

# Beam Delivery System Tuning and IP Feedback Simulations

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# Before I begin...

- It should be noted that I did not work alone on these tasks.
  - In the past, I worked with Jochem Snuverink (now at PSI) for both tuning and IP Feedback
  - Currently, I work with Edu Marin Lacoma for tuning, recycling many of his codes.

# What will I be talking about?

- Bit of background on the beam delivery system (BDS) of CLIC
- Development of new tuning procedures and changes to the lattice
- In-progress tuning work
- Previous IP Feedback simulations
- In-progress IP Feedback simulations



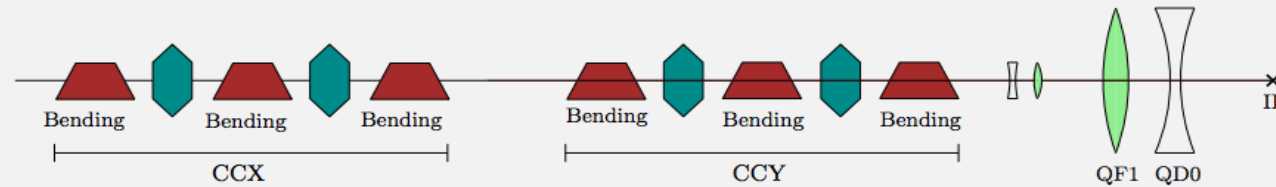
# First up, single-beam tuning

- This tuning is for the 3 TeV “Traditional” final focus system
- At this point, the only imperfections applied to the beamline are static offsets in the transverse directions
  - Beam position monitor (BPM) resolution assumed to be 10 nm
- Two-beam tuning to be investigated once single-beam tuning goals reached

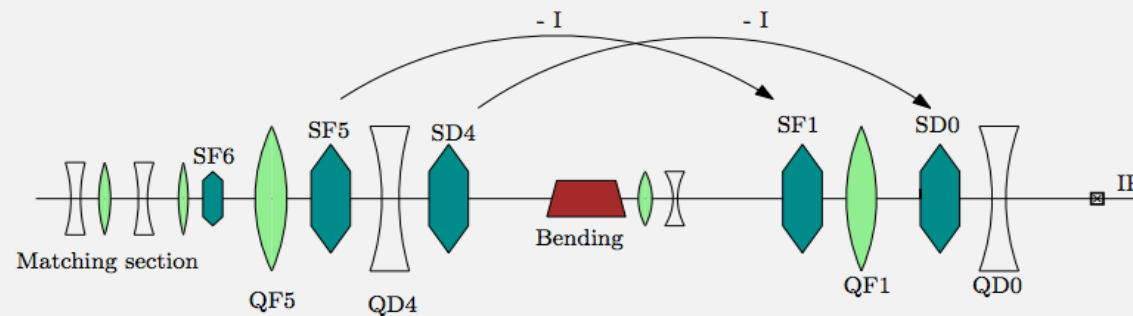
# Some background

- Two separate sections for chromaticity correction
- Lattice by Hector Garcia, see e.g. his talk at [CLIC WS 2014](#)
- Relatively simple system for design and analysis

Traditional FFS



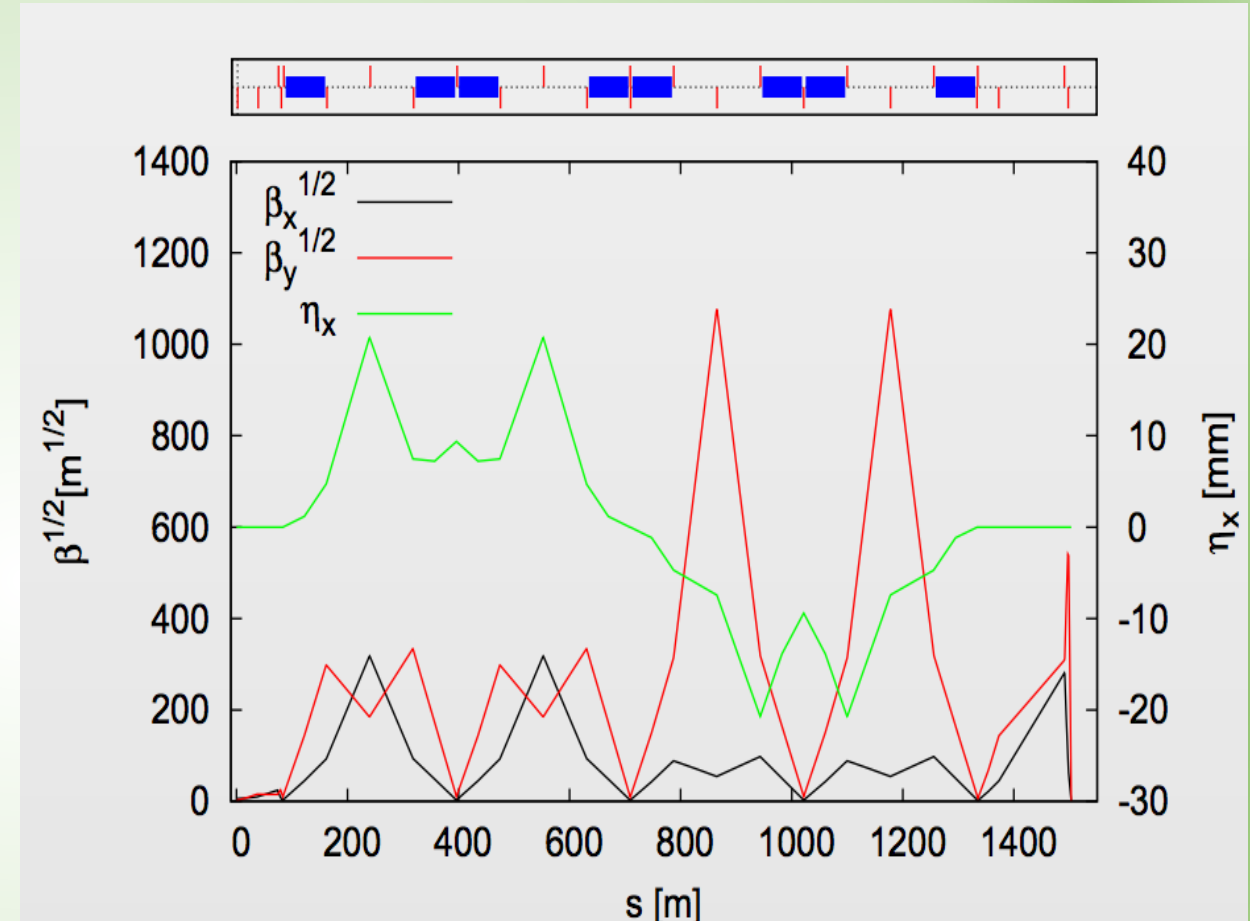
Local FFS



# Traditional Final Focus

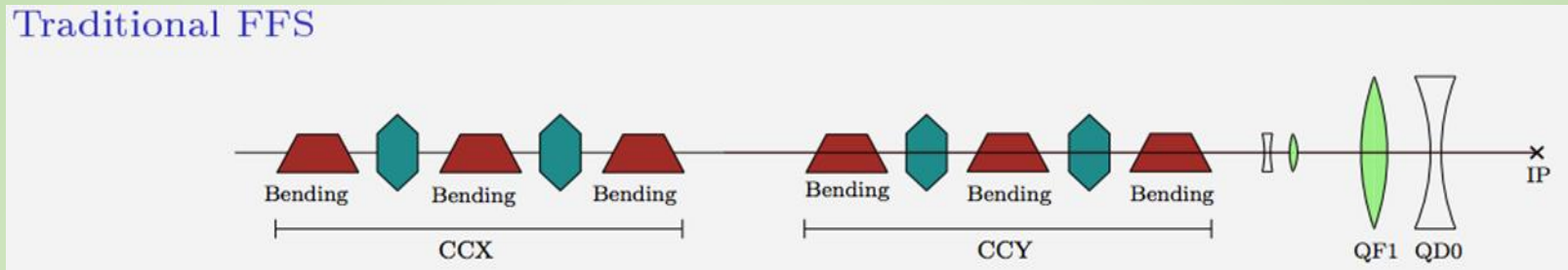
Parameter	Unit	Traditional "Optimized"	Local
Length	m	1460	450
Total Luminosity	$\text{cm}^{-2}\text{s}^{-1}$	$7.5 * 10^{34}$	$7.8 * 10^{34}$
Peak (1%) Luminosity	$\text{cm}^{-2}\text{s}^{-1}$	$2.4 * 10^{34}$	$2.4 * 10^{34}$

Optimized lattice achieves similar luminosity as local scheme.

