



© CERN

Measurements of Higgs boson properties in leptonic final states at CMS

Olena Hlushchenko on behalf of CMS



Content of this talk

Higgs bosons:

final state production dataset

- Measurement of production and decay
- Constrains on anomalous HVV couplings (initial state)
- Search for associated VH production

$\tau_e \tau_\mu$

$\tau_e \tau_h$

$\tau_\mu \tau_h$

$\tau_h \tau_h$

ggH

VBF

2017

2016

$l \tau_\mu \tau_h$

$l \tau_h \tau_h$

$ll \tau_e \tau_h$

$ll \tau_\mu \tau_h$

$ll \tau_h \tau_h$

VH

H \rightarrow ττ



GEFÖRDERT VOM



Physics
Institute III B

**RWTHAACHEN
UNIVERSITY**

New

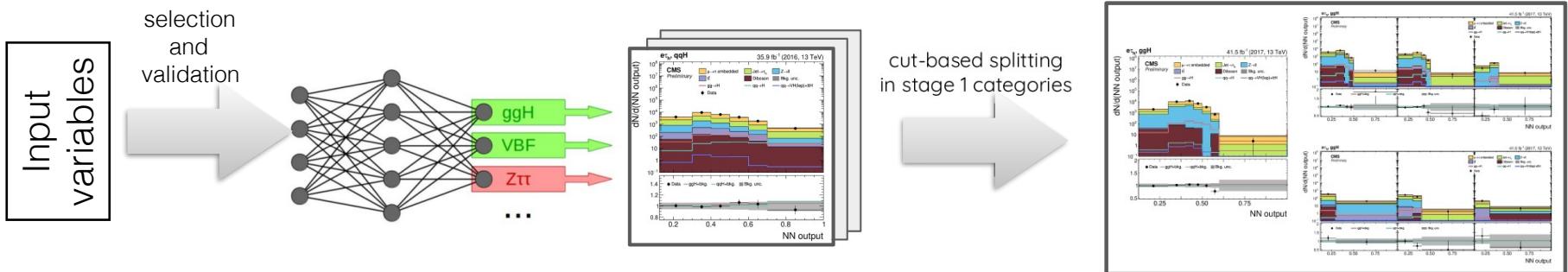
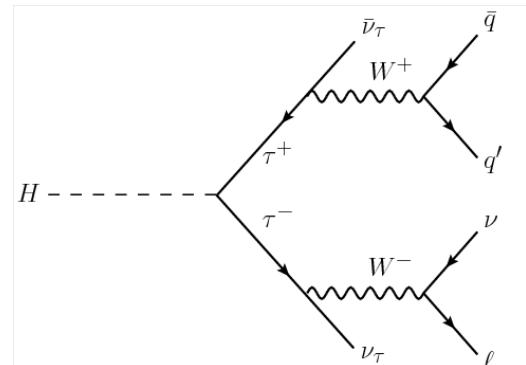
- 90% of backgrounds with data-driven methods
 - **embedding:**
 - DY, $t\bar{t}$ and VV with genuine τ_h
 - **fake factors:**
 - $t\bar{t}$, W+jets and QCD with jet $\rightarrow\tau$

New

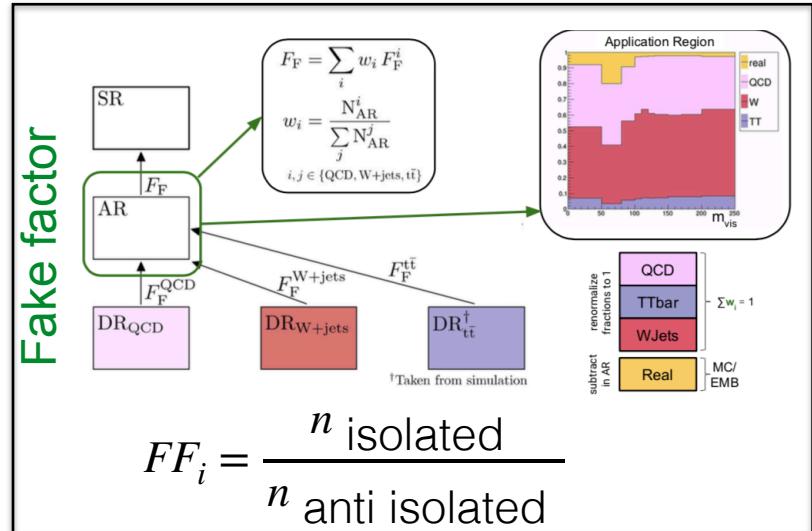
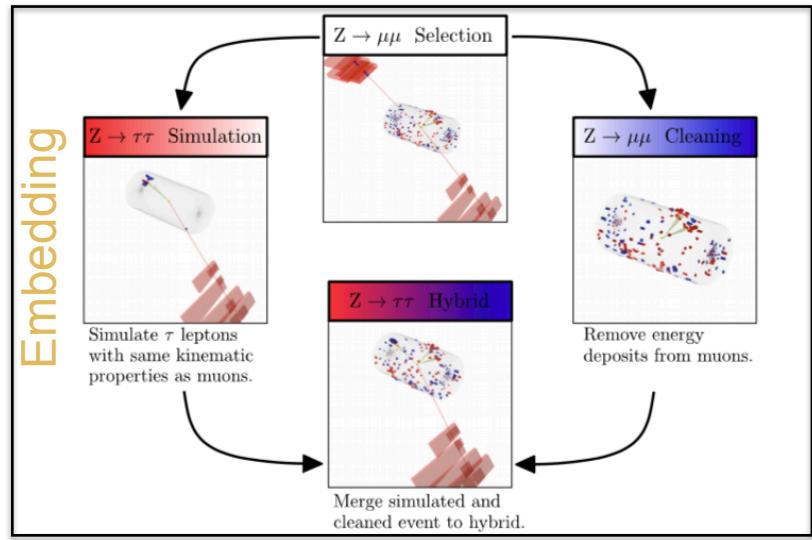
- Differential in p_T^{Higgs} STXS-1

New

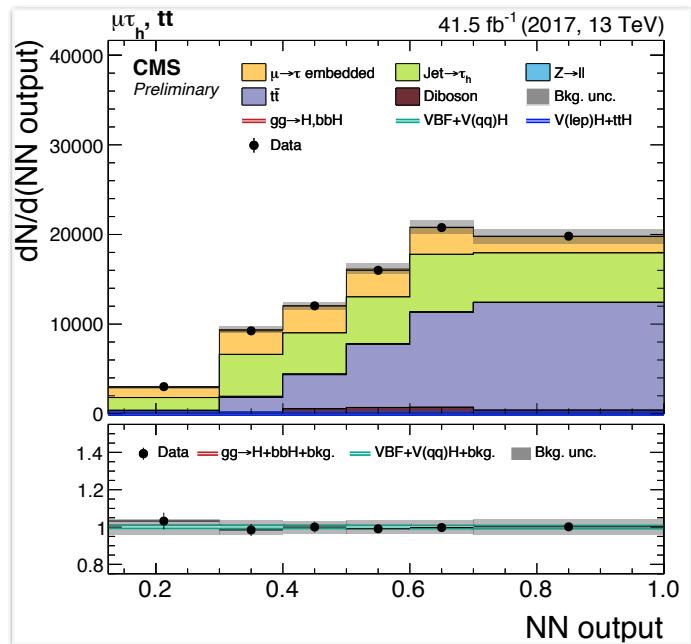
- Machine learning used for categorization



H \rightarrow $\tau\tau$: Analysis components

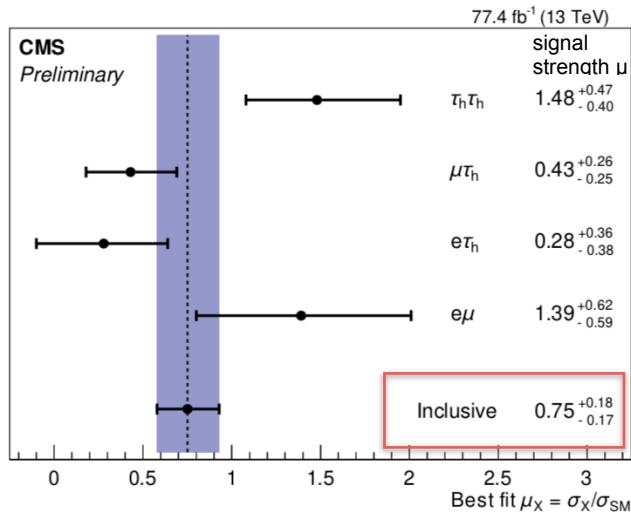


Background categories serve as CR:



t̄t with genuine τ
 t̄t with e, μ → τ
 t̄t with jet → τ

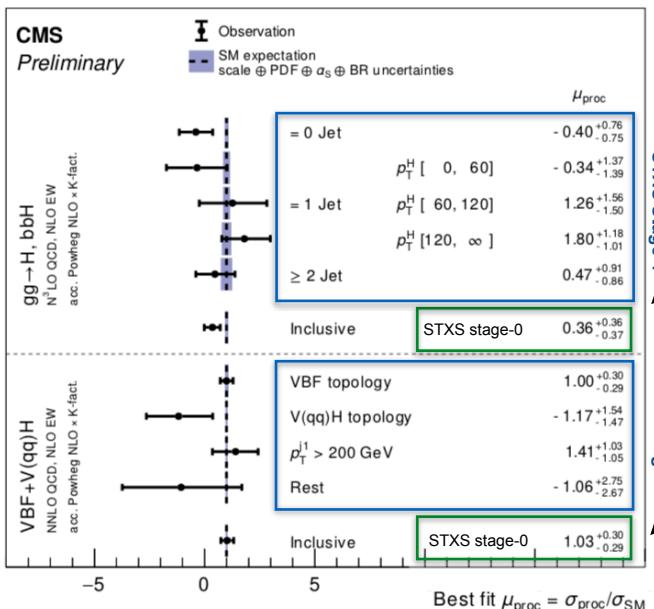
H $\rightarrow\tau\tau$ - Results



- Simplified template cross section (STXS) measurements:

