

MASSIVE NEUTRINOS IN COSMOLOGY



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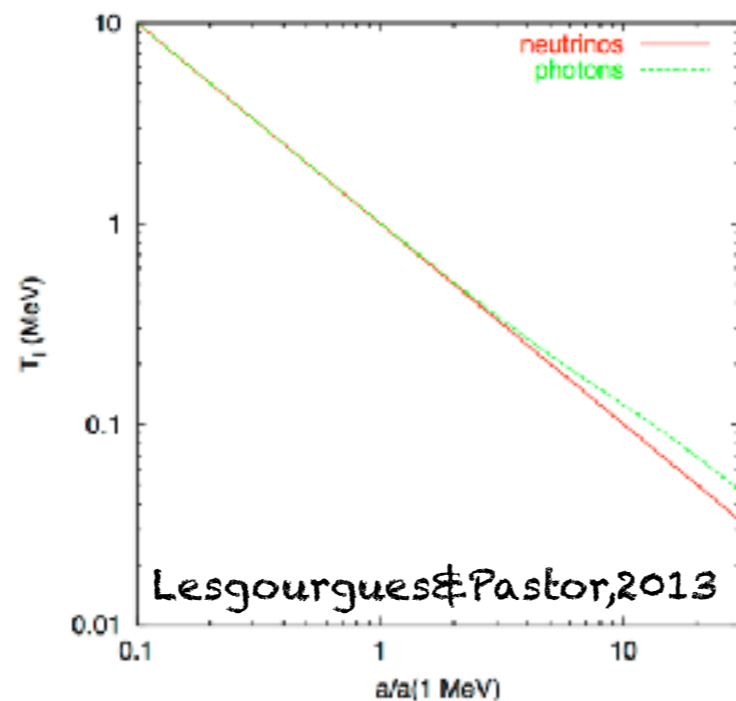
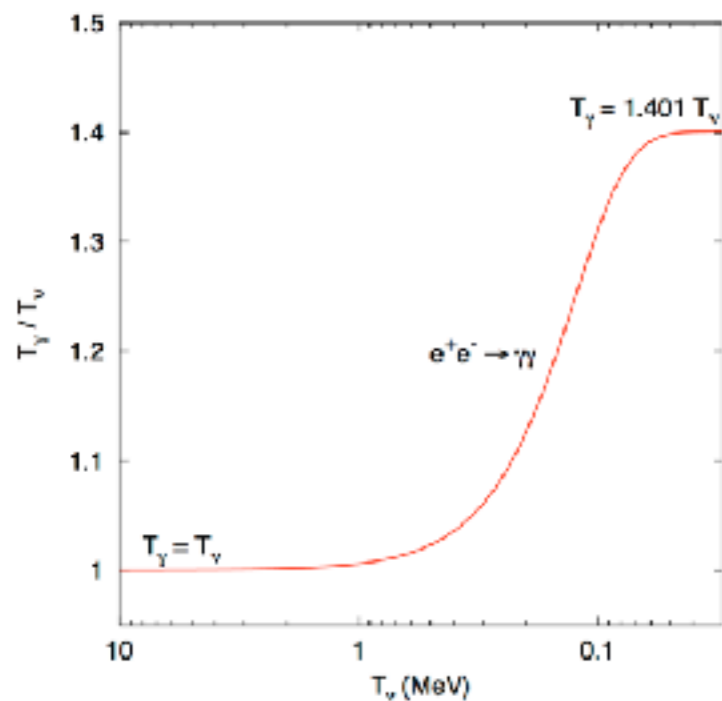
Oskar Klein Centre
for Cosmoparticle Physics
Stockholm University

Invisibles2017, Zurich (CH)
16 June 2017

Some basic facts

- Standard cosmological model predicts the existence of a background of relic neutrinos (CνB)
- $\Gamma_w > H$ ($T > 1 \text{ MeV}$) \rightarrow Thermal equilibrium with primordial plasma ($T_\nu = T$)
- $T < 1 \text{ MeV}$ \rightarrow neutrino free stream keeping an equilibrium spectrum ($T_\nu \neq T$, $T_\nu \propto 1/a$):

$$f_\nu(p) = \frac{1}{e^{p/T} + 1}$$



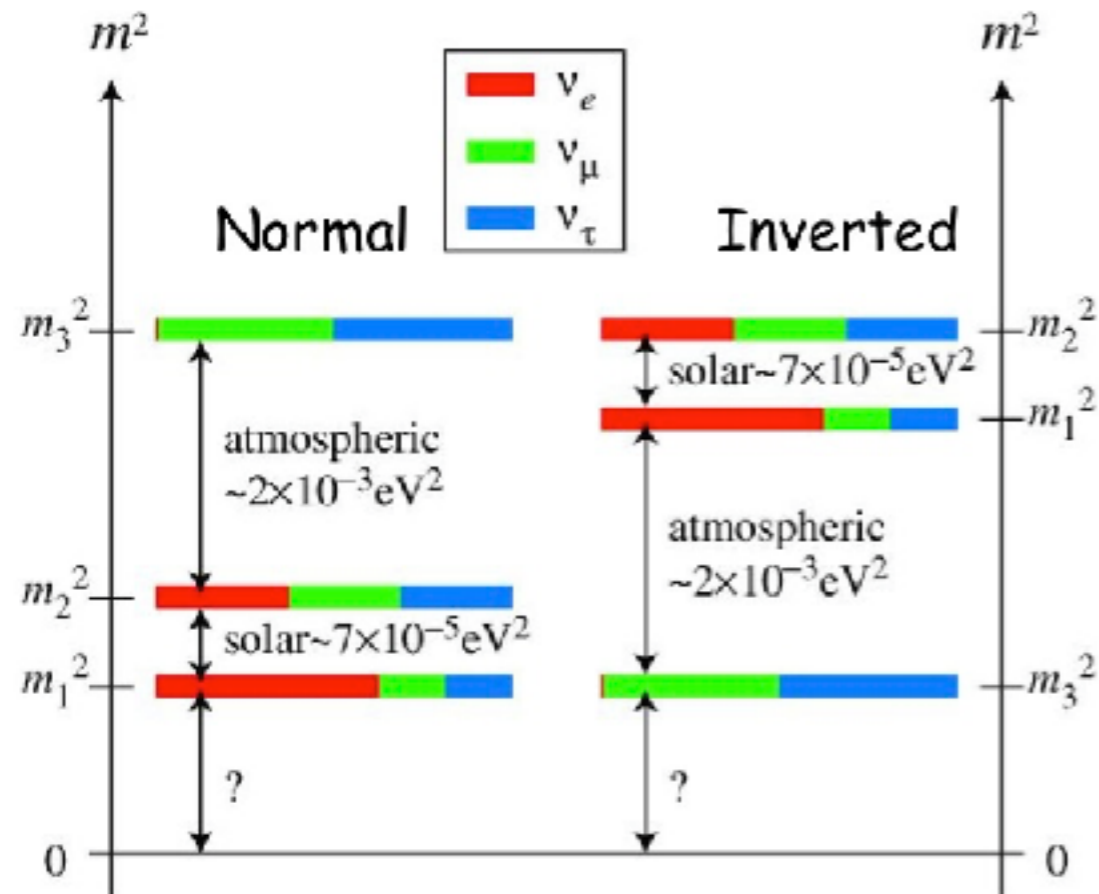
- Today $T_\nu = 1.9 \text{ K}$ and $n_\nu = 113 \text{ part/cm}^3$ per species

What we know, from the outside

How do they behave?

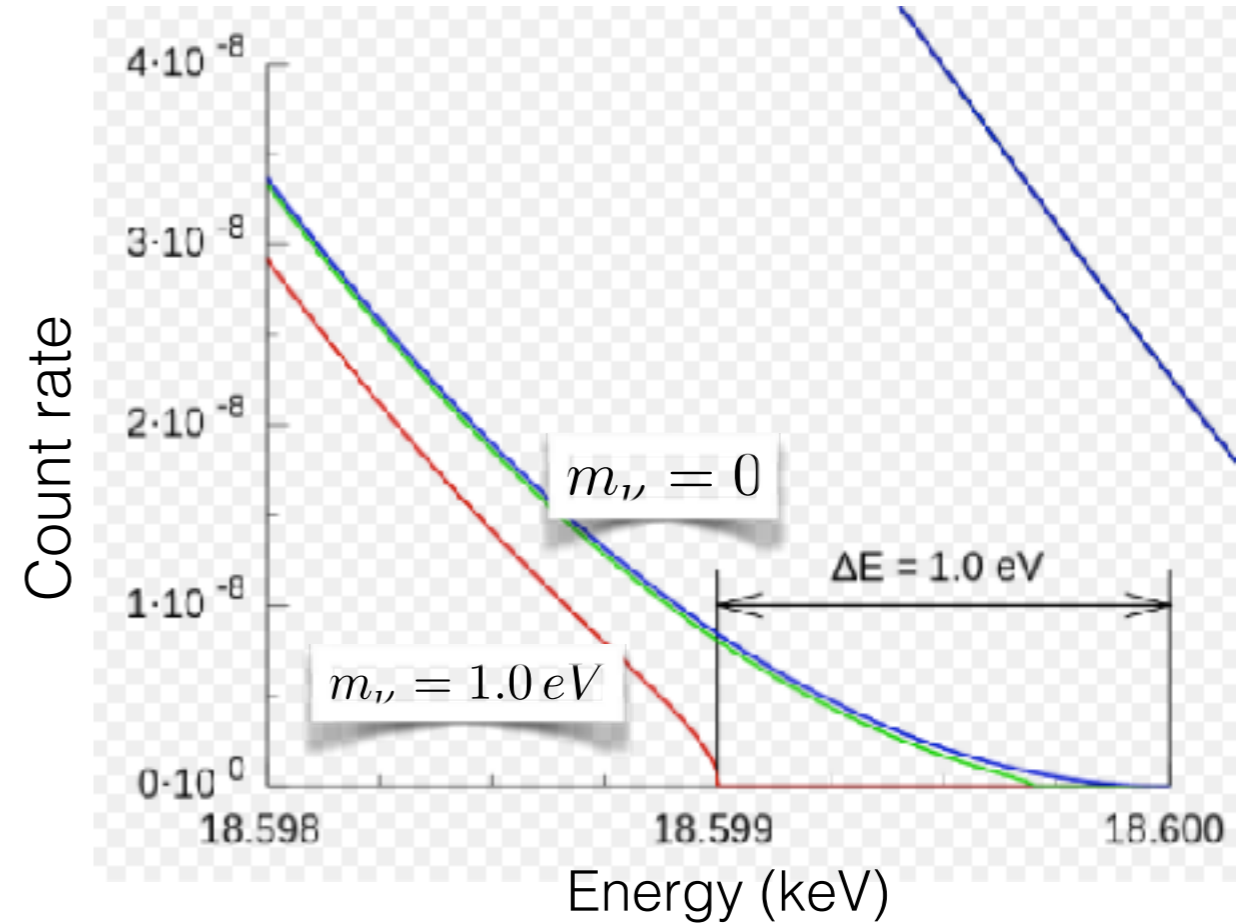
Neutrinos oscillate, so they are massive

$$0.06 \text{ eV} < \Sigma m_\nu < 6 \text{ eV}$$



Lower bound

from oscillation experiments



Upper bound

from kinematic measurements

Neutrino phenomenology

Neutrinos were relativistic in the early Universe

$$\rho_\nu = g_\nu \int p f(p) d^3p \propto g_\nu T_\nu^4$$

so they contributed to the radiation density

$$\rho_{\text{rad}} = \rho_\gamma + \rho_\nu = \left[1 + \frac{7}{8} \left(\frac{4}{11} \right)^{4/3} N_{\text{eff}} \right] \rho_\gamma$$

with $\rho_x \propto g_x T_x^4$, $T_\nu/T_\gamma = (4/11)^{1/3}$

$$N_{\text{eff}} = \frac{\rho_{\text{rad}} - \rho_\gamma}{\rho_\nu^{\text{st}}} = 3.046$$

Dolgov, 1997
Mangano+, 2005
deSalas&Pastor, 2016

N_{eff} could account for any 'extra' radiation component

Neutrino phenomenology

Neutrinos are non-relativistic today

$$\rho_\nu = m_\nu n_\nu = m_\nu g_\nu \int f(p) d^3p \propto m_\nu g_\nu T_\nu^3$$

