

# Numerical investigation of cryogen re-gasification in a plate heat exchanger

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HR EXCELLENCE IN RESEARCH



Wrocław University  
of Science and Technology

# GENERAL MOTIVATION

- Efficient re-gasification of cryogen is a crucial process in many cryogenic installations
- LNG evaporators for stationary and mobile applications (marine and land transport)
- Nitrogen or argon can be obtained at highest purity after re-gasification
- Advantages of Plate heat exchangers (PHE):
  - compact size (20-40% less space than equivalent tube HE)
  - very high heat transfer coefficients (high turbulence BUT low velocities)
  - lower costs (reduced flow rates, smaller pumps, multiple duties in single unit)
- Fast and reliable numerical model is crucial for PHE optimization:
  - geometrical optimization (heat transfer area)
  - heat transfer optimization (solidification problem)
  - maldistribution of a flow in PHE channels

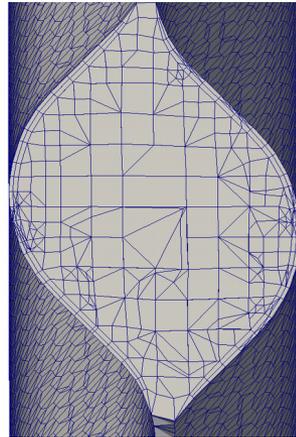
## **Poland – Taiwan scientific cooperation:**

*Development of plate heat exchangers for liquid inert gas vaporization and the modeling of the two-phase flow in heat exchangers (PHEVAP)*

financed by The National Center for Research and Development, Poland

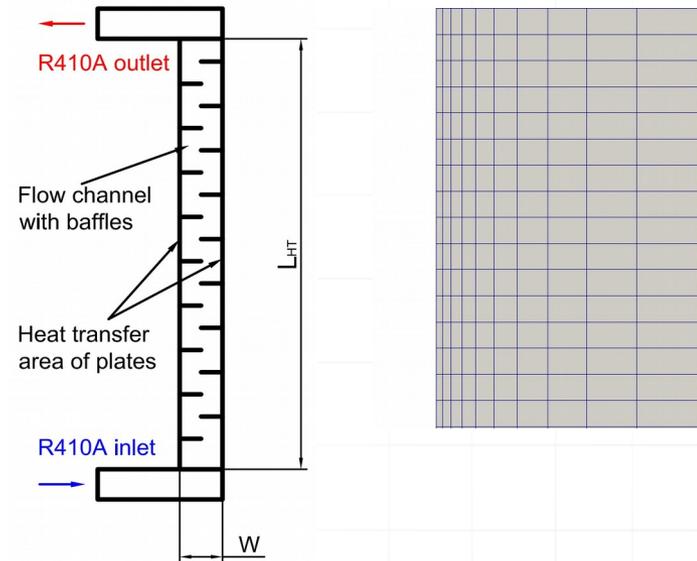
# MOTIVATION FOR SIMPLIFIED NUMERICAL MODEL

- Phase change modeling requires very fine numerical mesh and time steps
- 3D single plate model requires  $O(10^6)$  computational cells and  $O(10^{-6})$  time step
- PHE has typically  $O(100)$  plates:  $O(10^8)$  computational nodes !



3D real geometry:

- chevron shape – complex channels
- $4.5 \times 10^6$  of computational cells
- 1 second  $\sim O(\text{days})$



2D simplified geometry:

- $5 \times 10^4$  of computational cells
- 1 second  $\sim O(\text{hours})$
- mixing baffles to enhance turbulence

# PHASE CHANGE MATHEMATICAL MODEL

- **Lee** two-phase model for evaporation and condensation
- Phase change occurs in constant pressure and a quasi-thermo equilibrium state
- Mass transfer mainly depends on saturation temperature
- Interfacial temperature between phases is equal to saturation temperature
- Rates of mass exchange between liquid and vapor added to continuity equations

$$\frac{\partial \rho_l \alpha_l}{\partial t} + \nabla \cdot (\rho_l \mathbf{u}_l \alpha_l) = R_{cond} - R_{evap}$$

$$\frac{\partial \rho_v \alpha_v}{\partial t} + \nabla \cdot (\rho_v \mathbf{u}_v \alpha_v) = R_{evap} - R_{cond}$$

$$R_{cond} = C_c \rho_v \alpha_v (T_{sat} - T) \quad R_{evap} = 0 \quad T < T_{sat}$$

$$R_{evap} = C_e \rho_l \alpha_l (T - T_{sat}) \quad R_{cond} = 0 \quad T > T_{sat}$$