I. Inclusive SM H $\rightarrow \tau\tau$:

$$\sigma_{inclus} B(H \rightarrow \tau\tau) = 2.56 \pm 0.48 \text{ (stat)} \pm 0.34 \text{ (syst)} \text{ pb}$$



II. ggF and VBF separately (STXS Stage-0):

$$\sigma(gg \rightarrow H, bbH) B(H \rightarrow \tau\tau) = 1.11 \pm 0.81 \text{ (stat)} \pm 0.78 \text{ (syst)} \text{ pb}$$

expected: $49.066 \times 0.06272 \text{ pb}$

$$\sigma(VBF+V(qq)H) B(H \rightarrow \tau\tau) = 0.34 \pm 0.08 \text{ (stat)} \pm 0.09 \text{ (syst)} \text{ pb}$$

expected: $5.155 \times 0.06272 \text{ pb}$

III. II split in p_T bins (STXS Stage-1)

VH production

GEFÖRDERT VOM



Bundesministerium
für Bildung
und Forschung



VH production

New

- Direct and independent probe of WH and ZH couplings using 2016 data
- Combined results in μ and κ_V/κ_F including ggH and VBF production

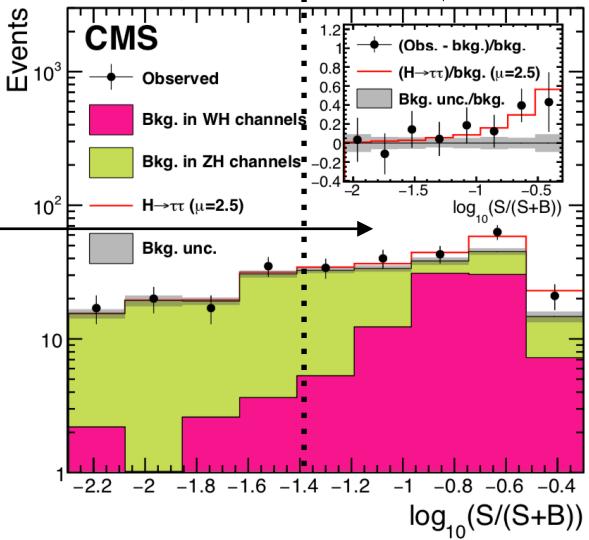
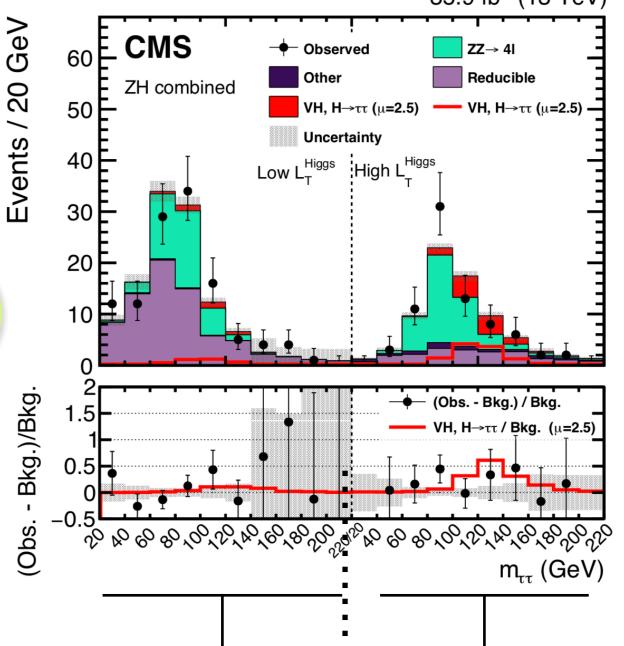
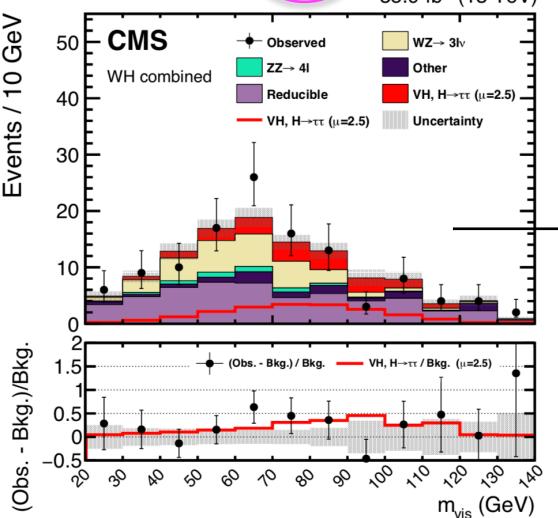
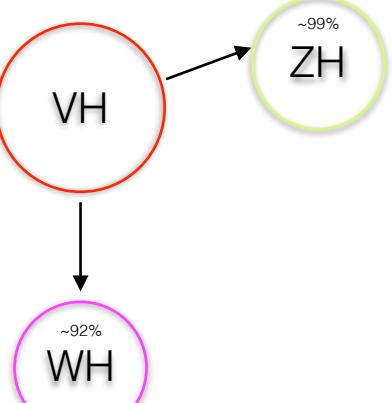
New

- Partially data-driven background estimation:
 - Fake rate method

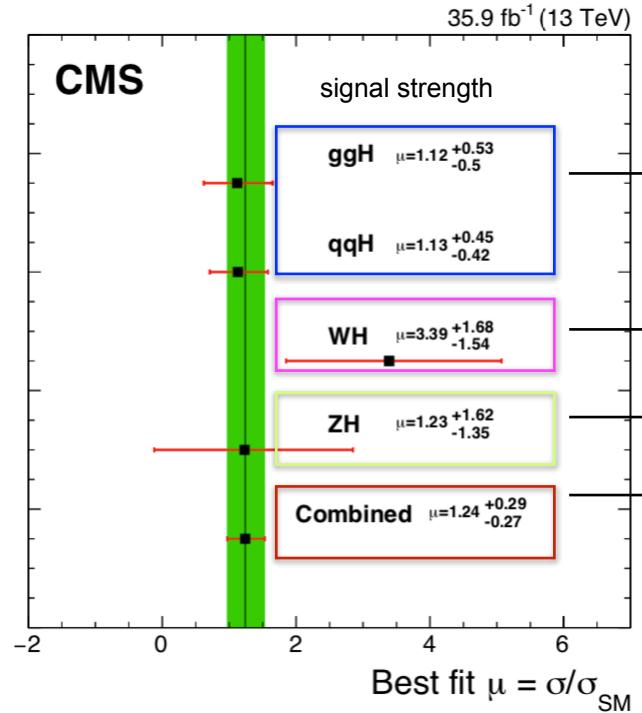
$$jet \rightarrow \tau_h$$

L_T^{Higgs} : scalar sum of visible H decay products

JHEP 06 (2019) 093

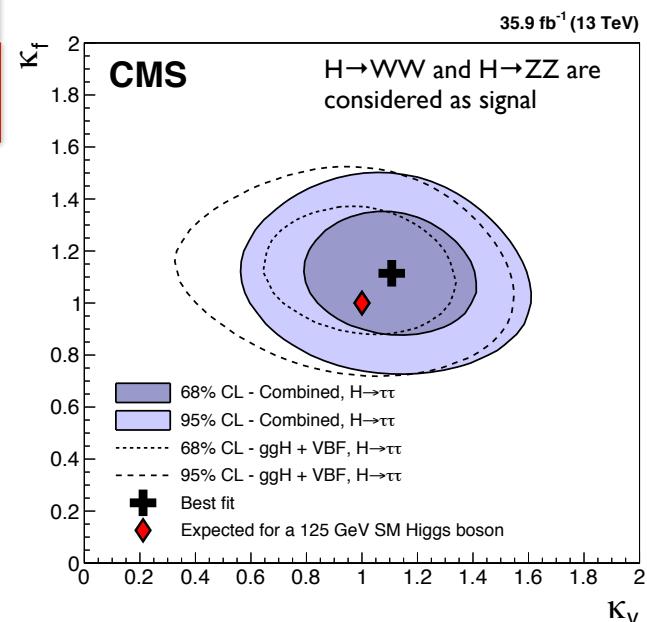


VH production - Results



Best fit signal strength:

$$\begin{aligned}\mu^{ggH} &= 1.12^{+0.53}_{-0.5} \\ \mu^{qqH} &= 1.13^{+0.45}_{-0.42} \\ \mu_{WH} &= 3.39^{+1.68}_{-1.54} \\ \mu_{ZH} &= 1.23^{+1.62}_{-1.35} \\ \mu^{comb} &= 1.24^{+0.29}_{-0.27}\end{aligned}$$



- Likelihood scan in the (κ_V, κ_f) parameter space:
 - VH** 10% reduction in max extend of 95% CL
 - κ_V, κ_f** : coupling strength modifiers to vector bosons and to fermions

HVV anomalous couplings



GEFÖRDERT VOM

Bundesministerium
für Bildung
und Forschung



BMBF FSP-CMS



Physics
Institute III B

RWTHAACHEN
UNIVERSITY

HVV anomalous couplings

New

- 2016 data analyzed and results combined with those from the $H \rightarrow ZZ \rightarrow 4l$ targeting HVV anomalous coupling

