

Higgs pair production at the LHC at NLO+PS

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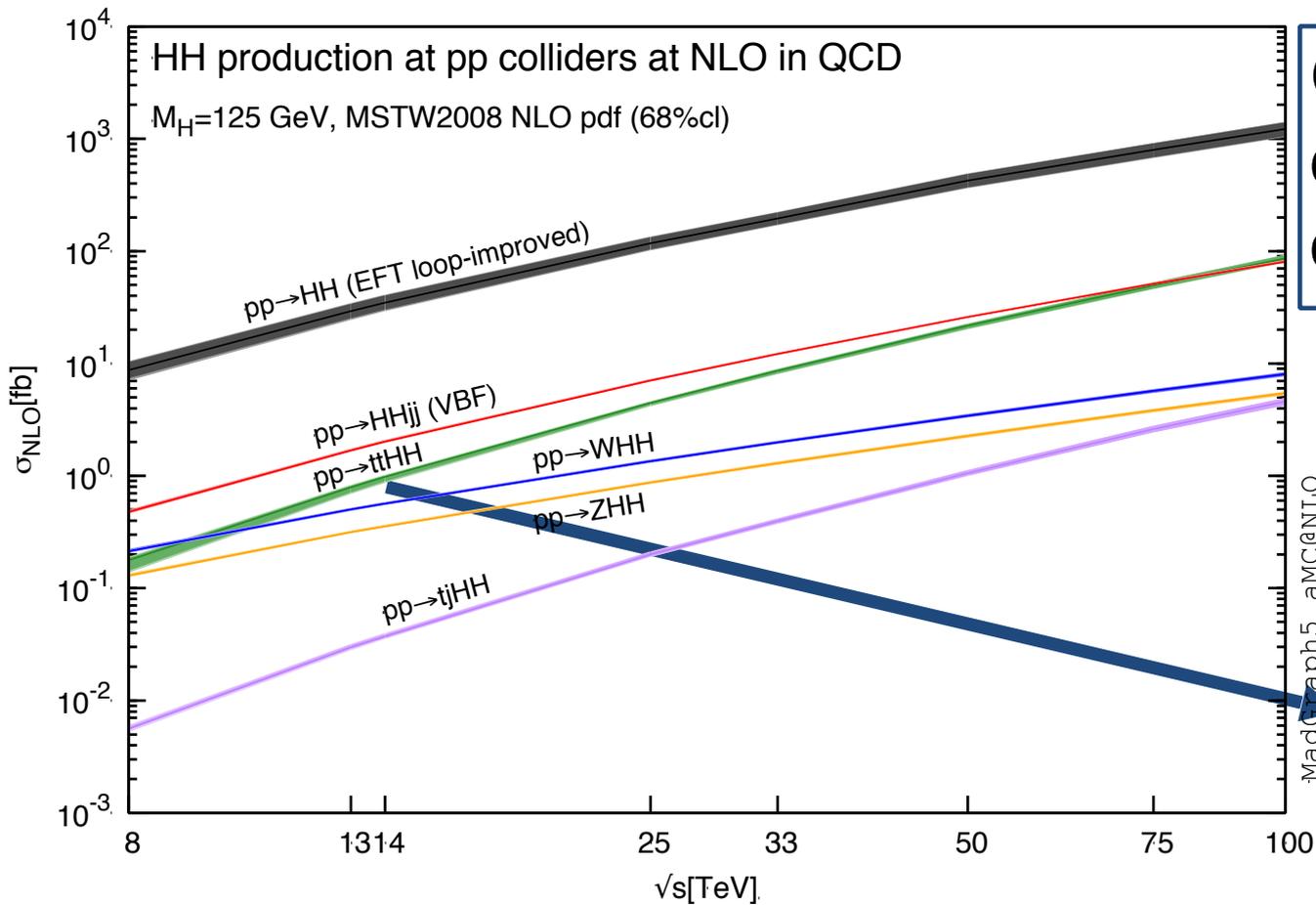
based on G. Heinrich, S.P. Jones, M. Kerner, G. Luisoni, EV
[arXiv:1703.09252](https://arxiv.org/abs/1703.09252)
accepted in JHEP

LHCHSWG meeting

CERN

13/07/17

HH: the cross-sections



Gluon gluon fusion dominates
 $\sigma \sim 40 \text{ fb}$ at 14 TeV

VBF and ttHH potentially interesting e.g. ttHH
 arxiv:1409.8074, VBF:
 1506.08008, 1611.03860

Frederix et al. arxiv:1401.7340

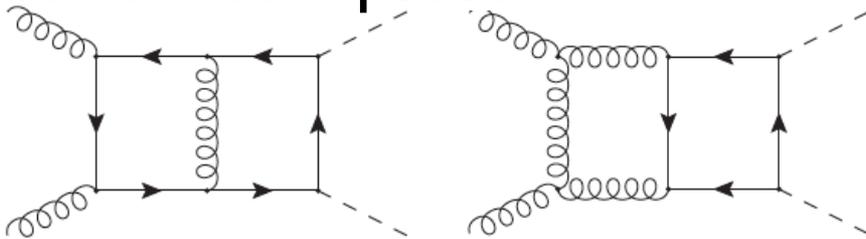
See also Baglio et al.
 arxiv:1212.5581 for a
 survey of all channels