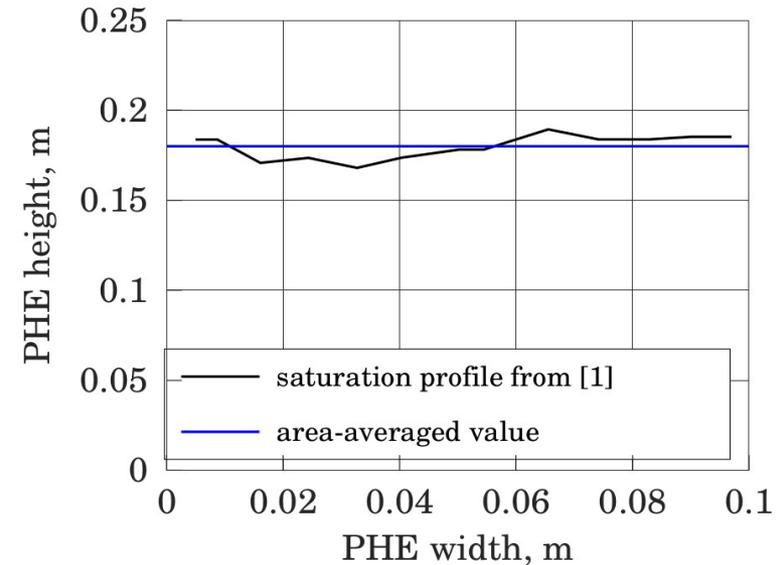
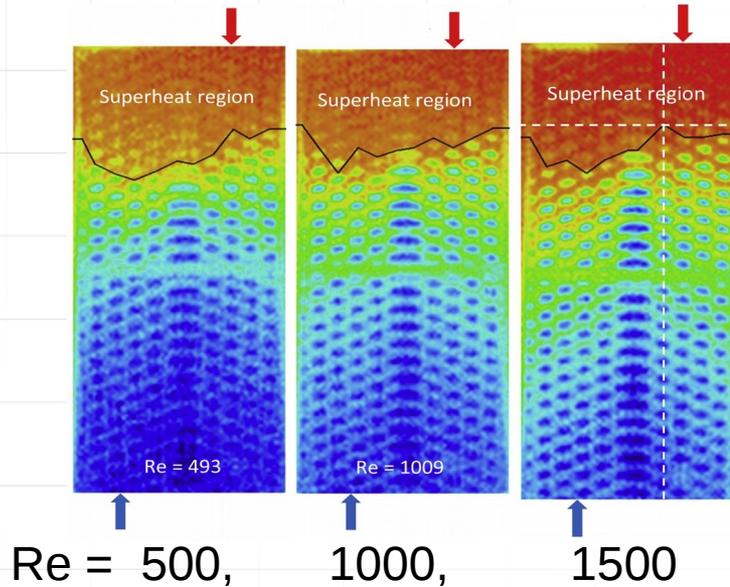
$R_{cond}$ ,  $R_{evap}$  – rates of mass exchange

Implemented as *interCondensatingEvaporatingFoam* in **OpenFOAM** software

- **No interface modeling – crucial savings of computational time**

# EXPERIMENT OF Lin, Li and Yang 2014

Re-gasification of R410A for different Re numbers (R410A mass flows)



Working conditions:

-  $p = 8.2$  bar

-  $T_{sat} = 1.1$  C

- heating fluid mass flow adjusted for every Re

Onset of superheat region: Re independent

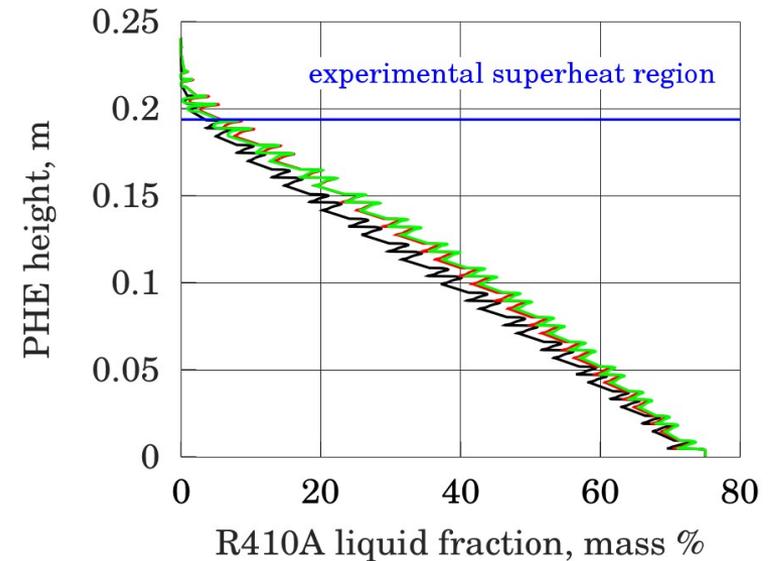
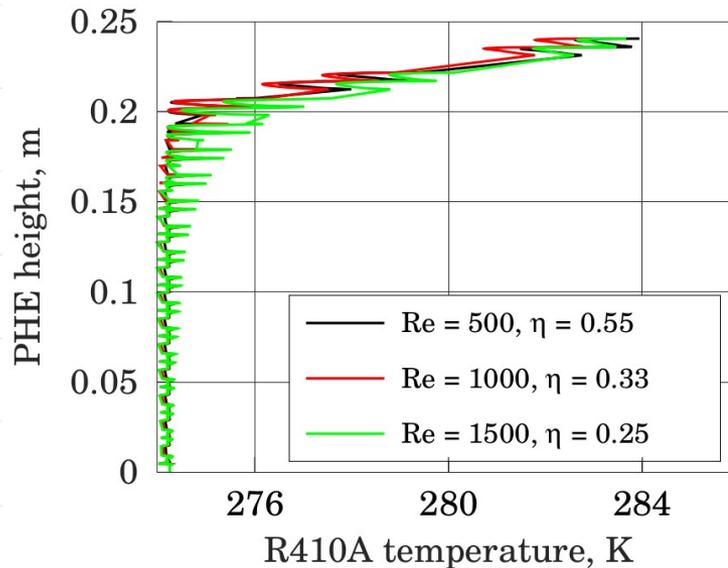
Outlet superheat:  $\Delta T = 10$ ,  $T_{out} = 11.1$  C

# COMPARISON WITH EXPERIMENT – correction parameter

- *InterCondensatingEvaporatingFoam* model **failed** to compare with experiment
- Solution: introduction of a numerical correction parameter  $\eta$  :

$$h_{v \text{ num}} = \eta(Re) h_{v \text{ real}}$$

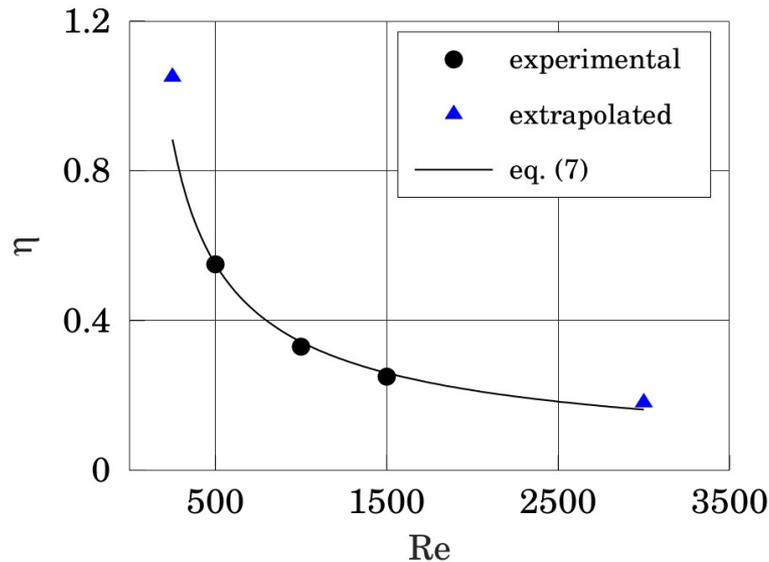
$h_{v \text{ num/real}}$  numerical/real enthalpy of vaporization  
 $\eta(Re)$  numerical correction parameter



Outlet superheat:  $\Delta T = T_{out} - T_{inlet} \sim 10^\circ$

SUCCESSFUL COMPARISON WITH EXPERIMENT

# NUMERICAL CORRECTION PARAMETER



| Re   | $\eta$ | $T_{out}, C$ |
|------|--------|--------------|
| 250  | 1.05   | 11.31        |
| 500  | 0.55   | 12.01        |
| 1000 | 0.33   | 11.02        |
| 1500 | 0.25   | 11.56        |
| 3000 | 0.18   | 11.11        |

