Perspectives on Higgs EFT Veronica Sanz (Sussex)

Darmouth-UW Experimental-Theory meeting, May 2017

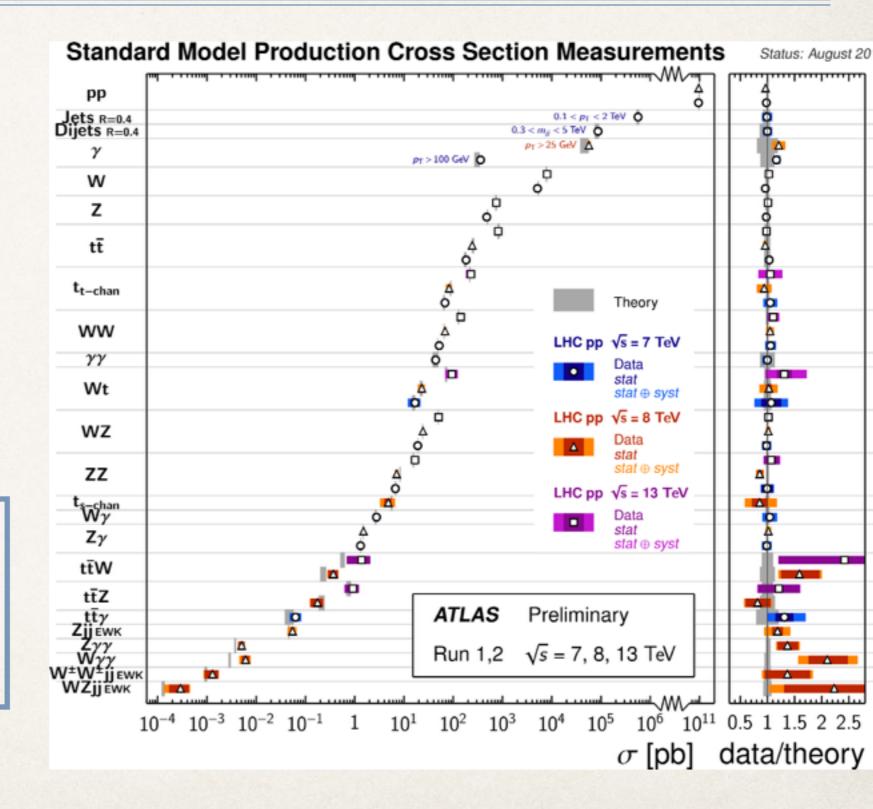
Challenges ahead

The SM in the precision era

Predictive, successful paradigm being tested to very high precision at the LHC

Based on QFT, symmetries (global/gauge) and consistent ways to break them

So far, the data and SM are in perfect agreement: no excesses/inconsistencies



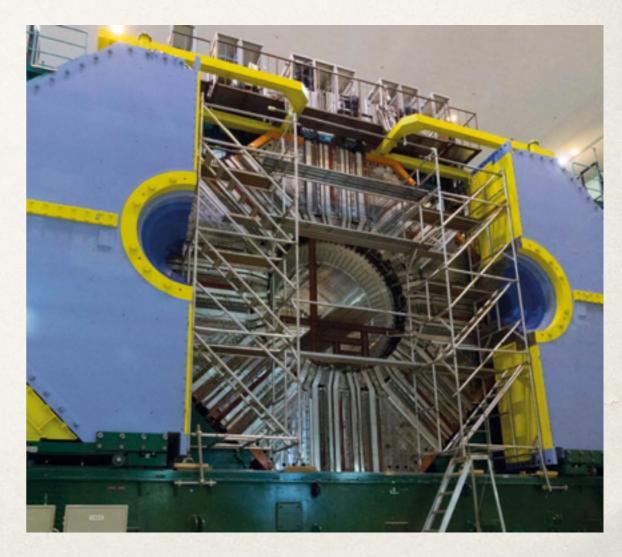
This is just the beginning

HL-LHC (High-Luminosity) LHC approved, to deliver 3000 inverse fb of data. Funding ensured until 2035.



Plus other collider experiments testing SM at high precision e.g. super-B factory



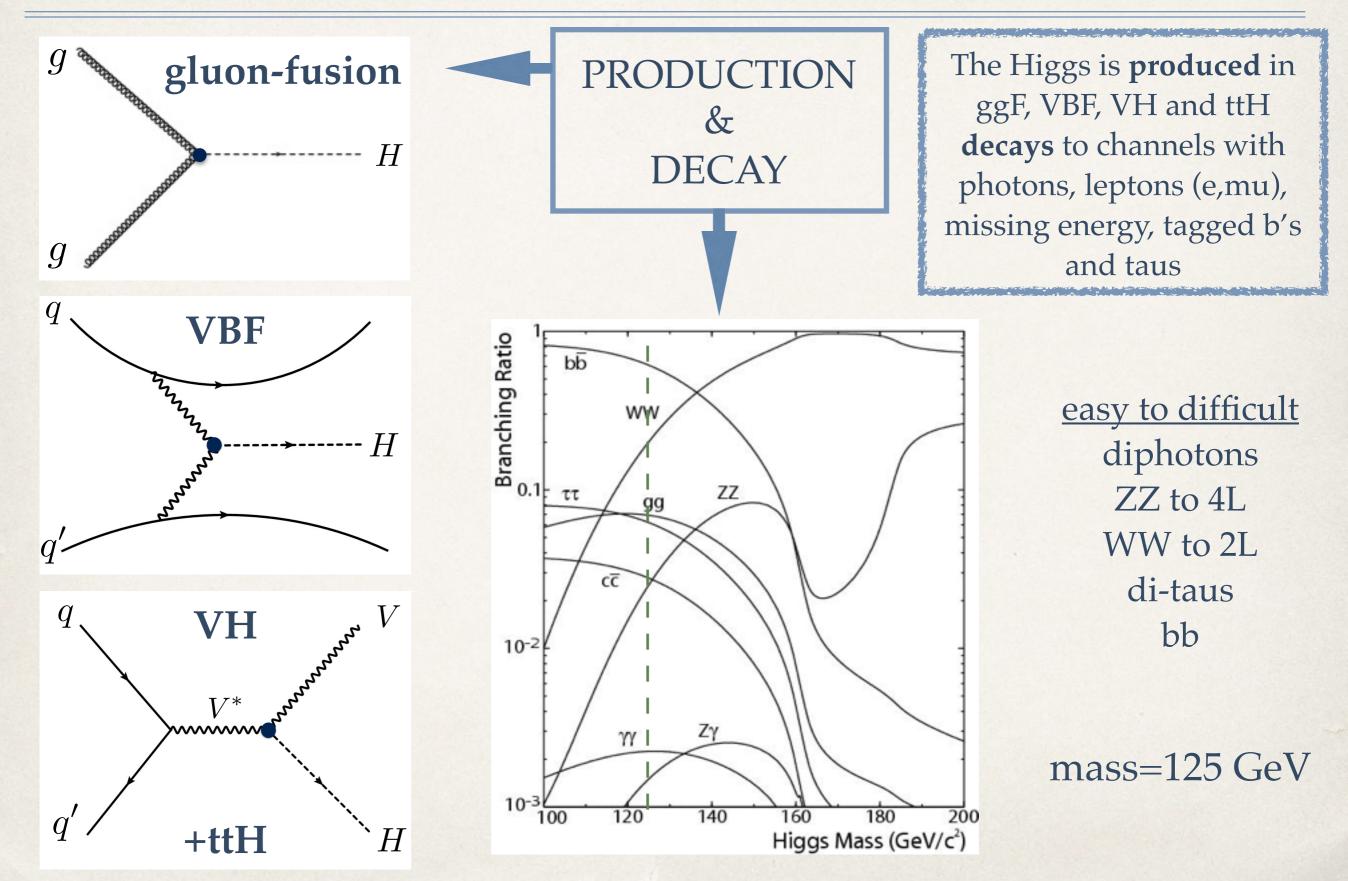


So here we are

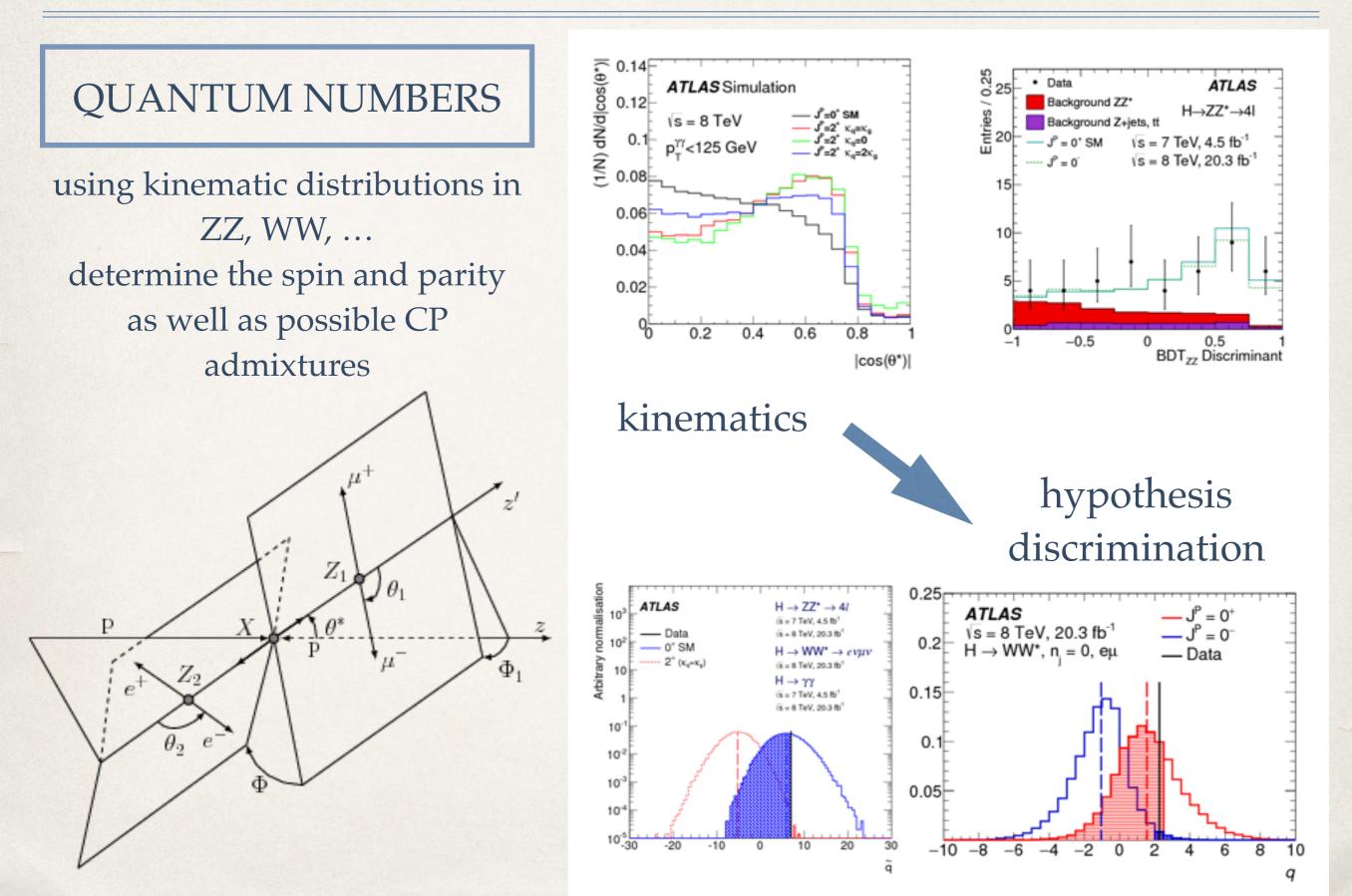
Neutrinos Light Higgs Inflation Unification Matter/Antimatter **CP QCD Dark Matter Dark Energy Quantum Gravity** finding our path through **SYMMETRIES & DYNAMICS** aiming for a UNIFIED FRAMEWORK

