3rd BCD International School of HEP

Λ_{c} detection using a weighted Bayesian PID approach

Presented by: Marco Giacalone

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$\Lambda_{\rm c}$ properties.

Quark content	Mass (Mev/c ²)	Mean lifetime (10 ⁻¹⁵ s)	cτ (μm)
u d c	2286.46 ± 0.14	200 ± 6	60 ± 2

- Heavy Flavours are important probes to study the QGP fireball.
- The measurement of the Λ_c charmed baryon yields compared to D mesons allows to investigate their production mechanism.
- The Λ_c production via the π Kp decay channel in central (0-20%) Pb-Pb collisions was studied in this thesis
- A rare process with a high combinatorial background

Weighted Bayesian Approach

The new method replaces the cut on the Bayesian probability with weights, applied to the π Kp candidates.

• Combined Multi-Particle Bayesian weight:

$$P^{ijk}(\vec{S}) = \frac{p_i(S_1)p_j(S_2)p_k(S_3) \cdot C_{ijk}}{\sum_{m,n,l} p_m(S_1)p_n(S_2)p_l(S_3) \cdot C_{mnl}}$$

Priors function C_{ijk} (a set of 27 =3x3x3 priors) is determined via an iterative procedure: starting from equal priors the analyzer computes new priors. The priors obtained at the step *i* are used as input for the step *i*+1. Fast convergence (20 steps). $N_{tripletr}$ $\sum P^{ijk} (\vec{S}) = N$ when $C \longrightarrow N$

$$\sum_{i=1}^{r} P^{ijk}(S_r) = N_{ijk}, \text{ when } C_{ijk} \to N_{ijk}$$



Weighted Bayesian approach

Entries are weighted by the Bayesian combined probability. Results mimics a perfect PID scenario.

Signal significance as a function of the transverse momentum.

Approaches significances

Run2 Bayesian weight approach Significance Run3 Bayesian weight approach 40 Run2 No approach Run3 No approach 35 Run2 standard Bayesian approach Run3 standard Bayesian approach 30 **RUN3** 25 ۲ 20 15 10 5 **RUN2** 3 5 6 9 p_T(GeV/c)

Significance = $\frac{S}{\sqrt{S+B}}$

Signal significance in RUN2 and RUN3 in two different intervals of Λ_c momentum.

Momentum interval 2-7 GeV/c

Momentum interval 7-10 GeV/c





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Conclusions

- The Λ_c baryon is accessible at RUN3, indipendently of the used PID approach.
- The new approach is close to mimic a perfect PID scenario and is superior to standard ALICE PID cut-based approaches.
- Future prospects: use a full simulation to better quantify the performance of the approach.

The ALICE detector

- One of the main LHC experiments.
- Principal task is to study heavy nuclei collisions (Pb-Pb).



• Its main detectors in the central region are: the ITS, the TPC, the TRD, the TOF, the HMPID and the PHOS. Strong focus on PID.

- TPC and TOF detectors were taken into account in the fast simulation for tracking, reconstruction and PID.
- Their reconstruction efficiencies and PID performances were simulated via parametrizations based on real data.



A fast simulation was developed to evaluate the Λ_C observability and to optimize the PID technique

• Number of Λ_c per event per unit of rapidity:

$$\frac{d\sigma_{c\bar{c}}}{dy} \cdot \frac{1}{\sigma_{inPbPb}} \cdot N_{coll0-20} \cdot f_{c} \cdot R_{AA} = 0.76$$

• Signal superimposed with central Pb-Pb collisions (0-20%) with mean charged track multiplicity $\frac{dN}{dN} \sim 1600$.

PID approaches currently used in ALICE

$N\sigma$ cut:

- 3σ cut on the PID signal distribution around the expected value for a given mass hypothesis.
- ~99% efficient, by definition, but relatively weak rejection of background.

Bayesian PID

 $p_i(S)$ Detector response function = probability density that a given species releases the measured signal S

$$\int p_i(S) dS = 1$$

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 C_i

Priors = our knowledge of particle abundances, as close as possible to
the real abundances \longrightarrow

 $P^{i}(S) = \frac{p_{i}(S) \cdot C_{i}}{\sum p_{k}(S) \cdot C_{k}}$ A-Posteriori probability (Bayesian prob) based on the Bayes Theorem

$$\sum_{k} P^{k}(S) = 1$$

A Fast Simulation was developed to evaluate the Λ_C observability and to optimize the PID technique

• Number of Λ_c per event per unit of rapidity:

$$(864 \ \mu b) \cdot \frac{1}{72 \ mb} \cdot 1340 \cdot 0.118 \cdot 0.4 = 0.76$$

• Signal superimposed with central Pb-Pb collisions (0-20%) with mean charged track multiplicity $\frac{dN}{dN} \sim 1600$.

Standard Bayesian cut

- Cut on the Bayesian probability (P>0.3).
- Priors function C_i fixed using the known particle abundances (from data)



- TPC and TOF detectors were taken into account in the fast simulation for tracking, reconstruction and PID.
- Their reconstruction efficiencies and PID performances were simulated via parametrizations based on real data.

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TPC tracking efficiency.



TOF tracking efficiency.



Simulated data samples

• RUN2: integrated luminosity of 20 μ b⁻¹ \rightarrow 30 millions of events for PbPb collisions with centrality 0-20% at 5.02 TeV

• RUN3: expected integrated luminosity is $10 \text{ nb}^{-1} \rightarrow 15$ billions of events for PbPb collisions with centrality 0-20% at 5.02 TeV.





 $\varepsilon_{PID} = rac{MeasSig}{TrueSig}$

Ratio between the measured Λ_c signal and the true Λ_c signal, as a function of the transverse momentum.

$R = \frac{1}{B}$

Ratio between the signal and the background, as a function of the transverse momentum.

Signal to Background ratio





Separation power for hadron identification at midrapidity. ITS,TPC,TOF,HMPID Detection systems are complementary.