

Jet substructure with 100 fb^{-1} : a theory perspective

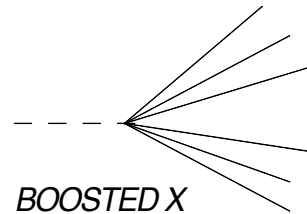
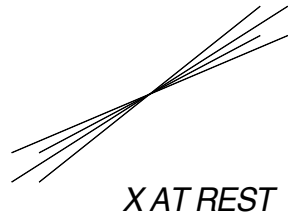
Mrinal Dasgupta
University of Manchester

CMS JetMET workshop, Helsinki, May 10th 2017

Outline

- Introduction and basics
- Some key theory issues
- Selective review of recent developments
- Lessons and future directions

Basic ideas



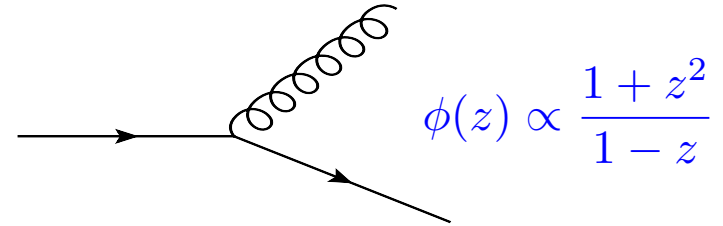
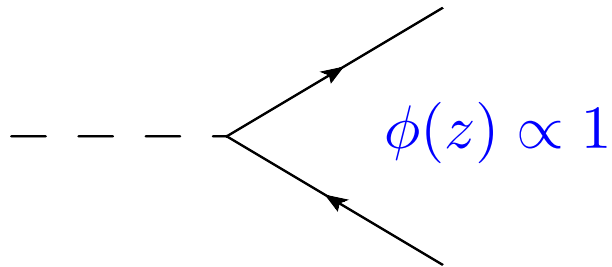
Key idea : for tagging a particle with mass M exploit boosted regime i.e. $P_T \gg M$.

$$\theta^2 = \frac{M^2}{p_T^2 z(1-z)}$$

Either from going to high p_T or from decay of heavy new particle

Hadronic decays reconstructed in single “fat” jet.
Use our knowledge of QCD jets to distinguish this from background.

Basic ideas



- Exploit the **asymmetric nature** of QCD splittings. Produce jets with single hard core or prong versus 2 pronged W/Z/H and 3 pronged t.
- Colour singlet nature of W/Z/H suppressing soft large angle radiation.

Lots of tools

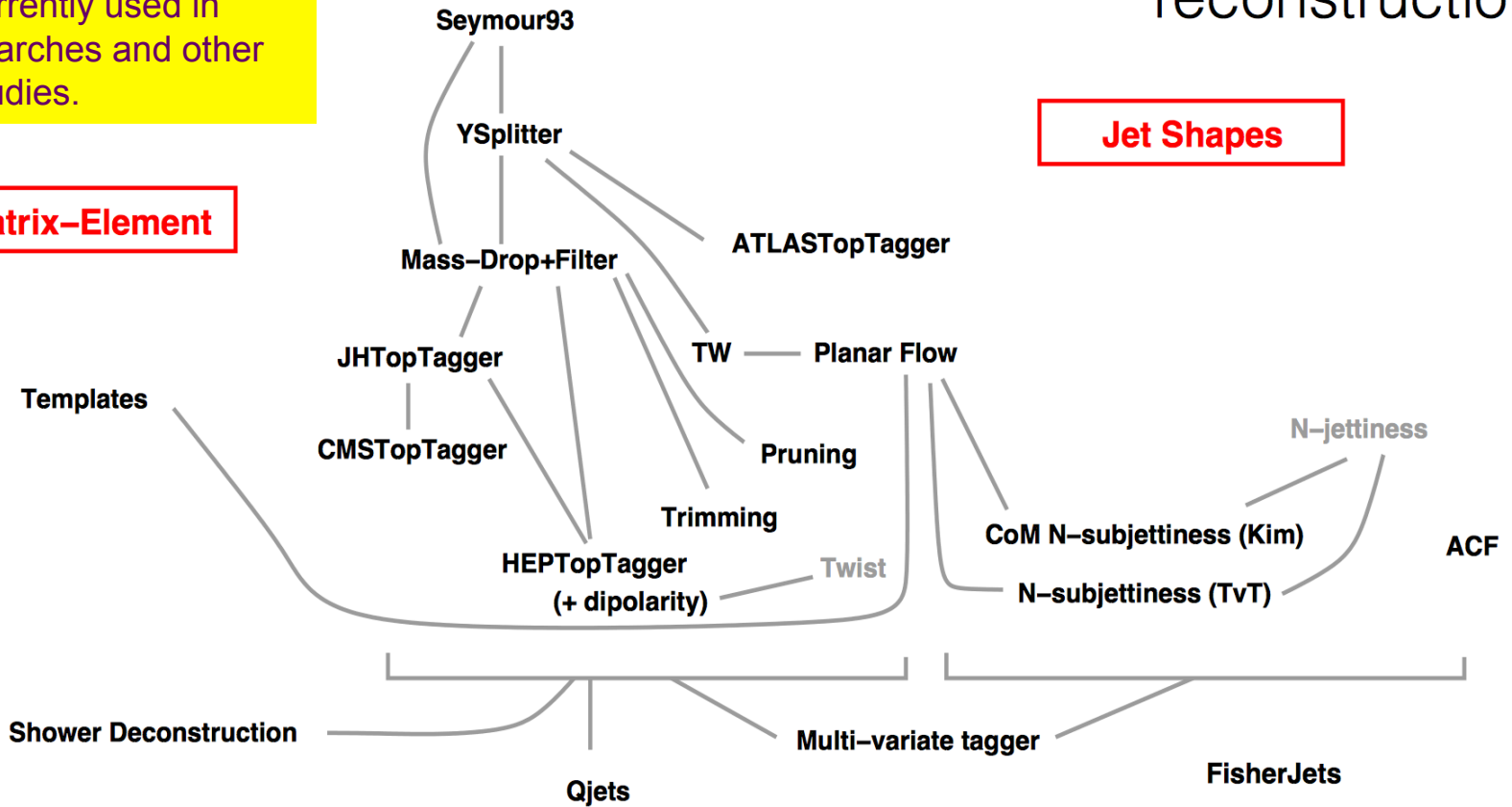
Some of the tools developed for boosted W/Z/H/top reconstruction

Several of these currently used in searches and other studies.

