

p_{\perp} fluctuations and correlations

Piotr Bożek

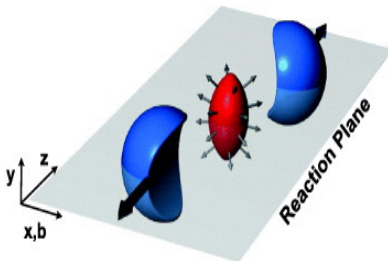
AGH University of Science and Technology, Kraków

with: W. Broniowski, arXiv: 1701.09105
and S. Chatterjee, arXiv: 1704.02777



asymmetry in the transverse plane at finite impact parameter

$$\text{eccentricity} - \epsilon_2 = -\frac{\int dx dy (x^2 - y^2) \rho(x, y)}{\int dx dy (x^2 + y^2) \rho(x, y)}$$



Snellings 2011

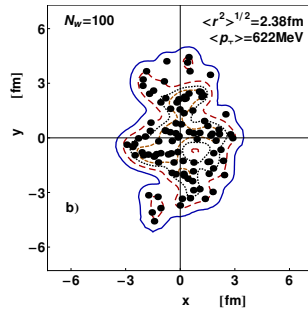
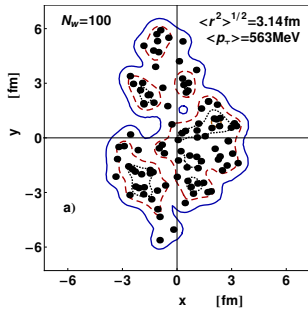
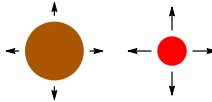
larger gradient and stronger flow in-plane - $v_2 > 0$ - **elliptic flow**

$$\frac{dN}{d\phi} \propto 1 + 2v_2 \cos(2\phi)$$

$\epsilon_2 + \text{HYDRO RESPONSE} \longrightarrow v_2$

Event Plane (Reaction plane) must be reconstructed in each event

Size fluctuations $\leftrightarrow p_{\perp}$ fluctuations

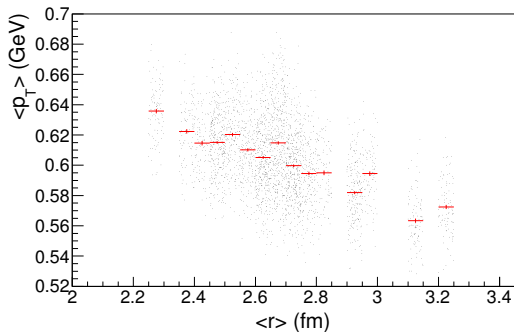


proposed by Broniowski et al. Phys.Rev. C80 (2009) 051902 :

two-shots calculation

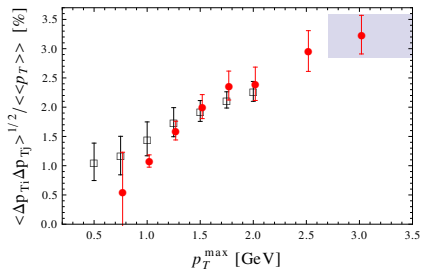
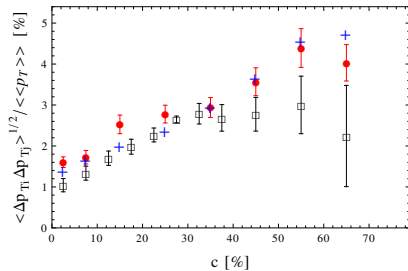
Physical and statistical fluctuations

