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**EUROPEAN CENTRE FOR THEORETICAL STUDIES
IN NUCLEAR PHYSICS AND RELATED AREAS
TRENTO, ITALY**

Institutional Member of the European Expert Committee NUPECC



Castello di Trento ("Trint"), watercolor 19.8 x 27.7, painted by A. Dürer on his way back from Venice (1495). British Museum, London

QCD challenges in pp, pA and AA collisions at high energies

Trento, February 27 - March 3, 2017

Gluon Saturation Effects in Ultra - Peripheral Heavy Ion Collisions

Victor P. Goncalves

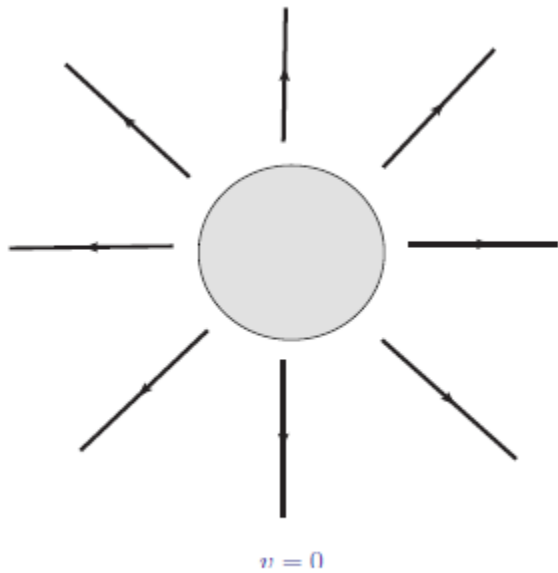
High and Medium Energy Group - UFPel - Brazil

**Trento
28 Feb
2017**

Basic Concepts

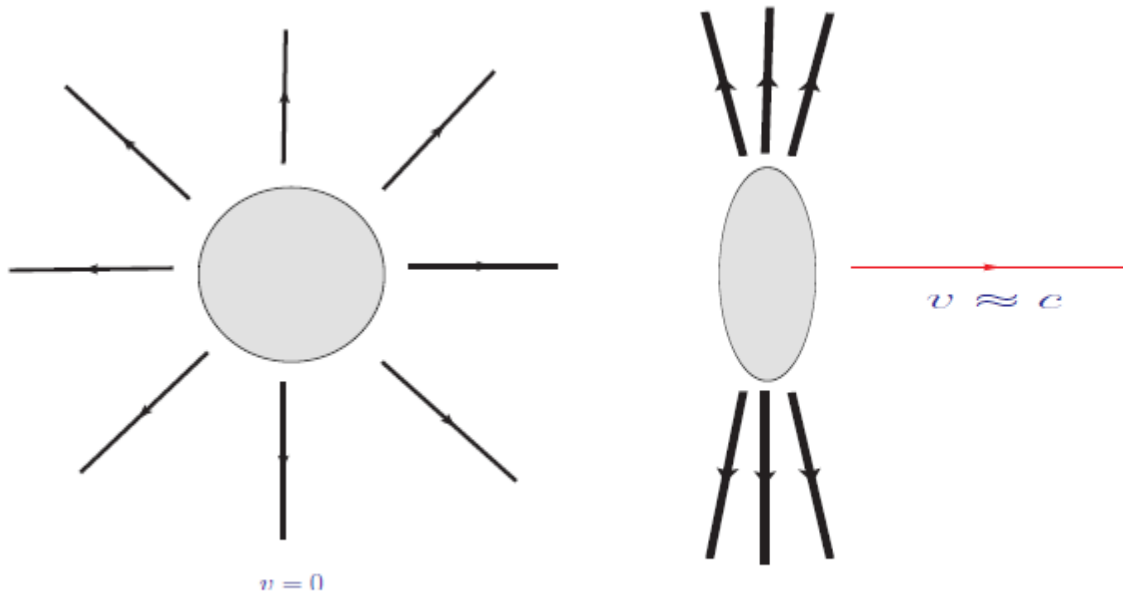
Basic Concepts

Consider a charged nucleus at rest. The associated electromagnetic field can be represented by:



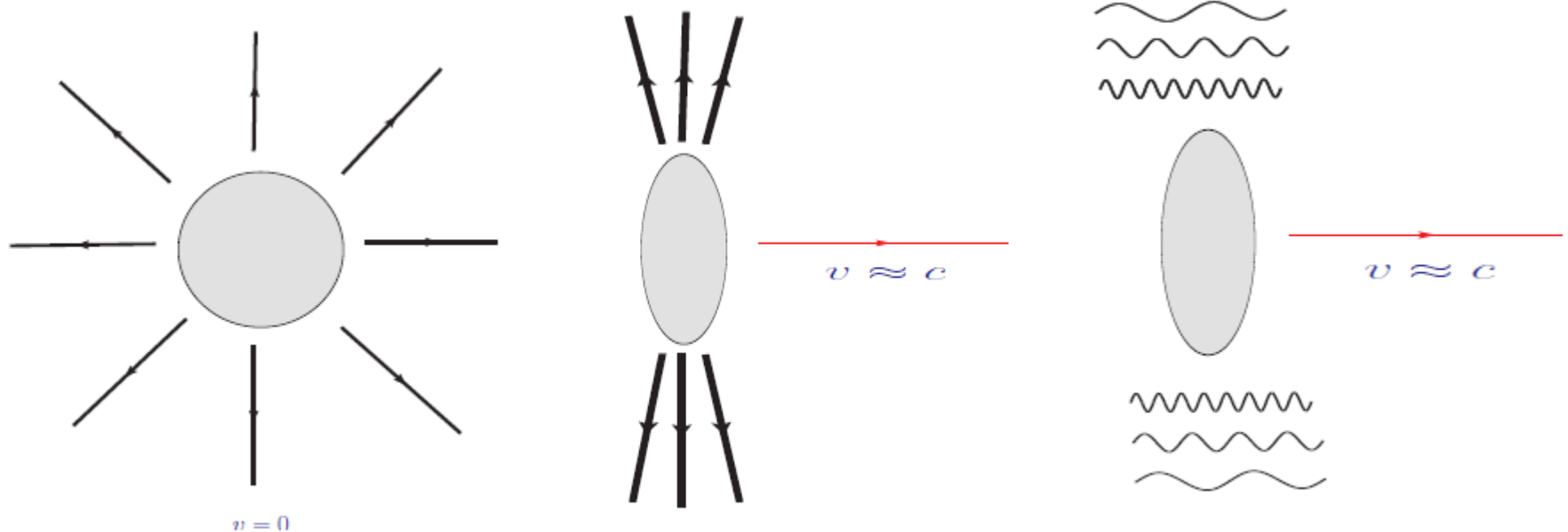
Basic Concepts

As the charged nucleus moves with nearly the speed of light, the electromagnetic field becomes transverse to its velocity.



Basic Concepts

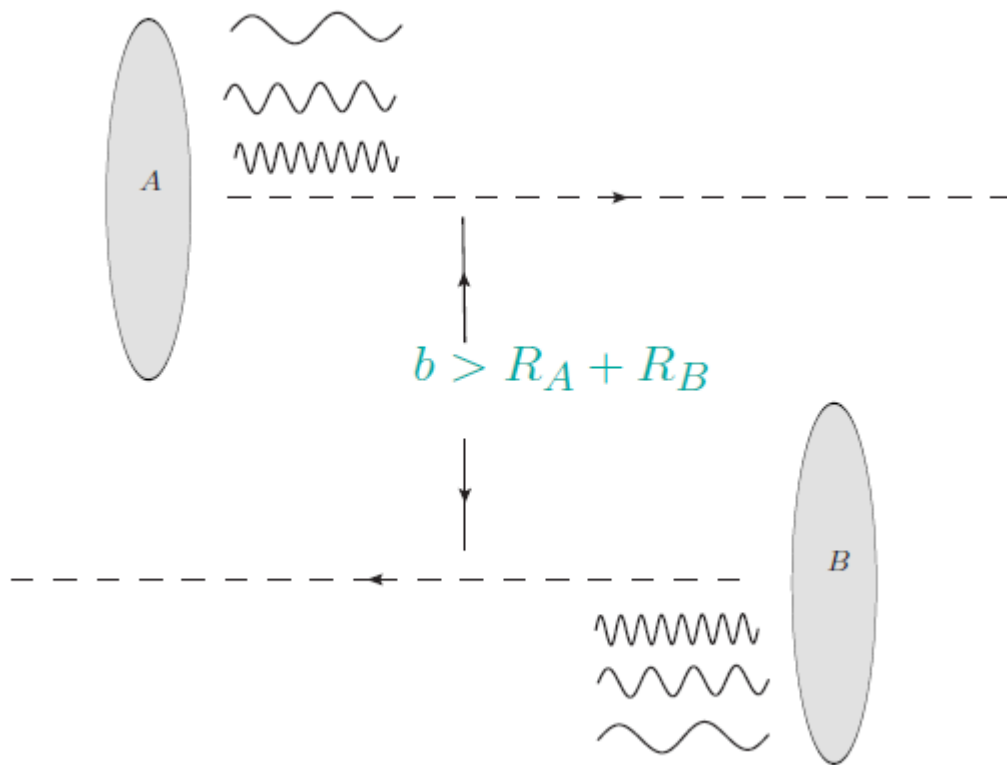
As the electric and magnetic fields associated to the nucleus take on the same absolute value, the electromagnetic field can be described by an equivalent flux of photons (^a).



^aE. Fermi (1924), E. J. Williams (1933), C. F. Von Weizacker (1934)

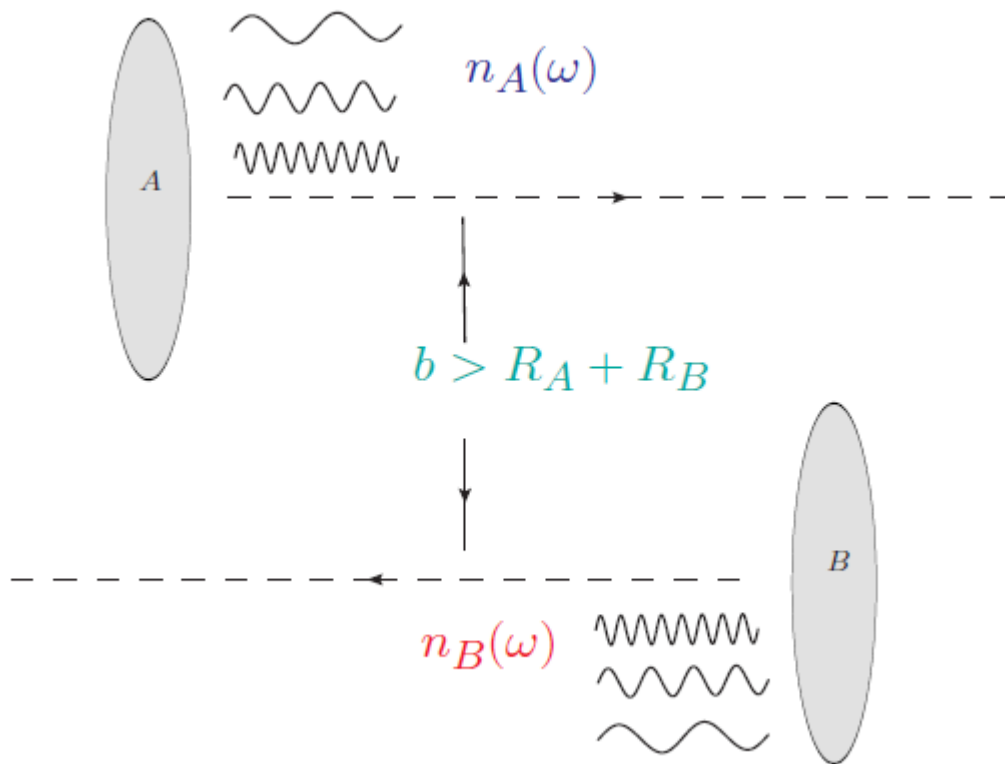
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Thus the collision of two charged nuclei at large impact parameter (ultra - peripheral collisions) can be described as the collision of two equivalent swarms of photons.



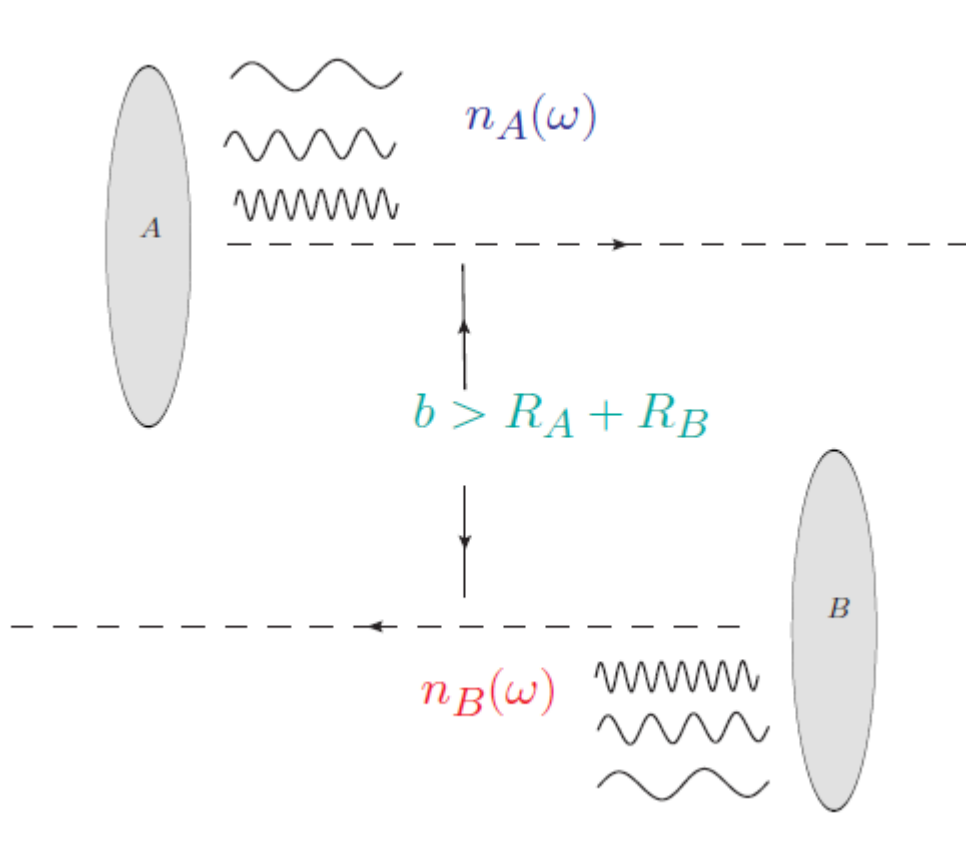
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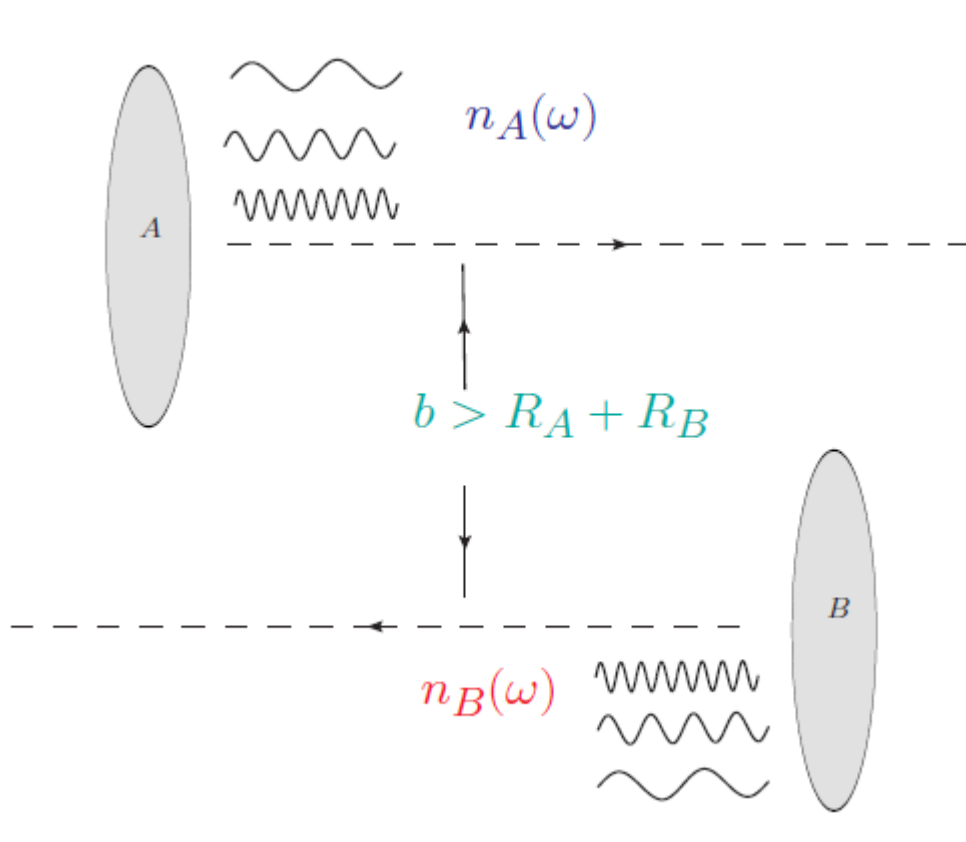
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$$n(\omega) = \frac{(Ze)^2}{\pi\omega} \int_0^{+\infty} \frac{d^2k_{\perp}}{(2\pi)^2} \left[\frac{F\left(\left(\frac{\omega}{\gamma}\right)^2 + k_{\perp}^2\right)}{\left(\frac{\omega}{\gamma}\right)^2 + k_{\perp}^2} \right]^2 \cdot k_{\perp}^2$$

