

PDF uncertainties for  
ATLAS geometrical acceptance:  
comparing **CTEQ**, **MRST**  
and **Neural Network** results



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# Cross section measurement and its uncertainties

The measurement of  $W/Z \rightarrow$  leptons cross sections will be one of the first goals of the ATLAS experiment

$$\sigma \equiv \sigma_{pp \rightarrow W/Z} \cdot \text{Br}_{W/Z \rightarrow \ell\nu/\ell\ell} = \frac{N - B}{A \cdot \epsilon \cdot \mathcal{L}}$$

**geometrical acceptance**

$$\frac{\text{Events inside kinematical cuts}}{\text{Total events}}$$

Cross section uncertainty:

$$\frac{\delta\sigma}{\sigma} = \frac{\delta N + \delta B}{N - B} + \frac{\delta A}{A} + \frac{\delta\mathcal{L}}{\mathcal{L}} + \frac{\delta\epsilon}{\epsilon}$$

statistical:  $\frac{\delta N}{N} \sim \frac{1}{\sqrt{\mathcal{L}}}$

**THEORETICAL**

decrease with detector understanding

Estimated uncertainty sources for  $Z \rightarrow \ell^+ \ell^-$  :

After the first  $\text{fb}^{-1}$ ,  $\delta\sigma$  will be dominated by acceptance uncertainty

$\int \mathcal{L} dt$	$\delta\sigma/\sigma$ (stat)	$\delta\sigma/\sigma$ (sys)	$\delta\sigma/\sigma$ (lum)
$50 \text{ pb}^{-1}$	0.8 %	4.1 %	10 %
$1 \text{ fb}^{-1}$	0.2 %	2.4 %	-

# Monte Carlo simulations for acceptance calculations

We simulate samples of  $\sim 500\text{k}$   $Z/\gamma^* \rightarrow \mu^+ \mu^-$  events at  $\sqrt{s}=14$  TeV with **Mc@Nlo 3.3**, showered by Herwig 6.510, interfaced with LHAPDF, in stand alone mode

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Starting from the *default configuration*, we change all the relevant parameters:

- **PDFs:**
    - **CTEQ // Neural Network // MRST**
  - All the other effects (**intrinsic transverse momentum of partons  $\neq 0$ , initial state radiation amount...**) are found to be **negligible wrt PDFs**
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Acceptance is calculated imposing the following cuts on  $\mu^+$  and  $\mu^-$ :

- $p_T > 20$  GeV to be separable from background
  - this threshold will be optimized as a function of  $\sqrt{s}$  and luminosity
- $|\eta| < 2.5$  in order to make them triggerable

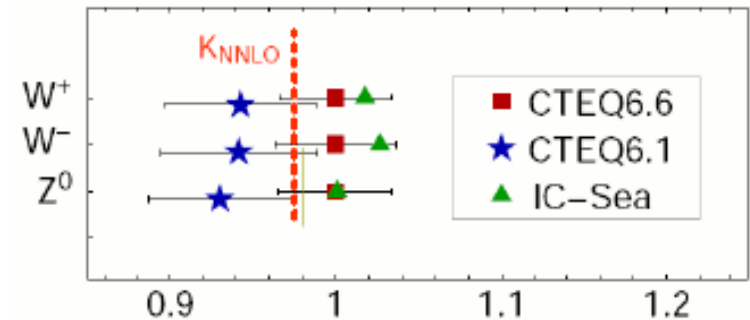
# CTEQ6.6: inclusion of mass effects

CTEQ 6.6 analysis includes mass effects for heavy quarks (in the **General-Mass VFN** scheme). This causes the reduction of  $c$ ,  $b$  e  $g$  contributions at **small and medium values of  $x$** , and a corresponding increase in  $u$  and  $d$  distributions:

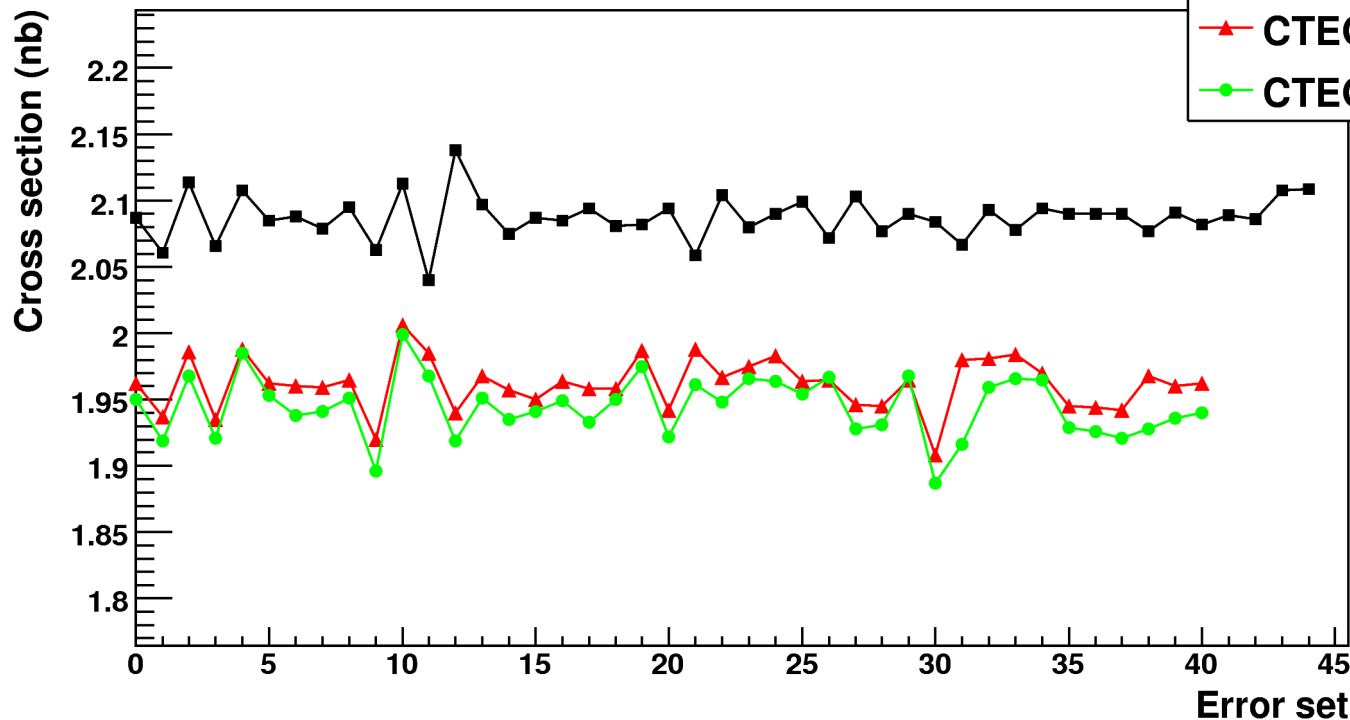
Big impact on W and Z production

at the LHC: cross sections increase up to 6%.

$\sigma \pm \delta\sigma_{PDF}$  in units of  $\sigma(\text{CTEQ6.6M})$   
LHC,NLO



