Production Measurements of Quarkonium and Heavy Flavour at ATLAS

James Walder
 On behalf of the ATLAS Collaboration

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Overview

- ## Heavy Flavour Production

  – Studies of heavy flavour production of $b\bar{b}$ pairs

  JHEP 11 (2017) 62   *Phys. Rev. D 99 (2019) 052004*

- ## Spectroscopy

  – First observation of an excited B_c meson   *PRL 113 212004 (2014)*

- ## Production of Quarkonium

  – Quarkonia in p-p and p-Pb collisions   *Eur. Phys. J. C 78 (2018) 171*

  – di–J/ψ Production:

    - Prompt di–J/ψ production (8 TeV)   *Eur. Phys. J. C77 (2017) 76*

Measurements of $b\bar{b}$ pair production

1) Measurement of b-hadron pair production with J/ψ + μ (8 TeV)

JHEP 11 (2017) 62

2) Properties of $g \rightarrow b\bar{b}$ at small opening angles (13 TeV)

Phys. Rev. D 99 (2019) 052004

1) Production of *b*-hadron pairs

- Important background of processes such as V + Higgs($\to b\bar{b}$)

  - Small ΔR between *b*-hadrons

  - Access to this regime challenging from di-jet measurements

- Fiducial volume:

  - $pT(\mu) > 6 \text{ GeV}, \ |\eta \ (\mu^{J/\psi}) \ | < 2.3, \ |\eta(\mu)^3| < 2.5;$

- One b-hadron identified in $b \to J/\psi + X$

  - Non-prompt J/ψ yields from mass-lifetime fit;

- Other from a third muon: $b \to \mu + X$

  - Simultaneous fit to d_0 significance x BDT output
    to extract third-muon yields

- Irreducible backgrounds subtracted out,
  e.g. Bc $\to$ J/ψ + μ + X using simulation
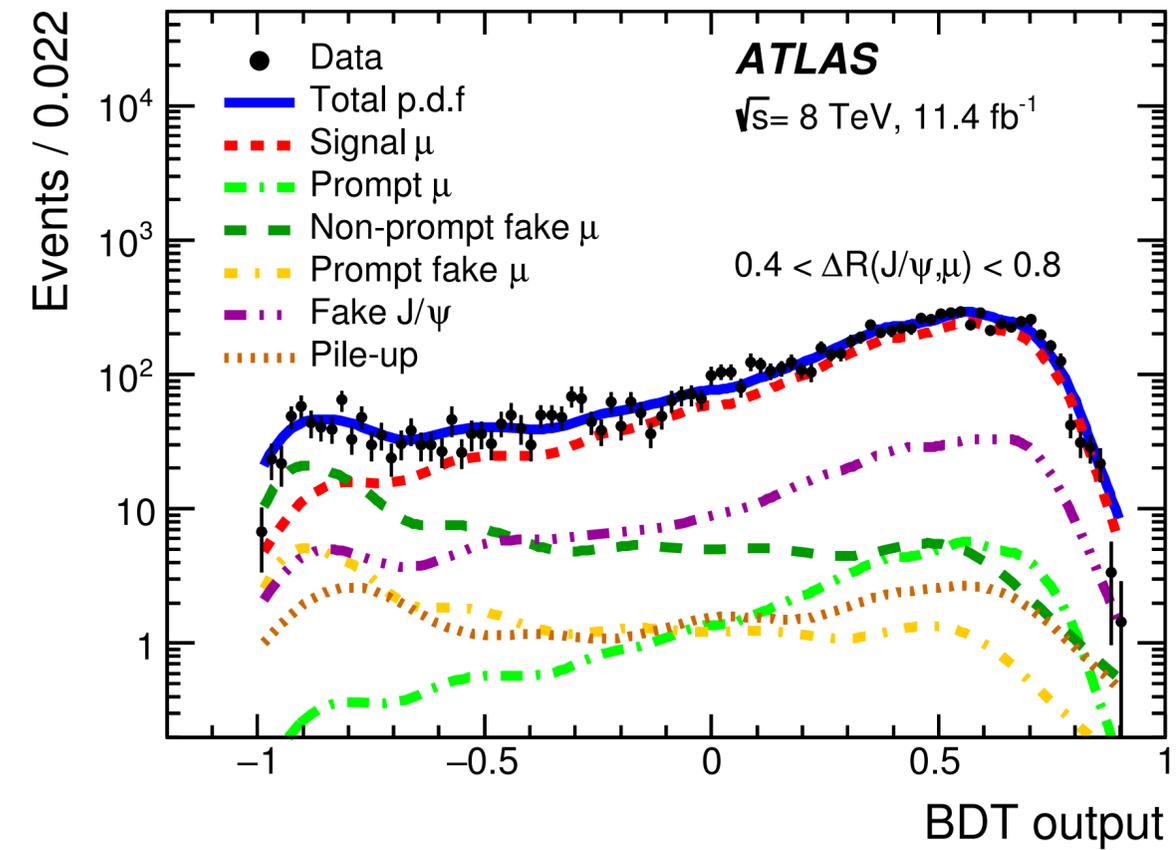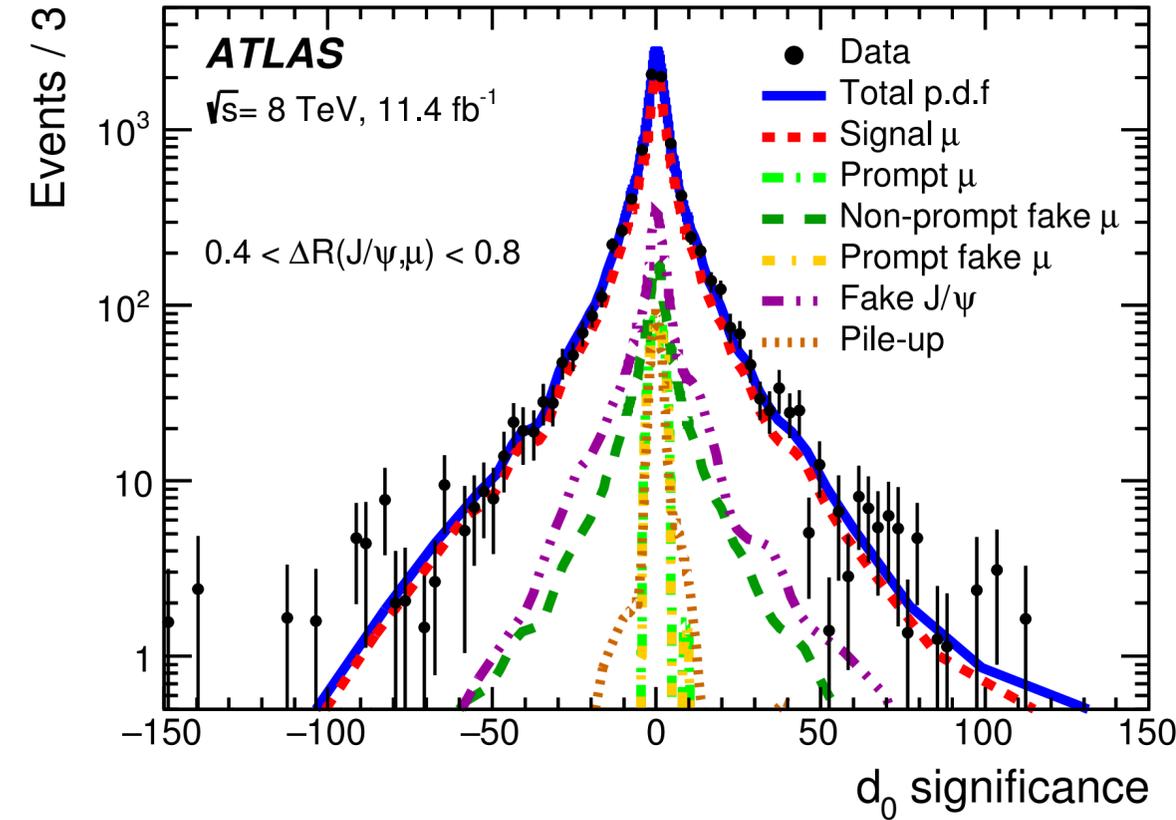
- Total fiducial cross-section: pT(μ) > 6GeV, |η (μ$^{J/\psi}$) | < 2.3, |η(μ)³| <2.5;

- $\sigma(B \to J\psi(\mu\mu) + X, B \to \mu + X) = 17.7 \pm 0.1(\text{stat}) \pm 2.0(\text{syst}) \text{ nb}$
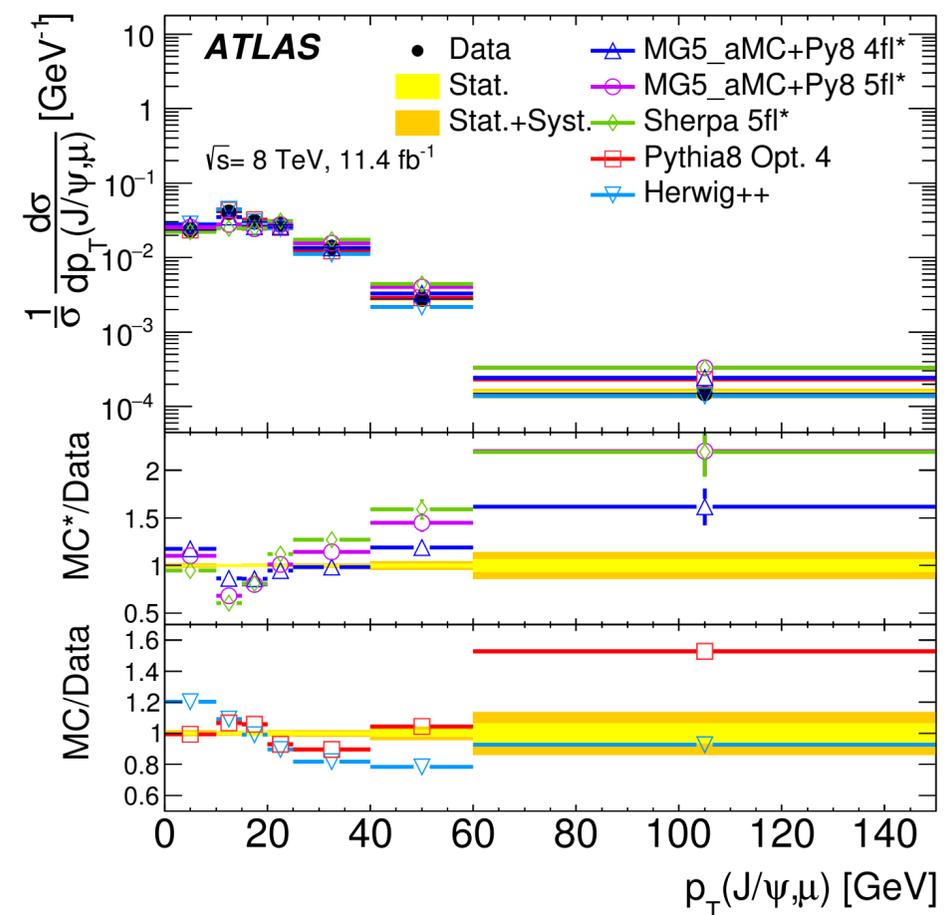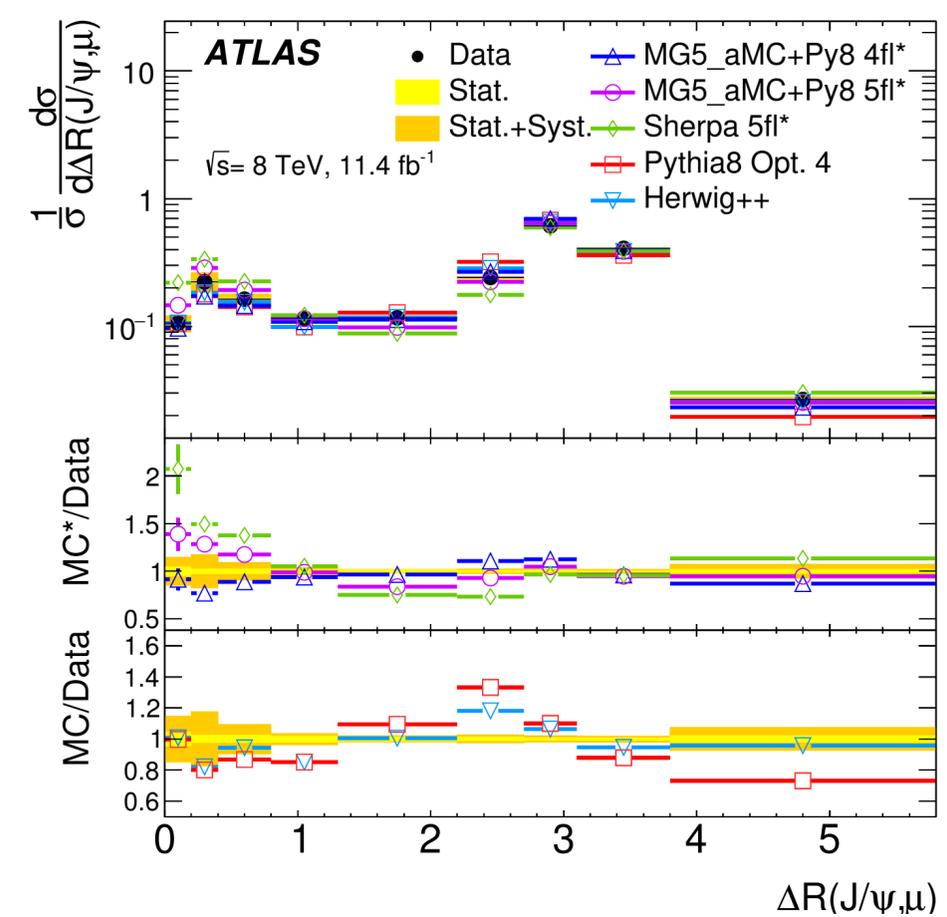
- Differential cross-section provided as a function of 10 kinematic variables describing the $b\bar{b}$ system.

- Pythia8 tunes don't well describe the angular shapes

  – Pythia8 pT-splitting kernel (opt. 4) closest agreement.
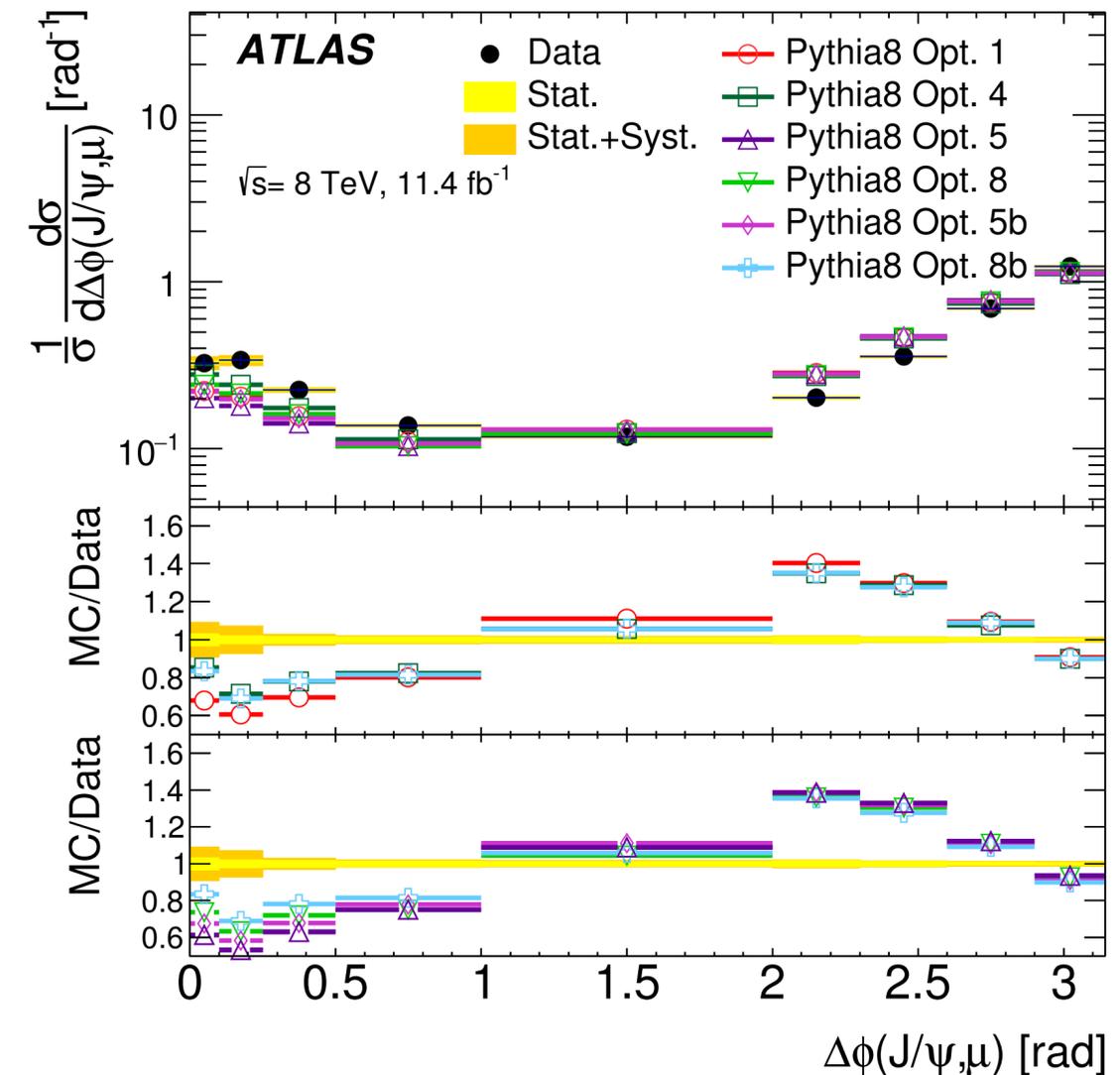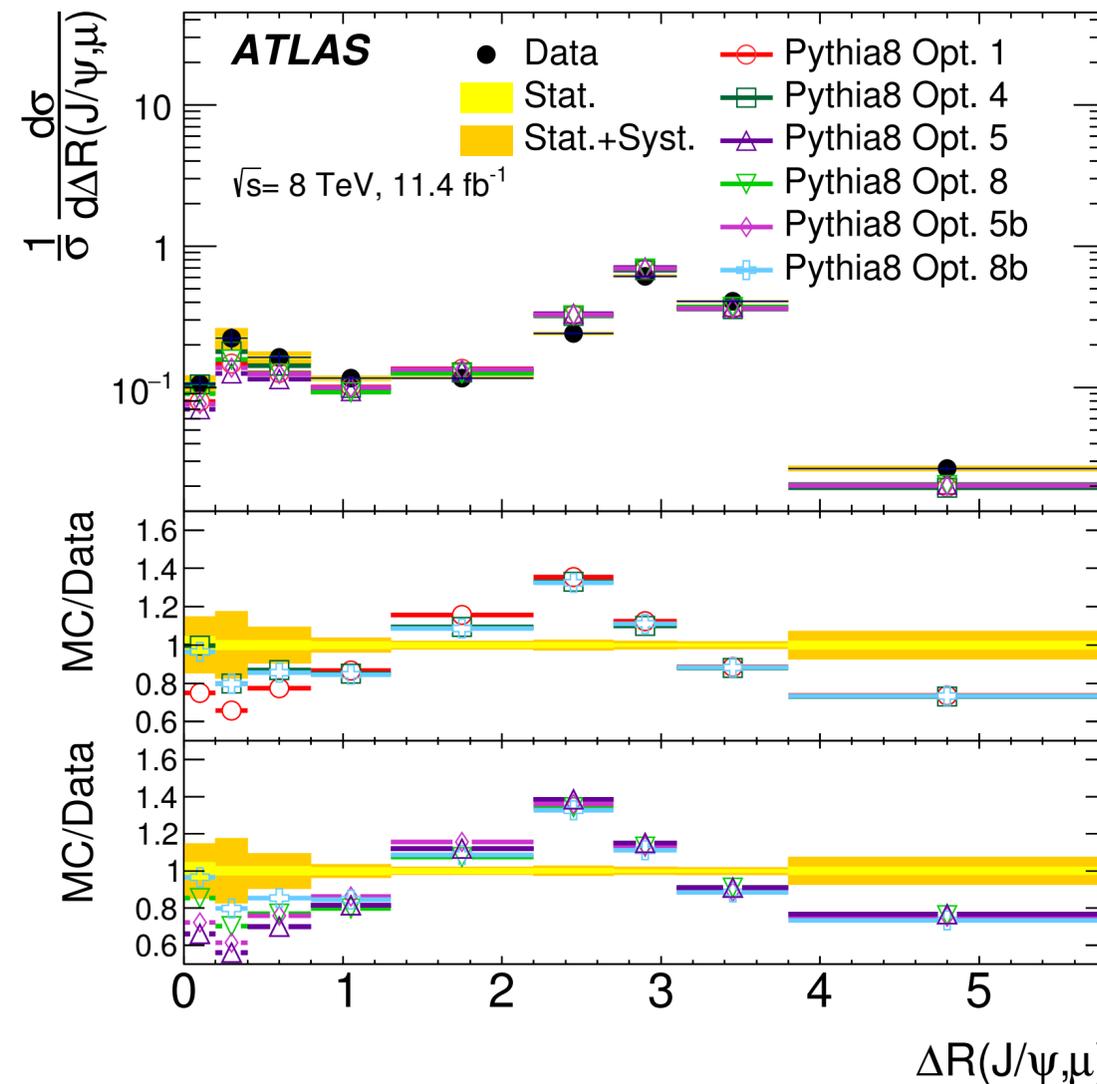
Generator comparisons

- $g \to b\bar{b}$ splitting kernel options tested for Pythia 8

  – Pythia8 pT-splitting kernel (and similarly Herwig++) gives closest agreement.

- In the comparisons of generators:

  – Four flavour MadGraph5_aMC@NLO+Pythia8 gives best performance overall.

– data collected (especially at small ΔR) useful in constraining future measurements.

  – Full results made available on HepData.

- Study of modelling of fragmentation of $g \to b\bar{b}$ using high-pT jets with 33fb^{-1} of 13 TeV data

- R=1.0 anti-kT jet, pT>450 GeV from calibrated topological calorimeter-cell clusters

- Two R=0.2 track-based jets (anti-kT) pT>10 GeV associated to the large-R jet required.