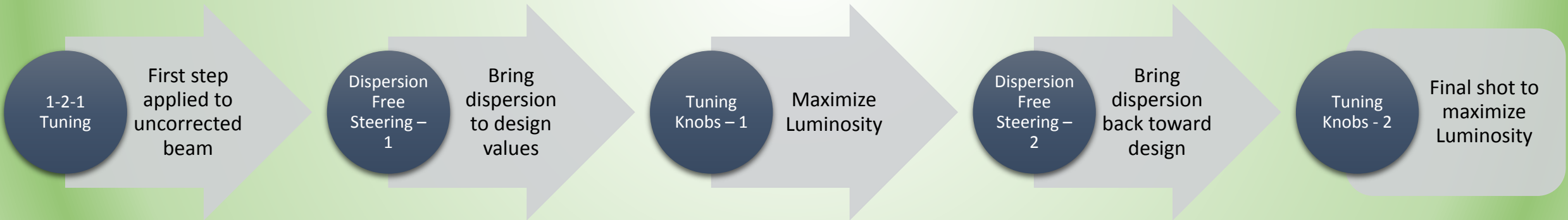




# Historical Tuning Procedure



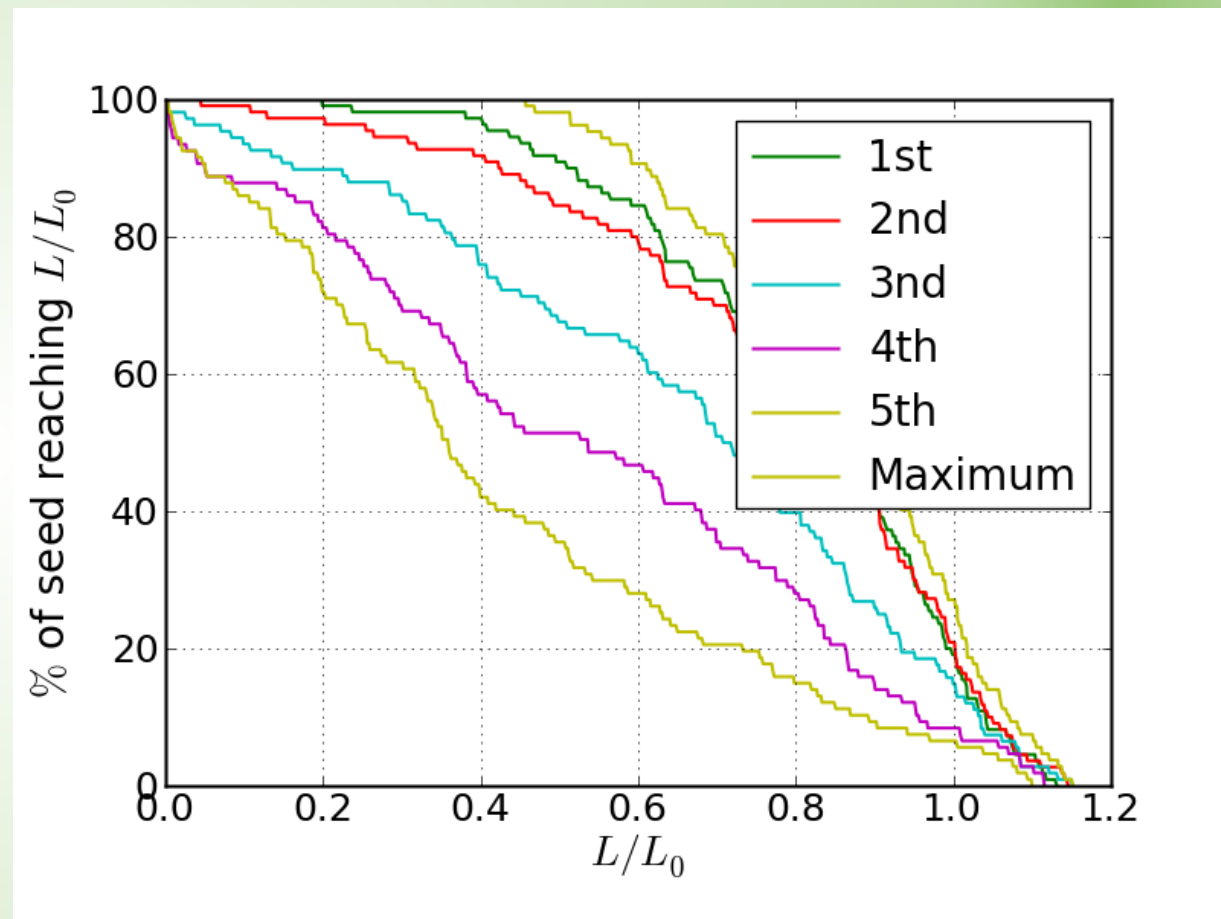
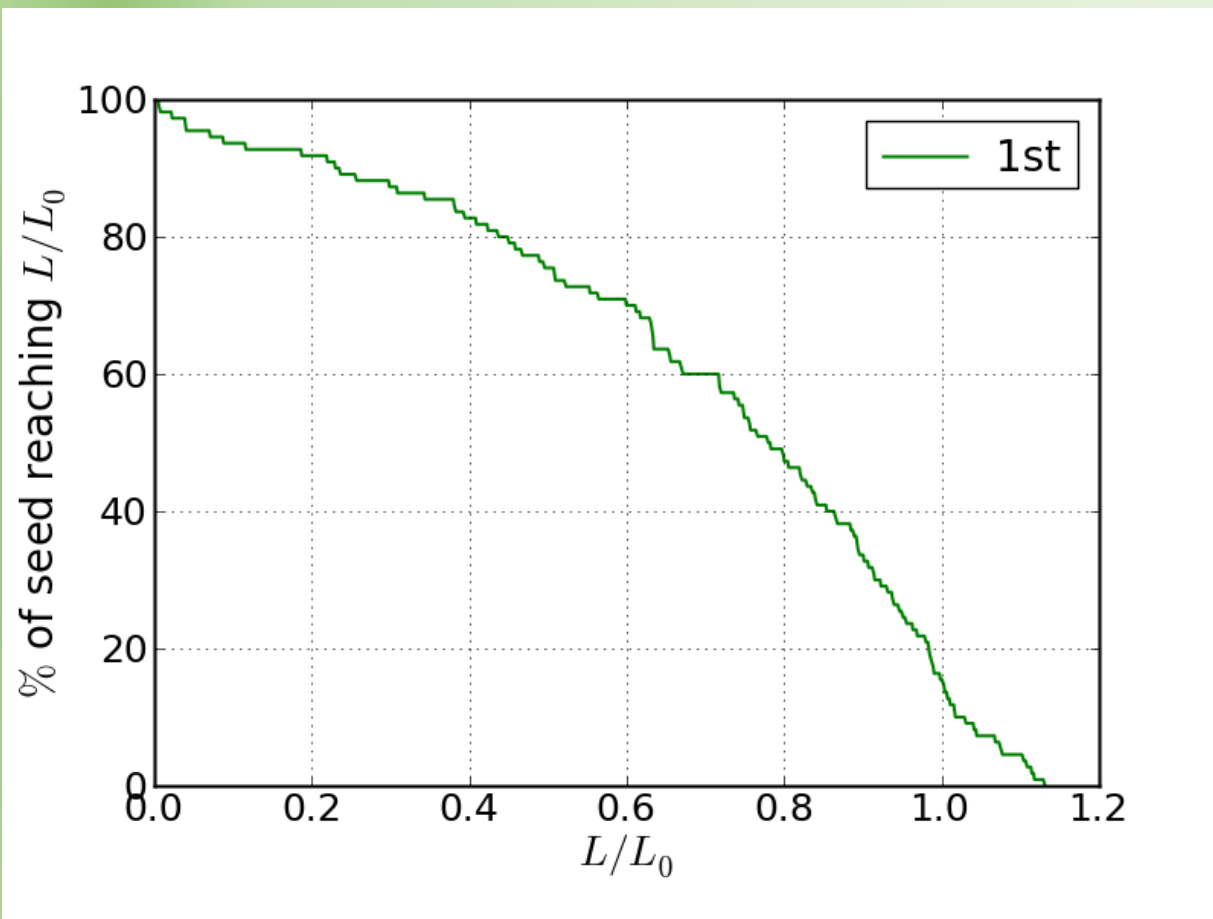
- Looking at the traditional final focus system, with 3 TeV collision energy.
- Simulations using PLACET and GUINEA-PIG
- Apply static offsets in x and y plane ( $10\ \mu\text{m}$  RMS, 10 nm BPM resolution), then:



# Unfortunately, this isn't enough.

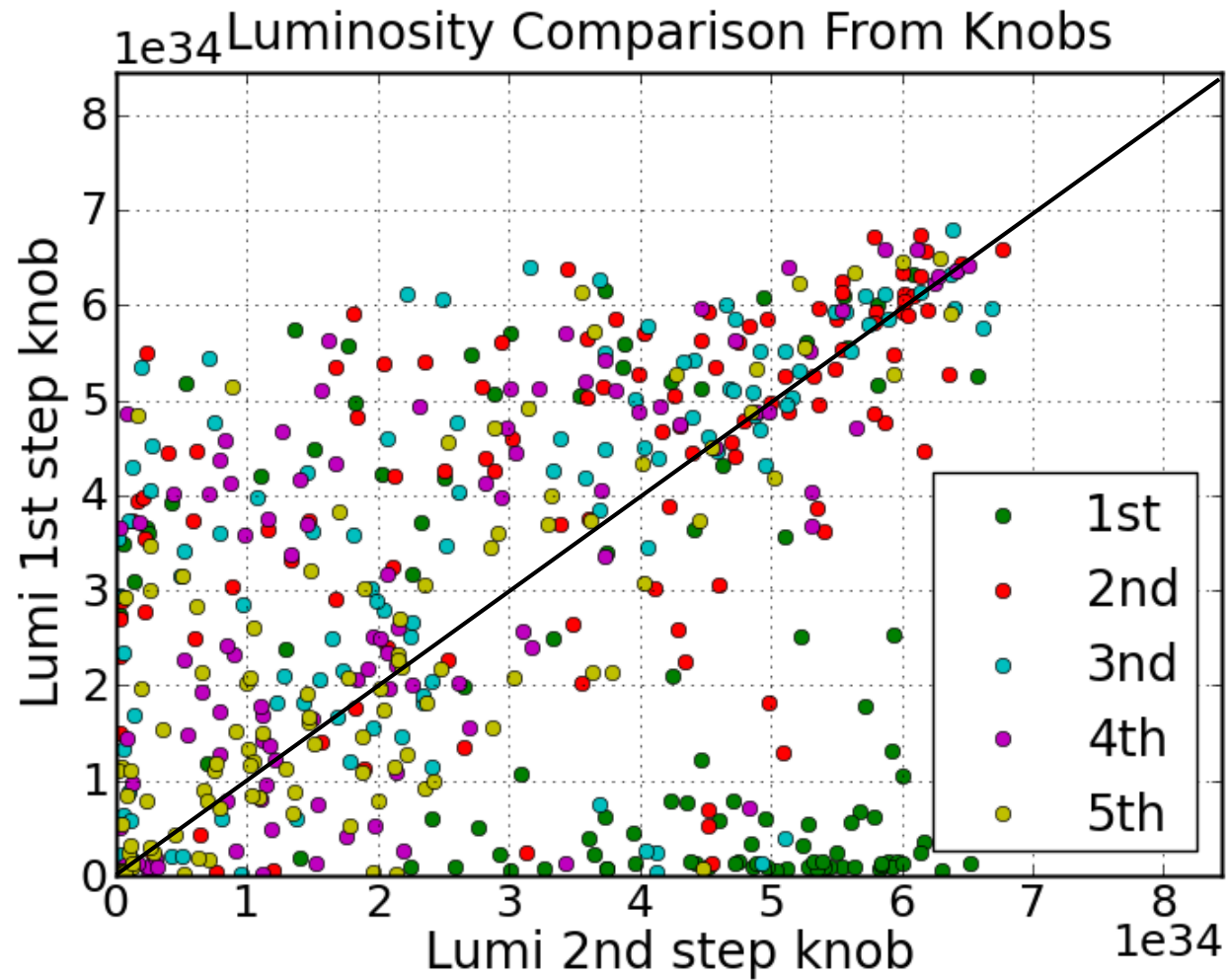
The goal is for 90% of seeds to reach 110%.

Doing multiple iterations, using the previous output as the input, surprisingly makes matters worse.

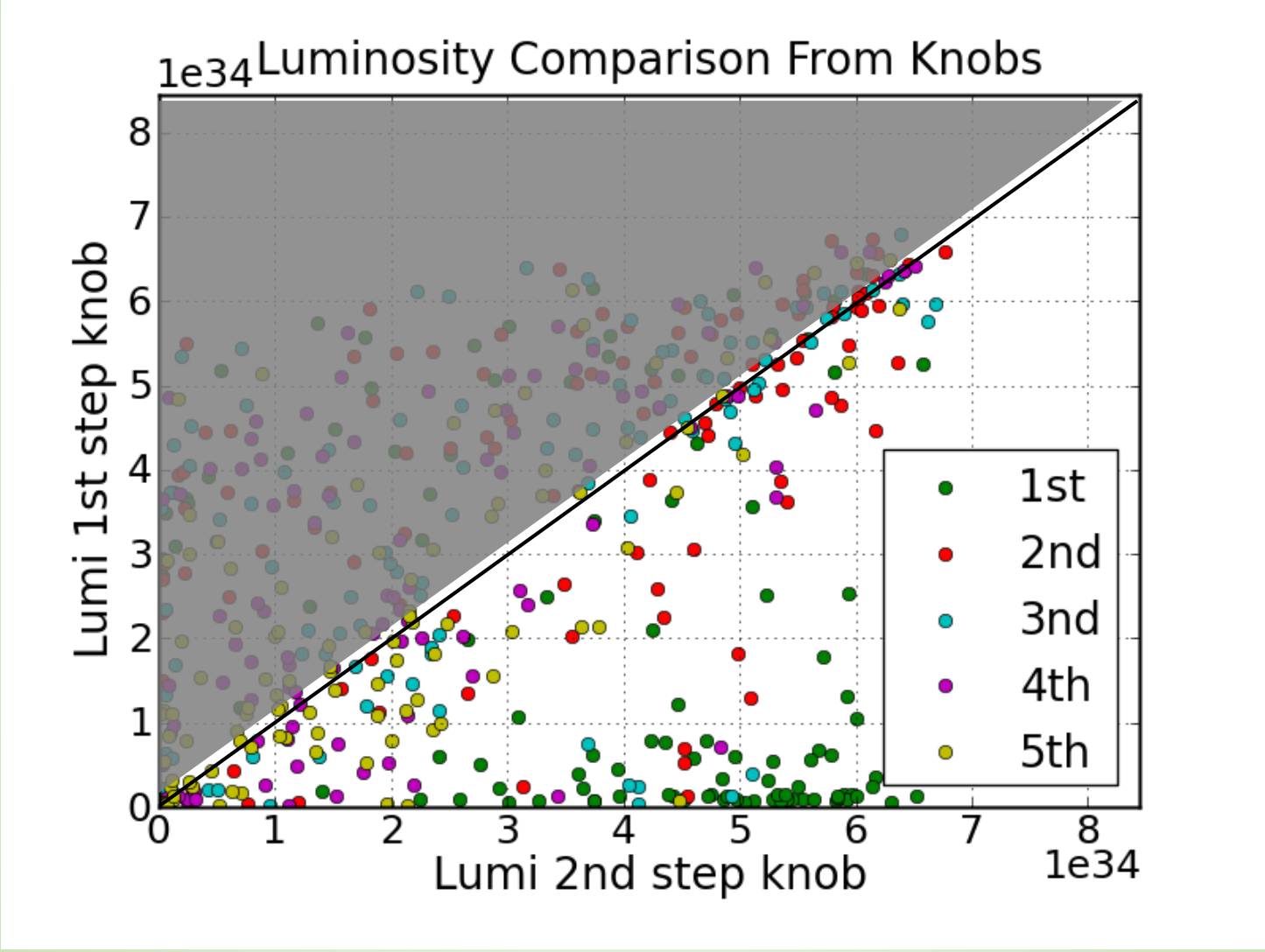




So, what's the problem?