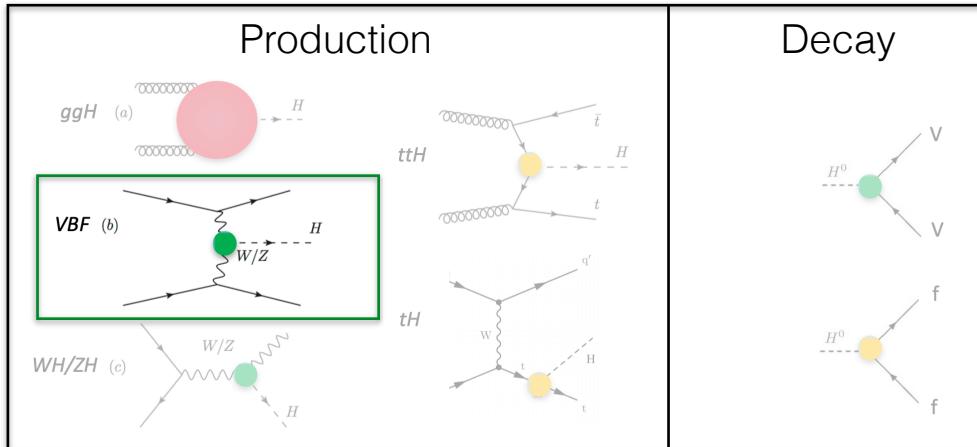
New

- Stringent constraints on CP -violating and CP -conserving parameters

- **Analysis is not sensitive to anomalous couplings in the decay**

- Optimized for VBF production (optimal for HVV, not Hgg or VH couplings)

- Parameters to measure: individual coupling ratios

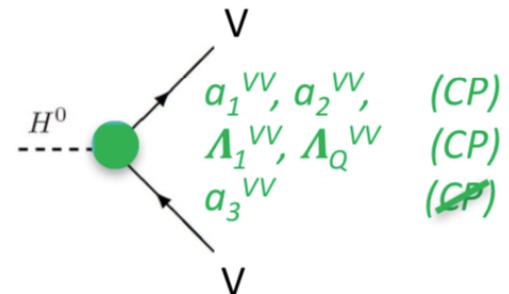


HVV anomalous couplings

$$A(HVV) \sim \left[a_1^{VV} + \frac{\kappa_1^{VV} q_1^2 + \kappa_2^{VV} q_2^2}{(\Lambda_1^{VV})^2} \right] m_{V1}^2 \epsilon_{V1}^* \epsilon_{V2}^* + a_2^{VV} f_{\mu\nu}^{*(1)} f^{*(2)\mu\nu} + a_3^{VV} f_{\mu\nu}^{*(1)} f^{*(2)\mu\nu}$$

scalar (0+)

pseudoscalar (0-)



- effective cross-section ratios:

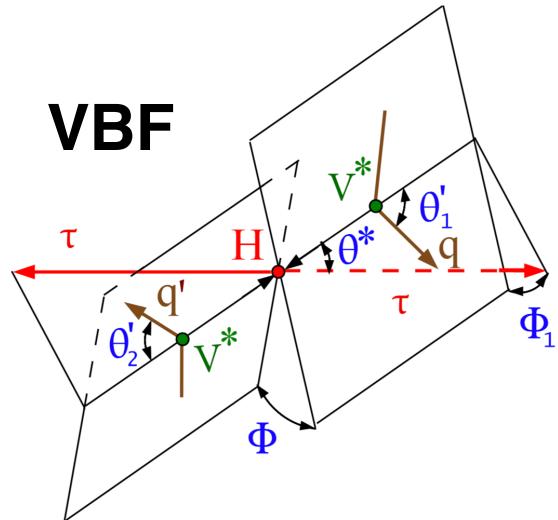
$$f_{a3} = \frac{|a_3|^2 \sigma_3}{S} \quad \longrightarrow \quad = 1 : \text{pseudoscalar} \\ \neq 0 : \text{CP violation}$$

$$f_{a2} = \frac{|a_2|^2 \sigma_2}{S}$$

$$f_{\Lambda 1} = \frac{\tilde{\sigma}_{\Lambda 1} / (\Lambda_1)^4}{S}$$

$$f_{\Lambda 1}^{Z\gamma} = \frac{\tilde{\sigma}_{\Lambda 1}^{Z\gamma} / (\Lambda_1^{Z\gamma})^4}{S}$$

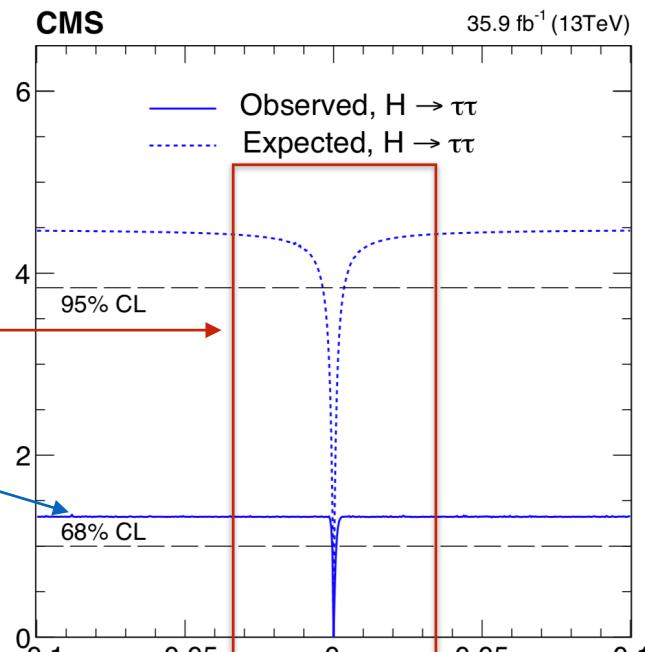
$$S = \sum_{i=1,2,3} |a_i|^2 \sigma_i + \tilde{\sigma}_{\Lambda 1} / (\Lambda_1)^4 + \dots$$



HVV anomalous couplings - Results

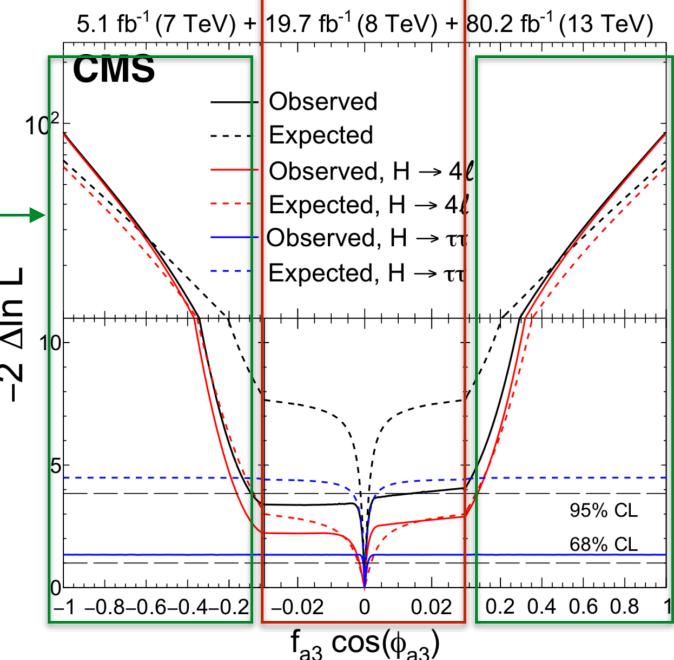
2016:

- σ in VBF/VH production increases quickly with f_{ai}
 - good sensitivity for small f_{ai}
 - large plateau corresponds to $\mu_V=0$

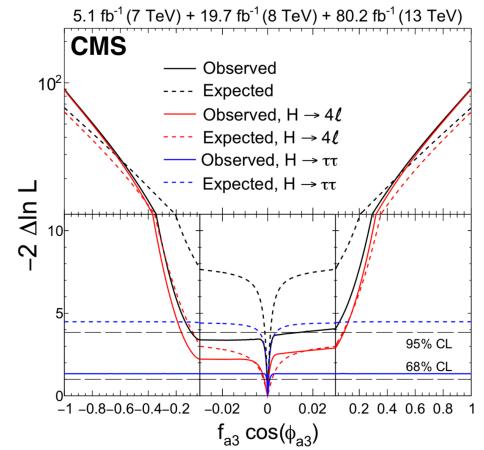
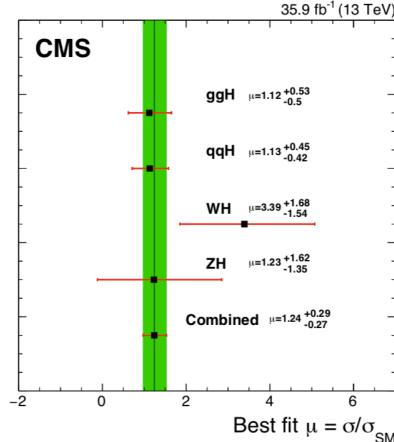
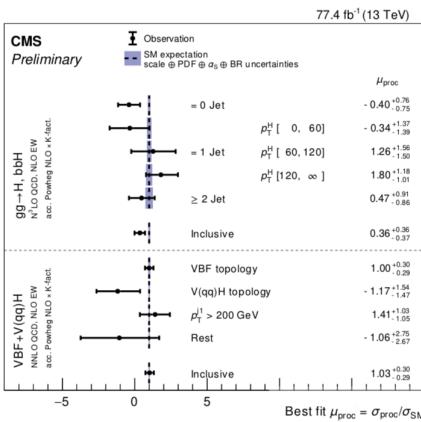


Combined:

- this analysis:
 - 2 σ exclusion for small anomalous couplings from VBF
- $H \rightarrow ZZ$:
 - High CL exclusion of large anomalous couplings from decay information
 - Matrix Element Likelihood Approach: for production/sg/bg separation
 - couplings measured also in decay



Summary



First differential in p_T measurement of $H \rightarrow \tau\tau$ cross-sections

$H \rightarrow \tau\tau$ cross-sections measured for individual ZH and WH production mechanisms as well as for combination with ggH and VBF

Updated limits on anomalous couplings

One more thing...