The Higgs at the LHC

LHC Higgs in a nutshell (I)

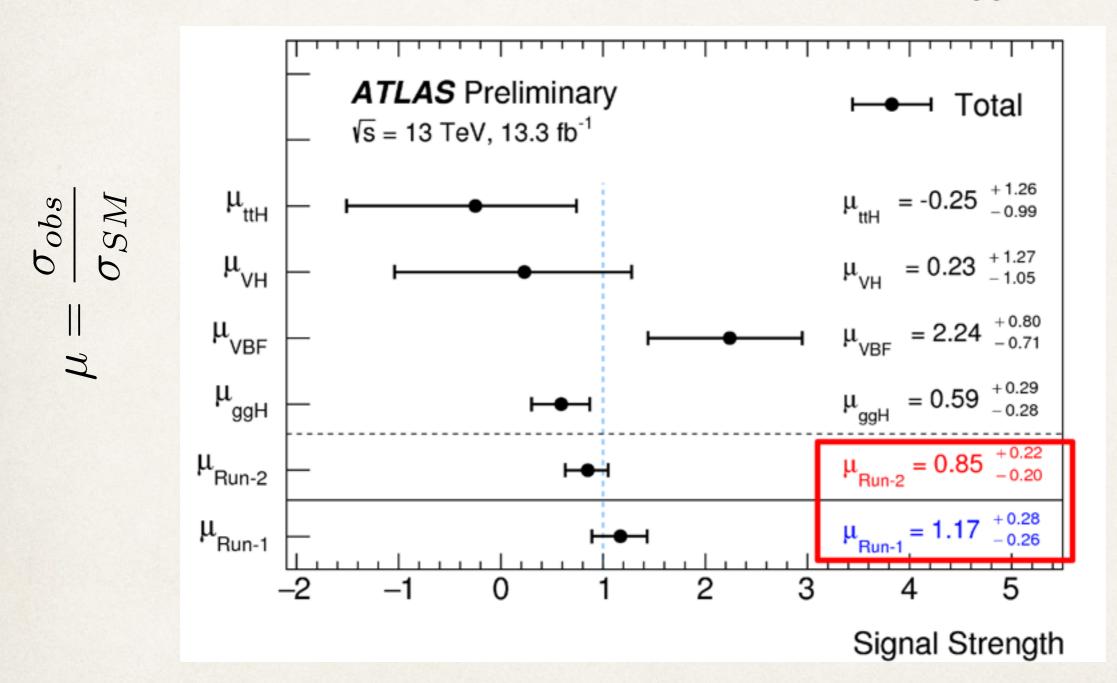


LHC Higgs in a nutshell (II)



SM Higgs

Run1 (and now Run2) indicates a SM-like Higgs

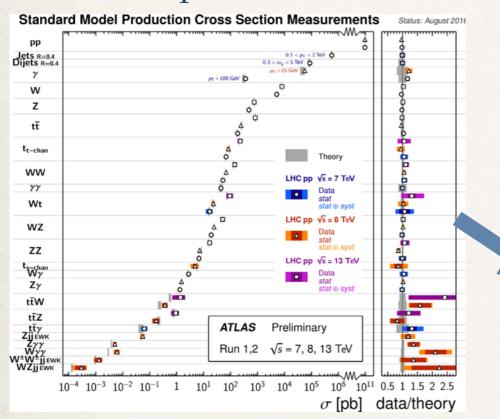


but precision is poor (20-30%)

Direct versus indirect searches

Direct searches for new phenomena

consistency of data vs SM predictions



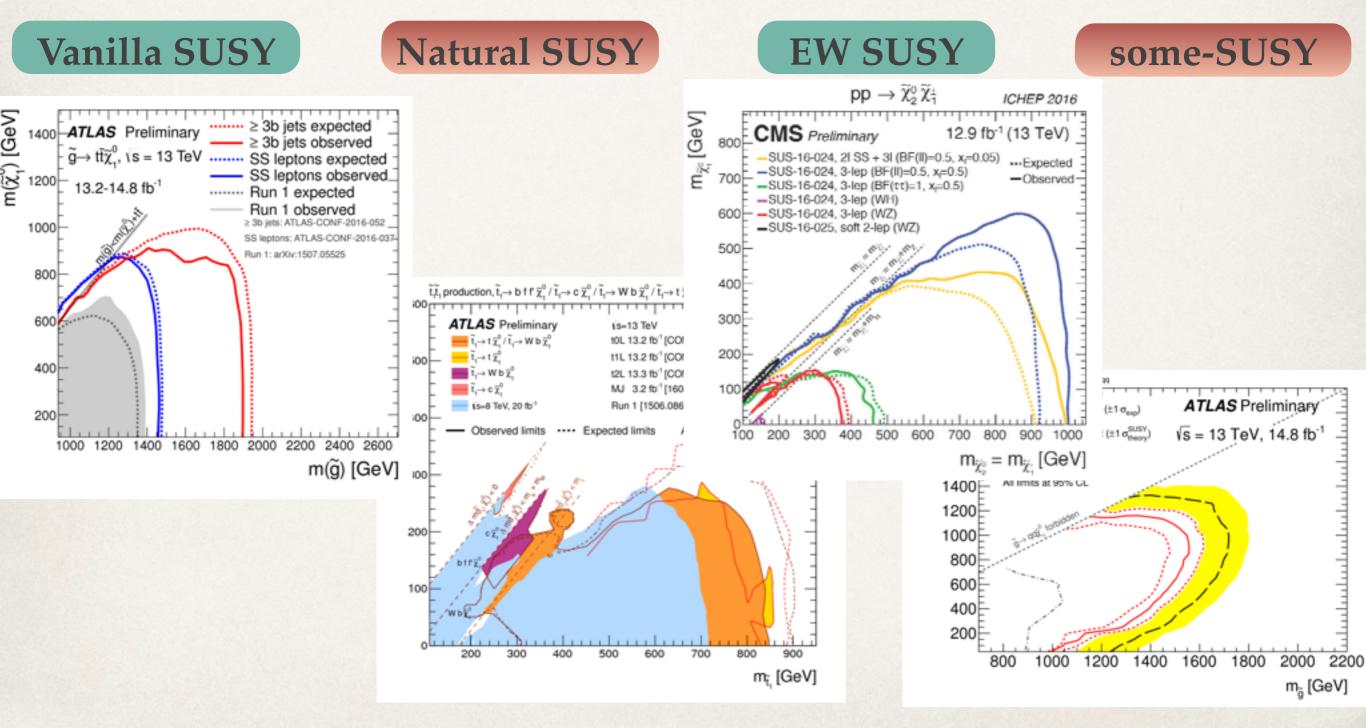
Interpretation in models: exclusion regions