It turns out, the 2<sup>nd</sup> DFS step decreases the luminosity of many seeds.



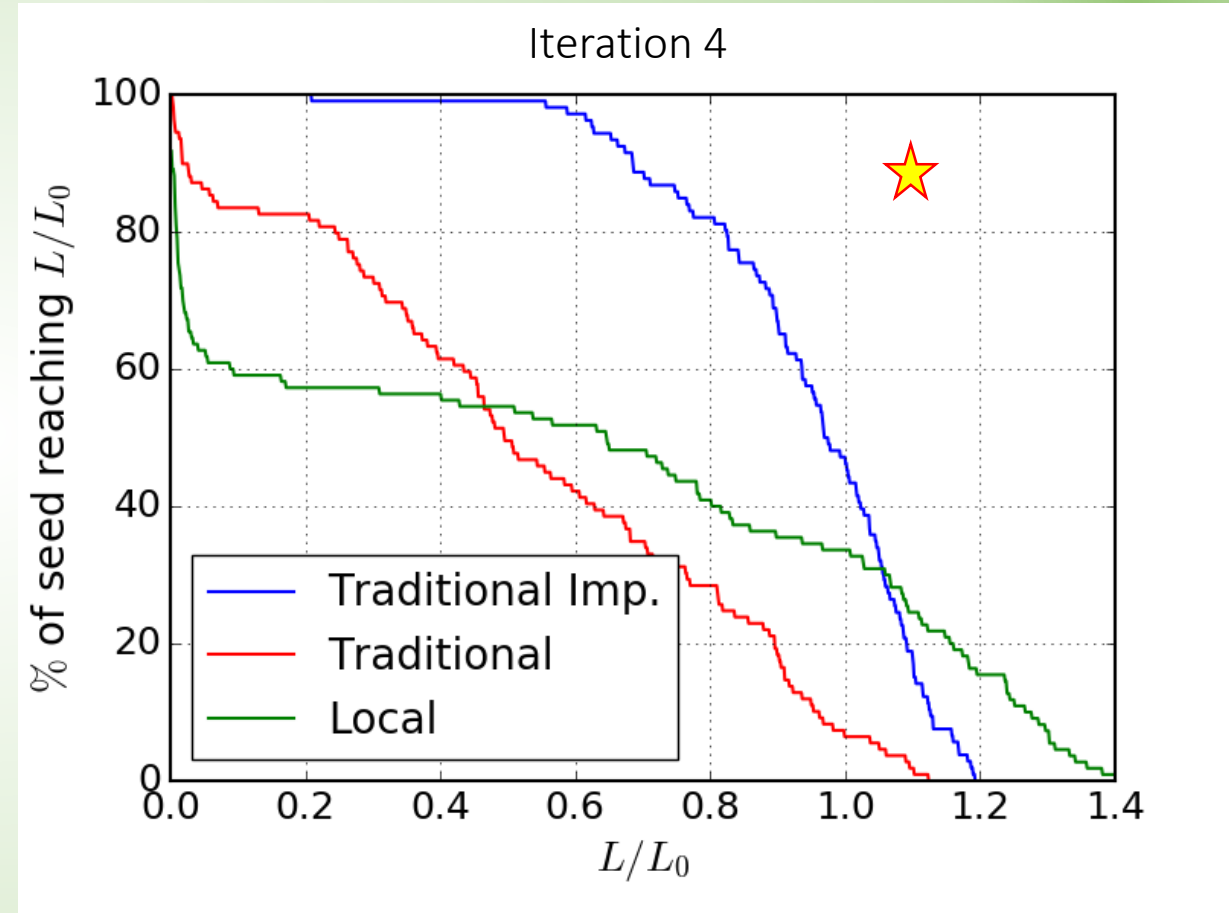
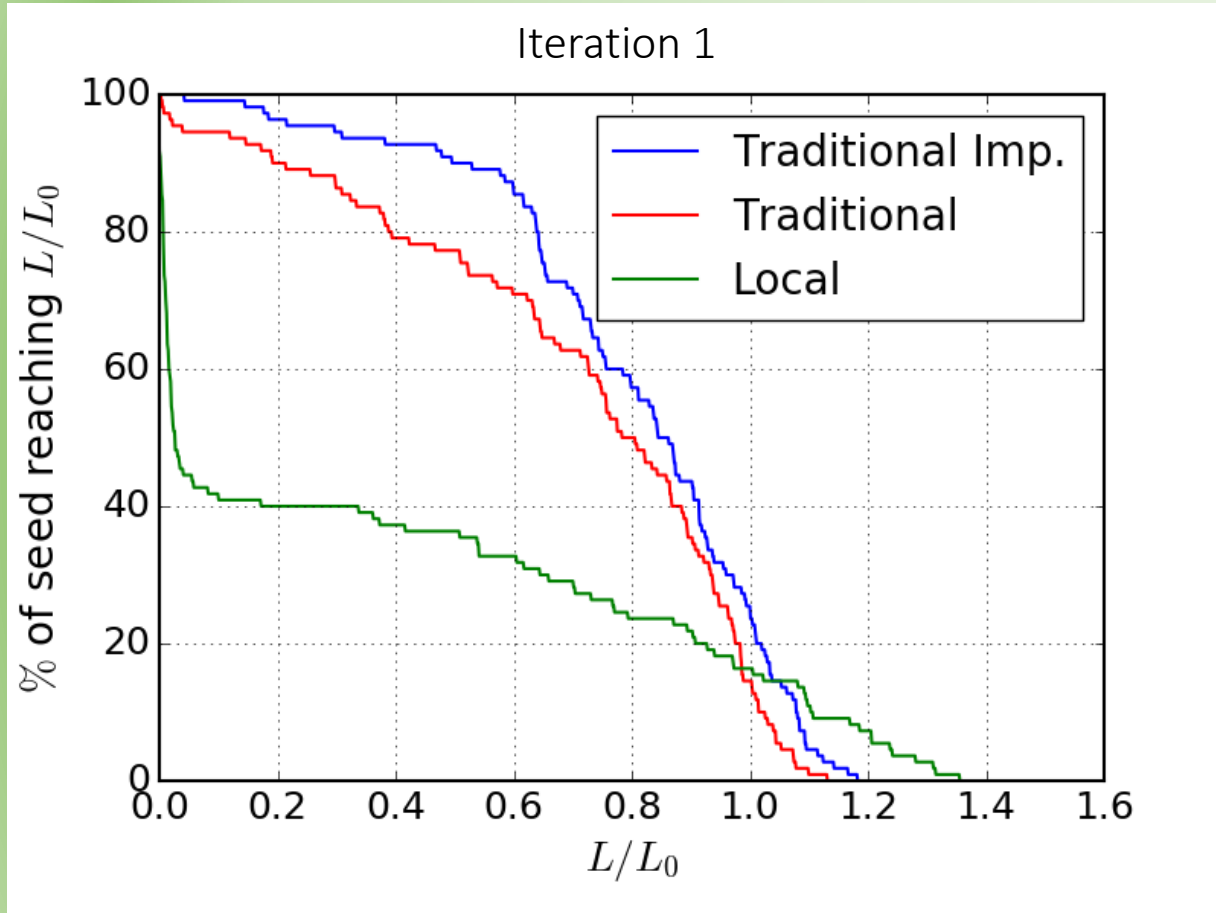
# Developing new DFS knobs

- 2<sup>nd</sup> stage DFS is not always beneficial
  - Algorithm works very well without synchrotron radiation (SR)
  - Performance is degraded with presence of SR since system becomes non-linear
- Goal: replace this step with more robust algorithm
- Several ideas
  - Use measured response matrix and update (not presented here)
  - DFS knobs that optimize luminosity (presented here)
  - Customized knobs which address specific aberrations (presented here)

# Developing new DFS knobs

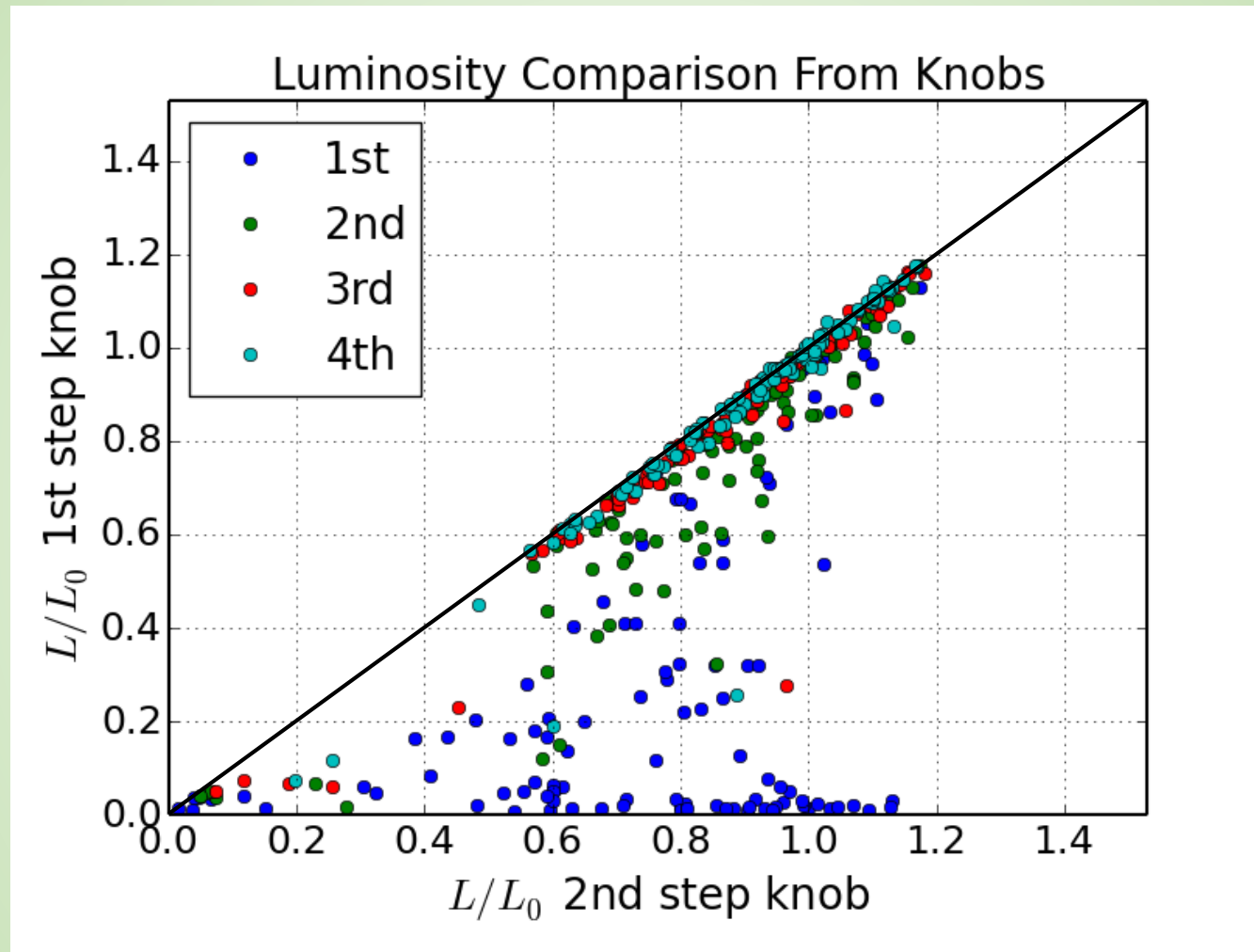
- Instead of matching dispersion, look for maximum luminosity signal
  - More robust, luminosity can only increase
- Classic DFS algorithm is transformed into a few knobs (using the same dipoles)
  - Achieved using Singular Value Decomposition (SVD)
  - Only applied to 2<sup>nd</sup> stage DFS
- DFS knobs change beam orbit and so won't be orthogonal with sextupole knobs
  - Orthogonality not crucial, but probably best to do DFS knobs first

