

Deployment of a Matrix Element Method code for the ttH channel analysis on GPU's platform

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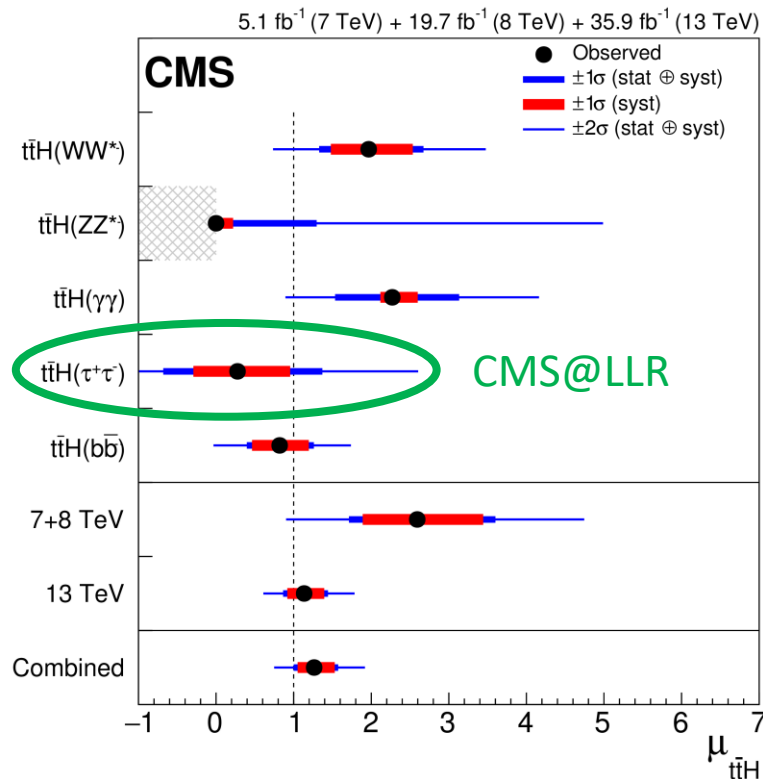
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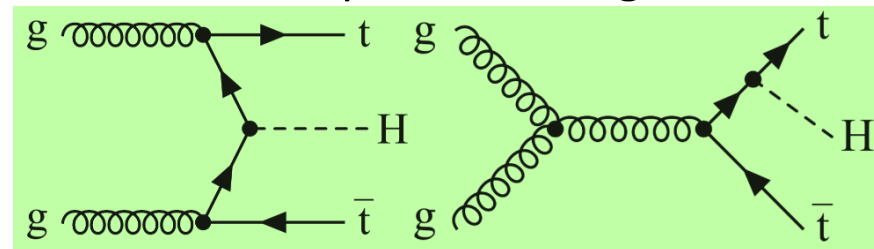
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Recent discovery of H boson in $t\bar{t}H$ channel



- Higgs decays into $\gamma\gamma$, ZZ , WW and $\tau\tau$ final states have been observed (discovery 2012) and there is evidence for the direct decay to the $b\bar{b}$ final state
- In the Standard Model, the Higgs boson couples to fermions with a strength proportional to the fermion mass (Yukawa coupling)
- The decay to the $t\bar{t}$ final state is not kinematically possible
- Probing the coupling of the Higgs boson to the t quark, the *heaviest* known fermion, is a high priority
- The Higgs boson in association with $t\bar{t}$ final state can result from the fusion of a $t\bar{t}$ pair or through a radiation of t quark