Cross sections vs CTEQ6 error sets for  $Z \rightarrow \mu^+ \mu^-$



**central values increase as expected**

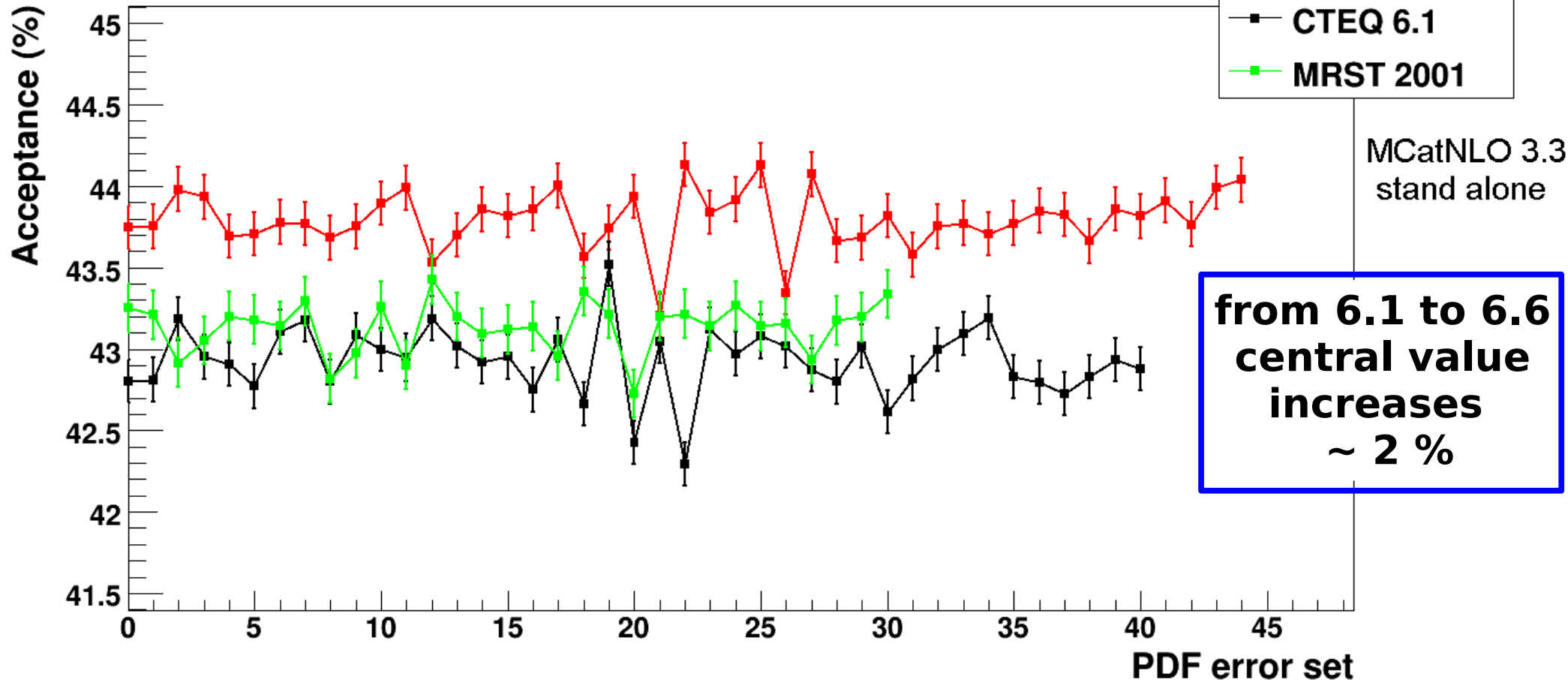
# What happens to acceptance?

Work in progress

## Comparison between CTEQ and MRST acceptance:

\*errors are statistical\*

Acceptance vs Hessian error sets for  $Z \rightarrow \mu \mu$  at  $\sqrt{s}=14$  TeV



CTEQ 6.1

$$A_0^{+\Delta A}_{-\Delta A} = 42.80^{+1.34}_{-0.68}$$

CTEQ 6.6

$$A_0^{+\Delta A}_{-\Delta A} = 43.75^{+0.93}_{-0.77}$$

MRST 2001

$$A_0^{+\Delta A}_{-\Delta A} = 43.25^{+0.22}_{-1.05}$$

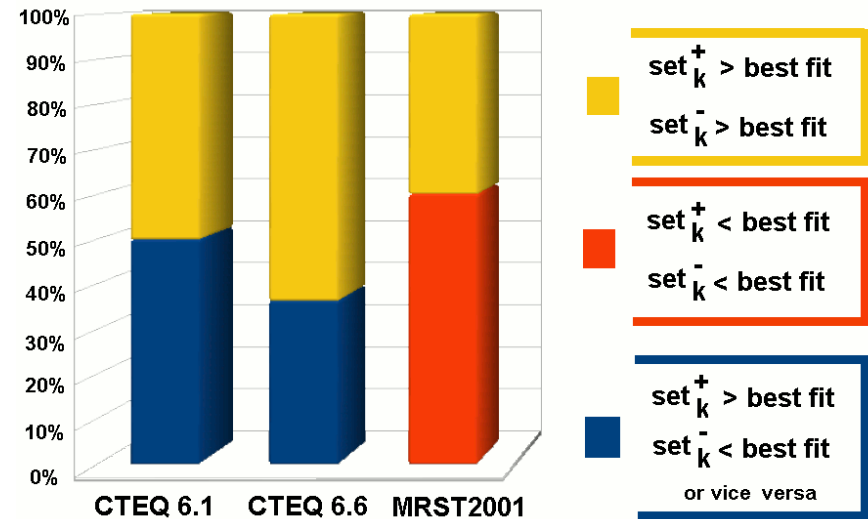
# Error asymmetry

Hessian uncertainties are calculated via the asymmetric formula:

$$\Delta X_{max}^+ = \sqrt{\sum_{i=1}^N [\max(X_i^+ - X_0, X_i^- - X_0, 0)]^2}$$

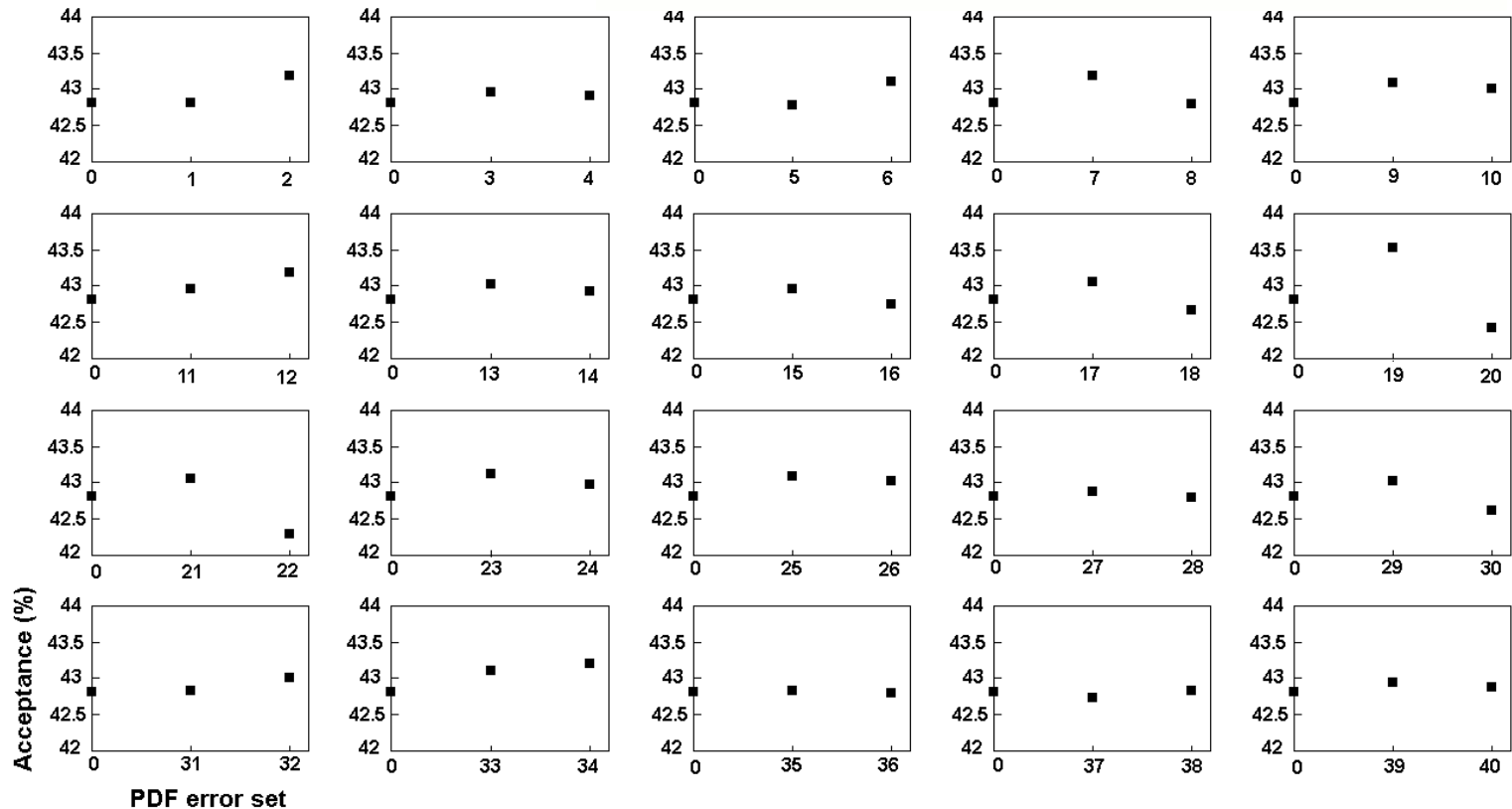
$$\Delta X_{max}^- = \sqrt{\sum_{i=1}^N [\max(X_0 - X_i^+, X_0 - X_i^-, 0)]^2}$$

**since** we do NOT find symmetry for acceptance!



Example: **CTEQ 6.1**:

- **10 times** the two values along the  $k_{th}$  eigenvector are **bigger** than the best fit
- **10 times** they're **symmetrical**
- **0 times** they're **smaller**



# A different approach: Neural Network PDFs

## Advantages

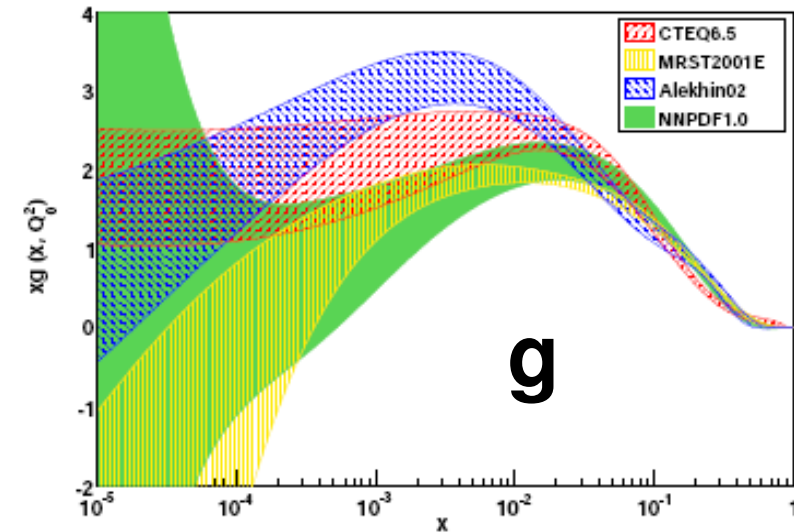
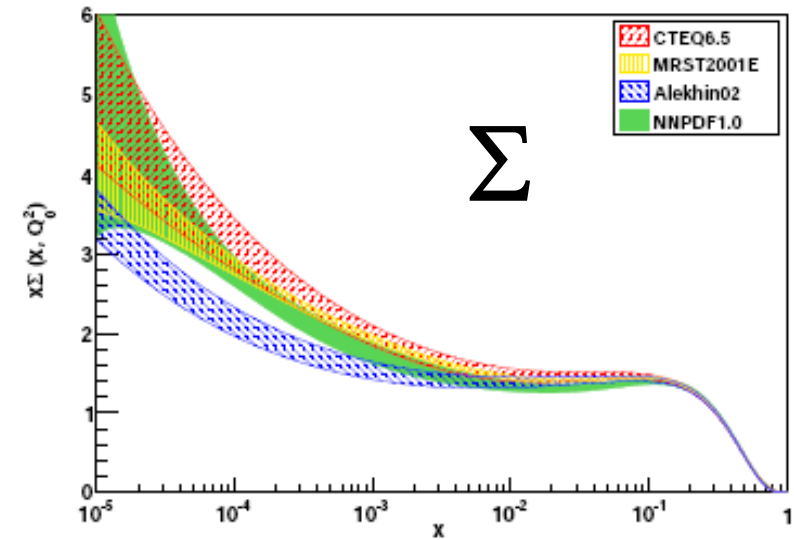
- No biasing *a priori* parametrization
- Resulting PDF sets follow a Gaussian distribution, and so can be easily interpreted in a **statistical** way, needing **no ad hoc tolerance criterion**

## Present limitations

- NNPDFs are in the **Zero-Mass** scheme, at NLO
- **Strange** distribution proportional to light sea (disfavoured by recent data)

## Acceptance estimation:

- We simulate events with the restricted set of 100 replicas
- **Uncertainties in principle are difficult to compare**



