



# Sensitivity of CLIC at 380 GeV to top FCNC decay $t \rightarrow ch$

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on behalf of the CLICdp collaboration

Top/QCD/Loopverein parallel session  
LCWS'2016, Morioka, Japan

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- 2 Simulation
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- 4 Results
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# Motivation

In the Standard Model, FCNC top decays are strongly suppressed (CKM+GIM):

$$BR(t \rightarrow c \gamma) \sim 5 \cdot 10^{-14}$$

$$BR(t \rightarrow c Z) \sim 1 \cdot 10^{-14}$$

$$BR(t \rightarrow c g) \sim 5 \cdot 10^{-12}$$

$$BR(t \rightarrow c h) \sim 3 \cdot 10^{-15}$$

Any signal is a direct signature of “new physics” ...

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- well constrained kinematics
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LHC (2016):

$$BR(t \rightarrow ch) < 0.40\% \text{ (CMS)}$$

$$BR(t \rightarrow ch) < 0.46\% \text{ (ATLAS)}$$

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Estimated HL-LHC reach:

(Snowmass 2013/ATLAS 2016)

$$BR(t \rightarrow qh) \sim 2 \cdot 10^{-4}$$

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Two Higgs Doublet Model (2HDM) as a test scenario:

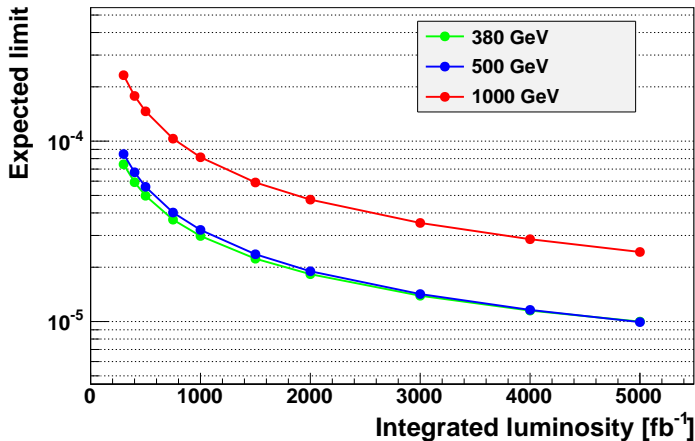
- one of simplest extensions of the SM
- large enhancement both on tree and loop level possible  
 $BR(t \rightarrow c h)$  up to  $10^{-2}$  and  $10^{-4}$ , respectively

**Parton level study** presented at TopLC'2015 [arXiv:1604.08122]

Promising results on the feasibility of the measurement

Estimated limits on  $BR(t \rightarrow ch) \times BR(h \rightarrow b\bar{b})$

Assumed jet energy resolution  $\sigma_E = 50\%/\sqrt{E}$  (5% above 100 GeV)





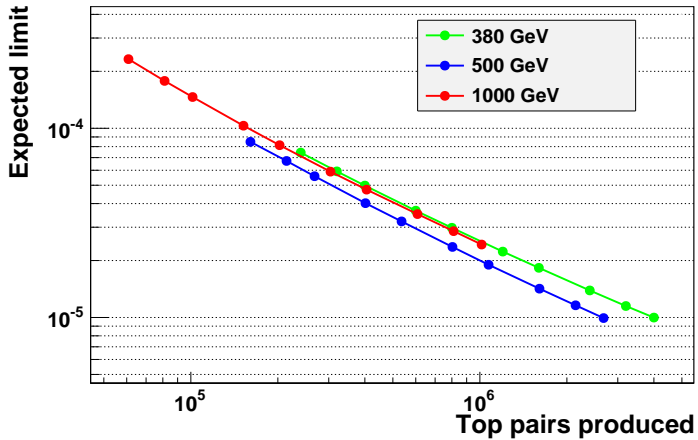
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## Signal

Signal sample generated with **WHIZARD 2.2.8**

Using SARAH implementation of 2HDM(III) model.