# Comparing Iterations - Different Methods





# Are we still losing luminosity?

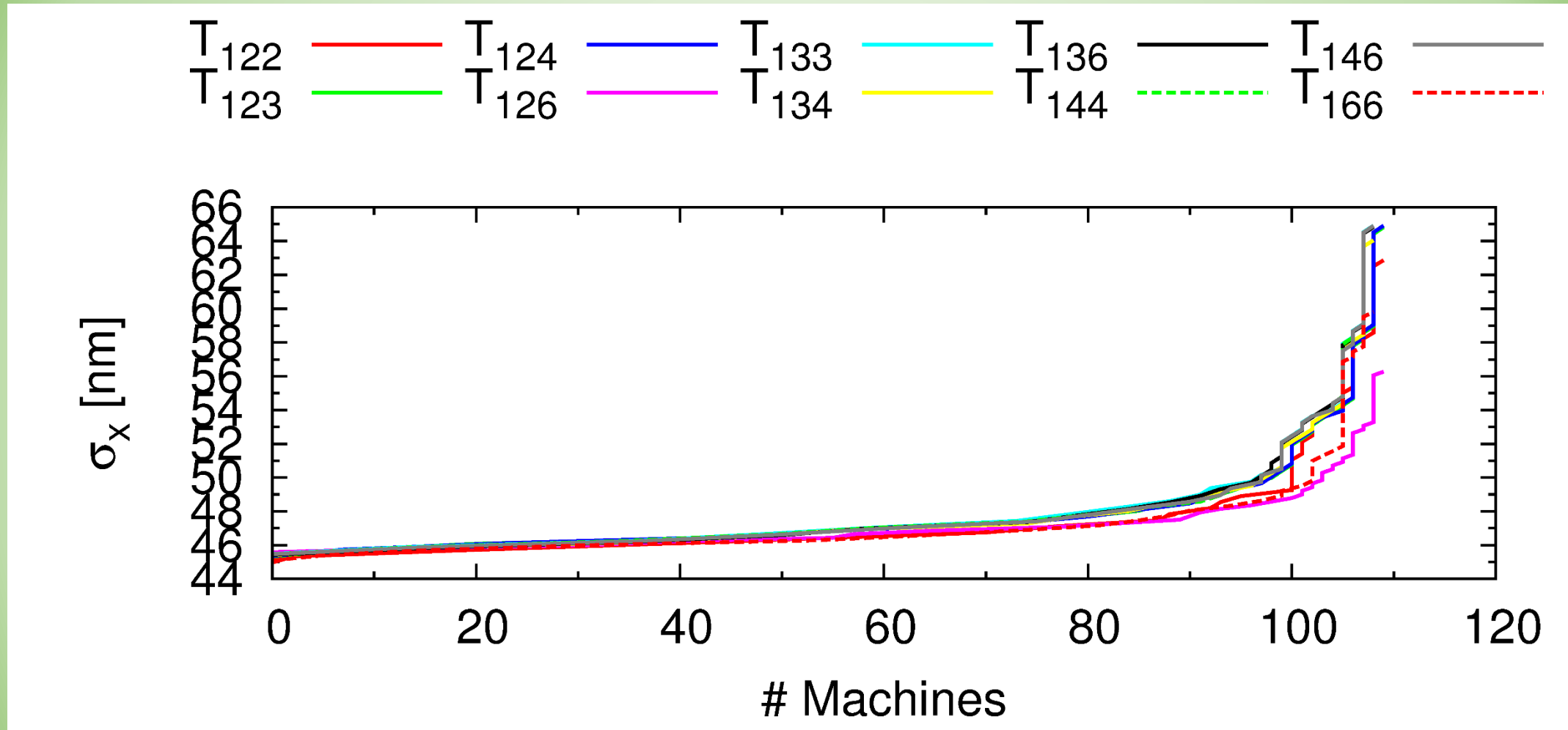




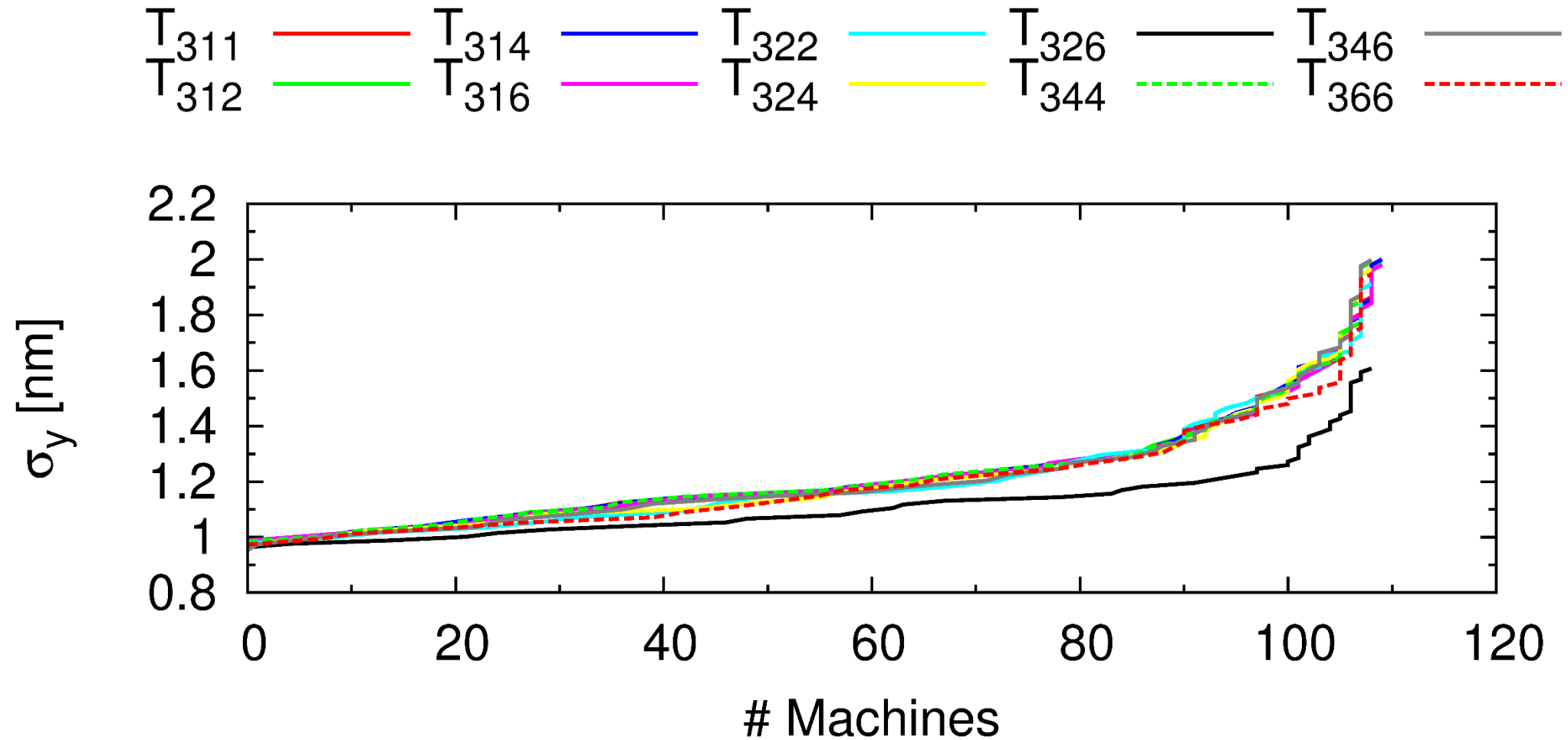
# However, it's still not enough.

- Still nowhere near the goal of 90% of machines reaching 110% of the nominal luminosity
- To address this, need to design knobs which can correct for specific aberrations
  - Edu Marin Lacoma developed this method
- Analysis of the IP beam distributions identifies high order aberrations which can make further improvements of the luminosity measurement
  - In the X plane, these are: T126, T166, T122
  - In the Y plane, these are: T326

# In the horizontal plane



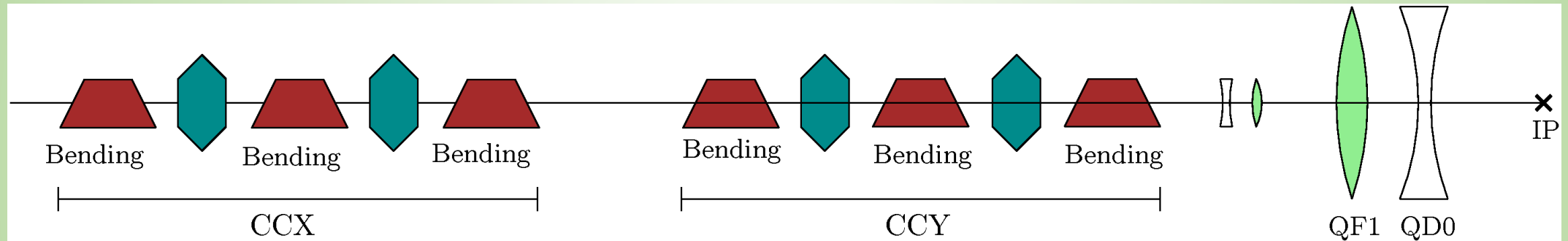
# In the vertical plane



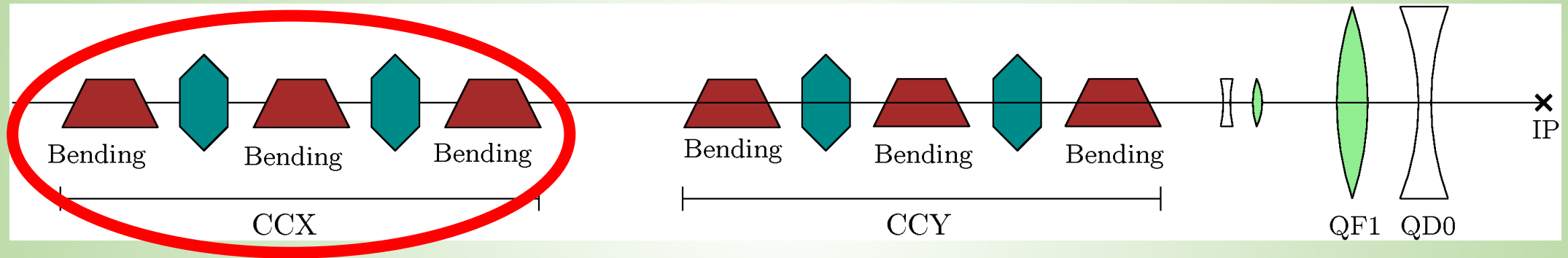
# To construct the knobs

- Basically, you use a bit of mathematical wizardry on the response matrix to find various vectors that are orthogonal to each other
- Three methods used, primarily
  - Least Squares
  - Matrix Inversion
  - Singular Value Decomposition (SVD)
- Each method ends up with different results, so all three have to be investigated and a method selected
- Also, added dimensionless skew sextupoles to the lattice to address nonlinear aberrations

