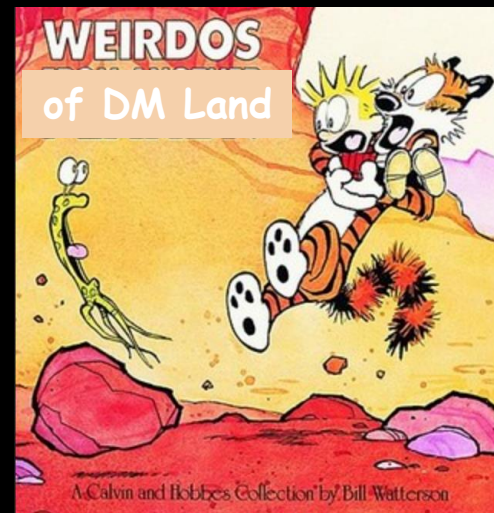


Exploring Weirdo Regions of WISPy Dark Matter (and other things)

(veeery)

Weakly Interacting Sub-eV Particle

J. Jaeckel^{**}



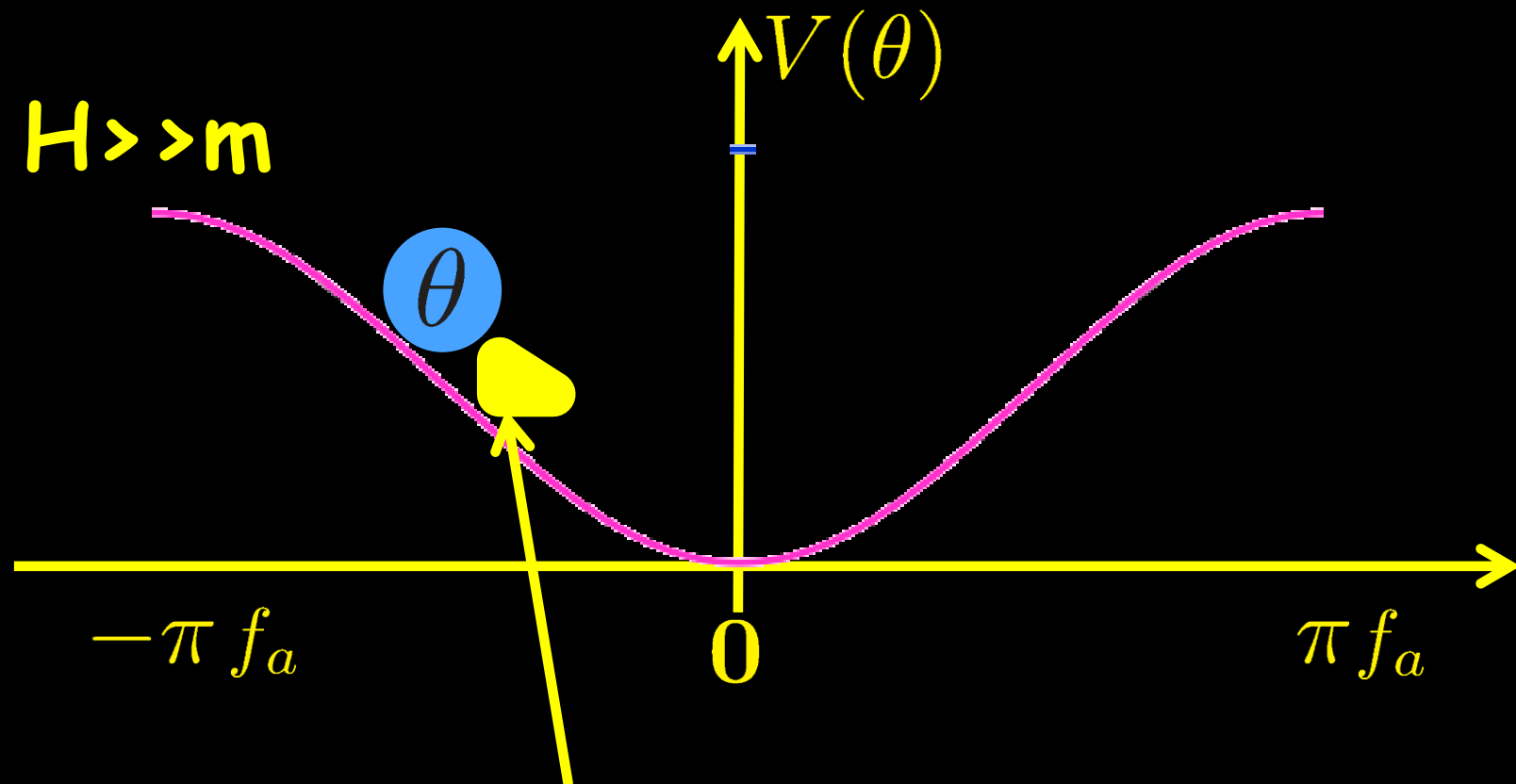
Gonzalo Alonso^{**}, J. Berges^{**}, A. Chatrychian^{**}, L. Darme^{††},
B. Doebrich^z, L. Gastaldo^{**}, A. Hebecker^{**}, S. Hoof^T, S. Knirck^{zz},
M. Lewicky^s, V. Mehta^{**}, J. Redondo^x, A. Ringwald^{*},
F. Rompineve^{**}, U. Schmidt^{**}, L. Witkowski^{xx}
and The FUNK Collaboration

^{**}Heidelberg U., ^{zz}MPP Munich, ^zCERN, [†]IPPP Durham, ^{*}DESY,
^yMPIfR Bonn, ^xU. Zaragoza, ^{xx}Paris, ^TImperial College London
^{††}Warsaw INS, ^sU. of Adelaide

Standard

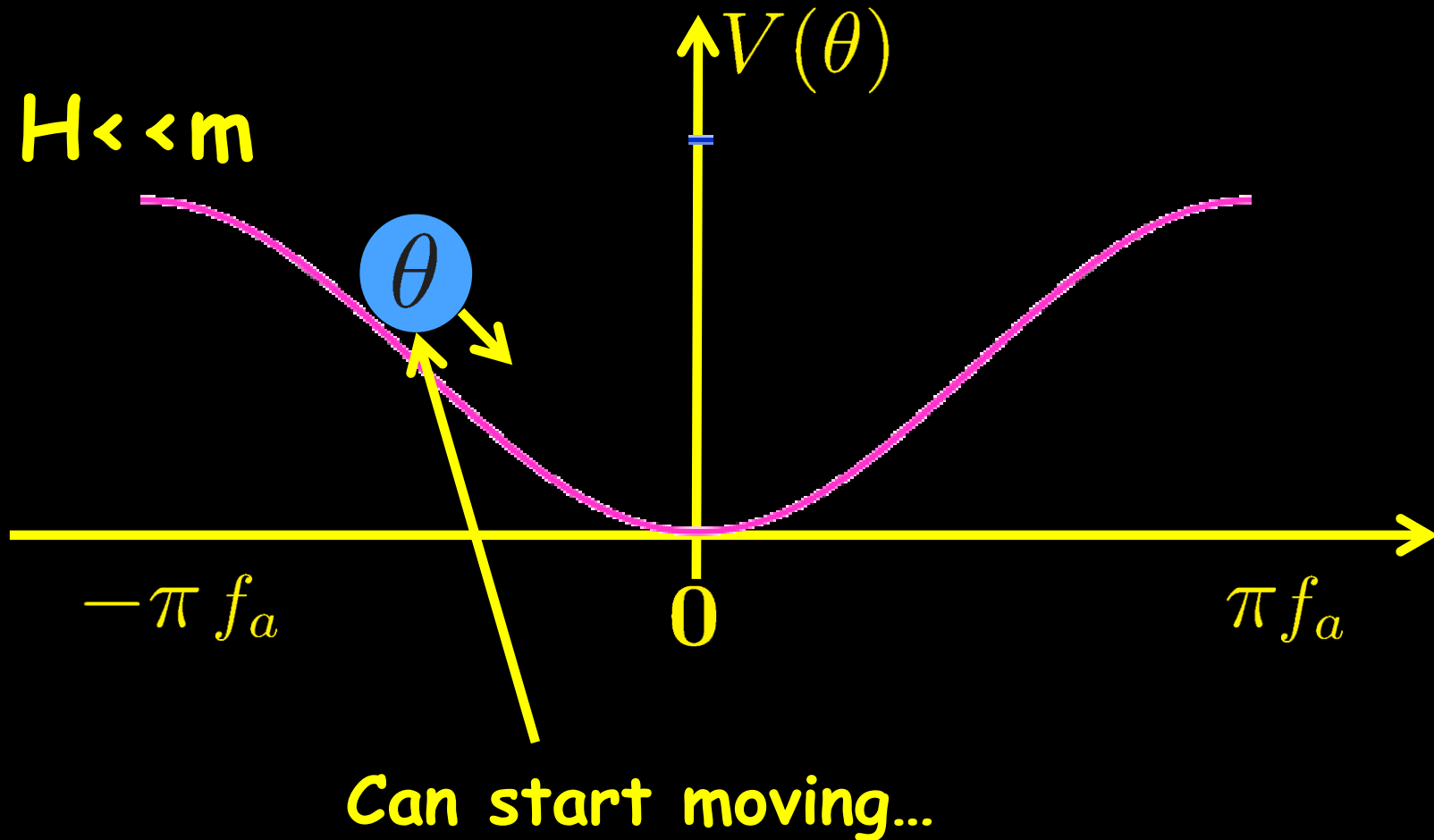
Axion Dark Matter

The axion has no clue where to start

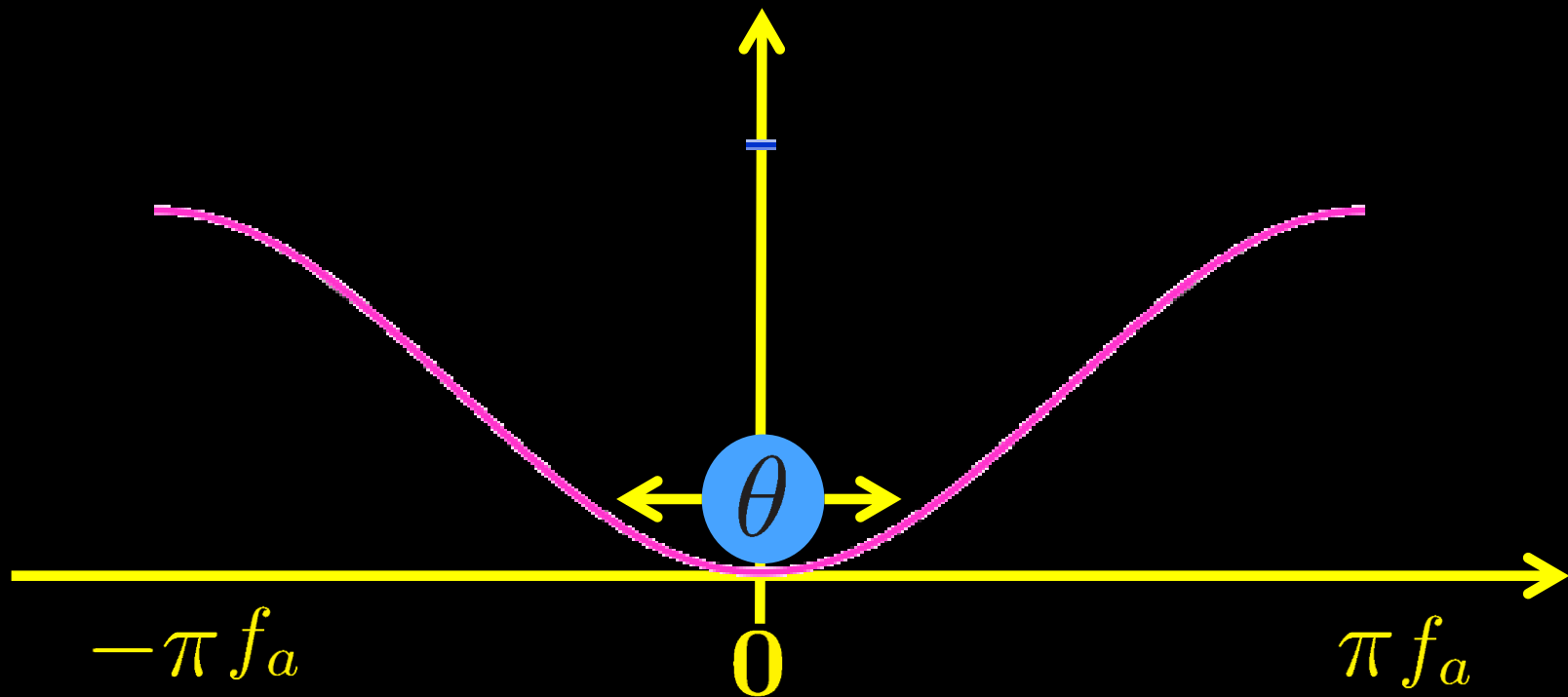


Field is stuck because of Hubble "breaking"

The axion has no clue where to start



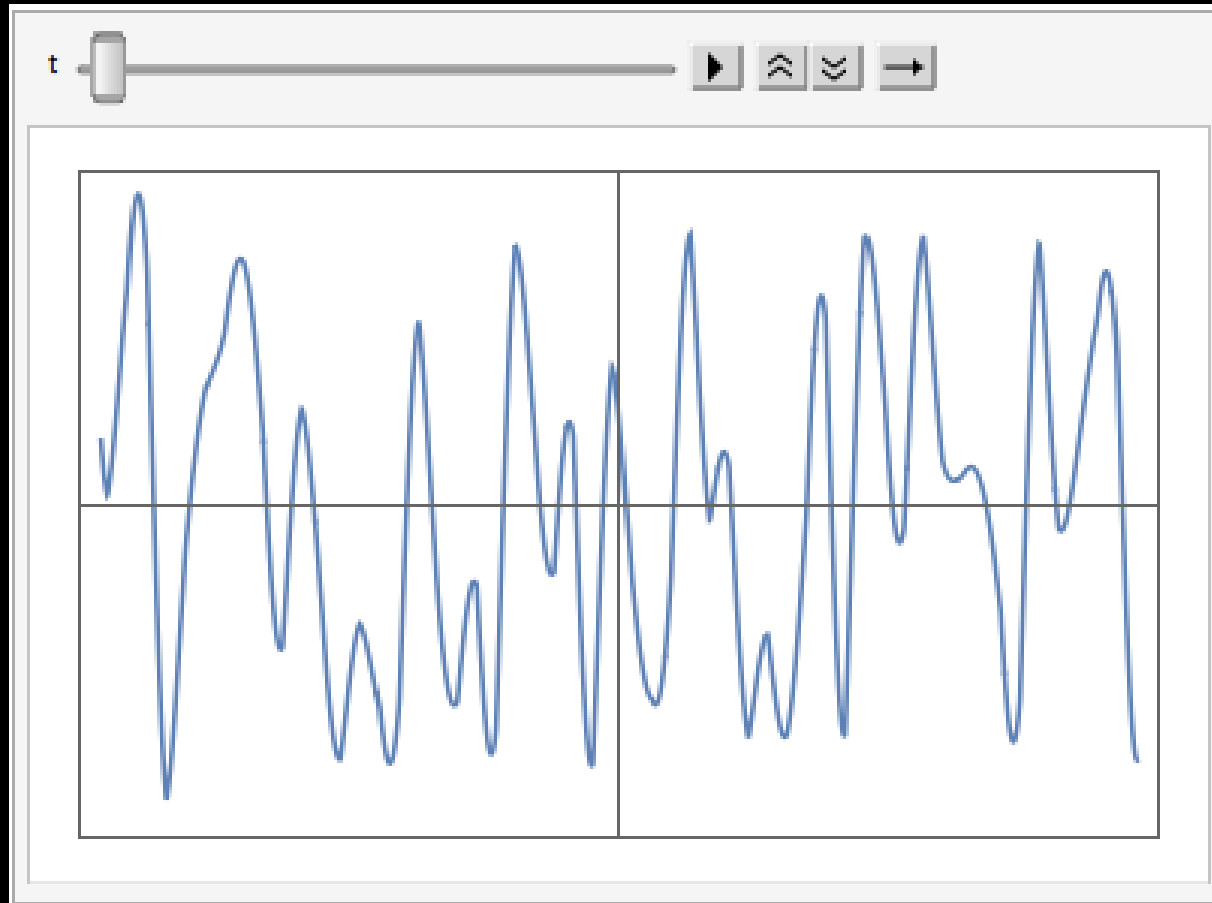
The axion solution to the strong CP problem



- Oscillations contain energy
- behave like non-relativistic particles ($T=0$)

Why Cold? Inflation!

Field
value




space

$$velocity \sim \frac{p}{m} \sim \frac{\hbar}{m} \frac{d}{dx} \rightarrow 0$$

Dark Matter Density

- Depends on the initial field value

$$\rho_{\phi,0} \simeq 0.17 \frac{\text{keV}}{\text{cm}^3} \times \sqrt{\frac{m_0}{\text{eV}}} \sqrt{\frac{m_0}{m_1}} \left(\frac{\phi_1}{10^{11} \text{ GeV}} \right)^2 \mathcal{F}(T_1)$$