Basic Concepts

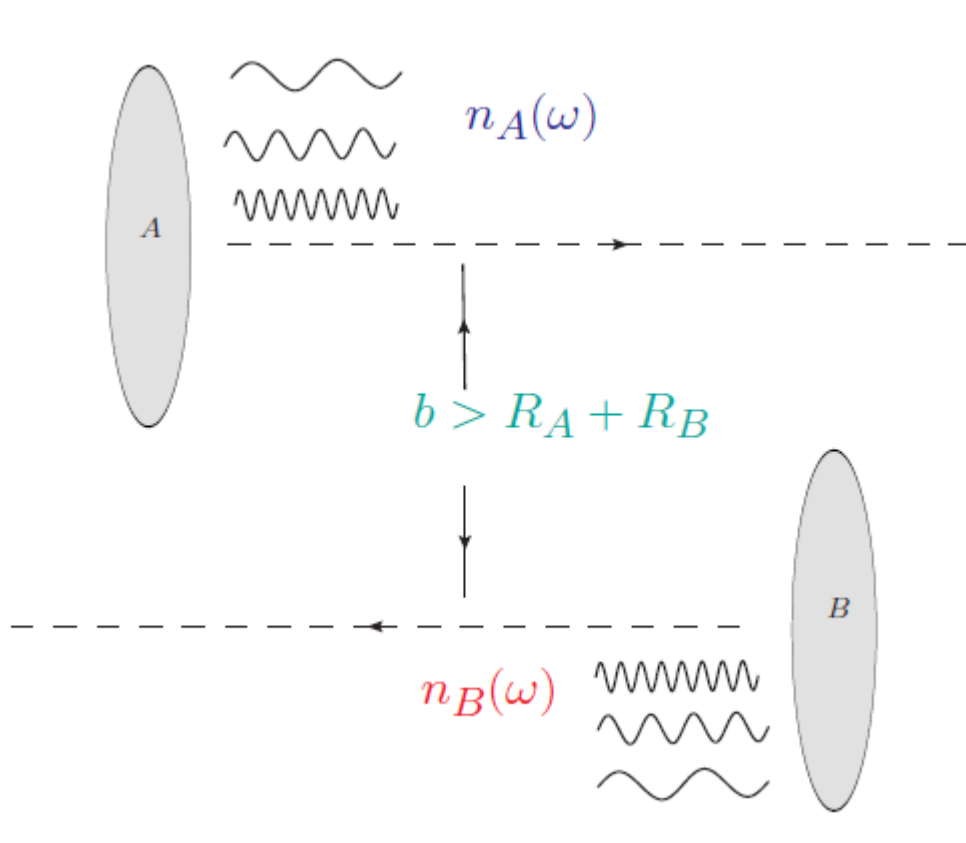
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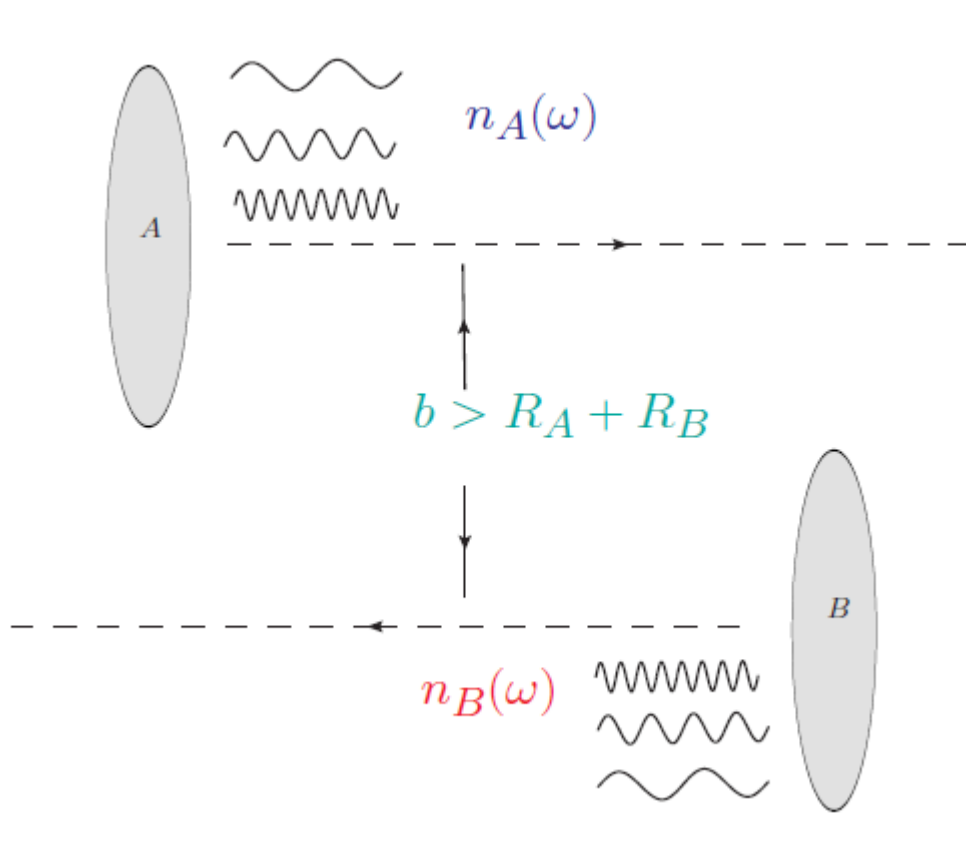
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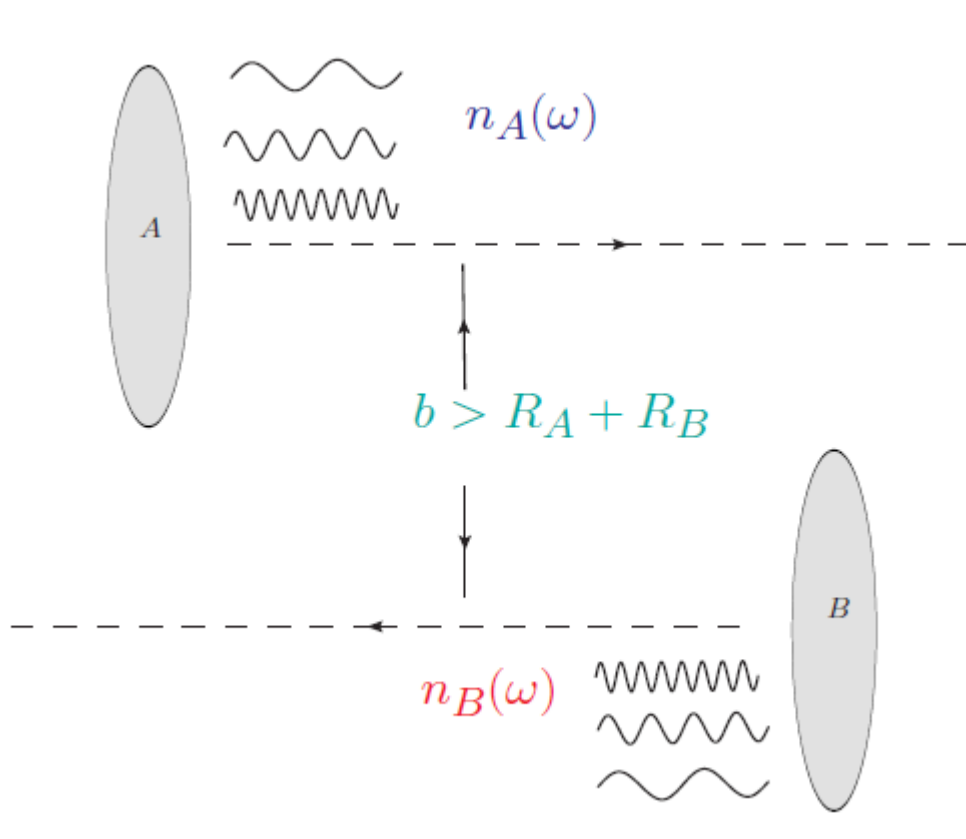
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Maximum photon energy:

$$\omega_{max} \approx \frac{\gamma}{R}$$

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Maximum photon energy:

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The photon spectrum is harder for smaller charges!

Basic Concepts

Maximum center-of-mass energies:

$\gamma\gamma$ interactions: $s_{\gamma\gamma} = 4 \omega_1 \omega_2$.

γh interactions: $s_{\gamma h} = 2 \omega \sqrt{s_{NN}}$

Considering that $\omega_{max} = \gamma/b_{min}$ we obtain that

$$\sqrt{s_{\gamma\gamma}^{max}} = 2 \gamma / b_{min} \quad \text{and} \quad \sqrt{s_{\gamma h}^{max}} = \sqrt{\frac{2 \gamma \sqrt{s_{NN}}}{b_{min}}}$$

System	$\sqrt{s_{NN}}$ (TeV)	\mathcal{L}_{AB} ($\text{cm}^{-2} \text{s}^{-1}$)	$E_{\text{beam1}} + E_{\text{beam2}}$ (TeV)	γ	R_A (fm)	ω_{max} (GeV)	$\sqrt{s_{\gamma N}^{\text{max}}}$ (GeV)	$\sqrt{s_{\gamma\gamma}^{\text{max}}}$ (GeV)	σ_{inel} (mb)
<i>pp</i>	14	10^{34}	7 + 7	7455	0.7	2450	8400	4500	110
<i>pO</i>	9.9	$2.7 \cdot 10^{30}$	7 + 3.5	5270	3.0	340	2600	690	480
<i>pAr</i>	9.4	$1.5 \cdot 10^{30}$	7 + 3.15	5000	4.1	240	2130	480	830
<i>pPb</i>	8.8	$1.5 \cdot 10^{29}$	7 + 2.76	4690	7.1	130	1500	260	2160
<i>OO</i>	7.0	$2 \cdot 10^{29}$	3.5 + 3.5	3730	3.0	240	1850	490	1500
<i>ArAr</i>	6.3	$0.6 \cdot 10^{29}$	3.15 + 3.15	3360	4.1	160	1430	320	2800
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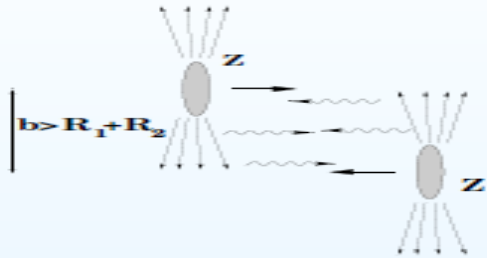
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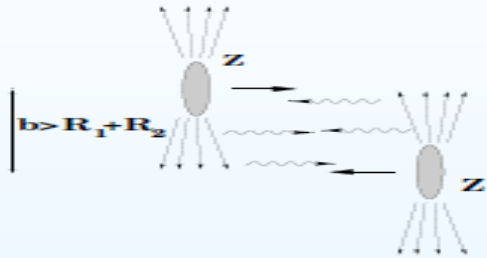
Center of mass energies

1. γh Processes: $\sigma(h_1 h_2 \rightarrow X) = n_h(\omega) \otimes \sigma^{\gamma h \rightarrow X}(W_{\gamma h})$
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LHC	pp	$W_{\gamma p} \lesssim 8390 \text{ GeV}$	$W_{\gamma\gamma} \lesssim 4504 \text{ GeV}$
LHC	$pPb(Ar)$	$W_{\gamma A} \lesssim 1500 (2130) \text{ GeV}$	$W_{\gamma\gamma} \lesssim 260 (480) \text{ GeV}$
LHC	$PbPb$	$W_{\gamma A} \lesssim 950 \text{ GeV}$	$W_{\gamma\gamma} \lesssim 160 \text{ GeV}$
HERA	ep	$W_{\gamma p} \lesssim 200 \text{ GeV}$	-

Photoproduction in pp collisions at LHC probes photon - hadron center - of - mass energies one order of magnitude larger than HERA.

LHC = Photon collider



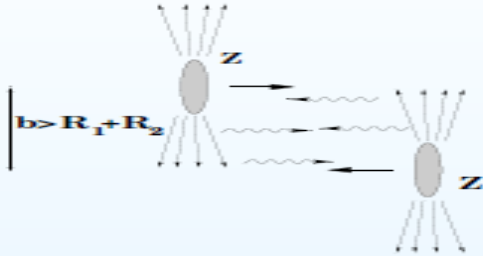
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Photoproduction in pA and AA collisions at LHC probes a unexplored regime of photon - nucleus center of mass energies.