HH at NLO with exact top mass dependence

HH@NLO: Full top mass dependence

Borowka et al 1604.06447 and 1608.04798

NLO computation for gluon fusion with the exact top mass dependence complete



2-loop amplitudes computed with

GOSAM-2L \rightarrow REDUZE \rightarrow SECDEC 3

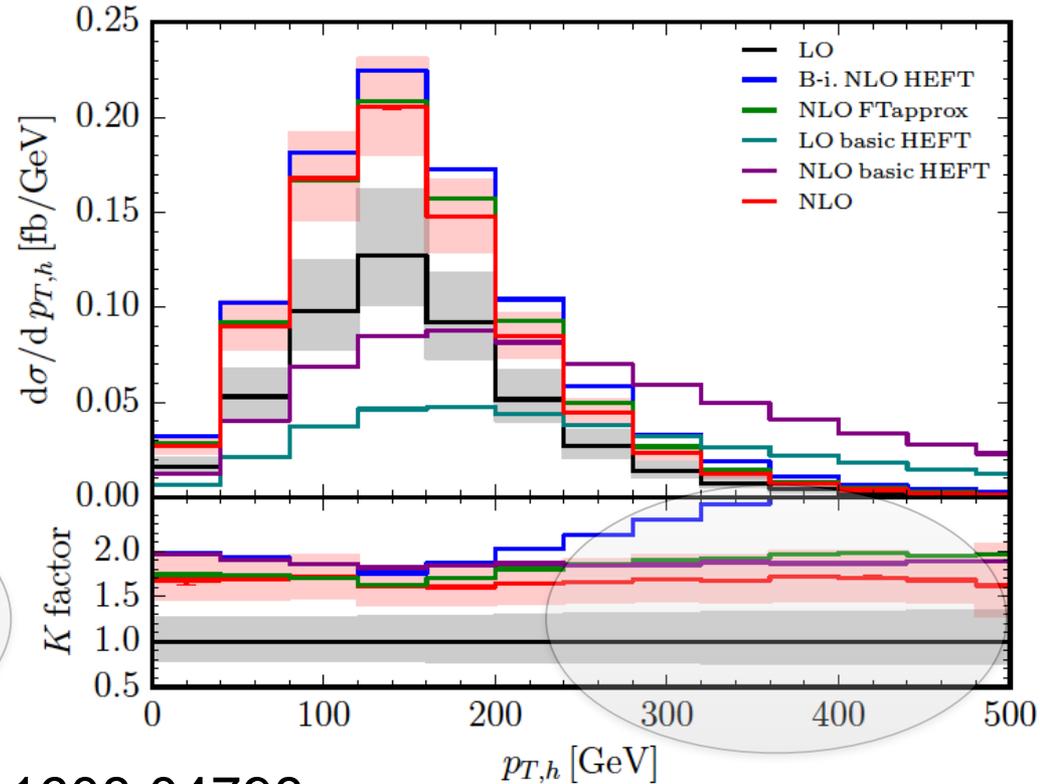
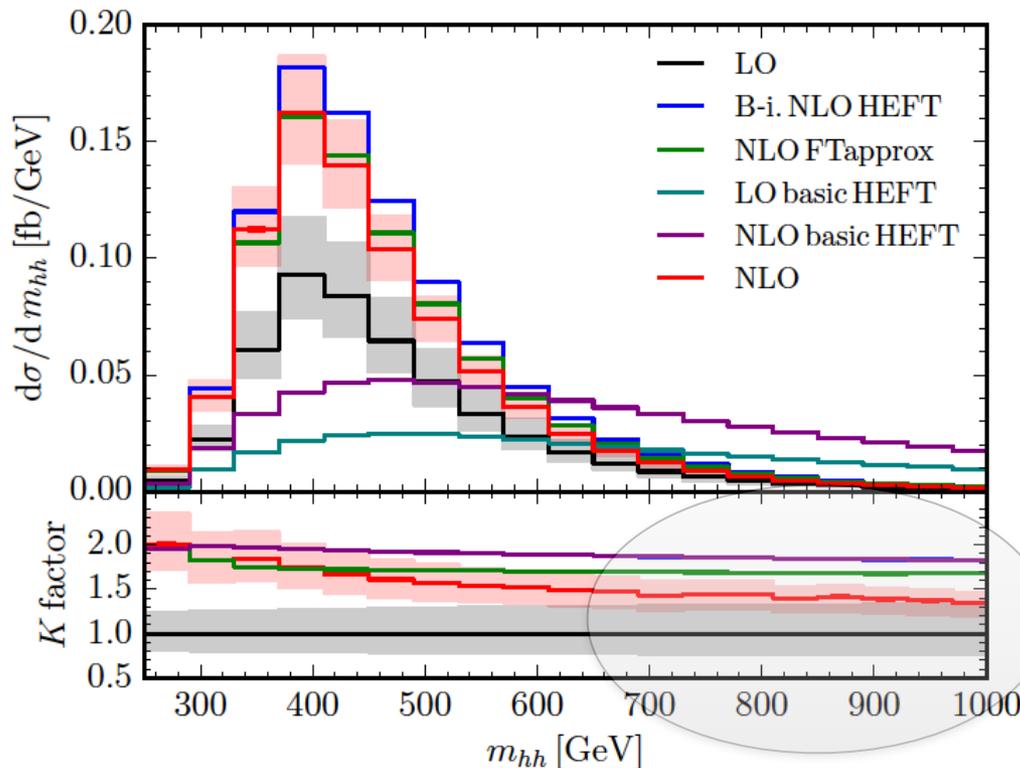
Numerical evaluation of integrals

\sqrt{s}	LO	B-i. NLO HEFT	NLO FT _{approx}	NLO
14 TeV	19.85 ^{+27.6%} _{-20.5%}	38.32 ^{+18.1%} _{-14.9%}	34.26 ^{+14.7%} _{-13.2%}	32.91 ^{+13.6%} _{-12.6%}

-14%

-4%

Differential distributions at NLO



Borowka et al arXiv:1604.06447 and 1608.04798

- Exact NLO result softer than all other approximations in high m_{hh} region (up to $\sim 20\%$ difference)
- FT_{approx} in MG5_aMC good for high p_T (boosted searches)

HH@NLO+PS: prerequisites

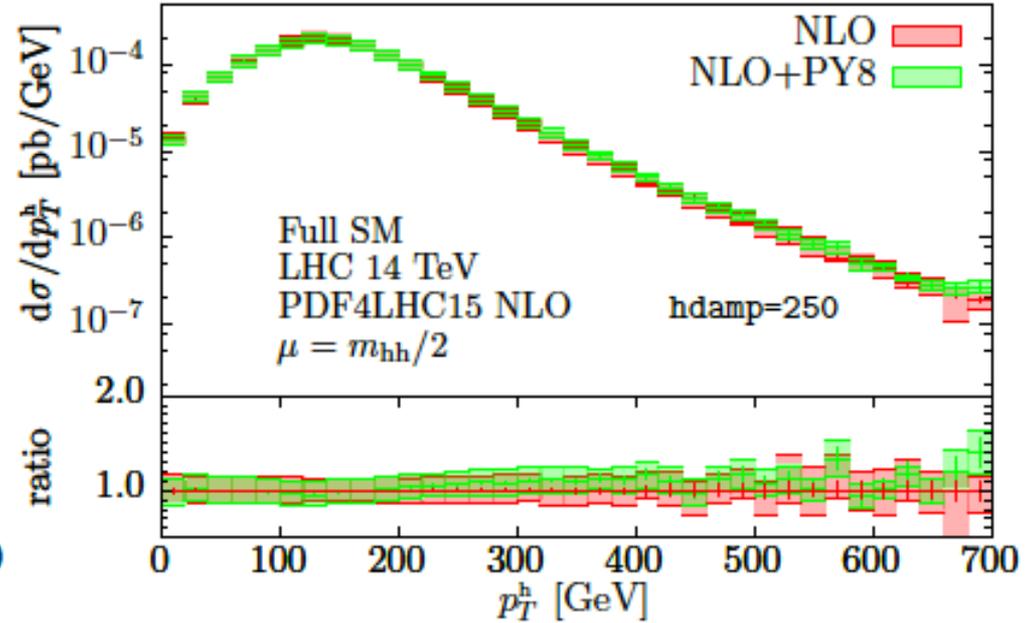
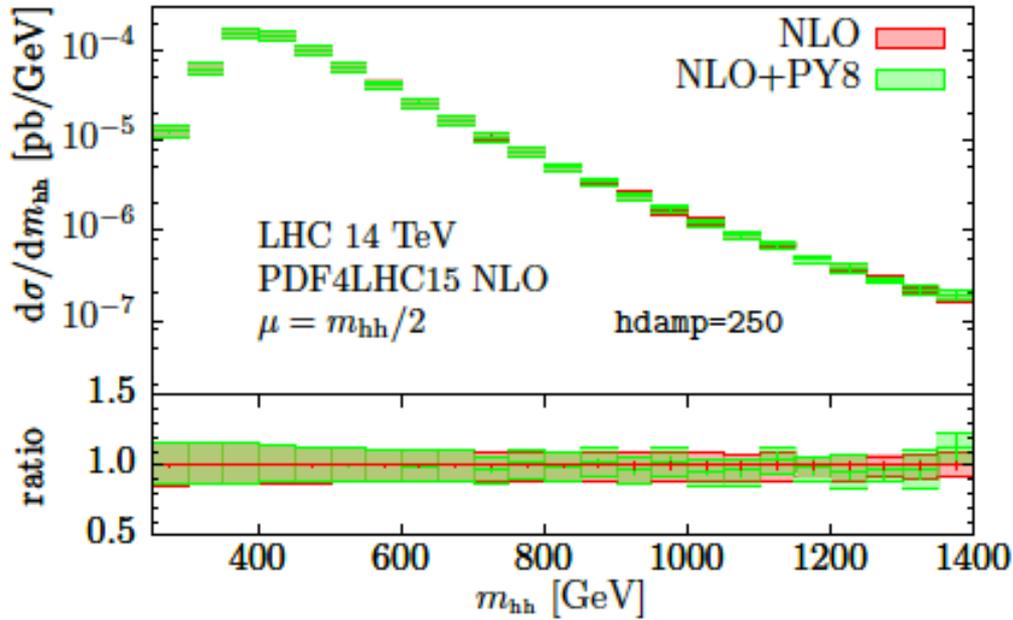
2D grid: $s, t \rightarrow x, c_\theta$ for a uniform distribution

$$x = f(\beta(\hat{s})), \quad \text{with} \quad \beta = \left(1 - \frac{4m_h^2}{\hat{s}}\right)^{\frac{1}{2}}$$
$$c_\theta = |\cos \theta| = \left| \frac{\hat{s} + 2\hat{t} - 2m_h^2}{\hat{s}\beta(\hat{s})} \right|,$$