  – Leading jet with b-tag requirement (MV2c10) at 60% nominal efficiency working point.

- Differential distributions presented for
  – $\Delta R(b, b) = \sqrt{\Delta \phi(b,b)^2 + \Delta \eta(b,b)^2}$
  – $z(p_\mathrm{T}) = p_{\mathrm{T},2}/(p_{\mathrm{T},1} + p_{\mathrm{T},2})$
  – $\Delta \theta_{\mathrm{ppg,gbb}}$ (sensitive to orientation of gluon splitting)
  – $\log(m_{bb}/p_\mathrm{T})$ (m$_{bb}$ important observable in high-mass searches)
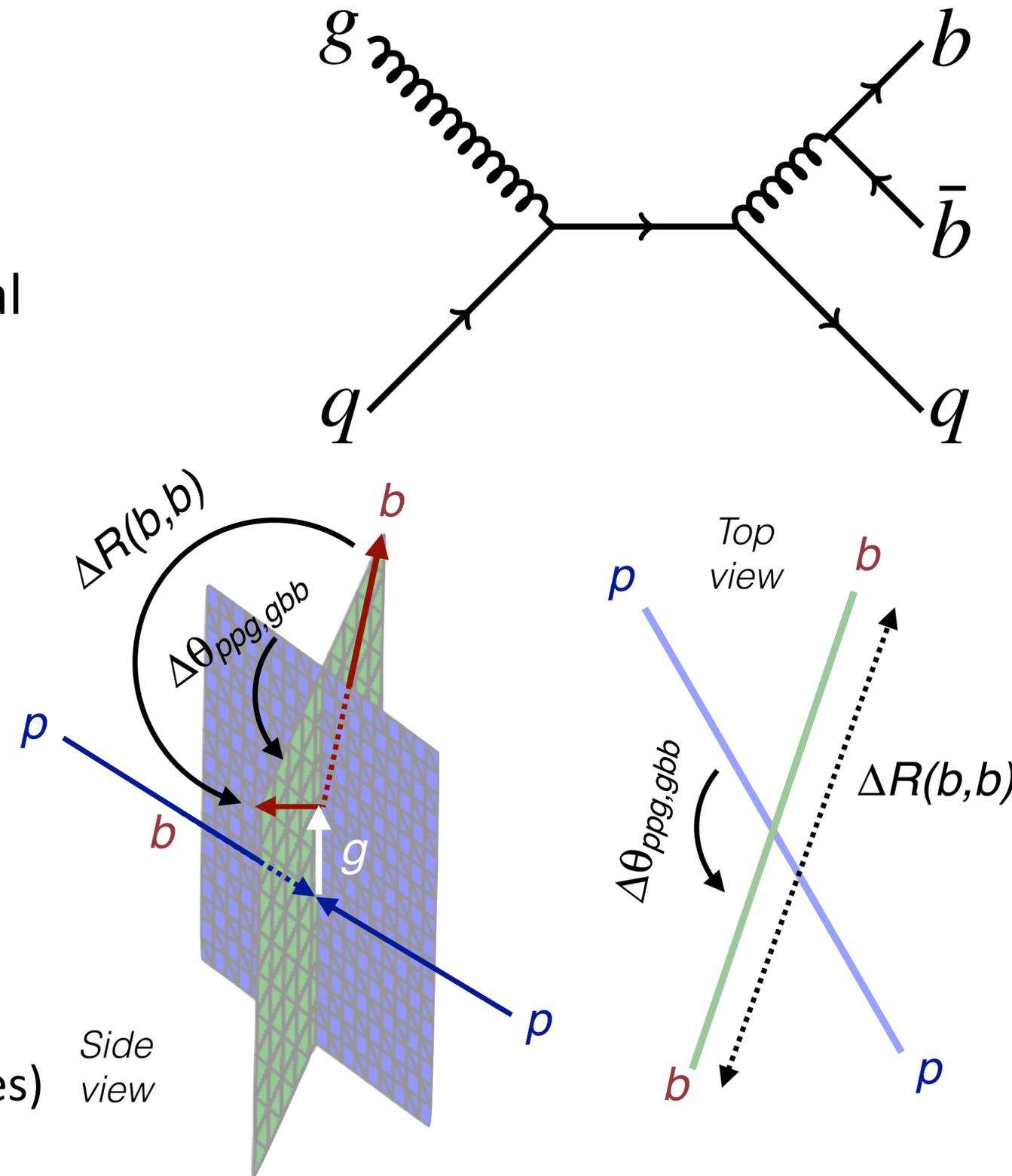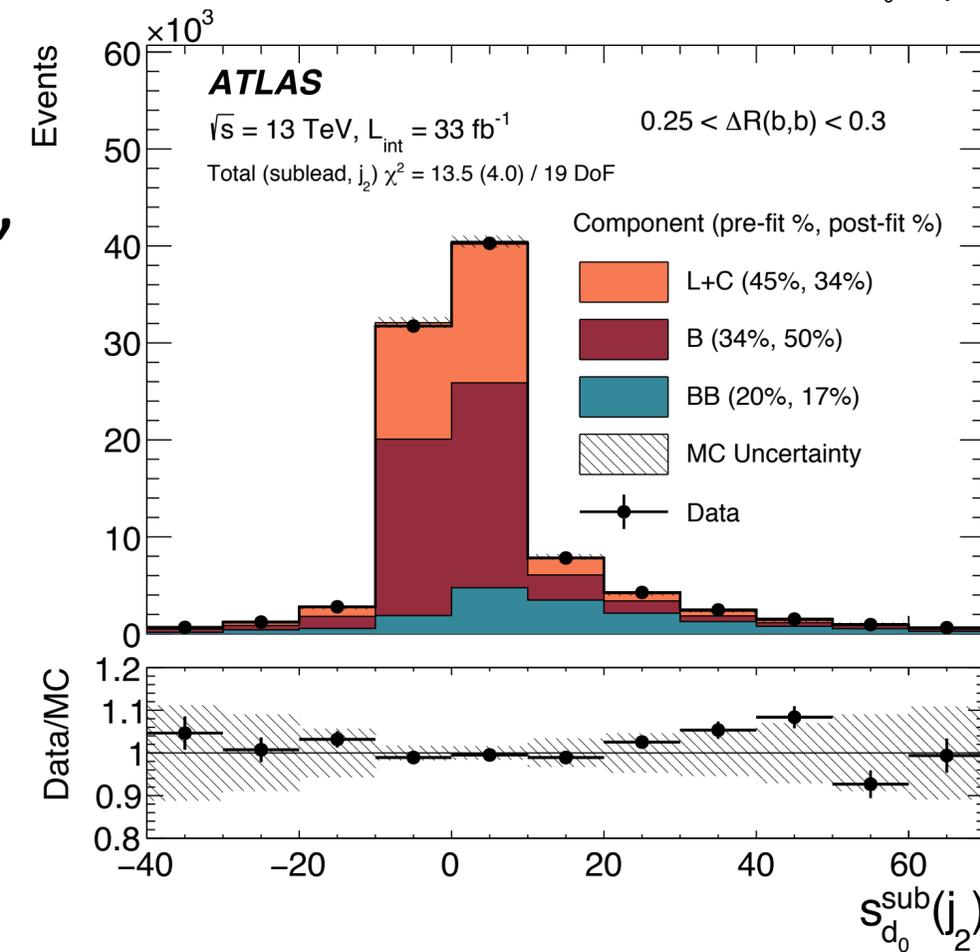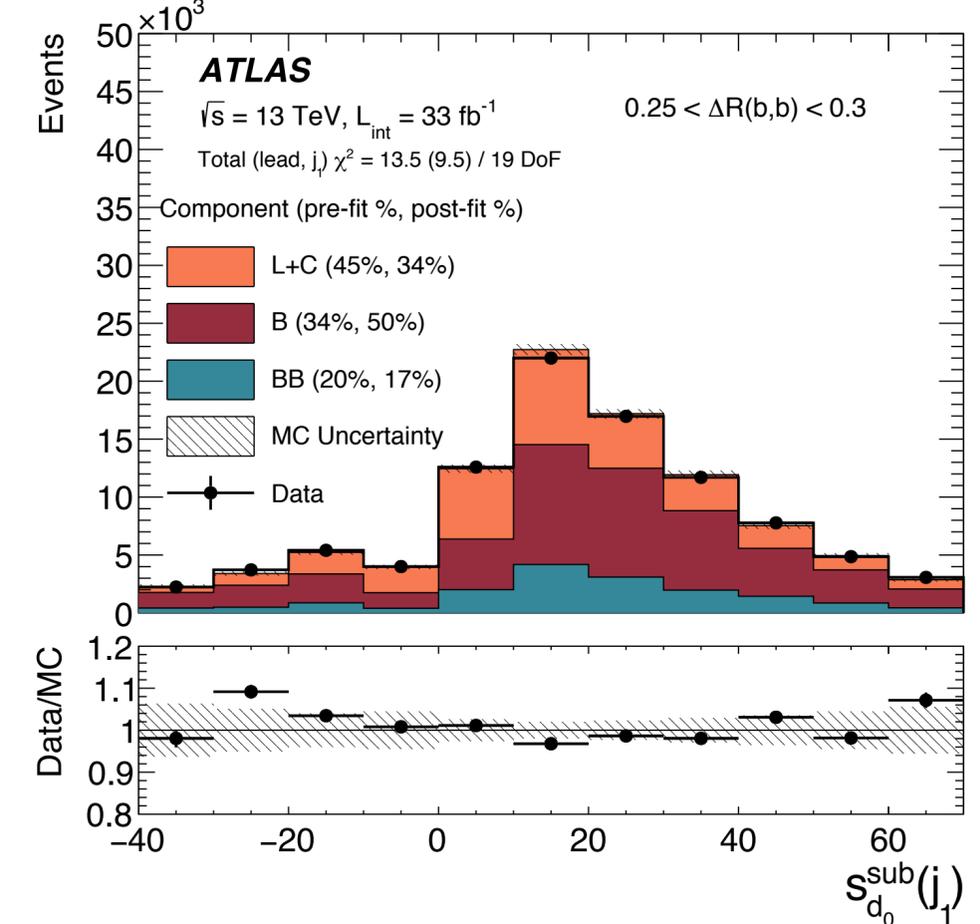
Signal and background estimation

- MC templates normalised to data:
  - signed transverse impact parameter significance (**s$_{d0}$**) distributions plotted in each differential bin.
  - For each jet, the sub-leading track (ordered by |**s$_{d0}$**|) is used

- Signal (BB), single b-hadron (B) and other backgrounds (L+C) plotted and simultaneous fit (s$_{d0}$(j$_1$) $\times$ s$_{d0}$(j$_2$)) performed

  - Fractions of the contributions

- Data are unfolded using Iterative back to the particle level
  Results systematics limited; dominated uncertainty from theory modelling.

ATLAS
$\sqrt{s}$ = 13 TeV, L$_{int}$ = 33 fb^{-1} 0.25 < ΔR(b,b) < 0.3
Total (lead, j$_1$) χ^2 = 13.5 (9.5) / 19 DoF
Component (pre-fit %, post-fit %)
- L+C (45%, 34%)
- B (34%, 50%)
- BB (20%, 17%)
- MC Uncertainty
- Data

Events — Data/MC — s$_{d0}^{sub}$(j$_1$)

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	$\Delta R(b,b)$	$\Delta\theta_{\mathrm{ppg,gbb}}$	$z(p_T)$	$\log(m_{bb}/p_T)$
Calorimeter jet energy	2–3%	2–3%	2–6%	2–4%
Flavor tagging	<1%	<1%	<1%	<1%
Tracking	1–2%	1–2%	2–4%	1–2%
Background fit	1%	1%	1–2%	2%
Unfolding method	2–3%	2%	2–4%	2–5%
Theoretical modeling	3–10%	2–13%	3–10%	4–11%
Statistical	1%	1%	2%	1%
Total	3–10%	3–10%	3–14%	4–12%

Events — Data/MC — s$_{d0}^{sub}$(j$_1$)

ATLAS
$\sqrt{s}$ = 13 TeV, L$_{int}$ = 33 fb^{-1} 0.25 < ΔR(b,b) < 0.3
Total (sublead, j$_2$) χ^2 = 13.5 (4.0) / 19 DoF
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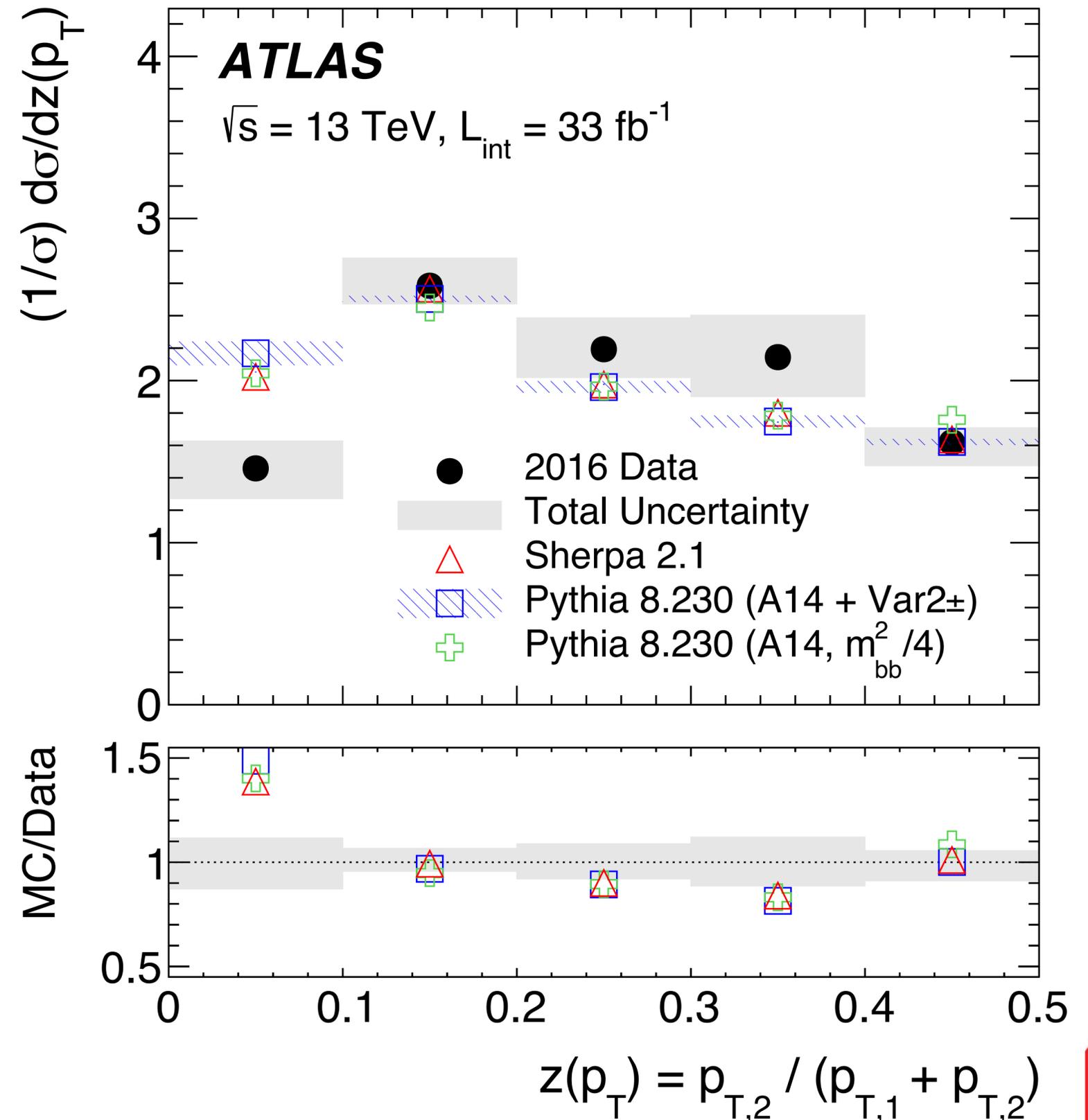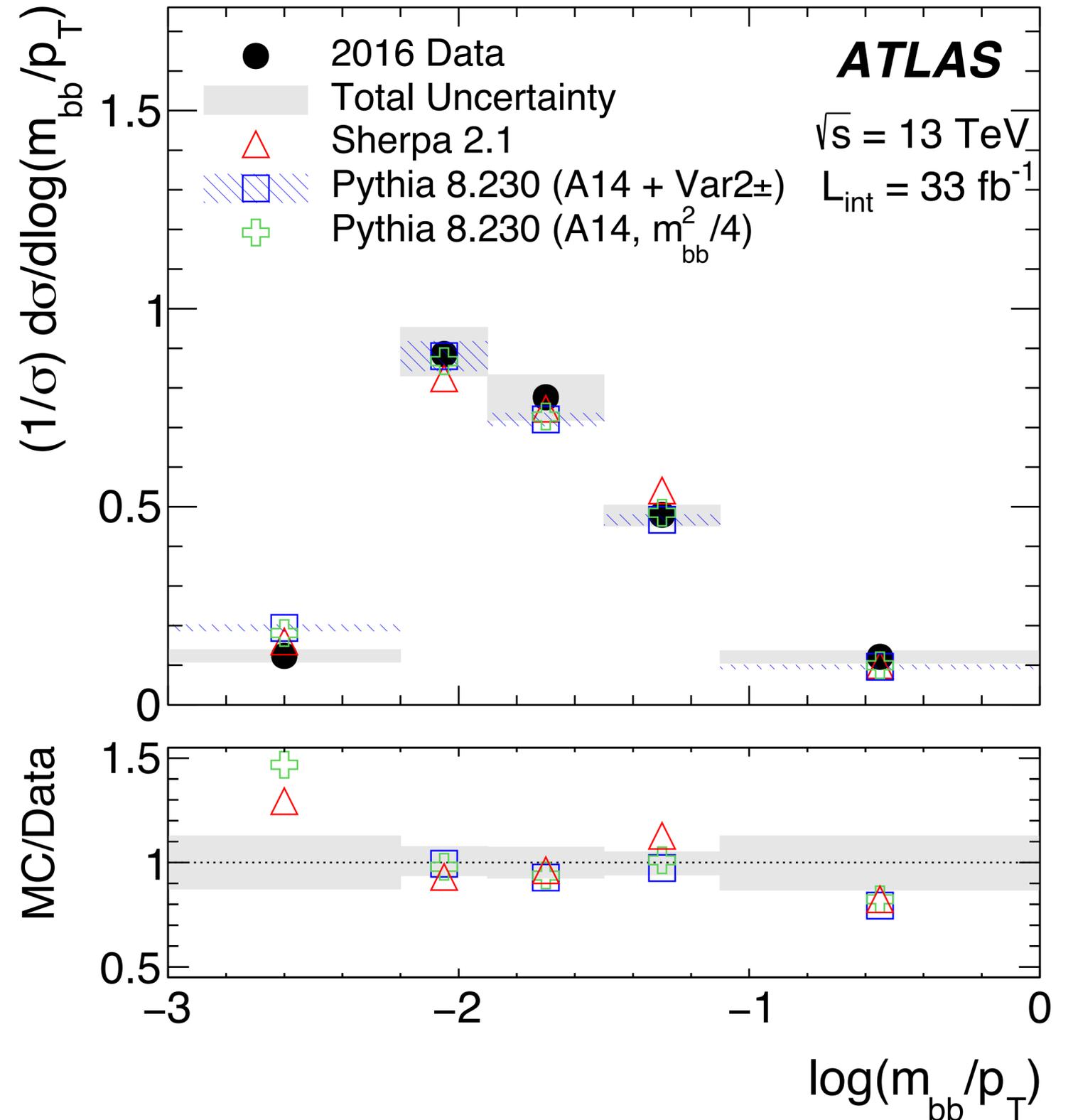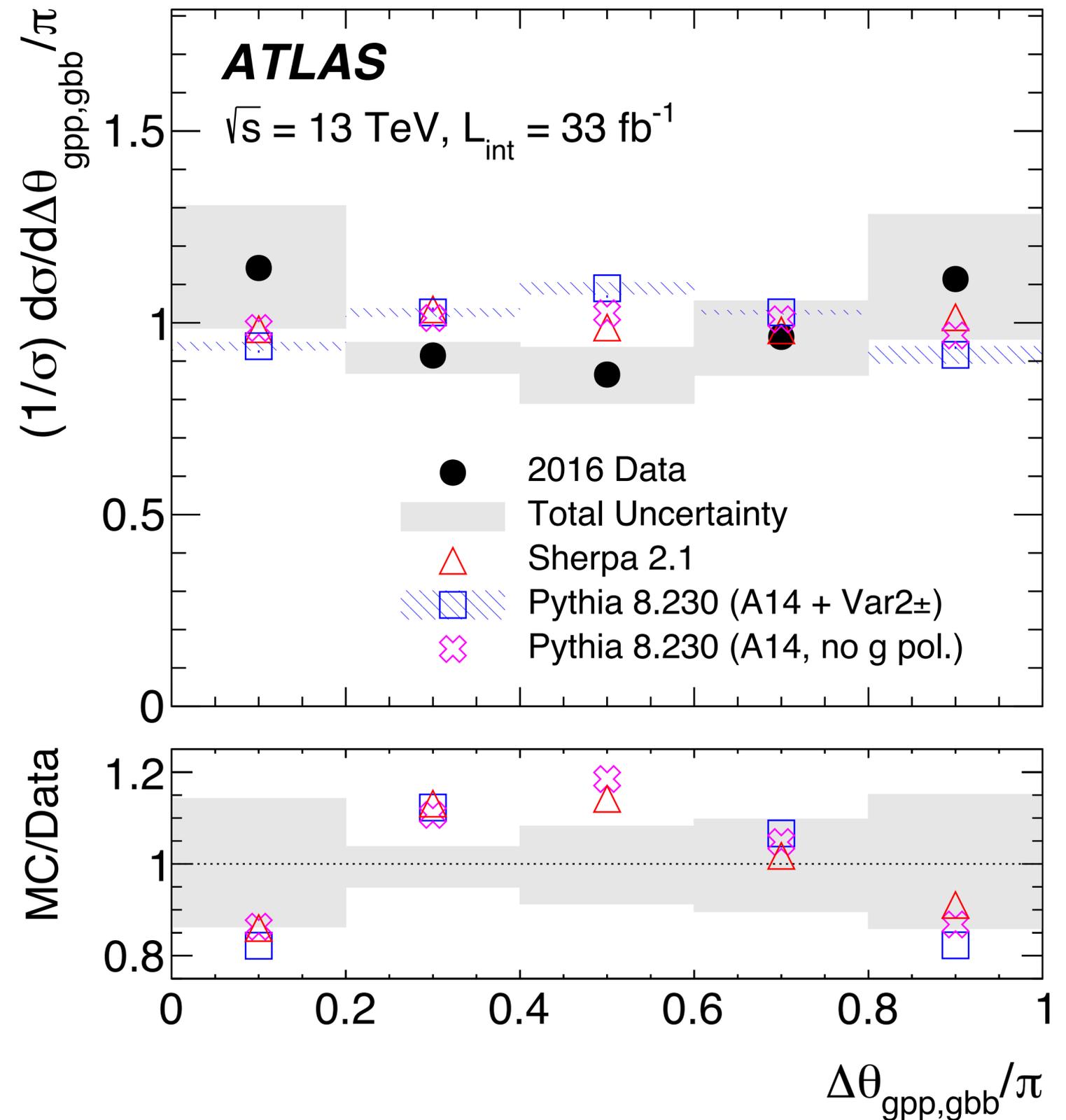- Data

Events — Data/MC — s$_{d0}^{sub}$(j$_2$)

Results and comparisons

- Unfolded differential distributions
  - Compared to Sherpa 2.1 and Pythia 8 (under two different fragmentation variations: $m^2_{bb}/4$ splitting kernel (cf pT^2_{bb}) and Var2+A14 variation ($\alpha_s(M_z) = 0.139$) *A14 tunes*

- Sherpa generally in better agreement

- Deviations at low z(pT), low masses and all $\Delta\theta_{ppg,gbb}$.