ATLAS SUSY Searches* - 95% CL Lower Limits Status: August 2016

	Model	e, μ, τ, γ	Jets	E_{T}^{mbs}	∫£ di{Ib*	Mass limit	√s = 7,8 TeV √s = 13 TeV
Indusive Searches	$ \begin{array}{l} \text{MSUGRACMSSM} \\ \hline i \bar{k} \cdot \bar{i} \rightarrow \gamma \bar{k}_{1}^{0} \\ \hline i \bar{k} \cdot \bar{i} \rightarrow \gamma \bar{k}_{1}^{0} \\ \hline i \bar{k} \cdot \bar{k} \rightarrow \gamma \bar{k}_{1}^{0} \\ \hline i \bar{k} \cdot \bar{k} \rightarrow \gamma \bar{k}_{1}^{0} \\ \hline i \bar{k} \cdot \bar{k} \rightarrow \gamma \bar{k}_{1}^{0} \\ \hline i \bar{k} \cdot \bar{k} \rightarrow \gamma \bar{k} \bar{k}_{1}^{0} \\ \hline i \bar{k} \cdot \bar{k} \rightarrow \gamma \bar{k} \bar{k} \\ \hline i \bar{k} \cdot \bar{k} \rightarrow \gamma \bar{k} \\ \hline i \bar{k} \cdot \bar{k} \rightarrow \gamma \bar{k} \\ \hline i \bar{k} \cdot \bar{k} \rightarrow \gamma \bar{k} \\ \hline i \bar{k} \cdot \bar{k} \\ \hline i \bar{k} \cdot \bar{k} \\ \hline i \bar{k} - \gamma \bar{k} \\ \hline i \bar{k} \\ i \bar{k} \\ \hline i \bar{k} \\ i \bar{k} \\ \hline i \bar{k} \\ i \bar{k}$	$\begin{array}{c} 0.3 \ \epsilon, \mu 1 \cdot 2 \ r & 2 \\ 0 \\ monojet \\ 0 \\ 3 \ \epsilon, \mu \\ 2 \ \epsilon, \mu (SS) \\ 1 \cdot 2 \ r & + 0 \cdot 1 \ \ell \\ 2 \ \gamma \\ 7 \\ 2 \ \epsilon, \mu (Z) \\ 0 \end{array}$	2-6 jets 1-3 jets 2-6 jets 2-6 jets 4 jets 0-3 jets	⁶ Yes Yes Yes Yes Yes Yes Yes Yes Yes Yes	133 32 133 133 132 132 32 32 203 133 203	608 GeV	185 TeV mi(i;cmi(i)) 35 TeV mi(i;)<200 GeV, m(1 ⁴ pcs.4)cmi(2 ⁴⁴ pcs.4) mi(i;) n(i;) comi(2 ⁴⁴ pcs.4) 1.60 TeV m(i ² ₁) comi(2 ⁴⁴ pcs.4) 1.80 TeV m(i ² ₁) comi(2 ⁴⁴ pcs.4) 1.80 TeV m(i ² ₁) comi(2 ⁴⁴ pcs.4) 1.80 TeV m(i ² ₁) comi(2 ⁴⁴ pcs.4) 1.7 TeV m(i ² ₁) comi(2 ⁴⁴ pcs.4) 1.7 TeV m(i ² ₁) comi(2 ⁴⁴ pcs.4) 1.80 TeV m(i ² ₁) comi(2 ⁴⁴ pcs.4) 2.0 TeV m(i ² ₁) com(2 ⁴⁴ pcs.4) 37 TeV m(i ² ₁) com(2 ⁴⁴ pcs.4) m(i ² ₁) com(2 ⁴⁴ pcs.4) com(10 ⁴⁴ pcs.4) m(i ² ₁) com(2 ⁴⁴ pcs.4) com(10 ⁴⁴ pcs.4) m(i ² ₁) com(2 ⁴⁴ pcs.4) com(10 ⁴⁴ pcs.4) m(i ² ₁) com(2 ⁴⁴ pcs.4) com(10 ⁴⁴ pcs.4) m(i ² ₁) com(2 ⁴⁴ pcs.4) com(10 ⁴⁴ pcs.4) m(i ² ₁) com(2 ⁴⁴ pcs.4) com(10 ⁴⁴ pcs.4) m(i ² ₁) com(2 ⁴⁴ pcs.4) com(10 ⁴⁴ pcs.4)
i mod.	22. 2-465 22. 2-462 22. 2-422	0 0-1 <i>x.p</i> 0-1 <i>e.p</i>	36 36 36	Yes Yes Yes	14.8 14.8 20.1		1.49 TeV ==(0 ²) −0 Ca-V 1.49 TeV ==(0 ²) −0 Ca-V 27 TeV ==(0 ²) −0 Ca-V
T" gen. squa direct produc	$\begin{array}{l} \hat{k}_{1}\hat{k}_{1}, \ \hat{k}_{1} \rightarrow k\hat{\xi}_{1}^{0} \\ \hat{k}_{2}\hat{k}_{1}, \ \hat{k}_{1} \rightarrow k\hat{\xi}_{1}^{0} \\ \hat{k}_{3}\hat{k}_{1}, \ \hat{k}_{1} \rightarrow k\hat{\xi}_{1}^{0} \\ \hat{k}_{3}\hat{k}_{1}, \ \hat{k}_{1} \rightarrow k\hat{\xi}_{1}^{0} \\ \hat{t}_{1}\hat{k}_{2}, \ \hat{k}_{3} \rightarrow k\hat{k}\hat{\xi}_{1}^{0} \\ \hat{t}_{3}\hat{k}_{1}, \ \hat{k}_{1} \rightarrow k\hat{\xi}_{1}^{0} \\ \hat{t}_{3}\hat{k}_{1}, \ \hat{t}_{1} \rightarrow k\hat{\xi}_{1}^{0} \\ \hat{t}_{3}\hat{k}_{2}, \ \hat{t}_{2} \rightarrow \hat{t}_{3} + k \end{array}$	0 2 κ, μ (Z) 3 κ, μ (Z)	2 k 1 k 1-2 k > 2 jets/1-2 mono-jet 1 k 1 k 6 jets + 2 k	Ves Yes Yes Yes	32 132 4.7/133 4.7/133 32 20.3 13.3 20.3	840 GeV 325-665 GeV 36-198 GeV 90-323 GeV 90-323 GeV 130-600 GeV 298-780 GeV 298-780 GeV	$\begin{split} m(\tilde{t}_{1}^{n}) &< 100 \ GeV \\ m(\tilde{t}_{1}^{n}) &< 150 \ GeV, \ m(\tilde{t}_{1}^{n}) &= m(\tilde{t}_{1}^{n}) &< 100 \ GeV \\ m(\tilde{t}_{1}^{n}) &= 2m(\tilde{t}_{1}^{n}), \ m(\tilde{t}_{1}^{n}) &= 55 \ GeV \\ m(\tilde{t}_{1}^{n}) &= 1 \ OdeV \\ m(\tilde{t}_{1}^{n}) &= 0 \ GeV \end{split}$
EW dred	$\begin{array}{l} \hat{\ell}_{L,M}\hat{\ell}_{L,K}, \hat{\ell} \rightarrow \ell \hat{V}_{1}^{C} \\ \hat{k}_{1}^{*}\hat{k}_{1}^{*}, \hat{k}_{2}^{*} \rightarrow \hat{\ell}_{1}(\ell^{*}) \\ \hat{k}_{1}^{*}\hat{k}_{1}^{*}, \hat{k}_{2}^{*} \rightarrow \hat{\ell}_{1}(\ell^{*}) \\ \hat{k}_{1}^{*}\hat{k}_{2}^{*} \rightarrow \hat{\ell}_{2}\nu \hat{\ell}_{2}^{*}(\ell^{*}), D\hat{\ell}_{1}^{*}\ell(\ell^{*}) \\ \hat{k}_{1}^{*}\hat{k}_{2}^{*} \rightarrow W\hat{k}_{1}^{*}\hat{k}_{2}^{*} \\ \hat{k}_{1}^{*}\hat{k}_{2}^{*} \rightarrow W\hat{k}_{1}^{*}\hat{k}_{1}^{*}, \hat{h} \rightarrow \hat{k}\hat{k}/WW/r \\ \hat{k}_{2}^{*}\hat{k}_{1}^{*}, \hat{k}_{2}^{*} \rightarrow W\hat{k}_{1}^{*}\hat{k}_{1}^{*}, \hat{h} \rightarrow \hat{k}\hat{k}/WW/r \\ \hat{k}_{2}^{*}\hat{k}_{1}^{*}, \hat{k}_{2}^{*} \rightarrow \tilde{k}_{k}\ell \\ GGM (non NLSP) weak prod. \\ GGM (bino NLSP) weak prod. \end{array}$	4 e. µ	0 0 0-2 jets 0-2 jets 0-2 jets	Yes Yes Yes Yes Yes Yes Yes	20.3 20.3 20.3	90-335 GeV 640 GeV 580 GeV 1.0 TeV 1.0 TeV 1.0 TeV 1.0 TeV 1.0 TeV 1.0 TeV 1.0 TeV 580 GeV 550 GeV 550 GeV	$\begin{split} & m(\tilde{r}_{1}^{0}) \pm 0 GeV \\ & m(\tilde{r}_{1}^{0}) \pm 0 GeV, \ m(\tilde{r}_{1}^{0}) \pm 0 (\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \\ & m(\tilde{r}_{1}^{0}) \pm 0 GeV, \ m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \\ & m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \\ & m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \\ & m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \\ & m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \\ & m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \\ & m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \\ & m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \\ & m(\tilde{r}_{1}^{0}) \pm m(\tilde{r}_{1}^{0}) \\ & m(\tilde{r} + 1 \text{rem} \end{split}$
Long-lived particles	$\begin{array}{l} \begin{array}{l} \operatorname{Direct} \widehat{\xi}_1^* \widehat{\xi}_1^* \ \text{prod., long-lived} \ \widehat{\xi} \\ \operatorname{Direct} \widehat{\xi}_1^* \widehat{\xi}_1^* \ \text{prod., long-lived} \ \widehat{\xi} \\ \operatorname{Stable} \ \widehat{\xi} \ \mathrm{R-hadron} \\ \operatorname{Stable} \ \widehat{\xi} \ \mathrm{R-hadron} \\ \operatorname{Metastable} \ \widehat{\xi} \ \mathrm{R-hadron} \\ \operatorname{Metastable} \ \widehat{\xi} \ \mathrm{R-hadron} \\ \operatorname{GMSB}, \ \operatorname{stable} \ \widehat{\xi} \ \widehat{\xi} \ \mathrm{R-hadron} \\ \operatorname{GMSB}, \ \operatorname{Stable} \ \widehat{\xi} \ \widehat{\xi} \ \mathrm{R-hadron} \\ \operatorname{GMSB}, \ \widehat{\xi} \ \widehat{\xi} \ \mathrm{R-hadron} \\ \operatorname{GMSB}, \ \widehat{\xi} \ \widehat{\xi} \ \mathrm{R-hadron} \\ \operatorname{GMSB}, \ \widehat{\xi} \ \widehat{\xi} \ \mathrm{Log} \ \mathrm{Stable} \ \widehat{\xi} \\ \operatorname{GGM} \ \widehat{\xi} \ \widehat{\xi}, \ \widehat{\xi} \ \mathrm{Log} \ \mathrm{Stable} \ \widehat{\xi} \end{array} $	Disapp. trk dE/dc trk 0 trk dE/dc trk		Yes Yes · · Yes ·	20.3 18.4 27.9 3.2 3.2 19.1 20.3 20.3 20.3	270 GeV 495 GeV 800 GeV 537 GeV 448 GeV 1.0 TeV 1.0 TeV	$\begin{array}{c} m(\tilde{r}_{1}^{2}) + m(\tilde{r}_{2}^{2}) + 500 \; {\rm MeV}, \; r(\tilde{r}_{1}^{2}) = 0.2\; {\rm ma} \\ m(\tilde{r}_{1}^{2}) + m(\tilde{r}_{2}^{2}) + 500 \; {\rm MeV}, \; r(\tilde{r}_{1}^{2}) + 15\; {\rm ma} \\ m(\tilde{r}_{1}^{2}) = 100\; {\rm GeV}, \; 10\; {\rm me} + r(\tilde{g}) + 100\; {\rm m} \\ 1.57\; {\rm TeV} \\ m(\tilde{r}_{1}^{2}) = 100\; {\rm GeV}, \; r > 10\; {\rm me} \\ 1\; 0\; {\rm charge} < 53 \\ 1\; < \pi(\tilde{r}_{1}^{2}) < 3\; {\rm ma}, \; {\rm SFBB}\; {\rm model} \\ 7\; < \sin(\tilde{r}_{1}^{2}) < 400\; {\rm me}, \; m(\tilde{g}) \pm 1.3\; {\rm TeV} \\ 8\; < \sin(\tilde{r}_{1}^{2}) < 400\; {\rm me}, \; m(\tilde{g}) \pm 1.3\; {\rm TeV} \\ 8\; < \sin(\tilde{r}_{1}^{2}) < 400\; {\rm me}, \; m(\tilde{g}) \pm 1.3\; {\rm TeV} \\ \end{array}$
RPV	$ \begin{array}{l} LFV p_{\mathcal{D}} {\rightarrow} \mathfrak{s}_{\mathcal{A}} + \chi, v_{\mathcal{C}} {\rightarrow} \mathfrak{sp}(set) \mathfrak{gr} \\ Hinear RPV CMSSM \\ \tilde{\mathcal{K}}_1^+ \tilde{\mathcal{K}}_1^- \tilde{\mathcal{K}}_2^+ {\rightarrow} \mathfrak{gr} \tilde{\mathcal{K}}_1^+ \tilde{\mathcal{K}}_1^- \tilde{\mathcal{K}}_1^- \mathfrak{sp}(\mathfrak{set}) \\ \tilde{\mathcal{K}}_1^+ \tilde{\mathcal{K}}_1^- \tilde{\mathcal{K}}_2^+ {\rightarrow} \mathfrak{gr} \tilde{\mathcal{K}}_1^+ \tilde{\mathcal{K}}_1^- \mathfrak{sp}(\mathfrak{set}) \\ \tilde{\mathcal{K}}_1^+ \tilde{\mathcal{K}}_1^- \tilde{\mathcal{K}}_1^+ {\rightarrow} \mathfrak{gr} \\ \tilde{\mathcal{K}}_2^+ \tilde{\mathcal{K}}_2^- \mathfrak{gr} \\ \tilde{\mathcal{K}}_2^+ \tilde{\mathcal{K}}_2^- \tilde{\mathcal{K}}_1^+ \tilde{\mathcal{K}}_1^+ {\rightarrow} \mathfrak{gr} \\ \tilde{\mathcal{K}}_2^+ \tilde{\mathcal{K}}_2^- \tilde{\mathcal{K}}_1^- \tilde{\mathcal{K}}_1^+ {\rightarrow} \mathfrak{gr} \\ \tilde{\mathcal{K}}_2^+ \tilde{\mathcal{K}}_2^- \tilde{\mathcal{K}}_2^- \tilde{\mathcal{K}}_2^- \tilde{\mathcal{K}}_2^- \\ \tilde{\mathcal{K}}_1^+ \tilde{\mathcal{K}}_1^- \tilde{\mathcal{K}}_1^- {\rightarrow} \mathfrak{gr} \end{array} $	2 r. µ (SS) µµv 4 r. µ , 3 r. µ + 7 0 4 0 4 1 r. µ 0 1 r. µ 0	0-3 k 5 large-K j 5 large-K j 10 jetal0-4 10 jetal0-4 2 jeta + 2 k	ets - 44 - 44 -	32 203 133 203 148 148 148 148 148 154 203	1.14 Te 450 GeV 1.08 TeV	$m(\tilde{e}_{1}^{*}) > 0.2 \times m(\tilde{e}_{2}^{*}), \lambda_{exc} \neq 0$
Other	Scalar charm, ?→cf2	0	2 -	Yes	20.3	510 GeV	#((²))-(200.0aV