LHC = Photon collider



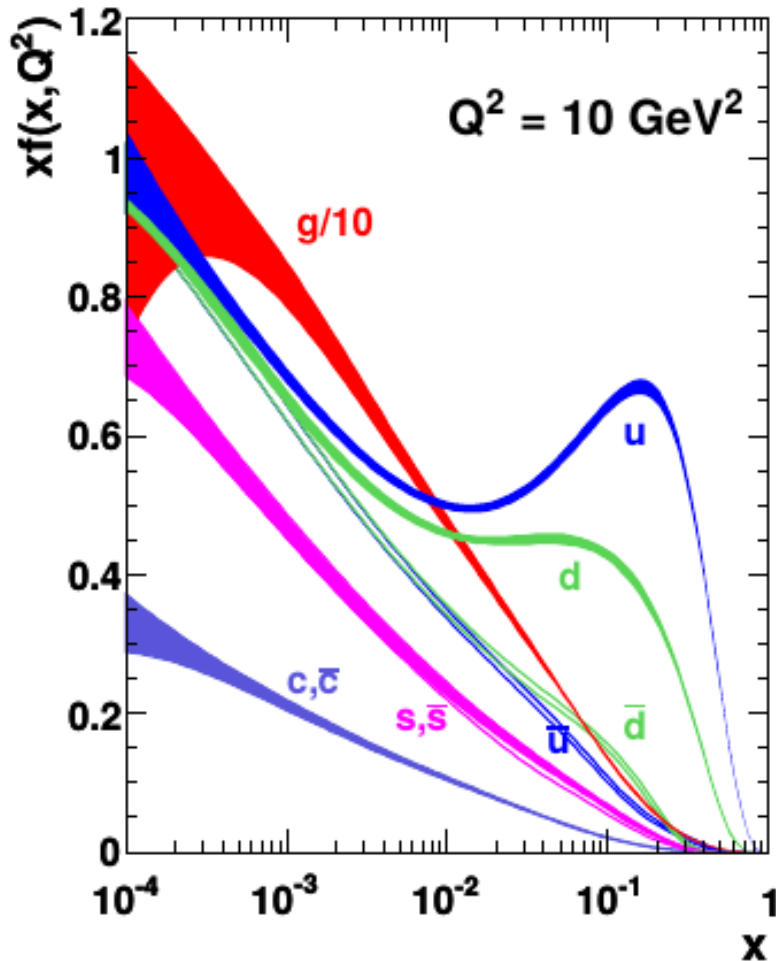
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Photon - induced interactions at LHC allows to study the high energy regime of QCD (Small - x Physics).

Hadronic structure at high energies



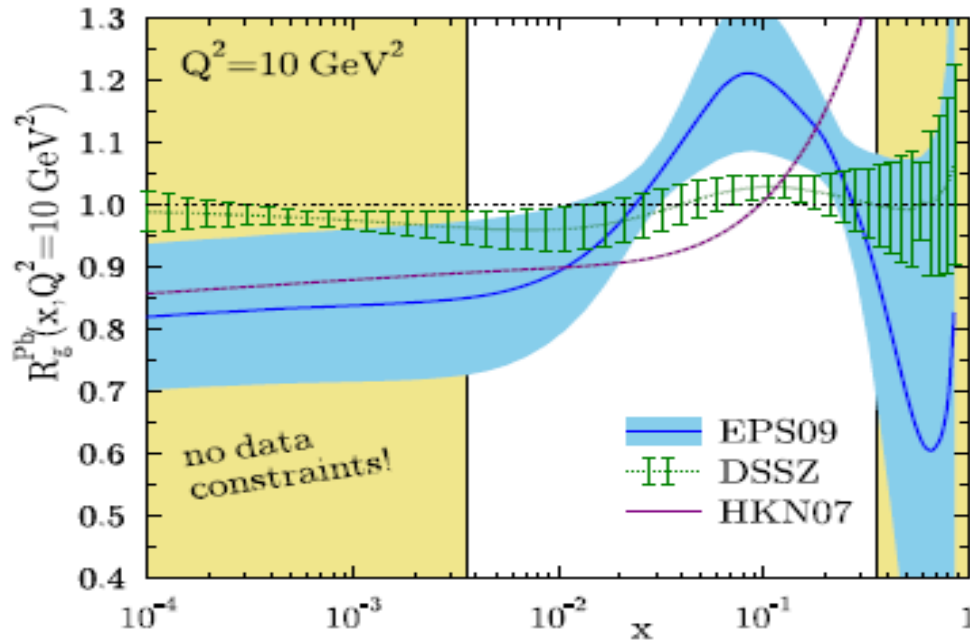
- ✓ Proton structure at high energies (small values of x) is dominated by gluons;
- ✓ Linear QCD Evolution equations (DGLAP/BFKL) predict a power growth of gluon distribution at small $-x$;
- ✓ Large uncertainty on the behaviour at small $-x$;
- ✓ The current data included in the global analysis does not constrain the gluon distribution at high energies.

Hadronic structure at high energies

$$R_g \equiv \frac{xg_A(x, Q^2)}{A \cdot xg_p(x, Q^2)}$$

- No nuclear effects $\Rightarrow R_g = 1$.

$$R = f_{j/A}(x, Q^2) / [A f_{j/N}(x, Q^2)]$$

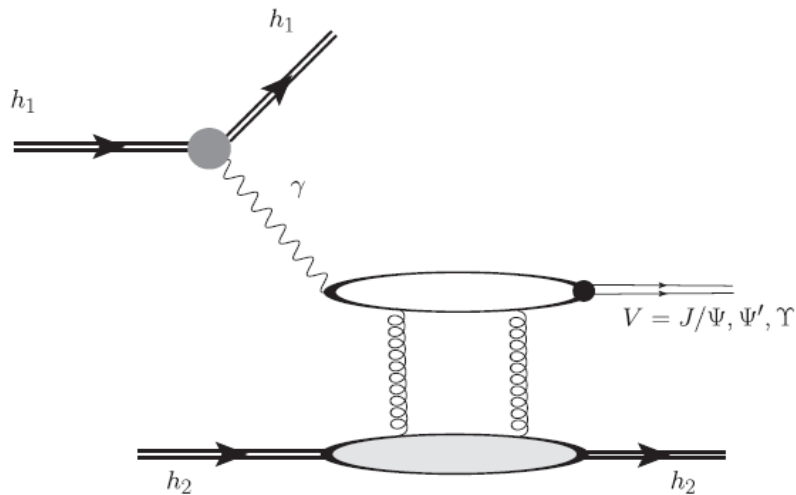


Eskola, Puukkunen, arXiv:1401.2345

- The current electron - ion experimental data does not constrain the small $-x$ behaviour;
- Large theoretical uncertainty present in the kinematical range probed by LHC.

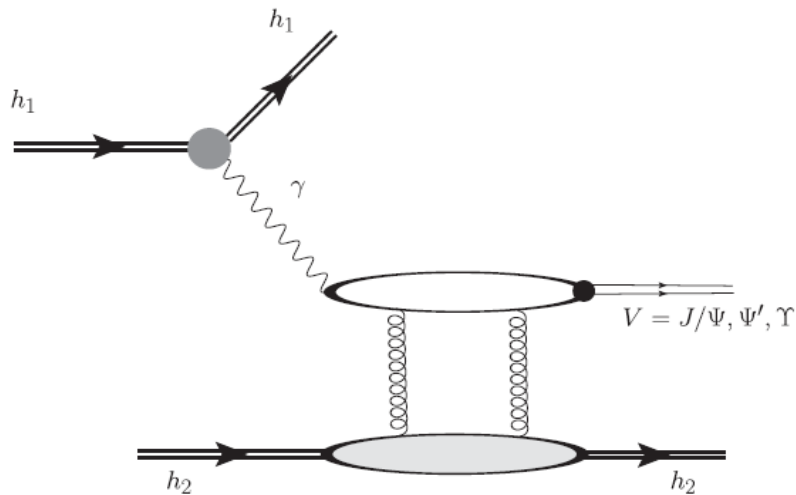
Diffractive vector meson photoproduction in UPHIC: Probing the gluon distribution

$$\frac{d\sigma [h_1 + h_2 \rightarrow h_1 \otimes V \otimes h_2]}{dY} = \left[\omega \frac{dN}{d\omega} |_{h_1} \sigma_{\gamma h_2 \rightarrow V \otimes h_2}(\omega) \right]_{\omega_L} + \left[\omega \frac{dN}{d\omega} |_{h_2} \sigma_{\gamma h_1 \rightarrow V \otimes h_1}(\omega) \right]_{\omega_R}$$



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At leading order in LL(1/x) approx.:

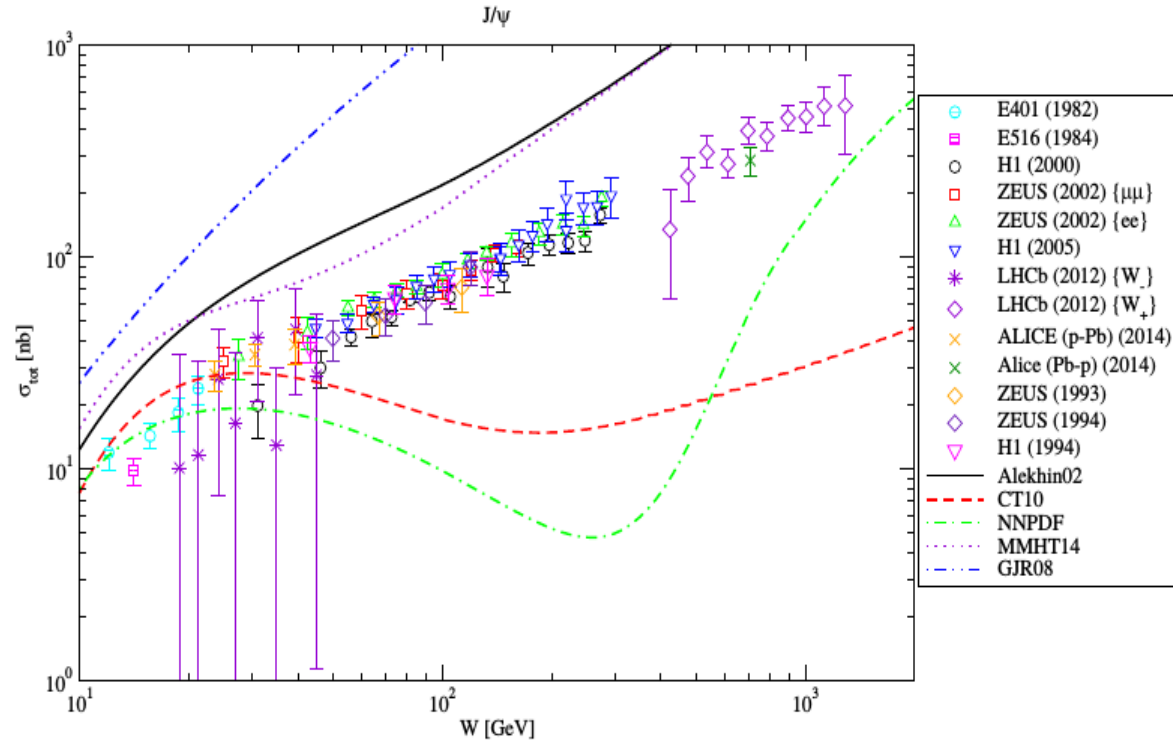
$$\frac{d\sigma^{\gamma h \rightarrow V h}}{dt} \Big|_{t=0} = \mathcal{N} \frac{\pi^3 \Gamma_{e^+e^-} M_V^3}{48 \alpha_{em}} \left[\frac{\alpha_s(\bar{Q}^2)}{\bar{Q}^4} x g_h(x, \bar{Q}^2) \right]^2$$

Cross section is proportional to the **square** of the hadron gluon distribution at $x = 4\bar{Q}^2/W^2$

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$$\bar{Q} = \xi M_V / 2$$

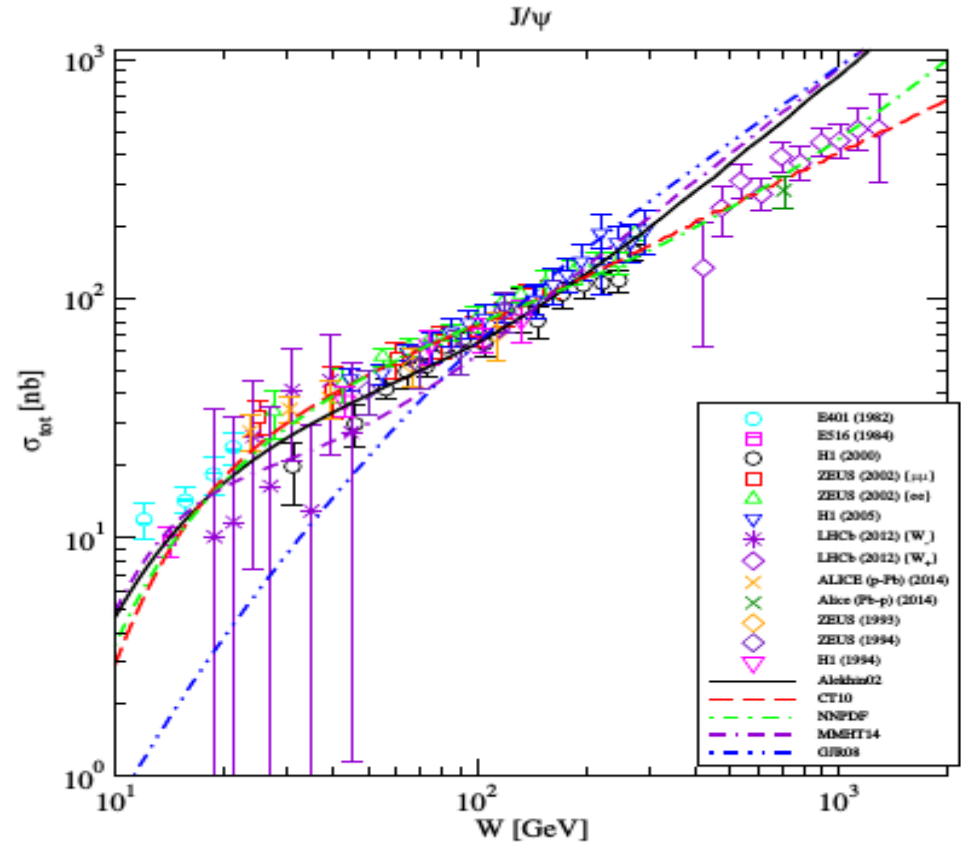


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Parametrization	ξ	J/ψ \mathcal{N}	$\chi^2/\text{d.o.f.}$
Alekhin02	0.879	0.180	3.818
CT10	3.412	45.041	1.179
NNPDF	4.373	139.670	1.215
MMHT14	1.035	0.297	7.226
GJR08	2.202	0.755	11.740

