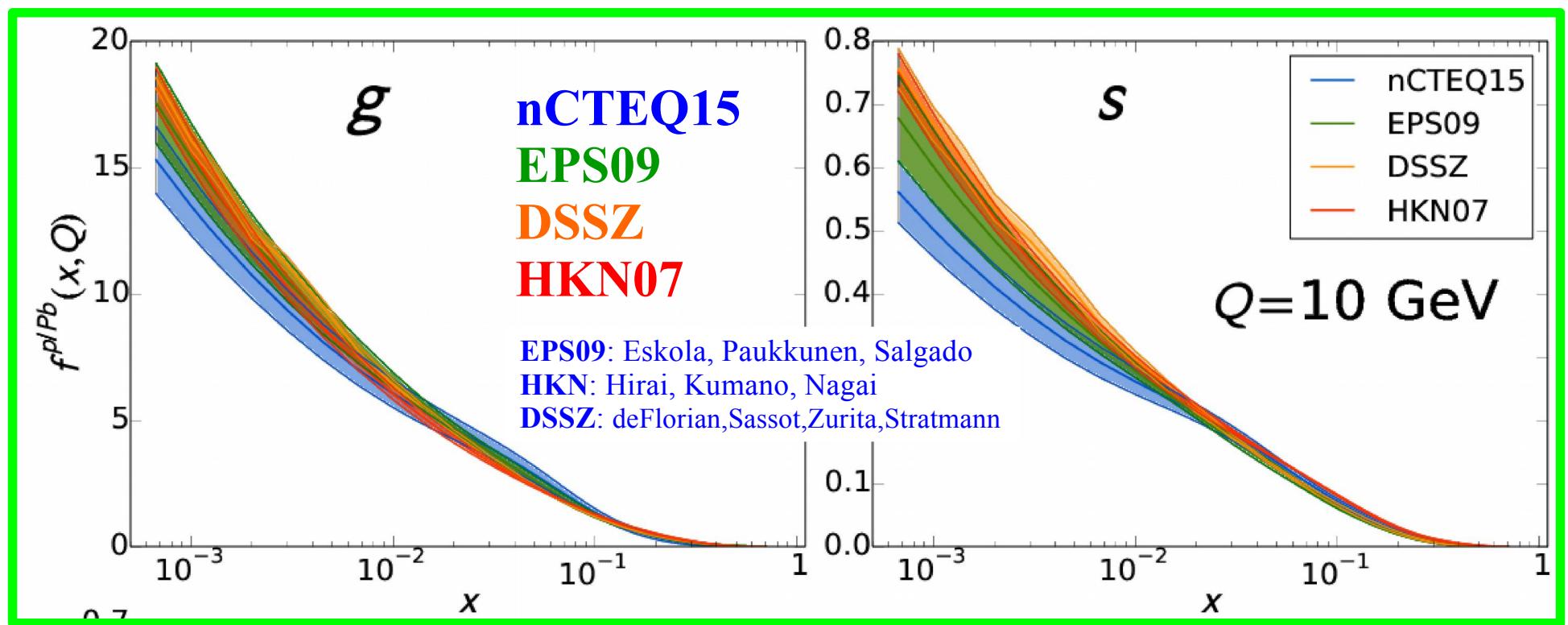


PDF Flavor Determination with LHC W/Z *challenges and opportunities*

updates from the nCTEQ collaboration

Fred Olness
SMU



Thanks to:

P. Nadolsky, F. Lyonnet, B. Clark, E. Godat, A. Kusina,, I. Schienbein, K. Kovarik, J.Y. Yu, T. Jezo,
J.G. Morfin, J.F. Owens, P. Nadolsky, M. Guzzi, V. Radescu, C. Keppel, xFitter Collaboration

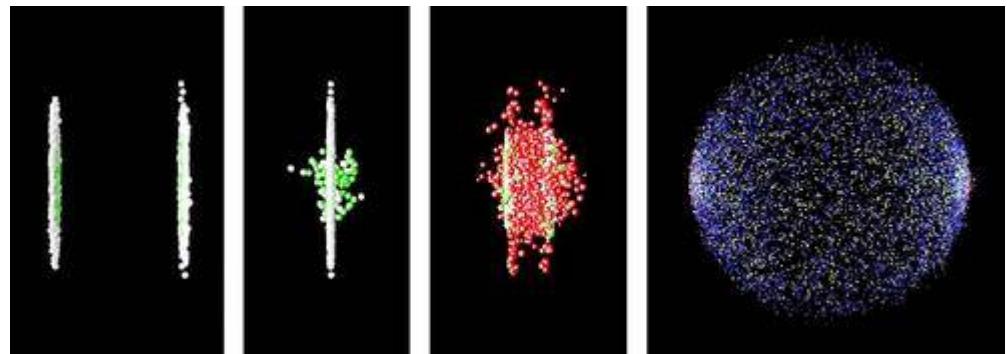
CERN
16 June 2017

Motivation for nPDFs???

Make predictions for heavy ion collisions at:

RHIC (Al, Au, Cu, U, ...)

LHC (pPb, PbPb)



Differentiate flavors of free-proton PDFs:

neutrino DIS

$$F_2^\nu \sim [d + s + \bar{u} + \bar{c}]$$

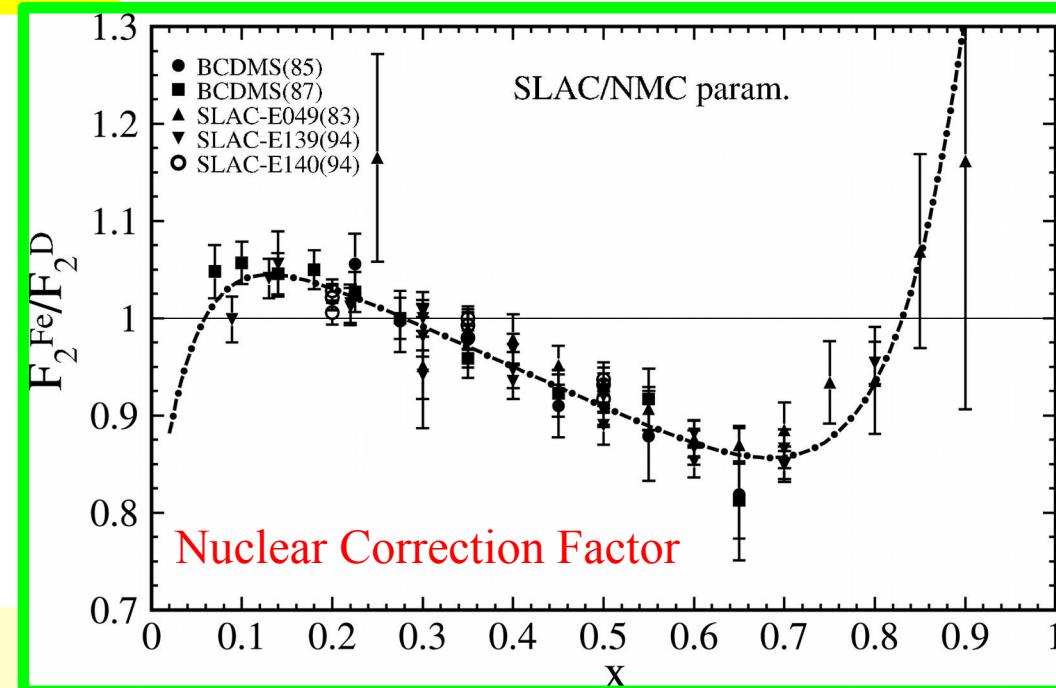
$$F_2^{\bar{\nu}} \sim [\bar{d} + \bar{s} + u + c]$$

$$F_3^\nu \sim 2[d + s - \bar{u} - \bar{c}]$$

$$F_3^{\bar{\nu}} \sim 2[u + c - \bar{d} - \bar{s}]$$

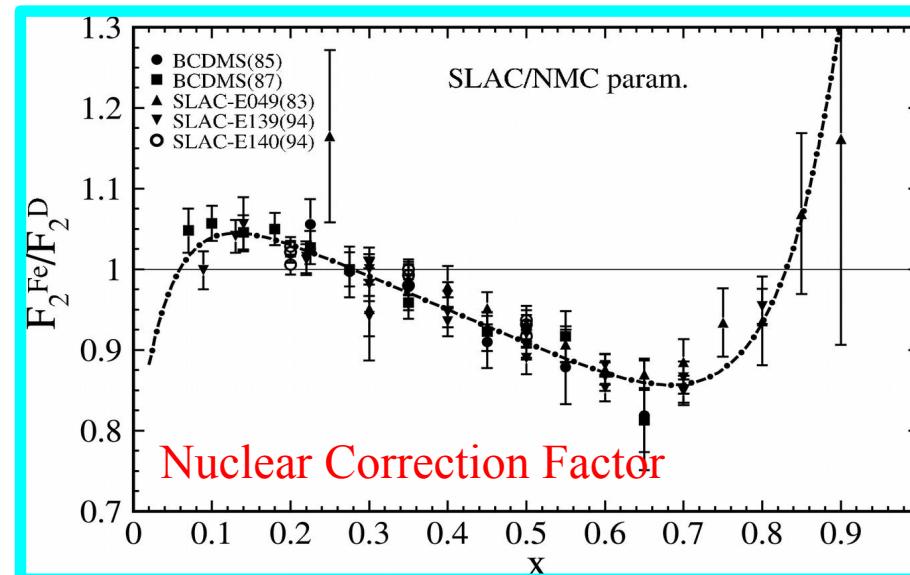
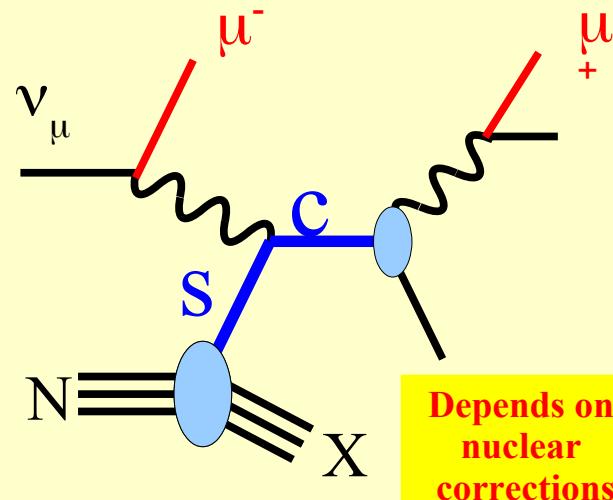
charged lepton DIS

$$F_2^{l^\pm} \sim \left(\frac{1}{3}\right)^2 [d + s] + \left(\frac{2}{3}\right)^2 [u + c]$$

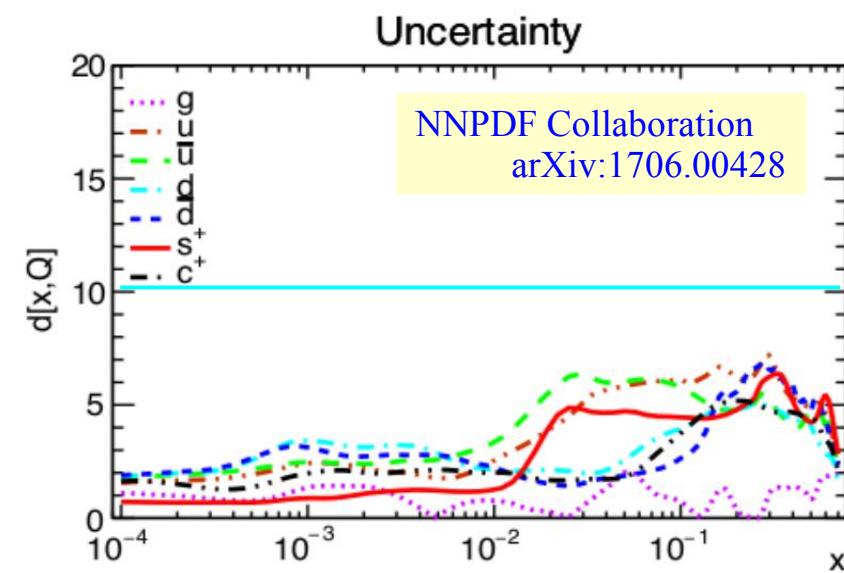
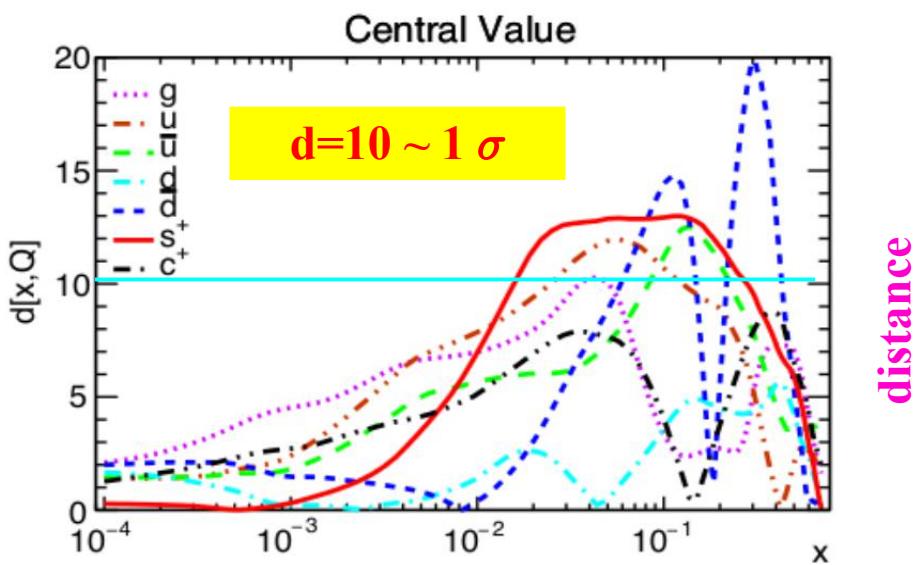


Impact of Nuclear Corrections on Proton PDF

Neutrino DIS

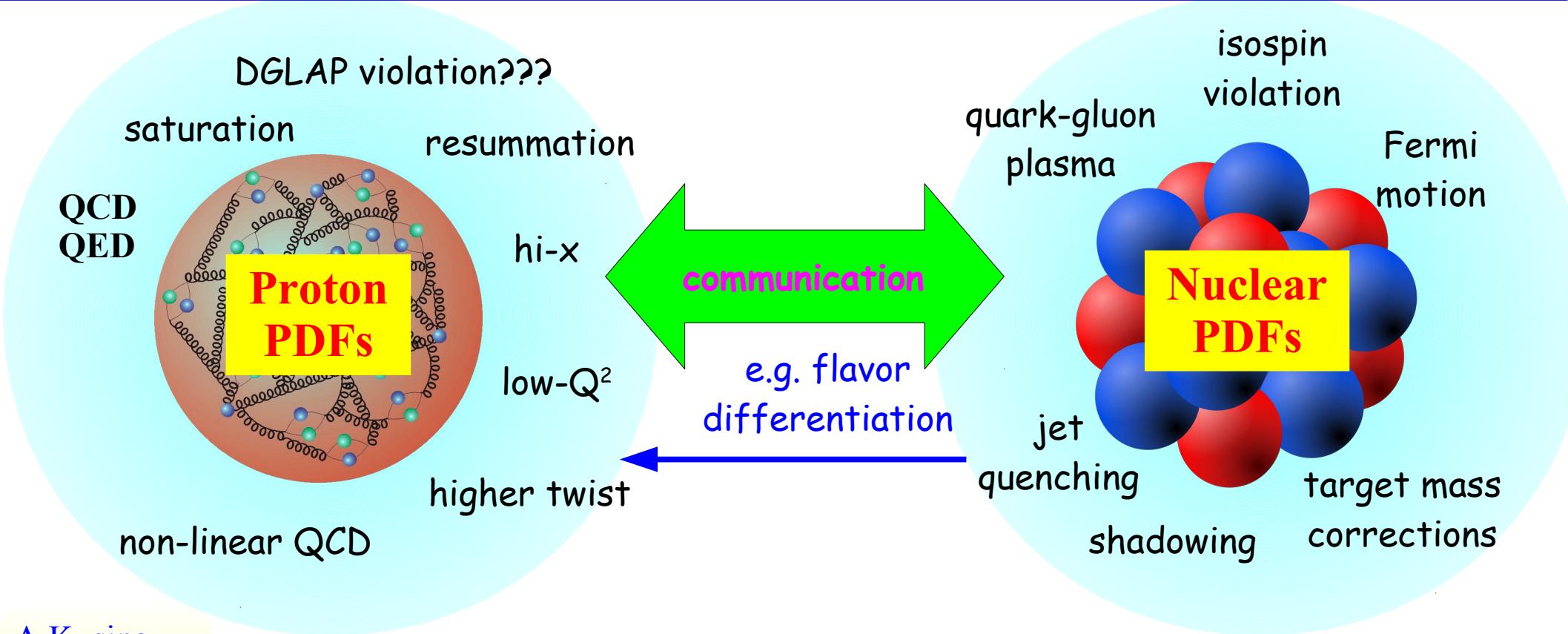


NNPDF3.1 NNLO, Impact of nuclear+deuteron fixed-target data , $Q = 100 \text{ GeV}$



“... for the time being it is still appears advantageous to retain nuclear target data in the global dataset for general-purpose PDF determination”

... the original motivation for nCTEQ



A Kusina,
 K. Kovarik
 T. Jezo,
 D. Clark,
 C. Keppel,
 F. Lyonnet,
 J. Morfin,
 F. Olness
 J. Owens,
 I. Schienbein,
 J. Yu
 E. Godat

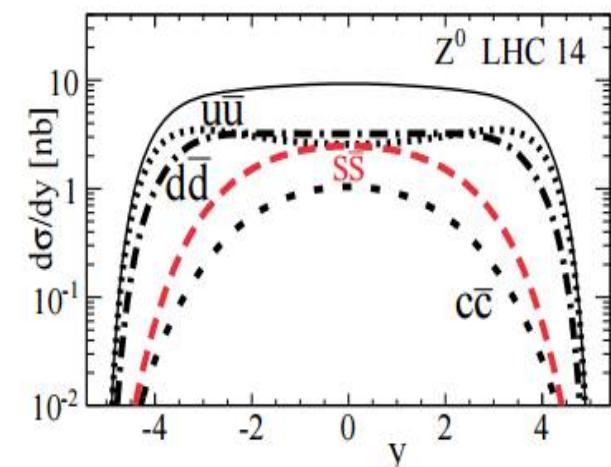
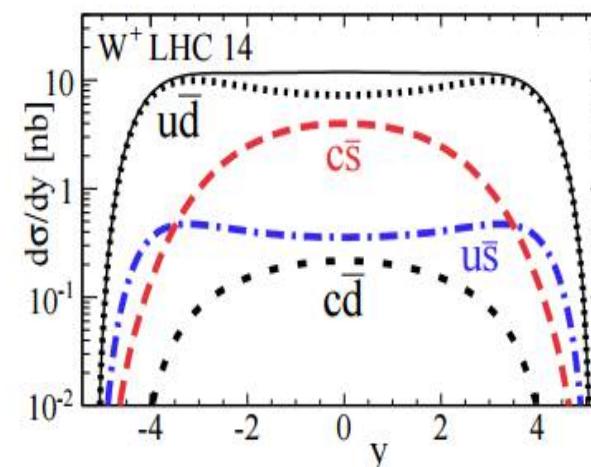
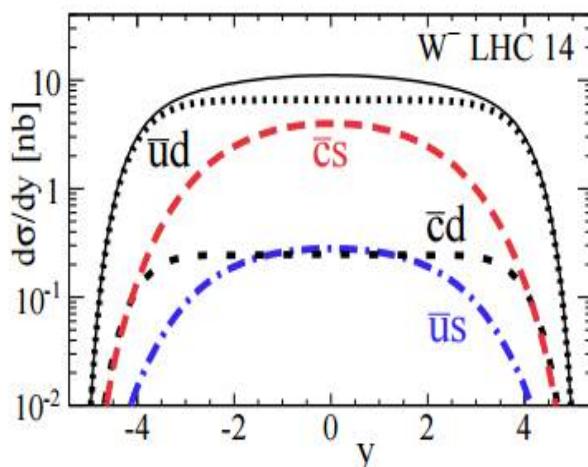
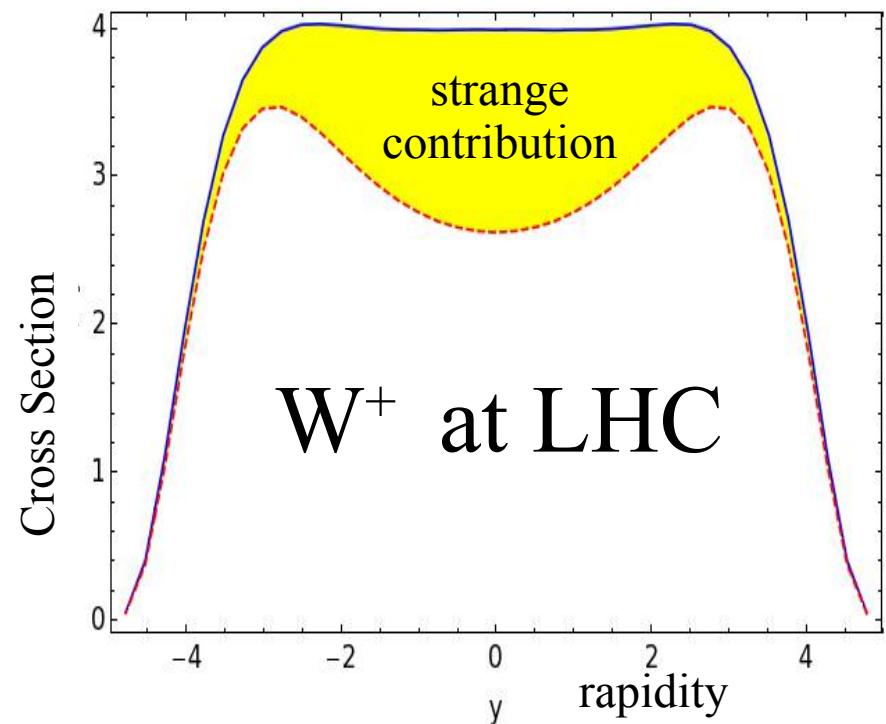
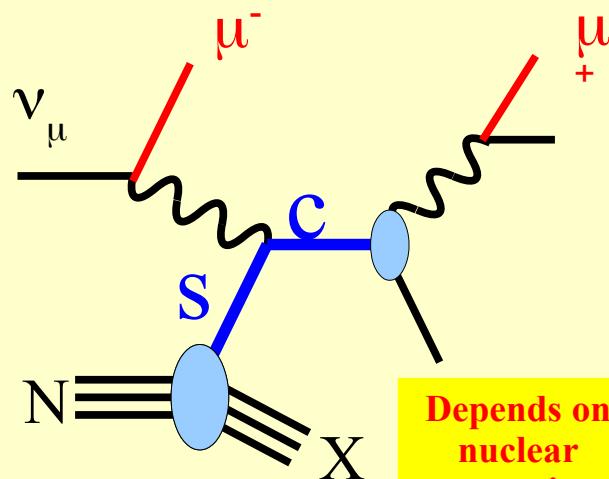
Data from nuclear targets play a key role in the flavor differentiation

nCTEQ-15

nuclear parton distribution functions

p p → W/Z Production

Neutrino DIS



LHC 14 TeV

(c) $d\sigma/dy$ for W^- (left), W^+ (middle), Z^0 (right) boson production at the LHC with $\sqrt{S} = 14$ TeV.