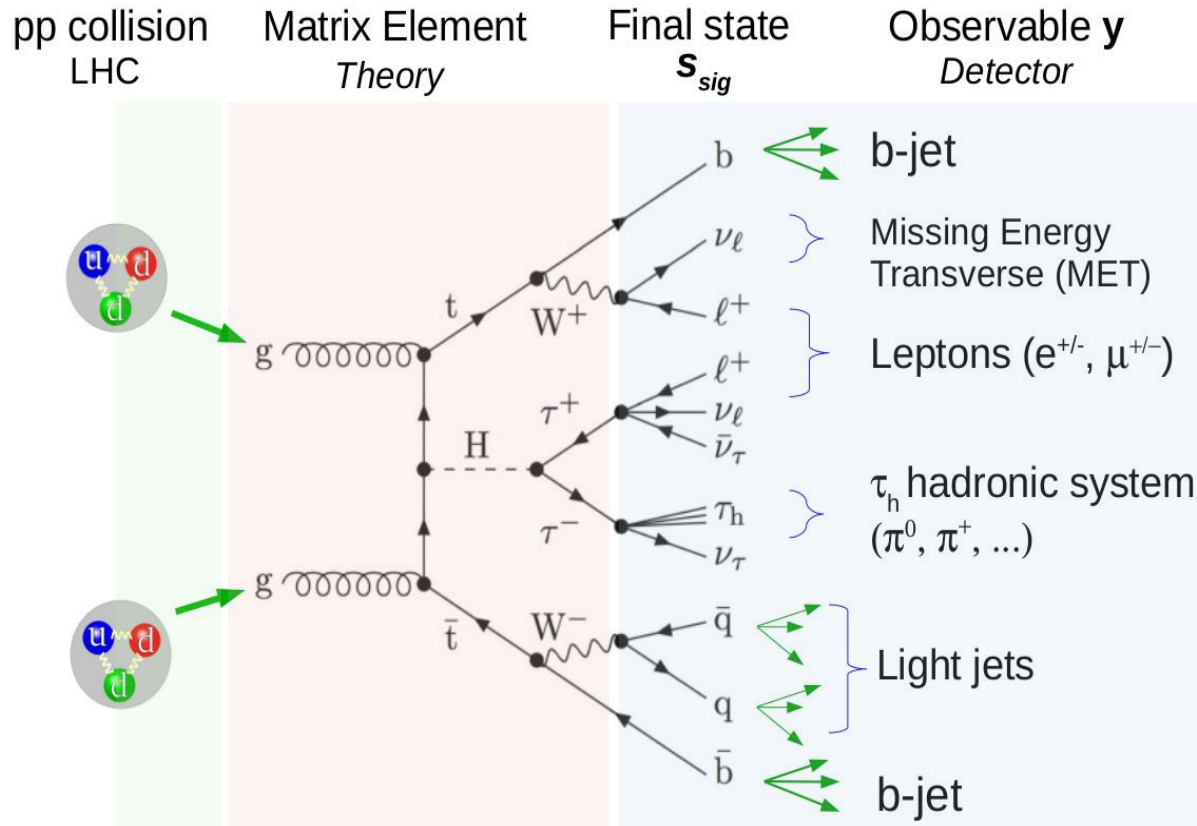


- We (CMS@LLR) contributed to the $t\bar{t}H \rightarrow \tau\tau$ sub-channel

- First observation* of the simultaneous production of a Higgs boson with a $t\bar{t}$ pair (channel) April 2018

*A. M. Sirunyan et al. (CMS Collaboration), "Observation of $t\bar{t}H$ Production", Phys. Rev. Lett. 120, 231801 (2018)

Matrix Element Method (MEM)



MEM is an unsupervised method (theory-driven) which is important to have among the supervised ones (Machine Learning, ...)

Principle:

- select a Signal final state S_{sig} :
 $b\bar{b}, q\bar{q}, \tau_{had}, 2$ leptons same sign
- compute a weight quantifying the probability that an observed event matches a theoretical model
- vary the theoretical model (Signal, background(s))
- deduce a likelihood ratio