- Pseudo-Goldstone

→ Field value $\phi_1 \leq \pi f_a$

Naturally $\phi_1 \sim \pi f_a$

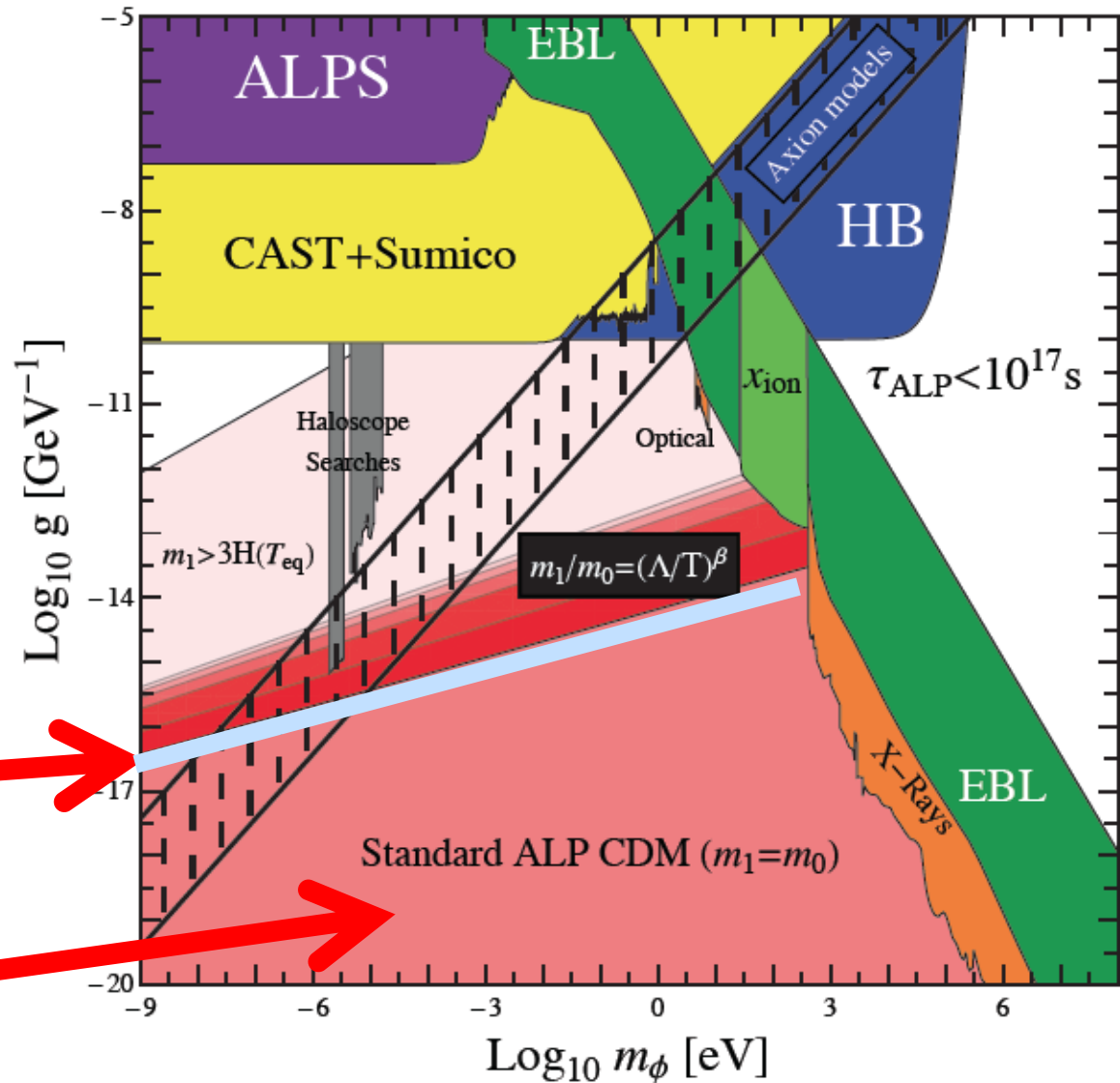
Axion(-like particle) Dark Matter

$$\mathcal{L} \supset \frac{1}{4} g_{a\gamma\gamma} F^\mu \tilde{F}_{\mu\nu}$$

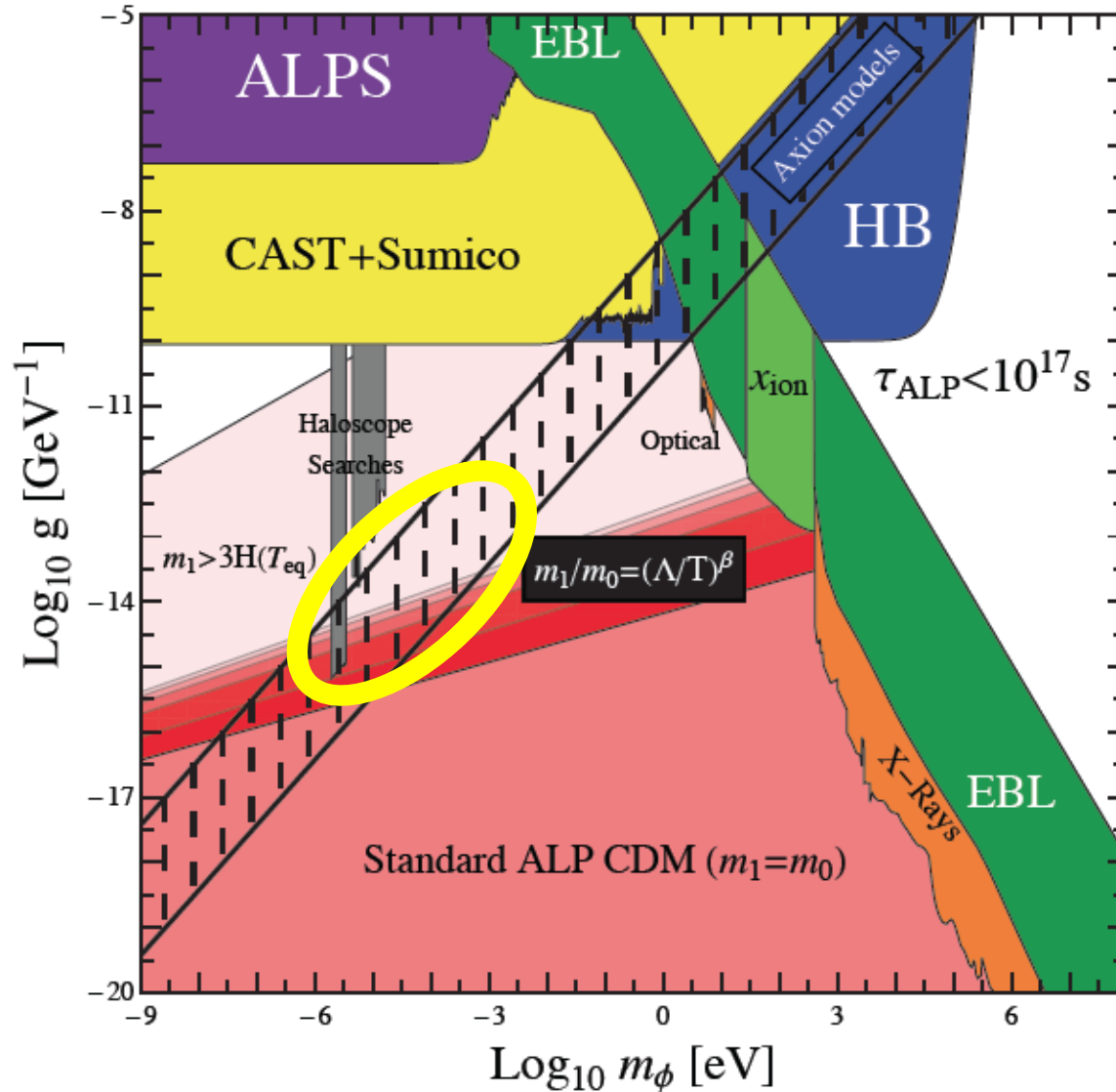
$$g_{a\gamma\gamma} \sim \frac{\alpha}{4\pi f_a}$$

Natural

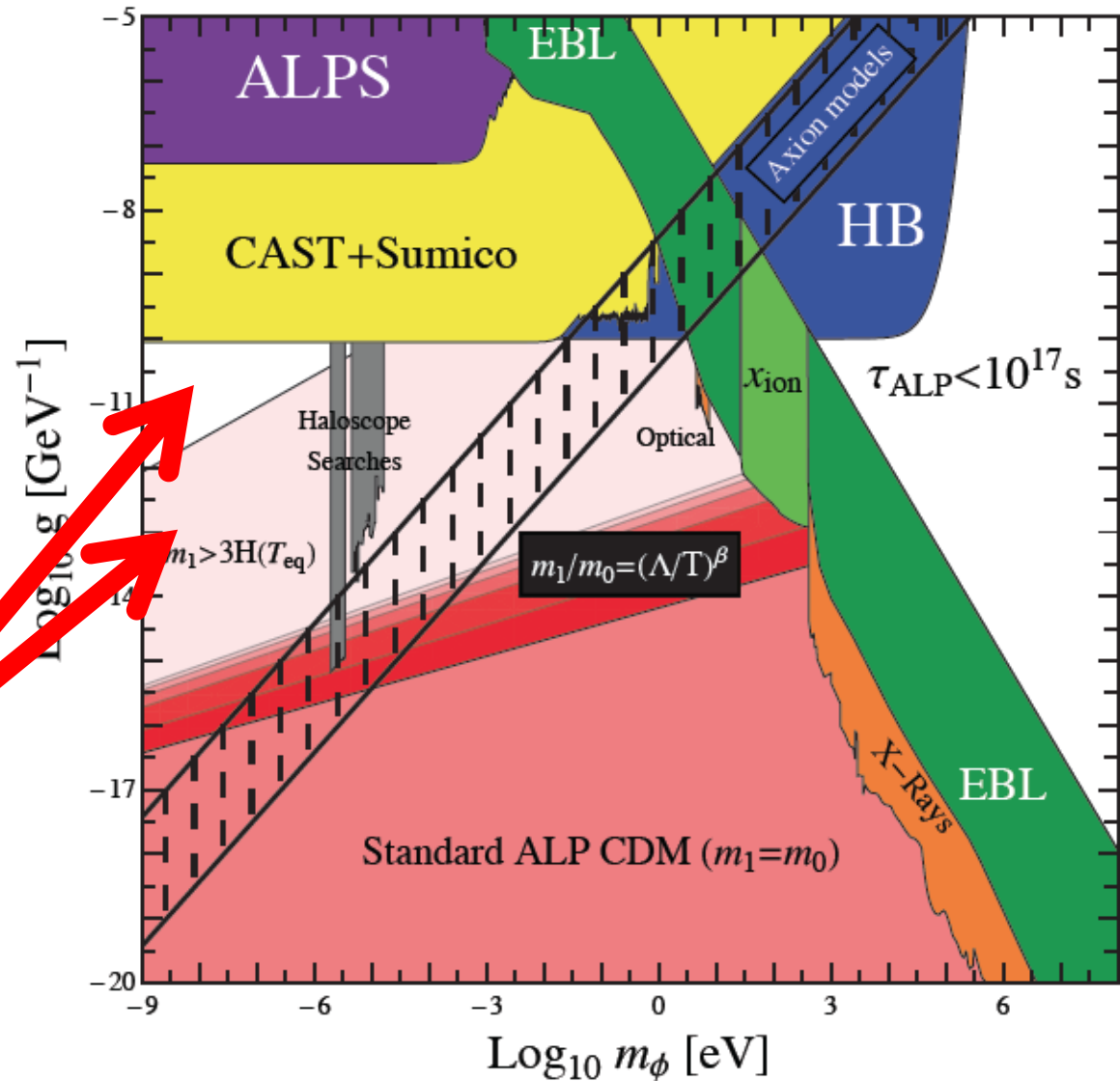
Possible



Axion Dark Matter



Axion(-like particle) Dark Matter



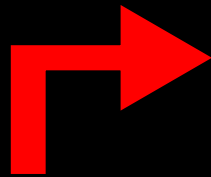
Want to get
here!

Detecting WISPy
DM

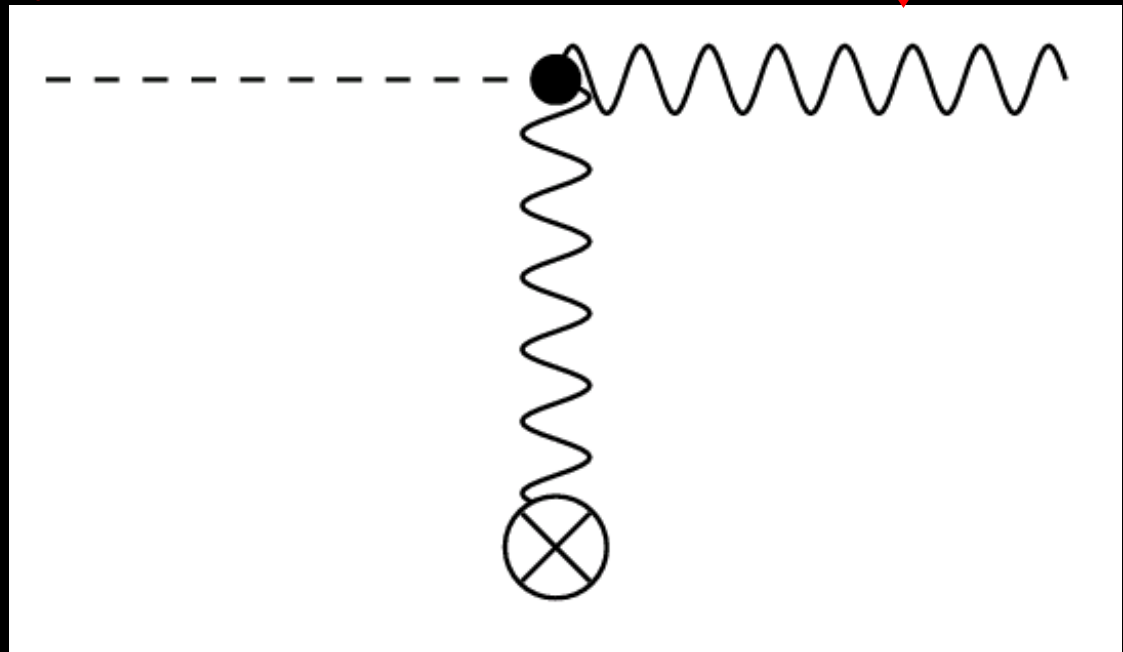
Use a plentiful source of axions

- Photon Regeneration

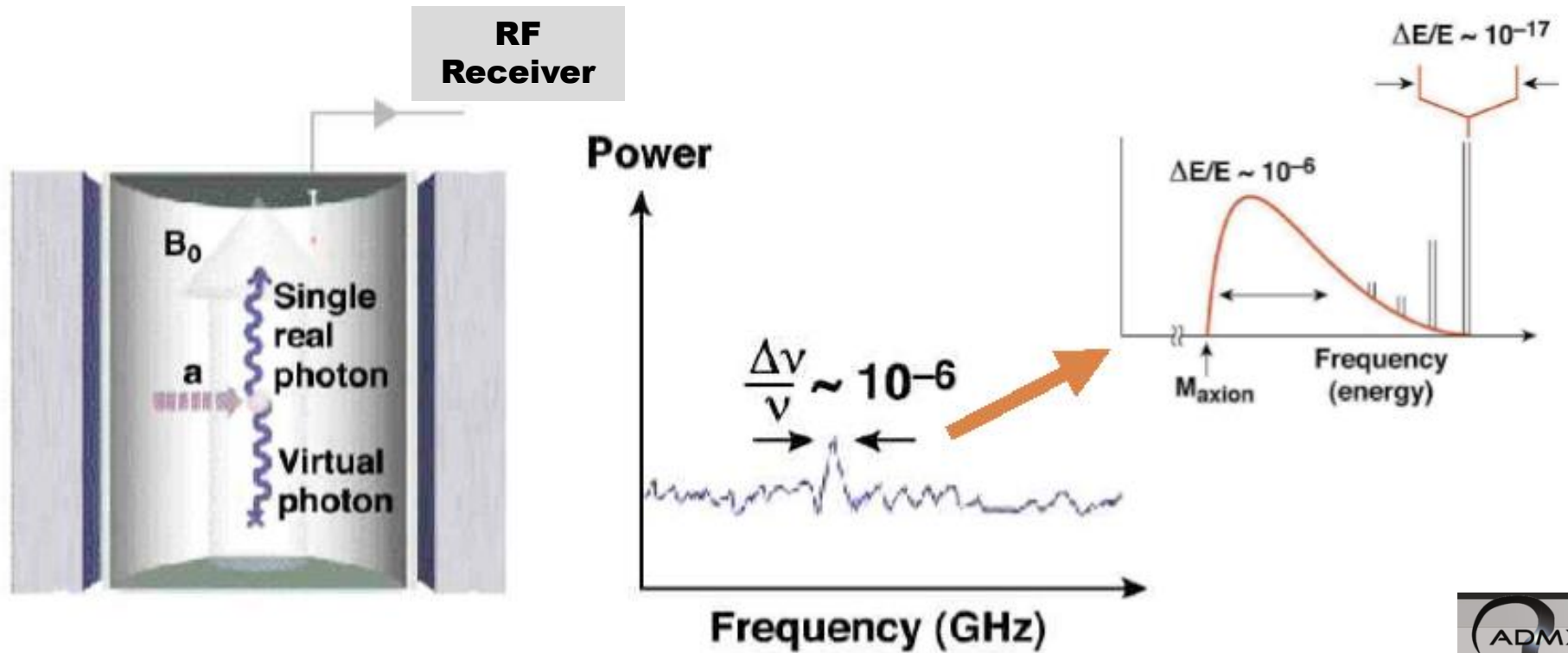
Photon
(amplified in resonator)



axion
(dark matter)