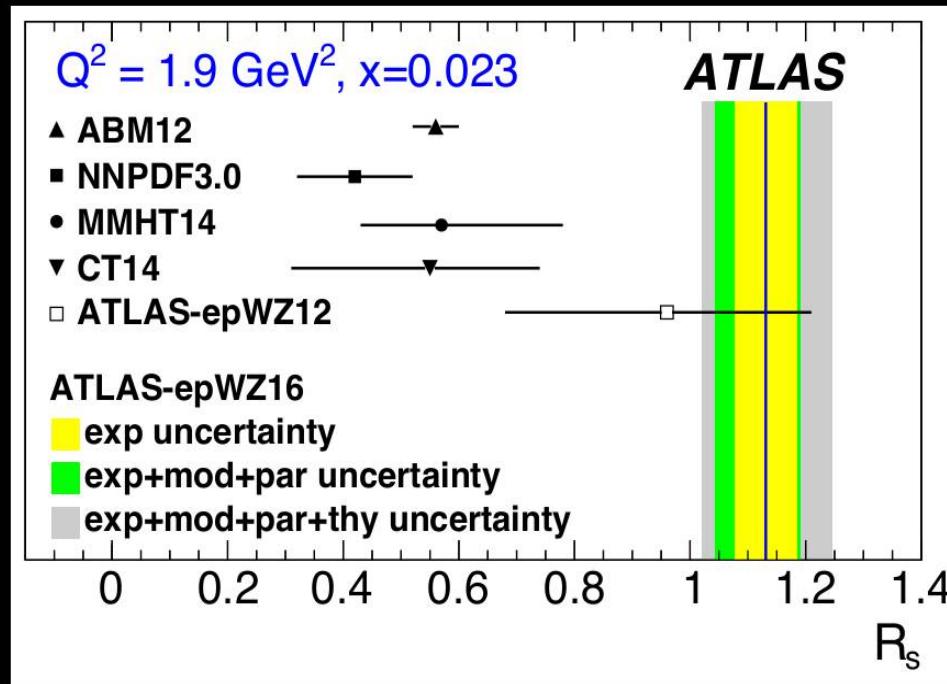
Strange Quark PDFs and Implications for Drell-Yan Boson Production at the LHC. A. Kusina, et al., Phys.Rev. D85 (2012) 094028

... at DIS2017 we heard ...



Electroweak and QCD Measurements at the Large Hadron Collider Strangeness in the Proton

arXiv:1612.03016



$$R_s = \frac{s + \bar{s}}{\bar{u} + \bar{d}} = 1.13 \pm 0.05 \text{ (exp)} \pm 0.02 \text{ (mod)} \stackrel{+0.01}{-0.06} \text{ (par)}$$

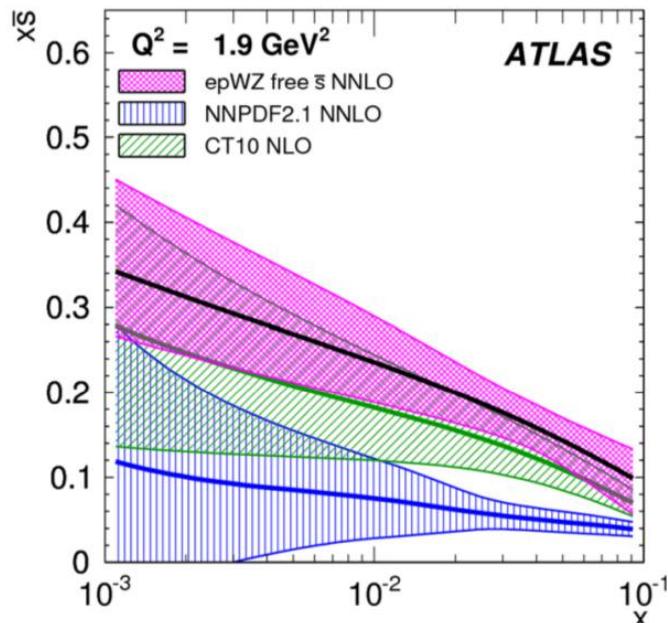
... I want a second opinion, ...

$$\kappa(Q) = \frac{\int_0^1 x [s(x, Q) + \bar{s}(x, Q)] dx}{\int_0^1 x [\bar{u}(x, Q) + \bar{d}(x, Q)] dx}$$

$$r^s(x, Q) = \frac{\bar{s}(x, Q) + s(x, Q)}{2\bar{d}(x, Q)}$$

$$R^s(x, Q) = \frac{s(x, Q) + \bar{s}(x, Q)}{\bar{u}(x, Q) + \bar{d}(x, Q)}$$

NNLO, $Q = 100 \text{ GeV}$

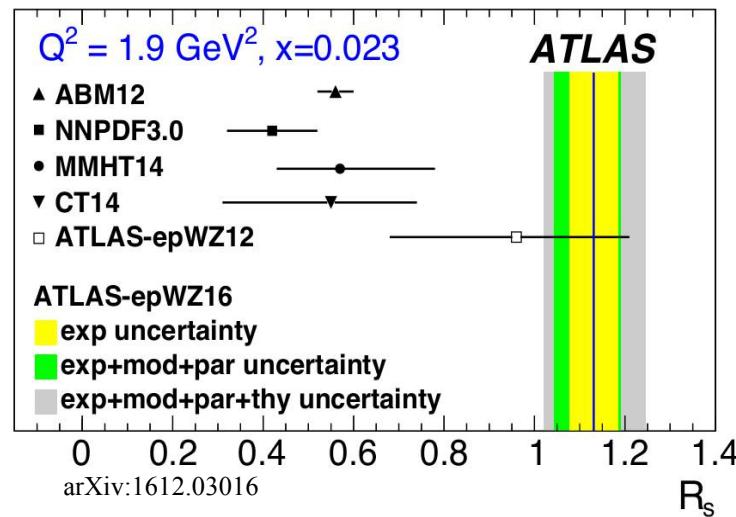
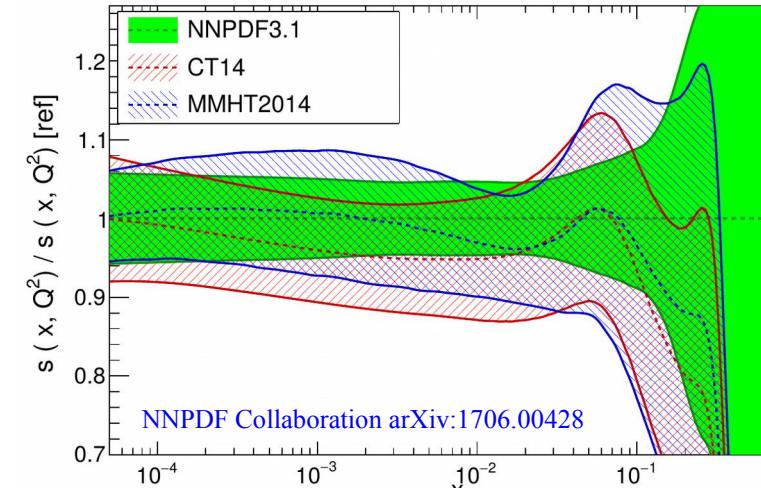


HERAFitter, Open Source QCD Fit Project
Eur. Phys. J. C (2015) 75: 304.

$K_{\text{CT14NNLO}}^s = 0.62 \pm 0.14$
 $K_{\text{CT10NNLO}}^s = 0.73 \pm 0.11$

Carl Schmidt October 2015: INT Workshop

*... whatever you
want it to be*



$$\text{NuTeV } \kappa = 0.477^{+0.063}_{-0.053}$$

Z.Phys.C65:189-198,1995

$$\text{NOMAD } \kappa = 0.591 \pm 0.019$$

arXiv:1308.4750

$$\text{CMS } \kappa = 0.52^{+0.12+0.05+0.13}_{-0.10-0.06-0.10} \quad Q^2=20 \text{ GeV}^2$$

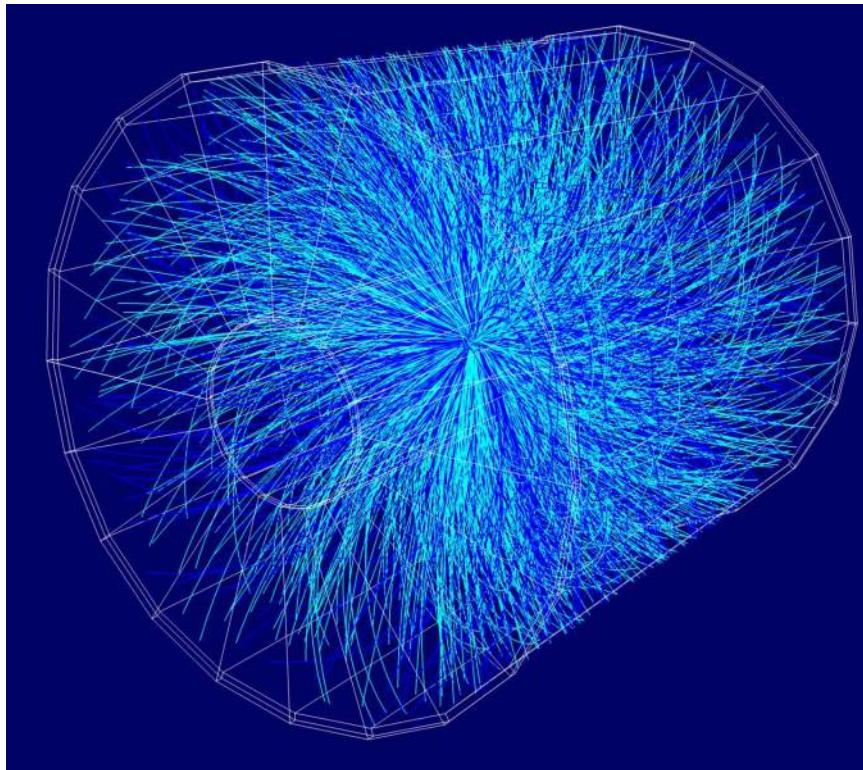
PhysRevD.90.032004
(exp)(model)(param)

$$\text{ATLAS } r_s = 1.19 \pm 0.07 \pm 0.02^{+0.02}_{-0.10}$$

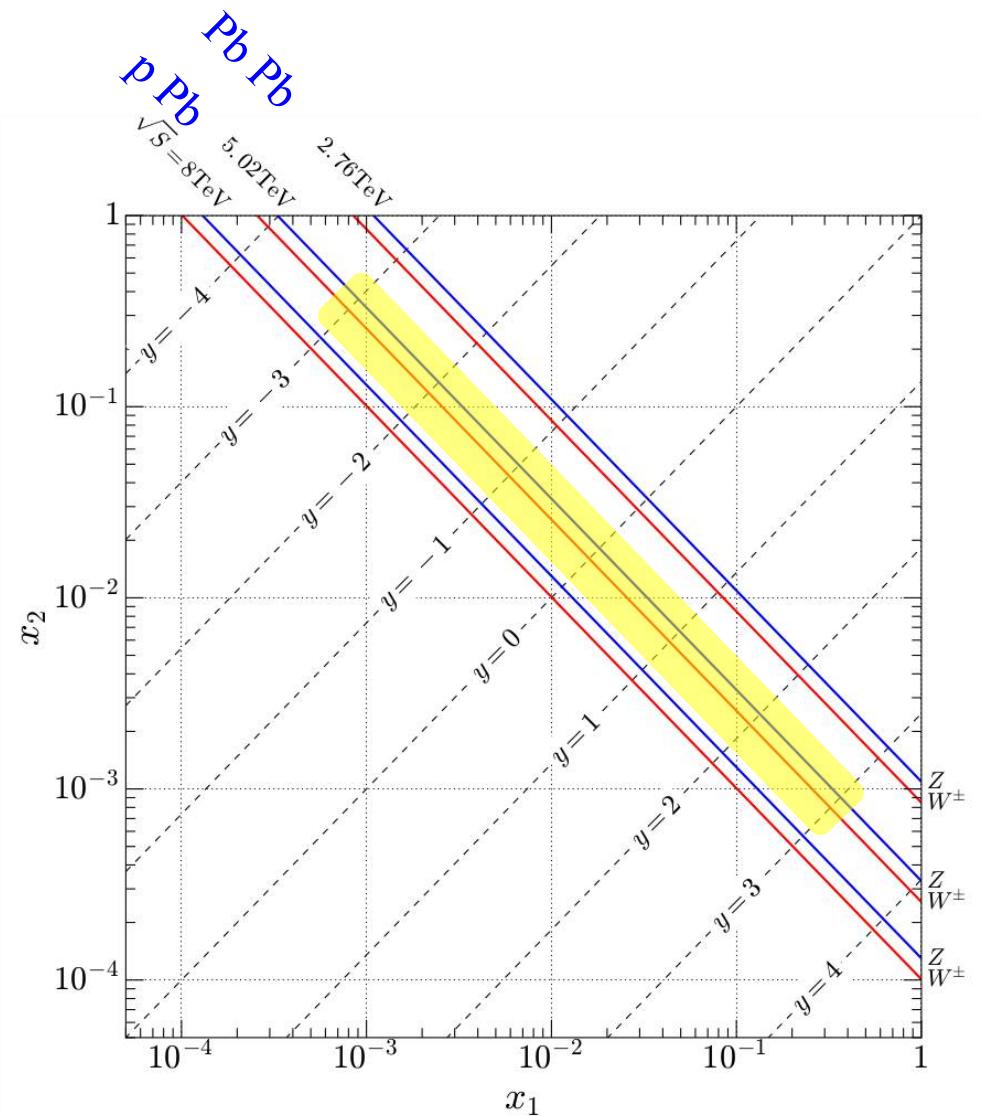
$$Q_0^2=1.9 \text{ GeV}^2 \text{ at } x=0.023$$

EPJC (2107) 77:367
(exp)(model)(param)

- * Sensitive to $s(x)$ in new kinematic range with new A
- * Provide complementary information to proton-proton W/Z production



One of the first lead-lead collisions at the LHC, recorded by the ALICE detector in November 2010. Note the large number of particle tracks (Image: ALICE)



nCTEQ15

The Ingredients

Data sets & cuts for nPDF fits

NC DIS & DY

SLAC E-139 & E-049

N = (D, Ag, Al, Au, Be,C, Ca, Fe, He)

CERN BCDMS & EMC & NMC

N = (D, Al, Be, C, Ca, Cu, Fe, Li, Pb, Sn, W)

DESY Hermes

N = (D, He, N, Kr)

FNAL E-665

N = (D, C, Ca, Pb, Xe)

FNAL E-772 & E-886

N = (D, C, Ca, Fe,W)

Neutrino DIS*

NuTeV CHORUS CCFR & NuTeV

N = Pb & Fe

Pion Production:

RHIC: PHENIX & STAR

N = Au

will show comparision w/ LHC pPb

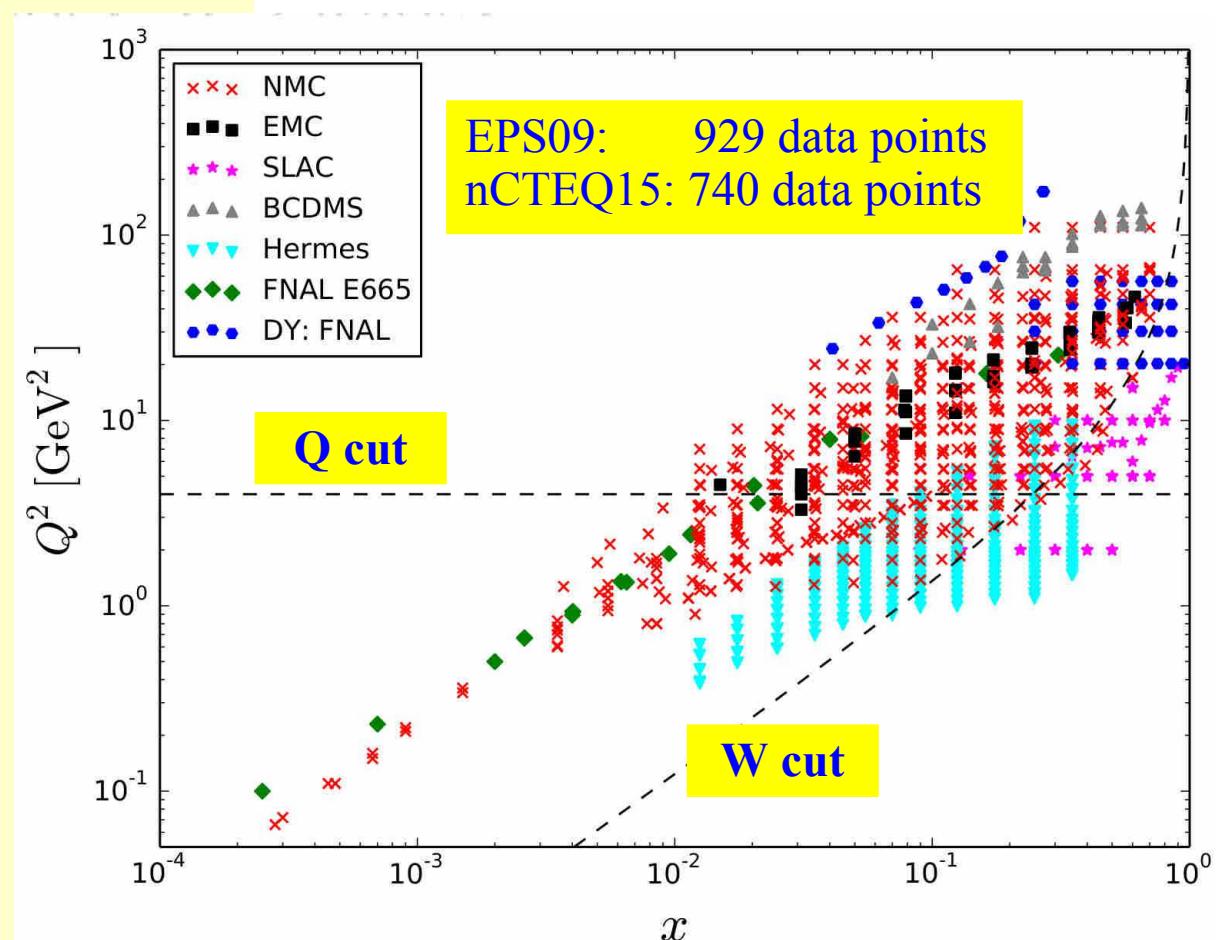
DIS Cuts:

EPS: Q>1.3

HKN: Q>1.0

DSSZ: Q>1.0

nCTEQ: Q>2.0 & W>3.5



proton vs nuclear: fewer data and more DOF ... impose assumptions on nPDFs

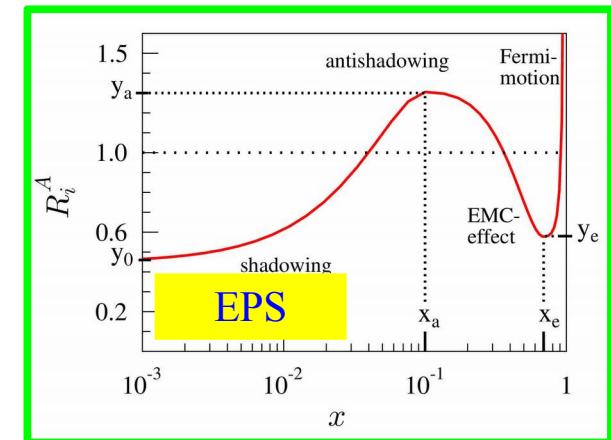
1) Multiplicative nuclear correction factors (HKN, EPS, DSSZ)

$$f_i^{p/A}(x_N, Q_0) = R_i(x_N, Q_0, A) f_i^{\text{free proton}}(x_N, Q_0)$$

... for example

HKN

$$R_i(x, Q_0, A) = 1 + \left(1 - \frac{1}{A^\alpha}\right) \frac{a_i + b_i x + c_i x^2 + d_i x^3}{(1-x)^{\beta_i}}$$



2) Generalized A-parameterization (nCTEQ)

$$f_i^{p/A}(x_N, \mu_0) = f_i(x_N, A, \mu_0)$$

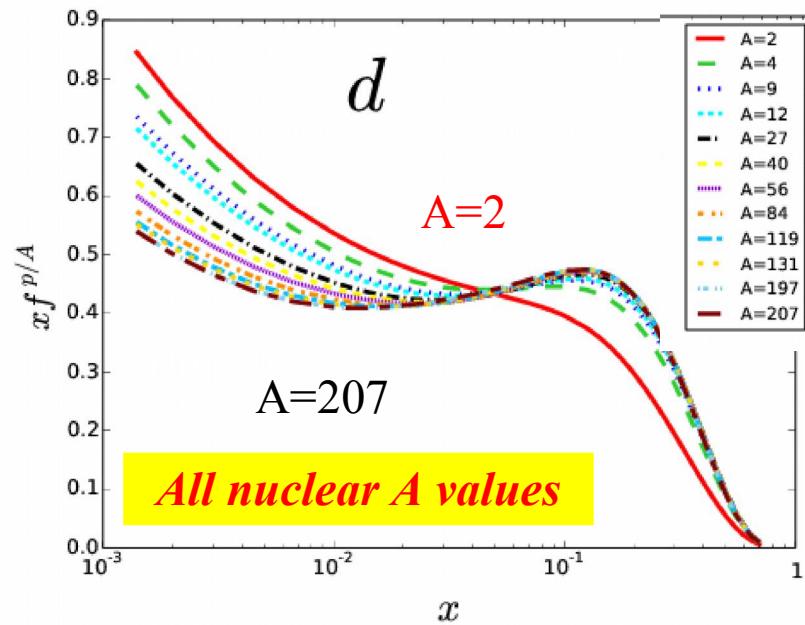
$$f \sim \dots x^{c_1(A)}(1-x)^{c_2(A)}\dots$$

