

$$\frac{\sigma^{H_2O}}{\sigma^{CH}}$$

in bins of $E_{QE}(p_\mu, \cos\theta_\mu)$
with ν_μ CC inclusive selections
in FGD1 and in FDG2

Enrico Scantamburlo
University of Geneva

Group Meeting
18 Oct 2016



**UNIVERSITÉ
DE GENÈVE**

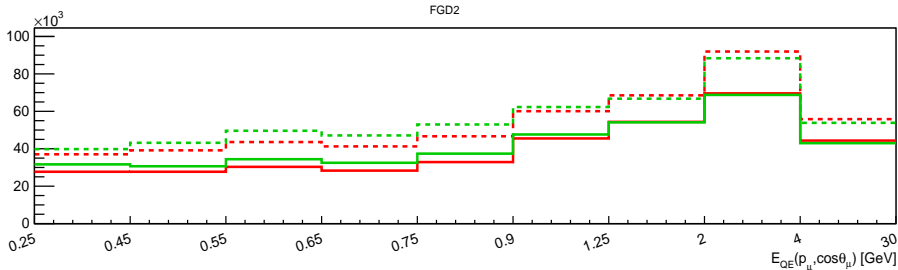
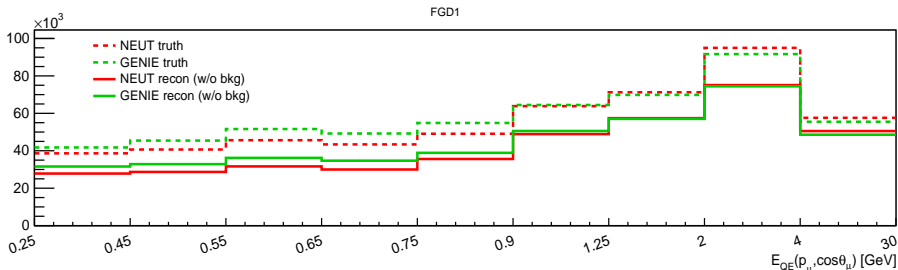


Genie as fake-data

bin	N_{fgd2}	N_{fgd1}	$N_{fgd2} - N_{fgd1} \cdot 52.7\%$
[0.25, 0.45]	1738.69	1734.46	824.896
[0.45, 0.55]	1659.84	1732.23	747.213
[0.55, 0.65]	1757.02	1853.25	780.632
[0.65, 0.75]	1568.53	1675.21	685.945
[0.75, 0.90]	1757.34	1909.58	751.284
[0.90, 1.25]	2353.05	2540.72	1014.48
[1.25, 2.00]	2737.73	2901.22	1209.23
[2.00, 4.00]	3459.34	3734.82	1491.65
[4.00, 30.0]	2202.50	2507.73	881.307

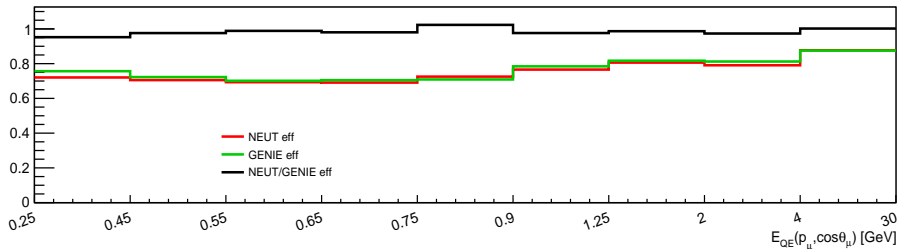
After bin by bin	and efficiency	corrections	
[0.25, 0.45]	2324.51	2407.48	1056.13
[0.45, 0.55]	2345.44	2455.99	1051.50
[0.55, 0.65]	2525.18	2672.89	1116.97
[0.65, 0.75]	2285.34	2424.32	1008.09
[0.75, 0.90]	2494.05	2632.54	1107.10
[0.90, 1.25]	3105.66	3317.43	1357.87
[1.25, 2.00]	3451.78	3599.21	1555.54
[2.00, 4.00]	4571.18	4723.71	2082.50
[4.00, 30.0]	2771.86	2858.83	1265.68

Distributions

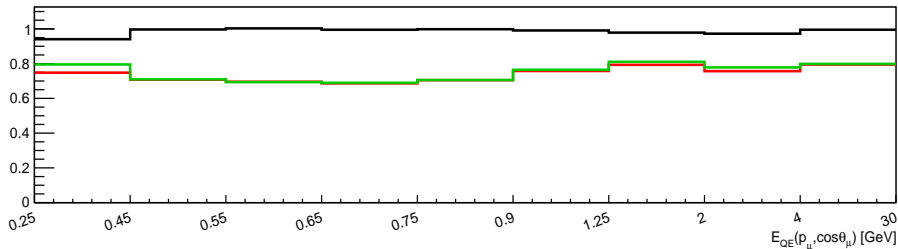


Distribution efficiencies

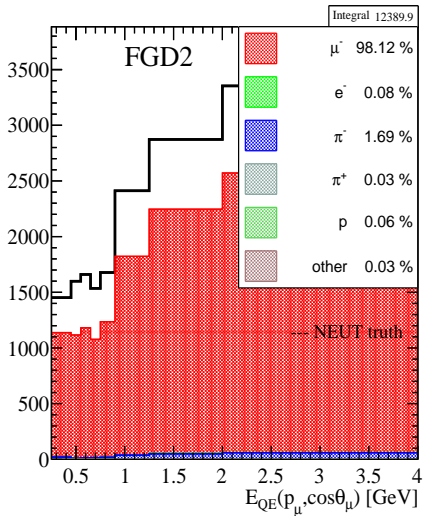
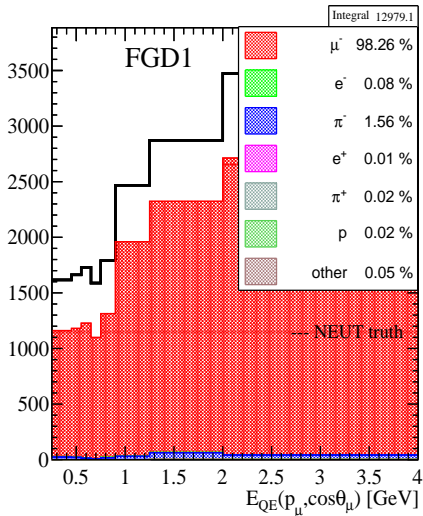
FGD1



FGD2

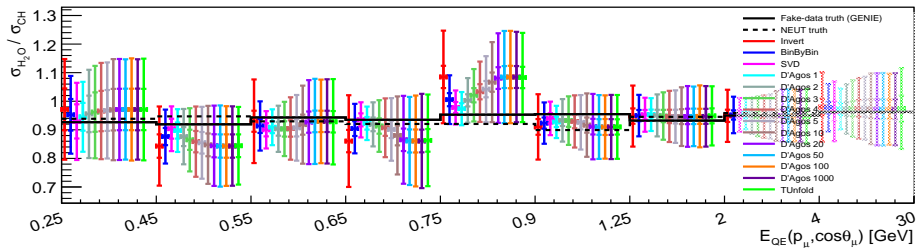


Distribution after bkg subtraction

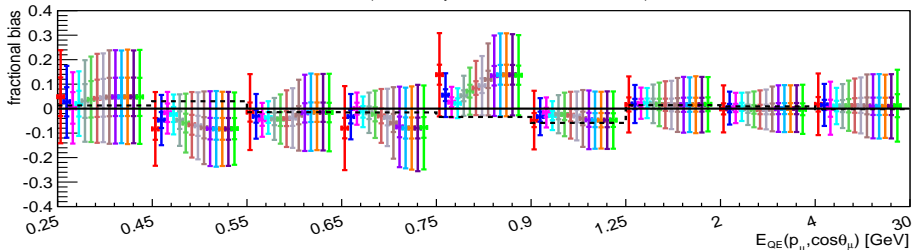


$$\sigma_{H_2O}/\sigma_{CH}$$

H₂O to CH xsec ratio (with stat+syst, inner bars for model errors)