Example: coloured SUSY

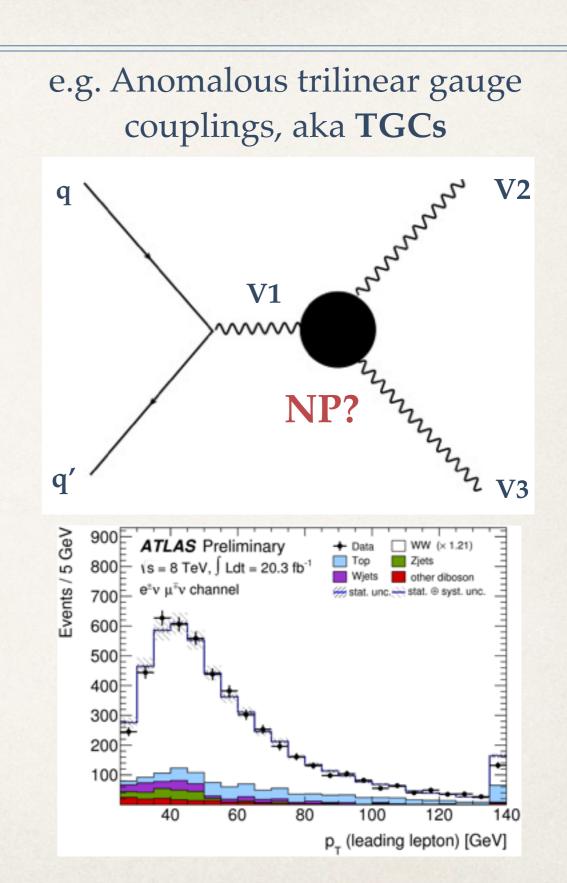
The 13 TeV data already undermining hopes energy increase could unveil new coloured states



Indirect searches

Focus on SM particles' behaviour precise determination of couplings and kinematics comparison with SM, search for deviations

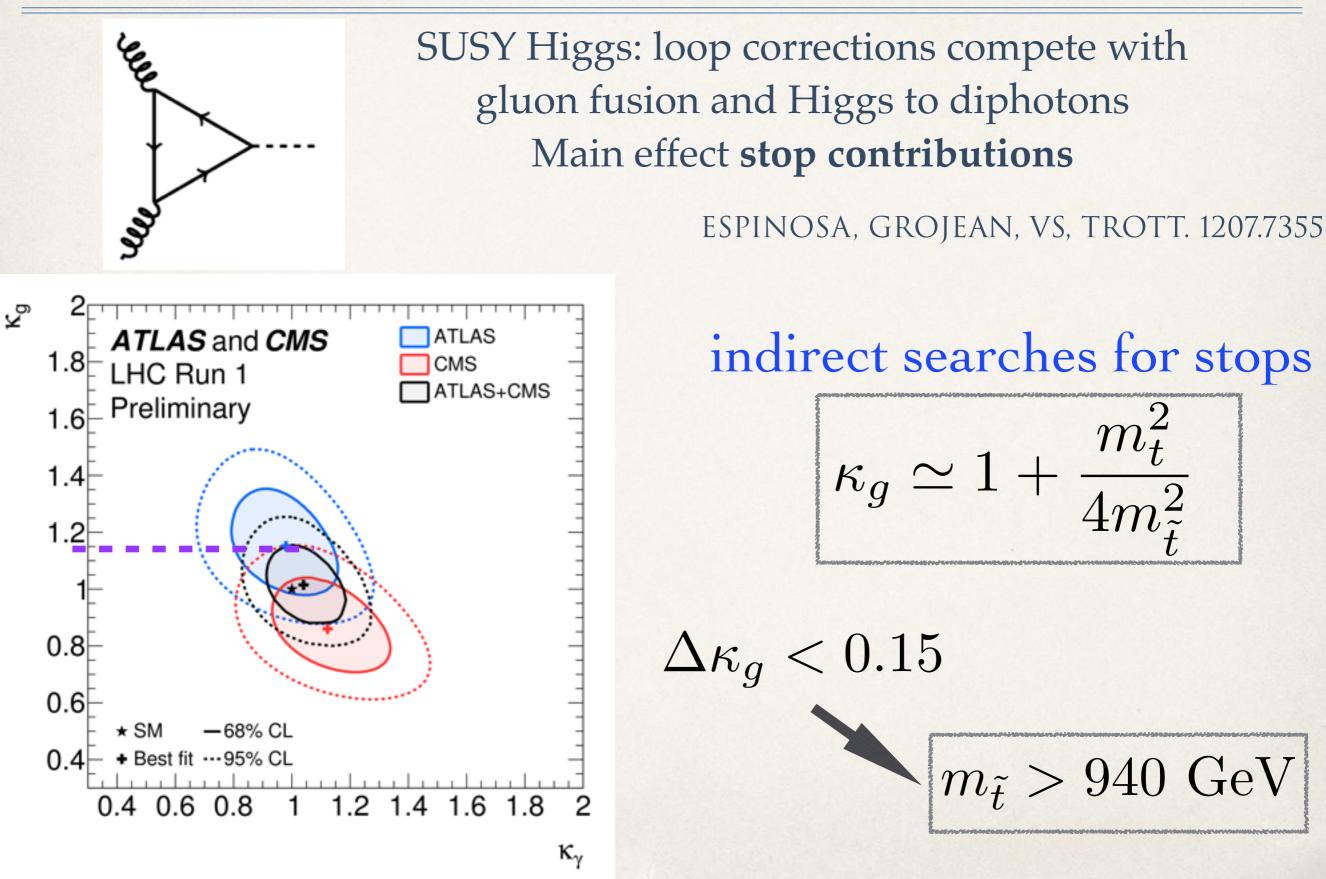
Indirect searches using the Higgs since 2012, relatively new Higgs as a window to NP expect deviations in its behaviour Run2 data and beyond precision in Higgs Physics



LEP, Tevatron, LHC

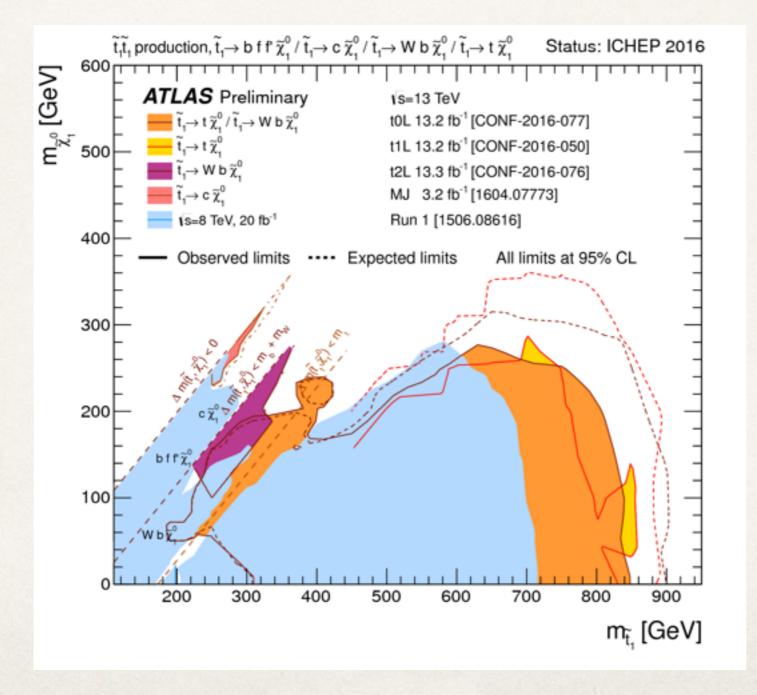
SUSY and Composite Higgs

SUSY Higgs (I)



SUSY Higgs (II)

$m_{\tilde{t}} > 940 \text{ GeV}$ Higgs data vs direct searches for stops



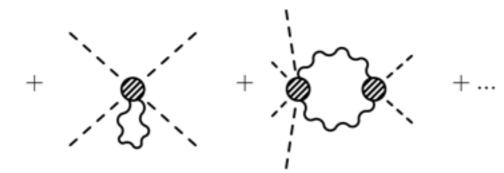
complementary

Composite Higgs (I)