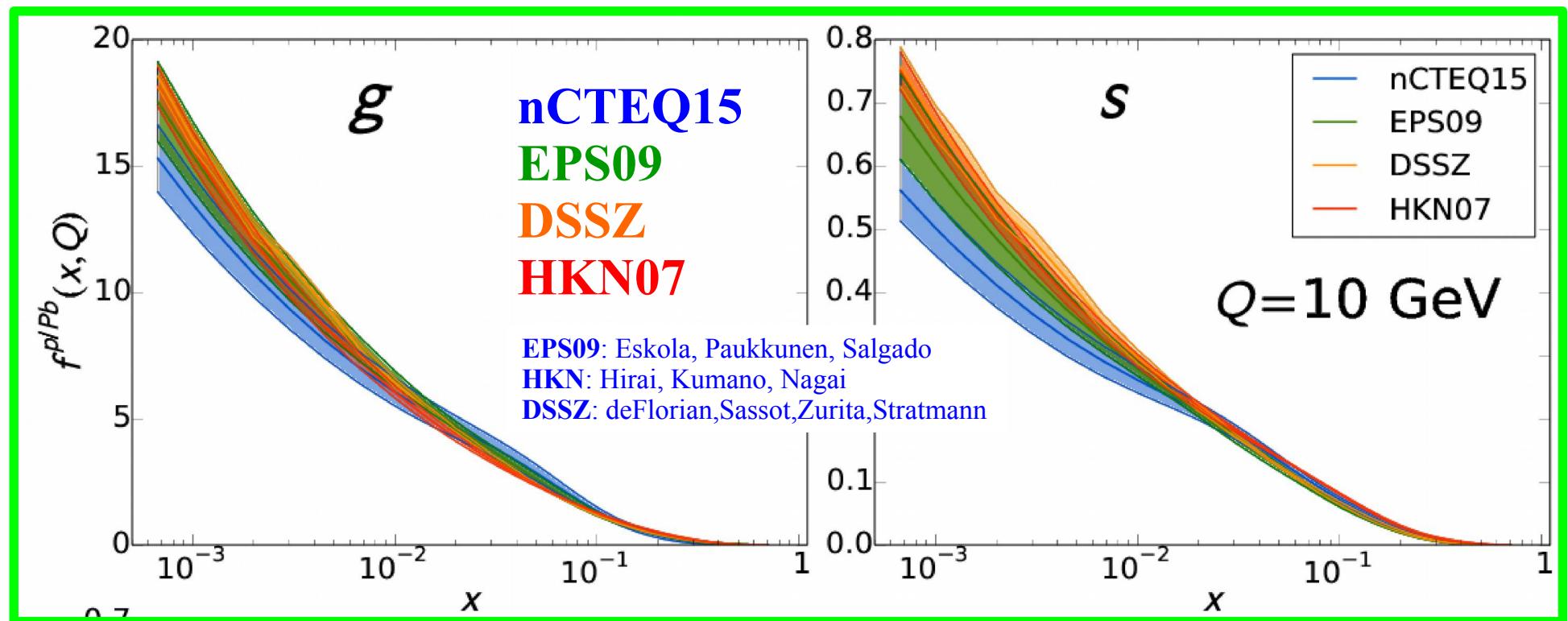
$$c_k \sim c_{k,0} + c_{k,1} \left(1 - A^{-c_{k,2}}\right)$$

Proton

Nuclear

use proton as starting point



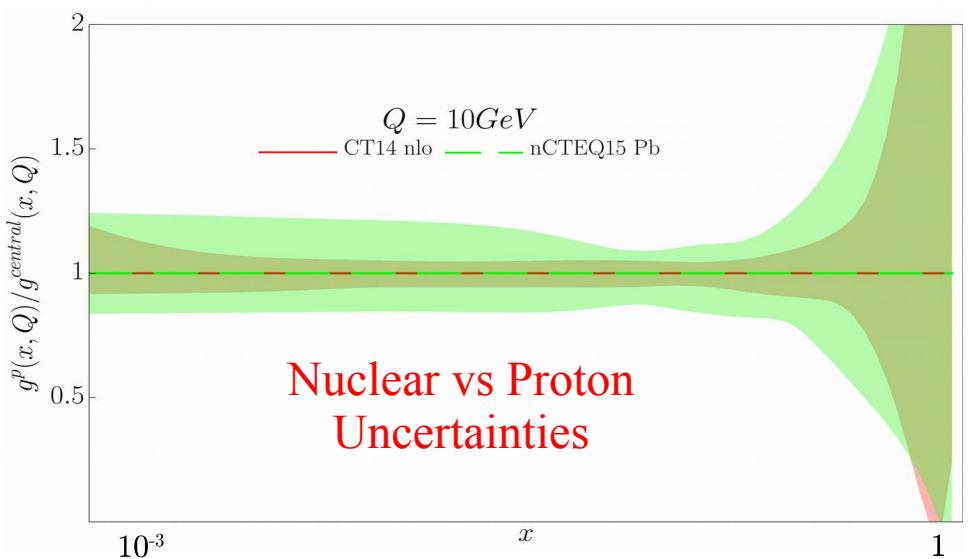


Nuclear PDFs are more complex

more DOF than Proton case

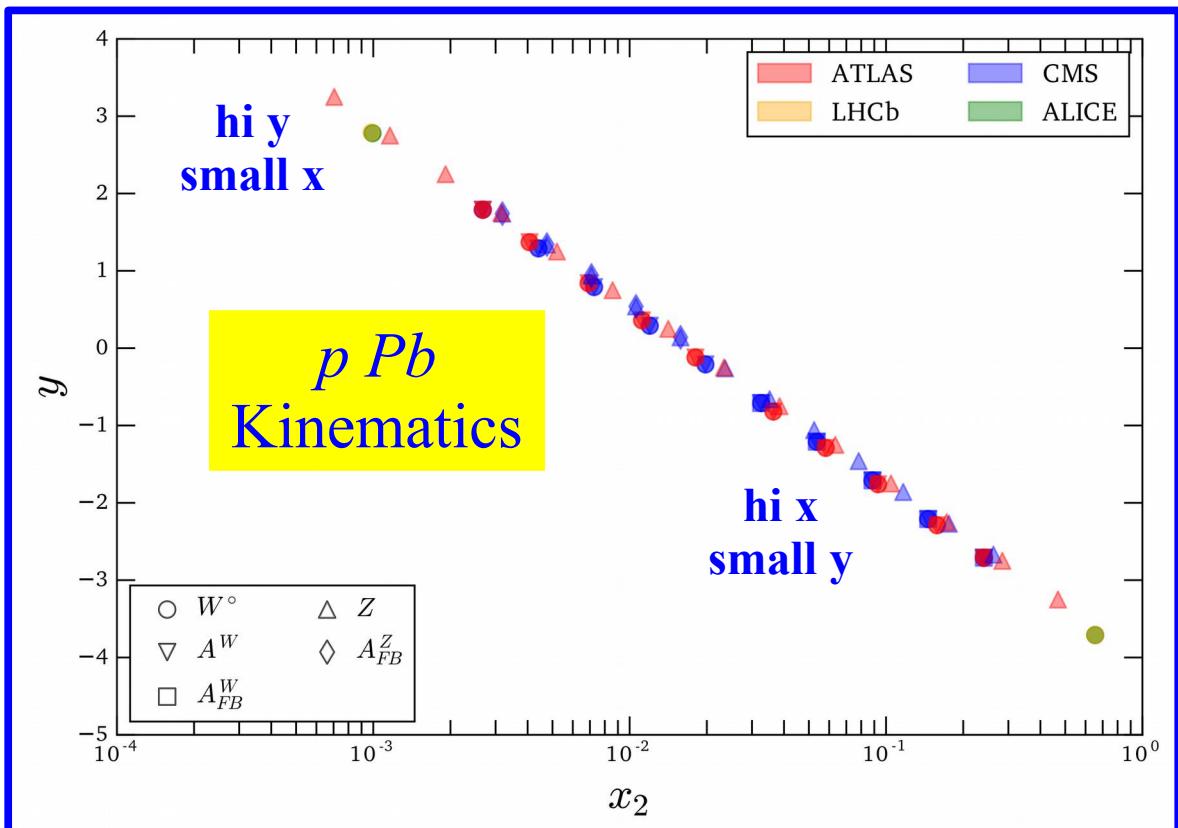
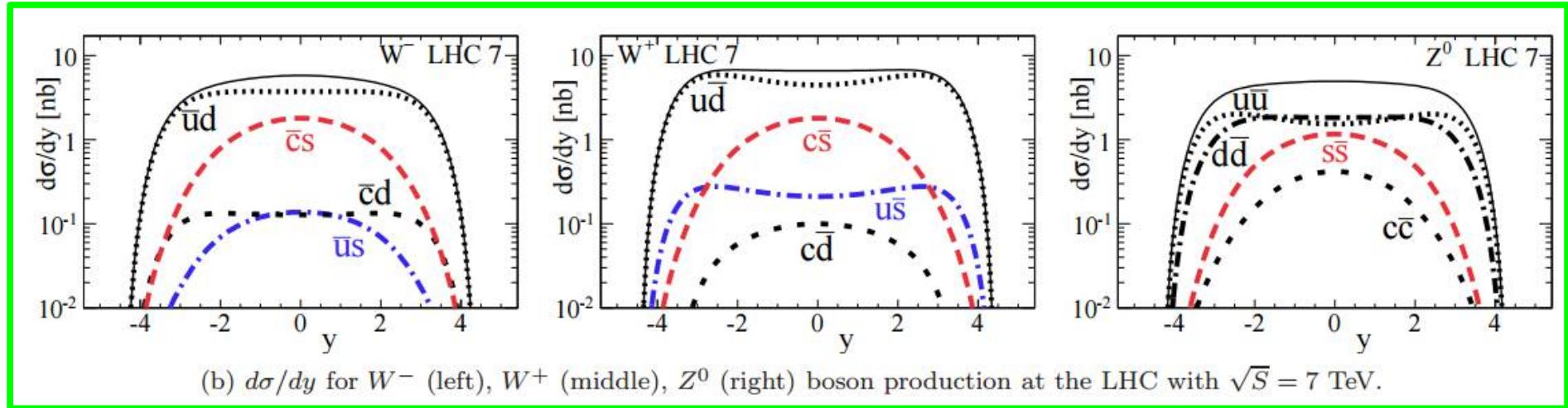
more “issues” to consider

more work to do ...



W/Z Cross Sections & Flavor Determination

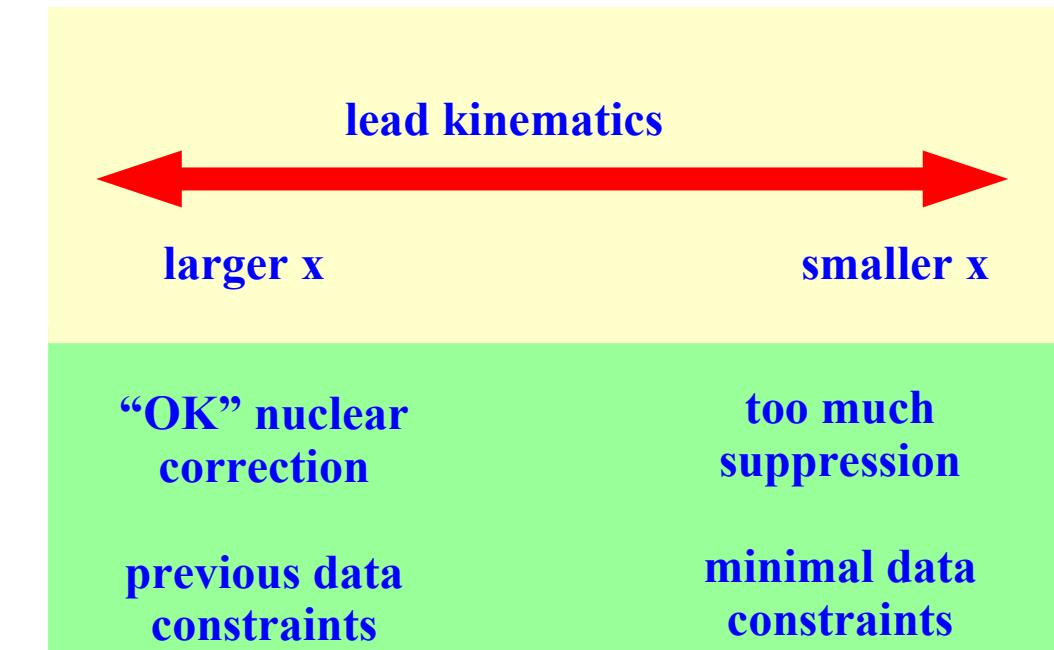
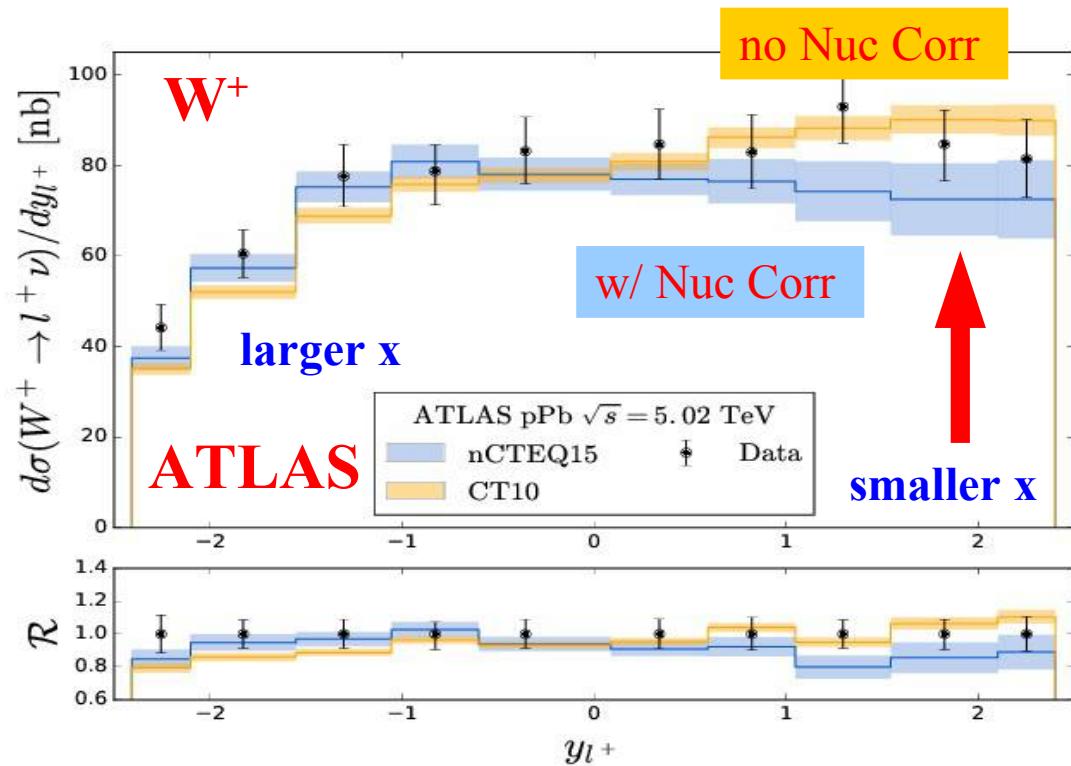
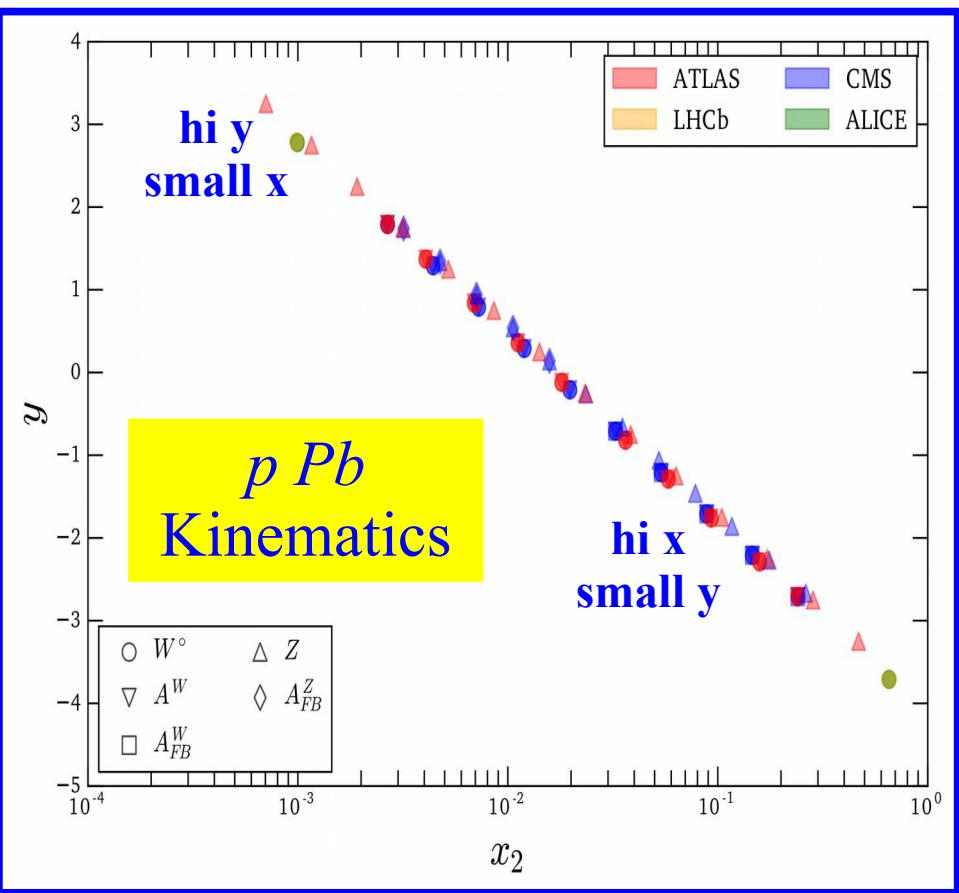
Vector boson production in pPb & PbPb
A. Kusina, F. Lyonnet, D. B. Clark, E. Godat, T. Jezo,
K. Kovarik, F. I. Olness, I. Schienbein, J. Y. Yu,
arXiv:1610.02925 [nucl-th]



$W^+ \sim c(x) \bar{s}(x)$
 $W^- \sim s(x) \bar{c}(x)$
 $Z \sim s(x) \bar{s}(x)$

$p\,Pb \rightarrow W/Z$ and Nuclear Corrections

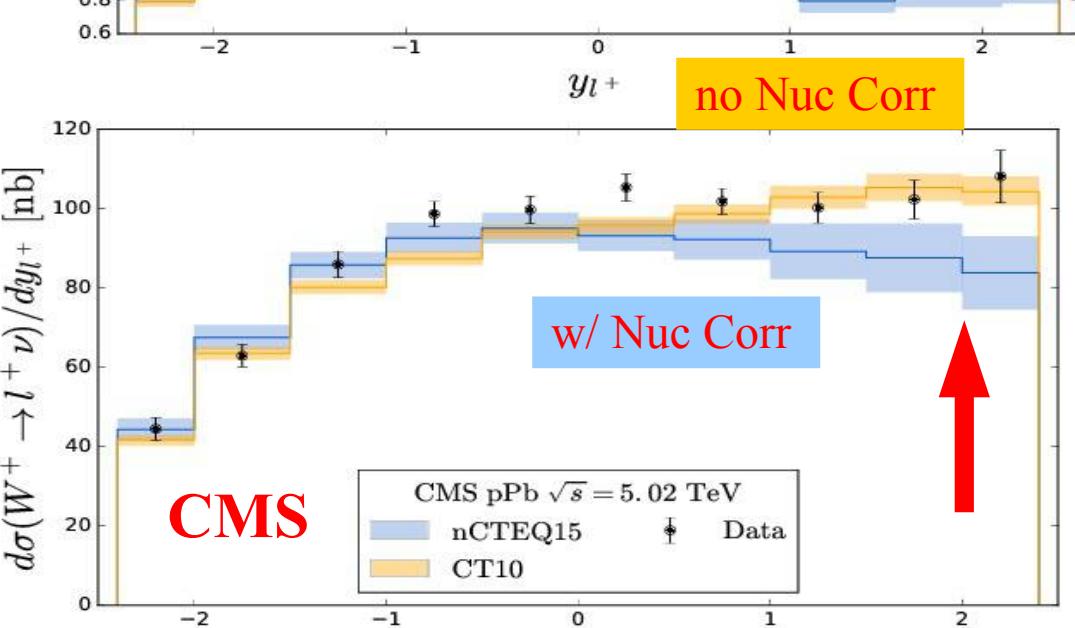
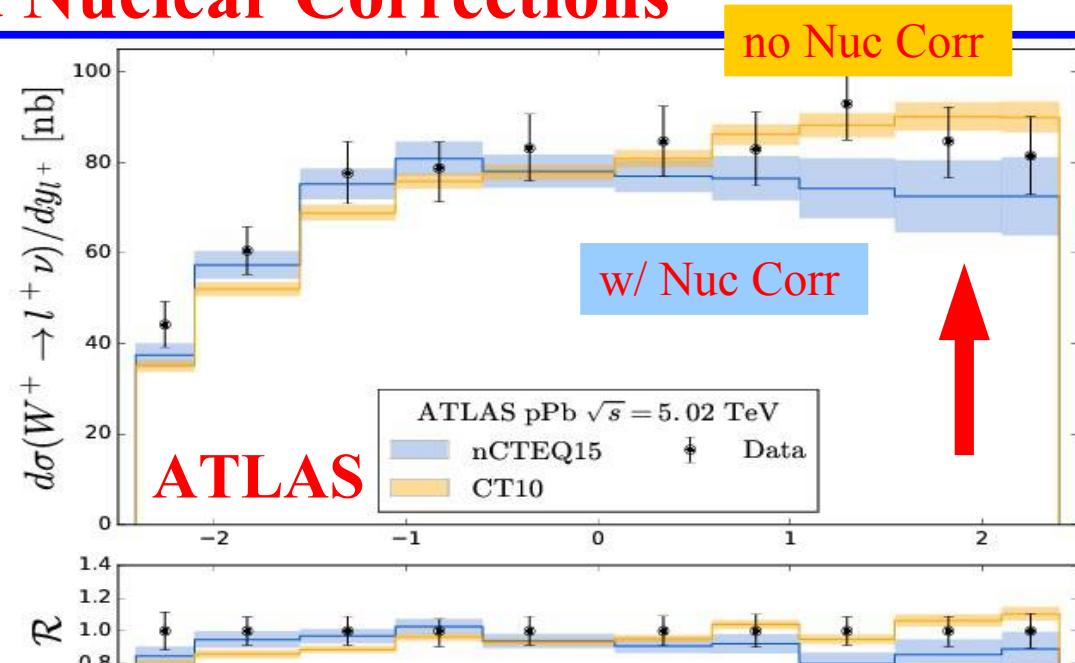
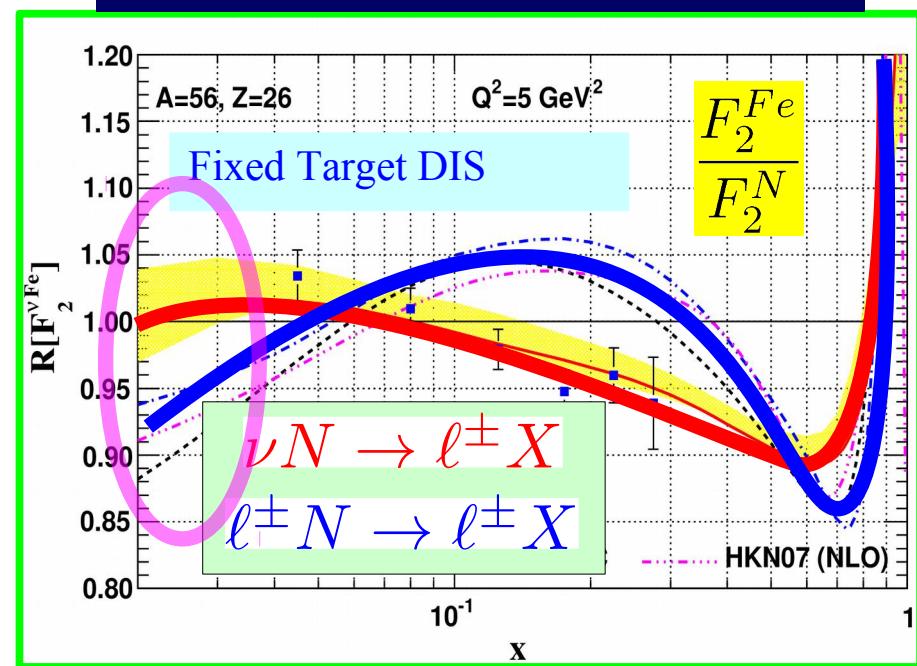
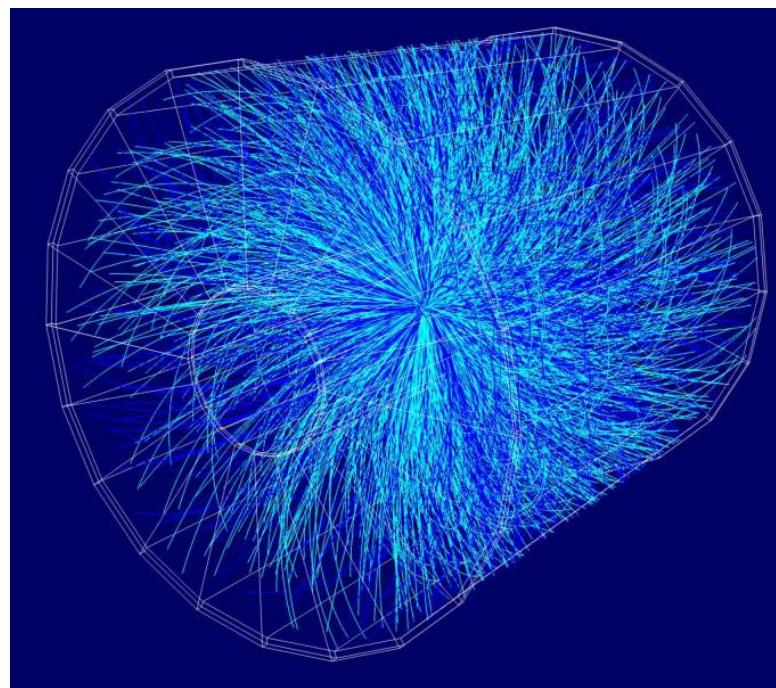
$$\frac{d\sigma(p\,Pb \rightarrow W^+)}{dy}$$



