Precursor Experiment at COSY

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13.03.2017





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 - Lorentz force compensation
- Assembly and precision alignment
- Driving circuit

Summary

Toolbox elements for precursor experiment

Proof of principle experiment using COSY ("Precursor experiment")

Highest sensitivity will be achieved with a new type of machine:

- An electrostatic circular storage ring, where
 - centripetal force produced primarily by electric fields.
 - *E* field couples to EDM and provides required sensitivity ($< 10^{-28} \text{ e cm}$).
 - In this environment, magnetic fields mean evil (since μ is large).

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Idea for proof-of-principle experiment with novel RF Wien filter ($\vec{E} \times \vec{B}$):

- In magnetic machine, particle spins (deuterons, protons) precess about stable spin axis (\simeq direction of magnetic fields in dipole magnets).
- Use RF device operating on some harmonic of the spin-precession frequency:
 - \Rightarrow *Phase lock* between spin precession and device RF.
 - \Rightarrow Allows one to accumulate EDM effect as function of time in cycle ($\sim 1000 \, s$).

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Goal of proof-of-principle experiment:

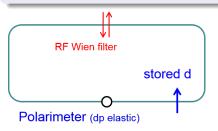
Show that storage ring (COSY) can be used for a first direct EDM measurement.

RF Wien filter

A couple more aspects about the technique:

• RF Wien filter $(\vec{E} \times \vec{B})$ avoids coherent betatron oscillations in the beam:

- Lorentz force $ec{F_L} = q(ec{E} + ec{v} imes ec{B}) \simeq 0.$
- EDM measurement mode: $\vec{B} = (0, B_y, 0)$ and $\vec{E} = (E_x, 0, 0)$.

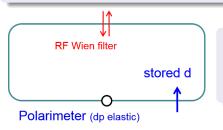


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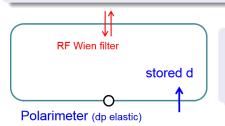
- Deuteron spins lie in machine plane.
- If $d \neq 0 \Rightarrow$ accumulation of vertical polarization P_y , during spin coherence time $\tau_{\text{SCT}} \sim 1000 \text{ s.}$

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Statistical sensitivity:

- in the range 10^{-23} to 10^{-24} e cm for d(deuteron) possible.
- Systematic effects: Alignment of magnetic elements, magnet imperfections, imperfections of RF-Wien filter, etc.

Buildup of $P_y(t)$ using RF Wien filter for deuterons

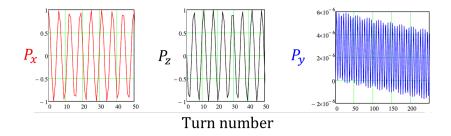
Model calculation at beam momentum $p_d = 970 \text{ MeV/c}$:

- G = -0.143, $\gamma = 1.126$, $f_s = |f_{rev}(\gamma G + K_{(=0)})| = 120.765 \text{ kHz}$
- Length of device: $L_{WF} = 1.55 \text{ m} [1]$.
- Assumed deuteron EDM: $d = 10^{-20} \,\mathrm{e\,cm}$.
- Electric RF field: $1000 \times E_{WF} = 2.145 \times 10^{6} \text{ MV/m} [1].$

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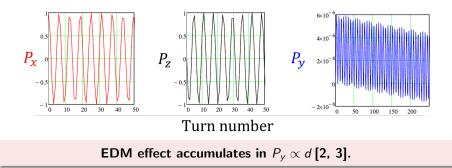
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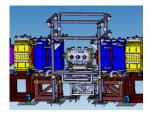
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Waveguide RF Wien filter

Device developed at IKP in cooperation between:

- **RWTH Aachen, Institute of High Frequency Technology:** Dirk Heberling, Dominik Hölscher, and PhD Student Jamal Slim
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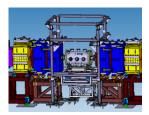




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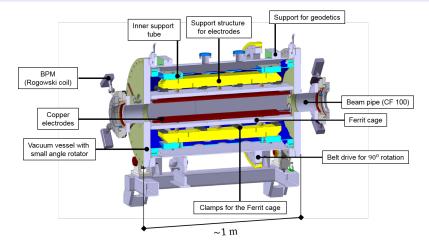


Device will be installed in PAX low- β section at COSY.