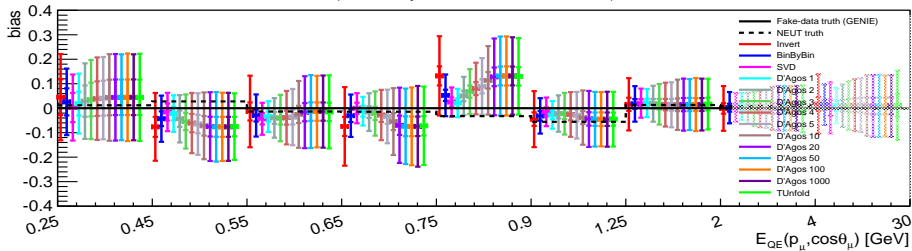


Fractional bias (with stat+syst, inner bars for model errors)

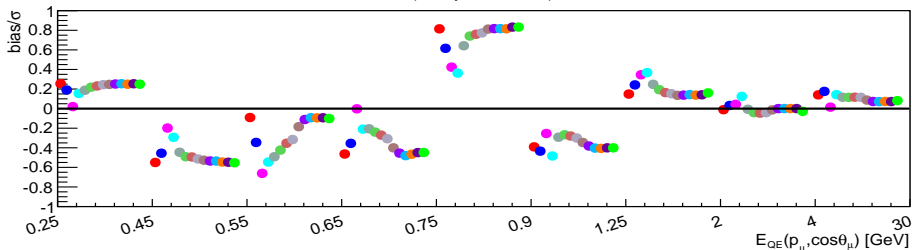


$$\sigma_{H_2O}/\sigma_{CH}$$

Bias (with stat+syst, inner bars for model errors)

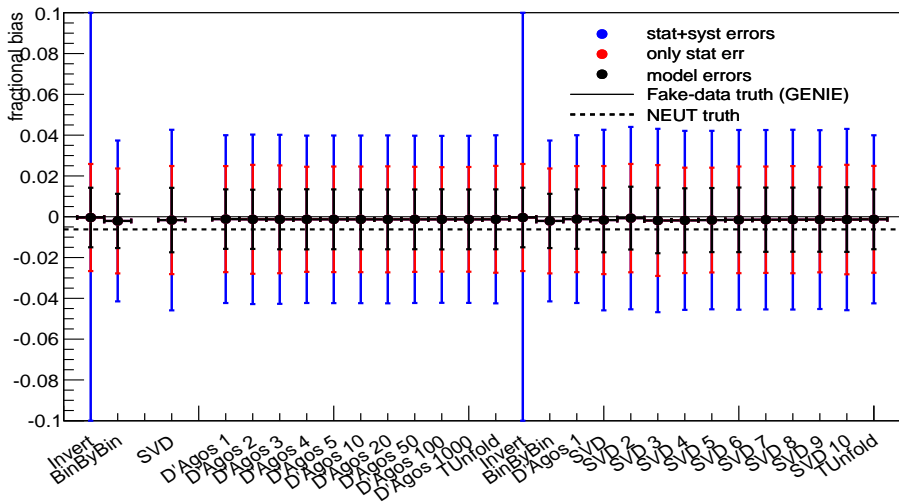


Bias/ σ (with syst+stat errors)