Matrix-Element

Jet Declustering

Jet Shapes



Open Questions

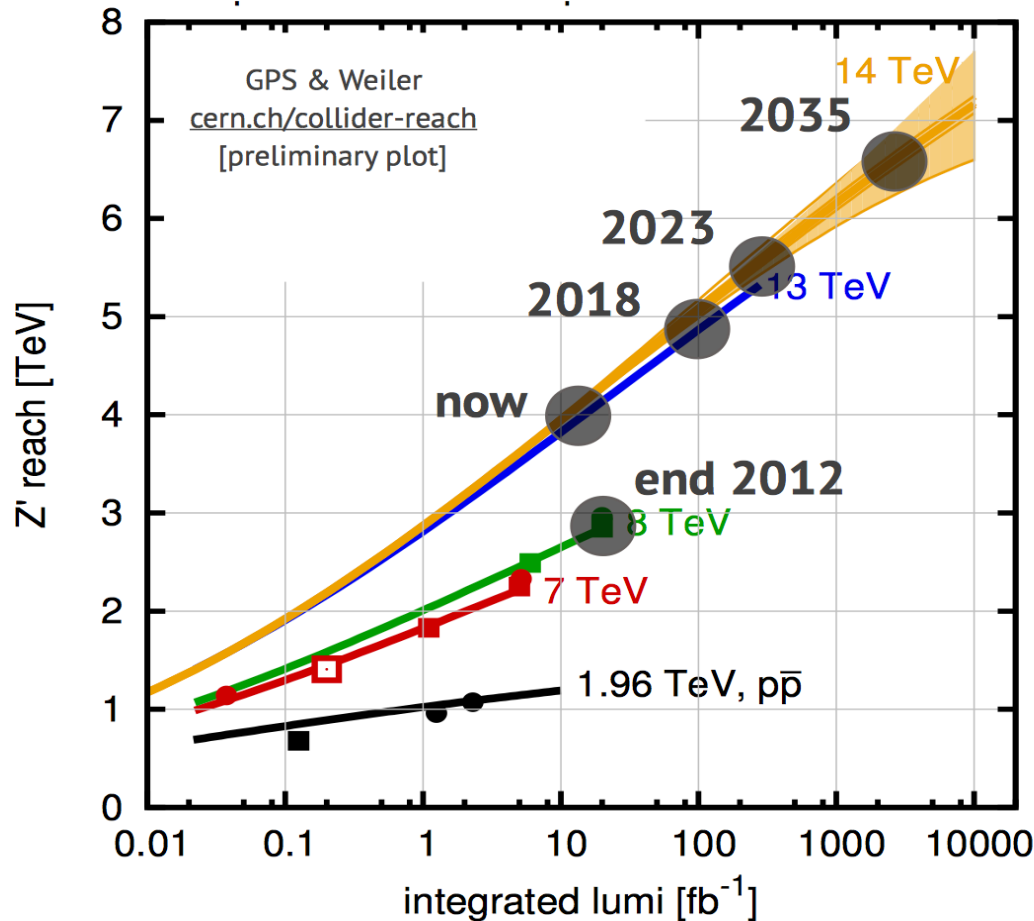
- Why so many tools to exploit limited physics principles?
- Do we understand physics behind tools? What factors drive performance?
- How robust are tools? E.g. does performance change with kinematics and parameters?

**How to decide which tools to use in searches and for data/
theory comparisons?**



Shift focus to understanding tools

Z' exclusion reach v. lumi



Plot taken from
a talk by G.
Salam

Increased center of mass energy and increase of collider reach implies **shift from moderate to large boosts**. How do tools hold up?

Theory issues

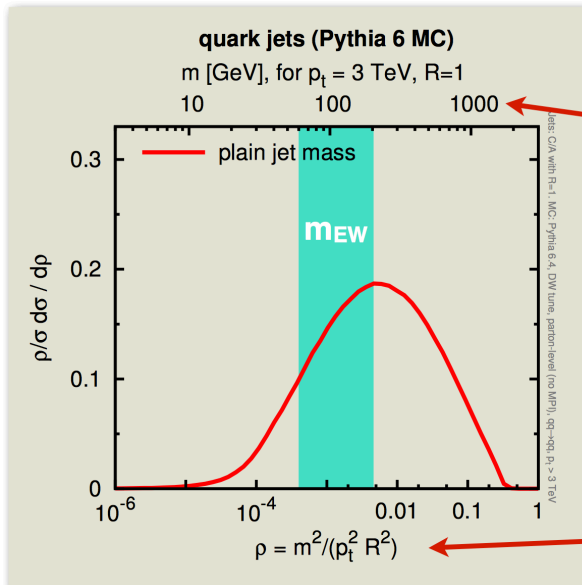
*OR WHY ITS NOT EASY TO GO BEYOND
MC AND THEIR LIMITATIONS*

Large logarithms

$$\frac{1}{\sigma} \frac{d\sigma}{dm_j^2} \sim \frac{1}{m_j^2} \frac{C_i \alpha_s}{\pi} \ln \left(\frac{R^2 p_t^2}{m_j^2} \right) \quad p_t \gg m_j$$

- Large logarithms in boosted regime mean **fixed-order QCD has limited use.**
- Resummed calculations are complicated and not generally possible to high accuracy. Partially included in parton showers.

Large logarithms and resummation



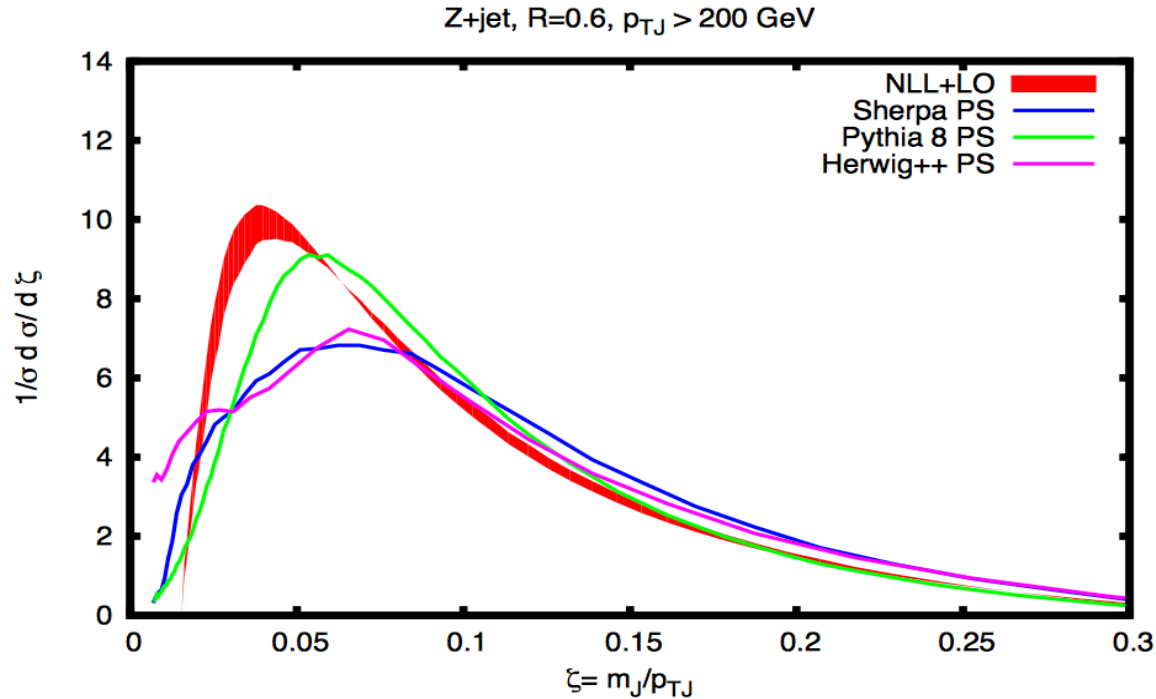
Physical mass for
3 TeV, R=1 jets

$\rho \sim$ Rescaled mass²
(i.e. the QCD variable)

$$\rho = \frac{m_j^2}{R^2 p_T^2}$$

Do we need to worry about large logs for jet masses ~ 100 GeV?
Yes, certainly for jet p_t in the TeV region!