Usual paradigm: potential generated via **Coleman-Weinberg** contributions

e.g. GAUGE

$$V_{eff}(h) = \dots +$$

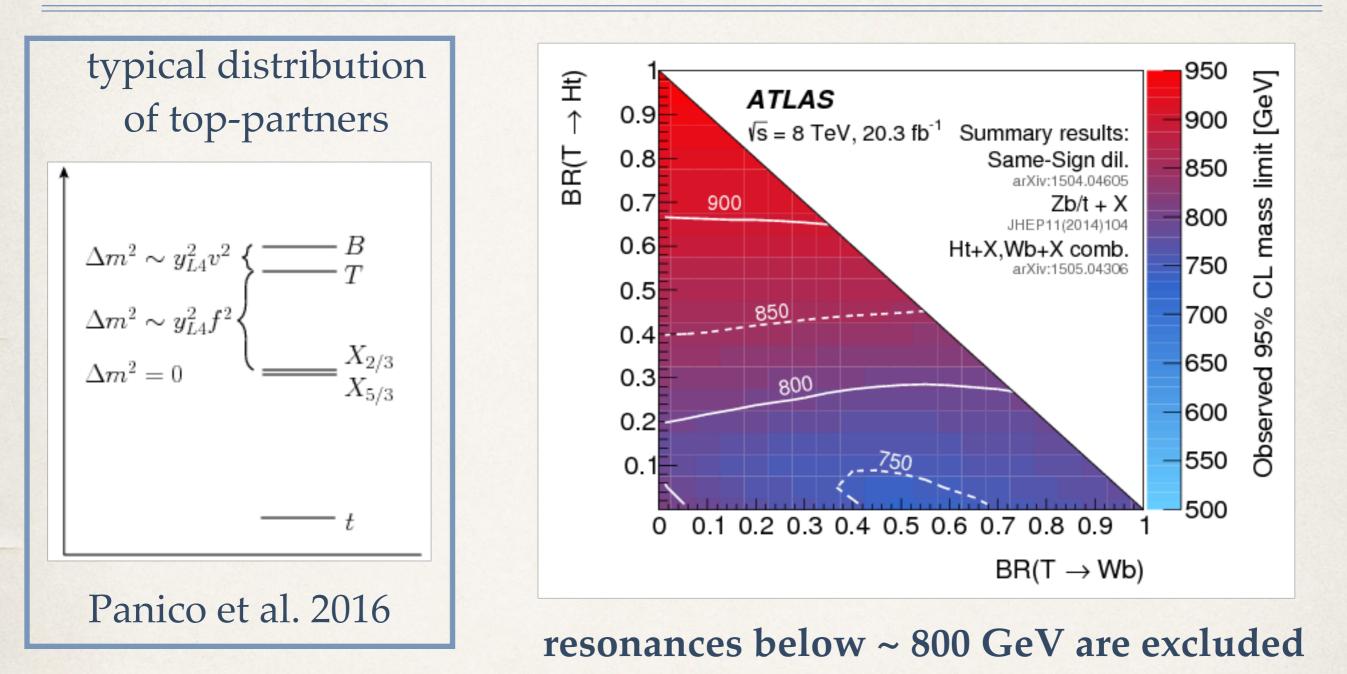


Georgi-Kaplan (80's) gauge-top *does not* trigger EWSB need new fermionic resonances TOP-PARTNERS

$$m_h^2 \sim \frac{N_c y_t^2}{16\pi^2} \, \frac{v^2}{f^2} \, m_T^2$$

pheno: New, light (below TeV) techni-baryons should couple to the Higgs, W, Z

Composite Higgs (II)



$$m_h^2 \sim \frac{N_c y_t^2}{16\pi^2} \, \frac{v^2}{f^2} \, m_T^2$$

tuning in the Higgs potential severe

Composite Higgs after Run2 vs, setford. 1703.10190

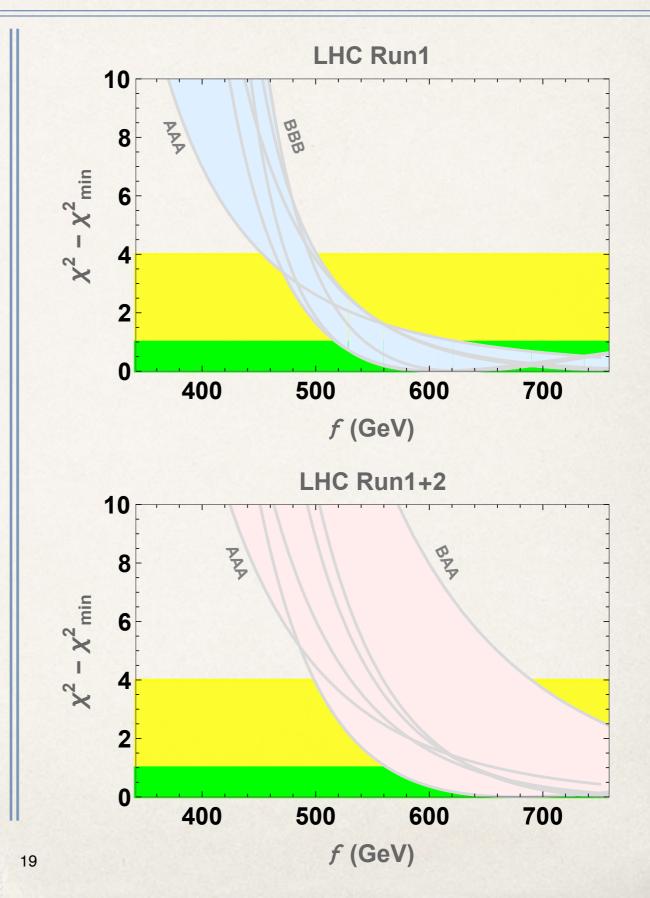
Composite Higgs models Many realizations, but some common features

Boson couplings

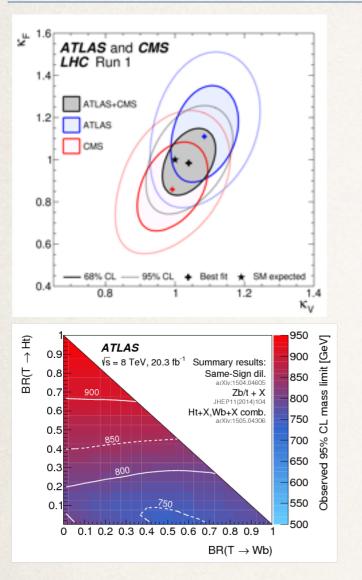
$$\kappa_V = \sqrt{1-\xi} \approx 1 - \frac{1}{2}\xi$$

Fermion couplings

κ_F	Models
$\kappa_F^A = \sqrt{1-\xi}$	SO(5)/SO(4) - 8,9
	$SO(6)/SO(4) \times SO(2) - 12, 13$
	SU(5)/SU(4) - 14
	SO(8)/SO(7) - 18, 19
$\kappa_F^B = \frac{1-2\xi}{\sqrt{1-\xi}}$	SO(5)/SO(4) - 9 - 11, 17
V - V	SU(4)/Sp(4) - 3
	SU(5)/SO(5) - 4
	$SO(6)/SO(4) \times SO(2) - [12, 13]$



Composite Higgs: model-building



Given the experimental constraints, lack of deviations in the Higgs behaviour and absence for new composite fermions interest in more natural (non-minimal) models

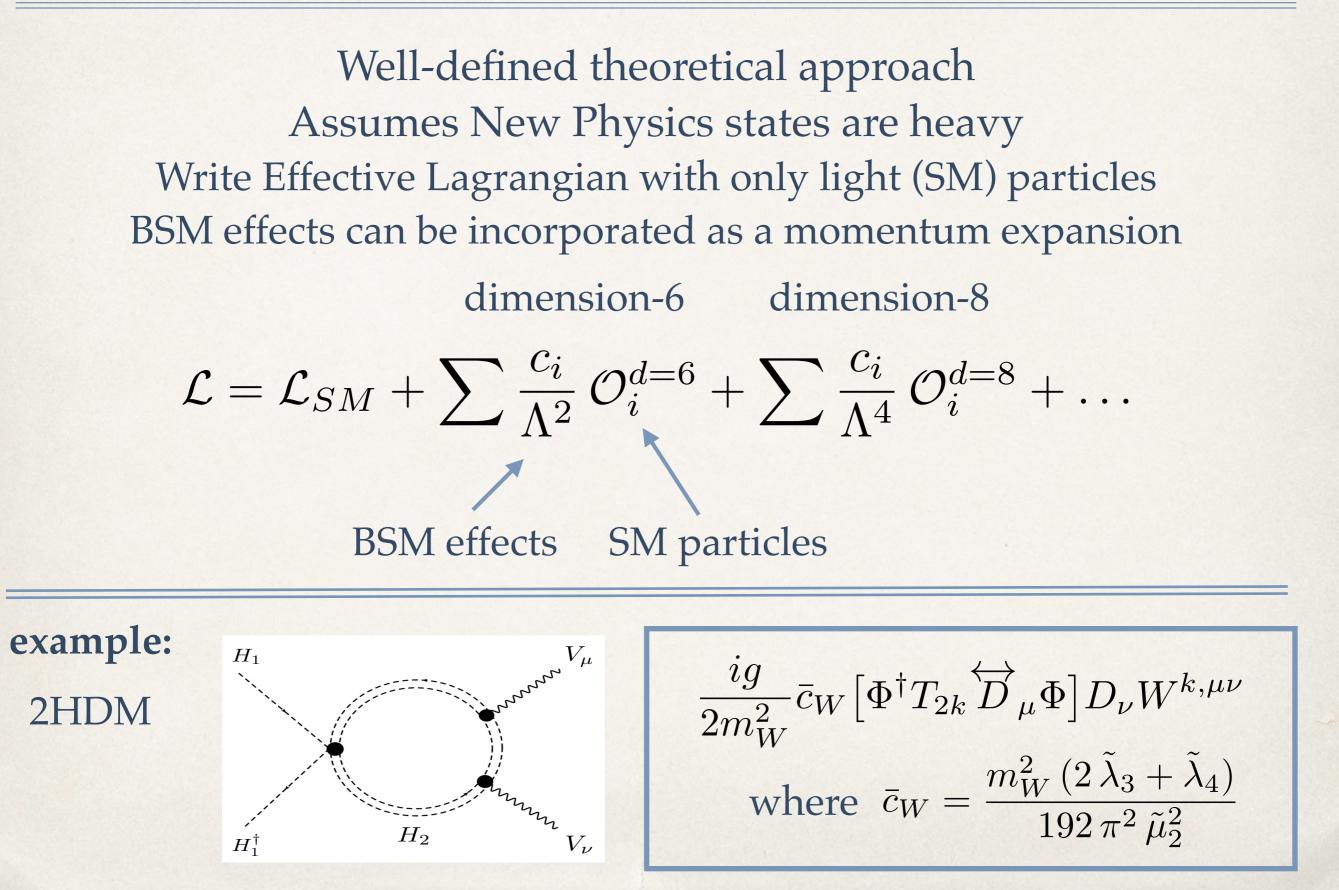
e.g. new ways to trigger EWSB and fermion mass generation, measure of tuning of the theory, un-coloured fermion resonances...

examples: EWSB triggered by other scalars: see-saw CH VS, SETFORD. 1508.06133 new symmetries in the global sector: Maximally symmetric CH CSAKI, MA, SHU. 1702.00405

The EFT approach

Looking for small deviations from the SM

EFT approach



EFT approach

THEORY

Model-independent parametrization deformations respect to the SM

Well-defined theory can be improved order by order in momentum expansion consistent addition of higherorder QCD and EW corrections

Connection to models is straightforward

EXPERIMENT

Beyond kappa-formalism: Allows for a richer and generic set of kinematic features

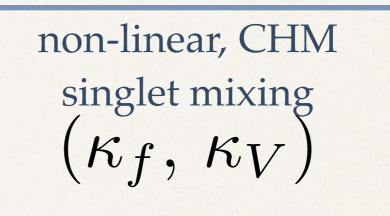
Higher-order precision in QCD/EW

The way to combine all Higgs channels and EW production

Beyond the kappa formalism

Kappa-formalism is useful when new physics effects are *very simple* Just change the overall rates