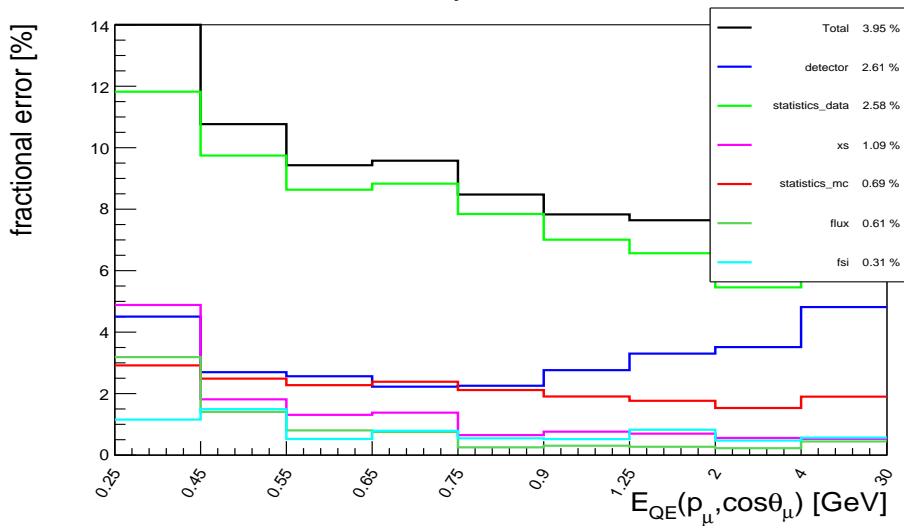
$$\sigma_{H_2O}/\sigma_{CH}$$

Fractional bias



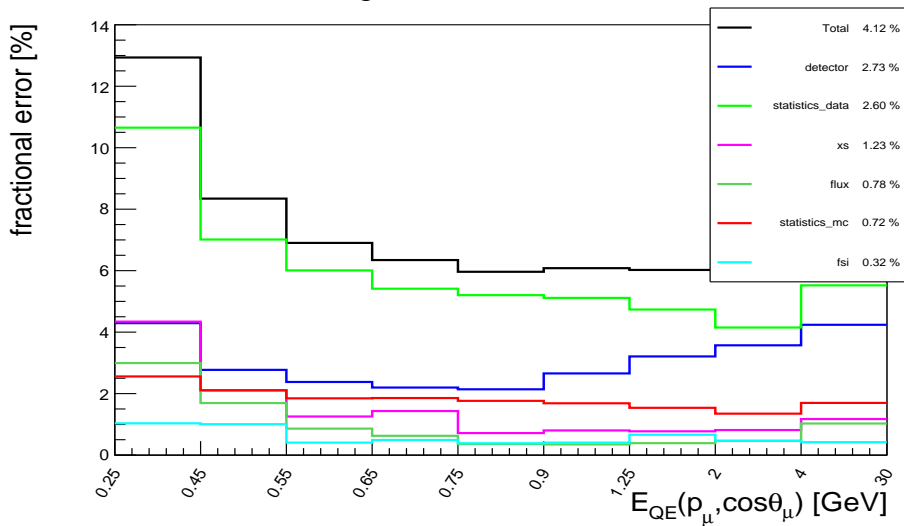
errors on $\sigma_{H_2O}/\sigma_{CH}$

BinByBin



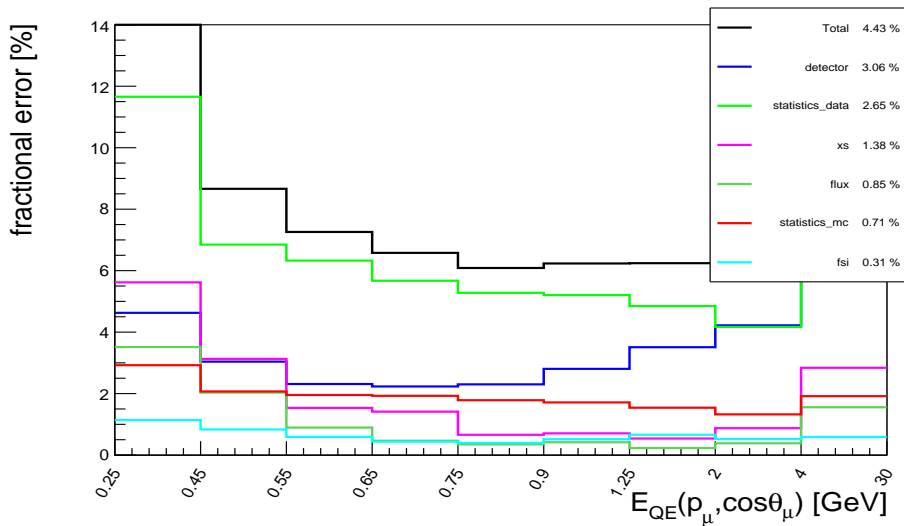
errors on $\sigma_{H_2O}/\sigma_{CH}$

D'Agostini 1 iteration



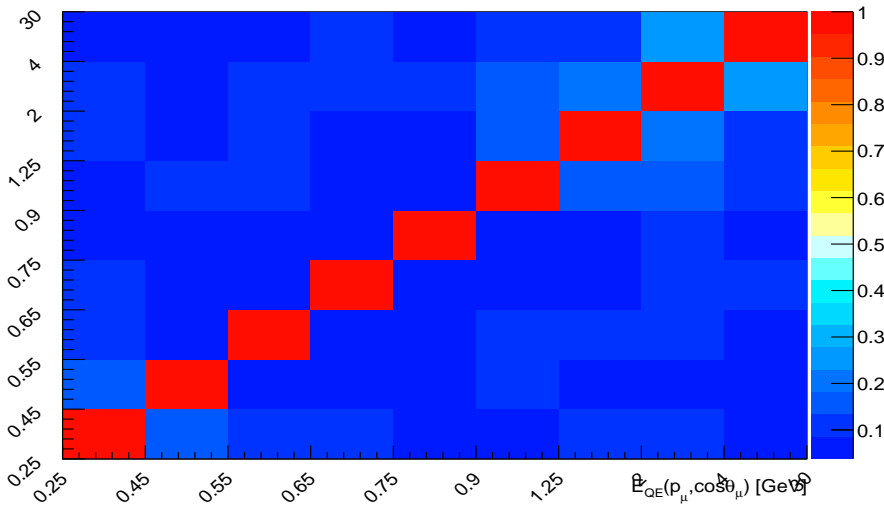
errors on $\sigma_{H_2O}/\sigma_{CH}$

SVD



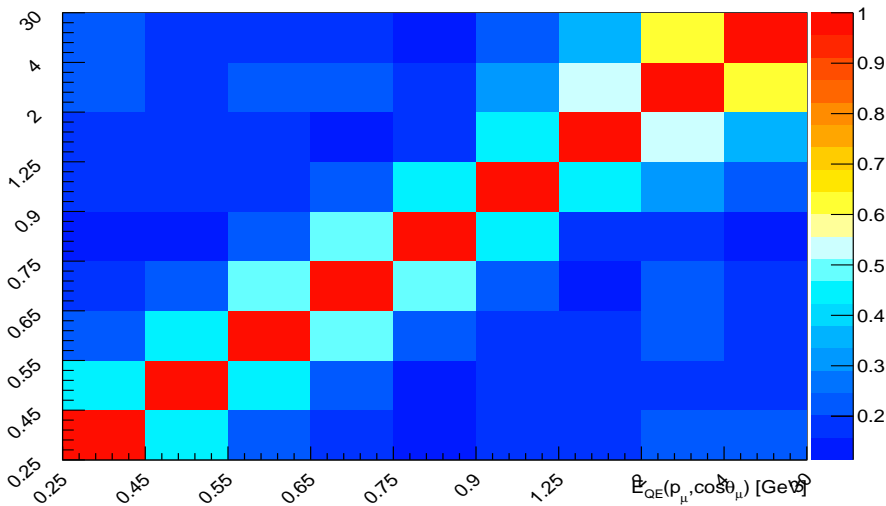
error correlations on $\sigma_{H_2O}/\sigma_{CH}$

BinByBin, error correlations (syst+stat)



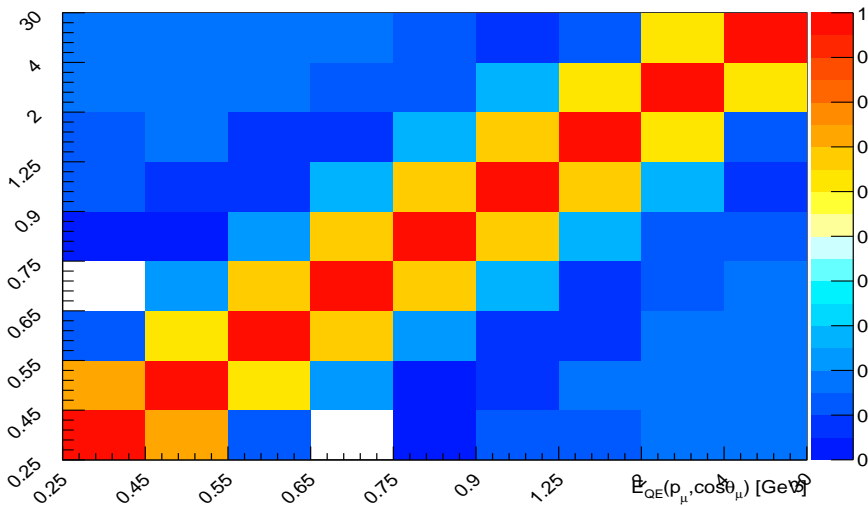
error correlations on $\sigma_{H_2O}/\sigma_{CH}$

Bayes_1, error correlations (syst+stat)

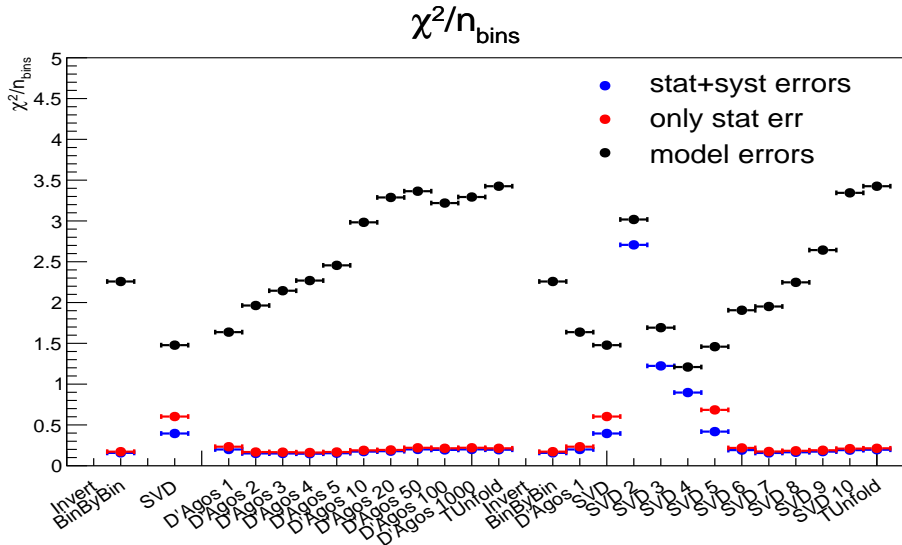


error correlations on $\sigma_{H_2O}/\sigma_{CH}$

SVD, error correlations (syst+stat)