Vector boson production in pPb & PbPb

A. Kusina, F. Lyonnet, D. B. Clark, E. Godat, T. Jezo,
K. Kovarik, F. I. Olness, I. Schienbein, J. Y. Yu,
arXiv:1610.02925 [nucl-th]

$p\,Pb \rightarrow W/Z$ and Nuclear Corrections



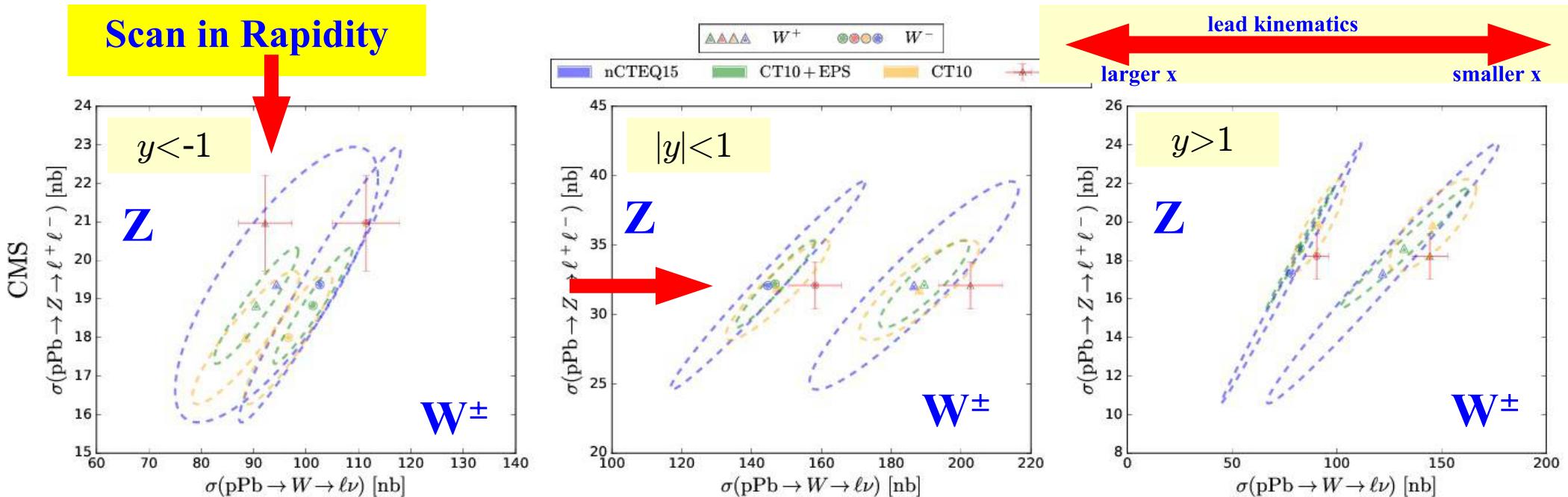
lead kinematics

larger x

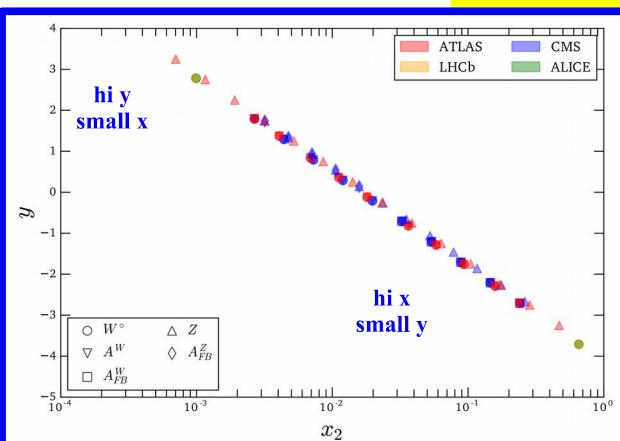
smaller x

A large red double-headed arrow at the bottom indicates the range of lead kinematics, spanning from "larger x " to "smaller x ".

σ Correlations: Scan in “x” and flavor combinations



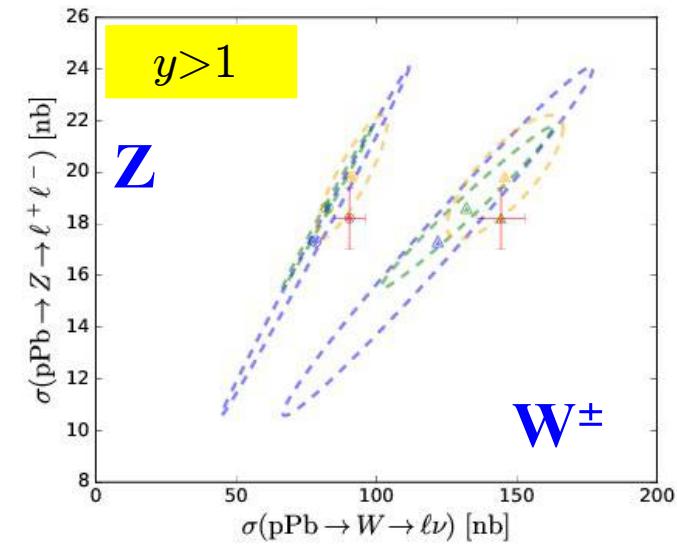
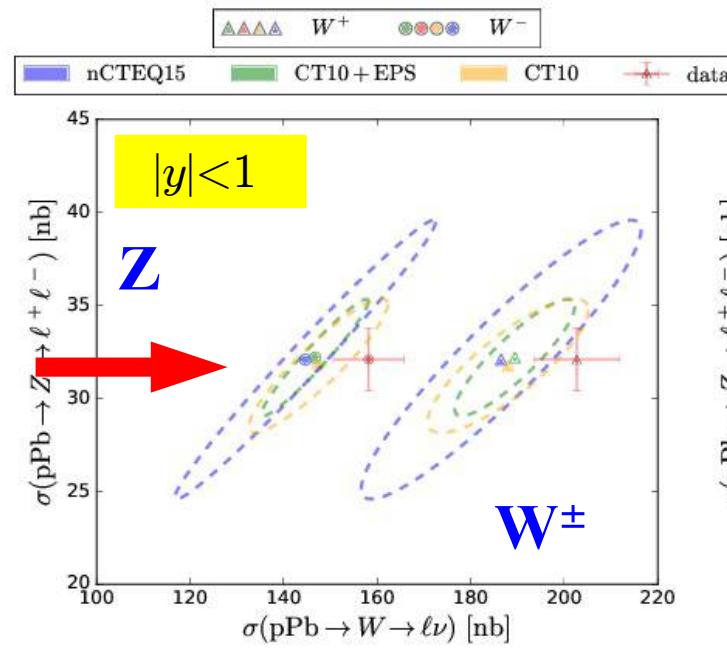
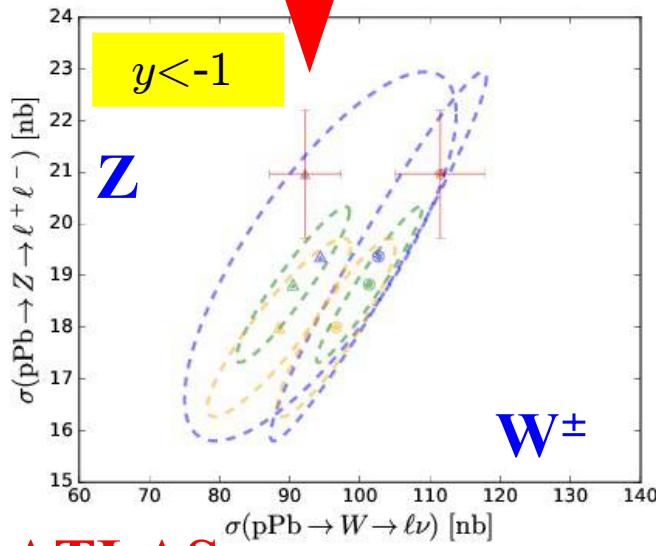
- W^\pm / Z provide different linear combinations
- Rapidity scans different x regions



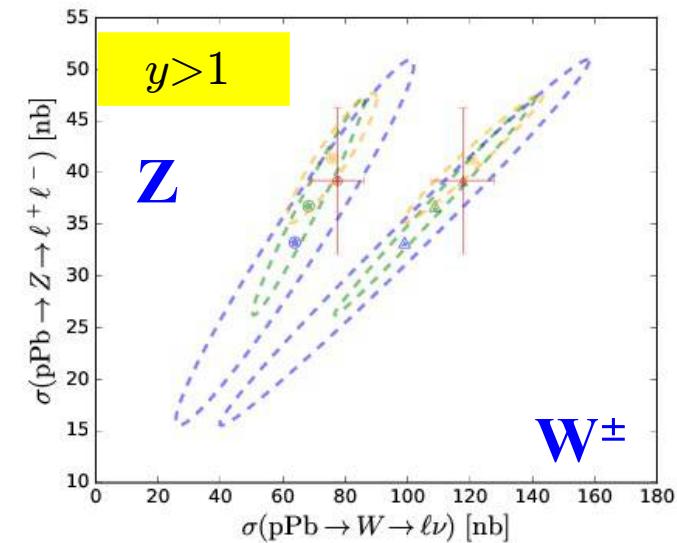
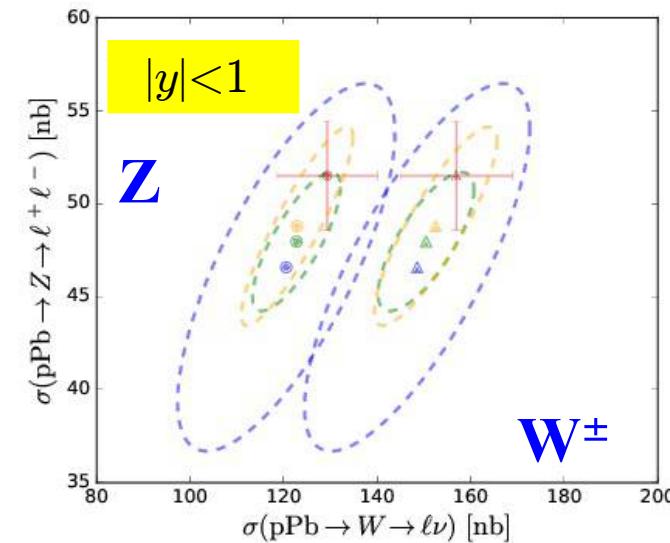
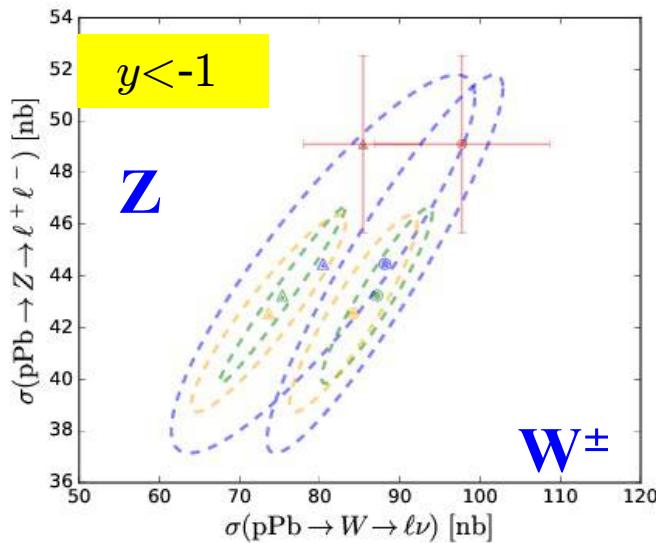
$$\begin{aligned}
 W^+ &\sim c(x) \bar{s}(x) \\
 W^- &\sim s(x) \bar{c}(x) \\
 Z &\sim s(x) \bar{s}(x)
 \end{aligned}$$

σ Correlations: Scan in “x” and flavor combinations

CMS



ATLAS



lead kinematics

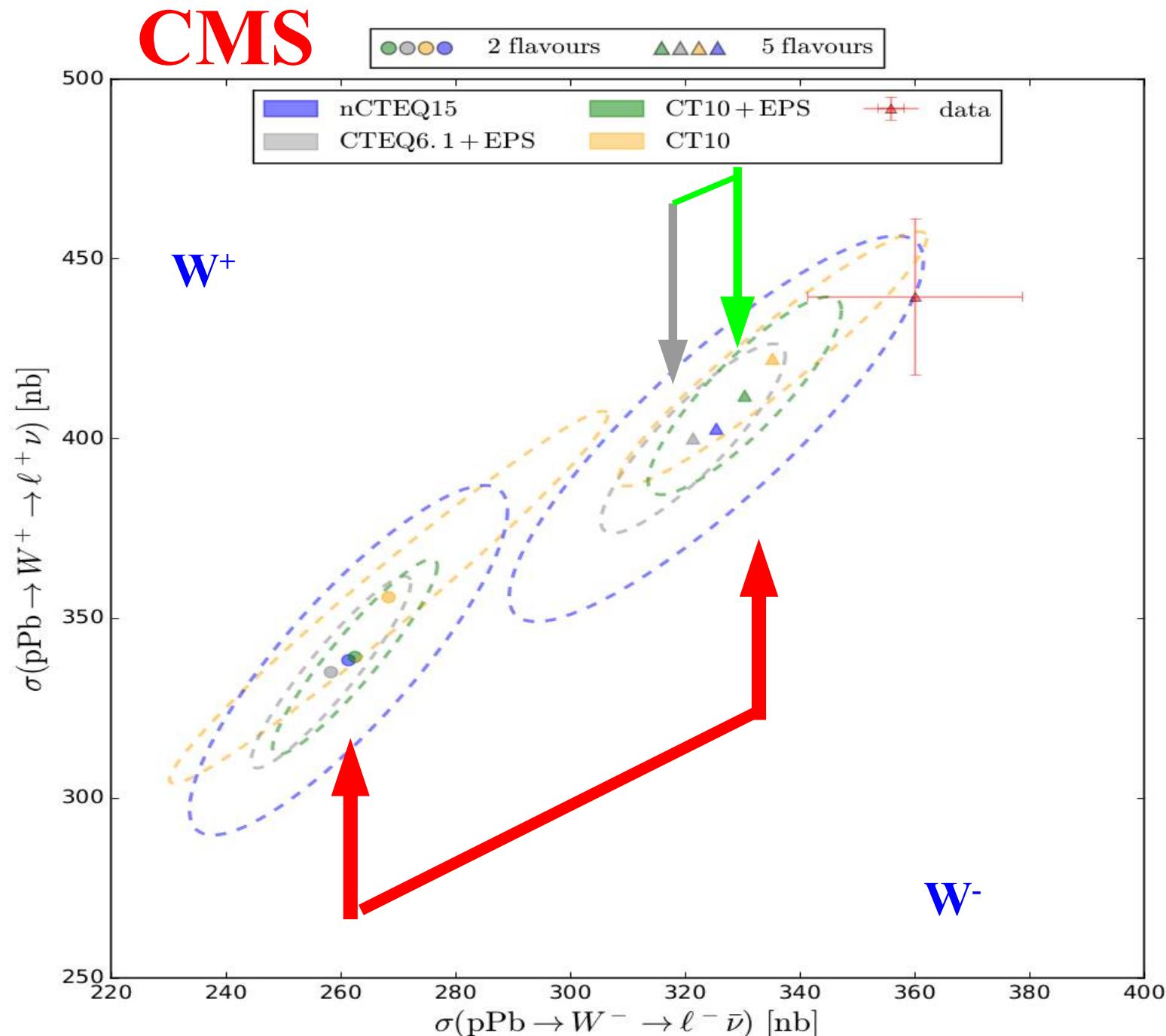
larger x

smaller x

W/Z Cross Sections

Compare
2 vs. 5 Flavors

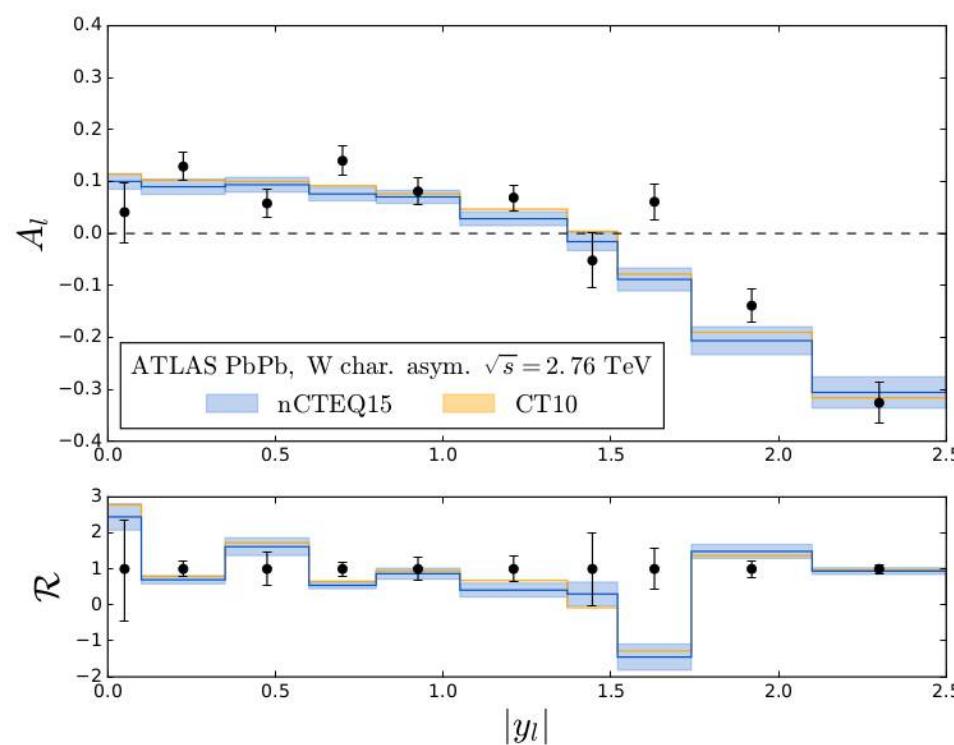
Vector boson production in pPb & PbPb
A. Kusina, F. Lyonnet, D. B. Clark, E. Godat, T. Jezo,
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arXiv:1610.02925 [nucl-th]



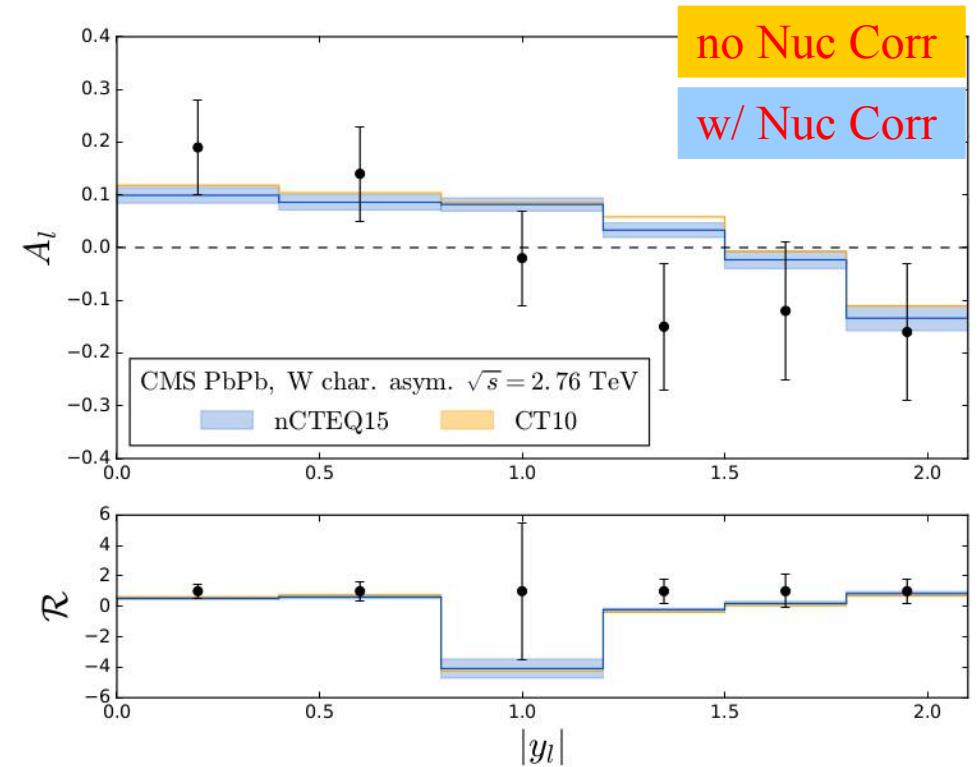
Pb Pb Asymmetries

PbPb W Charge Asymmetry

$$A_\ell(y_\ell) = \frac{dN(W^+ \rightarrow \ell^+ \nu_\ell) - dN(W^- \rightarrow \ell^- \bar{\nu}_\ell)}{dN(W^+ \rightarrow \ell^+ \nu_\ell) + dN(W^- \rightarrow \ell^- \bar{\nu}_\ell)}$$



(a) ATLAS



(b) CMS

Fig. 10: W charge asymmetry for PbPb collisions at the LHC with $\sqrt{s} = 2.76$ TeV as measured by the ATLAS and CMS collaborations. Corresponding predictions obtained with nCTEQ15 and CT10 PDFs are also shown.