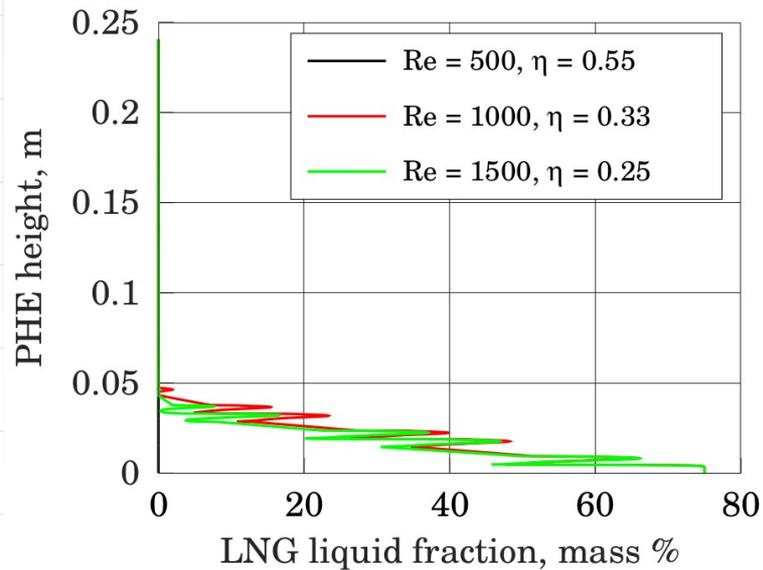
$$\eta(Re) = 38.237 Re^{-0.683}$$
$$R^2 = 0.953$$

$\eta$  less sensitive for larger Re  
 $\eta \approx 1$  for smaller Re

Mixing baffles:

- good for smaller Re – 2D flow has similar pattern as real 3D flow
- for higher Re flow gets 3D, additional/artificial turbulence enhancement is necessary

# APPLICATION TO LNG RE-GASIFICATION



| Re   | $\eta$ | $T_{out}, C$ |
|------|--------|--------------|
| 500  | 0.55   | 18           |
| 1000 | 0.33   | 17           |
| 1500 | 0.25   | 16           |

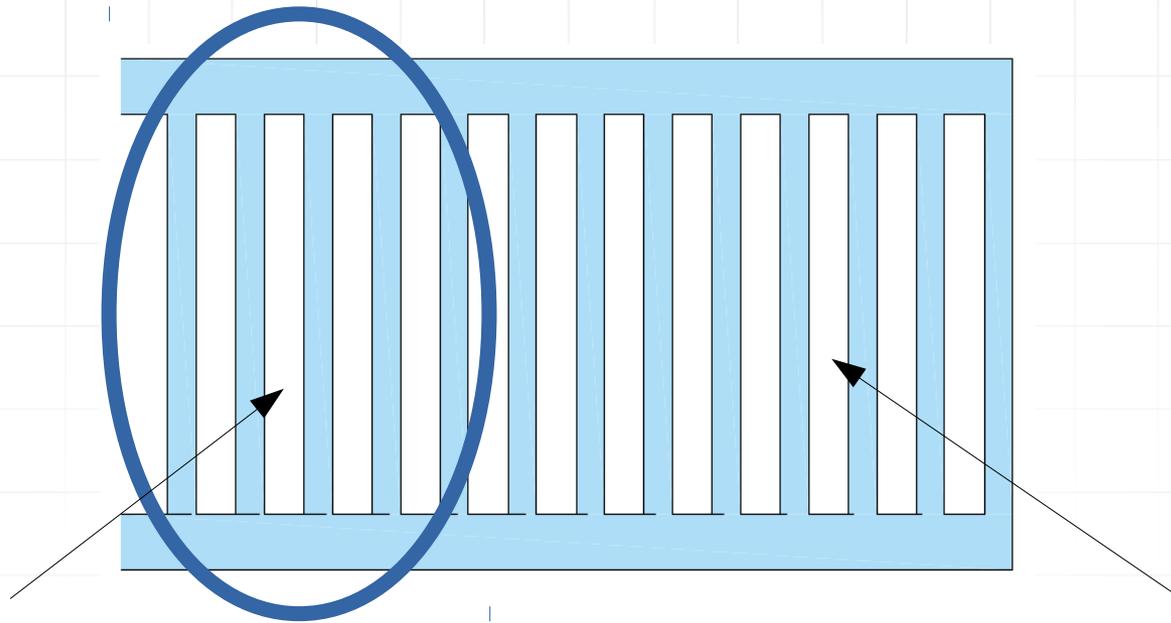
## Working conditions:

- $p = 8.2$  bar
- $T_{sat} = -149$  C

## Comments:

- LNG evaporated much faster for the same wall temperature profile as in R410A case
- Onset of superheated region is **Re independent**
- For the assumed water mass flow no solidification is expected
- $T_{out}$  **weakly dependent** on  $\eta$  and Re