χ^2 for $\sigma_{H_2O}/\sigma_{CH}$



BACKUP

reconstructed ν energy for ν_{μ} CC inclusive (CCQE formula)

- ▶ $\langle E \rangle$ is well reproduced by MC for both FGDs at the level of $1.7 \pm 3.1 / 650$ MeV
- ▶ There's a shift of 9 ± 3 MeV between FG1 and FGD2, reproduced by MC (7.3 ± 0.9)

numu CC inclusive selection, FORWARD candidates

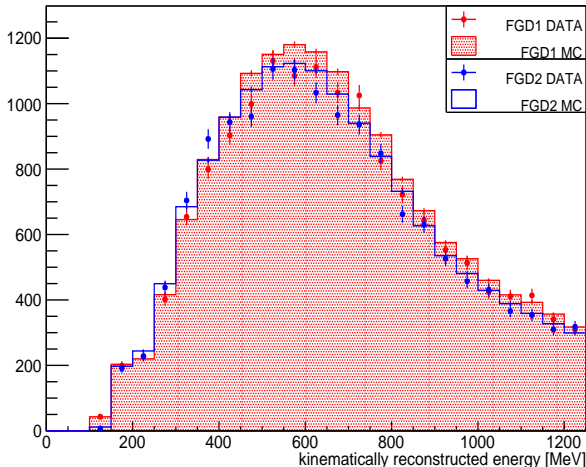
FGD1 MC		FGD1 DATA	
Mean	667.097 ± 0.631165	Mean	667.684 ± 2.1113
RMS	254.609	RMS	256.59
Integral	15370.9	Integral	14770
FGD2 MC		FGD2 DATA	
Mean	659.778 ± 0.637005	Mean	658.696 ± 2.13448
RMS	254.816	RMS	256.209
Integral	14739.1	Integral	14408

$$\begin{aligned} \text{Mean}^{\text{FGD1 DATA}} - \text{Mean}^{\text{FGD1 MC}} &= 0.59 \pm 2.2 \\ \text{Mean}^{\text{FGD2 DATA}} - \text{Mean}^{\text{FGD2 MC}} &= -1.1 \pm 2.2 \\ \hline &= 1.7 \pm 3.1 \end{aligned}$$

$$\begin{aligned} \text{Mean}^{\text{FGD1 MC}} - \text{Mean}^{\text{FGD2 MC}} &= 7.3 \pm 0.89 \\ \text{Mean}^{\text{FGD1 DATA}} - \text{Mean}^{\text{FGD2 DATA}} &= 9 \pm 3 \\ \hline &= -1.7 \pm 3.1 \end{aligned}$$

$$\text{FGD1 } \chi^2/\text{ndof} = 44.4 / 22 \text{ (pvalue 0.0032)}$$

$$\text{FGD2 } \chi^2/\text{ndof} = 35.6 / 22 \text{ (pvalue 0.034)}$$



$$\sigma_k^{H_2O}$$

T^{fgd2H_2O} = number of targets in the H_2O component of FGD2

T^{fgd2CH} = number of targets in the CH component of FGD2

T^{fgd1} = number of targets in FGD1

Estimated number of events in H_2O (pure water) (in bin k):

$$\hat{N}_k^{H_2O} = \hat{N}_k^{fgd2} - \hat{N}_k^{fgd2CH}$$

$$\hat{N}_k^{H_2O} = \hat{N}_k^{fgd2} - \sigma_k^{CH} \cdot T^{fgd2CH} \cdot \phi$$

We can estimate σ_k^{CH} using FGD1: $\sigma_k^{CH} = \frac{\hat{N}_k^{fgd1}}{T^{fgd1} \cdot \phi}$

$$\hat{N}_k^{H_2O} = \hat{N}_k^{fgd2} - \frac{\hat{N}_k^{fgd1}}{T^{fgd1} \cdot \phi} \cdot T^{fgd2CH} \cdot \phi$$

$$\sigma_k^{H_2O} = \frac{\hat{N}_k^{H_2O}}{T^{fgd2H_2O} \cdot \phi} = \frac{\hat{N}_k^{fgd2}}{T^{fgd2H_2O} \cdot \phi} - \frac{\hat{N}_k^{fgd1}}{T^{fgd1} \cdot \phi} \cdot \frac{T^{fgd2CH}}{T^{fgd2H_2O}}$$

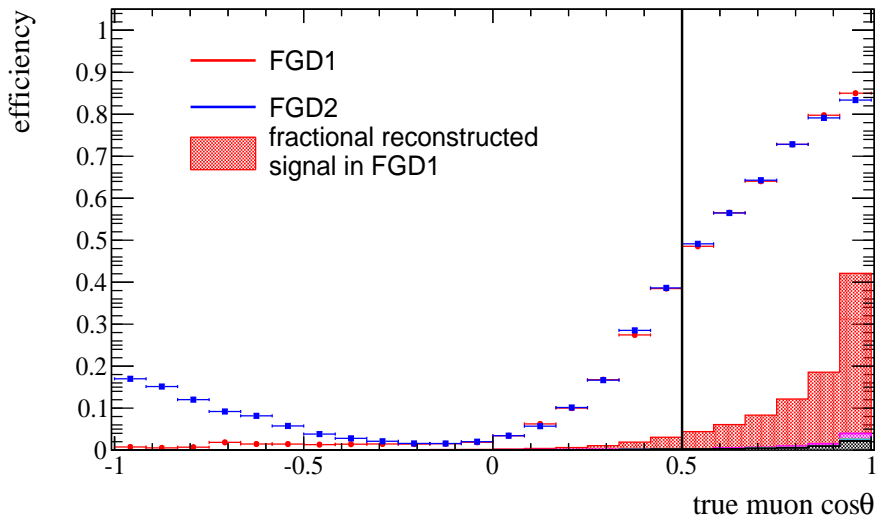
$$\sigma_k^{H_2O} / \sigma_k^{CH}$$

$$\sigma_k^{H_2O} = \frac{\hat{N}_k^{fgd2}}{T_{fgd2H_2O} \cdot \phi} - \frac{\hat{N}_k^{fgd1}}{T_{fgd1} \cdot \phi} \cdot \frac{T_{fgd2CH}}{T_{fgd2H_2O}} \quad \sigma_k^{CH} = \frac{\hat{N}_k^{fgd1}}{T_{fgd1} \cdot \phi}$$

$$\frac{\sigma_k^{H_2O}}{\sigma_k^{CH}} = \frac{\frac{\hat{N}_k^{fgd2}}{T_{fgd2H_2O} \cdot \phi} - \frac{T_{fgd2CH}}{T_{fgd2H_2O}} \cdot \frac{\hat{N}_k^{fgd1}}{T_{fgd1} \cdot \phi}}{\frac{\hat{N}_k^{fgd1}}{T_{fgd1} \cdot \phi}} = \frac{\hat{N}_k^{fgd2}}{\hat{N}_k^{fgd1}} \cdot \frac{T_{fgd1}}{T_{fgd2H_2O}} - \frac{T_{fgd2CH}}{T_{fgd2H_2O}}$$