$N_w=100$



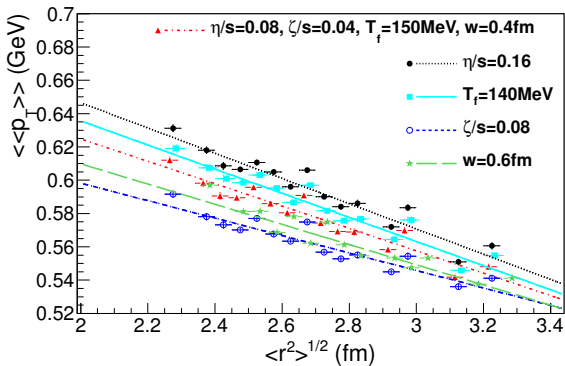
$$C_{p_{\perp}} = \frac{\frac{1}{N(N-1)} \sum_{i \neq j} \langle (p_i - \langle p \rangle)(p_j - \langle p \rangle) \rangle}{\langle p_{\perp} \rangle^2}$$

PHENIX data vs. hydro.



Viscosity effects on hydro response

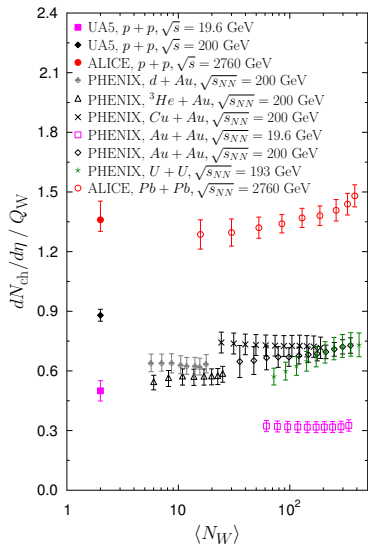
$N_w=100$



$$\frac{\Delta p}{p} \simeq 0.4 \frac{\Delta r}{r}$$

- ▶ size fl. $\leftrightarrow p_{\perp}$ fluctuations
- ▶ hydro. response not modified by
 - ▶ viscosity
 - ▶ T_F
 - ▶ smearing
 - ▶ core-corona
 - ▶ P_{tot} conservation
 - ▶ centrality def.
- ▶ too much fluctuations?

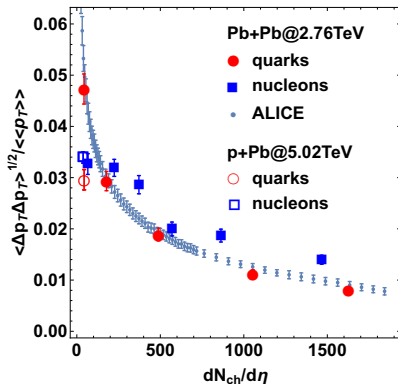
Wounded quark model in AA



- very good (full) scaling at LHC
- approximate scaling at RHIC
- LHC - 3 partons , RHIC - 2 partons ?

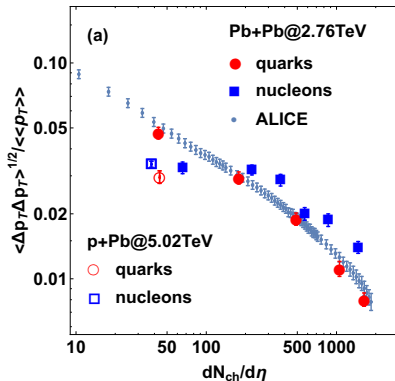
PB, W. Broniowski, M. Rybczyński,
PRC 2016

p_{\perp} fluctuation quark Glauber model initial conditions



Quark Glauber model gives better description of initial volume fluctuations

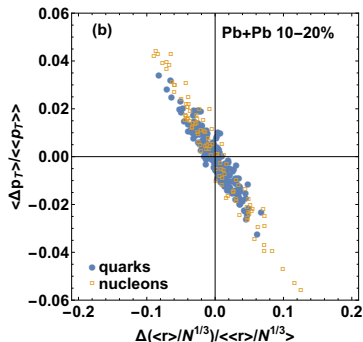
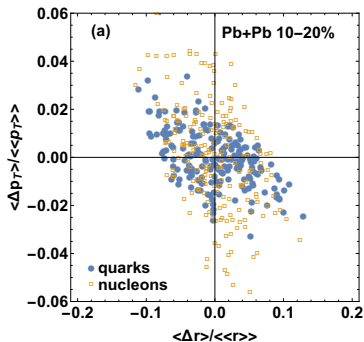
Same in log scale