- Measurements of Higgs boson differential distributions and couplings at CMS
Matthias Schroeder - 12 Jul 2019, 17:00
- Measurements of Higgs boson properties in hadronic final states at CMS
Leonardo Giannini - 11 Jul 2019, 10:15
- Higgs boson rare and exotic decays at CMS
Fengwangdong Zhang -11 Jul 2019, 17:05
- Searches for additional neutral Higgs bosons at CMS
Dermot Anthony Moran - 12 Jul 2019, 14:45



Appendix

GEFÖRDERT VOM

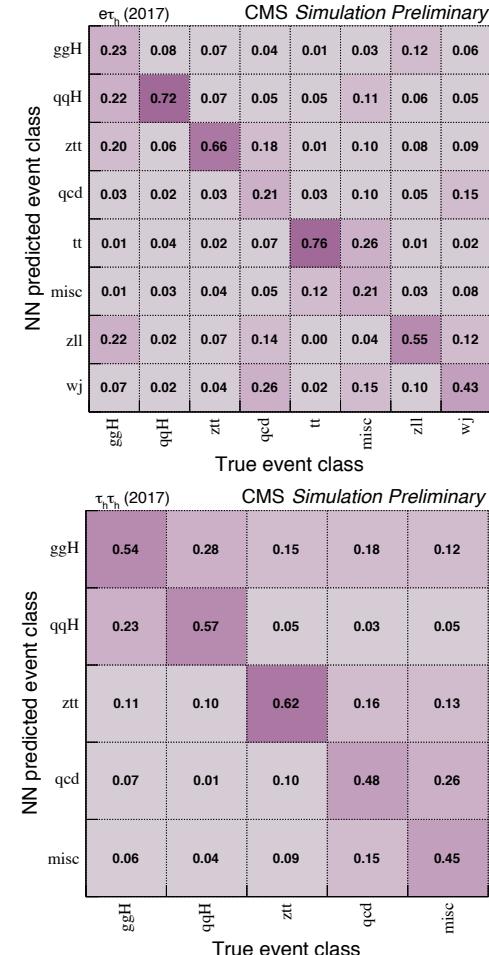
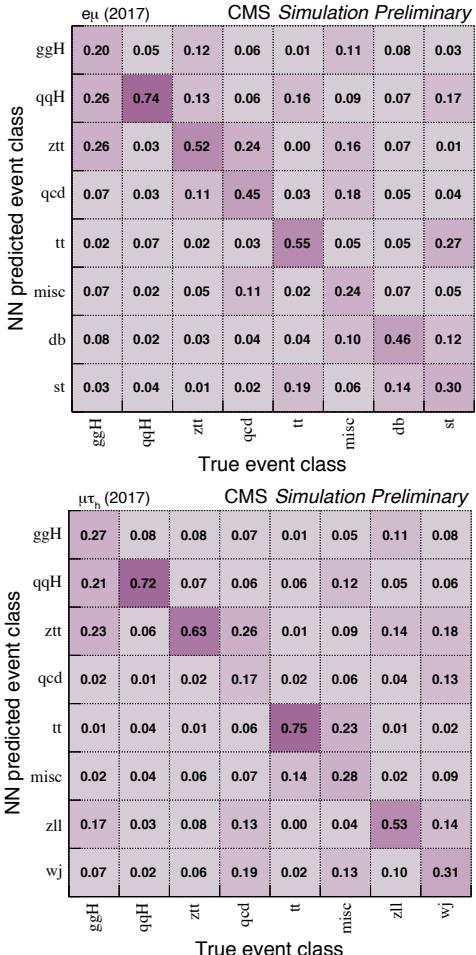


Bundesministerium
für Bildung
und Forschung



Analysis components

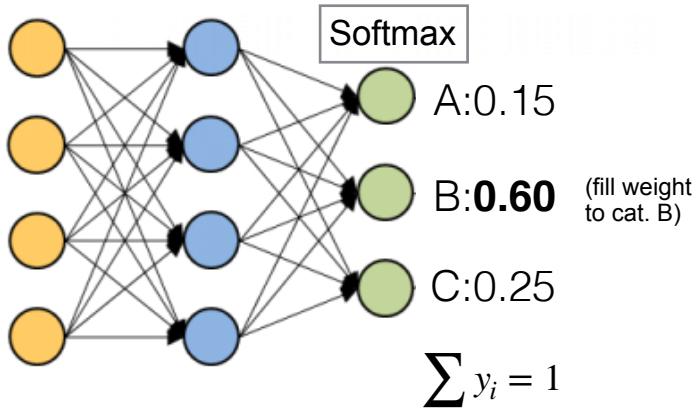
Background process	MisId.	$e\mu$	$e\tau_h$	$\mu\tau_h$	$\tau_h\tau_h$
$Z \rightarrow \tau\tau$		EMB	EMB	EMB	EMB
$W + jets$		MC	FF	FF	FF
QCD		CR	FF	FF	FF
$Z \rightarrow ll$	$jet \rightarrow \tau_h$ $l \rightarrow \tau_h$	MC	FF	FF	FF
			MC	MC	MC
$VV + single t^*$	$jet \rightarrow \tau_h$ $l \rightarrow \tau_h$	MC	FF	FF	FF
			MC	MC	MC
$t\bar{t}^*$	$jet \rightarrow \tau_h$ $l \rightarrow \tau_h$	MC	FF	FF	FF
			MC	MC	MC



Confusion matrices for the NN

NN architecture and training

- Softmax output can be interpreted as Bayesian “probability” in the sense of:
- “Event X is likely to belong to class B, according to its kinematic properties”
- Backgrounds with small yields are merged
- Inputs: well described only (saturated goodness of fit 1D and 2D test)



Training

One individual NN for each decay channel & year ($\rightarrow 4 \times 2$)
 Processes weighted to equal yield for training
 2 fold training to keep full dataset available for analysis
 Batch size: 100
 Validation split: 25%
 Early stopping: after 50 epochs

NN architecture

Fully connected feed forward
 Activation function: hyperbolic tangent
 2 hidden layers with 200 nodes respectively
 Softmax output
 Cross entropy as loss function
 Optimizer algorithm: Adam (learning rate 10-4)
 Weight initialization: Glorot (uniform)
 Regularization: Dropout layer after each hidden layer (30% probability), L2 regularization (10-4)

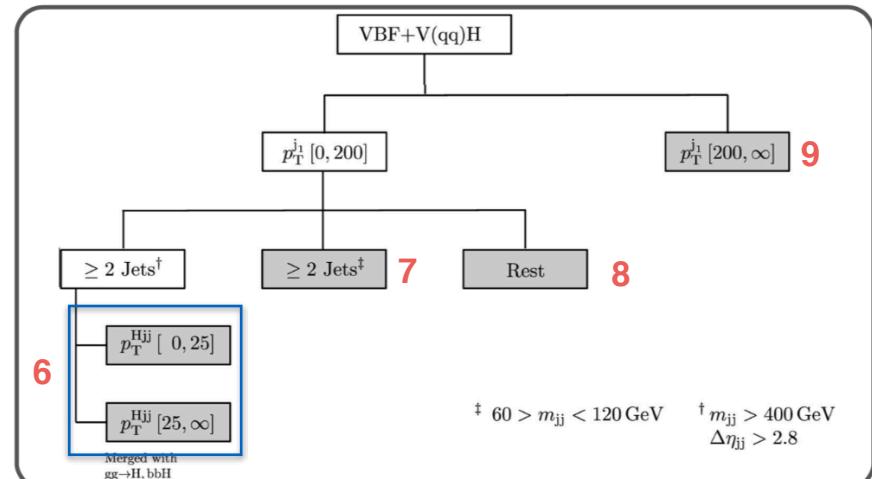
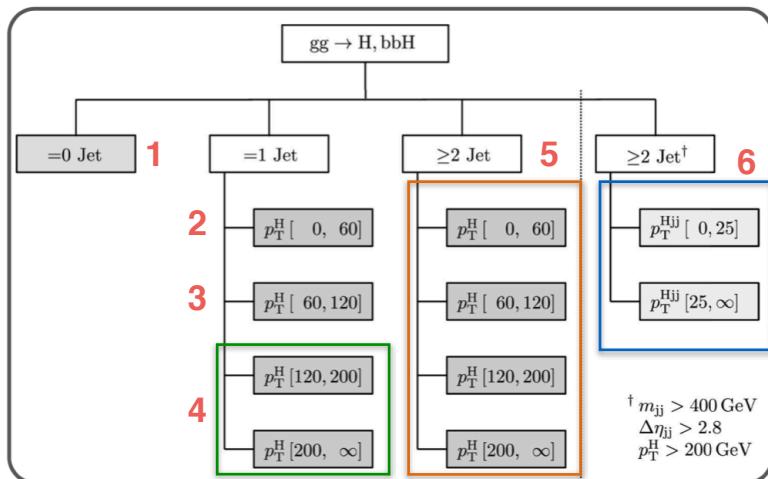
Process	Classes/Categories per final state			
	$e\mu$	$e\tau_h$	$\mu\tau_h$	$\tau_h\tau_h$
$gg \rightarrow H$	ggH (0.20)	ggH (0.23)	ggH (0.27)	ggH (0.54)
VBF	qqH (0.74)	qqH (0.72)	qqH (0.72)	qqH (0.57)
$Z \rightarrow \tau\tau$	ztt (0.52)	ztt (0.66)	ztt (0.63)	ztt (0.62)
QCD	qcd (0.45)	qcd (0.21)	qcd (0.17)	qcd (0.48)
$t\bar{t}$	tt (0.55)	tt (0.79)	tt (0.75)	
$Z \rightarrow \ell\ell$	$misc$ (0.24)	zll (0.55)	zll (0.53)	$misc$ (0.45)
W+jets		wj (0.43)	wj (0.51)	
Diboson	db (0.46)	$misc$ (0.21)	$misc$ (0.28)	
Single t	st (0.30)			

STXS stage 1 splitting

Due to low statistics/ sensitivity some **subcategories** have been merged and several **μ -values** are combined for the fit.

