



$D_s^+ \rightarrow f_0(980) e^+ \nu$ and Implications for $B_s \rightarrow J/\psi f_0(980)$

Liming Zhang (Syracuse University)
on behalf of the CLEO Collaboration



We study $D_s^+ \rightarrow f_0(980) e^+ \nu$, $f_0(980) \rightarrow \pi^+ \pi^-$ and $D_s^+ \rightarrow \phi e^+ \nu$, $\phi \rightarrow K^+ K^-$ using $e^+ e^- \rightarrow D_s^+ D_s^{*-}$ interactions at 4170 MeV collected with the CLEO-c detector. By examining the rate as a function of the four-momentum transfer, q^2 , we measure the ratio of f_0/ϕ rates at $q^2 = 0$ to be $(42 \pm 11)\%$, thus indicating that the decay $B_s \rightarrow J/\psi f_0(980)$, could be useful for measuring the “ \bar{B}_s - B_s mixing phase” $-2\beta_s$. Properties of the $f_0(980)$ are also studied.

Introduction

“ \bar{B}_s - B_s mixing phase” $-2\beta_s$: a place to look for New Physics

- Measurements of CP violation in the B meson system are sensitive to the presence of heavy, as yet undiscovered, particles.
- The SM value $\sin(2\beta_s) = 0.037 \pm 0.002$ is small, where $2\beta_s \equiv 2\arg[-V_{cb}V_{cs}^*/V_{ub}V_{ub}^*]$
- Both CDF and D0 have investigated $-2\beta_s$ using $B_s \rightarrow J/\psi \phi$ decays. The central value has been found far from the expected SM value, but the error is large and the significance of the possible discrepancy is in the 2-3 σ range.

$B_s \rightarrow J/\psi f_0(980)$

- The ss quarks not only can form a ϕ , but also η , η' and $f_0(980)$ mesons. The scalar f_0 state, however, has not been previously considered.
- From BESII, we know $f_0(980)$ decay is dominated by $\pi^+ \pi^-$, which is more useful than the η , η' modes because of poor photon efficiency at current hadron collider experiments.
- The f_0 (& η , η') modes are pure CP-eigenstates, and thus an angular analysis is unnecessary. Since the final state $J/\psi \phi$ is not a CP-eigenstate, an angular analysis is necessary, which requires large statistics compared to CP eigenstates.

Estimate using D_s^+ semileptonic decays

Stone and Zhang [1] argued that the branching ratio $B_s \rightarrow J/\psi f_0(980)$, $f_0 \rightarrow \pi^+ \pi^-$ to $J/\psi \phi$, $\phi \rightarrow K^+ K^-$ can be estimated by the ratio of decay widths at $q^2 = 0$, where q^2 is the e^+ and neutrino invariant mass squared

$$\frac{\Gamma(B_s \rightarrow J/\psi f_0(980), f_0 \rightarrow \pi^+ \pi^-)}{\Gamma(B_s \rightarrow J/\psi \phi, \phi \rightarrow K^+ K^-)} \approx \frac{\Gamma(D_s^+ \rightarrow f_0(980) e^+ \nu, f_0 \rightarrow \pi^+ \pi^-, q^2 = 0)}{\Gamma(D_s^+ \rightarrow \phi e^+ \nu, \phi \rightarrow K^+ K^-, q^2 = 0)}$$

The Feynman diagrams in B_s and D_s^+ are analogous: J/ψ in B_s and virtual W^+ in D_s^+ are both spin-1 objects. The available energy in B_s , $m_{B_s} - m_{J/\psi} = 2.27$ GeV, is comparable to $m_{D_s^+} = 1.97$ GeV, so $q^2 = 0$ in the D_s^+ semileptonic decays give good estimation for the B_s case.

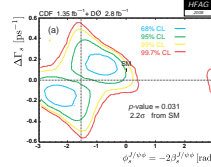


FIG. 1: $-2\beta_s$ from $B_s \rightarrow J/\psi \phi$

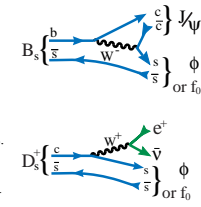


FIG. 2: Diagrams for $B_s \rightarrow J/\psi \phi$ (f_0) and $D_s^+ \rightarrow \phi$ (f_0) $e^+ \nu$

CLEO-c Technique

Tag Method: We use $e^+ e^- \rightarrow D_s^+ D_s^{*-}$ at 4170 MeV with 600 pb $^{-1}$ of data. We fully reconstruct one D_s^- and also the γ from D_s^* as a “tag”, then examine the properties of the other D_s^+ . The D_s^+ tags we reconstructed can come from either directly produced D_s mesons or those that result from the decay of a D_s^* mesons.

