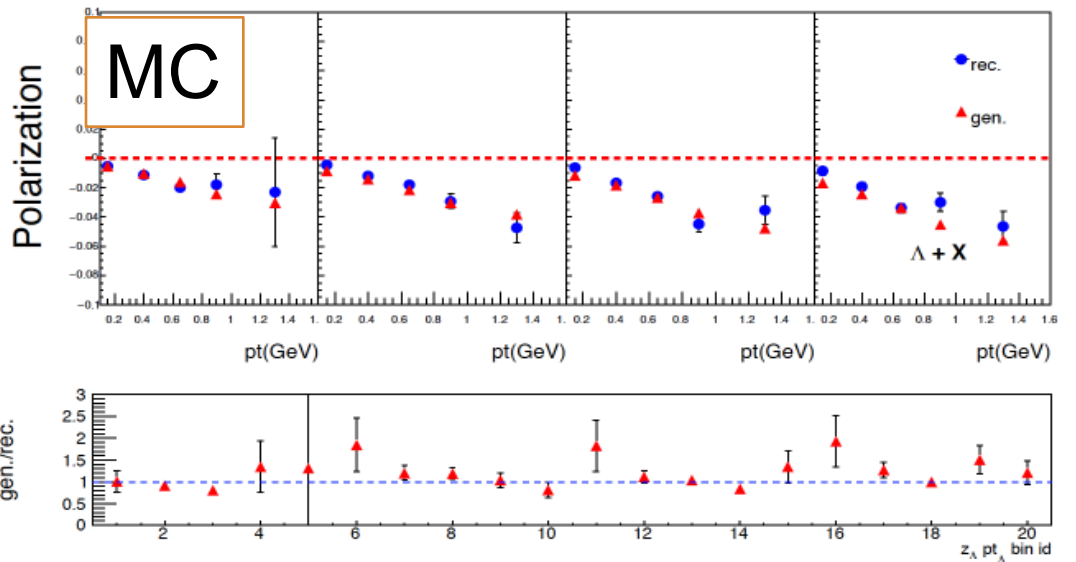
Fit plots for $\Lambda - (\bar{\Lambda})$ data ratio.



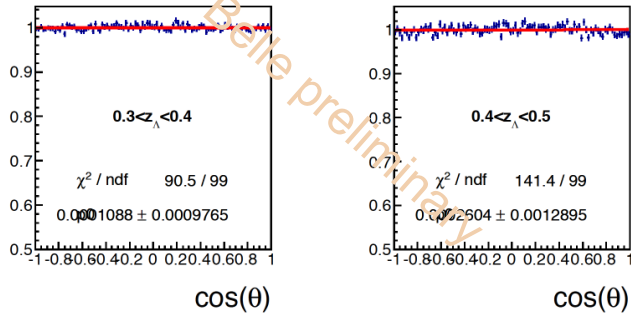
MC validation & Smearing correction



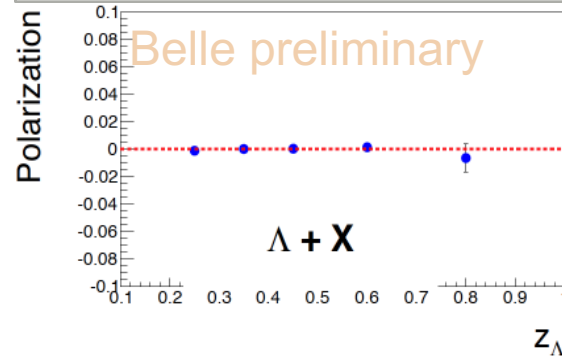
- Zero polarization is observed in MC, as expected.
- Smearing effects caused by the detector acceptance and resolution are estimated using the weighted-MC with nonzero polarization input.
- In thrust frame, the polarization is found underestimated in reconstruction, correction factors ranges 1.0-1.3 depends on the $[z, p_t]$.
- In hadron frame, the polarization observed in reconstruction is consistent with input. No need for correction.