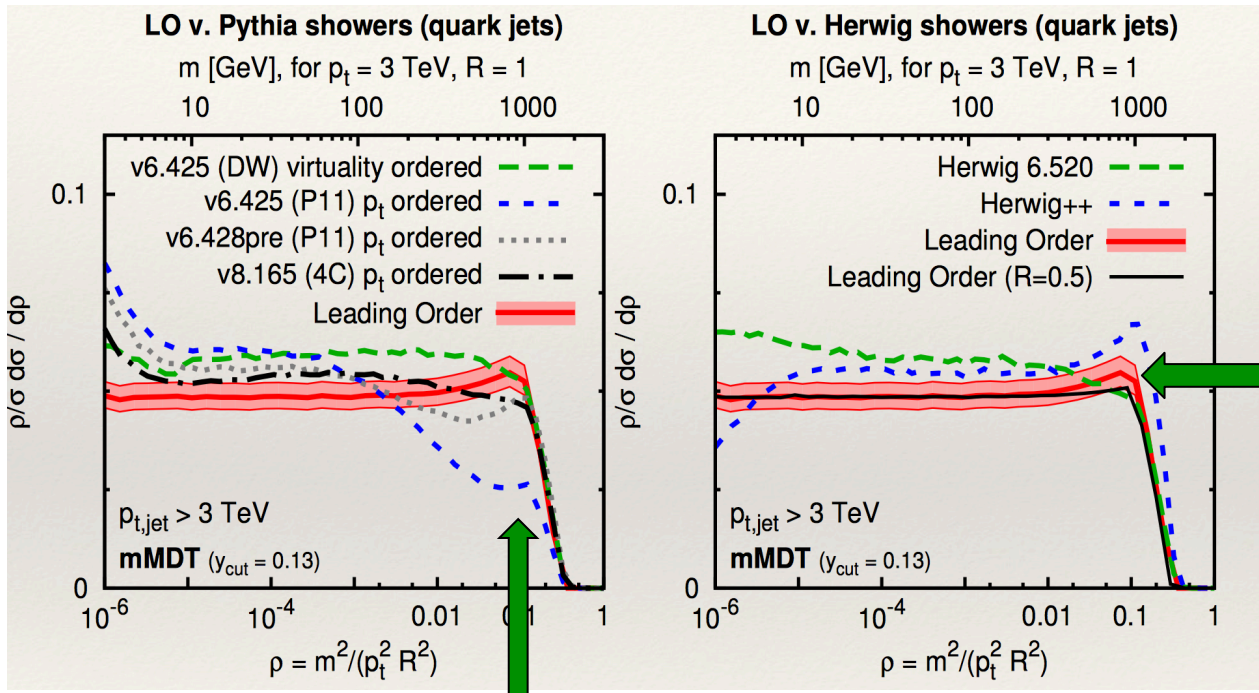
Why not just use showers?



Dasgupta, Khelifa-Kerfa,
Marzani, Spannowsky 2012

Large differences between showers at parton level. Keep in mind for q/g studies later.

Limitations of showers



Bump at larger masses not in most showers

Pythia 6 p_t ordered fails

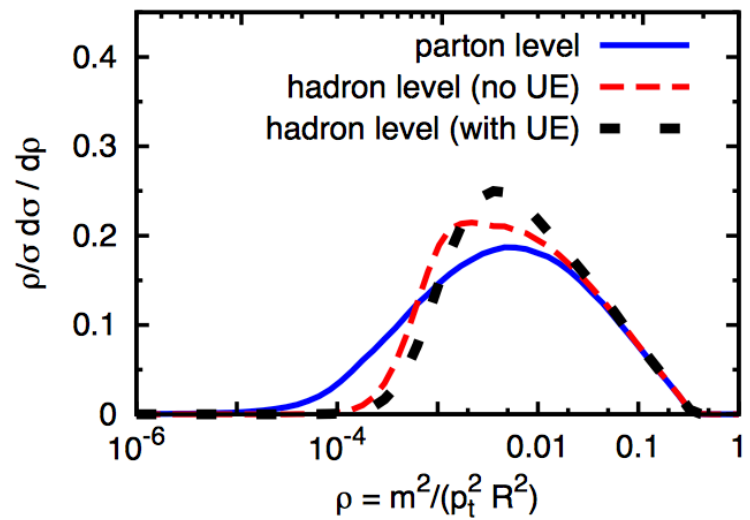
Jet masses with “mass drop” tagger

Different MC showers don't always agree.

Non-perturbative effects

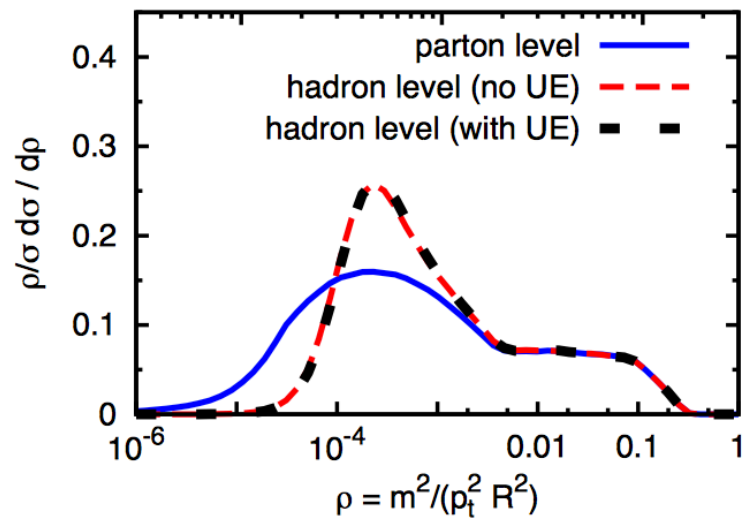
plain mass: hadronisation (quark jets)

m [GeV], for $p_t = 3$ TeV, R = 1
10 100 1000



trimming: hadronisation (quark jets)

m [GeV], for $p_t = 3$ TeV, R = 1
10 100 1000



Are these important in the TeV region? Consider that a 1 GeV gluon inside an R=1 3 TeV jet can produce a jet mass of 55 GeV.

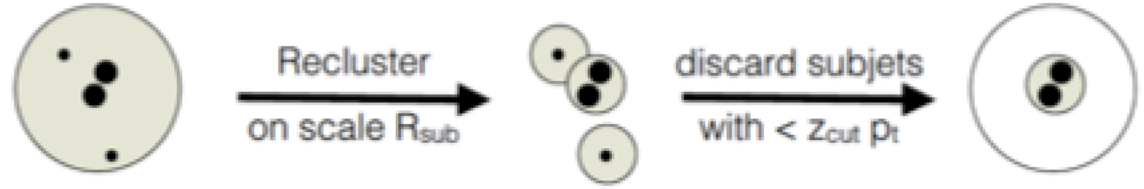
$$m_j^2 \sim \Lambda p_T R^2$$

NP bumps visible but where NP = Non-Perturbative!