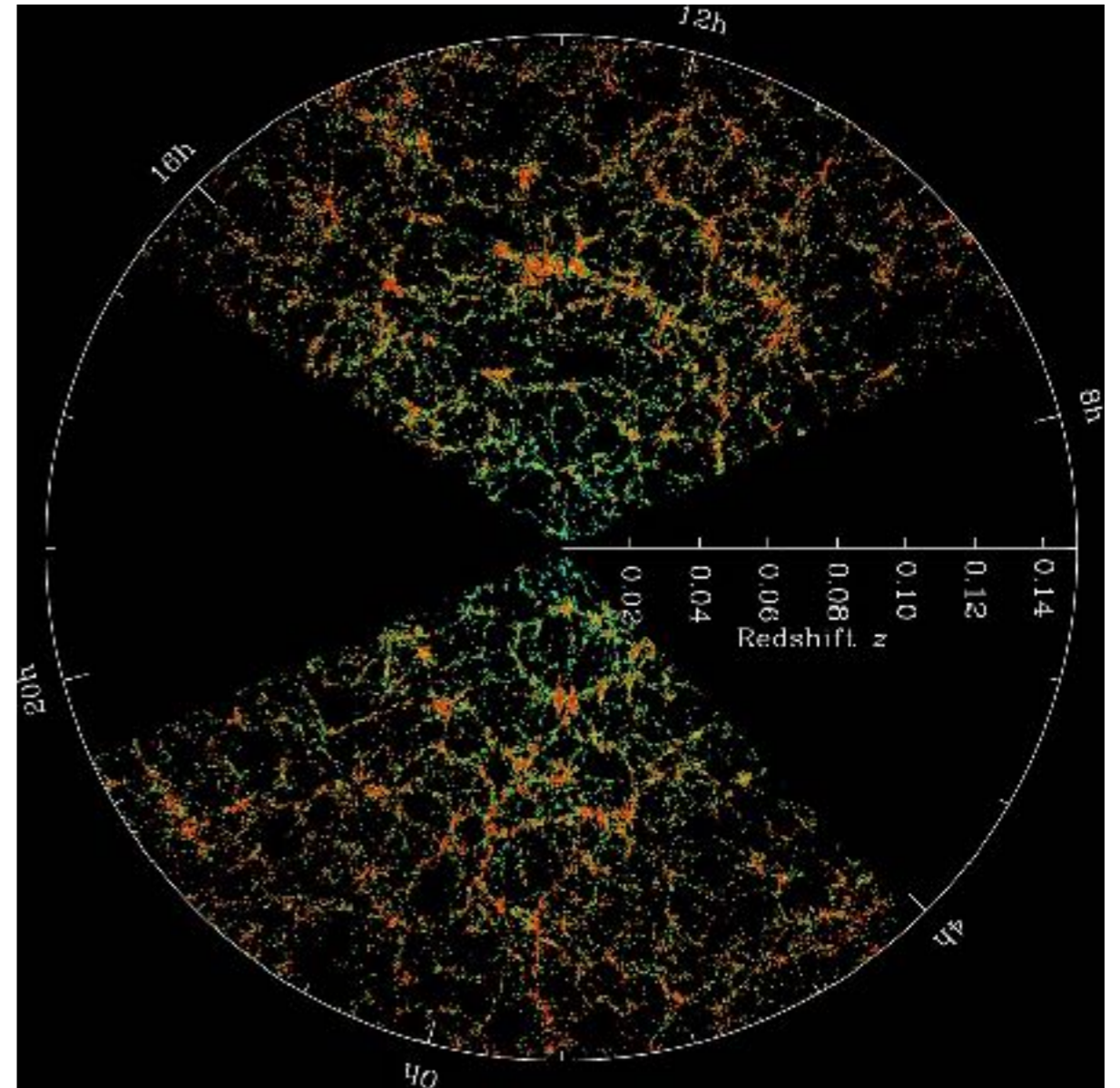
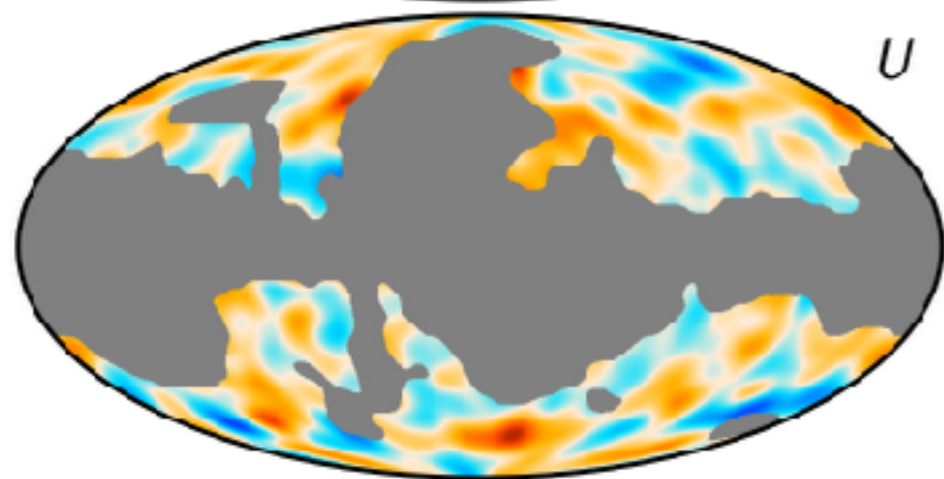
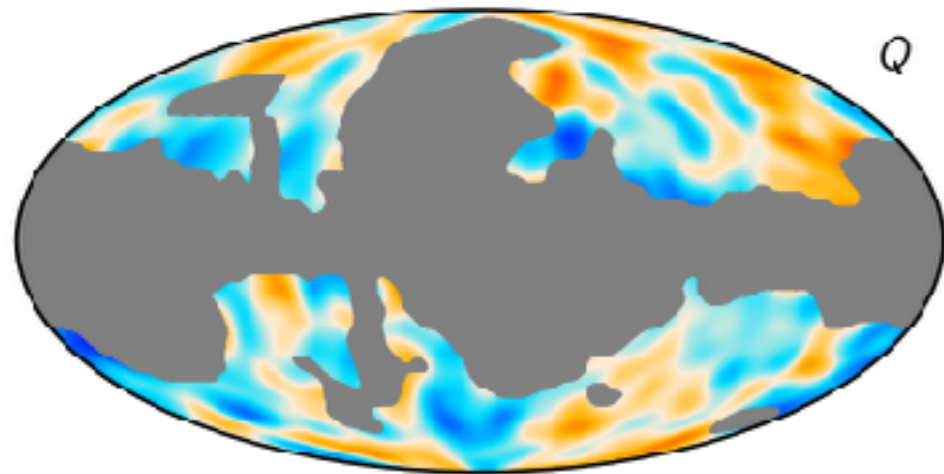
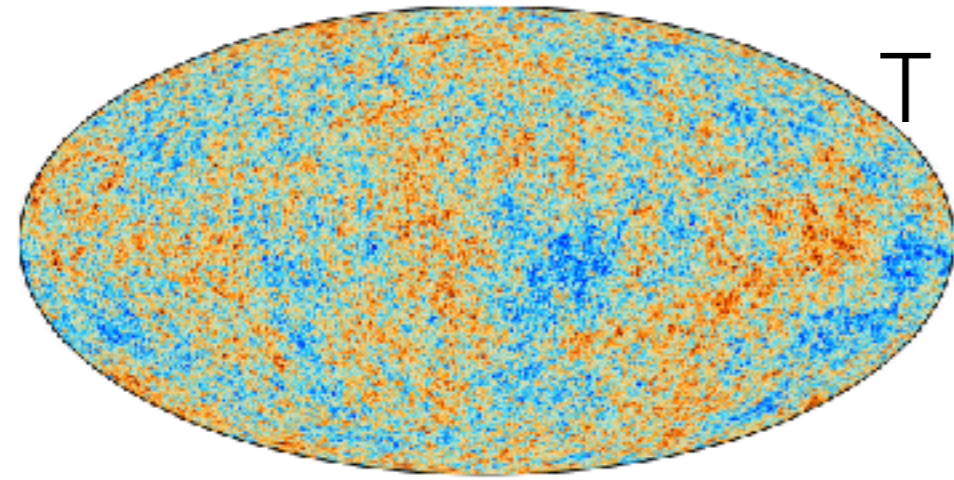
so they contribute to the matter content

$$\Omega_\nu = \sum_\nu \frac{\rho_\nu}{\rho_c} = \frac{\sum_\nu m_\nu}{93.14 h^2 \text{ eV}} \quad \rho_c = \frac{3H^2}{8\pi G}$$

What we want to know from cosmology is (at least)

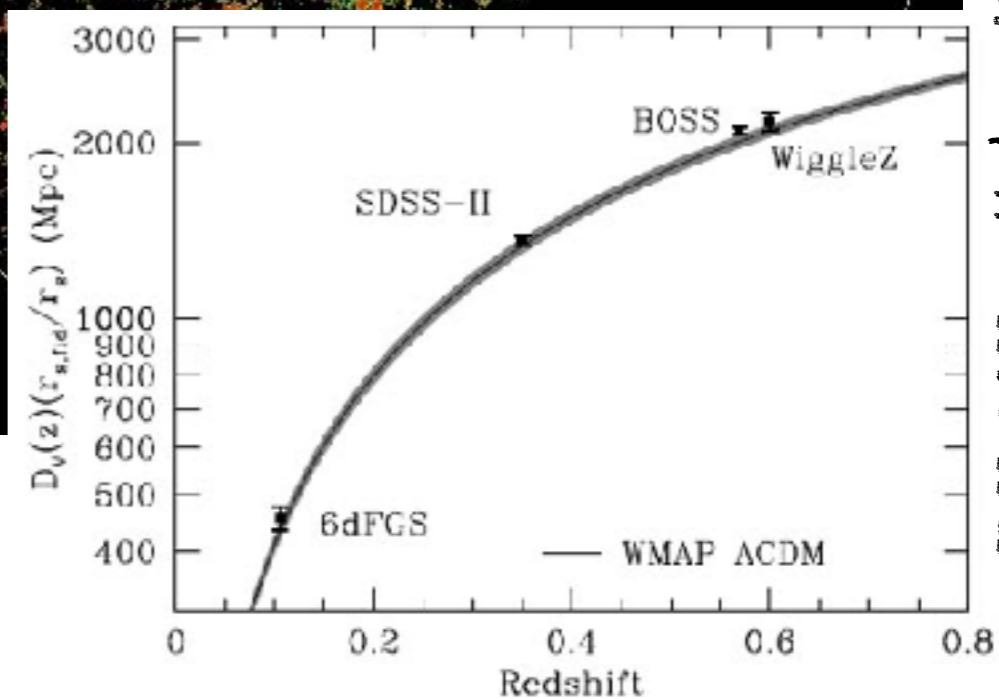
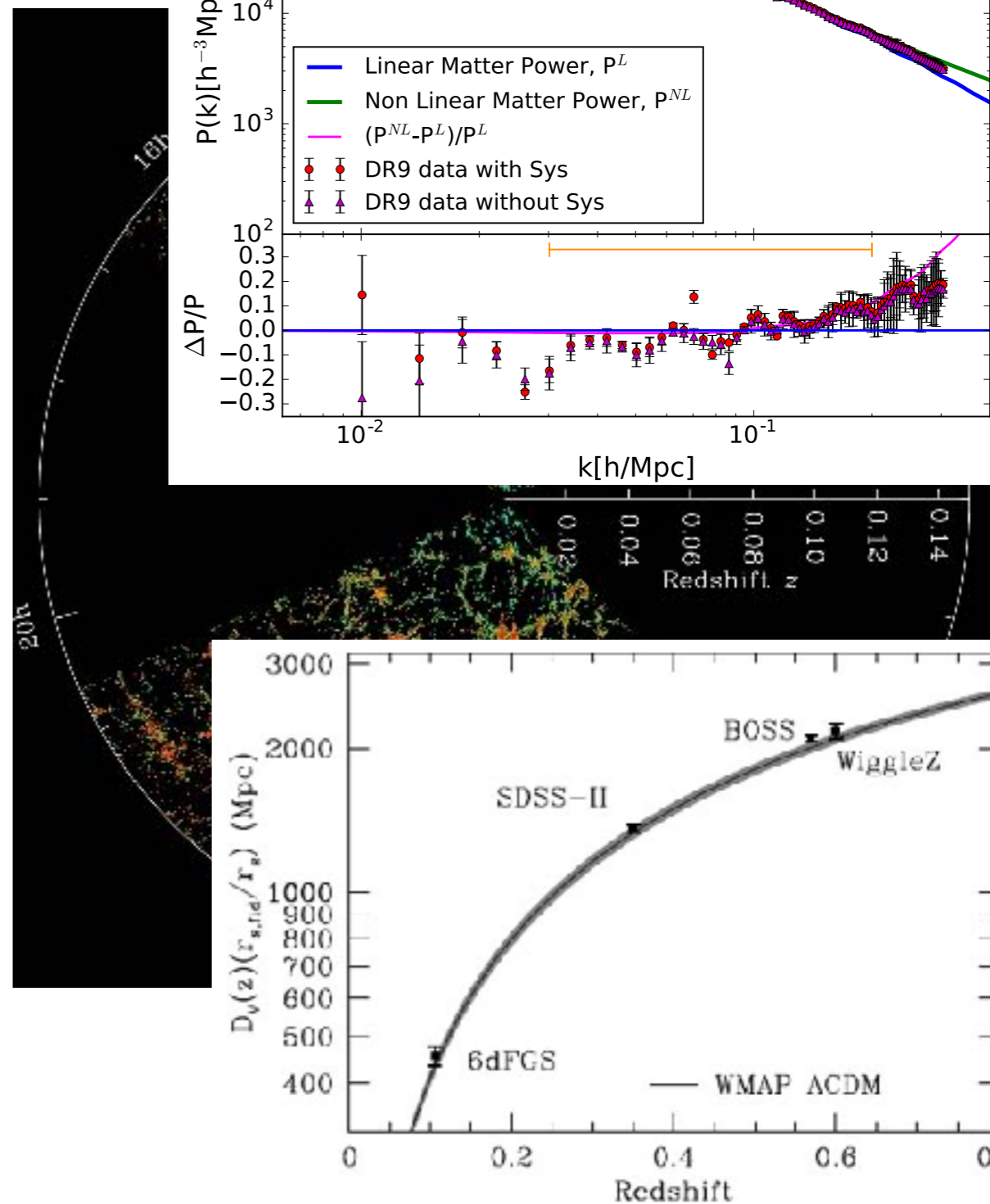
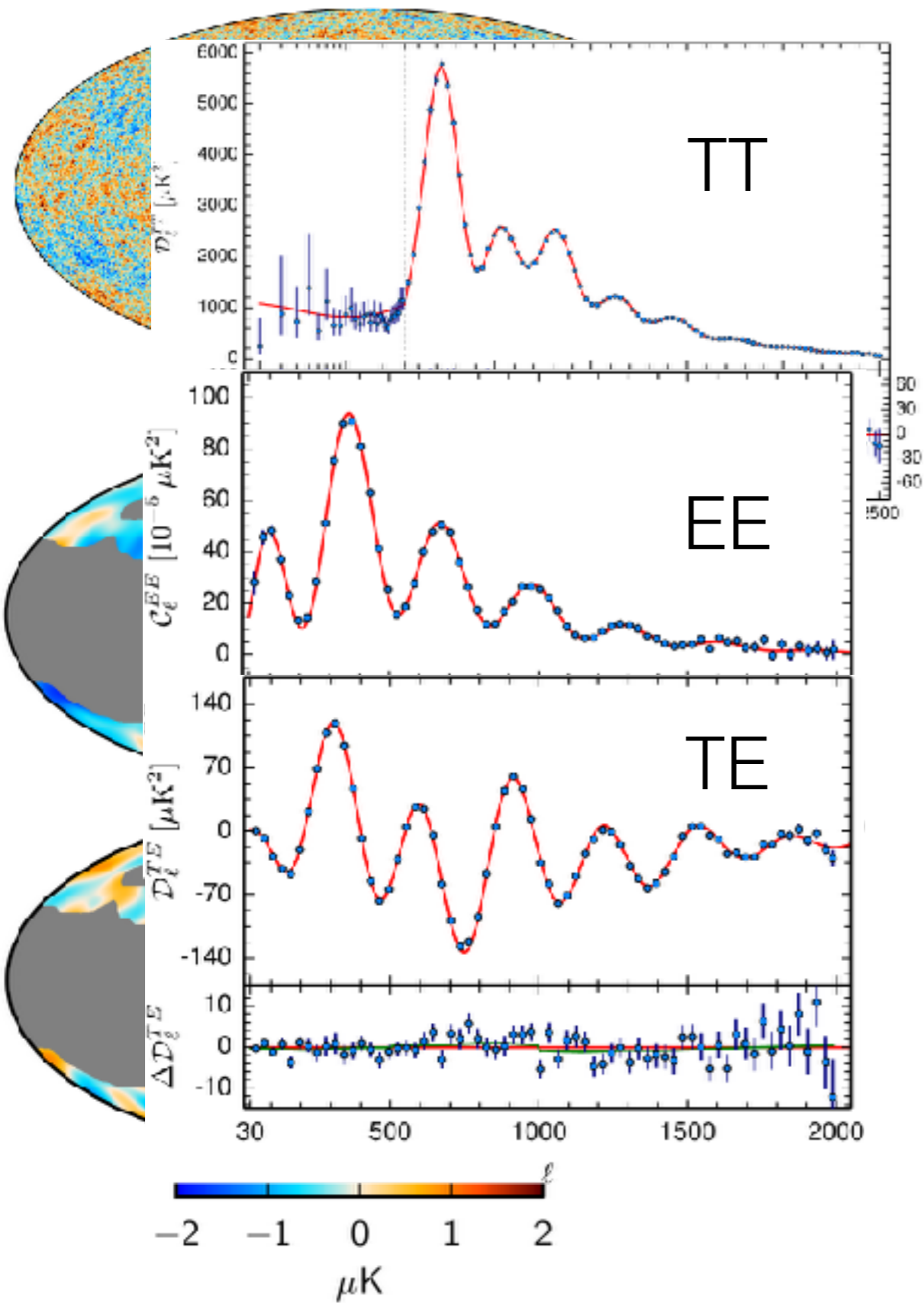
- how many (constraints on N_{eff})
- how much (constraints on M_{nu})