Test configuration of the model:

- $m_{h_1} = 125 \text{ GeV}$
- $\text{BR}(t \rightarrow ch_1) = 10^{-3}$
- $\text{BR}(h \rightarrow b\bar{b}) = 100\%$

Generated samples (10'000 events):

- $e^+e^- \rightarrow ch_1\bar{t}, t\bar{c}h_1$  (FCNC)
- $e^+e^- \rightarrow t\bar{t}$  (test sample)  
for simulation validation

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Beam spectra for CLIC taken from file (350 GeV scaled to 380 GeV)

Beam polarization of -80%/0% (for  $e^-/e^+$ )

Hadronization done in PYTHIA 6.427

quark masses and PYTHIA settings adjusted to CLIC CDR

Standard event processing with **CLIC\_ILD\_CDR500** configuration

## Background

Assume that we can select high purity  $t\bar{t}$  sample

⇒ main background to FCNC decays from standard decay channels  
in particular from  $t \rightarrow bW^+$  followed by  $W^+ \rightarrow c\bar{b}$

Full 6-fermion sample as produced for CLIC  $t\bar{t}$  studies, see

<https://twiki.cern.ch/twiki/bin/view/CLIC/MonteCarloSamplesForTopPhysics>

Total 2034 files processed (out of 2055), 1014966 events in 18 subsamples.

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## Normalisation

Signal and background samples normalised to  $500 \text{ fb}^{-1}$

Assumed  $t\bar{t}$  cross section at 380 GeV:  $820 \text{ fb}$

$575 \text{ fb (LO)} \times 1.34 \text{ (polarisation)} \times 1.4 \text{ (NLO)} \times 0.76 \text{ (spectra + ISR)}$

## Event processing

DST files processed with MARLIN, `ilcsoft v01-17-09` (ilcDIRAC)

- Using `LooseSelectedPandoraPFANewPFOs` as input collection
- LCFI+ primary and secondary vertex finder
- LCFI+ jet finding with `Valencia algorithm`
- LCFI+ vertex corrections and flavour tagging  
default weights used (no tuning), but seem to work OK
- root TTree writing

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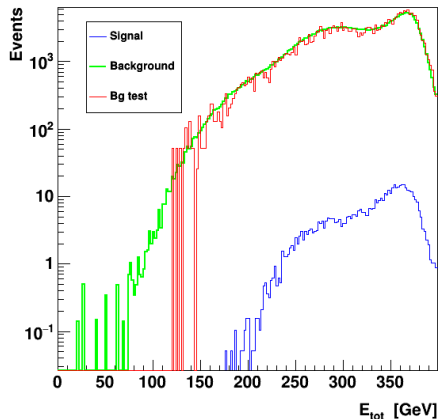
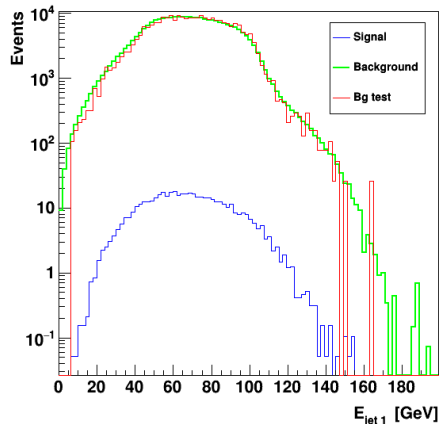
Final analysis in root:

- hadronic decay selection
- pre-selection cuts
- kinematic fit
- final selection

## Control plots

Comparing signal sample with full background and test samples.

Total measured energy

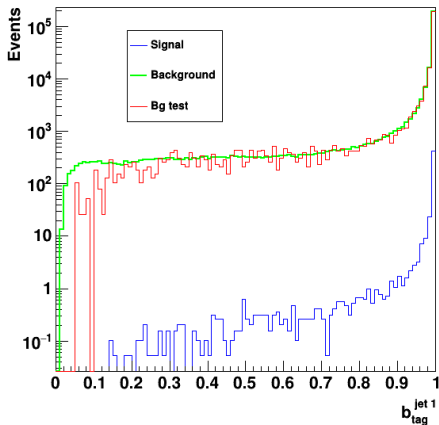
Jet energy (highest  $b$ -tag)



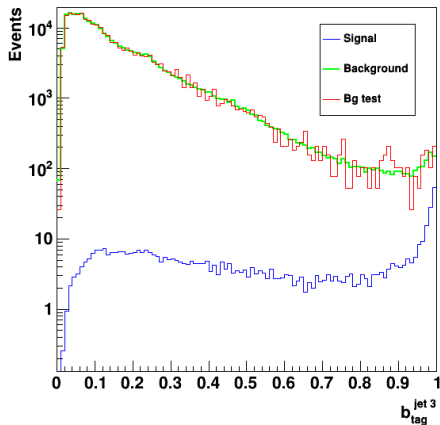
## Control plots

Comparing **signal sample** with **full background** and **test samples**.