Recent progress

Progress in understanding tools

Trimming Krohn, Thaler, Wang
2010



Modified mass drop tagger (mMDT)

MD, Fregoso, Marzani, Salam 2013



$$\frac{\min(p_{ti}, p_{tj})}{p_{ti} + p_{tj}} > z_{cut}$$

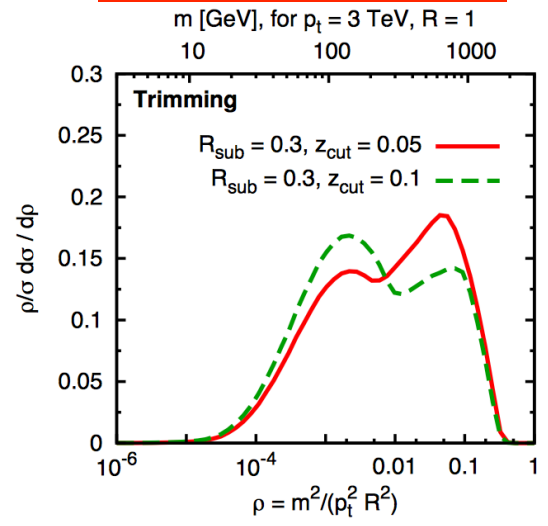
SoftDrop same as mMDT but uses $\frac{\min(p_{ti}, p_{tj})}{p_{ti} + p_{tj}} > z_{cut} \theta^\beta$

Larkoski, Marzani, Soyez, Thaler 2014

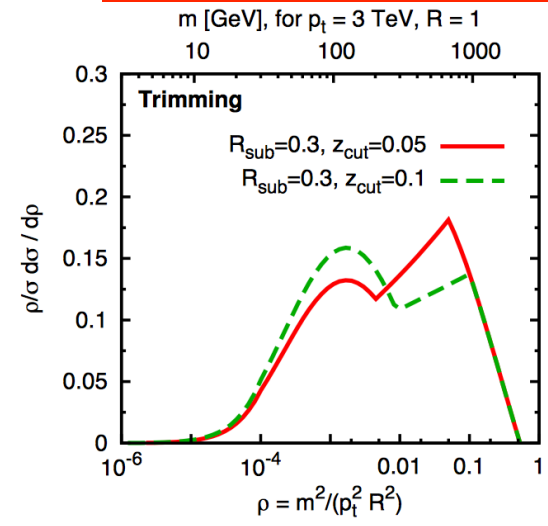
$\beta = 0$ most commonly used which is the same as mMDT

Analytical understanding of jet substructure

Monte Carlo



Analytic



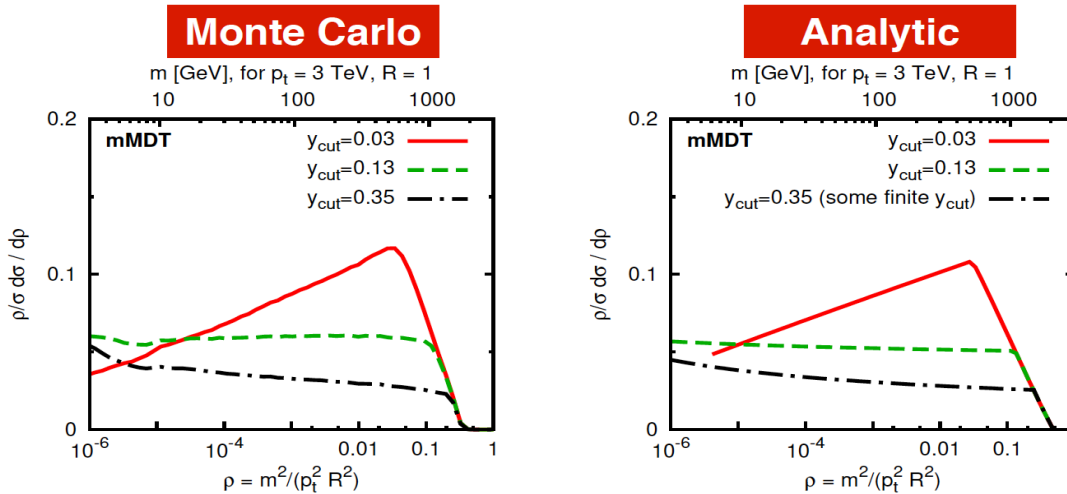
Bumps and kinks for QCD background. Only found after analytics

MD, Fregoso, Marzani, Salam 2013

Jet masses with trimming

Many tools are now understood from **first principles analytic resummed calculations**. Shower model independent. Clearly shows up flaws and reveals features.

Analytics for substructure



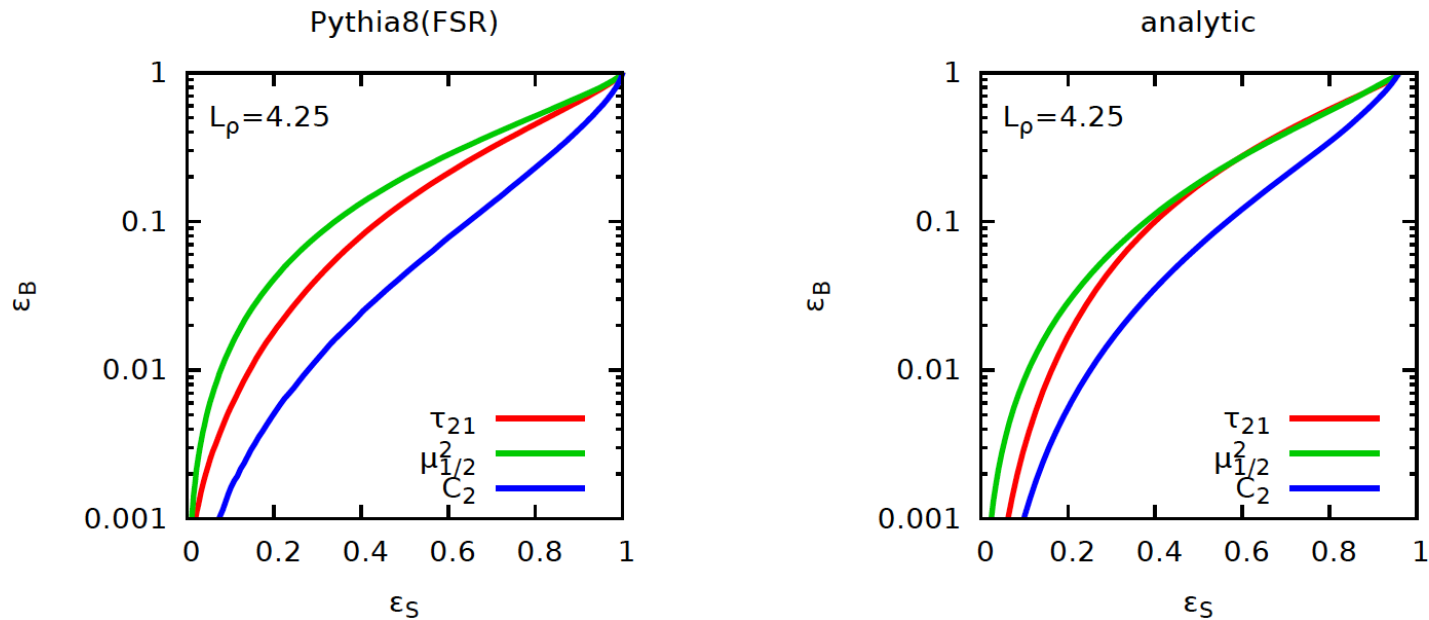
Redundancy of μ
parameter of
mass-drop found
with analytics

Jet mass with mMDT

- mMDT is a unique jet observable. Free from complex soft gluon effects.
- SoftDrop generalisation of mMDT also shares this property.