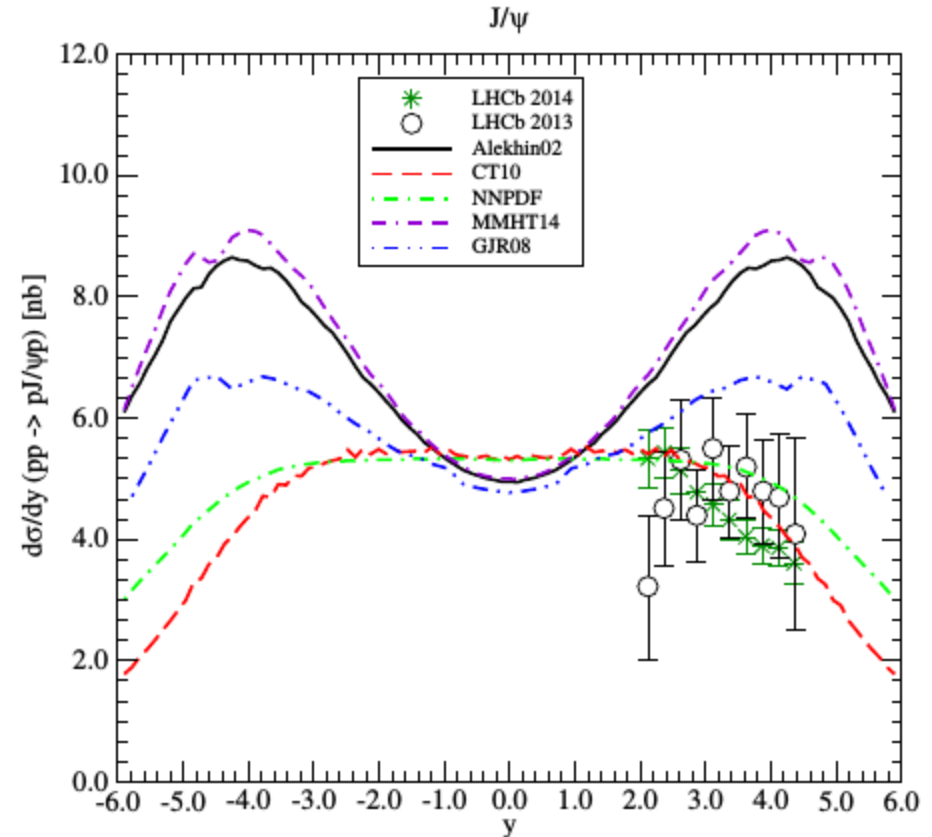


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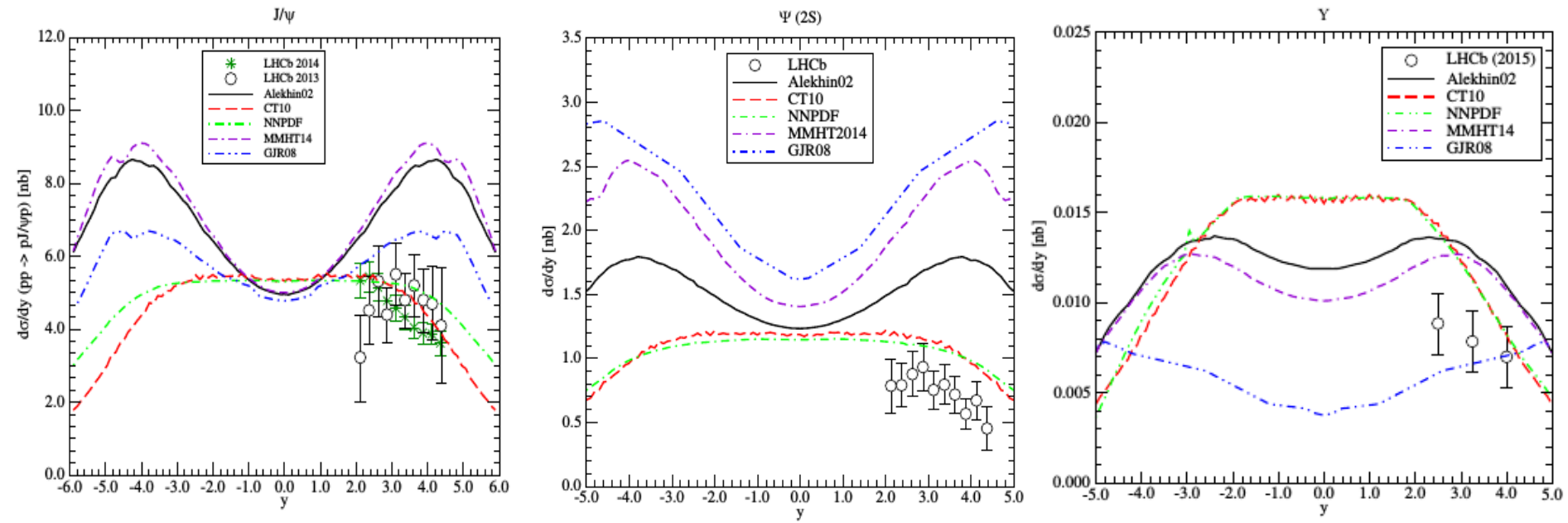
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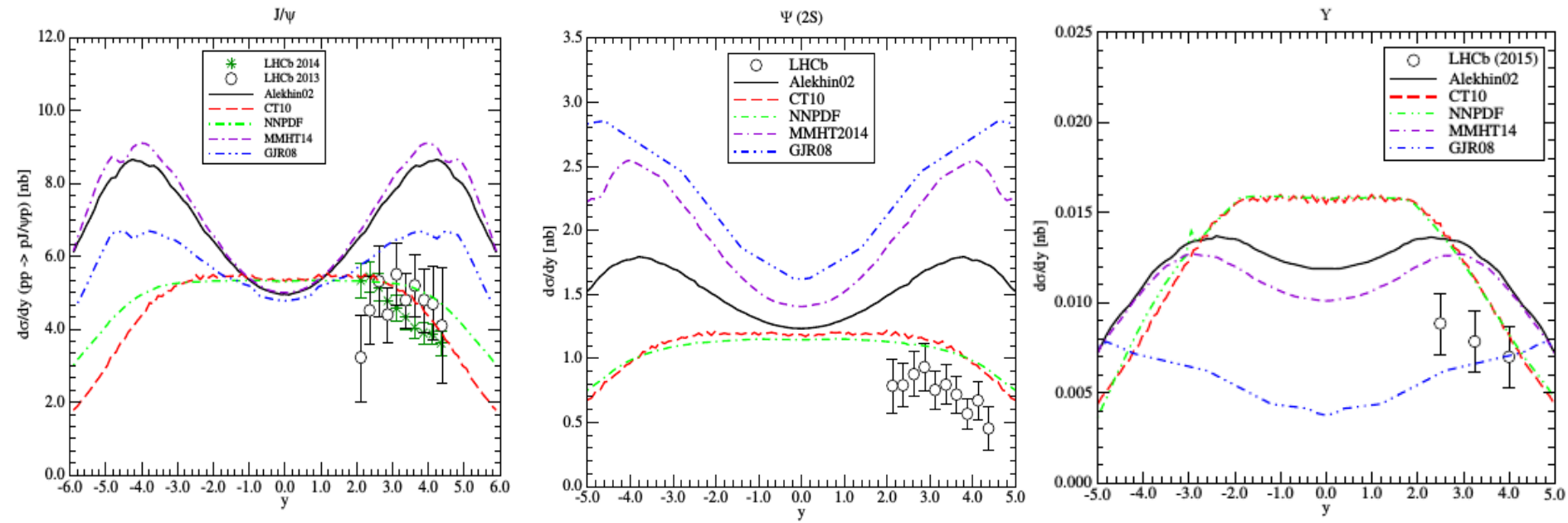
Diffraction vector meson photoproduction in UPHIC: Probing the gluon distribution

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CT10	3.412	45.041	1.179	3.783	59.331	1.682	0.614	0.188	0.312
NNPDF	4.373	139.670	1.215	5.064	208.837	1.871	0.939	1.063	0.312
MMHT14	1.035	0.297	7.226	0.641	0.101	1.220	0.135	3.690	1.820
GJR08	2.202	0.755	11.740	3.436	7.799	8.824	14.257	$1.428 \cdot 10^3$	3.707



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NNPDF	4.373	139.670	1.215	5.064	208.837	1.871	0.939	1.063	0.312
MMHT14	1.035	0.297	7.226	0.641	0.101	1.220	0.135	3.690	1.820
GJR08	2.202	0.755	11.740	3.436	7.799	8.824	14.257	$1.428 \cdot 10^3$	3.707



Description of data in the LL(1/x) approach is not possible using xg derived in the PDF global analysis !

Diffraction vector meson photoproduction in UPHIC: Probing the gluon distribution

Possible interpretations:

Diffraction vector meson photoproduction in UPHIC: Probing the gluon distribution

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1-) We need to take into account the NLO corrections to the LL($1/x$) approach.

– Recent studies demonstrated that these corrections are huge (not yet under theoretical control).

Diffractive vector meson photoproduction in UPHIC: Probing the gluon distribution

Possible interpretations:

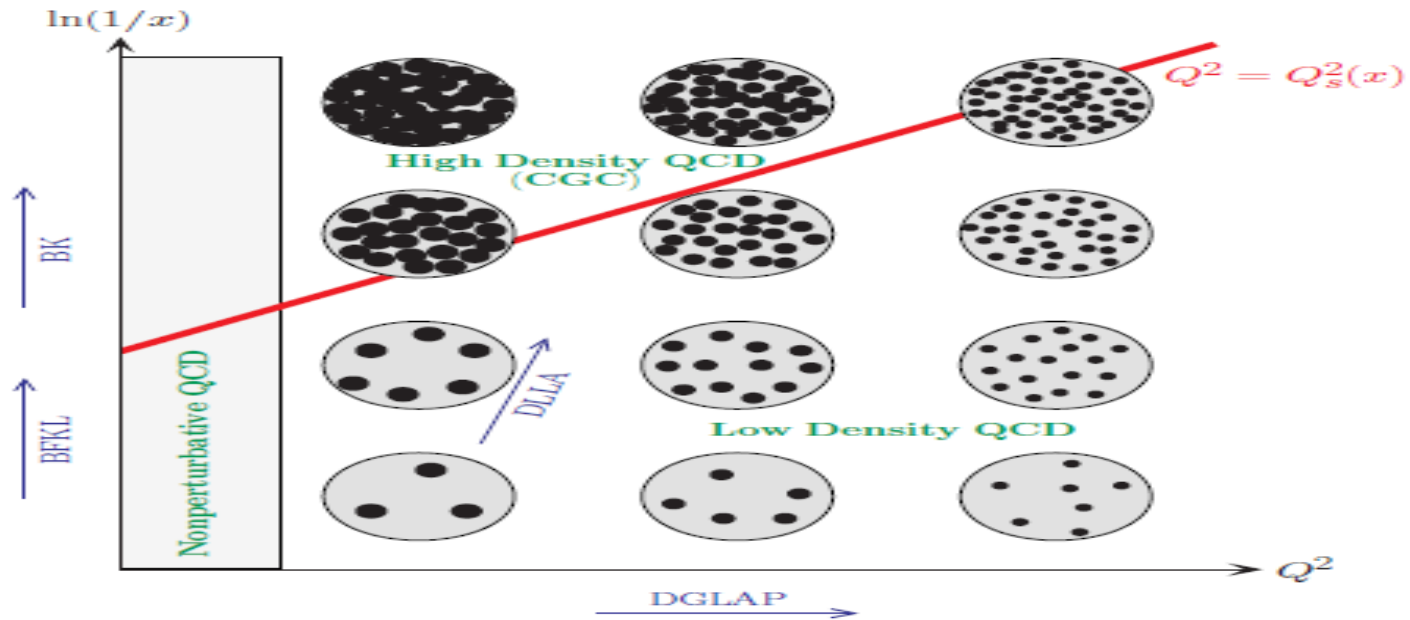
1-) We need to take into account the NLO corrections to the LL($1/x$) approach.

- Recent studies demonstrated that these corrections are huge (not yet under theoretical control).

2-) New dynamical effects (beyond DGLAP!) are present at the large energies (small values of x) probed by the diffractive photoproduction of vector mesons at the LHC.

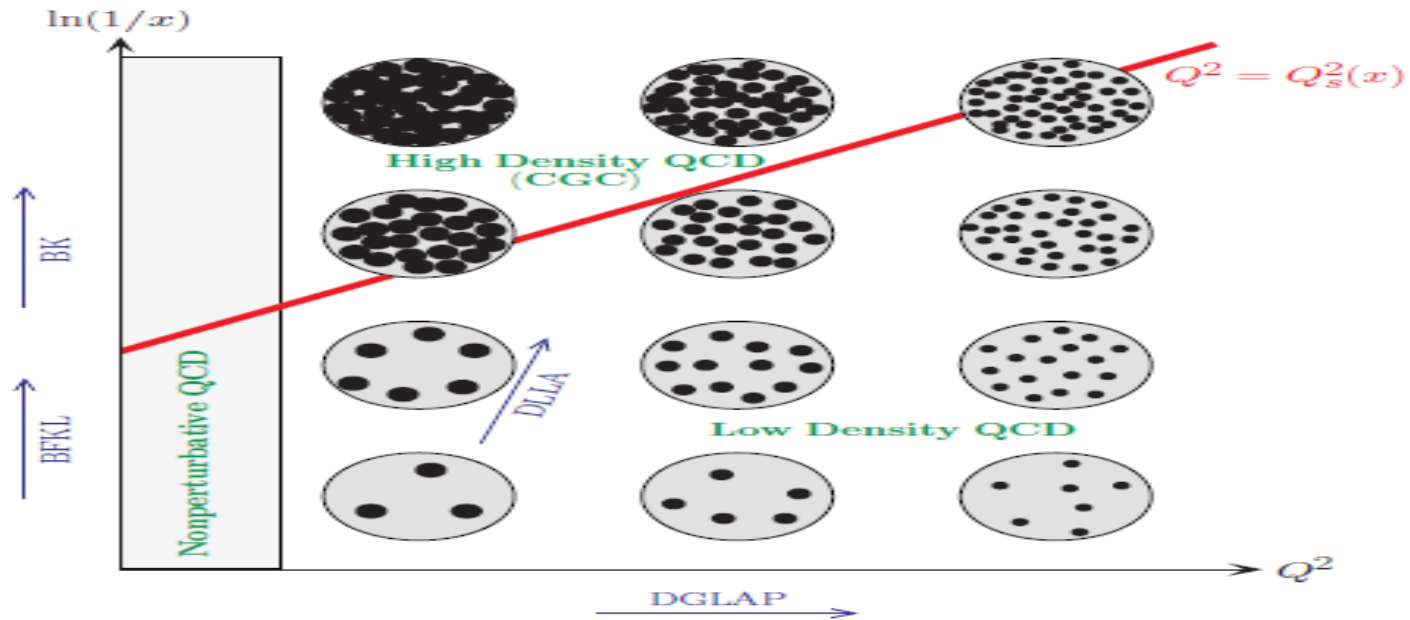
- We should to use another approach to describe the process !