- High $p_T^H \mu$ -values of = 1 Jet in gluon fusion category
- All $p_T^H \mu$ -values of ≥ 2 Jet in gluon fusion category
- All μ -values of VBF topology

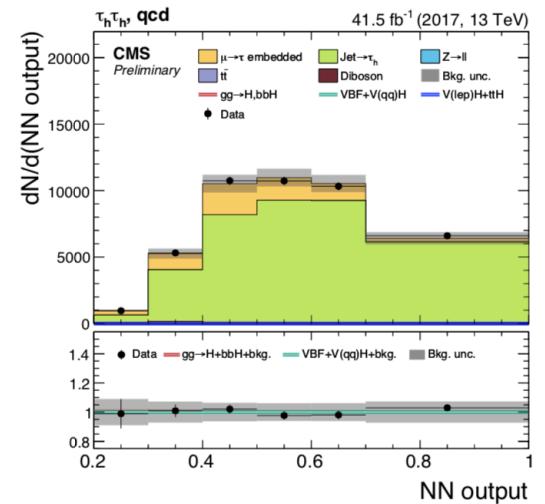
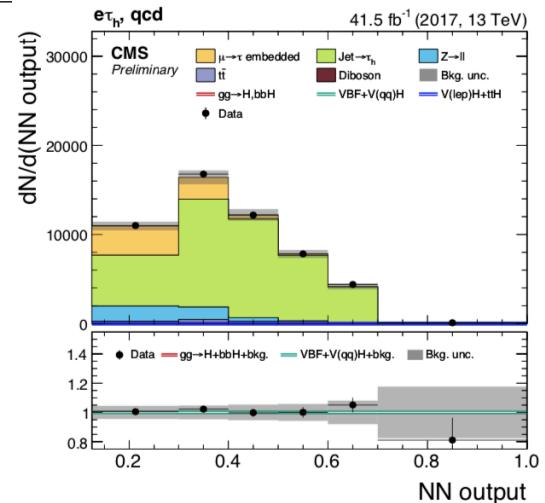
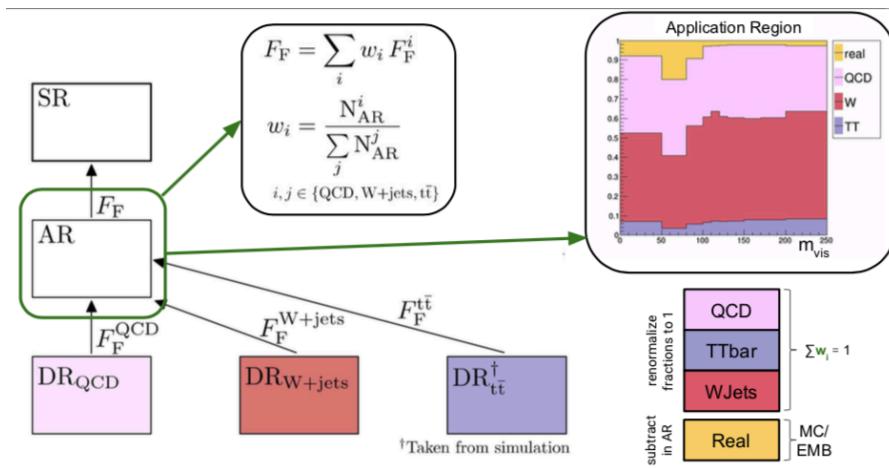
9 μ values measured



Fake factor method

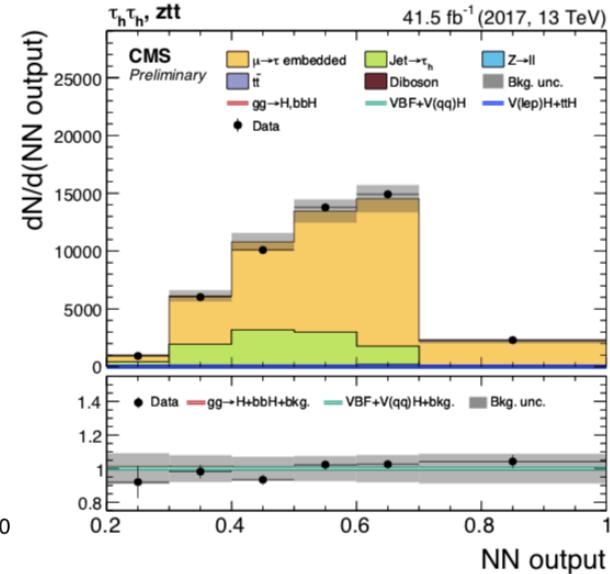
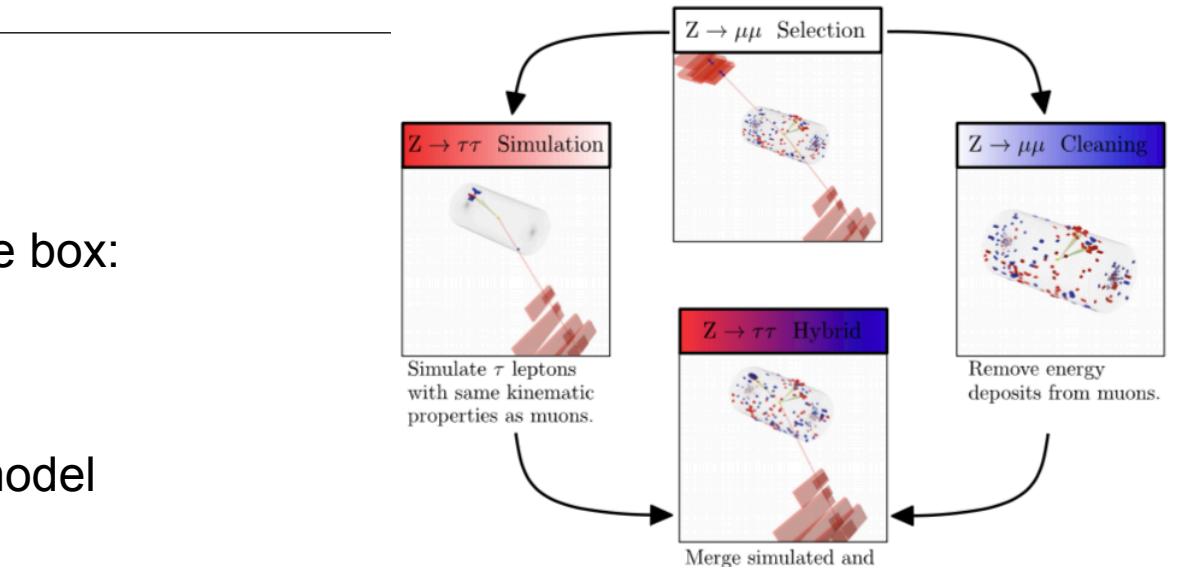
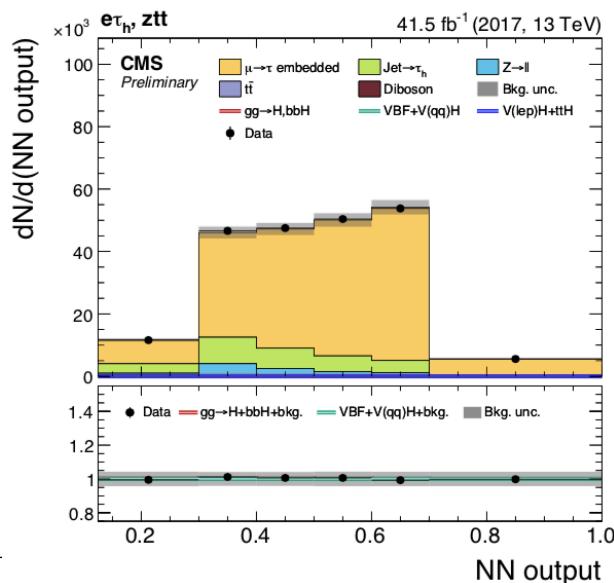
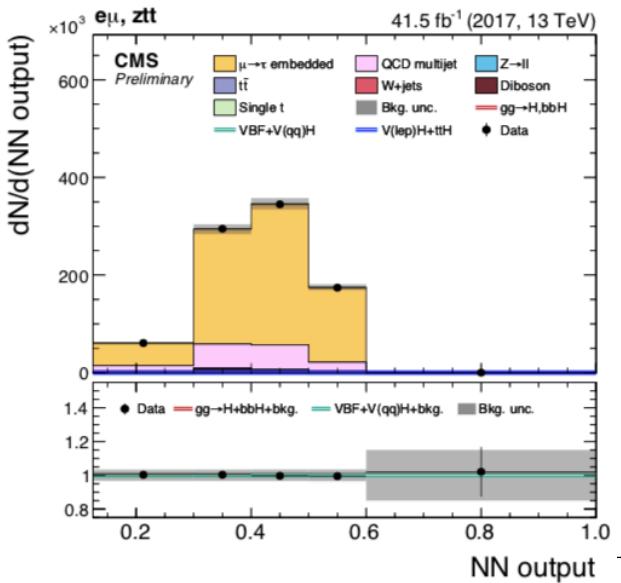
- tt, W+jets, QCD processes with jet->tau
- Fake factor for each background component:

$$FF_i = \frac{n \text{ isolated}}{n \text{ anti isolated}}$$

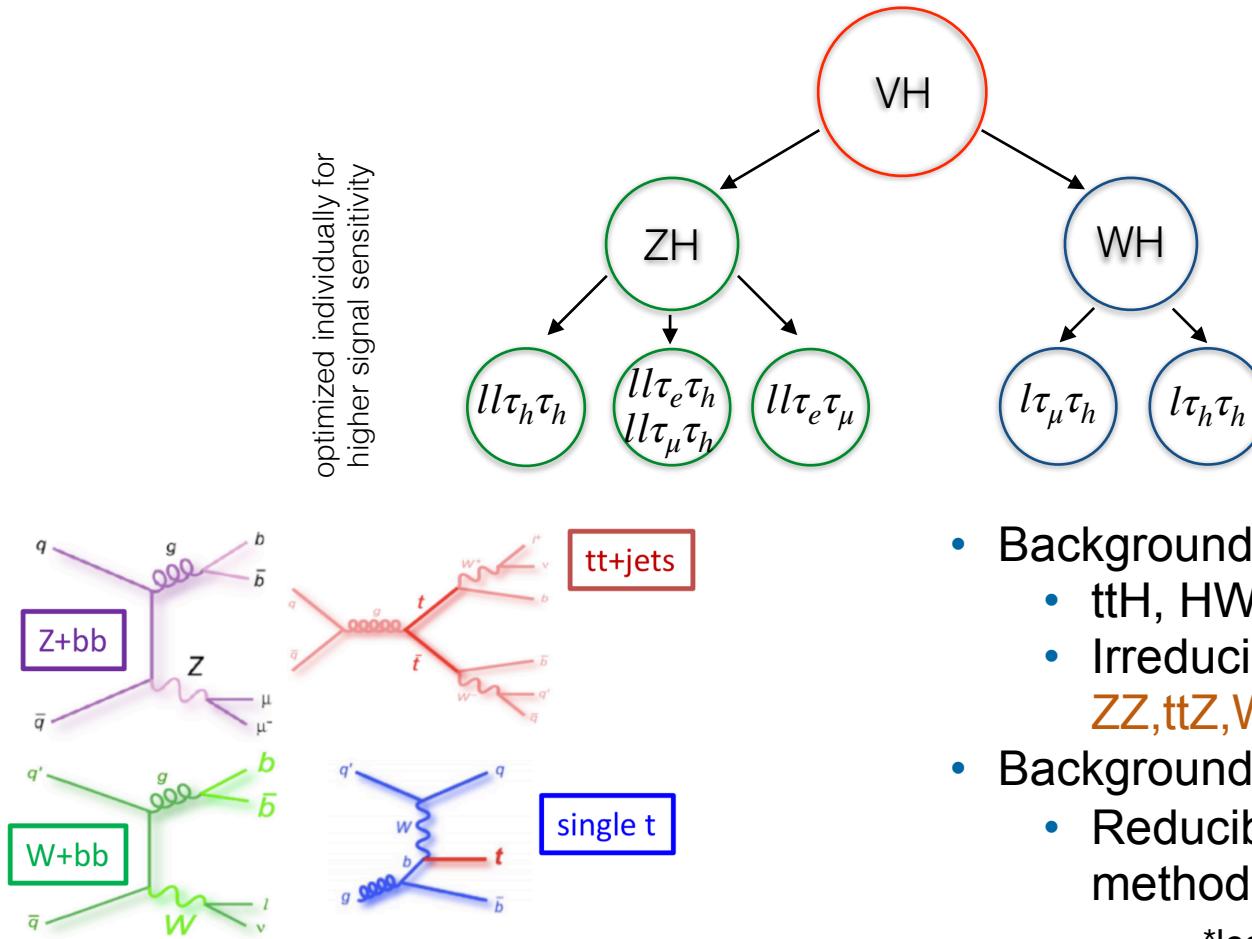


Embedding

- High statistics
- Better modeling out of the box:
 - MET
 - underlying event
 - jets etc.
- Orthogonal uncertainty model
- no theory uncertainties



Search for the associated VH production via Higgs boson decays to τ leptons

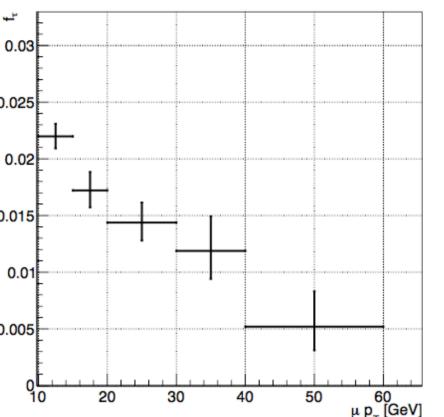
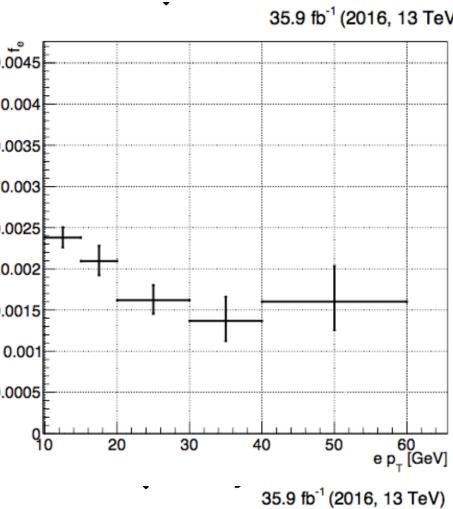
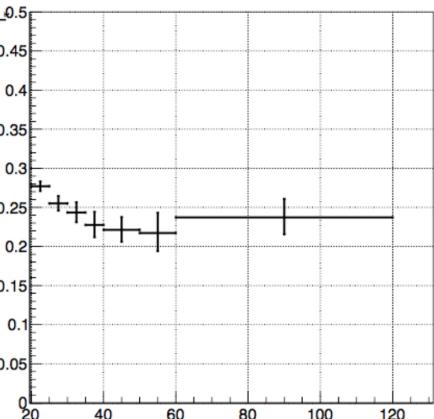


- Backgrounds from MC:
 - ttH, HWW, HZZ
 - Irreducible(WZ, ttW, ZZ, ZZ, ttZ, WWZ, WZZ, ZZZ)
- Backgrounds data-driven:
 - Reducible(jet- $\rightarrow\tau$): Fake rate method

*leading l1 from W; l1 and l2 SS

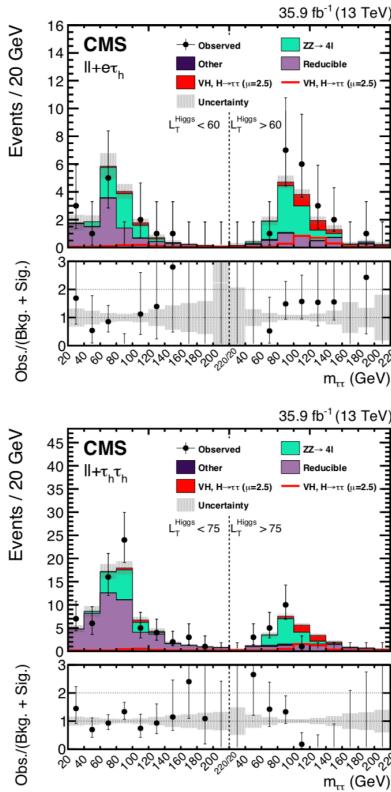
Fake rate

- FR is applied to leptons associated to H decay as fn of p_T
- Estimated from anti-isolated (semileptonic) or SS (for hadronic) data sample
 - contribution of prompt leptons estimated from MC are subtracted
- jet-> μ
 - using $Z(\text{ee})+j$
 - Denominator: Events passing baseline
 - Numerator: baseline & Medium muon ID and Iso < 0.15
- jet-> e/ τ
 - using $Z(\mu\mu)+j$
 - baseline selecting $Z \rightarrow \mu\mu$
 - e:
 - Denominator: $pT(e) > 10 \text{ GeV}$, $|\eta_e| < 2.5$
 - Numerator: MVA WP80 ID and Iso < 0.1
 - τ :
 - Denominator: VL anti-e, L anti- μ , VL MVA τ ID
 - Numerator: τ passes Medium/Tight/VTight MVA ID

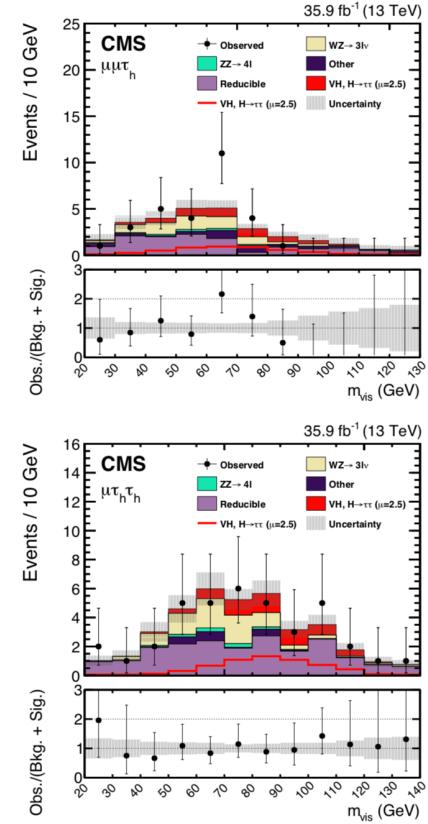
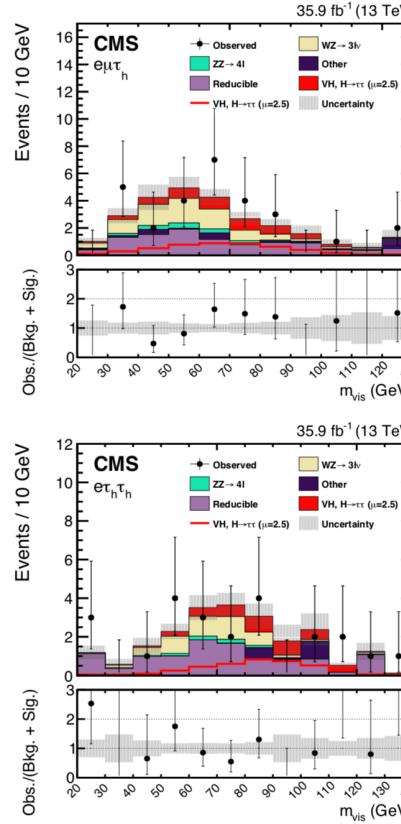
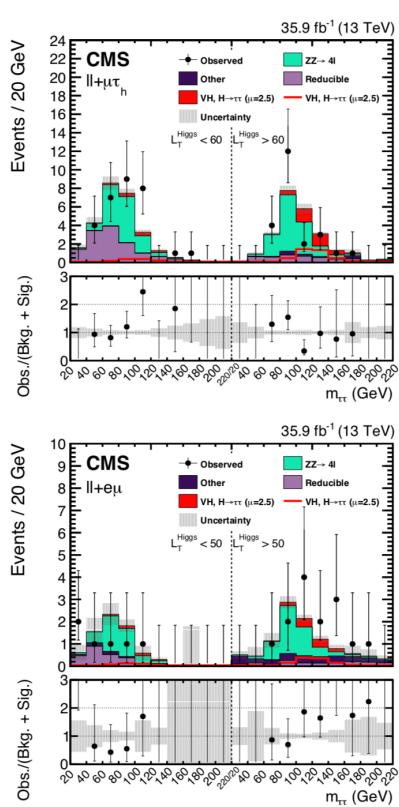