more than simple $N^{-1/2}$ scaling

both experiment and theory \rightarrow not minijets

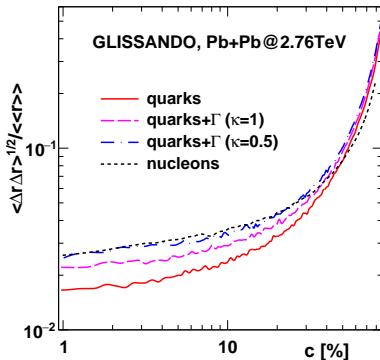
Size - p_{\perp} correlation



$\frac{N_q^\alpha}{\langle r \rangle}$ - predictor of the final p_{\perp}

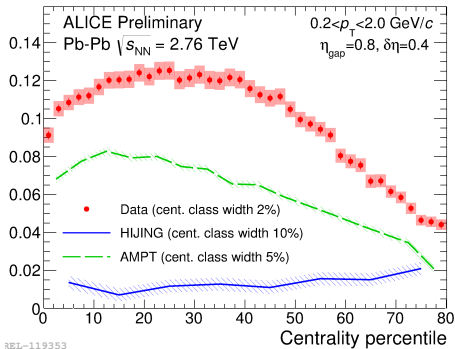
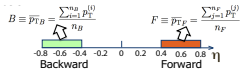
consistent with predictor of Mazellauskas-Teaney, PRC 2016

Caution - additional fluctuation may change the results



$p_{\perp} - p_{\perp}$ correlation in rapidity - ALICE preliminary

$$b_{\text{corr}} = \frac{\langle FB \rangle - \langle F \rangle \langle B \rangle}{\langle F^2 \rangle - \langle F \rangle^2}$$

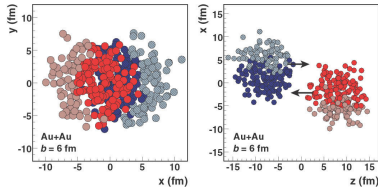


QM poster I. Altsybeev for ALICE

event generators have problems to reproduce data



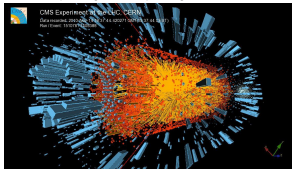
Forward and backward asymmetry



Ann.Rev.Nucl.Part.Sci. 57 (2007) 205

- Glauber Monte Carlo model \longrightarrow different forward and backward distributions
- different fireball shape at forward and backward rapidities

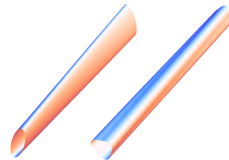
multiplicity-multiplicity correlations



dozens of years, hundreds of papers

many effects sum up ...