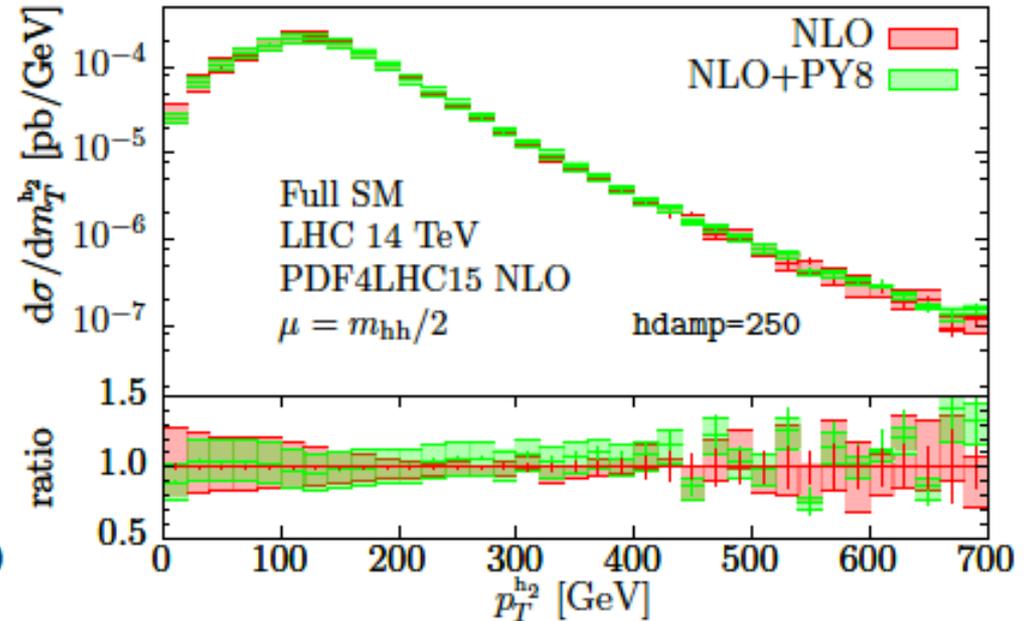
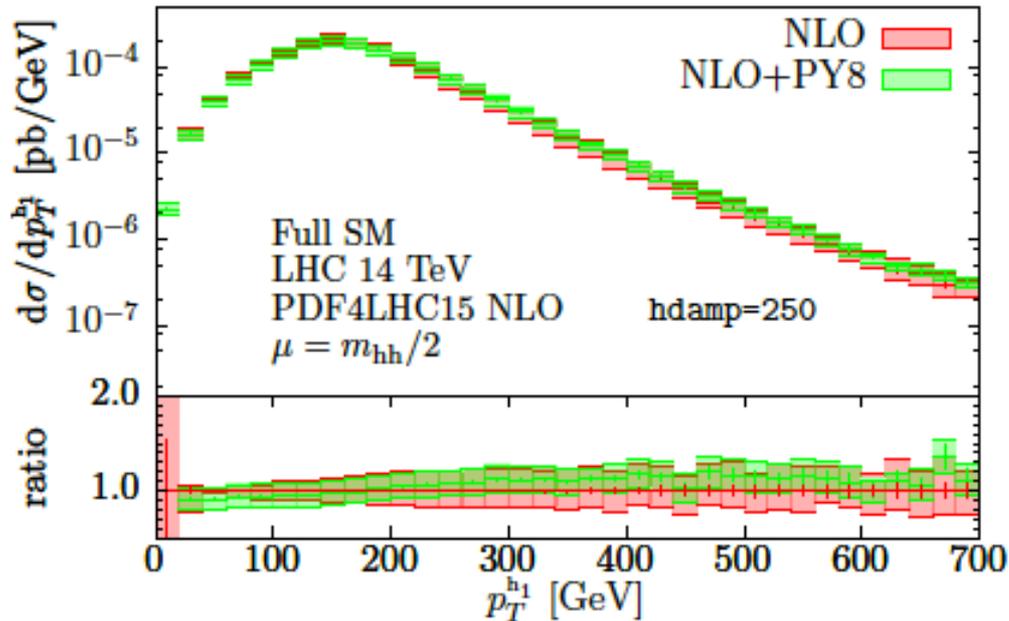
Use of grid necessary to ensure reasonable running times

- Finite pieces of the virtual corrections obtained in the FKS convention as needed in the Powheg and MG5_aMC@NLO frameworks
- One-loop amplitudes for born and real kinematics:
 - Powheg: Implementation based on GoSam
 - MG5_aMC@NLO: MadLoop
- Both implementations allow comparisons to previous approximations: Born-improved and FTapprox