EPS09 & EPPS16

nPDFs

Nuclear Corrections: Pb vs. x

EPS09:

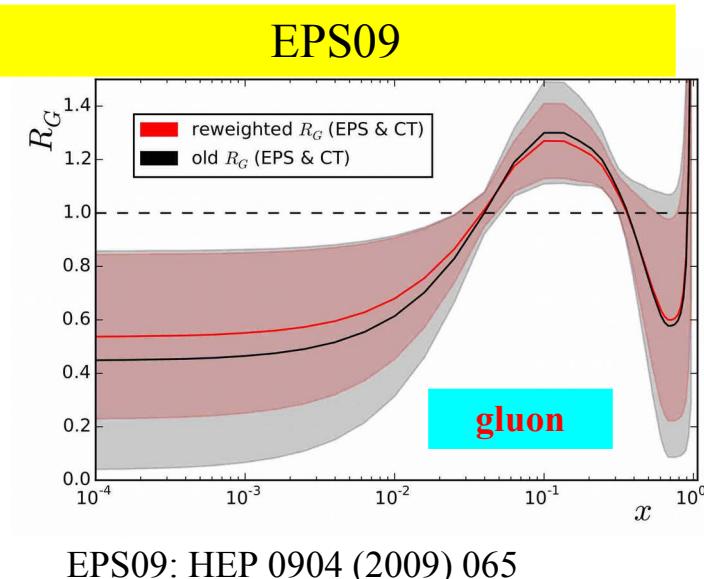
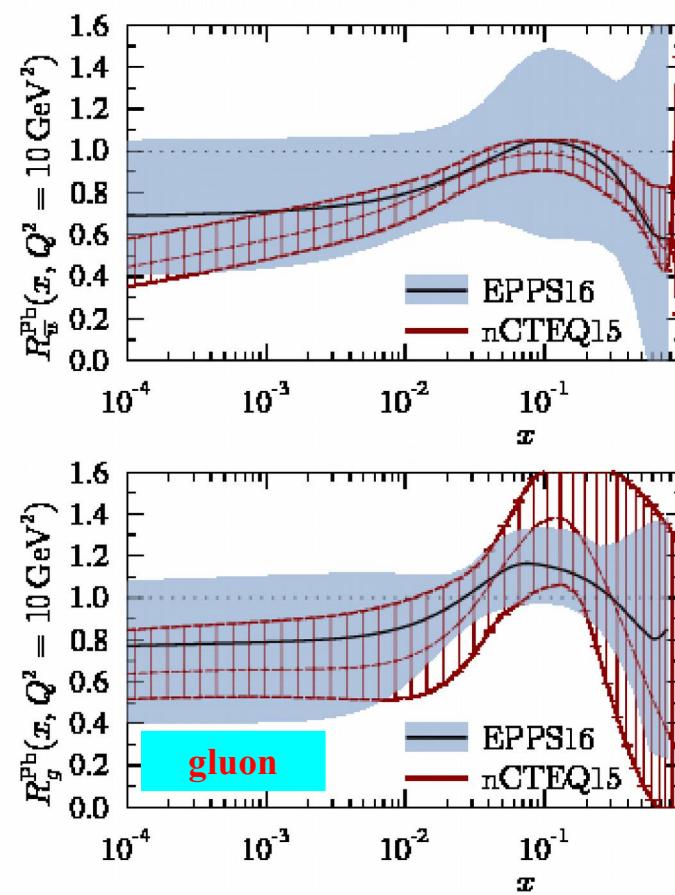
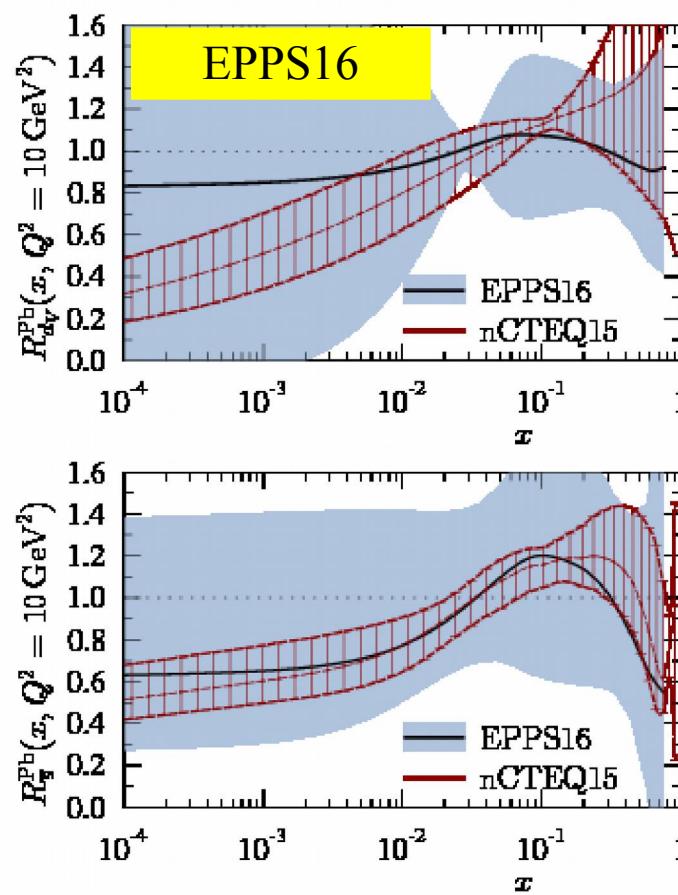
χ^2/DOF 731/929
 15 total parameters
 5 Parameters for R_{sea}
 Fit Ratios

EPPS16:

χ^2/DOF 1789/1811
 20 Parameters
 9 Parameters for sea PDFs
 LHC pPb W/Z & dijet
 Fit Ratios

nCTEQ15:

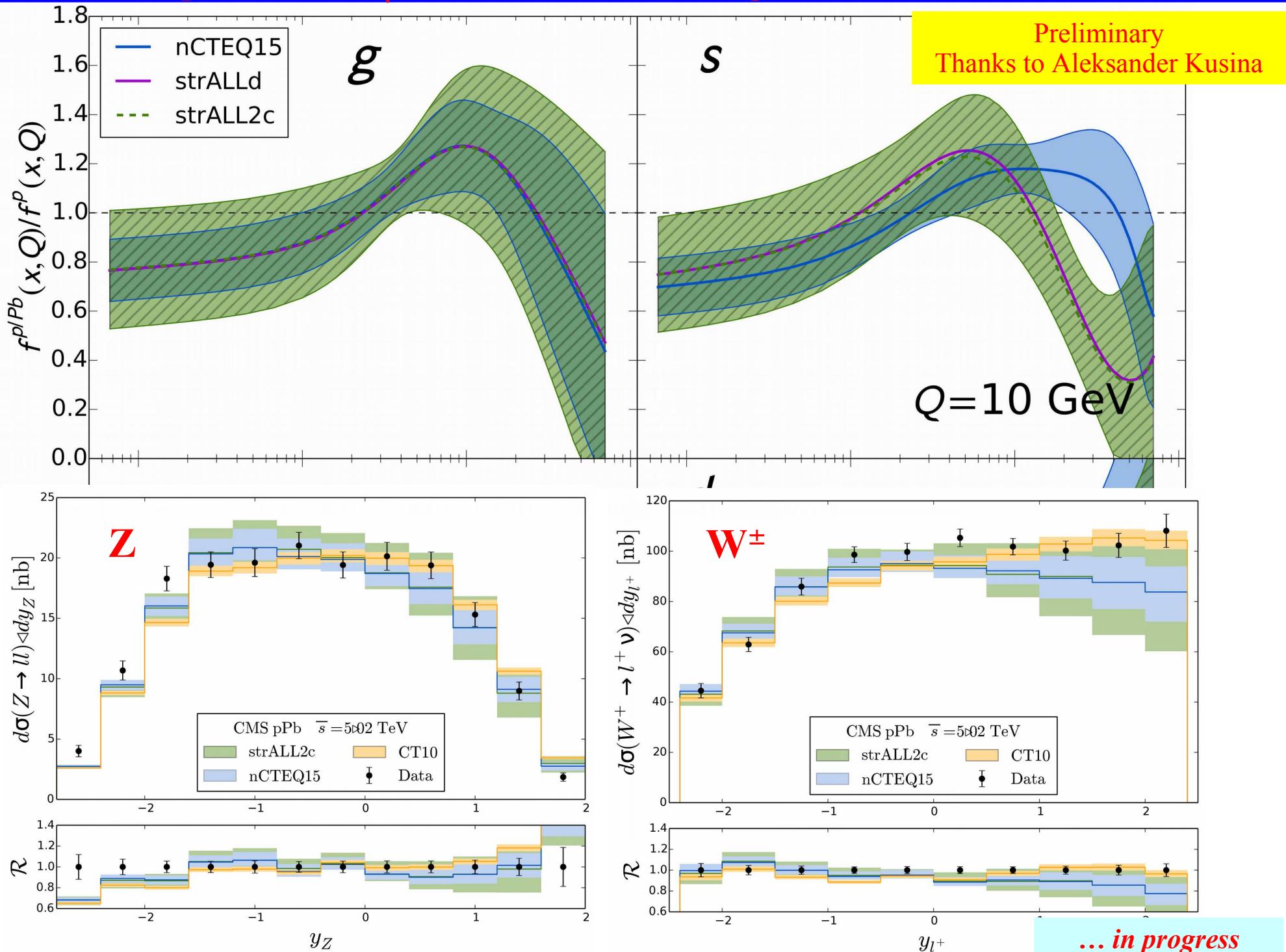
χ^2/DOF 587/740
 18 Parameters (inc. 2 norm.)
 2 Parameters for $s(x)$ PDF
 Fit PDFs (w/ base proton)



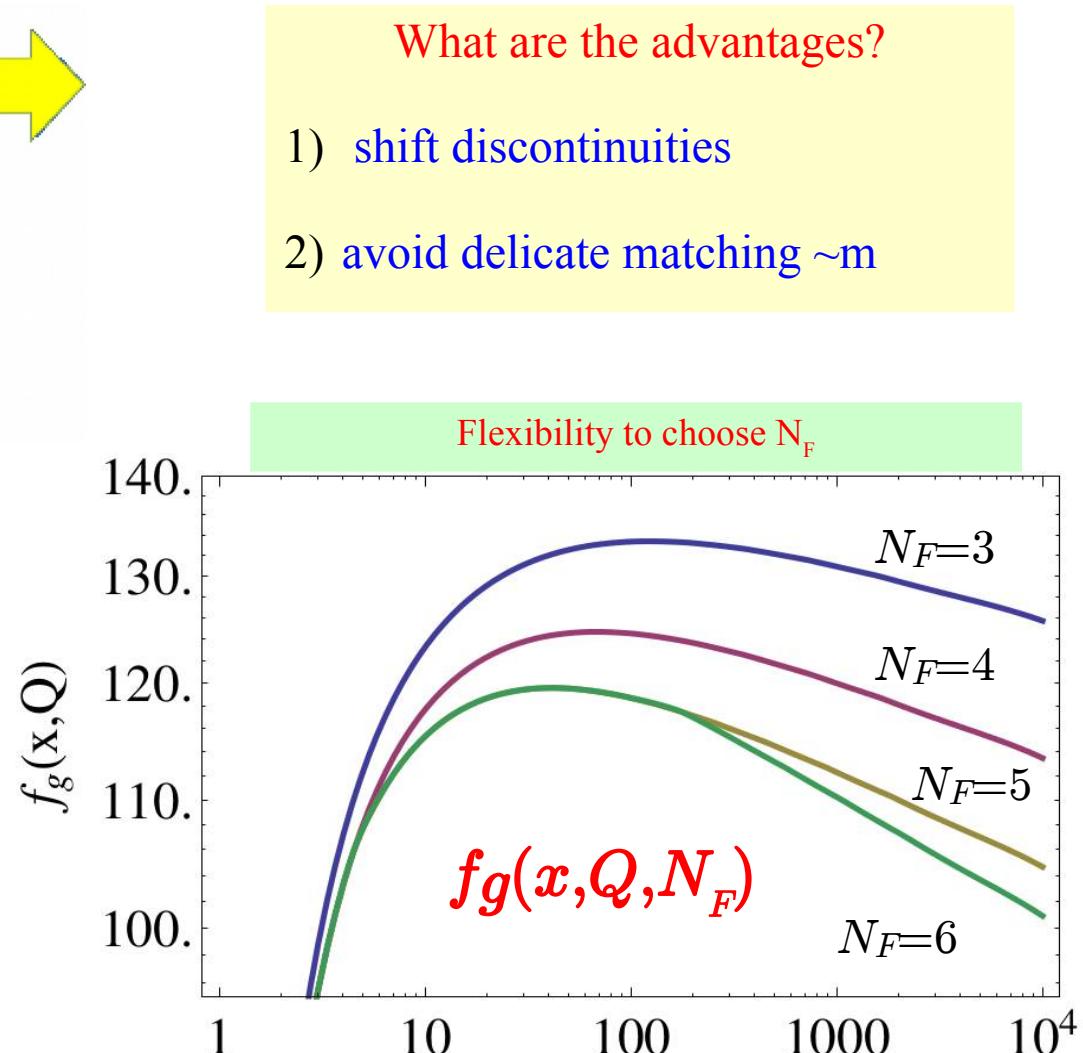
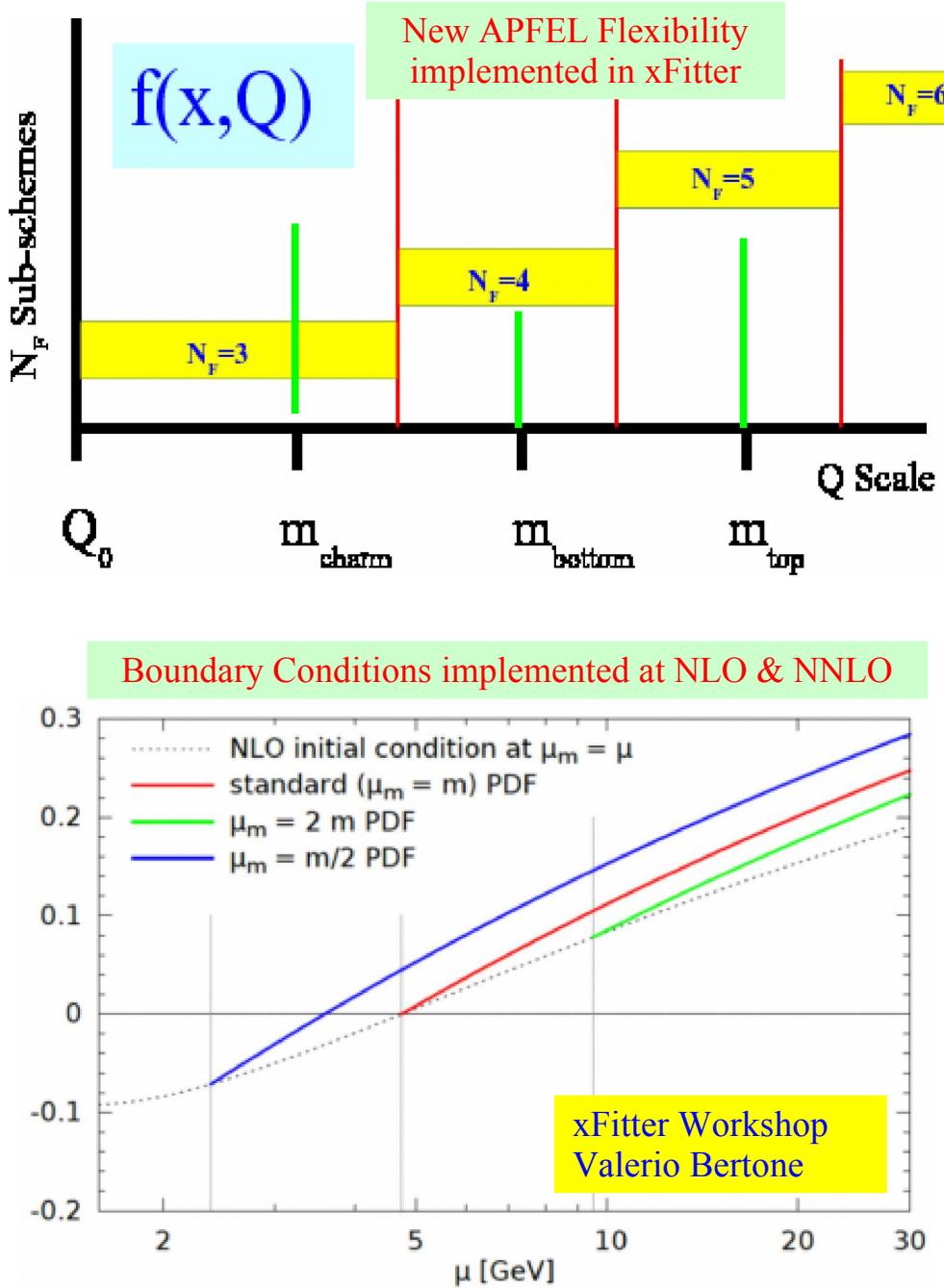
EPS09: HEP 0904 (2009) 065

EPPS16: Eur.Phys.J. C77 (2017) no.3, 163

p Pb → W/Z : Free the Strange Quark s(x)

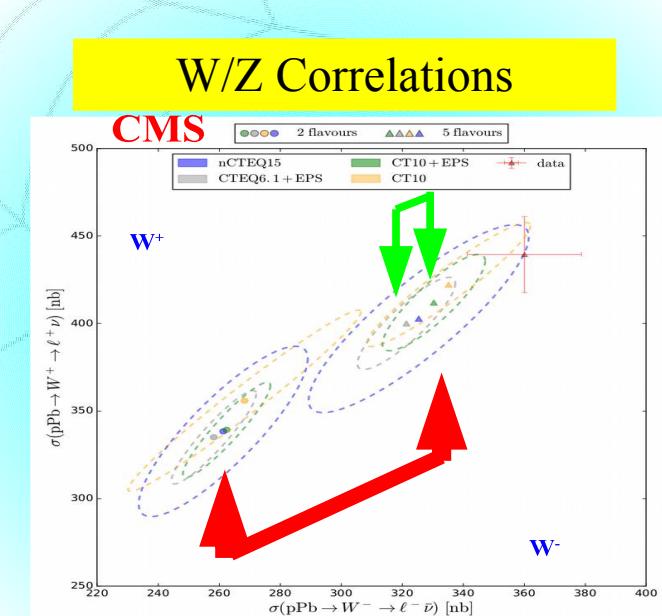
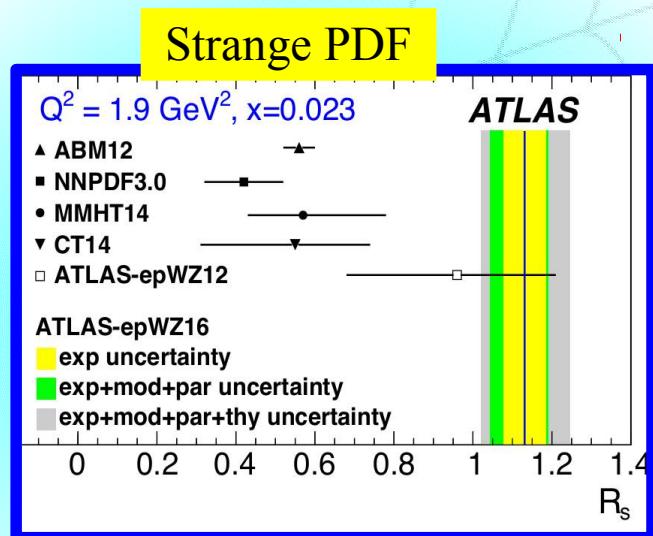
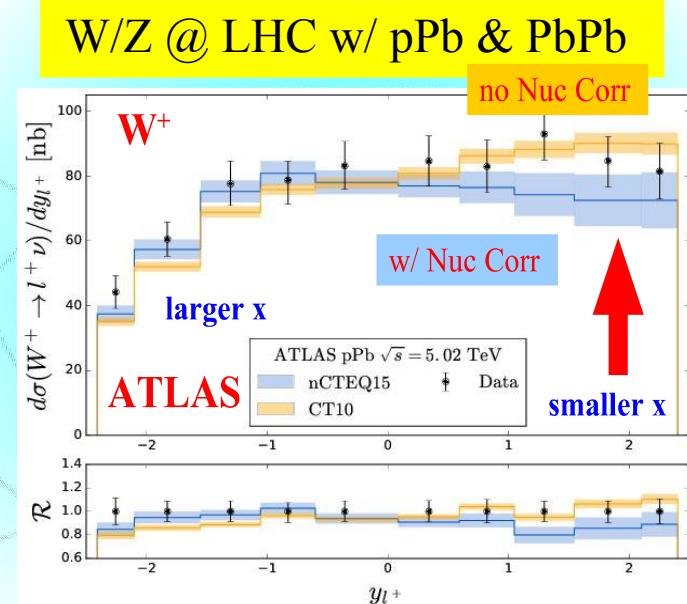
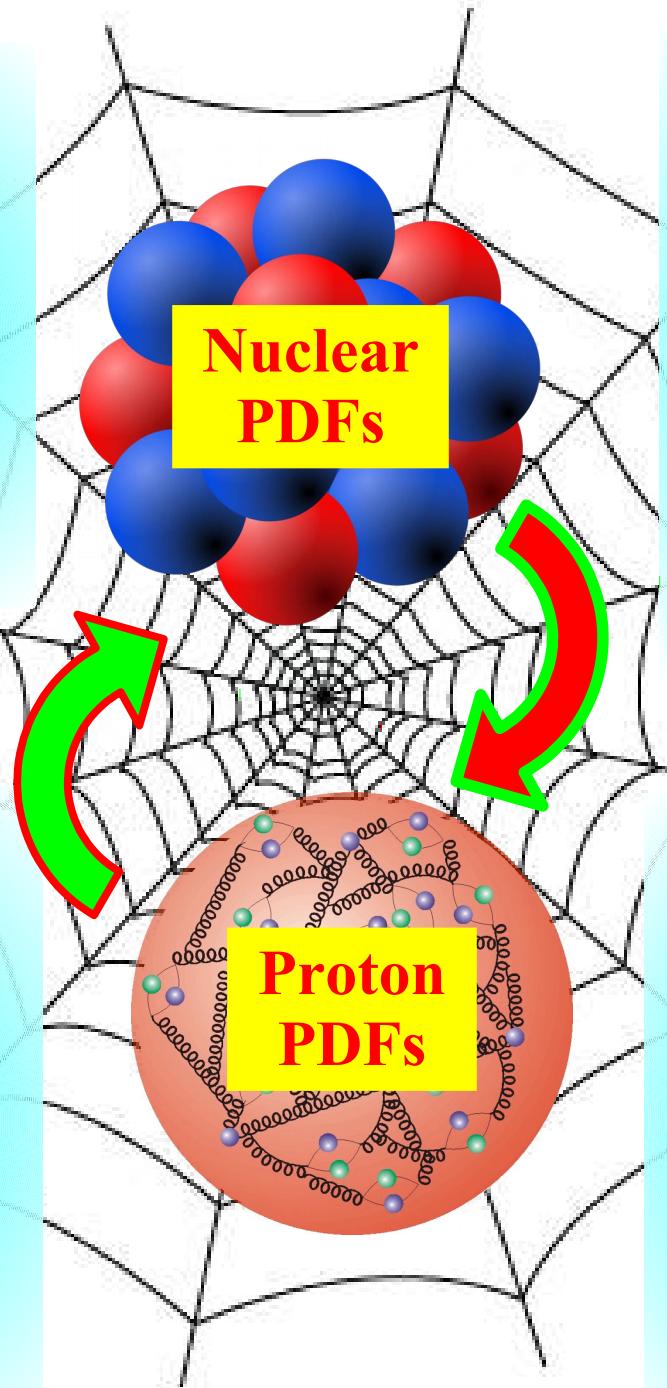
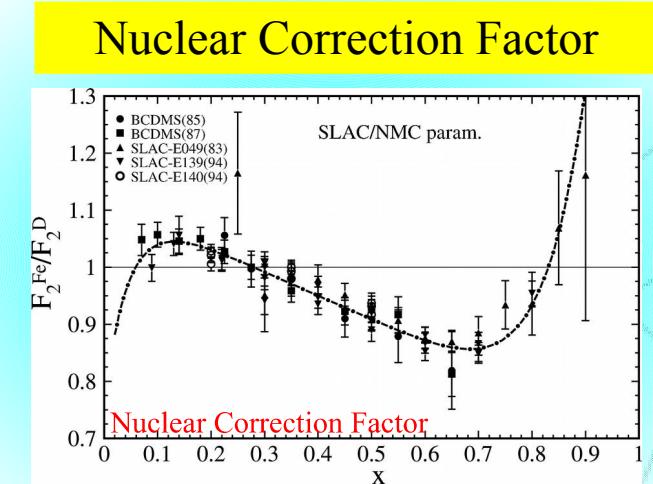


Almost done ...