What we observe

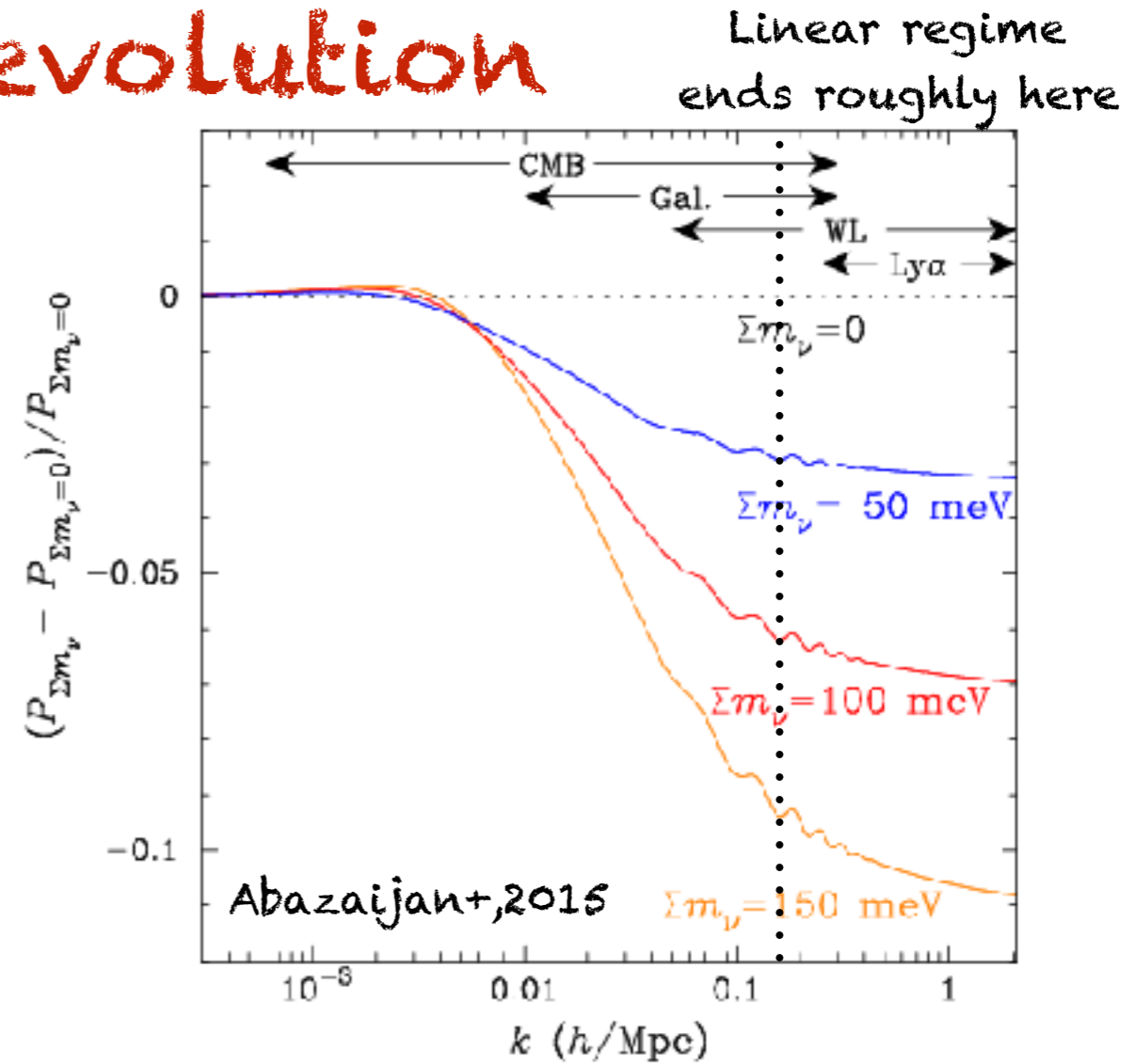
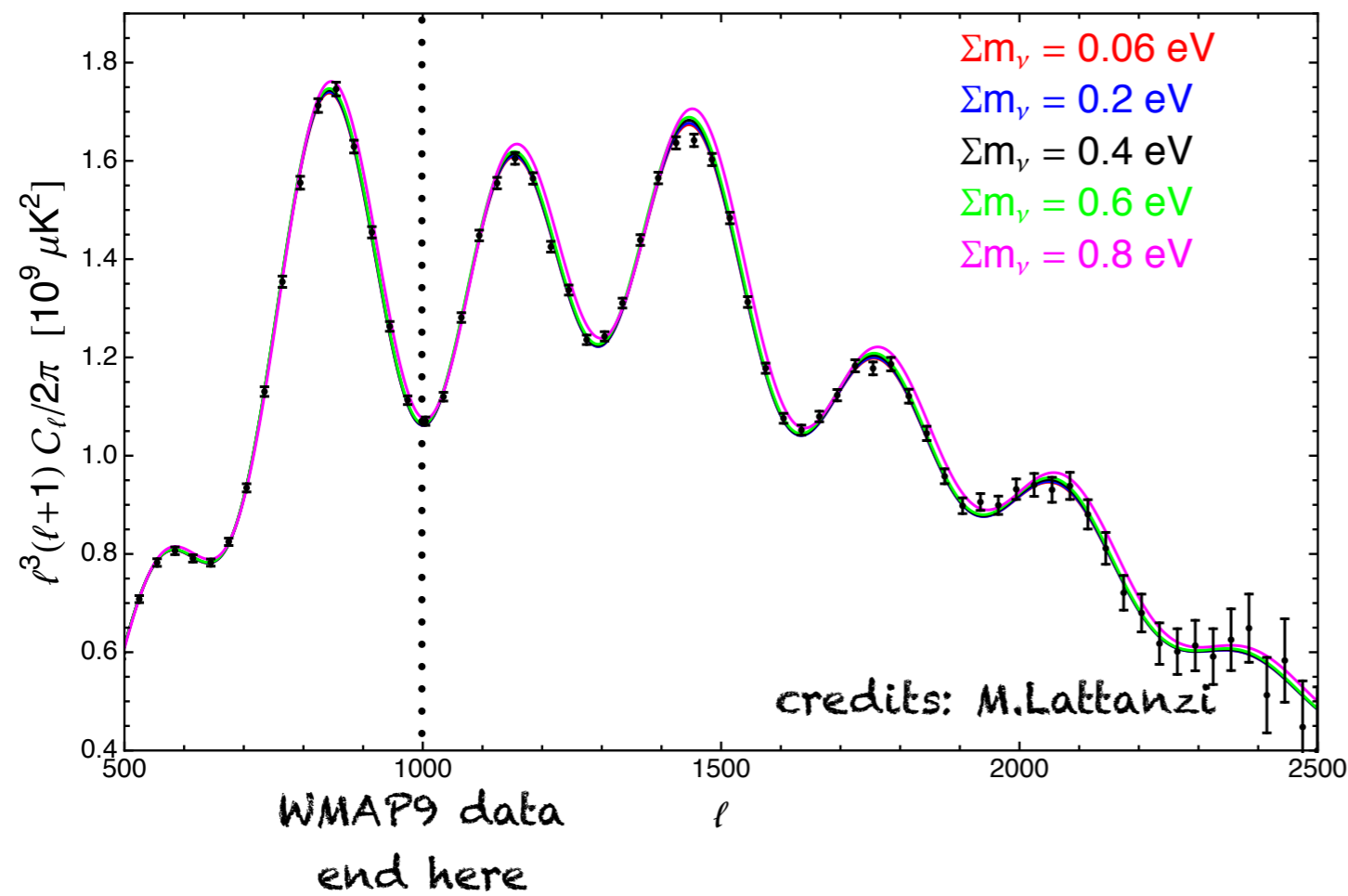


What we compute

Planck collaboration

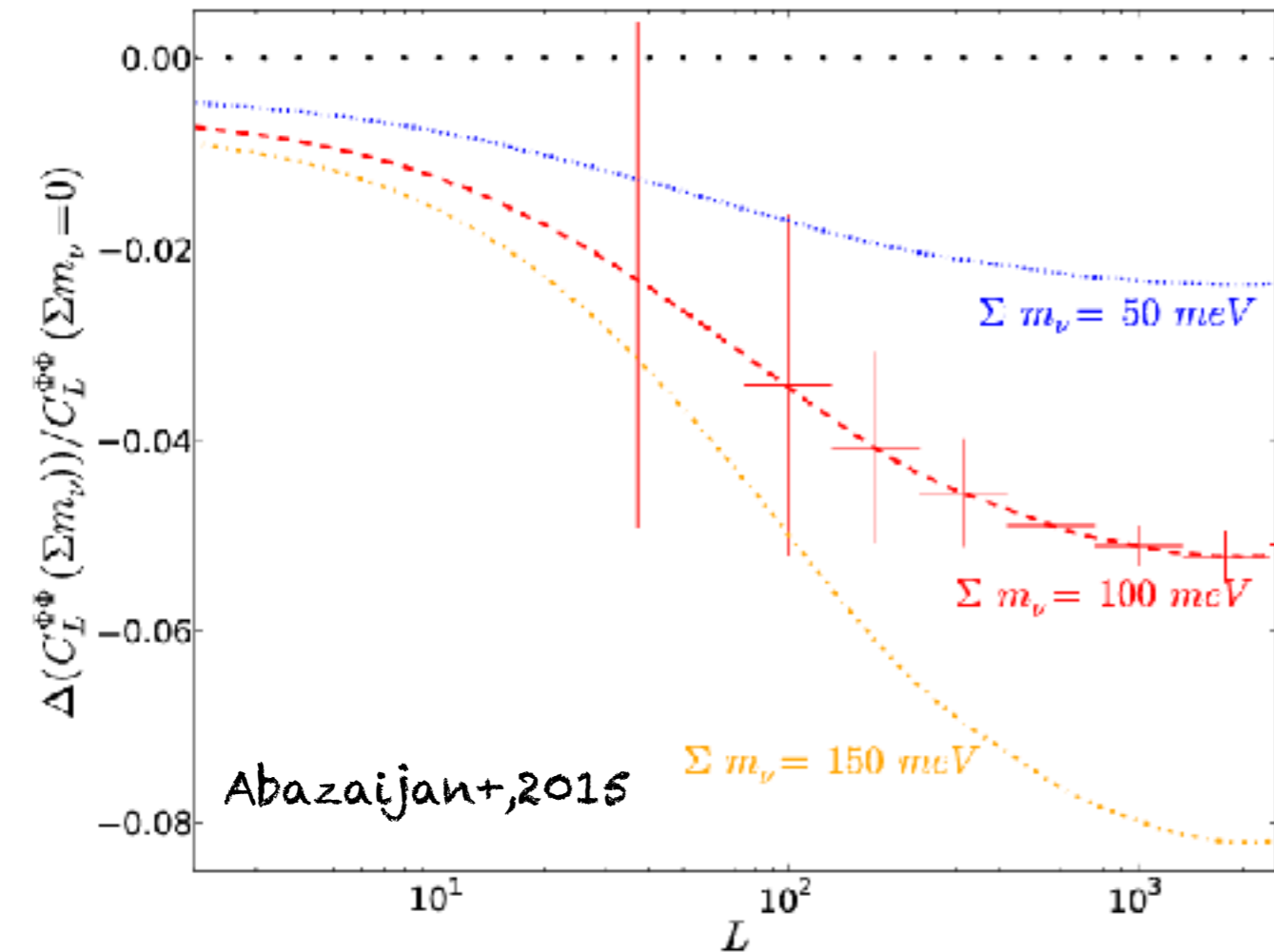


Massive neutrinos alter background and perturbation evolution



- Background: matter-radiation equality shifted, angular diameter distance modified
- Perturbations: early ISW at intermediate scales and power suppression at small scales

Massive neutrinos alter background and perturbations



Gravitational Lensing potential (also lensed BB) will be crucial in the future

In addition, complement CMB and LSS with other late-time observables: local Hubble, deionisation optical depth, cluster science, ...

Joint constraints on M_{ν} - present

Planck TT+LowP+BAO:

$M_{\nu} < 0.2 \text{ eV}$

Planck TT+LowP+PK:

$M_{\nu} < 0.3 \text{ eV}$

Planck TT+LowP+BAO+PK:

$M_{\nu} < 0.25 \text{ eV}$

95% CL

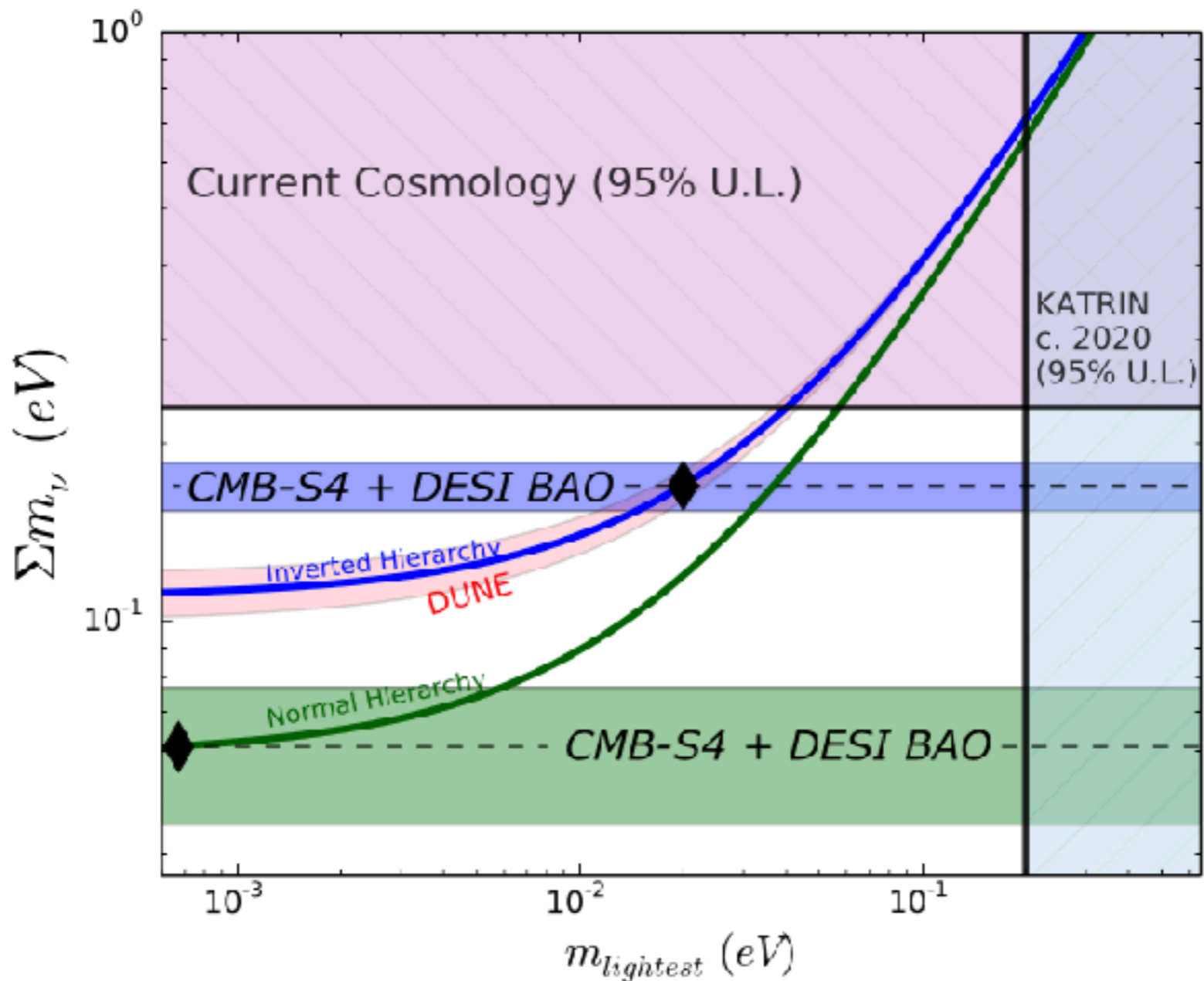
~30% improvement with a better measurement of the optical depth and/or use of CMB small scale polarisation:

wait for Planck legacy release!