Systematics

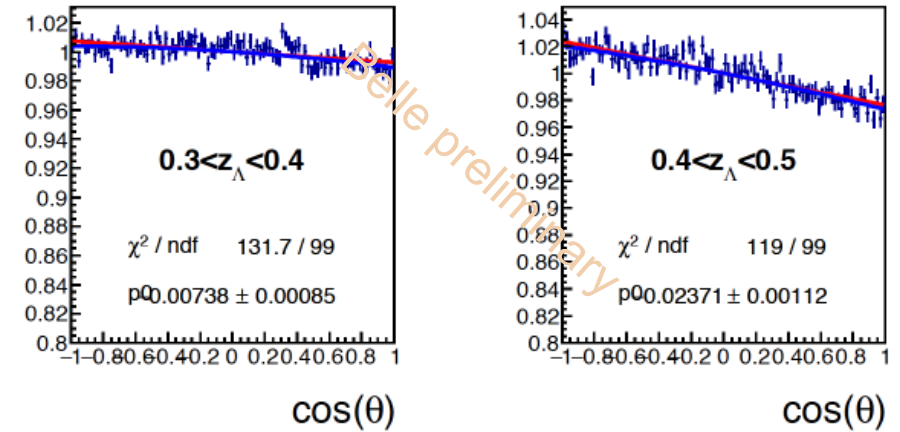


Build fake angle θ



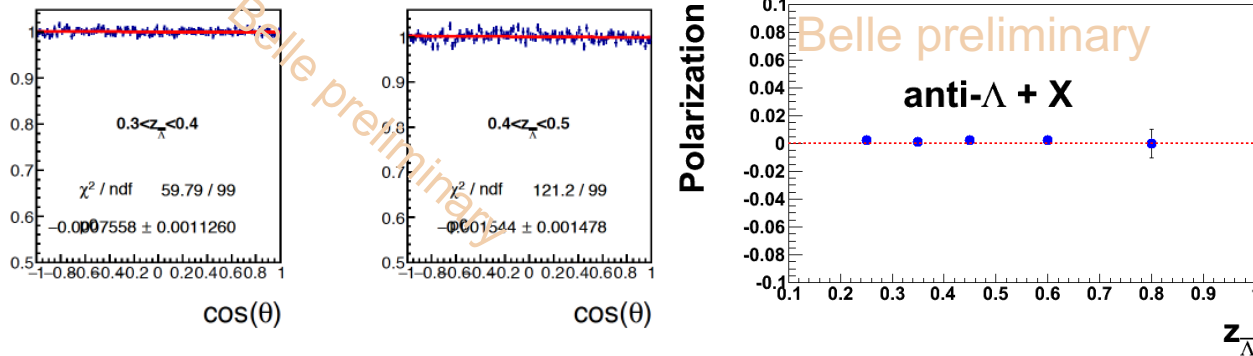
- Change the reference vector \hat{n} to be in the Λ production plane. But still normal to \vec{p}_Λ .

Vary the fit function



- The second order term was added in the fit function $1 + p_0 \cos\theta + p_1 \cos^2\theta$