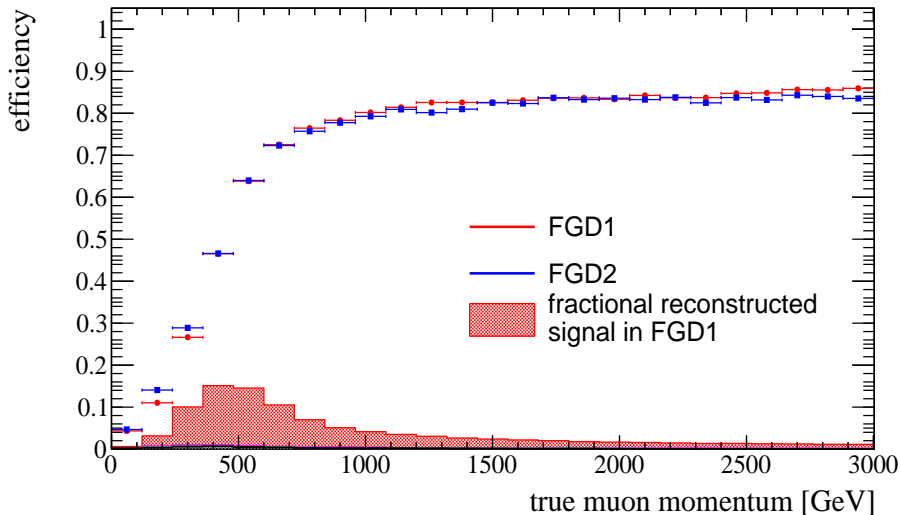
Efficiency in $\cos\theta_\mu$

- ▶ phase space cut: true muon $\cos\theta_\mu > 0.5$



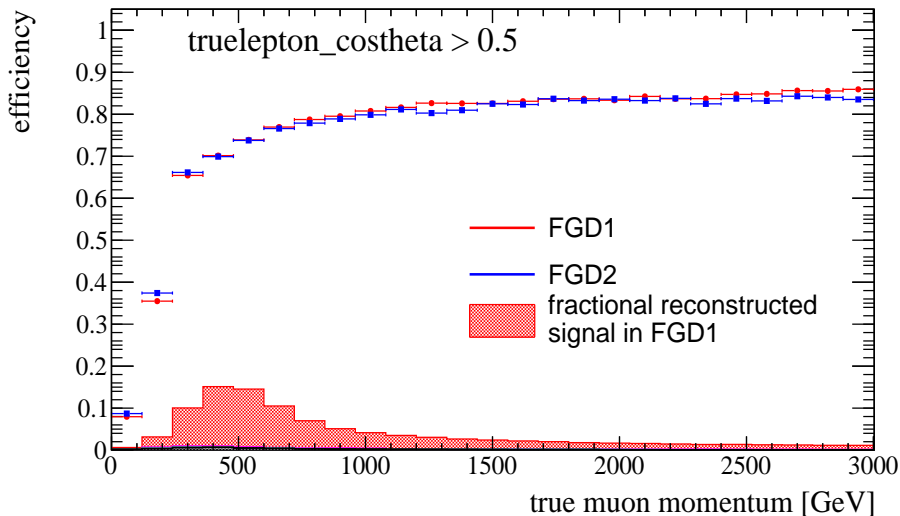
Efficiency in p_μ

- ▶ p_μ efficiency WITHOUT phase space cuts



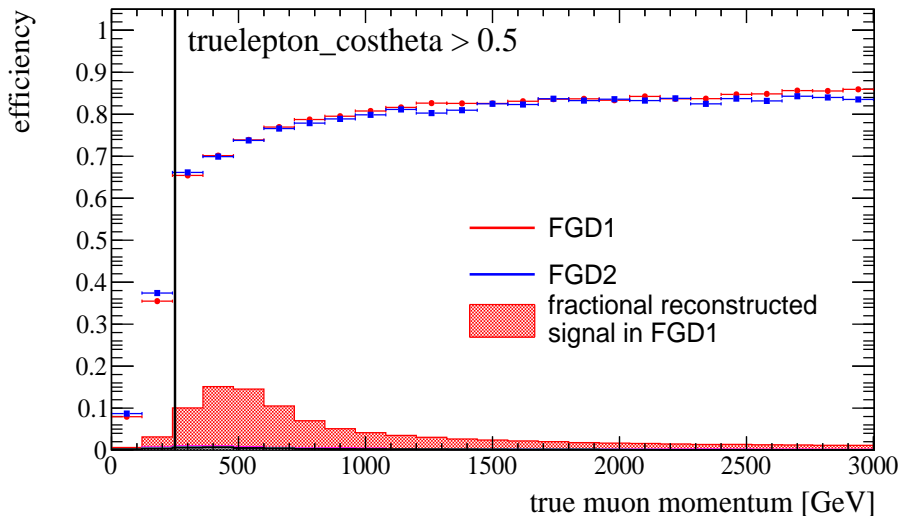
Efficiency in p_μ

- ▶ p_μ efficiency WITH phase space cut on true muon $\cos\theta_\mu > 0.5$



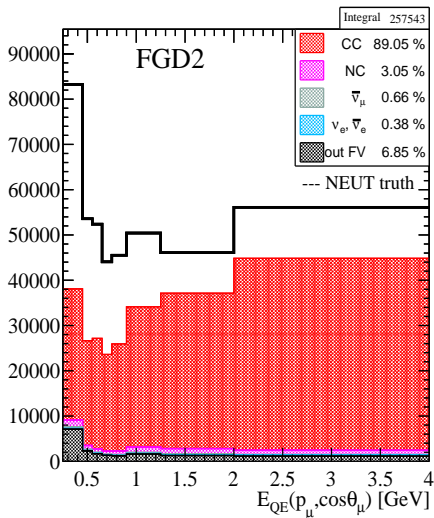
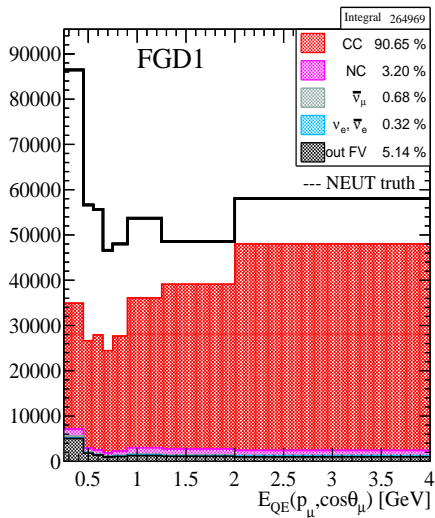
Efficiency in p_μ