Monte Carlo v Analytic

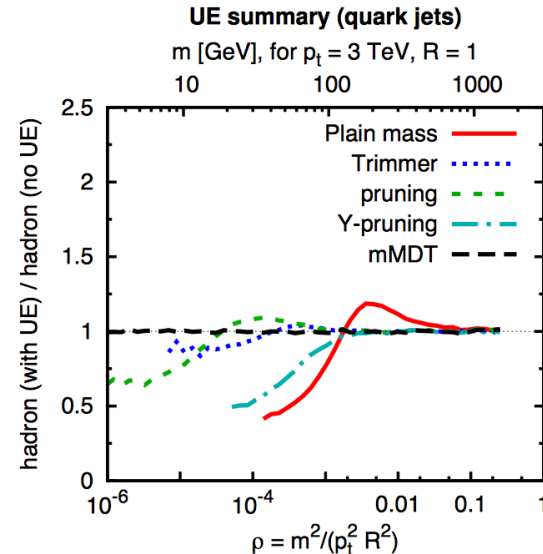
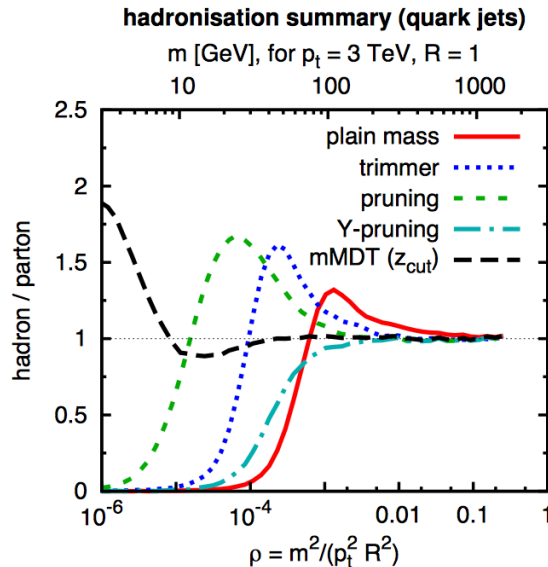
First understanding for jet shapes:



Analytic understanding for radiation constraining jet shapes

Dasgupta, Soyez and Schunk 2015. See also Larkoski, Moult and Neill 2015 for dedicated calculation of C_2 .

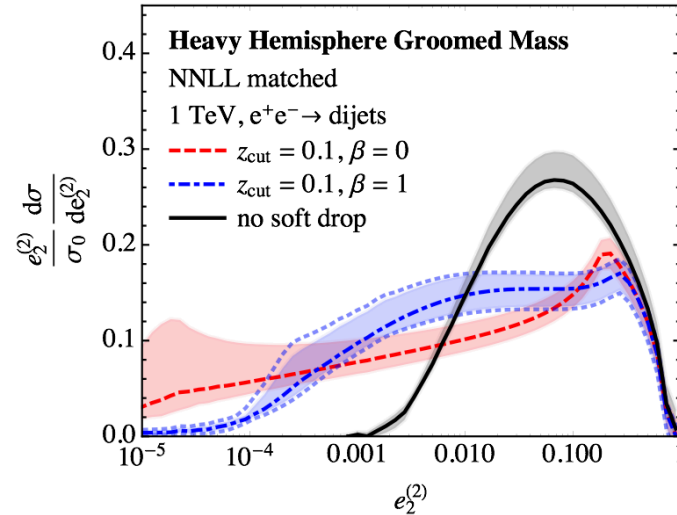
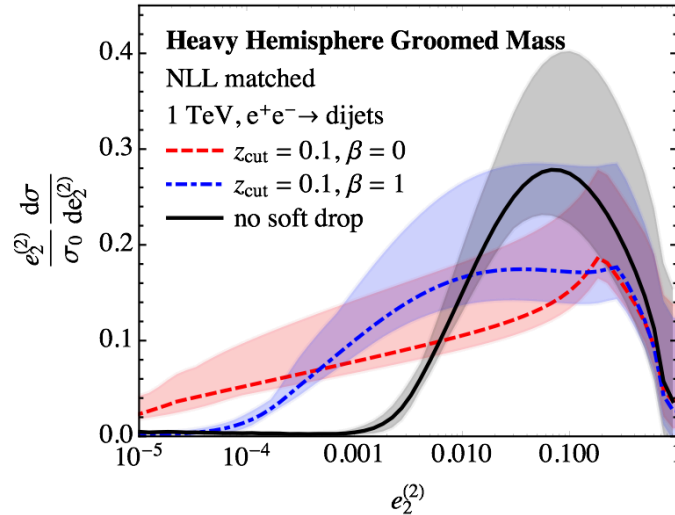
Reduced non-perturbative effects



Tools designed which are more robust against NP effects : mMDT and SoftDrop.

Opens the door to precision phenomenology for jet substructure at the LHC i.e. comparison of accurate theory to more precise measurements.

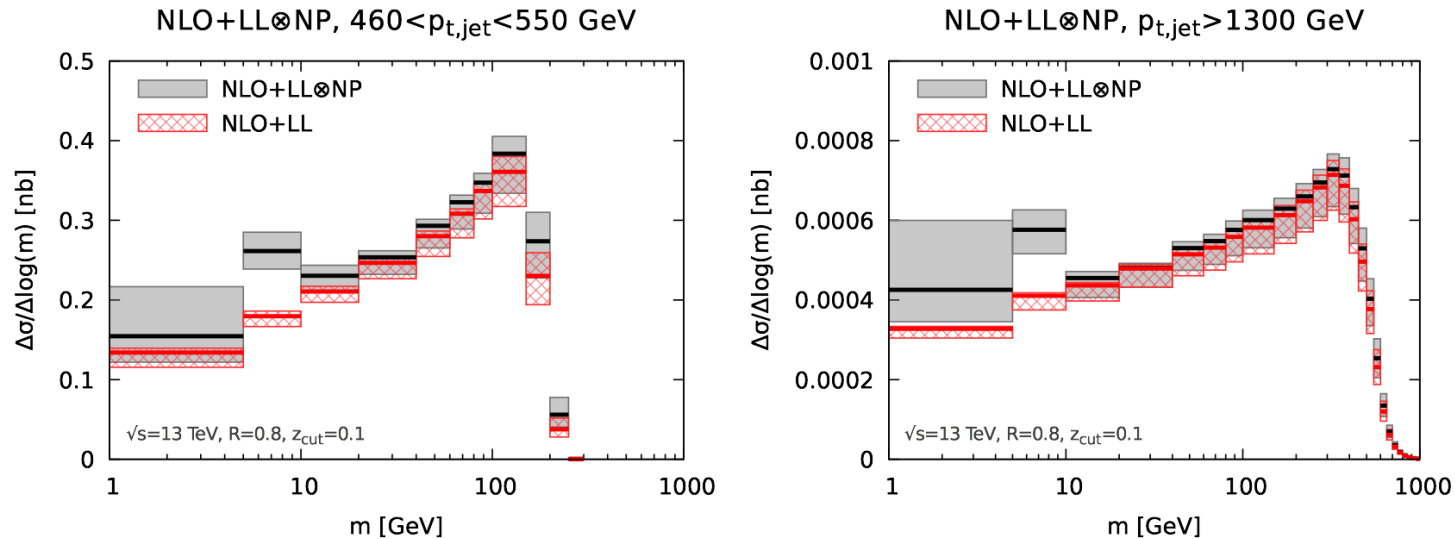
Precise calculations for substructure



Higher log accuracy calculations for mMDT and SoftDrop.

