

LHC Signals from Cascade Decays of Warped Vector Resonances

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K. Agashe, PD, S. Hong, R. Sundrum, arXiv:1608.00526

K. Agashe, J. Collins, PD, S. Hong, D. Kim, R. Mishra, arXiv:1612.00047

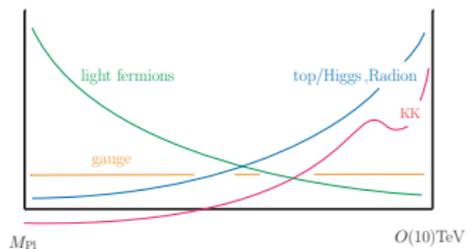
Outline

- 1 Motivation and introduction
- 2 Signal Analysis
 - Jet+diphoton channel
 - Trijet channel
- 3 Conclusion

Motivation

Standard RS

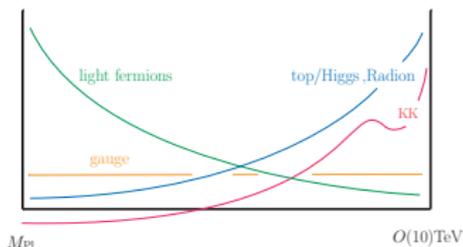
[Randall, Sundrum,99]



Motivation

Standard RS

[Randall, Sundrum,99]

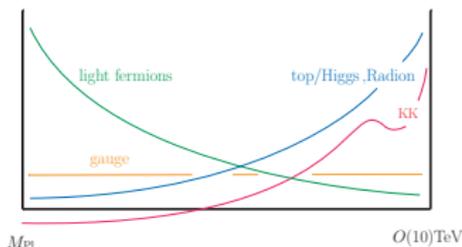


- Flavor constraints push KK scale to be $\gtrsim O(10)$ TeV.
- **KK modes lie out of LHC reach?**

Motivation

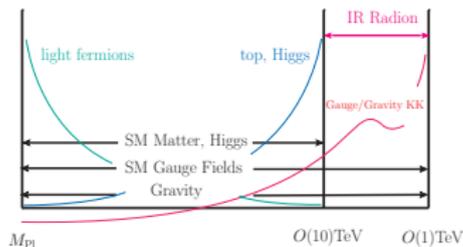
Standard RS

[Randall, Sundrum,99]



Extended RS

[Agashe,PD,Hong, Sundrum,16]



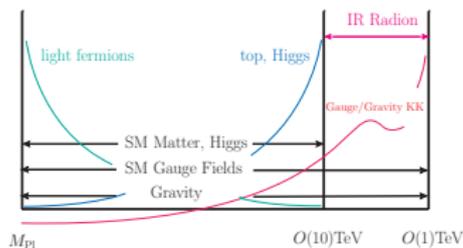
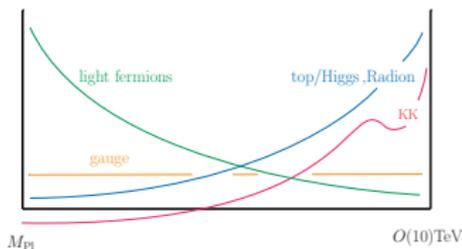
- Flavor constraints push KK scale to be $\gtrsim O(10)$ TeV.
- **KK modes lie out of LHC reach?**

- Robust generalization of standard RS models.
- Extended RS framework can **address flavor problem** and also **give interesting signals** at LHC.

Extended RS framework

[Randall, Sundrum,99]

[Agashe, PD, Hong, Sundrum,16]