Take home message: tight and robust bounds

Vagnozzi, Giusarma, Mena, Freese, MG, Ho, Lattanzi 2017

Joint constraints on M_{ν} - future



CMB-S4 Science Book

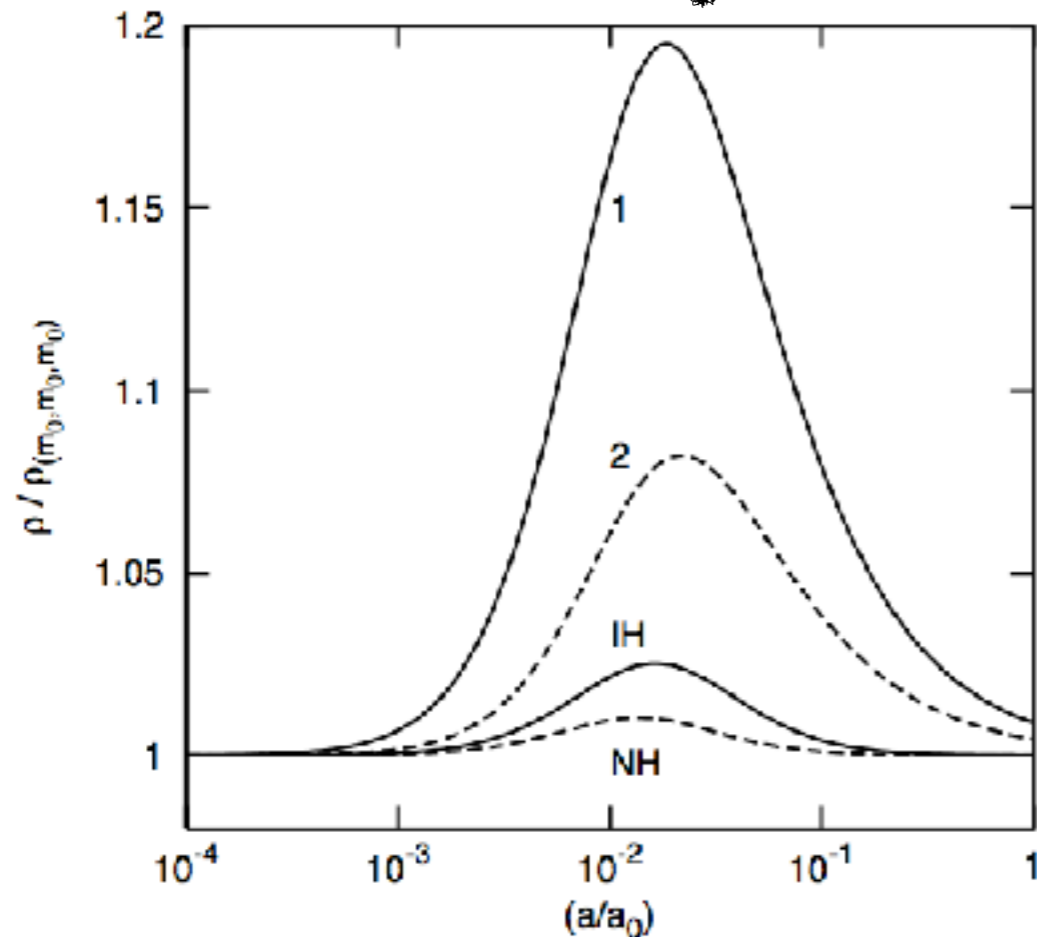
~3sigma detection

in the minimal mass scenario with S4 surveys

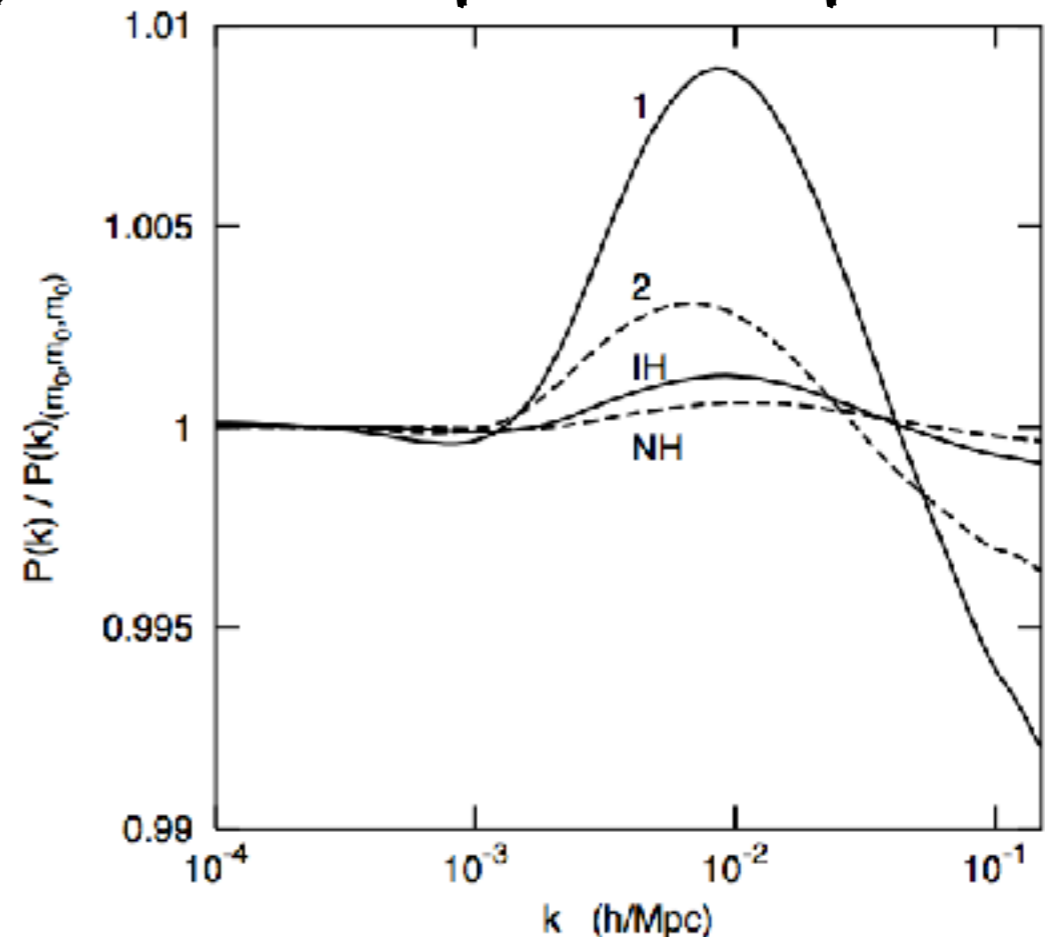
Sensitivity to the hierarchy

Physical effects due to different distribution of the sum of the masses for the 2 hierarchies

Total nu energy density



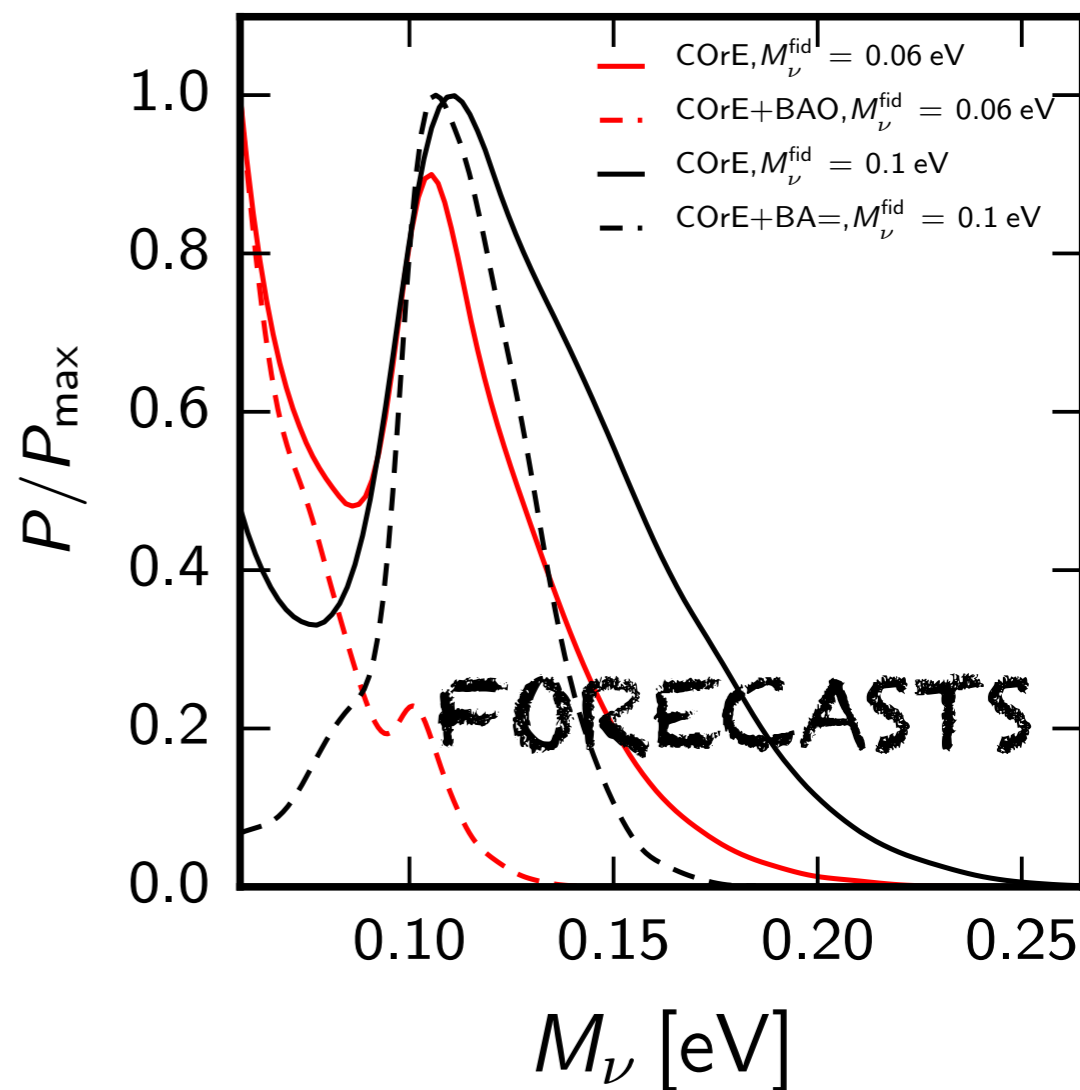
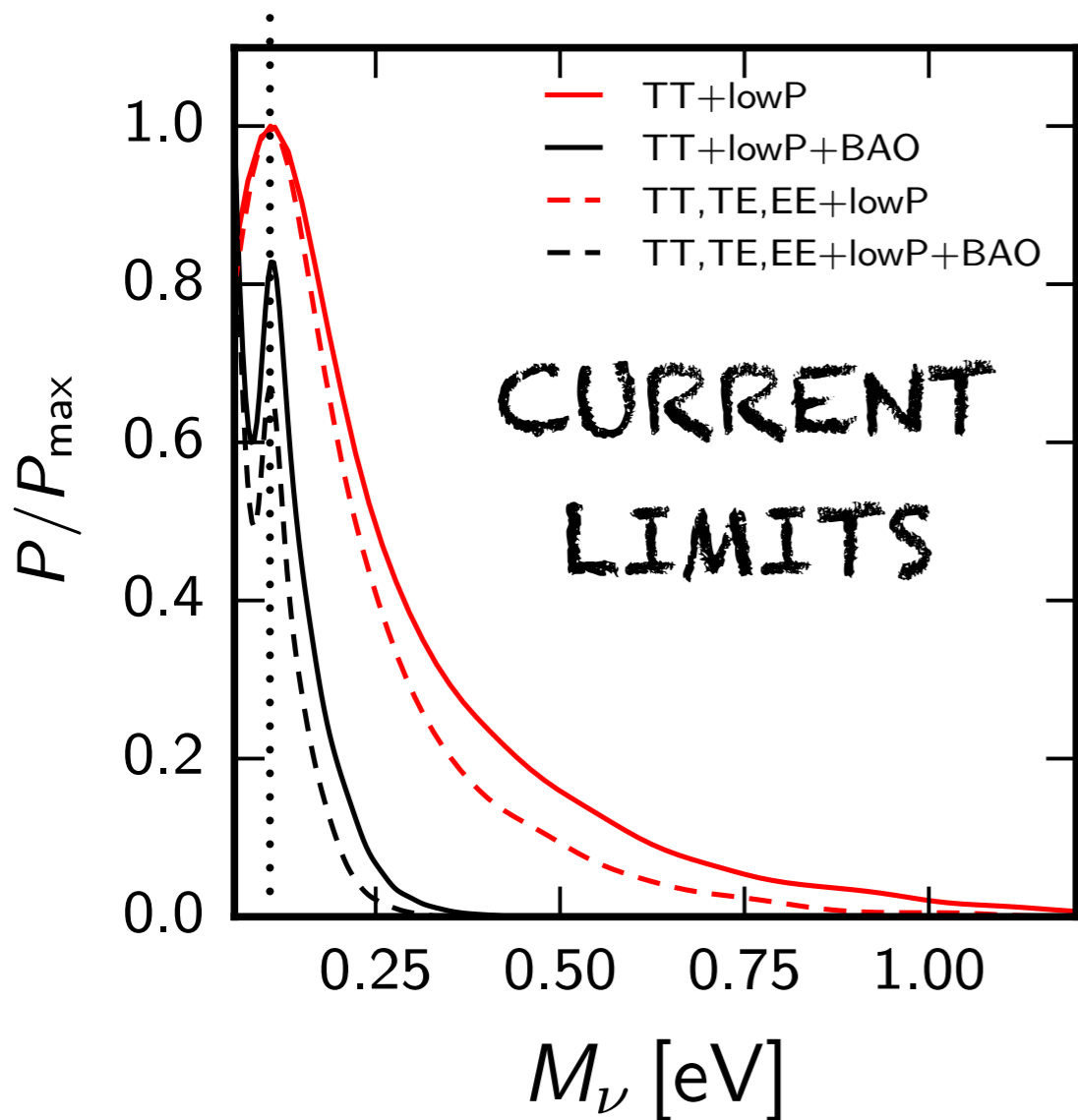
Matter power spectrum



Lesgourgues & Pastor, 2006

Are current (and future) data sensitive to these effects? How much?