# New, dimensionless skew sextupoles added

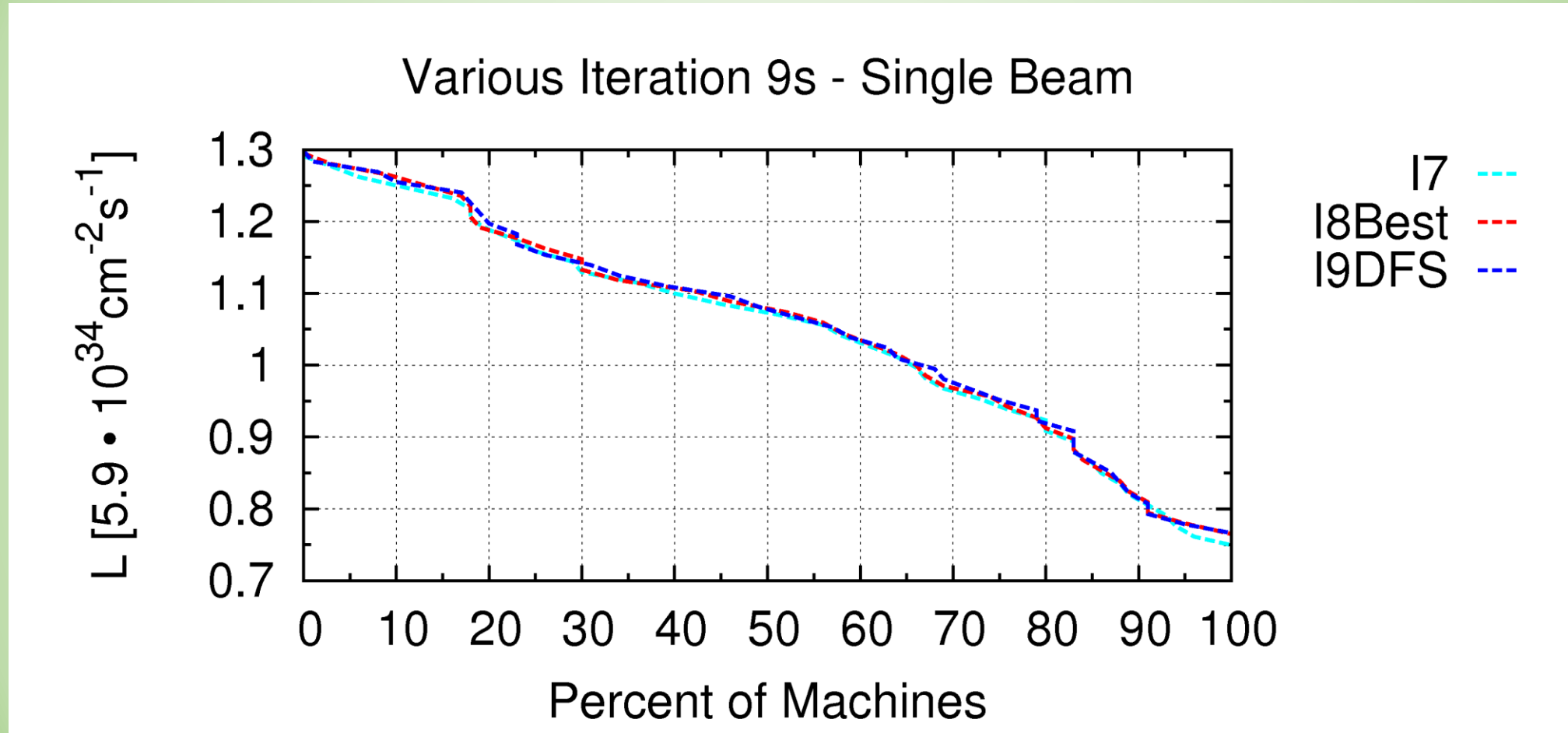


# New, dimensionless skew sextupoles added

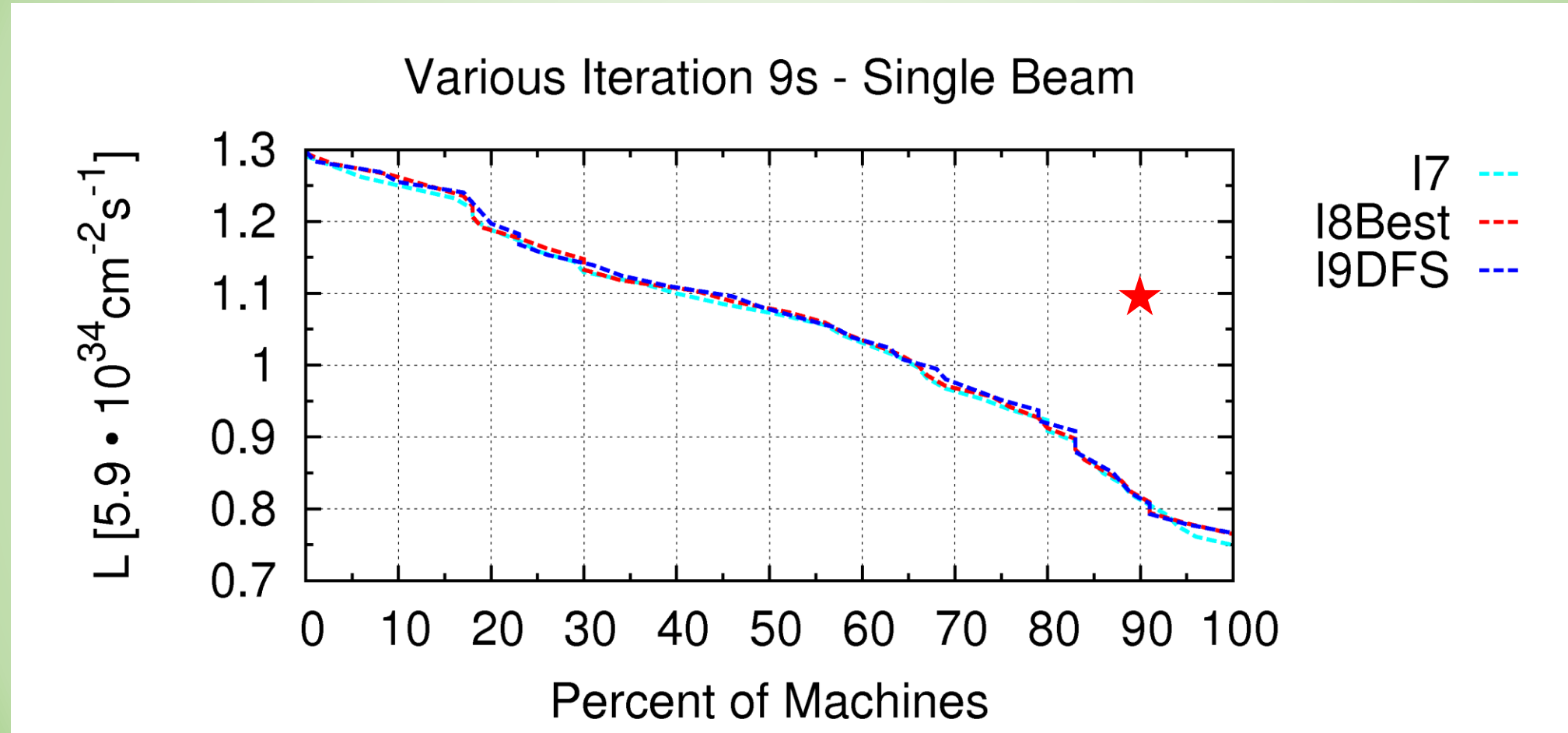




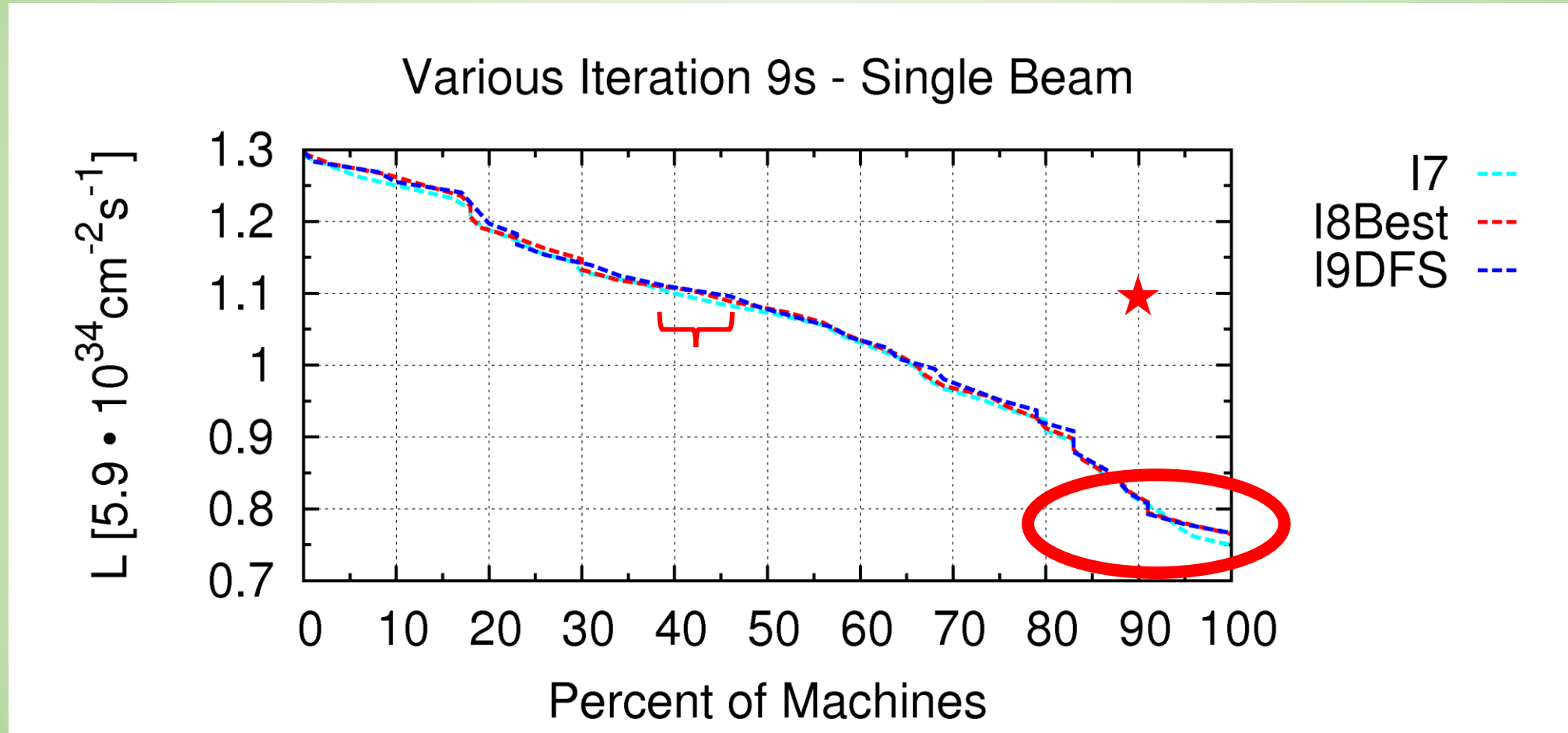
# So, how did these changes perform?