### Highest $b$ -tag value



### Third $b$ -tag value

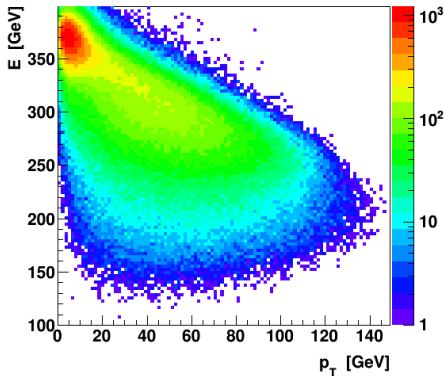


# Event selection

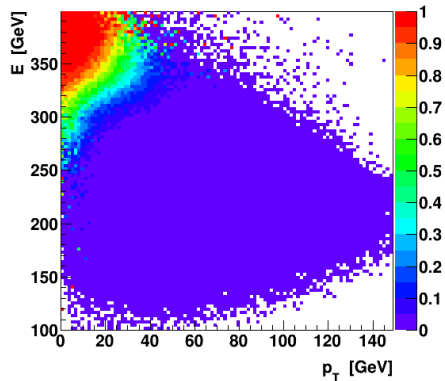
## Hadronic event selection

Trying to improve selection of hadronic top decays by looking at correlation of transverse momentum and total energy

Background event distribution



Hadronic event fraction



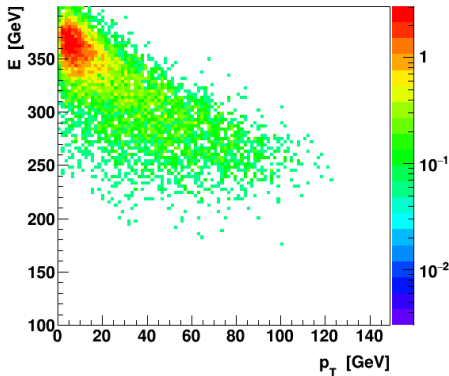
⇒ best discrimination (in this plane) with cut on  $E - 2 p_T$

# Event selection

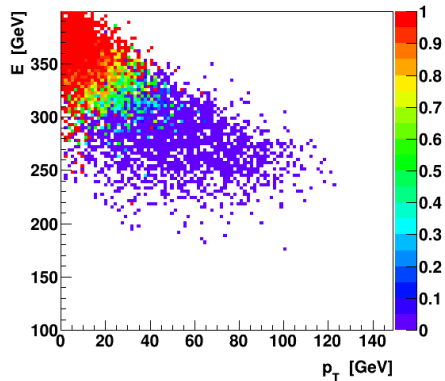
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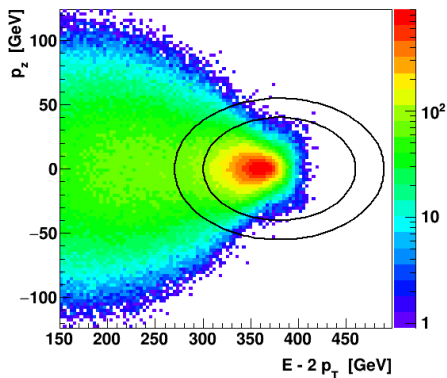
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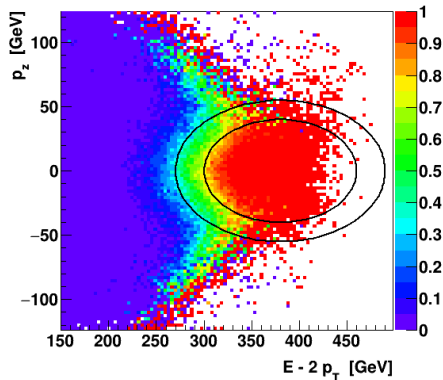
## Hadronic event selection