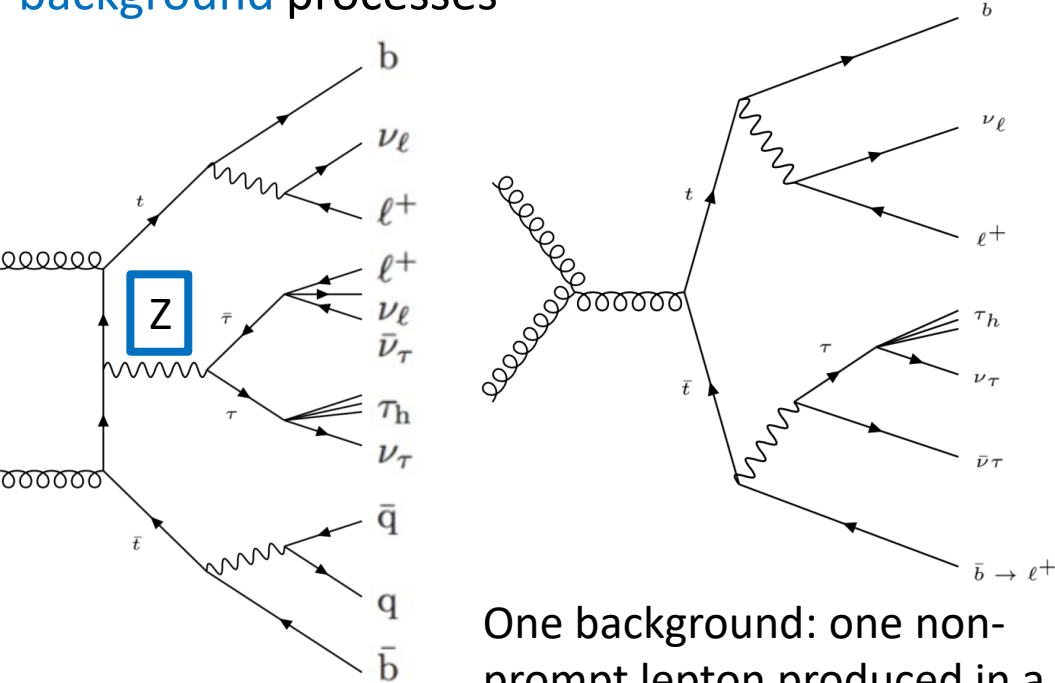
Weight of an event y

$$w_i(\mathbf{y}) = \frac{1}{\sigma_i} \sum_p \int d\mathbf{x} dx_a dx_b \frac{f(x_a, Q) f(x_b, Q)}{x_a x_b S} \delta^2(x_a P_a + x_b P_b - \sum p_k) |\mathcal{M}_i(\mathbf{x})|^2 W(\mathbf{y}|\mathbf{x})$$

p processes Parton Density Function (PDF) Kinematics constrains Matrix Element Transfer Function Response of the detector

MEM: time-consuming computations

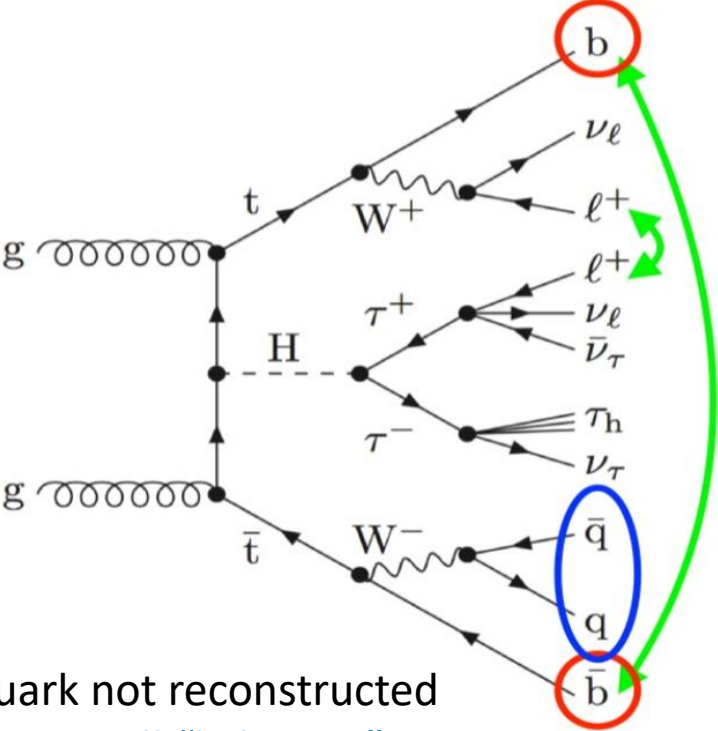
- Multiple scenarios to consider (compute one integral for each) : the **signal** process and the **background** processes



Irreducible background

One background: one non-prompt lepton produced in a b decay

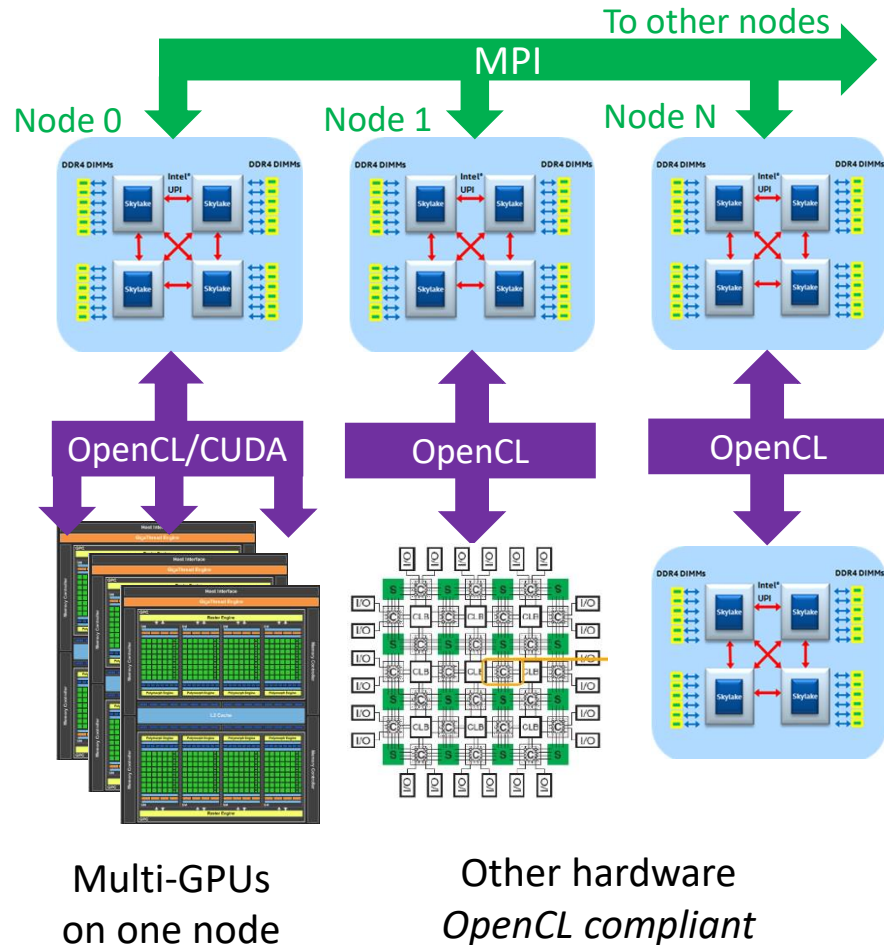
- For each scenario : **4 permutations** (green arrows)