Sensitivity to the hierarchy



Gerbino, Lattanzi, Mena, Freese 2016

$$\mathcal{P}(h = NH) : \mathcal{P}(h = IH)$$

..... 3:2

$$\mathcal{P}(h = NH) : \mathcal{P}(h = IH)$$

..... 0.06 eV mass \rightarrow 9:1

..... 0.1 eV mass \rightarrow 1:1

See also Hannestad & Schwetz, 2016

CONCLUSIONS

Determine CMB properties from its peculiar effects on cosmological observables

Strong (and nowadays robust) constraints from cosmology

Sensitivity to the hierarchy in the very low-mass regime only (volume effects)

BACKUP SLIDES

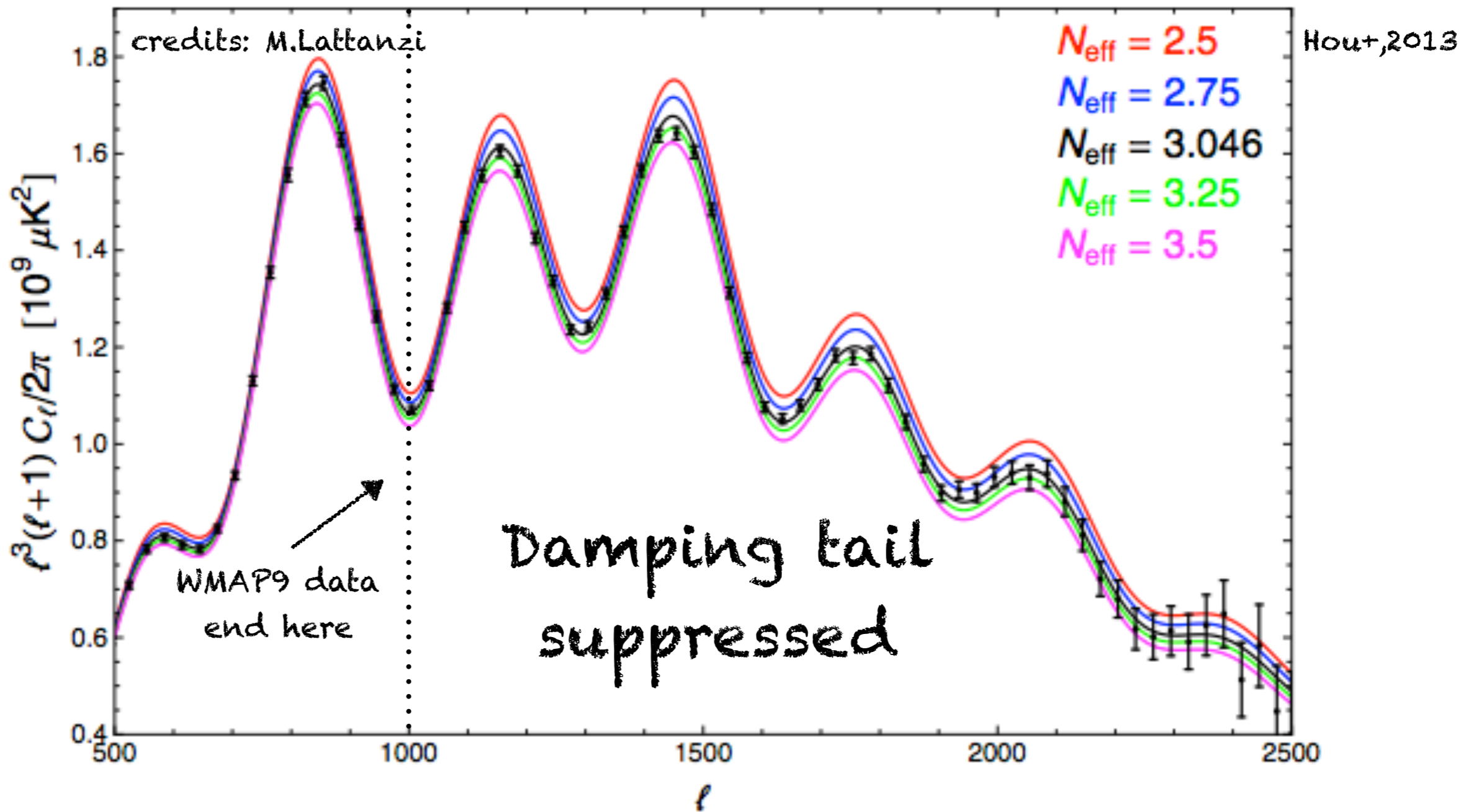
N_{eff} modifies the expansion rate

$$H^2 = H_0^2 \left(\frac{\Omega_{\text{rad}}}{a^4} + \frac{\Omega_m}{a^3} + \Omega_\Lambda \right)$$

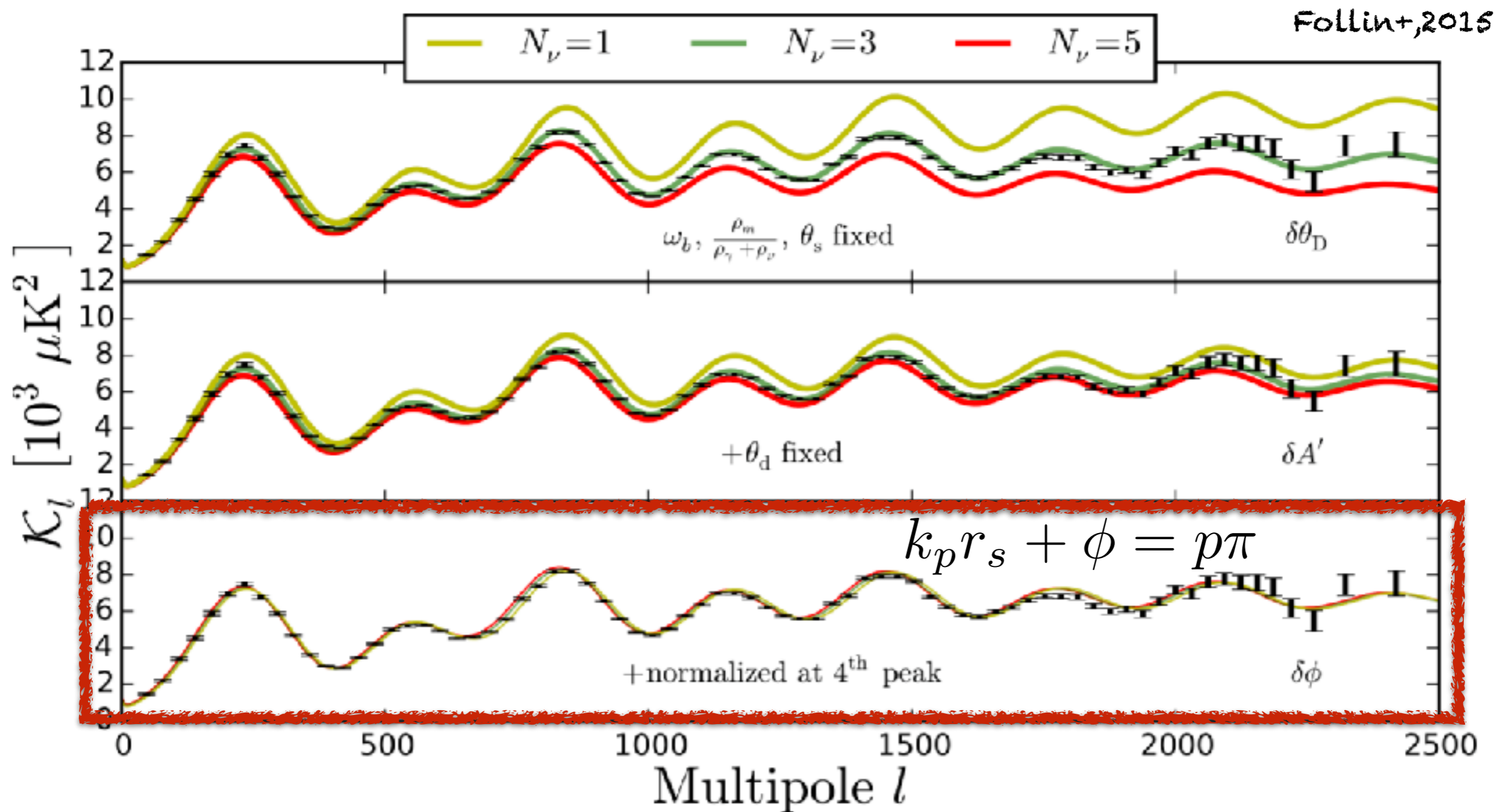
$$r_d^2 \propto 1/H \text{ (random walk)}$$

$$D_A \propto 1/H$$

$$\theta_d = r_d/D_A \propto H^{1/2}$$

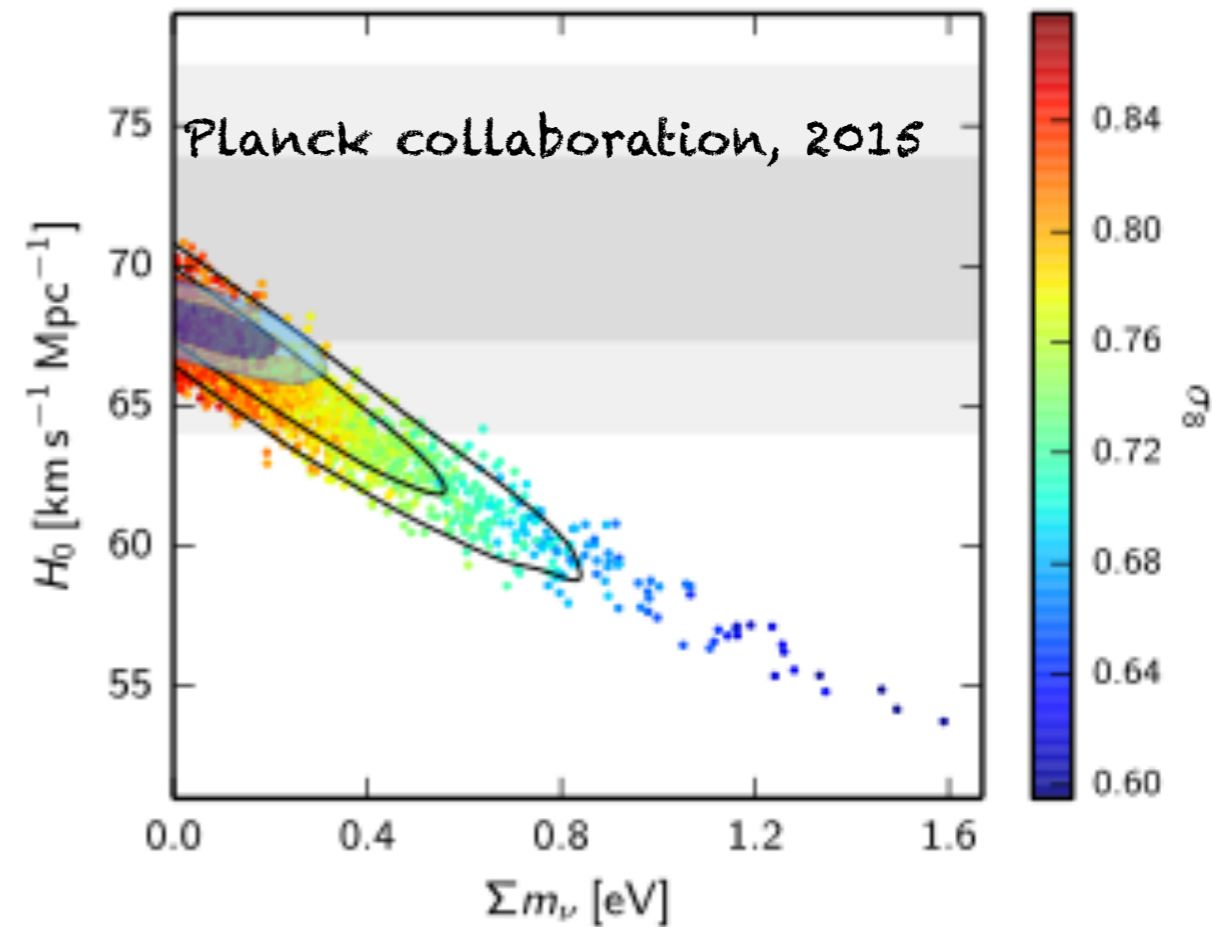
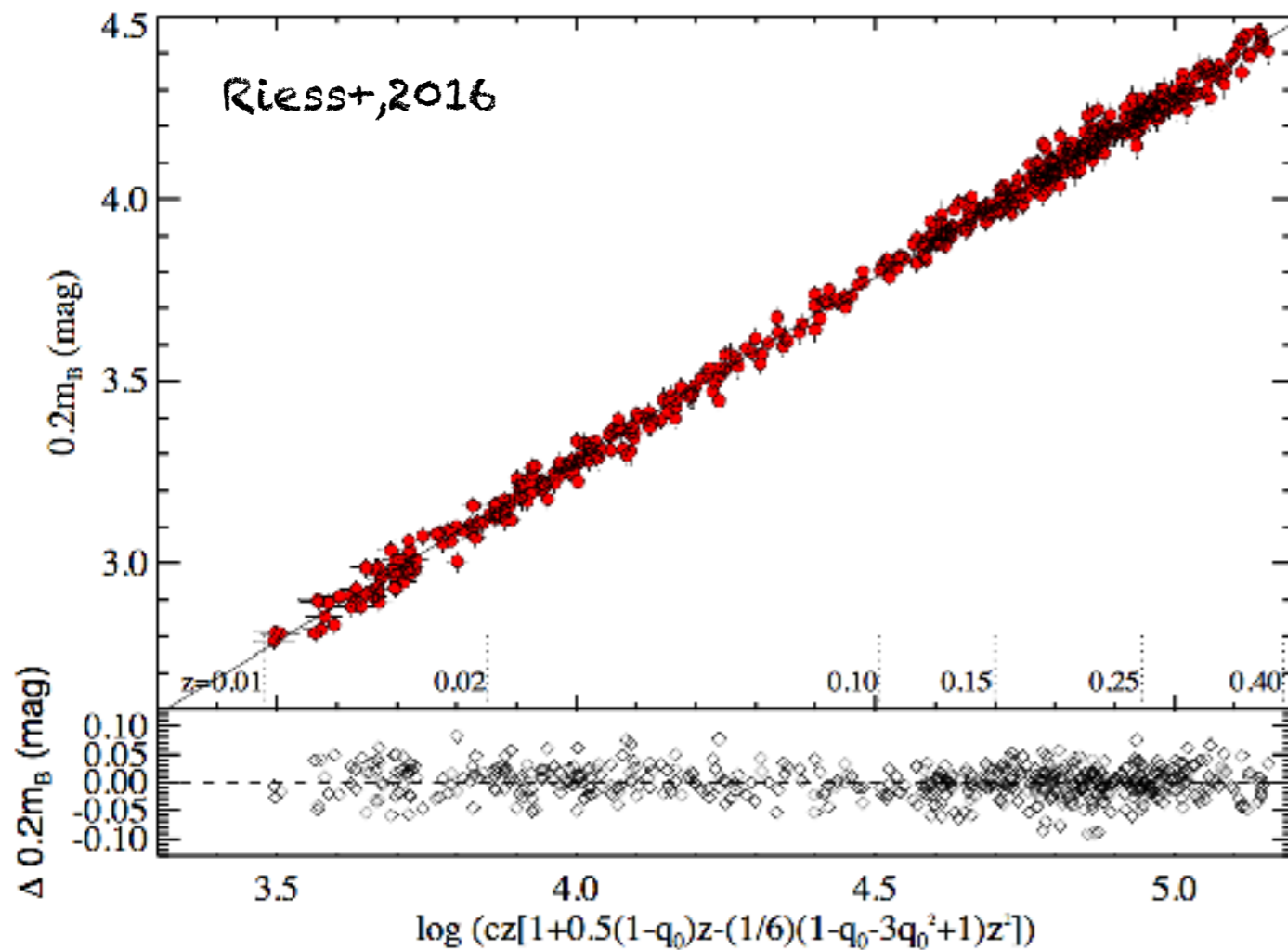