Energy and transverse momentum correlated with longitudinal momentum

Background event distribution



Hadronic event fraction



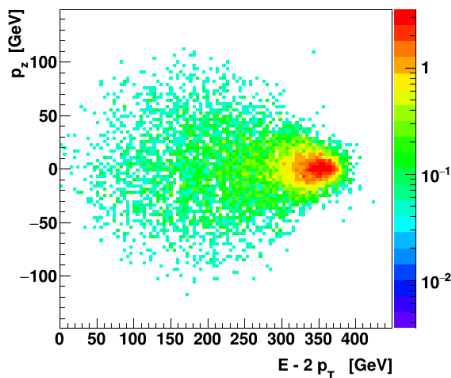
⇒ Use cut on  $E_{balance} = \sqrt{(E - 2 p_T - \sqrt{s})^2 + 4 p_z^2}$

# Event selection

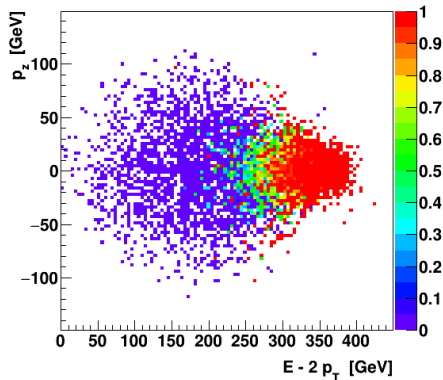
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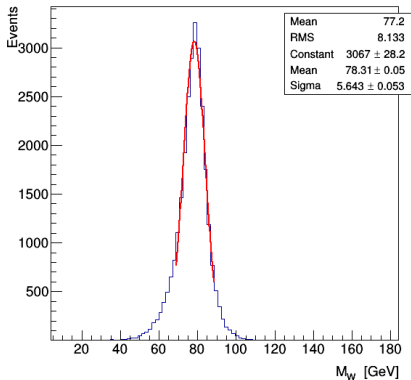
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## Mass resolution

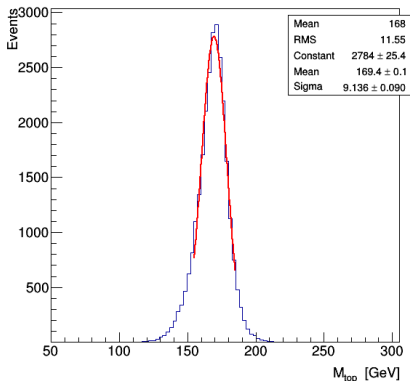
Reconstructed mass distributions for background events (Valencia jets)

For jet combination consistent with parton level configuration

W boson



Top quark



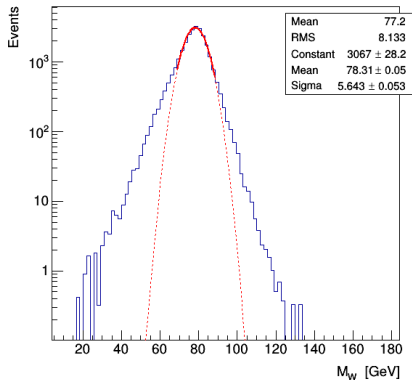
# Kinematic fit

## Mass resolution

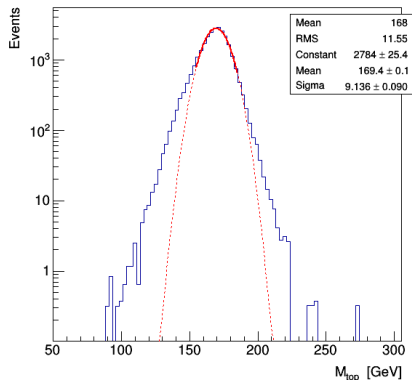
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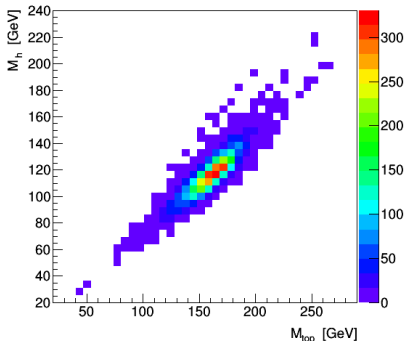
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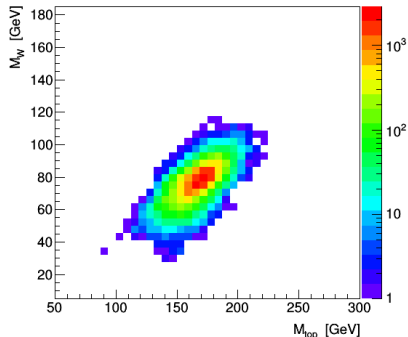
## Mass correlation

