DMWG Public Meeting Overview of 1604.07975

#### CERN Dec 15th 2016

#### Matthew McCullough with Englert and Spannowsky





It seems there is a move towards more realistic scalar mediator models, especially as in 2HDM.

I think this is great!

## Summary



Scalar model proposed in white papers:

$$\mathcal{L} = \mathcal{L}_{SM} + g_{\chi} \phi \overline{\chi} \chi + g_t \phi \overline{t} t$$
Mediator is

This is an EFT... Could arise from an operator such as  $\frac{\phi}{\Lambda}g_tH\overline{Q}_3U_3$ 

gauge singlet.

Which is gauge-invariant but nonrenormalizable.

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This is an EFT... Could arise from singlet mixing  $\phi |H|^2$ 

But unless Higgs couplings are also modified this theory will break down at high energies.

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This is an EFT... Could arise from a 2HDM  $g_t H_2 \overline{Q}_3 U_3$ 

But unless modified Higgs couplings <u>and</u> new pseudoscalar and charged scalar states are included, will break down somewhere.

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$$\mathcal{L} = \mathcal{L}_{SM} + g_{\chi} \phi \overline{\chi} \chi + g_t \phi \overline{t} t$$
Mediator is
gauge singlet.

Ok, so it is an EFT, but at least it is renormalizable?

Nope. This coupling breaks EW gauge invariance explicitly so, although the operator is dimension-4, theory cannot be renormalized with a finite number of counterterms.

Manohar (and many others):

The basic premise of effective theories is that dynamics at low energies does not depend on the details of the dynamics at high energies. As a result, low energy physics can be described using an effective Lagrangian that contains only a few degrees of freedom, ignoring additional degrees of freedom present at higher energies.

# Is it a good EFT?

For Simp Models, doesn't matter whether you call EFT vs not EFT, important point is that they model underlying process without breaking down at relevant energy scales...



## Letting EFT Guide...

EFT perspective also tells us what we are missing. If we allow these couplings:

$$\mathcal{L} = \mathcal{L}_{SM} + g_{\chi}\phi\overline{\chi}\chi + g_t\phi\overline{t}t$$

Then why aren't these included?

$$\mathcal{L} = c_{\phi} \phi \left( \frac{M_W^2}{v} W^{+\mu} W_{\mu}^{-} + \frac{M_Z^2}{2v} Z^{\mu} Z_{\mu} \right) ?$$

## Letting EFT Guide...

From simple EFT perspective can see they arise at same dimension, with same symmetries  $\phi$  \_\_\_\_

$$\frac{\varphi}{\Lambda}g_tH\overline{Q}_3U_3$$

And for gauge couplings  $\mathcal{L} = \frac{\phi}{\Lambda} |D_{\mu}H|^2 \to \frac{\phi}{\Lambda} \left( M_W^2 W^{+\mu} W_{\mu}^- + \frac{1}{2} M_Z^2 Z^{\mu} Z_{\mu} \right)$ 

This implies that in typical UV complete model you are not going to <u>only</u> have the quark couplings of the usual scalar simplified model.

## Letting EFT Guide...

From simple EFT perspective can see they arise at same dimension, with same Should be careful about imposing personal

 $\mathcal{L} = \frac{\phi}{\Lambda} |D_{\mu}H|^2 \to \frac{1}{\Lambda} \int V^{\mu} V$ 

This implies that in typical UV complete model you are not going to <u>only</u> have the quark couplings of the usual scalar simplified model.

taste on where we believe these couplings

## Which Channels?



## Models

So the coupling being left out could be the most important one... In other words:

With the usual scalar simplified model you may not be studying something corresponding to a description of well-motivated models...

E.g. Mixed singlet:  $\mathcal{L} = \sin\theta \phi \left( \frac{m_q}{v} \overline{q}q + \frac{m_l}{v} \overline{l}l + 2 \left( \frac{M_W^2}{v} W^{+\mu} W_{\mu}^{-} + \frac{M_Z^2}{2v} Z^{\mu} Z_{\mu} \right) \right)$ This will be a story all about VBF...

## Models

In a 2HDM the fermion and the gauge boson couplings may be varied independently. Higgs couplings go like:

$$c_{V,h} \propto 1 - \delta^2/2$$
 ,  $c_{t,h} \propto 1 - \delta \cot \beta$ 

whereas if heavy scalar is the mediator then

$$c_{V,H} \propto \delta$$
 ,  $c_{t,H} \propto -\coteta$ 

So this is a nice UV-complete implementation that allows to explore richer scalar mediator phenomenology.

#### Comment

From talks this morning it seems there is a move towards more realistic scalar mediator models, especially as in 2HDM, which will cover these blind spots!