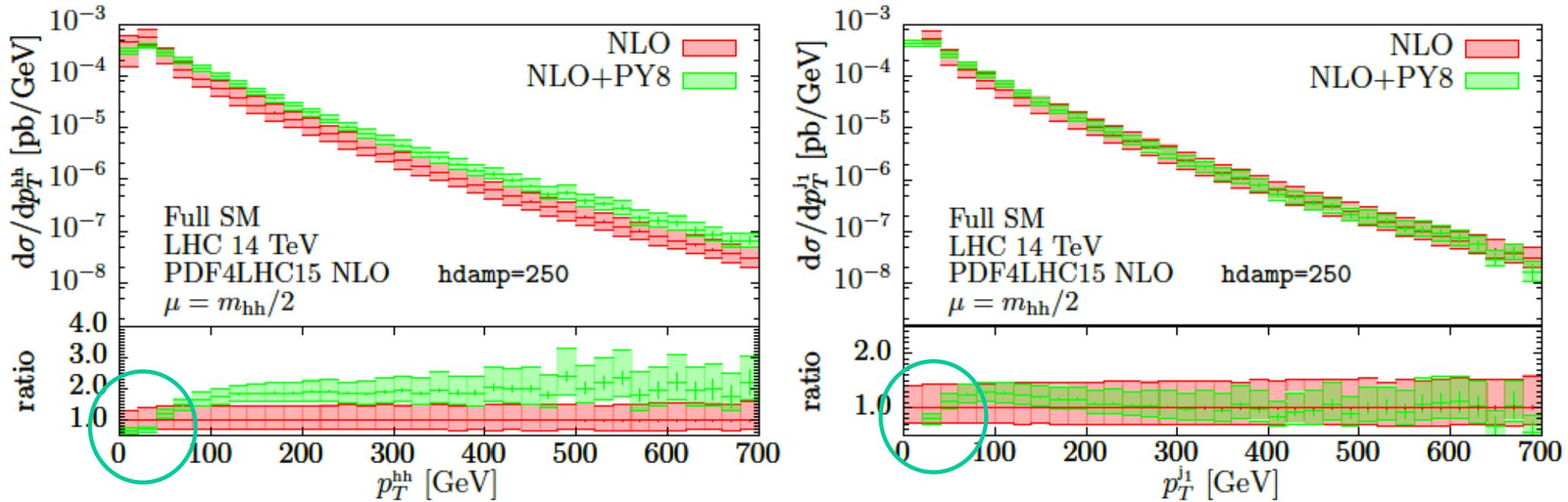
HH@NLO+PS: Results



Insensitive to the PS, serve as validation

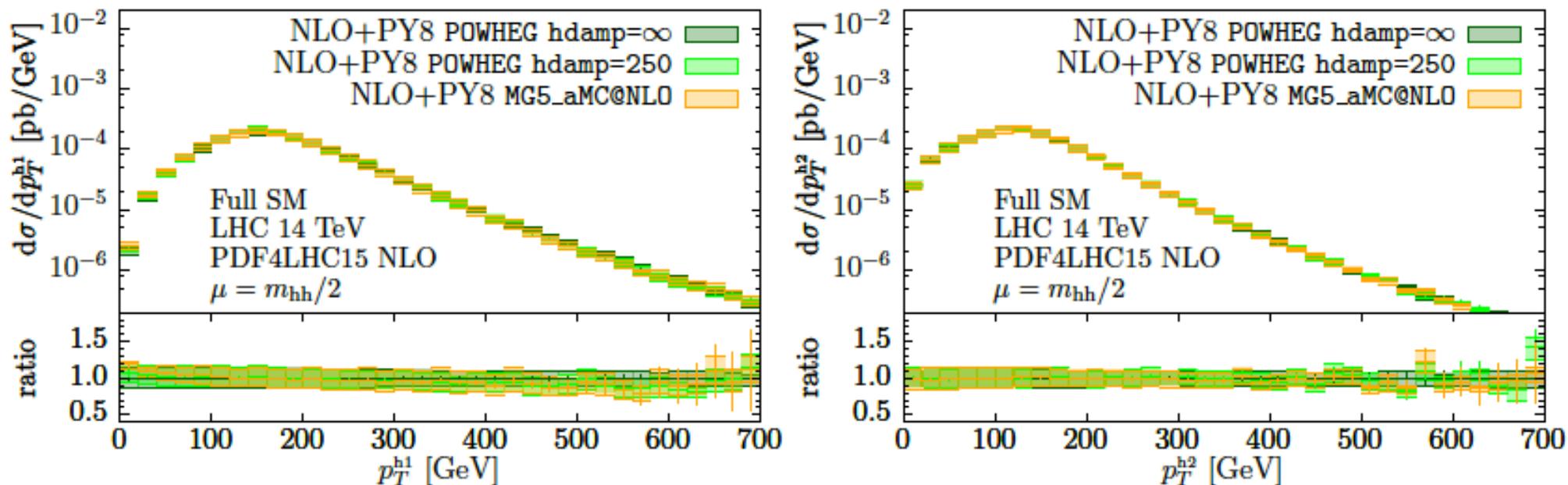


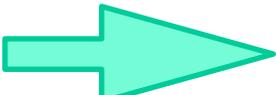
HH@NLO+PS:Results



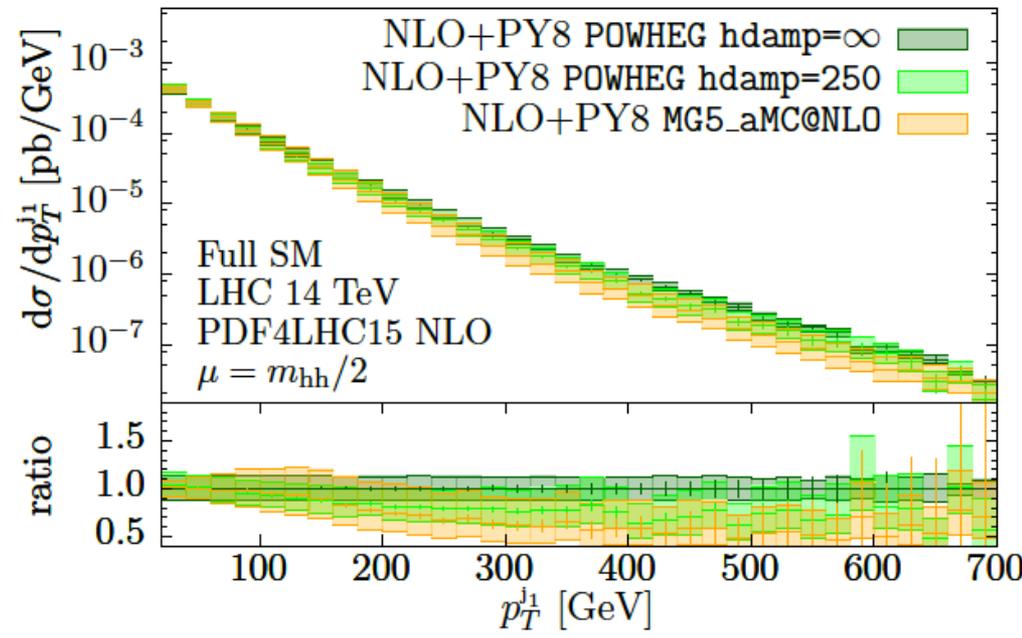
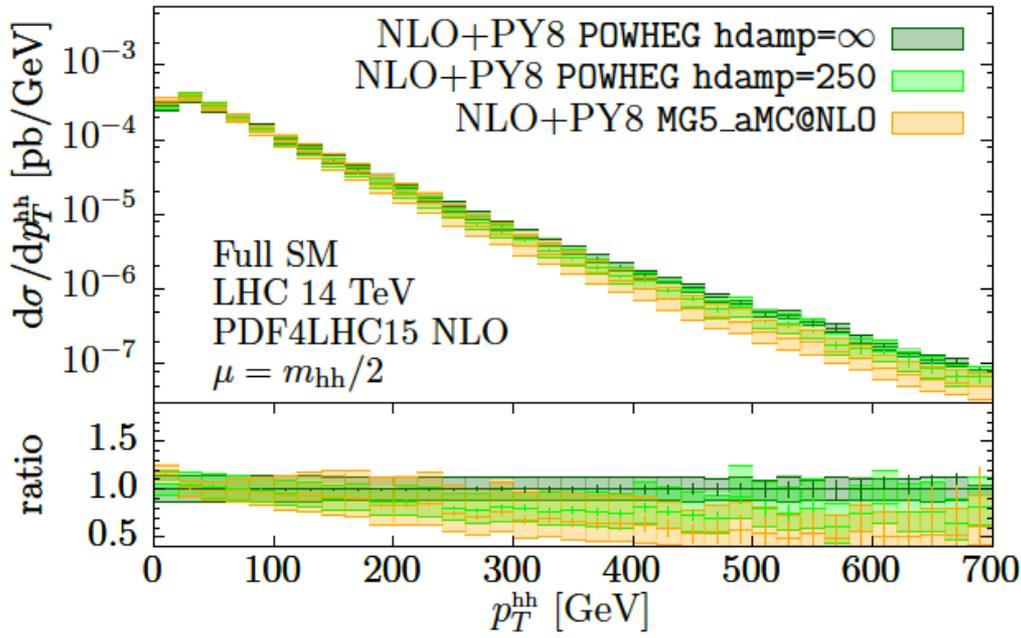
Parton shower needed to provide reliable predictions at low HH and jet p_T , where the fixed-order predictions diverge

Comparison between Powheg and MG5_aMC



Same parton shower  differences due to matching
 m_{hh} , p_T^H , p_T^{H1} , p_T^{H2} largely insensitive to the matching

Comparison between Powheg and MG5_aMC



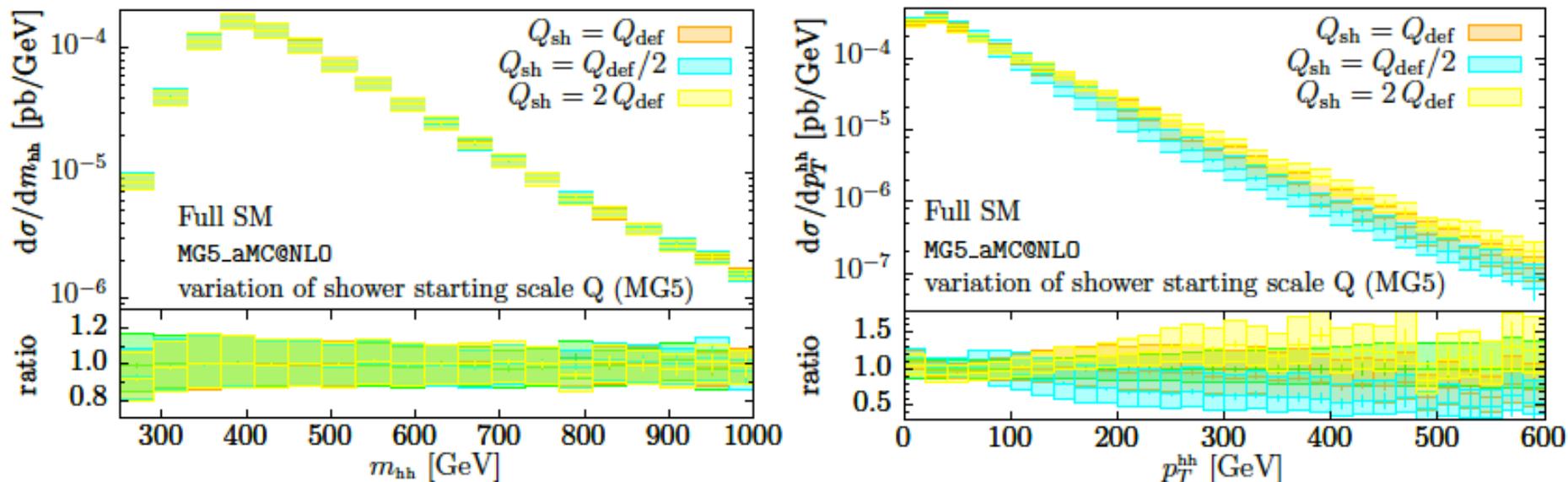
- hdamp limits the amount of exponentiated radiation in Powheg

$$R_{\text{sing}} = R \times F, \quad F = \frac{h^2}{(p_T^{\text{hh}})^2 + h^2}$$

$$R_{\text{reg}} = R \times (1 - F)$$

- Reducing hdamp gives softer distributions in Powheg
- Default MG5_aMC@NLO gives relatively soft distributions