- What are the advantages?
- 1) shift discontinuities
 - 2) avoid delicate matching $\sim m$
- ... for example, simultaneously
- 1) analyze HERA in $N_F=4$
 - 2) analyze LHC in $N_F=5$

Conclusions



backup

LHeC Workshop: 11-13 September 2017 @ CERN

cern.ch/lhec



LHeC Workshop

11-13 September 2017

CERN

Europe/Zurich timezone

Search...



Overview

Registration

Participant List

Access and transport

Accommodation

Internet access

LHeC website

Support

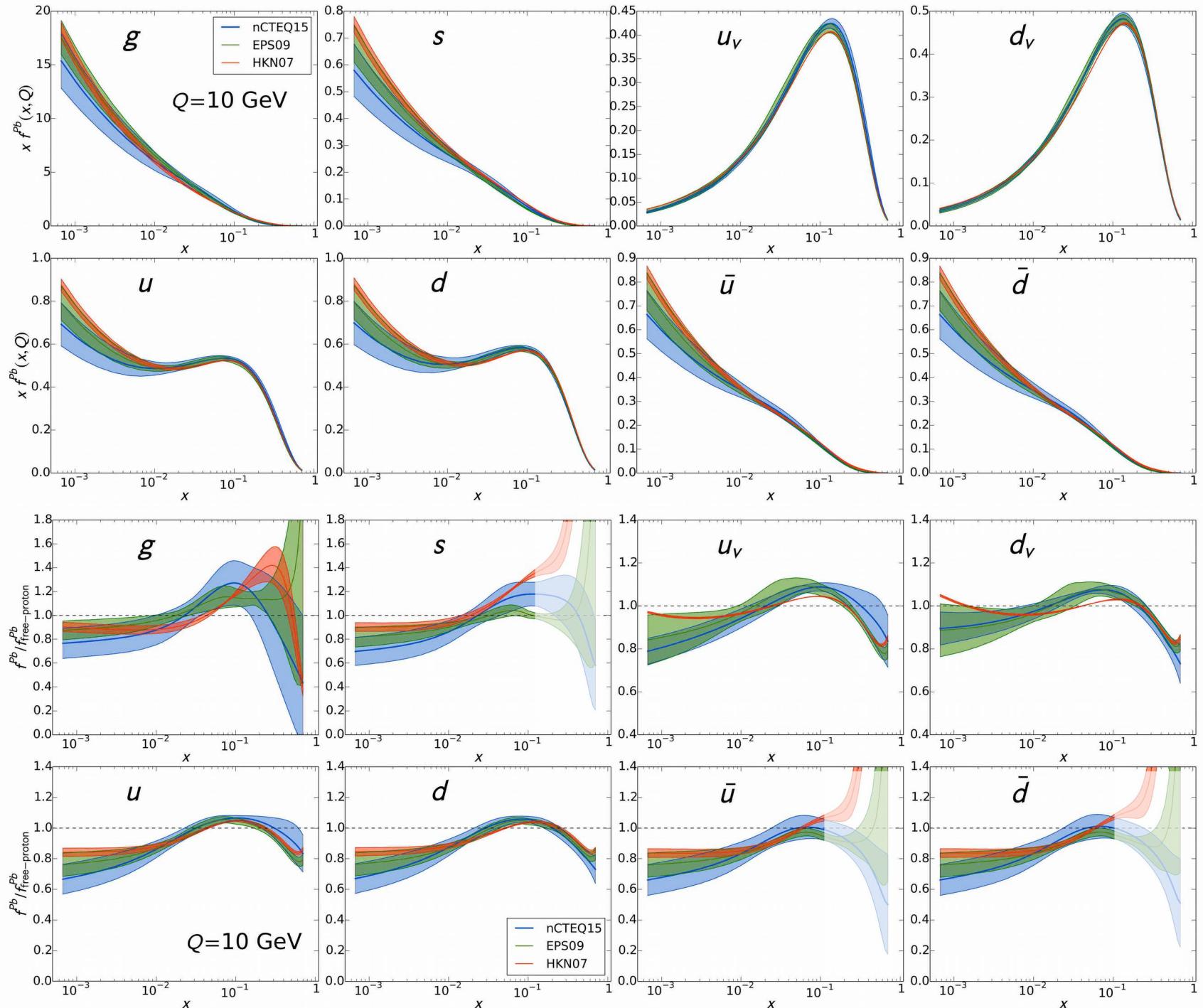
lhec.ws@cern.ch

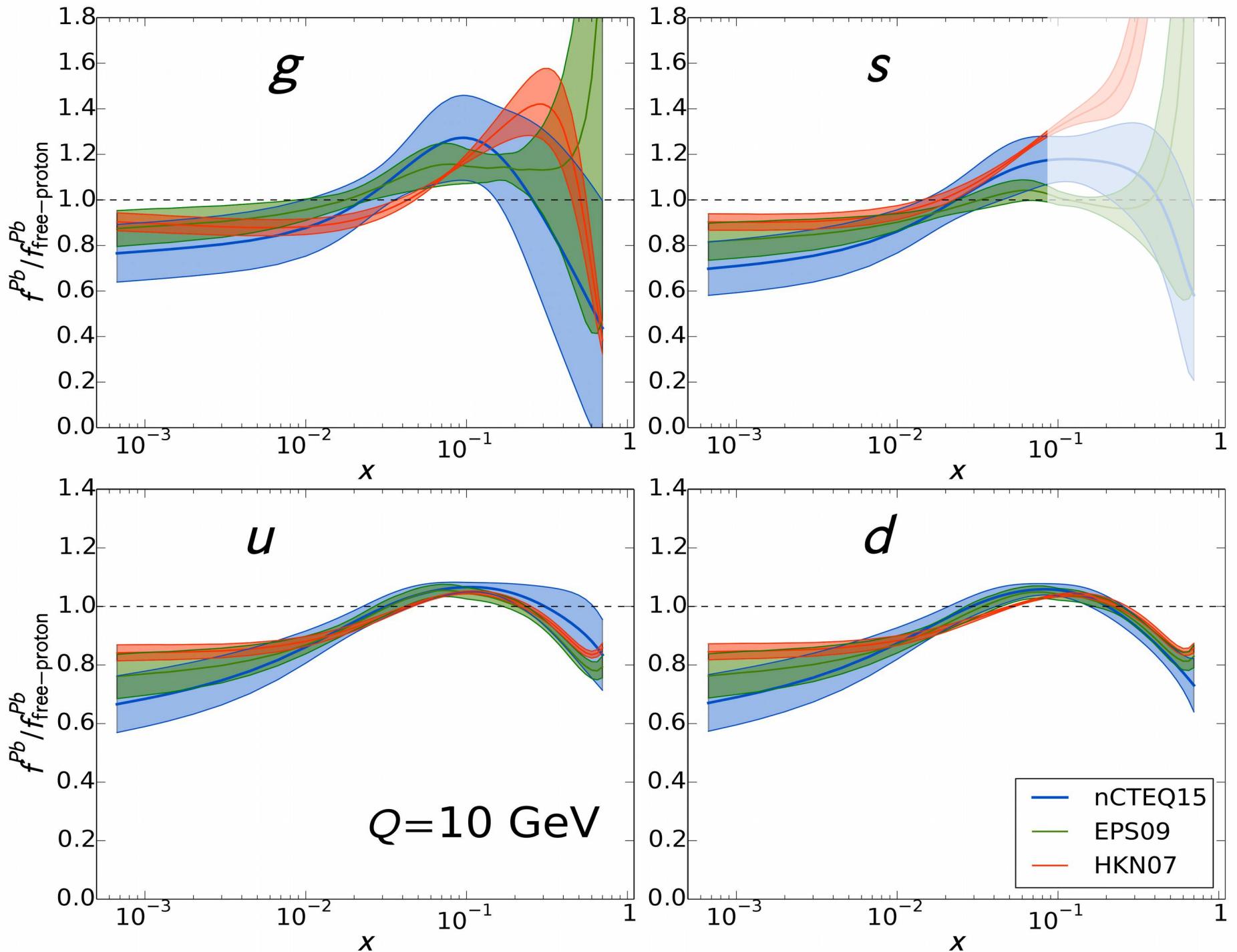
September Workshop on the LHeC and FCC-eh

The LHeC is a proposed upgrade of the LHC to enable luminous electron-proton and electron-ion collisions to take place in the final phase of LHC operation. Its design is based on a high current, multi-turn energy recovery electron linac, arranged tangentially to the LHC. A small ERL facility, PERLE, is under design to possibly be built at Orsay. The ERL is considered to serve also as the baseline for electron-hadron collisions at the future circular collider, the FCC-eh. The workshop discusses the physics, accelerator, test facility and detector developments in view of the updated documents, on the LHeC and FCC-eh, to be prepared for the deliberations of the forthcoming European and global strategy debates in the next years. It takes place at CERN, in a three day plenary session format, combining invited overview talks with shorter, topical contributions. The goal of the workshop is to review the update and to progress on the various developments which have taken place following the LHeC workshop in 2015.

The PDFs

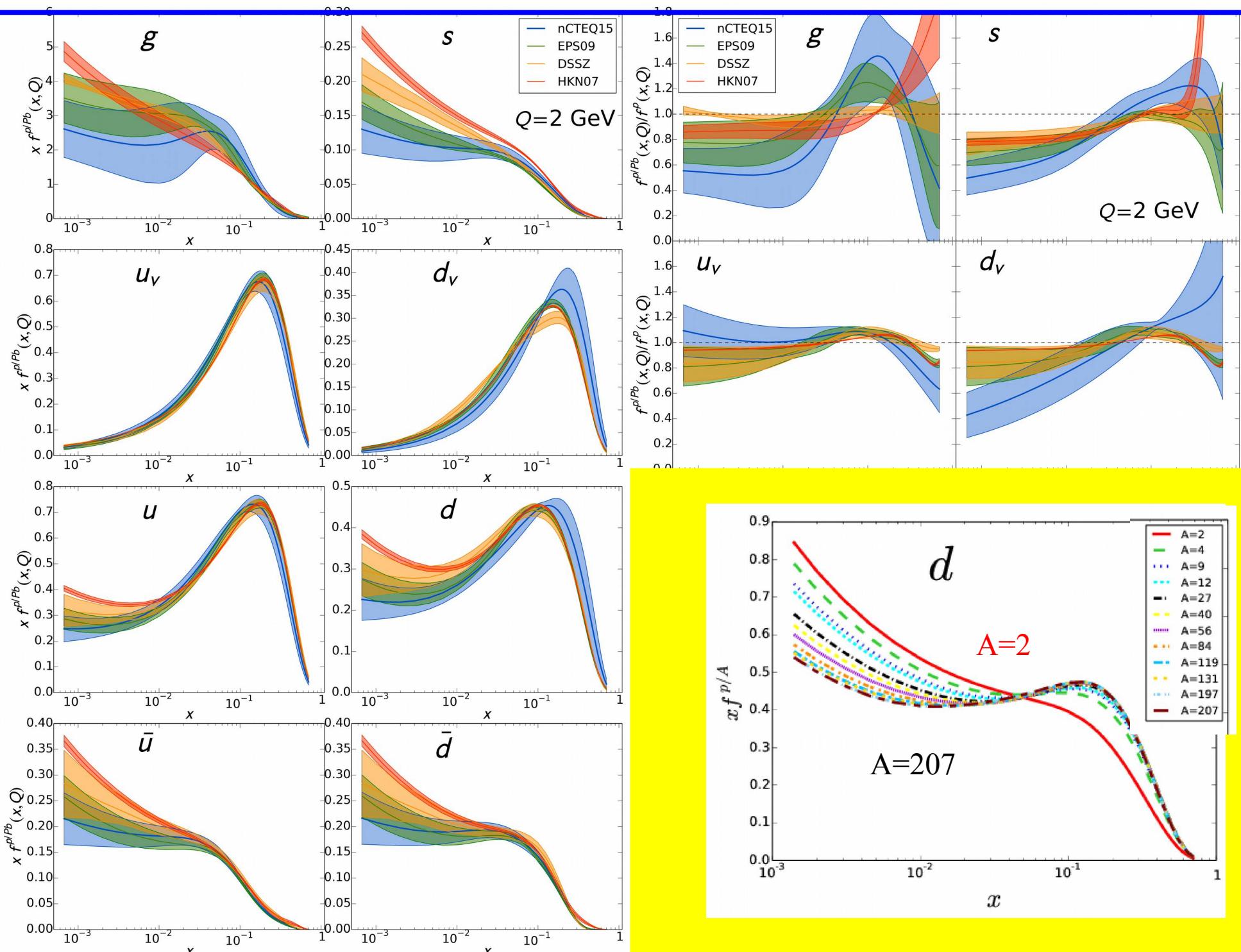
Nuclear Corrections: Lead PDFs & Ratios to Proton





Nuclear Corrections: Lead PDFs & Ratios to Proton at lower scale: 2 GeV

34



Differences with the free-proton PDFs

$$f^N = \frac{Z}{A} f^{p/N} + \frac{A - Z}{A} f^{n/N}$$

Factorization & DGLAP Evolution:

Assume factorization & universal PDFs

Assume bound protons have same evolution & sum rules as free protons

We neglect contributions from $x_N > 1$

Higher Order Corrections:

Currently working at NLO

NNLO in future, but current precision does not warrant

Assume isospin symmetry to construct nPDFs

NLO EW corrections will spoil isospin

Parametrization:

More parameters & Less data/DOF

Need to make assumptions

Complex χ^2 surface; potentially multiple minima

NLO PDFs with errors
 Error PDFs with Hessian method
 Parametrization ($Q_0 = 1.3 \text{ GeV}$)

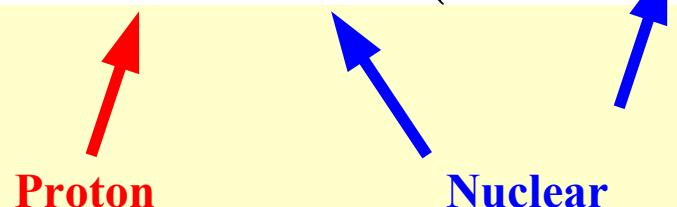
~CTEQ6.1M free proton baseline
 Neglects $x_N > 1$
 Data: DIS, DY, & π^0 @ RHIC

$$f_i^{(A,Z)}(x, Q) = \frac{Z}{A} f_i^{p/A}(x, Q) + \frac{A - Z}{A} f_i^{n/A}(x, Q)$$

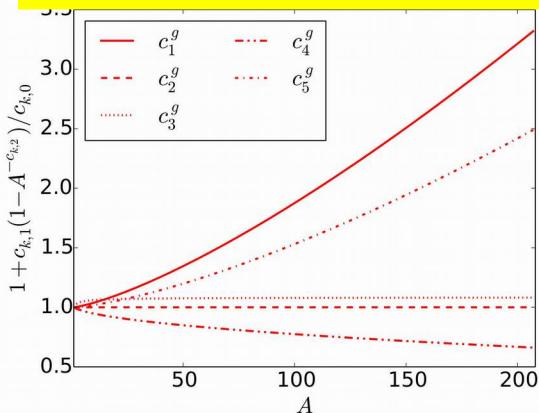
$$x f_i^{p/A}(x, Q_0) = c_0 x^{c_1} (1 - x)^{c_2} e^{c_3 x} (1 + e^{c_4 x})^{c_5}, \quad i = u_v, d_v, g, \dots$$

$$\frac{\bar{d}(x, Q_0)}{\bar{u}(x, Q_0)} = c_0 x^{c_1} (1 - x)^{c_2} + (1 + c_3 x)(1 - x)^{c_4}$$

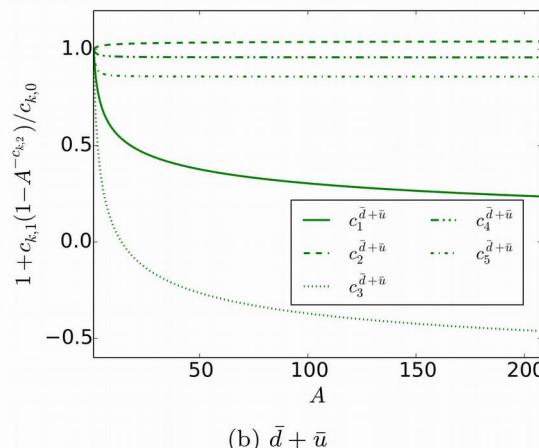
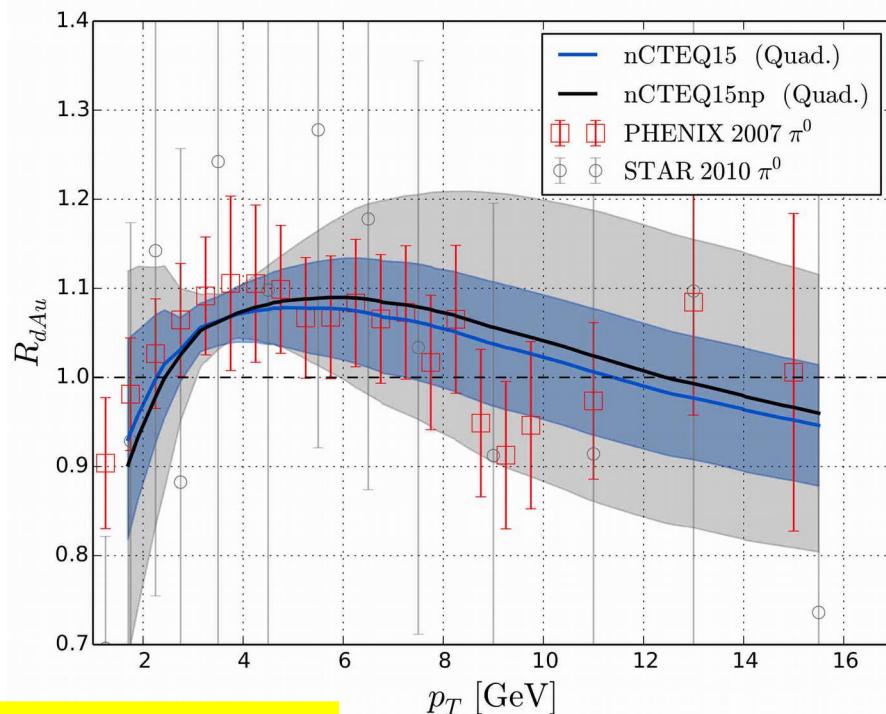
$$c_k \rightarrow c_k(A) \equiv c_{k,0} + c_{k,1} (1 - A^{-c_{k,2}}), \quad k = \{1, \dots, 5\}$$