Only one quark not reconstructed (blue) → loop on all “light-jets”

$(1+3) * 4 [* \#Ligth-jets]$ Integrals with a dimension from 3 to 7.
 They are computed if they are kinematically possible

The MEM Code



- The processing time for a typical data set (2395 evts) 55 days (14 hours / 96 cores)

- MEM code features: MPI/OpenCL/Cuda to aggregate numerous computing resources (HPC)

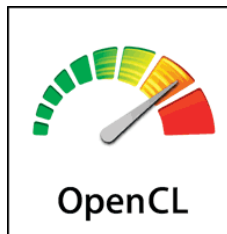
- Main kernel (one Vegas iteration)
 - developed a MadGraph extension to generate the OCL/Cuda kernel codes

- LHAPDF lib.: Fortran to C-kernel translation

- ROOT tools: Lorentz/geometric arithmetic's

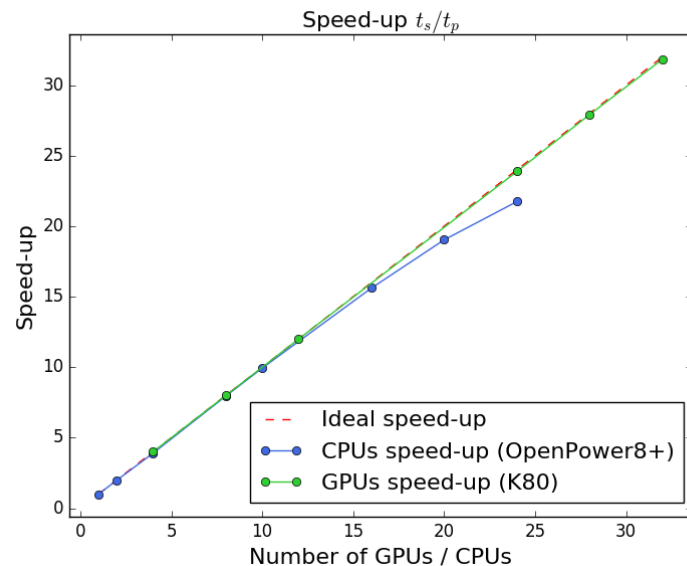
- →big kernels (10-20 x 10³ lines)

- OpenCL / Cuda bridge (IBM+Nvidia)