- Future measurements with $\Delta\theta_{ppg,gbb}$ may help to constrain properties of gluon polarisation in unpolarised hadrons

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Observation of an excited $B_c(2S)$ state

- First observation of excited production of B_c meson

- Combined run-1 4.9fb^{-1} (7 TeV), 19.2fb^{-1} (8 TeV)

  – Separate optimisation for each dataset;

- Ground state $B_c^+ \to J/\psi(\mu\mu)\,\pi^+$:

Data	Signal events	Peak mean [MeV]	Peak width [MeV]
7 TeV	100±23	6282±8	49±12
8 TeV	227±25	6277±6	50±8

- Excited state observed through decay with 2 additional pions from primary vertex: Bc(2S) -> Bc π⁺π⁻

- Constrain resolution effects with
  $Q = m(B_c\pi\pi) - m(J/\psi\pi) - 2m(\pi)$

  – Structure observed:

  – $Q = 288.3 \pm 3.5 \pm 4.1 \ \mathrm{MeV}$ (from weighted average of the two datasets)

- Mass of 6842 ± 4 ± 5 MeV.
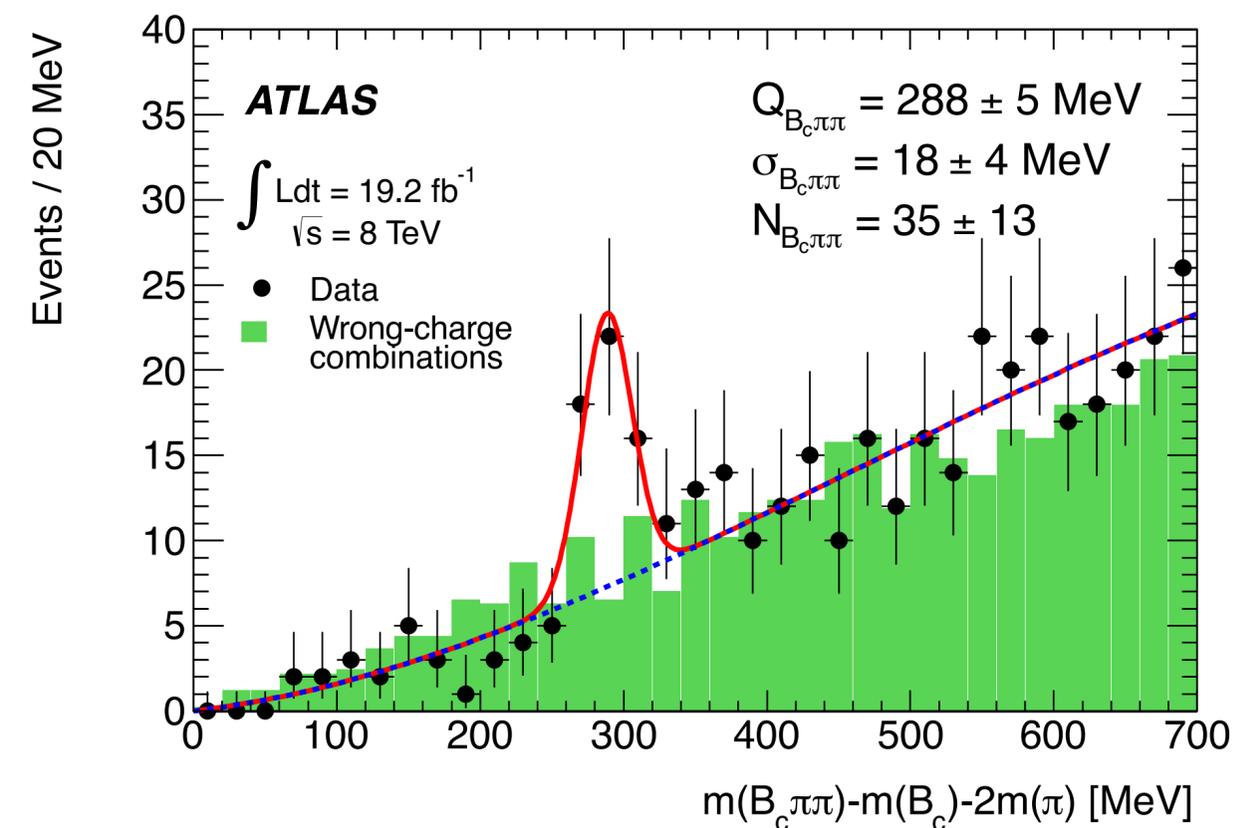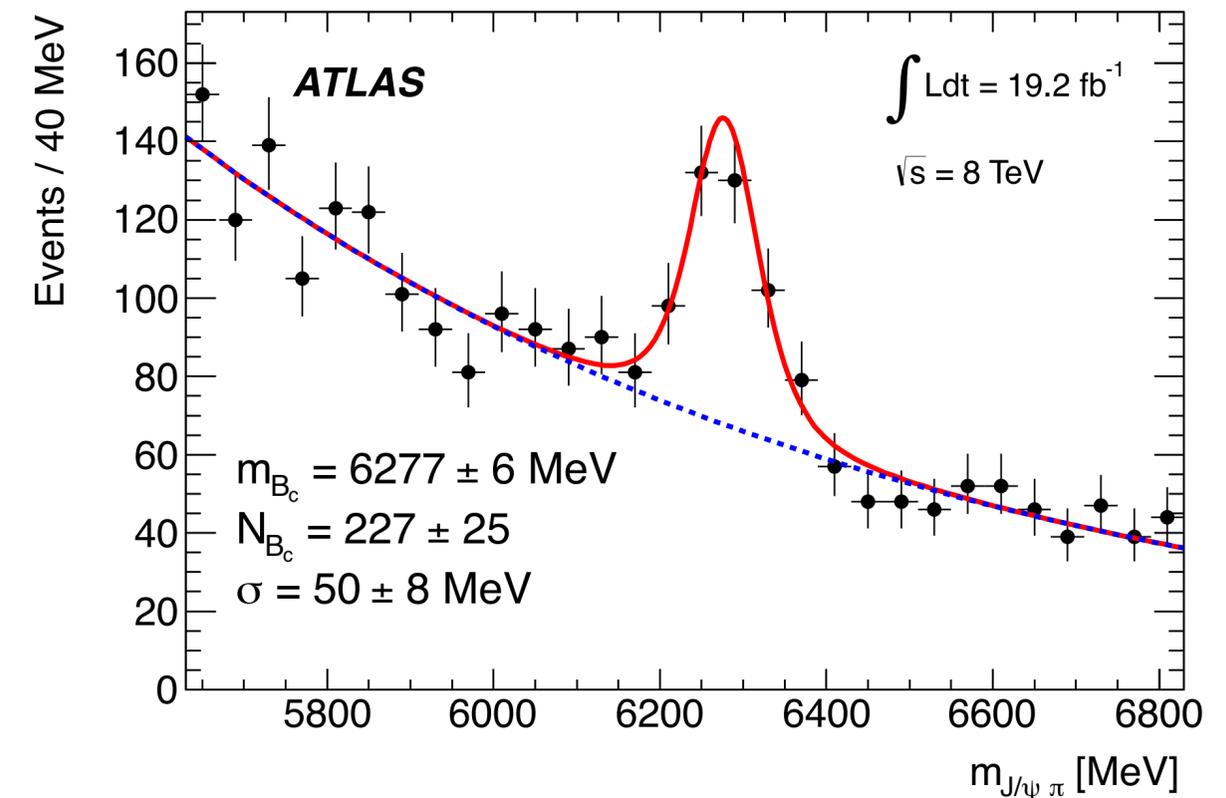
Bc(2S) production

- First observation of excited production of B_c meson

- Ground state $Bc^+ \to J/\psi(\mu\mu)\ \pi^+$:

- Excited state observed through decay with 2 additional pions, Bc(2S) -> Bc $\pi^+\pi^-$
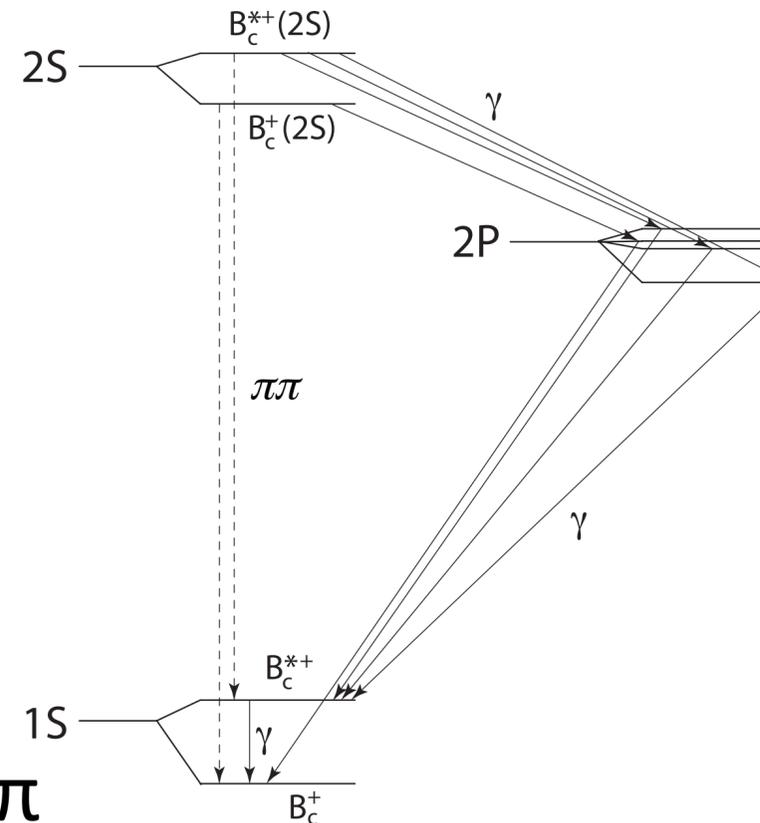
Now confirmed by CMS and LHCb
to actually be a superposition
of two states: Bc(2S) and Bc*(2S)-> Bc*$\pi\pi$
(Photon from Bc* not reconstructed).

− Bc*(2S) observed at lower Δm, due to missing photon
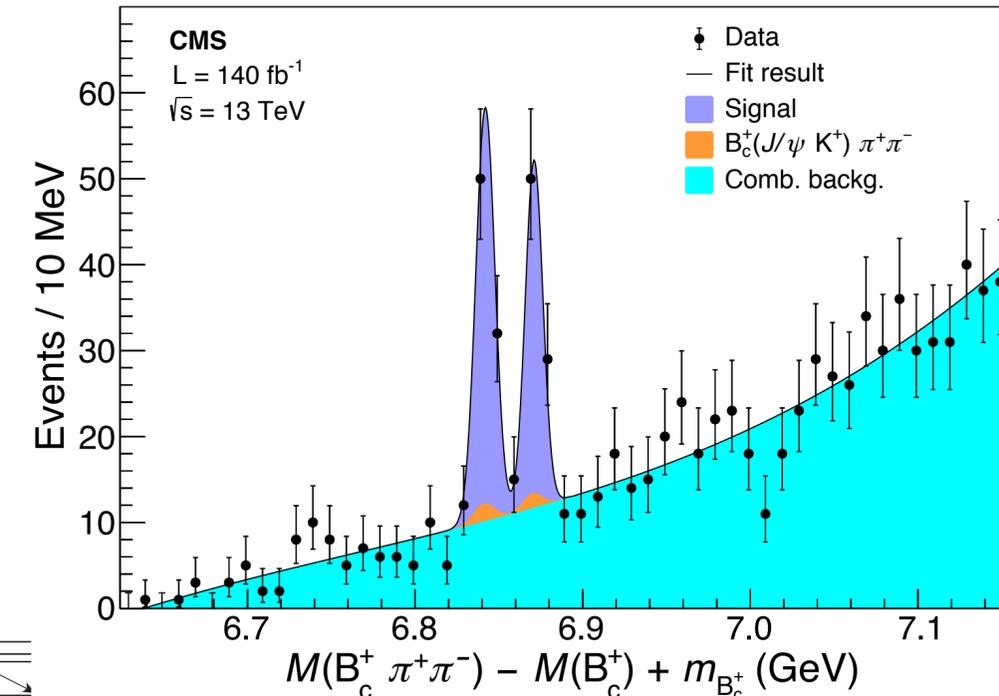
Phys. Rev. Lett. 122 (2019) 132001

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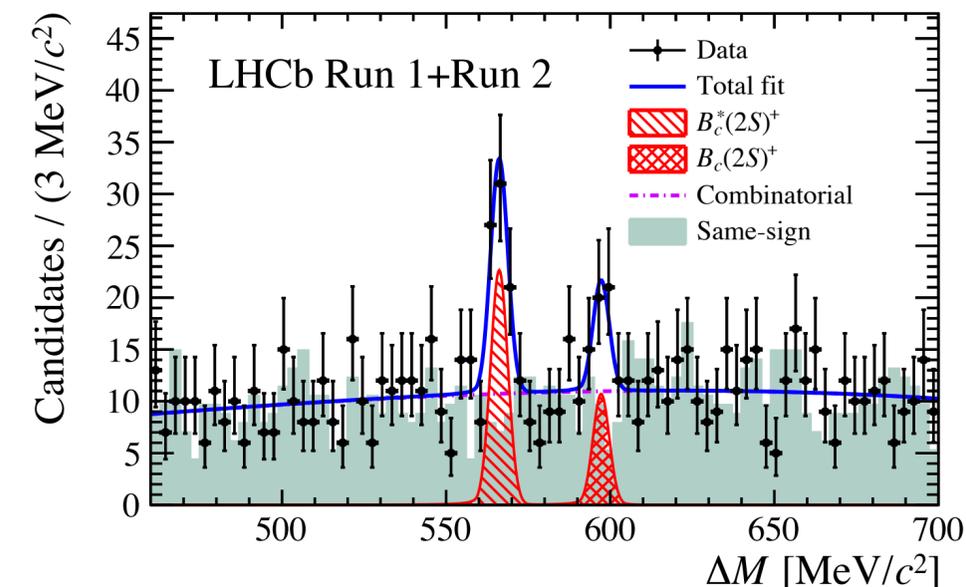
Quarkonium production in *pp* and *pPb* collisions at √s=5.02 TeV

Quarkonium production *Eur. Phys. J. C 78 (2018) 171*

Charmonium production in Pb-Pb: Eur. Phys. J. C 78 (2018) 762

Quarkonium production in pp and pPb

- Study of suppression of Charmonium in pp and p-Pb (Pb-Pb studies not shown here).

- Mass – pseudo-proper decay time simultaneous fit to separate Bkgd. & (non-)prompt Signal.

- Fits performed in bins of pT, y (and centrality)

- Similar approach and mass fits in the Bottomonium system

- Events weighted for acceptance and efficiencies:

$$w_{\text{total}}^{-1} = \mathcal{A}(\mathcal{O}(n\text{S})) \cdot \varepsilon_{\text{reco}} \cdot \varepsilon_{\text{trig}}$$
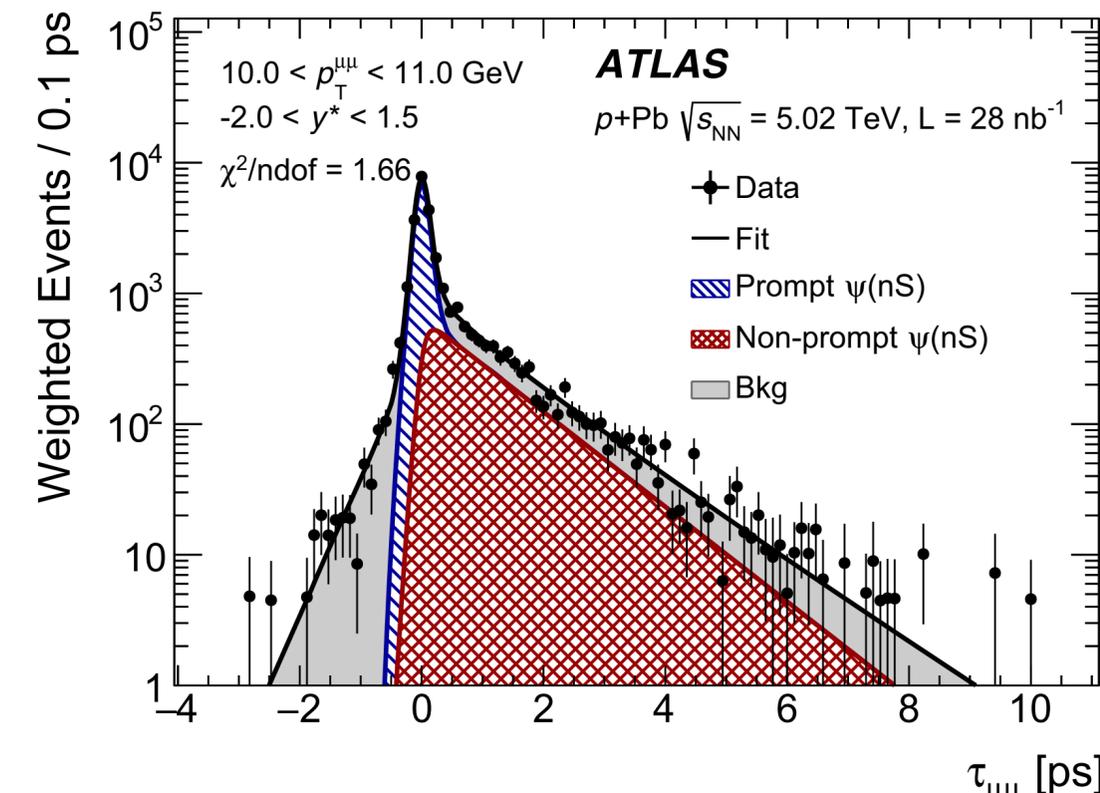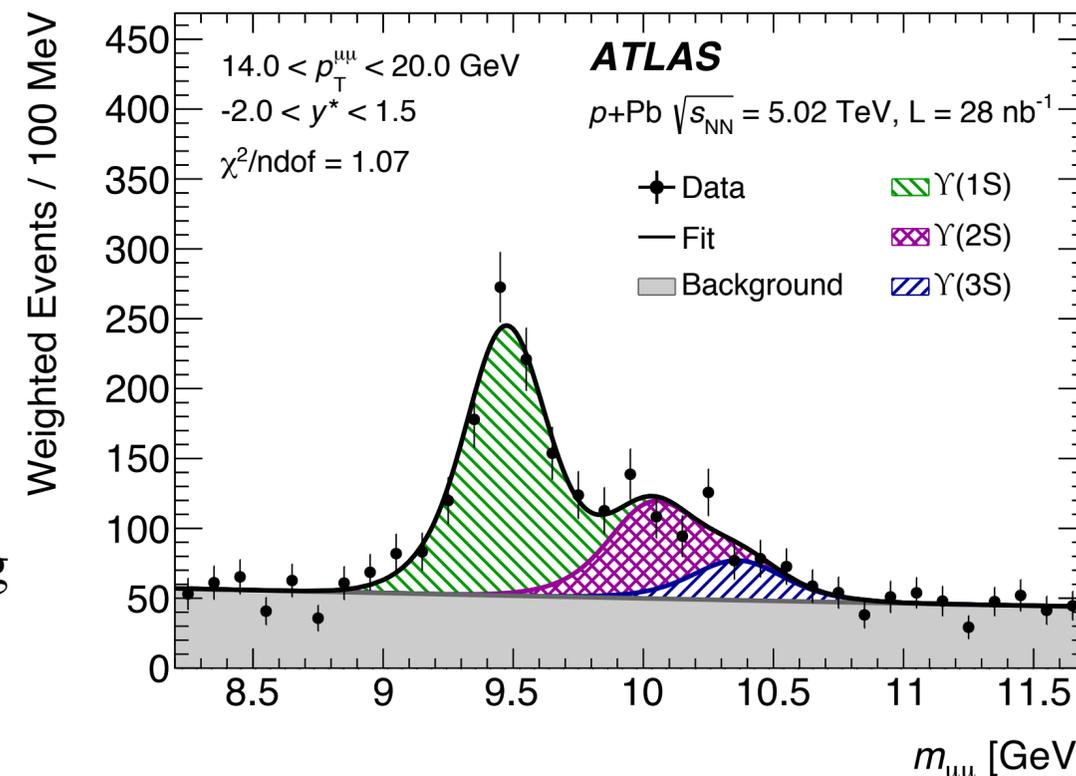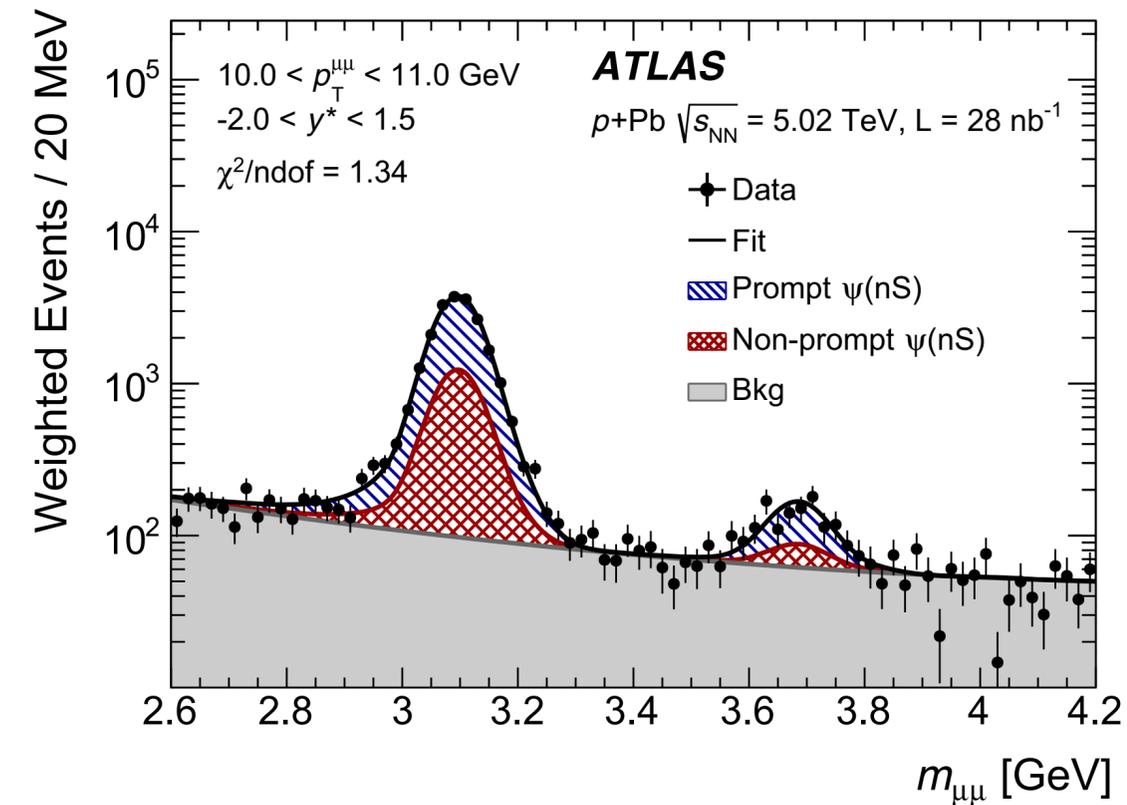
Differential pp results