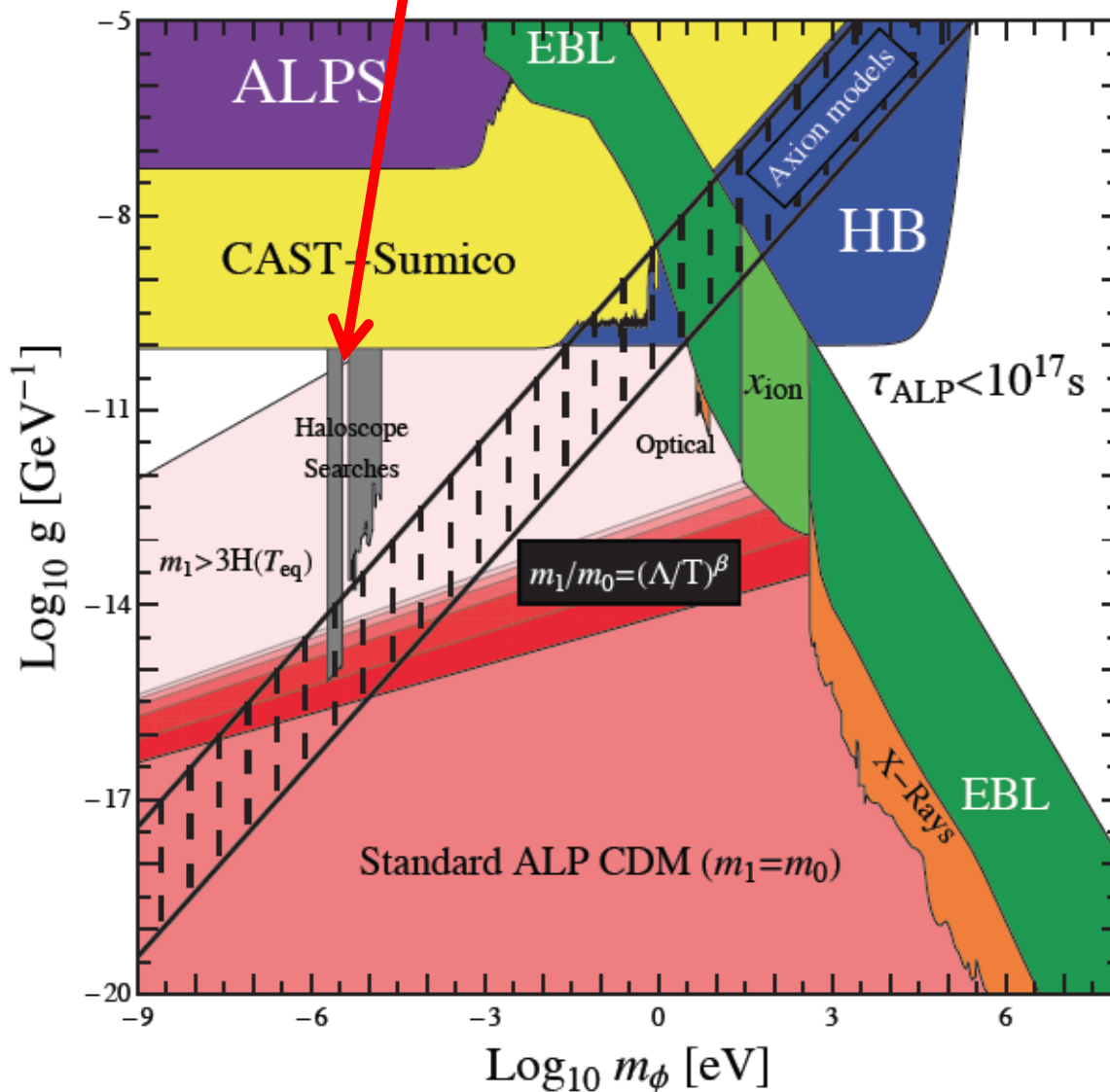
Signal: Total energy of axion



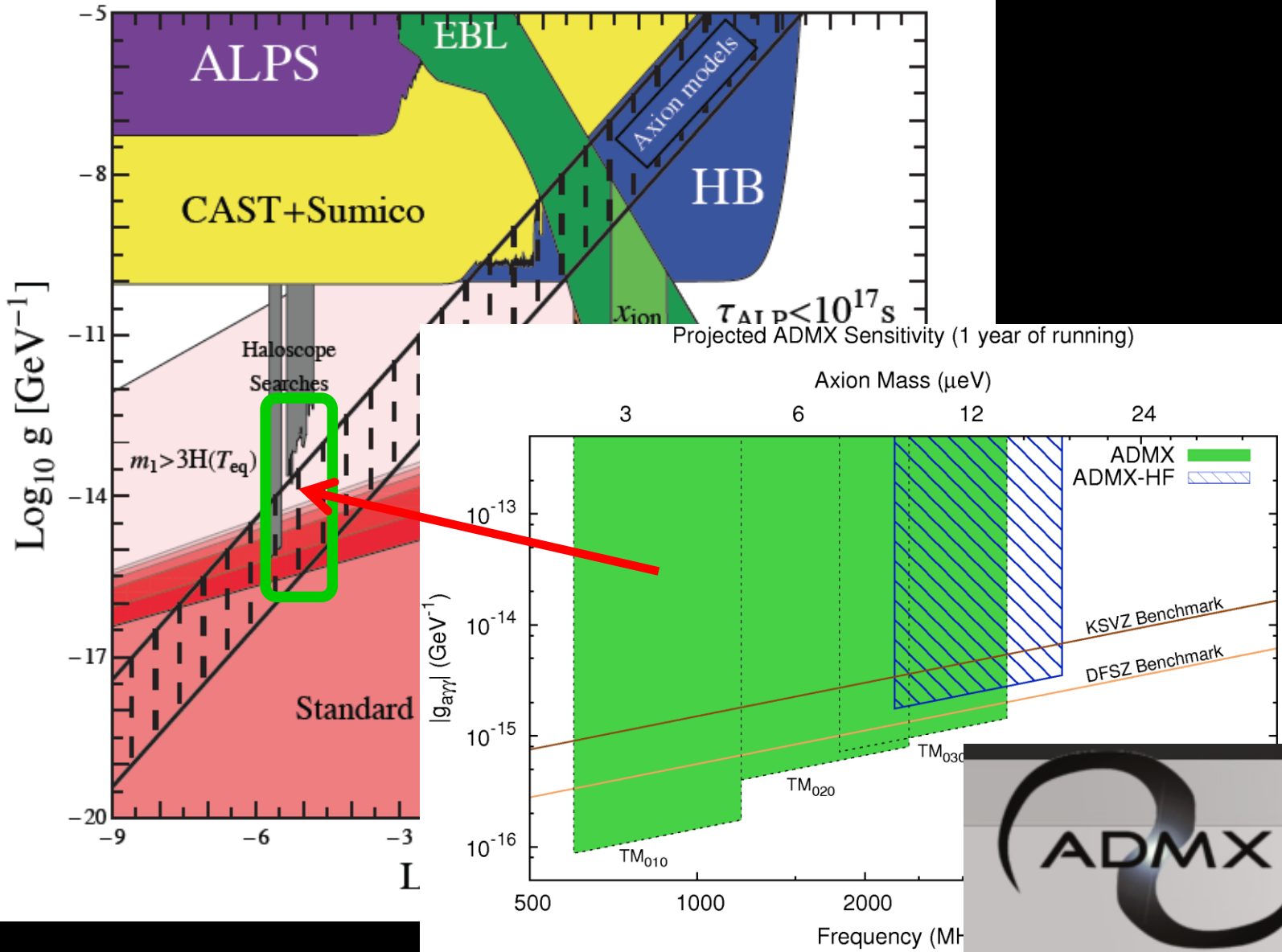
$$h\nu = m_a c^2 [1 + \mathcal{O}(\beta^2 \sim 10^{-6})]$$

Virial velocity
in galaxy halo!

An extremely sensitive probe!!!



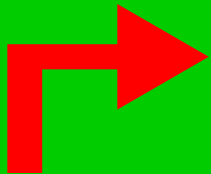
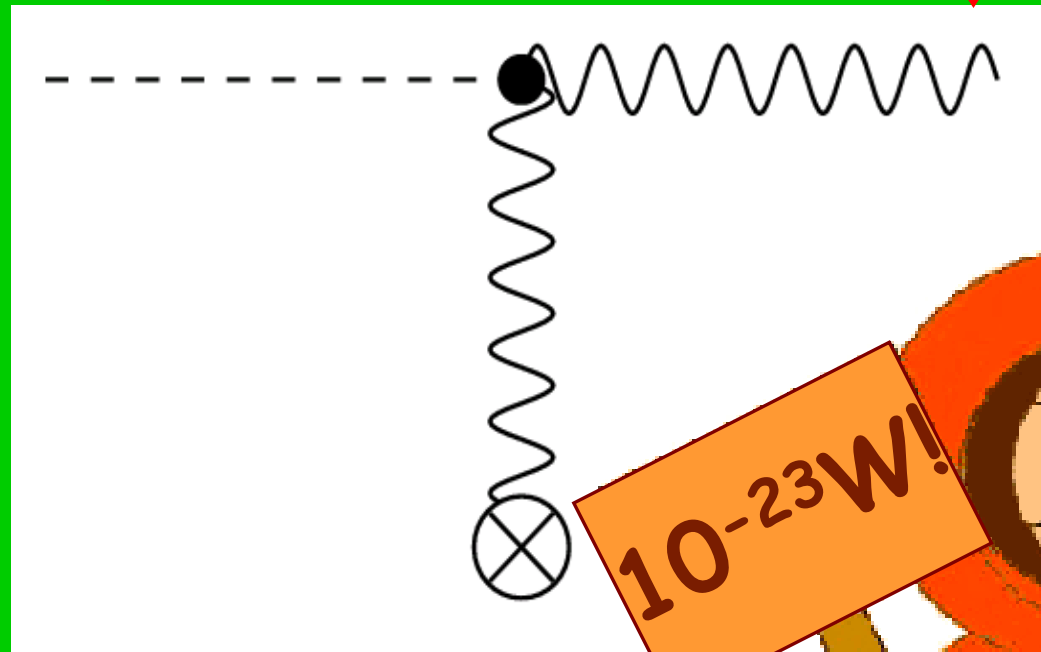
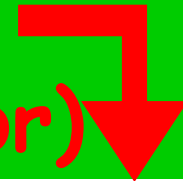
A discovery possible any minute!



Electricity from Dark Matter :-).

- Photon Regeneration

Photon
(amplified in resonator)



axion
(dark matter)

10^{-23}W!



Really sustainable Energy

- Galaxy contains $(6-30) \times 10^{11}$ solar masses of DM

→ $(3-15) \times 10^{43}$ TWh

@100000 TWh per year (total world today)

→ 10^{38} years ☺

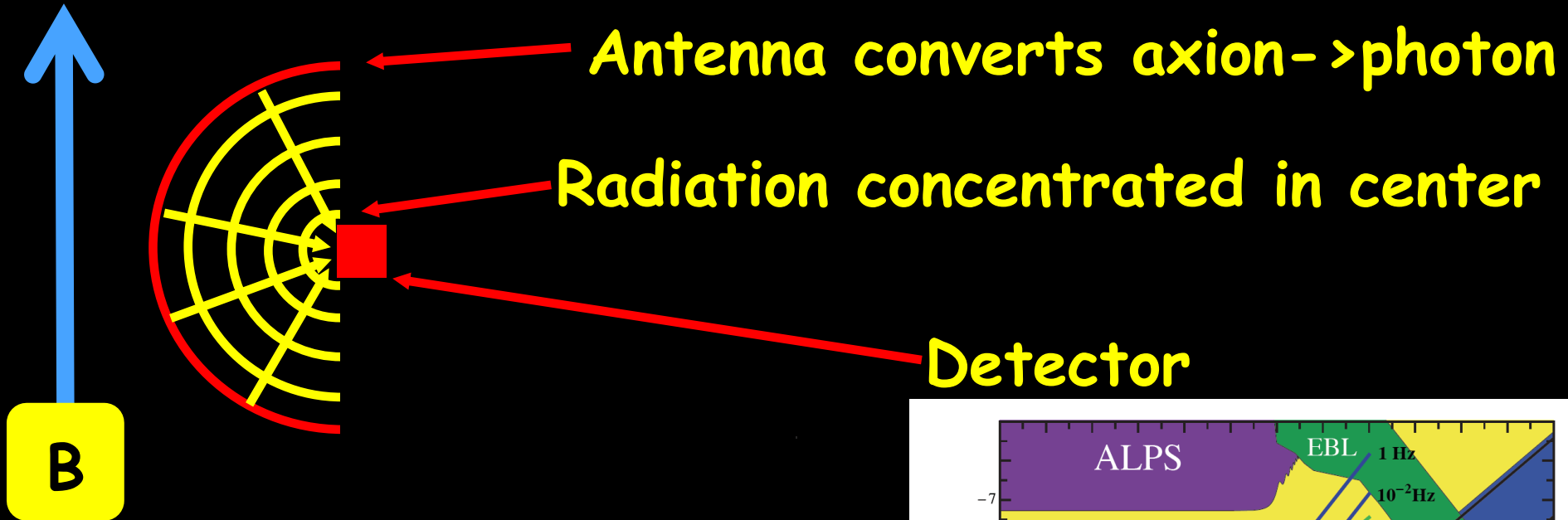
DM power

$$\frac{1}{2} \cdot v \sim 300 \text{ MeV/cm}^3 \cdot 300 \text{ km/s} \sim 10 \text{ W/m}^2$$

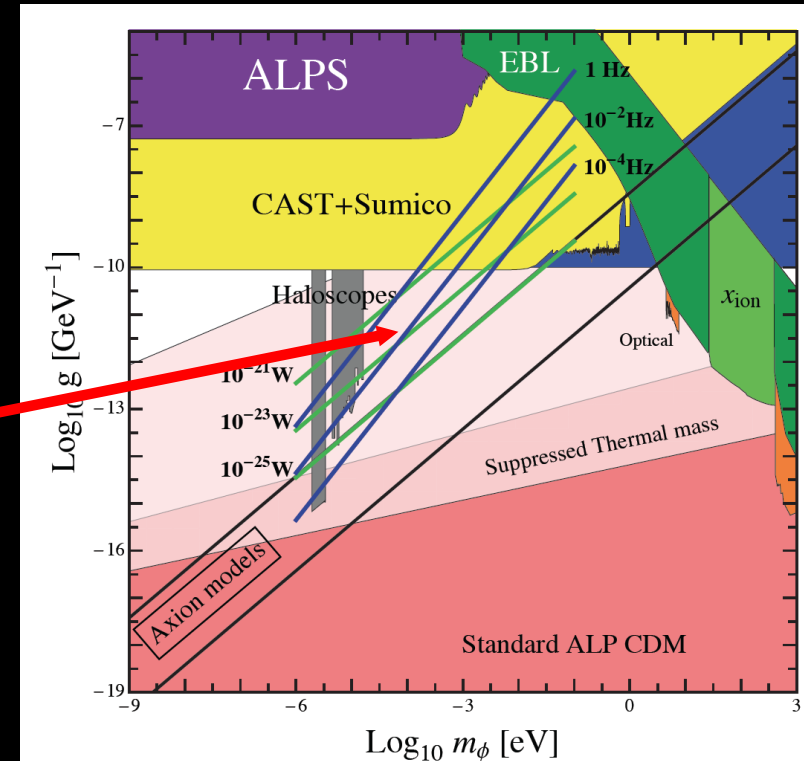
compared to 2 W/m^2 for wind

Broadband Search Strategy

Dark Matter Antenna



Probes here;
very sensitive!!