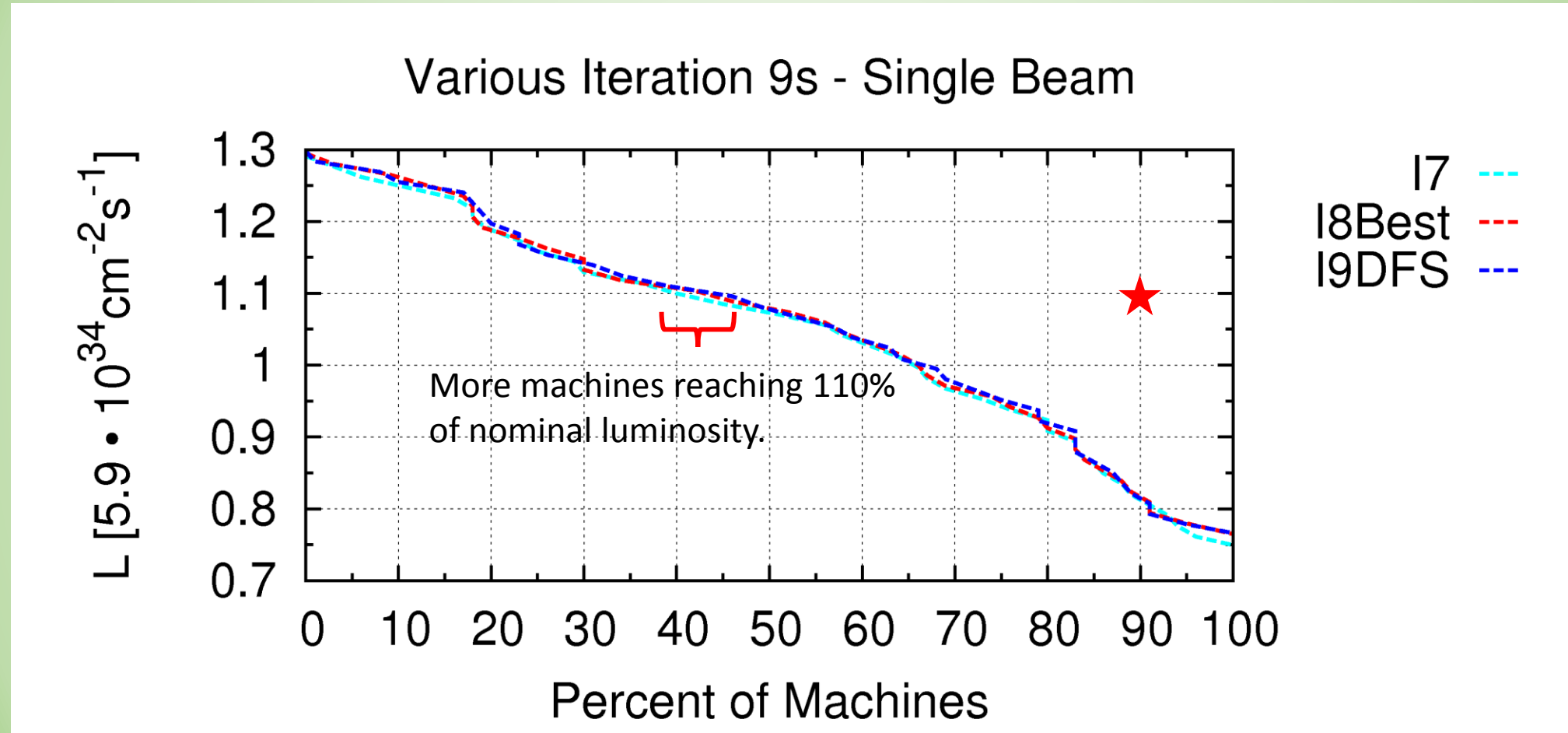
# So, how did these changes perform?



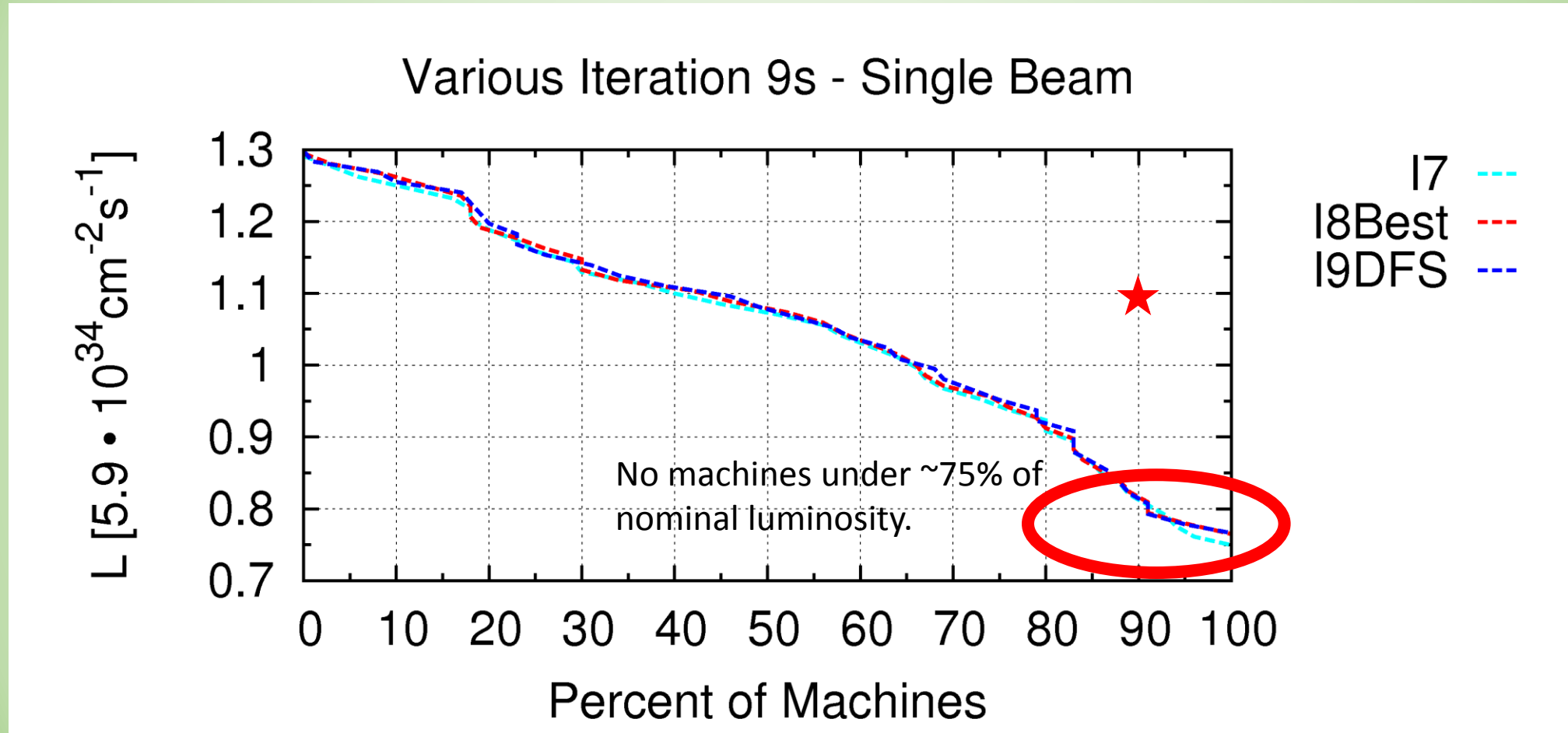
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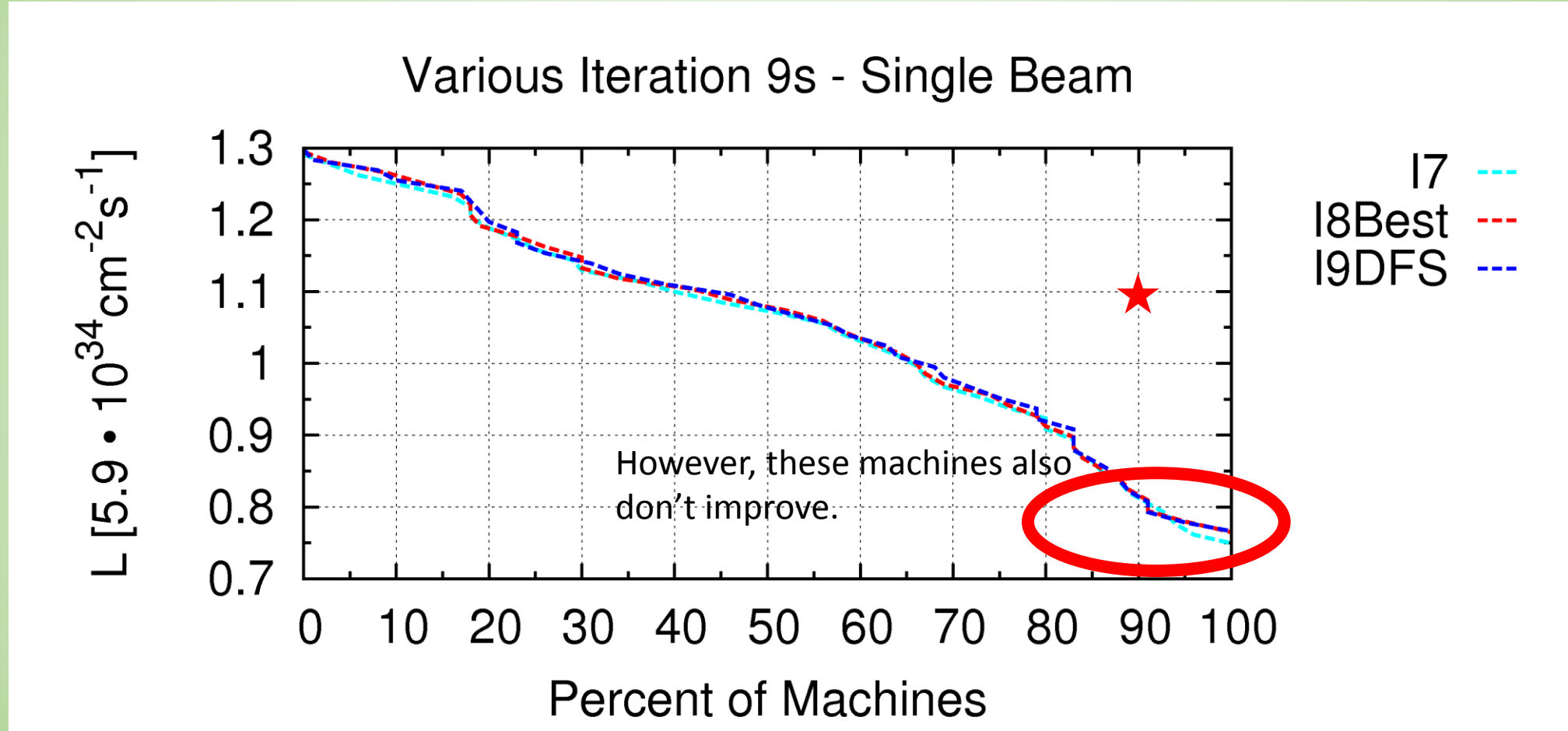
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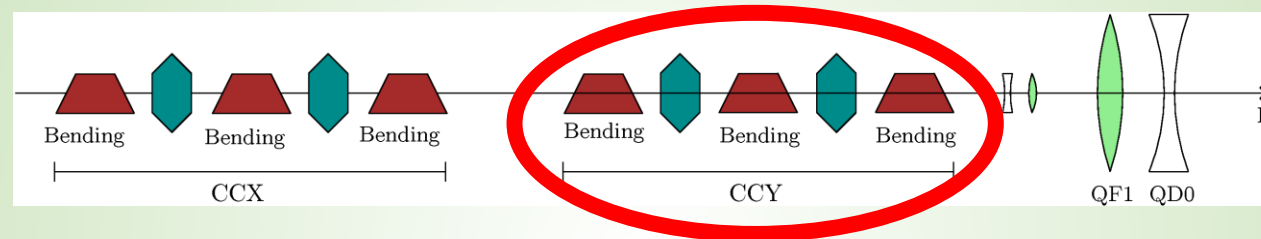
# So, how did these changes perform?