Significant correlations observed between reconstructed masses of top (3 jets) and its decay product (2 jets)

Higgs and top (signal)



W boson and top (background)



⇒ should be taken into account in event selection



# Kinematic fit

**Old  $\chi^2$  definition** from previous, parton level study

Used to find best hadronic final state reconstruction (6 jets):

- background hypothesis  $t\bar{t} \rightarrow bW bW \rightarrow 2b + 4q$

$$\chi_{bg}^2 = \left( \frac{M_{bqq}^{(1)} - m_t}{\sigma_t} \right)^2 + \left( \frac{M_{qq}^{(1)} - m_W}{\sigma_W} \right)^2 + \left( \frac{M_{bqq}^{(2)} - m_t}{\sigma_t} \right)^2 + \left( \frac{M_{qq}^{(2)} - m_W}{\sigma_W} \right)^2$$

- signal hypothesis  $t\bar{t} \rightarrow ch bW \rightarrow 3b + c + 2q$

$$\chi_{sig}^2 = \left( \frac{M_{bqq} - m_t}{\sigma_t} \right)^2 + \left( \frac{M_{qq} - m_W}{\sigma_W} \right)^2 + \left( \frac{M_{bbc} - m_t}{\sigma_t} \right)^2 + \left( \frac{M_{bb} - m_h}{\sigma_h} \right)^2$$

Signal and background differ in the last term only!

# Kinematic fit

## New $\chi^2$ definition

Using mass ratios to reduce influence of mass correlations:

- signal hypothesis use also top boost as additional constrain

$$\chi_{sig}^2 = \left( \frac{M_{bqq} - m_t}{\sigma_t} \right)^2 + \left( \frac{M_{bbc} - m_t}{\sigma_t} \right)^2 + \left( \frac{\frac{E_{bqq}}{M_{bqq}} - \gamma_t}{\sigma_\gamma} \right)^2 + \left( \frac{\frac{E_{bbc}}{M_{bbc}} - \gamma_t}{\sigma_\gamma} \right)^2$$

$$+ \left( \frac{\frac{M_{qq} - \frac{m_W}{m_t}}{\sigma_{R_W}}}{\sigma_{R_W}} \right)^2 + \left( \frac{\frac{M_{bb} - \frac{m_h}{m_t}}{\sigma_{R_h}}}{\sigma_{R_h}} \right)^2$$

- similar for background hypothesis ( $t\bar{t}$  hadronic decays)

$$\chi_{bg}^2 = \dots + \left( \frac{\frac{M_{qq} - \frac{m_W}{m_t}}{\sigma_{R_W}}}{\sigma_{R_W}} \right)^2 + \left( \frac{\frac{M_{bq} - \frac{m_W}{m_t}}{\sigma_{R_W}}}{\sigma_{R_W}} \right)^2$$

## Preselection (before kinematic fit)

- cut on  $E_{balance} < 100$  GeV  
no isolated lepton veto required
- 6 jets reconstructed in LCFI+  
no addition veto cuts required
- 3 jets with  $b$ -tag value above threshold of 0.4
- additional jet with  $b$  or  $c$  tag

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## Final selection cuts (after selecting best signal hypothesis)

- quality of signal hypothesis ( $\chi_{sig}^2$ )
- the difference of reconstructed top masses ( $\Delta M_{top}$ )
- product of  $b$ -tag values for Higgs candidate
- $b$ -tag value for  $b$  from spectator top
- sum of  $b$ -tag and  $c$ -tag values for  $c$  jet candidate
- $\chi_{sig}^2 / \chi_{bg}^2$  (final optimisation for best BR limit)