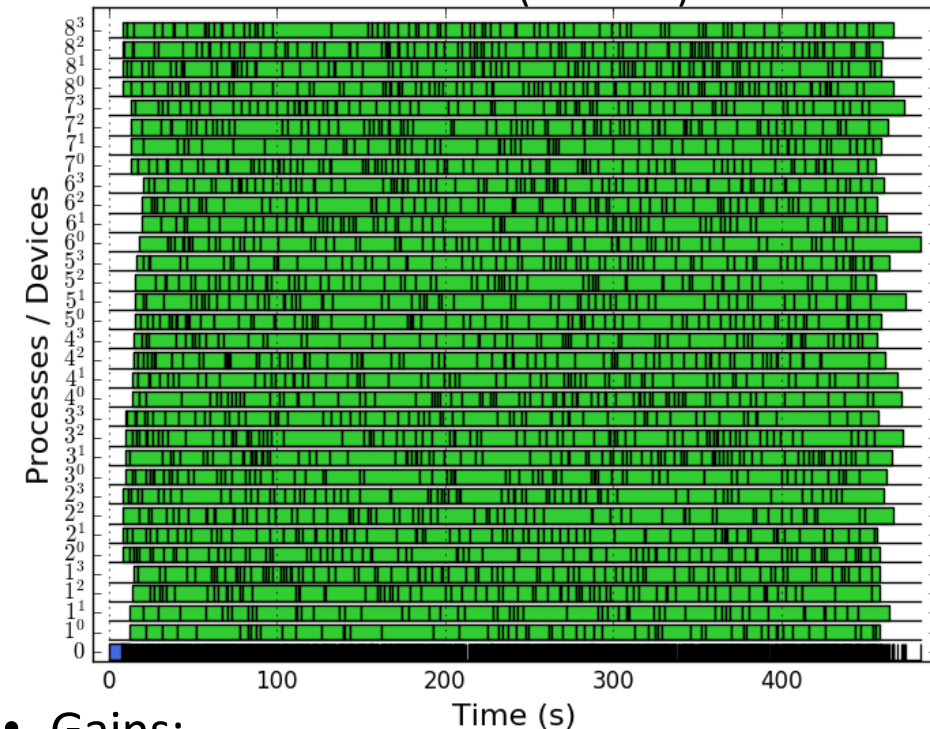


MEM code performance

- MPI C++ version versus MPI / OpenCL / CUDA
- compilation -O 3, nvcc
- 1 node @CC-IN2P3:
 - Intel Xeon 2 x E5-2640, 2 x 8 cores@2.6 GHz
 - 2 NVidia K80 cards -> 4 Kepler GPUs per node
- Good scalability (MPI & kernels asynchronous mechanisms ok)



- Computing time of a data set with 2395 evts :
 - 55 days on 1 core (or 3.5 days on a node)
 - 450 sec. on 32 GPUs (8 nodes)



- Gains:
 - C++ → C kernel (careful) rewriting
 - CPU → GPU, the use of GPUs

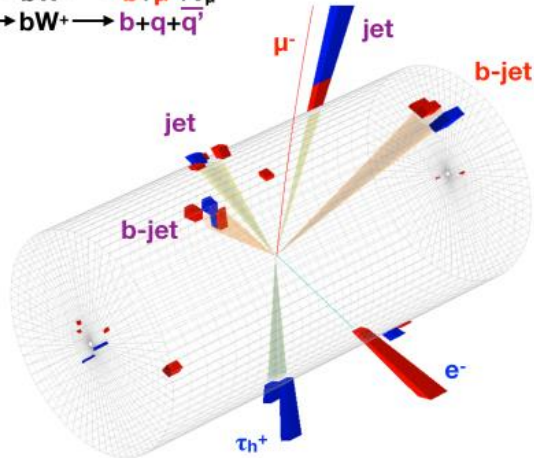
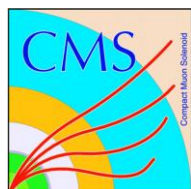
Conclusion / perspective

- The MEM has proven to be an efficient method for signal extraction and our (CMS@LLR) results were combined to achieve the ttH production mode observation in 2018 *Phys. Rev. Lett.* 120, 231801 (2018)

2 lepton same sign and 1 tau channel

$pp \rightarrow t\bar{t}H$

$\tau^-\tau^+ \rightarrow e^-\bar{\nu}_e+\nu_\tau+\tau_h^++\bar{\nu}_\tau$
 $\bar{b}W^- \rightarrow \bar{b}+\mu^-+\bar{\nu}_\mu$
 $bW^+ \rightarrow b+q+q'$



- Gain
 - Restitution time: several days against ~ 10 mn
 - Computing efficiency (cost, power supply, cooling, ...)
1 K80-GPUs is equivalent - for C++ MEM case - to ~ 20 nodes (2x8 cores)
 - In HL-LCG computing challenge, save the computing resources for other jobs.
- Physic program
 - For 2017 and 2018 data, new computations only with GPUs for $ttH(\tau\tau)$ analysis
- New developments
 - if we get the funding, project to have one code for CPU and GPUs, with the principles used by the MadGraph code generator
 - Optimizations: improve the computing load on GPUs

Acknowledgments

- Funding project P2IO
Accelerated Computing for Physics



- Tiers 1 CC-IN2P3 benchmark platform



- Computing Center GENCI/IDRIS



- IN2P3 project: DECALOG/Reprises



- Google Summer of Code 2018
HAhRD project : DL & HGAL



- CHEP 2018 organizers