- ▶ 2nd phase space cut: true momentum $p_\mu > 250 \text{ MeV}$



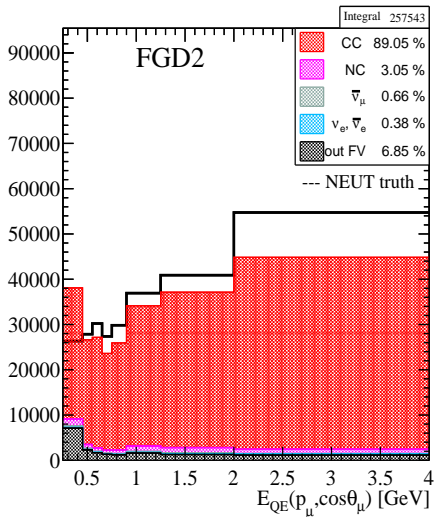
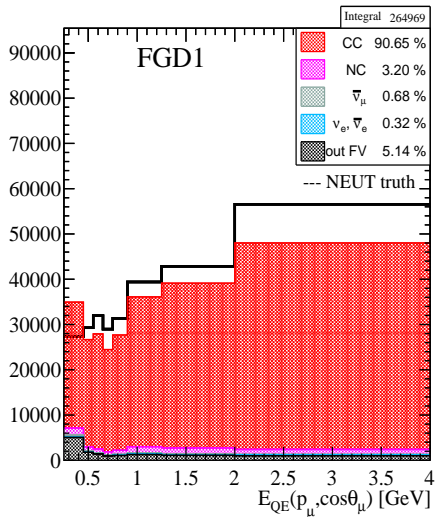
$E_{QE}(p_\mu, \cos\theta_\mu)$ spectra

► WITHOUT phase space cuts



$E_{QE}(p_\mu, \cos\theta_\mu)$ spectra

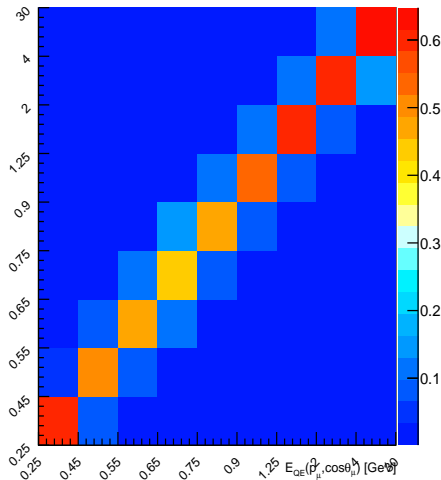
- ▶ WITH phase space cuts: true $\cos\theta_\mu > 0.5$ && true momentum $p_\mu > 250\text{ MeV}$



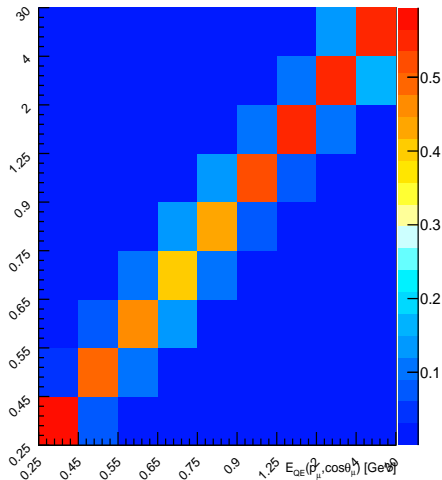
Smearing matrices

- ▶ Quite diagonal!

Smearing matrix FGD1



Smearing matrix FGD2



Samples and software

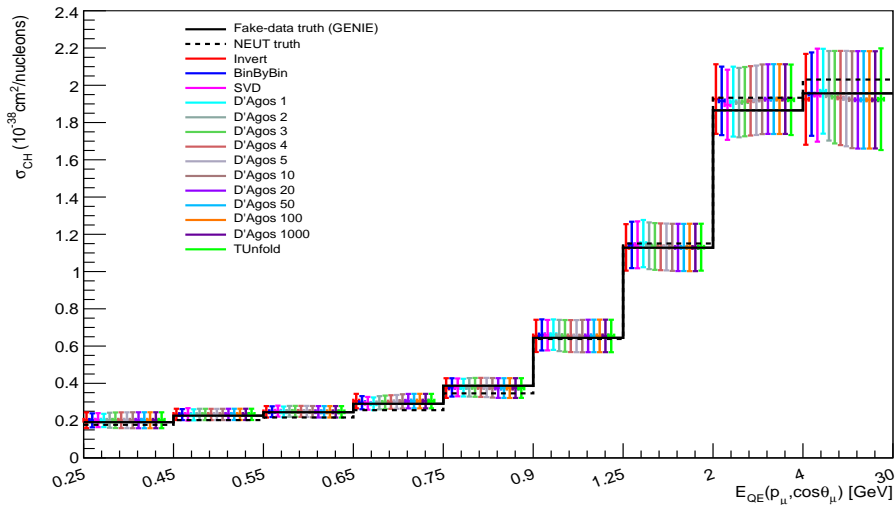
- ▶ Full Prod 6B NEUT MC sample
- ▶ Fake data: full Prod 6B GENIE MC sample scaled to 5.82 POT (run II-III-IV)
- ▶ nd280Highland2 v2r7
- ▶ xsTool v2r4, trying several unfolding method, subtracting the background before unfolding
- ▶ xsTool/T2KReWeight v2015p1r5 with NIWG parameters for OA 2015
- ▶ 500 toys for detector and model systematics, 2000 for statistics mc and data

Signal definitions

- ▶ Selection: current psyche FGD1 and FGD2 ν_μ CC inclusive selections
 - ▶ select FGD+TPC muon candidates
- ▶ Signal: ν_μ CC inclusive NEUT interactions
 - && true muon $\cos\theta > 0.5$
 - && true muon momentum > 0.25 GeV
- ▶ Unfolding (several method) in bins of $E_{QE}(p_\mu, \cos\theta_\mu)$. Binning [GeV]:
0.25 - 0.45 - 0.55 - 0.65 - 0.75 - 0.9 - 1.25 - 2.0 - 4.0 - 30.0
- ▶ Normalization:
 - ▶ flux folded (divided by the average of the flux in each bin)
 - ▶ cross-sections per nucleon (number of targets: p+n)

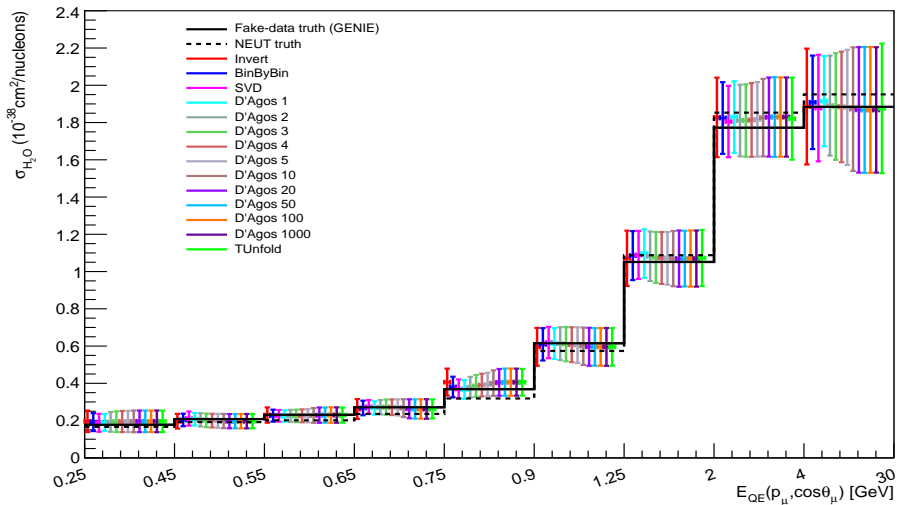
σ_{CH}

xsec on CH (in FGD1) (with stat+syst errors)