## Expected events

For 500  $fb^{-1}$ , assuming  $BR(t \rightarrow ch) \times BR(h \rightarrow b\bar{b}) = 10^{-3}$  for signal

Analysis level Selection cut	Expected events		Efficiency	
	$t\bar{t}$ (SM)	Signal	$t\bar{t}$ (SM)	Signal
All events	410'000	819	100%	100%
hadronic events	170'000	543	41.5%	66.3%
Before kinematic fit				
$E_{balance} < 100$ GeV	167'000	499	40.6%	60.9%
3 $b$ jets tagged ( $b_{tag} > 0.4$ )	13'280	300	3.24%	36.6%
$c$ jet tagged ( $b_{tag} + c_{tag} > 0.4$ )	9640	276	2.35%	33.8%
After kinematic fit				
Good fit ( $\chi_{sig}^2 < 14$ , $\Delta M_t < 45$ GeV)	894	87	0.22%	10.7%
$b$ -tag for higgs jets ( $b_1 \times b_2 > 0.95$ )	89.5	50.8	0.022%	6.2%
$b$ and $c$ tags ( $b_3 > 0.9$ , $c_4 + b_4 > 0.75$ )	10.7	34.1	$2.6 \cdot 10^{-5}$	4.2%
$\chi_{sig}^2 / \chi_{bg}^2 < 1.38$ (optimised for limit)	4.89	31.8	$1.2 \cdot 10^{-5}$	3.9%

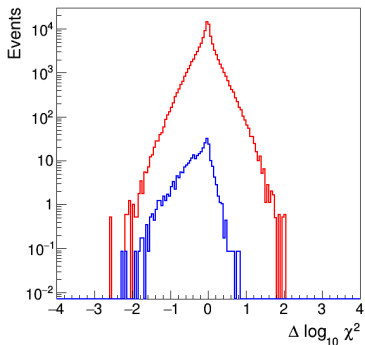
# Results

## Signal-background discrimination

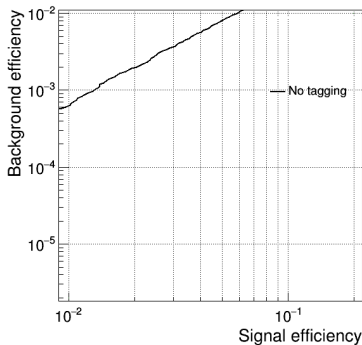
Based on the cut on the difference of  $\log_{10} \chi^2$  for two hypothesis

Events with “good” fit of signal hypothesis ( $\chi_{sig}^2 < 14$ ,  $|\Delta M_{top}| < 45$  GeV)