- $$\frac{\mathrm{d}^2\sigma_{O(n\mathrm{S})}}{\mathrm{d}p_\mathrm{T}\mathrm{d}y^*} \times B(O(n\mathrm{S}) \to \mu^+\mu^-) = \frac{N_{O(n\mathrm{S})}}{\Delta p_\mathrm{T} \times \Delta y \times L}$$

- ## In pp collisions:

  - **Charmonium**

    - Good agreement observed between data and: NRQCD; prompt
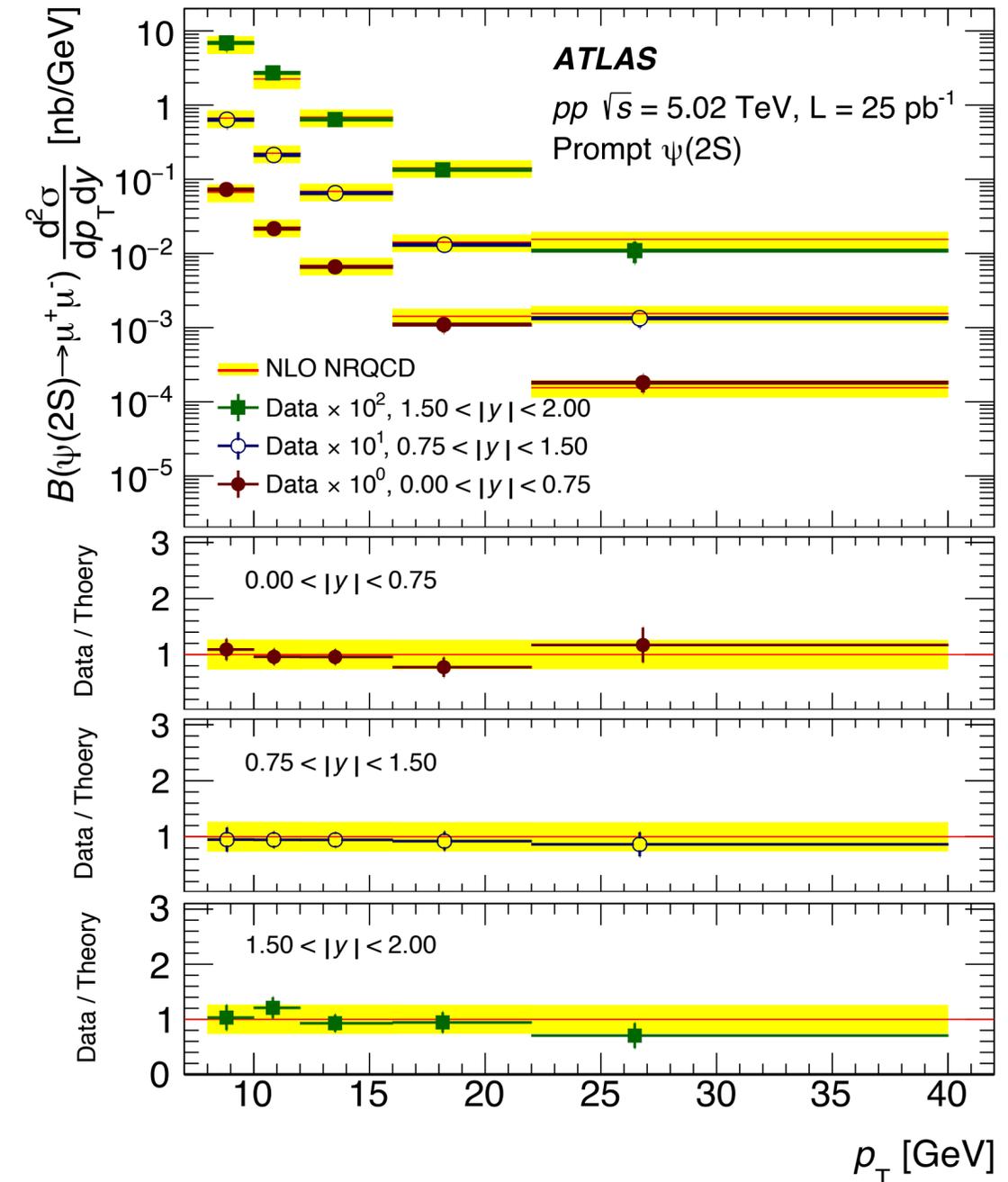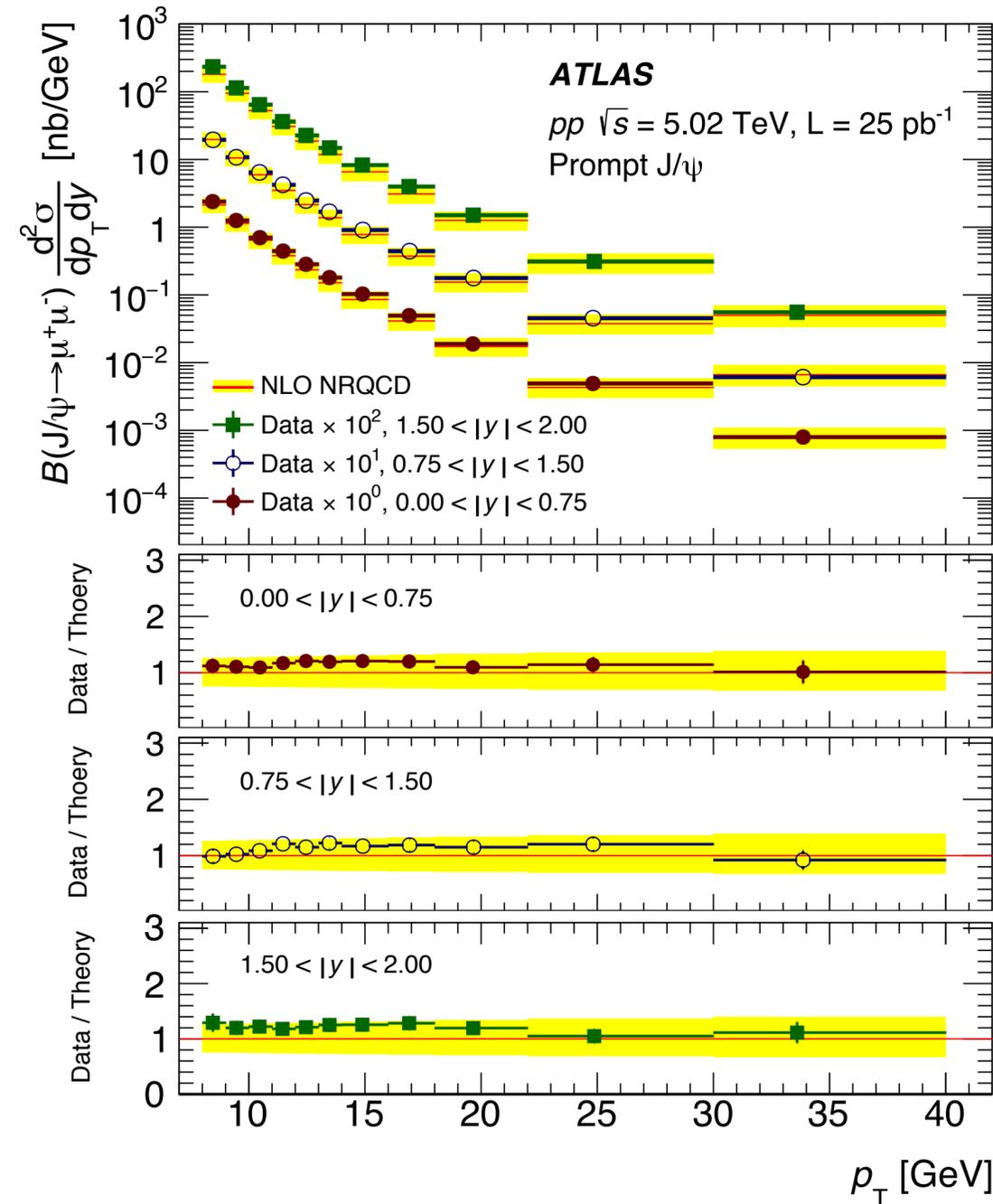
Differential pp results

$$\frac{\mathrm{d}^2\sigma_{O(n\mathrm{S})}}{\mathrm{d}p_\mathrm{T}\mathrm{d}y^*} \times B(O(n\mathrm{S}) \to \mu^+\mu^-) = \frac{N_{O(n\mathrm{S})}}{\Delta p_\mathrm{T} \times \Delta y \times L}$$

- In pp collisions:

  – **Charmonium**

    • Good agreement observed between data and: FONLL (non-prompt)
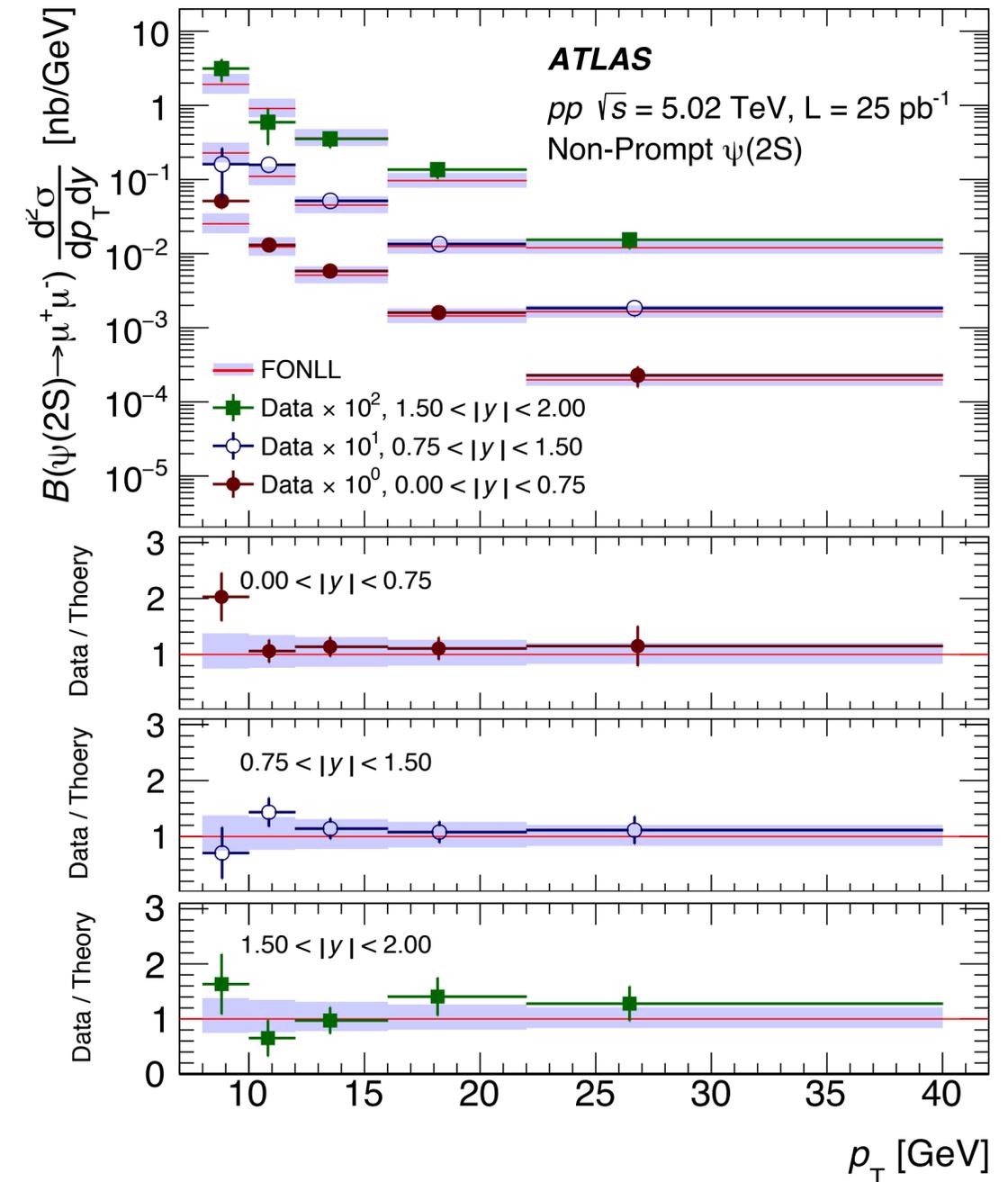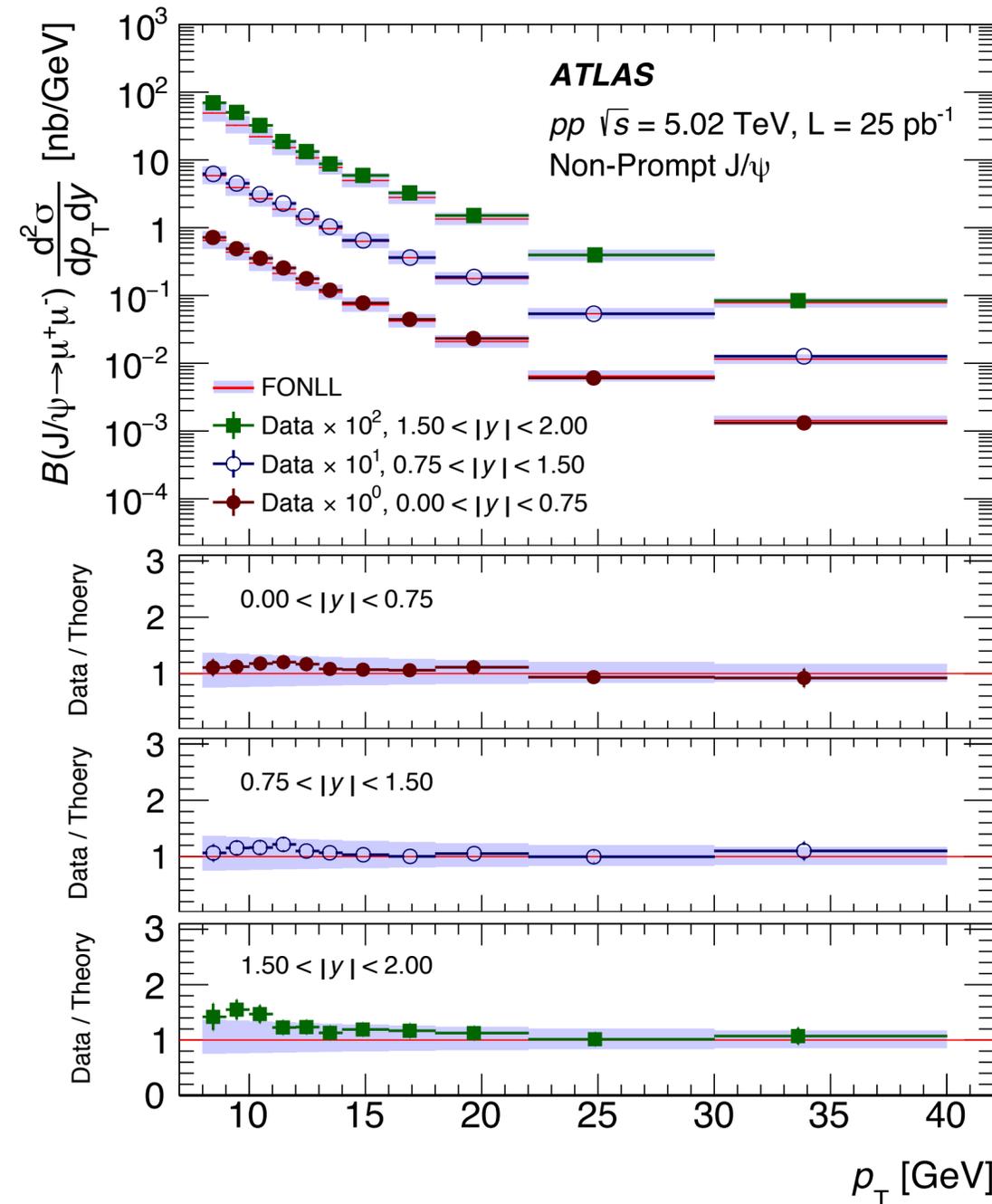
$$\frac{\mathrm{d}^2\sigma_{\mathcal{O}(n\mathrm{S})}}{\mathrm{d}p_\mathrm{T}\mathrm{d}y^*} \times B(\mathcal{O}(n\mathrm{S}) \to \mu^+\mu^-) = \frac{N_{\mathcal{O}(n\mathrm{S})}}{\Delta p_\mathrm{T} \times \Delta y \times L}$$