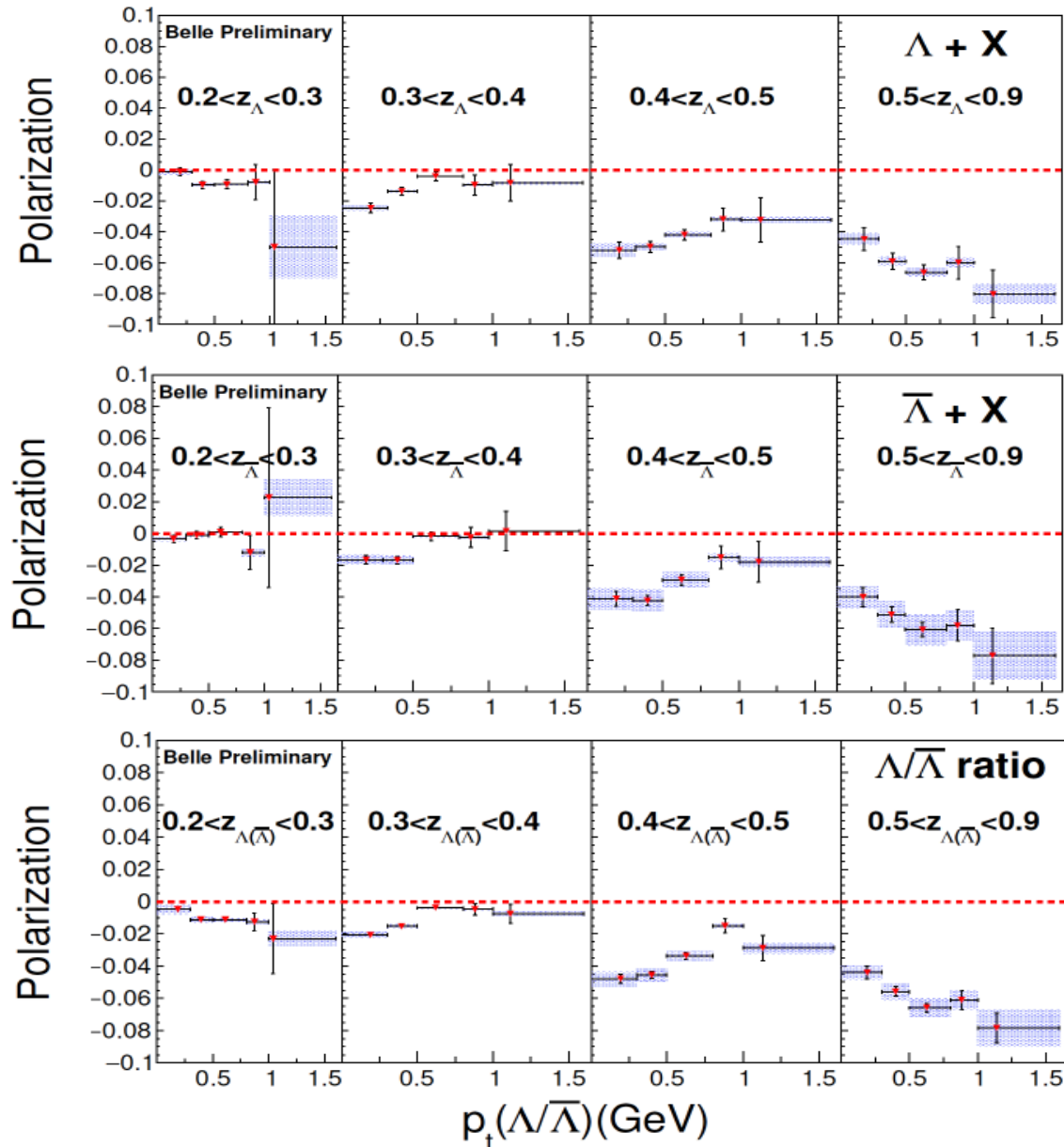
Mixed events



- Combine a proton in one event and pion in the other event to form a false Λ .

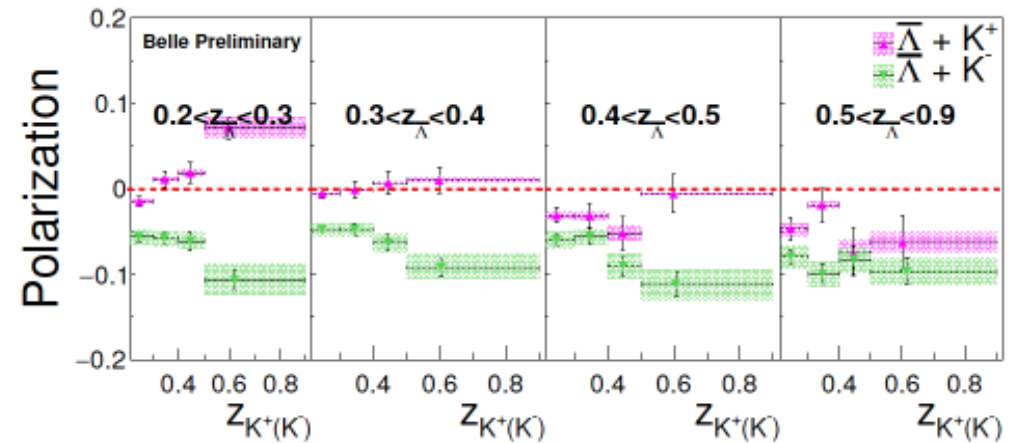
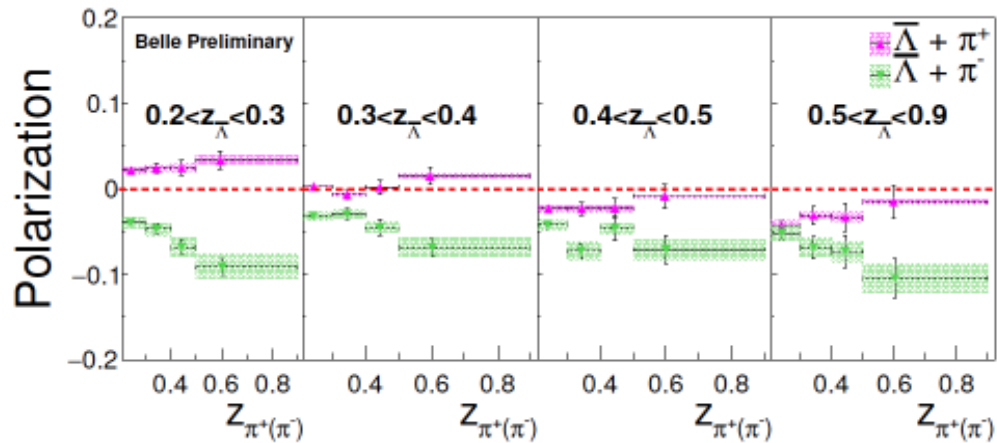
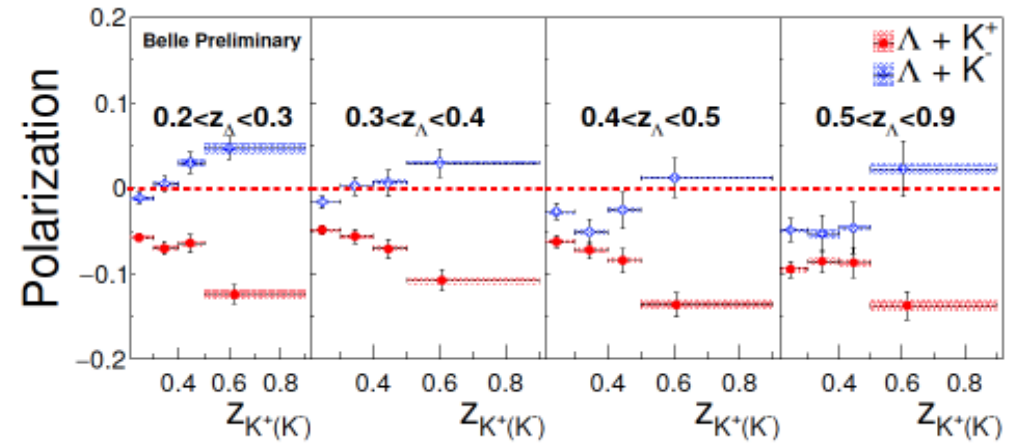