\Rightarrow Allows for systematic studies with respect to divergence of beam.

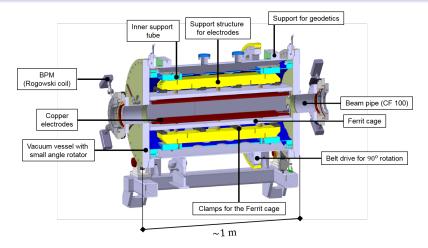
Features

Features of the waveguide RF Wien filter



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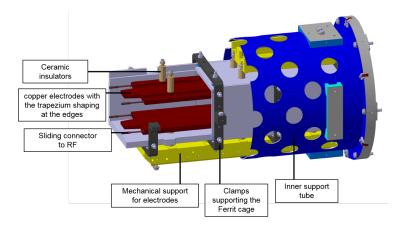
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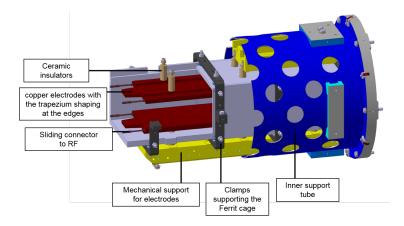
Aim was to build the best possible device, with respect to

- electromagnetic performance [1] and mechanical tolerances [4].
- Excellent cooperation with RWTH Aachen University and ZEA-Jülich

Internal structure



Internal structure



Assembly completed,

including precision alignment in clean room.

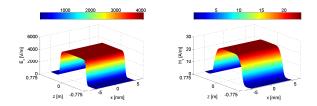
Precursor Experiment at COSY

Electromagnetic field simulations [1]

Full-wave simulations

• using CST Microwave Studio^a.

^aComputer Simulation Technology AG, Darmstadt, Germany, http://www.cst.com



At an input power of 1 kW, magnetic and electric field integrals are ($\ell = 1.550\,\mathrm{m}$):

$$\int_{-\ell/2}^{\ell/2} \vec{B} dz = \begin{pmatrix} 2.73 \times 10^{-9} \\ 2.72 \times 10^{-2} \\ 6.96 \times 10^{-7} \end{pmatrix} \operatorname{Tmm}, \quad \int_{-\ell/2}^{\ell/2} \vec{E} dz = \begin{pmatrix} 3324.577 \\ 0.018 \\ 0.006 \end{pmatrix} \vee (1)$$

Resonance condition:

$$f_{\mathsf{WF}} = f_{\mathsf{rev}}\left(\gamma \mathsf{G} \pm \mathsf{K}
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Precursor Experiment at COSY

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Wien filter frequencies f_{WF}

• **Deuterons** at *T_d* = 236.0 MeV (970.0 MeV/c):

			harmonic <i>K</i> [kHz]					
β	G	γ	-2	-1	0	1	2	
0.459	-0.143	1.126	-1621.2	-871 .0	-120.8	629.4	1379.6	

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• **Protons** at $T_p = 134.5 \text{ MeV} (520 \text{ MeV/c})$:

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β	G	γ	-4	-3	-2	-1	0	
0.485	1.793	1.143	-1543.9	-752.2	39.4	831.0	1622.7	

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Accomplished design goal of wave guide RF Wien filter and driving circuit [1]:

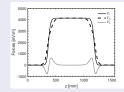
Provide a number of operational frequencies for p and d between 0 to 2 MHz.

(2

Lorentz force compensation [1]

Integral Lorentz force is of order of $-3 \, eV/m$:

- Electric force *F*_e, magnetic force *F*_m, and Lorentz force *F*_L inside RF Wien filter.
- Trapezoid-shaped electrodes determine crossing of electric and magnetic forces.