# What else needs to be done?

- Several plans “in the works”
  - Place dimensionless skews in the CCY region of the lattice



- Add initial, optics-based tuning step using quads to make sure the optics are behaving throughout the BDS
  - Would take place near beginning of procedure
- Close investigation of misbehaving machines
  - Find ways to specifically tune these machines
    - Possibly “resetting” the machines through restarting tuning or introducing new perturbations

# Tuning conclusions:

- In 9 iterations:
  - 45% of machines reach 110% of the nominal luminosity or more (some up to 130%)
  - 100% of machines above 75% of the nominal luminosity
- However:
  - Only halfway to the goal of 90% of machines at 110%
  - Bad machines stay bad
- Adding more skew sextupoles may help
- Optics-based tuning may help
- Must specifically address bad machines
- Cannot address two-beam tuning until goal reached with single-beam

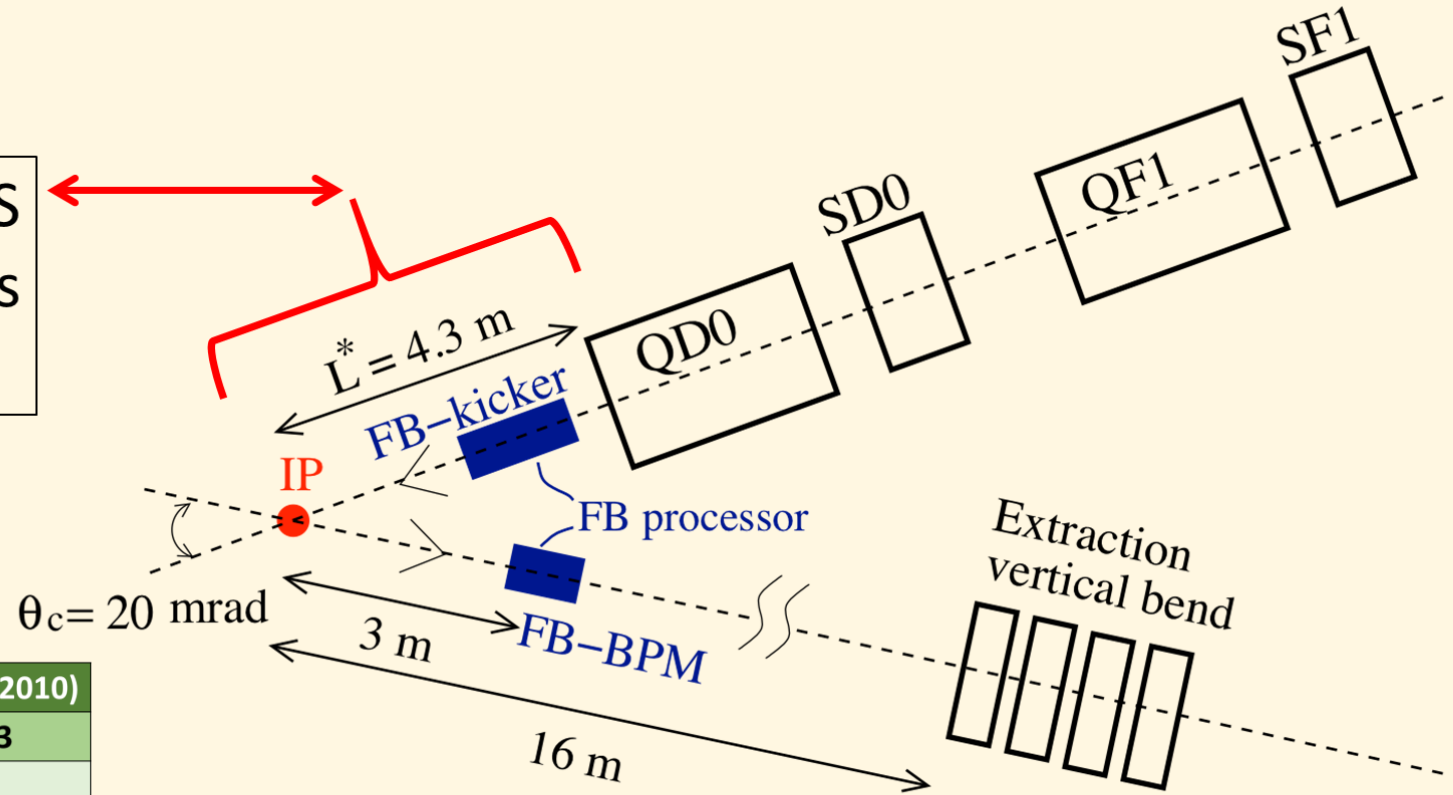
# Next up, IP Feedback simulations

- Completed work for intra-beam IP Feedback simulations for the CLIC 380 GeV beam delivery system
  - 5 different ground motion models investigated
  - 2 different L\* configurations investigated
- Currently investigating the same as above, but for the ILC

# A bit of background

- Current plans for CLIC involve phased commissioning with lower-energy lattice for 380 GeV collision energy
- Previous studies focused on a BDS lattice designed for a 3 TeV collision energy
- New BDS designs have two  $L^*$  configurations:
  - 4.3 meters, 6 meters
- Previous ground motion (GM) studies of 3 TeV machine performed for both 380 GeV designs
- Intratrain IP Feedback system used to correct perturbations from ground motion

In the new 380 GeV BDS designs,  $L^*$  is 4.3 meters or 6 meters.



CLIC	380 GeV	380 GeV	3 TeV (2010)
$L^*$ (m)	4.3	6	4.3
$\mathcal{L}_{0,tot}$ ( $10^{34} \text{cm}^{-2} \text{s}^{-1}$ )	1.82	1.5	6
$\mathcal{L}_{design,tot}$ ( $10^{34} \text{cm}^{-2} \text{s}^{-1}$ )	1.5	1.5	6

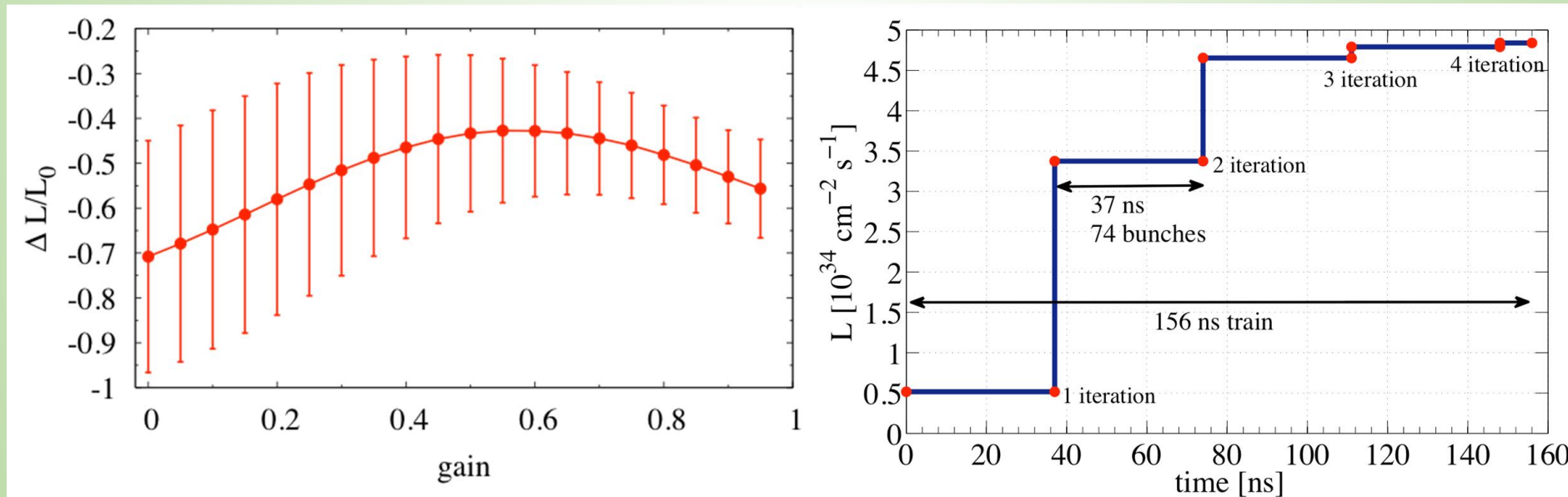
CLIC interaction region, highlighting IP Feedback kicker and BPM positions.



# Previous study by Resta-López in 2010

- Focused on 4 GM models; A, B, C, and K
- PLACET and GUINEA-PIG used for simulation studies
- 3 TeV collision energy
- Train length = 156 ns
- Gain scan performed using 100 random seeds of GM

\*Note: These plots are for Model C

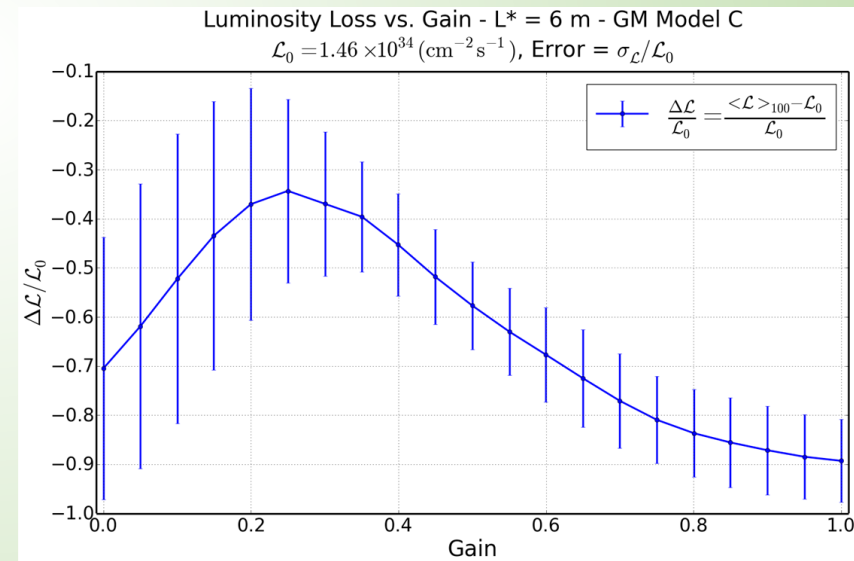
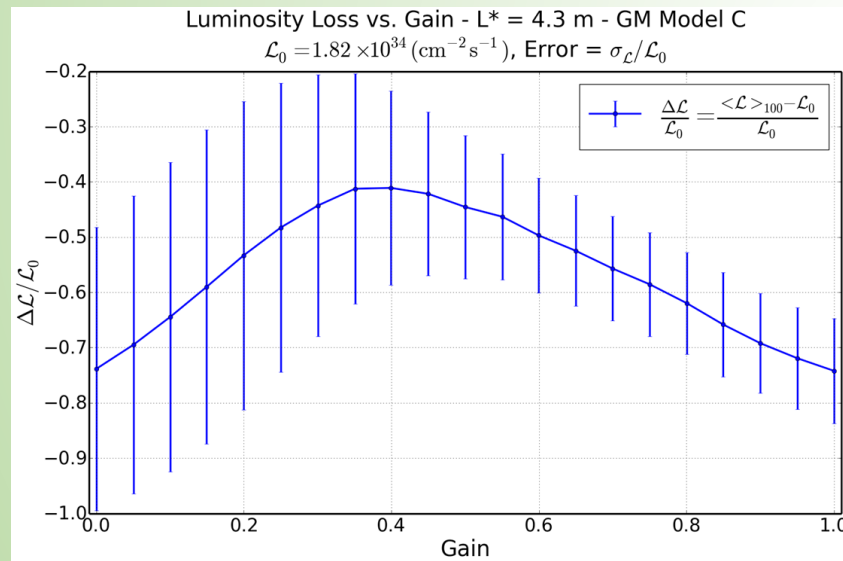