Frye, Larkoski, Schwartz, Yan 2016

Phenomenology for substructure

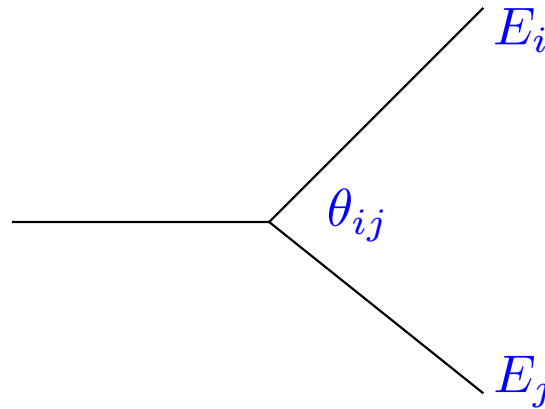


Matched resummed calculations with NP effects for mMDT.
Should be directly compared to LHC data.

Marzani, Schunk, Soyez 2017

Designing new high performance tools

Y splitter



Butterworth,
Cox, Forshaw,
2002

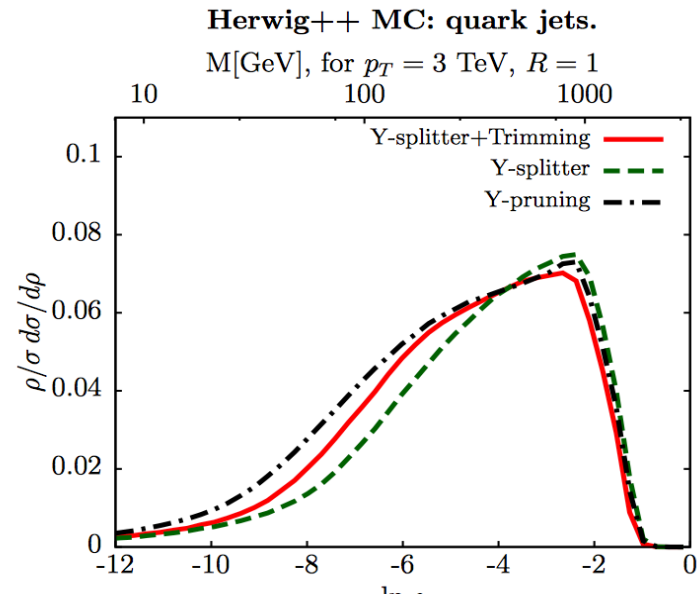
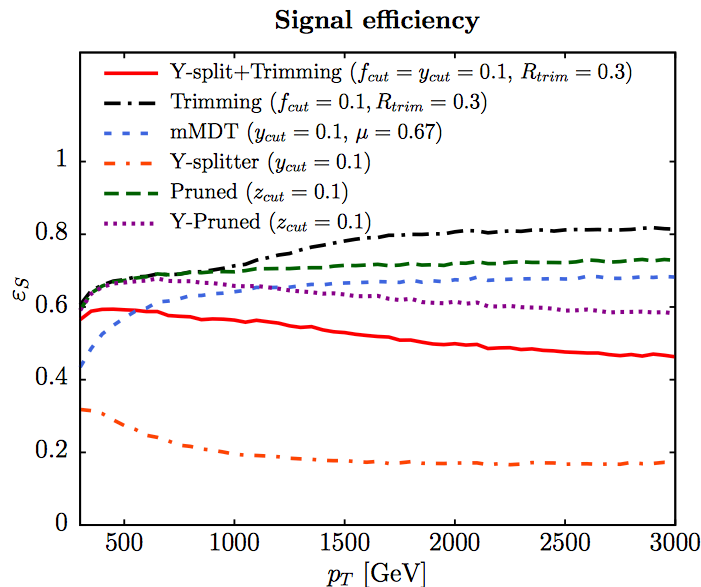
Not a new tool in
itself

- Decluster a jet into 2 subjets using the k_t distance measure
- Ask for a cut forcing prongs to be more “symmetric” i.e. a Y configuration

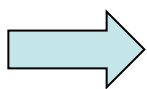
$$\frac{k_{t,ij}^2}{m_j^2} \approx \frac{\min(E_i, E_j)}{\max(E_i, E_j)} > y_{\text{cut}} \quad \text{OR} \quad \frac{\min(E_i, E_j)}{E_i + E_j} > z_{\text{cut}}$$

Tag jet if passes cut or discard

Y-splitter plus grooming



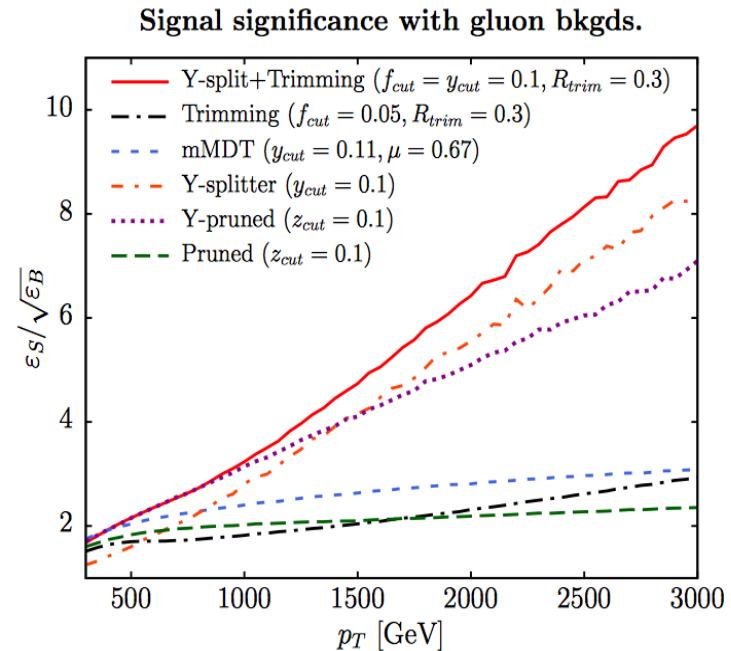
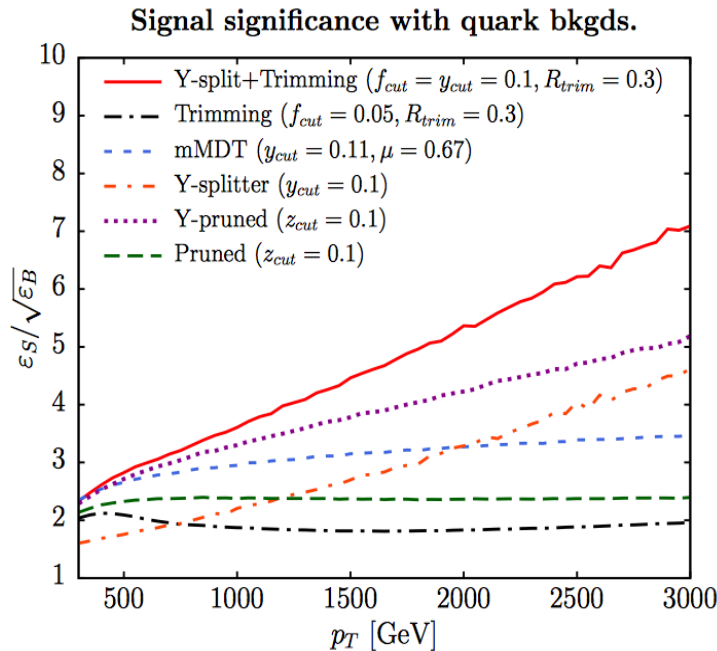
- Y-splitter has not seen extensive use. Loss of signal due to ISR and NP effects.
- Y-splitter is a tagger rather than groomer. Combine Y-splitter with grooming? Rescues signal leaving background as before