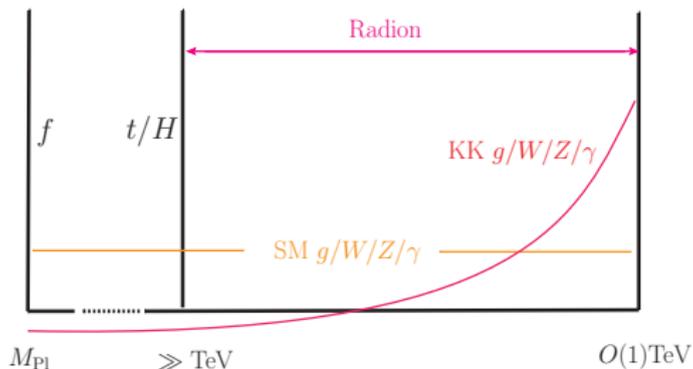


		Standard	Extended
KK gauge	Mass	$\gtrsim O(10)\text{ TeV}$	a few TeV
	Decay	$t\bar{t}, HH$	$f\bar{f}$ (universally), radion $+\gamma/W/Z/g$
Radion	Mass	$\gtrsim O(10)\text{ TeV}/(\text{a few})$	$O(1)\text{ TeV}$
	Decay	$t\bar{t}, HH$	$gg/WW/ZZ/\gamma\gamma$

- KK gauge bosons/ radions decay **flavor universally** to SM particles.
- KK gauge bosons could have significant coupling with **radion and SM gauge boson**.

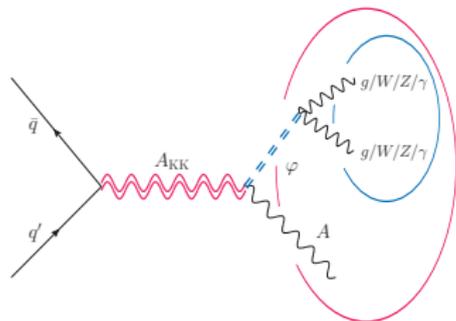
Simplified model

[Agashe, Collins, PD, Hong, Kim, Mishra, 16]



- Keep only **first KK gauge modes** and **radion**.
- Couplings are mostly free parameters, which can cover a **general class** of theories.
- Middle brane is taken to be $\gg \text{TeV}$. **Flavor non-universal** couplings to Higgs and tops are suppressed.

Signal channels



SM gauge bosons: $A = \{g, W, Z, \gamma\}$
 KK gauge bosons : A_{KK}
 Radion : φ
 Couplings : $g_{A_{KK}}, g_{\text{grav}}$

- Production/decays of KK gauge bosons

$$Q_A \frac{g_A^2}{g_{A_{KK}}} A_{KK}^\mu \bar{\psi} \gamma_\mu \psi$$

- Dominant decay channel of KK gauge bosons

$$\epsilon g_{\text{grav}} \frac{g_A}{g_{A_{KK}}} \frac{\varphi}{m_{KK}} A_{\mu\nu} A_{KK}^{\mu\nu}$$

- Radion decay channels

$$-\frac{1}{4} \left(\frac{g_A}{g_{A_{KK}}} \right)^2 \frac{g_{\text{grav}}}{m_{KK}} \varphi A_{\mu\nu} A^{\mu\nu}$$

Signal channel

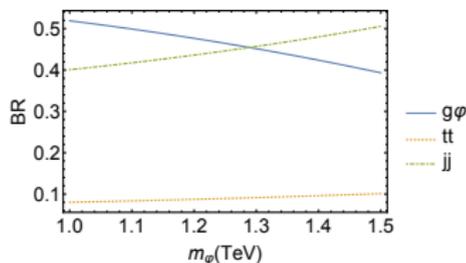
Three SM gauge boson final states with **two** invariant mass peaks corresponding to A_{KK} and φ

KK gluon&Radion

KK gluon

- Production: $q q$
- BR:

$$\frac{\text{BR}(g_{\text{KK}} \rightarrow qq)}{\text{BR}(g_{\text{KK}} \rightarrow \varphi g)} = \frac{g_g^2}{(\epsilon g_{\text{grav}})^2 \left(1 - \left(\frac{m_\varphi}{m_{\text{KK}}}\right)^2\right)^3}$$