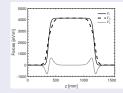




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Lorentz force

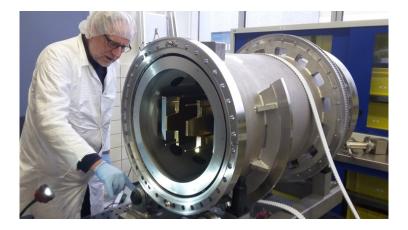
$$\vec{F}_{\rm L} = q \left(\vec{E} + \vec{v} \times \vec{B} \right) \,, \tag{3}$$

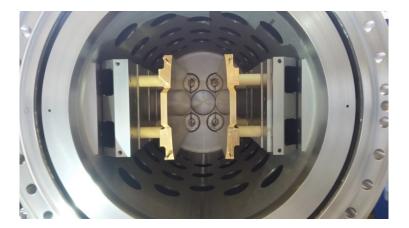
- particle charge q, velocity vector $\vec{v} = c(0, 0, \beta)$, fields $\vec{E} = (E_x, E_y, E_z)$ and $\vec{B} = \mu_0(H_x, H_y, H_z)$, μ_0 vacuum permeability.
- For vanishing Lorentz force $\vec{F}_{L} = 0$, field quotient Z_q given by

$$E_x = -c \cdot \beta \cdot \mu_0 \cdot H_y \quad \Rightarrow \quad \left| Z_q = -\frac{E_x}{H_y} = c \cdot \beta \cdot \mu_0 \approx 173 \ \Omega \right|. \tag{4}$$

Precursor Experiment at COSY

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Device moved from ZEA to COSY hall for tests of driving circuit.

Clean room at COSY hall

Commissioning of experimental setup:

- Test of vessel rotation under vacuum.
- RF tests with driving circuit.
- Control system.





Clean room at COSY hall

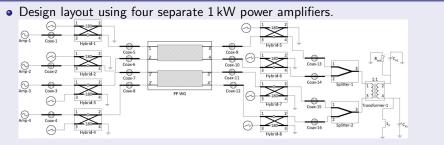
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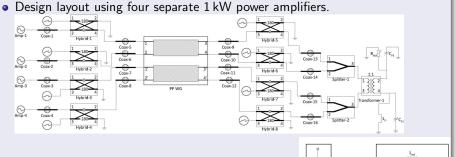


RF Wien filter installation at COSY will take place in April 2017.

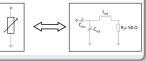
Realization as strip line with load resistor and tunable elements (L's and C's):



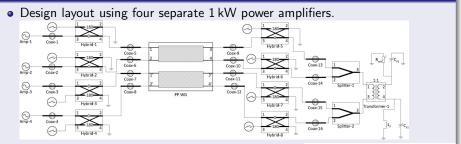
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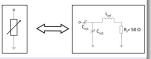
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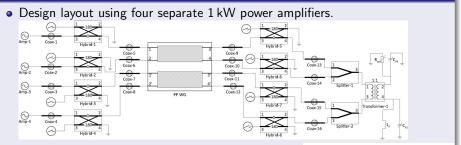


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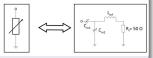


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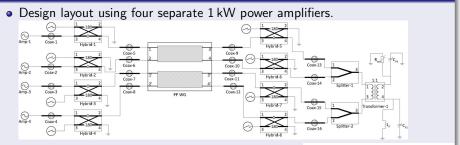
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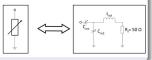
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- Upgrade later to $4 \times 2 \text{ kW}$: $\int B_z dz = 0.218 \text{ T mm}$.

Buildup of transverse polarization component due to EDM:

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- Phase variation Δ_{WF} of RF Wien filter (see Jörg's talk).

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- Small angle rotations of few degree in situ, large angles without breaking vacuum, needs recabling.
- Spin tune mapping χ_1 versus χ_2 using distortion-free elements (see [5]).
- Mapping of resonance strength $\epsilon \propto (\vec{c} \times \vec{w})$ as function of χ_1 and χ_2 allows one to align \vec{c} along \vec{w} ($\epsilon \simeq 0$) (see also [5]).

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- Development of orbit-distortion-free helical dipole magnets to map magnetic ring imperfections.

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