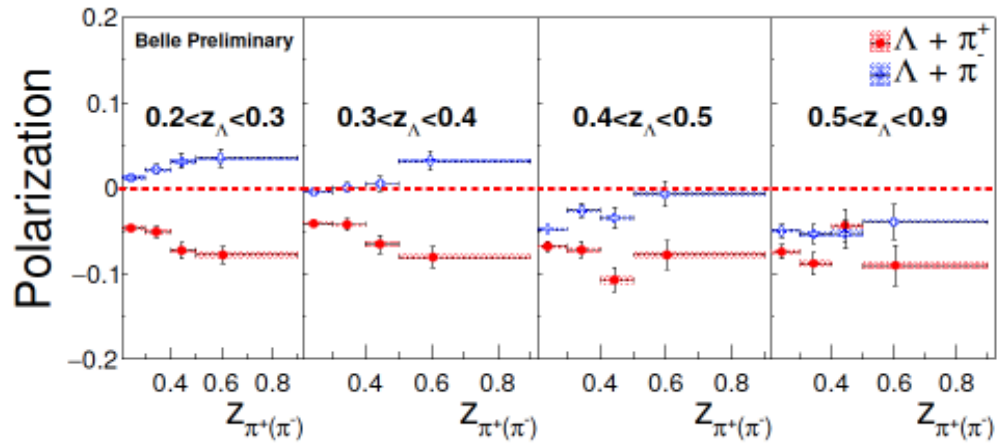
- Besides, uncertainties from smearing correction factors and sideband subtractions are included in systematics errors.
- Uncertainties of decay parameters are assigned as systematic errors.