Tag Reconstruction: We first reconstruct D_s^- from 9 decay modes and require the beam constrained mass of candidates in the interval of [2.015, 2.067] GeV to pre-select $D_s D_s^*$ events. We then detect the photon from the D_s^* decay by looking for an additional photon candidate in the event that satisfies our shower shape requirement. We calculate the missing mass squared MM^2 recoiling against the photon and the D_s^- tag,

$$MM^2 = (E_{CM} - E_{D_s^-} - E_\gamma)^2 - (\mathbf{p}_{CM} - \mathbf{p}_{D_s^-} - \mathbf{p}_\gamma)^2$$

Single Tag Yields: To obtain number of D_s with γ tags, we simultaneously fit to the invariant mass (M_{D_s}) and MM^2 . We obtain the total number of single tags $30848 \pm 695 \pm 925$ in the invariant mass signal region (± 17.5 MeV from the D_s mass) and $MM^2 \in [3.782, 4.0]$ GeV 2 .

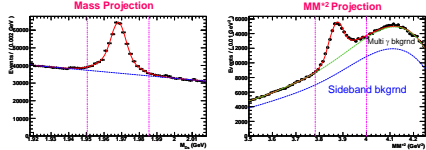


FIG. 3: D_s invariant mass and MM^2 distributions from 9 tag modes (for detail see PRD 79, 052001 (2009))

Signal Reconstruction & Data Distribution

Candidate events are selected that contain only $\pi^+ \pi^-$ or $K^+ K^-$ and a track with opposite charge to the tag, which we identify as an electron. The electron identification requires the track makes an angle $> 25.8^\circ$ with respect to the beam line and momentum > 200 MeV. In addition we require that there not be any photon detected in the calorimeter with energy greater than 300 MeV. The missing mass squared, MM^2 , evaluated by taking into account the observed f_0 (ϕ) meson, e^+ , D_s^- , and γ should peak at zero;

$$MM^2 = (E_{CM} - E_{D_s^-} - E_\gamma - E_{f_0(\phi)})^2 - (\mathbf{p}_{CM} - \mathbf{p}_{D_s^-} - \mathbf{p}_\gamma - \mathbf{p}_{f_0(\phi)})^2$$

We use a set of kinematical constraints and fit each event to two hypotheses one of which is that the D_s^- tag is the daughter of a D_s^* and the other that the D_s^* decays into γD_s^- , with the D_s^+ subsequently decaying into signal. In addition, we constrain the invariant mass of the D_s^- to the known D_s mass. This gives us a total of 7 constraints. The missing neutrino four-vector needs to be determined, so we are left with a three-constraint fit. We perform a standard iterative fit minimizing χ^2 . We choose the fitted MM^2 from the hypothesis giving the smaller χ^2 .

We simultaneously fit the D_s invariant mass, MM^2 and $\pi^+ \pi^-$ or $K^+ K^-$ invariant mass. A large mass window for dipion is chosen to measure the $f_0(980)$ mass and width. Here a relativistic Breit-Wigner function $BW(m^2)$ is used to fit the data distribution, where

$$BW(m^2) = \frac{m_0 \Gamma(m^2)}{(m^2 - m_0^2)^2 + (m_0 \Gamma(m^2))^2}, \quad \Gamma(m^2) = \Gamma_0 \frac{\sqrt{m^2/4 - m_0^2}}{\sqrt{m_0^2/4 - m_0^2}}$$

The fit gives $m_0 = 968 \pm 9$ MeV and $\Gamma_0 = 92^{+28}_{-21}$ MeV (Preliminary).

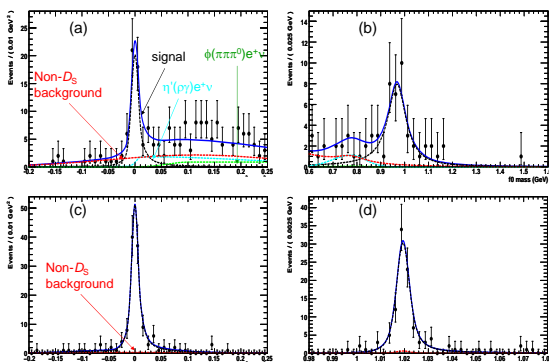


FIG. 4: Distributions of (a) MM^2 and (b) $m_{\pi^+ \pi^-}$ for $\phi e^+ \nu$ and (c) MM^2 and (d) $m_{K^+ K^-}$ for $\phi e^+ \nu$, superimposed with the total fitting function and each of its components in colors.