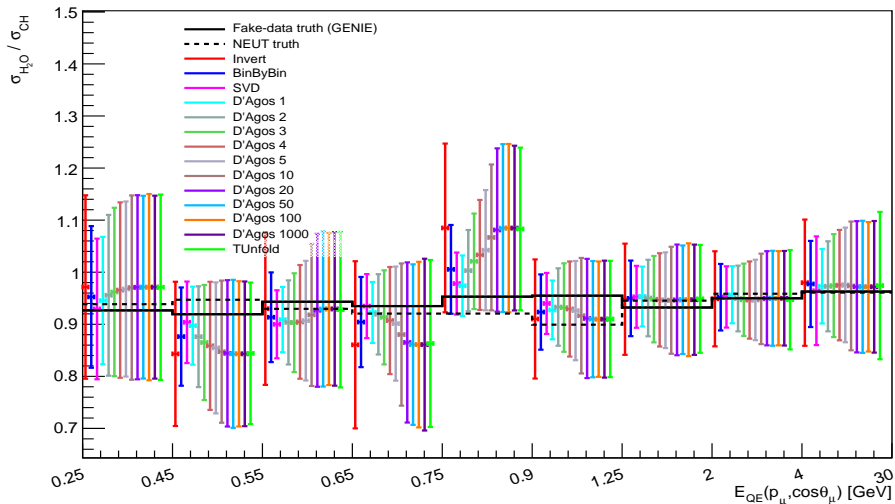
$$\sigma_{H_2O}$$

xsec on H_2O (FGDs subtraction) (with stat+syst errors)



$$\sigma_{H_2O}/\sigma_{CH}$$

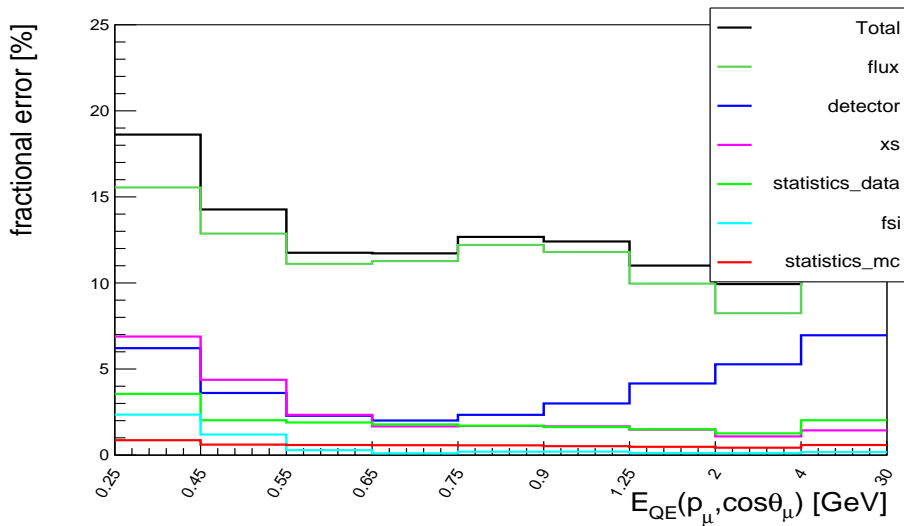
H₂O to CH xsec ratio (with stat+syst errors)