> squarks EWinos $(\kappa_{\gamma}, \kappa_{g})$



Models offer richer kinematics, and EFT approach captures them

$$-\frac{1}{4}h\,g_{hVV}^{(1)}V_{\mu\nu}V^{\mu\nu} -h\,g_{hVV}^{(2)}V_{\nu}\partial_{\mu}V^{\mu\nu} -\frac{1}{4}h\,\tilde{g}_{hVV}V_{\mu\nu}\tilde{V}^{\mu\nu}$$

$$\begin{array}{l} \underbrace{1}_{M_{\mu\nu}} V(p_{2}) \\ = \underbrace{i\eta_{\mu\nu}}_{M_{VV}} \left(\frac{\hat{s}}{2} - m_{V}^{2} \right) + 2g_{hVV}^{(2)} m_{V}^{2} \\ - ig_{hVV}^{(1)} p_{3}^{\mu} p_{2}^{\nu} \\ - ig_{hVV}^{(1)} p_{3}^{\mu} p_{2}^{\nu} \\ - i\tilde{g}_{hVV} \epsilon^{\mu\nu\alpha\beta} p_{2,\alpha} p_{3,\beta} \\ + off-shell \ pieces \end{array}$$

Beyond the kappa formalism

Besides EFT, there are other ways to improve upon the kappa-formalism

Higgs characterization

Higgs anomalous couplings defined at Lagrangian level Generic Lorentz structures consistent with U(1)

Pseudo-observables

Generic Lorentz structures defined at the amplitude level momentum expansion around poles

These approaches are related to each other EFT : AC : PO We have mappings among them *channel by channel*

EFT vs others

Disclaimer: I don't advocate for EFTs as the *only* way to interpret data each approach has pros and cons

<u>Advantages of EFTs</u> Clear pathway to achieve

- **Combination**: LHC Higgs and EW production, low energy, EWPTs
- **Precision:** higher-order EW and QCD, dimension-eight, validity EFT
- Consistency: Backgrounds and signal
- Matching: Direct connection to models

Matching with UV theories

Extended Higgs sectors GORBAHN, NO, VS. 1502.07352

To combine direct/indirect and evaluate the validity of the EFT approximation, matching of the EFT with a UV model is required

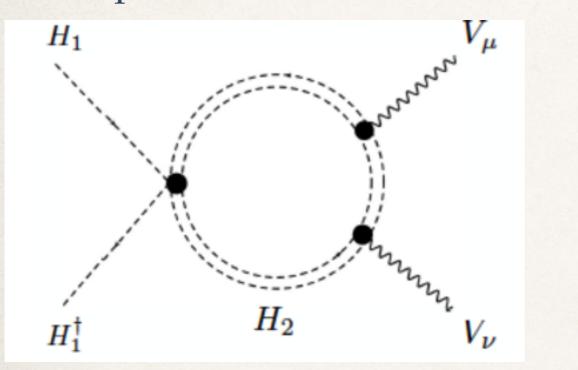
We did the matching to UV theories with extended Higgs sectors

	\bar{c}_H	\bar{c}_6	\bar{c}_T	\bar{c}_W	\bar{c}_B	\bar{c}_{HW}	\bar{c}_{HB}	\bar{c}_{3W}	\bar{c}_{γ}	\bar{c}_g
Higgs Portal (G)	L	L	х	х	Х	Х	Х	Х	Х	х
Higgs Portal (Spontaneous \mathcal{G})	т	L	RG	RG	RG	Х	Х	Х	Х	x
Higgs Portal (Explicit \mathcal{G})	т	Т	RG	RG	RG	Х	Х	Х	Х	x
2HDM Benchmark A $(c_{\beta-\alpha}=0)$	L	L	L	L	L	L	L	L	L	X
2HDM Benchmark B $(c_{\beta-\alpha} \neq 0)$	т	Т	L	L	L	L	L	L	L	x
Radion/Dilaton	т	Т	RG	Т	Т	Т	Т	L	Т	Т

combined EWPTs, direct searches and Higgs limits from the EFT 50 pages of gory details...

Matching procedure

Example: 2HDM



also matching with the broken phase obtained EFT limits, dimension-6 and dimension-8 and EWPTs

Gorbahn, No, VS. 1502.07352

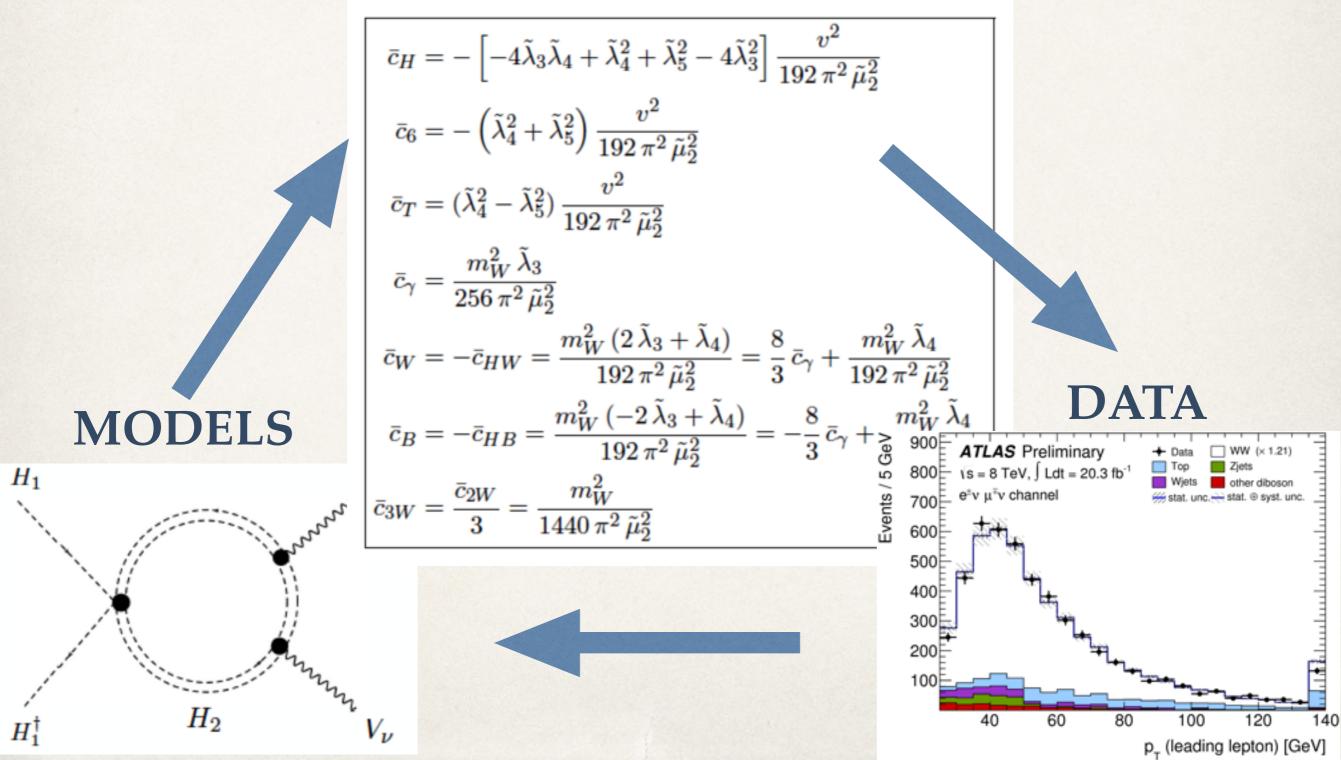
Matching EFT: unbroken phase

$$\begin{split} \bar{c}_{H} &= -\left[-4\tilde{\lambda}_{3}\tilde{\lambda}_{4} + \tilde{\lambda}_{4}^{2} + \tilde{\lambda}_{5}^{2} - 4\tilde{\lambda}_{3}^{2}\right] \frac{v^{2}}{192 \pi^{2} \tilde{\mu}_{2}^{2}} \\ \bar{c}_{6} &= -\left(\tilde{\lambda}_{4}^{2} + \tilde{\lambda}_{5}^{2}\right) \frac{v^{2}}{192 \pi^{2} \tilde{\mu}_{2}^{2}} \\ \bar{c}_{T} &= (\tilde{\lambda}_{4}^{2} - \tilde{\lambda}_{5}^{2}) \frac{v^{2}}{192 \pi^{2} \tilde{\mu}_{2}^{2}} \\ \bar{c}_{\gamma} &= \frac{m_{W}^{2} \tilde{\lambda}_{3}}{256 \pi^{2} \tilde{\mu}_{2}^{2}} \\ \bar{c}_{W} &= -\bar{c}_{HW} = \frac{m_{W}^{2} (2 \tilde{\lambda}_{3} + \tilde{\lambda}_{4})}{192 \pi^{2} \tilde{\mu}_{2}^{2}} = \frac{8}{3} \bar{c}_{\gamma} + \frac{m_{W}^{2} \tilde{\lambda}_{4}}{192 \pi^{2} \tilde{\mu}_{2}^{2}} \\ \bar{c}_{B} &= -\bar{c}_{HB} = \frac{m_{W}^{2} (-2 \tilde{\lambda}_{3} + \tilde{\lambda}_{4})}{192 \pi^{2} \tilde{\mu}_{2}^{2}} = -\frac{8}{3} \bar{c}_{\gamma} + \frac{m_{W}^{2} \tilde{\lambda}_{4}}{192 \pi^{2} \tilde{\mu}_{2}^{2}} \\ \bar{c}_{3W} &= \frac{\bar{c}_{2W}}{3} = \frac{m_{W}^{2}}{1440 \pi^{2} \tilde{\mu}_{2}^{2}} \end{split}$$

$$\bar{c}_T(m_Z) \simeq \bar{c}_T(\tilde{\mu}_2) - \frac{3 g'^2}{32 \pi^2} \bar{c}_H(\tilde{\mu}_2) \log\left(\frac{\tilde{\mu}_2}{m_Z}\right)$$
$$\bar{c}_W(m_Z) + \bar{c}_B(m_Z) \simeq c_W(\tilde{\mu}_2) + \bar{c}_B(\tilde{\mu}_2) + \frac{1}{24 \pi^2} \bar{c}_H(\tilde{\mu}_2) \log\left(\frac{\tilde{\mu}_2}{m_Z}\right).$$

Matching to UV theories

Within the EFT, connection to models is *straightforward* **EFT**



Combination of data

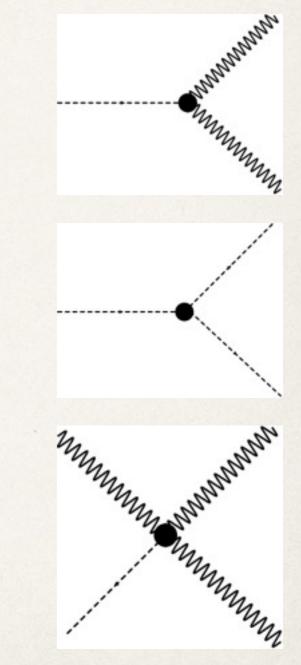
EFTs induce effects in many channels ideal framework for combination