# FLOW MALDISTRIBUTION IN PHE



ACTIVE Region (high velocity)

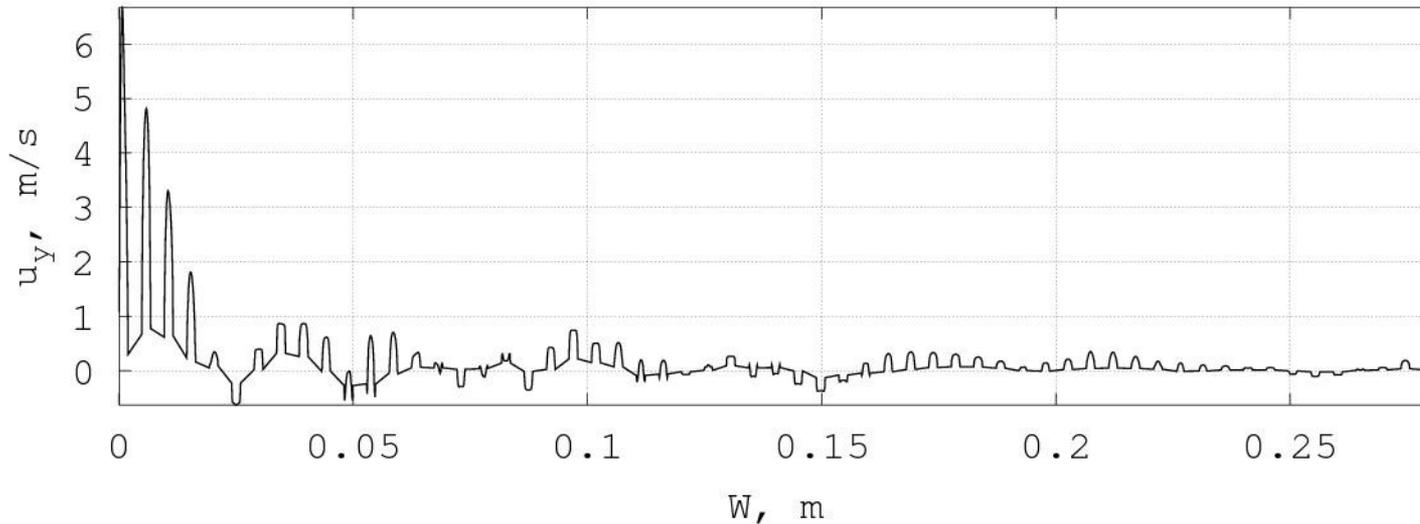
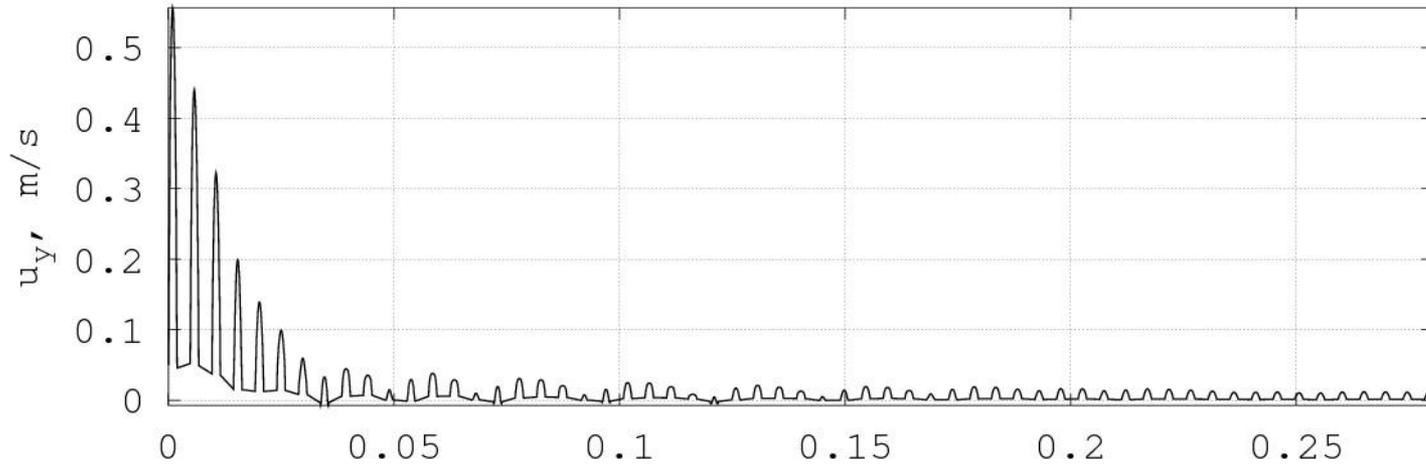
PASSIVE Region (low velocity)

Significant part of PHE can be NOT ACTIVE

Is it mostly a hydrodynamic problem ?

