

Physics at FCC-ee



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Outline

1. The Future Circular Collider Study
2. FCC-ee Electroweak Studies at the Z Pole, ZH, W^+W^- and $t\bar{t}$ thresholds
3. QCD Physics at FCC-ee

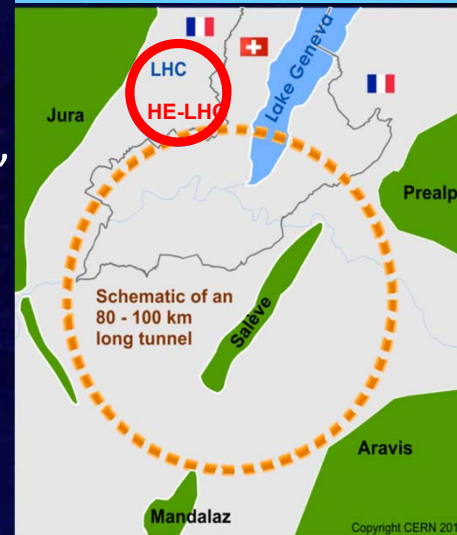


**FCC - international collaboration hosted at CERN,
goal: construction of ~100 km circumference
tunnel infrastructure in Geveva area**

to host:

- ✓ **e⁻e⁺ collider:** FCC-ee – potential first step, preceding the FCC-pp
- ✓ **p-p collider:** FCC-hh – flagship, 100 TeV p-p, 16T Nb₃Sn magnets
- ✓ **e-p collider:** FCC-he – additional option of e-p collisions; e⁻ from ERL

<https://fcc.web.cern.ch/>



- 136 institutes
- 34 countries
- 32 industrial partners



- **EuroCirCol project**
- **EASITrain ITN**

The Conceptual Design Report issued in January, 2019:

(~1364 contributors, 351 institutes – a truly global collaboration and effort – as suggested by the EPPSU'13):

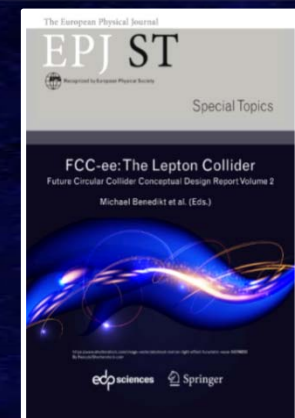
<https://fcc-cdr.web.cern.ch/>

The FCC-ee European Particle Physics Strategy Update (EPPSU) document:

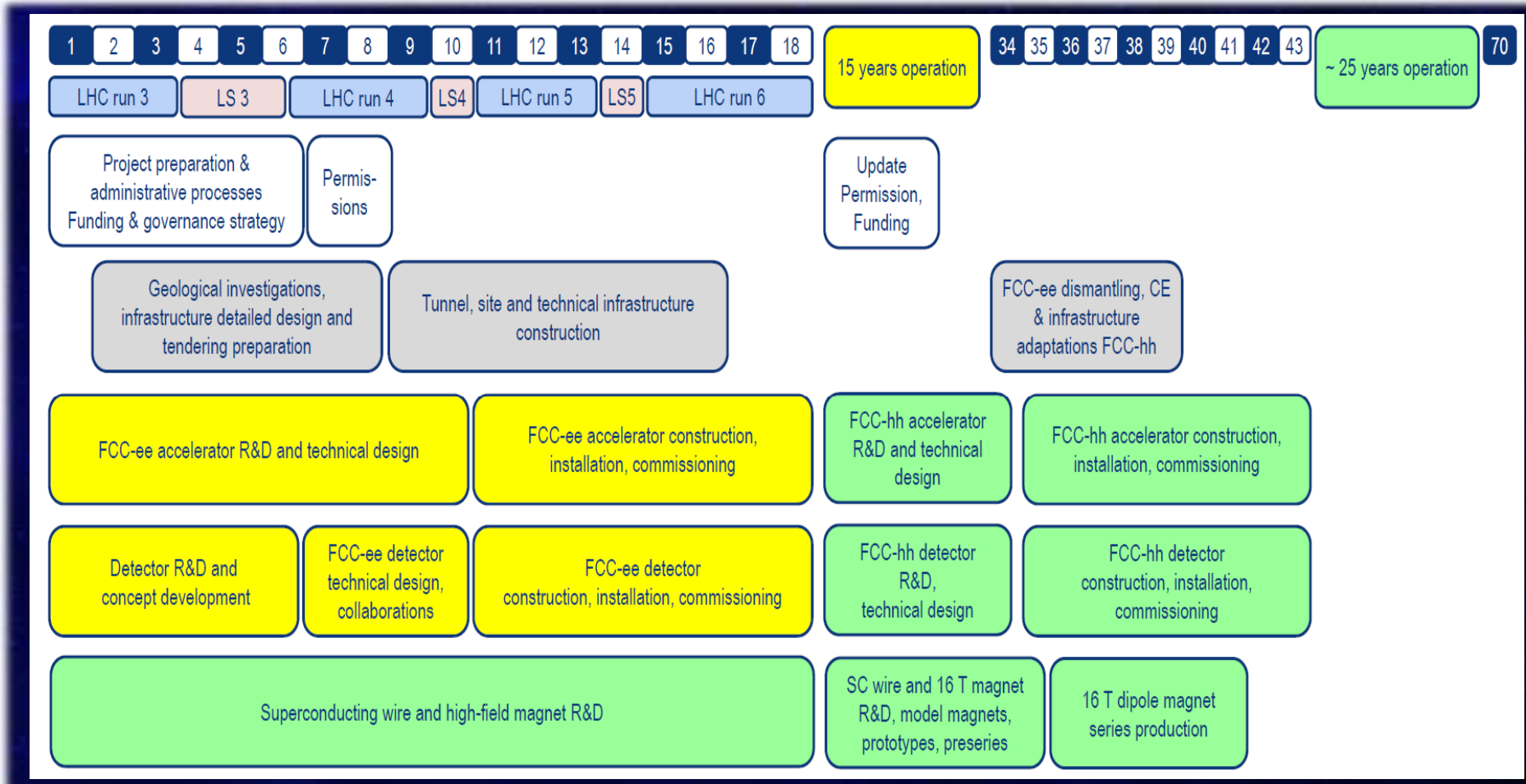
<https://cds.cern.ch/record/2653669>

FCC week 2019, Brussels, 24-28, June

<http://fccweek2019.web.cern.ch/>



The FCC project plan is fully integrated with HL-LHC exploitation and provides for seamless further continuation of particle physics in Europe



working point	Design luminosity/IP [$10^{34} \text{ cm}^{-2}\text{s}^{-1}$]	total luminosity (2 IPs)/ yr	physics goal	run time [years]
Z first 2 years	115 (50% nominal)	24 $\text{ab}^{-1}/\text{year}$	150 ab^{-1}	4
Z later	230	48 $\text{ab}^{-1}/\text{year}$		
W	28	6 $\text{ab}^{-1}/\text{year}$	10 ab^{-1}	2
H	8.5	1.7 $\text{ab}^{-1}/\text{year}$	5 ab^{-1}	3
machine modification for RF installation & rearrangement: 1 year				
top 1st year (350 GeV)	0.95 (50% nominal)	0.2 $\text{ab}^{-1}/\text{year}$	0.2 ab^{-1}	1
top later (365 GeV)	1.55	0.34 $\text{ab}^{-1}/\text{year}$	1.5 ab^{-1}	4

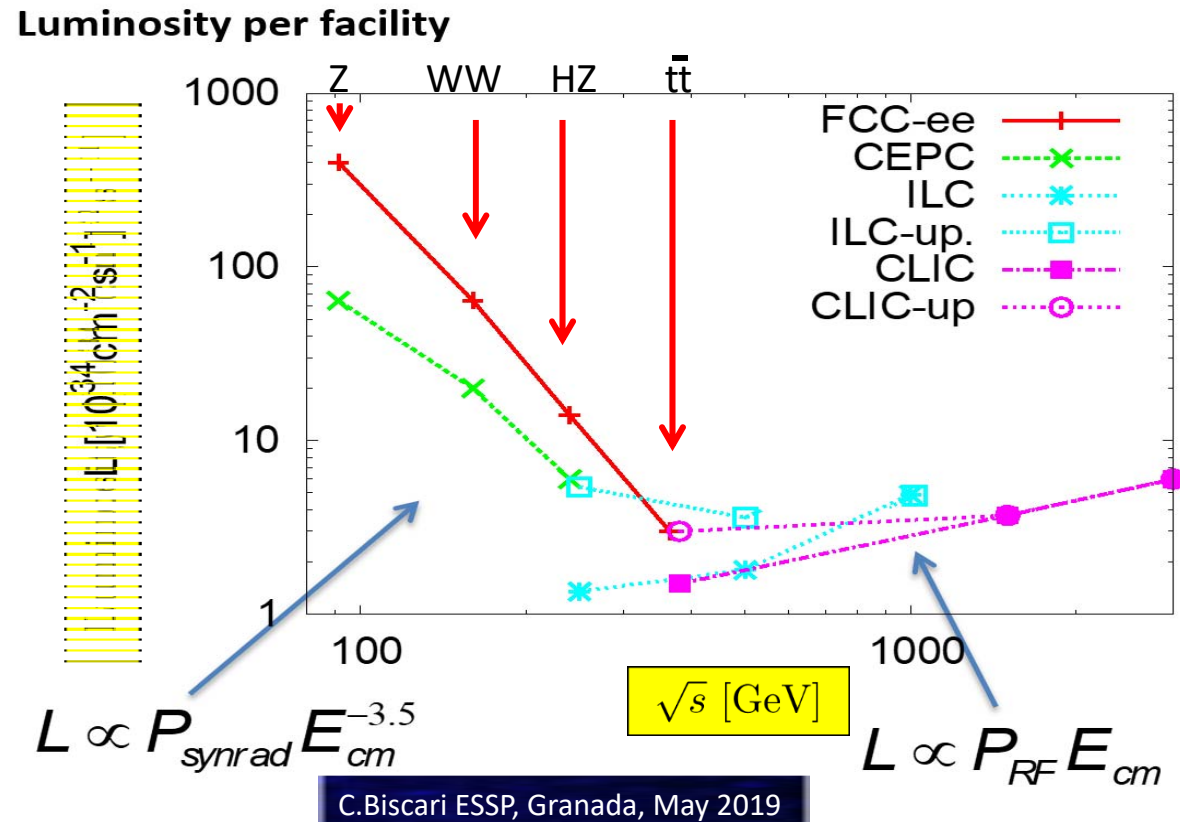
total program duration: 15 years (including machine modifications)

phase 1 (Z, W, H): 9 years,
phase 2 (top): 6 years

(Total luminosity calculation based on 185 physics days per year, 75% efficiency, design luminosities and 10% overall contingency)

- two rings (separate for e^+ and e^-); two interaction points (3 & 4 IPs under study), flat beams with very strong focusing ($\beta_y^* \approx 1\text{mm}$); top-up injection (booster), crab waist crossing optics, non-zero (30 mrad) crossing angle; $P_{SR} = 100\text{ MW}$, four working points:

Parameter	$\sqrt{s} = M_Z$	$\sqrt{s} = M(WW)$	$\sqrt{s} = M(ZH)$	$\sqrt{s} = M(t\bar{t})$	LEP2
E_{beam} [GeV]	45.6	80	120	175 - 182.5	104.5
Beam current [mA]	1390	147	29	5.4	4
No. Bunches/beam	16 640	2 000	393	48	4
SR energy loss/turn [GeV]	0.036	0.34	1.72	9.21	3.34
SR power [MW]	100	100	100	100	22
SR energy loss/turn [GeV]	0.036	0.34	1.72	9.21	3,4
RF Voltage [GV]	0.1	0.44	2.0	10.9	3.5
β_x^* [m]	0.15	0.2	0.3	1	1.5
β_y^* [mm]	0.8	1	1	1.6	50
ϵ_x [nm]	0.27	0.28	0.63	1.46	19.3
ϵ_y [pm]	1	1.7	1.3	2.9	230
L ($10^{34}\text{ cm}^{-2}\text{s}^{-1}$)/IP	230	28	8.5	1.55	0.012
Statistics (2expts)	$5 \times 10^{12}\text{ Z} / 6\text{yrs}$	$3 \times 10^7\text{ WW} / 2\text{yr}$	$10^6\text{ ZH} / 5\text{yrs}$	$10^6\text{ } t\bar{t} / 5\text{yrs}$	
LEP1 :	$2.1 \times 10^{31}\text{ cm}^{-2}\text{s}^{-1}$	LEP2 :	$3.6 \times 10^{31}\text{ cm}^{-2}\text{s}^{-1}$		



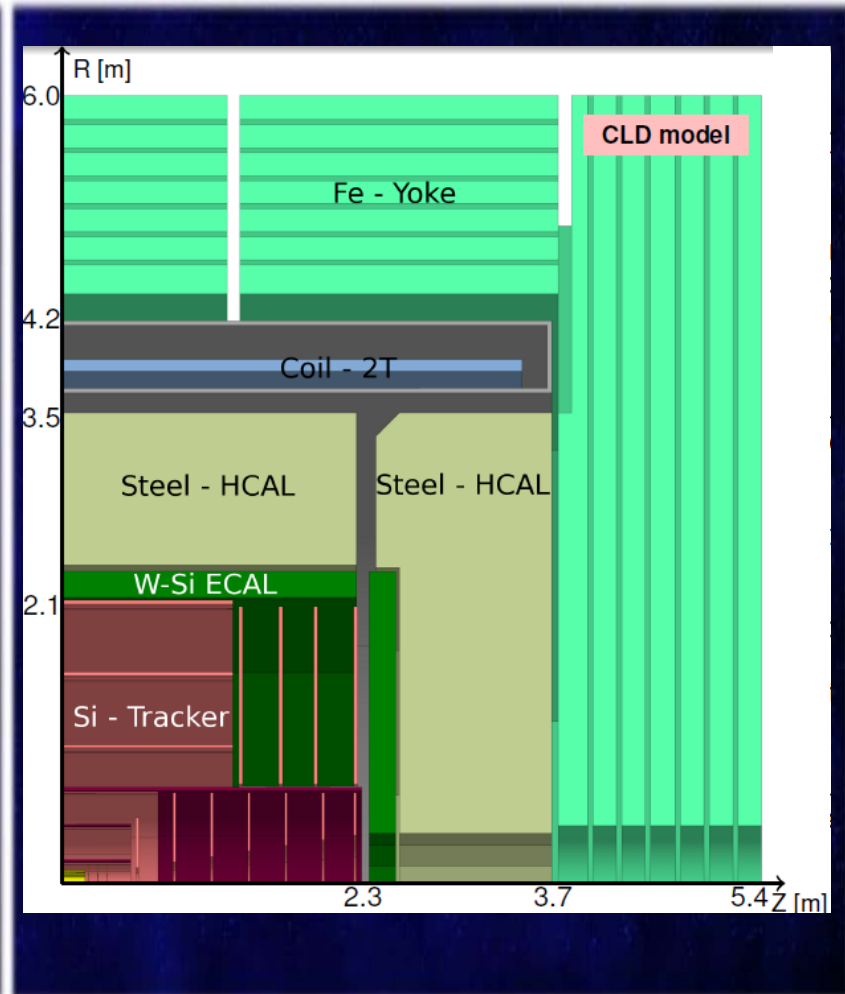
Event statistics:

Z peak	$E_{\text{cm}} : 91 \text{ GeV}$	$5 \cdot 10^{12}$	$e^+e^- \rightarrow Z$	LEP $\times 10^5$	100 keV
WW threshold	$E_{\text{cm}} : 161 \text{ GeV}$	$3 \cdot 10^7$	$e^+e^- \rightarrow WW$	LEP $\times 10^3$	300 keV
ZH threshold	$E_{\text{cm}} : 240 \text{ GeV}$	10^6	$e^+e^- \rightarrow ZH$	Never done	5 MeV
tt threshold	$E_{\text{cm}} : 350 \text{ GeV}$	10^6	$e^+e^- \rightarrow t\bar{t}$	Never done	10 MeV

E_{cm} errors:

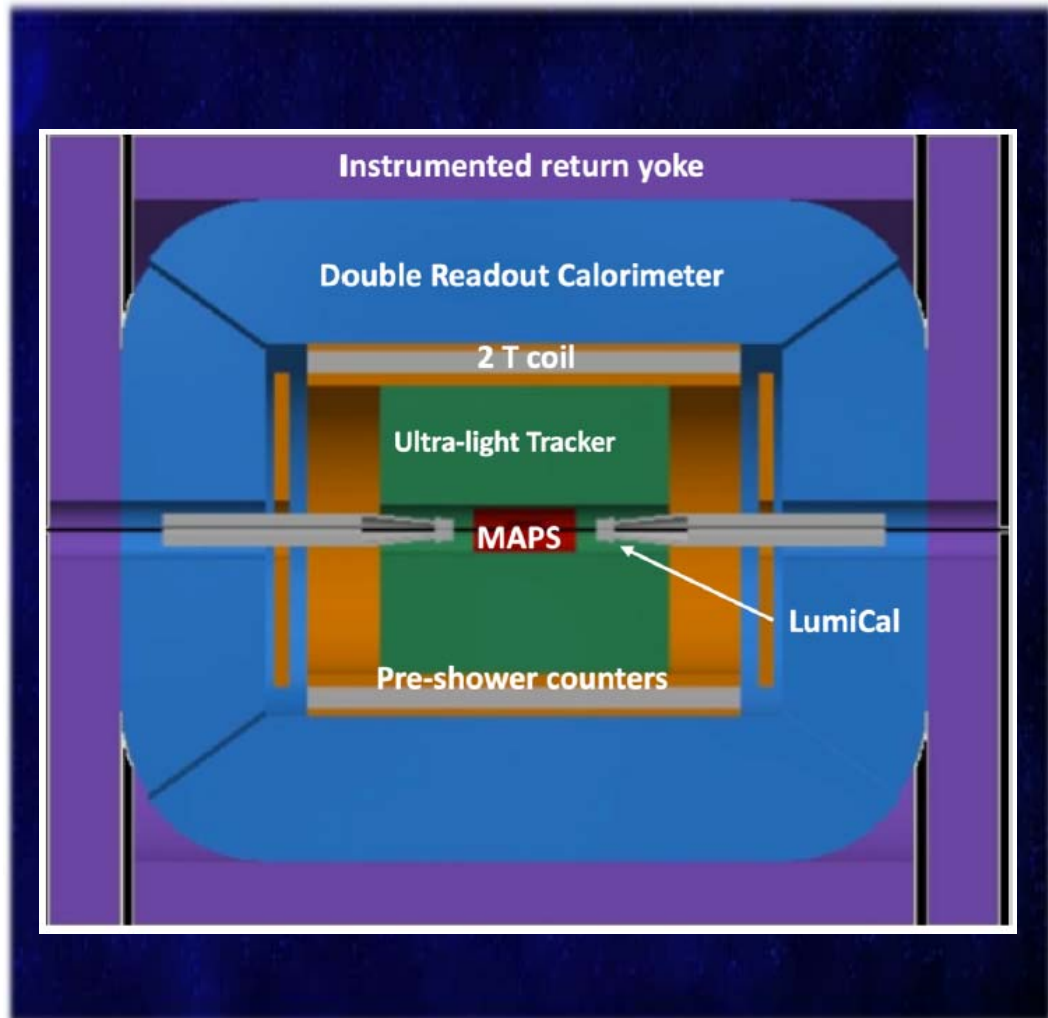
CLD - detector model for FCC-ee derived from CLICdp model and optimized for FCC-ee experimental conditions

- **Full silicon tracking system** (≥ 12 hits/track)
- **High granularity calorimeters optimized for particle flow reconstruction**
- **Superconducting coil (2T) located outside the calorimeters**
- **Steel return yoke containing muon chambers**
- **Forward region reserved for Machine-Detector Interface and LumiCal**
- Tracking fully efficient from 700 MeV
- $\delta p_T \approx 4 \times 10^{-5} \text{ GeV}^{-1}$ (for muons $p=100 \text{ GeV}$)
- $\Delta E/E = (3-5)\%$ (barrel region)
- Efficiency for electrons and gammas $> 95\%$



IDEA – new, innovative, possibly more cost-effective design

- **Silicon vertex detector**
(5 layers of pixels (MAPS) $30 \times 30 \mu\text{m}^2$, point resolution of $5 \mu\text{m}$)
- **Short-drift, ultra light wire chamber** (90%/10% He/ $i\text{C}_4\text{H}_{10}$, momentum resolution 0.25%, impact parameter resolution $4 \mu\text{m}$)
- **Dual-readout calorimeter**
(scintillating fibers sensitive to all charged particles, clear fibers sensitive only to Cherenkov light; $\frac{\sigma}{E} = \frac{11\%}{\sqrt{E}} + 1\%$)
- **Thin and light solenoid coil inside calorimetric system**
(2T, stored energy 170 MJ)



The ZH threshold never studied in e^+e^-

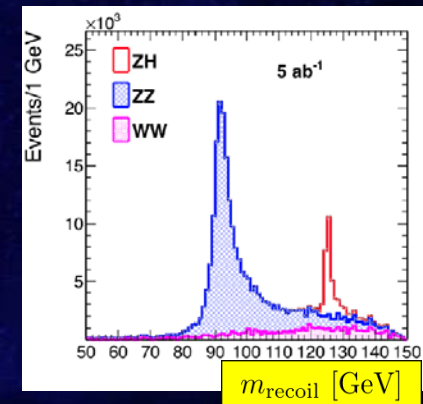
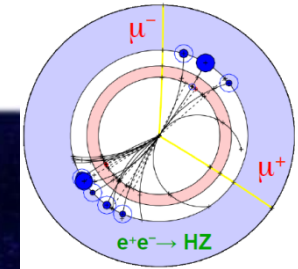
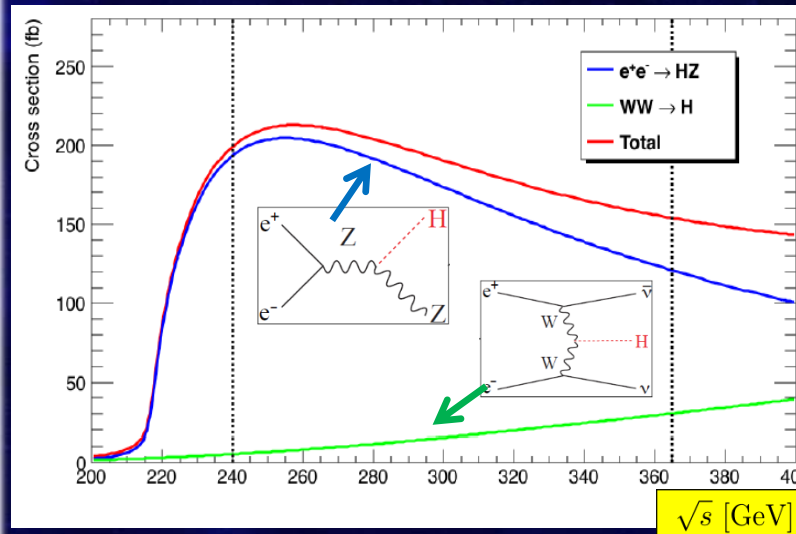
FCC-ee

$N_{ZH} \sim 10^6$

- ✓ The Higgs production measured inclusively from its presence as a recoil to the Z in the process $e^+e^- \rightarrow ZH$

$$m_{\text{recoil}}^2 = (\sqrt{s} - E_Z)^2 - p_Z^2$$

- ✓ $\Delta m_H = 10 \text{ MeV}$
- ✓ Absolute measurement of the $g_{HZZ} \rightarrow \Gamma_H \rightarrow$
 \rightarrow other couplings g_{ZXX}
 (X = b, c, τ , μ , W, g, γ , ...)



- ✓ The couplings of the 3rd and 2nd generation fermions accessible (most with sub-percent precision)
- ✓ This precision yields the New Physics (NP) sensitivity $\sim 10 \text{ TeV}$
- ✓ A possible pattern of deviations can discriminate between different BSM models
- ✓ See the talks: *Higgs measurements at the FCC-ee* (abstract 280)
Global EFT fits from Higgs at the FCC-ee (abstract 283)

Luminosity [ab^{-1}]	6.5
No. of years	7
$\delta\Gamma_H/\Gamma_H$ [%]	1.6
$\delta g_{HZZ}/g_{HZZ}$ [%]	0.22
$\delta g_{HWW}/g_{HWW}$ [%]	0.47
$\delta g_{Hbb}/g_{Hbb}$ [%]	0.68
$\delta g_{Hcc}/g_{Hcc}$ [%]	1.23
$\delta g_{Hgg}/g_{Hgg}$ [%]	1.03
$\delta g_{H\tau\tau}/g_{H\tau\tau}$ [%]	0.80
$\delta g_{H\mu\mu}/g_{H\mu\mu}$ [%]	8.6
$\delta g_{H\gamma\gamma}/g_{H\gamma\gamma}$ [%]	3.8

LEP

$$N_Z = 1.7 \times 10^7$$



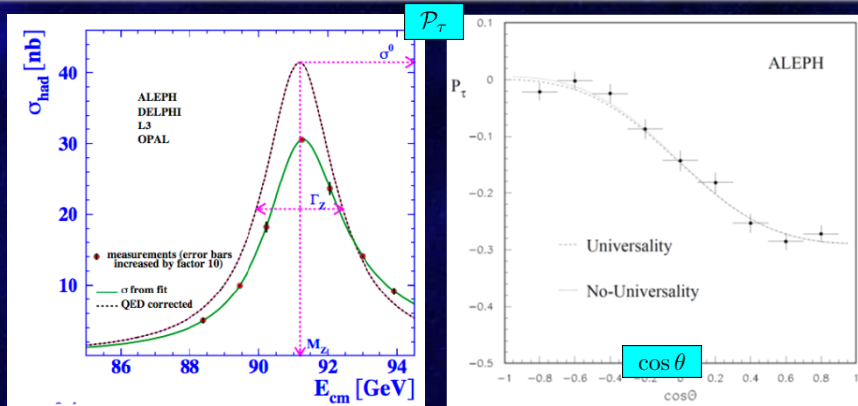
FCC-ee

$$N_Z \sim 5 \times 10^{12}$$



Extreme precision of EW observables

- ✓ Z pole scan:
- ✓ Beam energy calibration is crucial
- ✓ Precision limited by beam energy calibration and theoretical uncertainties



$$P_\tau(\cos\theta) = \frac{\mathcal{A}_\tau(1 + \cos^2\theta) + 2\mathcal{A}_e \cos\theta}{(1 + \cos^2\theta) + \mathcal{A}_e \mathcal{A}_\tau \cos\theta}$$

Observable	present value ±error	FCC-ee Stat.	FCC-ee Syst.	Improvement factor
m_Z [keV/c ²]	91186700 ± 2200	5	100	22
Γ_Z [keV]	2495200 ± 2300	8	100	23
R_l^Z [$\times 10^3$]	20767 ± 25	0.06	0.2 – 1	125 – 25
$\alpha_S(m_Z)$ [$\times 10^4$]	1196 ± 30	0.1	0.4 – 1.6	75 – 19
R_b [$\times 10^6$]	216290 ± 660	0.3	< 60	11
N_ν [$\times 10^3$]	2991 ± 7	0.005	1	7
$\sin^2 \theta_W^{\text{eff}}$ [$\times 10^6$]	231480 ± 160	3	2 – 5	44 – 28
$1/\alpha_{\text{QED}}(m_Z)$ [$\times 10^3$]	128952 ± 14	4	small	3.5
$A_{\text{FB},0}^b$ [$\times 10^4$]	992 ± 16	0.02	1 – 3	16 – 5
$A_{\text{FB}}^{\text{pol},\tau}$ [$\times 10^4$]	1498 ± 49	0.15	< 2	25

$$R_l = \frac{\Gamma_{\text{had}}}{\Gamma_{ll}} \quad N_\nu = \left(\frac{\Gamma_l}{\Gamma_\nu} \right)_{\text{SM}} \cdot \left(\sqrt{\frac{12\pi R_l}{M_Z^2 \sigma_{\text{had}}^{\text{peak},0}} - R_l - 3} \right)$$

$$A_f = \frac{2g_V^f g_A^f}{(g_V^f)^2 + (g_A^f)^2}$$

$$A_{\text{FB}}^f = \frac{\sigma_F - \sigma_B}{\sigma_F + \sigma_B} = \frac{3}{4} A_e A_f \quad \sin^2 \theta_W^{\text{eff}} = \frac{1}{4} \left(1 - \frac{g_V^f}{g_A^f} \right)$$

- ✓ The direct measurement of $\alpha_{\text{QED}}(m_Z^2)$ from the muon FB asymmetry just below and just above the Z pole (as part of Z resonance scan – no need of extrapolation from $\alpha_{\text{QED}}(0)$)

P.Janot JHEP 02 (2016) 053

- ✓ See the talk „Electroweak physics at FCC-ee” (abstract 281)

The WW threshold scan

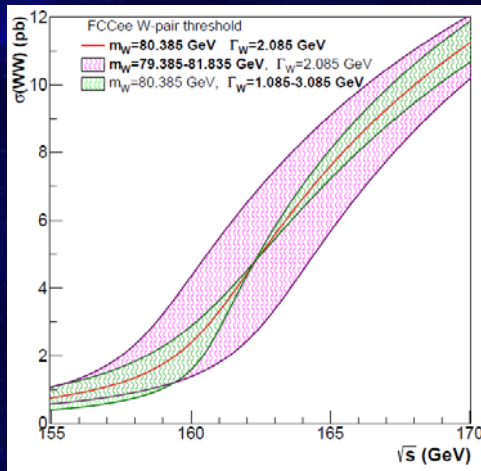
LEP

$$N_{WW} = 1.1 \times 10^4$$



FCC-ee

$$N_{WW} \sim 3 \times 10^7$$



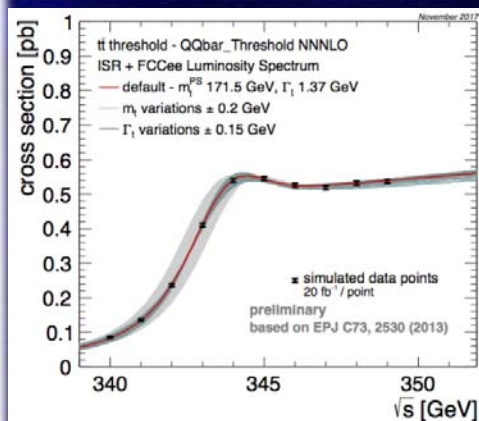
Observable	present value ±error	FCC – ee Stat.	FCC – ee Syst.	Improvement factor
m_W [MeV/c ²]	80379 ± 12	0.6	0.3	18
Γ_W [MeV]	2085 ± 42	1.5	0.3	27

See the talk „*Electroweak physics at FCC-ee*” (abstract 281)

The t-tbar threshold never studied in e⁺e⁻

FCC-ee

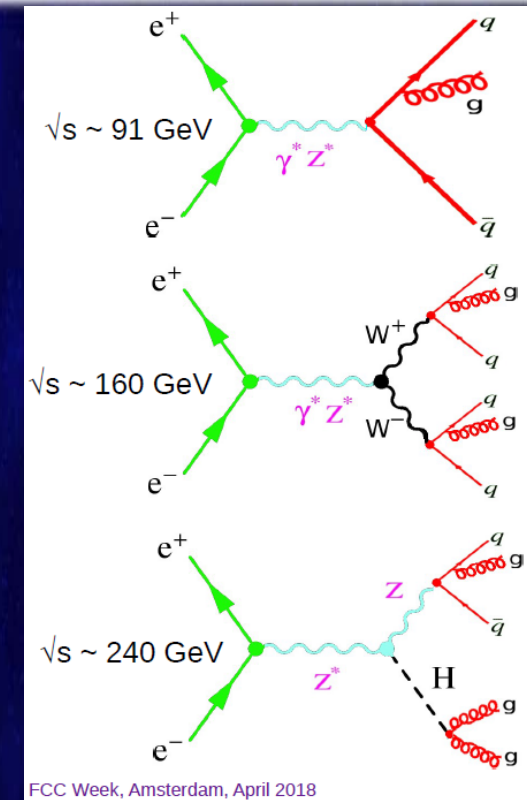
$$N_{t\bar{t}} \sim 10^6$$



Observable	present value ±error	FCC – ee Stat.	FCC – ee Syst.	Improvement factor
m_t [MeV/c ²]	172900 ± 400	20	small	20
Γ_t [MeV]	1420 ± 190	40	small	5

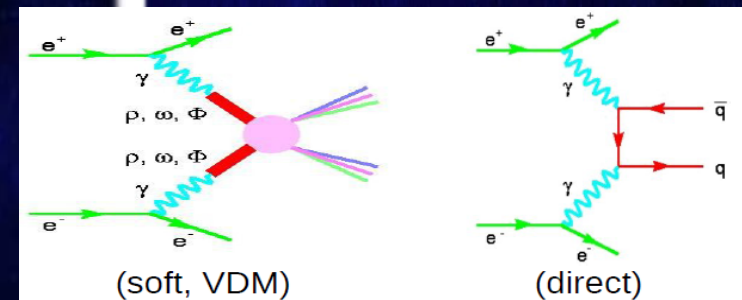
See the talk „*Top quark physics at the FCC-ee*” (abstract 284)

- ✓ Extremely clean environment
- ✓ Fully controlled QED initial-state with known kinematics
- ✓ Controlled QCD radiation - only from the final state
- ✓ Well defined quark, gluon and heavy-quark jets
- ✓ Relatively small non-perturbative QCD uncertainties (lack of QCD underlying event, no PDFs....)
- ✓ Fragmentation and hadronization - direct and clean
- ✓ Large statistical samples
- ✓ Studies of γ - γ SM and BSM collisions (in Equivalent Photon Approximation (EPA))
- ✓ ...



FCC Week, Amsterdam, April 2018

David d'Enterria



- ✓ The successful running of LEP yielded a crucial impact on the understanding of QCD (~240 publications)
- ✓ **The QCD highlights from LEP:**
 - Studies of hadronic event shapes
 - Measurements of α_s
 - Determinations of QCD colour factors and tests of the non-Abelian gauge structure of QCD
 - Studies of differences between quark and gluon jets
 - Tests of Monte Carlo shower and hadronization models
 - Studies of QCD with heavy quarks
 - Advances in two-photon scattering processes
 - ...