Results in thrust frame vs. (z, p_t)



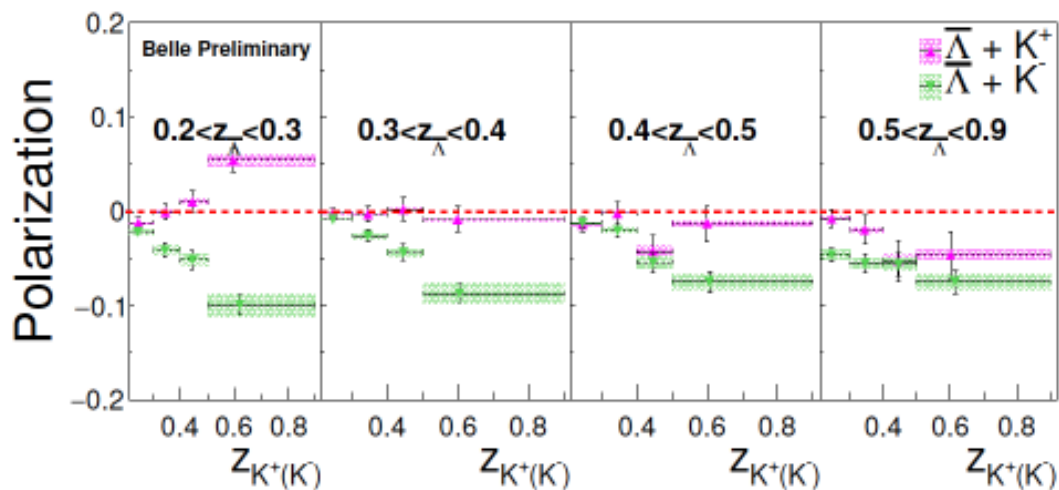
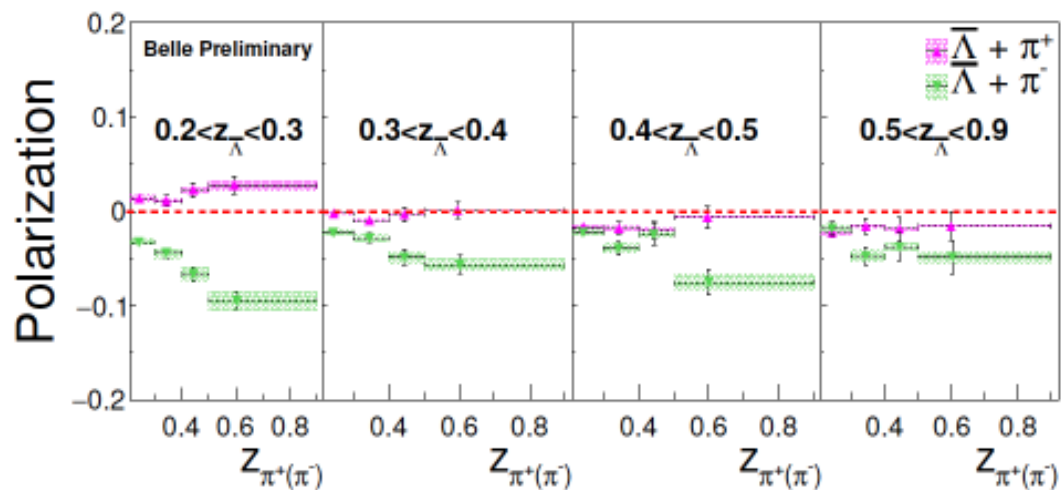
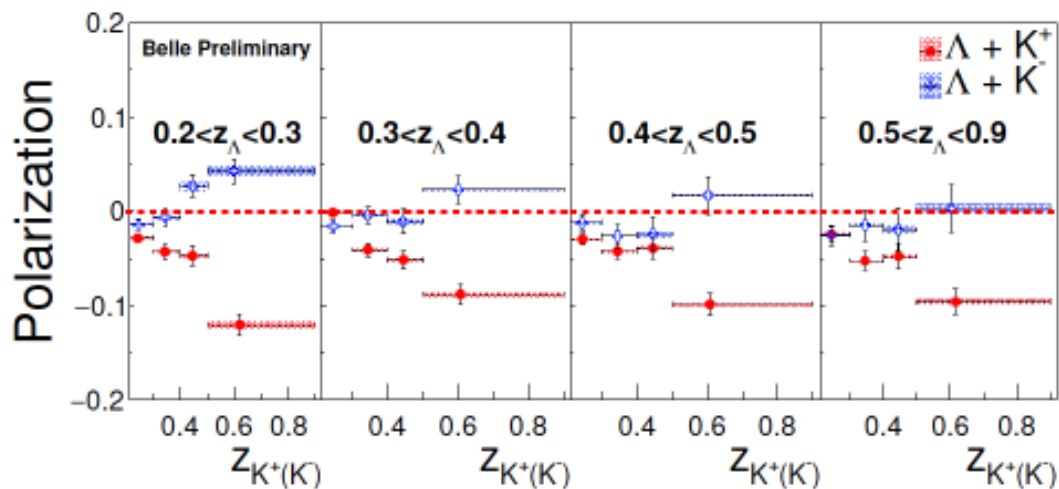
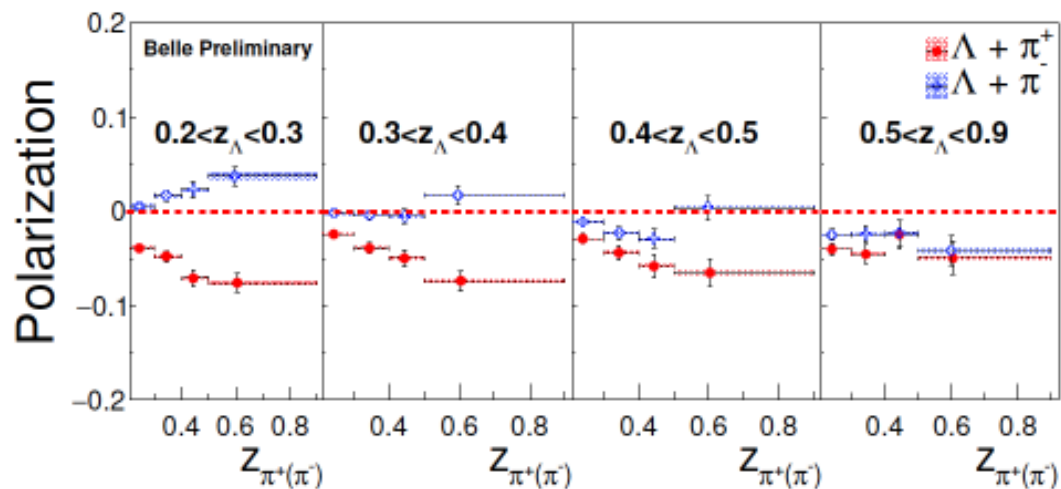
- Four z bins and five p_t bins are applied:
 $z_\Lambda = [0.2, 0.3, 0.4, 0.5, 0.9]$;
 $p_t = [0.0, 0.3, 0.5, 0.8, 1.0, 1.6]$ GeV
- Nonzero polarization** was observed. Interesting shape as a function of (z_Λ, p_t) .
- The polarization rise with higher p_t in the lowest z_Λ and highest z_Λ bin. But the dependence reverses around 1 GeV in the intermediate z_Λ bins.
- Results are consistent between Λ and $(\bar{\Lambda})$ and $\Lambda - (\bar{\Lambda})$ data ratio.
- Error bars are statistical uncertainties and shaded areas show the systematic uncertainties.