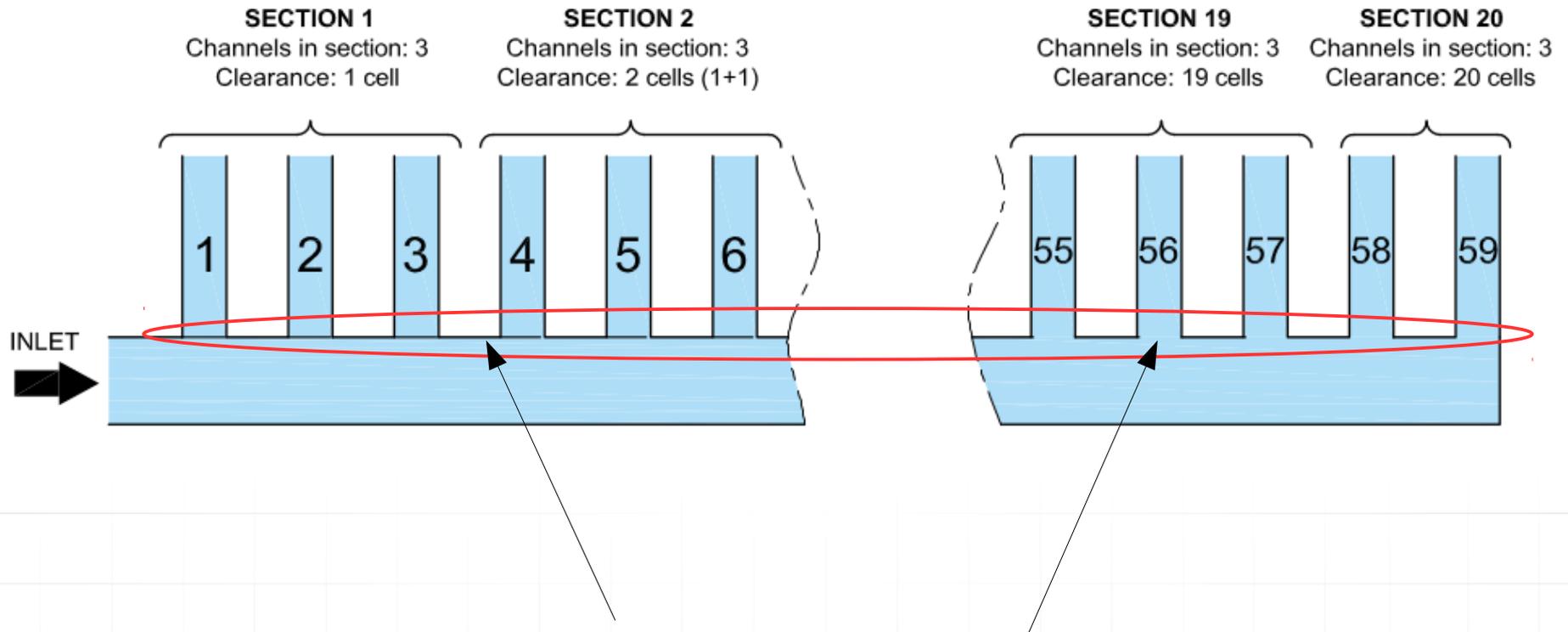
Is a phase change of primary or secondary importance ?