 \mathcal{L}_{3h} Couplings vs $SU(2)_L \times U(1)_Y$ ($D \leq 6$) Wilson Coefficients

$$\begin{split} g_{hhh}^{(1)} &= 1 + \frac{5}{2} \,\bar{c}_{6} \ , \quad g_{hhh}^{(2)} &= \frac{g}{m_{W}} \,\bar{c}_{H} \ , \quad g_{hgg} = g_{hgg}^{\mathrm{SM}} - \frac{4 \, g_{s}^{2} \, v \, \bar{c}_{g}}{m_{W}^{2}} \ , \quad g_{h\gamma\gamma} = g_{h\gamma\gamma}^{\mathrm{SM}} - \frac{8 \, g \, s_{W}^{2} \, \bar{c}_{\gamma}}{m_{W}} \\ g_{hww}^{(1)} &= \frac{2g}{m_{W}} \,\bar{c}_{HW} \ , \quad g_{hzz}^{(1)} &= g_{hww}^{(1)} + \frac{2g}{c_{W}^{2} m_{W}} \left[\bar{c}_{HB} s_{W}^{2} - 4 \bar{c}_{\gamma} s_{W}^{4} \right] \ , \quad g_{hww}^{(2)} &= \frac{g}{2 \, m_{W}} \left[\bar{c}_{W} + \bar{c}_{HW} \right] \\ g_{hzz}^{(2)} &= 2 \, g_{hww}^{(2)} + \frac{g \, s_{W}^{2}}{c_{W}^{2} m_{W}} \left[\left(\bar{c}_{B} + \bar{c}_{HB} \right) \right] \ , \quad g_{hww}^{(3)} &= g \, m_{W} \ , \quad g_{hzz}^{(3)} &= \frac{g_{hww}}{c_{W}^{2}} \left[1 - 2 \, \bar{c}_{T} \right) \\ g_{haz}^{(1)} &= \frac{g \, s_{W}}{c_{W} \, m_{W}} \left[\bar{c}_{HW} - \bar{c}_{HB} + 8 \, \bar{c}_{\gamma} \, s_{W}^{2} \right] \ , \quad g_{haz}^{(2)} &= \frac{g \, s_{W}}{c_{W} \, m_{W}} \left[\bar{c}_{HW} - \bar{c}_{HB} - \bar{c}_{B} + \bar{c}_{W} \right] \end{split}$$

\mathcal{L}_{4h} Couplings vs $SU(2)_L \times U(1)_Y$ ($D \leq 6$) Wilson Coefficients

$$\begin{split} g_{hhhh}^{(1)} &= 1 + \frac{15}{2} \, \bar{c}_6 \ , \quad g_{hhhh}^{(2)} = \frac{g^2}{4 \, m_W^2} \, \bar{c}_H \ , \quad g_{hhgg} = -\frac{4 \, g_s^2 \, \bar{c}_g}{m_W^2} \ , \quad g_{hh\gamma\gamma} = -\frac{4 \, g^2 \, s_W^2 \, \bar{c}_\gamma}{m_W^2} \\ g_{hhxy}^{(1,2)} &= \frac{g}{2 \, m_W} \, g_{hxy}^{(1,2)} \quad (x, y = W, Z, \gamma) \ , \quad g_{hhww}^{(3)} = \frac{g^2}{2} \ , \quad g_{hhzz}^{(3)} = \frac{g_{hhww}^{(3)}}{c_W^2} (1 - 6 \, \bar{c}_T) \\ g_{haww}^{(1)} &= \frac{g^2 \, s_W}{m_W} \Big[2 \, \bar{c}_W + \bar{c}_{HW} + \bar{c}_{HB} \Big] \ , \quad g_{hzww}^{(1)} = \frac{g^2}{c_W \, m_W} \Big[c_W^2 \, \bar{c}_{HW} - s_W^2 \bar{c}_{HB} + (3 - 2 s_W^2) \, \bar{c}_W \Big] \\ g_{haww}^{(2)} &= \frac{2 \, g^2 \, s_W}{m_W} \, \bar{c}_W \ , \quad g_{hzww}^{(2)} = \frac{g^2}{c_W \, m_W} \Big[\bar{c}_{HW} + (3 - 2 s_W^2) \, \bar{c}_W \Big] \\ g_{haww}^{(3)} &= \frac{g^2 \, s_W}{m_W} \Big[\bar{c}_W + \bar{c}_{HW} \Big] \ , \quad g_{hzww}^{(2)} &= \frac{g^2}{c_W \, m_W} \Big[\bar{c}_{HW} + (3 - 2 s_W^2) \, \bar{c}_W \Big] \\ \end{split}$$



Alloul, fuks, VS. 1310.5150 Gorbahn, No, VS. 1502.07352

EFTs induce effects in many channels ideal framework for combination

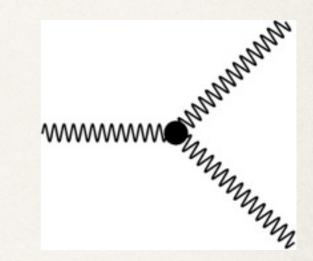
TGCs, QGCs

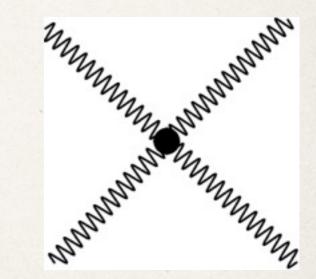
 \mathcal{L}_{3V} Couplings vs $SU(2)_L \times U(1)_Y$ ($D \leq 6$) Wilson Coefficients

$$\begin{split} g_1^Z &= 1 - \frac{1}{c_W^2} \Big[\bar{c}_{HW} - (2s_W^2 - 3)\bar{c}_W \Big] \ , \quad \kappa_Z = 1 - \frac{1}{c_W^2} \Big[c_W^2 \bar{c}_{HW} - s_W^2 \bar{c}_{HB} - (2s_W^2 - 3)\bar{c}_W \Big] \\ g_1^\gamma &= 1 \ , \quad \kappa_\gamma = 1 - 2\,\bar{c}_W - \bar{c}_{HW} - \bar{c}_{HB} \ , \quad \lambda_\gamma = \lambda_Z = 3\,g^2\,\bar{c}_{3W} \end{split}$$

 \mathcal{L}_{4V} Couplings vs $SU(2)_L \times U(1)_Y$ ($D \leq 6$) Wilson Coefficients

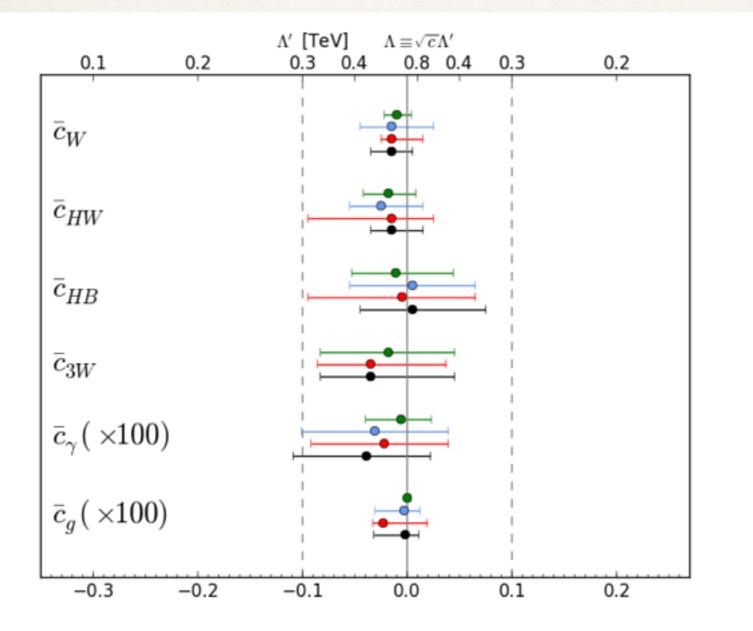
$$\begin{split} g_2^W &= 1 - 2\,\bar{c}_{HW} - 4\,\bar{c}_W \ , \quad g_2^Z = 1 - \frac{1}{c_W^2} \Big[2\,\bar{c}_{HW} + 2\,(2 - s_W^2)\,\bar{c}_W \Big] \\ g_2^\gamma &= 1 \ , \quad g_2^{\gamma Z} = 1 - \frac{1}{c_W^2} \Big[\bar{c}_{HW} + (3 - 2s_W^2)\,\bar{c}_W \Big] \\ \lambda_W &= \lambda_{\gamma W} = \lambda_{\gamma Z} = \lambda_{WZ} = 6\,g^2\,\bar{c}_{3W} \end{split}$$





Alloul, fuks, VS. 1310.5150 Gorbahn, No, VS. 1502.07352

Although the EFT has many parameters, the LHC is sensitive to a handful of them



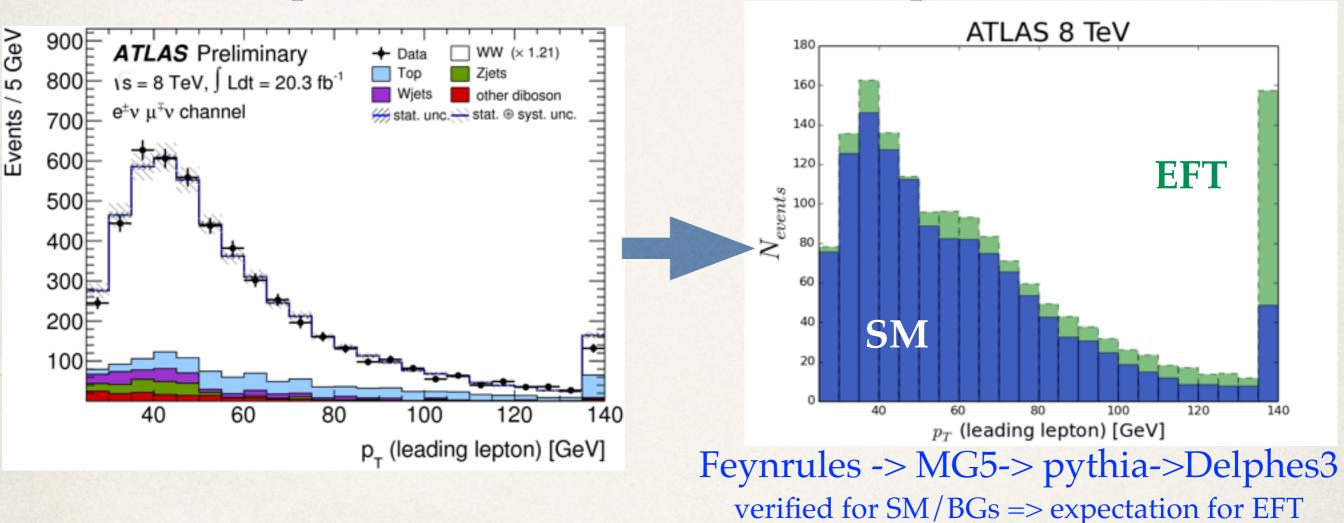
State of the art: Global fit ELLIS, VS, YOU. 1410.0773 LEP and LHC Run1 data

green: one-by-one
black: global fit

sensitivity relies on combination of channels and on use of differential information