errors on σ_{CH}



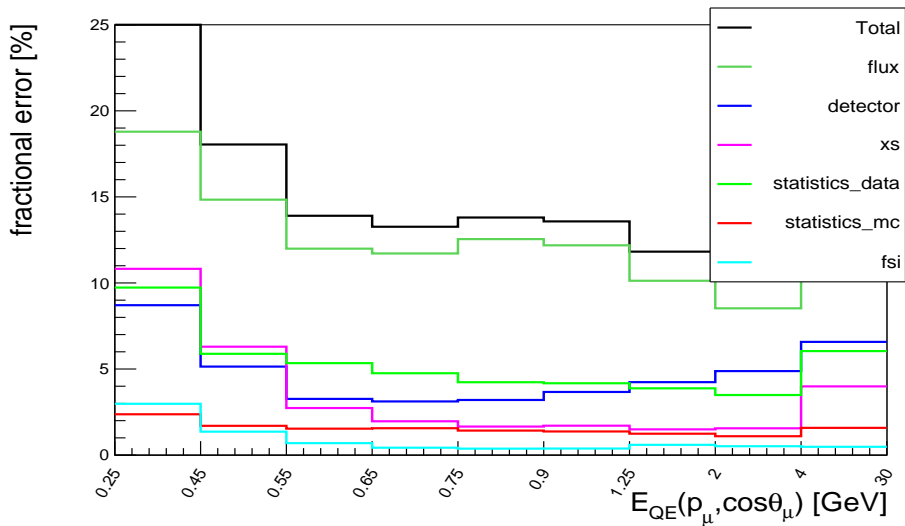
SVD



errors on σ_{H_2O}



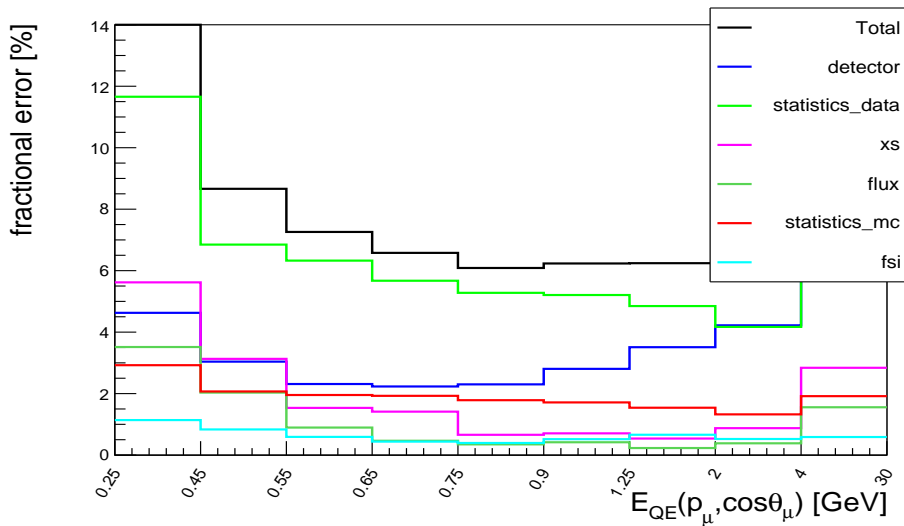
SVD



errors on $\sigma_{H_2O}/\sigma_{CH}$

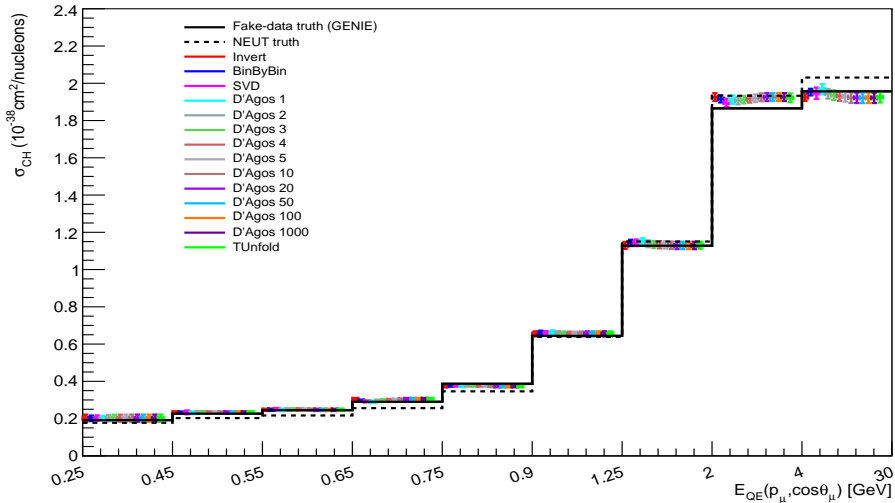


SVD



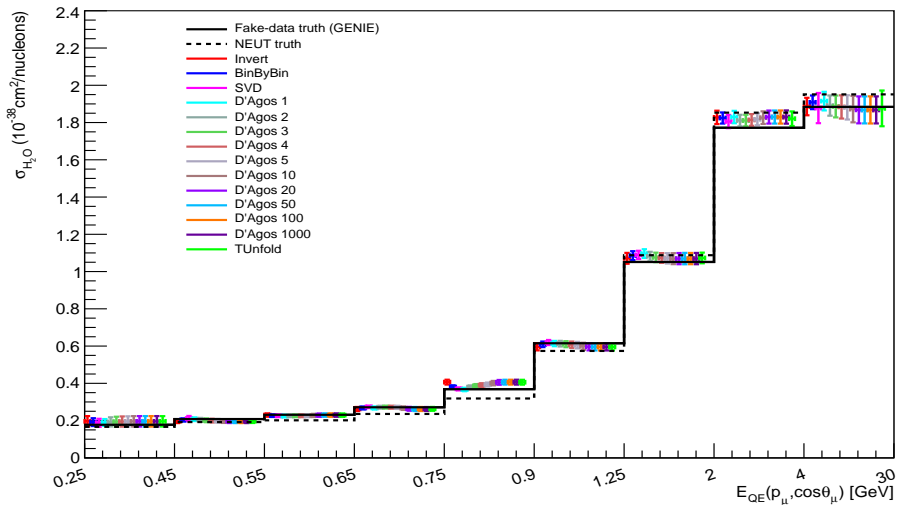
$$\sigma_{CH}$$

xsec on CH (in FGD1) (with model errors)



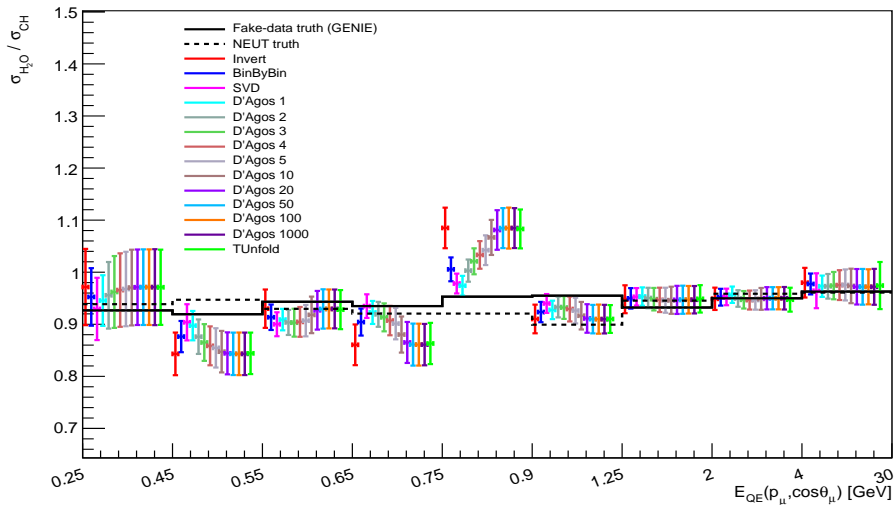
$$\sigma_{H_2O}$$

xsec on H_2O (FGDs subtraction) (with model errors)



$$\sigma_{H_2O}/\sigma_{CH}$$

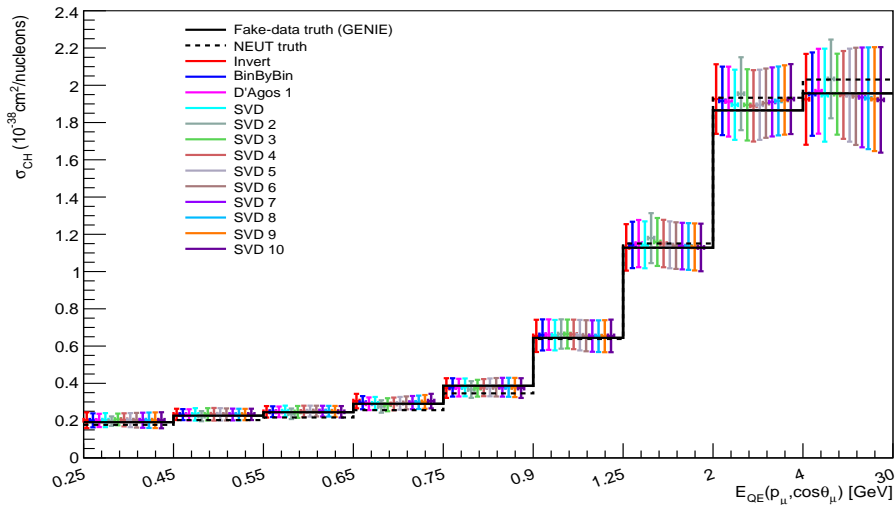
H₂O to CH xsec ratio (with model errors)



BACKUP

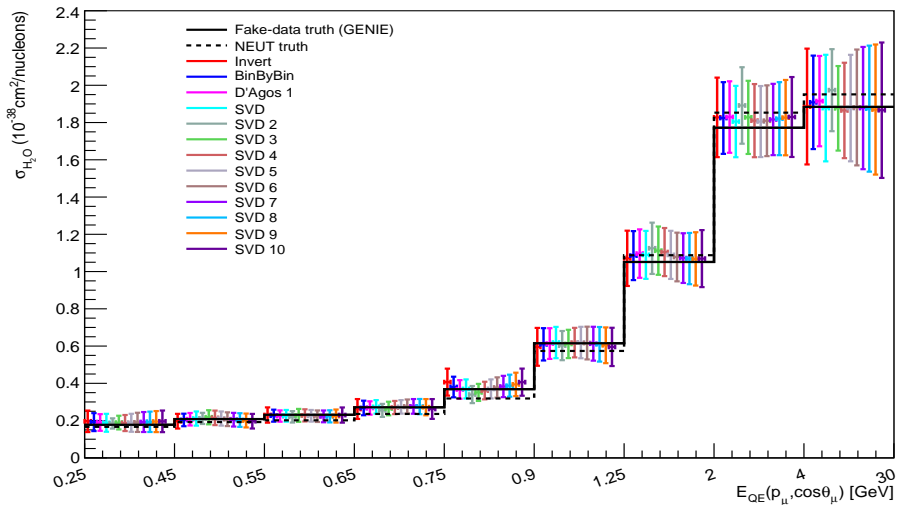
σ_{CH}

xsec on CH (in FGD1) (with stat+syst errors)



$$\sigma_{H_2O}$$

xsec on H_2O (FGDs subtraction) (with stat+syst errors)



$$\sigma_{H_2O}/\sigma_{CH}$$

H₂O to CH xsec ratio (with stat+syst errors)