The FUNK Experiment

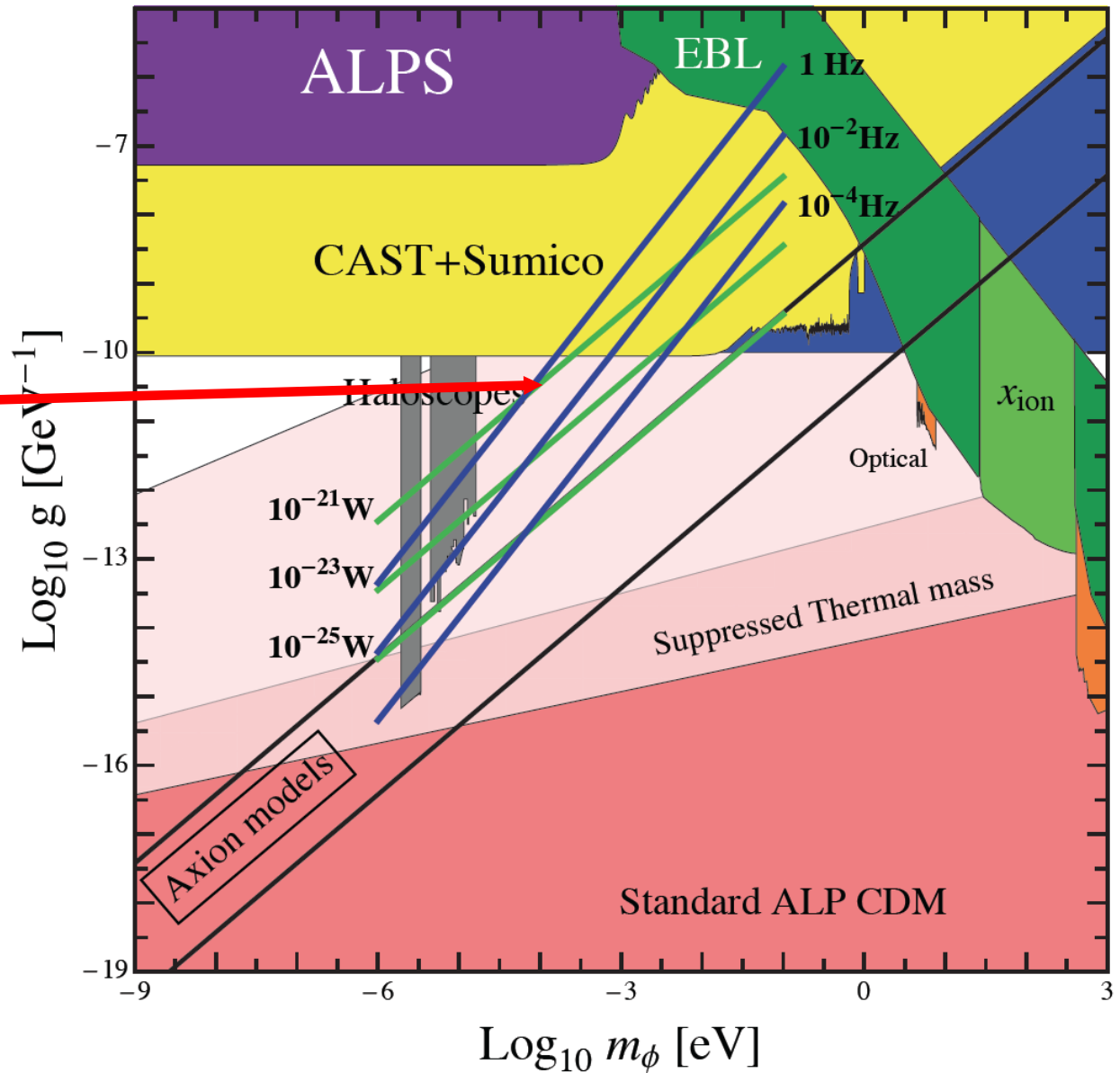
Recycle Auger mirror

Detector



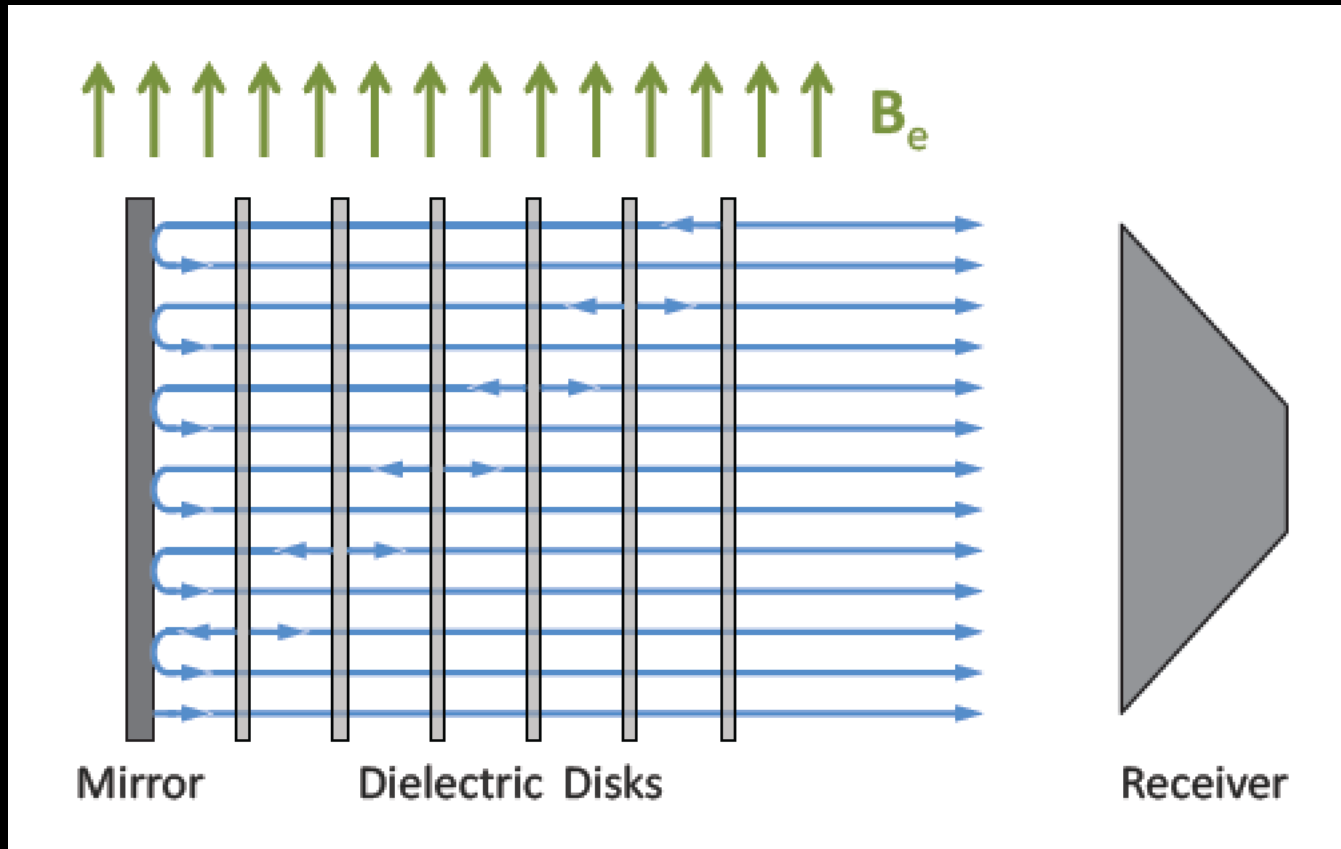
Dark Matter Antenna

Difficult to
have enough
dark matter
here



Perhaps even better: MadMax

Ambitious new project at MPP

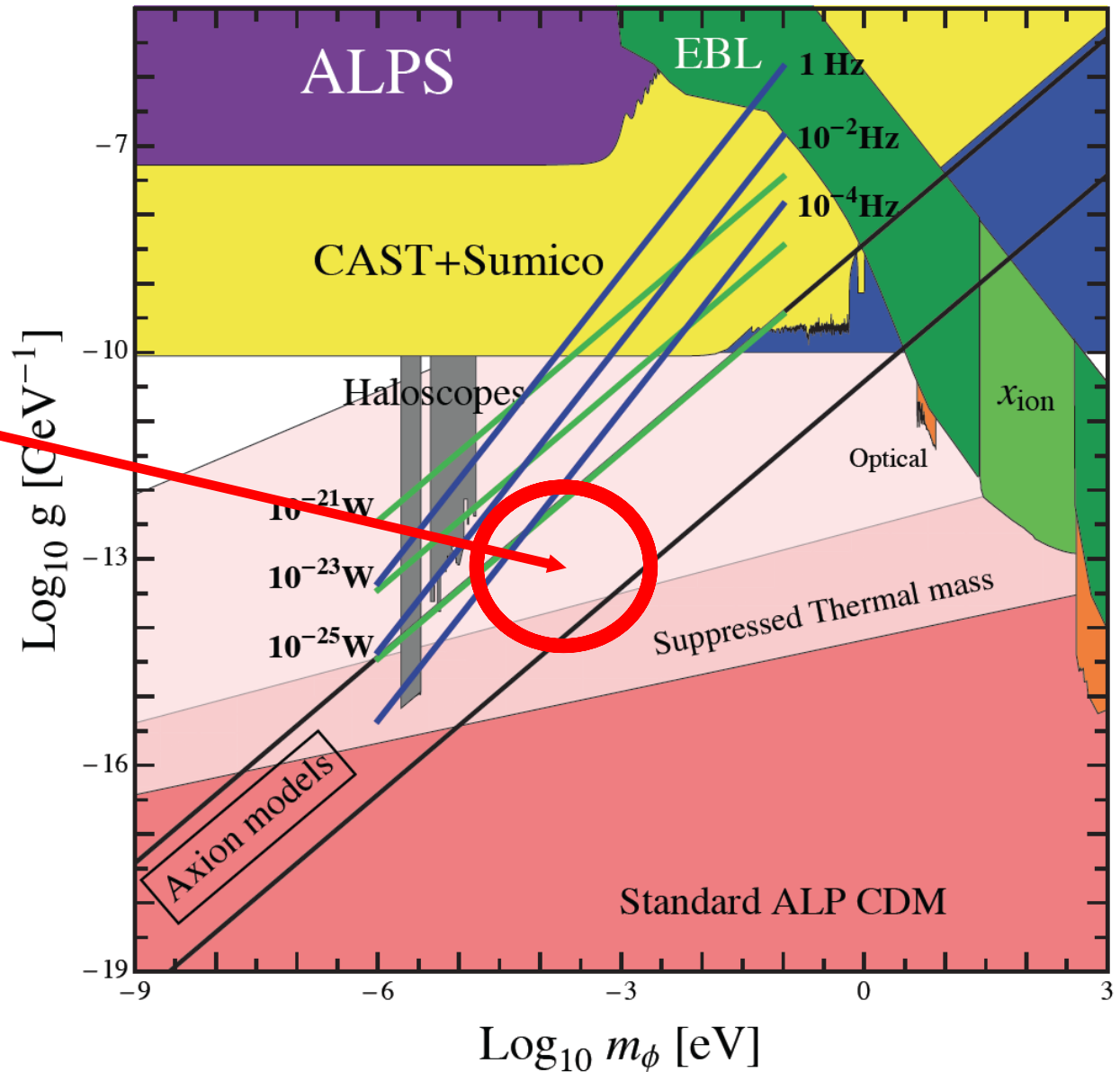


Dielectric Haloscopes: A New Way to Detect Axion Dark Matter

The MADMAX Working Group: Allen Caldwell, Gia Dvali, Bela Majorovits, Alexander Millar, Georg Raffelt, Javier Redondo, Olaf Reimann, Frank Simon, Frank Steffen

Dark Matter Antenna

MadMax
aims
to go here...
this is tough!!



New couplings: A spin experiment

Looking for oscillating dipoles

- Remember:

Axion field controls electric dipole moment:

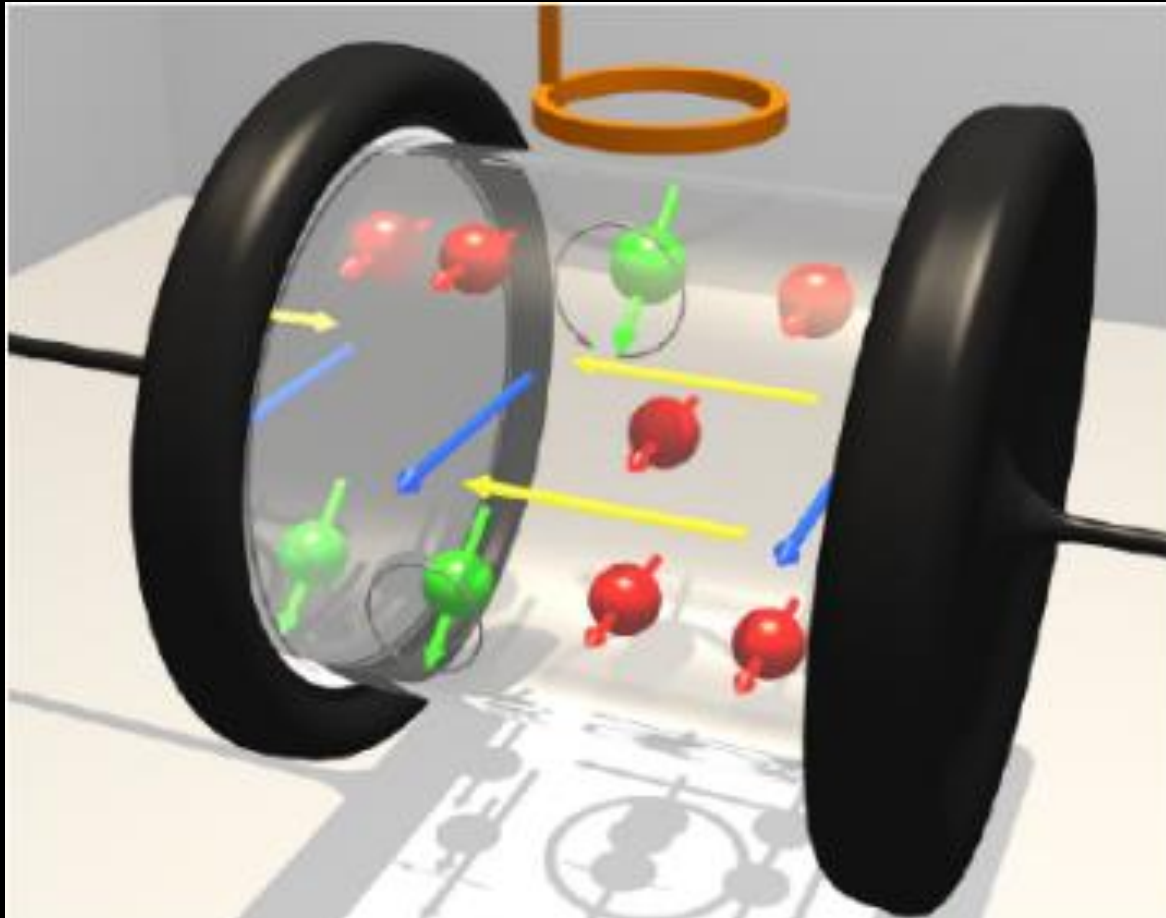
$$d_e \sim \theta \sim \frac{a}{f_a}$$

- Dipole moments follow the oscillating axion field
→ Tiny oscillating electric dipole

$$d_e \sim 10^{-35} e \text{ cm} \cos(m_a t)$$

Modification of Xenon EDM

Modification of Xenon EDM experiment to be sensitive to time varying nuclear EDM



Proposal for a Cosmic Axion Spin Precession Experiment (CASPER)

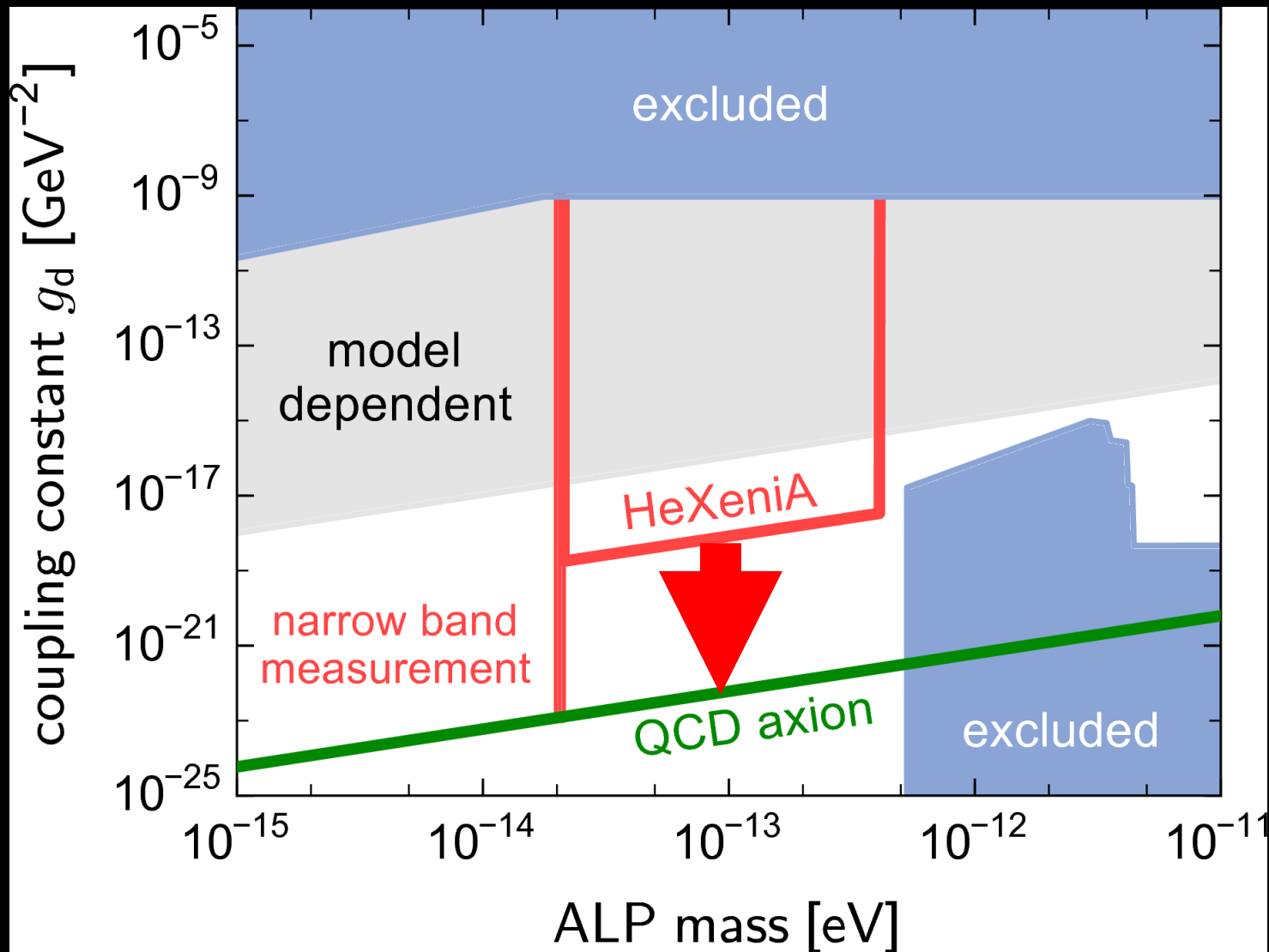
Dmitry Budker (UC, Berkeley & LBNL, NSD), Peter W. Graham (Stanford U., ITP), Micah Ledbetter (Unlisted, US, CA), Surjeet Rajendran (Stanford U., ITP), Alex Sushkov (Harvard U., Phys. Dept.).

Published in *Phys.Rev. X4* (2014) no.2, 021030

DOI: [10.1103/PhysRevX.4.021030](https://doi.org/10.1103/PhysRevX.4.021030)

e-Print: [arXiv:1306.6089](https://arxiv.org/abs/1306.6089) [hep-ph] | [PDF](#)

Sensitivity



f_a in Planck region $4 \cdot \pi \cdot M_{Pl} \sim M_{Pl}$

Stranger things...



Going Monodromic

Monodromy potential

$$V(\phi) = \Lambda^4 \cos\left(\frac{\phi}{f} + \gamma\right)$$



Monodromy add-on



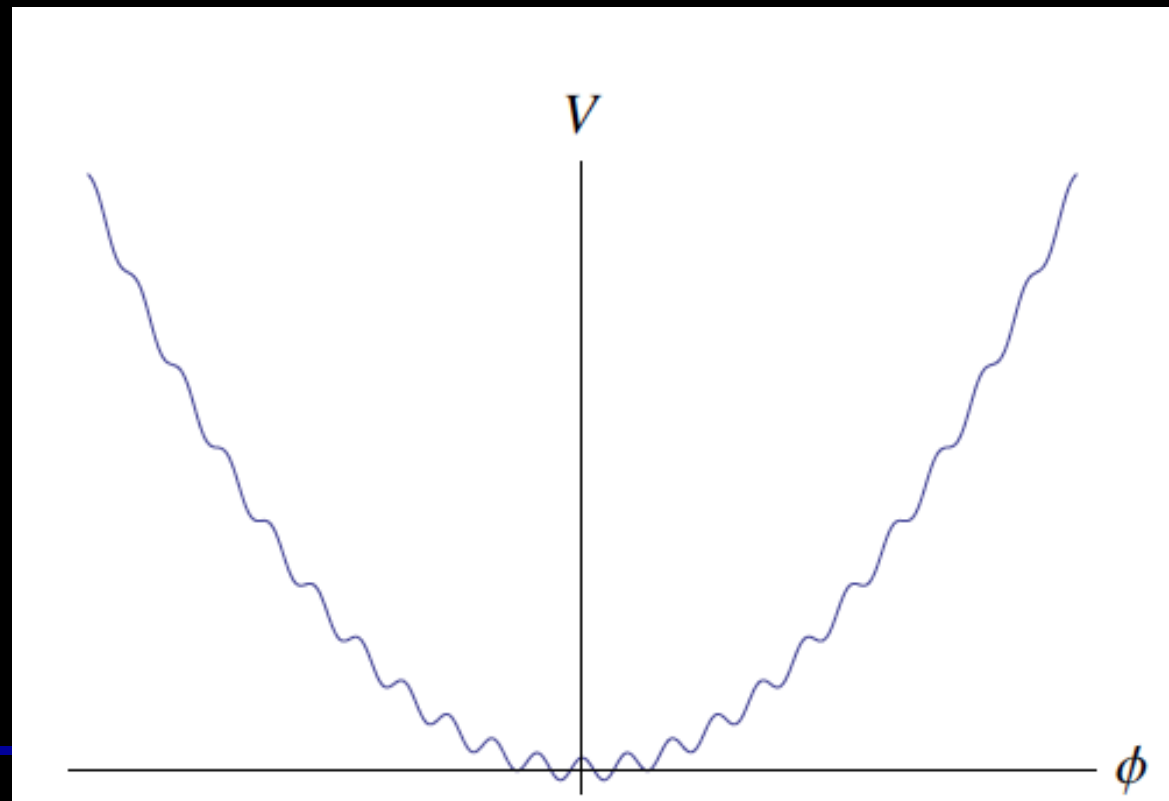
"Axion" potential
(pseudo-Goldstone pot.)

Monodromy potential

$$V(\phi) = \frac{1}{2}m^2\phi^2 + \Lambda^4 \cos\left(\frac{\phi}{f} + \gamma\right)$$

Funny potential

+ enlarged
field range

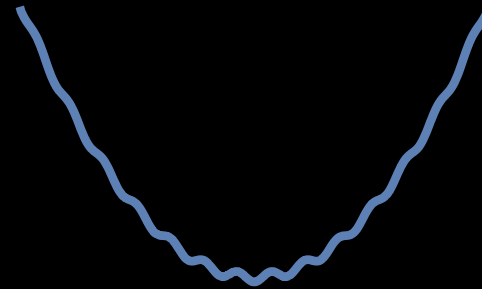


Advantages

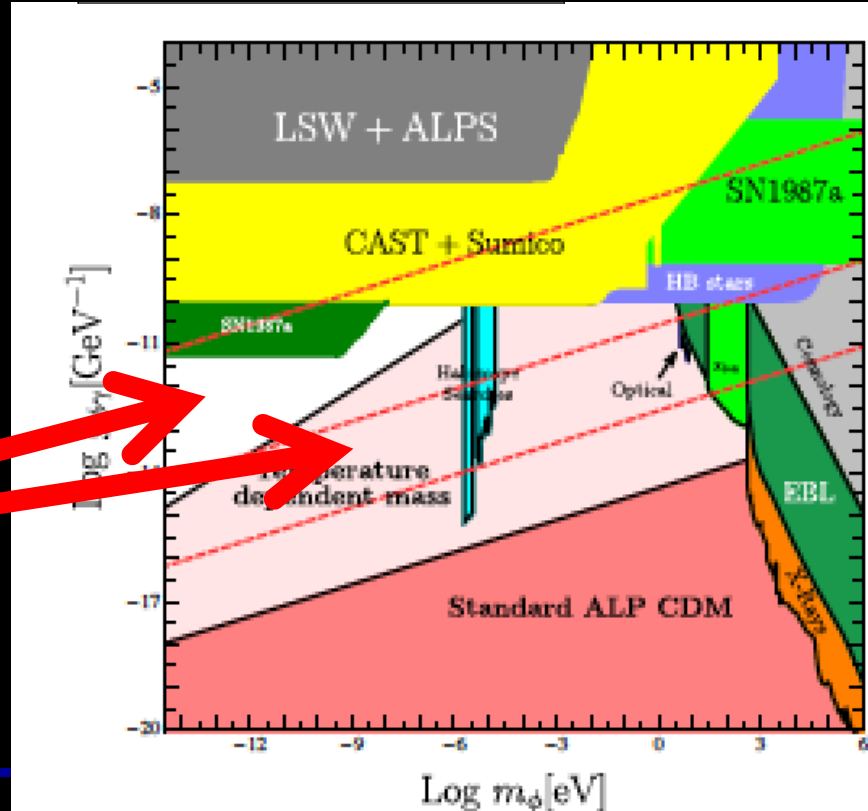
- Allows to start with higher energy density
→ More DM



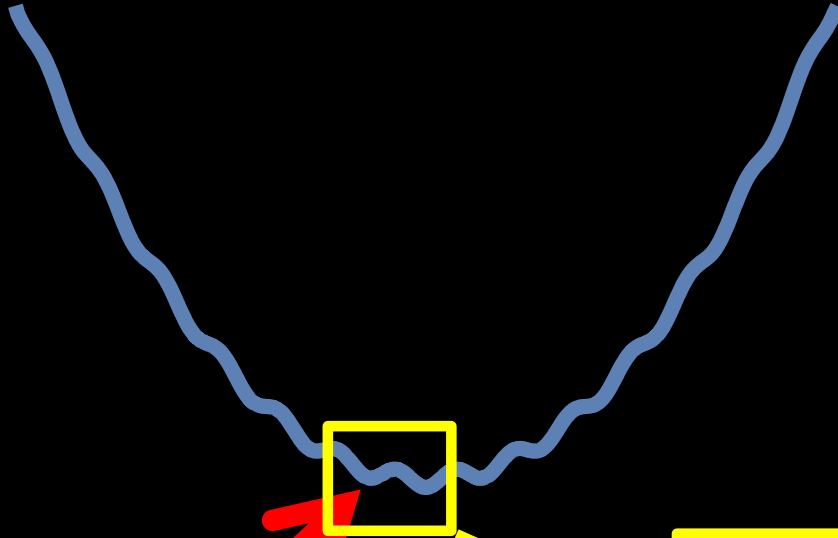
vs



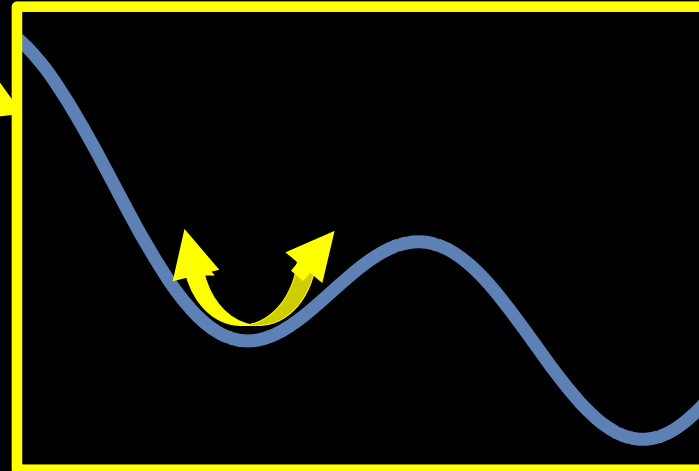
Models
in this region!