Shower parameters: shower scale in MG5



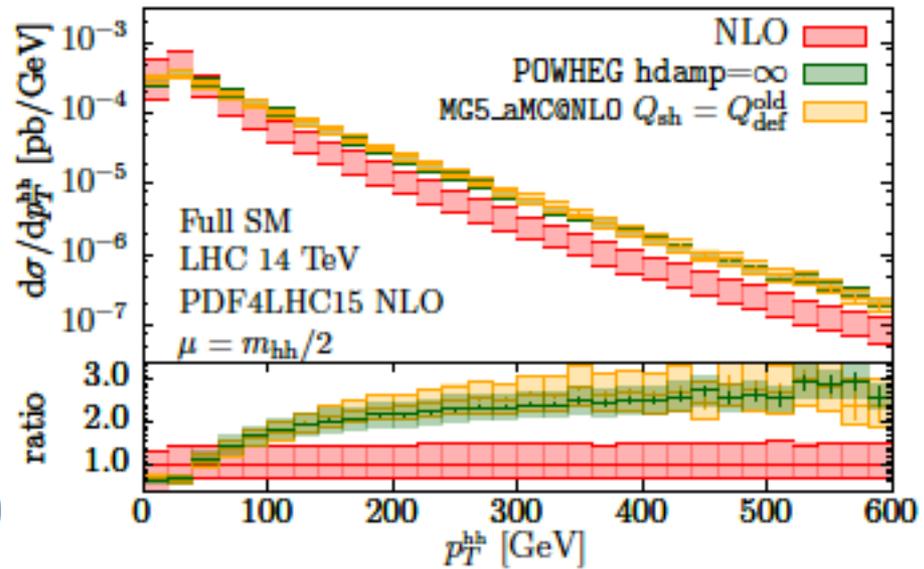
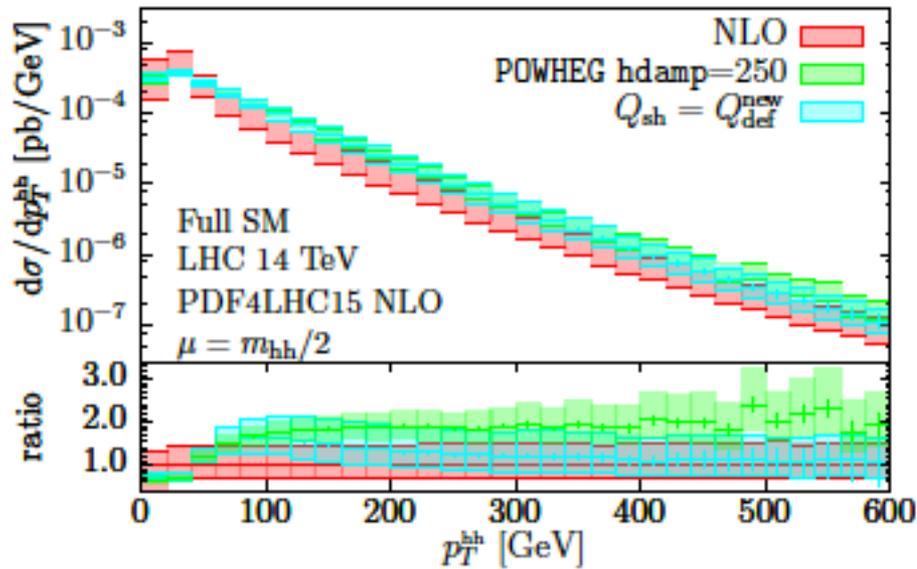
Default shower scale in MC@NLO (since 2.5.3):
picked in the interval

$$\text{shower_scale_factor} \times [0.1 H_T/2, H_T/2]$$

can be set in the run_card

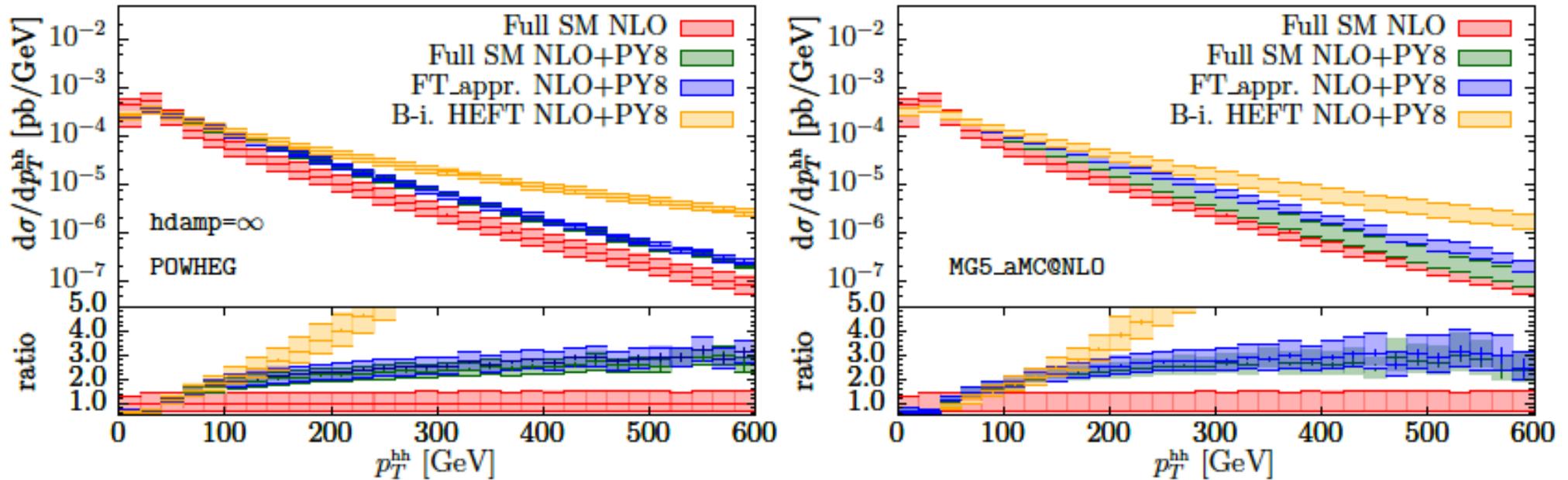
Impact of reducing the shower scale: Softer p_T^{HH} distributions

Shower parameters in MG5_aMC and Powheg



- Previous shower scale used in MG5_aMC: $[0.1 \sqrt{\hat{s}}, \sqrt{\hat{s}}]$ gives significantly harder distributions close to $hdamp=\infty$
- New default scale approaches the fixed-order result much faster: a more natural choice
- Similarly $hdamp=250$ gives softer results, closer to the FO