Recovery plot for single seed using best gain value



# New study

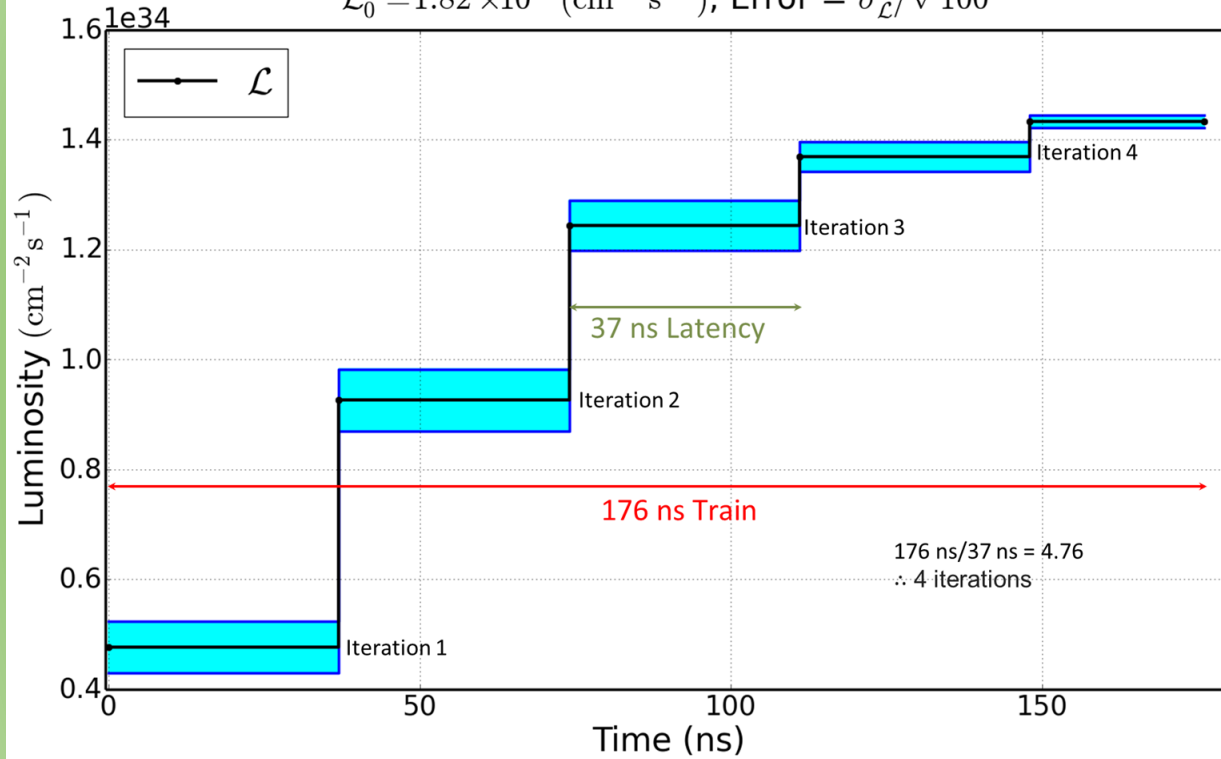
- Focused on 5 GM models; A, B, C, D (also called B10), and K
- LinSim framework of PLACET and GUINEA-PIG used for simulation studies
- 380 GeV collision energy
- Train length = 176 ns
- Gain scan performed using 100 random seeds of GM
- Luminosity recovery plotted for average luminosity from 100 random seeds using the best gain value



# New study

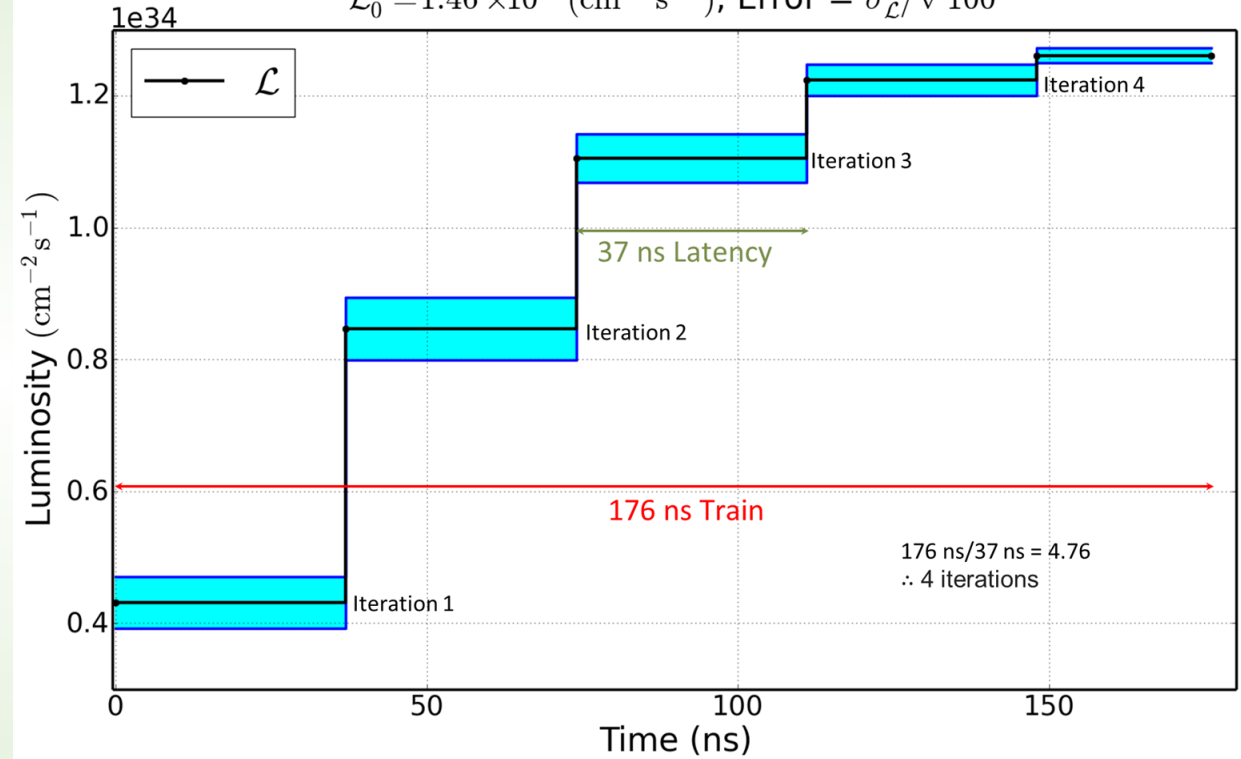
Luminosity Recovery vs. Time -  $L^* = 4.3 \text{ m}$  - GM Model C

$\mathcal{L}_0 = 1.82 \times 10^{34} \text{ (cm}^{-2} \text{s}^{-1}\text{)}, \text{ Error} = \sigma_{\mathcal{L}}/\sqrt{100}$



Luminosity Recovery vs. Time -  $L^* = 6 \text{ m}$  - GM Model C

$\mathcal{L}_0 = 1.46 \times 10^{34} \text{ (cm}^{-2} \text{s}^{-1}\text{)}, \text{ Error} = \sigma_{\mathcal{L}}/\sqrt{100}$



# Summarizing the results

- Studies completed for all 5 GM models
- For  $L^* = 4.3$  m, luminosity recovery same or better for 380 GeV
- For  $L^* = 6$  m, luminosity recovery similar to 3 TeV study results
  - 380 GeV achieves as good or better results than 3 TeV
  - Appears to be best overall results for all GM models

GM Model	3 TeV, $L^* = 4.3$ m (2010)	380 GeV $L^* = 4.3$ m	380 GeV $L^* = 6$ m
A	$\Delta L/L_0 \lesssim 0.1\%$	$\Delta L/L_0 \lesssim 0.1\%$	$\Delta L/L_0 \lesssim 0.1\%$
B	$\Delta L/L_0 \lesssim 3\%$	$\Delta L/L_0 \lesssim 3\%$	$\Delta L/L_0 \lesssim 3\%$
C	$\Delta L/L_0 \lesssim 45\%$	$\Delta L/L_0 \lesssim 42\%$	$\Delta L/L_0 \lesssim 35\%$
D	No Data	$\Delta L/L_0 \lesssim 9\%$	$\Delta L/L_0 \lesssim 6\%$
K	$\Delta L/L_0 \lesssim 35\%$	$\Delta L/L_0 \lesssim 20\%$	$\Delta L/L_0 \lesssim 18\%$



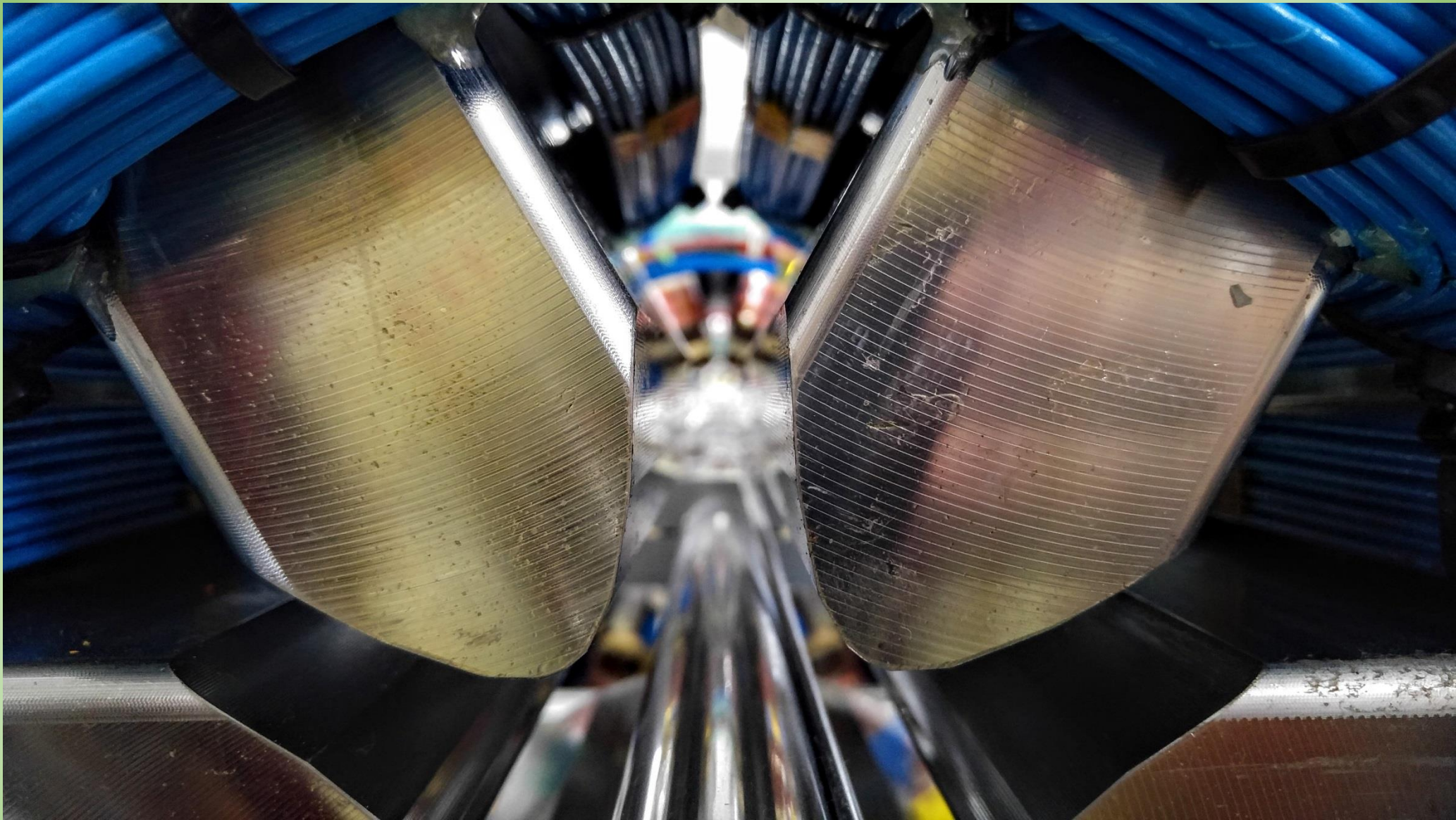
# Current study

- Currently repeating the IP Feedback study for the ILC (parameters as in the TDR)
- Intra-train luminosity recovery should not be difficult, given much larger train length
- More important to find the proper gain value to properly maintain recovered luminosity

# Final Thoughts

- Progress made on tuning the traditional 3 TeV BDS
  - Once goal reached, will then apply methods to two-beam tuning
- Intratrain IP Feedback simulations performed for 5 GM models for the 380 GeV CLIC BDS
  - Both 4.3 m and 6 m  $L^*$  configurations
- Current/Continuing work:
  - Tuning the traditional 3 TeV BDS in collaboration with Edu Marin Lacoma
  - Applying CLIC IP Feedback simulations to the ILC





Thanks!