Interesting Phenomena??

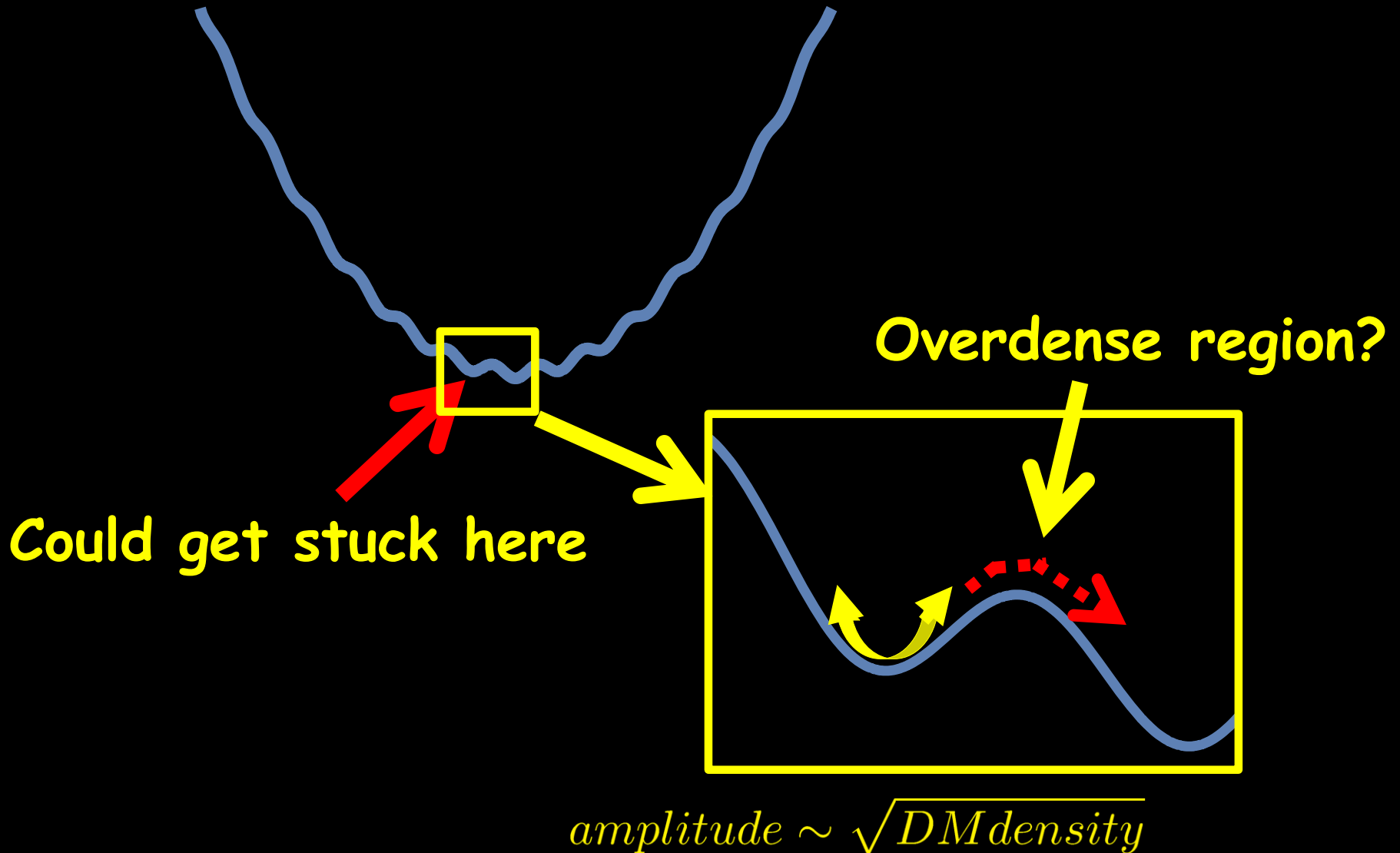


Could get stuck here



Oscillations like DM!

Interesting Phenomena??



Side Remark:

Tunneling from Oscillating State Not always what you expect ;-).

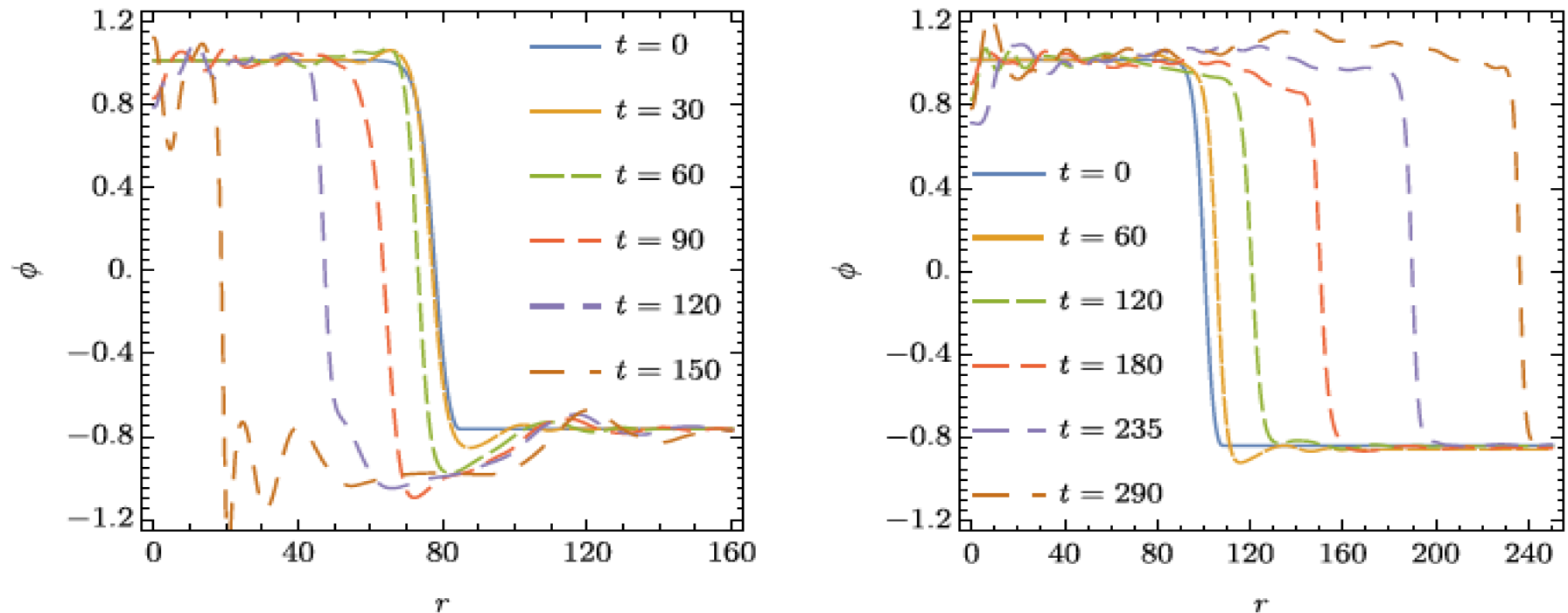
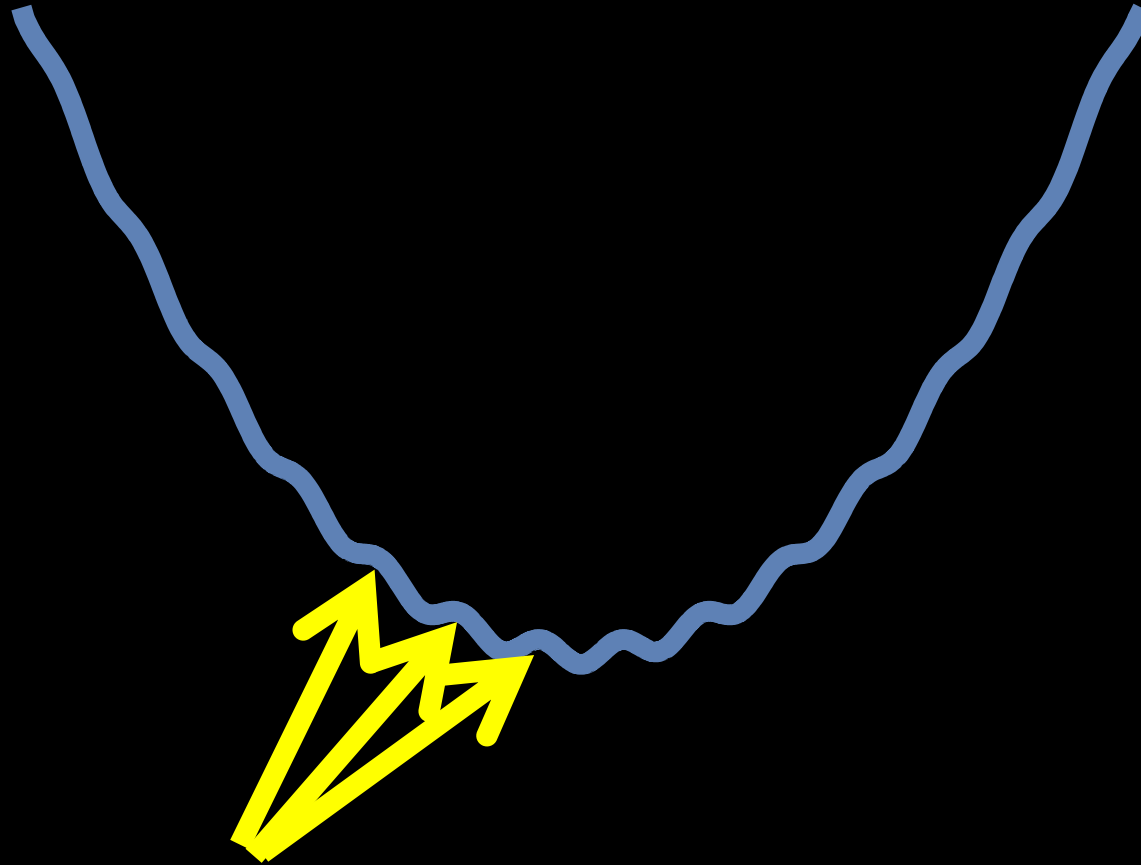


Figure 8: Field profiles showing lattice bubble evolution for oscillation reaching $1.2\sqrt{2\alpha_{\text{tw}}}$ (left panel) and $0.8\sqrt{2\alpha_{\text{tw}}}$ (right panel). The values defining the potential were set to $g = 1/10$, $b = 1/300$ and $c = 1$.

Interesting Phenomena??

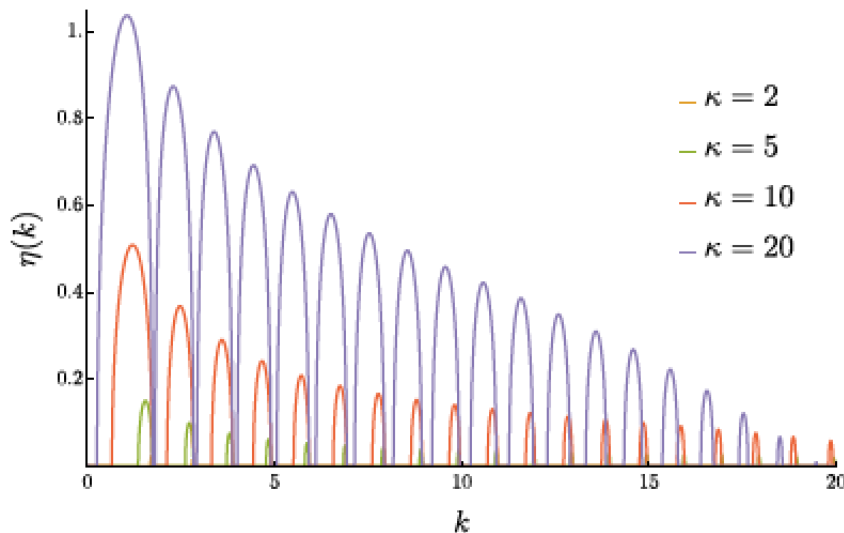


Regions with “negative mass”

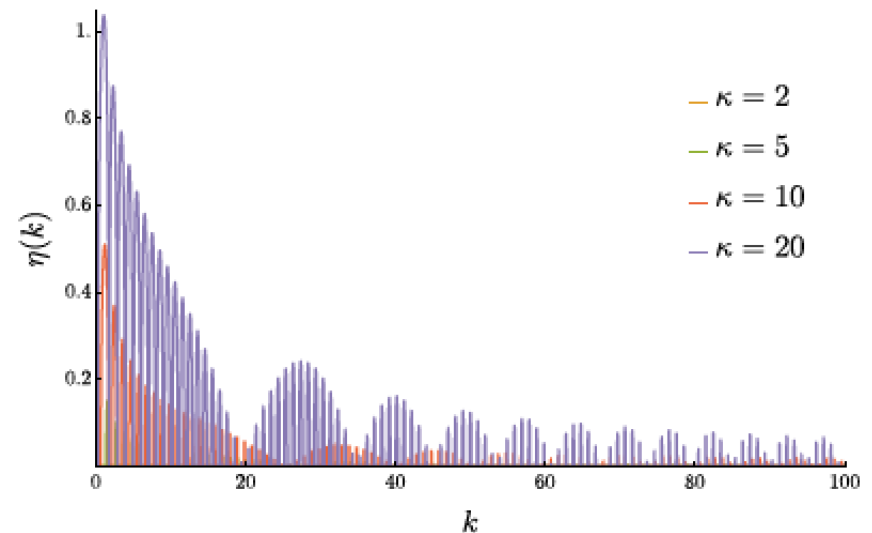
Instability + Parametric Resonance

→ Particle Production with $p \neq 0$?!?

Fluctuations may grow rapidly



(a)



(b)

Figure 8: Combination of the plots $\eta(k)$ vs. k for $\frac{\varphi_{\text{initial}}}{2\pi} = 100$ and $\kappa = 2.0, 5.0, 10, 20$.

➔ New initial conditions for structure formation!