QCD dynamics at high energies



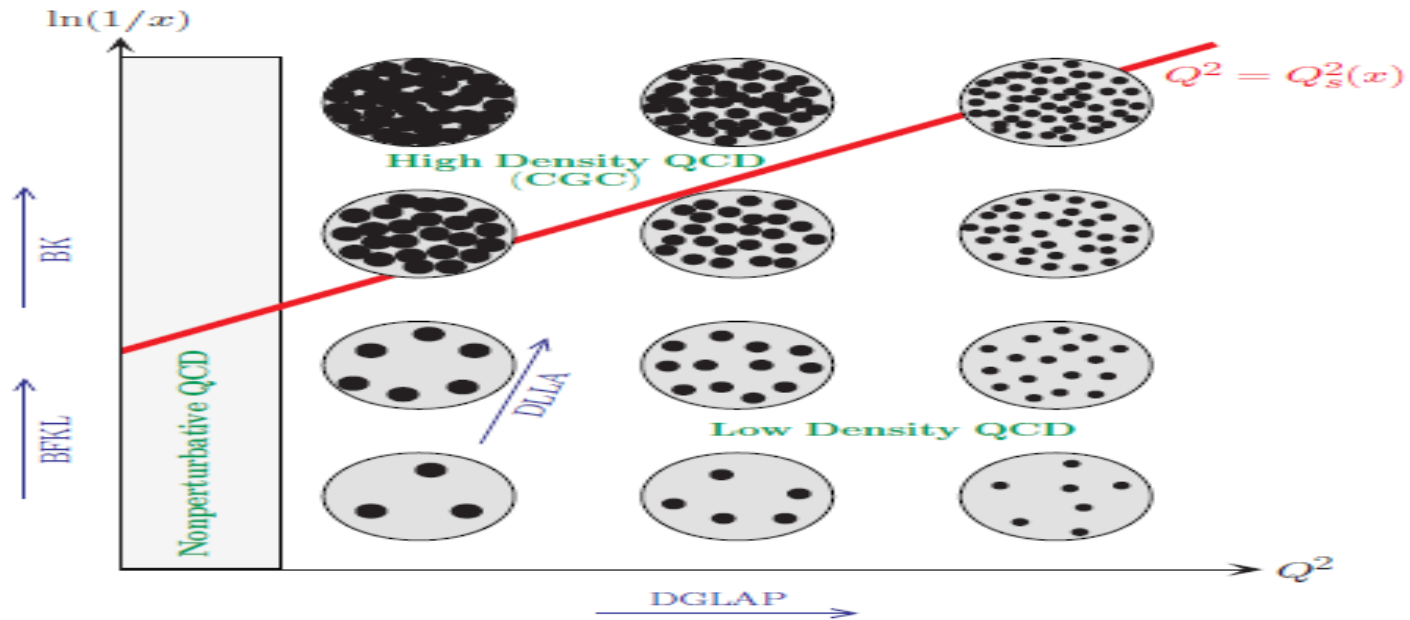
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QCD dynamics at high energies



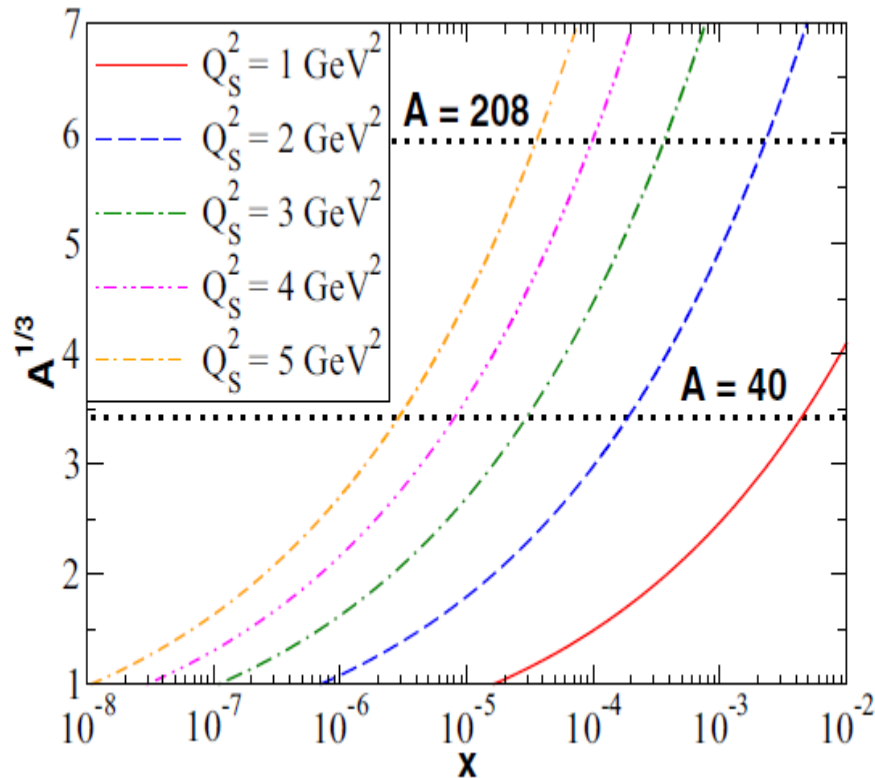
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QCD dynamics at high energies



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- Saturation scale Q_s [proportional to $(1/x)^{\lambda/2} A^\beta$] defines the onset of nonlinear QCD dynamics (Gluon saturation effects).

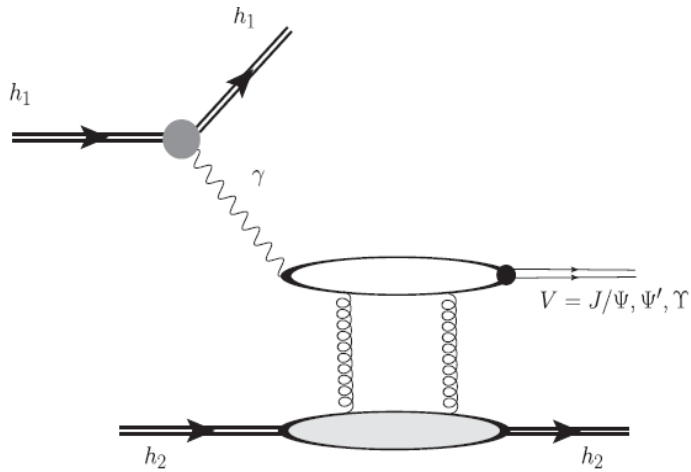
QCD dynamics at high energies



- ✓ Saturation scale Q_s [proportional to $(1/x)^{\lambda/2} A^\beta$] defines the onset of nonlinear QCD dynamics (Gluon saturation effects);
- ✓ Nuclei are an efficient amplifier of the gluon saturation effects.

Diffraction vector meson photoproduction in UPHIC: Color Dipole Formalism

$$\frac{d\sigma [h_1 + h_2 \rightarrow h_1 \otimes V \otimes h_2]}{d^2b dy} = [\omega N_{h_1}(\omega, b) \sigma_{\gamma h_2 \rightarrow V \otimes h_2}(\omega)]_{\omega_L} + [\omega N_{h_2}(\omega, b) \sigma_{\gamma h_1 \rightarrow V \otimes h_1}(\omega)]_{\omega_R}$$

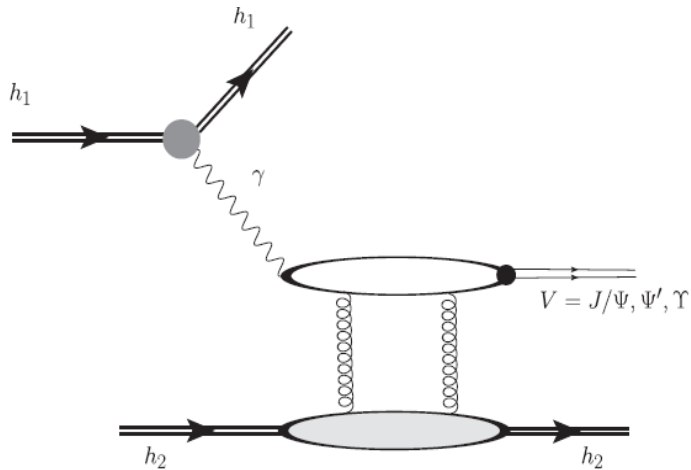


$$\sigma(\gamma h \rightarrow V h) = \int_{-\infty}^0 \frac{d\sigma}{dt} dt = \frac{1}{16\pi} \int_{-\infty}^0 |\mathcal{A}_T^{\gamma h \rightarrow V h}(x, \Delta)|^2 dt$$

$$\mathcal{A}_T^{\gamma h \rightarrow V h}(x, \Delta) = i \int dz d^2r d^2b_h e^{-i[\mathbf{b}_h - (1-z)\mathbf{r}] \cdot \Delta} (\Psi^{V*} \Psi)_T 2\mathcal{N}_h(x, \mathbf{r}, \mathbf{b}_h)$$

Diffraction vector meson photoproduction in UPHIC: Color Dipole Formalism

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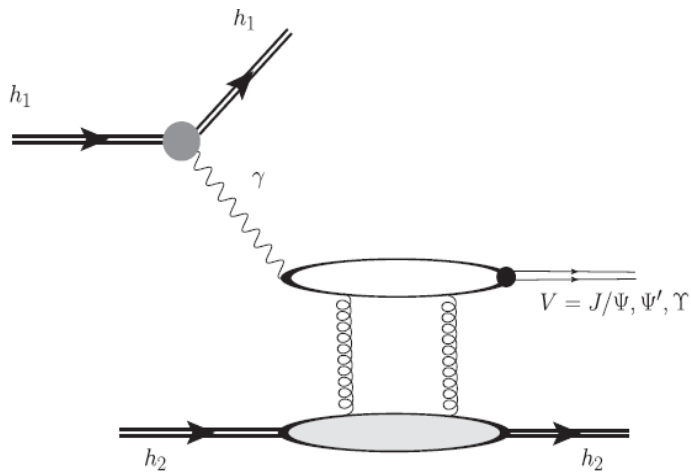
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Overlap function for Vector Mesons

Diffraction vector meson photoproduction in UPHIC: Color Dipole Formalism

$$\frac{d\sigma [h_1 + h_2 \rightarrow h_1 \otimes V \otimes h_2]}{d^2b dy} = [\omega N_{h_1}(\omega, b) \sigma_{\gamma h_2 \rightarrow V \otimes h_2}(\omega)]_{\omega_L} + [\omega N_{h_2}(\omega, b) \sigma_{\gamma h_1 \rightarrow V \otimes h_1}(\omega)]_{\omega_R}$$



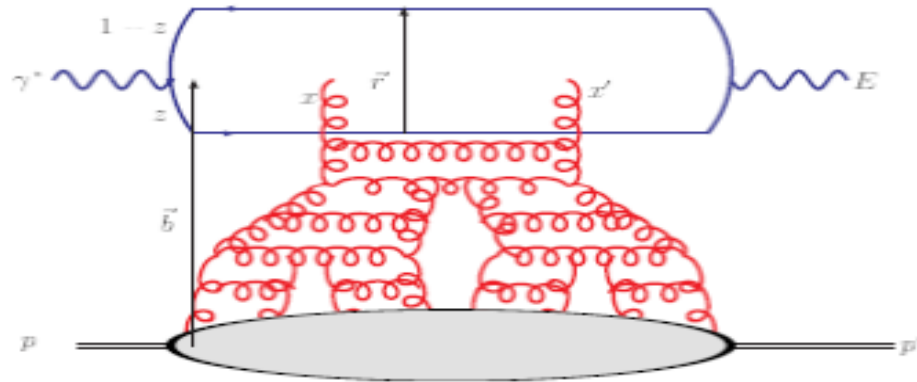
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Forward dipole - hadron scattering amplitude: Determined by the QCD dynamics

Diffractive vector meson photoproduction in UPHIC: Color Glass Condensate Formalism

Dipole - proton scattering amplitude:



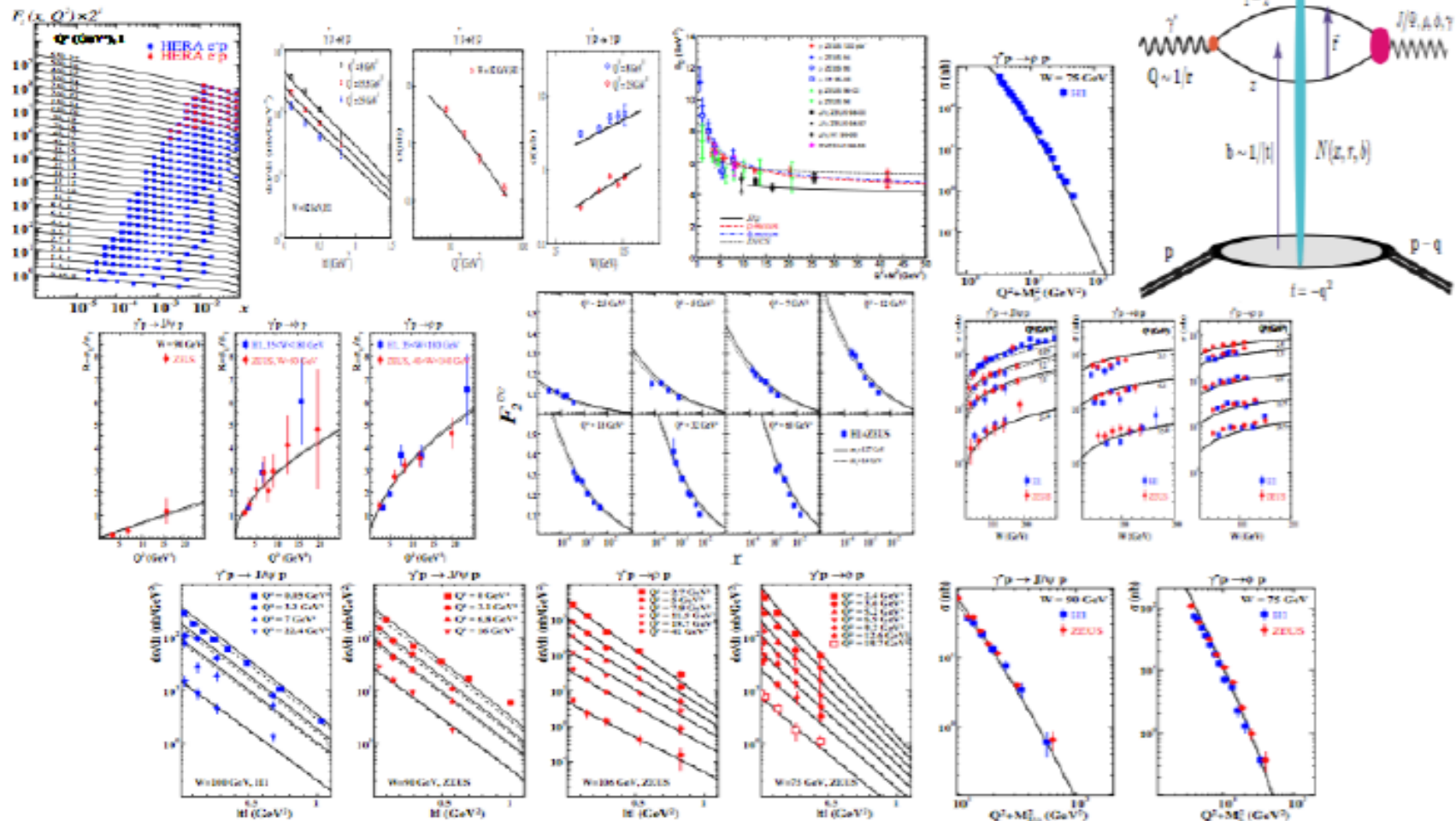
- bCGC :
$$\mathcal{N}^P(\hat{x}, \mathbf{r}, \mathbf{b}) = \begin{cases} \mathcal{N}_0 \left(\frac{rQ_s(b)}{2} \right)^{2(\gamma_s + \frac{\ln(2/rQ_s(b))}{\kappa\lambda Y})} & rQ_s(b) \leq 2 \\ 1 - e^{-A \ln^2(BrQ_s(b))} & rQ_s(b) > 2 \end{cases}$$