N_{eff} modifies the expansion rate



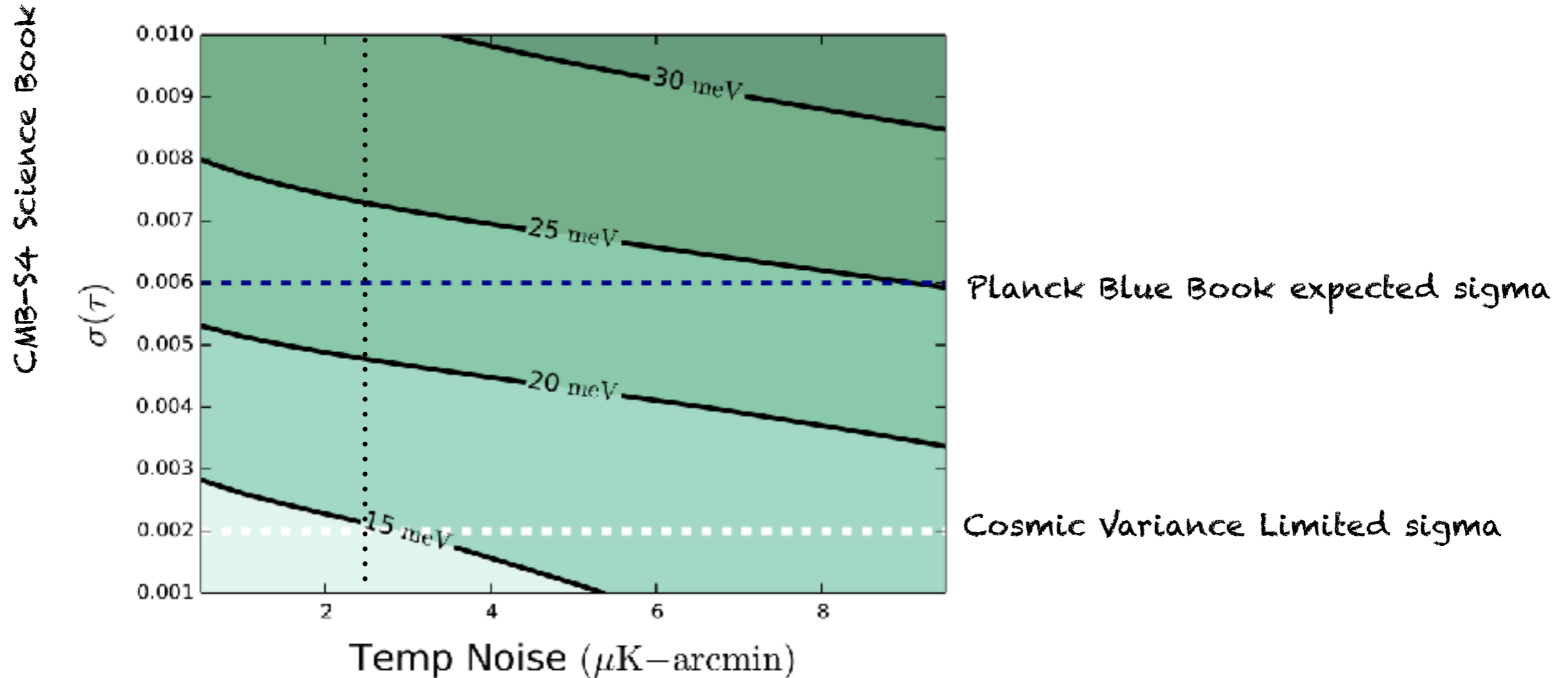
Phase shift driven by alteration of gravitational potentials due to neutrino free streaming

The Hubble constant



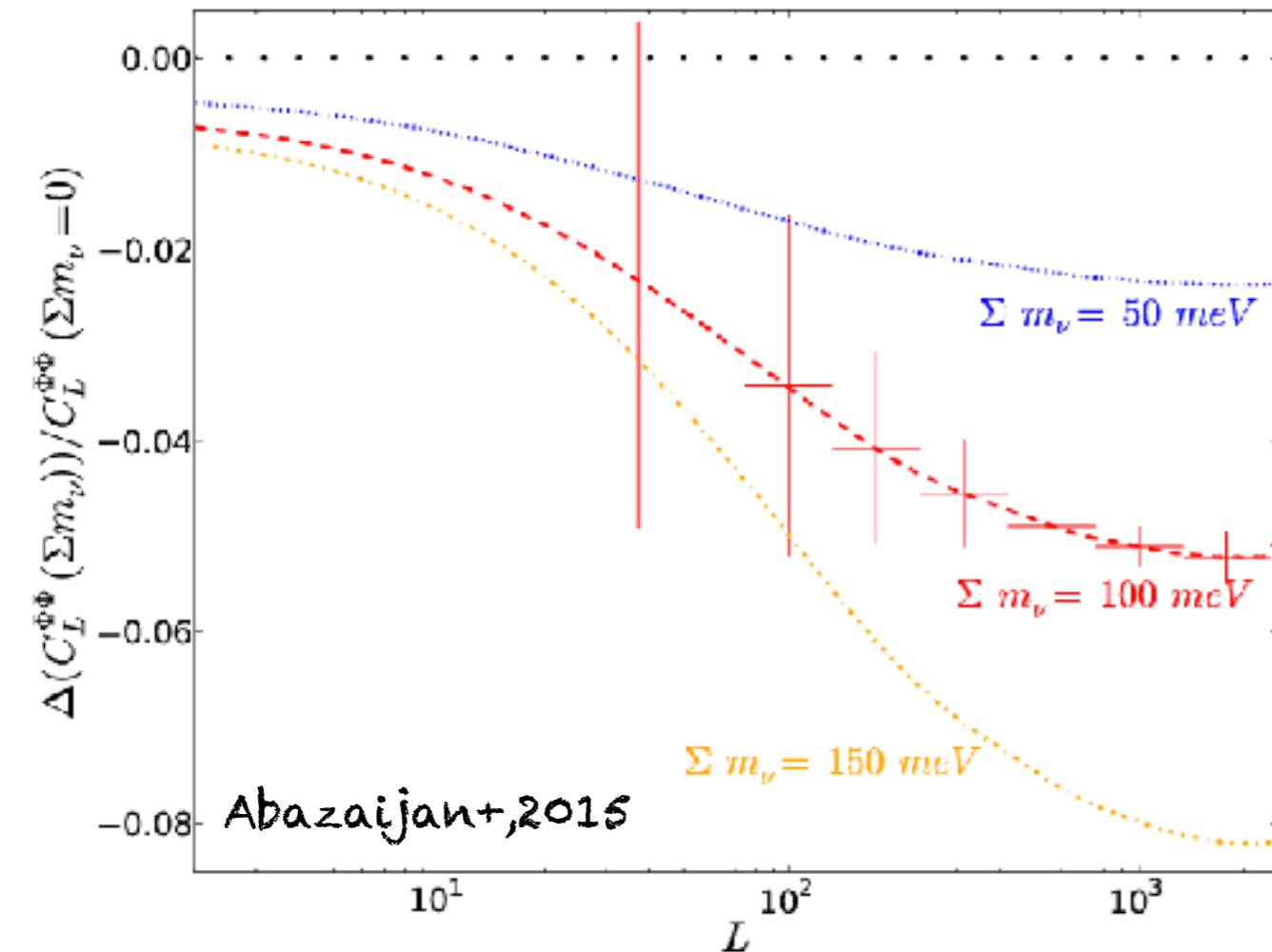
Compensate a change in the distance
to the last scattering surface
by modifying the Hubble constant

The reionisation optical depth

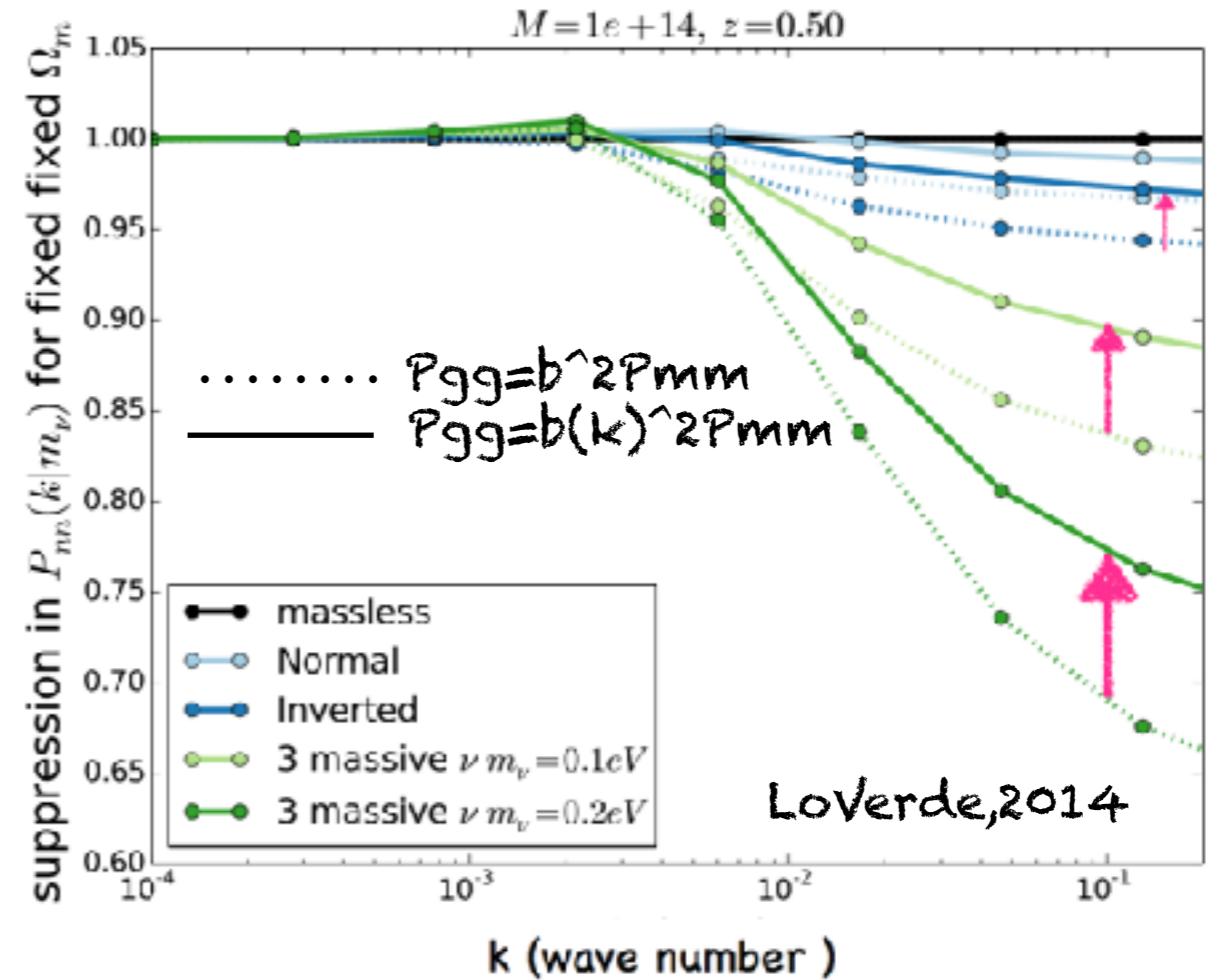


- Better determination of tau benefits parameter estimation in general
- Degeneracy between the optical depth and neutrino mass

Massive neutrinos alter perturbation evolution



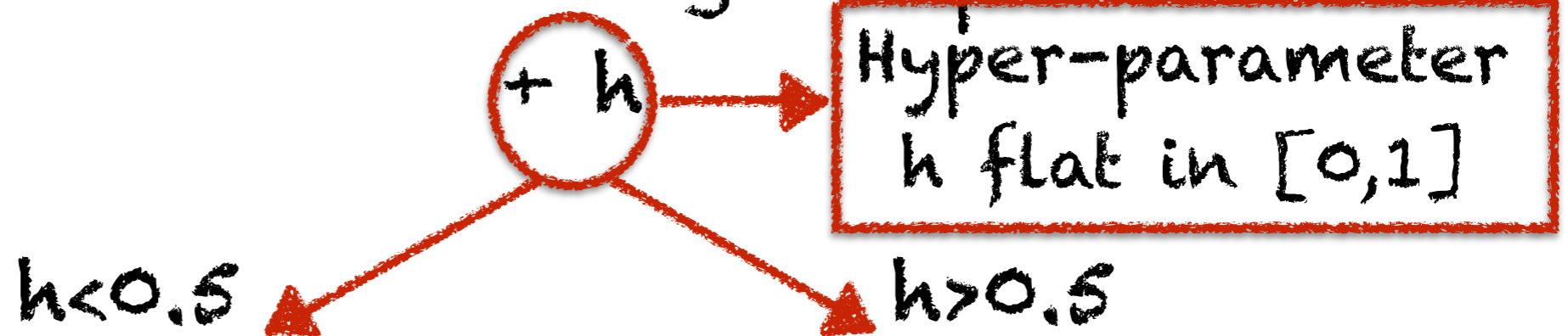
Gravitational
Lensing potential
(also lensed BB)