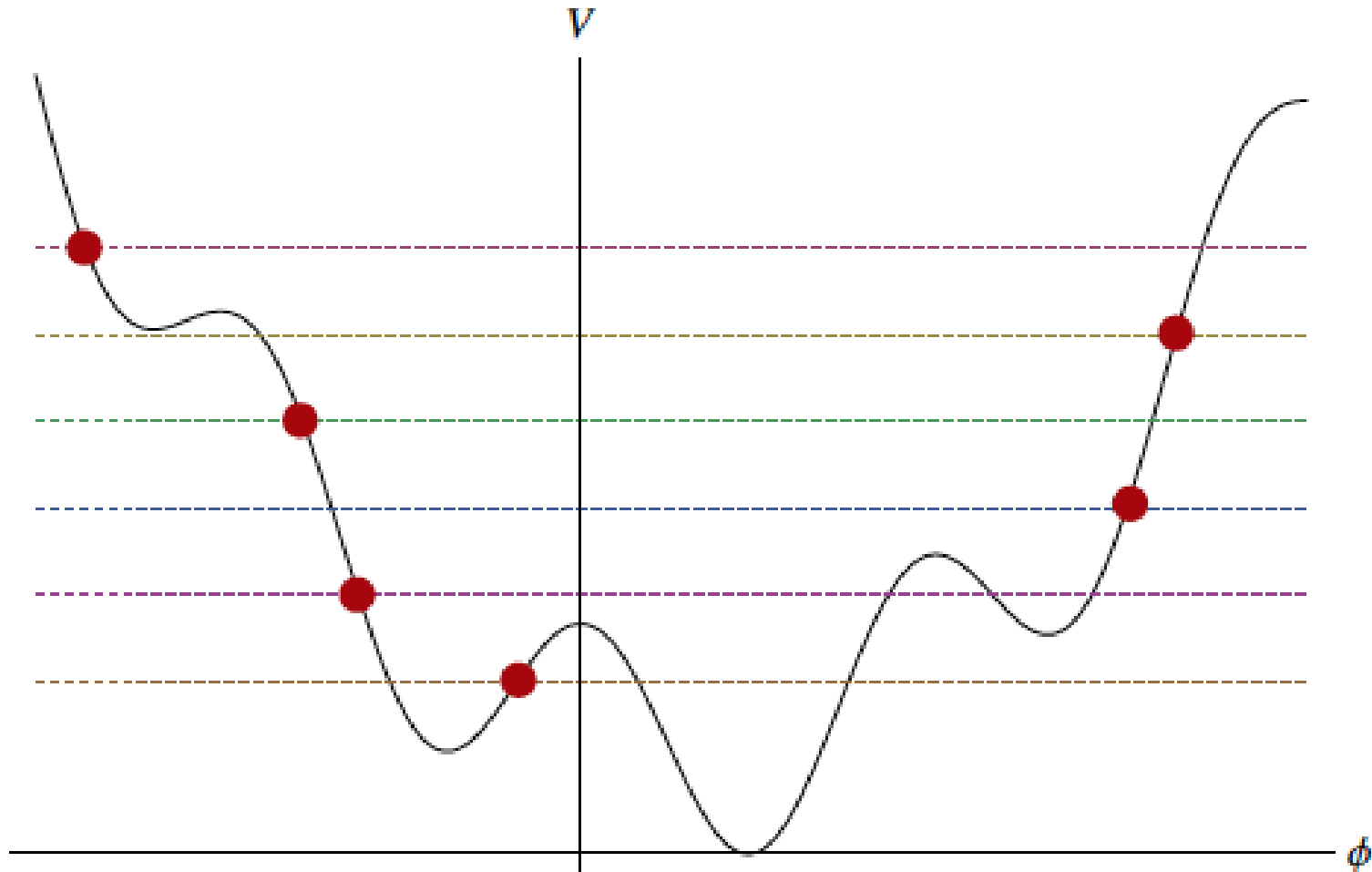
Going Beyond Dark Matter

Exploring inflationary "axions" with gravitational waves

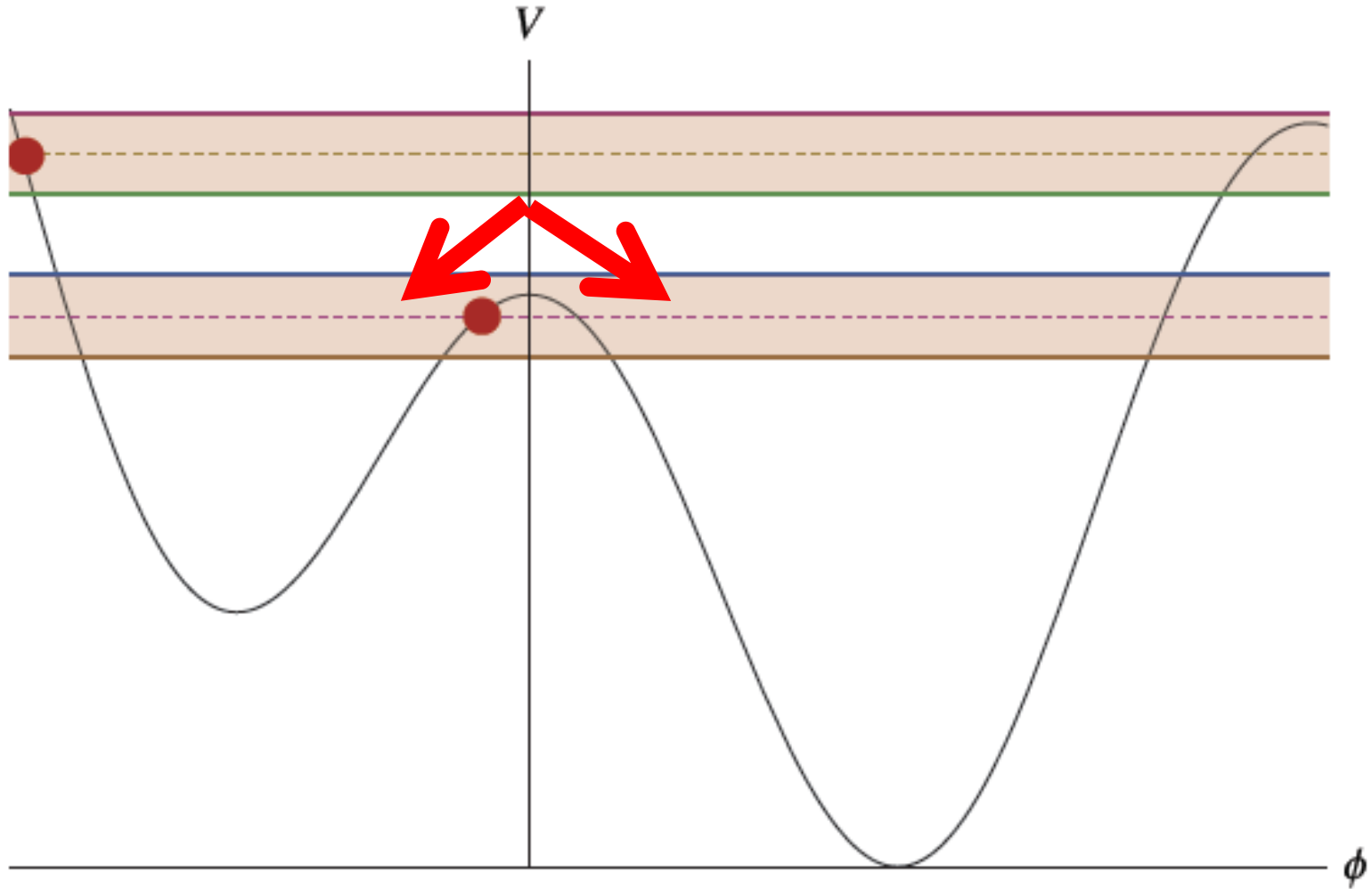
Monodromy inflation

$$V(\phi) = \frac{1}{2}m^2\phi^2 + \Lambda^4 \cos\left(\frac{\phi}{f} + \gamma\right)$$

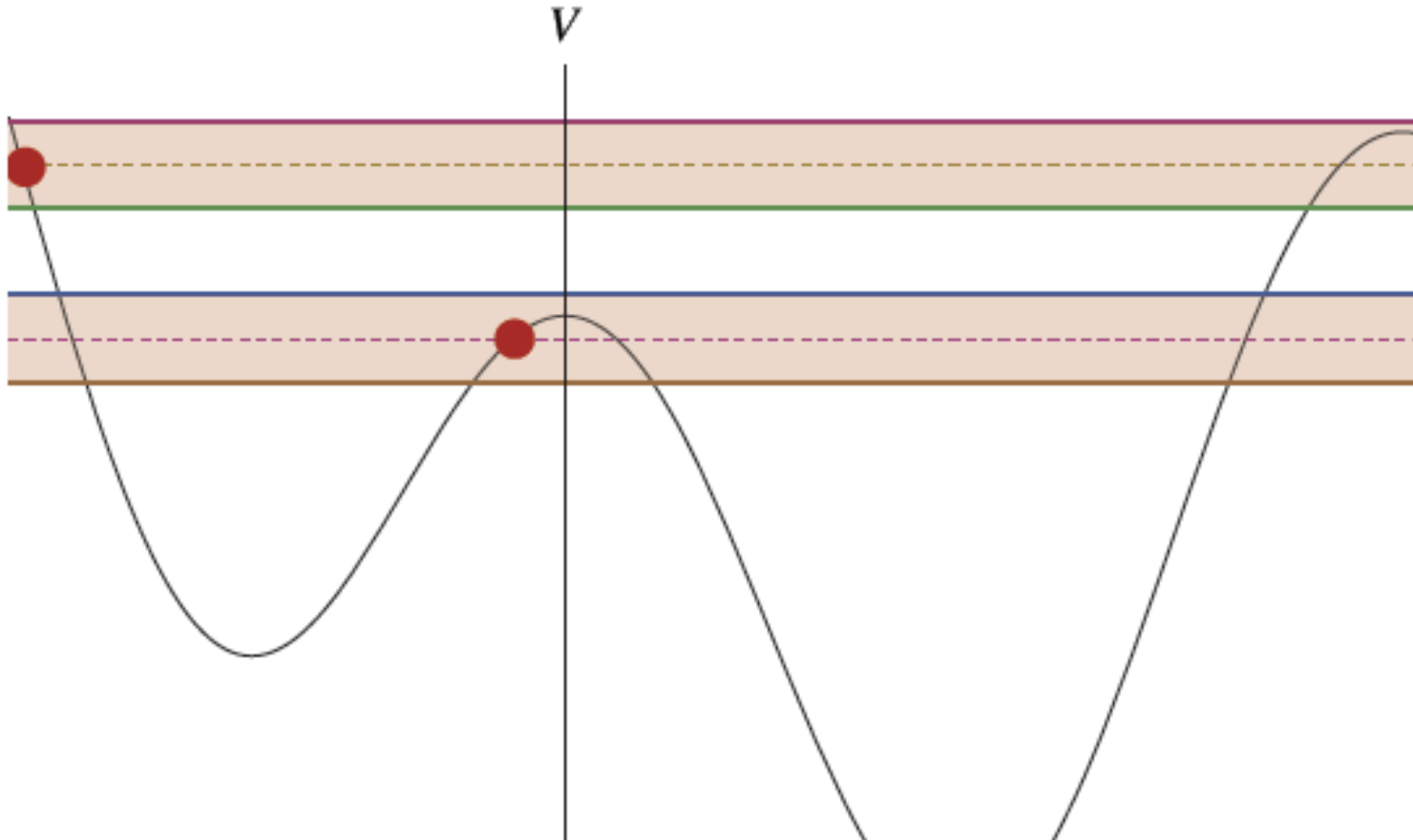
Field oscillations



Including fluctuations



Including fluctuations



Different parts of Universe end in different minima
→ Bubbles form
→ GW are produced

Gravitational wave spectra

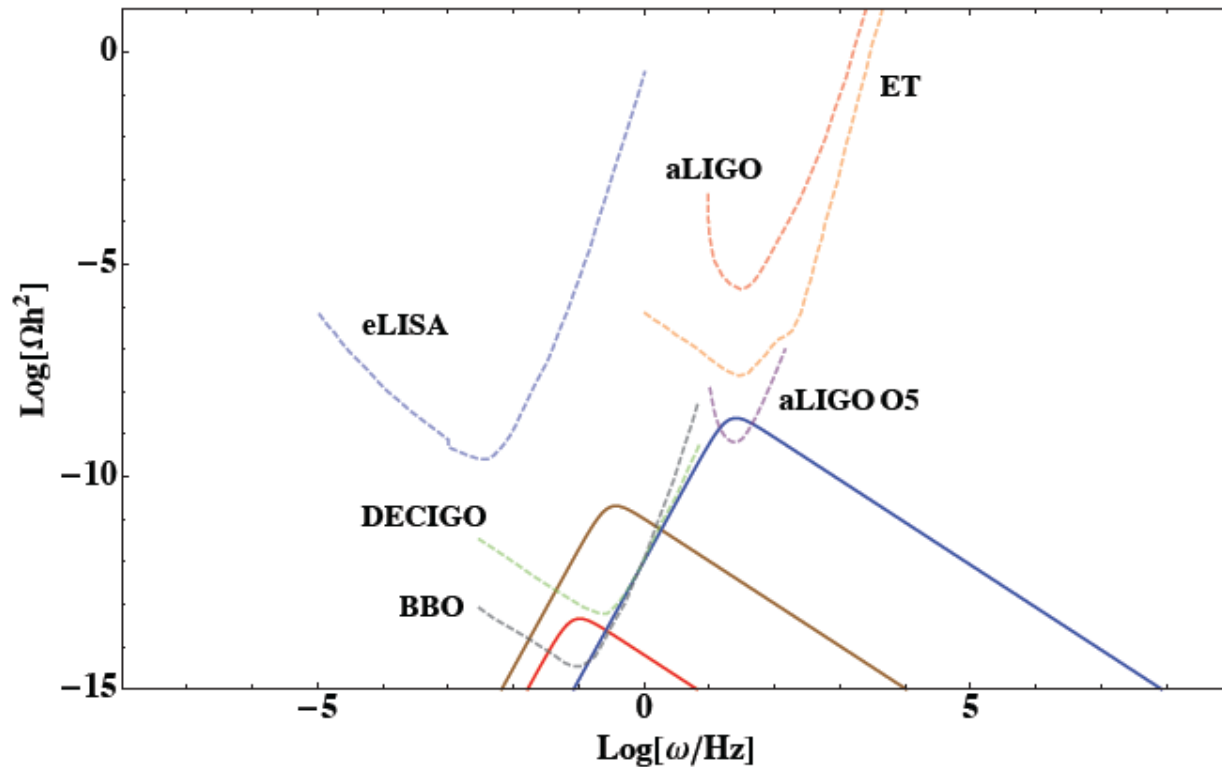


Figure 12: Gravitational wave spectra as in (5.22) with $w = 1/3$. The inflaton mass is fixed to $m \sim 10^{-5} M_p$. Spectra are shown as solid lines for different values of κ , f and T_{RH} : the blue curve is obtained for $\kappa = 5$, $f = 0.1 M_p$, $T_{RH} \sim 10^{12}$ GeV; the brown curve for $\kappa = 10$, $f = 0.01 M_p$, $T_{RH} \sim 10^{11}$ GeV; the red one for $\kappa = 70$, $f = 0.001 M_p$, $T_{RH} \sim 10^{11}$ GeV. We have also taken $w = 1/3$, $\theta_0 = 10^{-2}$, $\sigma = 10^{-1}$ in (5.22). For the values of the reheating temperature considered here, we have $g_*(T_{RH}) \sim 10^2$. Sensitivity curves of some ground- and space-based interferometers are shown for comparison as dashed curves (data taken from [74]).

Populating
parameter space
+
Evading cosmological limits

Non Standard Kinetic Terms

$$\mathcal{L} = \frac{1}{2} K^2(\phi) \partial^\mu \phi \partial_\mu \phi - V(\phi)$$

$$V(\phi) = \Lambda^4 \left(1 - \cos \frac{\phi}{f_a} \right)$$

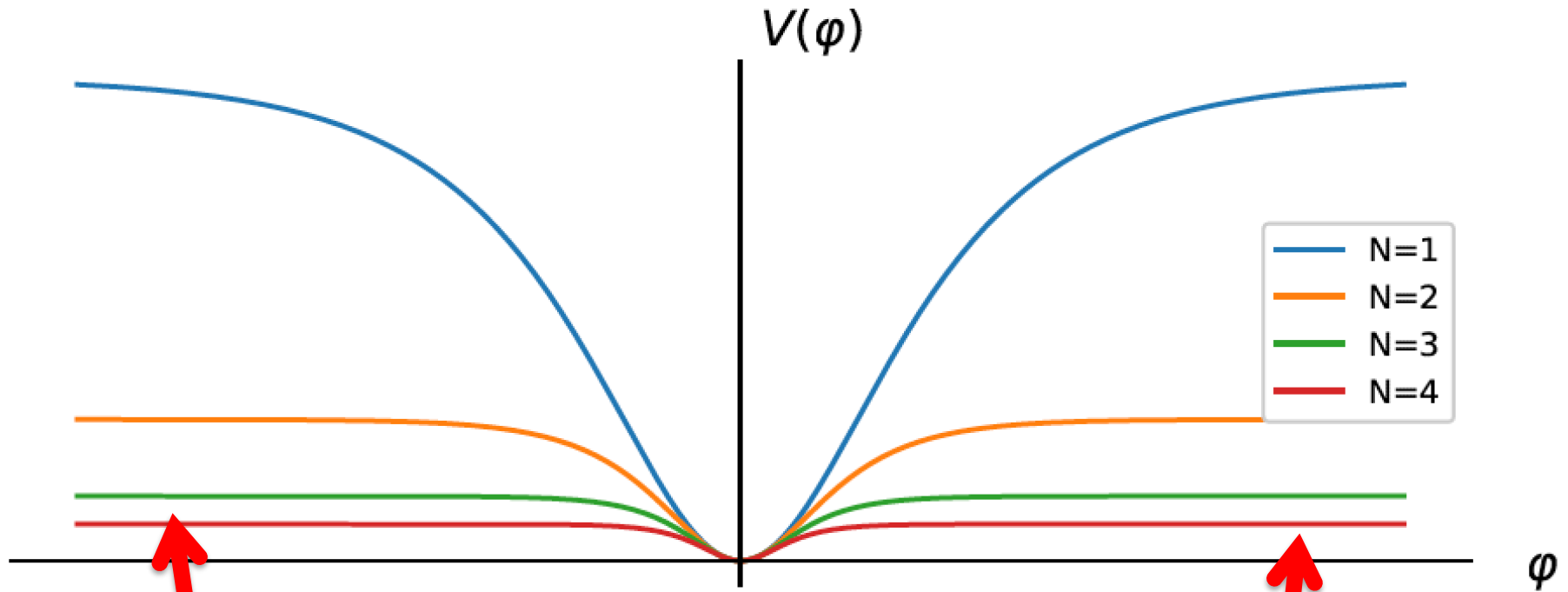
Use weird kinetic term 

$$K(\phi) = \frac{1}{\cos \left(\frac{N\phi}{f_a} \right)}$$

Canonically normalized

$$\mathcal{L} = \frac{1}{2} \partial^\mu \varphi \partial_\mu \varphi - \Lambda^4 \left[1 - \cos \left(\frac{2}{N} \arctan \left(\tanh \frac{N\varphi}{2f_a} \right) \right) \right].$$

New potential

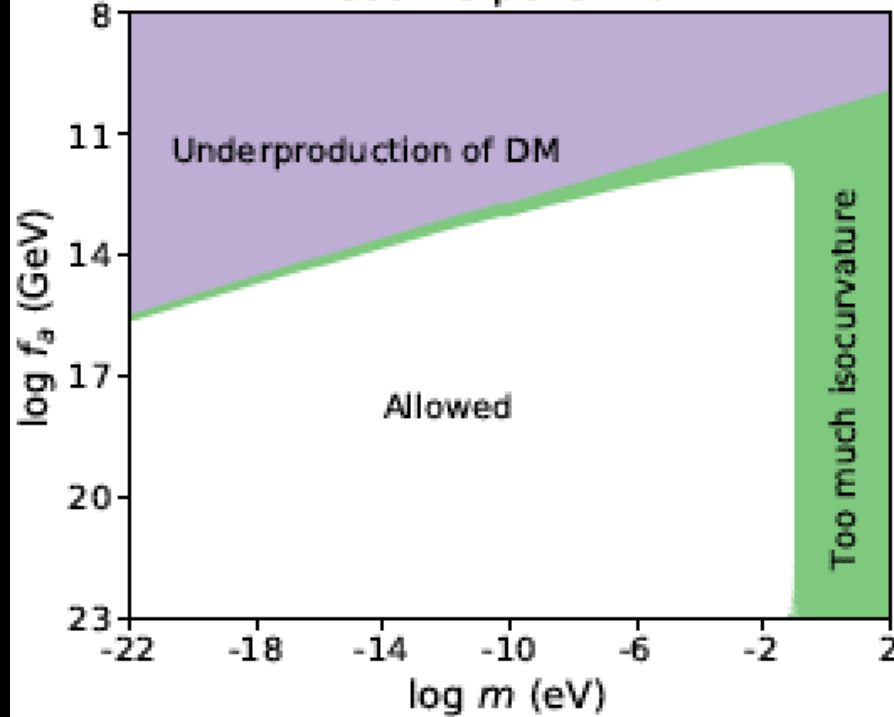


Field range infinite

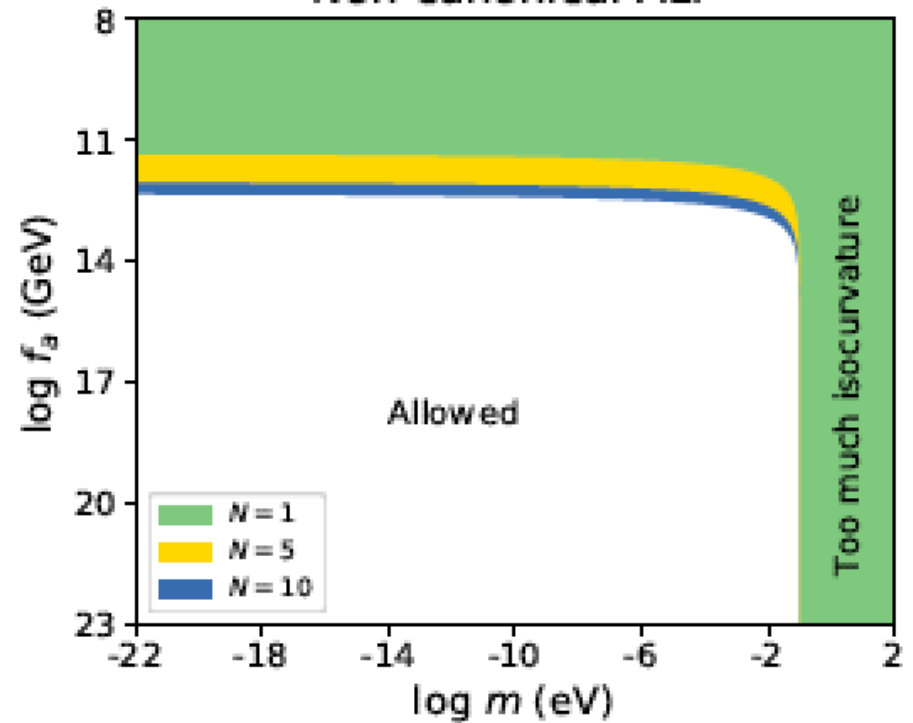
Potential flatter at large field values

New regions available

$H_I = 10^7 \text{ GeV}$
Cosine potential

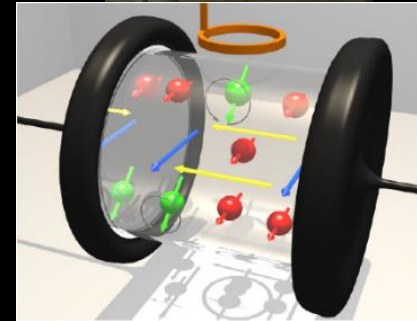


Non-canonical ALP



Conclusions

- Dark Matter may be Axiony/WISPy ☺
 - New Search opportunities!
 - Searches ongoing!
 - Unusual places may be viable
 - Crazy things to explore!
- ALPs may help with Inflation → Grav. waves



More fiddling with the
density:
2 periods of
inflation

One could also want less DM...