No. of hadronic events	LEP	FCC-ee
$\sqrt{s} \sim 91 \text{ GeV}$	10^7	10^{12}
$\sqrt{s} \sim 160 \text{ GeV}$	10^4	10^7
$\sqrt{s} \sim 240 \text{ GeV}$	-	10^5

- ✓ **High precision α_s determination** (with the accuracy at the ‰ level) from
 - hadronic τ decays
 - Jet rates, event shapes
 - hadronic Z decays
 - hadronic W decays

- ✓ **High precision studies of perturbative parton radiation including:**
 - jet rates and event shapes
 - jet substructure,
 - quark/gluon/heavy-quark discrimination
 - g,q,b,c parton-to-hadron fragmentation functions

- ✓ **High precision non-perturbative QCD studies including:**
 - colour reconnection
 - final-state multiparticle correlations

- ✓ **High precision hadronization studies**
 - very rare hadron production and decays

- ✓ The α_s determines the strength of the strong interaction at a given scale
- ✓ The unique free parameter of QCD in the limit $m_q \rightarrow 0$

- ✓ The α_s is the least precisely measured of all four couplings of fundamental interactions:

$$\Delta\alpha \sim 10^{-10}$$

$$\Delta G_F \sim 10^{-7}$$

$$\Delta G \sim 10^{-5}$$

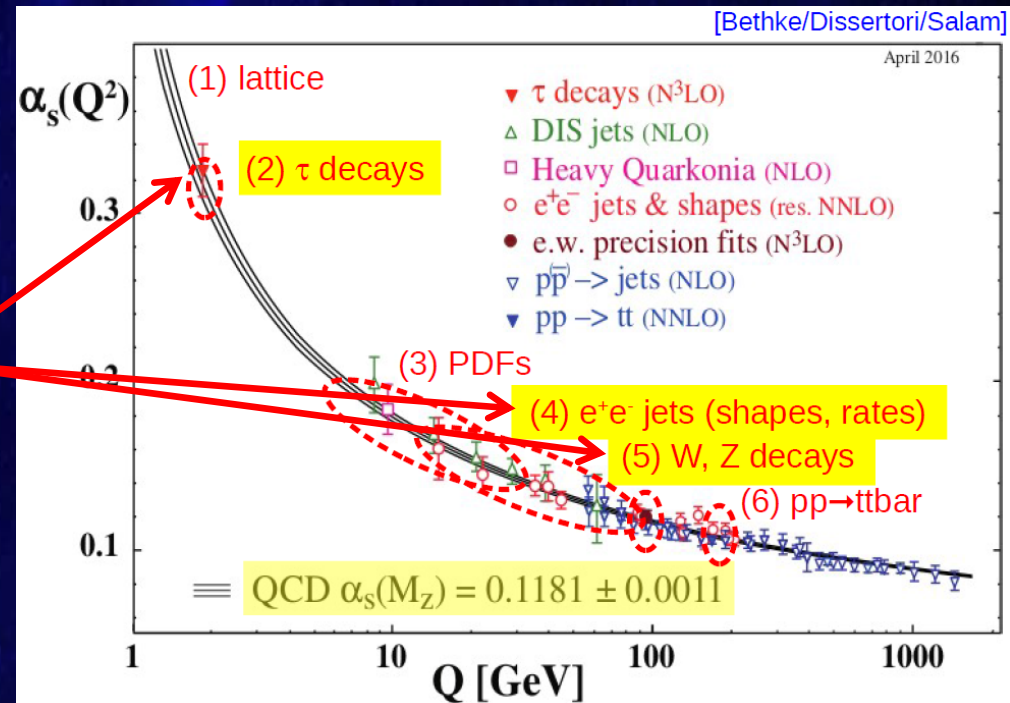
$$\Delta\alpha_s \sim 10^{-2}$$

- ✓ huge statistics of hadronic τ , W and Z decays
- ✓ N^3LO perturbative QCD calculations



$$\Delta\alpha_s \sim 10^{-3}$$

- ✓ The α_s is determined by comparing now 6 groups of experimental observables to pQCD NNLO and N^3LO predictions
- ✓ The global average is provided at the Z pole



✓ **τ decays:** The relevant quantity:

$$R_\tau = \frac{\Gamma(\tau^- \rightarrow \nu_\tau + \text{hadrons})}{\Gamma(\tau^- \rightarrow \nu_\tau e^- \bar{\nu}_e)}$$

computable at N³LO:

$$R_\tau = S_{EW} N_C \left(1 + \sum_{n=1}^4 c_n \left(\frac{\alpha_S}{\pi}\right)^n + \mathcal{O}(\alpha_S^5) + \delta_{np} \right)$$

✓ The current experimental value:

$$R_{\tau, \text{exp}} = 3.4697 \pm 0.0080 \quad (\pm 0.23\%)$$

✓ The current determination of the α_s :

$$\alpha_S(m_Z) = 0.1192 \pm 0.0018 \quad (\pm 1.5\%)$$

FCC-ee

$$N(Z \rightarrow \tau^+ \tau^-) \sim 10^{11}$$

& theoretical progress



$$\delta\alpha_S(m_Z)/\alpha_S(m_Z) < 1\%$$

✓ **The event shapes**, like e.g. thrust (T), C-parameter...

$$T = \max_{\vec{n}} \left(\frac{\sum_{i=1}^n |\vec{p}_i \cdot \vec{n}|}{\sum_{i=1}^n |\vec{p}_i|} \right)$$

$$C = \frac{3}{2} \frac{\sum_{i,j=1}^n |\vec{p}_i| |\vec{p}_j| \sin^2 \theta_{ij}}{(\sum_{i=1}^n |\vec{p}_i|)^2}$$

and N jet cross sections

are computed at
N^{2,3}LO+N²LL accuracy

✓ The current combination of LEP results yields

$$\delta\alpha_S(m_Z)/\alpha_S(m_Z) < 2.9\%$$

FCC-ee

$$N(Z \rightarrow \text{hadrons}) \sim 10^{12}$$

& theoretical progress



$$\delta\alpha_S(m_Z)/\alpha_S(m_Z) < 1\%$$

Hadronic Z decays:

- ✓ at LEP, the α_s was extracted from the fits to the three Z-peak observables

$$\sigma_l^0 = \frac{12\pi}{m_Z} \frac{\Gamma_l^2}{\Gamma_Z^2} \quad \sigma_{\text{had}}^0 = \frac{12\pi}{m_Z} \frac{\Gamma_e \Gamma_{\text{had}}}{\Gamma_Z^2}$$

$$R_l^0 = \frac{\Gamma(Z \rightarrow \text{had})}{\Gamma(Z \rightarrow l)} = \frac{\Gamma_{\text{had}}}{\Gamma_l}$$

- ✓ computable at N³LO:

$$R_l^0 = R_Z^{\text{EW}} N_C \left(1 + \sum_{n=1}^4 c_n \left(\frac{\alpha_S}{\pi} \right)^n + \mathcal{O}(\alpha_S^5) + \delta_m + \delta_{\text{np}} \right)$$

- ✓ The current α_s value:

$$\alpha_S(m_Z) = 0.1196 \pm 0.0030 \quad (\pm 2.5\%)$$

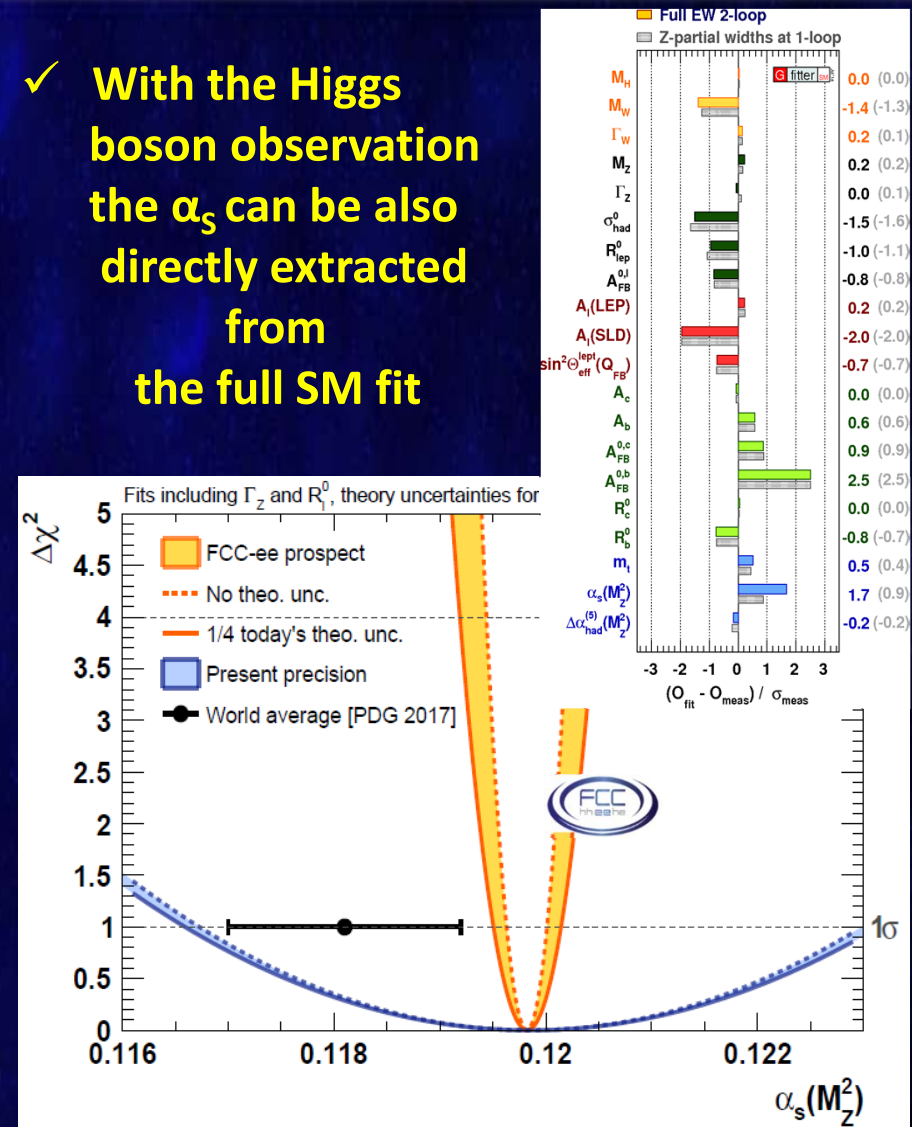
FCC-ee

$$N_Z \sim 5 \times 10^{12}$$

and theoretical progress

➔ $\delta\alpha_S(m_Z)/\alpha_S(m_Z) < 0.2\%$

- ✓ With the Higgs boson observation the α_s can be also directly extracted from the full SM fit



Hadronic W decays:

- ✓ The observable: ratio of hadronic to leptonic W decay widths

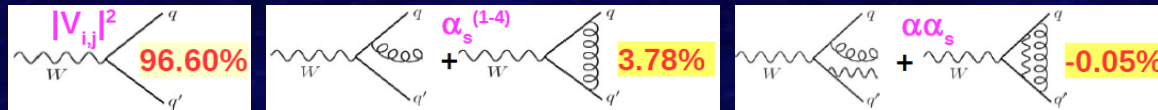
$$R_W = \frac{\Gamma_{had}^W}{\Gamma_l^W}$$

$$\Gamma_{W,had} = \frac{\sqrt{2}}{4\pi} G_F m_W^3 \sum_{\text{quarks } i,j} |V_{i,j}|^2 \left[1 + \sum_{k=1}^4 \left(\frac{\alpha_S}{\pi} \right)^k + \delta_{EW}(\alpha_{QED}) + \delta_{mixed}(\alpha_{QED}\alpha_S) \right]$$

[EWK: -0.35%]

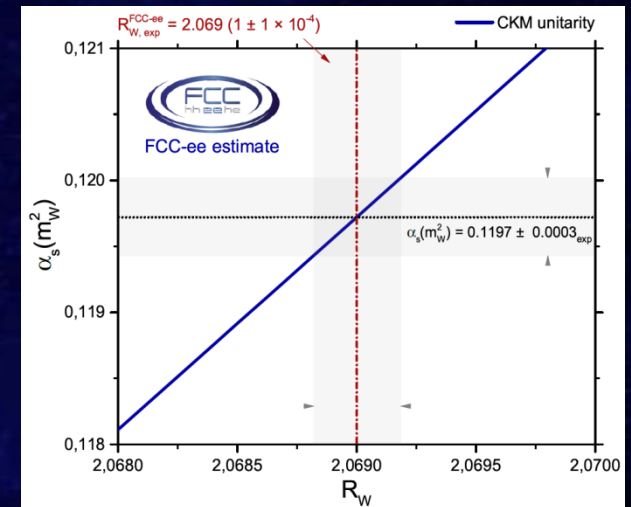
D.d'Enterria, M.Srebre, arXiv:1603.06501

- ✓ computable at N^{2,3}LO:



- ✓ The LEP α_s value: $\alpha_s(m_Z) = 0.117 \pm 0.040$ ($\pm 35\%$)

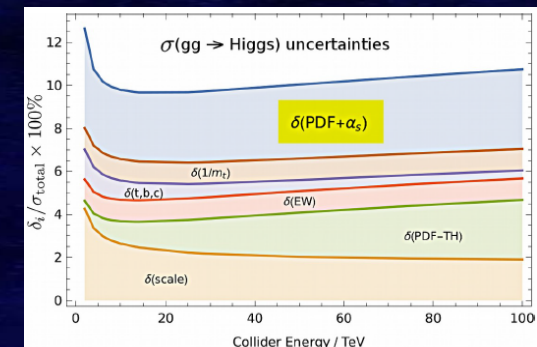
FCC-ee $N_{WW} \sim 3 \times 10^7$ \rightarrow $\delta\alpha_s(m_Z)/\alpha_s(m_Z) < 0.3\%$
and theoretical progress



The precision on α_s influences all QCD cross-sections and decays ...

Quantity	FCC-ee	future param.unc.	Main source
Γ_Z [MeV]	0.1	0.1	$\delta\alpha_s$
R_b [10^{-5}]	6	< 1	$\delta\alpha_s$
R_ℓ [10^{-3}]	1	1.3	$\delta\alpha_s$

David d'Enterria | FCC Phys. Workshop, CERN, Jan 2018



- ✓ **Jet rates** are expected to be measured with the accuracy 10^{-6} (at the Z pole), including:

Rate of	up to k_T [GeV]	$ \ln(y) $
4-jet events	~30	~2
5-jet-events	~20	~3
6-jet events	~12	~4
7-jet events	~7.5	~5

(jet resolution parameter: $y = \frac{k_T^2}{s}$)



Comparison with theoretical calculations with accuracy beyond the NNLO+NNLL
($\rightarrow \alpha_s$ extraction)

- ✓ Event shapes are affected by logarithmic enhancements (resummed up to N³LL: pQCD, SCET,...) and hadronization corrections (estimated from MC generators)

- ✓ **The FCC-ee operating at different CM energies will provide much tighter control on resummation and hadronization effects in event shape distributions**



$\sqrt{s} = 91.2 \text{ GeV}$



non-perturbative uncertainties reduced from 9% to 2%

- ✓ **Goal:** parton flavour discrimination (PFD): quark – gluon; (u,d,s) – c – b
- ✓ Such separation crucial for precision SM measurements and BSM searches
- ✓ The PFD is based on the comparison of jet substructure properties to MC predictions
- ✓ Quark-gluon PFD at LEP: studies of $Z \rightarrow b\bar{b}g$ (statistically limited)

- ✓ - **10^5 more Zs**
- a unique sample of 10^4 $H \rightarrow gg$ events - FCC-ee as a „pure gluon” factory

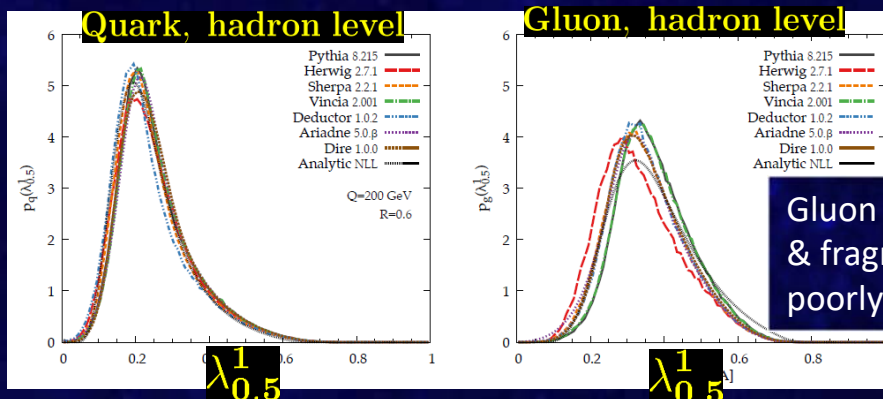
- ✓ The current level of discrepancies between MC generators (hadron level distributions):