- In pp collisions:
  - Charmonium:
    - Good agreement observed between data and FONLL (non-prompt), NRQCD (prompt)
  - **Bottomonium:**
    - NRQCD in agreement for pT > 15 GeV
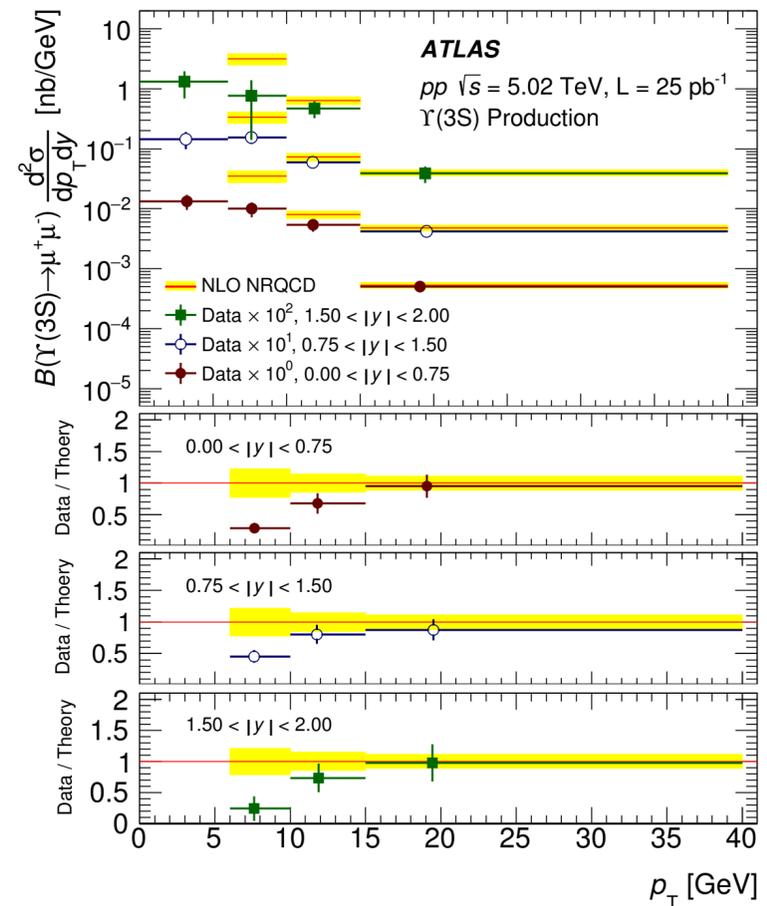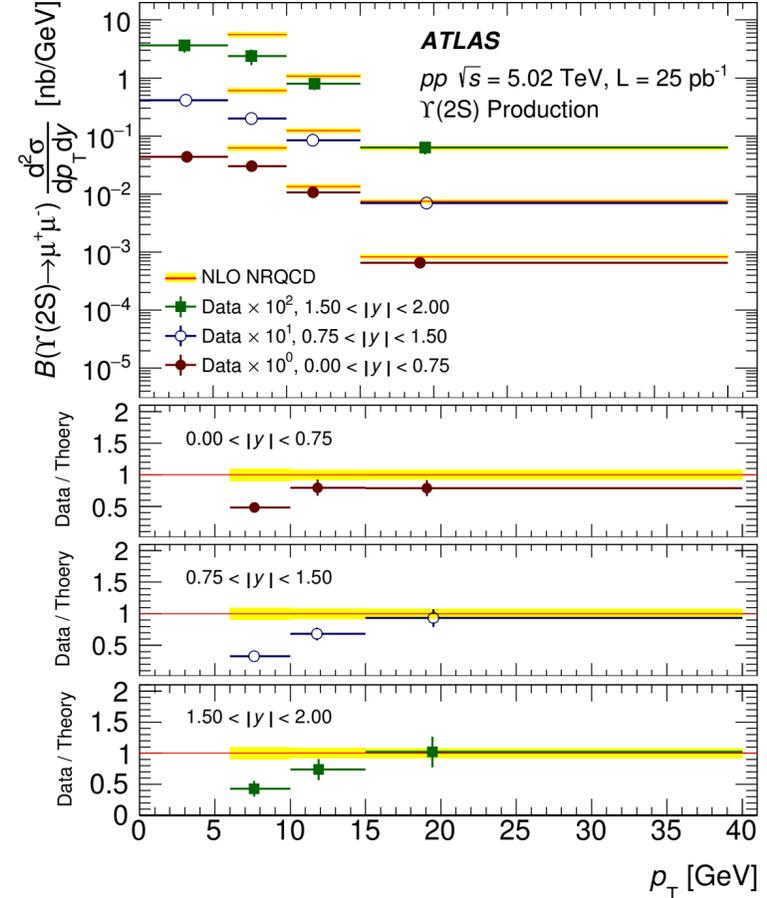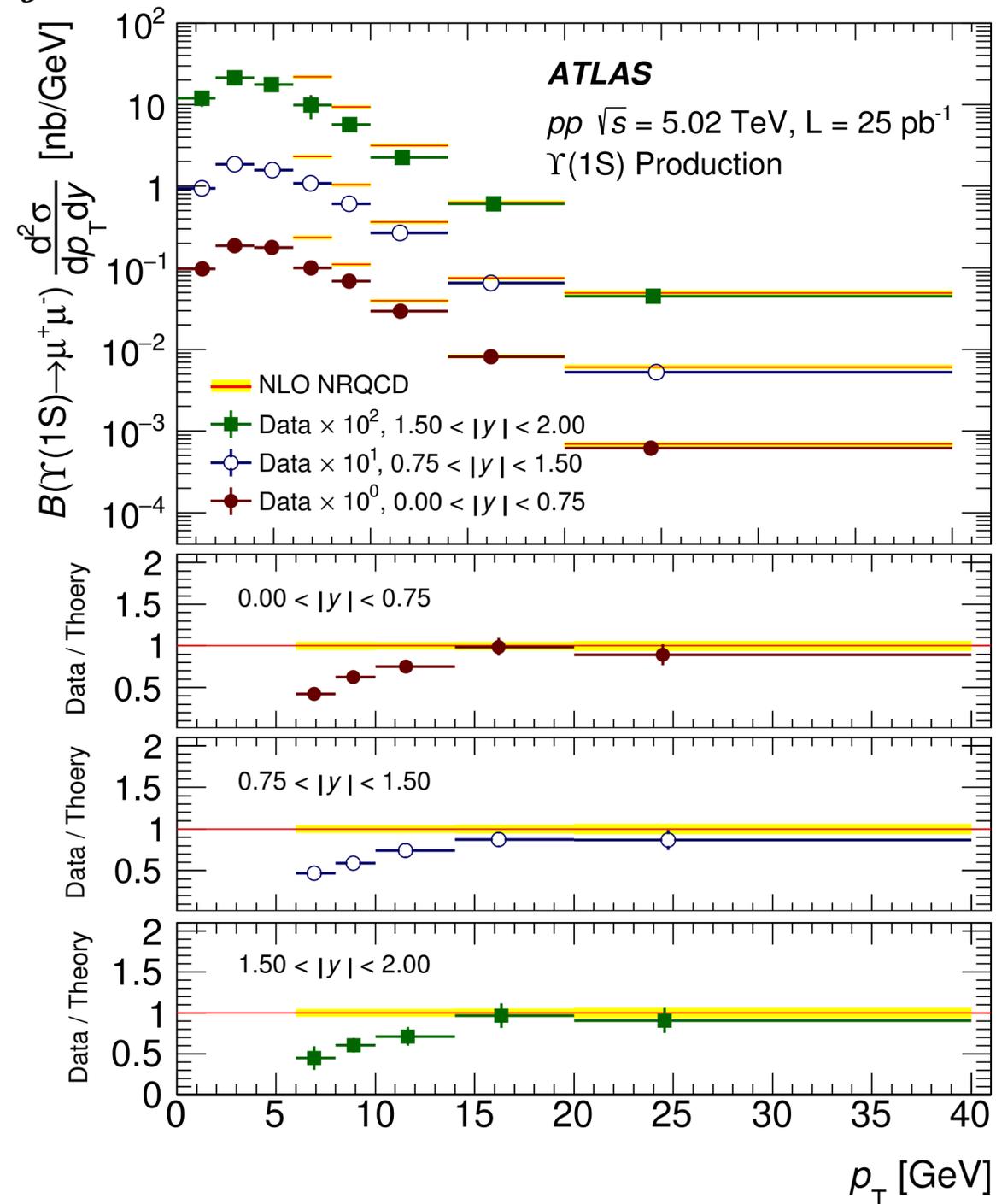
Nuclear modification factors

$$R_{p\text{Pb}} = \frac{1}{208} \frac{\sigma_{p+\text{Pb}}^{O(n\text{S})}}{\sigma_{pp}^{O(n\text{S})}}$$

- Normalised ratio of cross-sections R_{pPb}

- Reasonably consistent with unity in J/ψ (both prompt and non-prompt) (and also across rapidities)

- In Bottomonium sector Y(1S) shows significant discrepancy with unity at low-pT.

- Low pT Y(1S) can probe smaller Bjorken-x region compared to J/ψ measured in 8 < pT < 40 GeV

  – observed suppression of Y(1S) come from the reduction of hard-scattering cross sections due to stronger nPDF shadowing at smaller Bjorken-x
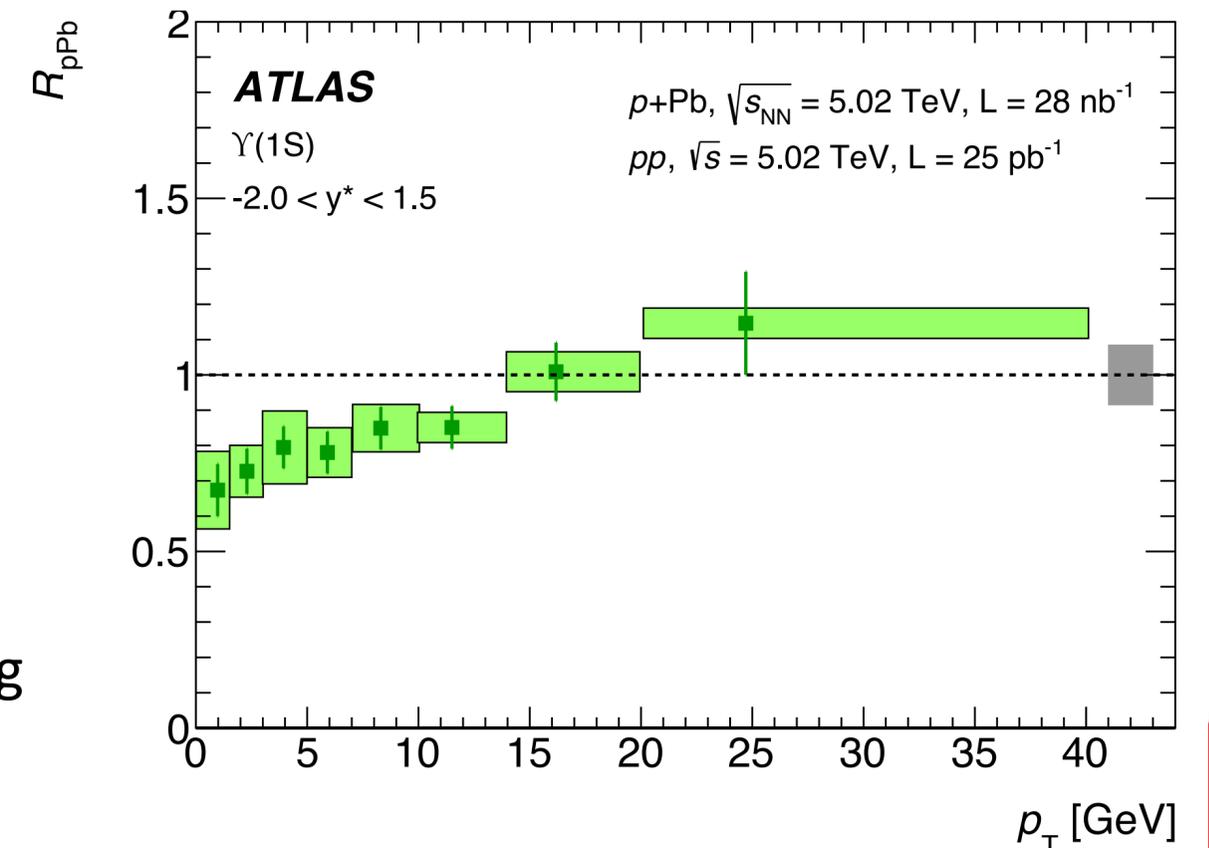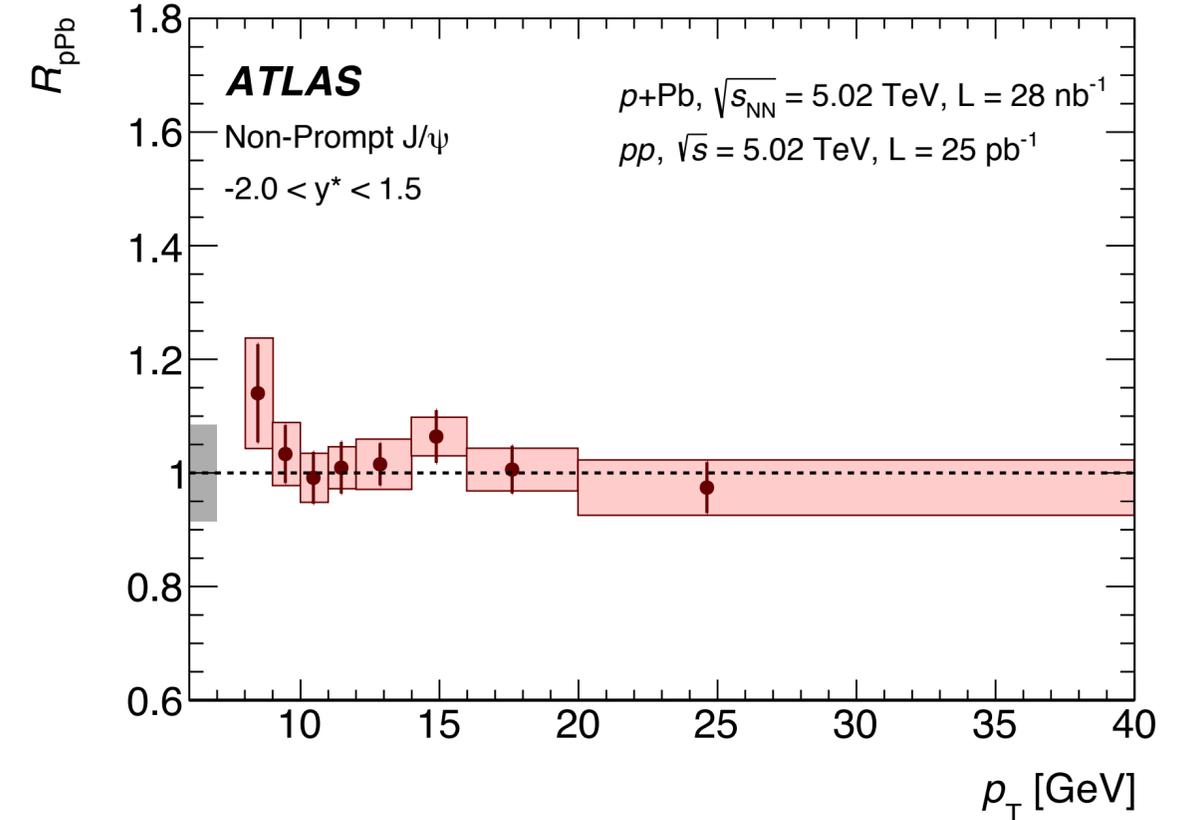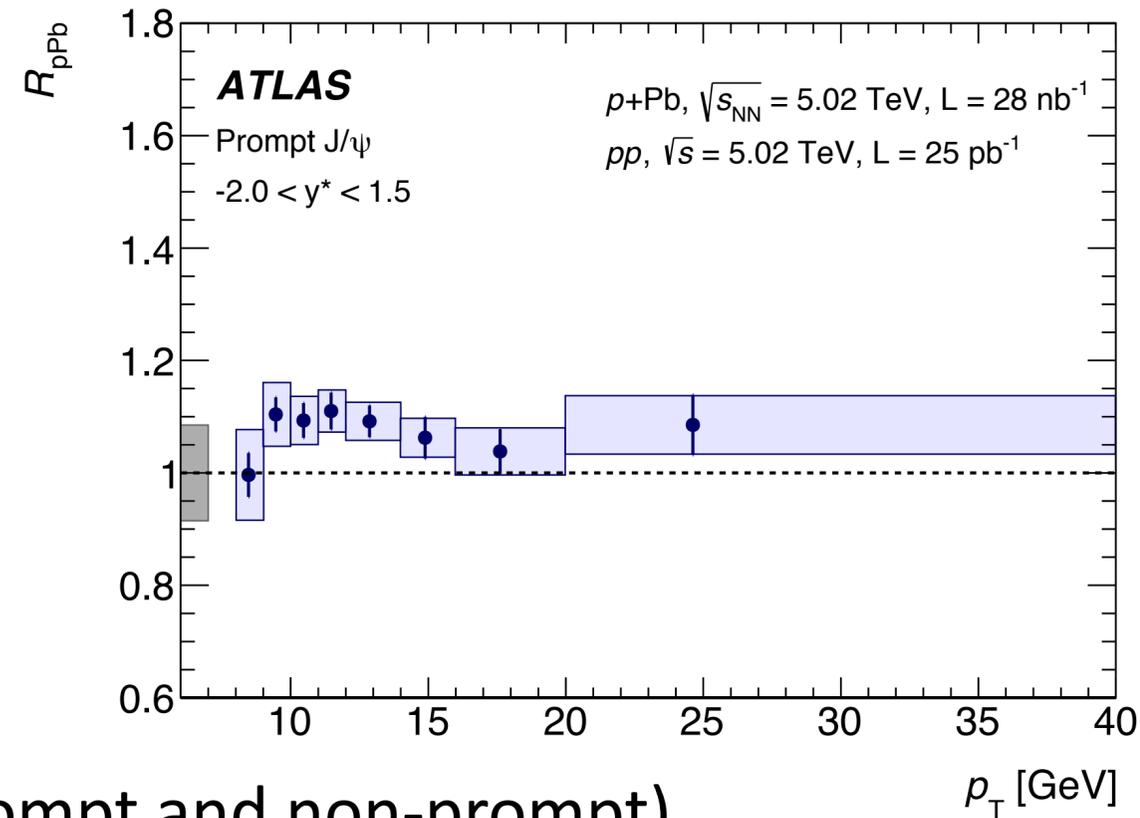
Double production ratio

$$\rho_{p\text{Pb}}^{O(n\text{S})/O(1\text{S})} = \frac{R_{p\text{Pb}}(O(n\text{S}))}{R_{p\text{Pb}}(O(1\text{S}))} = \frac{\sigma_{p+\text{Pb}}^{O(n\text{S})}}{\sigma_{p+\text{Pb}}^{O(1\text{S})}} \Big/ \frac{\sigma_{pp}^{O(n\text{S})}}{\sigma_{pp}^{O(1\text{S})}}$$

- Double ratio ρ of O(nS) to O(1S) production between p-Pb and pp collisions
- Suppression of Y(3S) and O(2S) states wrt. O(1S) between 1–2σ
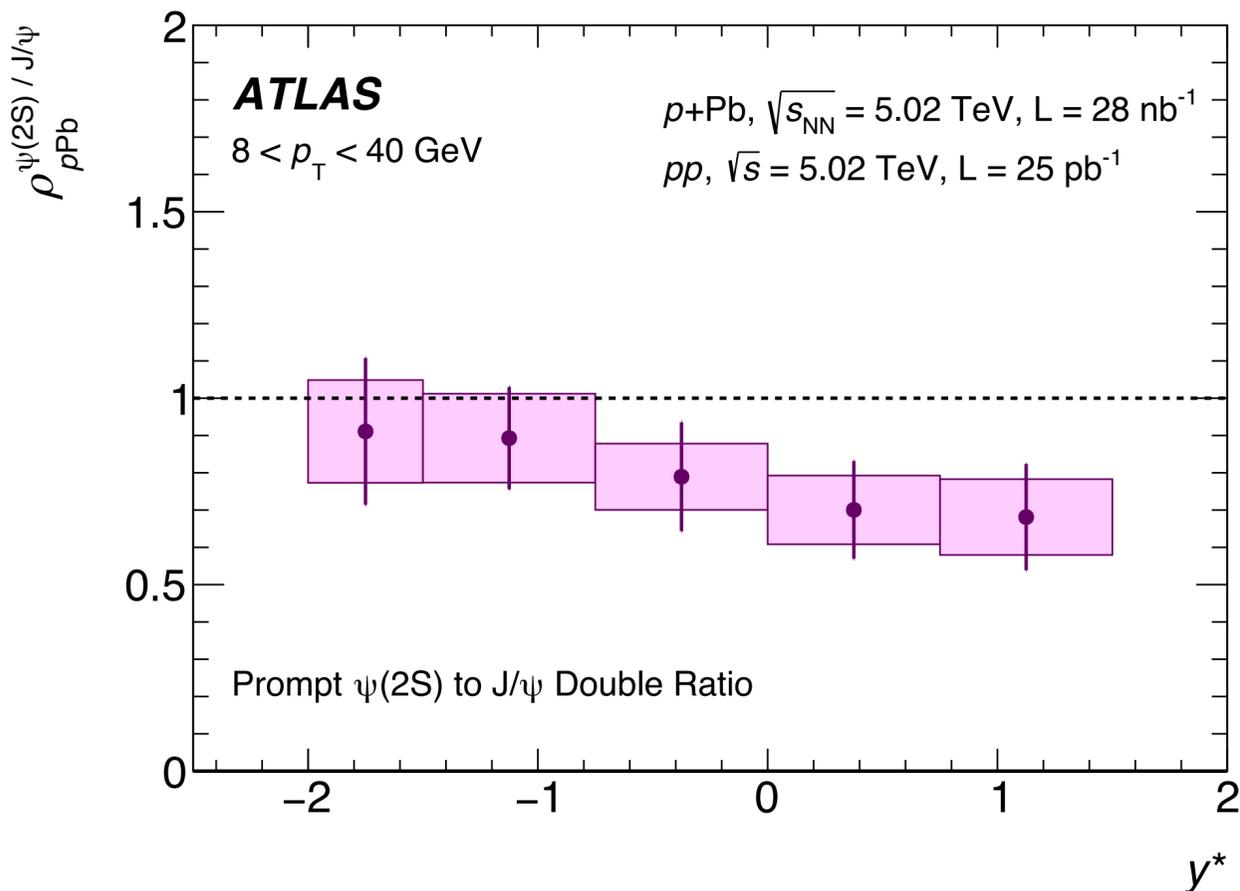
y^* shift of Δy=0.465 wrt. y in lab frame

proton direction defined as +ve y^*
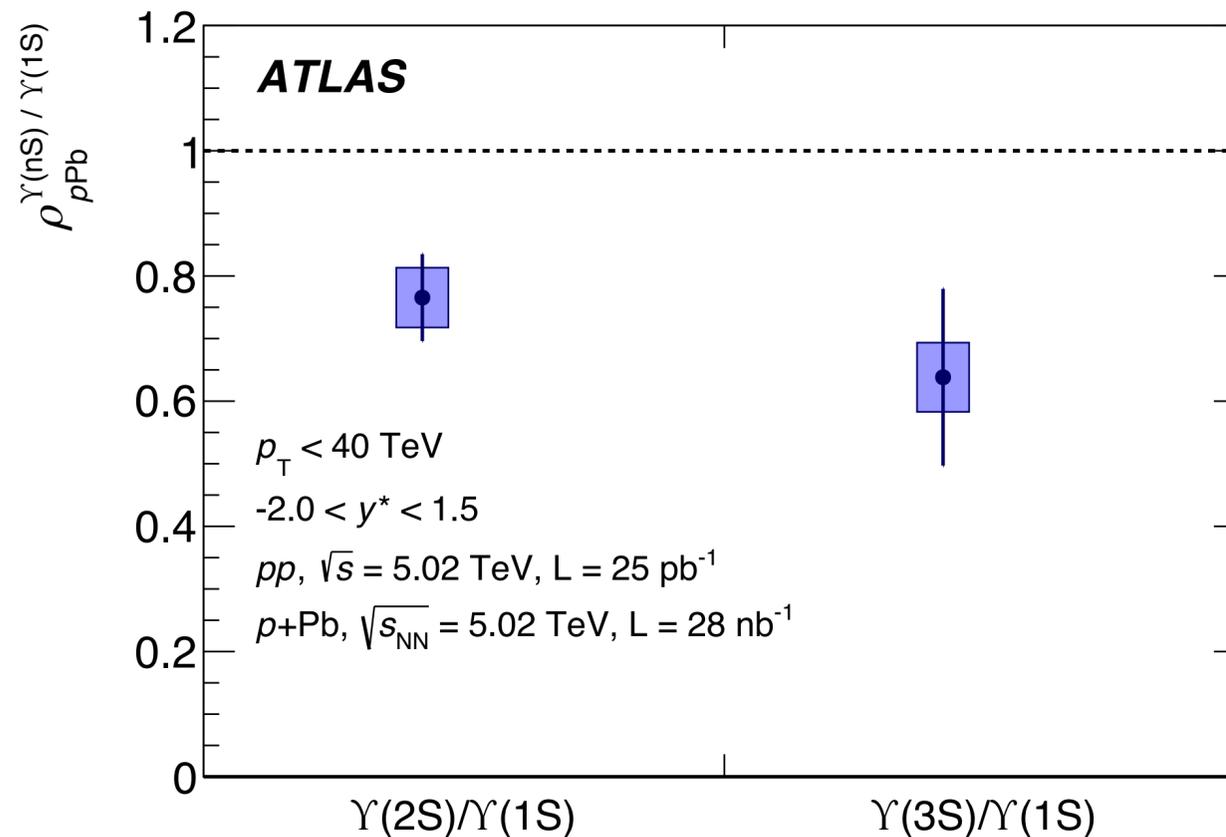
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- Double ratio ρ of O(nS) to O(1S) production between p-Pb and pp collisions