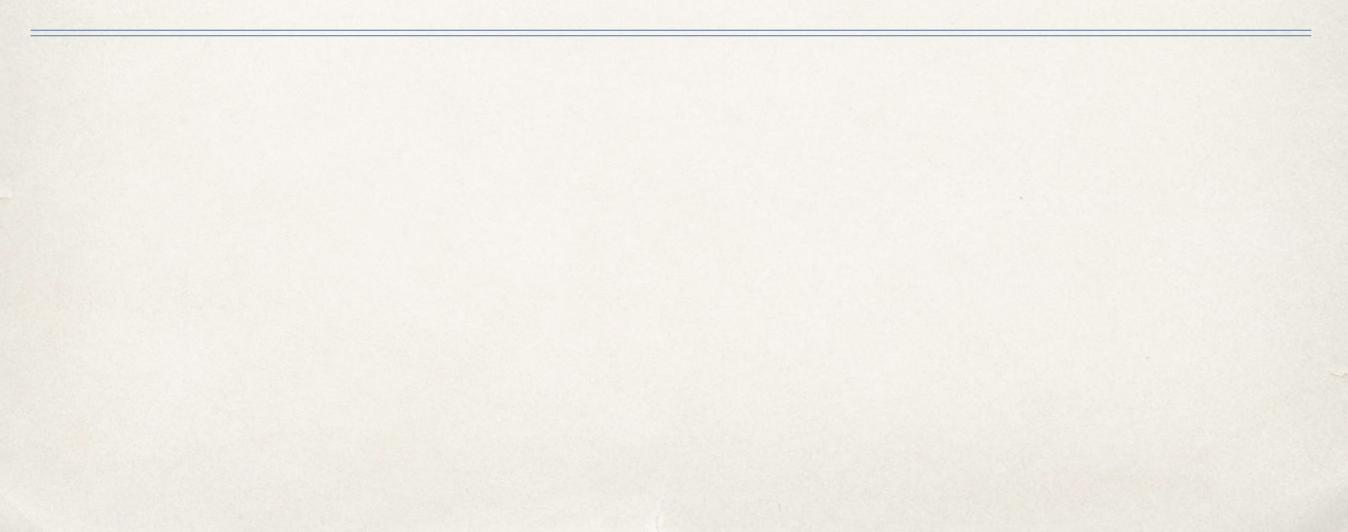
WW production

Dependence on EFT



theorists are working closely with the experiments to bring this to higher precision in the 13 TeV runs

Precision



Precision in the EFT

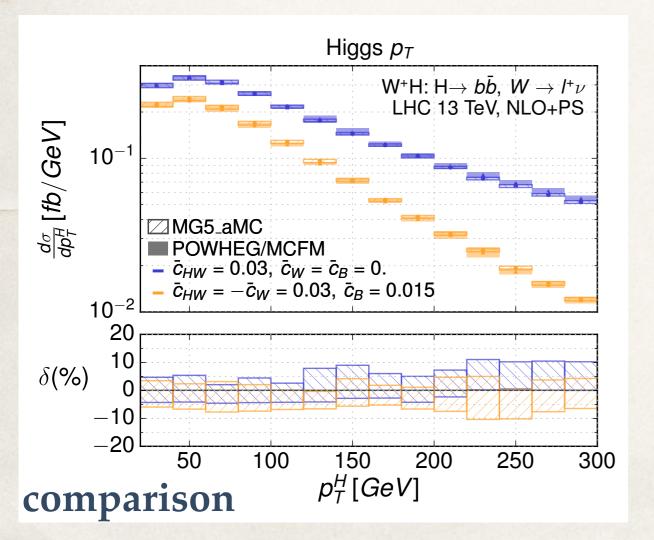
Within the EFT approach incorporate higher-order QCD and EW effects higher-order EFT effects (dimension-8) check validity of the approach

> Need to exploit differential information simulate cuts and detector effects in analysis MC tools should match the level of SM BGs

we are started incorporating the EFT at QCD NLO NLO EW & dim-8 underway

Monte Carlo EFT@NLO QCD

At LO there are a handful of EFT implementations, incl SM NLO WHIZARD, JHU, VBFNLO, AMC@NLO, POWHEG Largest collection of EFT operators in one MC (39 operators) ALLOUL, FUKS, VS. 1310.5150 written in the SILH basis, we link to *Rosetta* for change of basis MIMASU, VS ET AL. 1508.05895



we started incorporating QCD NLO EFT effects for a handful of operators *codes are now public*

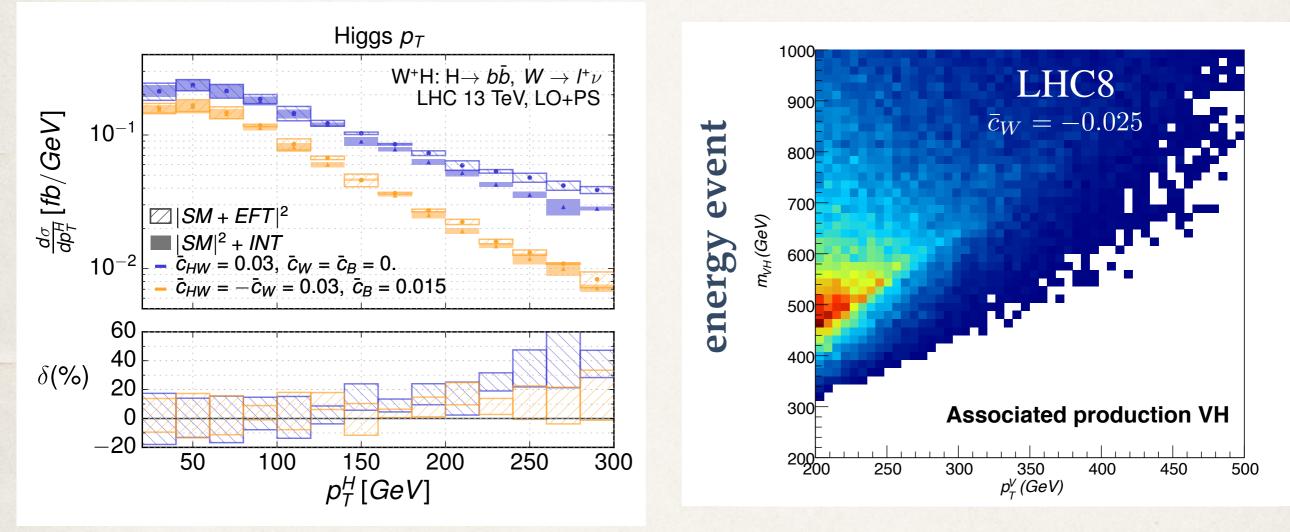
POWHEG-BOX Mimasu, VS, Williams. 1512.02572

aMC@NLO

DEGRANDE, FUKS, MAWATARI, MIMASU, VS. 1609.04833

Monte Carlo EFT and validity

The issue of validity of the EFT approach with the use of differential distributions is a hot topic of discussion



DEGRANDE ET AL. 1609.04833

ELLIS, VS, YOU. 1410.7703

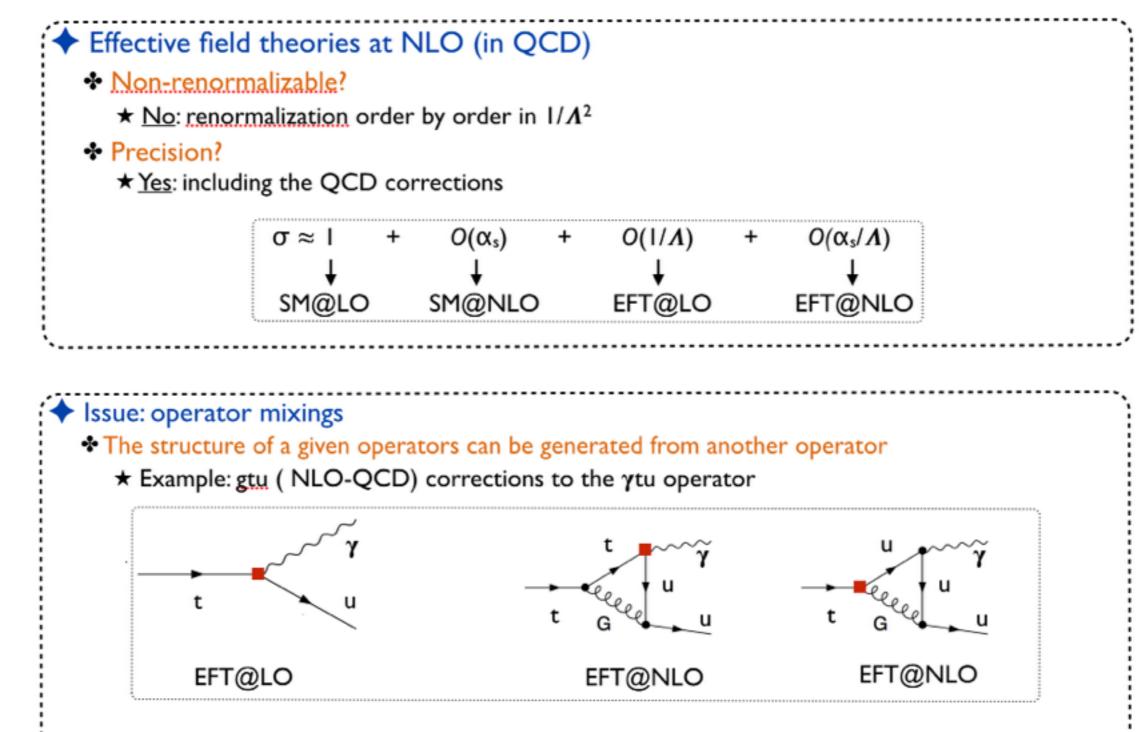
Proposals: cutoffs, matching to UV, templates, evaluation of dim-8...

Conclusions

- The Higgs may be the key to discover new physics: lightness and association with the origin of mass
- The discovery of the Higgs in 2012 opened a new way to look for new physics via quantum effects (indirect). With Run2 at 13 TeV, the LHC is approaching a precision stage for Higgs measurements
- The EFT approach to interpret Higgs data is a theorist-friendly procedure and with a well-defined procedure for systematic improvement. It is motivated by the absence of excesses in direct searches
- To reach the precision needed for discovery, theorists are developing NLO MC tools to facilitate the communication with experimentalists. Expect to reach scales into the TeV

Automated NLO MC

NLO calculations with MADGRAPH5_aMC@NLO



* In full generality, we may need to include all operators allowed by gauge invariance...