The generalized angularities:

$$\lambda_{\beta}^{\kappa} = \sum_{i \in \text{jet}} z_i^{\kappa} \theta_i^{\beta}$$

z_i – the momentum fraction of particle i

θ_i – the angular fraction of part. i w.r.t. the jet radius



Gluon radiation & fragmentation poorly known

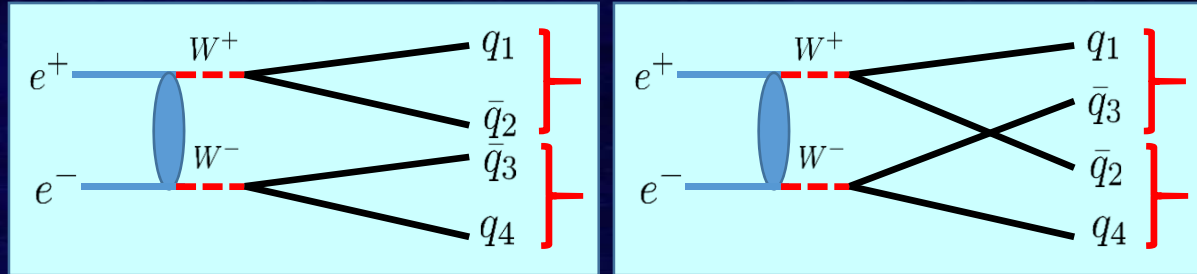
Significant variations between generators for gluon distributions
new insight from the FCC-ee

- ➔ : large samples of top, W, Z, H decays to b and c quarks; important progress in heavy-quark fragmentation and in gluon fragmentation $g \rightarrow b\bar{b}$ ($c\bar{c}$)

- ✓ The uncertainties due to non-perturbative QCD effects (colour reconnection, hadronization, final state interactions...) impact many high-precision SM studies
- ✓ e^+e^- collisions offer favourable conditions to control them

✓ **Colour Reconnection (CR):** strong interaction (colour flow) between colour singlet parton systems of different origin

- ✓ LEP2: exclusion (99.5% CL) of the no-CR null hypothesis but statistics insufficient for more quantitative results



✓ **FCC-ee:** $\Delta m_W \sim 1 \text{ MeV}$ (threshold scan) & the 3×10^3 gain in the number of WW pairs

- ✓ The shift in the reconstructed m_W expected from different PYTHIA 8 CR models:

E_{cm} (GeV)	$\langle \delta \bar{m}_W \rangle$ (MeV)						
	I	II	II'	GM-I	GM-II	GM-III	CS
small (S): 170	+18	-14	-6	-41	+49	+2	+7
maximal (L): 240	+95	+29	+25	-74	+400	+104	+9
medium size (M): 350	+72	+18	+16	-50	+369	+60	+4



discrimination
between CR
models

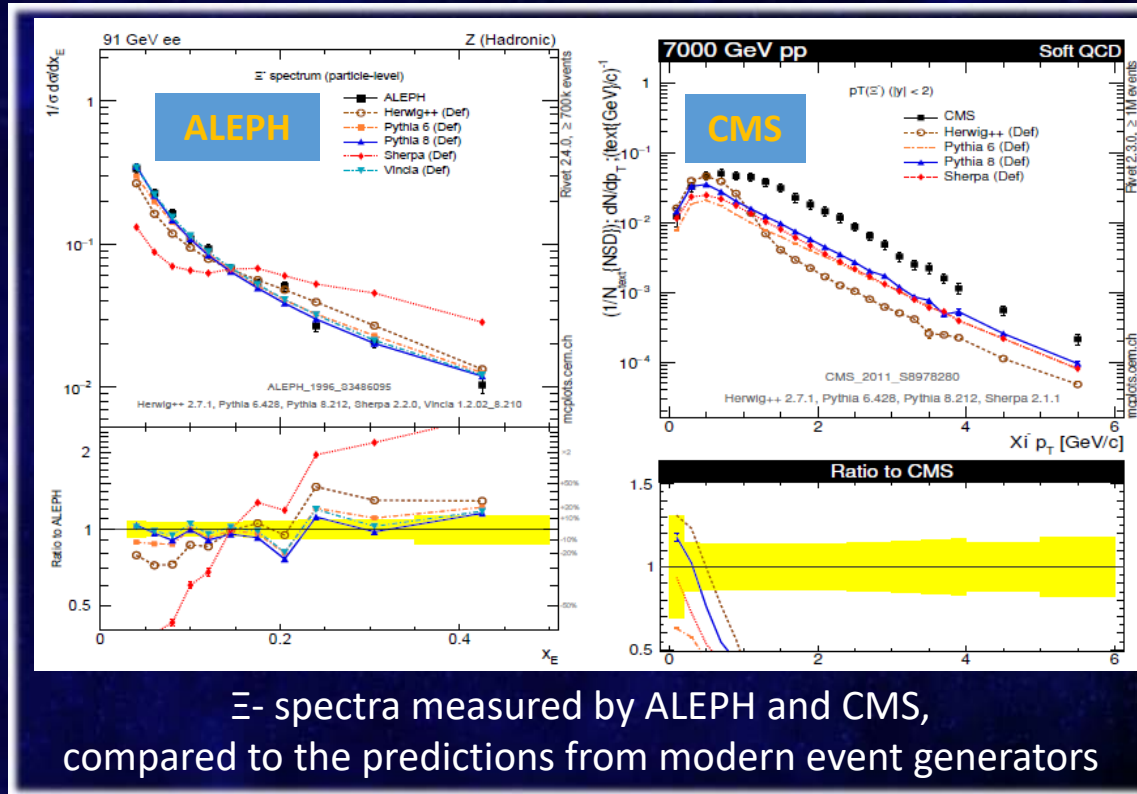
✓ Parton Hadronization (PH) – phenomenological models – MC generators

✓ The understanding of many aspects of PH like

- baryon production
- strangeness production
- final state correlations
- colour string dynamics
-

✓ can profit significantly from the FCC-ee (hadronic) data samples:

- large statistics
- excellent tracking and calorimetry
- efficient hadron identification
- ...



Z -spectra measured by ALEPH and CMS, compared to the predictions from modern event generators

- ✓ The FCC-ee project aims at collection of huge data samples at the four relevant working points: Z-pole, ZH, WW and $t\bar{t}$ thresholds
- ✓ The uncertainties of the most important electroweak observables are expected to be improved by a factor of at least 10
- ✓ The QCD program of the FCC-ee encompasses
 - High precision α_s determination
 - High precision studies of perturbative parton radiation
 - High precision non-perturbative QCD studies
 - High precision hadronization studies

BACKUP



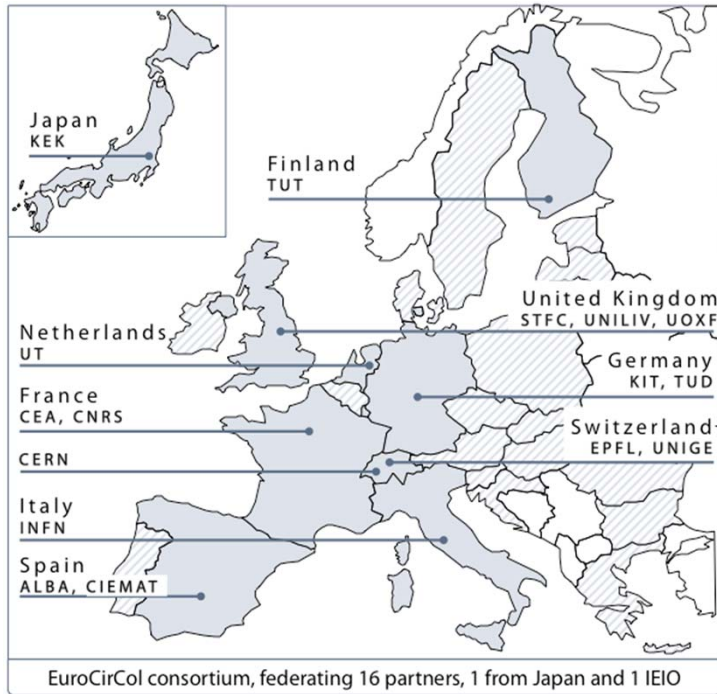
EU H2020 Design Study EuroCirCol



European Union Horizon 2020 program:

- 3 MEURO co-funding
- Started June 2015, ends in Dec 2019
- 15 European beneficiaries & KEK & associated FNAL, BNL, LBL, NHFML

UNIVERSITY OF TWENTE.  TAMPERE UNIVERSITY OF TECHNOLOGY



Covers FCC-hh key work packages:

- Optics design (arc & IR)
- Cryogenic beam vacuum system design including beam tests at ANKA
- 16 T dipole design, construction folder for demonstrator magnets



EU H2020 Marie Curie ITN EASITrain



European Advanced Superconductivity Innovation and Training Network
Funding 15 Early Stage Researchers over 3 years & training in key areas

- SC wires at low temperatures for magnets (Nb_3Sn , MgB_2 , HTS)
- Superconducting thin films for RF and beam screen (Nb_3Sn , TI)
- Electrohydraulic forming for RF structures
- Turbocompressor for Helium refrigeration
- Magnet cooling architectures

➤ started 1 October 2017

13
Beneficiaries



12 Partners





FCC-ee basic design choices

double ring e^+e^- collider ~100 km

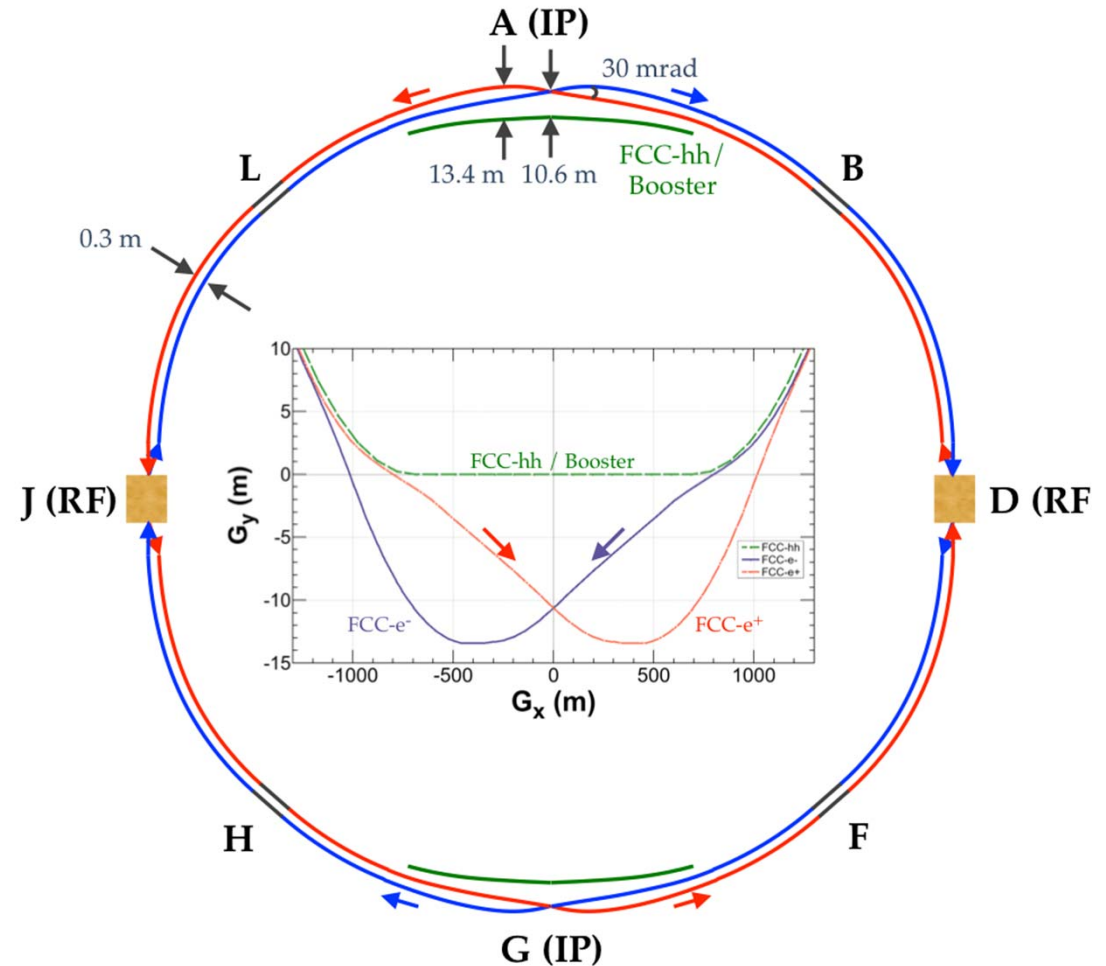
follows footprint of FCC-hh, except around IPs

asymmetric IR layout & optics to limit synchrotron radiation towards the detector

presently 2 IPs (alternative layouts with 3 or 4 IPs under study), **large horizontal crossing angle 30 mrad**, **crab-waist optics**

synchrotron radiation power 50 MW/beam at all beam energies; tapering of arc magnet strengths to match local energy

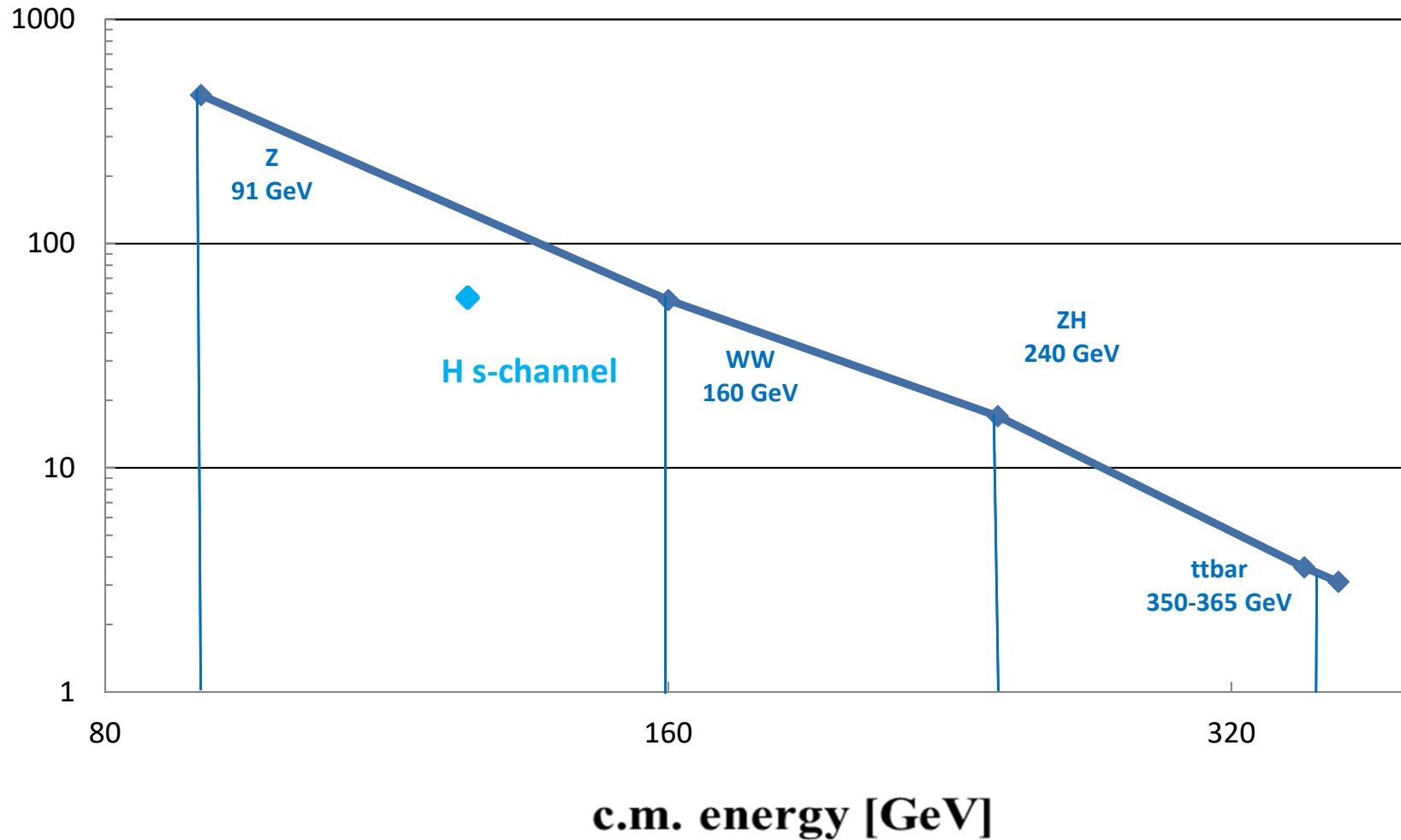
top-up injection scheme; requires **booster synchrotron in collider tunnel**





FCC-ee luminosity versus energy

luminosity [$10^{34} \text{ cm}^{-2}\text{s}^{-1}$] (2 IPs)





FCC-ee luminosity in perspective

luminosity [$10^{34} \text{ cm}^{-2}\text{s}^{-1}$]