Results in thrust frame vs. (z_Λ, z_h)



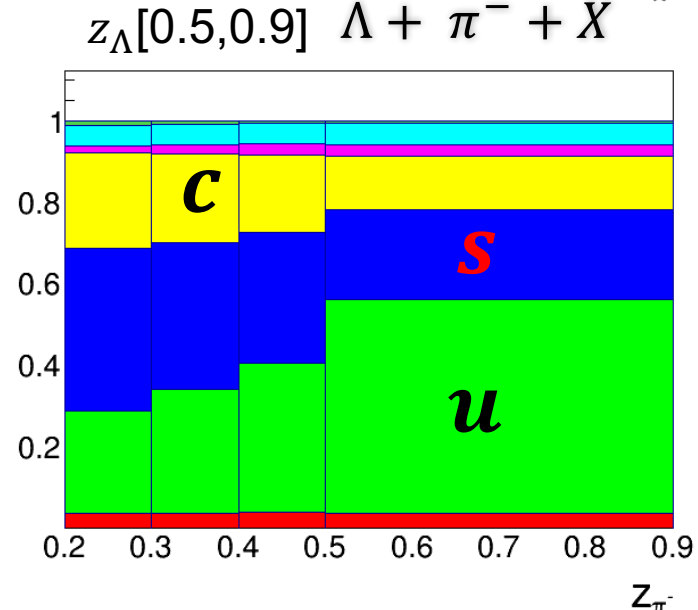
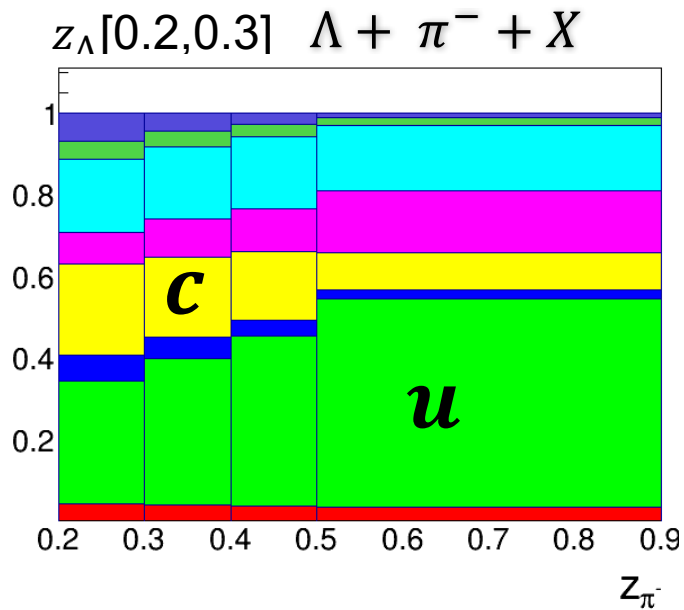
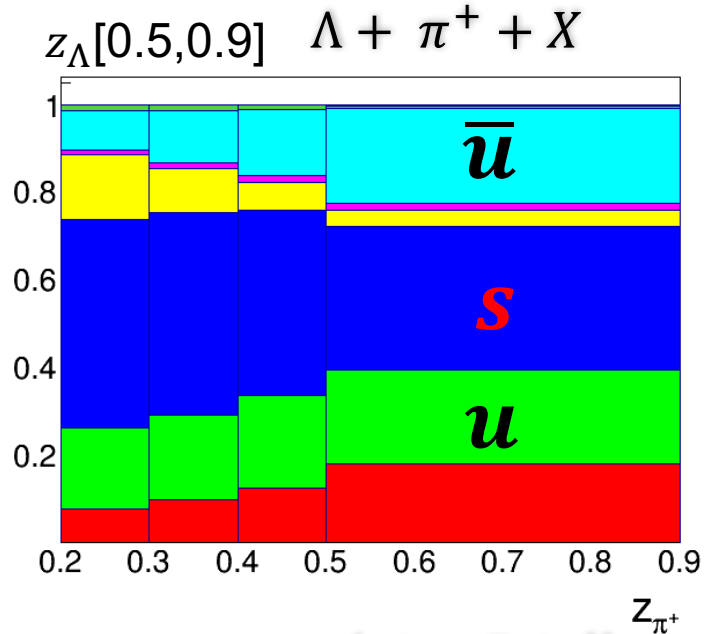
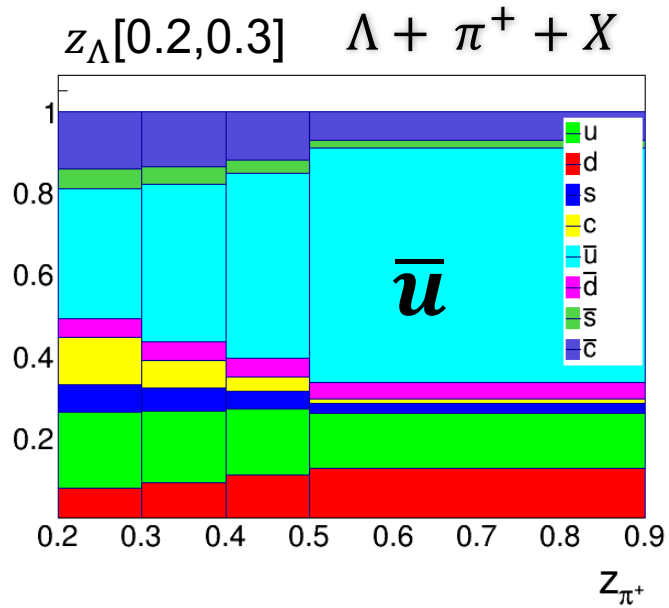
- At low z_Λ , polarization in $\Lambda + h^+$ and $\Lambda + h^-$ have opposite sign. The magnitude increases with higher z_h .
- At large z_Λ , the differences between $\Lambda + h^+$ and $\Lambda + h^-$ reduce. Small deviations can still be seen and depend on z_h .