$\Delta \log_{10} \chi^2$  distribution  
 for signal and background



Background vs signal efficiency  
 after subsequent cuts



normalized to all decay channels

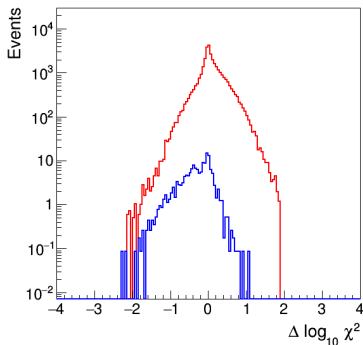
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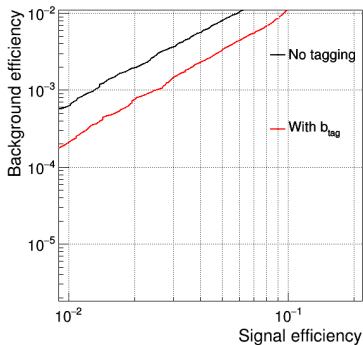
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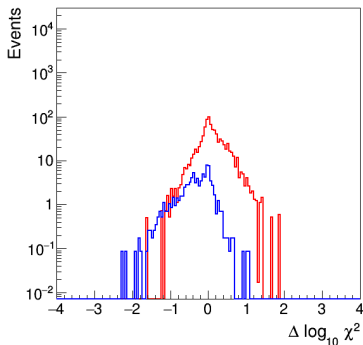
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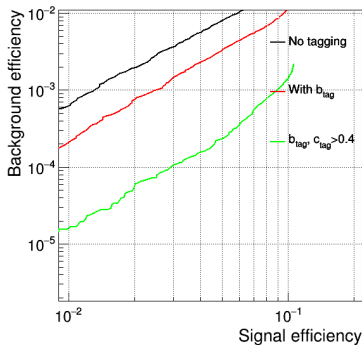
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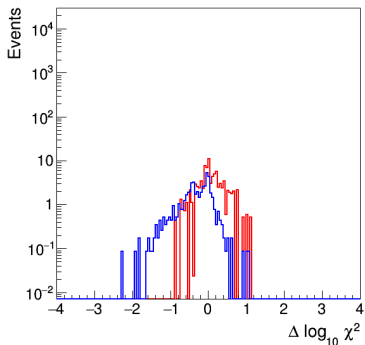
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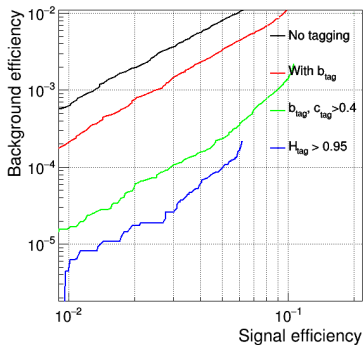
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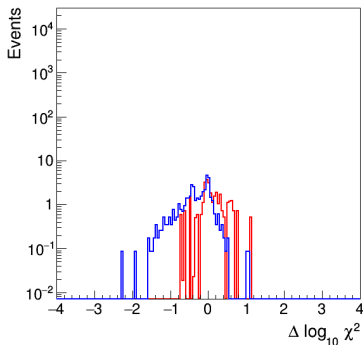
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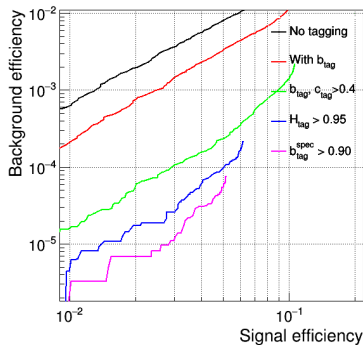
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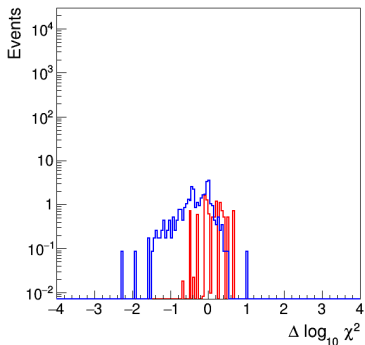
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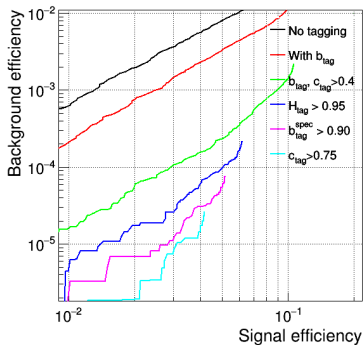
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## Expected limits

Cuts were optimised for the best expected BR limit.

Final signal selection efficiency: 3.9% (5.9% for hadronic decays)

Background suppression:  $1.2 \cdot 10^{-5}$

Expected 95% C.L. limit for  $500 \text{ fb}^{-1}$  at 380 GeV

$$BR(t \rightarrow ch) \times BR(h \rightarrow b\bar{b}) < 2.6 \cdot 10^{-4}$$

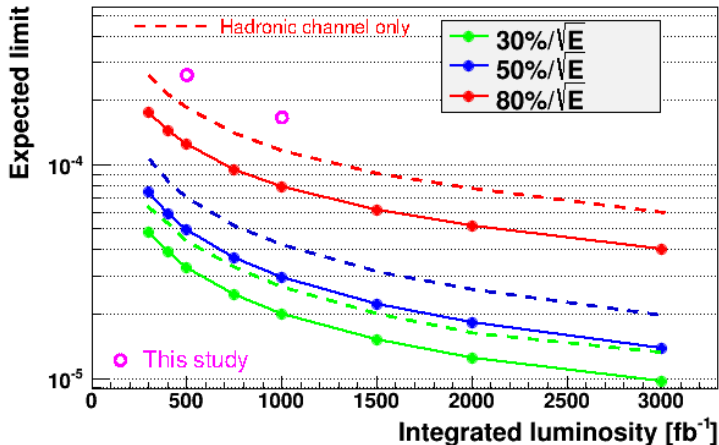
With luminosity of  $1000 \text{ fb}^{-1}$  at 380 GeV