Ball et al., arXiv:hep-ph/0808.1231

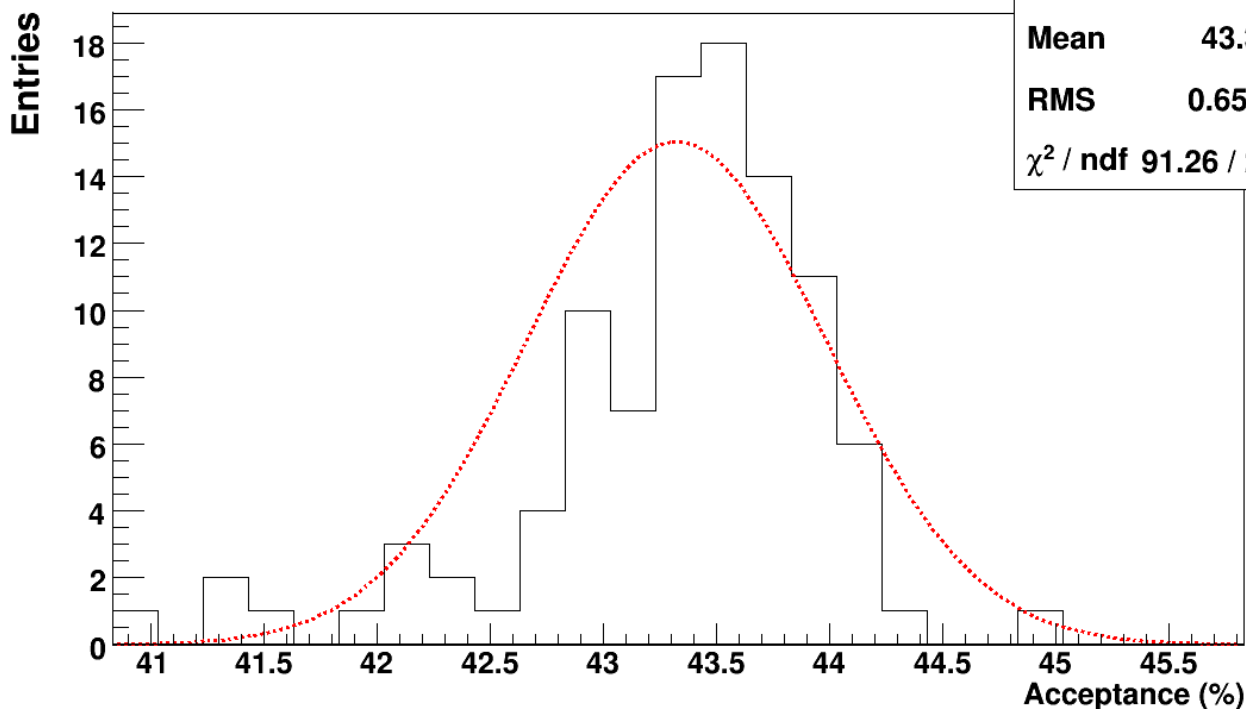
# Preliminary results with NNPDFs

Gaussian fit:

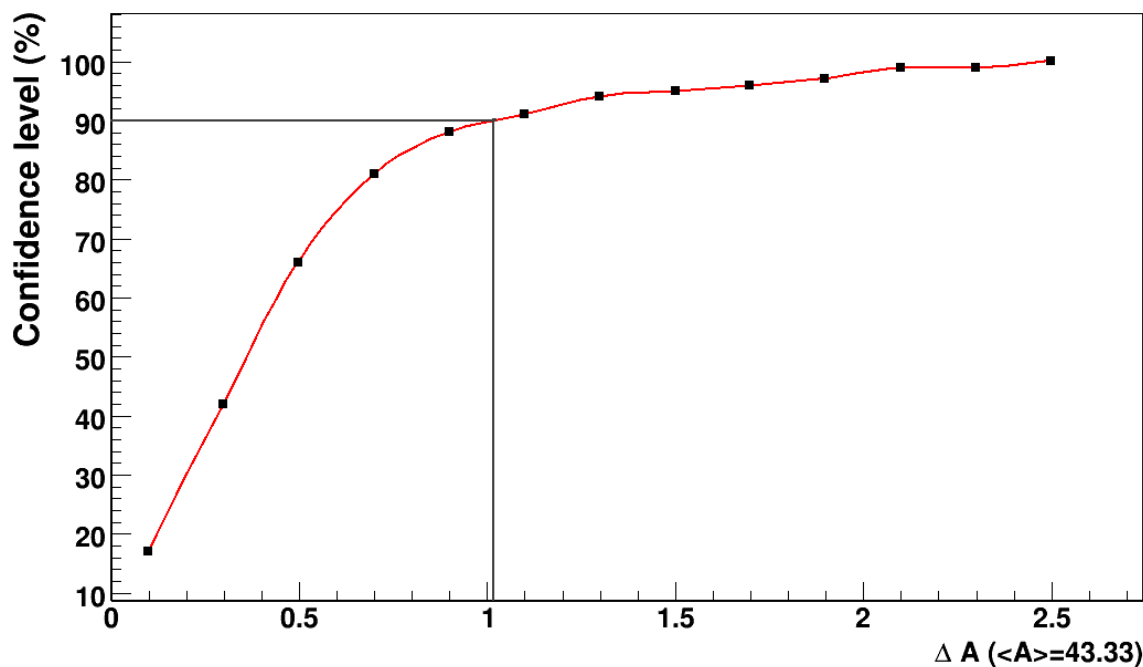
$$\chi^2 / \text{ndf} \approx 91/22$$

$$A \pm \sigma(A) = 43.33 \pm 0.66$$

Acceptance with Neural Network PDFs for  $Z \rightarrow \mu\mu$  at  $\sqrt{s} = 14$  TeV