Results (Preliminary)

$D_s^+ \rightarrow f_0 e^+ \nu$ form factors

The decay rate can be written in terms of $\pi^+ \pi^-$ invariant mass (m) and q^2

$$\frac{d\Gamma(D_s^+ \rightarrow f_0 e^+ \nu)}{dm^2 dq^2} = \frac{G_F^2 |V_{cs}|^2 p_{f_0}(m, q^2) |f_+(q^2)|^2 P(m^2)}{192 \pi^3 m_{f_0}^2} \quad (1)$$

where G_F is the Fermi constant, p_{f_0} is the momentum of the f_0 in the D_s^+ rest frame, $|V_{cs}|$ is a CKM matrix element, $f_+(q^2)$ is function called form-factor, and $P(m^2)$ is the PDF of the f_0 mass distribution.

The q^2 distribution and branching fractions

We separate data into 5 q^2 bins, and perform similar fits as used before but fix the f_0 mass and width to the observed values. The yields, efficiencies and efficiency corrected yields in the 5 q^2 bins are shown in Table 1. The branching fractions can be extracted by dividing the efficiency corrected yields sums in each mode by the number of tags. We find $\mathcal{B}(D_s^+ \rightarrow f_0 e^+ \nu, f_0 \rightarrow \pi^+ \pi^-) = (0.20 \pm 0.03 \pm 0.01)\%$ and $\mathcal{B}(D_s^+ \rightarrow \phi e^+ \nu) = (2.36 \pm 0.23 \pm 0.13)\%$

Table 1: Preliminary number of events and efficiency ϵ in q^2 intervals. (The errors on ϵ are about 1%.)

q^2 interval (GeV 2)	# $f_0 e^+ \nu$ (f_0)	# f_0 corrected	# $\phi e^+ \nu$ (ϕ)	# ϕ corrected
0-0.2	14.6 \pm 3.9	45.5	32.1 \pm 8.6	30.5 \pm 5.1
0.2-0.4	12.3 \pm 3.5	50.2	24.5 \pm 7.0	30.5 \pm 5.3
0.4-0.6	12.4 \pm 3.5	53.6	23.1 \pm 6.5	22.3 \pm 4.4
0.6-0.8	4.2 \pm 2.2	56.9	7.4 \pm 3.9	21.5 \pm 4.7
0.8-2.0	0.1 \pm 0.0	55.9	0.1 \pm 0.0	1.6 \pm 1.1
Sum	43.5 \pm 6.7		87.1 \pm 13.5	106.4 \pm 9.8

We fit the efficiency corrected q^2 distribution. For the $f_0 e^+ \nu$, the fit function is Eq. (1) integrated over m , and a simple pole model $f_+(q^2) = 1/(1 - q^2/m_A^2)$ is used. For the $\phi e^+ \nu$, we use the BABAR measured shape [2].

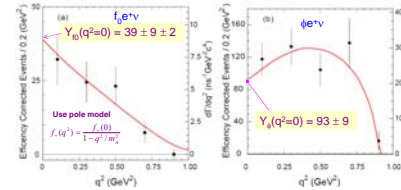


FIG. 5: Preliminary q^2 distributions with fit functions superimposed.

We obtain a preliminary value of the pole mass $m_A = 1.7^{+0.5}_{-0.7} \pm 0.2$ GeV and preliminary ratio

$$\frac{\Gamma(D_s^+ \rightarrow f_0(980) e^+ \nu, f_0 \rightarrow \pi^+ \pi^-, q^2 = 0)}{\Gamma(D_s^+ \rightarrow \phi e^+ \nu, \phi \rightarrow K^+ K^-, q^2 = 0)} = (42 \pm 11)\%$$

$f_0(980)$ Properties

In the earlier $\pi^+ \pi^-$ invariant mass fit, we did not take into account the fact that the phase space for the larger f_0 masses is somewhat smaller than that for smaller f_0 masses, due to the finite D_s mass.

To take into account this effect, we need integrate Eq. (1) over q^2 in the allowed region $[0, (m_{D_s} - m)^2]$. Here we use $P(m^2) = BW(m^2)$.

We used our fitted form-factor shape for $f_+(q^2)$.