Results in hadron frame vs. (z_Λ, z_h)



- Similar results with that in the thrust frame.
- Results from charge-conjugate modes are consistent with each other.

Quark flavor tag by the light hadron



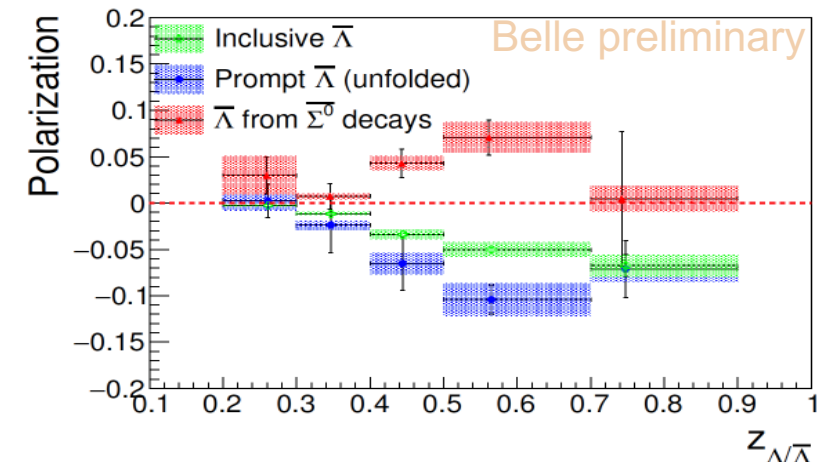
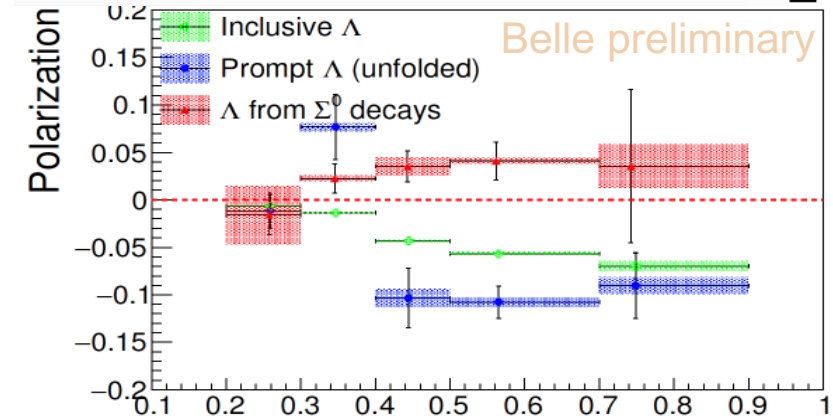
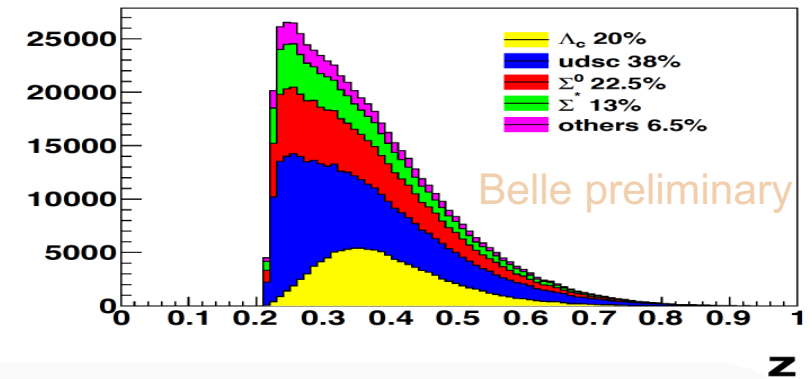
- An attempt to look at the flavor tag effect of the light hadron, based on MC. (Pythia6.2)
- The fractions of various quark flavors going to the Λ 's hemisphere are shown in different $[z_\Lambda \ z_h]$ region.
- MC indicates that the tag of the quark flavors is more effective at low z_Λ and high z_h . It explains why at low z_Λ and high z_h , polarization in $\Lambda + h^+$ and $\Lambda + h^-$ have opposite sign.