Comparison with previous approximations



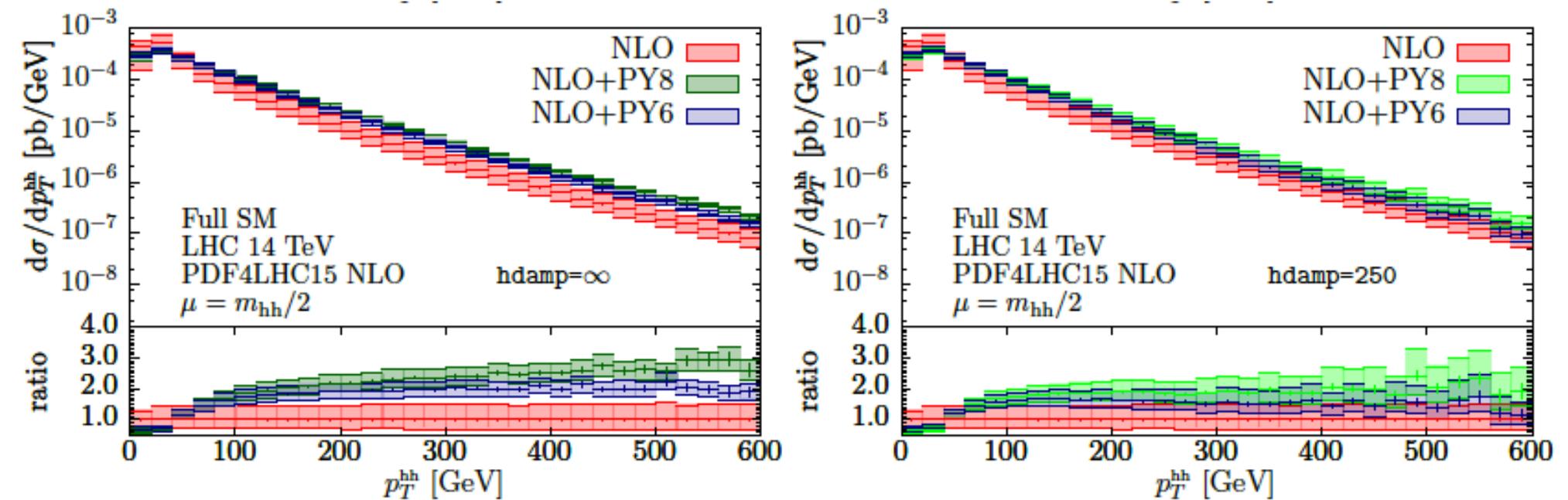
- Born-improved predictions much harder than exact computation
- FT_approx giving a good description of the high p_T regions also in the NLO+PS predictions: exact real matrix element

Summary and conclusions

- HH gluon-fusion cross section now known at NLO with the exact top mass dependence
- NLO+PS predictions including full mass effects
- Available implementations
 - POWHEG-BOX V2: User-Processes-V2/ggHH/
 - MG5_aMC@NLO

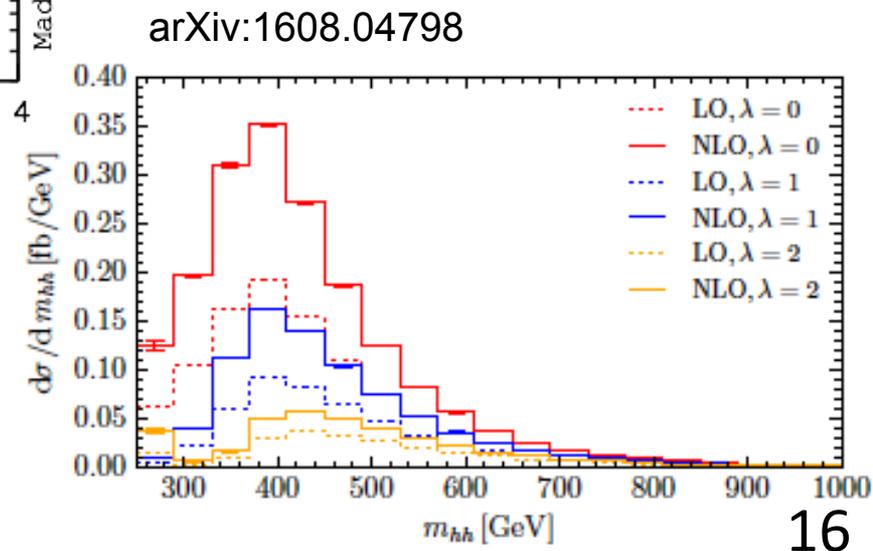
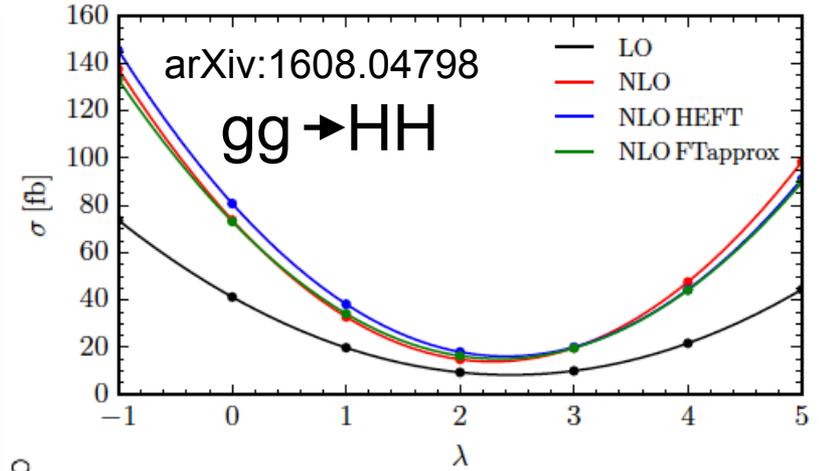
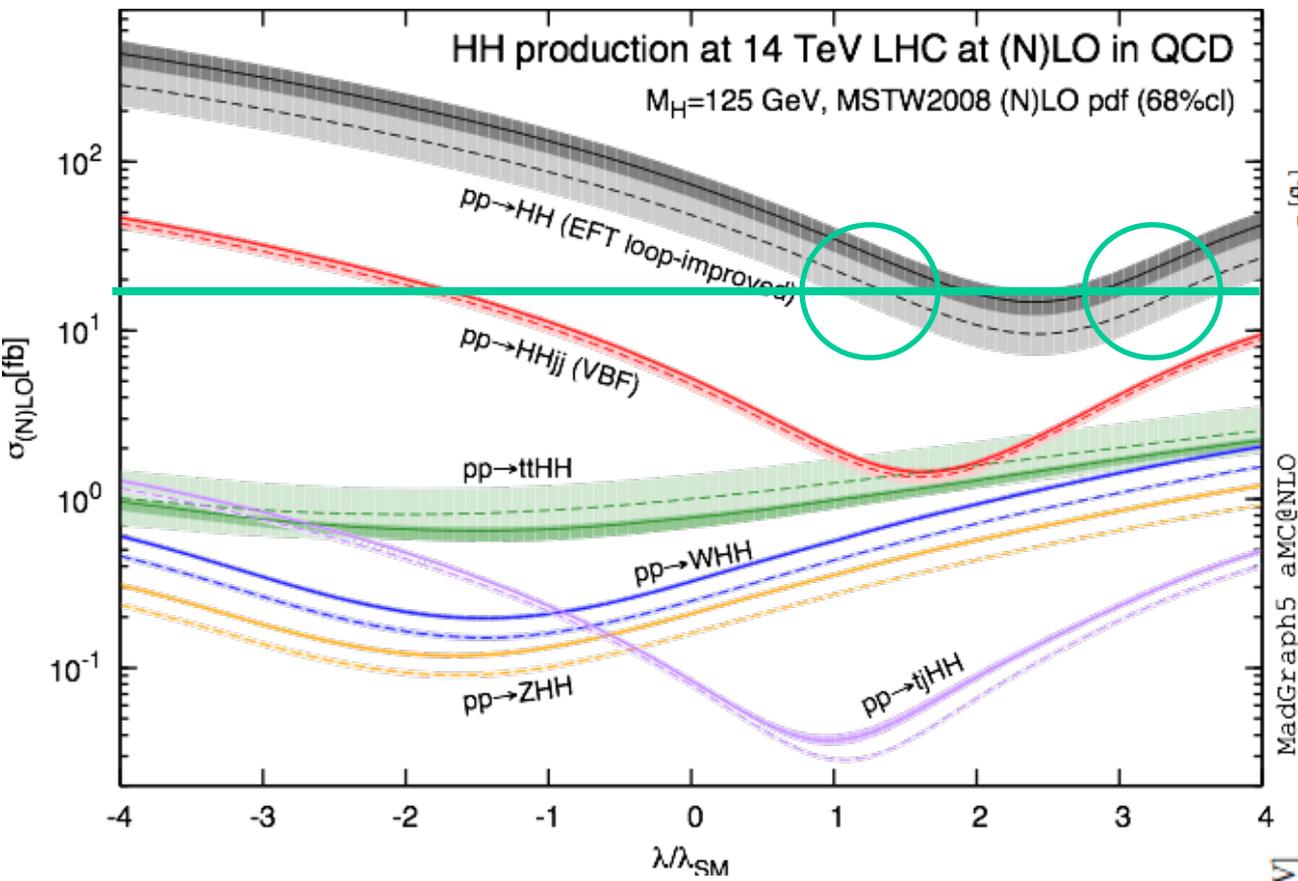
BACKUP slides