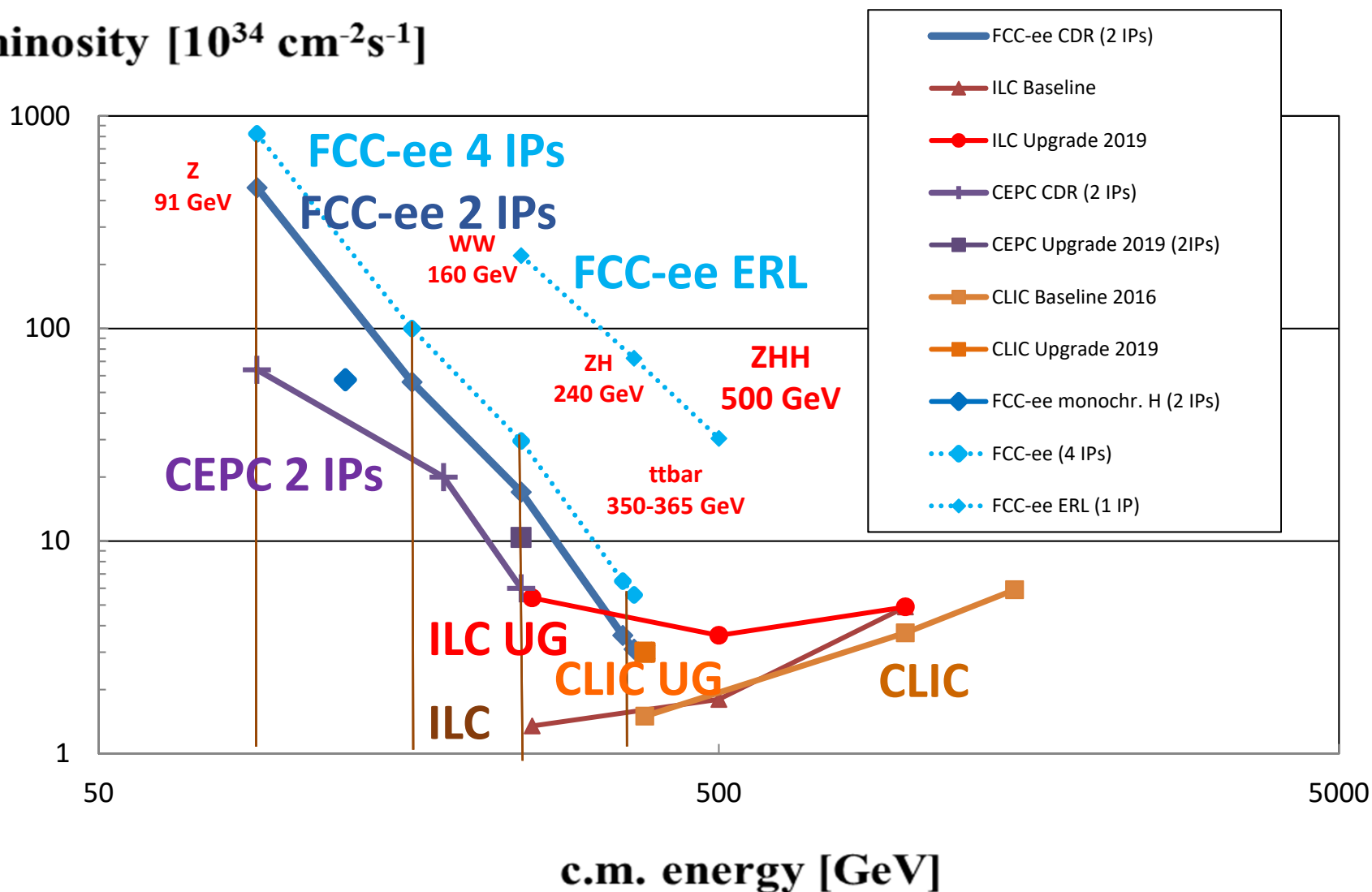
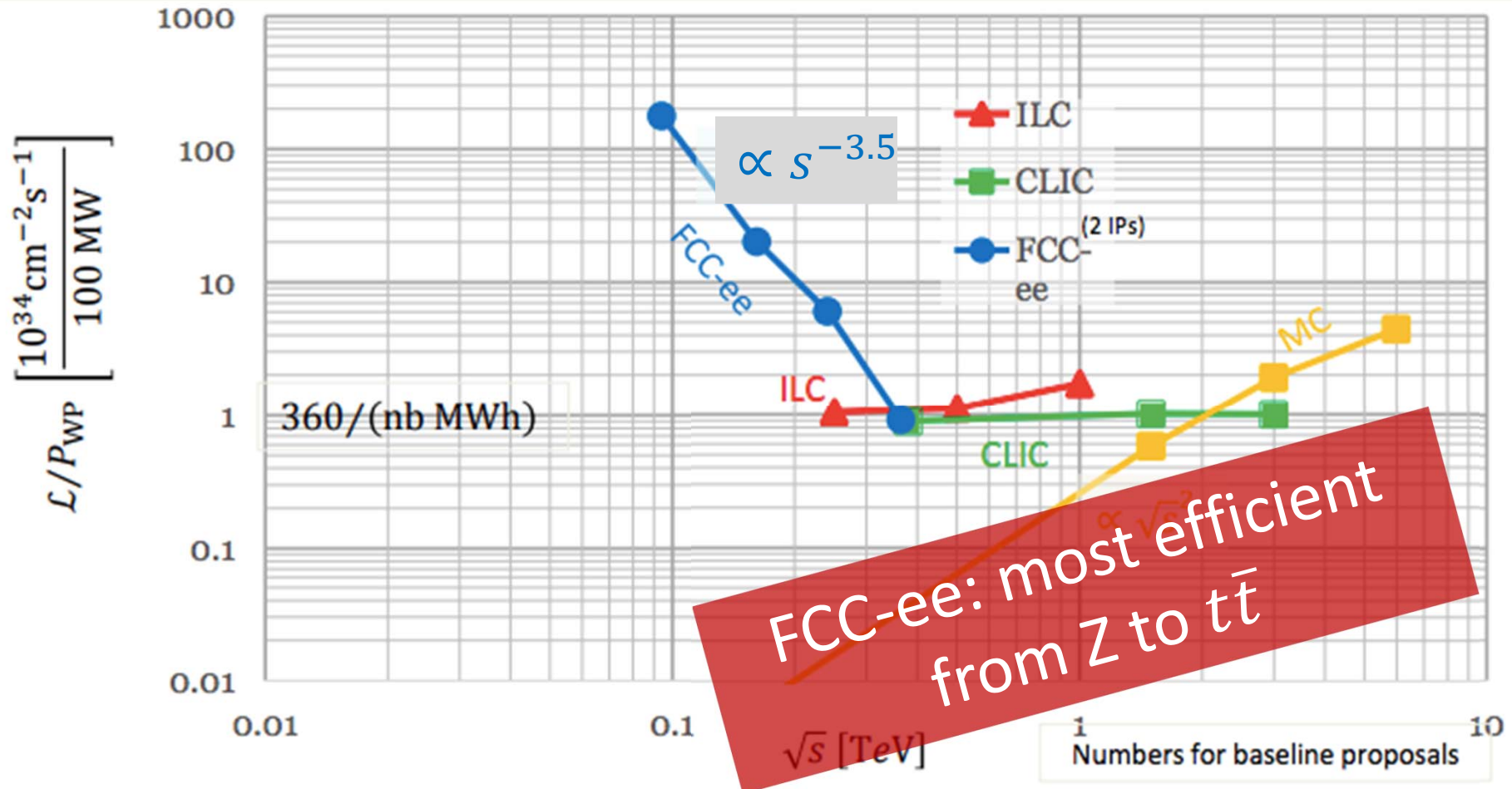
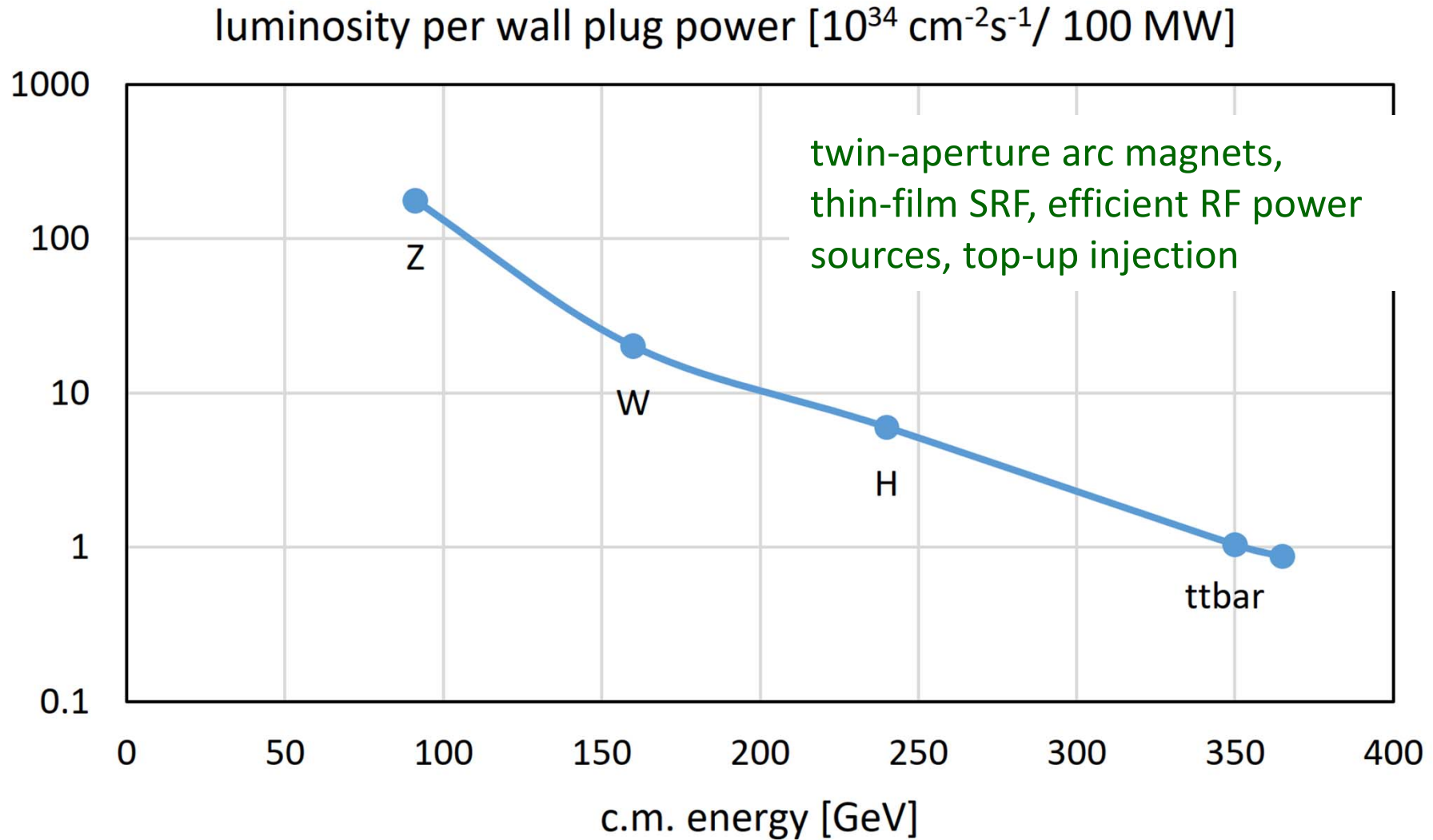


figure of merit for lepton colliders



FCC-ee: a sustainable accelerator

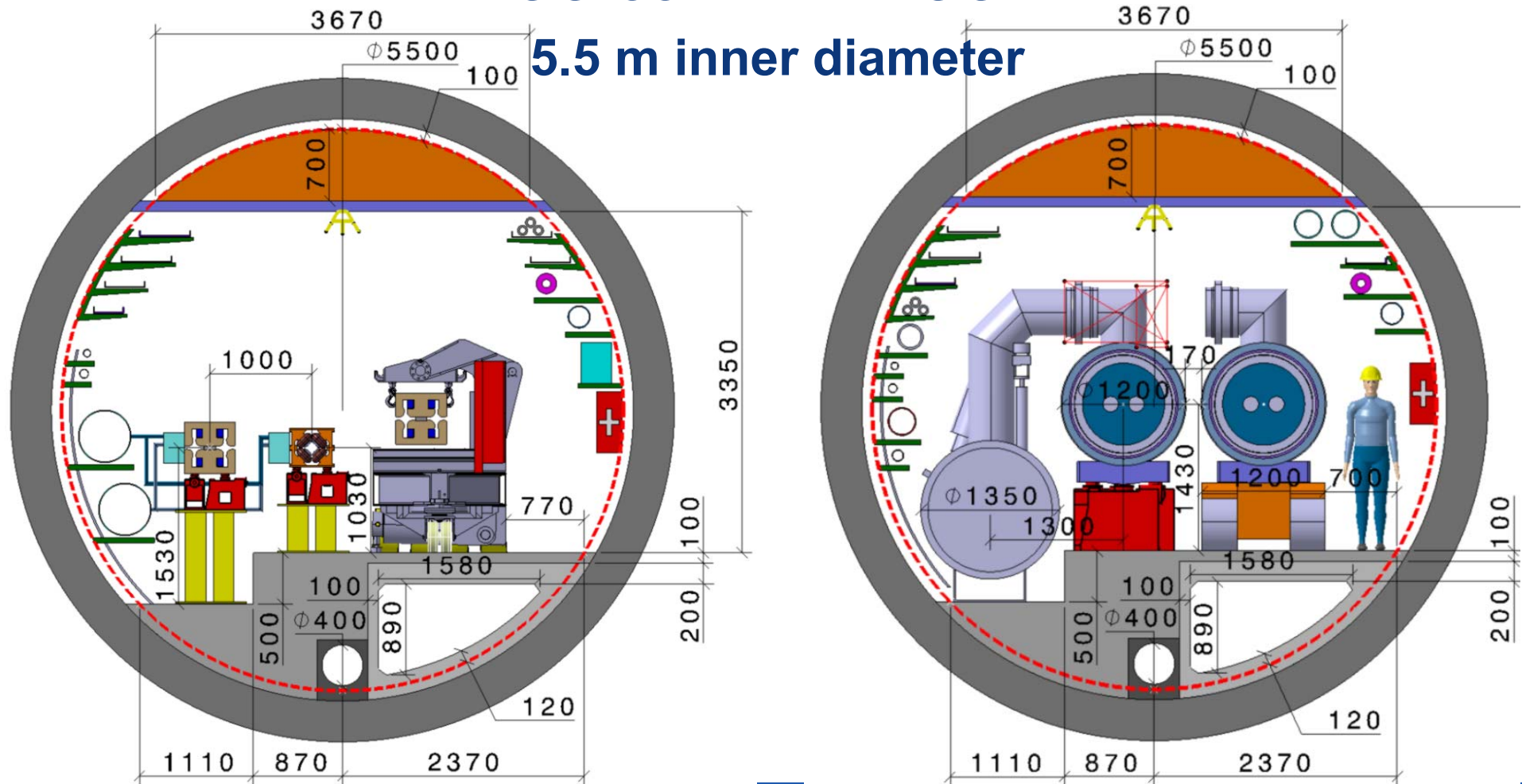


electricity cost ~200 euro per Higgs boson

FCC-ee

FCC-hh

5.5 m inner diameter

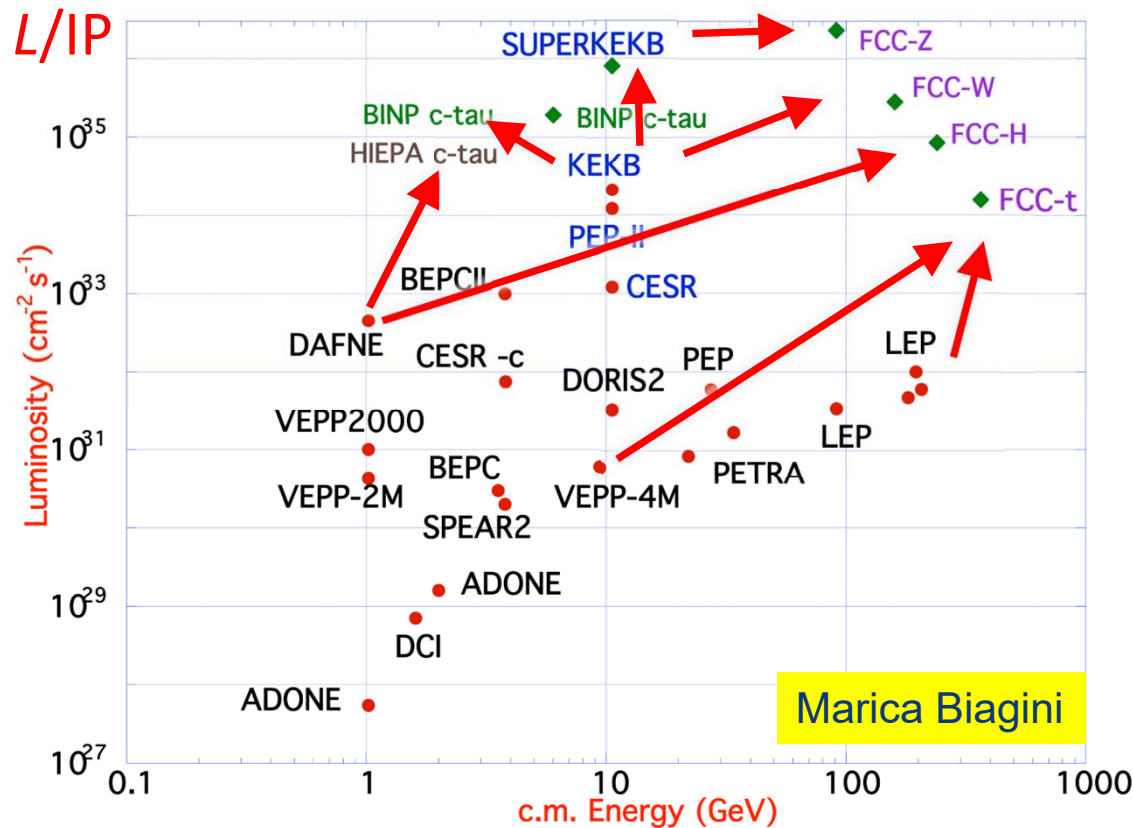




FCC-ee – EW factory: performance

FCC-ee reaches highest luminosities & energies

by combining ingredients and well-proven concepts of several recent colliders:



B-factories: KEKB & PEP-II:
double-ring lepton colliders,
high beam currents,
top-up injection

DAFNE: crab waist, double ring

Super B-fact., S-KEKB: low β_y^*

LEP high energy, SR effects

VEPP-4M, LEP:
precision E calibration

KEKB: e^+ source

HERA, LEP, RHIC: spin gymnastics



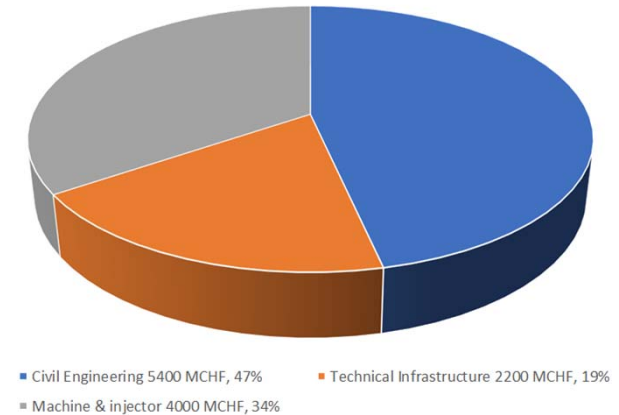


FCC integrated project cost estimate

Construction cost **phase1 (FCC-ee)** is 11,6 BCHF

- 5,4 BCHF for civil engineering (47%)
- 2,2 BCHF for technical infrastructure (19%)
- 4,0 BCHF accelerator and injector (34%)

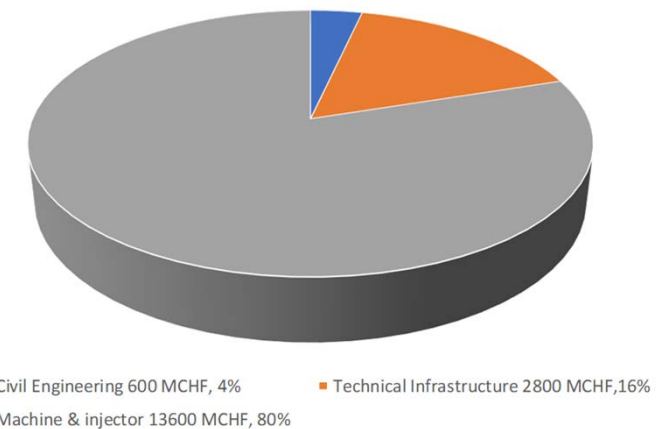
FCC-ee (Z, W, H, t): capital cost per domain



Construction cost **phase 2 (FCC-hh)** is 17,0 BCHF.

- 13,6 BCHF accelerator and injector (57%)
 - Major part for 4,700 Nb₃Sn 16 T main dipole magnets, totalling 9,4 BCHF, targeting 2 MCHF/magnet.
- CE and TI from FCC-ee re-used, 0,6 BCHF for adaptation
- 2,8 BCHF for additional TI, driven by cryogenics (Cost **FCC-hh stand alone** would be 24,0 BCHF.)

FCC-hh - combined mode: capital cost per domain





Higgs Mass and H-Z-Z Coupling



➤ The recoil technique in $e^+e^- \rightarrow ZH$ - unique for lepton colliders :

- Look just at the Z and reconstruct its decay products
- ZH events are tagged independently of Higgs decay mode (include invisible decay modes)

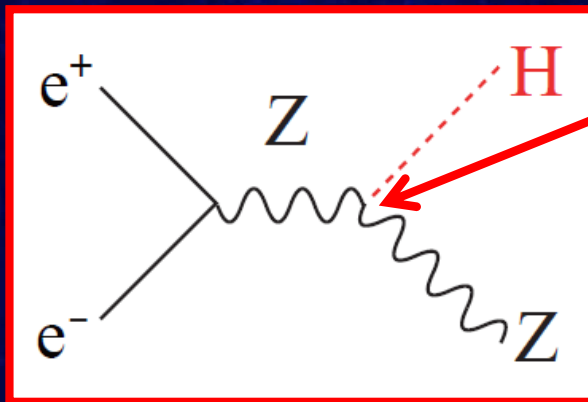
- Very clean Higgs mass determination:
$$m_{\text{recoil}}^2 = (\sqrt{s} - E_{\text{H}})^2 - |\tilde{p}_{\text{H}}|^2$$

$$\Delta m_H \sim 10 \text{ MeV}$$

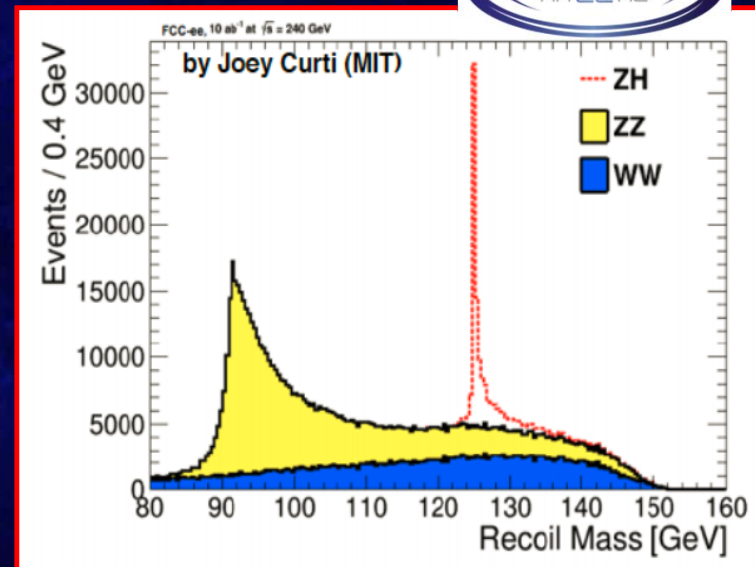
- Precise determination of the ZH cross-section $\Delta\sigma(ZH)/\sigma(ZH) \sim 0.5\%$



- Precise measurement of the H-Z-Z coupling (g_{HZZ}):



$$\sigma(HZ) \propto g_{HZZ}^2$$





Higgs Total Width and HWW Coupling



➤ Determination of the H-W-W coupling (g_{HWW}):

- Measure the rate of WW Fusion to HZ processes – preferably at 350 GeV, using Higgs decays to the given final state e.g.

$$\frac{\sigma(e^+e^- \rightarrow H\nu_e\bar{\nu}_e) \times BR(H \rightarrow b\bar{b})}{\sigma(e^+e^- \rightarrow HZ) \times BR(H \rightarrow b\bar{b})} \propto \frac{g_{HWW}^2}{g_{HZZ}^2} \rightarrow g_{HWW} \text{ measured}$$

➤ Determination of the Higgs total width (Γ_H):

1. Use the HZ proces and $H \rightarrow ZZ^*$

$$\sigma(e^+e^- \rightarrow HZ) \times BR(H \rightarrow ZZ^*) \propto \frac{g_{HZZ}^4}{\Gamma_H}$$

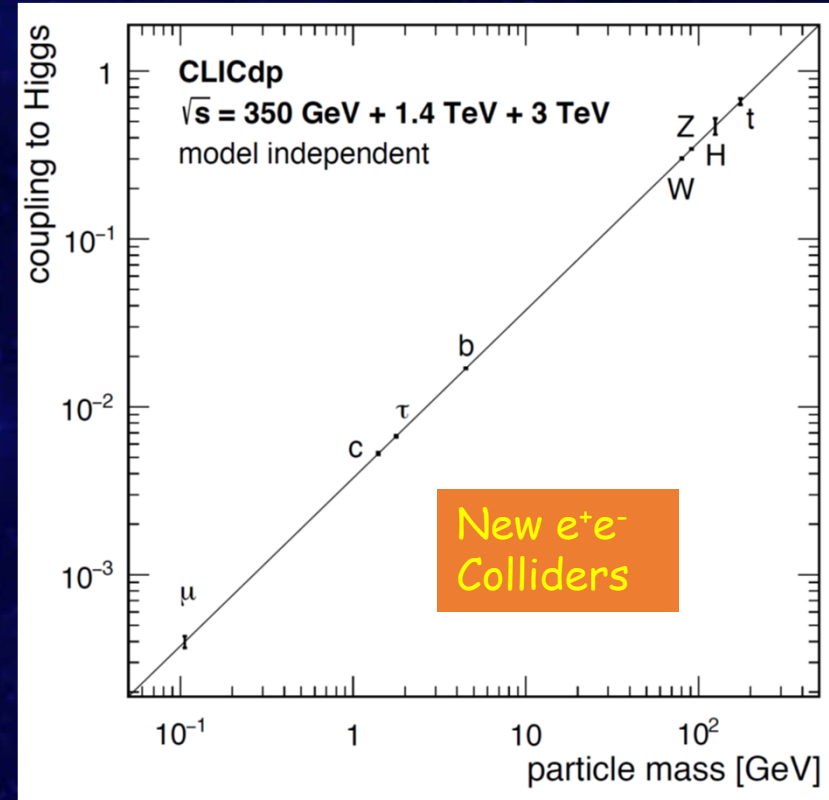
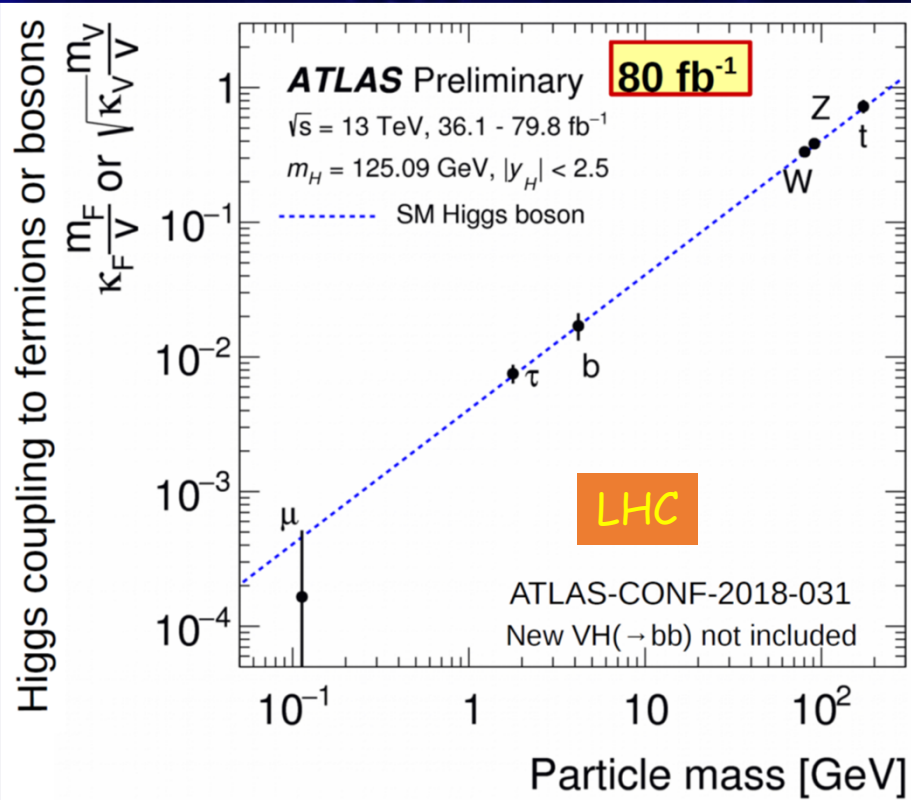
2. Use the WW Fusion proces and $H \rightarrow WW^*$:

$$\sigma(e^+e^- \rightarrow H\nu_e\bar{\nu}_e) \times BR(H \rightarrow WW^*) \propto \frac{g_{HWW}^4}{\Gamma_H}$$

Γ_H measured



Higgs Couplings: Post Factum



$\Delta k_f \sim 15\%$



$\Delta k_f \sim 1\%$

3rd generation only
 (qualitative precision level)



3rd AND 2nd generations accessible



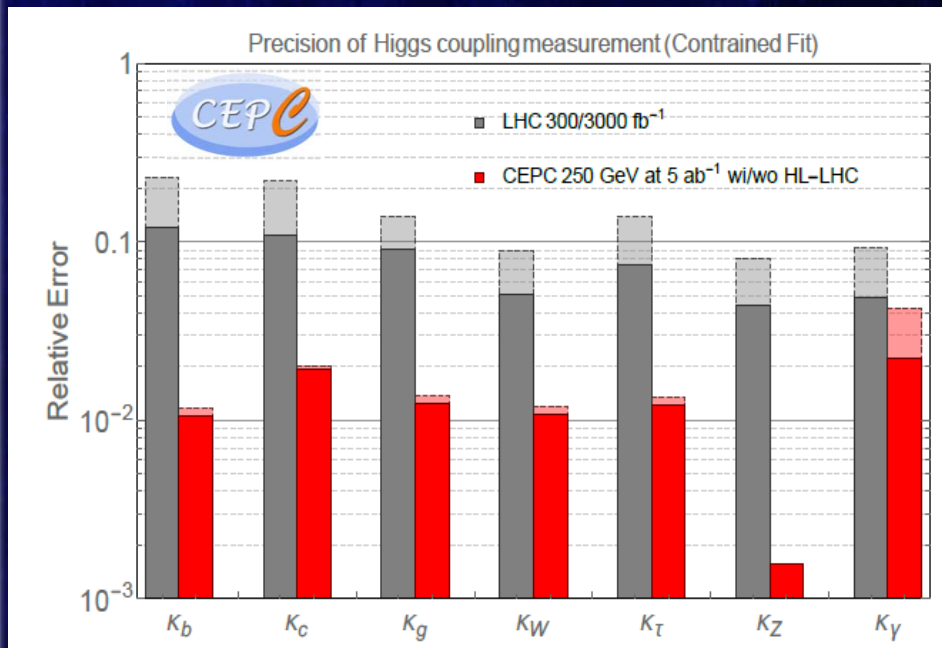
Normalized Higgs Couplings



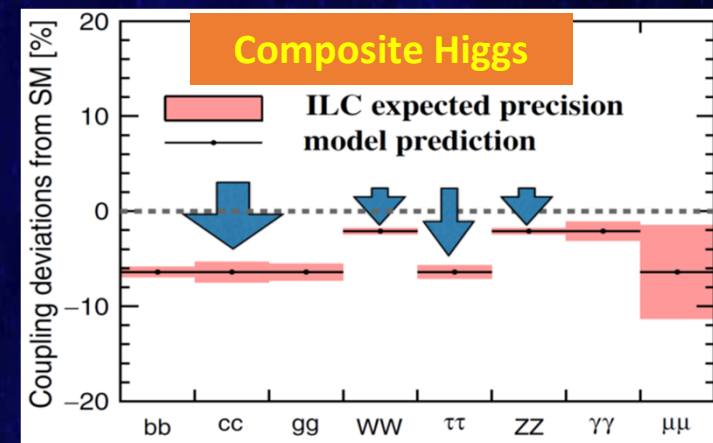
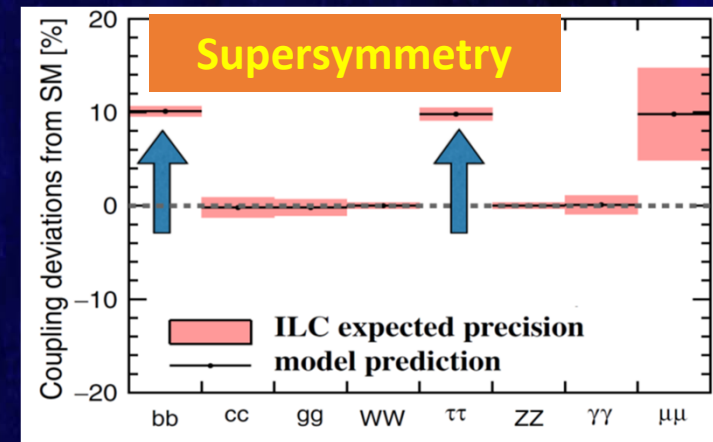
- Higgs couplings normalized to the Standard Model predictions:

$$k_f = \frac{g_{Hff}}{g_{Hff}^{SM}}, \quad f = b, c, \tau$$

$$k_V = \frac{g_{HVV}}{g_{HVV}^{SM}}, \quad V = W, Z, \gamma, g$$

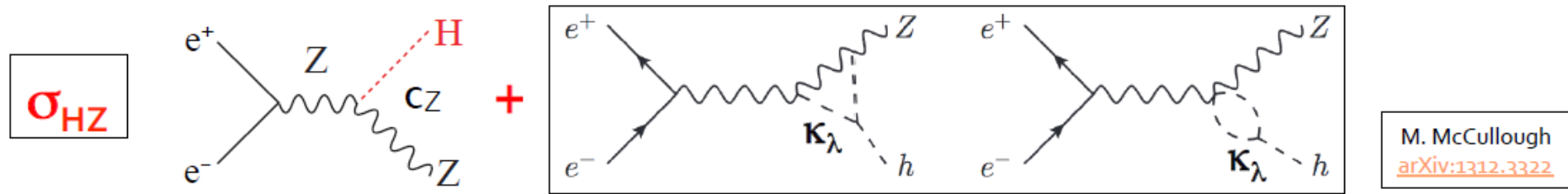


- Fingerprinting NP: different BSM models predict different pattern of deviations from the SM:

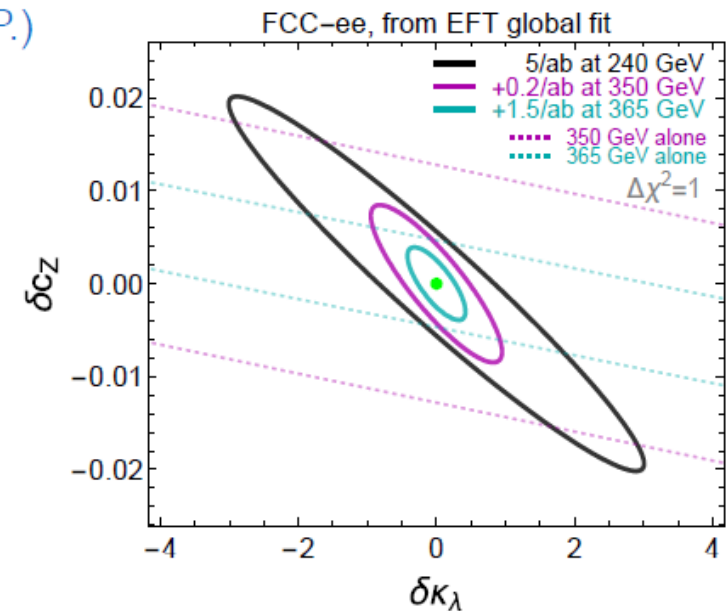
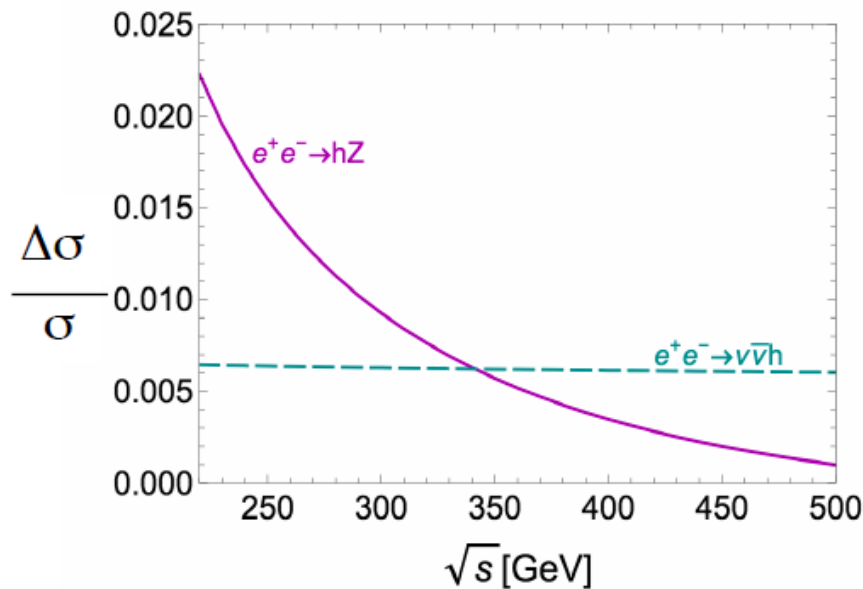


Phys Rev. D 97, 053003 (2018)

Measurements of the Higgs self-coupling



- assuming all other couplings at MS, $\Delta\kappa_\lambda/\kappa_\lambda \sim 12\%$ (9% 4 I.P.)
- maximum sensitivity at the threshold production



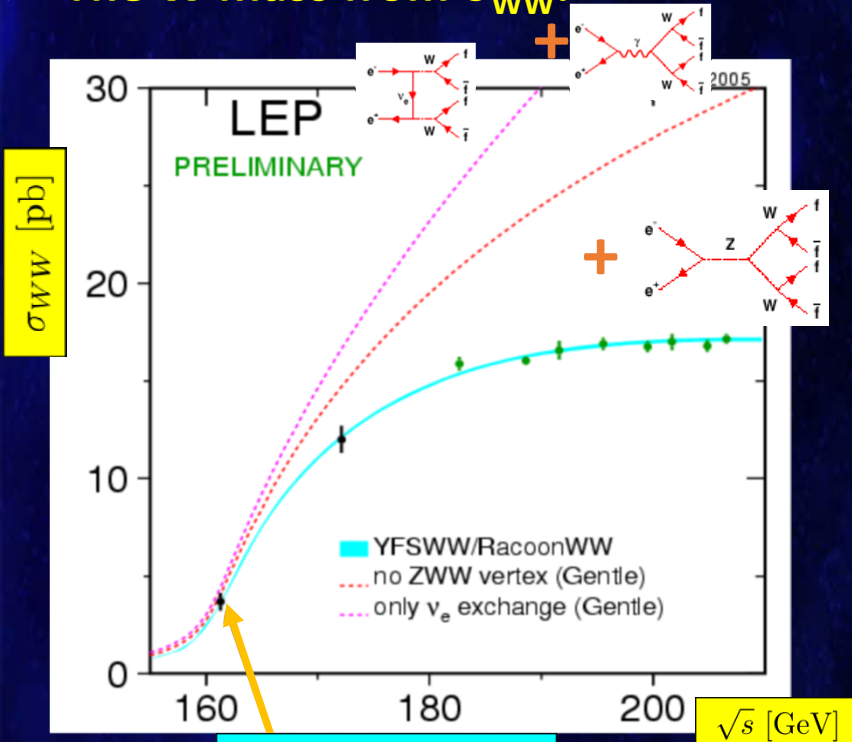
- from a global EFT fit $\Delta\kappa_\lambda/\kappa_\lambda \sim 25\%$ (4 IPs)
- changing CMS energy helps in reducing correlations



WW Threshold Scan: the W Mass and Width



➤ The W mass from σ_{WW} :

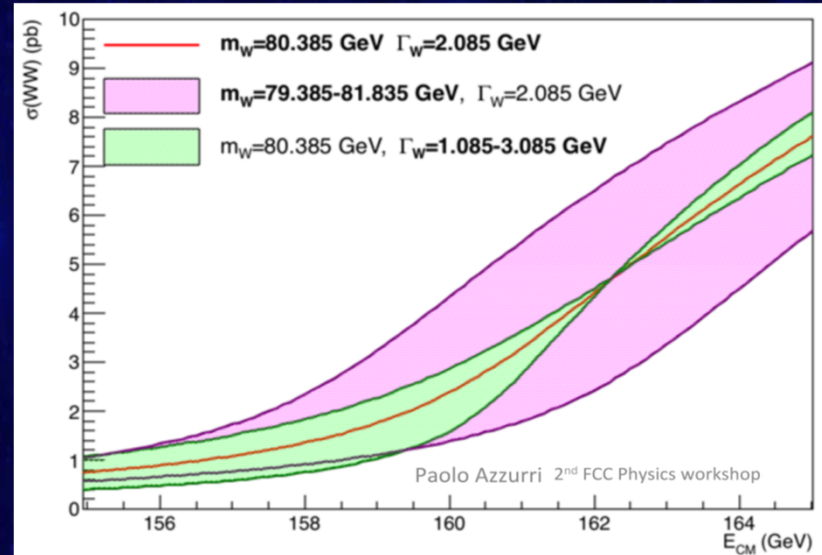


$$\Delta m_W = \left(\frac{d\sigma}{dm_W} \right)^{-1} \Delta\sigma$$

	LEP2 Stat./Prec.	FCC - ee stat (syst)
N_{WW}	4×10^4	3×10^7
M_W [MeV]	$80376 \pm 33 \pm 4$	$0.3 (< \pm 1)$

$$\Delta m_W = 1 \text{ MeV}$$

➤ The W width from σ_{WW} :



- Measure σ_{WW} in two energy points E_1 and E_2 , with the fractions of luminosity f and $(1-f)$
➔ evaluation of both m_W and Γ_W

- Choose the parameters E_1 , E_2 and f in order to minimize the errors: $\Delta\Gamma_W$ and Δm_W :

$$E_1 = 157.1 \text{ GeV} \quad E_2 = 162.3 \text{ GeV} \quad f = 0.4$$

$$\Delta\Gamma_W = 1.5 \text{ MeV}$$

$$\Delta m_W^{\text{stat}} = 0.6 \text{ MeV}$$



W Physics: Branching Ratios, TGCs...



➤ WW samples (FCC-ee)

\sqrt{s} [GeV]	161	240	350
$N_{WW} [\times 10^6]$	30	80	15

➤ W Branching ratios (%)

LEP2

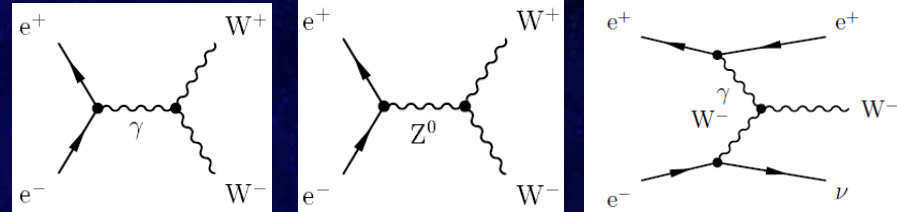
$BR(W \rightarrow e\nu)$	10.65 ± 0.17
$BR(W \rightarrow \mu\nu)$	10.59 ± 0.15
$BR(W \rightarrow \tau\nu)$	11.44 ± 0.22
$BR(W \rightarrow l\nu)$	10.84 ± 0.09
$BR(W \rightarrow \text{hadrons})$	67.48 ± 0.28

- Lepton universality tested at **2%** level (2.7 σ discrepancy between τ and μ/e)
- Quark-lepton universality tested at **0.6%**

FCC-ee

- Lepton universality test at **0.04%** level
- Quark-lepton universality test at **0.01%**
- Flavour tagging $\rightarrow V_{cs} V_{cb} \dots$

➤ Triple Gauge Couplings



- Selected LEP limits (95% C.L.)

Δk_γ	$[-9.9, 6.6] \times 10^{-2}$
λ_γ	$[-5.9, 1.7] \times 10^{-2}$
Δk_Z	$[-7.4, 5.1] \times 10^{-2}$
λ_Z	$[-5.9, 1.7] \times 10^{-2}$
Δg_1^Z	$[-5.4, 2.1] \times 10^{-2}$

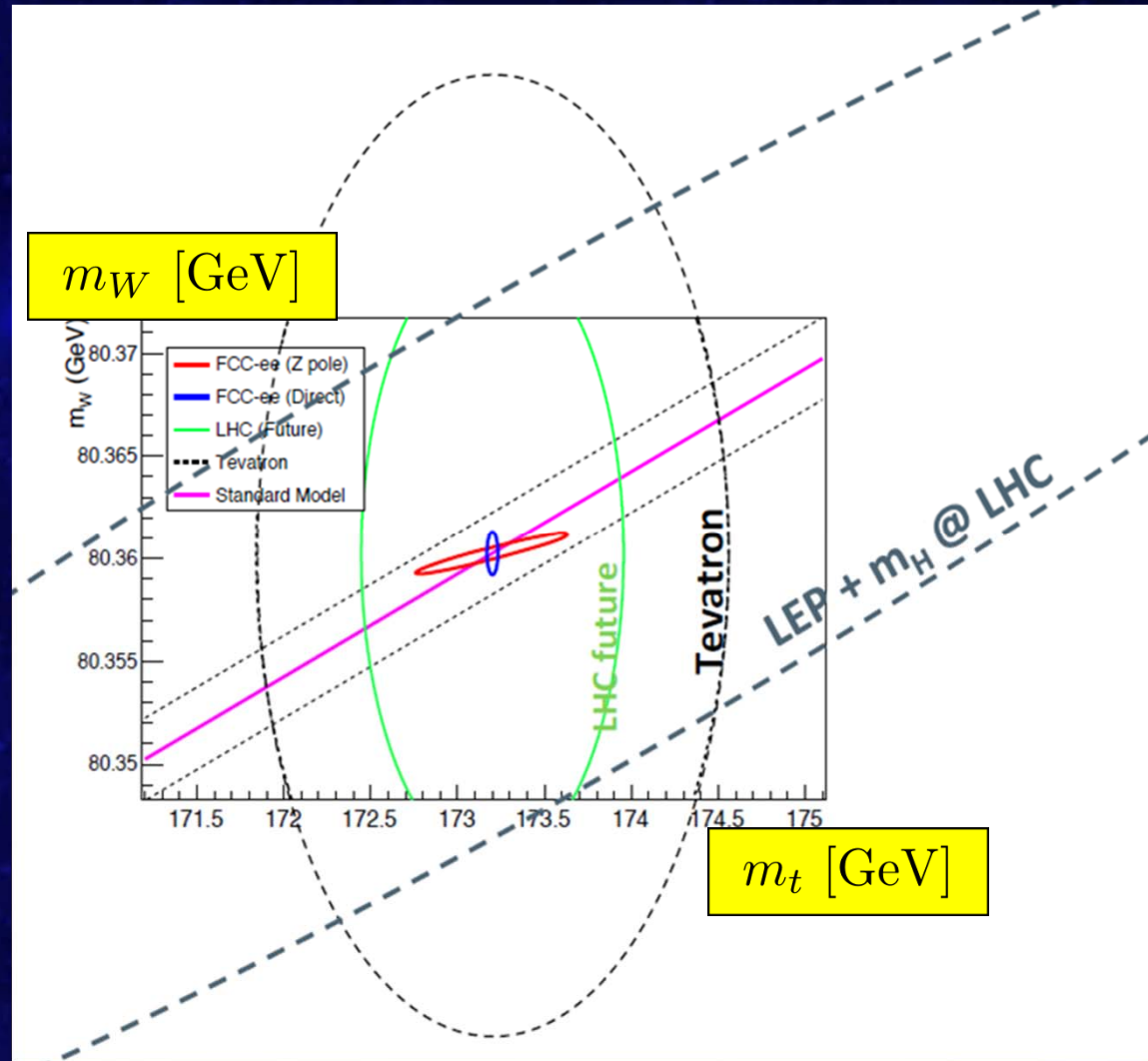
- FCC-ee: overall improvements by a factor of **50** to compare with LEP

➤ The strong coupling constant:

- FCC-ee: $\Delta_{\text{rel}} \alpha_S(m_W^2) = 3 \times 10^{-3}$ from hadronic W decays (Γ_W and $BR_{W,\text{had}}$)
- LEP2 precision: 37%



m_W vs m_t





Electroweak Physics at the Z pole



LEP

$$N_Z = 1.7 \times 10^7$$



FCC-ee

$$N_Z \sim 5 \times 10^{12}$$



Extreme precision of EW observables

Z mass and width (from Z pole scan):

The crucial factor: continuous E_{CM} calibration (resonant depolarization)

$$\Delta E_{CM} \approx (10 \text{ (stat)} + 100 \text{ (syst)}) \text{ keV}$$

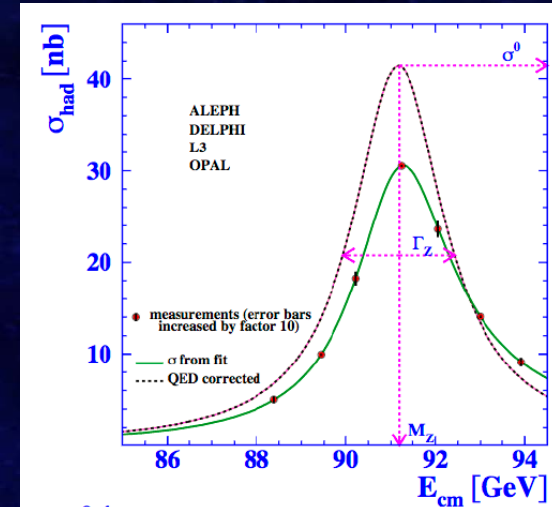
	Δ_{rel} (LEP)	Improvement factor
Z mass	1×10^{-6}	20
Z width	5×10^{-5}	20



$$2.1 \text{ MeV} \rightarrow 100 \text{ keV}$$

$$2.3 \text{ MeV} \rightarrow 100 \text{ keV}$$

$$(\sim 300 \text{ (stat)} \oplus \sim 10 \text{ (syst)})$$



Normalized partial widths:

$$R_l = \frac{\Gamma_{had}}{\Gamma_{l\bar{l}}}, \quad l = e, \mu, \tau \quad \Gamma_{f\bar{f}} \propto (g_V^f)^2 + (g_A^f)^2$$

$$R_q = \frac{\Gamma_{q\bar{q}}}{\Gamma_{had}}, \quad q = b, c \quad f = l, q$$

	PDG (LEP) value	PDG (LEP) rel. precision	FCC - ee Improvement factor
R_e	20.804 ± 0.050	2.4×10^{-3}	20
R_μ	20.785 ± 0.033	1.6×10^{-3}	20
R_τ	20.764 ± 0.045	2.2×10^{-3}	20
R_b	0.21629 ± 0.00066	3.1×10^{-3}	10
R_c	0.1721 ± 0.0030	1.7×10^{-2}	10

necessary input for a precise measurement of EW couplings (next slide)

and $\alpha_S(m_Z^2)$ (from hadronic Z decays). FCC-ee precision: $\Delta_{rel} \alpha_S(m_Z^2) = 2 \times 10^{-3}$ LEP: 2.5%