Background unfolding

- Non- Λ backgrounds are excluded out in the sideband subtraction.
- Σ^* decays to Λ strongly, is included in the signal.
- Feed-down from Σ^0 (22.5%), Λ_c (20%) decays need to be understood.
- The Σ^0 -enhanced ($\Sigma^0 \rightarrow \Lambda + \gamma$) (Br~100%). and Λ_c -enhanced ($\Lambda_c \rightarrow \Lambda + \pi^+$) (Br~1.07%) data sets are selected and studied.
- The measured polarization can be expressed as:

$$P^{mea.} = (1 - \sum_i F_i) P^{true} + \sum_i F_i P_i,$$

- F_i is the fraction of feed-down component i , estimated from MC. P_i is polarization of component i .
- Polarization of Λ from Σ^0 decays is found has opposite sign with that of inclusive Λ . **R. Gatto, Phys. Rev. 109, 610 (1958); Phys.Lett.B303,350(1993)**



Summary

- The study on the transverse polarization of $\Lambda(\bar{\Lambda})$ in the inclusive process $e^+ e^- \rightarrow \Lambda(\bar{\Lambda}) + X$ and $e^+ e^- \rightarrow \Lambda(\bar{\Lambda}) + K^\pm(\pi^\pm) + X$ is performed at Belle.
- **Nonzero transverse polarizations of $\Lambda(\bar{\Lambda})$ is observed** for the first time at $e^+ e^-$ annihilation. Its magnitude as a function of z_Λ and p_t was presented.
- By selecting identified light hadrons (K^\pm, π^\pm) in the opposite hemisphere we also obtain sensitivity to the flavor dependence.

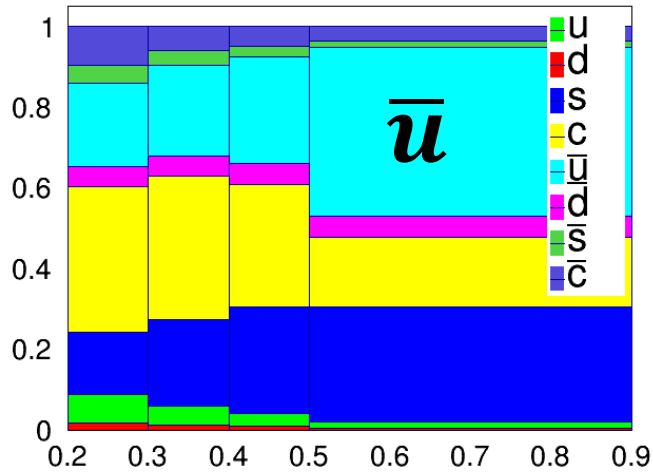
Thank you!



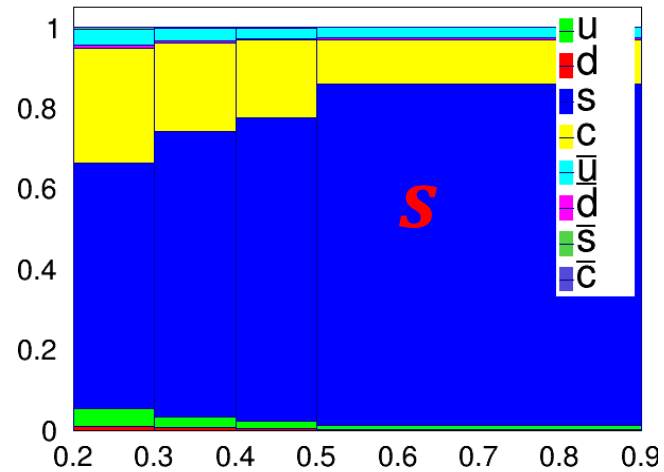
Backup slides

Quark flavor tag by the Kaon

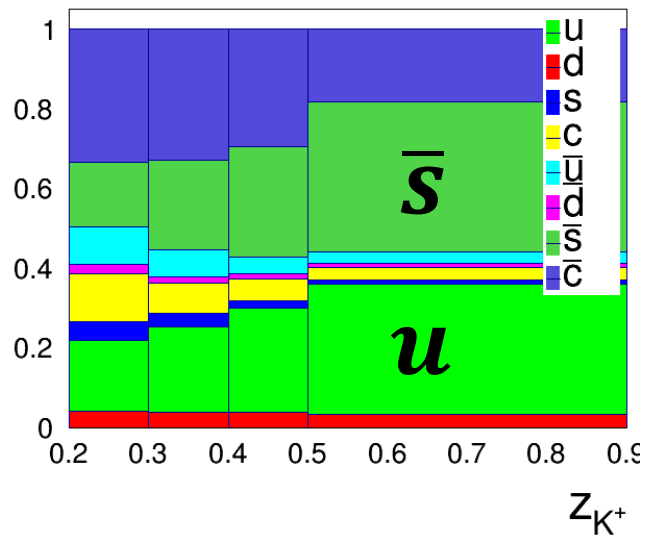
$z_{\Lambda}[0.2,0.3] \quad \Lambda + K^+ + X$



$z_{\Lambda}[0.5,0.9] \quad \Lambda + K^+ + X$



$z_{\Lambda}[0.2,0.3] \quad \Lambda + K^- + X$



$z_{\Lambda}[0.5,0.9] \quad \Lambda + K^- + X$