Comparison between PY6 and PY8



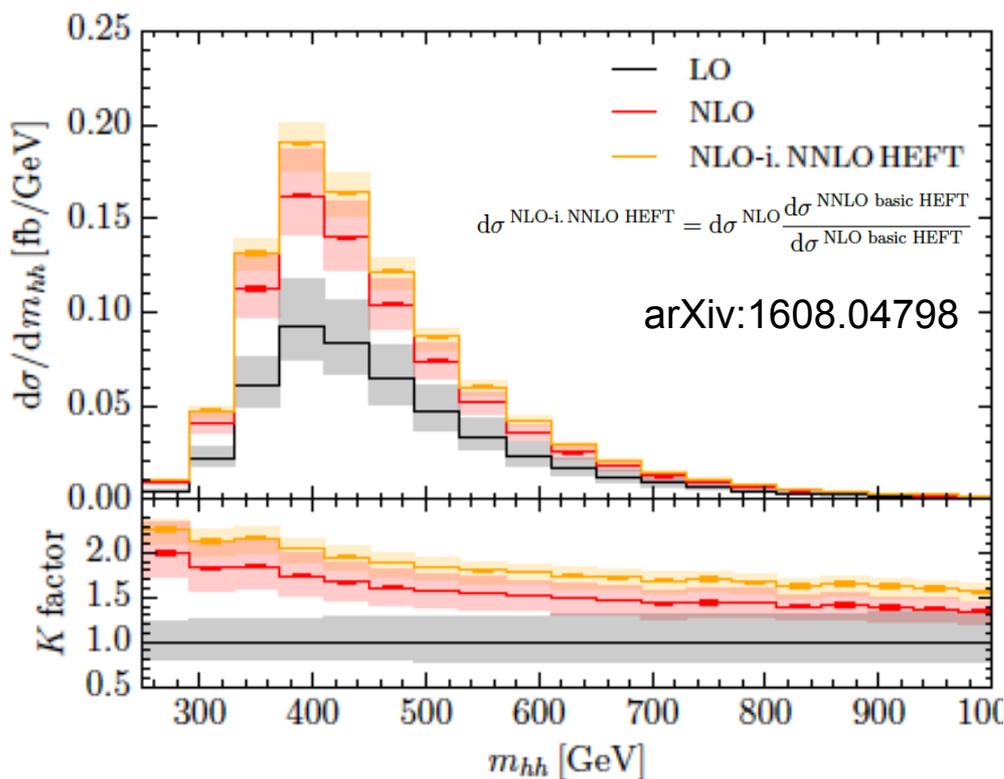
Pythia6 giving softer distributions than Pythia8

Dependence on the trilinear Higgs coupling

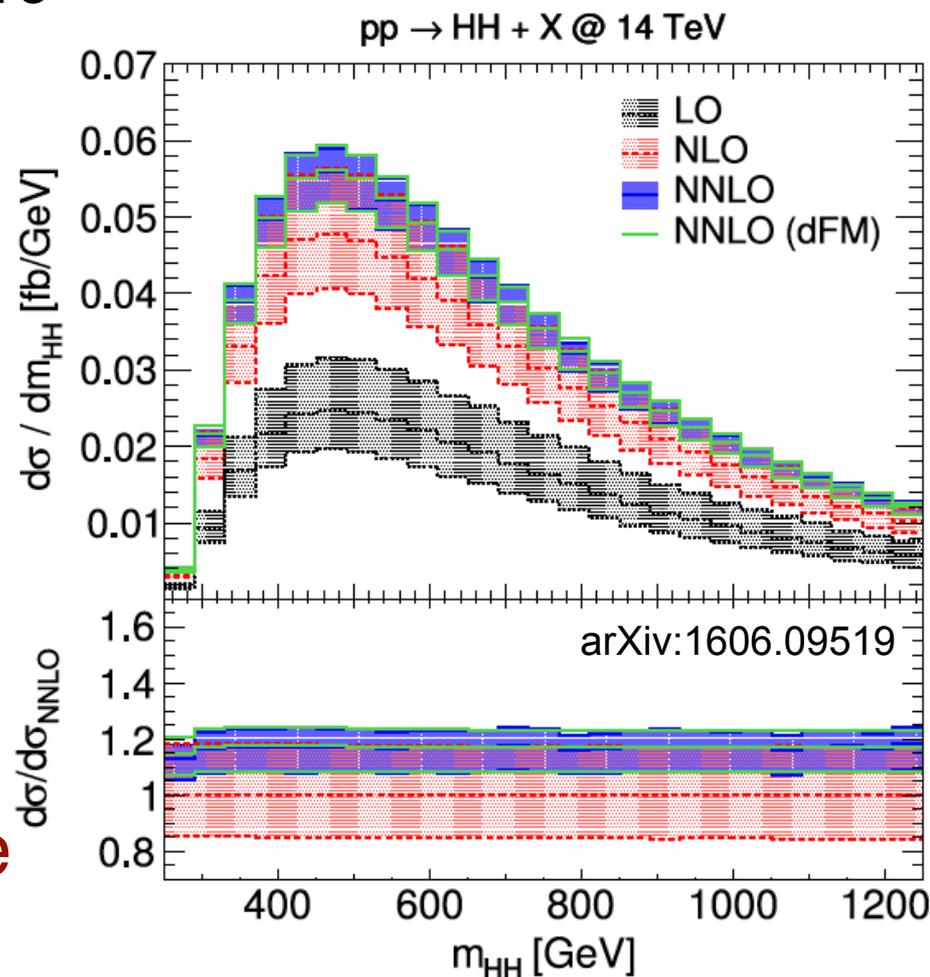


HH beyond NLO

- NNLO calculation in the EFT: De Florian, Mazzitelli (arXiv: 1305.5206, 1309.6594)
- NNLO+NNLL resummation (arXiv:1505.07122)
- Differential distributions at NNLO with q_T subtraction: De Florian et al arXiv:1606.09519



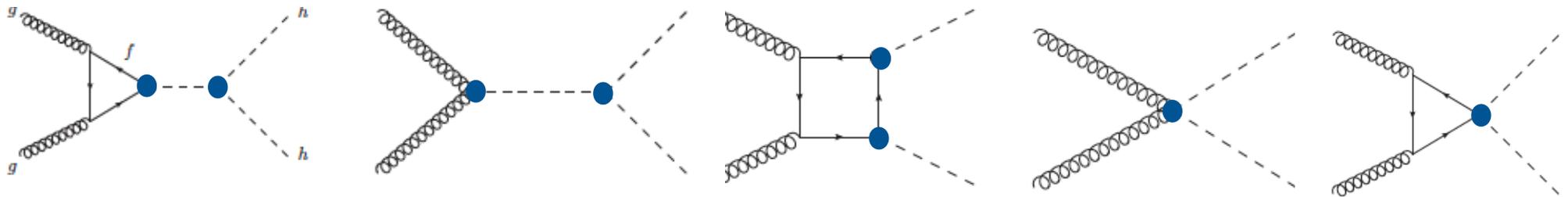
NNLO corrections increase the cross section by 20%



Non-resonant BSM: HH in the EFT

A general effective theory parametrisation (relevant for $gg \rightarrow hh$) valid for a generic Higgs (non-linear Lagrangian):

$$\mathcal{L} \supset -m_t \bar{t}t \left(c_t \frac{h}{v} + c_{2t} \frac{h^2}{2v^2} \right) - c_3 \frac{m_h^2}{2v} h^3 + \frac{g_s^2}{4\pi^2} \left(c_g \frac{h}{v} + c_{2g} \frac{h^2}{2v^2} \right) G_{\mu\nu} G^{\mu\nu}$$