- Proposed originally by Kowalski, Motyka and Watt (06)
- Parameters of the model updated considering the high precision combined HERA data (Rezaeian, Schmidt, 13)

A unified description of combined inclusive HERA data & diffractive data in CGC

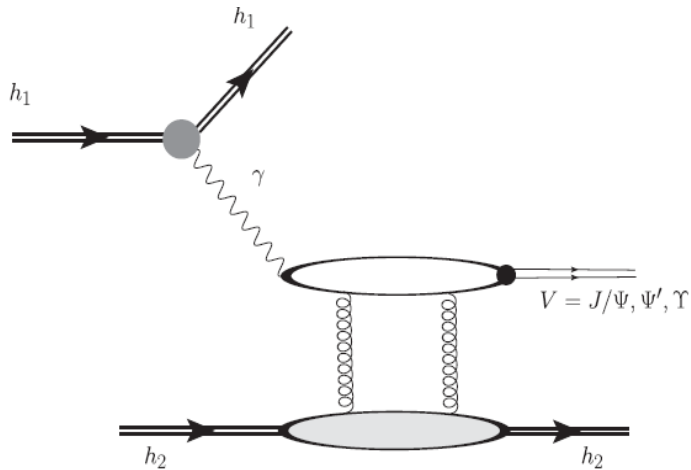
Rezaeian, Siddikov, Van de Klundert, Venugopalan, arXiv:1212.2974; Rezaeian, Schmidt, arXiv:1307.0825

The dipole scattering amplitude is the main ingredient with 3 or 4 free parameters fixed via a fit to the reduced cross-section.



Diffraction vector meson photoproduction in UPHIC: Color Dipole Formalism

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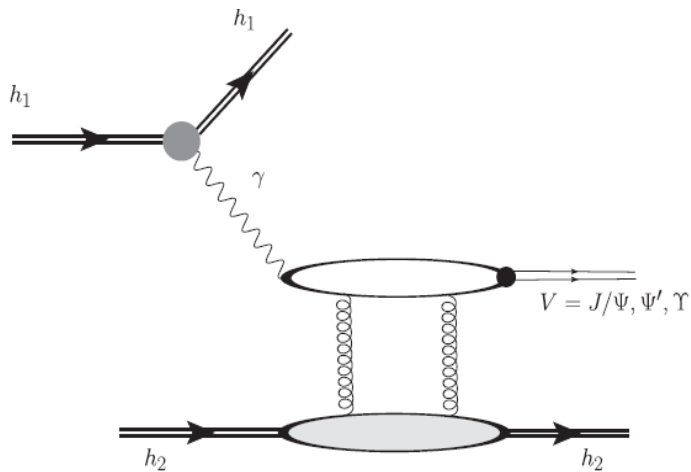
$$\mathcal{A}_T^{\gamma h \rightarrow V h}(x, \Delta) = i \int dz d^2r d^2b_h e^{-i[\mathbf{b}_h - (1-z)\mathbf{r}] \cdot \Delta} (\Psi^{V*} \Psi)_T \mathcal{N}_h(x, \mathbf{r}, \mathbf{b}_h)$$

- Nucleus: $\mathcal{N}_A(x, \mathbf{r}, \mathbf{b}_A) = 1 - \exp \left[-\frac{1}{2} \sigma_{dp}(x, \mathbf{r}^2) T_A(\mathbf{b}_A) \right]$ \rightarrow Sums all multiple elastic rescatterings of the dipole.

$$\sigma_{dp}(x, \mathbf{r}^2) = 2 \int d^2b_p \mathcal{N}_p(x, \mathbf{r}, \mathbf{b}_p)$$

Diffractive vector meson photoproduction in UPHIC: Color Dipole Formalism

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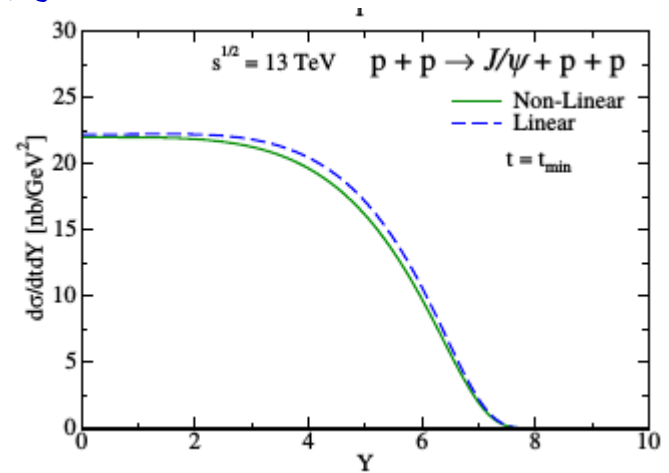
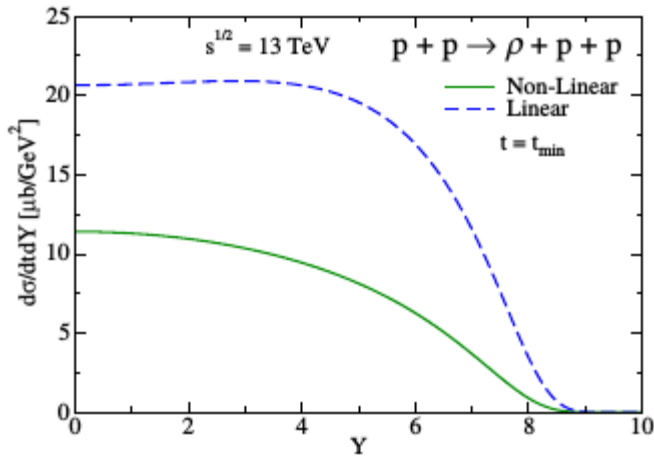
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In the dipole picture, all free parameters have been constrained by HERA data. Predictions for UPHIC are parameter free!

Diffraction vector meson photoproduction in UPHIC: Impact of the gluon saturation effects

Diffractive vector meson photoproduction in UPHIC: Impact of the gluon saturation effects

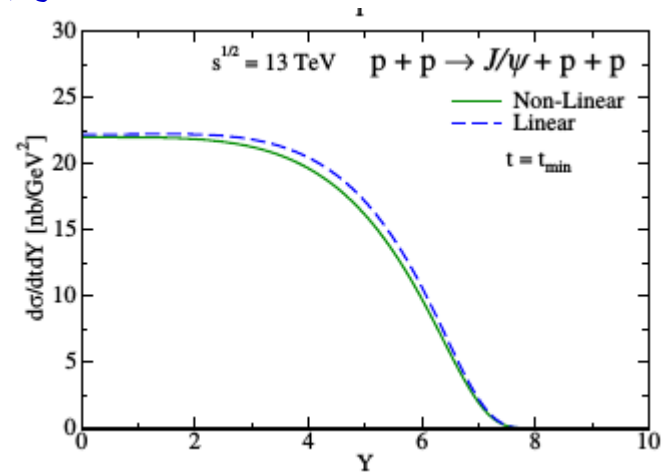
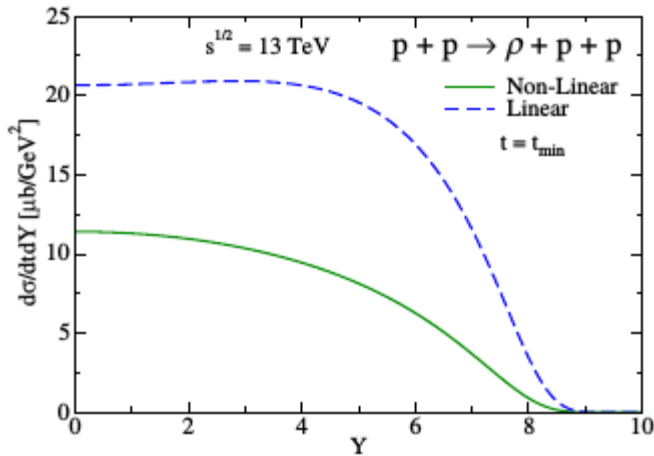
pp Collisions:



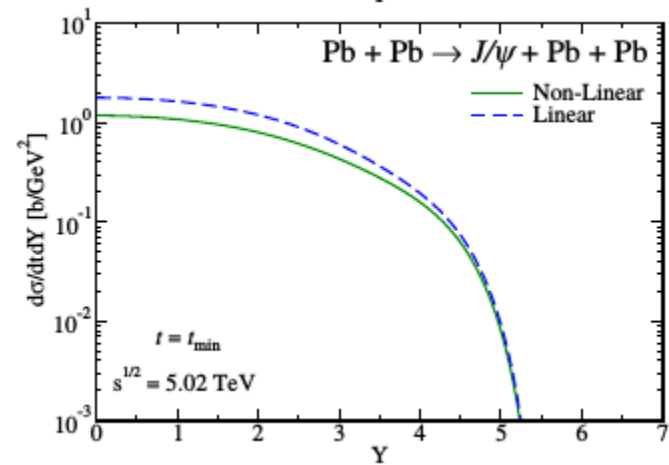
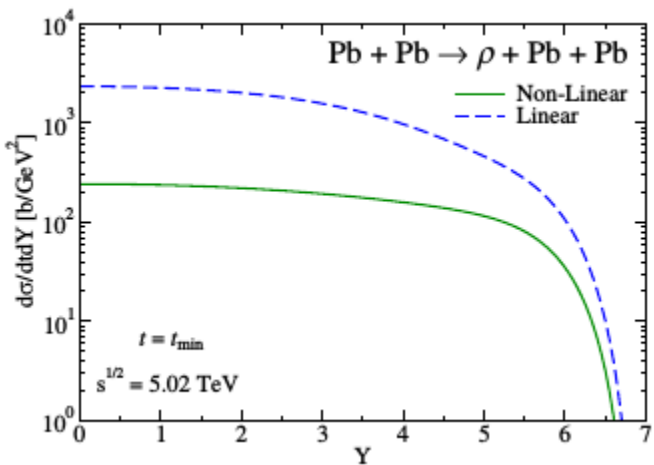
$$t_{\min} = -m_N^2 M_V^4 / W^4$$

Diffractive vector meson photoproduction in UPHIC: Impact of the gluon saturation effects

pp Collisions:



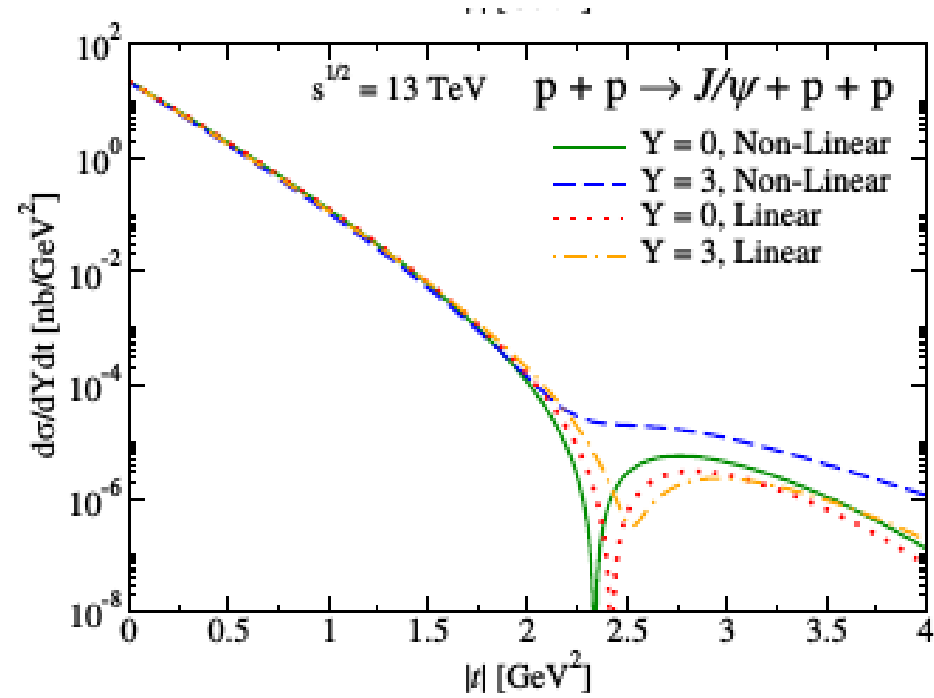
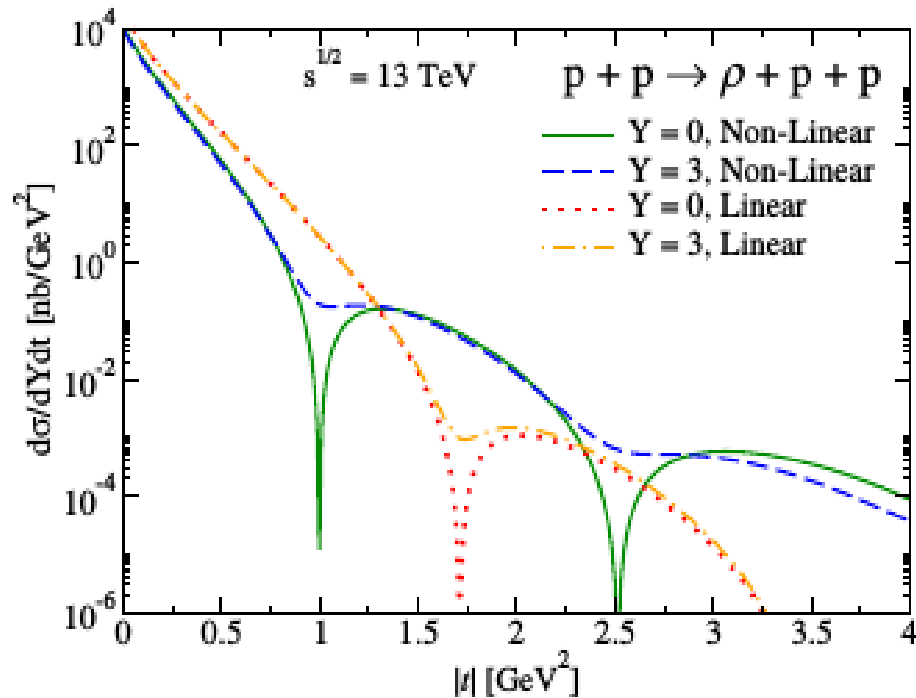
PbPb Collisions:



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Diffractive vector meson photoproduction in UPHIC: Impact of the gluon saturation effects

pp Collisions:



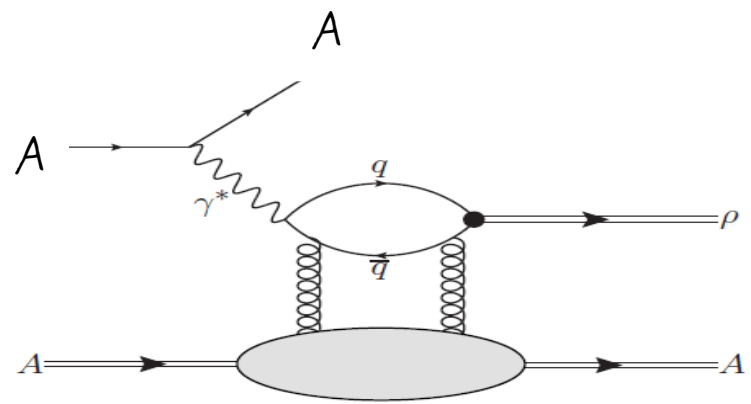
Linear model:

$$\mathcal{N}^p(x, r, b_p) = \mathcal{N}_0 \left(\frac{r Q_s(b_p)}{2} \right)^{2 \left(\gamma_s + \frac{\ln(2/r Q_s(b_p))}{\kappa \lambda Y} \right)}$$

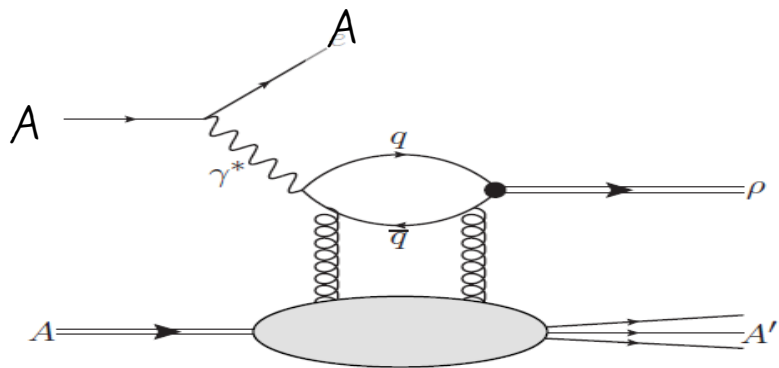
Diffractive vector meson photoproduction in UPHIC: Impact of the gluon saturation effects

PbPb Collisions:

Coherent production:

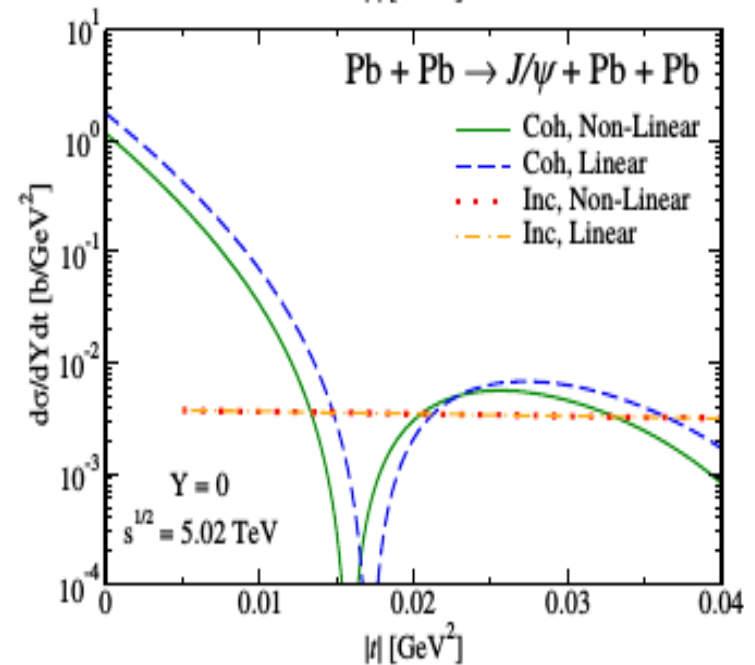
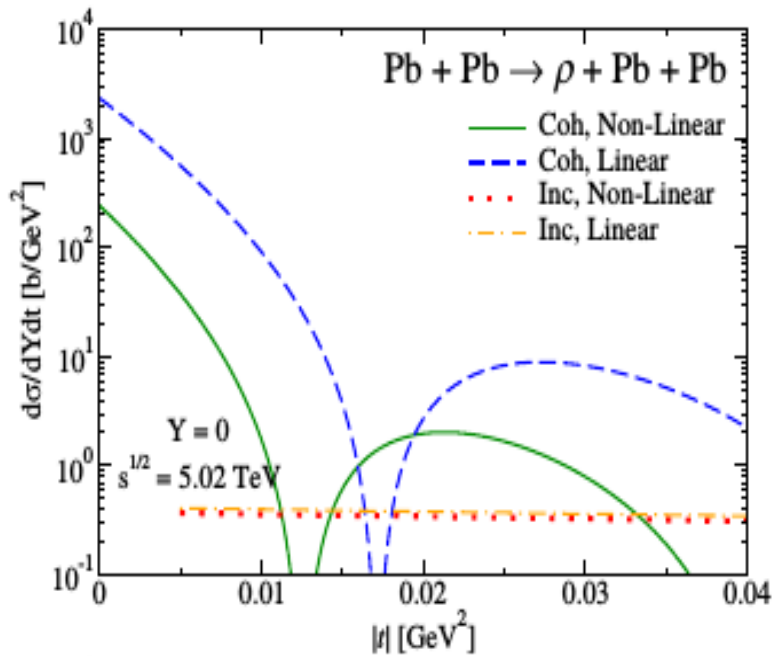


Incoherent production:



Diffractive vector meson photoproduction in UPHIC: Impact of the gluon saturation effects

PbPb Collisions:

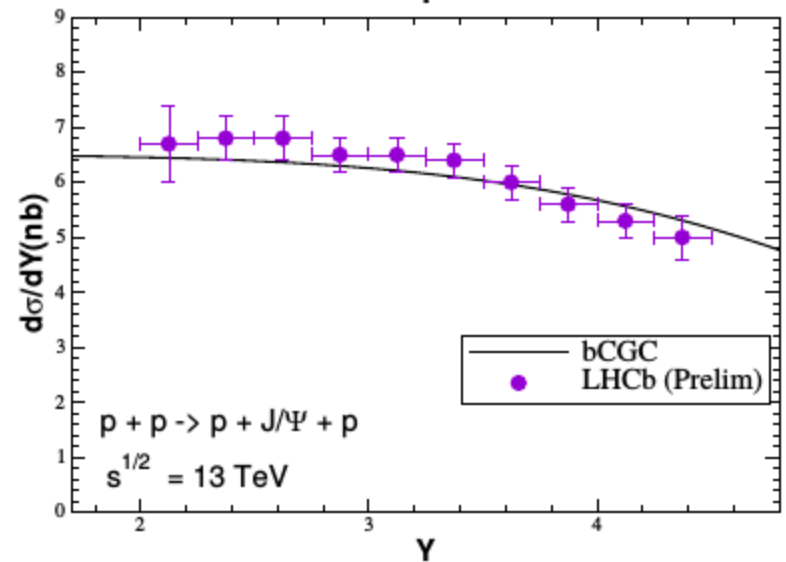
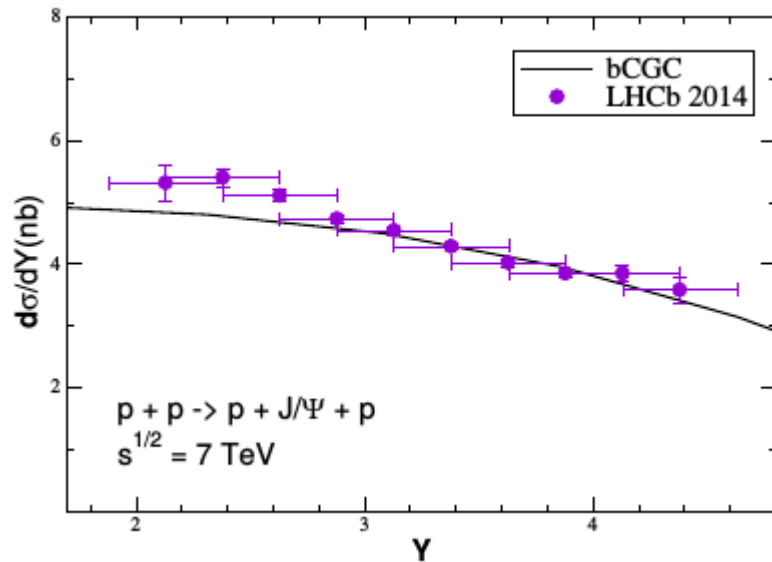


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Comparison with the LHC data

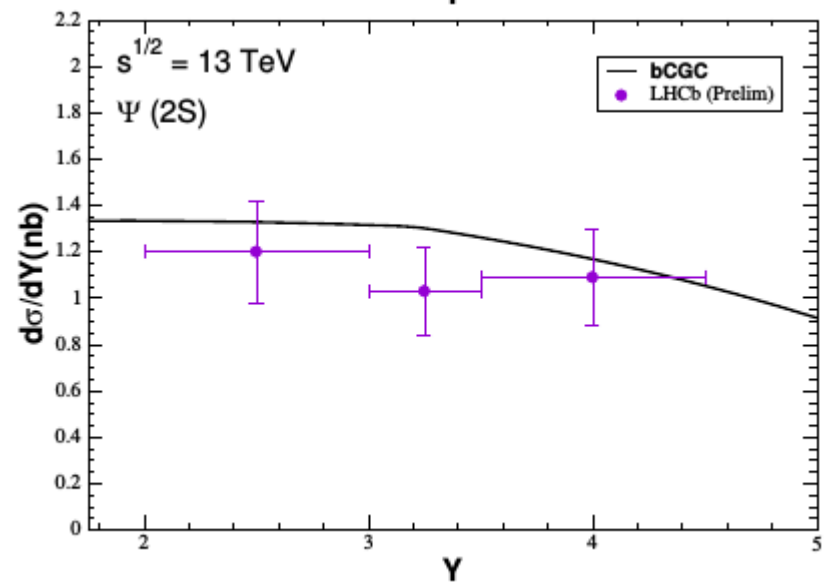
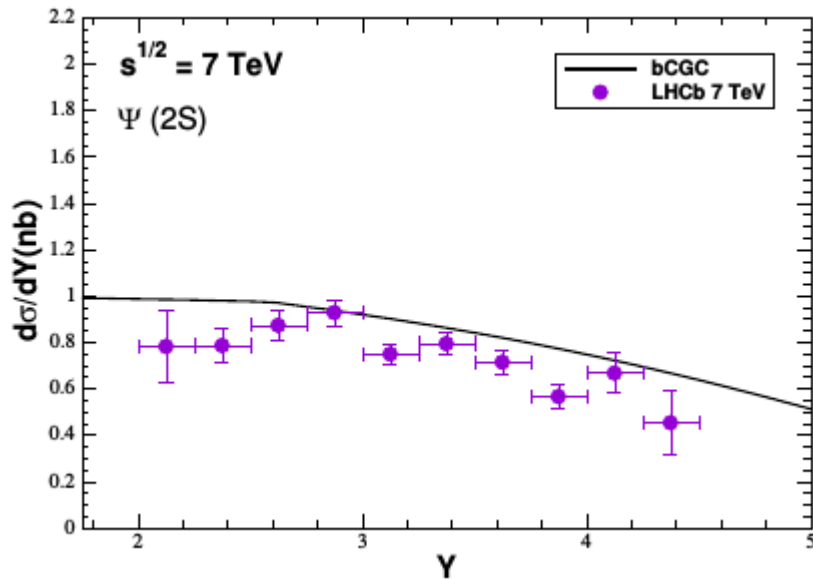
Comparison with the LHC data

Diffractionive J/Psi photoproduction in pp collisions:



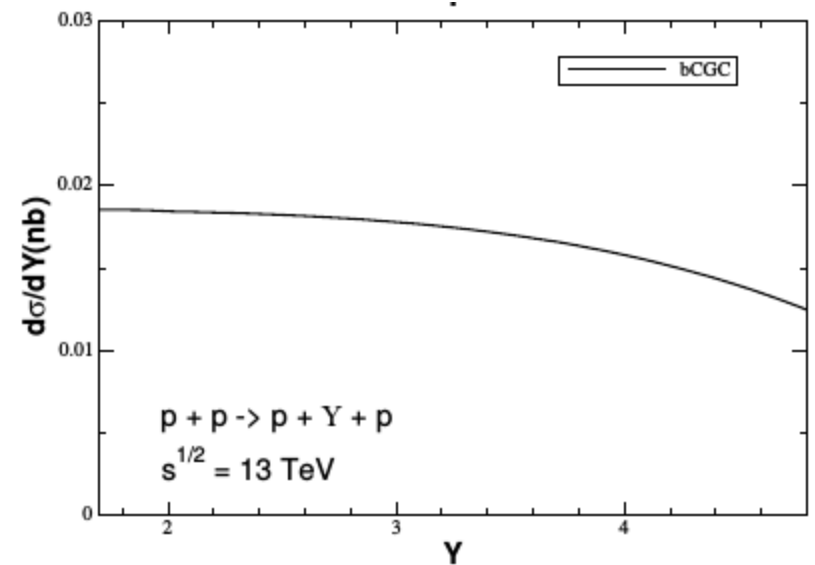
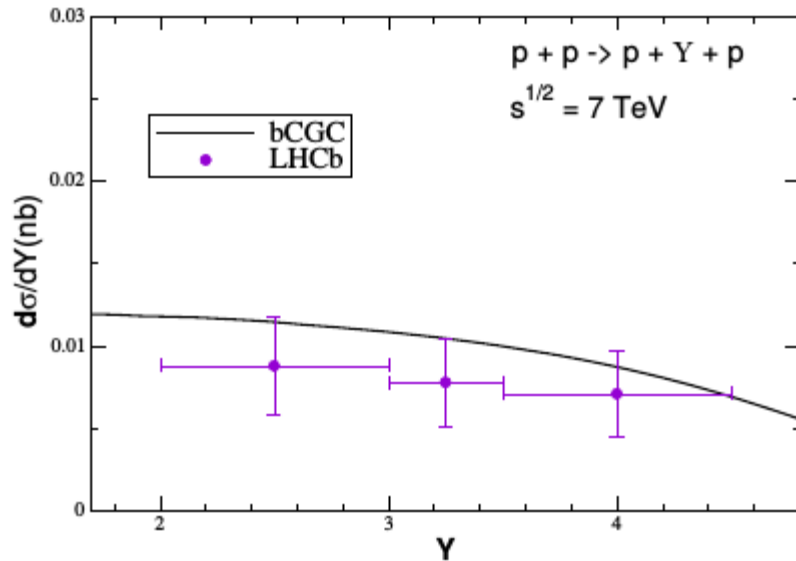
Comparison with the LHC data