Scale-dependent bias
in matter
power spectrum
see also Costanzi+, 2014

The proposed method

M_{ν} + other cosmological parameters



NORMAL HIERARCHY

$$m_{\nu,1} = m_{\text{light}}$$

$$m_{\nu,2} = \sqrt{m_1^2 + \Delta m_{12}^2}$$

$$m_{\nu,3} = \sqrt{m_1^2 + \Delta m_{13}^2}$$

INVERTED HIERARCHY

$$m_{\nu,3} = m_{\text{light}}$$

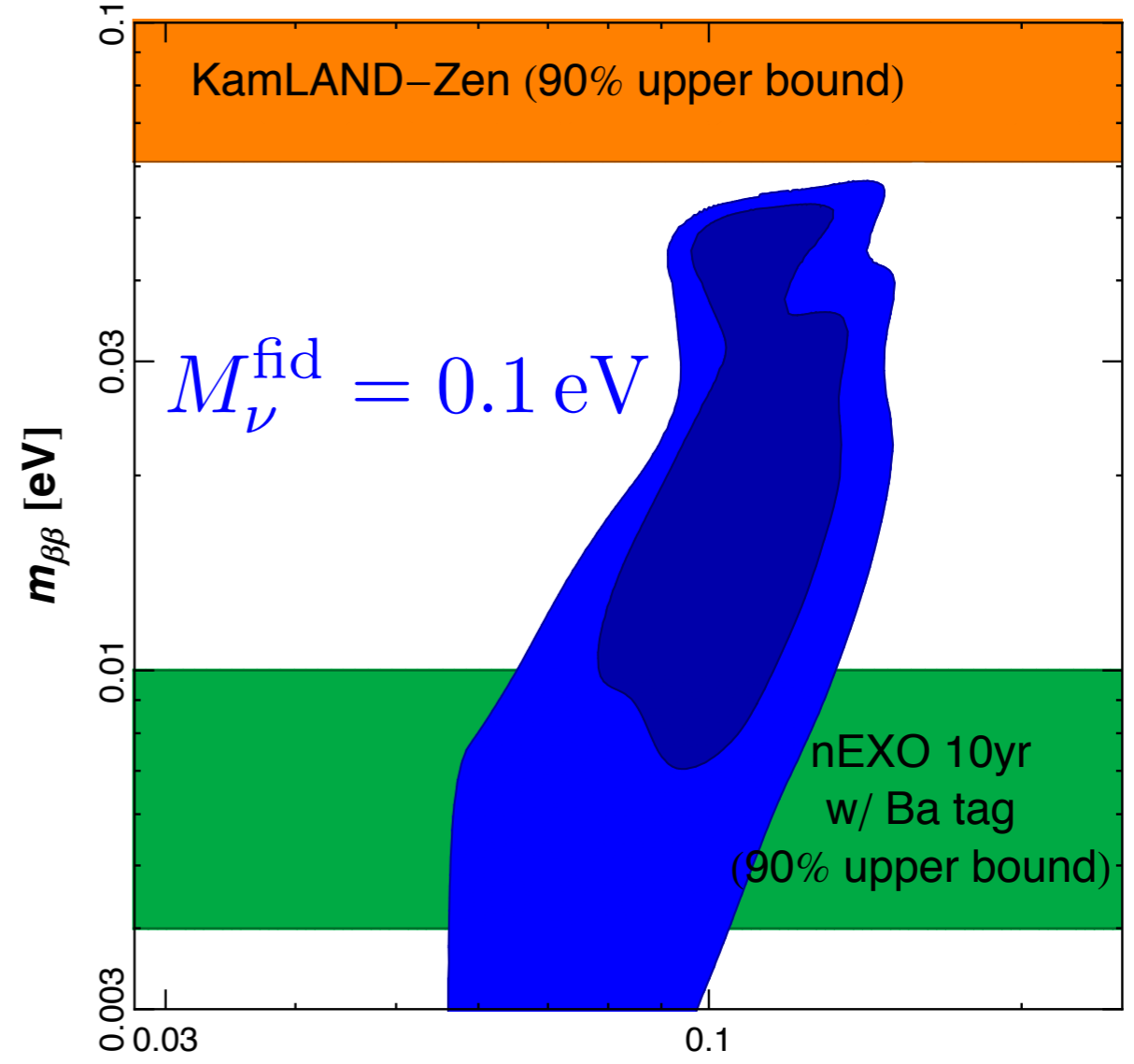
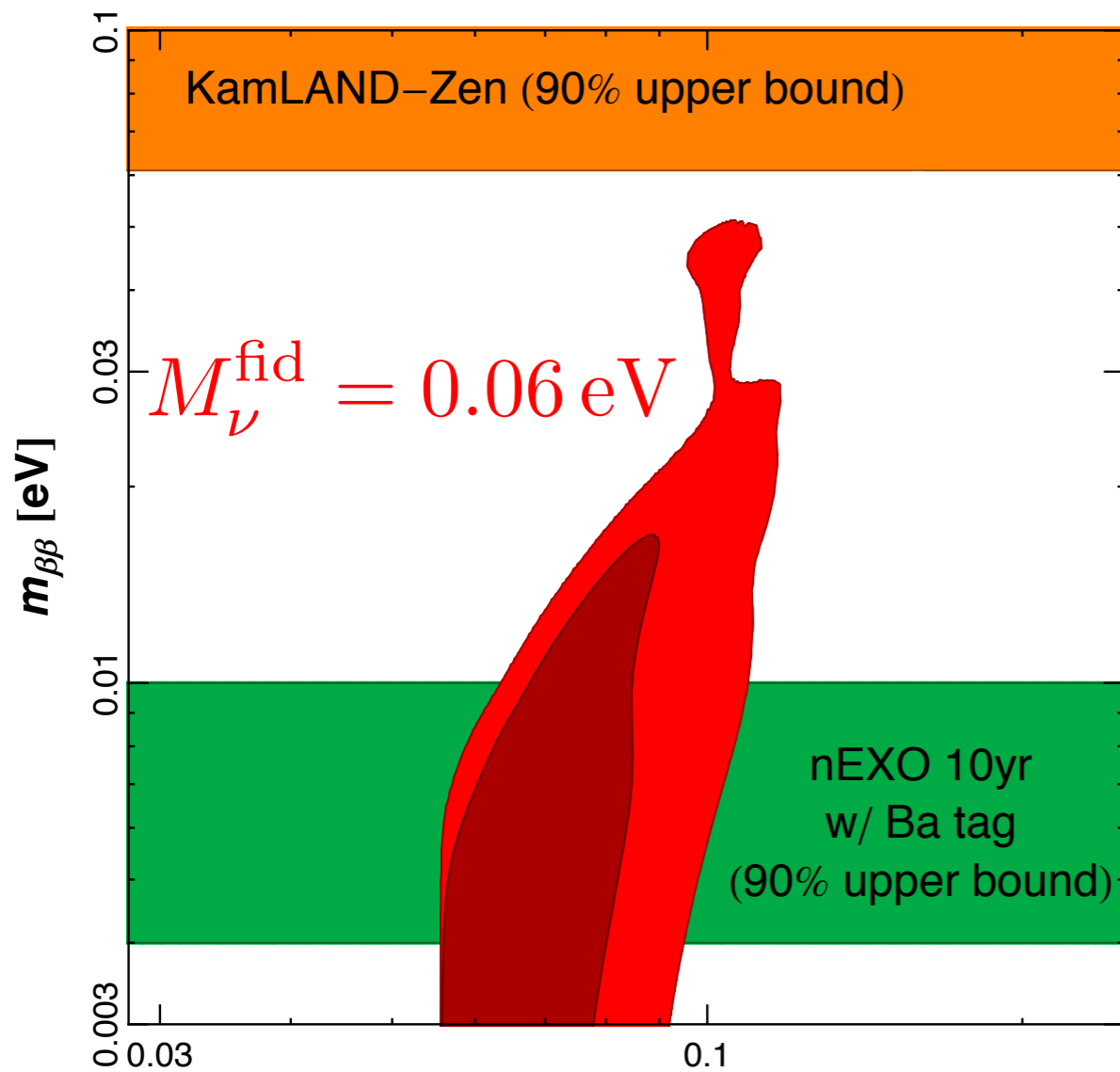
$$m_{\nu,1} = \sqrt{m_3^2 + \Delta m_{13}^2}$$

$$m_{\nu,2} = \sqrt{m_1^2 + \Delta m_{12}^2}$$

Advantages:

- neutrinos modelled with exact mass spectrum
- information from oscillations taken into account
- quantifies sensitivity to the hierarchy
- takes into account uncertainties related to the hierarchy

Sensitivity to the hierarchy

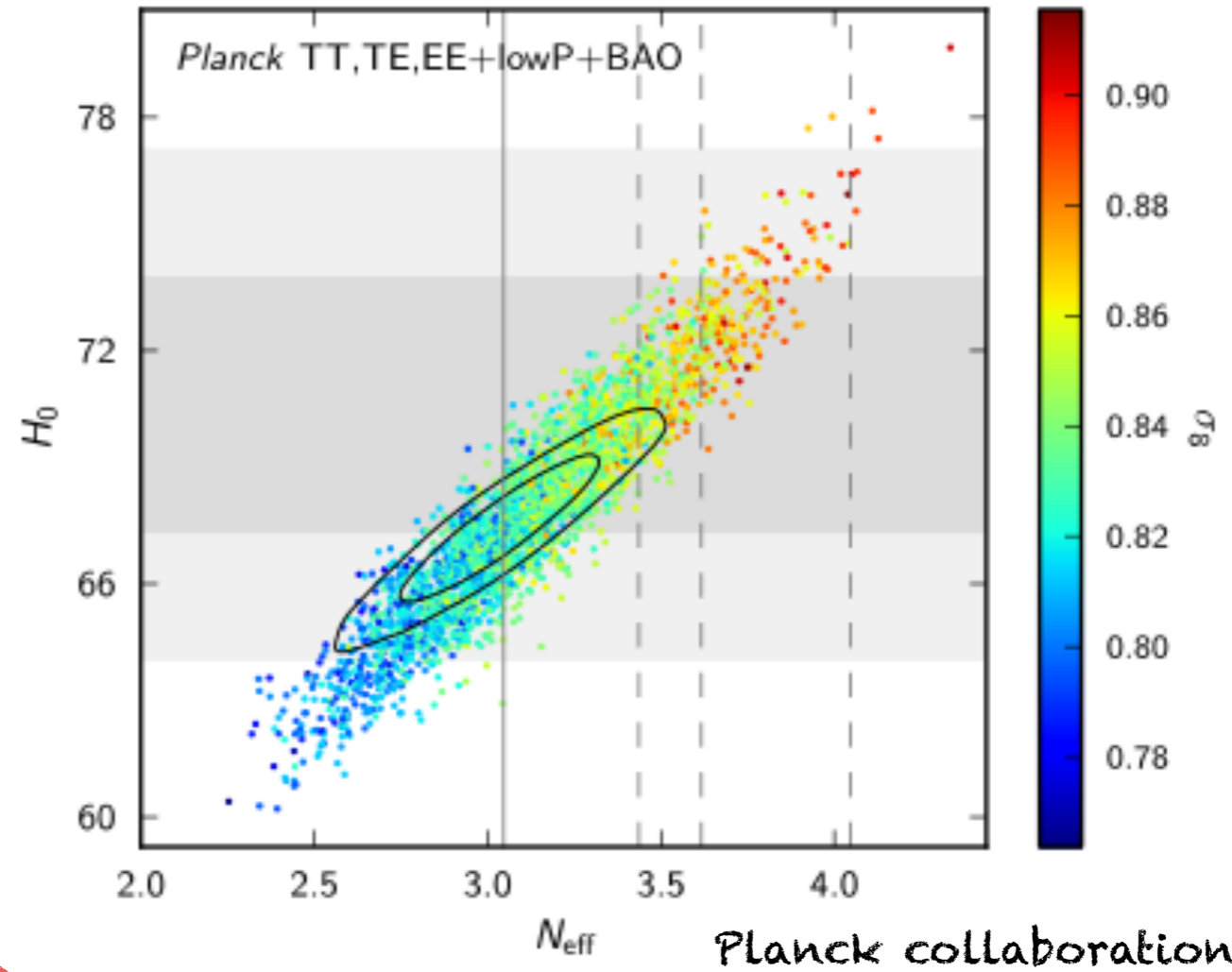
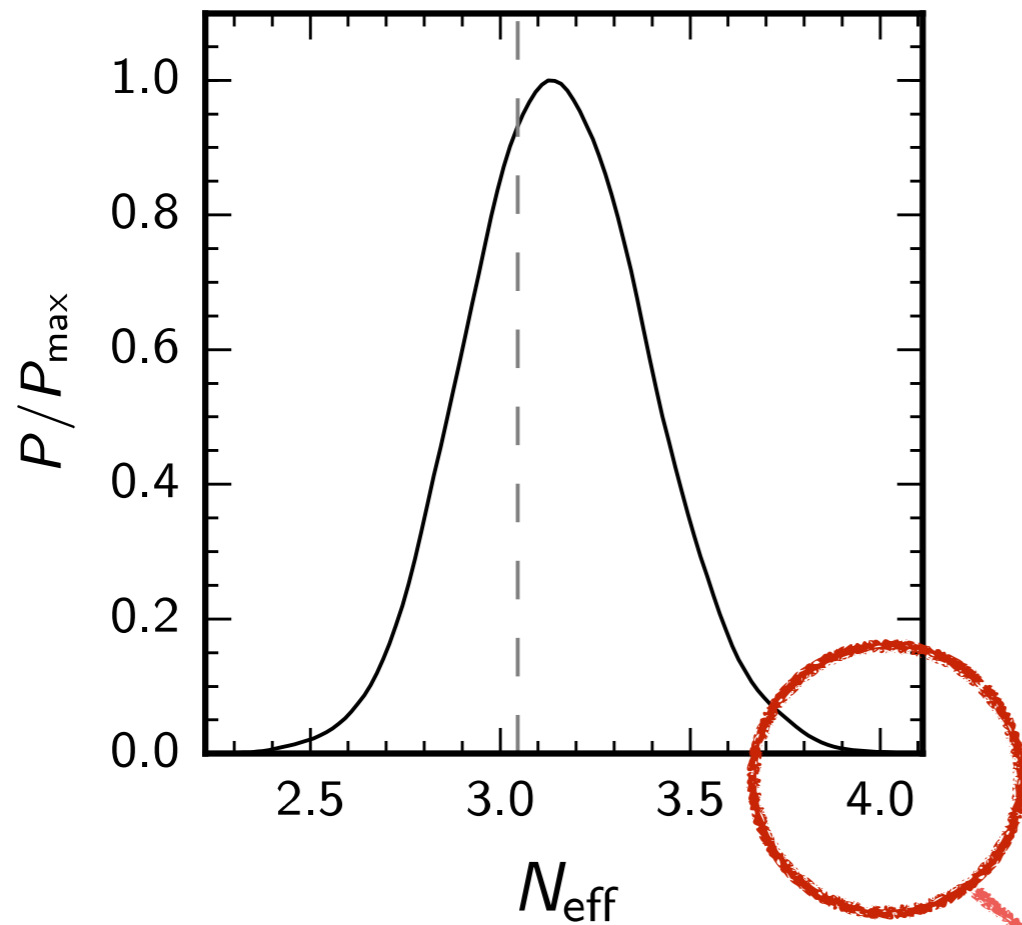


Gerbino, Lattanzi, Mena, Freese 2016

If $M_\nu = 0.1 \text{ eV}$, $\sigma(m_{\beta\beta}) \sim 10 \text{ meV}$ could guarantee $0\nu 2\beta$ measurement

$0\nu 2\beta$ could in turn help unravel the hierarchy (wip, extending the results in Gerbino+2015 in the hierarchical Bayesian context)