$$BR(t \rightarrow ch) \times BR(h \rightarrow b\bar{b}) < 1.7 \cdot 10^{-4}$$

assuming  $t\bar{t}$  cross section at 380 GeV of 820 fb

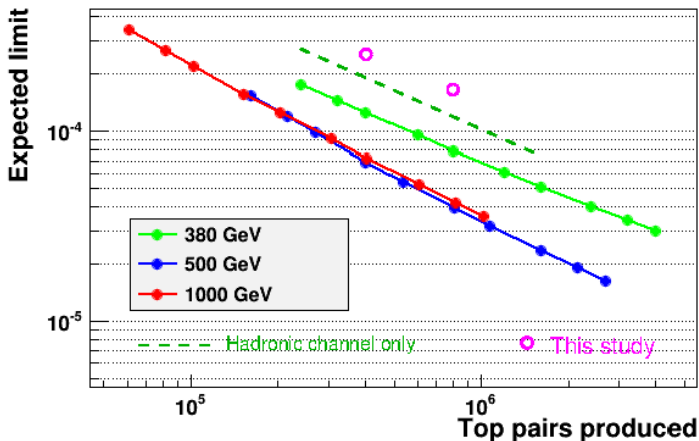
## Expected limits on $BR(t \rightarrow ch) \times BR(h \rightarrow b\bar{b})$

Comparison with parton level results, different jet energy resolutions



## Expected limits on $BR(t \rightarrow ch) \times BR(h \rightarrow b\bar{b})$

Comparison with parton level results, jet energy resolutions of  $80\%/\sqrt{E}$ , different energies



## FCNC top decays $t \rightarrow ch$

Preliminary results from full simulation at 380 GeV presented.

Focus on optimizing kinematic reconstruction in the hadronic channel

Expected limit at  $500 \text{ fb}^{-1}$

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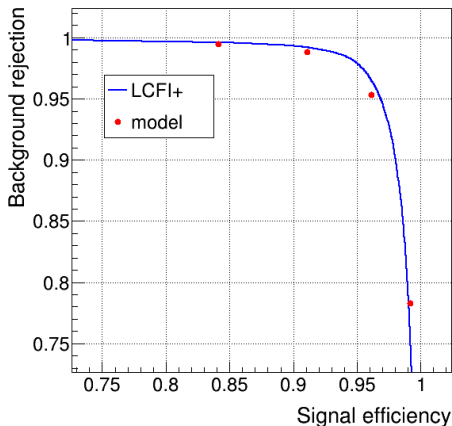
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Better reconstruction should be possible at higher energies!

## Backup slides

Comparison of LCFI+ performance in full simulation analysis with model assumed in the parton level study



Signal: events with 2  $b$  jets ( $s\text{subbu}$ ) Background: events without  $b$  jets ( $s\text{ussu}$ )

## Very simplified detector description

- detector acceptance for leptons:  $|\cos\theta_l| < 0.995$
- detector acceptance for jets:  $|\cos\theta_j| < 0.975$
- jet energy smearing:
 
$$\sigma_E = \begin{cases} \frac{S}{\sqrt{E}} & \text{for } E < 100 \text{ GeV} \\ \frac{S}{\sqrt{100 \text{ GeV}}} & E > 100 \text{ GeV} \end{cases}$$

with  $S = 30\%$ ,  $50\%$  and  $80\%$   $[\text{GeV}^{1/2}]$

- $b$  tagging (mis-tagging) efficiencies: (LCFI+ package)

Scenario	b	c	uds
Ideal	100%	0%	0%
A	90%	30%	4%
B	80%	8%	0.8%
C	70%	2%	0.2%
D	60%	0.4%	0.08%