Post-fit mass distributions

ZH



WH



HVV anomalous couplings

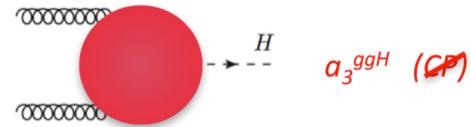
CP properties in Hgg have small effect on jet correlation: taken into account explicitly in CP fit (fa3) with f_{a3}^{ggH} floated

$$A(Hgg) \sim a_2^{gg} f_{\mu\nu}^{*(1)} f^{*(2)\mu\nu} + a_3^{gg} f_{\mu\nu}^{*(1)} f^{*(2)\mu\nu}$$

scalar (0+) pseudoscalar (0-)

- assumption that only the t quark contributes to the loop
- general parameterization

$$f_{a3}^{ggH} = \frac{|a_3^{ggH}|^2}{|a_2^{ggH}|^2 + |a_3^{ggH}|^2}$$



Optimal observables for HVV anomalous couplings

MELA package (Matrix Element Likelihood Approach):

- “Build discriminant for process A vs process B from ME bases probabilities”
- Using full kinematic
- Discriminant: ratio of probabilities
 - Distinguish contributions: SM, BSM, interference
- separate SM from BSM:

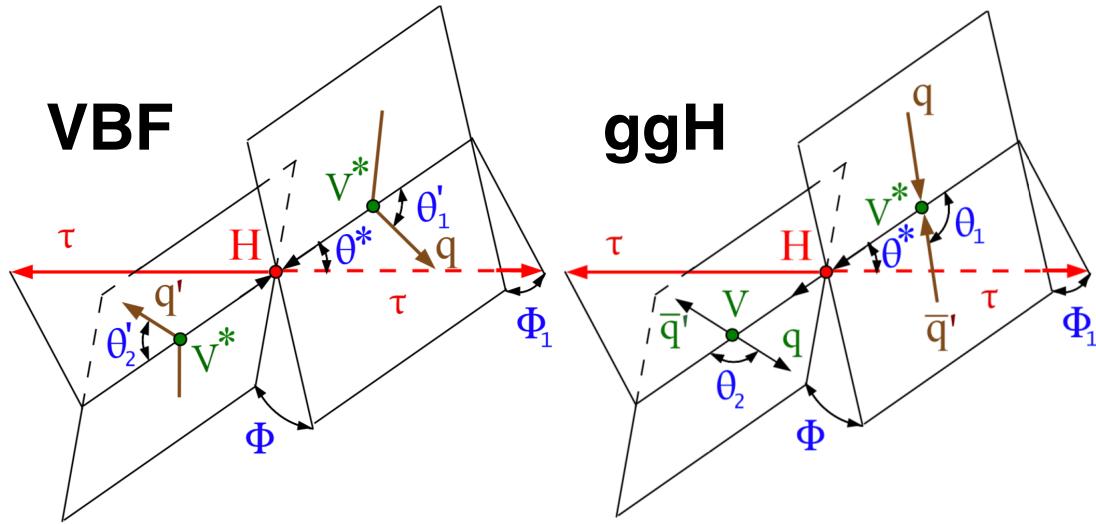
$$D_{BSM} = \frac{P_{SM}}{P_{SM} + P_{BSM}}$$

D_{0-} (4 bins) for f_{a3}

D_{0h+} (4 bins) for f_{a2}

$D_{\Lambda 1}$ (4 bins) for $f_{\Lambda 1}$

$D_{\Lambda 1}^{Z\gamma}$ (4 bins) for $f_{\Lambda 1}^{Z\gamma}$



Results

2016:

68[95]% CL

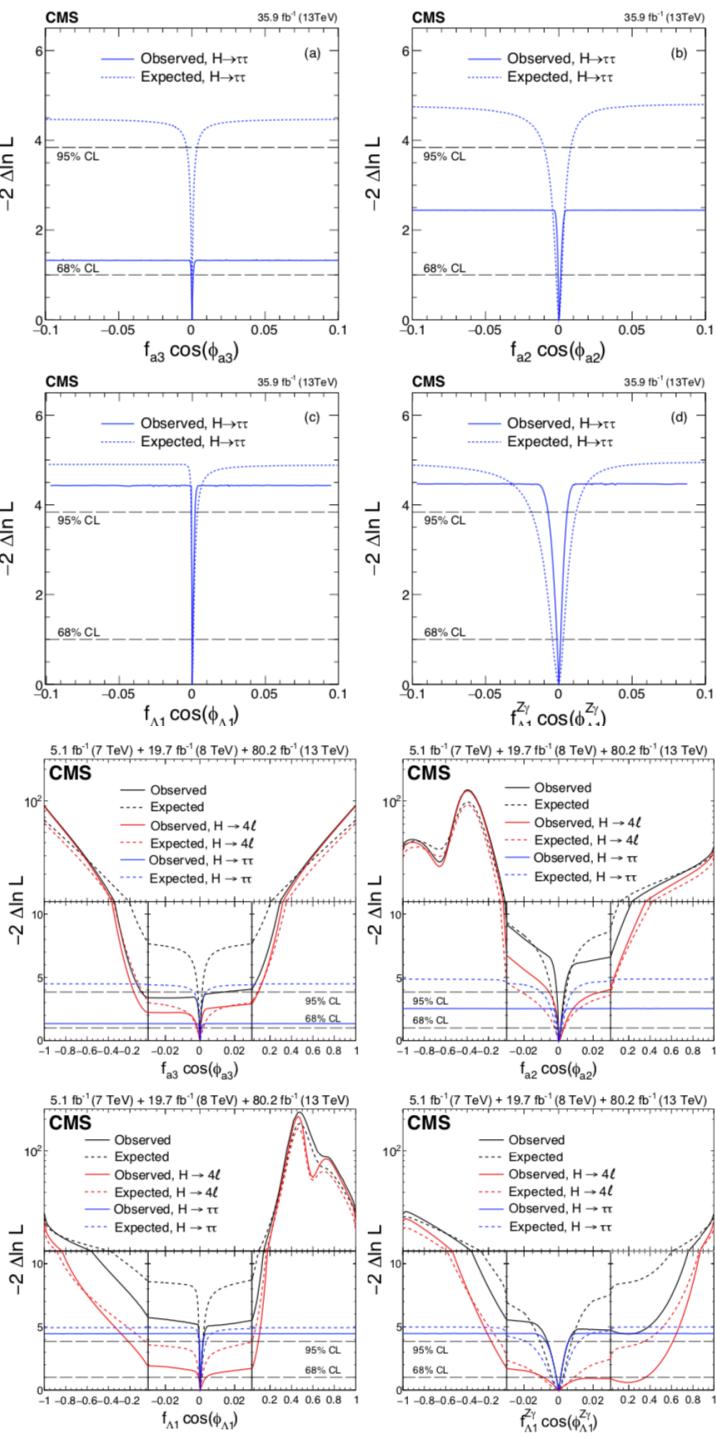
Parameter	Observed/ (10^{-3})	Expected/ (10^{-3})
$f_{a3} \cos(\phi_{a3})$	$0.00^{+0.93}_{-0.43} [-1000, 1000]$	$0.00 \pm 0.28 [-3.60, 3.60]$
$f_{a2} \cos(\phi_{a2})$	$0.0^{+1.2}_{-0.4} [-1000, 1000]$	$0.0^{+2.0}_{-1.8} [-10.0, 8.0]$
$f_{\Lambda 1} \cos(\phi_{\Lambda 1})$	$0.00^{+0.39}_{-0.10} [-0.4, 1.8]$	$0.00^{+0.75}_{-0.16} [-0.8, 3.6]$
$f_{\Lambda 1}^{Z\gamma} \cos(\phi_{\Lambda 1}^{Z\gamma})$	$0.0^{+1.2}_{-1.3} [-7.4, 5.6]$	$0.0^{+3.0}_{-4.5} [-19, 12]$

Best fit	μ_v	μ_f
for $f_{a3}=0$	0.55 ± 0.48	$1.03^{+0.45}_{-0.45}$
for $f_{a2}=0$	$0.72^{+0.48}_{-0.46}$	$0.89^{+0.43}_{-0.37}$
for $f_{\Lambda 1}=0$	$0.92^{+0.44}_{-0.45}$	$0.82^{+0.46}_{-0.38}$
for $f_{\Lambda 1}^{Z\gamma}=0$	$0.94^{+0.48}_{-0.46}$	0.79 ± 0.46