Limits on N_{eff} from Planck 2015



$$N_{\text{eff}} = 3.13 \pm 0.32 \quad (\text{Planck TT+lowP})$$

$$N_{\text{eff}} = 3.15 \pm 0.23 \quad (\text{Planck TT+lowP+BAO})$$

$$N_{\text{eff}} = 2.99 \pm 0.20 \quad (\text{Planck TT,TE,EE+lowP})$$

$$N_{\text{eff}} = 3.04 \pm 0.18 \quad (\text{Planck TT,TE,EE+lowP+BAO})$$

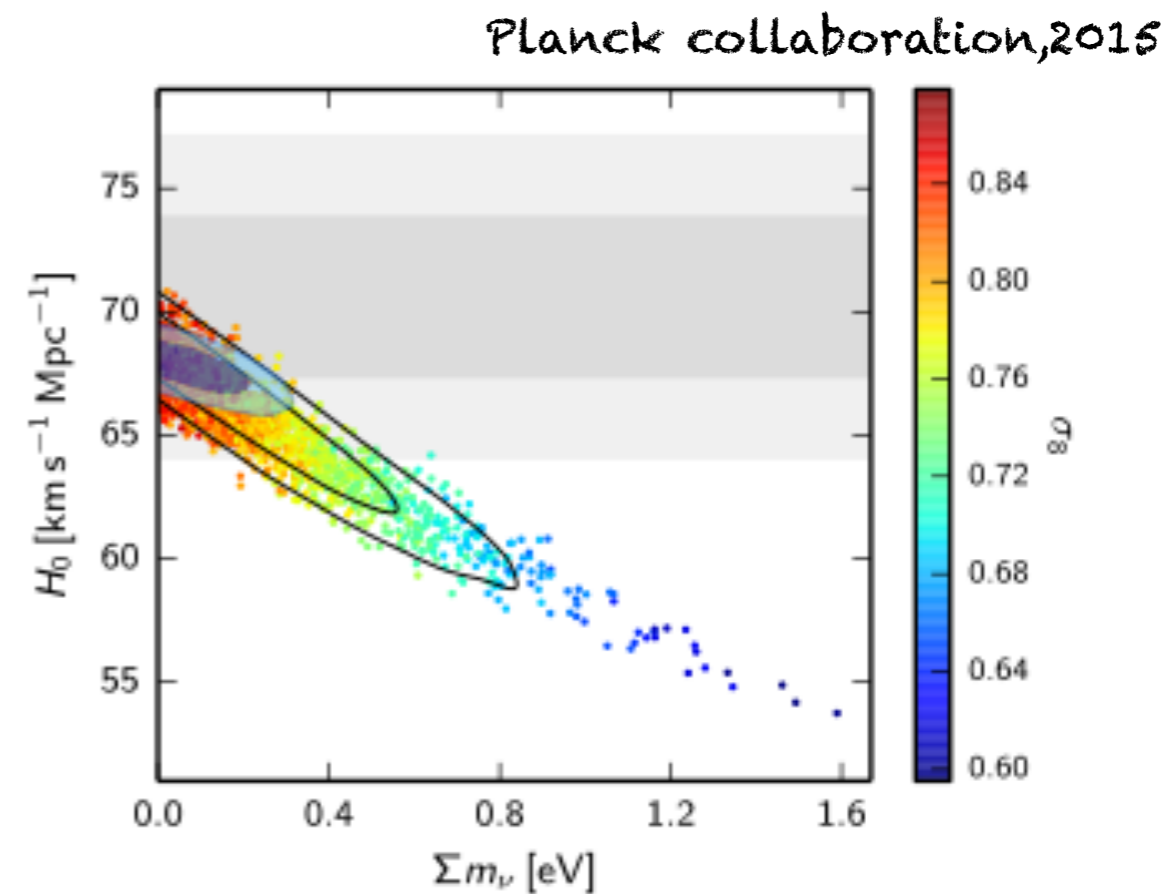
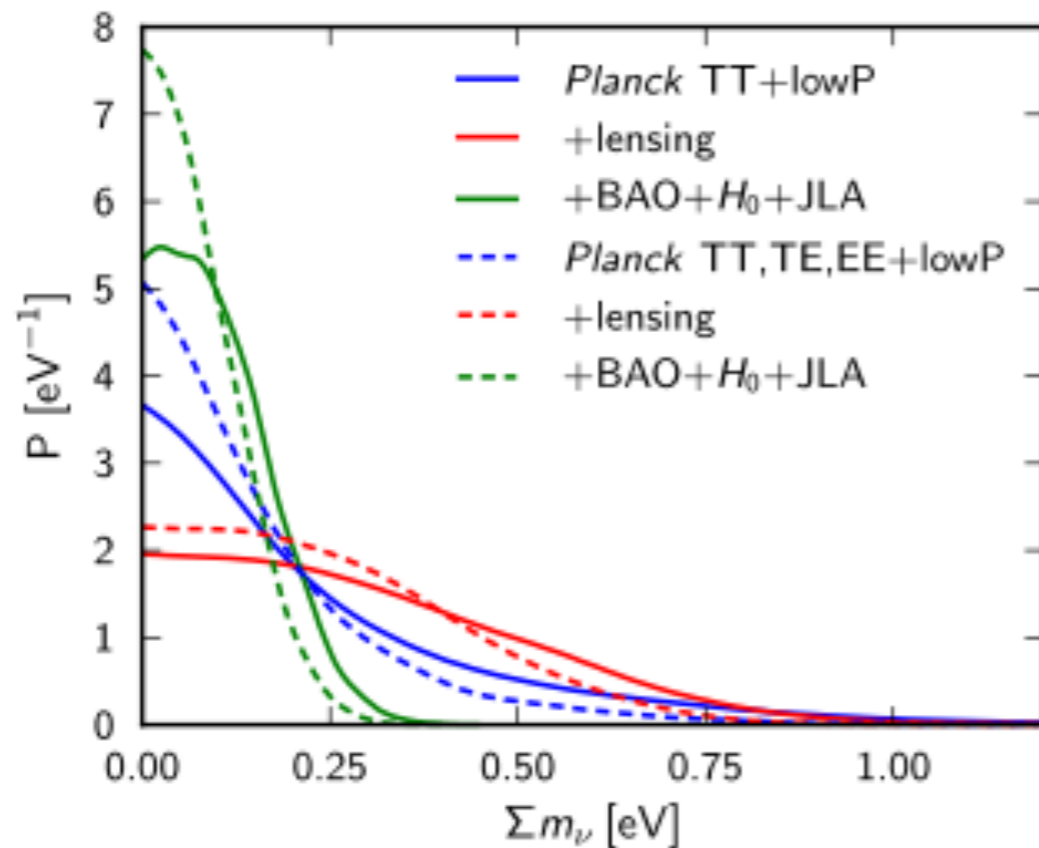
$N_{\text{eff}} = 4$
(one extra thermalized)
excluded at more than

3σ

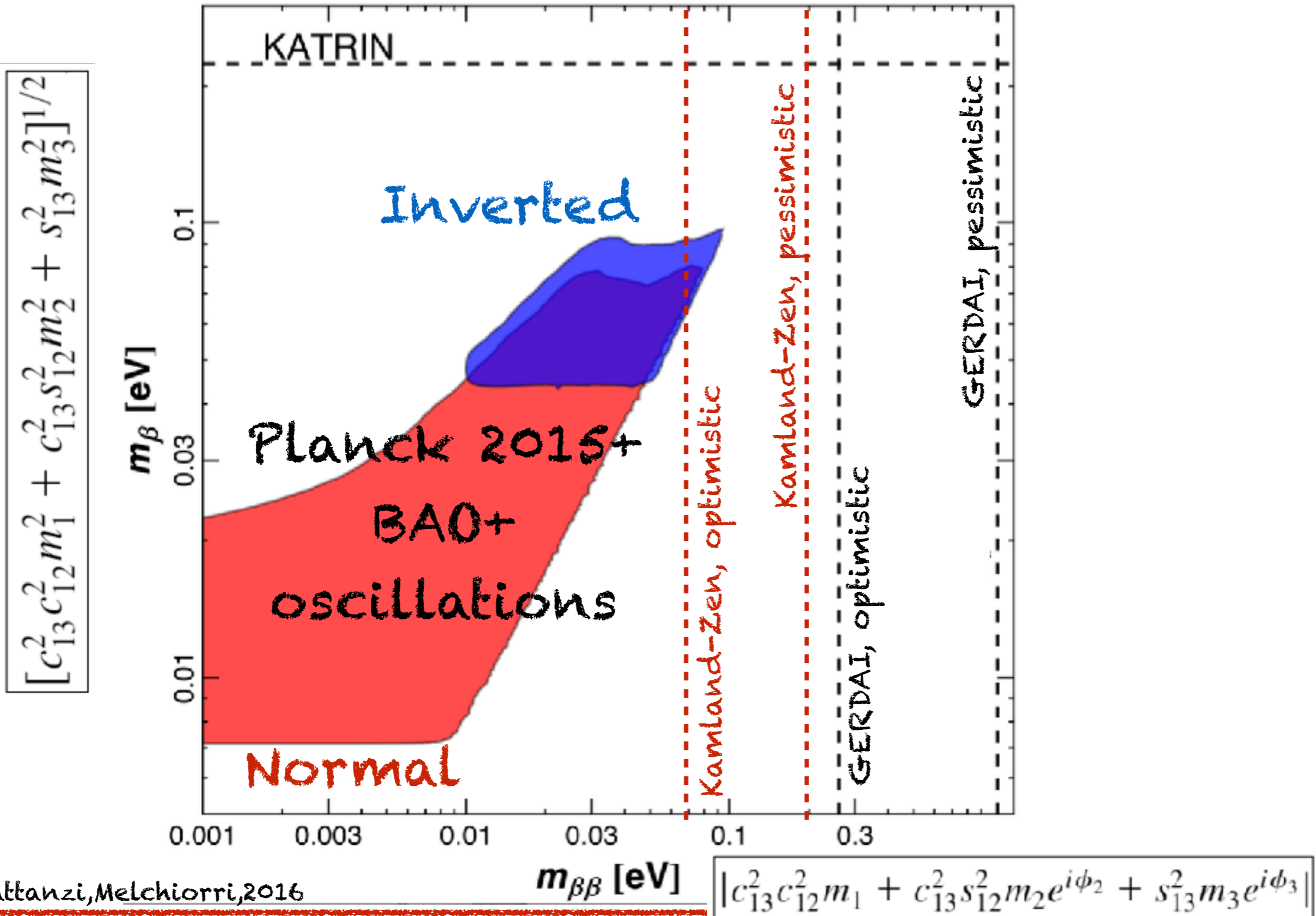
Limits on M_{ν} from Planck 2015

95%CL	2013	2015	2015 + PlanckTE,EE
PlanckTT+lowP	<0.93 eV	<0.72 eV (23%)	<0.49 eV (48%)
PlanckTT+lowP+lensing	<1.1 eV	<0.68 eV (38%)	<0.59 eV (47%)
PlanckTT+lowP+BAO	<0.25 eV	<0.21 eV (16%)	<0.17 eV (36%)
PlanckTT+lowP+ext		<0.20 eV	<0.15 eV
PlanckTT+lowP+lensing+ext		<0.23 eV	<0.19 eV

>10x better than current kinematic measurements



State of the art (cosmo+Lab)

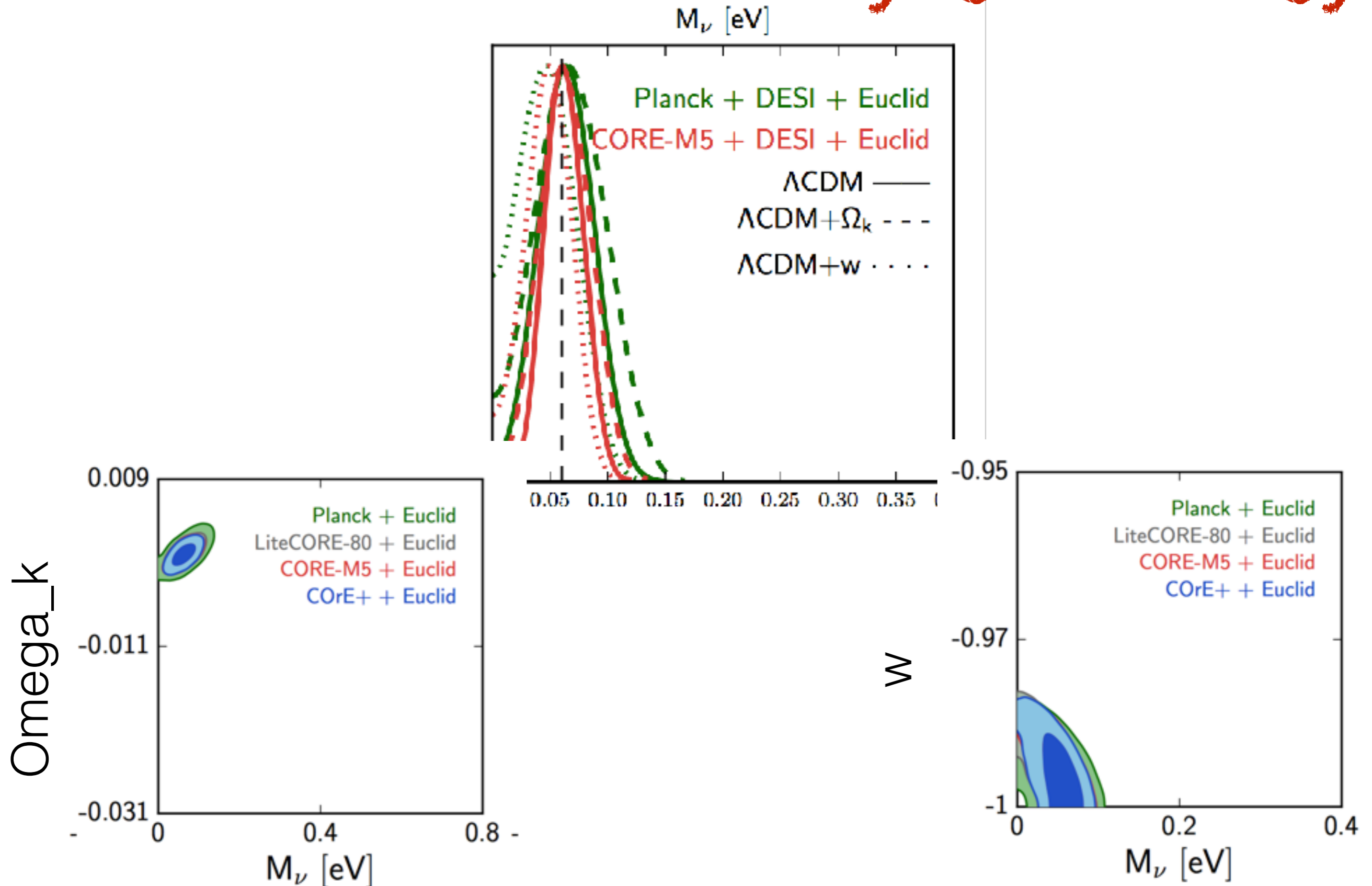


Gerbino, Lattanzi, Melchiorri, 2016

Martina Gerbino

Invisibles2017, 16 June 2017

Robustness wrt the underlying cosmology



CORE collaboration (DiValentino et al), 2016