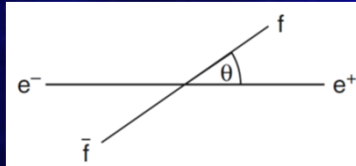
Electroweak Physics at the Z pole



Z asymmetries:

$$\frac{d\sigma_{f\bar{f}}}{d\cos\theta} = \frac{3}{8}\sigma_{f\bar{f}}^{\text{tot}} [(1 - \mathcal{P}_e \mathcal{A}_e)(1 + \cos^2\theta) + 2(\mathcal{A}_e - \mathcal{P}_e)\mathcal{A}_f \cos\theta]$$

\mathcal{P}_e - polarization of the initial state e^-



The forward-backward asymmetry:

$$A_{FB}^f = \frac{\sigma_F - \sigma_B}{\sigma_F + \sigma_B} = \frac{3}{4}\mathcal{A}_e \mathcal{A}_f$$

The left-right asymmetry:

$$A_{LR}^f = \frac{\sigma_L - \sigma_R}{\sigma_L + \sigma_R} = \mathcal{A}_e$$

$$\mathcal{A}_f = \frac{2g_V^f g_A^f}{(g_V^f)^2 + (g_A^f)^2}$$

LEP & SLC: longstanding discrepancies between different asymmetry measurements; uncertainties dominated by statistics

tau lepton case:
the final state helicity can be measured

$$\mathcal{P}_\tau(\cos\theta) = \frac{\mathcal{A}_\tau(1 + \cos^2\theta) + 2\mathcal{A}_e \cos\theta}{(1 + \cos^2\theta) + \mathcal{A}_e \mathcal{A}_\tau \cos\theta}$$

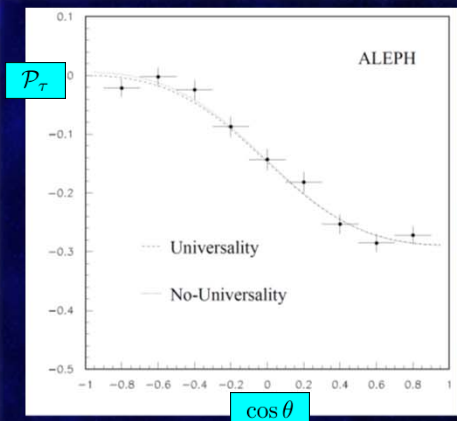
$$\mathcal{P}_\tau(\cos\theta) = \frac{d(\sigma_r - \sigma_l)}{d\cos\theta} \cdot \left(\frac{d(\sigma_r + \sigma_l)}{d\cos\theta} \right)^{-1}$$

$$A_{FB}^\tau = \frac{(\sigma_r - \sigma_l)_F - (\sigma_r - \sigma_l)_B}{(\sigma_r + \sigma_l)_F + (\sigma_r + \sigma_l)_B}$$

Experimentally accessible observables:

$$\langle \mathcal{P}_\tau \rangle = -\mathcal{A}_\tau$$

$$A_{FB}^\tau = -\frac{3}{4}\mathcal{A}_e$$



\mathcal{A}_f measured
($f = e, \mu, \tau, b, c$)

g_V^f, g_A^f extracted

$$\sin^2 \theta_{W,\text{eff}}^f = \frac{1}{4} \left(1 - \frac{g_V^f}{g_A^f} \right)$$

	$\Delta_{\text{rel}}^{\text{stat}}$ (FCC - ee)	$\Delta_{\text{rel}}^{\text{syst}}$ (FCC - ee)	Improvement factor w.r.t. LEP
\mathcal{A}_e	5.0×10^{-5}	1.0×10^{-4}	50
\mathcal{A}_μ	2.5×10^{-5}	1.5×10^{-4}	30
\mathcal{A}_τ	4.0×10^{-5}	3.0×10^{-4}	15
\mathcal{A}_b	2.0×10^{-4}	3.0×10^{-3}	5
\mathcal{A}_c	3.0×10^{-4}	8.0×10^{-3}	4

Systematic uncertainties dominate

Precision on vector and axial couplings from R_f and \mathcal{A}_f :

Improvement w.r.t. LEP: 10-100

fermion	Δg_V	Δg_A
e	2.5×10^{-4}	1.5×10^{-4}
μ	2.0×10^{-4}	2.5×10^{-5}
τ	3.5×10^{-4}	0.5×10^{-4}
b	1.0×10^{-2}	1.5×10^{-3}
c	1.0×10^{-2}	2.0×10^{-3}



Electroweak Physics at the Z pole



➔ $\sin^2 \theta_{W,eff}$ (absolute) uncertainties:

	stat	syst	Improvement w.r.t. LEP
from muon FB	10^{-7}	5.0×10^{-6}	100
from tau pol	10^{-7}	6.6×10^{-6}	75

➤ Measurement of $\alpha_{QED}(m_Z^2)$ - better precision necessary for future precision SM tests !

- Current uncertainty: $\Delta\alpha_{QED}(m_Z^2) = 10^{-4}$ from running coupling constant formula:

$$\alpha_{QED}(m_Z^2) = \frac{\alpha_{QED}(0)}{1 - \Delta\alpha_l(m_Z^2) - \Delta\alpha_{had}^{(5)}(m_Z^2)}$$

dominated by the experimental determination of the hadronic vacuum polarization, obtained from dispersion integral with expt. input from low energies (KLOE, Belle, BaBar, CLEO, BES CMD-2...)

➤ Alternative: the direct measurement of $\alpha_{QED}(m_Z^2)$ from the muon FB asymmetry just below and just above the Z pole (as part of Z resonance scan) – no need of extrapolation from $\alpha_{QED}(0)$

- The $A_{FB}^{\mu\mu}$ - self normalized quantity

$$A_{FB}^{\mu\mu} = \frac{\sigma_{\mu\mu}^F - \sigma_{\mu\mu}^B}{\sigma_{\mu\mu}^F + \sigma_{\mu\mu}^B}$$

(no need for measurement of L_{int} ;

most uncertainties (sel. efficiency, det. acceptance) cancel in the ratio

$$\frac{\Delta\alpha_{QED}}{\alpha_{QED}} \simeq \frac{\Delta A_{FB}^{\mu\mu}}{A_{FB}^{\mu\mu}} \times \frac{\mathcal{Z} + \mathcal{G}}{\mathcal{Z} - \mathcal{G}}$$

2x 6 months of FCC-ee running:

$\mathcal{Z}(\mathcal{G})$ - Z(photon)-exchange terms

Optimal CMS energies:

$$\sqrt{s_-} = 87.9 \text{ GeV}$$

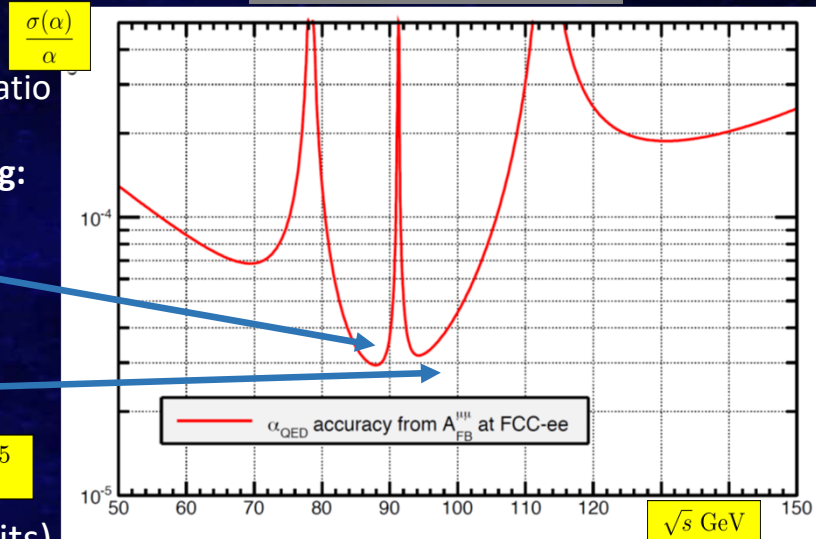
$$\sqrt{s_+} = 94.3 \text{ GeV}$$

$$\frac{1}{\alpha_{QED}(m_Z^2)} = \frac{1}{\alpha_{\pm}} + \beta_{QED} \log \frac{s_{\pm}}{m_Z^2}$$

$$\Delta\alpha_{QED}(m_Z^2) = 3 \times 10^{-5}$$

(adequate for future precision EW fits)

P.Janot JHEP 02 (2016) 053





The Z Invisible Width – Number of Light Neutrino Species



1) N_ν determined at LEP1 from the Z line-shape scan:

$$N_\nu = 2.991 \pm 0.007$$

$$N_\nu \cdot \Gamma_\nu = \Gamma_Z - \Gamma_h - 3\Gamma_l$$

$$N_\nu = \left(\frac{\Gamma_l}{\Gamma_\nu} \right)_{SM} \cdot \left(\sqrt{\frac{12\pi R_l}{M_Z^2 \sigma_{had}^{peak,0}}} - R_l - 3 \right)$$

theory

all measured at the peak

Only small room for improvements:

precision limited mainly by the theoretical uncertainty on luminosity determination

i.e. on small angle Bhabha cross section

(LEP1: $\Delta L/L = 0.00061$, $\Delta N_\nu^{lumi} = 0.0046 \rightarrow \Delta N_\nu^{lumi} = 0.0001$ @FCC-ee).

$$\Delta N_\nu^{FCC-ee} = 0.00008(stat) \pm 0.0001(syst)$$

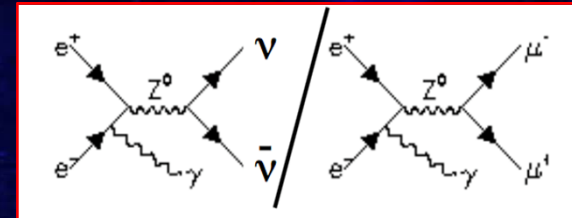
2) N_ν from the radiative return process

$$e^+e^- \rightarrow Z\gamma, \quad Z \rightarrow \nu\bar{\nu}$$

from the higher masses than the Z resonance

Monophoton events (normalized to photon-lepton-lepton events):

$$N_\nu = \frac{\left(e^+e^- \rightarrow \gamma Z_{inv} \right)^{meas}}{\left(e^+e^- \rightarrow \gamma Z_{lept} \right)} \cdot \left(\frac{\Gamma_{\nu\bar{\nu}}}{\Gamma_{lept}} \right)^{SM}$$



- LEP1: $N_\nu = 2.92 \pm 0.05$ (statistics too scarce).

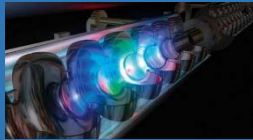
- Photon selection common for both final states \rightarrow cancellations of systematics.
- N_ν can be measured vs \sqrt{s} \rightarrow sensitivity to NP at high energy scales.
- FCC-ee sensitivity:

\sqrt{s} [GeV]	years of running	ΔN_ν (stat)
161	1	0.0011
240 & 340	5	0.0008
125	1	0.0004

$3 \times 10^7 \gamma Z(inv)$ ev.
(running parasitically)

$$\Delta N_\nu \leq 4 \times 10^{-4}$$



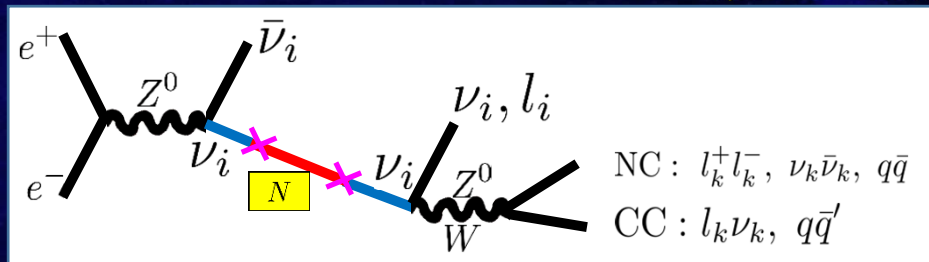


Heavy Neutral Leptons (HNL) Searches



- Sterile, right-handed neutrinos (N) are common in extensions of the SM; they couple to Higgs and SM ν
- Substantial part of them are HNLs: very massive and characterised by macroscopic decay length

- The HNL production and decay at the $\sqrt{s} = M_Z$



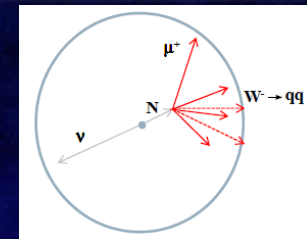
$$\nu_L = \nu \cos \theta + N \sin \theta$$

$$\theta \approx m_\nu / m_N$$

- Experimental signatures

NC: 2 leptons/jets + E_{miss}

CC: 2 jets + lepton/ E_{miss}



Search for (highly) displaced vertices;
 very clean events

- FCC-ee sensitivity

to HNLs up to 10^{-11}

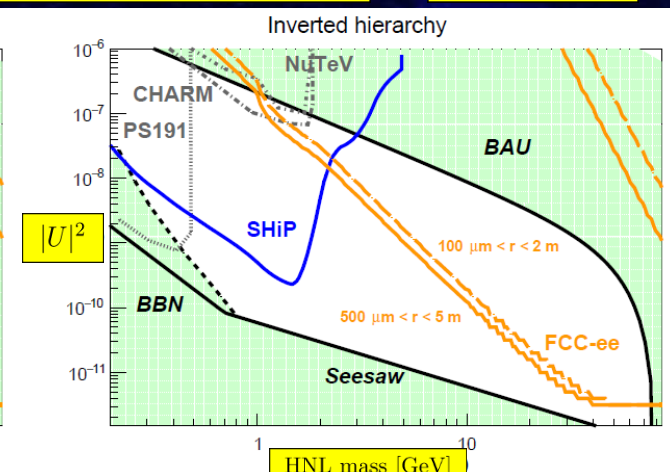
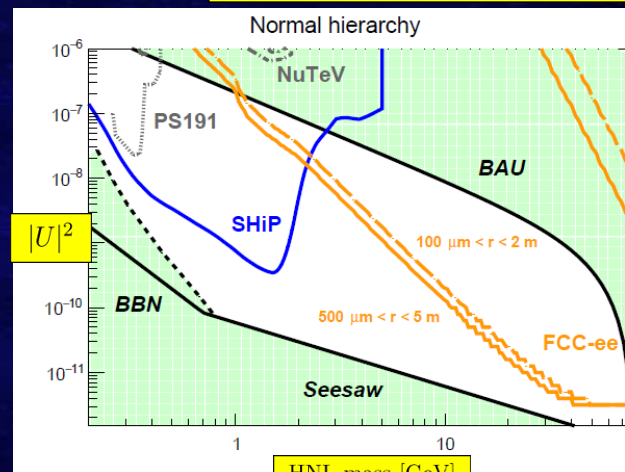
A. Blondel et al., arXiv: 1411.5230 [hep-ex]

- Complementary to beam dump facilities

- The upper limits of LEP searches: 10^{-4}

$$|U|^2 = |U_e|^2 + |U_\mu|^2 + |U_\tau|^2 \quad (N - \nu \text{ couplings})$$

$$|U|^2 \propto \theta^2$$





Flavour Physics



➤ The sheer power of statistics:

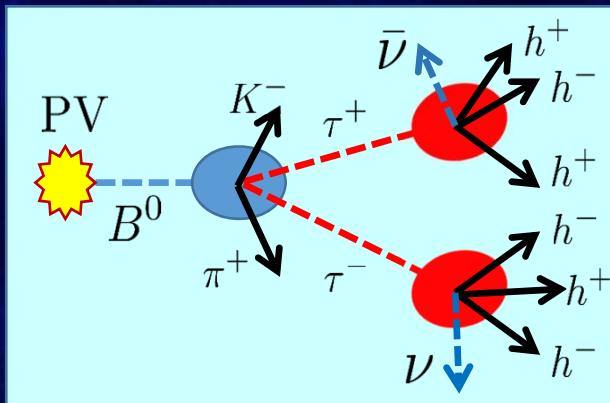
Particles	B^0/B^+	B_s^0	Λ_b	B_c	$Z \rightarrow \tau^+\tau^-$
Yields (FCC-ee 150 ab^{-1})	10^{12}	$2.5 \cdot 10^{11}$	$2.5 \cdot 10^{11}$	$2.5 \cdot 10^9$	$5 \cdot 10^{11}$
Yields (Belle II 50 ab^{-1})	10^{11}	10^{7-8}	—	—	$5 \cdot 10^{10}$

LEP : $\sim 6 \times 10^6$

S.Monteil ^{2nd} FCC Physics workshop

➤ Example: $B \rightarrow K^*(892)\tau^+\tau^-$ decay

- Excellent vtx reconstruction ($\tau \rightarrow 3$ prongs)



- **FCC-ee: 1000 signal events expected,**
Belle2: 10 events expected
- **The amplitude analysis feasible**