Illustrates what can be gained by combining complementary tools.

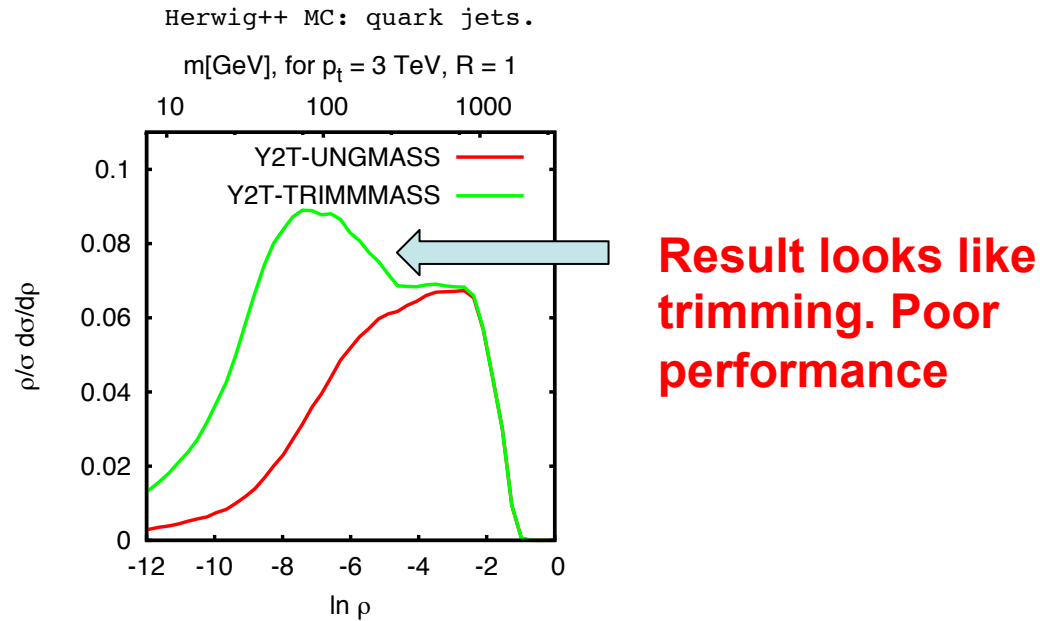
Performance for searches

MD, Powling and Siodmok,
2015 MD, Powling, Schunk.
Soyez, 2016



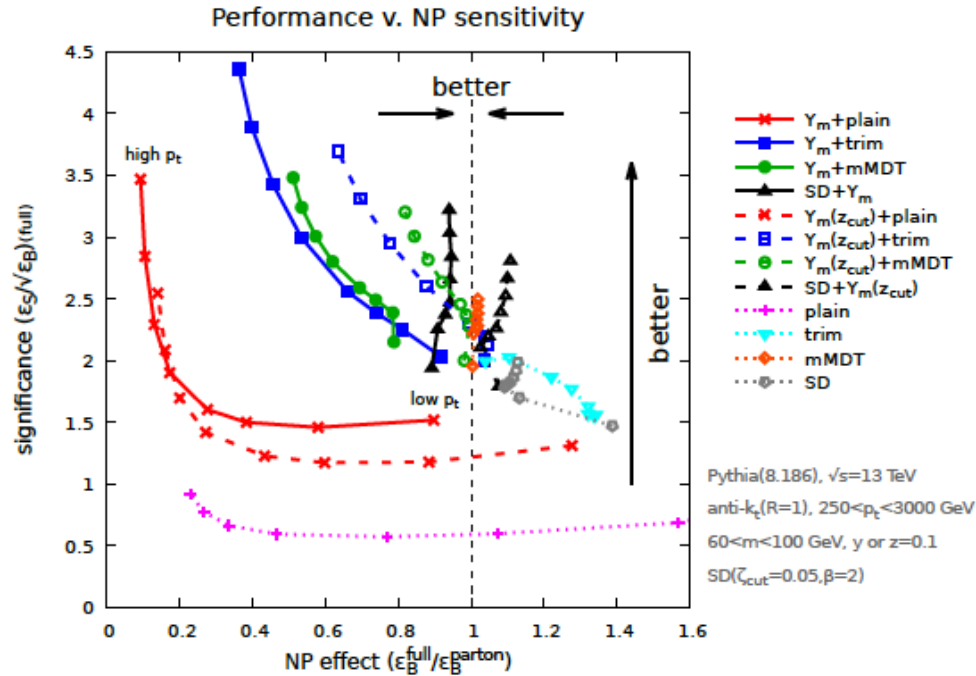
Pretty decent for such an ancient tool albeit supplemented with grooming! Performance similar with grooming using mMDT but trimming works best

Grooming + Y-splitter



Does not work in reverse order. Order in which tools are used matters. Also understood from analytics.

Performance v NP sensitivity



Trade off between sheer performance and robustness. An important feature seen in taggers, jet shapes and q/g discrimination.