We obtain $m_0 = (977^{+11}_{-9} \pm 1)$ MeV and $\Gamma_0 = (91^{+30}_{-22} \pm 3)$ MeV. The systematic errors are determined by varying

the form-factor by \pm one error width.

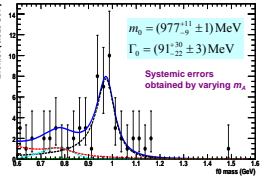


FIG. 6: Invariant mass distribution for $\pi^+ \pi^-$. The signal shape is a relativistic Breit-Wigner modified by phase space and form-factor effects. For the meanings of the curves, see FIG 4 (a).

$f_0(980)$ in D_s Hadronic Decays

Stone and Zhang [1] also use branching fractions of $D_s^+ \rightarrow K^+ K^- \pi^+$ and $\pi^+ \pi^- \pi^+$ from CLEO and the BABAR Dalitz analysis of the 3π mode [3] (Fig. 7) to derive

$$\frac{\Gamma(D_s^+ \rightarrow f_0 \pi^+ \pi^+ \pi^-)}{\Gamma(D_s^+ \rightarrow \phi \pi^+ \pi^+ \pi^-)} = (20 - 30)\%$$

where the $\pi^+ \pi^-$ mass is within ± 90 MeV of the $f_0(980)$ mass.

Fig. 8 shows the diagram for D_s decay into π^+ plus an ss system.

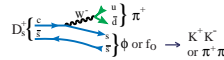


FIG. 8: Diagram for a D_s decay into π^+ plus an ss system.

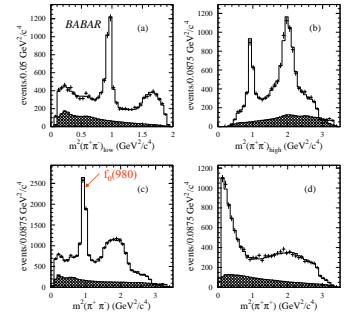


FIG. 7: Dalitz plot projections (dots with error bars) and fit results (solid histogram). The hatched histograms show the background contribution. From the BABAR Collaboration [3]

Conclusions (Preliminary)

- We present an updated result for the first measurement of $\mathcal{B}(D_s^+ \rightarrow f_0(980) e^+ \nu, f_0 \rightarrow \pi^+ \pi^-) = (0.20 \pm 0.03 \pm 0.01)\%$.
- Assuming a simple pole model for the form-factor, $|f_+(q^2)|$, we estimate the pole mass as $1.7^{+0.5}_{-0.7} \pm 0.2$ GeV.
- In the final state the only hadron present is the f_0 . This provides a particular clean environment that allows us to measure the mass and width as $(977^{+11}_{-9} \pm 1)$ MeV and $(91^{+30}_{-22} \pm 3)$ MeV, respectively.
- We update our measurement of $\mathcal{B}(D_s^+ \rightarrow \phi e^+ \nu) = (2.36 \pm 0.23 \pm 0.13)\%$.
- We measure the ratio of decay rates at $q^2 = 0$ of $\frac{\Gamma(D_s^+ \rightarrow f_0(980) e^+ \nu, f_0 \rightarrow \pi^+ \pi^-, q^2 = 0)}{\Gamma(D_s^+ \rightarrow \phi e^+ \nu, \phi \rightarrow K^+ K^-, q^2 = 0)} = (42 \pm 11)\%$.
- This ratio has been predicted by Stone and Zhang [1] to equal $\frac{\Gamma(B_s \rightarrow J/\psi f_0(980), f_0 \rightarrow \pi^+ \pi^-)}{\Gamma(B_s \rightarrow J/\psi \phi, \phi \rightarrow K^+ K^-)}$. Our measurement indicates that the $B_s \rightarrow J/\psi f_0$ may indeed be a useful place to measure CP violation in the B_s system since the rate can be $\sim 40\%$ of that of the $J/\psi \phi$ mode, especially since an angular analysis is not necessary as the $J/\psi f_0$ mode is a CP-eigenstate.

References

- [1] S. Stone and L. Zhang “S-waves and the measurement of CP violation phases in B_s decays,” Phys. Rev. D 79, 074024 (2009).
- [2] B. Aubert et al. (BABAR), “Study of the decay $D_s^+ \rightarrow K^+ K^- e^+ \nu$,” Phys. Rev. D 78, 051101 (R) (2008).
- [3] B. Aubert et al. (BABAR), “Dalitz plot analysis of $D_s^+ \rightarrow \pi^+ \pi^+ \pi^-$,” arXiv:0808.0971