For an $SU(2)_L$ doublet Higgs (favoured by Higgs data and EWPT):

Linear Lagrangian $\mathcal{L}_{lin} = \mathcal{L}_{SM} + \Delta\mathcal{L}_6 + \Delta\mathcal{L}_8 + \dots$

$$\Delta\mathcal{L}_6 \supset \frac{\bar{c}_H}{2v^2} [\partial_\mu (H^\dagger H)]^2 + \frac{\bar{c}_u}{v^2} y_u H^\dagger H \bar{q}_L H^c u_R - \frac{\bar{c}_6}{v^2} \frac{m_h^2}{2v^2} (H^\dagger H)^3 + \frac{\bar{c}_g}{m_w^2} g_s^2 H^\dagger H G_{\mu\nu} G^{\mu\nu}$$

Goertz et al. arxiv:1410.3471
 Contino et al. arXiv:1502.00539

The relevant terms

$$\mathcal{L} \supset -m_t \bar{t} t \left(c_t \frac{h}{v} + c_{2t} \frac{h^2}{2v^2} \right) - c_3 \frac{m_h^2}{2v} h^3 + \frac{g_s^2}{4\pi^2} \left(c_g \frac{h}{v} + c_{2g} \frac{h^2}{2v^2} \right) G_{\mu\nu} G^{\mu\nu}$$

5 parameters

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4 parameters

The connection:

$$c_t = 1 - \frac{\bar{c}_H}{2} - \bar{c}_u, \quad c_{2t} = -\frac{1}{2} (\bar{c}_H + 3\bar{c}_u), \quad c_3 = 1 - \frac{3}{2} \bar{c}_H + \bar{c}_6, \quad c_g = c_{2g} = \bar{c}_g \left(\frac{4\pi}{\alpha_2} \right)$$

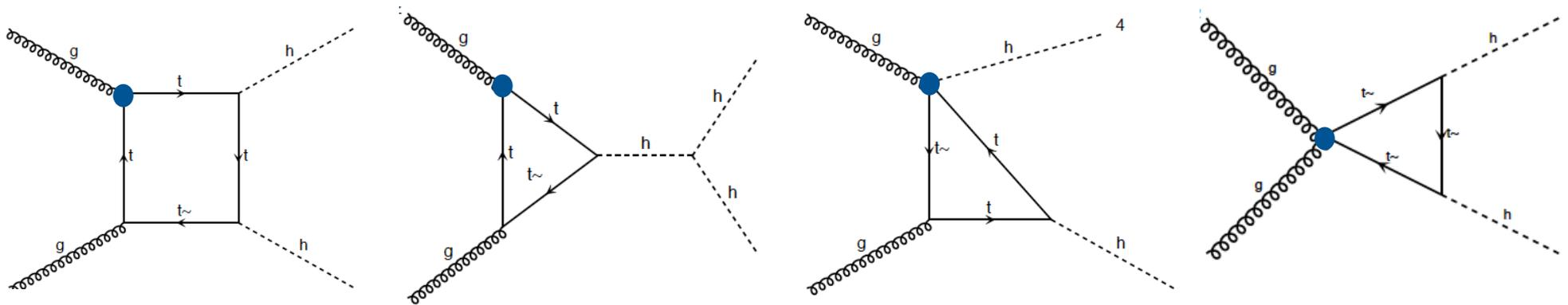
Note: Field redefinition
removes the Higgs derivative terms
see Giudice et al hep-ph/0703164

$$h \rightarrow h - \frac{c_H \xi}{2} \left(h + \frac{h^2}{v} + \frac{h^3}{3v^2} \right)$$

The missing dimension-6 part

Chromomagnetic operator is also contributing

$$O_{tG} = y_t g_s (\bar{Q} \sigma^{\mu\nu} T^A t) \tilde{\varphi} G_{\mu\nu}^A$$

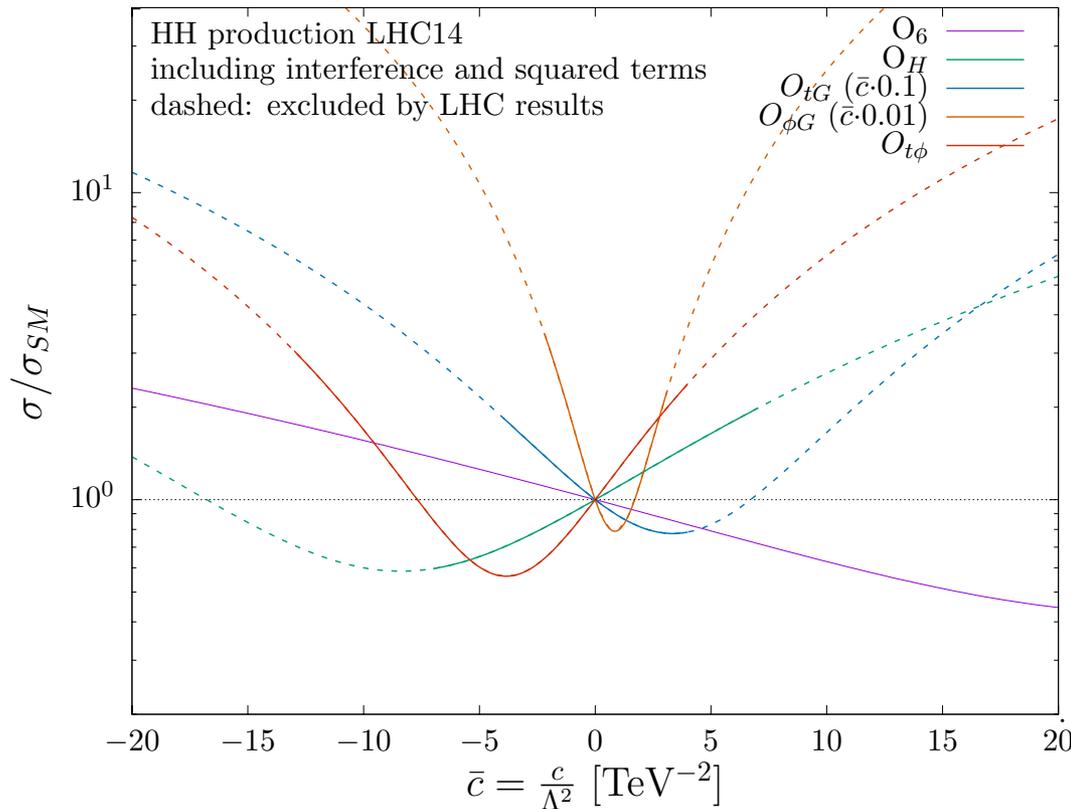


Needs to be taken into account in the context of a global EFT analysis for HH
Constraints from top pair production at NLO:

$$C_{tg} = [-0.42, 0.30] \quad \text{Zhang and Franzosi arxiv:1503.08841}$$

How much does this operator contribute to HH?

How will the chromo affect the HH EFT analyses?



- Very mild dependence on c_6
- Precise knowledge of other Wilson coefficients needed to bound c_6
- Differential distributions will also be necessary

$$O_{t\phi} = y_t^3 (\phi^\dagger \phi) (\bar{Q}t) \tilde{\phi}, \quad \text{slightly different normalisation}$$

$$O_{\phi G} = y_t^2 (\phi^\dagger \phi) G_{\mu\nu}^A G^{A\mu\nu},$$

$$O_{tG} = y_t g_s (\bar{Q} \sigma^{\mu\nu} T^A t) \tilde{\phi} G_{\mu\nu}^A$$

$$O_6 = -\lambda (\phi^\dagger \phi)^3 \quad \kappa_\lambda = 1 - c_H \frac{3v^2}{2\Lambda^2} + c_6 \frac{v^2}{\Lambda^2}$$

$$O_H = \frac{1}{2} (\partial_\mu (\phi^\dagger \phi))^2$$

5 parameters

Approximate constraints from single Higgs (e.g. Butter et al arxiv:1604.03105) and top pair production (Franzosi and Zhang arxiv:1503.08841)