$Z \rightarrow \mu\mu$  at  $\sqrt{s} = 14$  TeV with Neural Network PDFs



We can compare directly the **90% NN confidence level** with that resulting (approximately) from CTEQ tolerance criterion:

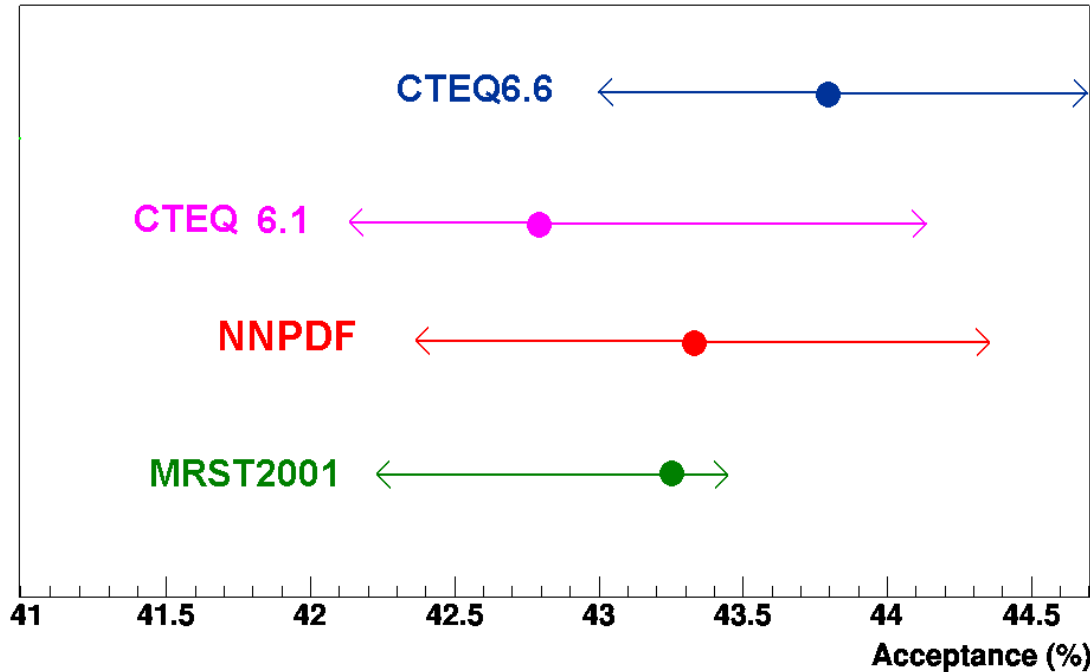
$$\chi_{\text{global}}^2 \leq T^2 = 100$$

and MRST  $T^2 = 50$



# NNPDFs vs standard PDF sets

Work in progress



- All the sets used are at NLO
  - CTEQ 6.1 do not include mass effects
- Central values of standard PDF sets are **inside the NN allowed range** (90% CL)
- Uncertainties are of the **same order** but NN ones have the advantage to be symmetric

	$A_0$	$+\Delta A$	$-\Delta A$	$\left(\max \frac{\delta A}{A}\right) \times 100$
CTEQ 6.1	42.80	1.34	0.68	3.12
CTEQ 6.6	43.75	0.93	0.77	2.12
MRST 2001	43.25	0.22	1.05	2.43
Neural Network	<b>43.33</b>	<b>1.0</b>		<b>2.3</b>

# Conclusions

- PDFs are the **most important source of uncertainty** for acceptance calculations (up to  $\sim 3\%$ ), hence for cross section measurements
- Different PDF sets (CTEQ 6.1 – 6.6, MRST2001, Neural Network PDFs) give **comparable results**
  - NNPDFs are not biased by:
    - a priori parametrization
    - ad hoc tolerance criterion
- Thus they look **very promising** for future ATLAS studies