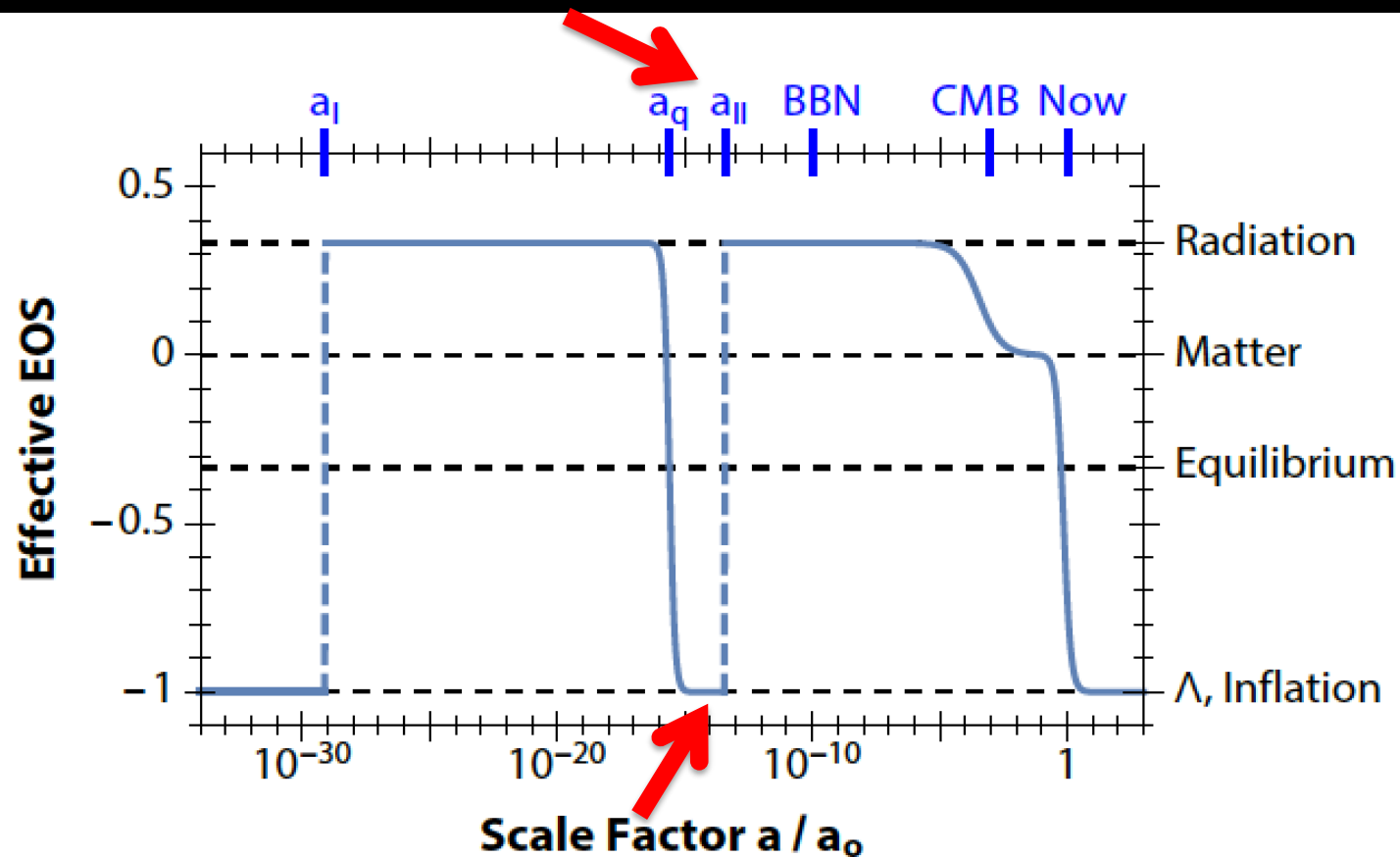
- E. g. for QCD axions

$$\Omega_{A,o}^{\text{std}} h^2 \sim 0.09 \theta_i^2 \left(\frac{76}{g_{\text{osc}}} \right)^{0.41} \left(\frac{f_A}{10^{12} \text{ GeV}} \right)^{1.19}$$

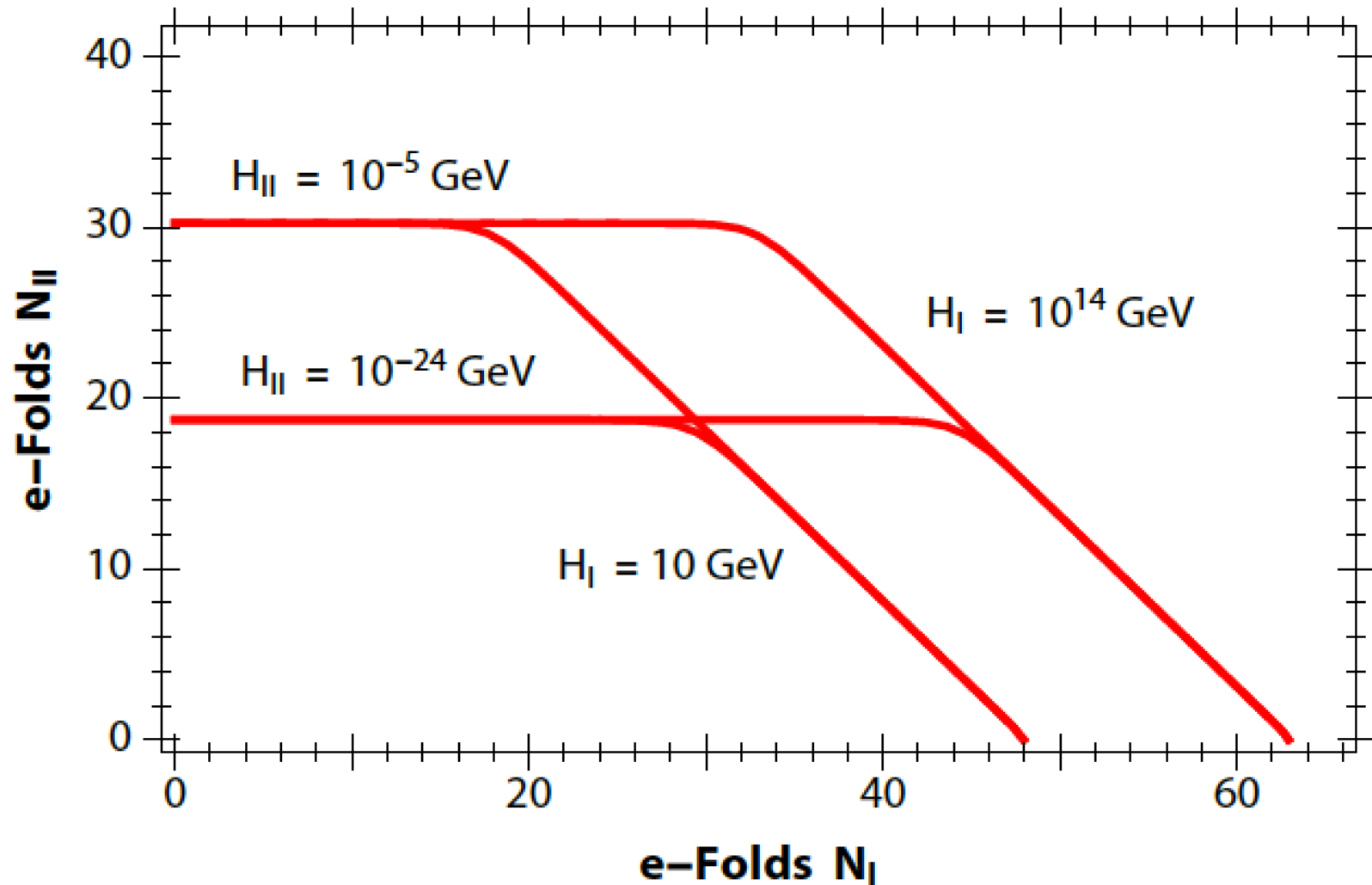
- Too much DM for $\xi_i \gg 1$ and $f_a \sim 10^{12} \text{ GeV}$
 - In post inflation scenario ξ_i can't even be tuned
-

Let's recycle an old idea...

→ Introduce second period of low scale inflation



Not just late inflation



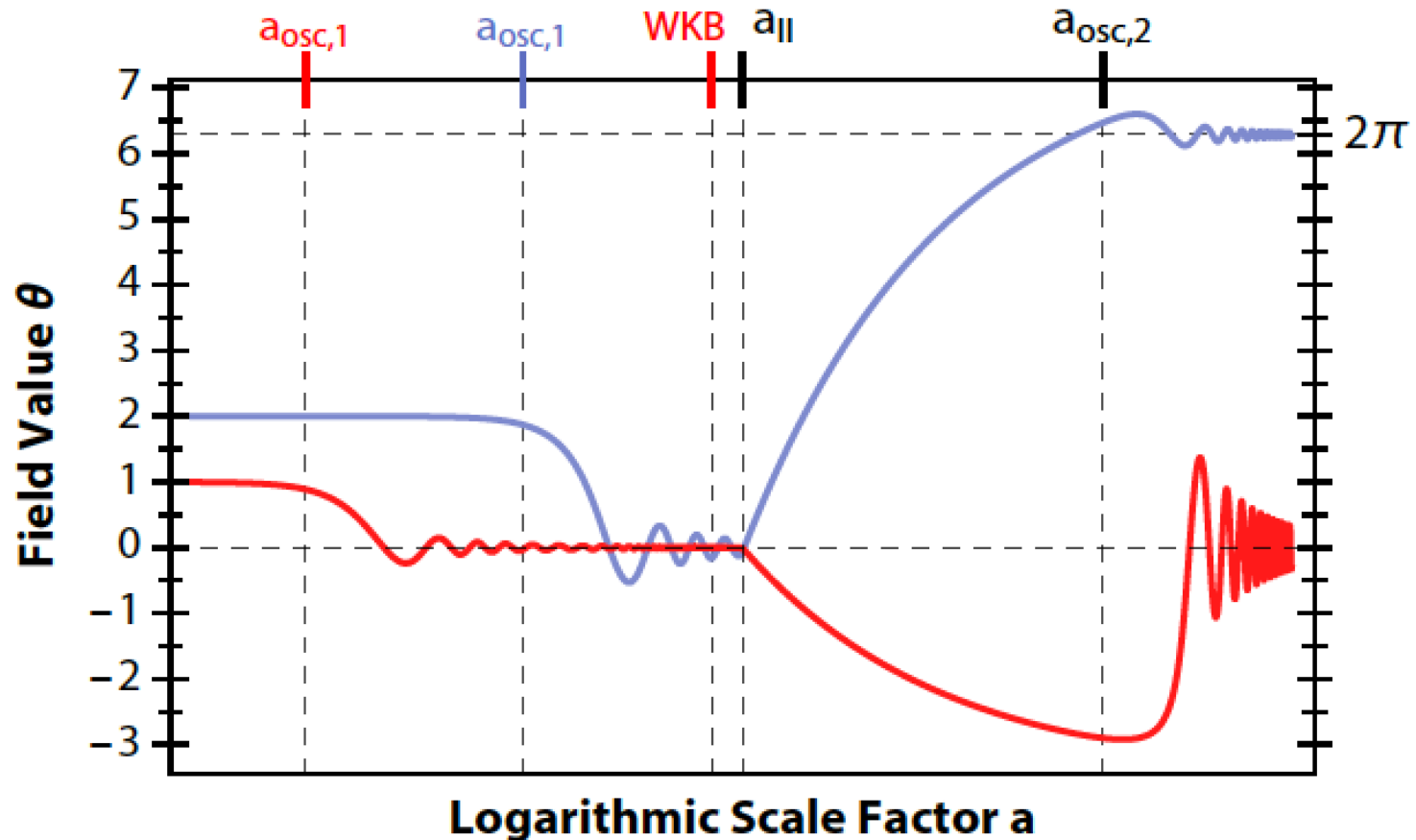
Dilution...

- If axion behaves like matter during the second inflation, i.e. $m_a > H_{\text{inflation, II}}$
- Expect dilution by volume factor
→ get anything you like...

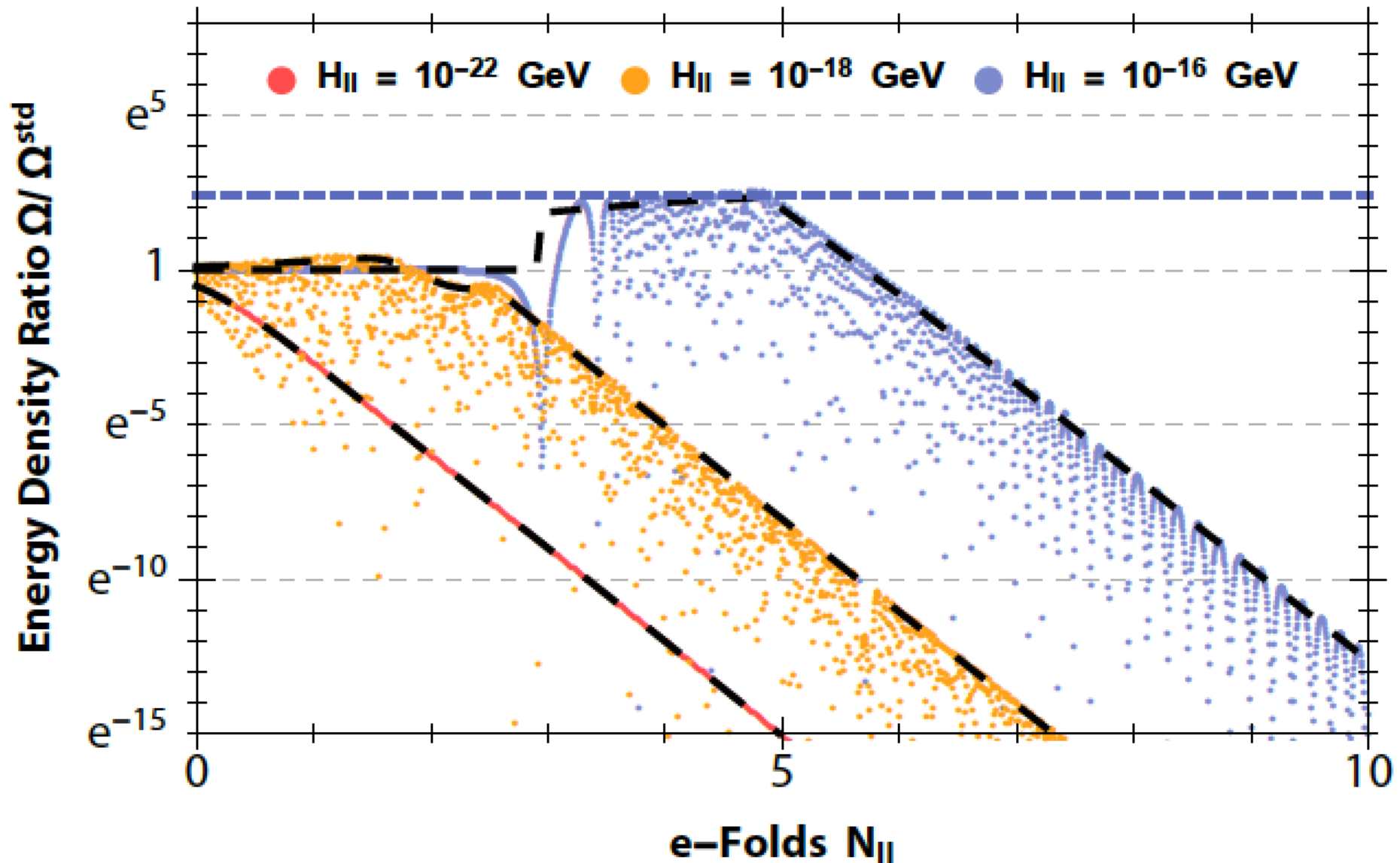
Often true... but not always

Reheating plays a role

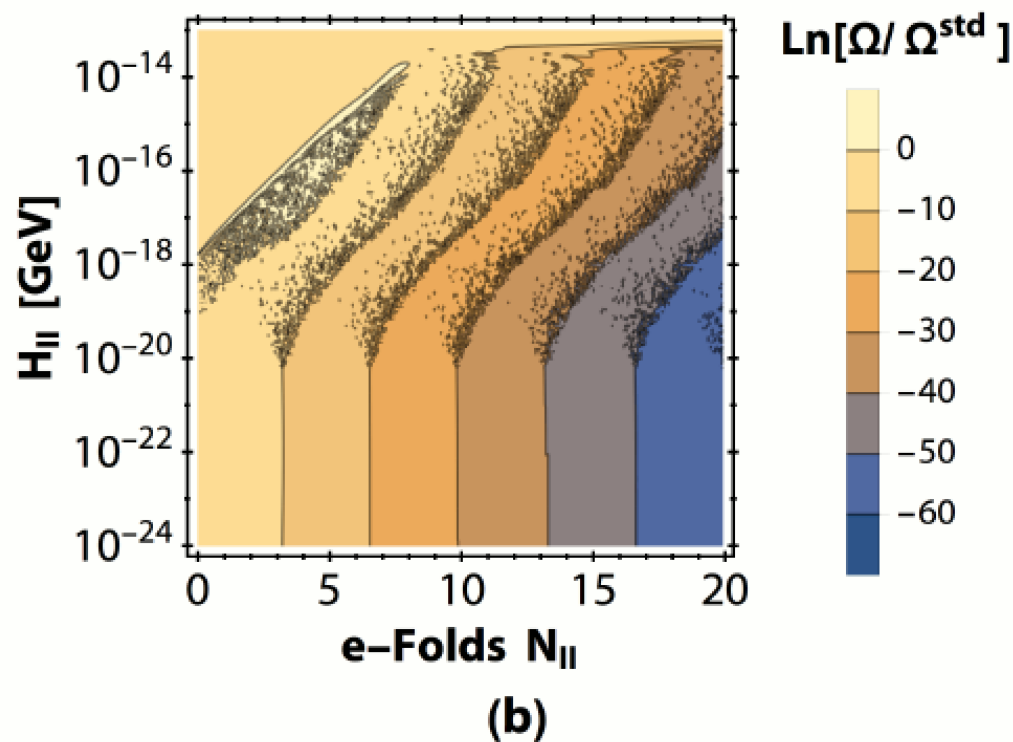
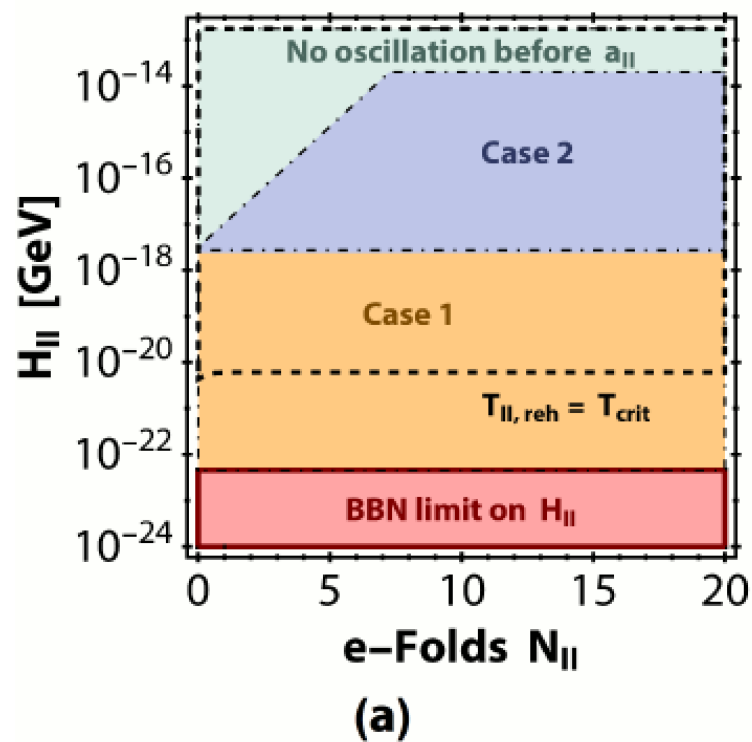
- Axions mass drops considerably if reheating temperature $\gg T_{\text{QCD}}$



Funny dependence



More generally

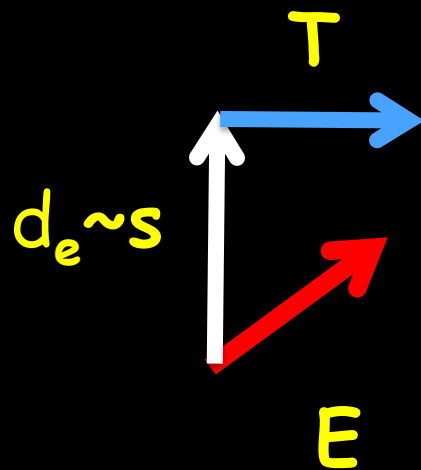


More interesting things may happen...