# FLOW MALDISTRIBUTION IN PHE (ongoing research)



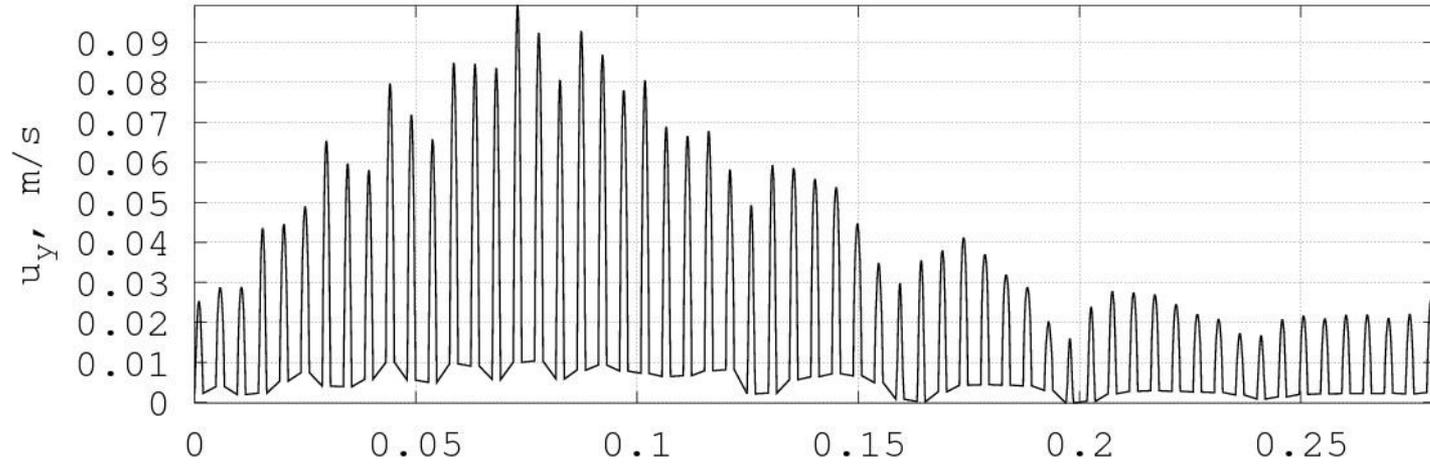
Single phase incompressible solution

# GEOMETRICAL MODIFICATIONS OF PHE

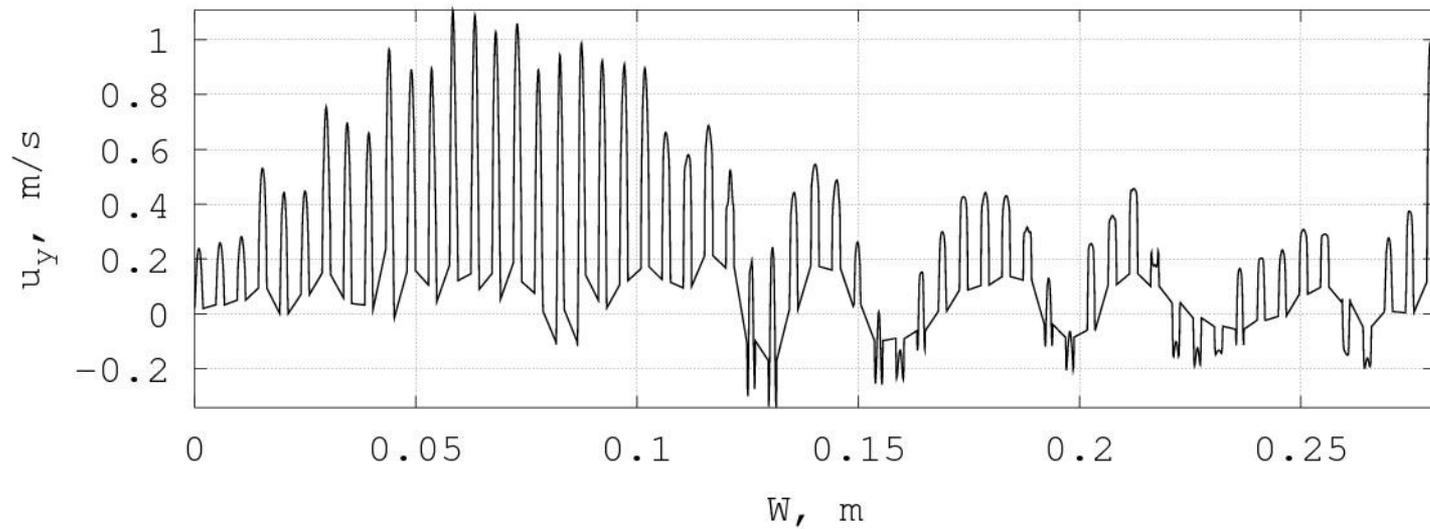


Consecutive channels inlet area gets larger with distance from the PHE INLET

# FLOW MALDISTRIBUTION – IMPROVEMENTS



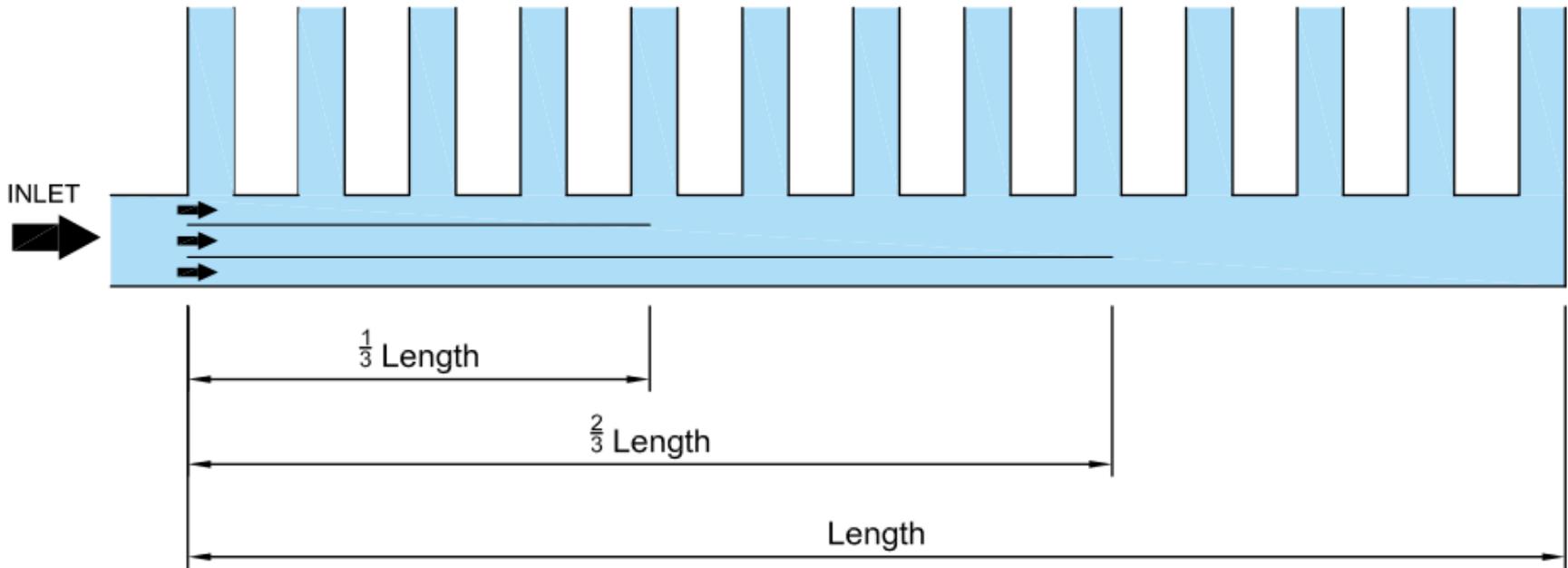
$Re = 100$



$Re = 1000$