A-dependence of coefficients



(a) Gluon

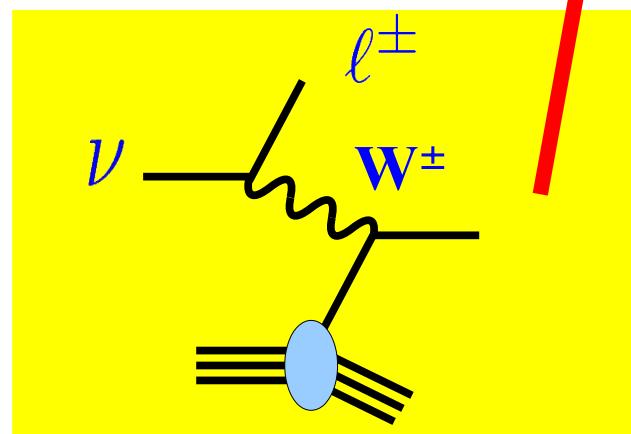
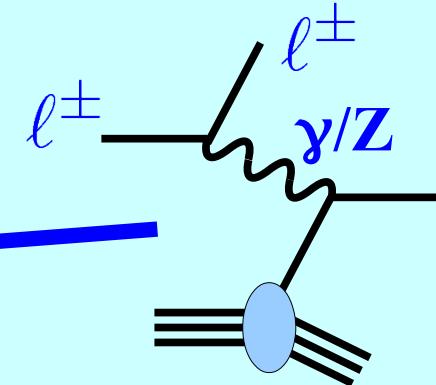
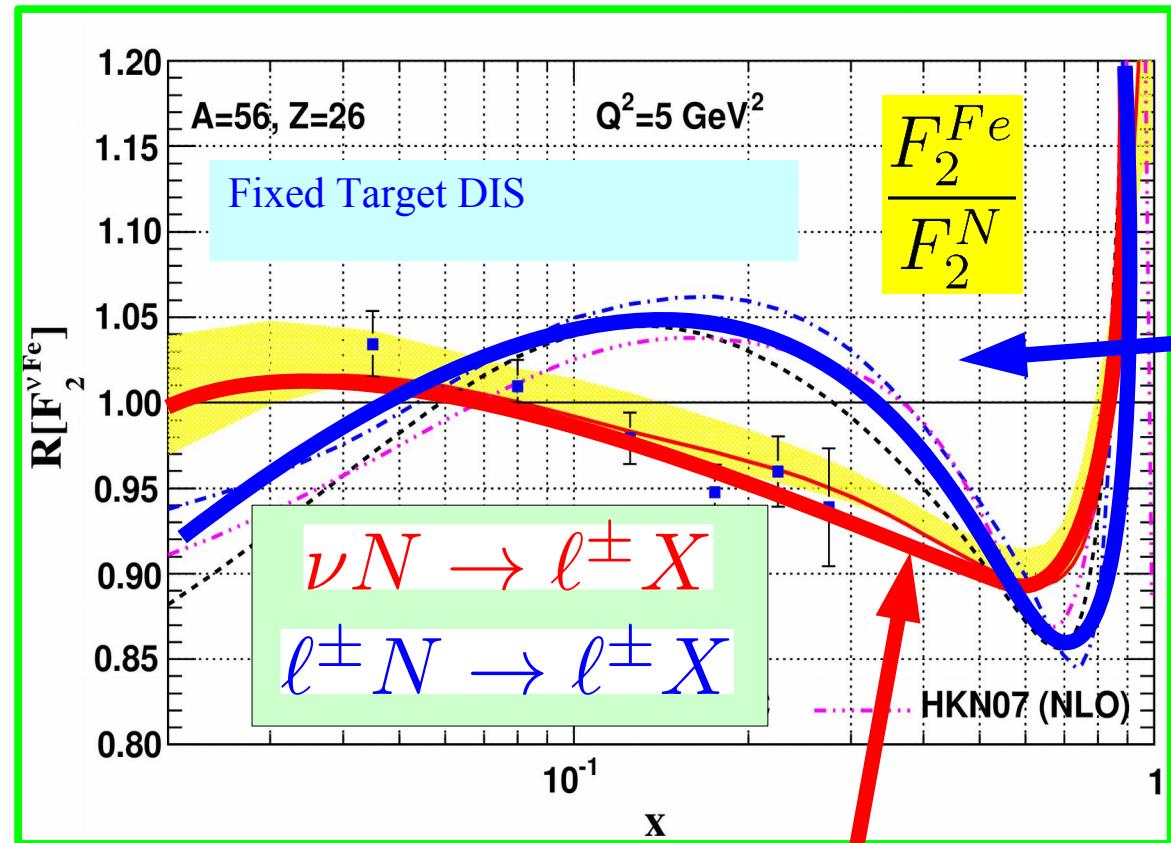
(b) $\bar{d} + \bar{u}$ 

Impact of pion data

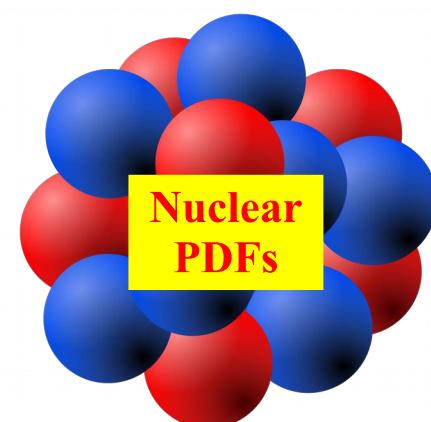
Sample data sets

| $\mathbf{F}_2^A/\mathbf{F}_2^D :$ Observable | Experiment | ID | Ref. | # data | # data after cuts | χ^2 |
|---|-----------------|------|------|--------|----------------------|-----------------|
| D | NMC-97 | 5160 | [48] | 292 | 201 | 247.73 |
| He/D | Hermes | 5156 | [49] | 182 | 17 | 13.45 |
| | NMC-95,re | 5124 | [50] | 18 | 12 | 9.78 |
| | SLAC-E139 | 5141 | [51] | 18 | 3 | 1.42 |
| Li/D | NMC-95 | 5115 | [52] | 24 | 11 | 6.10 |
| Be/D | SLAC-E139 | 5138 | [51] | 17 | 3 | 1.37 |
| C/D | FNAL-E665-95 | 5125 | [53] | 11 | 3 | 1.44 |
| | SLAC-E139 | 5139 | [51] | 7 | 2 | 1.36 |
| | EMC-88 | 5107 | [54] | 9 | 9 | 7.41 |
| | EMC-90 | 5110 | [55] | 9 | 0 | 0.00 |
| | NMC-95 | 5113 | [52] | 24 | 12 | 8.40 |
| | NMC-95,re | 5114 | [50] | 18 | 12 | 13.29 |
| N/D | Hermes | 5157 | [49] | 175 | 19 | 9.92 |
| | BCDMS-85 | 5103 | [56] | 9 | 9 | 4.65 |
| Al/D | SLAC-E049 | 5134 | [57] | 18 | 0 | 0.00 |
| | SLAC-E139 | 5136 | [51] | 17 | 3 | 1.14 |
| Ca/D | NMC-95,re | 5121 | [50] | 18 | 12 | 11.54 |
| | FNAL-E665-95 | 5126 | [53] | 11 | 3 | 0.94 |
| | SLAC-E139 | 5140 | [51] | 7 | 2 | 1.63 |
| | EMC-90 | 5109 | [55] | 9 | 0 | 0.00 |
| Fe/D | SLAC-E049 | 5131 | [58] | 14 | 2 | 0.78 |
| | SLAC-E139 | 5132 | [51] | 23 | 6 | 7.76 |
| | SLAC-E140 | 5133 | [59] | 10 | 0 | 0.00 |
| | BCDMS-87 | 5101 | [60] | 10 | 10 | 5.77 |
| | BCDMS-85 | 5102 | [56] | 6 | 6 | 2.56 |
| Cu/D | EMC-93 | 5104 | [61] | 10 | 9 | 4.71 |
| | EMC-93(chariot) | 5105 | [61] | 9 | 9 | 4.88 |
| | EMC-88 | 5106 | [54] | 9 | 9 | 3.39 |
| Kr/D | Hermes | 5158 | [49] | 167 | 12 | 9.79 |
| Ag/D | SLAC-E139 | 5135 | [51] | 7 | 2 | 1.60 |
| Sn/D | EMC-88 | 5108 | [54] | 8 | 8 | 17.20 |
| Xe/D | FNAL-E665-92 | 5127 | [62] | 10 | 2 | 0.72 |
| Au/D | SLAC-E139 | 5137 | [51] | 18 | 3 | 1.74 |
| Pb/D | FNAL-E665-95 | 5129 | [53] | 11 | 3 | 1.20 |
| Total: | | | | | | 1205 414 403.70 |

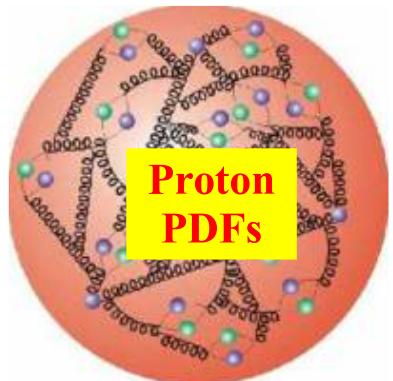
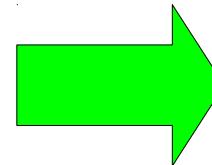
Charged Lepton DIS



Neutrino DIS

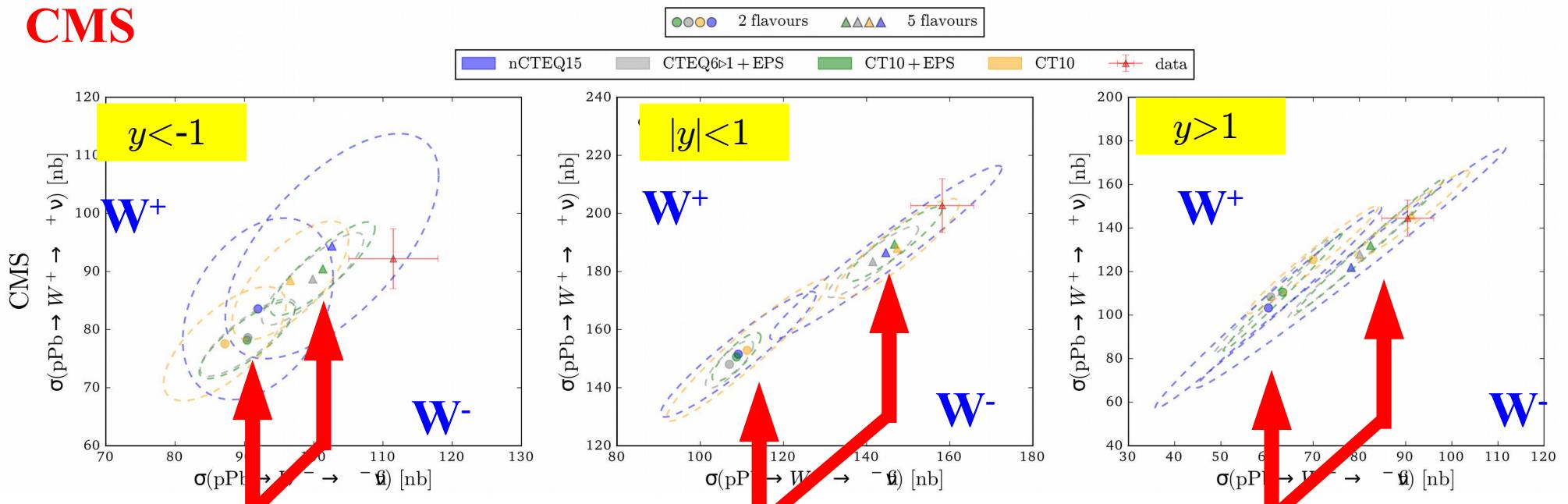


Depends on nuclear corrections



Impact of Strange PDF $s(x)$

CMS

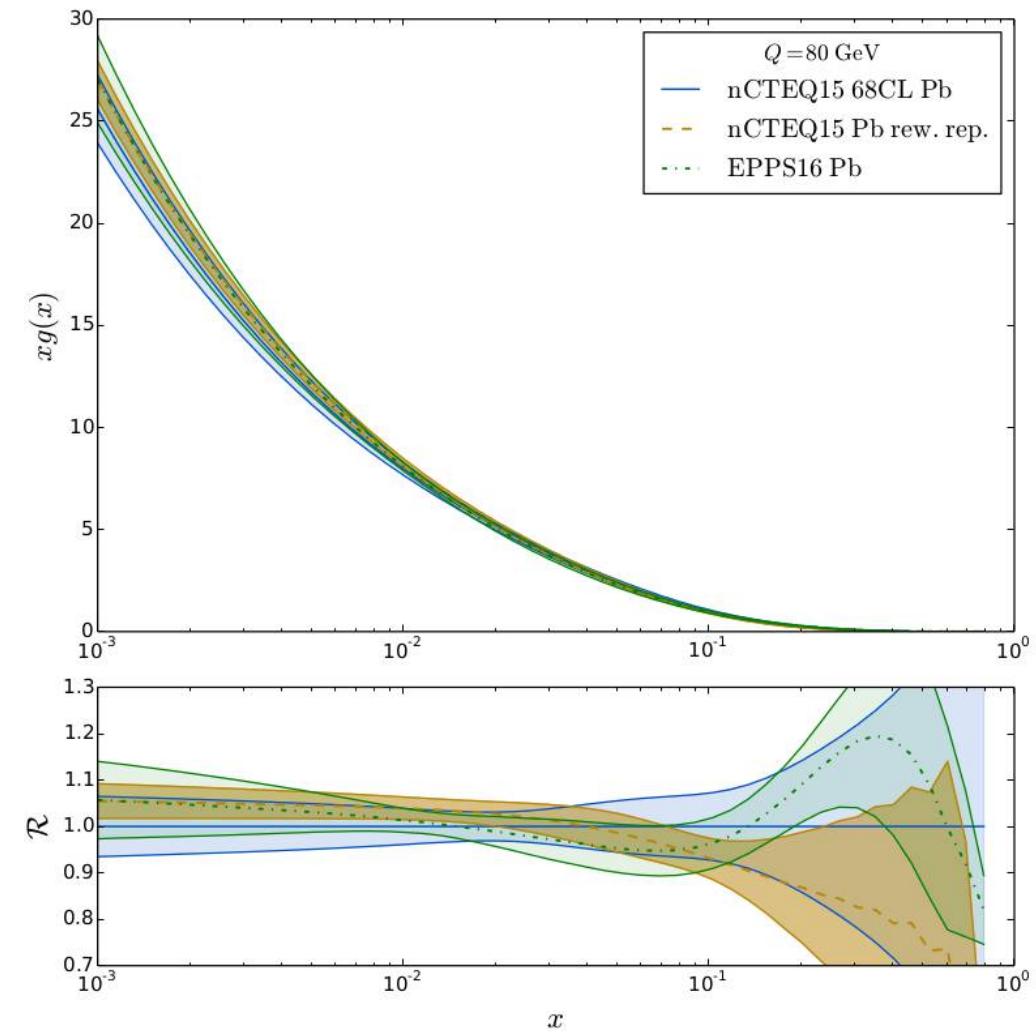


Strange PDF important in this kinematic region

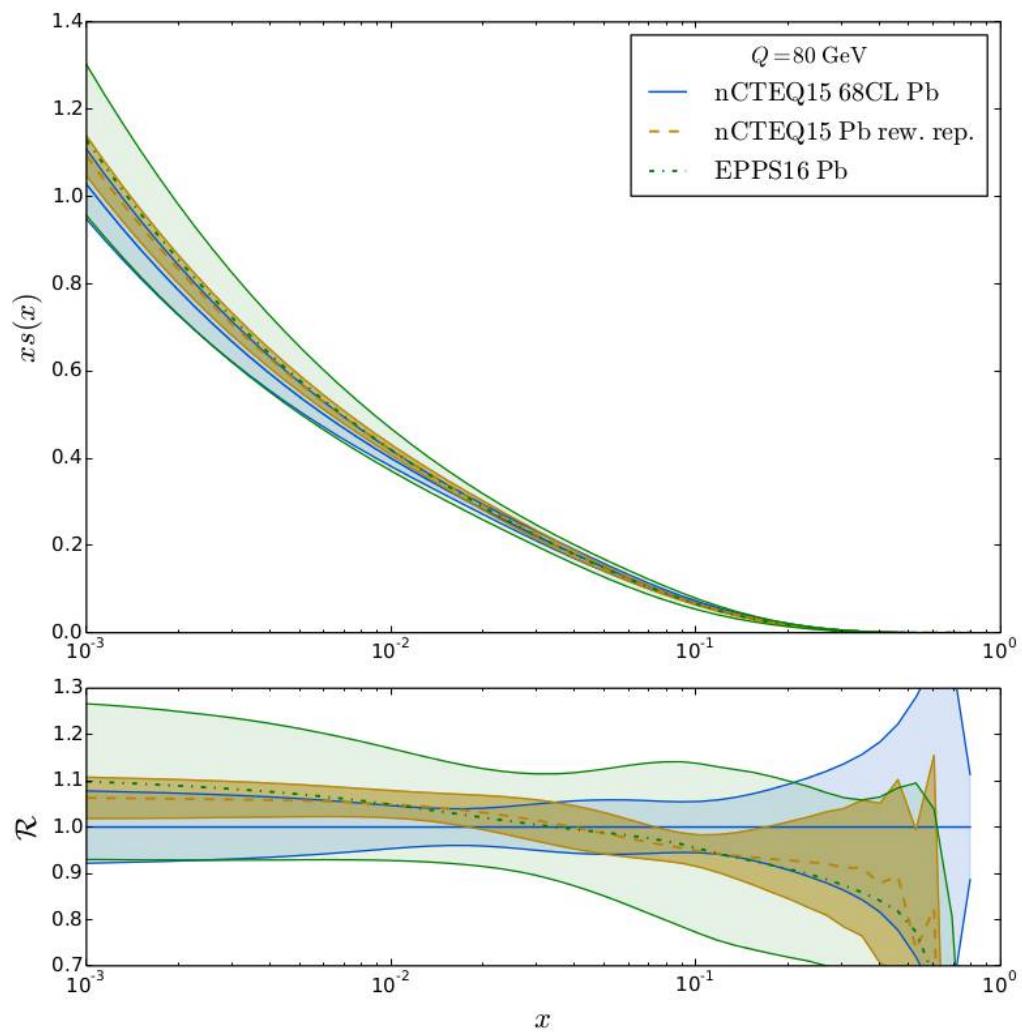
lead kinematics

larger x

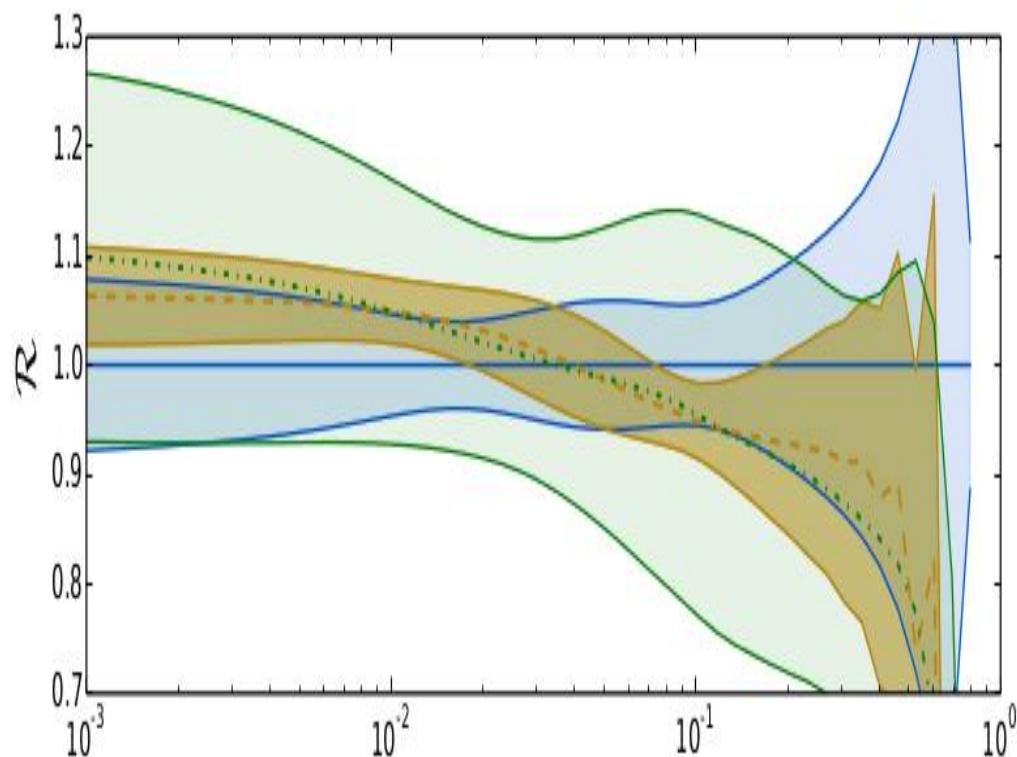
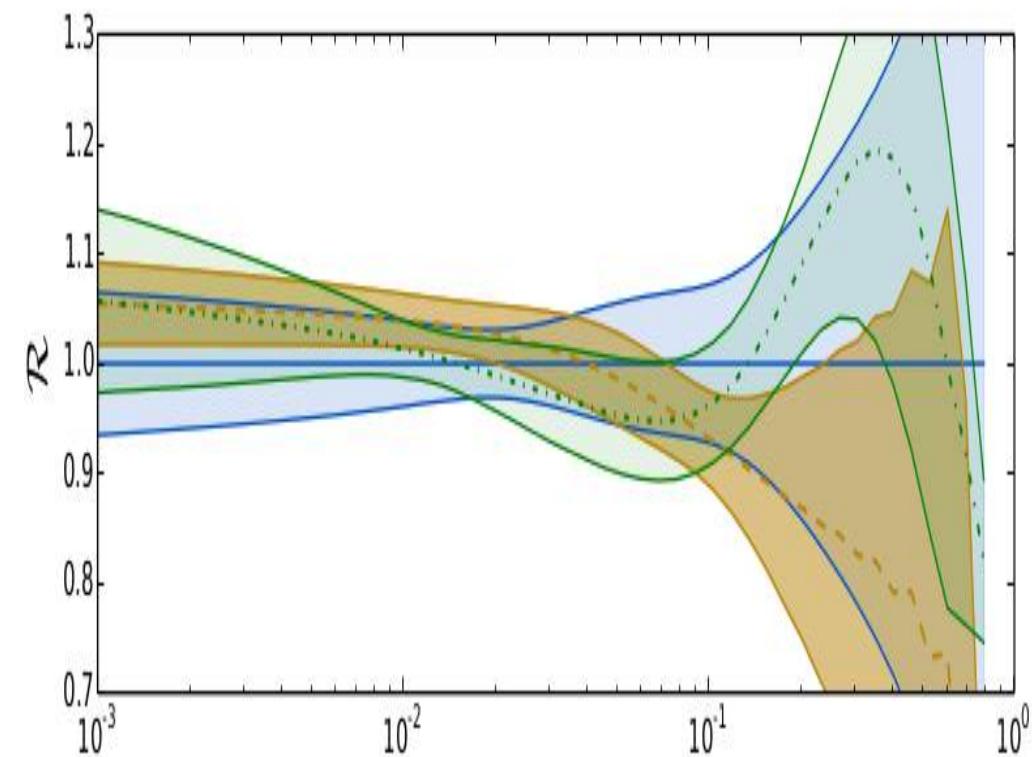
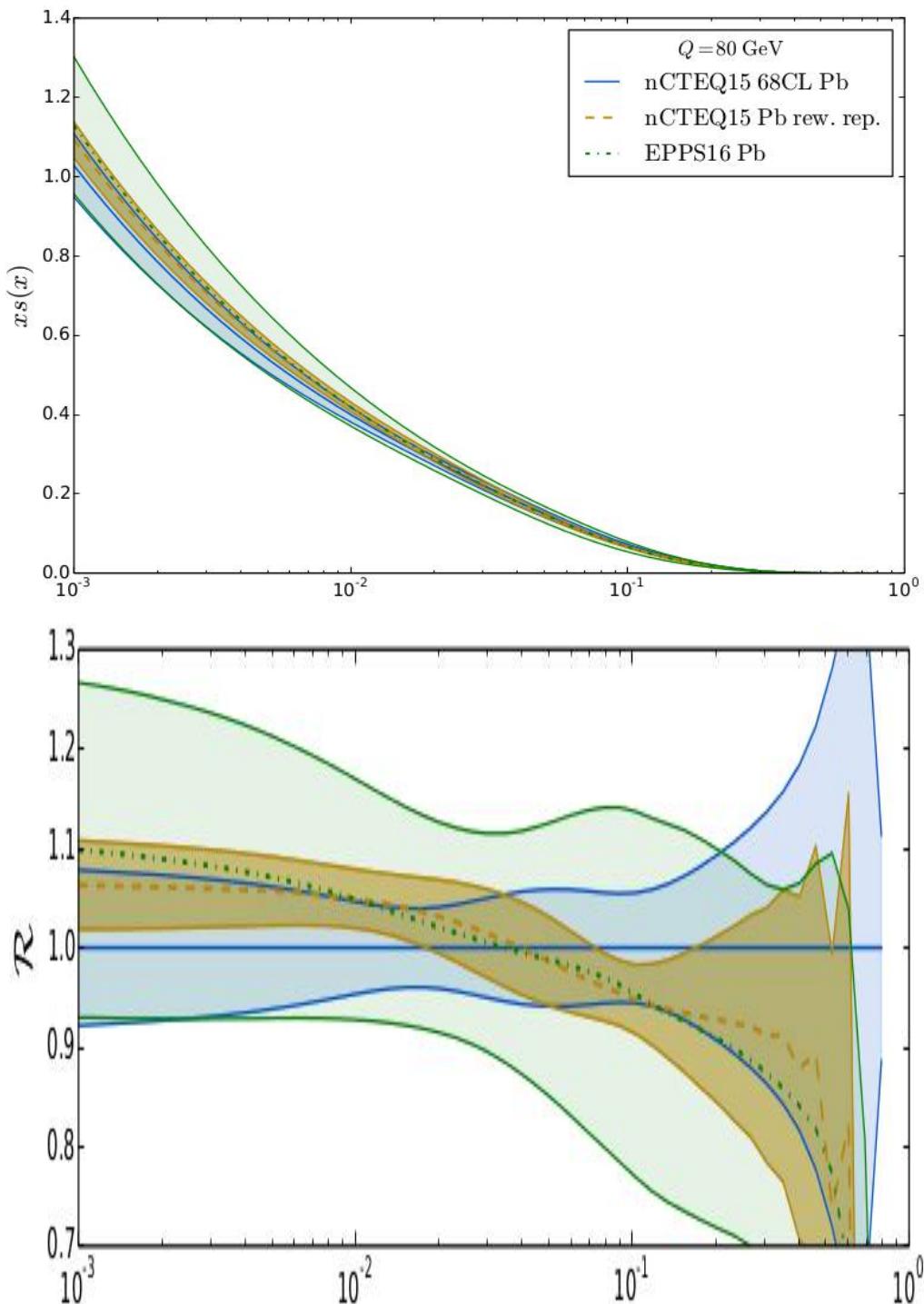
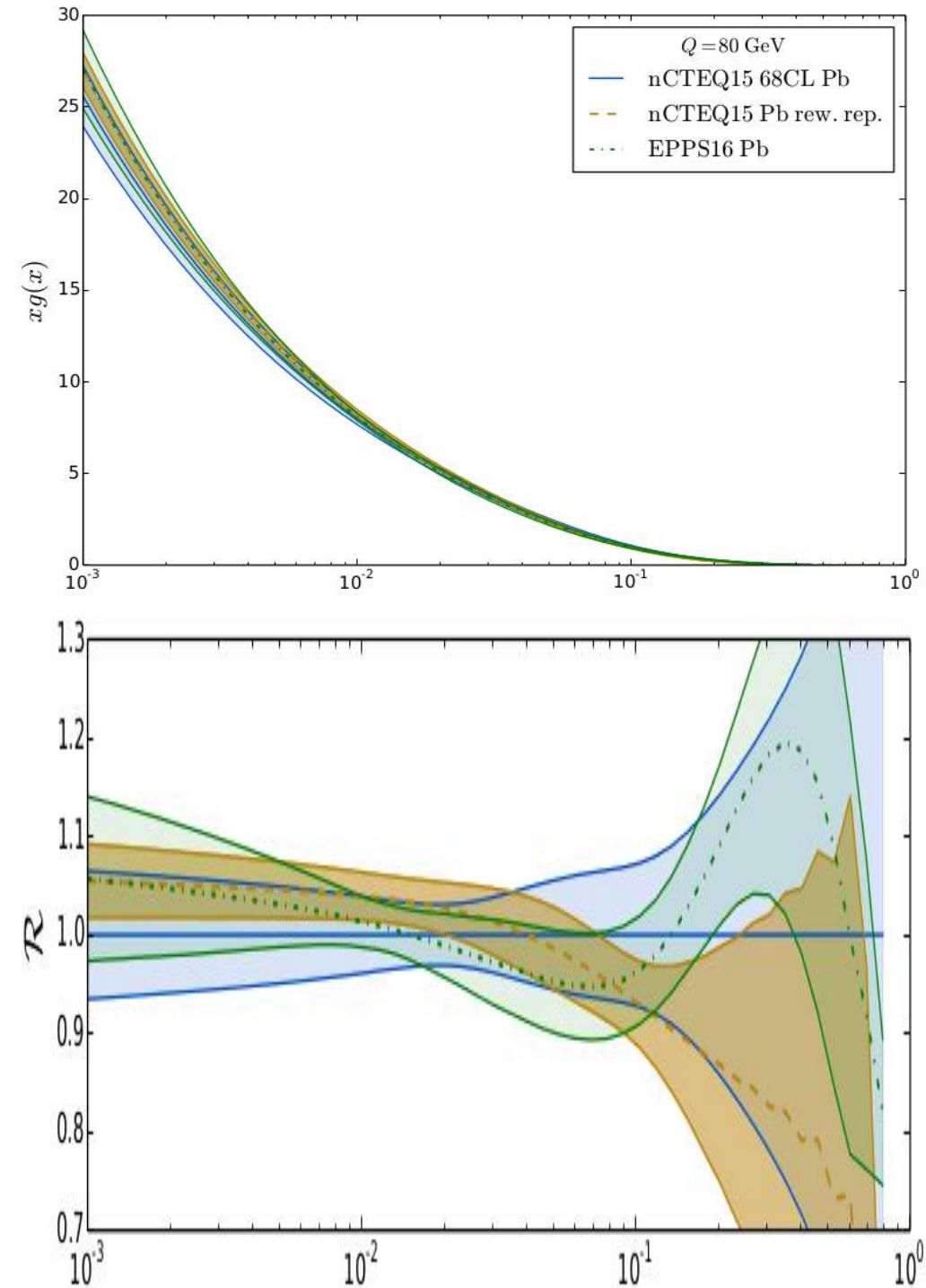
smaller x