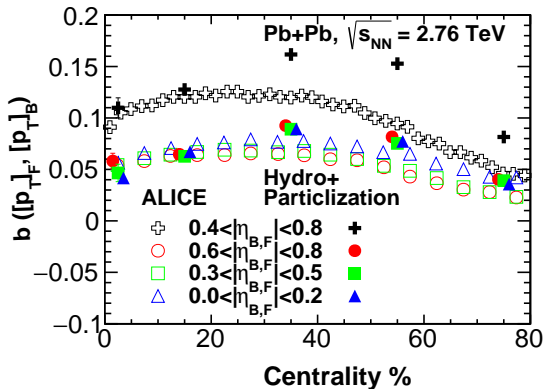
flow angle-flow angle correlations



PB, W. Broniowski, J. Moreira : 1011.3354

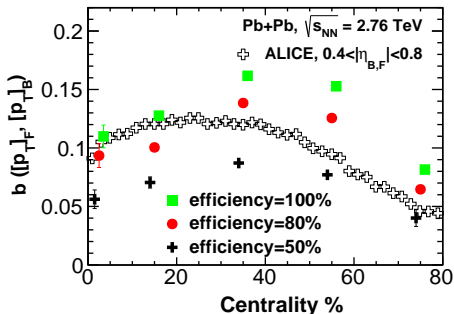
experiment and theory picks up momentum

$p_{\perp} - p_{\perp}$ correlation in rapidity - hydro



reasonable description of the data

$p_{\perp} - p_{\perp}$ correlation coefficient - ill defined



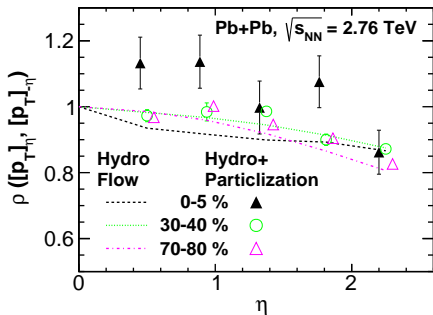
$$b = \frac{\langle [p_{\perp}]_A [p_{\perp}]_B \rangle - \langle [p_{\perp}]_A \rangle \langle [p_{\perp}]_B \rangle}{\sqrt{(\langle p_A^2 \rangle - \langle p_A \rangle^2)(\langle p_B^2 \rangle - \langle p_B \rangle^2)}} = \frac{\dots}{\sqrt{\frac{1}{n_A^2} \sum_{ij} p_i^A p_j^A \dots}}$$

sensitive to acceptance, particle multiplicity

dominated by statistical fluctuations!

$[p_{\perp}] - [p_{\perp}]$ correlation coefficient

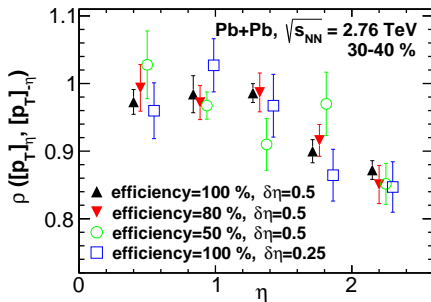
$$\frac{\langle [p_{\perp}]_A [p_{\perp}]_B \rangle - \langle [p_{\perp}]_A \rangle \langle [p_{\perp}]_B \rangle}{\sqrt{C_{p_{\perp}}^A C_{p_{\perp}}^B}} = \frac{\dots}{\sqrt{\frac{1}{n_A(n_A-1)} \sum_{i \neq j} p_i^A p_j^A \dots}}$$



$$\rho([p_T], [p_T]) \simeq 1$$

in the current model - strong correlations

$[p_{\perp}] - [p_{\perp}]$ correlation coefficient

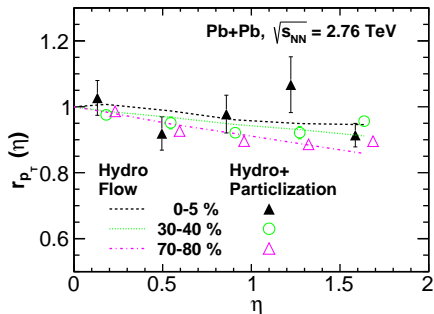


insensitive to acceptance, efficiency, multiplicity

true measure of flow-flow correlations

3-bin measure of $[\rho_{\perp}]$ decorrelation

$$r_{p_T}(\Delta\eta) = \frac{\text{Cov}([\rho_T], [\rho_T])(\eta + \Delta\eta)}{\text{Cov}([\rho_T], [\rho_T])(\eta - \Delta\eta)}$$



Measure of $[\rho_T]$ decorrelation in pseudorapidity

Summary

- ▶ size fluctuations $\leftrightarrow p_{\perp}$ fluctuations
- ▶ Glauber+hydro qualitatively consistent
- ▶ suggest scenarios with less fluctuations (quark Glauber model)
- ▶ p_{\perp} correlations in η interesting
- ▶ strong $[p_{\perp}] - [p_{\perp}]$ correlations? - should be measured