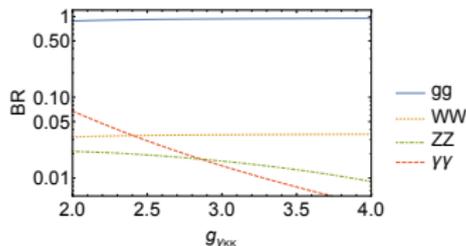


$$g_{\text{grav}} = 6, \epsilon = 0.5, m_{\text{KK}} = 3\text{TeV}$$

Radion

- Production: $g g$
- BR:

$$\frac{\text{BR}(\varphi \rightarrow gg)}{\text{BR}(\varphi \rightarrow \gamma\gamma)} = \frac{8 \frac{g_g^4}{g_{\text{KK}}^4}}{\frac{g_\gamma^4}{g_{\text{KK}}^4}}$$



$$g_{\text{KK}} = g_{W_{\text{KK}}} = 6$$

Current bounds and parameter space: Jet+diphoton channel

$$g_{KK} \rightarrow g\varphi \rightarrow g\gamma\gamma$$

Current constraints:

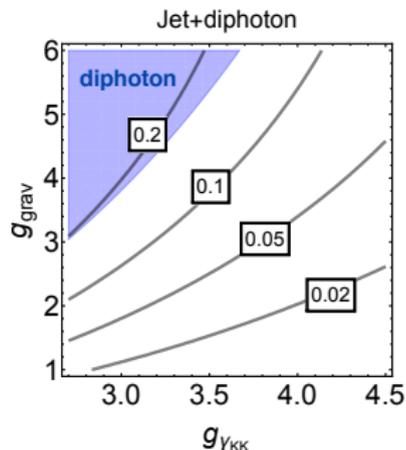
- For KK gluon:
Dijet/Ditop: Suppressed by BR.
Relevant channels: $qq \rightarrow g_{KK} \rightarrow tt/jj$
- For Radion:
Diphoton: Radion direct production.
Relevant channel: $gg \rightarrow \varphi \rightarrow \gamma\gamma$
Dijet: Weaker than diphoton

Current bounds and parameter space: Jet+diphoton channel

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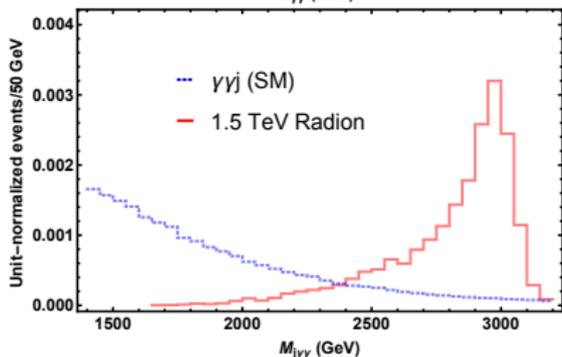
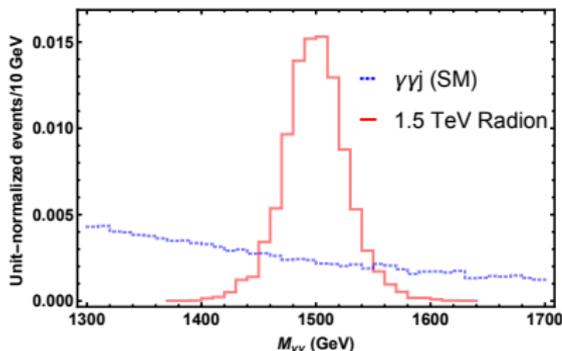
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 - Diphoton:** Radion direct production.
 - Relevant channel: $gg \rightarrow \varphi \rightarrow \gamma\gamma$
 - Dijet:** Weaker than diphoton



$$g_{W_{KK}} = 6, g_{g_{KK}} = 6, \epsilon = 0.5$$

$$m_{KK} = 3\text{TeV}, m_{\varphi} = 1.5\text{TeV}$$

Jet+diphoton channel: Backgrounds and Signal



- Two invariant mass peaks are successfully reconstructed in this clean channel.
- Backgrounds: $j\gamma\gamma$, $j\bar{j}\gamma$ (jet fakes photon).
- Significance : 5.4σ with 300fb^{-1} @ 14 TeV LHC

Current bounds and parameter space: Trijet channel

$$g_{KK} \rightarrow g\varphi \rightarrow ggg$$

Current constraints:

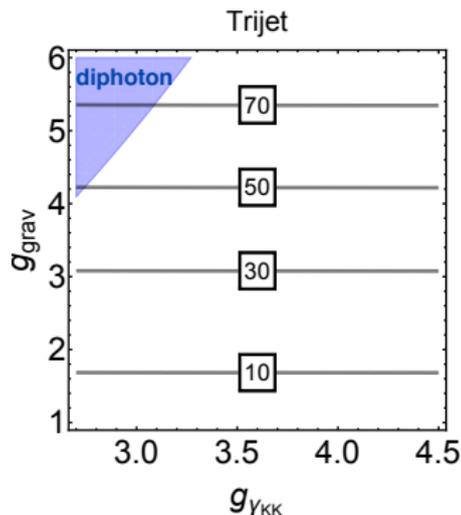
- **Dijet/Ditop:** Suppressed by BR.
- **Diphoton:** Radion direct production
- **Trijet(Signal) channel:** Combinatorics weaken the dijet bounds.

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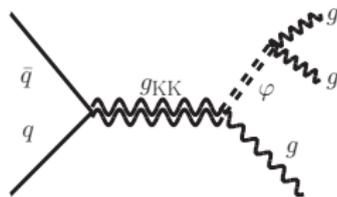
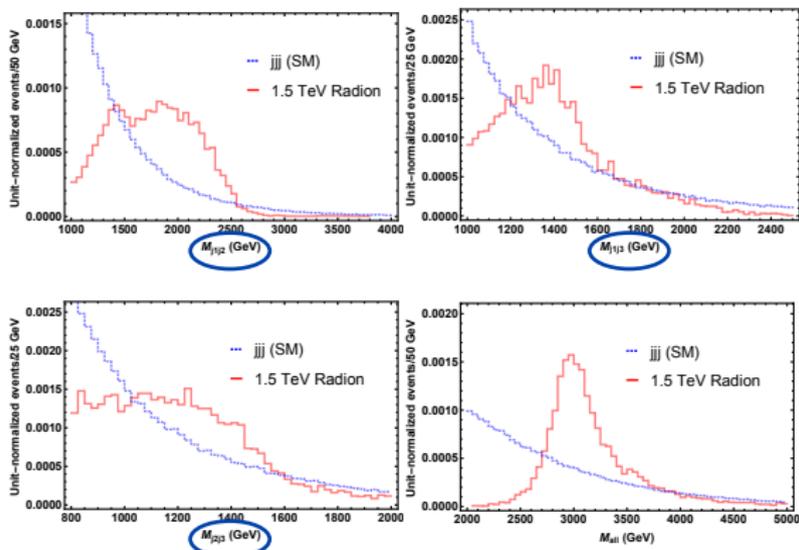
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Trijet channel: Backgrounds and Signal



- **Combinatorics** makes the two-jet invariant mass distribution broad.
- Various combinations of dijet and trijet invariant mass cuts are all important.
- Backgrounds: jij
- Significance : 5.3σ with 300fb^{-1} @ 14 TeV LHC

Conclusion

- The **extended RS framework** can address flavor problem and also provide new signals accessible at LHC.
- New signals with **three gauge boson** final states arise from cascade decays of **KK gauge boson** and **radion** (**two** intermediate on-shell particles).
- 5σ significance can be achieved in both **jet+diphoton** and **trijet** channel of KK gluon.
- More possibilities in other channels: photon+dijet (KK photon), W +dijet (KK W), jet+diboson (KK gluon) etc.

Thank you !

Backup: Allowed parameter space

- $g_{A_{KK}}$

$$g_{\gamma_{KK}} = \frac{g_{W_{KK}} g_{B_{KK}}}{\sqrt{g_{W_{KK}}^2 + g_{B_{KK}}^2}}, \quad g_{Z_{KK}} = \sqrt{g_{W_{KK}}^2 + g_{B_{KK}}^2}$$

$$3 \lesssim g_{g_{KK}}, g_{W_{KK}}, g_{B_{KK}} \lesssim 6$$

- g_{grav}

$$1 \lesssim g_{\text{grav}} \lesssim 6$$

- Parameter ϵ

$$\frac{1}{4} \lesssim \epsilon \lesssim \frac{1}{2}$$