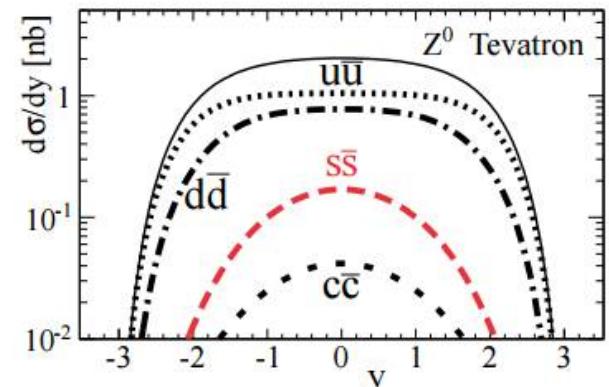
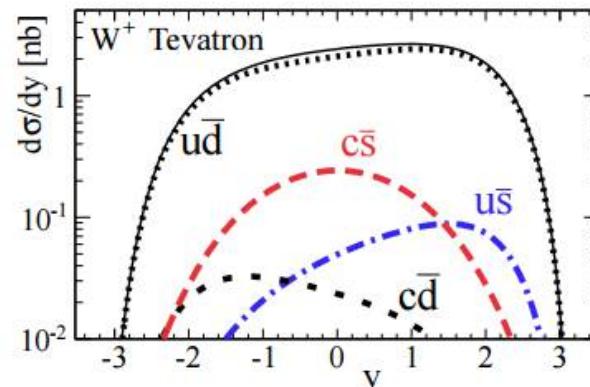
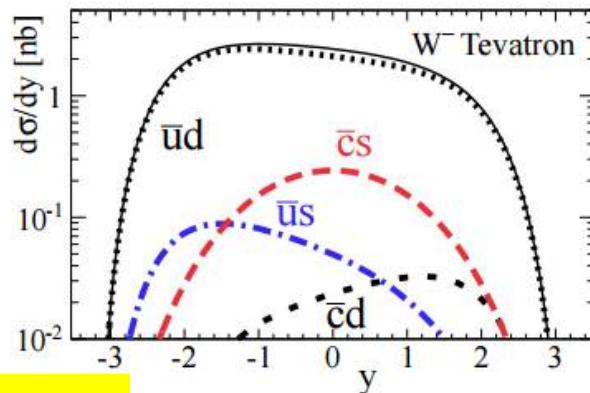
(a) g PDF



(b) s PDF

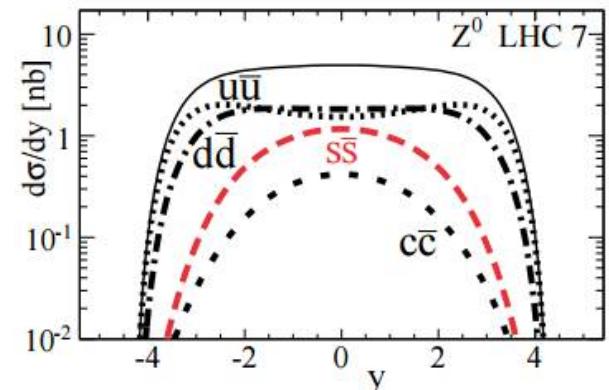
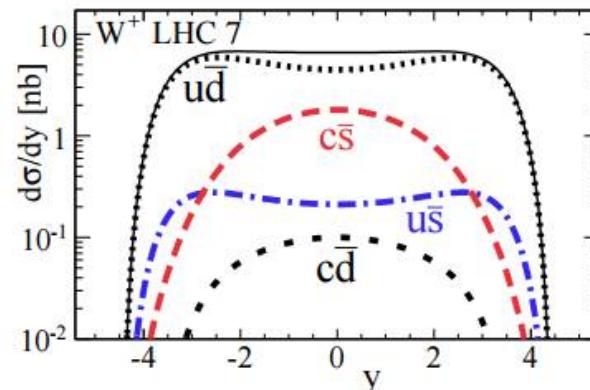
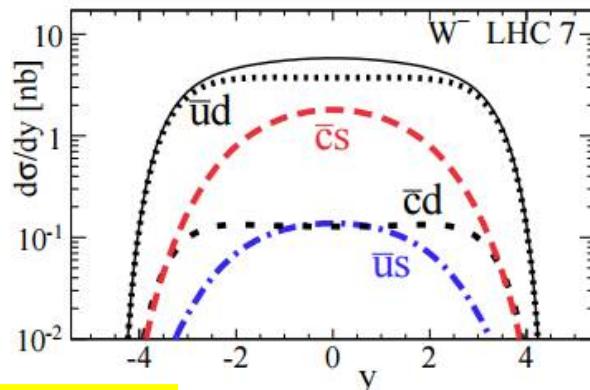


p p → W/Z Production



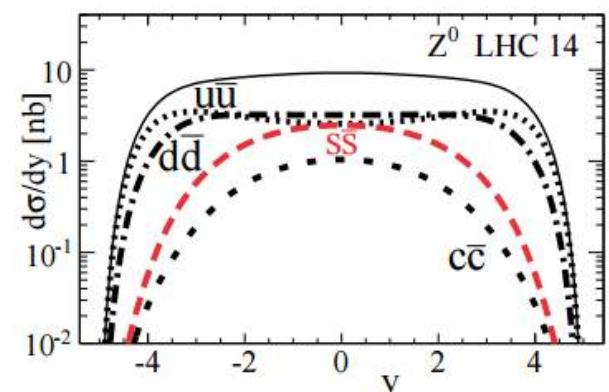
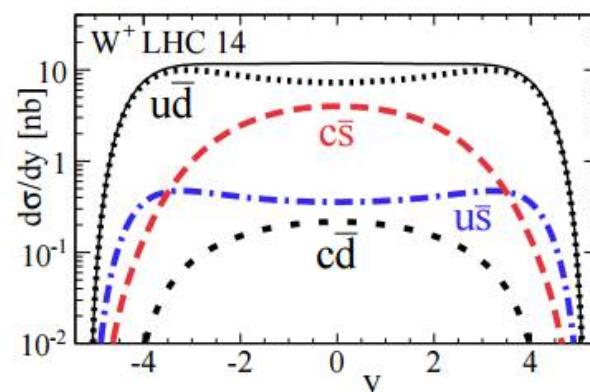
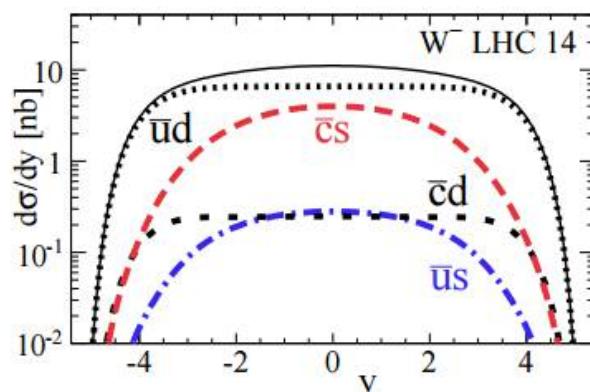
Tevatron

(a) $d\sigma/dy$ for W^- (left), W^+ (middle), Z^0 (right) boson production at the Tevatron.



LHC 7 TeV

(b) $d\sigma/dy$ for W^- (left), W^+ (middle), Z^0 (right) boson production at the LHC with $\sqrt{S} = 7$ TeV.



LHC 14 TeV

(c) $d\sigma/dy$ for W^- (left), W^+ (middle), Z^0 (right) boson production at the LHC with $\sqrt{S} = 14$ TeV.

Heavy Quark

PDFs

APFEL has a new feature

We can adjust the matching scale for the heavy quark PDF transition

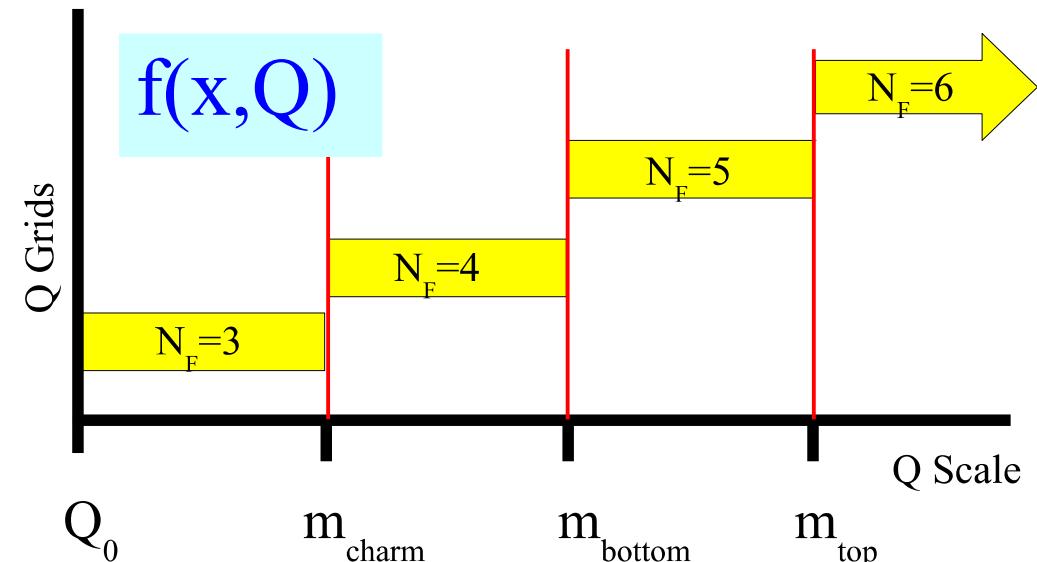
What are the benefits?

1) avoid discontinuities in the middle of data sets

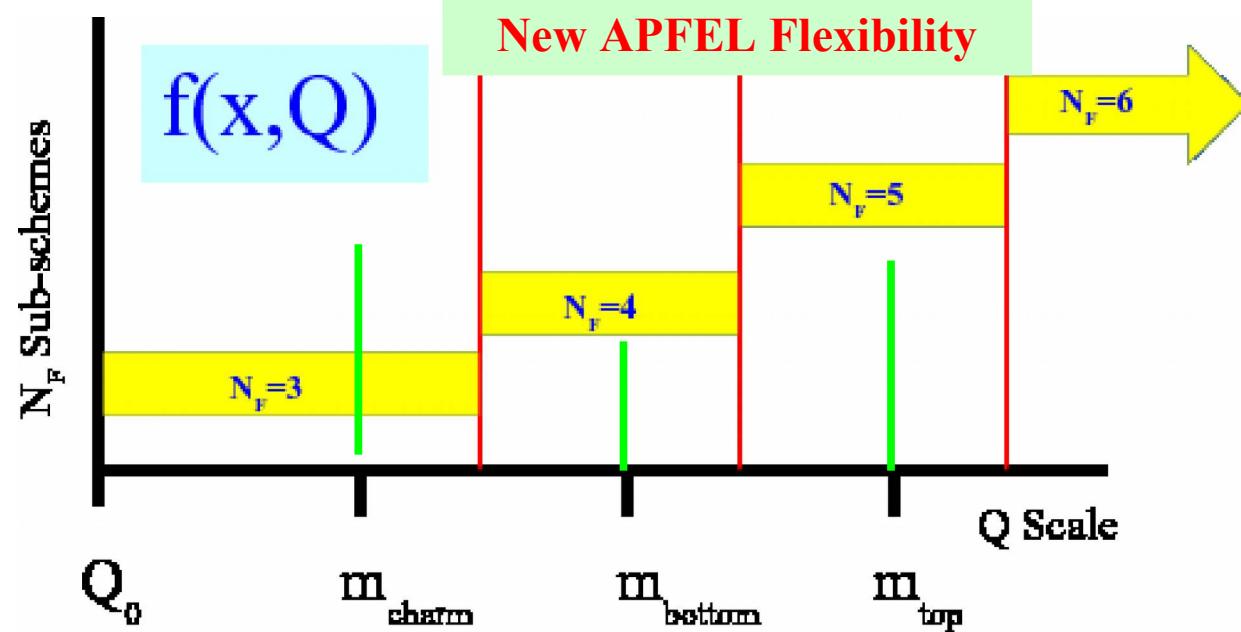
2) avoid delicate matching in region $\mu \sim m_{c,b}$

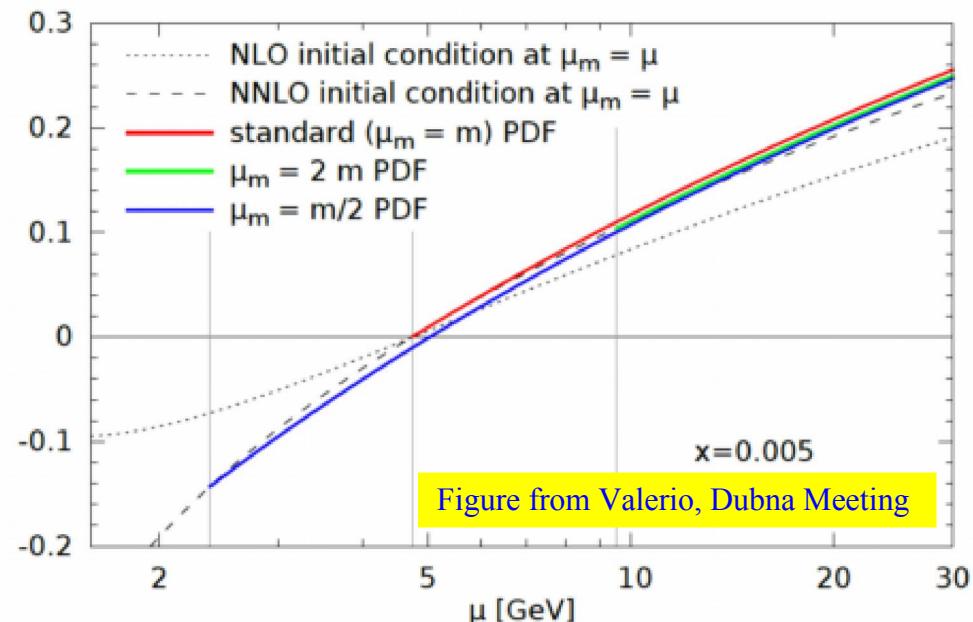
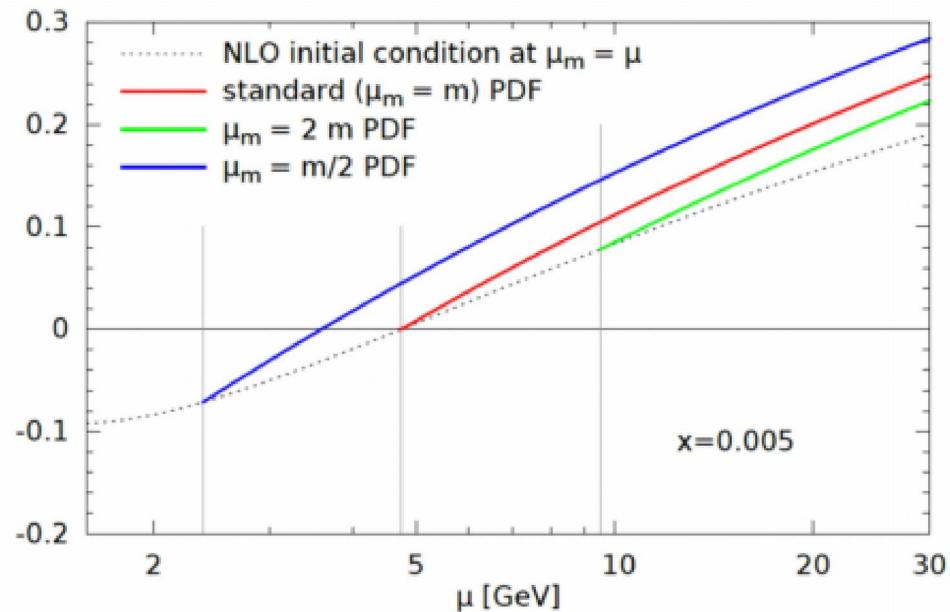
Based on an idea of John Collins

Traditional VFNS



New APFEL Flexibility





NLO Matching Condition

$$f_b^5(x, \mu) = \left(\frac{\alpha_S}{2\pi} \right) \left[P_{1,0} + P_{1,1} \log \left(\frac{\mu^2}{m_b^2} \right) \right] \otimes f_g^4(x, \mu)$$

Diagram illustrating the NLO matching condition. It shows two yellow step functions representing the PDFs at different scales. Red arrows point from the terms $P_{1,0}$ and $P_{1,1} \log \left(\frac{\mu^2}{m_b^2} \right)$ in the equation to the corresponding parts of the step functions.

A proposal: Consider N_F dependent PDF

Provides some of the benefits & flexibility of displaced matching, but with a compromise.

Disadvantages:

Match at $\mu_{c,b} \sim m_{c,b}$,
but switch at higher scale

How much do we “lose” in χ^2 ???

Advantages:

- * avoid discontinuities in data
- * avoid delicate cancellations and
- * minimal set of PDF grids