# FUTURE WORK

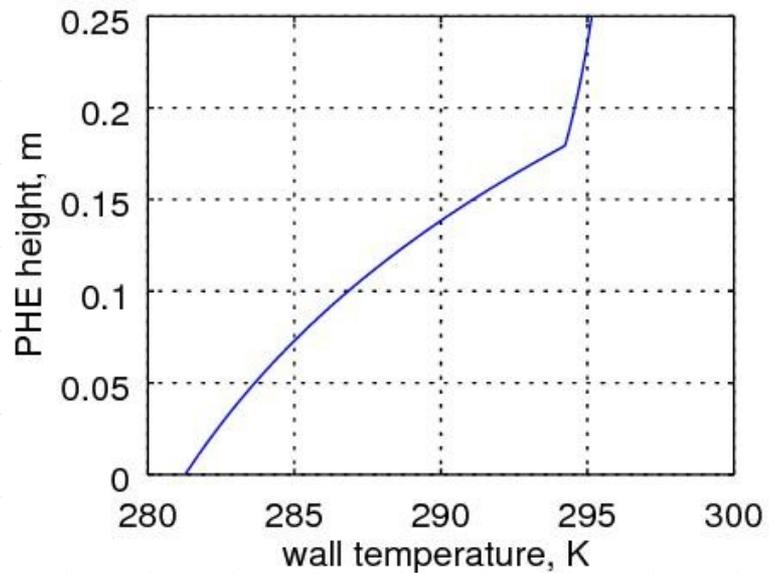
- Study of different geometrical PHE modifications:



- Usage of the proposed mathematical model with phase change to investigate flow maldistribution in PHE

Does the phase change is responsible for flow maldistribution ?

# APPENDIX



| Re   | Mass flow |
|------|-----------|
|      | kg/s      |
| 500  | 0.004     |
| 1000 | 0.008     |
| 1500 | 0.012     |