Post inflation scenario for axions...

- Blown up miniclusters
- Reduced strings/domain walls
(maybe close to true average model)

In an electric field



Energy in an electric field

$$H = -\mathbf{d} \cdot \mathbf{E} = -c_E \mathbf{s} \cdot \mathbf{E}.$$

Torque tries to tilt dipole moment/spin

$$\mathbf{T} = \mathbf{d} \times \mathbf{E} = c_E \mathbf{s} \times \mathbf{E}.$$

Dealing with oscillation

Problem: the dipole moment is rapidly oscillating $\sim m_a$

→ Danger of cancellation

Solution: Rotate spin to compensate

→ Use Spin Precession in magnetic field

$$\omega_L = 2\mu B$$



Resonance when $\omega_L = m_a$

Increased DM density

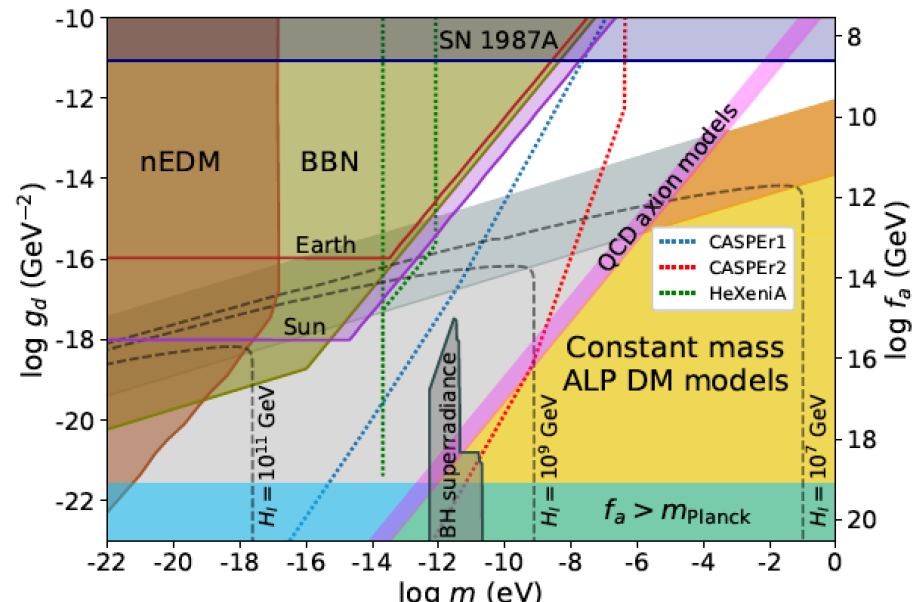
- In flat regions the field starts to roll much later
 - dilution delayed
 - density increased

$$\rho_{\varphi}(T_0) \simeq 0.162 \frac{\text{keV}}{\text{cm}^3} \cdot \sqrt{\frac{m}{1 \text{ eV}}} \left(\frac{f_a}{10^{11} \text{ GeV}} \right)^2 \mathcal{F}(T_s) \cdot \left(2N \sin \frac{\pi}{2N} \right)^{-3/4} e^{\frac{3}{4} N \psi_0}$$

Proton-neutron mass difference depends on ξ_{QCD}

$$m_n - m_p = 0.37 \text{ MeV} \left(\frac{\phi}{f_a} \right)^2$$

Depending on f_a this can be $O(1)$ at BBN
→ Helium production changed



Avoiding BBN limits

- Kinetic term

$$K(\phi) = \frac{1}{\cos\left(\frac{N\phi}{f_a}\right)}$$

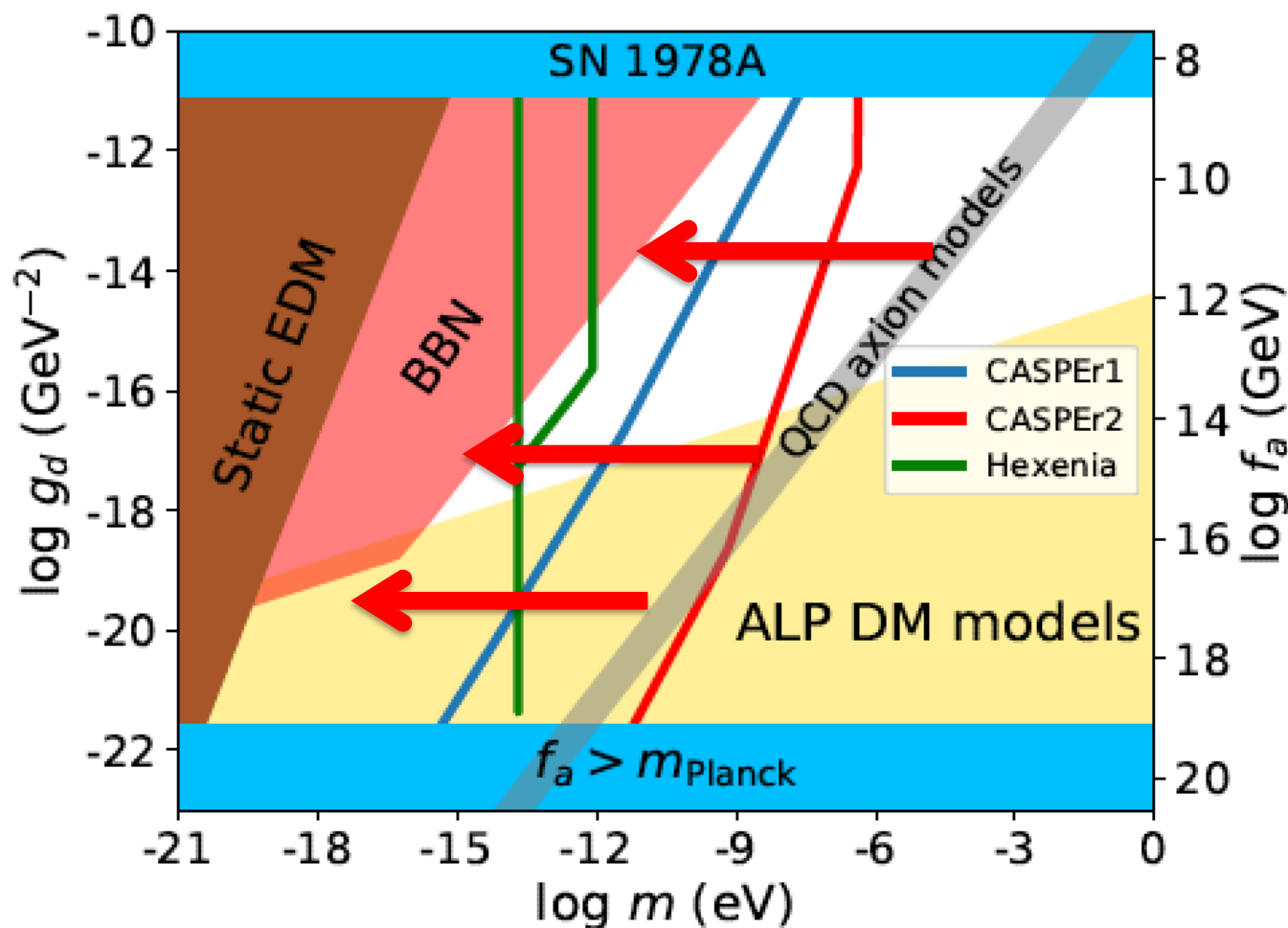
Singularities at $\frac{1}{4}/(2N)$

→ \dot{A}/f_a does not cross $\frac{1}{4}/(2N)$, i.e. $\dot{A}/f_a \neq \frac{1}{4}/(2N)$

→ No problem with BBN if $N > \sim 10$

One more difficulty...

- QCD coupling generates “minimal” mass
→ difficult to be lighter than QCD axion



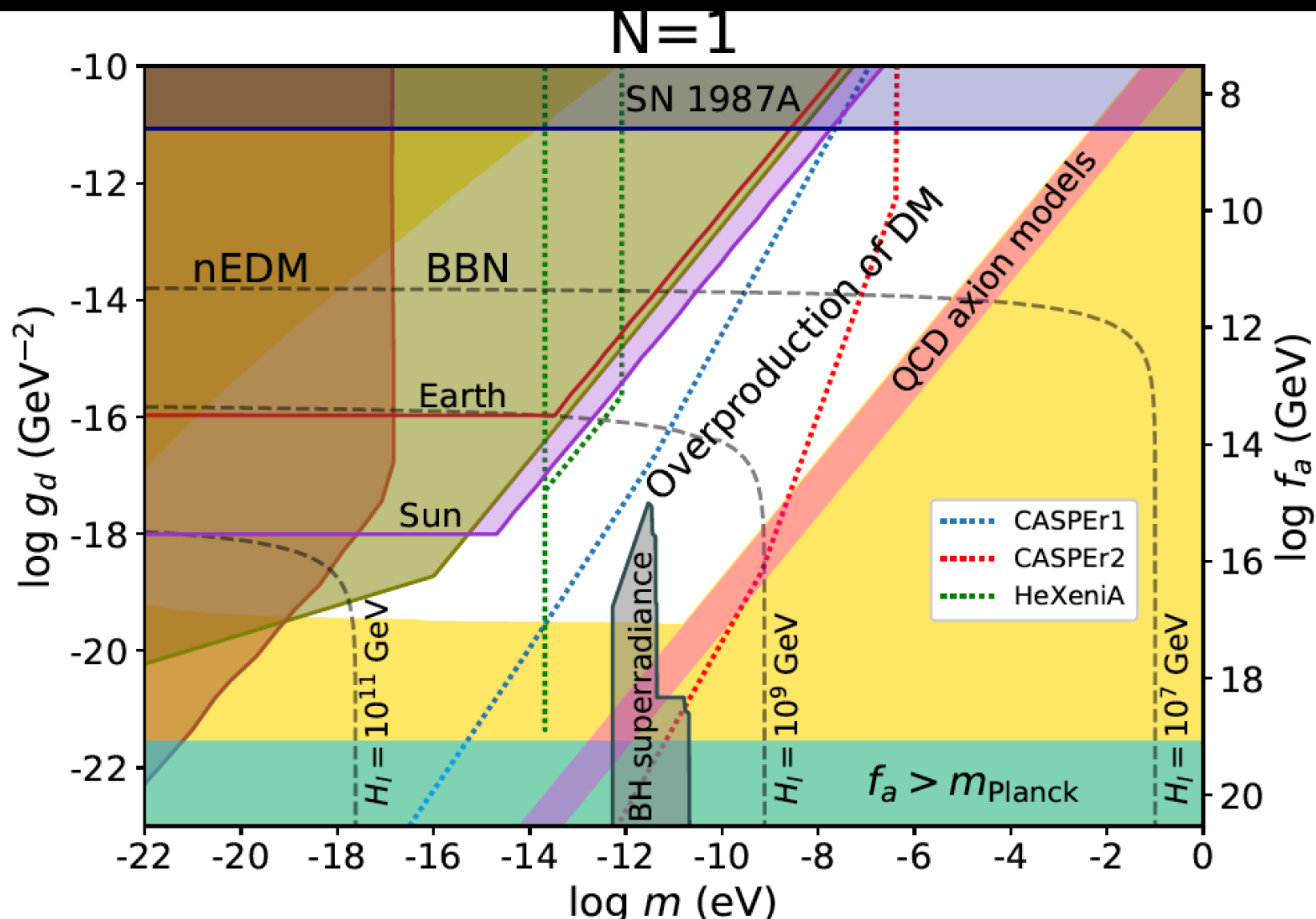
Do some fine-tuning...

$$V(\phi) = \Lambda_{\text{QCD}}^4 \left(1 - \cos \frac{\phi}{f_\phi} \right) + \Lambda_0^4 \left(1 - \cos \left(\frac{\phi}{nf_\phi} + \alpha \right) \right)$$

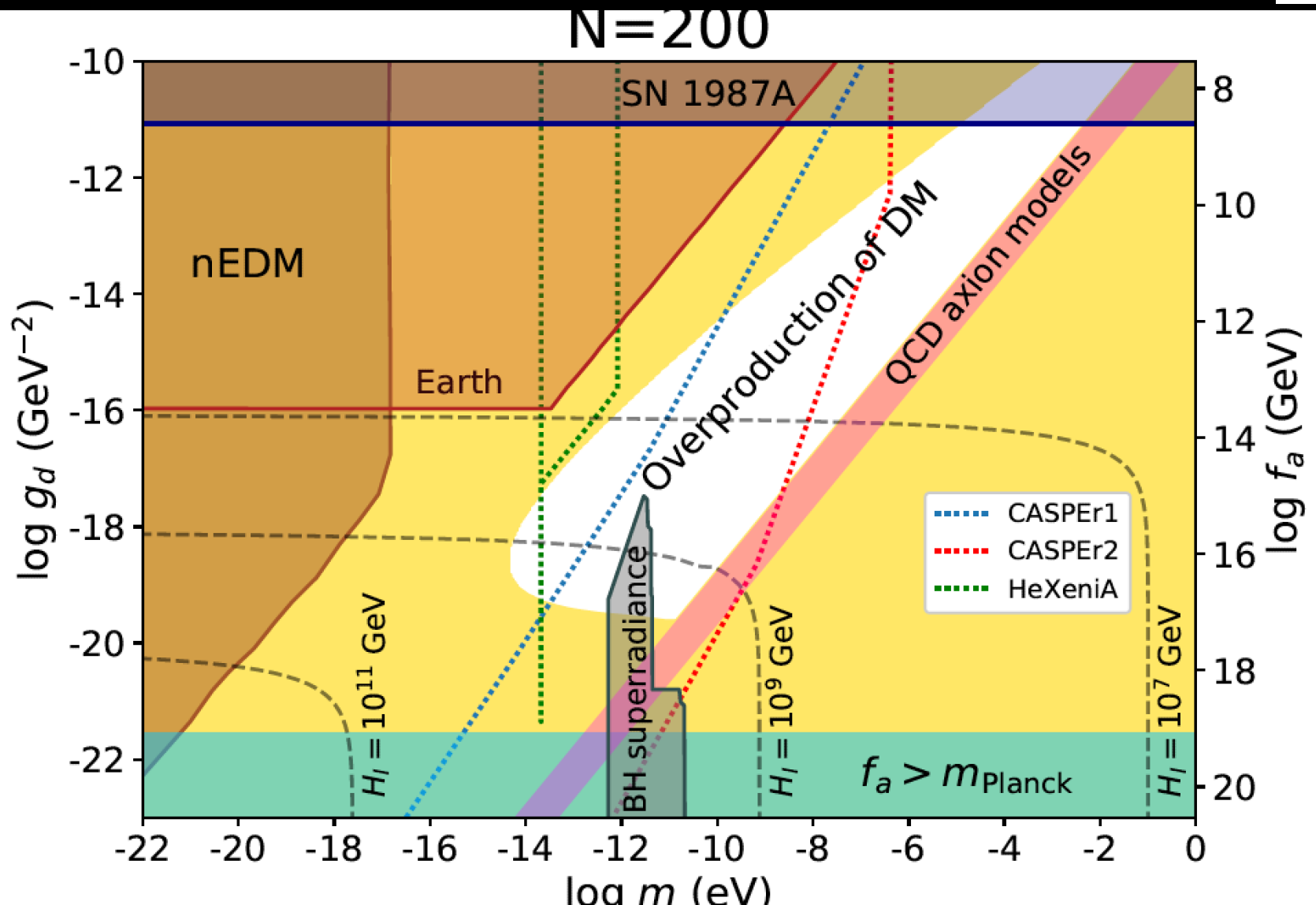
Some funny temperature dependence appears

$$m_\phi^2(T) = \begin{cases} m_{\text{ALP}}^2 & , T < T_{\text{crit}} \\ -m_a^2(0) & , T > T_{\text{crit}} \end{cases}$$

New regions available



New regions available



Couplings fixed by f_a

- Photon coupling

$$\mathcal{L} \supset \frac{1}{4} g_{a\gamma\gamma} F^\mu \tilde{F}_{\mu\nu}$$

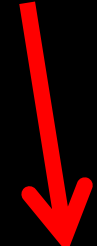
$$g_{a\gamma\gamma} \sim \frac{\alpha}{4\pi f_a}$$

- Gluon coupling

$$\mathcal{L} \supset \frac{1}{4} g_{agg} G^\mu \tilde{G}_{\mu\nu}$$

$$g_{agg} \sim \frac{\alpha_s}{2\pi f_a}$$

At low energies
electric dipole coupling


$$\mathcal{L} \supset -\frac{i}{2} g_d \phi \bar{N} \sigma_{\mu\nu} \gamma^5 N F^{\mu\nu}$$

$$g_d \sim 10^{-6} \text{GeV}^2 \left(\frac{10^{10} \text{GeV}}{f_a} \right)$$

Couplings fixed by f_a

- Photon coupling

$$\mathcal{L} \supset \frac{1}{4} g_{a\gamma\gamma} F^\mu \tilde{F}_{\mu\nu}$$
$$g_{a\gamma\gamma} \sim \frac{\alpha}{4\pi f_a}$$

- Gluon coupling

$$\mathcal{L} \supset \frac{1}{4} g_{agg} G^\mu \tilde{G}_{\mu\nu}$$
$$g_{agg} \sim \frac{\alpha_s}{2\pi f_a}$$

- Fermion couplings

$$\mathcal{L} \supset \frac{\partial_\mu \phi}{f_a} \bar{\psi} \gamma^\mu \gamma^5 \psi$$

New potential