- Suppression effect decreases between peripheral to central collisions

- Stronger cold nuclear matter effect observed in excited quarkonium states compared to that in ground states

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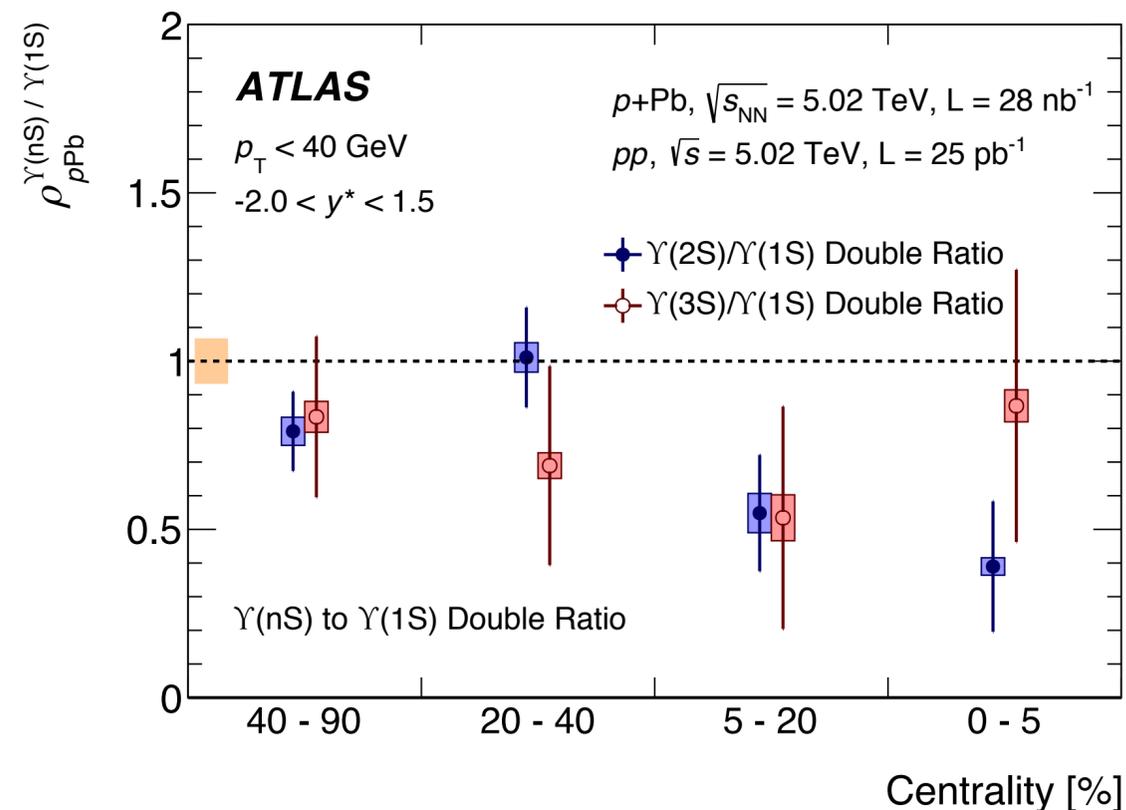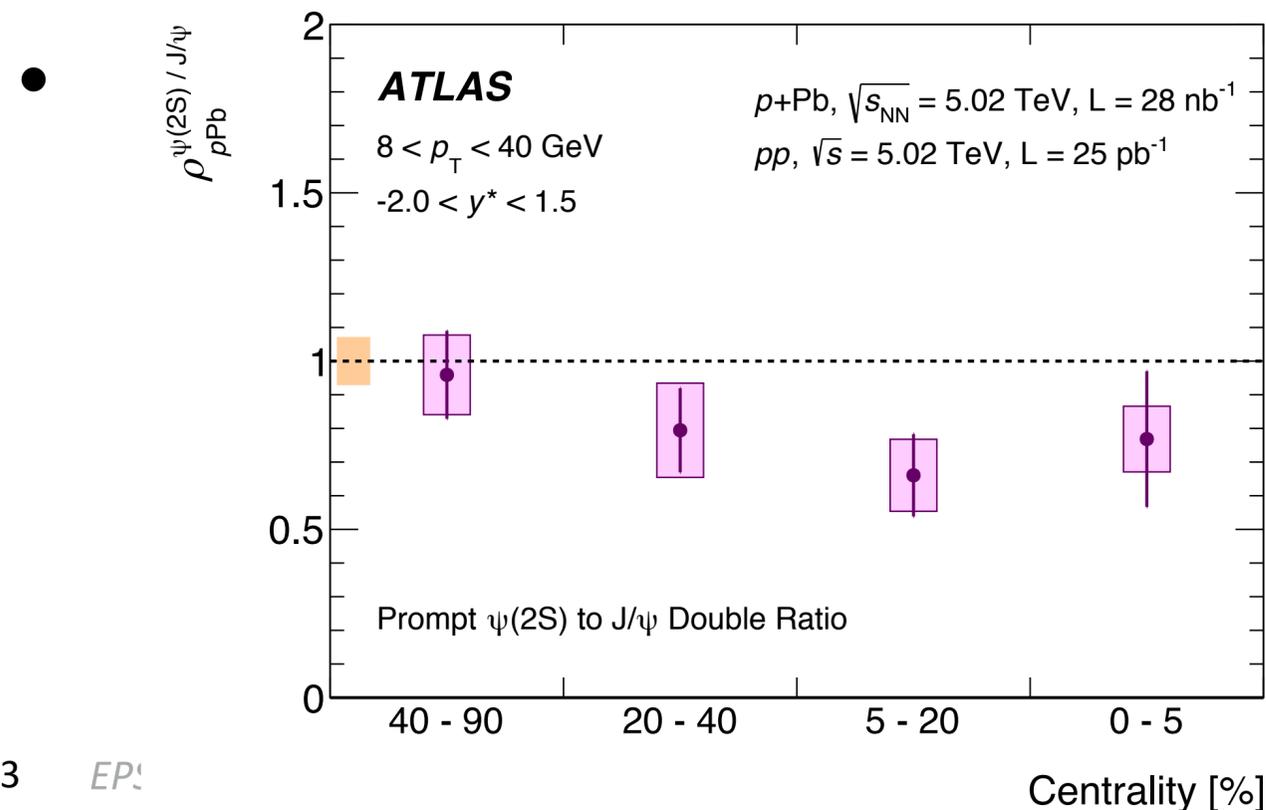
Measurement of prompt J/ψ pair-production cross-section

Prompt J/ψ pair production

- Wide range of quarkonium studies in ATLAS of Charmonium, Bottomonium and associated production (W,Z + J/ψ).

  – Prompt production J/ψ – J/ψ, gluon-dominated; sensitive to higher order QCD corrections, and tests of non-perturbative regime.

- Expected to be dominated by single parton scattering (SPS); double parton scattering (DPS) also present;

  - DPS becoming increasingly significant at higher CM energies

  J/ψ($\mu\mu$) decay mode; 8 TeV, 11.4fb^{-1}

- Extraction of f$_{DPS}$ and σ_{eff}.

- Differential cross-section measurement in variety of kinematic observables:

  - Function of pT(J/ψ_2), pT(J/ψ+J/ψ), m(J/ψ+J/ψ).

  - Isotropic assumption for nominal results; extremal variations considered.

DPS

SPS
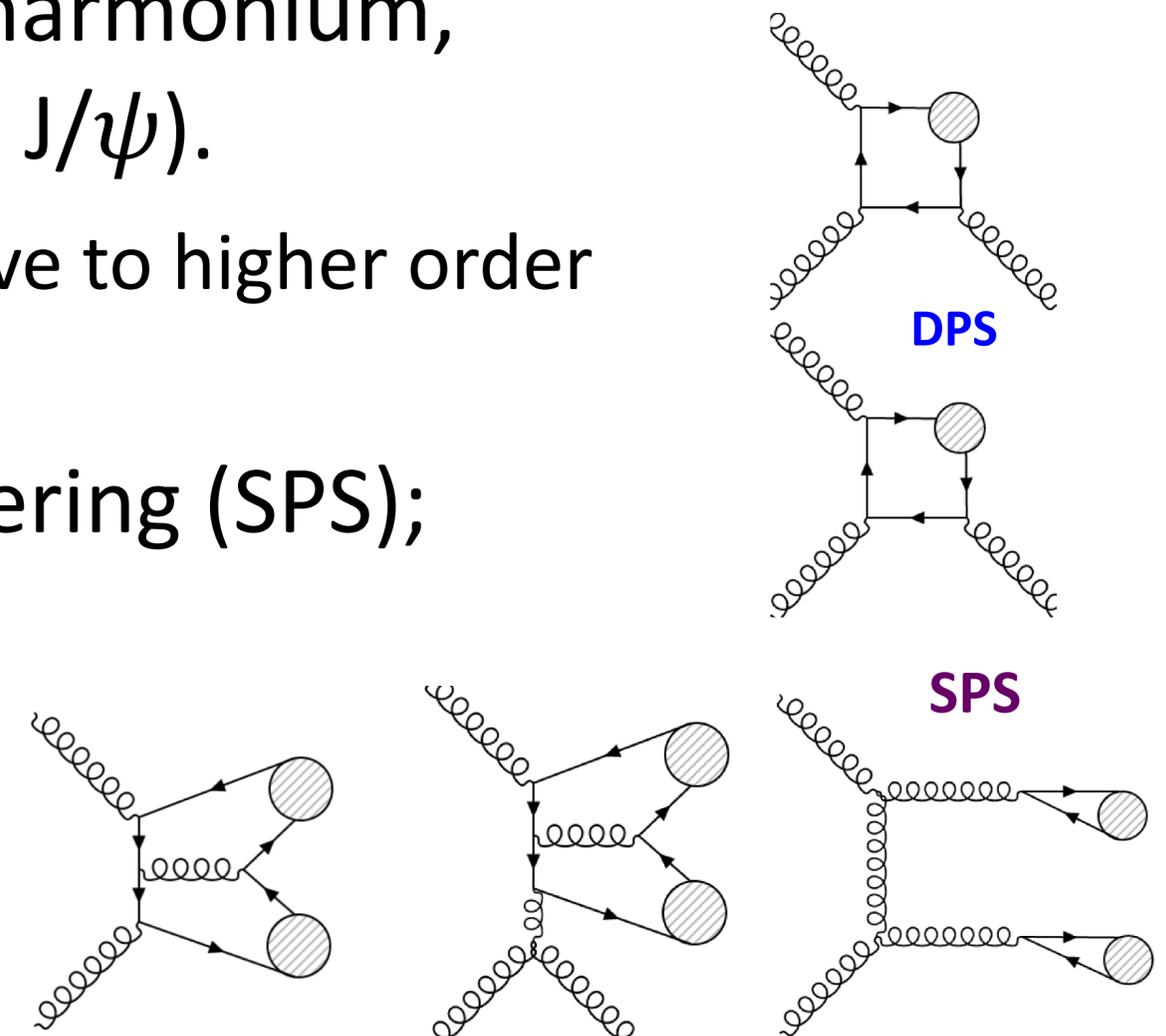
Prompt J/ψ pair production

- **Differential cross-section:**
  - Corrected for muon acceptance
  - pT of J/ψ pair,
  - mass of J/ψ pair,
    - pT(J/ψ) > 8.5 GeV
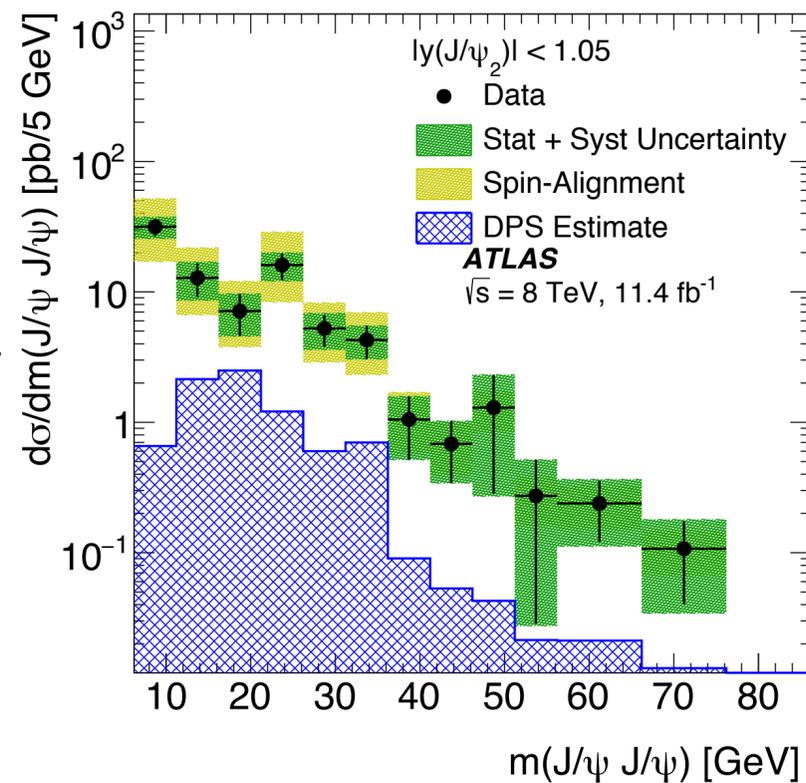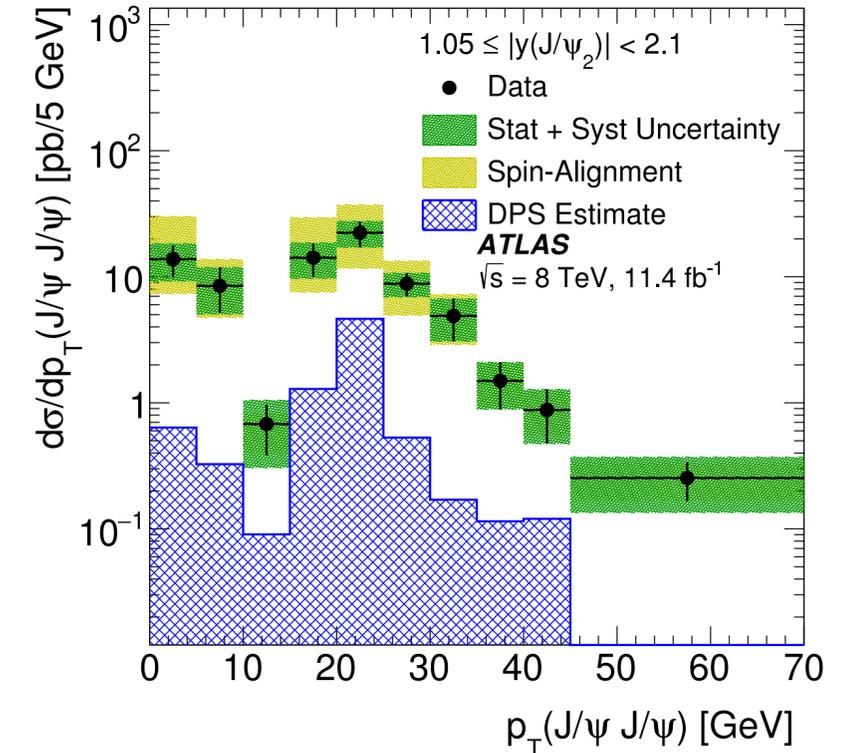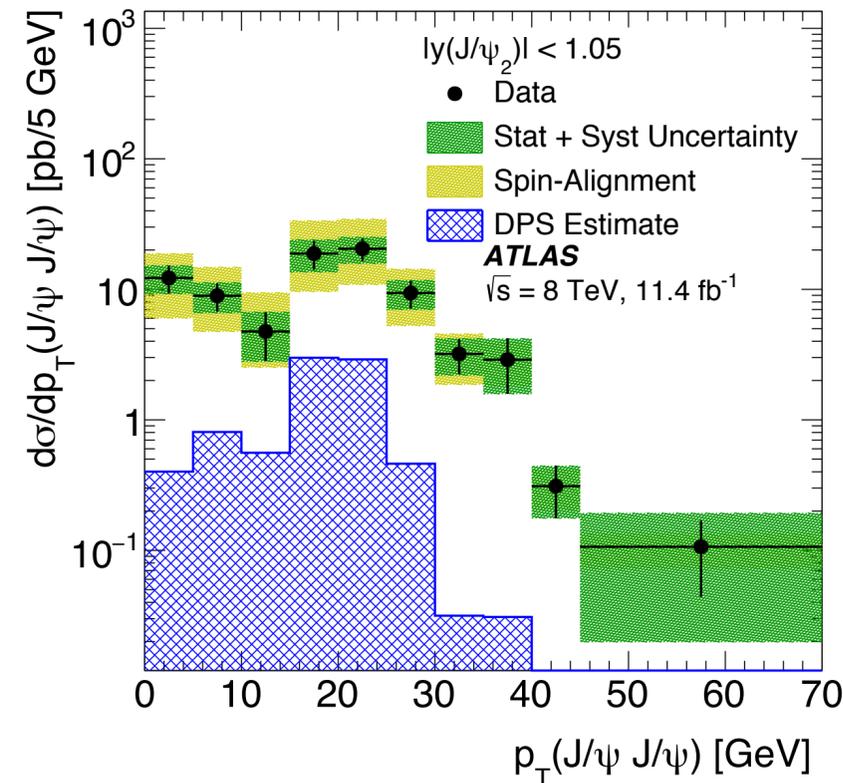   - |y(J/ψ₂)|<1.05, 1.05<|y(J/ψ₂)|<2.1.
  - also for pT(J/ψ₂)

- **Low-pT region –** *away topology*:
  - J/ψs produced back-to-back

- **High-pT region –** *towards topology*
  - J/ψs produced together
  - (modelled only in NLO calculation)

Prompt J/ψ pair production
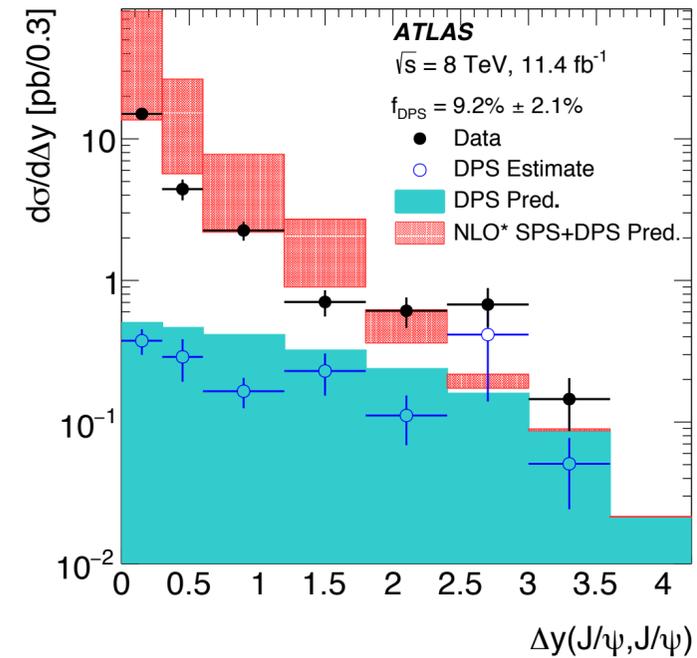
- ## For extraction of of DPS:

  - Calculated in muon fiducial volume

    - DPS LO prediction
      normalised to measured f_{DPS}.

      - QCD factorisation; input from data.

    - SPS NLO* correction factor 1.85
      applied to account for feed-down.

      - HELAC-Onia, no CO contributions

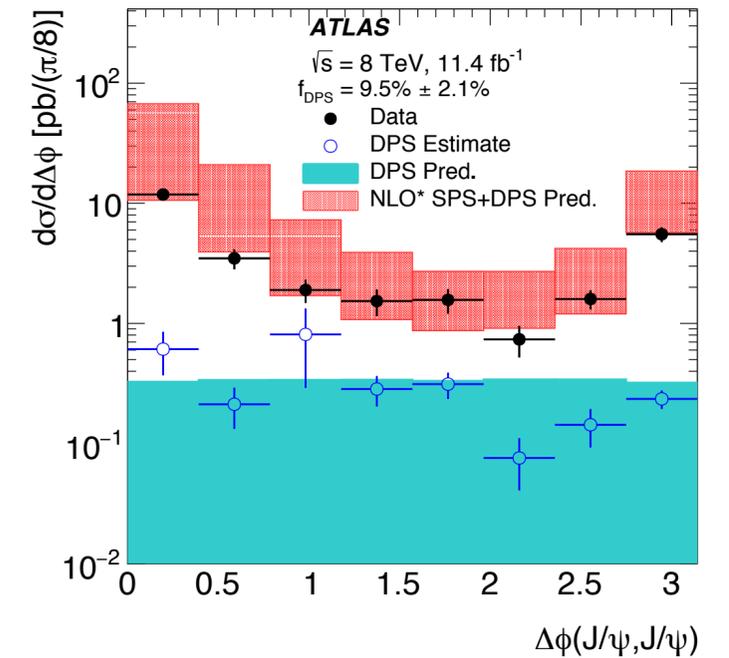- ## DPS prediction in broad agreement with data-derived estimate.

  - Discrepancies in *away topology* between data and theory,

    - May suggest some non-constant feed down factor from higher mass states.