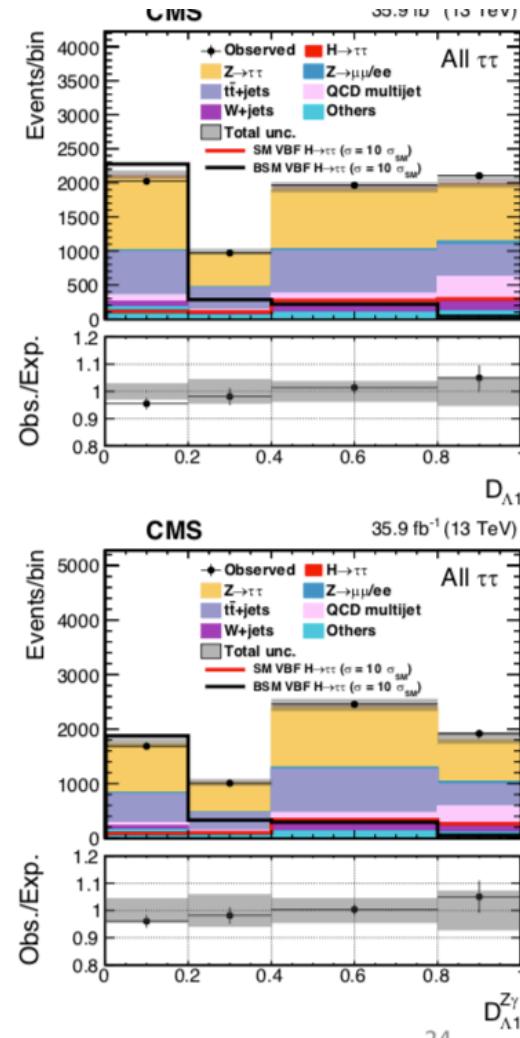
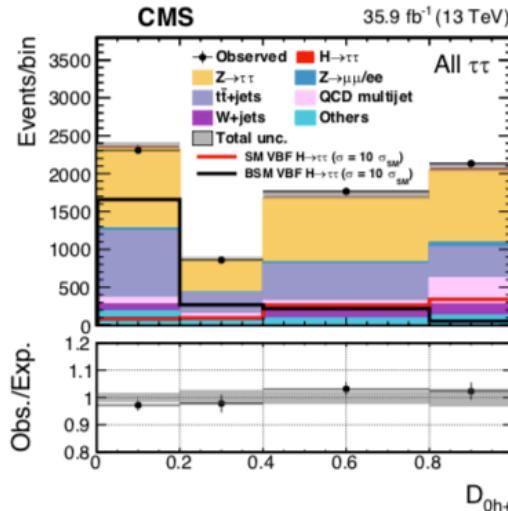
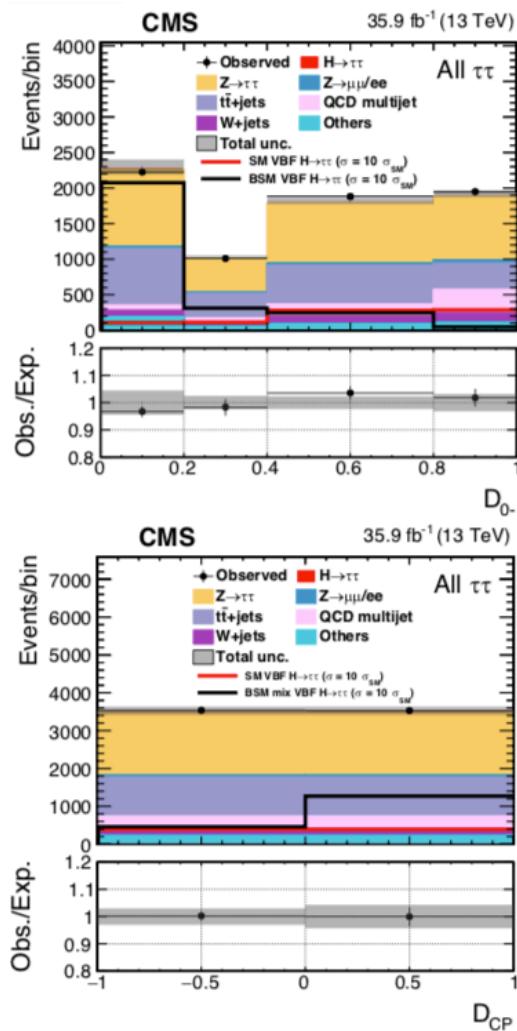
Combination:

68[95]% CL

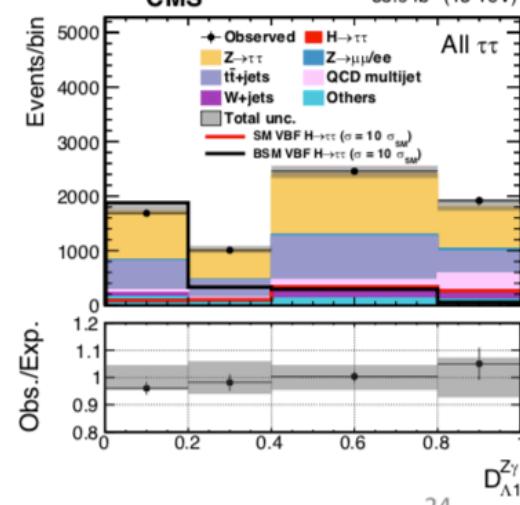
Parameter	Observed/ (10^{-3})	Expected/ (10^{-3})
$f_{a3} \cos(\phi_{a3})$	$0.00 \pm 0.27 [-92, 14]$	$0.00 \pm 0.23 [-1.2, 1.2]$
$f_{a2} \cos(\phi_{a2})$	$0.08^{+1.04}_{-0.21} [-1.1, 3.4]$	$0.0^{+1.3}_{-1.1} [-4.0, 4.2]$
$f_{\Lambda 1} \cos(\phi_{\Lambda 1})$	$0.00^{+0.53}_{-0.09} [-0.4, 1.8]$	$0.00^{+0.48}_{-0.12} [-0.5, 1.7]$
$f_{\Lambda 1}^{Z\gamma} \cos(\phi_{\Lambda 1}^{Z\gamma})$	$0.0^{+1.1}_{-1.3} [-6.5, 5.7]$	$0.0^{+2.6}_{-3.6} [-11, 8.0]$



Optimal observables for HVV anomalous

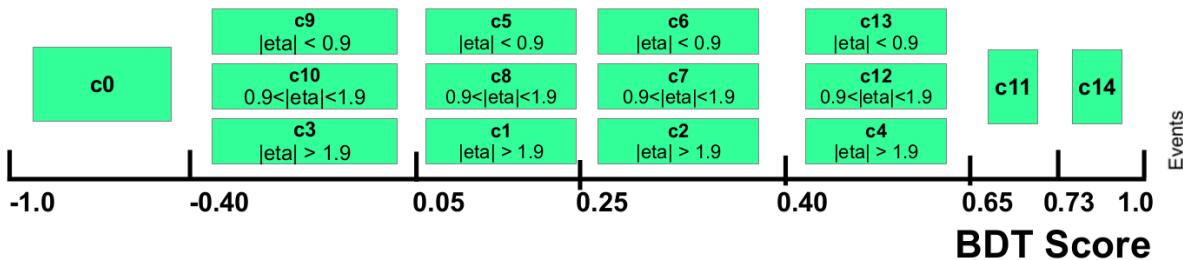


Postfit distributions
of observables



H \rightarrow $\mu\mu$ - Results

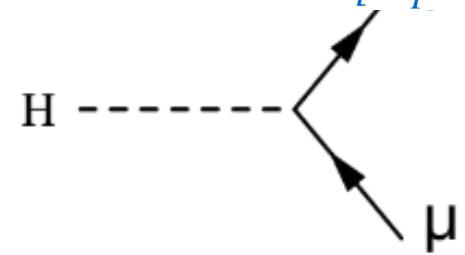
- New • Run2 expected upper limit improved >3x compared to Run1 7.4(6.5) obs.[exp.]
- New • BDT categorization used to improve signal sensitivity



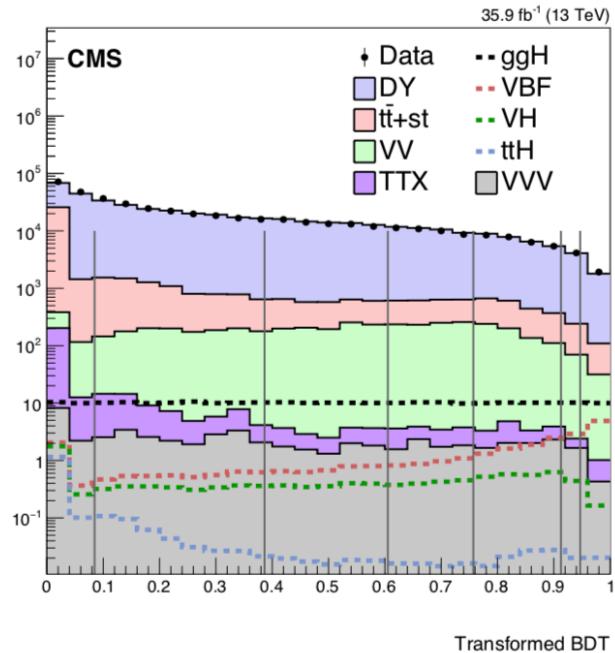
BDT Features :

indico: “Higgs
boson rare and
exotic decays
at CMS”

$p_T(\mu^+\mu^-)$	$\eta(j_1)$	nJetsCent
$\eta(\mu^+\mu^-)$	$\eta(j_2)$	nJetsFwd
$ \Delta\eta(\mu^+\mu^-) $	$ \Delta\eta(j_1, j_2) $	nBMed
$ \Delta\phi(\mu^+\mu^-) $		MET



$$mBW(x) = \frac{e^{a_2 x + a_3 x^2}}{(x - m_Z)^{a_1} + \left(\frac{\Gamma_Z}{2}\right)^{a_1}}$$



H \rightarrow $\mu\mu$ - Results

- best fit signal strength:

$$\hat{\mu}_{125} = 0.7 \pm 1.0(\text{ stat })^{+0.2}_{-0.1}(\text{ syst })$$

Combination

$$\hat{\mu}_{125}^{\text{comb}} = 1.0 \pm 1.0(\text{ stat }) \pm 0.1(\text{ syst })$$

- About 400 fb $^{-1}$ estimated for 3 σ