Summary

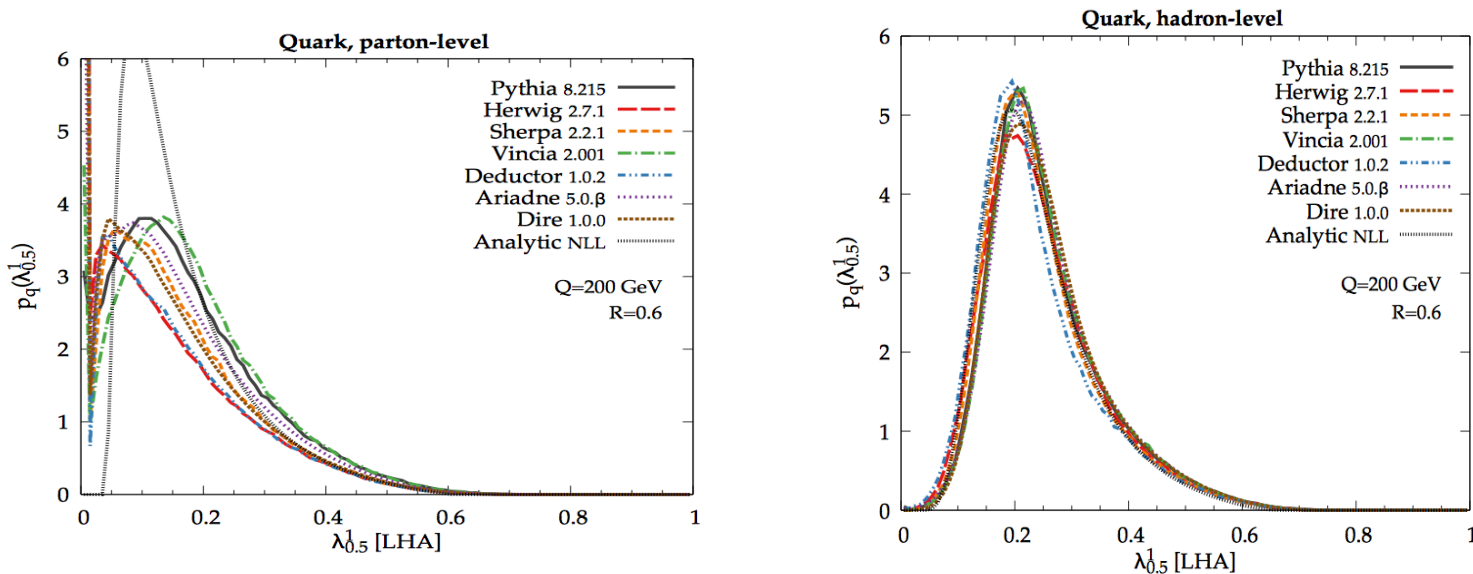
Several jet substructure tools have been developed rapidly over the last few years.

The field is now more mature and one needs to work on theoretical control over results.

One of the key questions to address is how to approach the sensitivity to NP effects.

To what extent should methods and results for exploring the TeV scale depend on our knowledge of QCD at 1 GeV?

Quark/Gluon discrimination



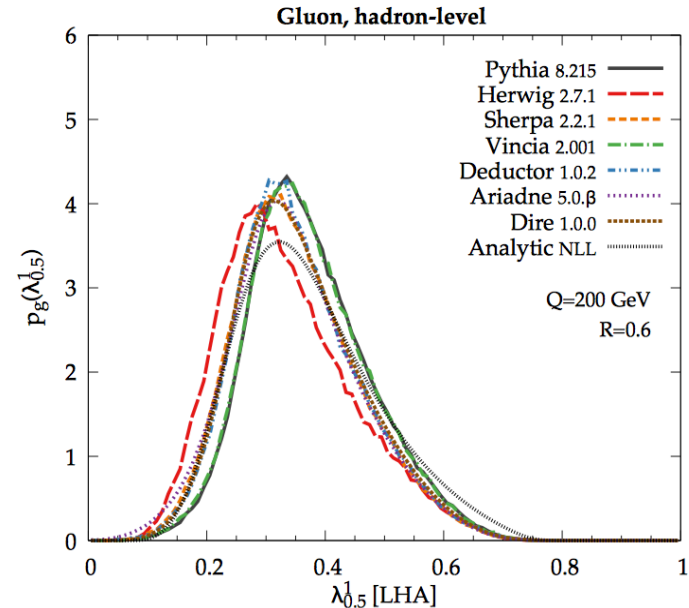
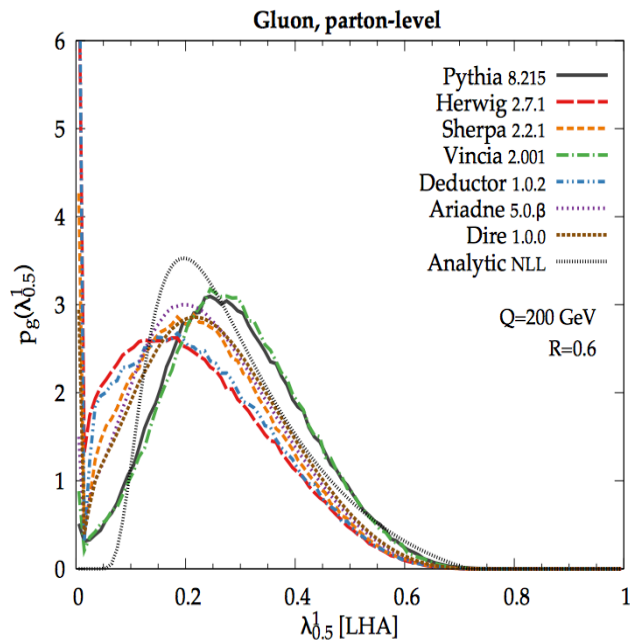
Use generalised angularities

$$\lambda_{\beta}^{\kappa} = \sum_{i \in \text{jet}} z_i^{\kappa} \theta_i^{\beta},$$

$\kappa = 1$ are IRC safe. More robust but not necessarily better discriminators. Focus on LHA with $\beta = 0.5$

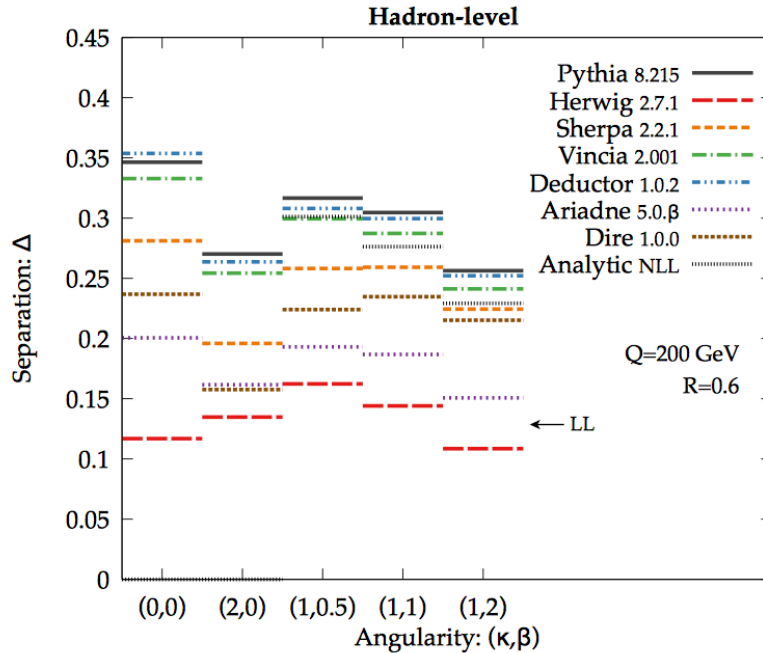
A problem at the interface of PT and NP

Quark/Gluon discrimination



Differences between generators persist at hadron level for gluon jets. For quark jets LEP tunes clearly help but **more work is needed on gluon jets.**

q/g Separation Power



Significant differences between event generators.

β dependence in these studies is opposite to that of previous ATLAS studies.

Need for precise LHC measurements of angularities to tune event generators and constrain gluon jets better.

$$\Delta = \frac{1}{2} \int d\lambda \frac{(p_q(\lambda) - p_g(\lambda))^2}{p_q(\lambda) + p_g(\lambda)} = 1 - 2 \int d\lambda \frac{p_q(\lambda) p_g(\lambda)}{p_q(\lambda) + p_g(\lambda)}$$