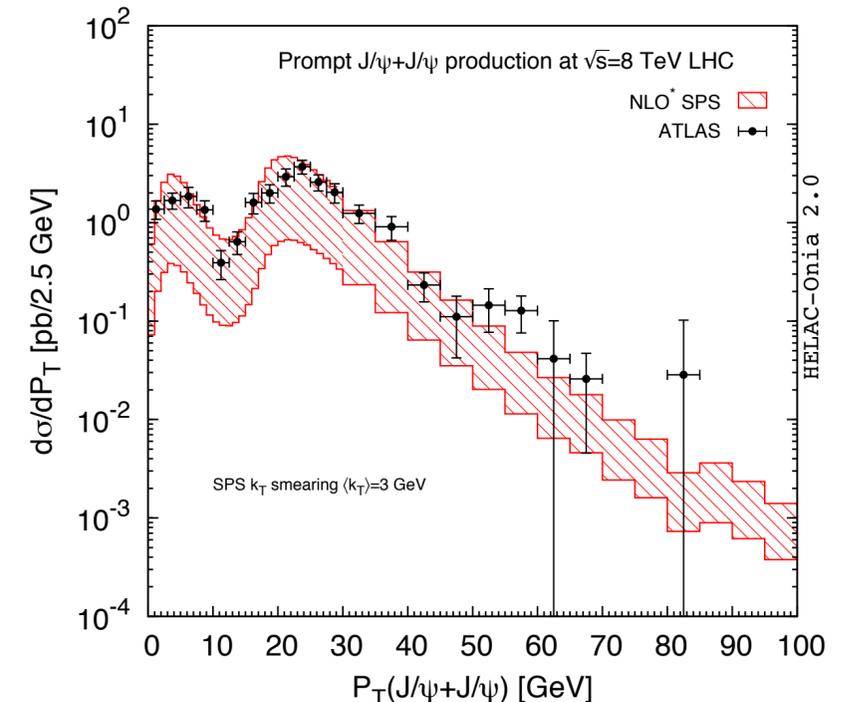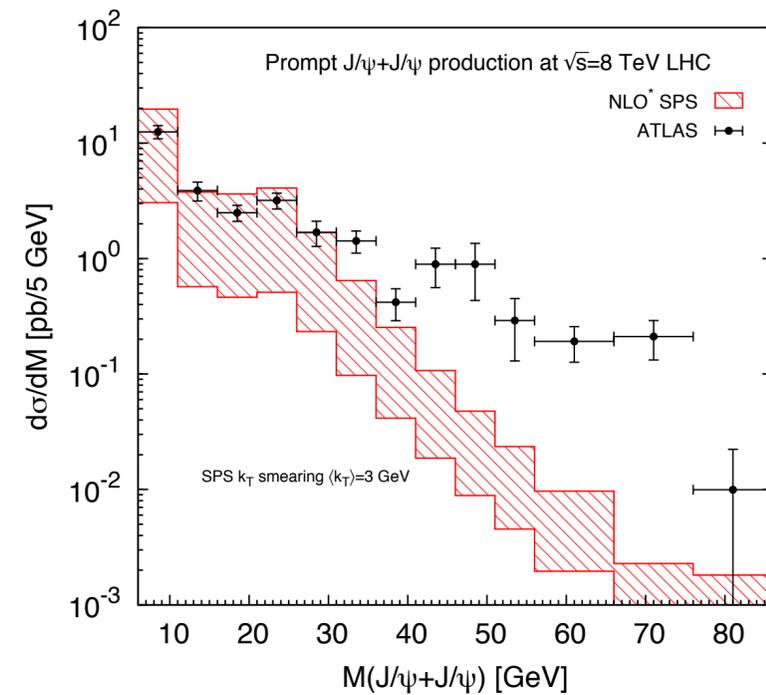- ## Dominant systematics from trigger efficiency. and DPS modelling.
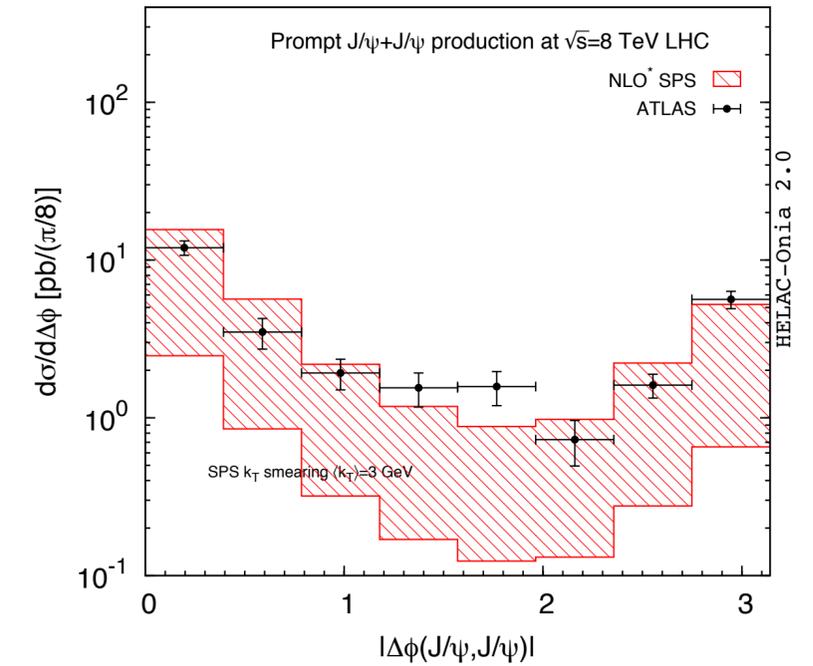
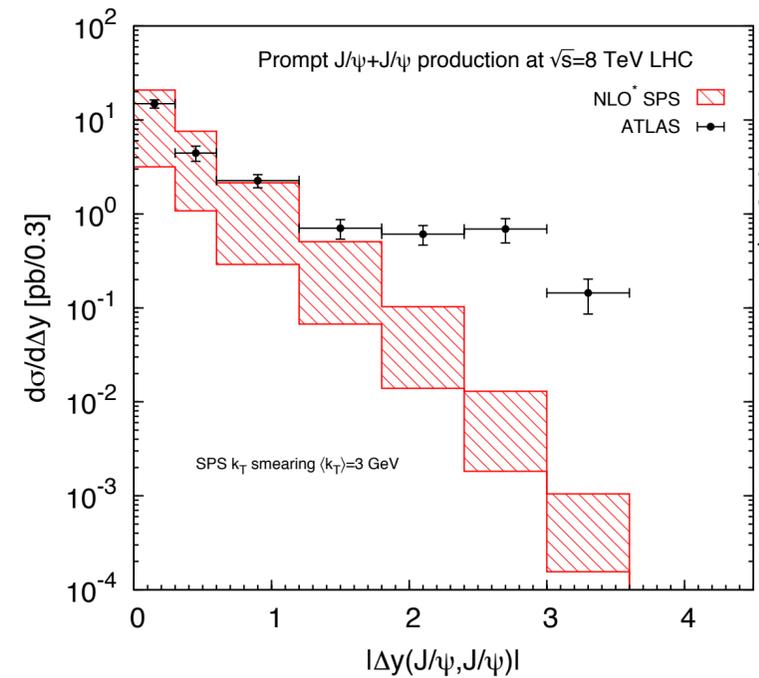# Prompt J/ψ pair production

- **For extraction of of DPS:**

  - Calculated in muon fiducial volume

    - DPS LO prediction
      normalised to measured f_{DPS}.
      - QCD factorisation; input from data.

    - SPS NLO* correction factor 1.85
      applied to account for feed-down.
      - HELAC-Onia, no CO contributions

- **DPS prediction in broad agreement
  with data-derived estimate.**

  - Discrepancies in *away topology* between
    data and theory,

    - May suggest some non-constant feed down
      factor from higher mass states.

- **Dominant systematics from trigger efficiency. and DPS modelling.**

arXiv:1903.09185
- J–P Lansberg

- **DPS cross-section corrected for muon acceptance**

$$\sigma_{\text{eff}} = \frac{1}{2}\frac{\sigma^2_{J/\psi}}{\sigma^{J/\psi,J/\psi}_{\text{DPS}}} = \frac{1}{2}\frac{\sigma^2_{J/\psi}}{f_{\text{DPS}} \times \sigma_{J/\psi J/\psi}}$$

$\sigma^{J/\psi,J/\psi}_{\text{DPS}} = 14.8 \pm 3.5 \text{ (stat)} \pm 1.5 \text{ (syst)} \pm 0.2 \text{ (BF)} \pm 0.3 \text{ (lumi) pb.}$

arXiv:1512.03657

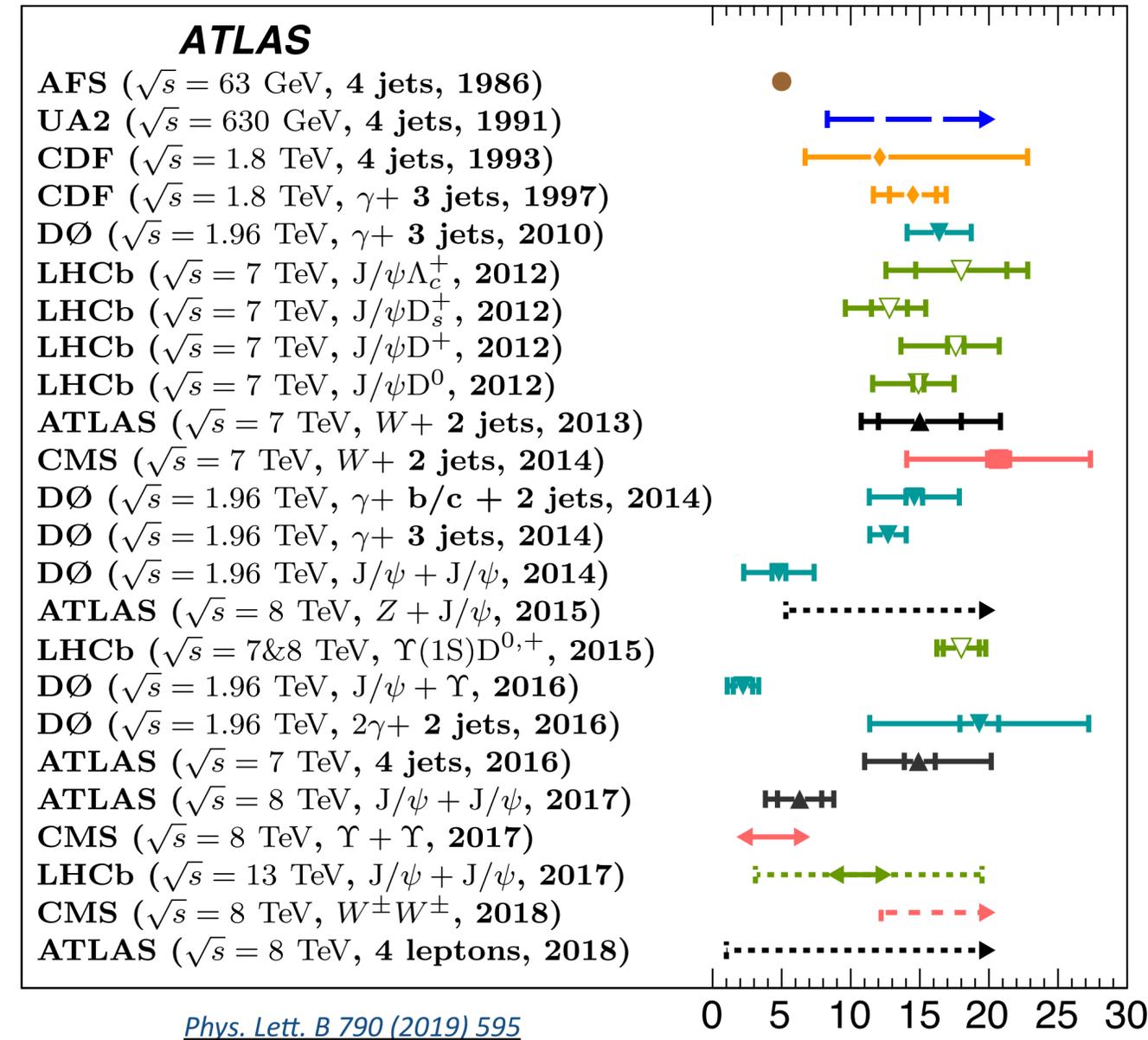$\sigma_{J/\psi} = 429.8 \pm 0.1 \text{ (stat)} \pm 38.6 \text{ (syst) nb.}$

- **Fraction of DPS in muon fiducial volume**

$f_{\text{DPS}} = (9.2 \pm 2.1 \text{ (stat)} \pm 0.5 \text{ (syst)})\%.$

$\sigma_{\text{eff}} = 6.3 \pm 1.6 \text{ (stat)} \pm 1.0 \text{ (syst)} \pm 0.1 \text{ (BF)} \pm 0.1 \text{ (lumi) mb.}$

-

σ$_{\text{eff}}$ ~ 5–20 mb from other experiments and measurements

- **Di-Quarkonium results suggests non-universal σ$_{\text{eff}}$.**
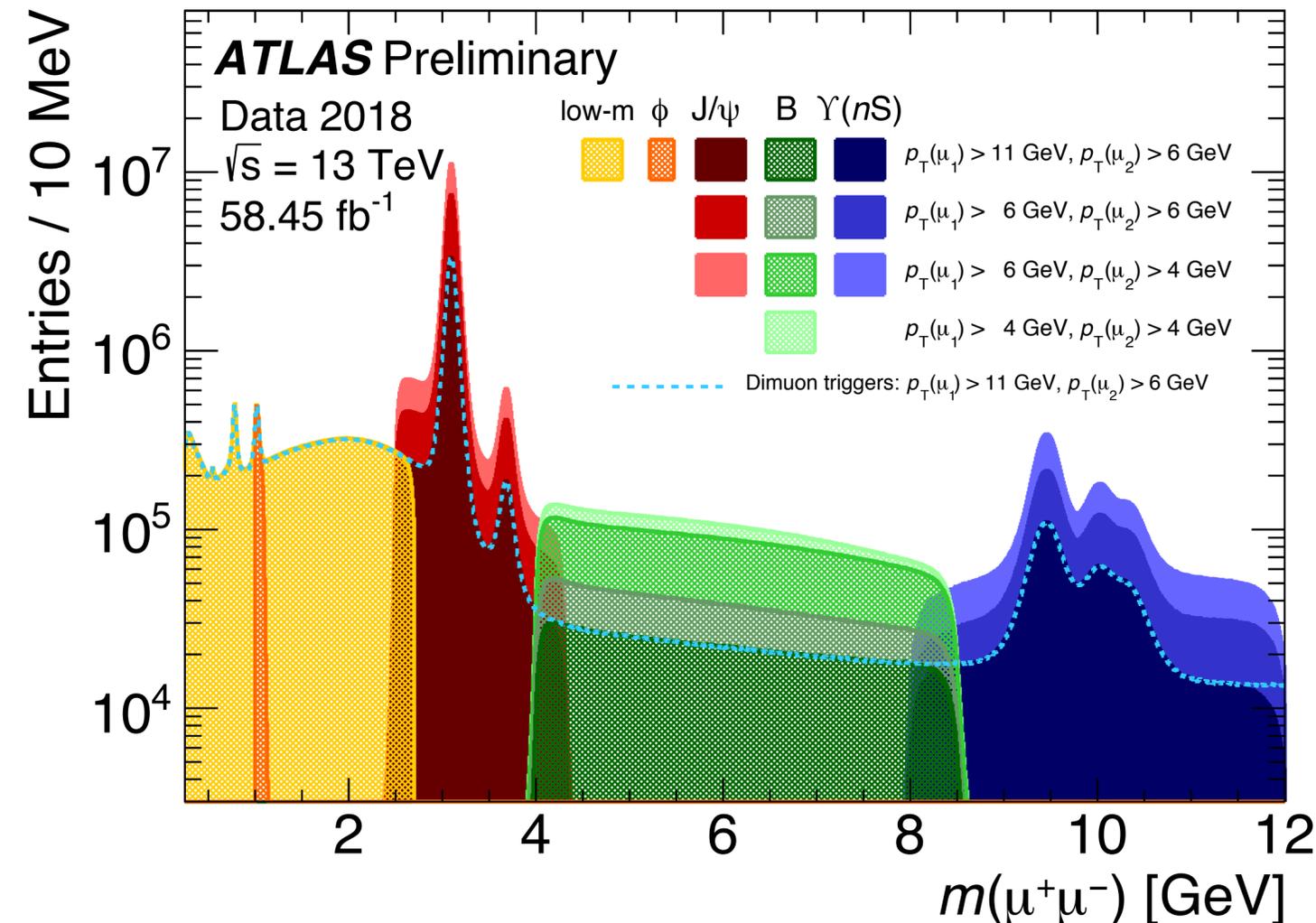
  – Further studies at higher √s needed.

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Summary

- Selected measurements from ATLAS in heavy flavour production shown.

- Quarkonia allowing probes of QCD at the pertubative / non-perturbative boundary and in studying effects of Cold Nuclear Matter

- Detailed studies of angular correlations in b b-bar production help to constrain theoretical inputs and improved understanding of certain background modelling

- Significant dataset from run-2 still to be exploited:
  - New results coming soon.
  - BPhysPublicResults

Additional Material

b-hadron pair production

- ## Splitting schemes for Pythia8

Option label	Descriptions
Opt. 1	The same splitting kernel, $(1/2)(z^2 + (1 - z)^2)$, for massive as massless quarks, only with an extra β phase-space factor. This was the default setting in PYTHIA8.1, and currently must also be used with the MC@NLO [50] method.
Opt. 4	A splitting kernel $z^2 + (1 - z)^2 + 8r_q z(1 - z)$, normalised so that the z-integrated rate is $(\beta/3)(1 + r/2)$, and with an additional suppression factor $(1 - m_{qq}^2/m_{\mathrm{dipole}}^2)^3$, which reduces the rate of high-mass $q\bar{q}$ pairs. This is the default setting in PYTHIA8.2.
Opt. 5	Same as Option 1, but reweighted to an $\alpha_{\mathrm{s}}(km_{qq}^2)$ rather than the normal $\alpha_{\mathrm{s}}(p_{\mathrm{T}}^2)$, with $k = 1$.
Opt. 5b	Same as Option 5, but setting $k = 0.25$.
Opt. 8	Same as Option 4, but reweighted to an $\alpha_{\mathrm{s}}(km_{qq}^2)$ rather than the normal $\alpha_{\mathrm{s}}(p_{\mathrm{T}}^2)$, with $k = 1$.
Opt. 8b	Same as Option 8, but setting $k = 0.25$.