Diffractive $\Psi(2S)$ photoproduction in pp collisions:



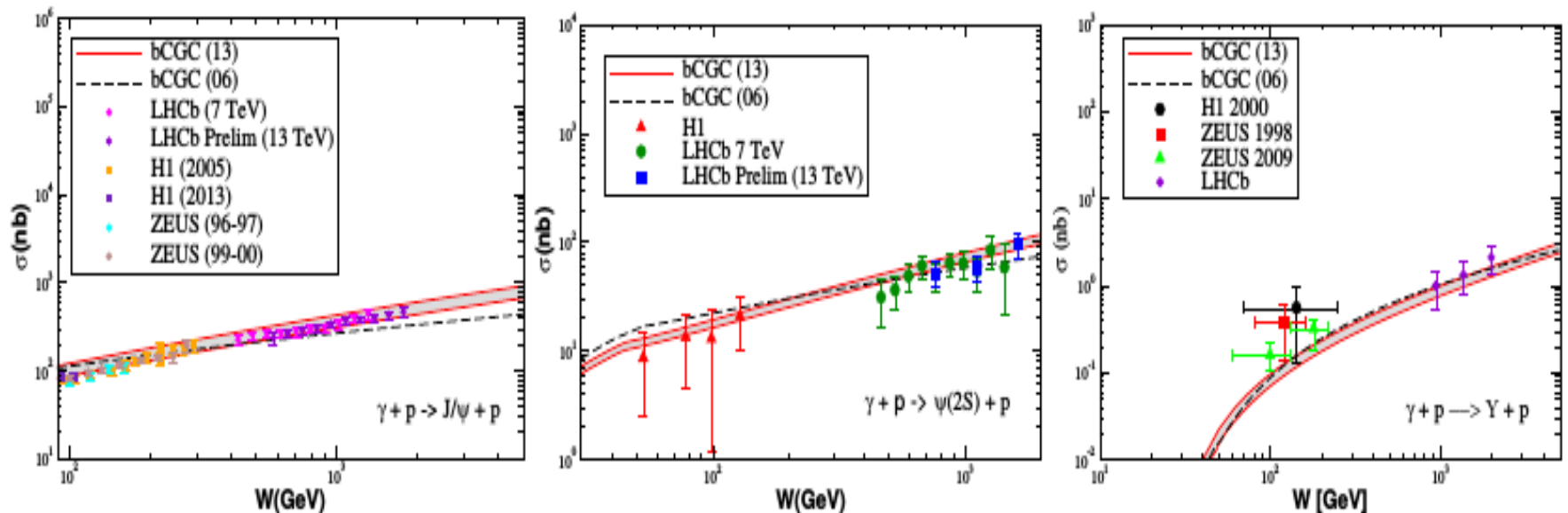
Comparison with the LHC data

Diffractional Upsilon photoproduction in pp collisions:



Comparison with the LHC data

Energy dependence of the photon - proton cross section:



Summary

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- ✓ The diffractive vector meson photoproduction in photon - induced interactions at the LHC is an important probe of the QCD dynamics at high energies.
- ✓ The Run I data can be successfully described by the color dipole formalism taking into account the nonlinear effects in the QCD dynamics.
- ✓ The Run II data can be used to constrain the description of the dipole - hadron scattering amplitude and the vector meson wave function
- ✓ Complementary studies can be performed by analysis of the double vector meson production and the vector meson production associated to a leading neutron.

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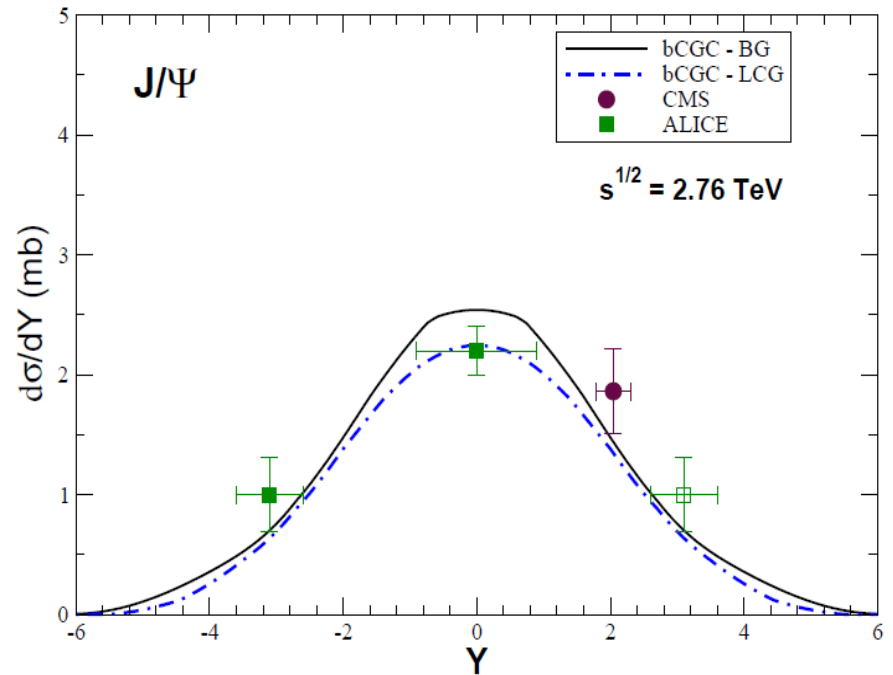
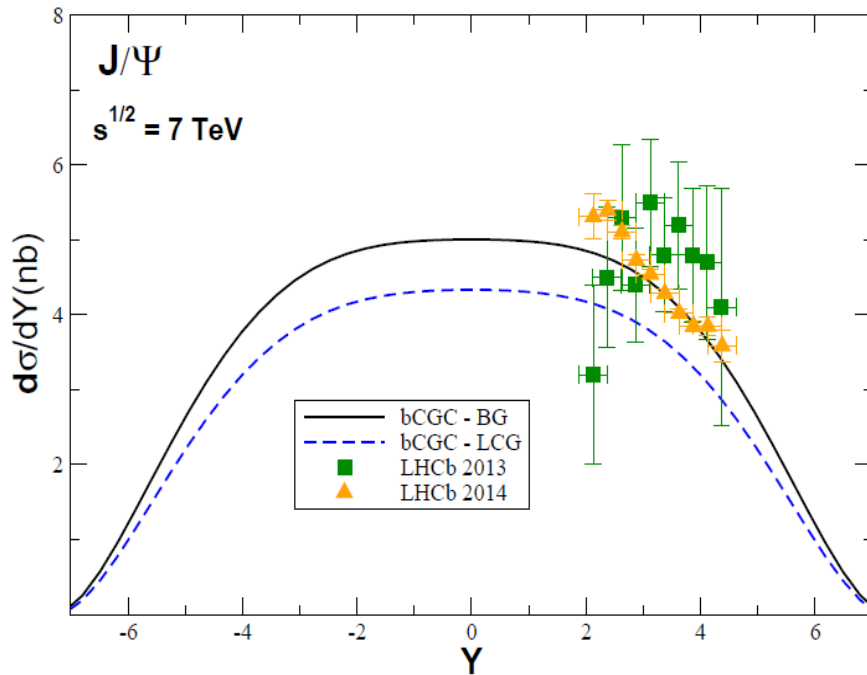
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Thank you for your attention!

Extras

Comparison with the Run I data

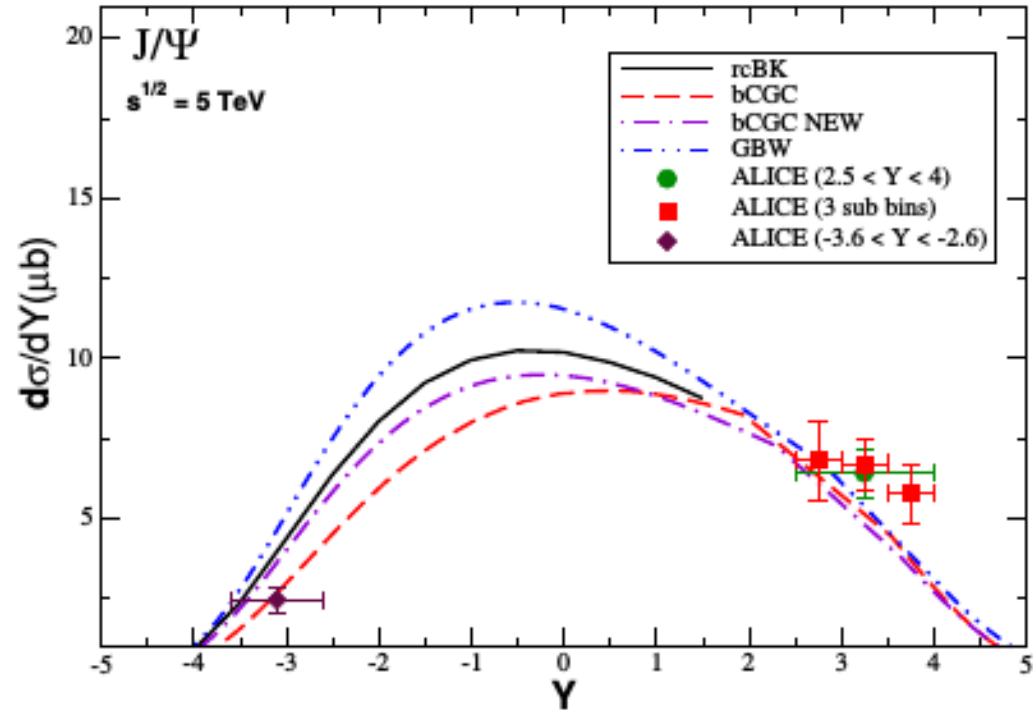
● Diffractive J/Ψ photoproduction in hadronic collisions ^a



(^a) VPG, Moreira, Navarra, PRC90, 015203 (2014)

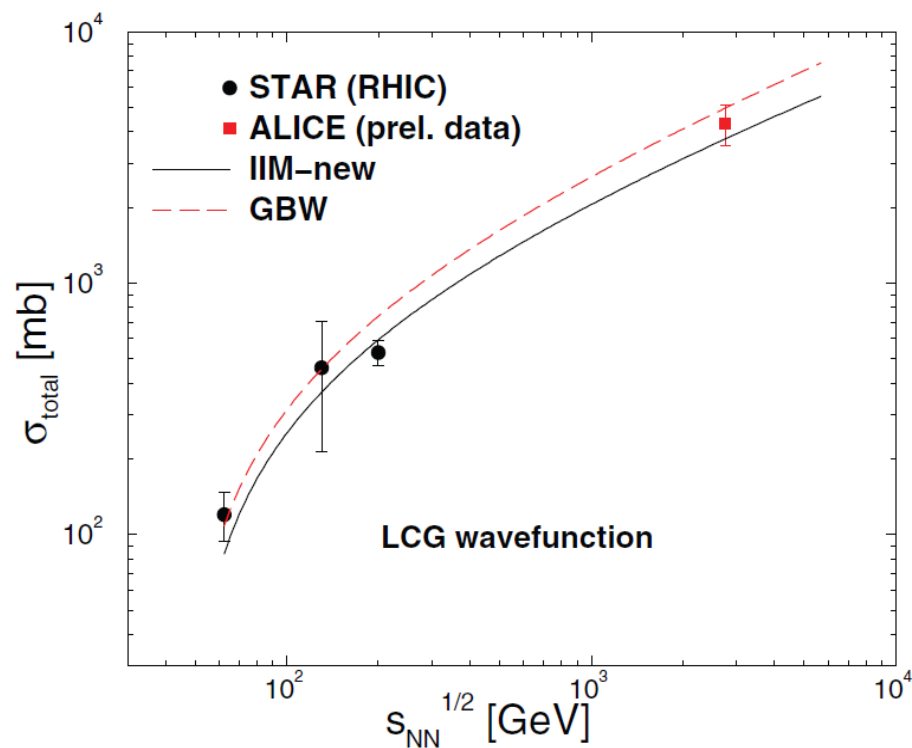
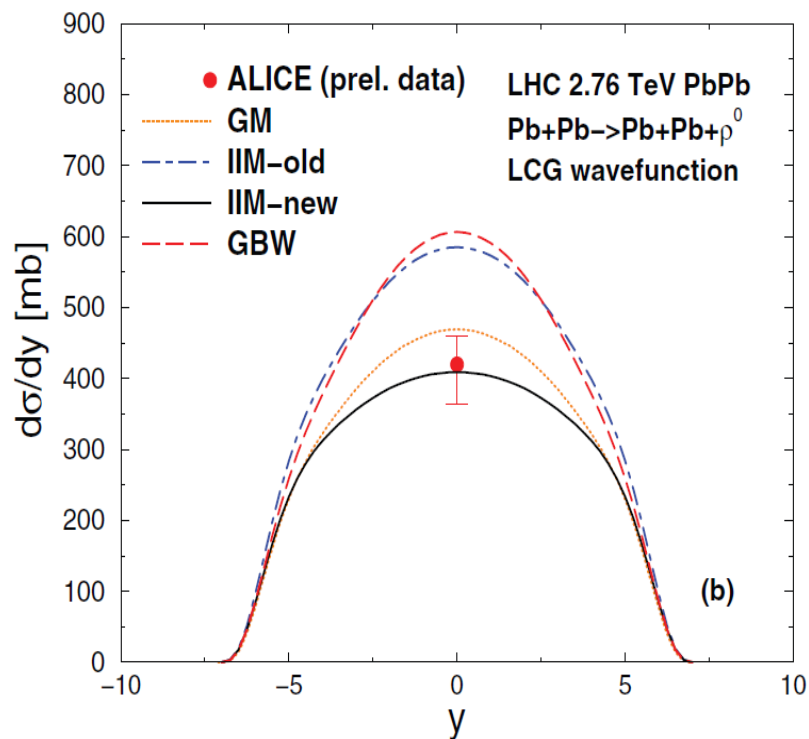
Comparison with the Run I data

- Diffractive J/Ψ photoproduction in hadronic collisions ^a



Comparison with the Run I data

● Diffractive ρ photoproduction in hadronic collisions ^c



(^c) VPG, Machado, EPJC 40, 519 (2005); PRC80, 054901 (2009); PRC84, 011902 (2011); Machado, dos Santos, PRC91, 025203 (2015)

Comparison with the Run I data

● Diffractive Υ photoproduction in hadronic collisions ^b