Table 1: Description of PYTHIA8 options. Options 2, 3, 6 and 7 are less well physically motivated and not considered here. The notation used is as follows: $r_q = m_q^2/m_{qq}^2$, $\beta = \sqrt{1 - 4r_q}$, with m_q the quark mass and m_{qq} the $q\bar{q}$ pair invariant mass.
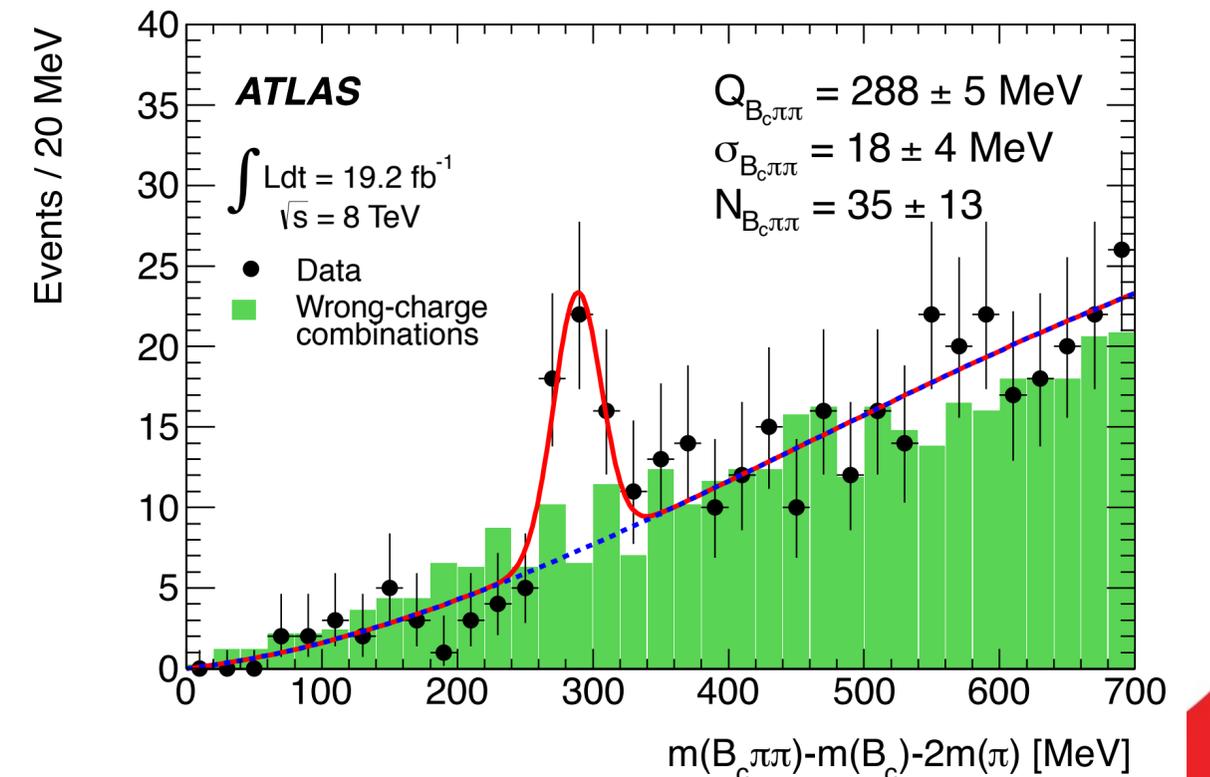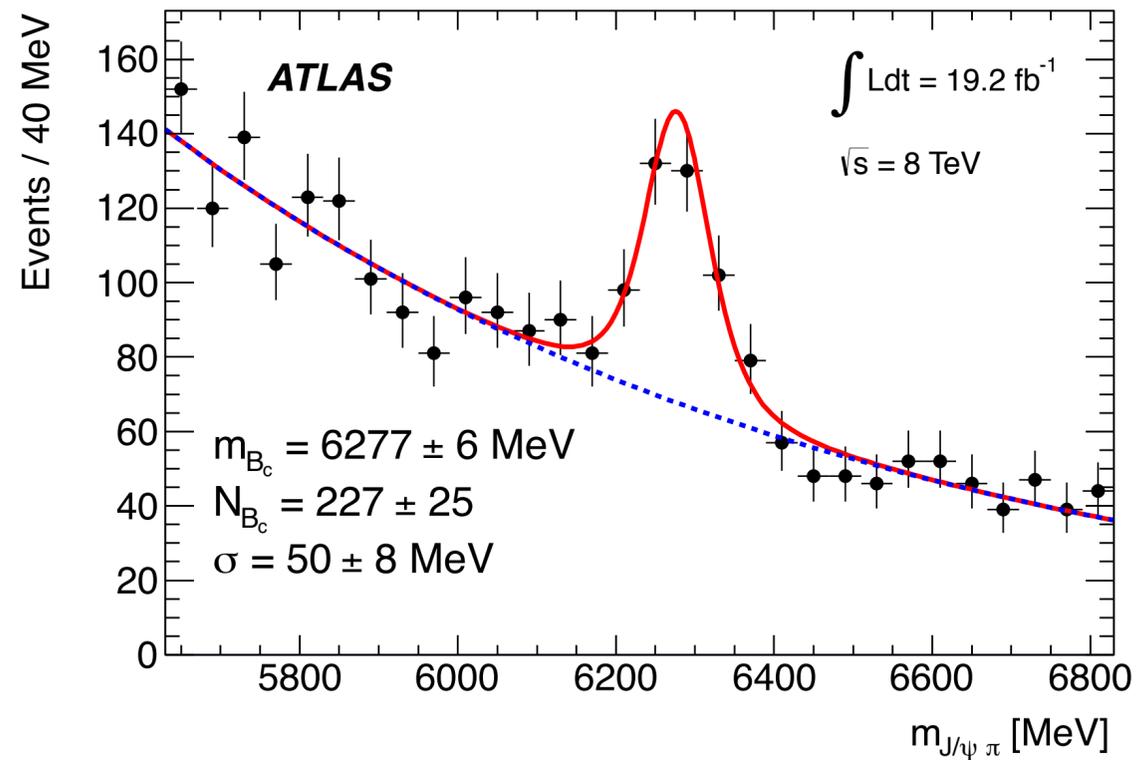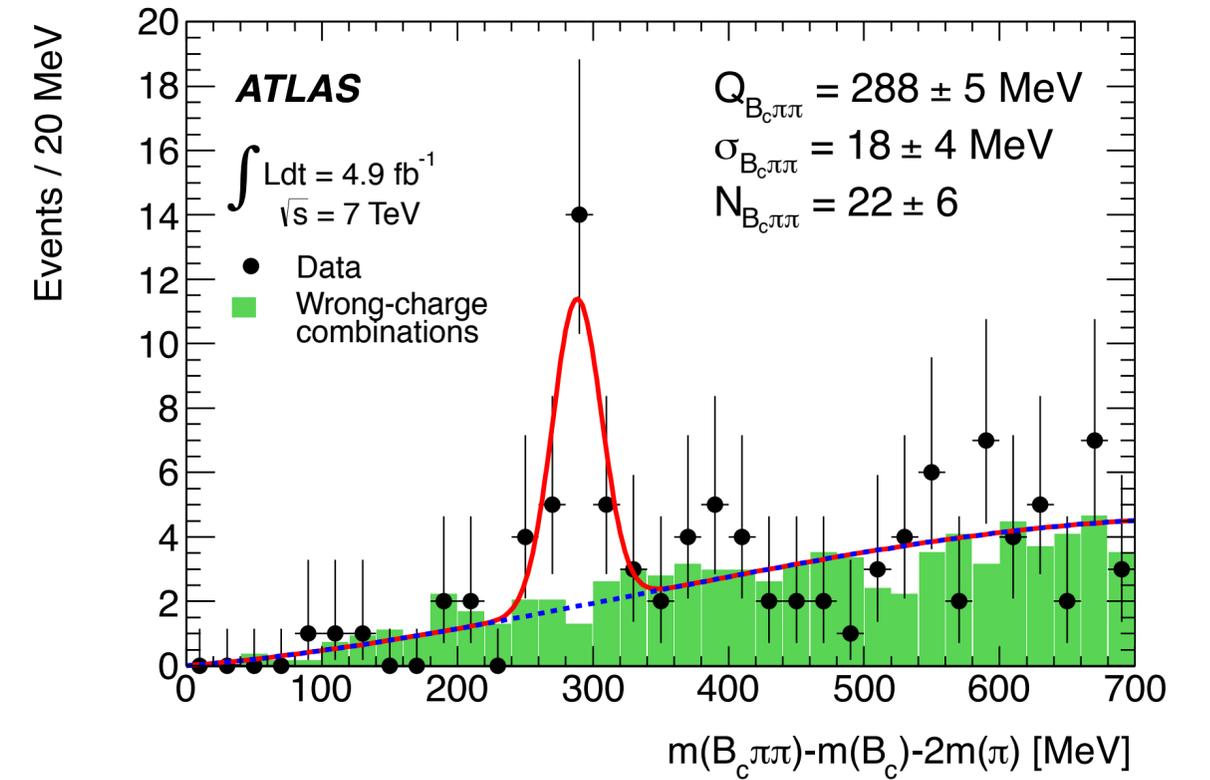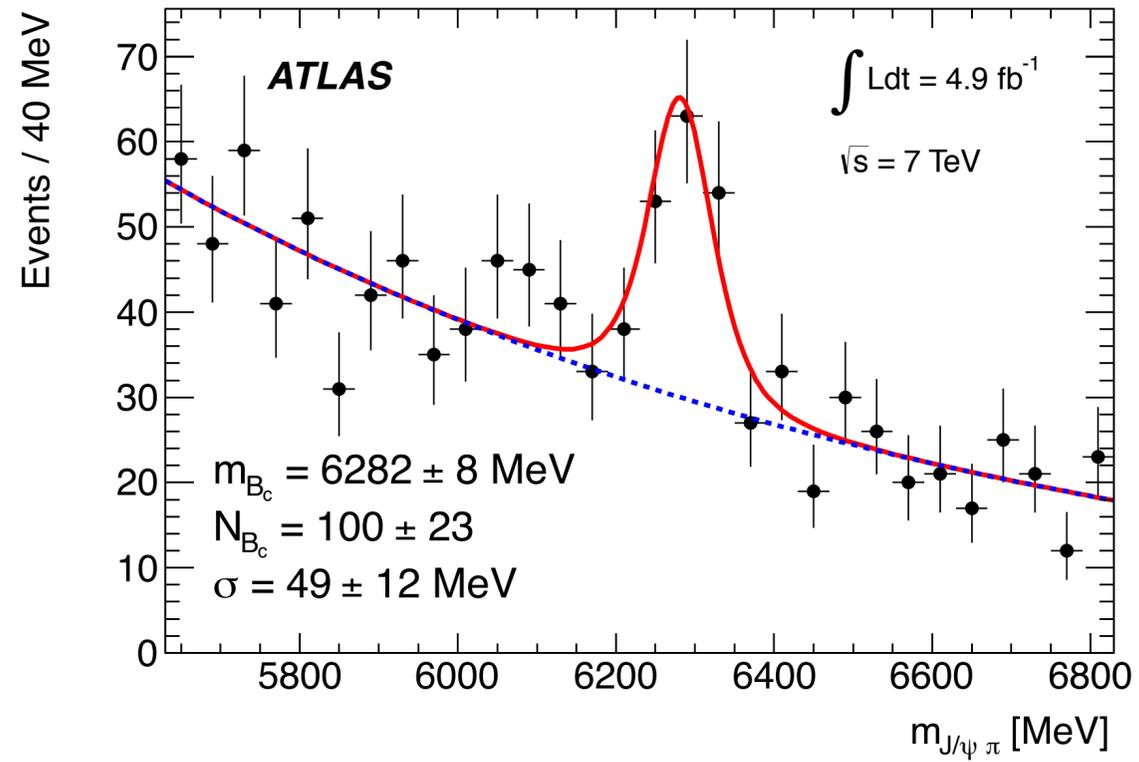
bb-bar: Backgrounds and Systematics

- Irreducible Backgrounds

- Systematic uncertainties

-

Bc(2S)

- ## J–P Lansberg

  https://arxiv.org/abs/1903.09185
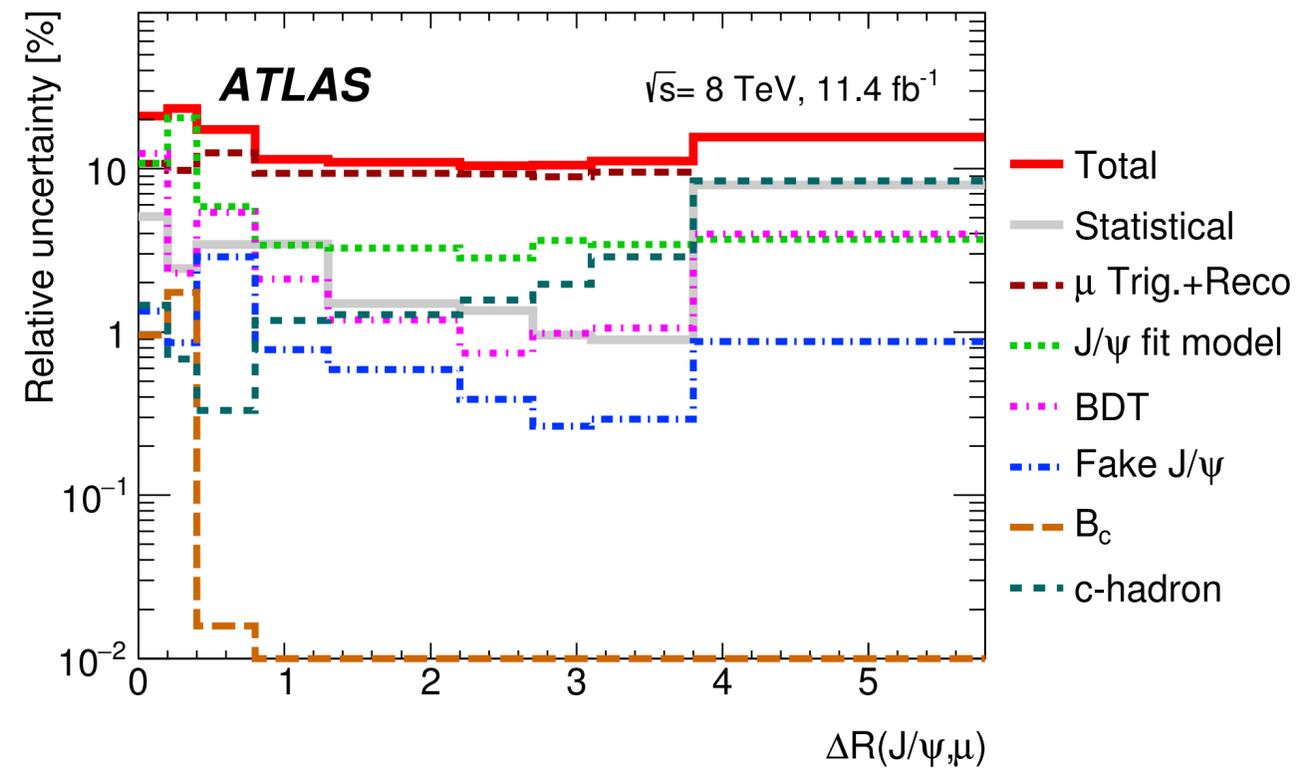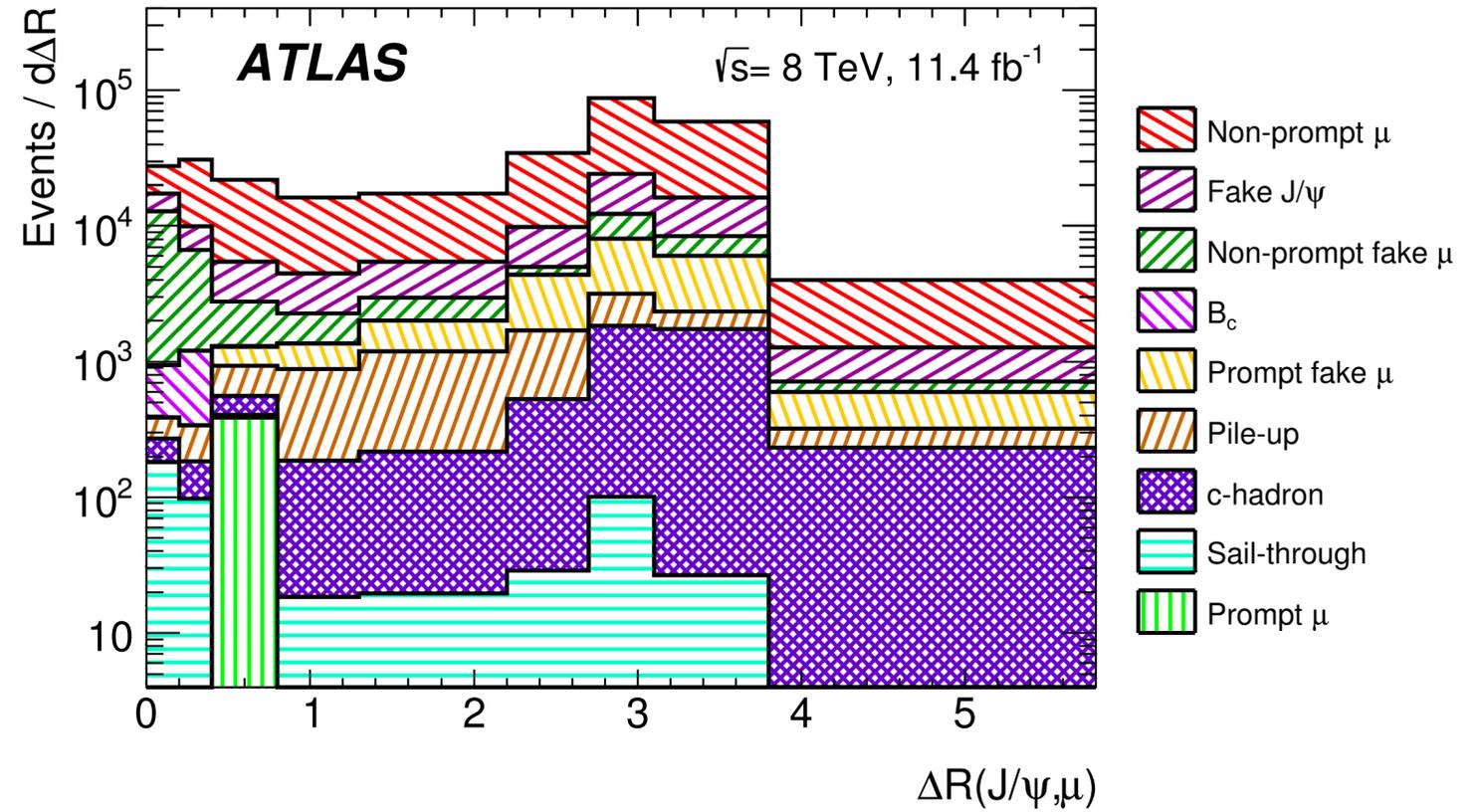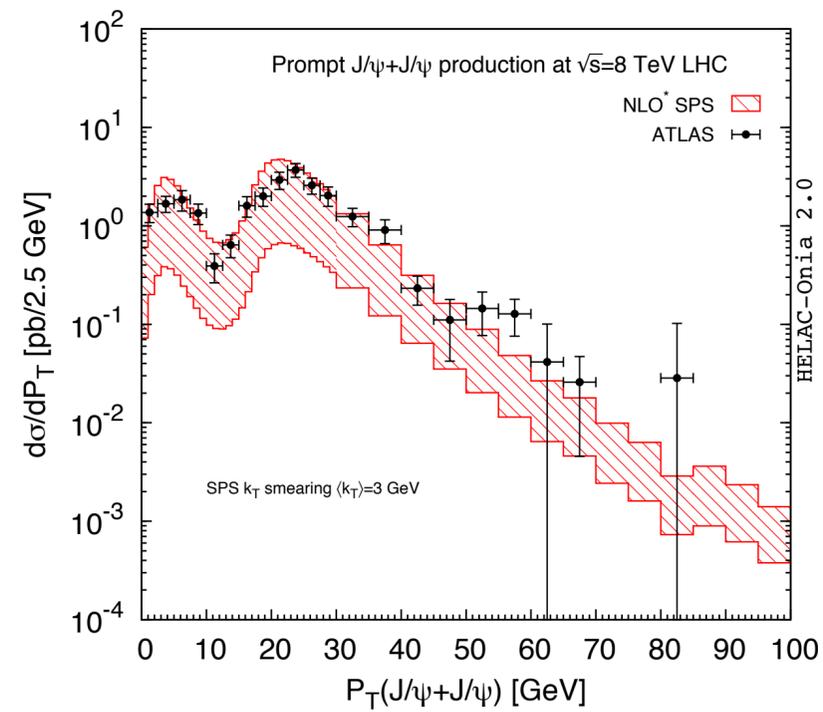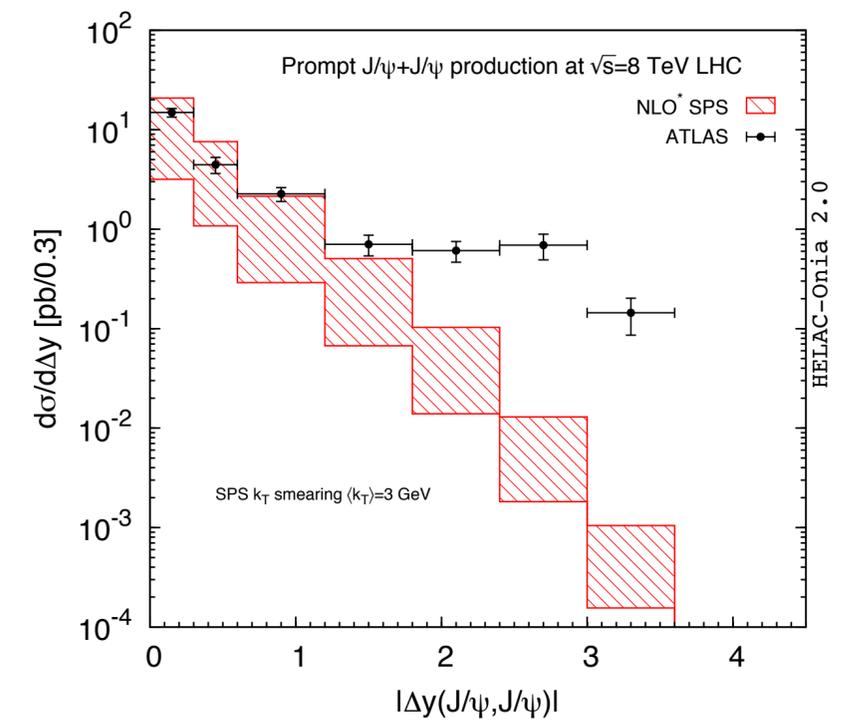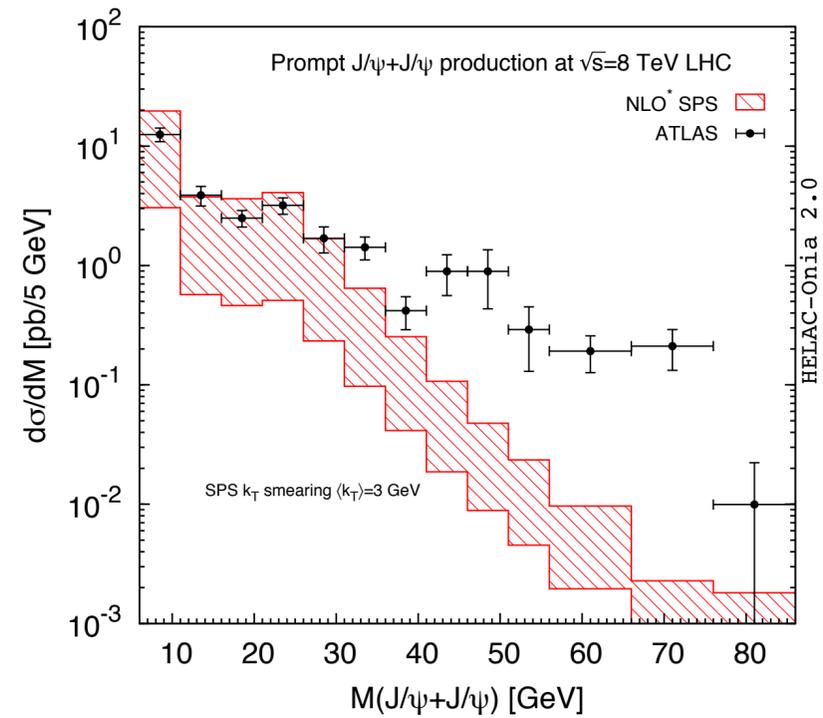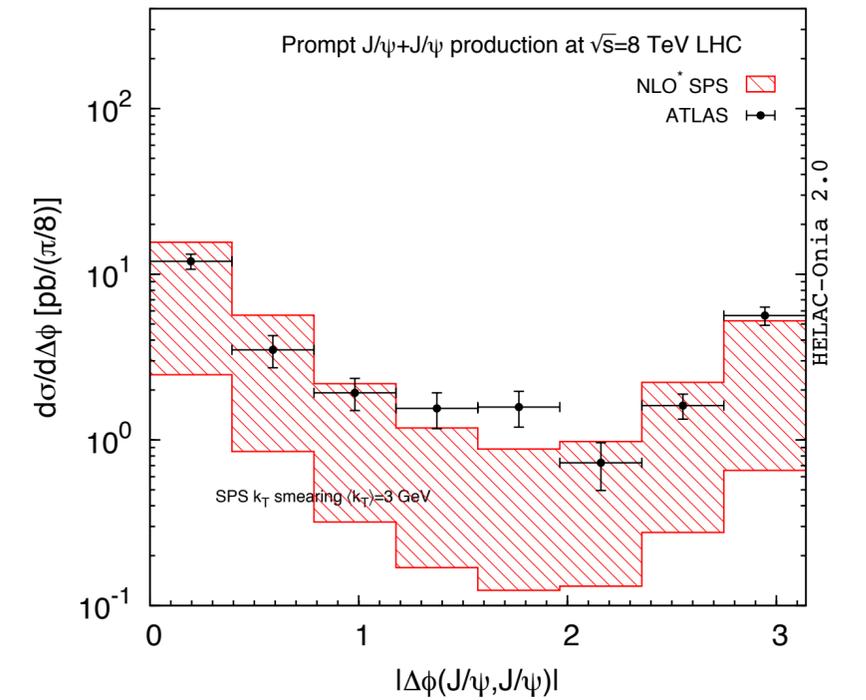

Figure 40: Comparison of the NLO⋆ CSM theoretical predictions with the ATLAS measurement as a function of the (a) pair transverse momentum; (b) absolute-rapidity difference ; (c) pair invariant mass; (d) azimuthal separation.